



To study the two particle correlation functions $R_2(\Delta\eta, \Delta\varphi)$ and $P_2(\Delta\eta, \Delta\varphi)$ in p-p collisions at $\sqrt{s} = 13$ TeV as a function of charged particle multiplicity and transverse spherocity

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- Introduction and Motivation

- Results

- Multiplicity dependent study

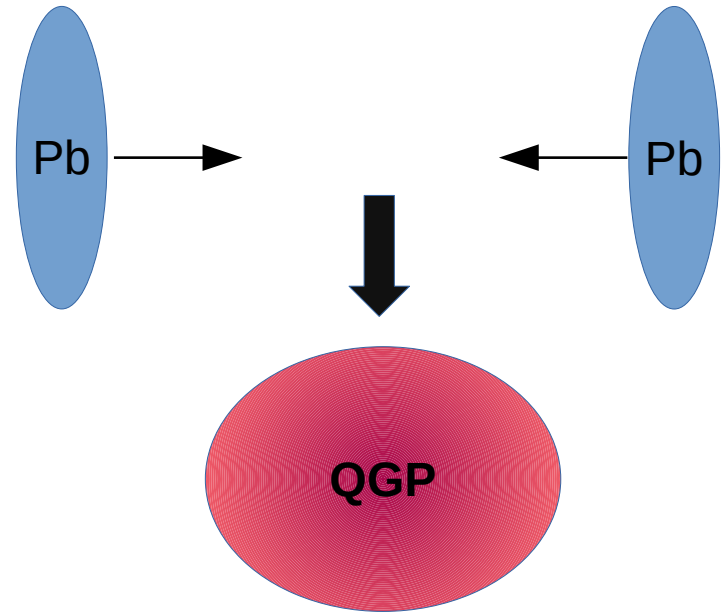
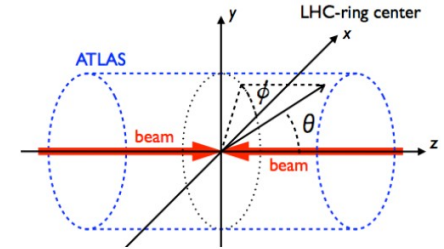
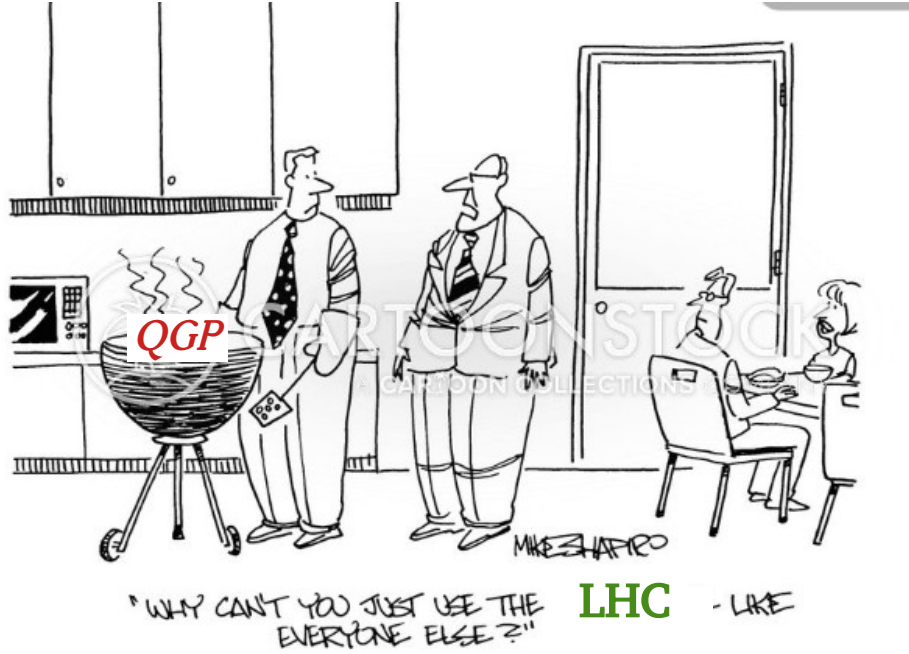
- Sphericity dependent study

High energy collision and QGP

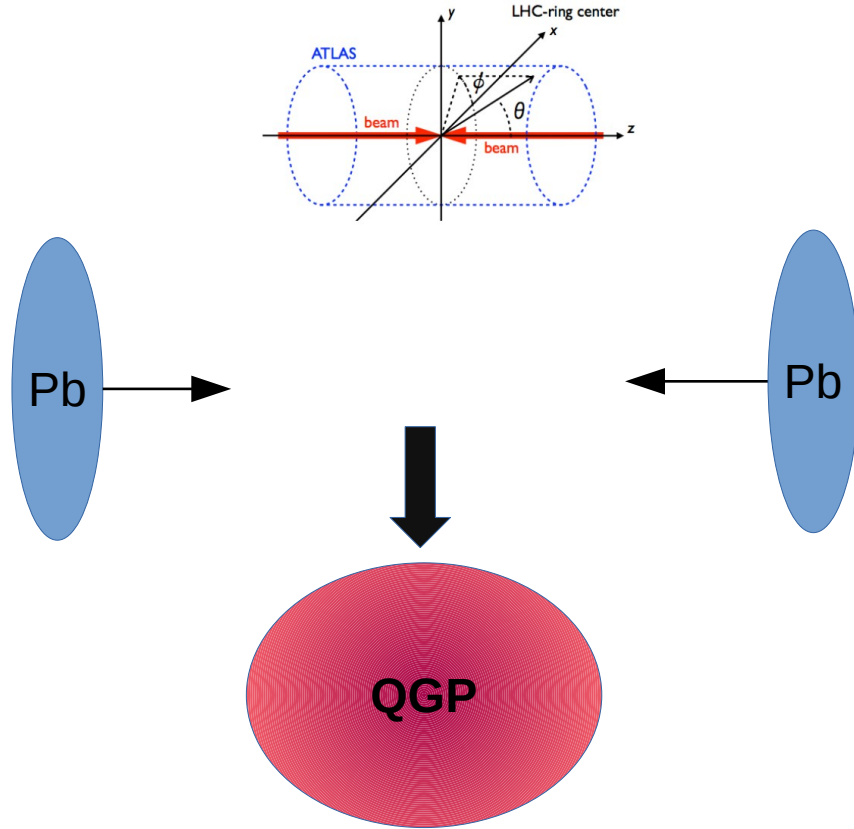


"WHY CAN'T YOU JUST USE THE **LHC** - LIKE EVERYONE ELSE?"

High energy collision and QGP



High energy collision



- Two particle correlation studied in terms of $\Delta\eta$ and $\Delta\phi$ of a pair helped in characterising the medium formed with during high energy collisions
- Specially, observations like anisotropic flow, jet-quenching etc. revealed several interesting properties of the medium

Observables

Normalized two-particle cumulant :

$$R_2(\eta_1, \varphi_1, \eta_2, \varphi_2) = \frac{\rho_2(\eta_1, \varphi_1, \eta_2, \varphi_2)}{\rho_1(\eta_1, \varphi_1)\rho_1(\eta_2, \varphi_2)} - 1$$

Number correlation

Where , $\rho_1(\eta, \varphi) = \frac{1}{\sigma_1} \frac{d^2\sigma_1}{d\eta d\varphi}$, **No. of particles**

$$\rho_2(\eta_1, \varphi_1, \eta_2, \varphi_2) = \frac{1}{\sigma_2} \frac{d^4\sigma_2}{d\eta_1 d\varphi_1 d\eta_2 d\varphi_2},$$

No. of pairs

- LS : Like-sign pairs
- US : Unlike-sign pairs
- CI : Charge Independent
- CD: Charge Dependent

$$O^{(LS)} = \frac{1}{2}(O^{(++)} + O^{(--)})$$

$$O^{(US)} = \frac{1}{2}(O^{(+-)} + O^{(-+)})$$

$$O^{(CI)} = \frac{1}{2}(O^{(LS)} + O^{(US)})$$

$$O^{(CD)} = \frac{1}{2}(O^{(US)} - O^{(LS)})$$

Transverse Momentum Correlator :

$$P_2(\eta_1, \varphi_1, \eta_2, \varphi_2) = \frac{\langle \Delta p_T \Delta p_T \rangle(\eta_1, \varphi_1, \eta_2, \varphi_2)}{\langle p_T \rangle^2}.$$

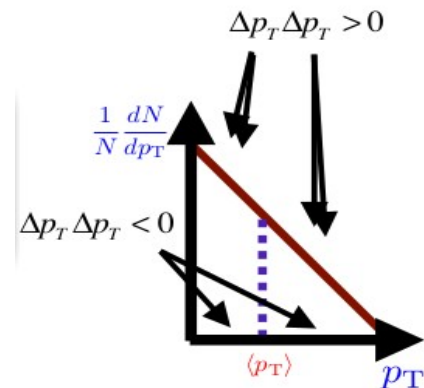
Momentum correlation

Where ,

$$\langle \Delta p_T \Delta p_T \rangle(\eta_1, \varphi_1, \eta_2, \varphi_2) = \frac{\int_{p_{T,\min}}^{p_{T,\max}} \Delta p_{T,1} \Delta p_{T,2} \rho_2(\vec{p}_1, \vec{p}_2) dp_{T,1} dp_{T,2}}{\int_{p_{T,\min}}^{p_{T,\max}} \rho_2(\vec{p}_1, \vec{p}_2) dp_{T,1} dp_{T,2}}$$

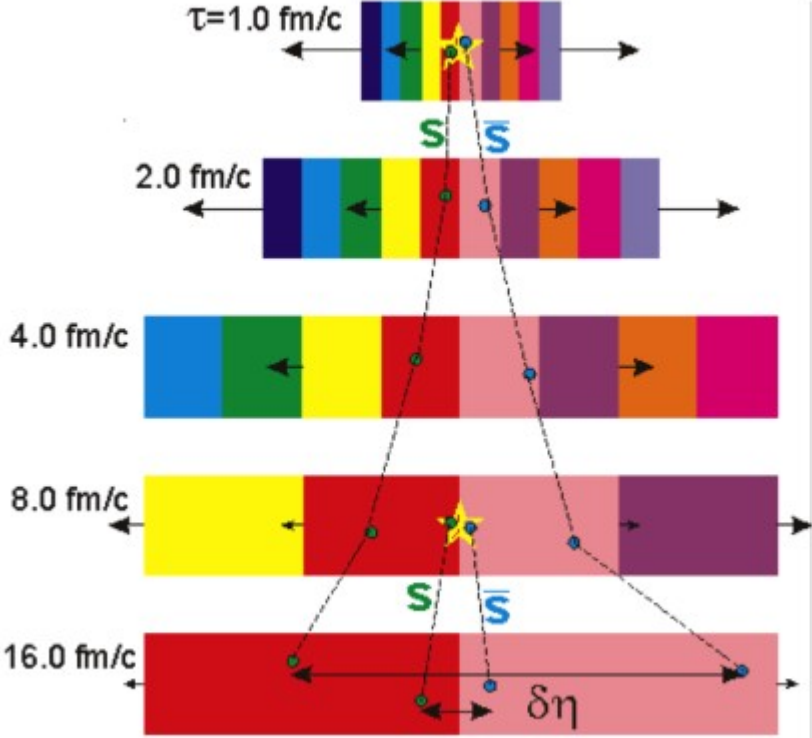
and

$$\Delta p_{T,i} = p_{T,i} - \langle p_T \rangle$$



Motivation

Delayed hadronisation and QGP with R_2^{CD}



Early-Stage Production:

More Diffusion
due to more
scattering

➔ **Wider width**

Late-Stage Production:

Less Diffusion
due to less
scattering

➔ **Smaller
width**

Results

Correlation structures in different
Multiplicity classes

The Apparatus (ALICE)

Analysed in pp collisions

Energy (\sqrt{s}) : 13 TeV

Data set : LHC18

Events selection : Trigger:
kINT7 (MB)

$|V_z| \leq 8.0$ cm

Multiplicity estimation :
VOM

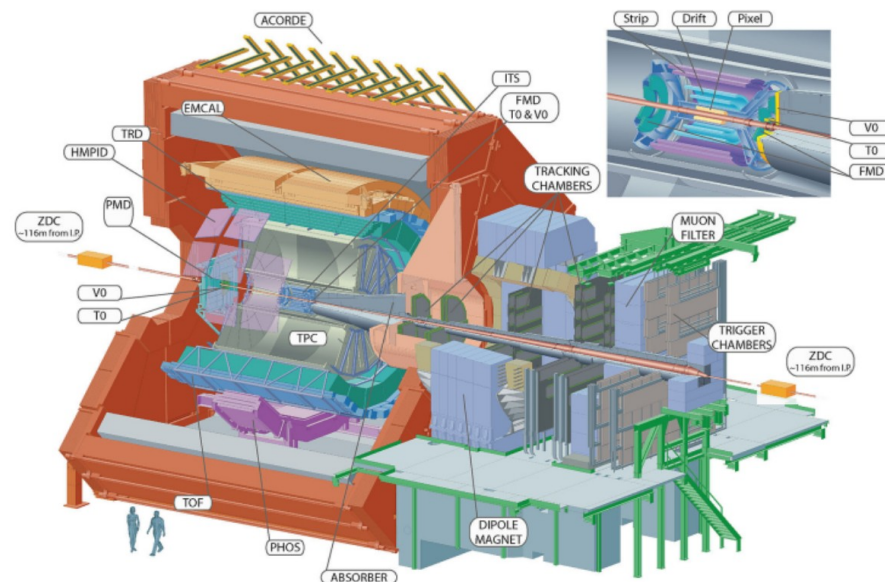
Multiplicity classes: 0-5%,
15-20%, 40-50%, 70-80%

