



Characteristics of correlation peak with multiplicity using di-hadron correlation in pp collisions at 13 TeV in ALICE

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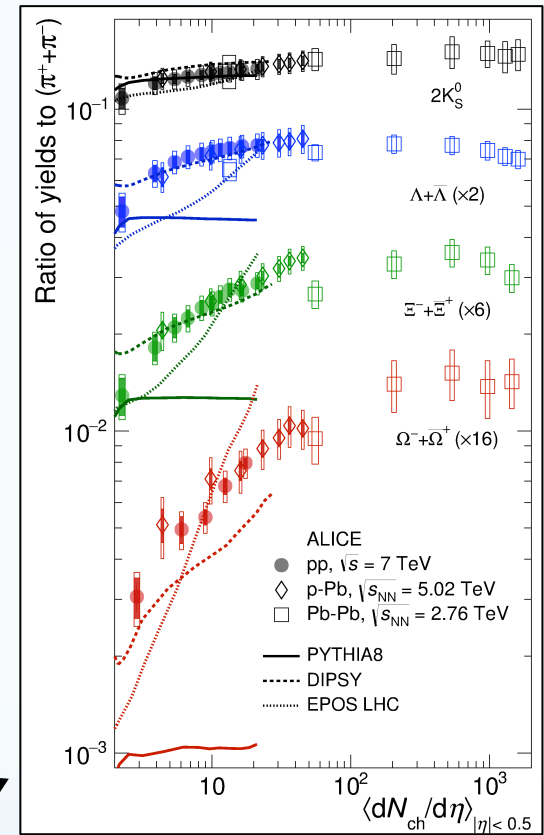
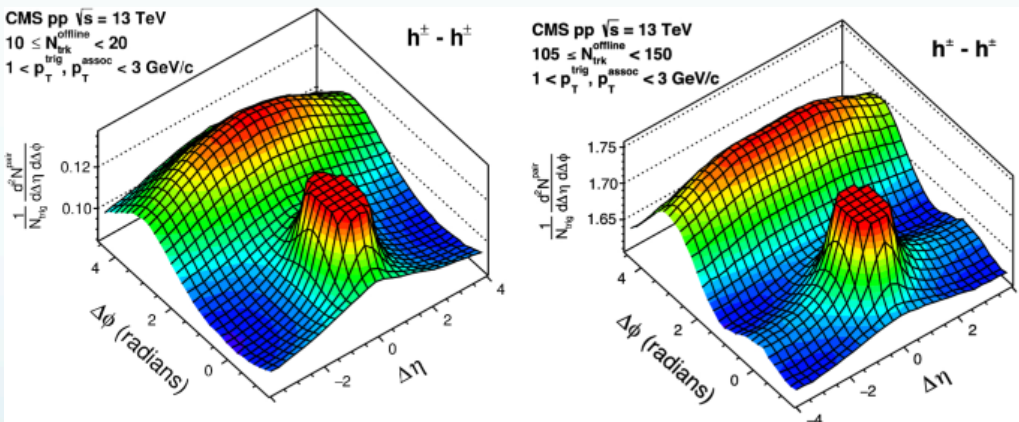
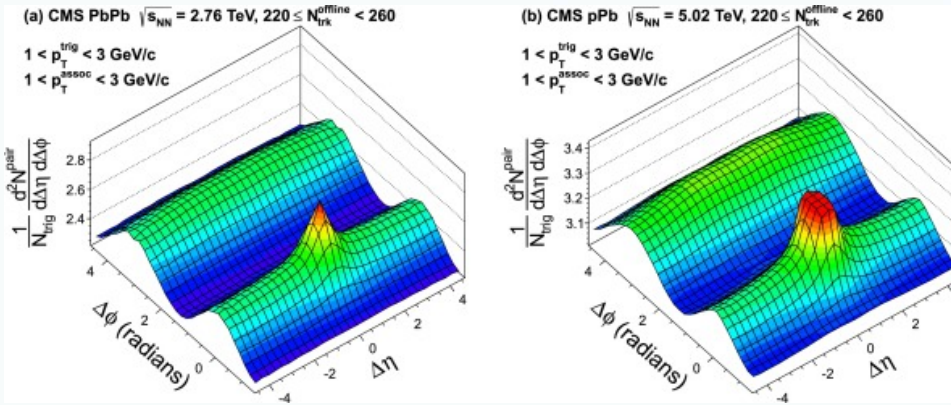
Bose Institute, Kolkata, India

ALICE-INDIA collaboration meeting

University of Jammu, 21st – 24th November, 2023

Motivation

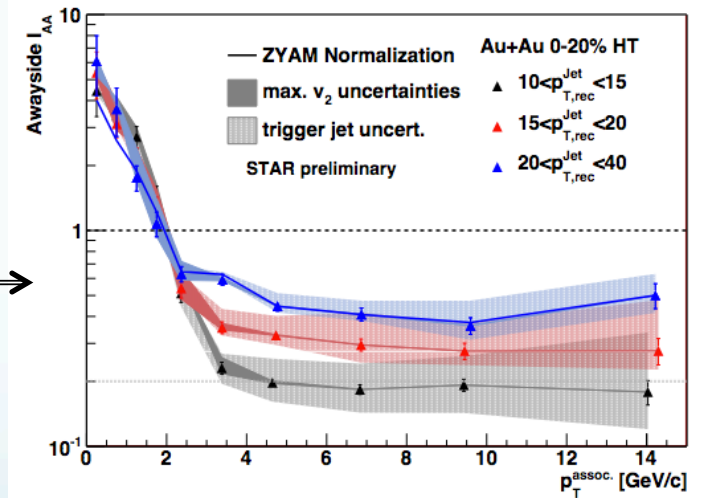
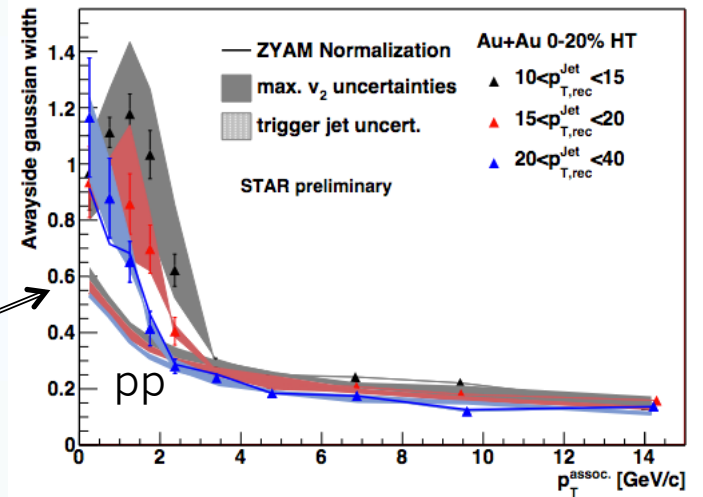
QGP like behaviour in pp



pp (High Multiplicity)
 unexpectedly shows ridge like
 structure and strangeness
 enhancement similar to Pb-Pb
 in Run-1 and Run-2 LHC

Reason is under
 investigation

- We know, in heavy-ion collisions, partons lose energy in the medium
- What should we see in angular correlation studies? **Softer and broader distribution of hadrons around the jet axis than seen in pp**
- The widths of the heavy-ion jet appear broader
- Effect is more in awayside as the recoiled parton travels through a significant amount of the medium
- Significant softening of the awayside jets has been observed in heavy-ion [1]



We are probing the modification of jet-like yields and widths in pp collision

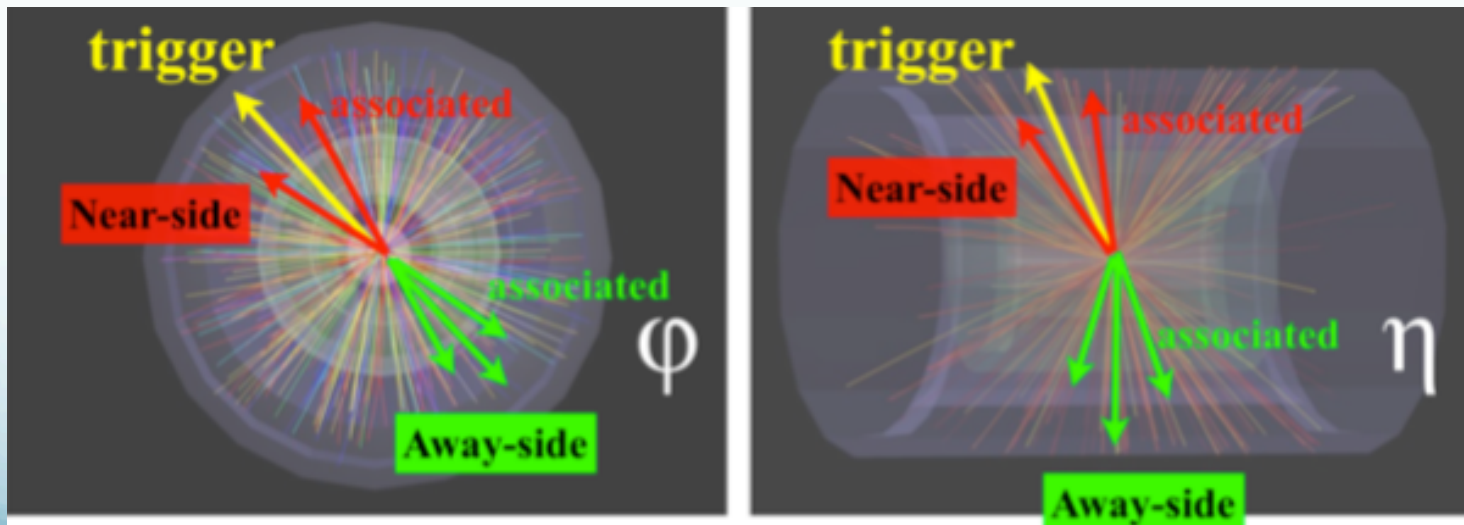
[1] A. Ohlson [STAR], "Jet-hadron correlations in STAR," J. Phys. Conf. Ser. 316 (2011), 012015, arXiv:1106.6032 [nucl-ex]