Filter Bit : 96 (Global tracks,
ITS+TPC)

$|DCA_z| \leq 0.2$ cm, $|DCA_{xy}| \leq 0.2$
cm;

No. of Cluster : (TPC) ≥ 70

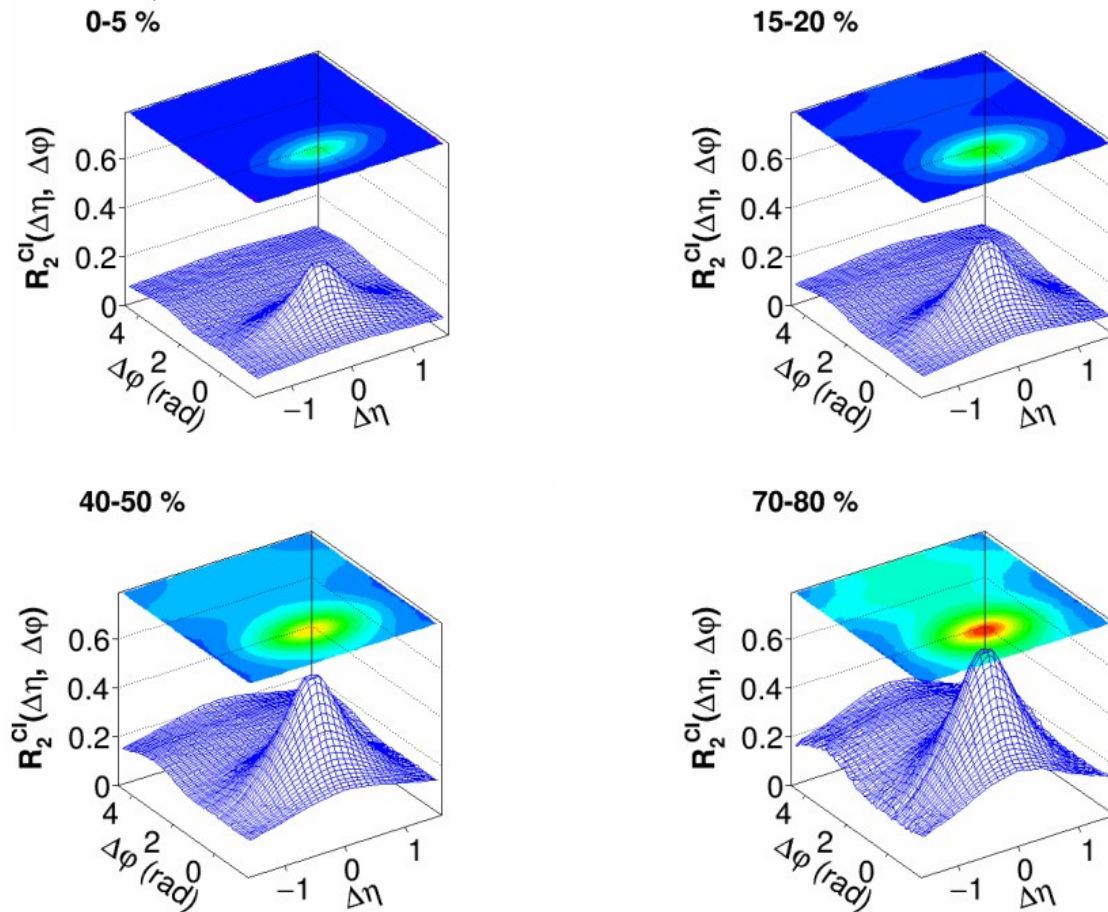
$0.2 \leq p_T \leq 2.0$ (GeV/c); $|\eta| \leq 0.8$



✓ $\epsilon(p_T)$ correction

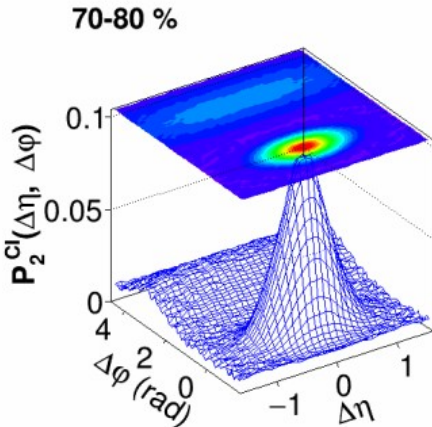
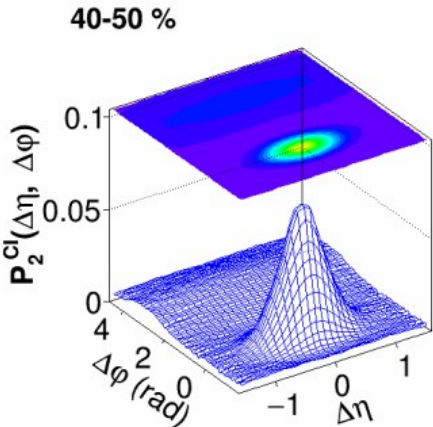
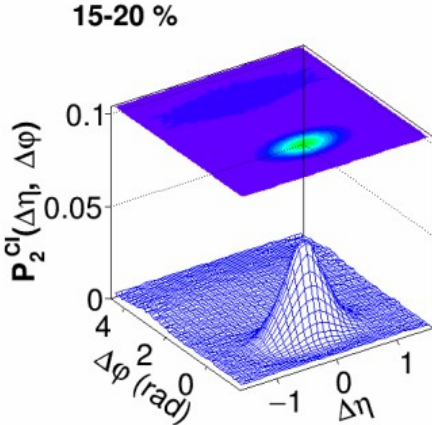
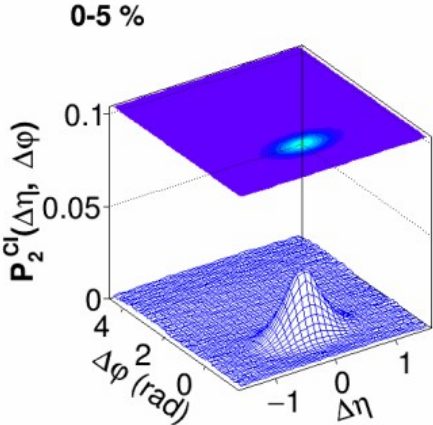
✓ MC Closure Test (Within reasonable precision)

Evolution of R_2^{Cl} with multiplicity



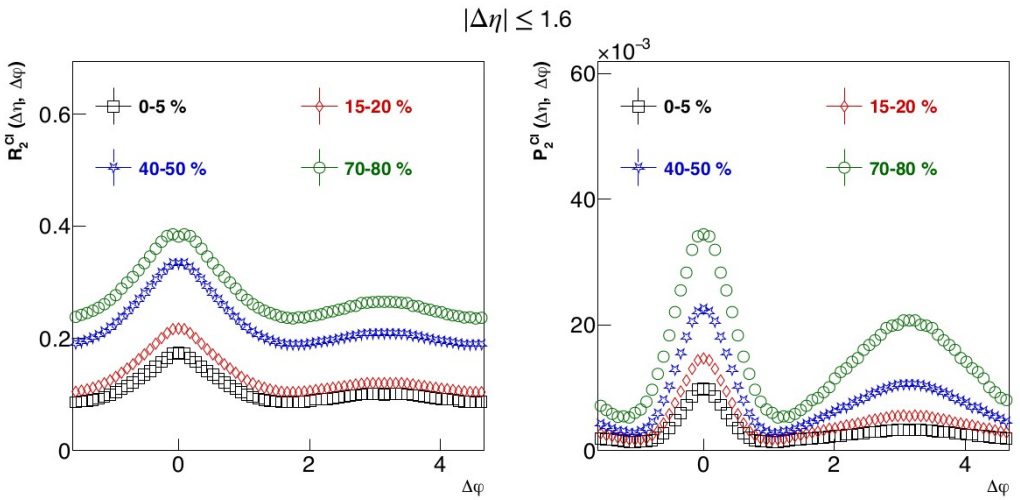
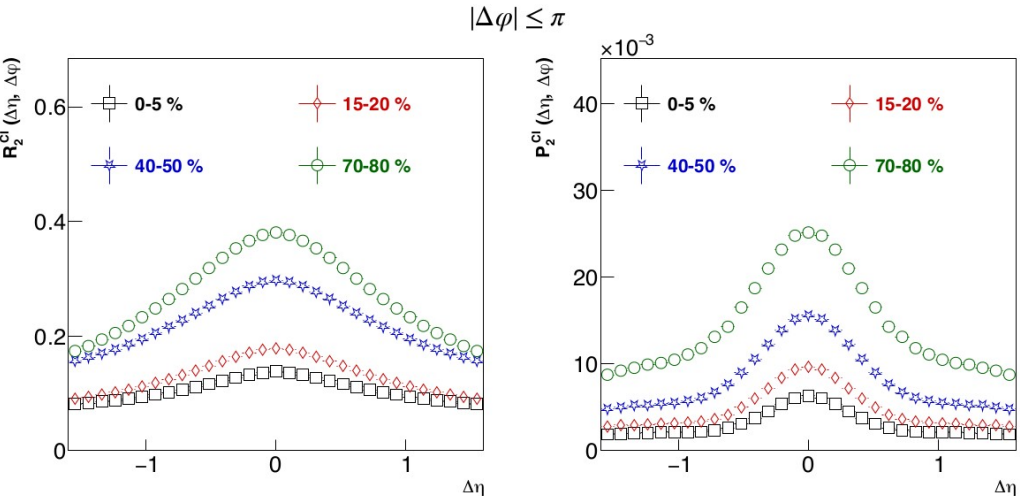
The correlation function features a prominent near-side peak centered at $(\Delta\eta, \Delta\phi) = (0, 0)$ as well as a small away-side structure centered at $\Delta\phi = \pi$ and the amplitude increases with decreasing multiplicity

Evolution of P_2^{Cl} with multiplicity



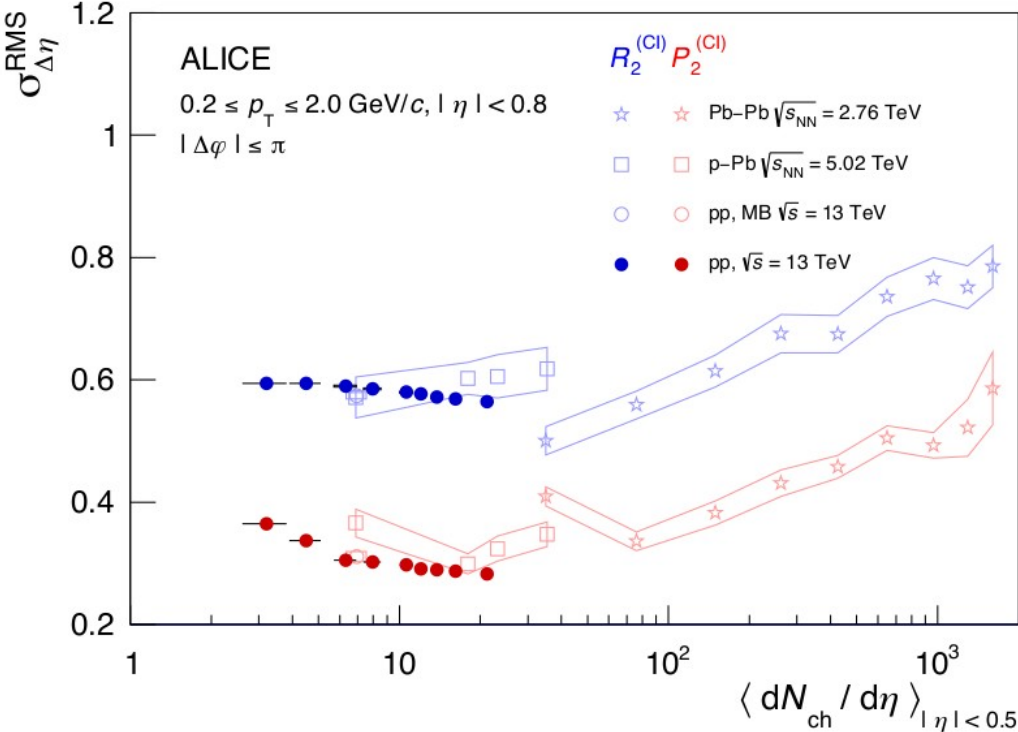
The correlation function feature a prominent near-side peak centered at $(\Delta\eta, \Delta\phi) = (0, 0)$ as well as a small away-side structure centered at $\Delta\phi = \pi$ and the amplitude increases with decreasing multiplicity

Projection plots



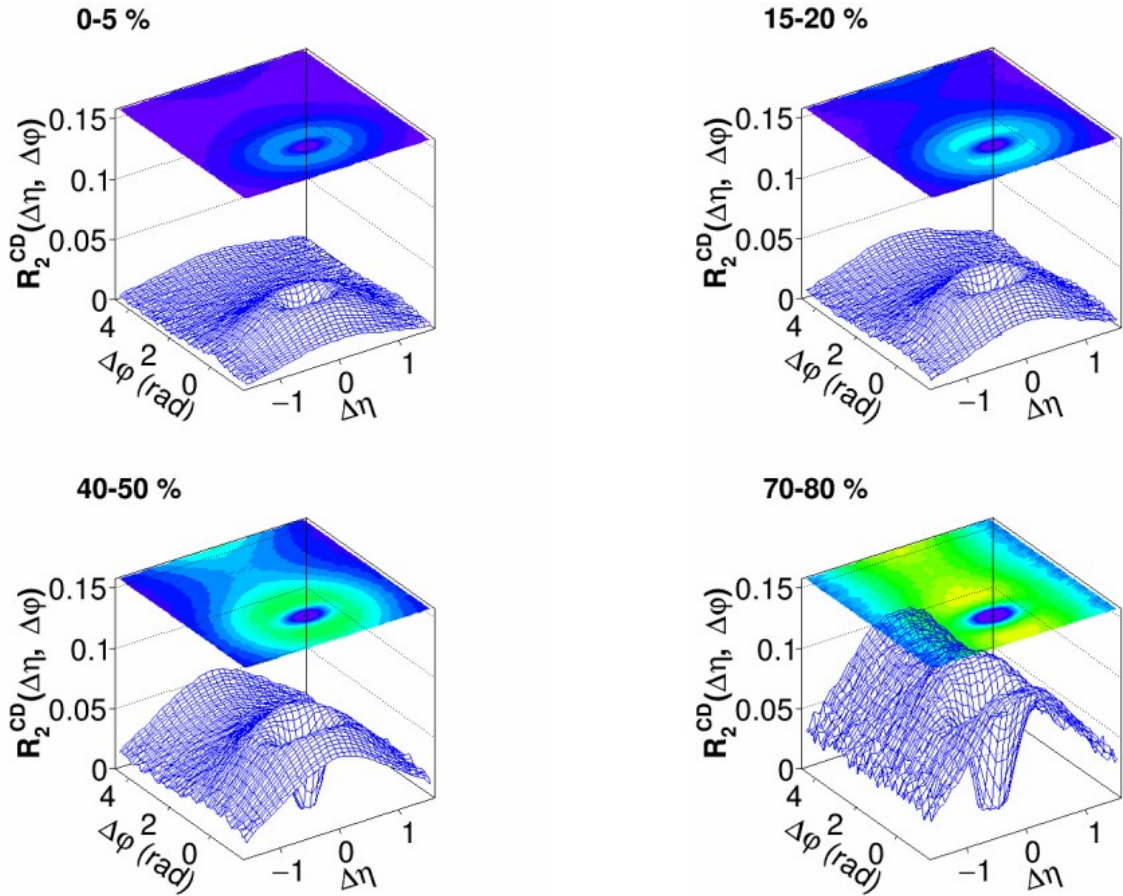
The amplitudes of $R_2^{CI}(\Delta\eta, \Delta\varphi)$ and $P_2^{CI}(\Delta\eta, \Delta\varphi)$ increases monotonically from high to low multiplicity classes

Evolution of the correlation peak widths



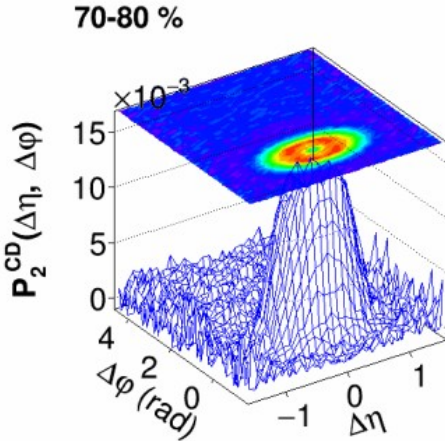
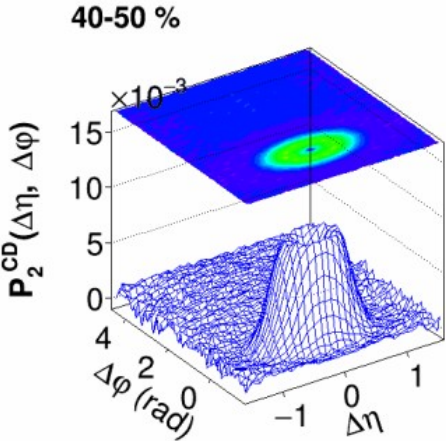
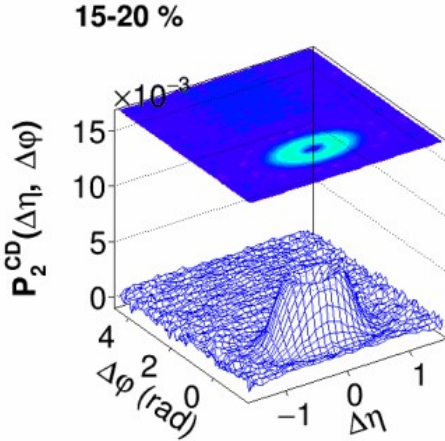
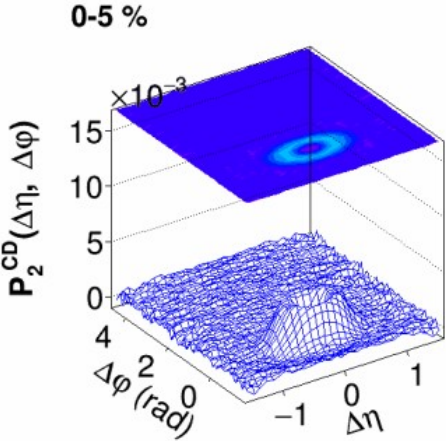
- The widths increase monotonically in Pb-Pb collisions from peripheral to central regions for both R_2 and P_2 except for P_2 in peripheral region
- For p-Pb case, the widths have weak dependence
- For pp case, widths decrease monotonically from low to high multiplicity bins

Evolution of R_2^{CD} with multiplicity



We see a dip at $(\Delta\eta, \Delta\phi) = (0, 0)$ is expected largely from HBT effect and the amplitude increases with decreasing multiplicity

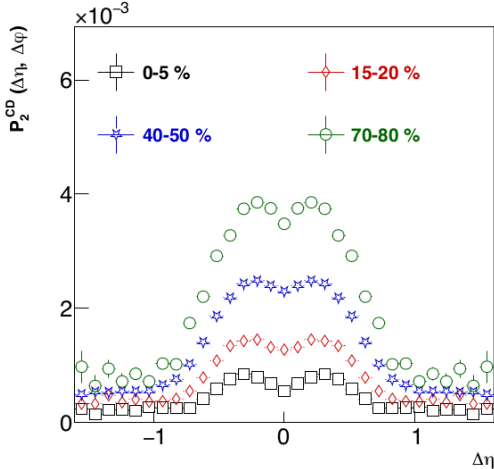
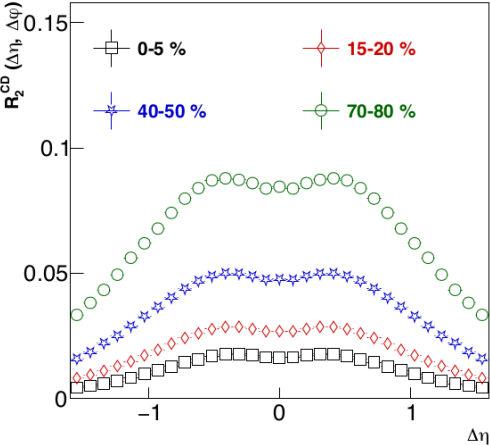
Evolution of P_2^{CD} with multiplicity



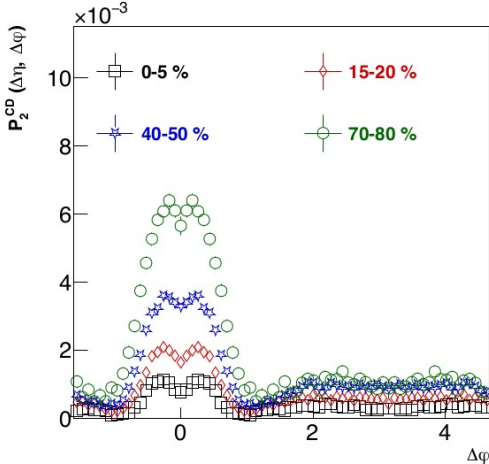
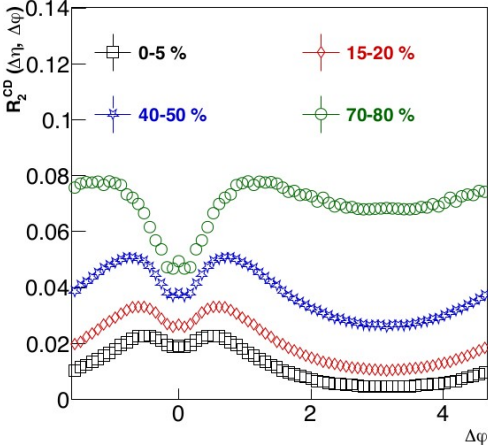
We see a dip at $(\Delta\eta, \Delta\phi)=(0,0)$ is expected largely from HBT effect and the amplitude increases with decreasing multiplicity