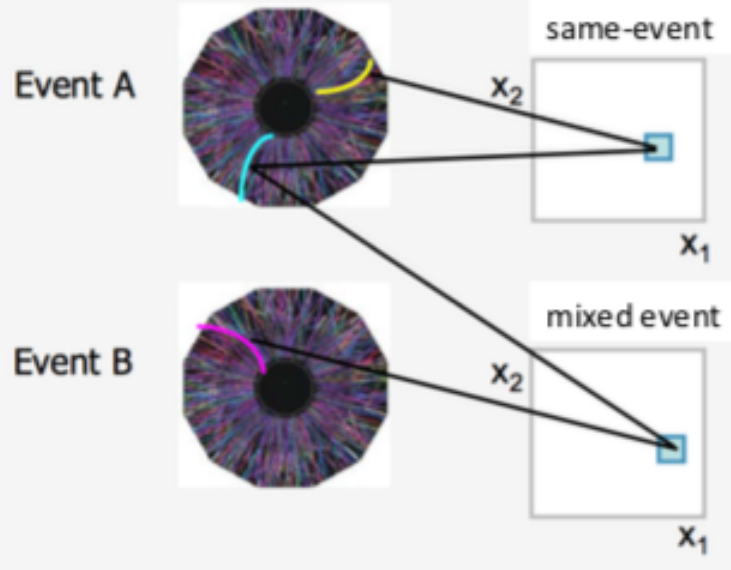
Measurement of correlation in data

- **What is Correlation ?** Given a particle (trigger), what is the probability of finding another particle (associated) at a relative angle
- Two particle correlation between pairs of triggers and associate hadrons in $\Delta\eta$ - $\Delta\phi$ space is defined as,

$$C(\Delta\eta, \Delta\phi) = \frac{1}{N_{trig}} \frac{d^2 N_{asso}}{d\Delta\eta d\Delta\phi} = B(0,0) \frac{S(\Delta\eta, \Delta\phi)}{B(\Delta\eta, \Delta\phi)}$$

$$\Delta\phi = \phi_{trig} - \phi_{asso}, \Delta\eta = \eta_{trig} - \eta_{asso}$$

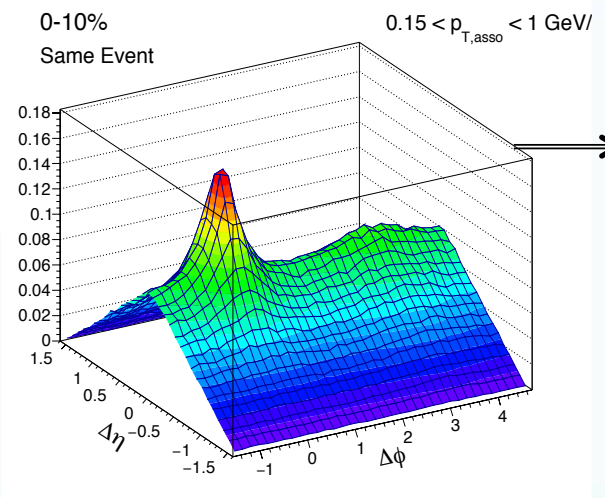




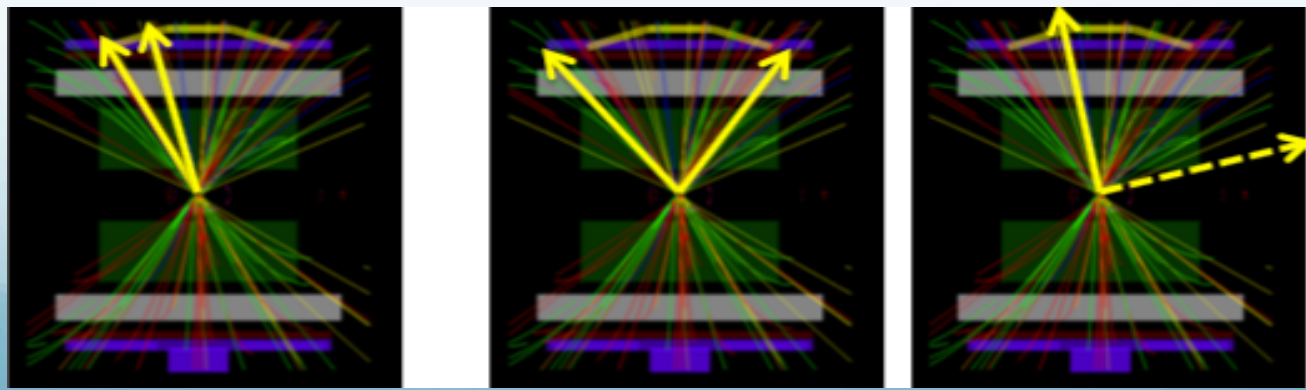
The signal (SE):

$$S(\Delta\phi, \Delta\eta) = \frac{1}{N_{trig}} \frac{d^2 N_{same}}{d\Delta\phi d\Delta\eta}$$

- True physics correlation + finite detector acceptance effect + background due to uncorrelated pairs



- Due to the finite acceptance in η --- the probability of reconstructing pairs in small $\Delta\eta$ is large (triangular shape) --- Pair acceptance

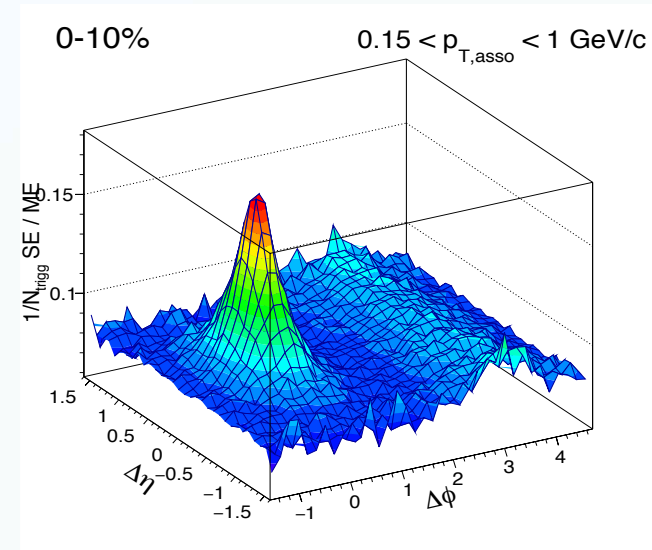
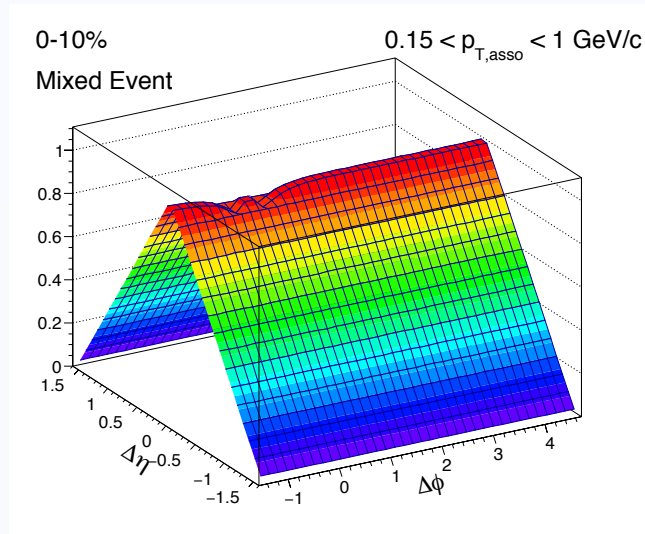


To correct for this pair acceptance and to remove background due to uncorrelated pairs : **mixed event method is used**

The **Background (ME)**:

$$B(\Delta\phi, \Delta\eta) = \frac{d^2 N_{mixed}}{d\Delta\phi d\Delta\eta}$$

- No physics correlation - only finite detector acceptance effect + background due to uncorrelated pairs

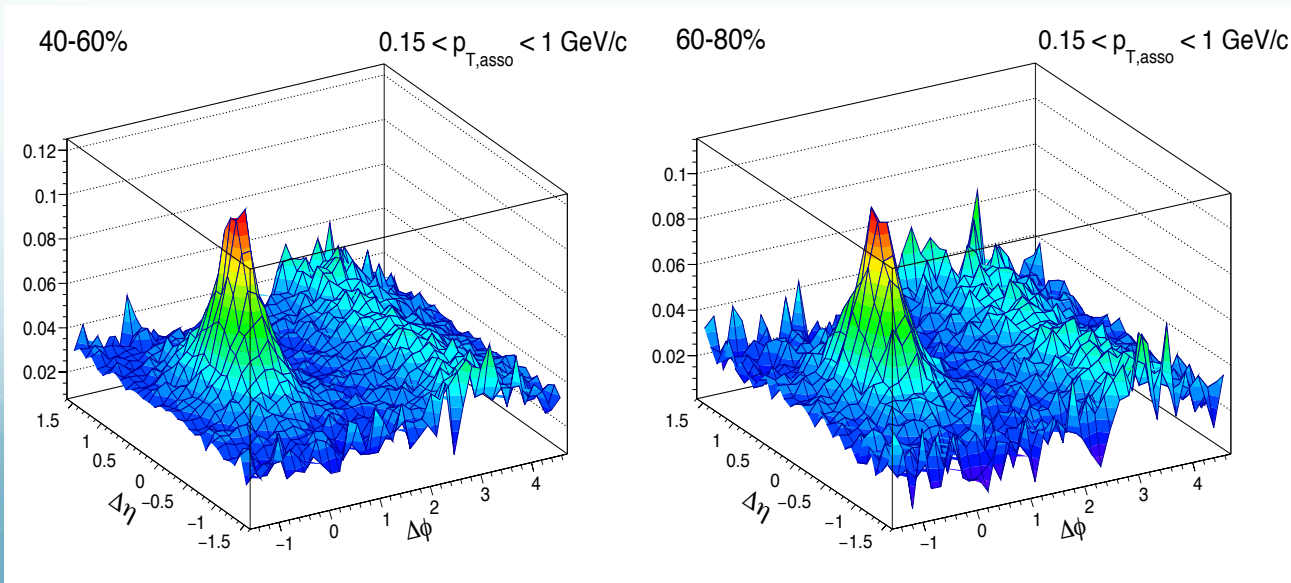
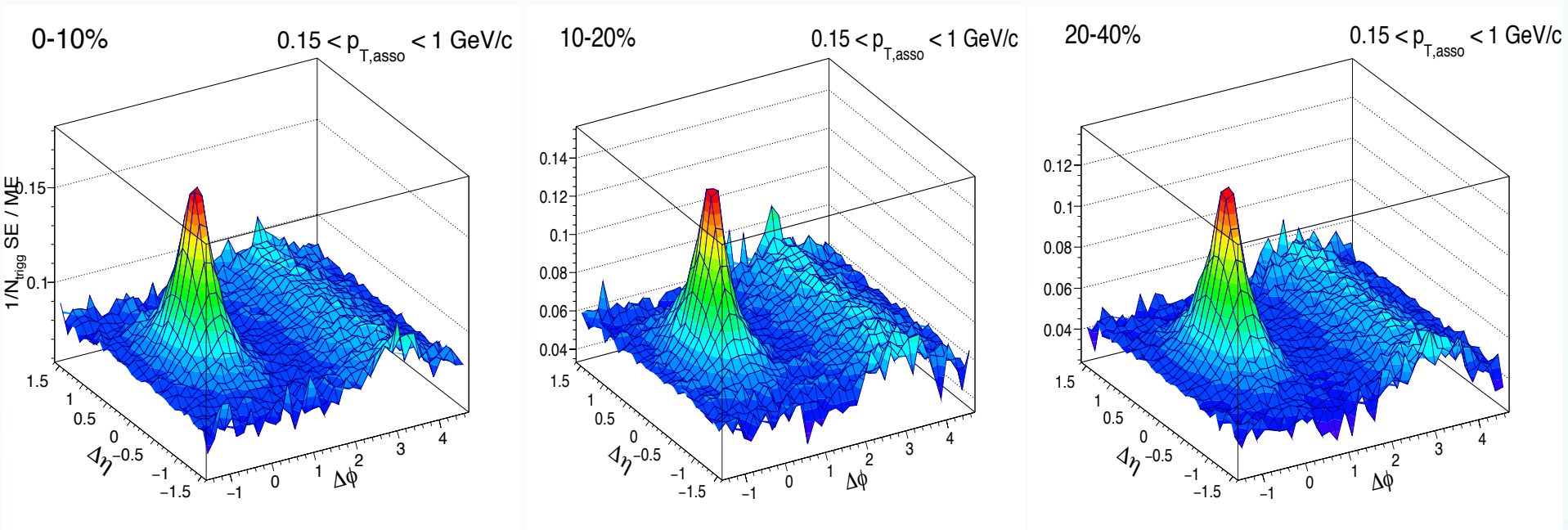