Projection plots

$|\Delta\varphi| \leq \pi$

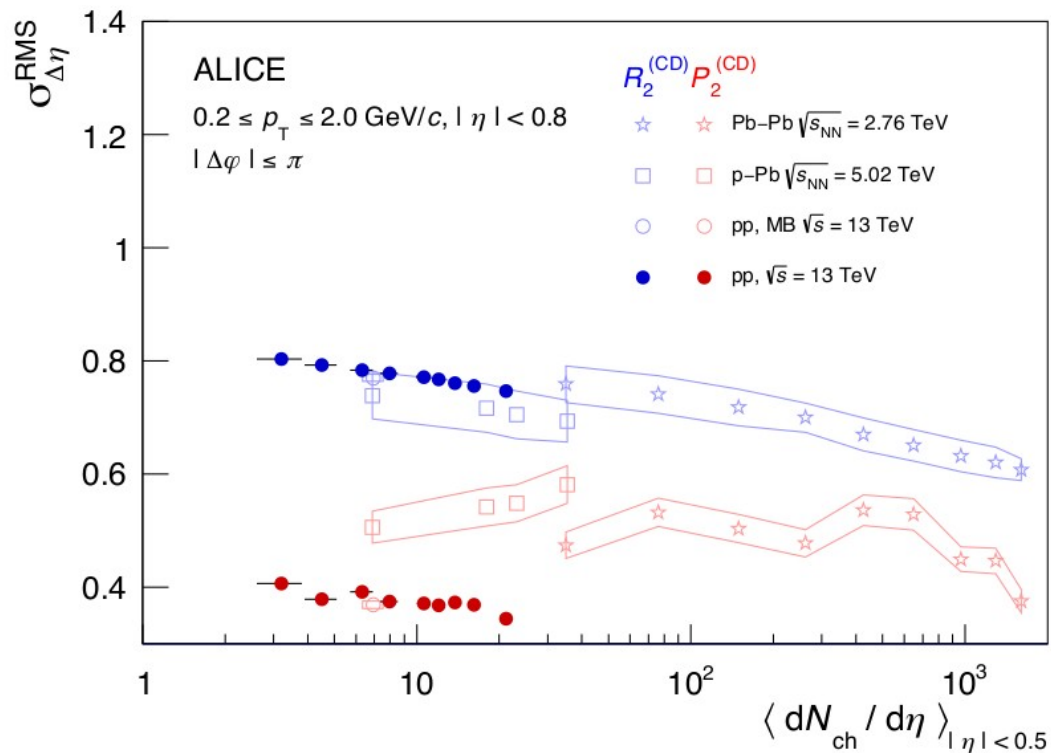


$|\Delta\eta| \leq 1.6$



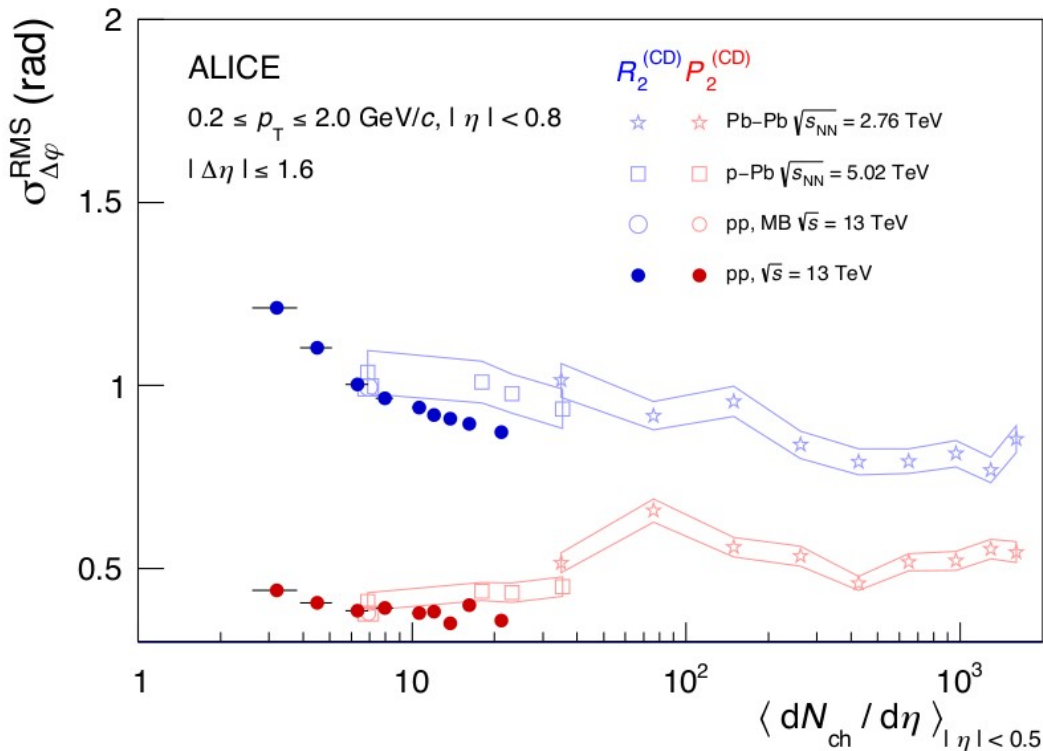
The amplitudes of $R_2^{CD}(\Delta\eta, \Delta\varphi)$ and $P_2^{CD}(\Delta\eta, \Delta\varphi)$ increases monotonically from high to low multiplicity classes

Evolution of the correlation peak widths



- The width decreases monotonically in Pb-Pb collisions from peripheral to central regions for R_2 and P_2
- For p-Pb case, the widths have noticeable reduction for R_2 whereas widths of P_2 have reverse trend
- For pp case, R_2 width decreases monotonically from low to high multiplicity bins while P_2 width has weak dependence on multiplicity

Evolution of the correlation peak widths



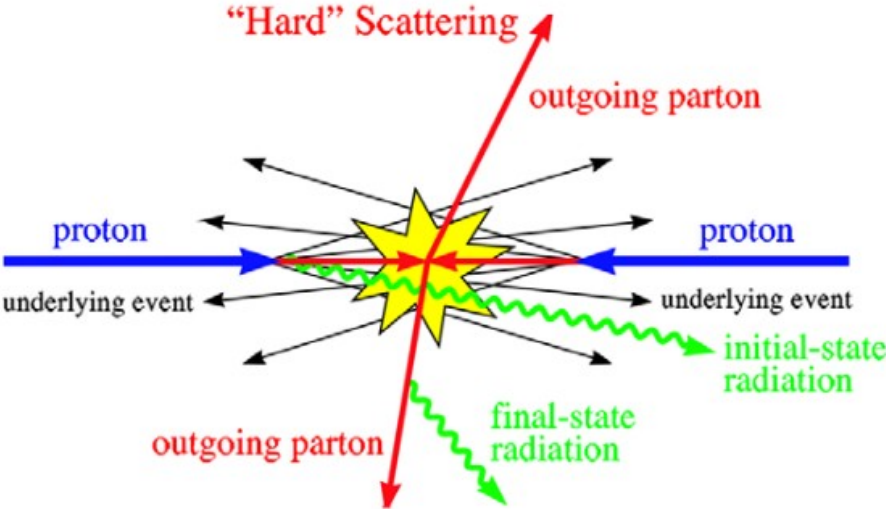
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Study with transverse sphericity

Proton-Proton collisions: Interesting?

- High multiplicity p-p collisions has produced similar observations like heavy-ion collisions (long range near-side correlation structure, strangeness enhancement and collective flow etc.)

Dissecting a p-p collision :



- MPI driven UE are expected to produce QGP like effects even in small systems

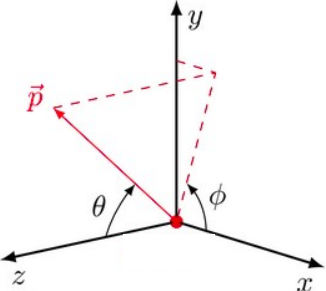
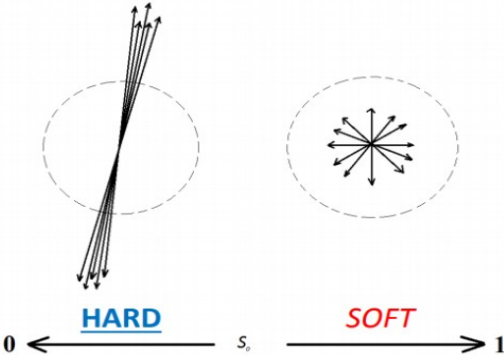
Transverse sphericity

Unique tool to distinguish events based on their geometrical shape in the transverse plane (XY)

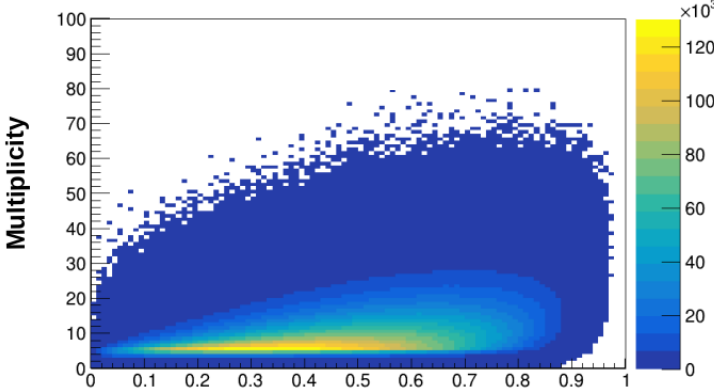
$$S_0 = \frac{\pi^2}{4} \left(\frac{\sum_i |\vec{p}_{T_i} \times \hat{n}|}{\sum_i p_{T_i}} \right)^2$$

”Jetty”

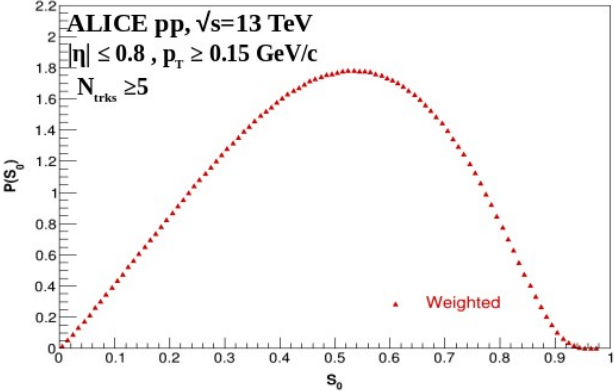
”Isotropic”



Multiplicity Vs. Sphericity



Sphericity



The Apparatus (ALICE)

Analysed in pp collisions

Energy (\sqrt{s}) : 13 TeV

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$|V_z| \leq 8.0$ cm

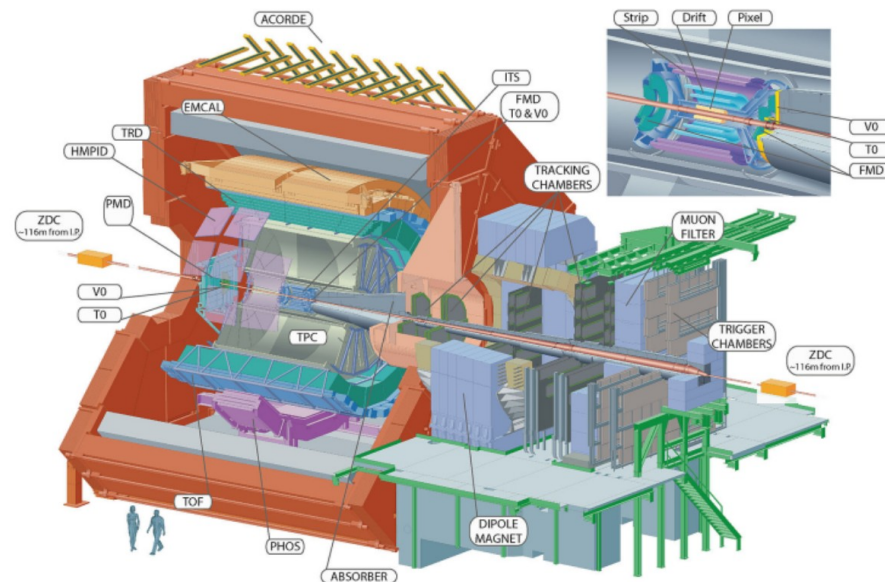
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No. of Cluster : (TPC) ≥ 70

$0.2 \leq p_T \leq 2.0$ (GeV/c); $|\eta| \leq 0.8$



✓ $\epsilon(p_T)$ correction

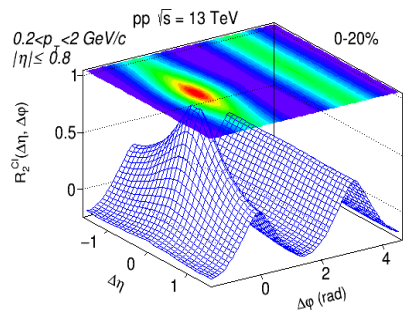
✓ MC Closure Test (Within reasonable precision)

Results

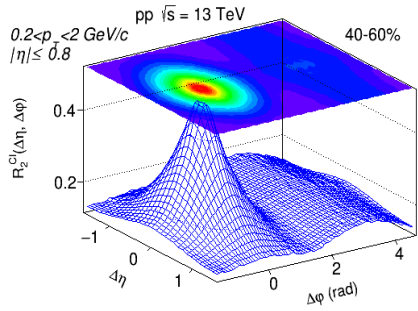
Correlation functions

$$R_2^{CI} = 1/2(R_2^{US} + R_2^{LS})$$

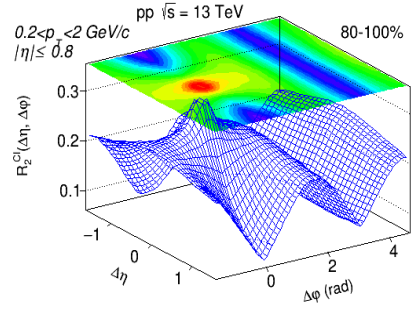
Jet dominated



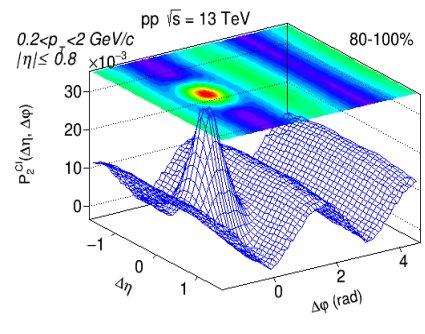
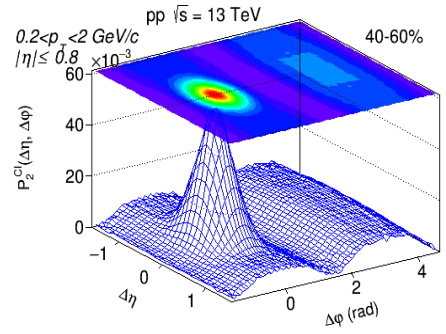
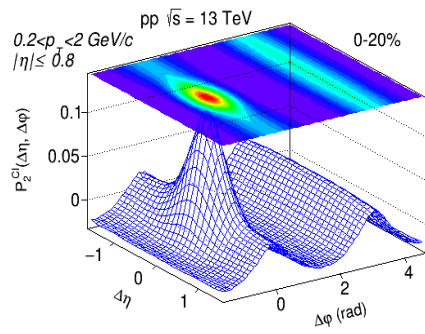
Equiv. MB



MPI dominated



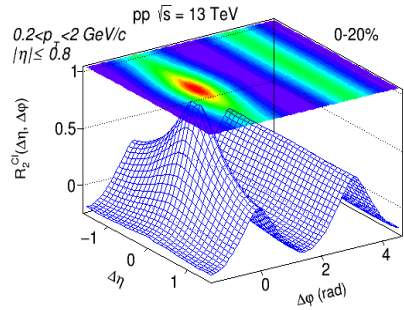
$$P_2^{CI} = 1/2(P_2^{US} + P_2^{LS})$$



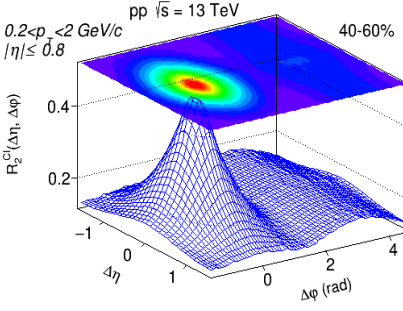
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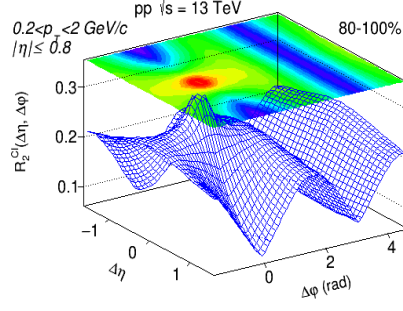
Jet dominated



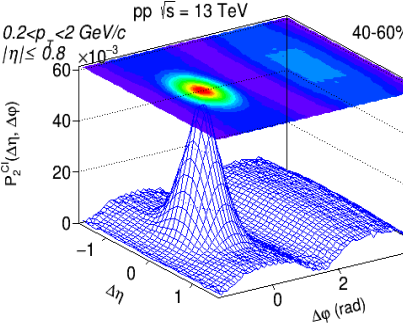
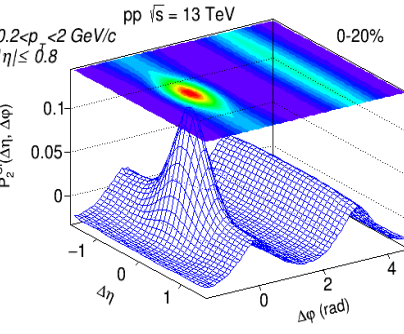
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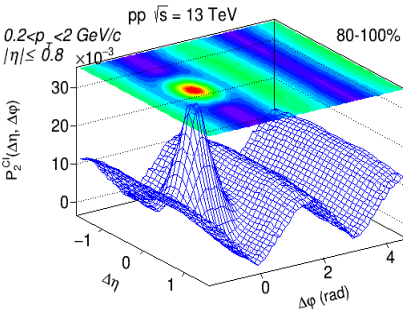
MPI dominated



$$P_2^{CI} = 1/2(P_2^{US} + P_2^{LS})$$



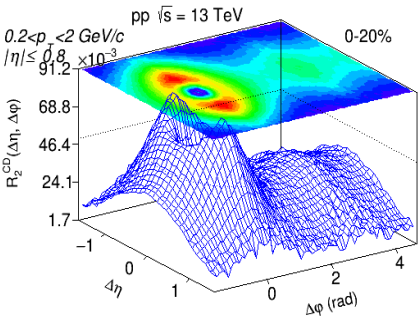
Extreme isotropic class



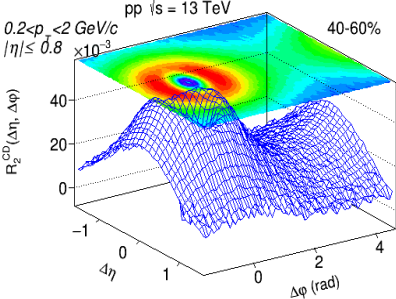
Correlation functions

$$R_2^{CD} = 1/2(R_2^{US} - R_2^{LS})$$

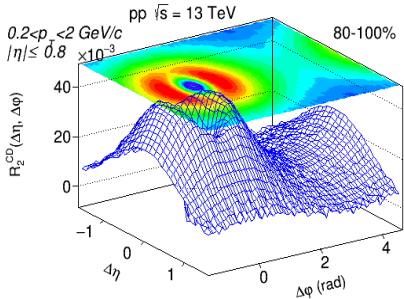
Jet dominated



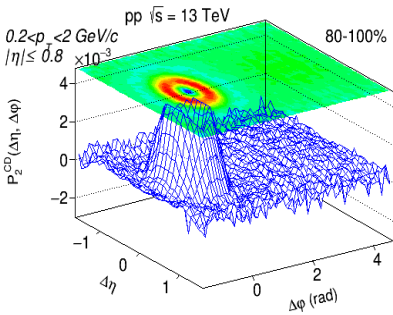
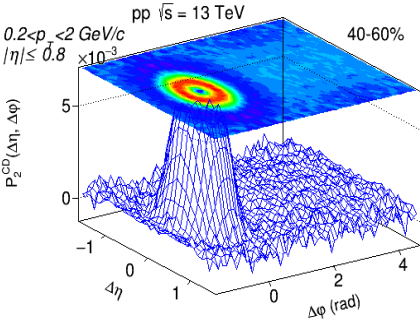
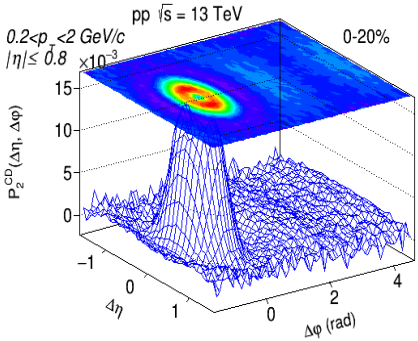
Equiv. MB



MPI dominated

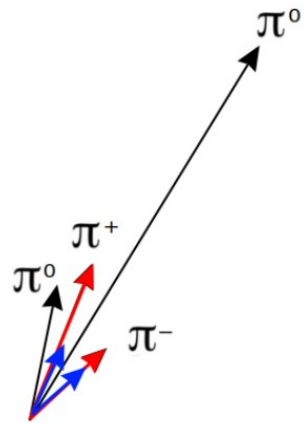
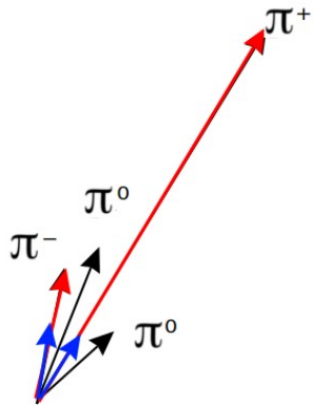


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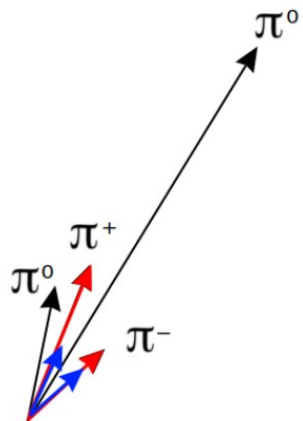
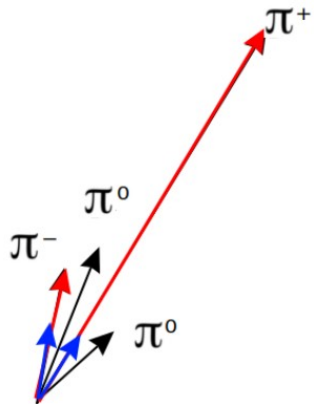


Sphericity definition : A step towards the solution

Sphericity :
$$S_0 = \frac{\pi^2}{4} \left(\frac{\sum_i |\vec{p}_{T_i} \times \hat{n}|}{\sum_i p_{T_i}} \right)^2$$



1. For isotropically distributed events a single high- p_T track can drive the entire S_0 calculation towards 0
2. Only a single high- p_T charged particle can carry enormous weight in sphericity calculation but not a neutral particle (pions).



- Re-normalise the weights by setting $|\vec{p}_T| = 1.0\text{GeV}/c$.
- Measurement becomes more robust against individual tracks with large p_T
- The charged particles can be used as a proxy of the event topology for neutral particles

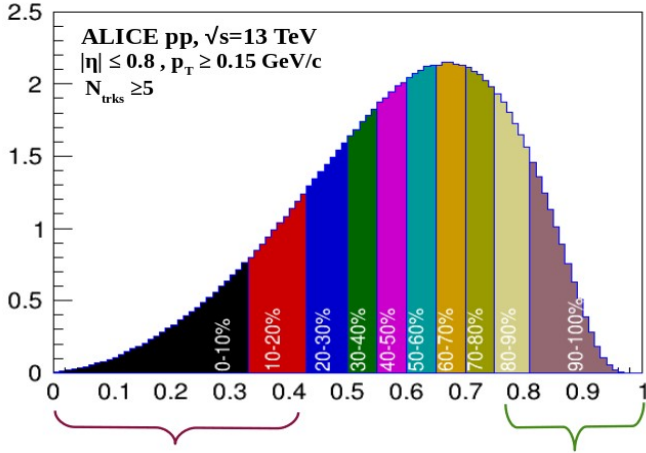
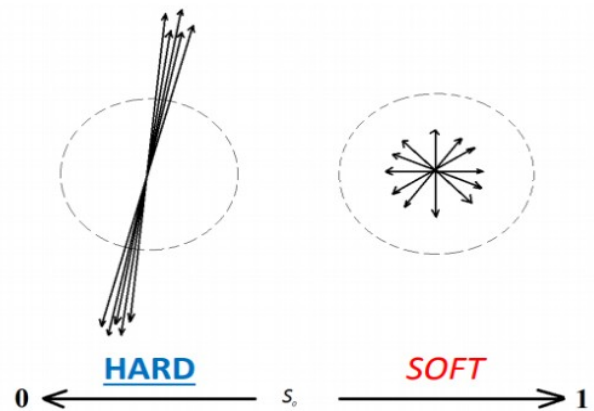
Transverse sphericity

Distinguishes events based on their geometrical shape in the transverse plane (XY)

$$S_0 = \frac{\pi^2}{4} \min_{\hat{n}} \left(\frac{\sum_i |\vec{p}_{T_i; p_{T_i}=1} \times \hat{n}|}{\sum_i |\vec{p}_{T_i; p_{T_i}=1}|} \right)^2$$

”Jetty”

”Isotropic”

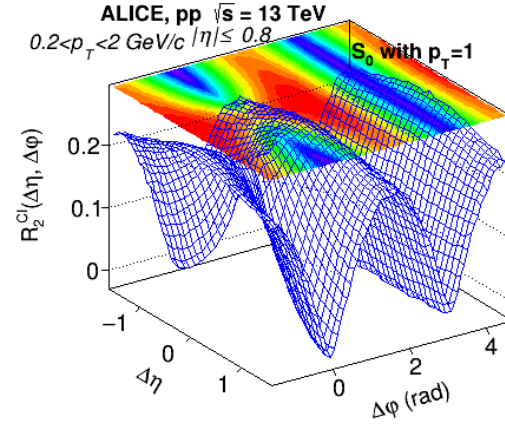
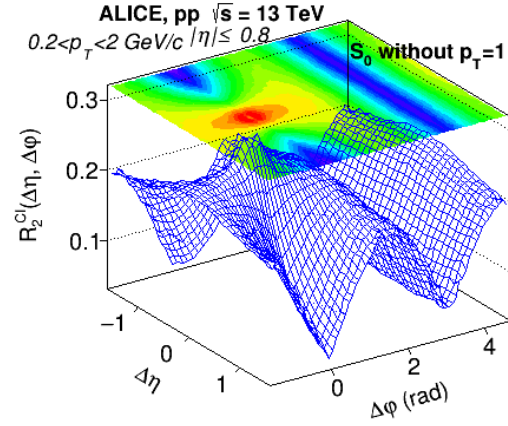


Jetty

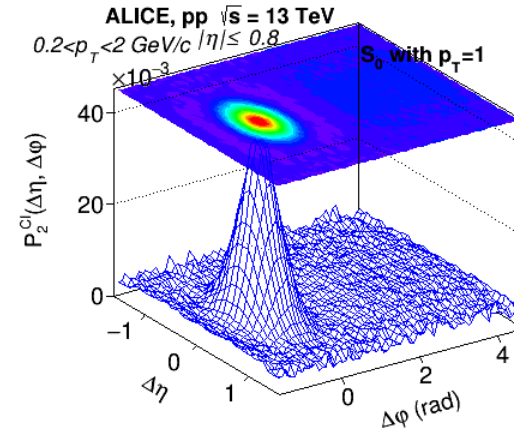
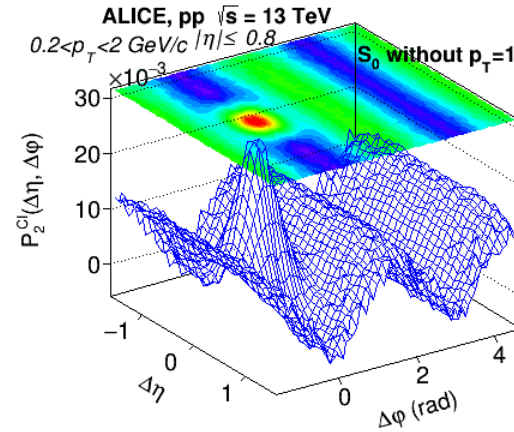
Isotropic