- *We divide correlation functions of the Signal with mixed event to extract the true physics correlation*
- The pair counts in the mixed event are normalized with the value at (0,0) to make it 1

Analysis details

- Dataset : LHC17 and LHC18 all dataset
- MC dataset: All sets anchored to LHC17 and LHC18
- Event cuts: **Trigger kINT7** (VOAND, hit in both VOA and VOC): Minimum bias trigger and rejection of background events, $|Z\text{-Vertex}| < 10 \text{ cm}$, **Physics selection Task** is used to select collision candidates in data and reject background and poor quality events
- Track cuts:
 - Filter Bit 768 (hybrid tracks with tighter DCA cut)
 - $|\eta| < 0.8$
 - **Trigger p_T** : $p_T > 10 \text{ GeV}/c$, Associate p_T : $0.15 < p_T < 10 \text{ GeV}/c$
 - **Track merging** correction is included
 - Centrality estimator: VOM

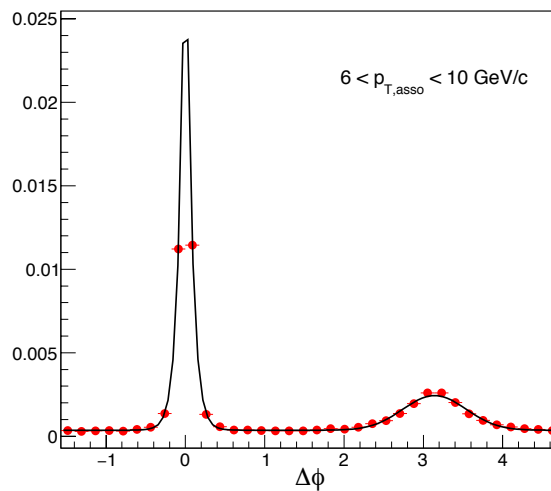
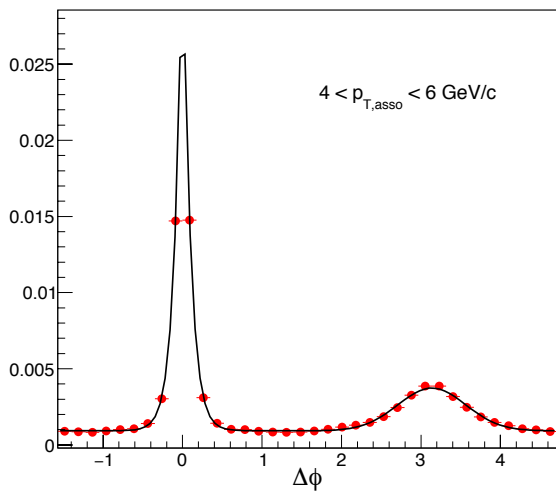
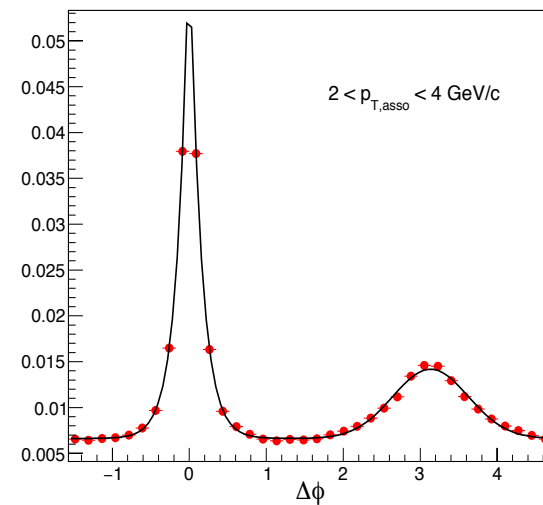
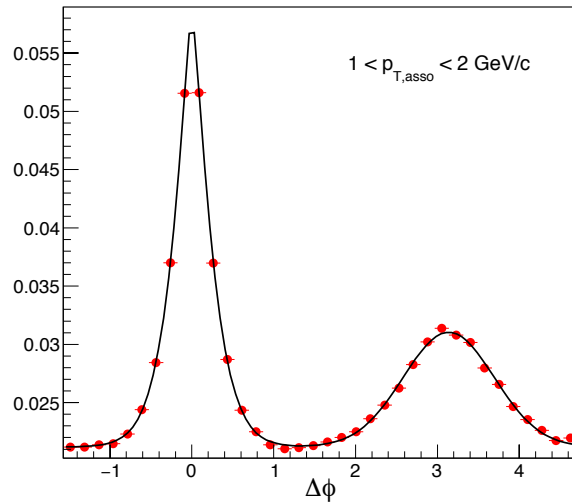
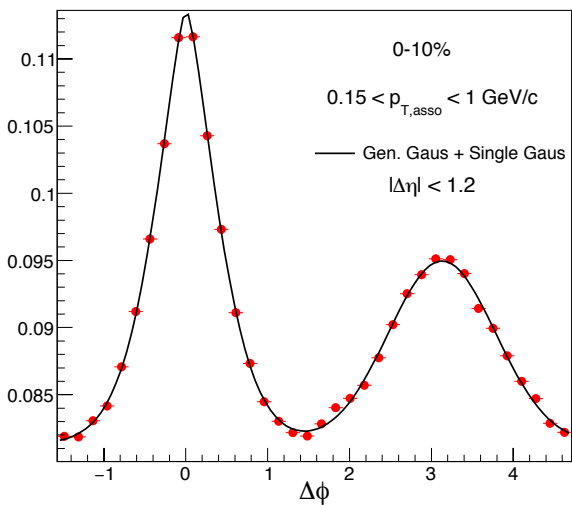
Raw correlation function



$p_{T,trigg} > 10 \text{ GeV}/c$

$0.15 < p_{T,asso} < 1 \text{ GeV}/c$

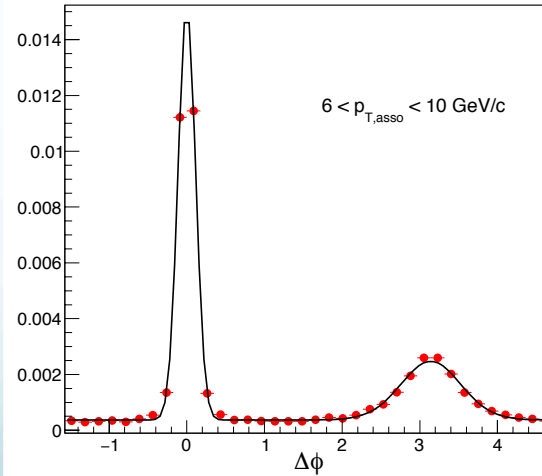
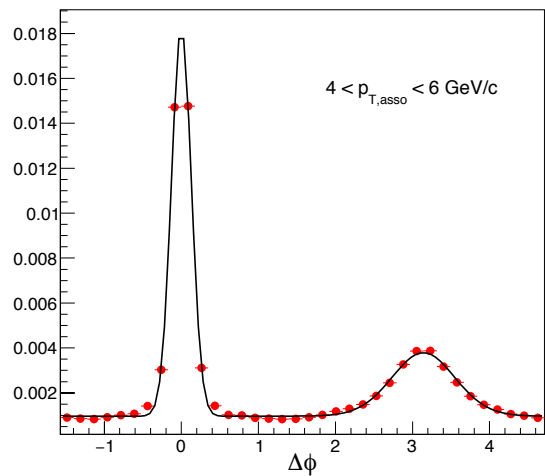
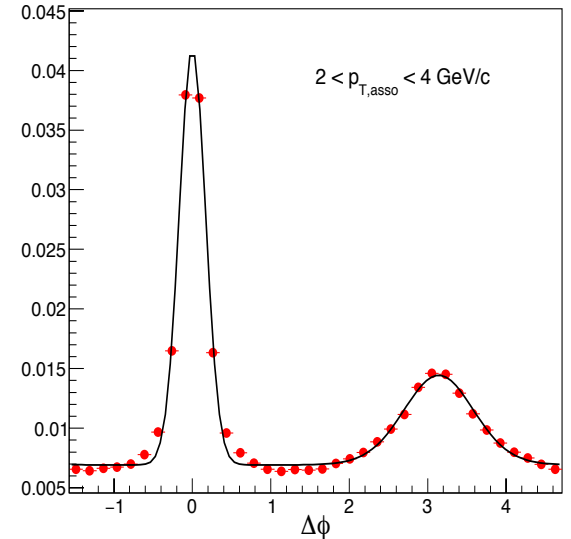
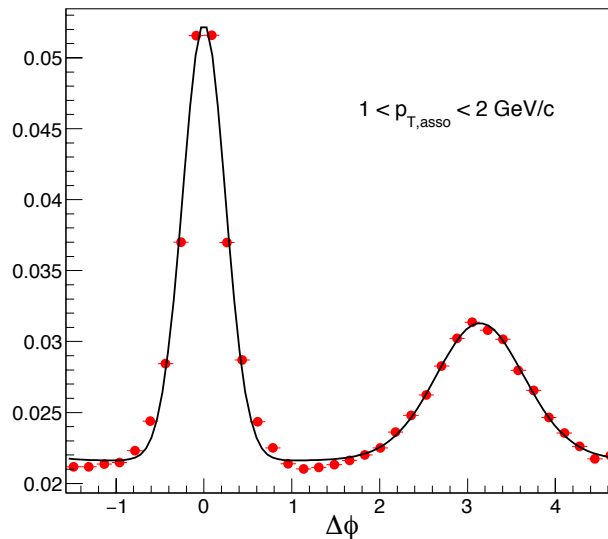
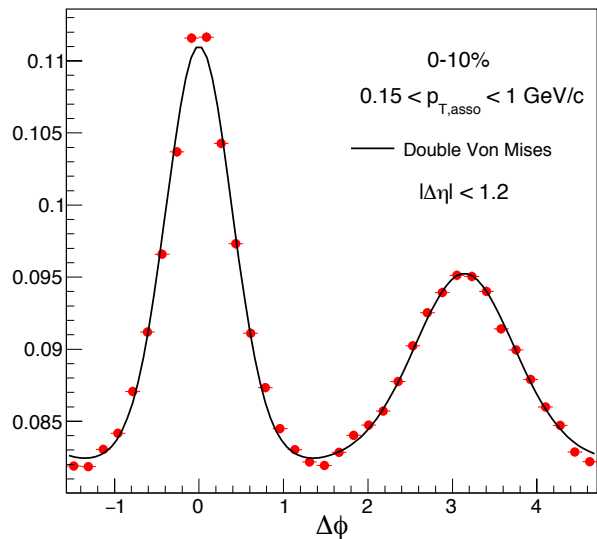
$\Delta\phi$ projection of correlation function