Sphericity: 90-100%
(Extreme isotropic)

$$R_2^{CI} = 1/2(R_2^{US} + R_2^{LS})$$

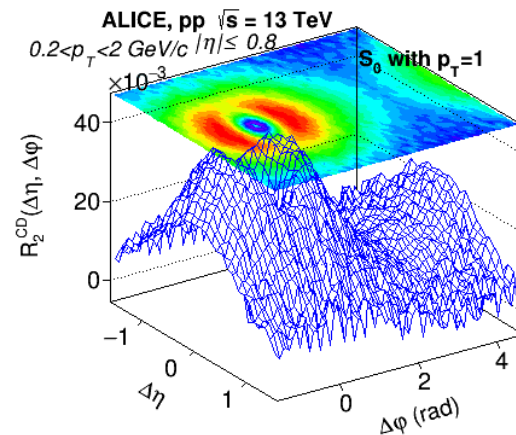
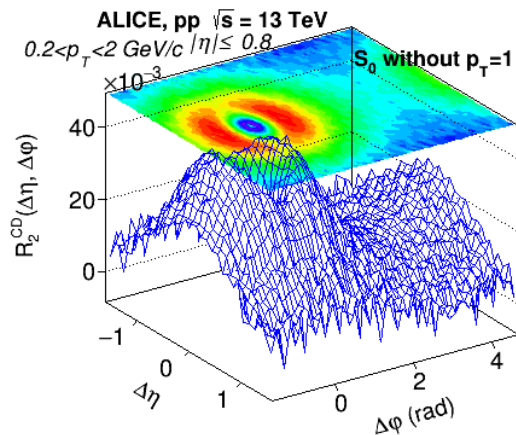


$$P_2^{CI} = 1/2(P_2^{US} + P_2^{LS})$$

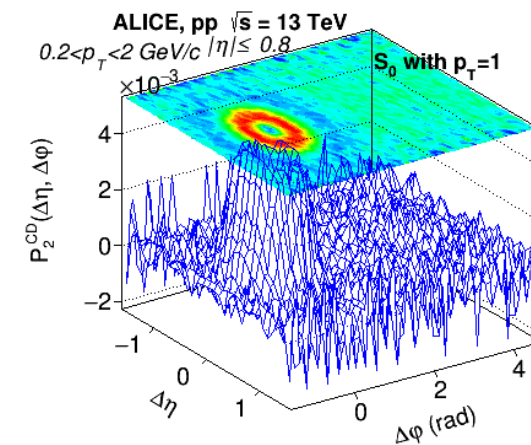
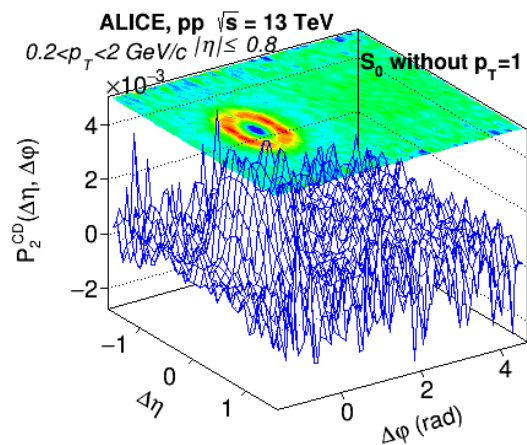


Sphericity: 90-100%
(Extreme isotropic)

$$R_2^{CD} = 1/2(R_2^{US} - R_2^{LS})$$



$$P_2^{CD} = 1/2(P_2^{US} - P_2^{LS})$$



A wise choice



$$S_0 = \frac{\pi^2}{4} \left(\frac{\sum_i |\vec{p}_{T_i} \times \hat{n}|}{\sum_i p_{T_i}} \right)^2$$



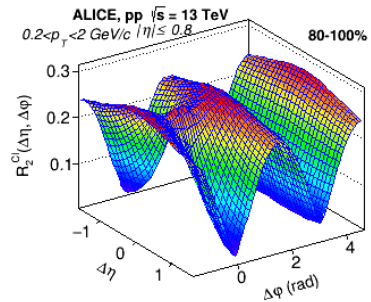
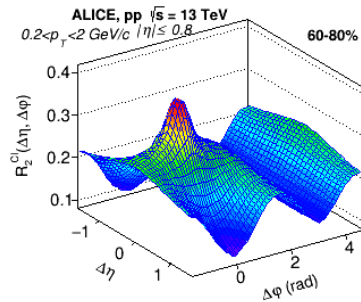
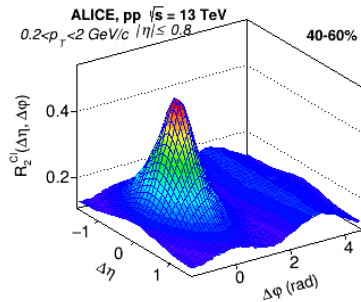
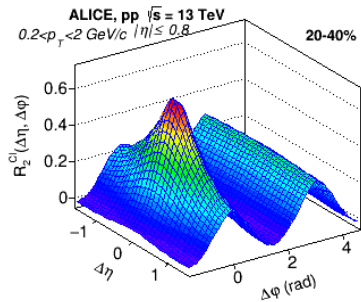
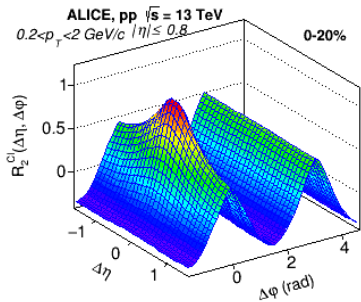
$$S_0 = \frac{\pi^2}{4} \min_{\hat{n}} \left(\frac{\sum_i |\vec{p}_{T_i; p_{T_i}=1} \times \hat{n}|}{\sum_i |\vec{p}_{T_i}|_{p_{T_i}=1}} \right)^2$$

with $p_T = 1$

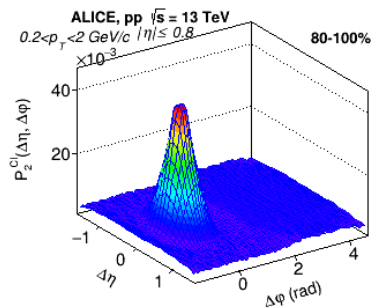
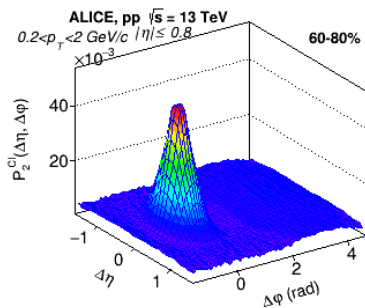
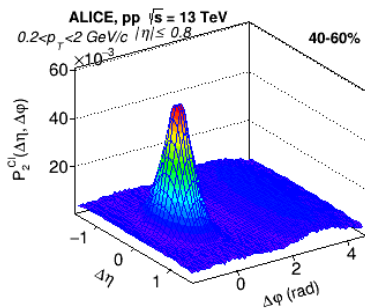
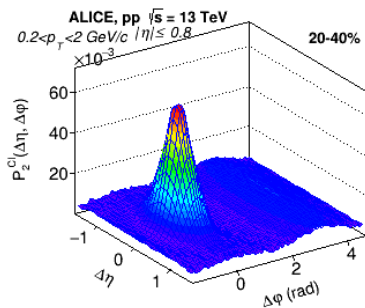
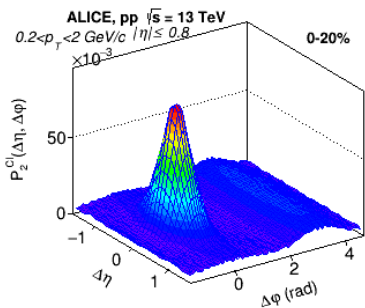
Data Results

Data Results

$$R_2^{CI} = 1/2(R_2^{US} + R_2^{LS})$$

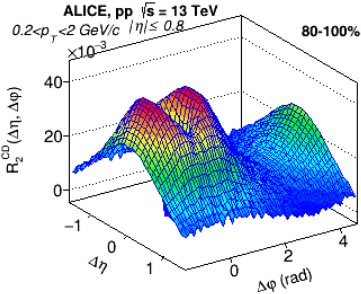
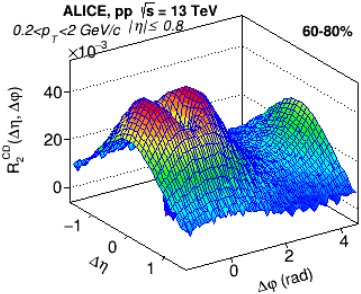
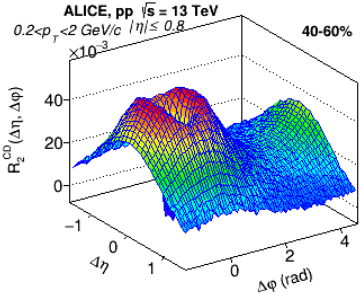
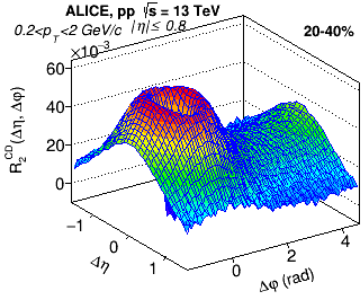
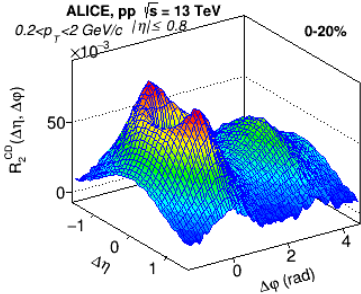


$$P_2^{CI} = 1/2(P_2^{US} + P_2^{LS})$$

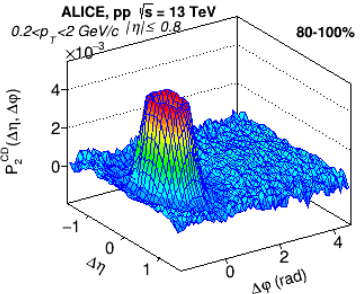
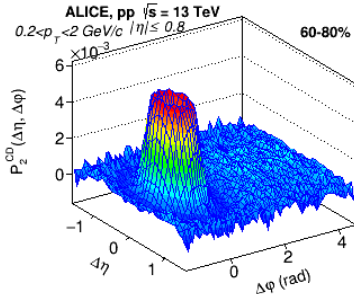
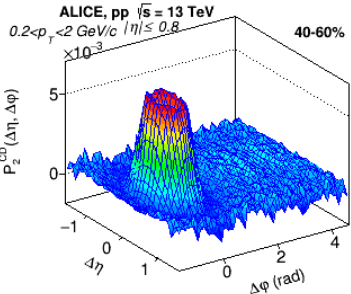
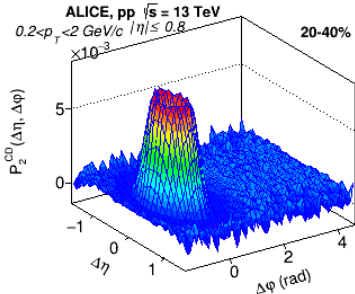
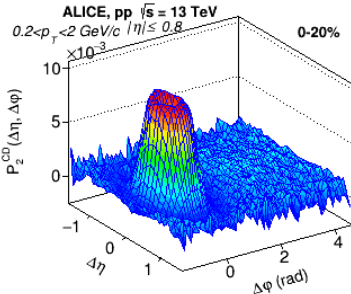


Data Results

$$R_2^{CD} = 1/2(R_2^{US} - R_2^{LS})$$

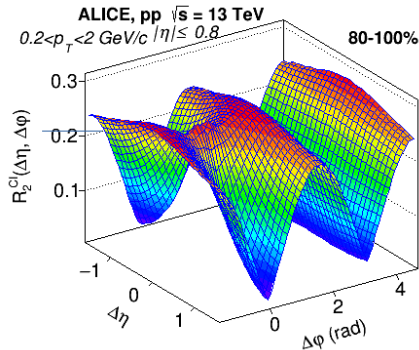
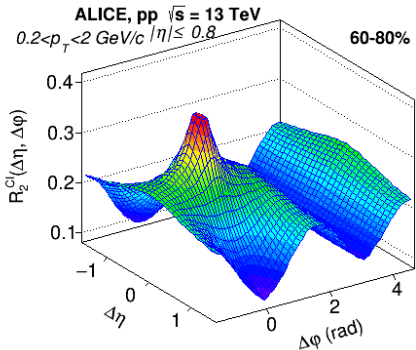


$$P_2^{CD} = 1/2(P_2^{US} - P_2^{LS})$$



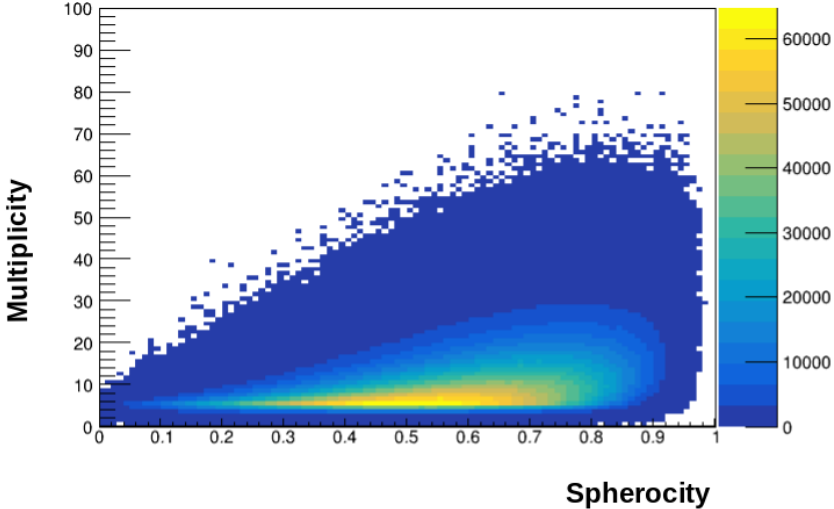
Further investigation

$$R_2^{CI} = 1/2(R_2^{US} + R_2^{LS})$$



The plan is to investigate these correlation structure for different multiplicity event classes