$$f = \frac{A}{2\sigma\Gamma(1/\alpha)} e^{-\left(\frac{x-\mu}{\sigma}\right)^\alpha}$$

Generalized Gaus (NS) + Std. Gaus (AS)

$\Delta\phi$ projection of correlation function

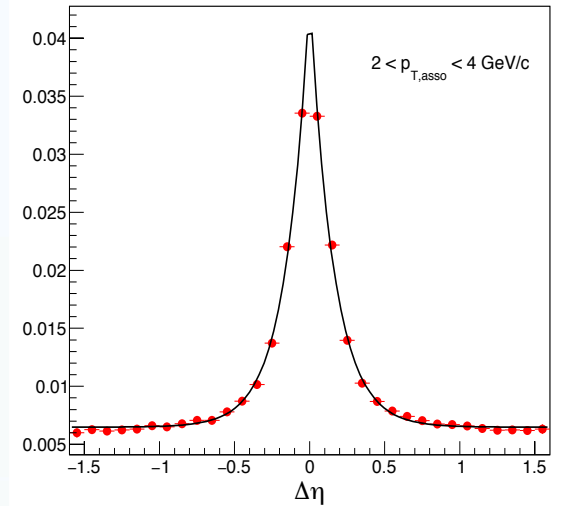
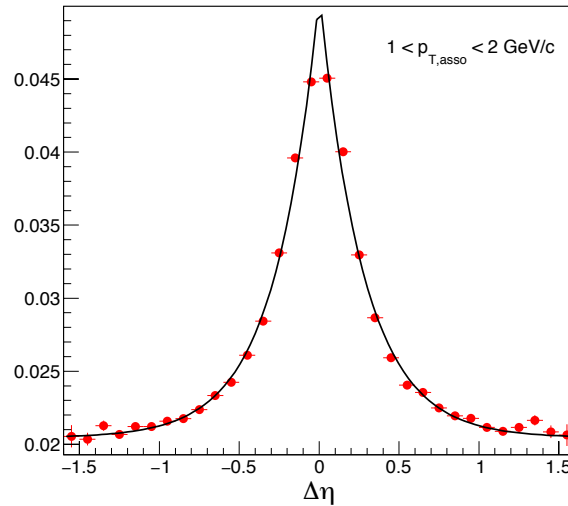
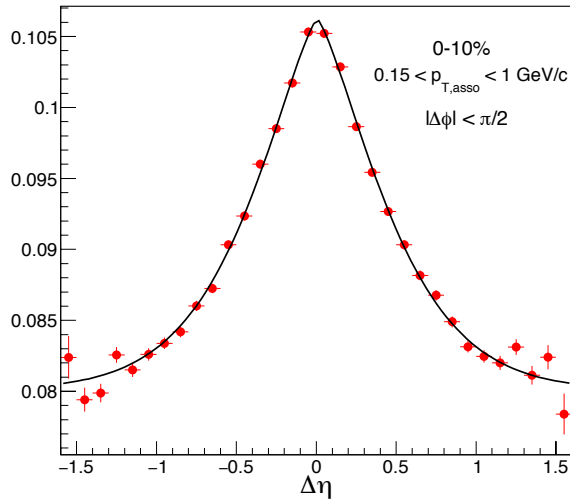


$$f = \frac{A}{2\pi I_0(\kappa)} e^{\kappa \cos(x-\mu)}$$

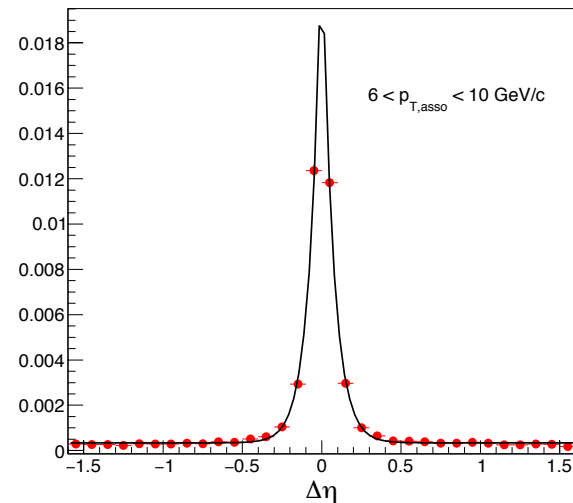
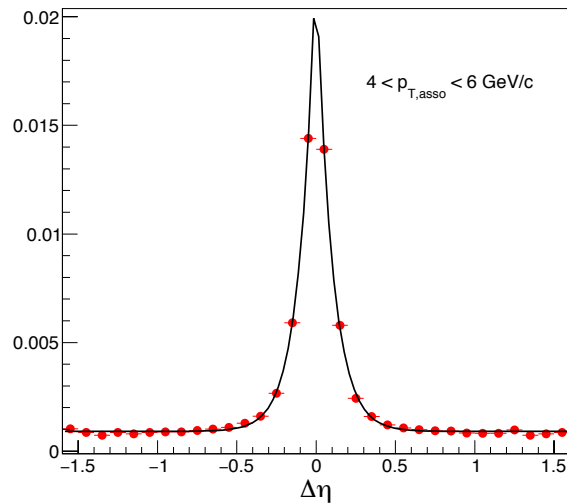
$$1/\kappa \approx \sigma^2$$

Von Mises function

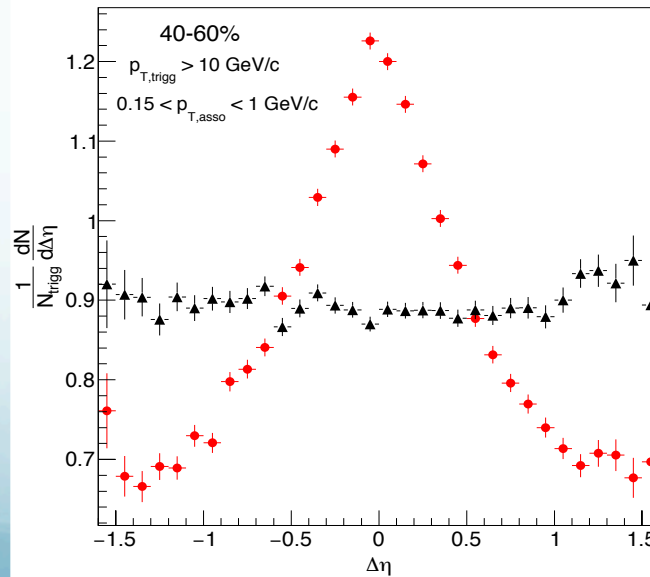
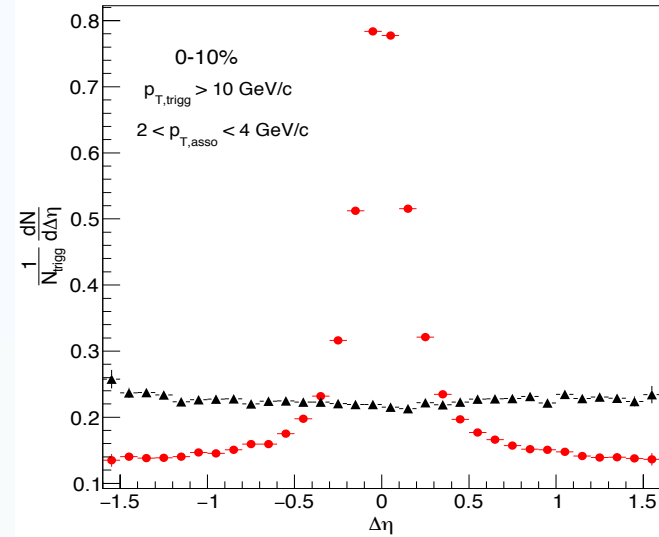
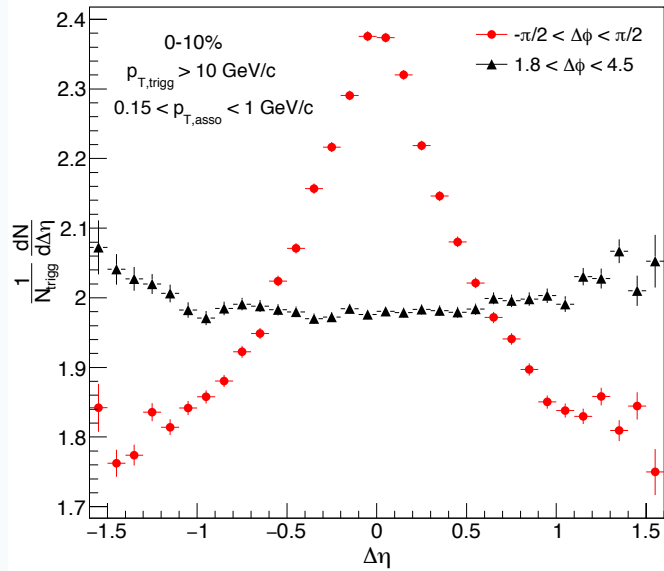
$\Delta\eta$ projection of correlation function



Generalized Gaus

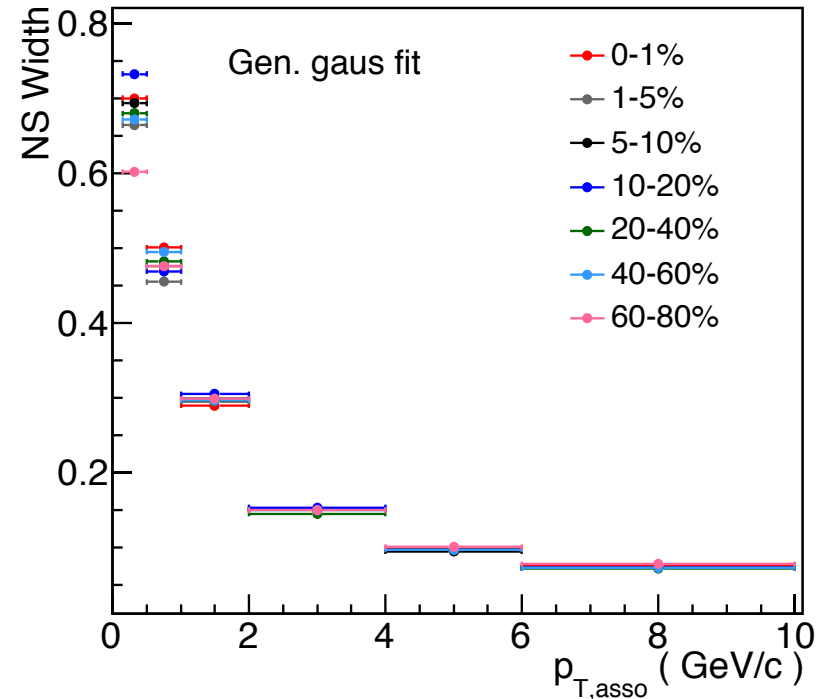
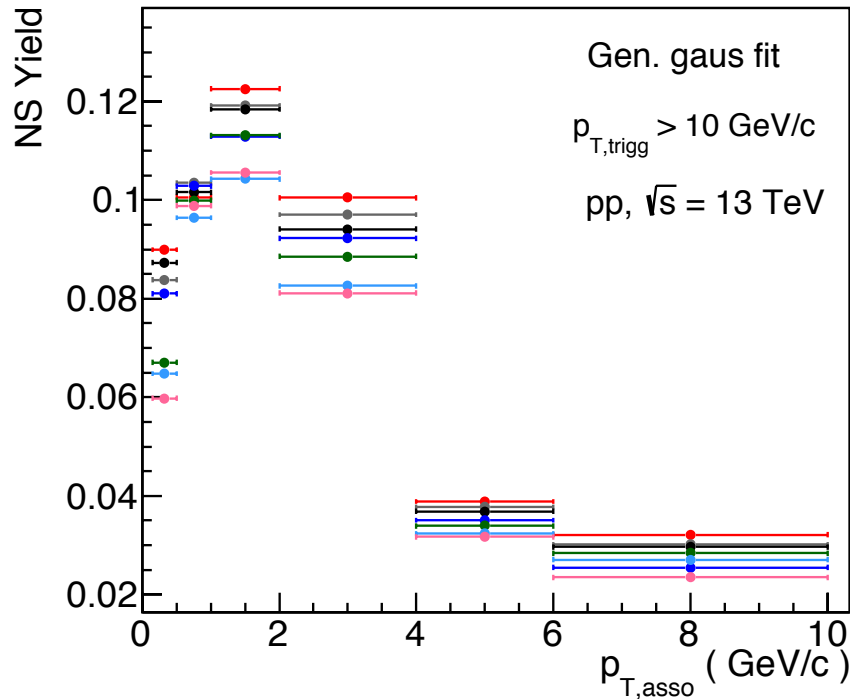


$\Delta\eta$ projection of correlation function



Nearside yield and width from Gen. Gaus

Raw data

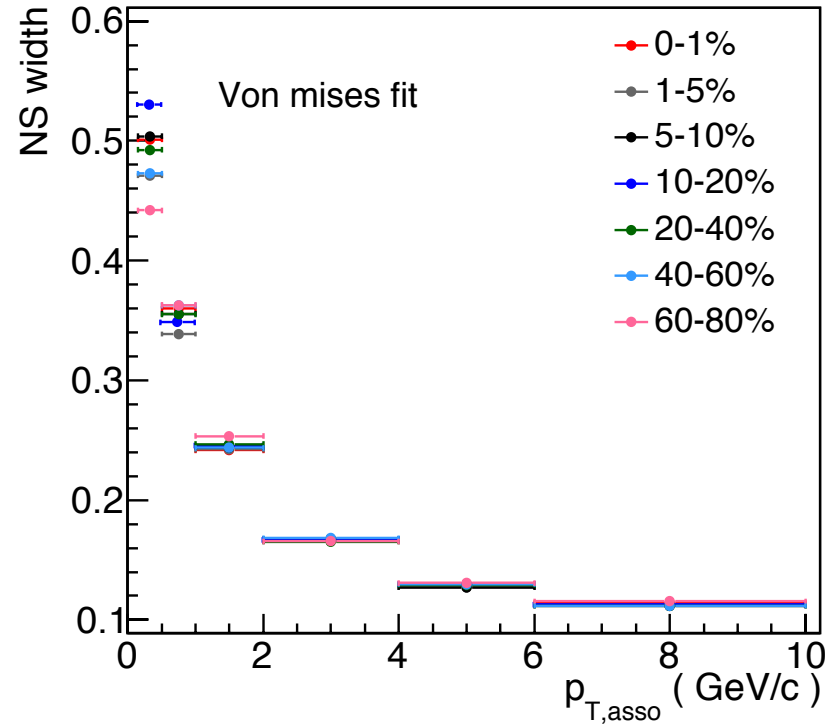
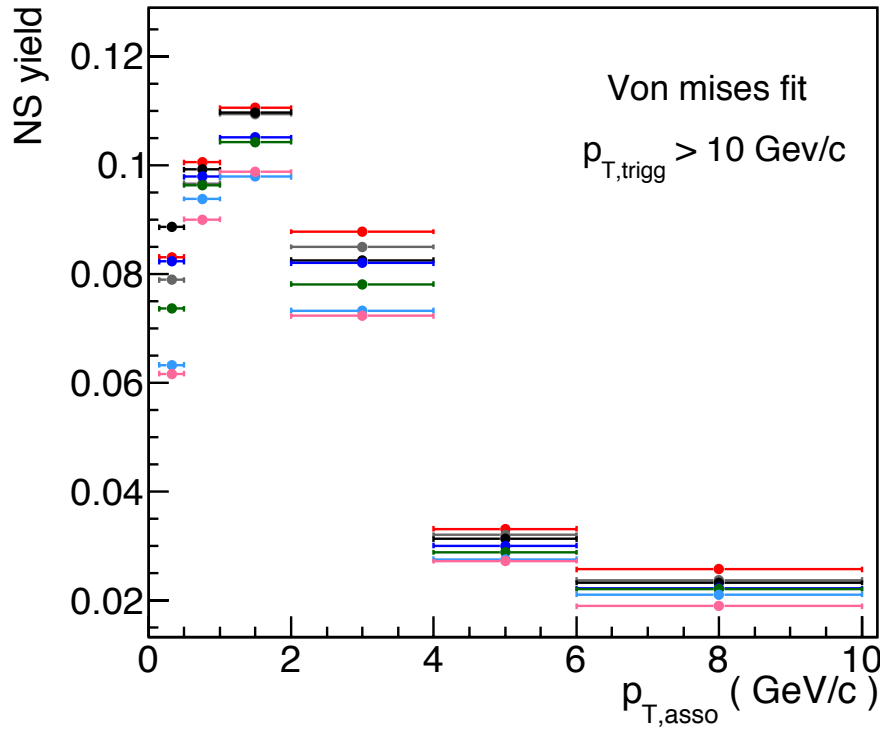