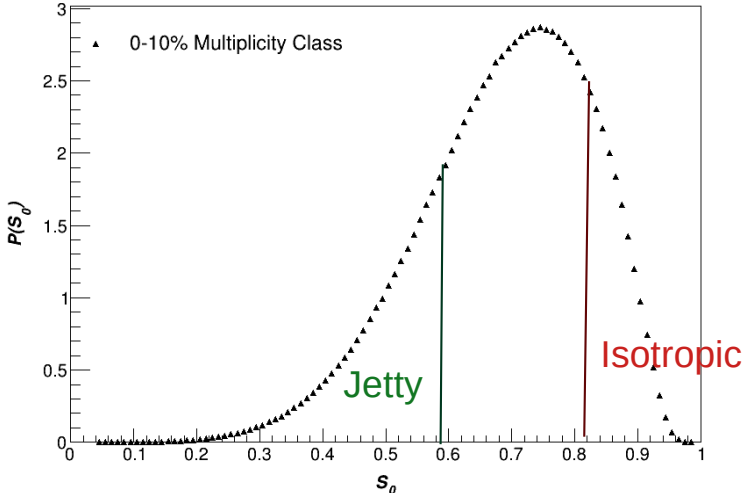
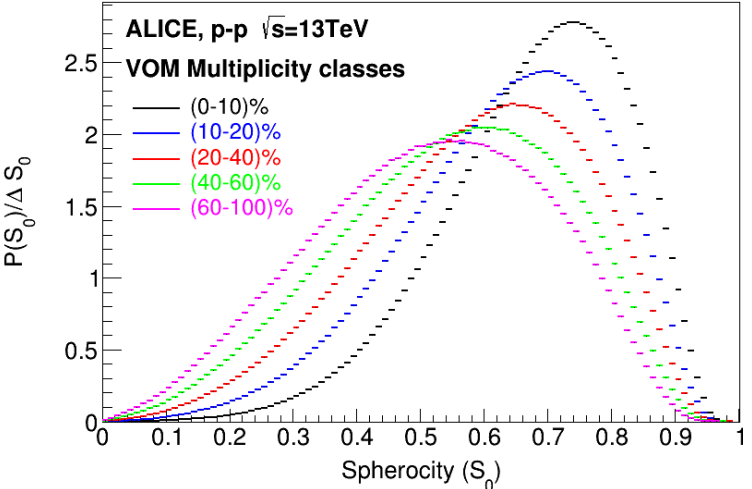
Correlation plot



A bit of modification

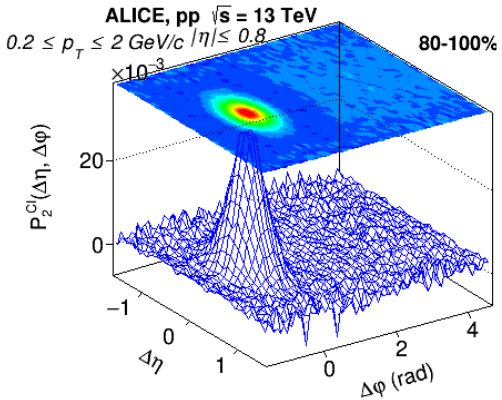
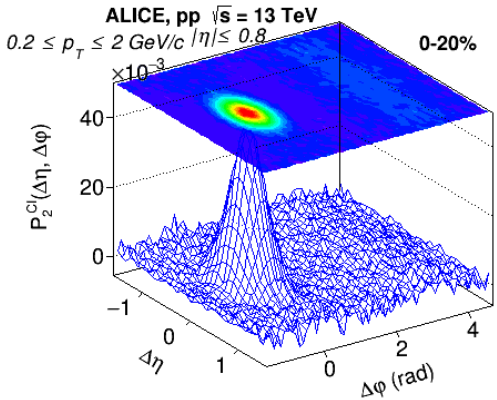
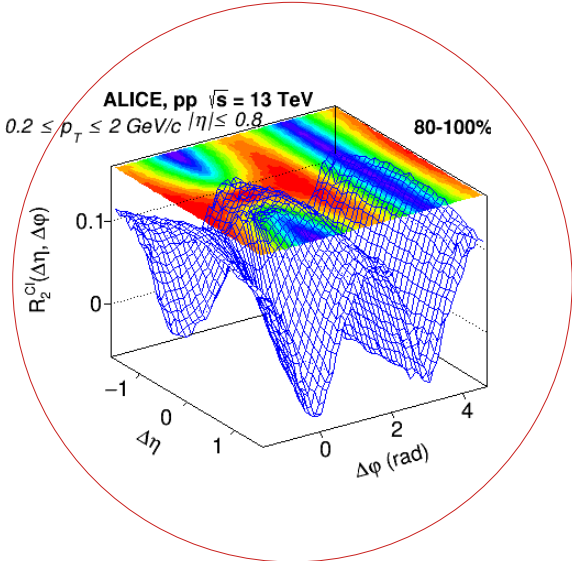
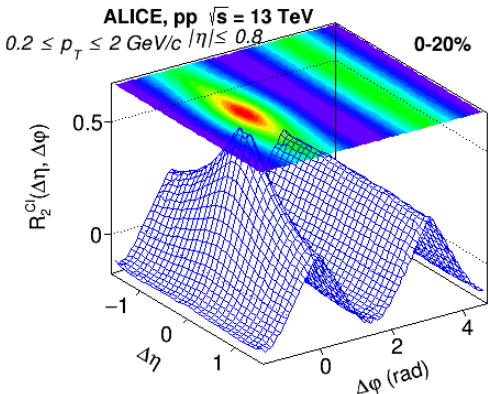
$$S_0 = \frac{\pi^2}{4} \min_{\hat{n}} \left(\frac{\sum_i |\vec{p}_{T_i}; p_{T_i}=1 \times \hat{n}|}{\sum_i |\vec{p}_{T_i}|_{p_{T_i}=1}} \right)^2$$

Calculation of sphericity with $N_{ch} \geq 10$



Correlation functions

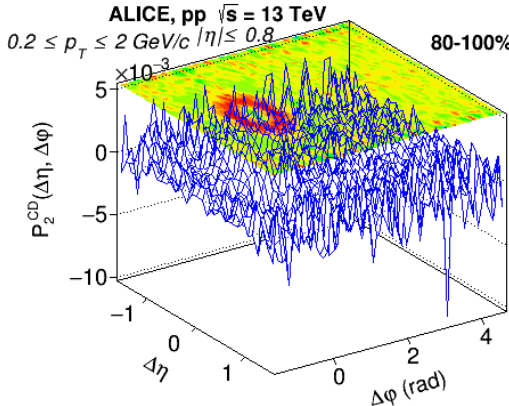
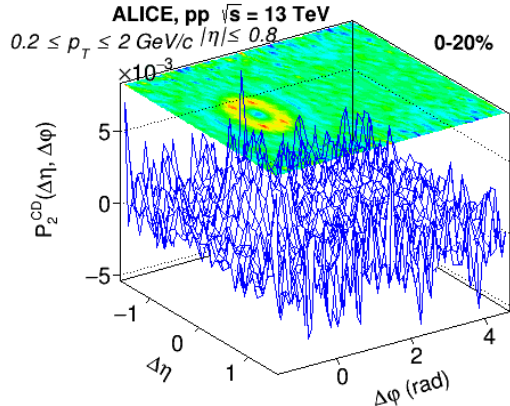
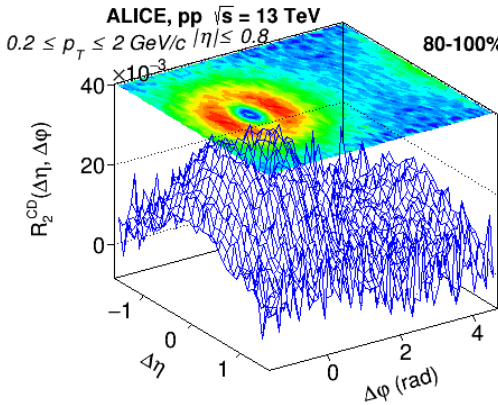
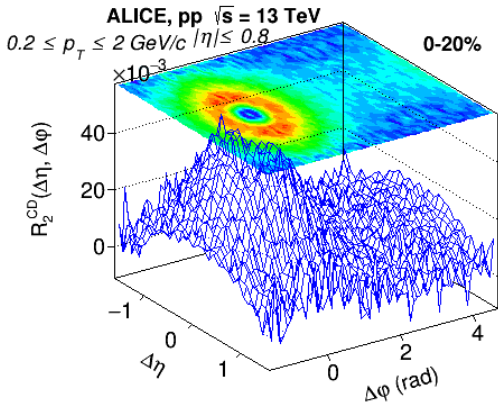
$$R_2^{CI}$$



$$P_2^{CI}$$

Correlation functions

$$R_2^{\text{CD}}$$



$$P_2^{\text{CD}}$$

- Fix the baseline and study the systematic variations
- Paper proposal

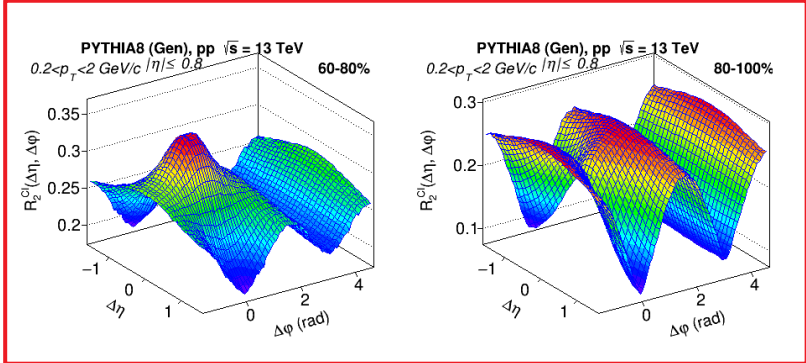
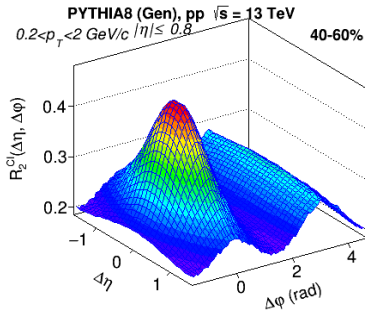
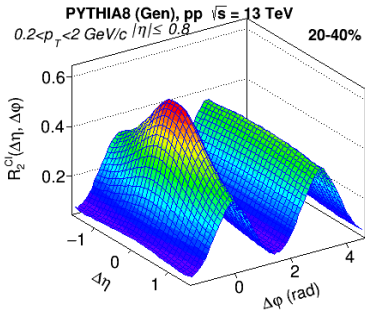
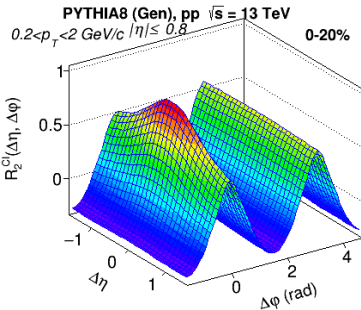
Thank you!