$$-\pi/2 \leq \Delta \phi \leq \pi/2$$

Yield and width decrease with increasing p_T

Nearside yield and width from Von mises

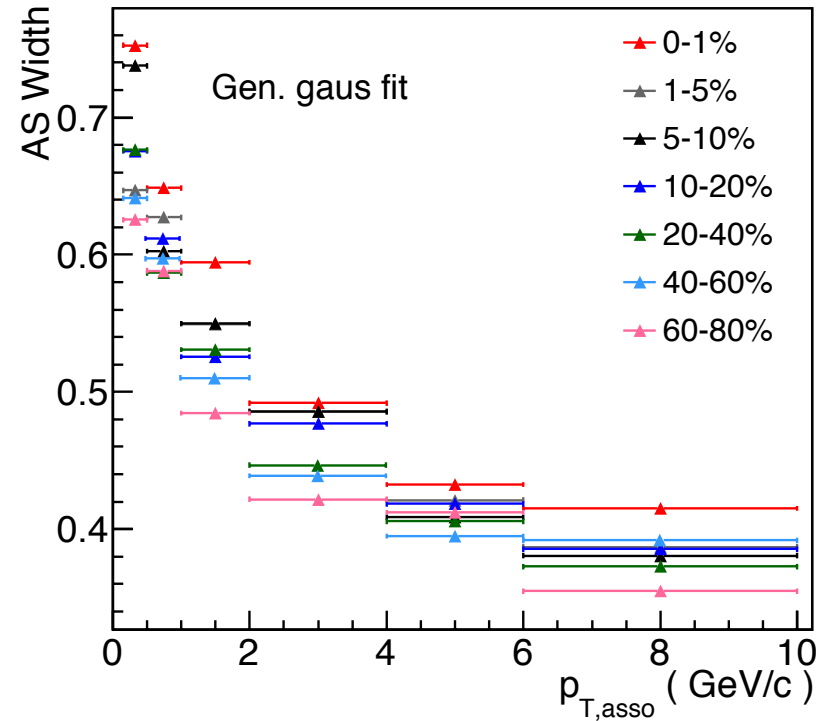
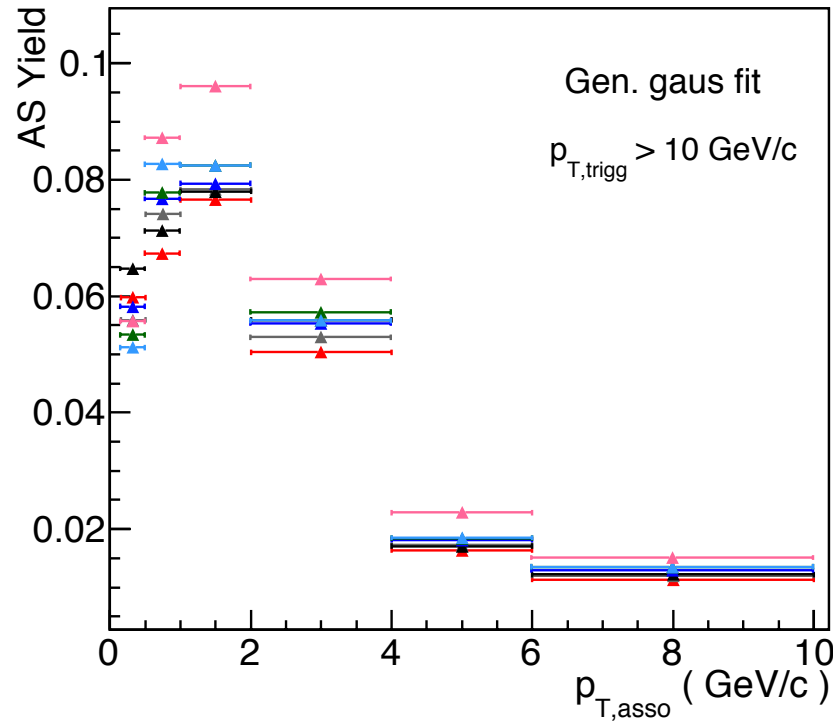
Raw data



$$-\pi/2 \leq \Delta \phi \leq \pi/2$$

Awayside yield and width from Gaussian

Raw data

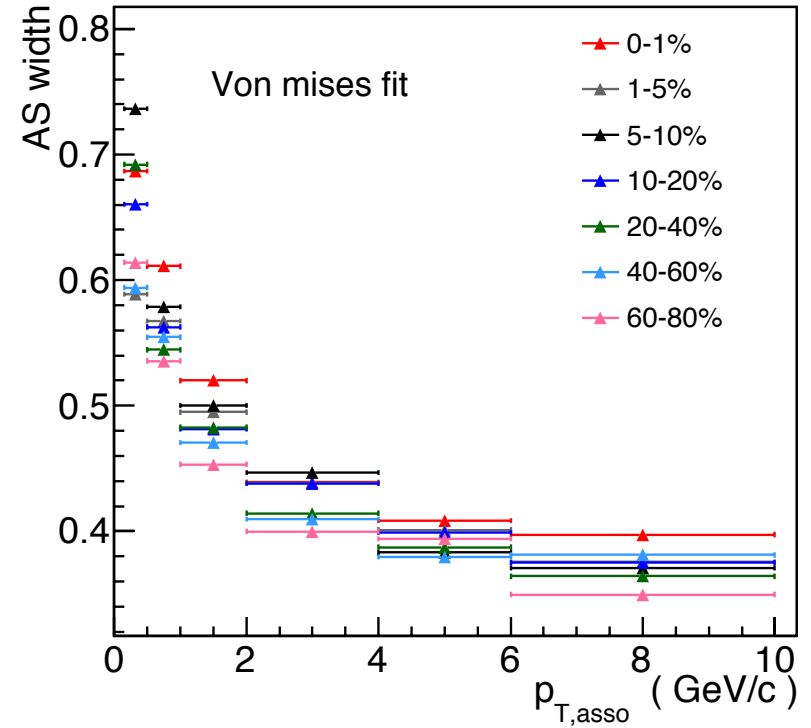
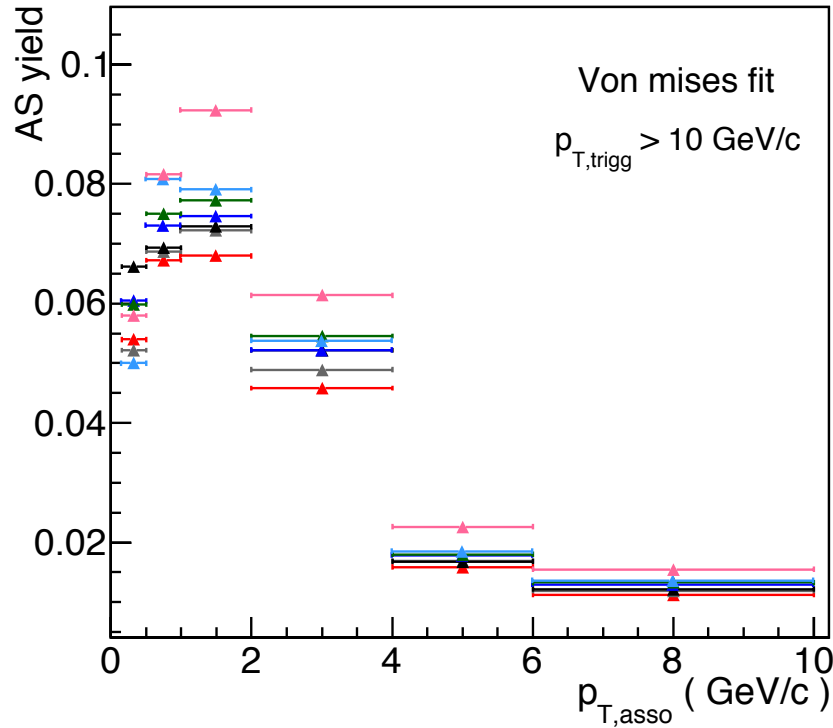


$$1.8 \leq \Delta \phi \leq 4.5$$

Yield and width decrease with increasing p_T

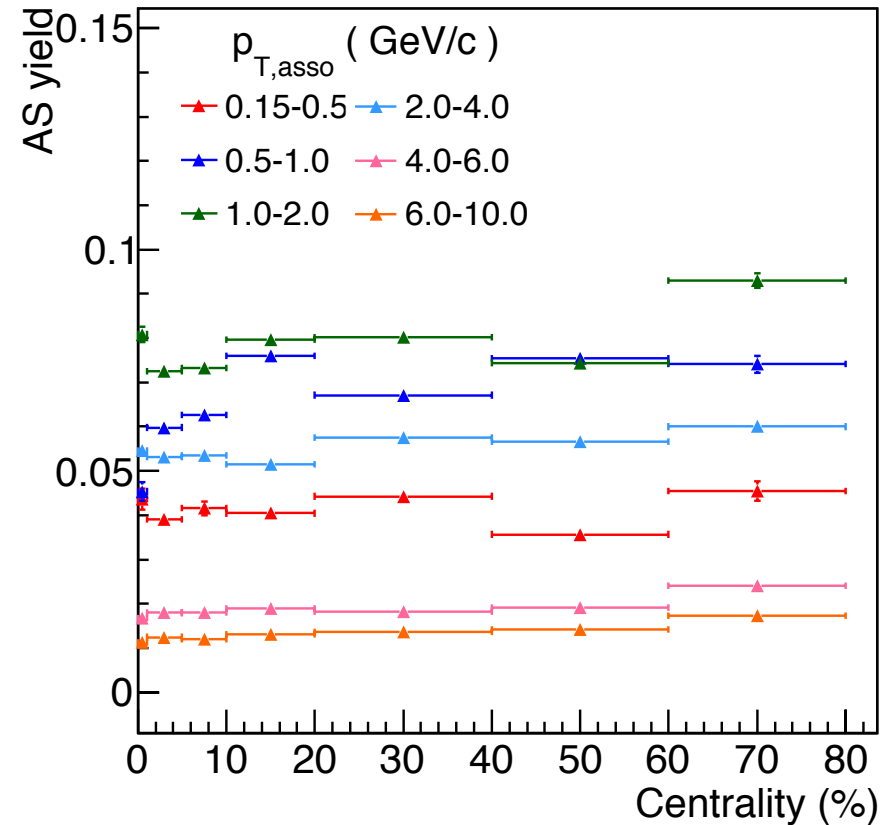
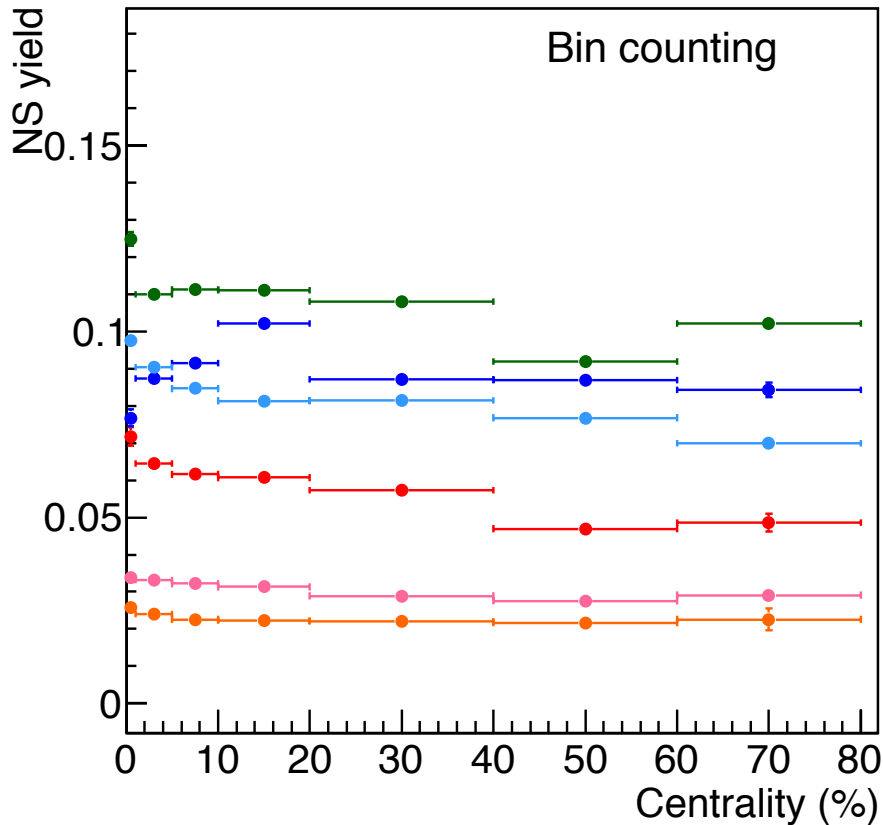
Awayside yield and width from Von Mises

Raw data



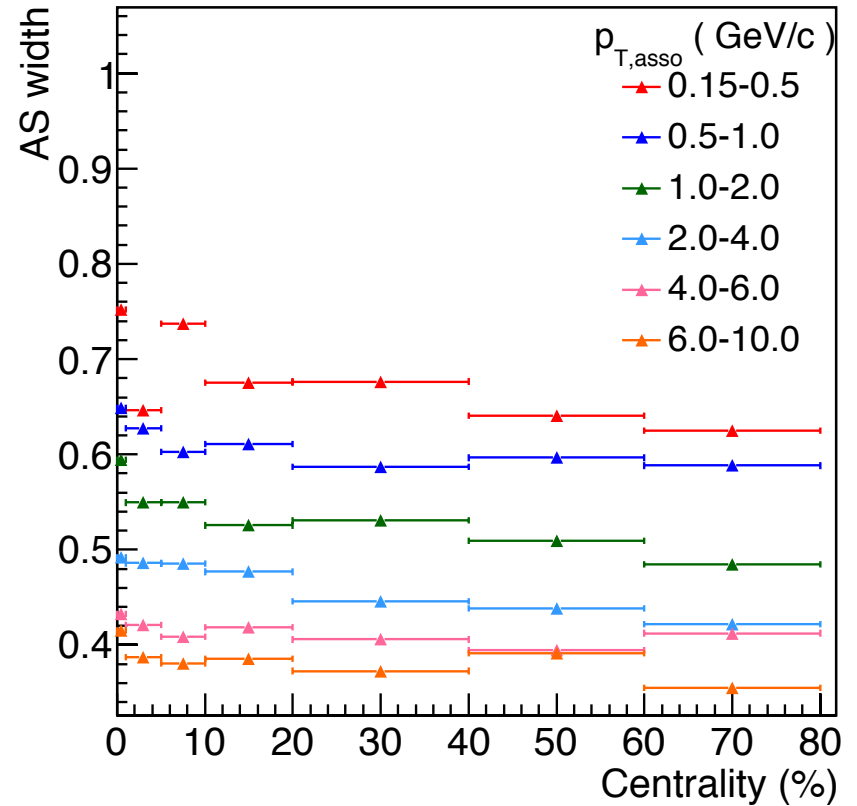
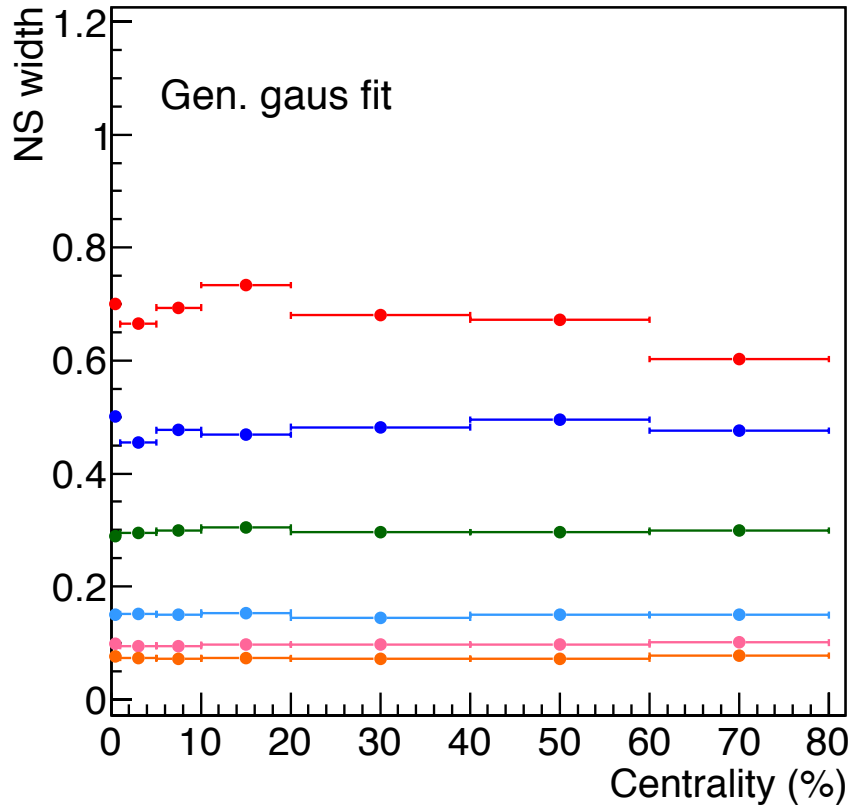
$$1.8 \leq \Delta \phi \leq 4.5$$

Nearside and away-side yield vs centrality



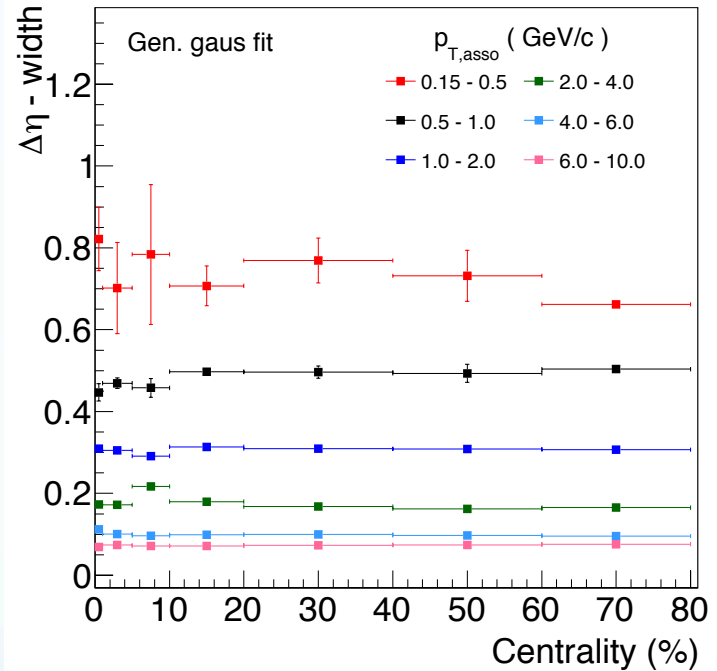
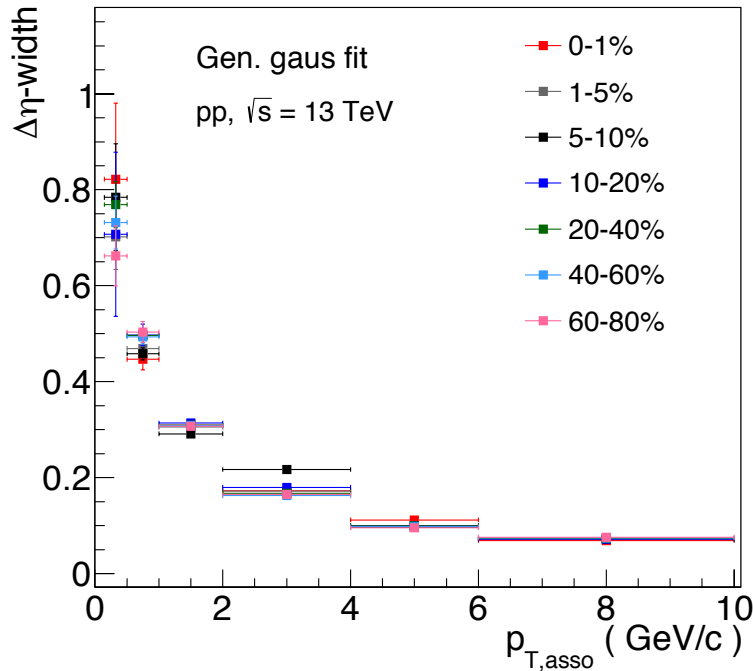
No significant multiplicity dependence - ratio needs to be taken

Nearside and away-side width vs centrality



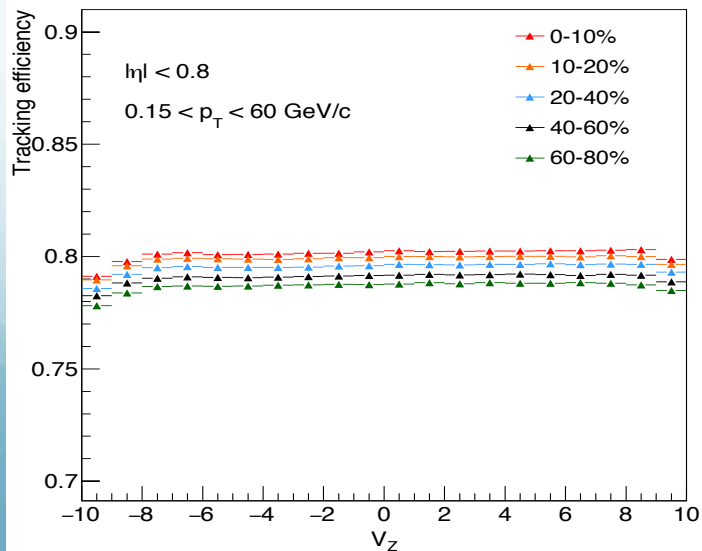
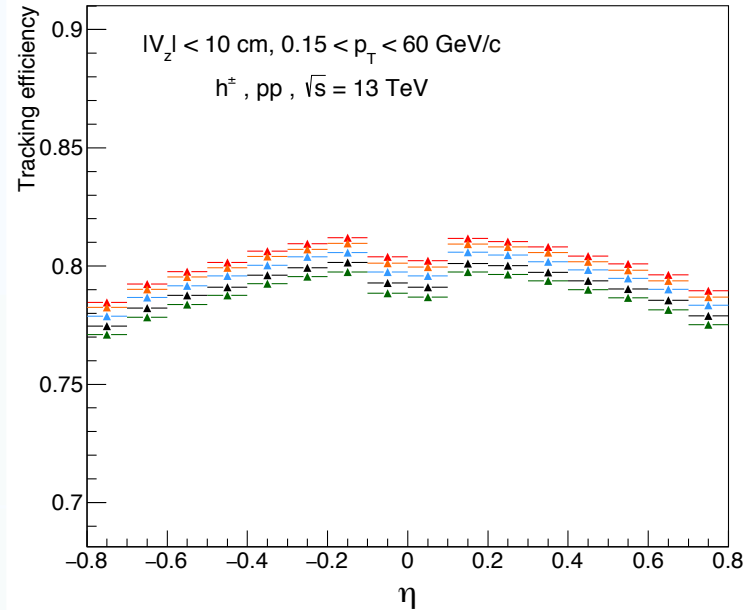
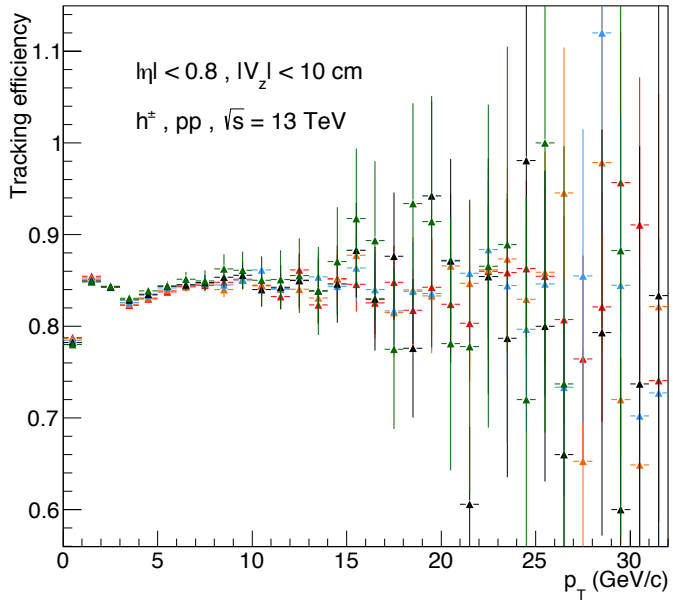
$\Delta\eta$ -width of correlation function

$$-\pi/2 \leq \Delta\phi \leq \pi/2$$



- Width in $\Delta\eta$ decreases with increasing p_T
- No significant multiplicity dependence - need to take ratio

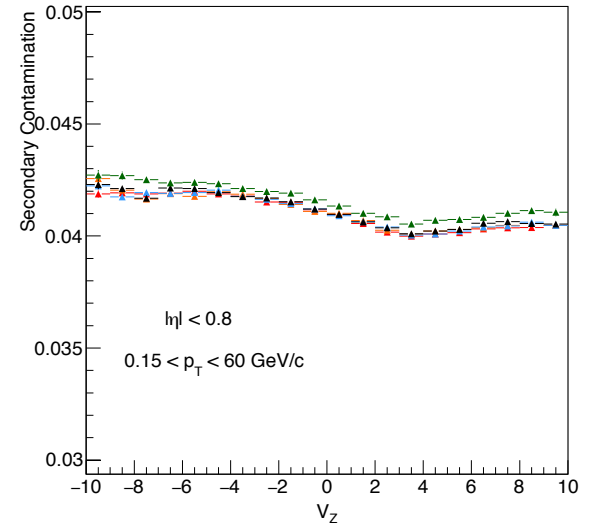
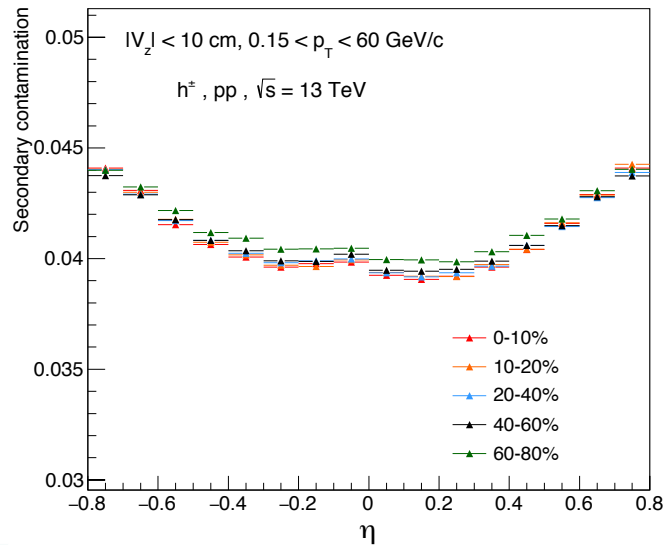
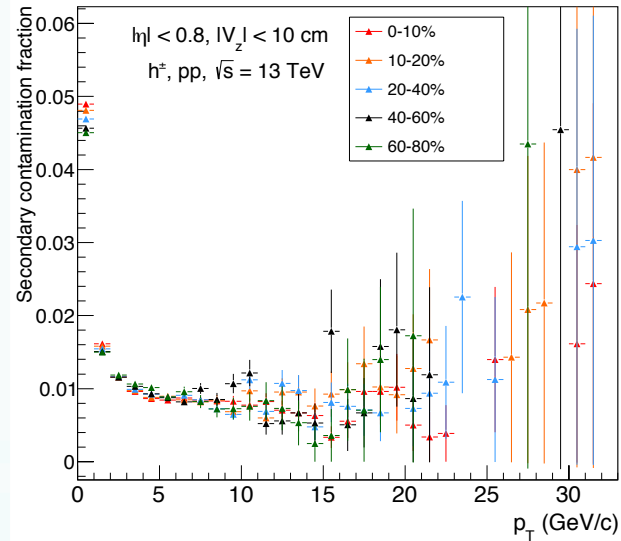
Efficiency correction



$$\epsilon = \frac{\text{No. of reconstructed primary hadrons}}{\text{No. of generated primary hadrons}}$$

Tracking Efficiency

Secondary Contamination and correction factor



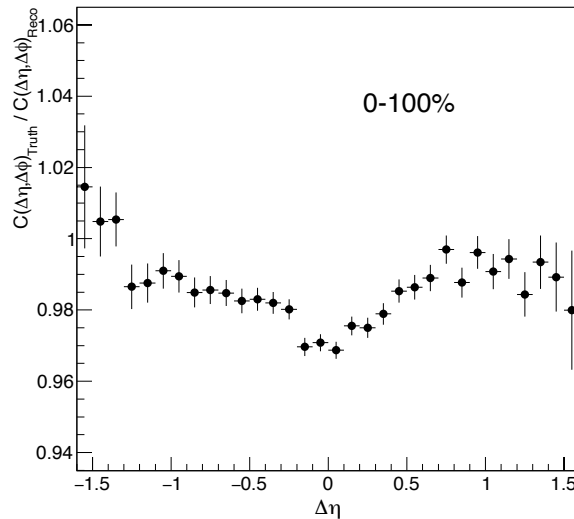
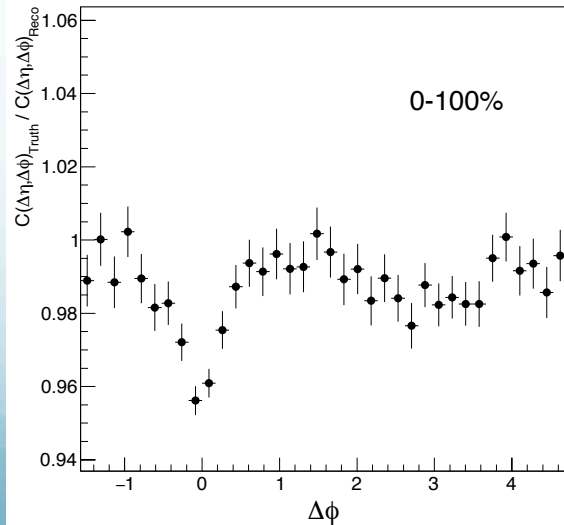
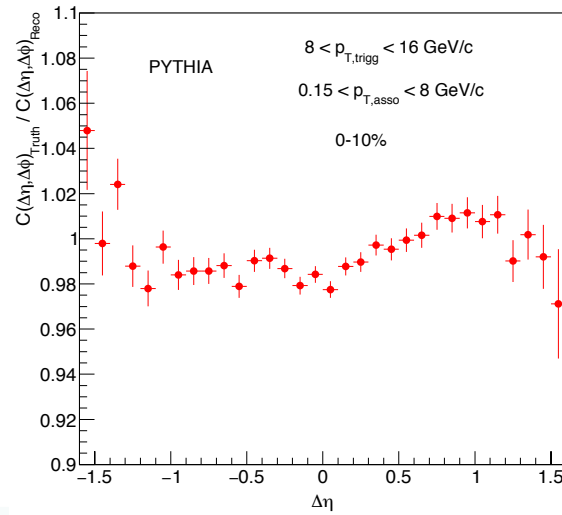
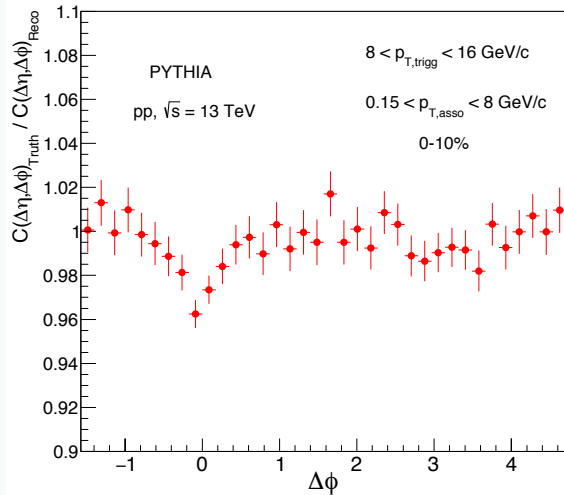
Secondary Contamination:

$$C = \frac{\text{No. of rec. sec. hadrons}}{\text{No. of rec. prim. hadrons} + \text{rec. sec. hadrons}}$$

Correction factor:

$$f_h = \frac{1 - C_h}{\epsilon_{tracking,h}}$$

Validation of closure test



Efficiency corrected
reconstructed
correlation function:

- Correction factor for trigger - c_1
- Correction factor for associated - c_2
- Then fill the correlation function with weight factor $c_1 * c_2$

❖ Outlook:

- ❖ Efficiency corrected correlation yields and widths
- ❖ Systematics study
- ❖ Analysis note submission and paper proposal

THANK YOU