Spare Slides

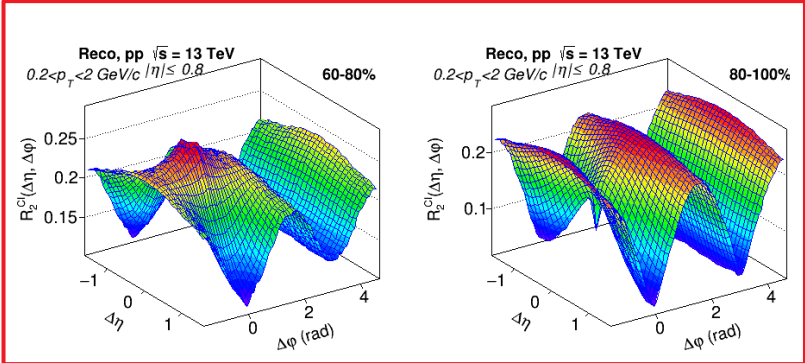
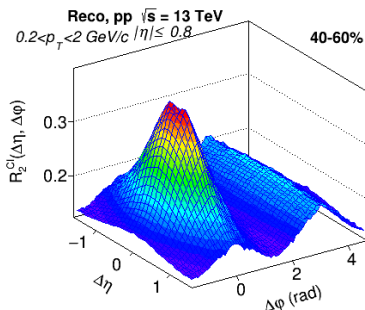
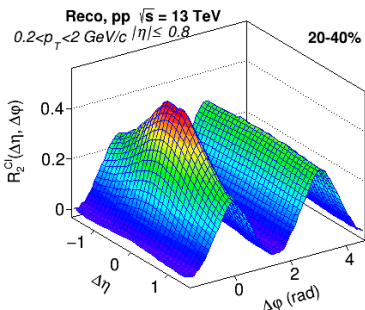
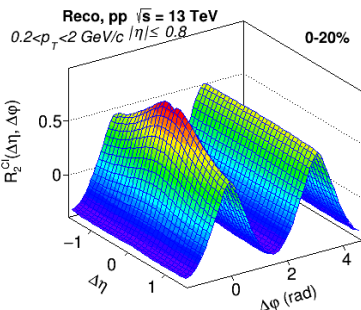
MC predictions (PYTHIA8)

$$R_2^{CI} = 1/2(R_2^{US} + R_2^{LS})$$

Generator level :

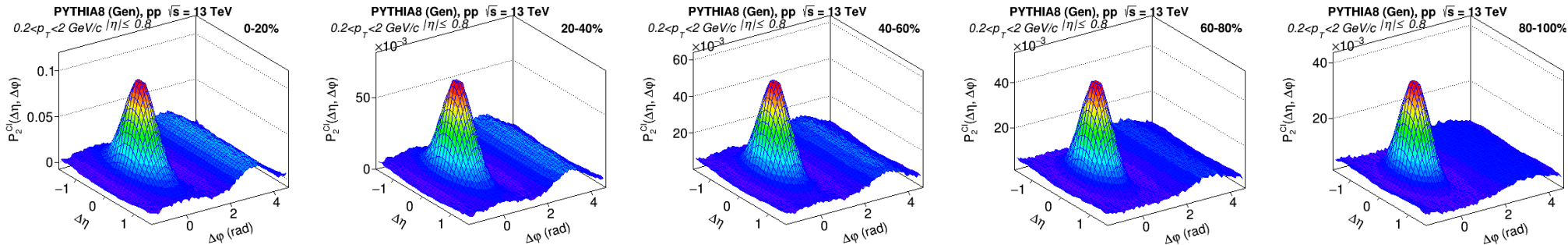


Reconstructed level :

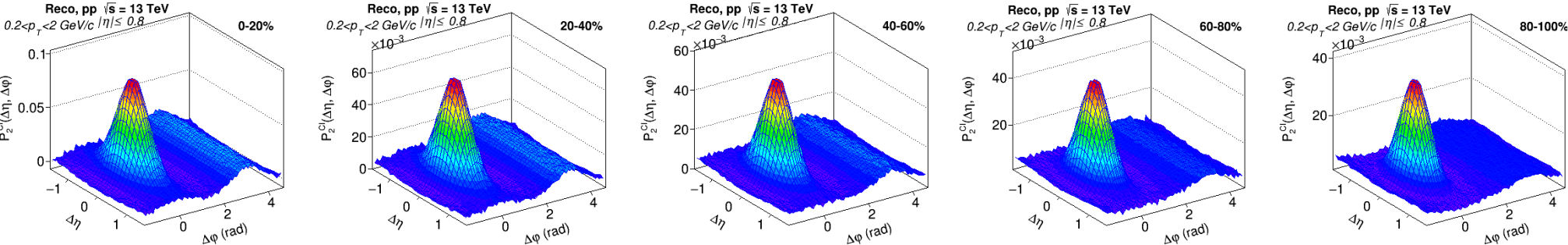


$$P_2^{CI} = 1/2(P_2^{US} + P_2^{LS})$$

Generator level :



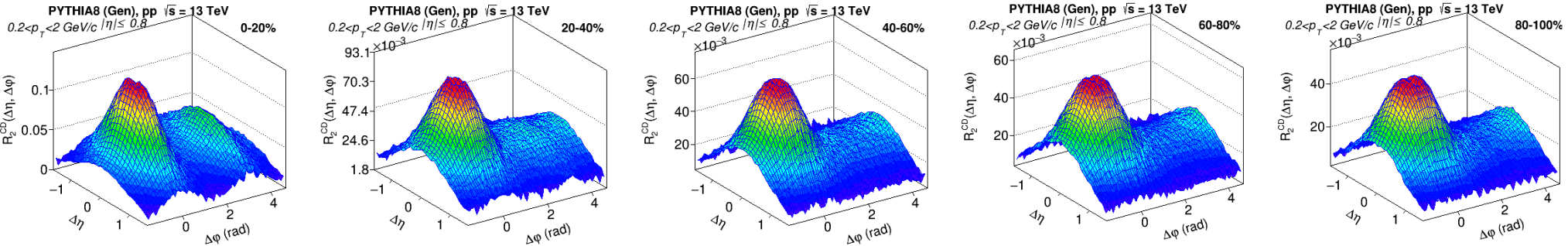
Reconstructed level :



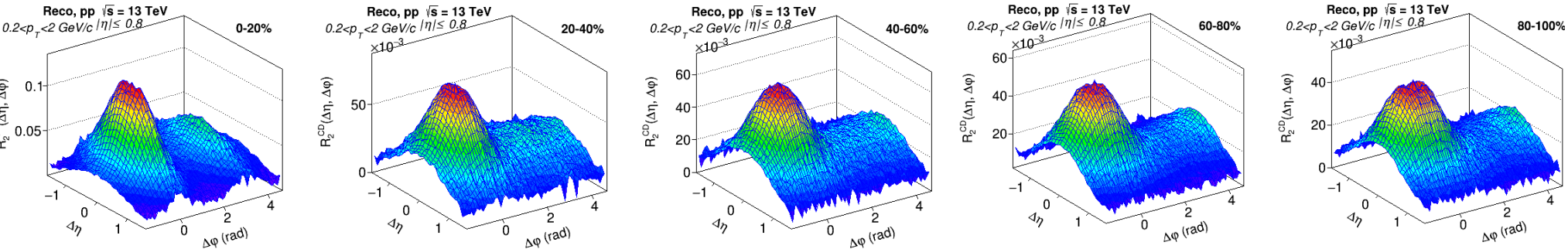
MC predictions (PYTHIA8)

$$R_2^{CD} = 1/2(R_2^{US} - R_2^{LS})$$

Generator level :



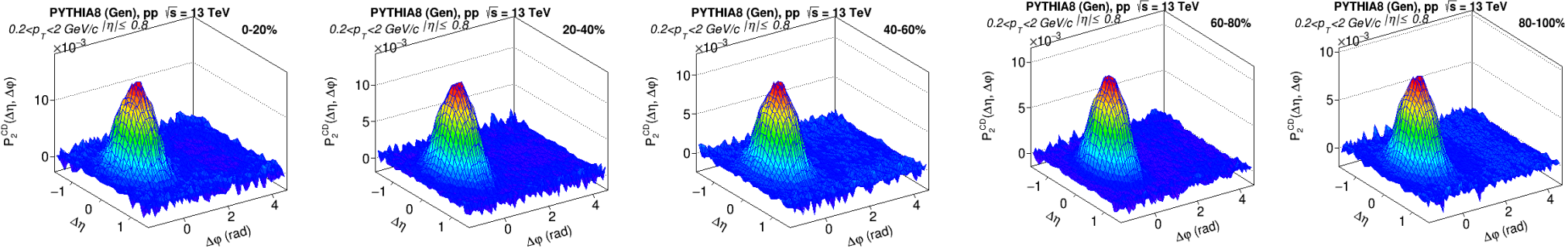
Reconstructed level :



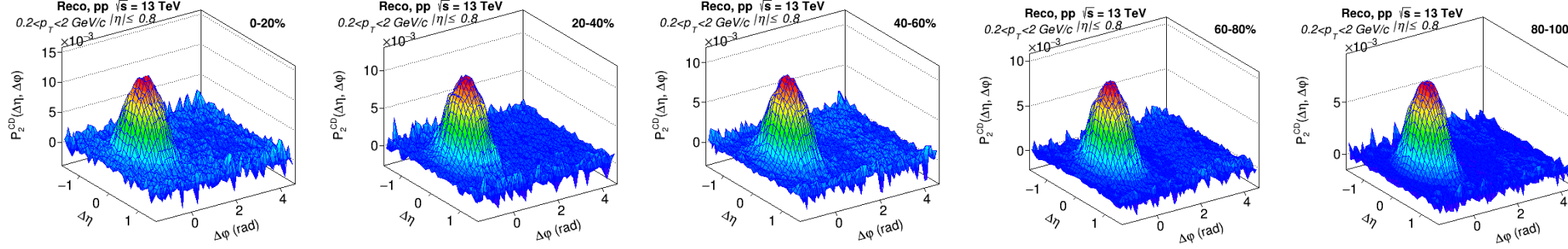
MC predictions (PYTHIA8)

$$P_2^{CD} = 1/2(P_2^{US} - P_2^{LS})$$

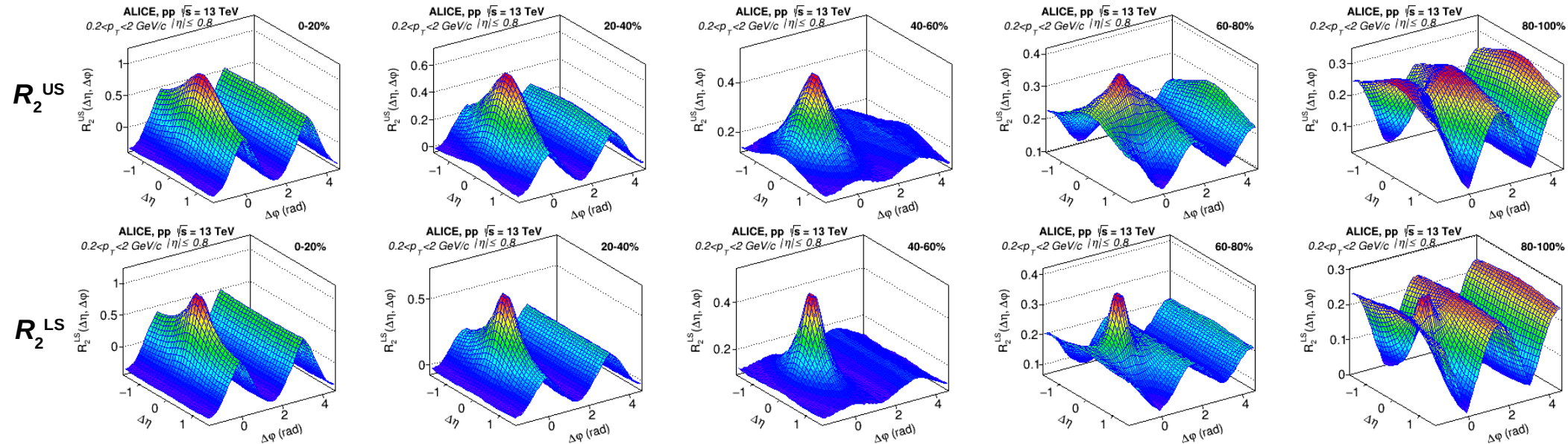
Generator level :



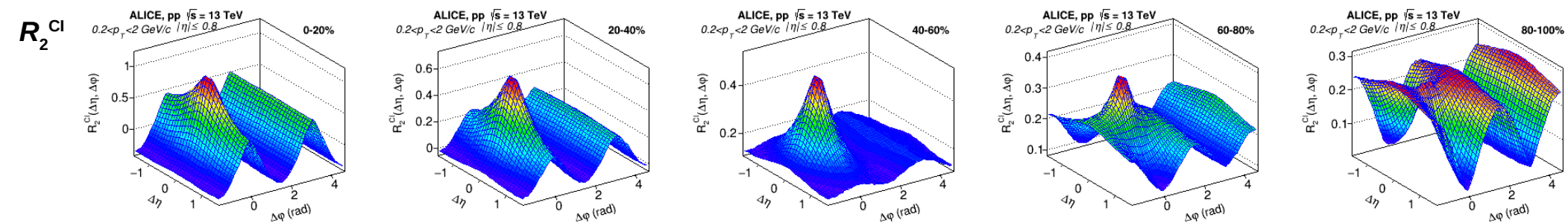
Reconstructed level :



R_2^{US} & R_2^{LS} Contribution to R_2^{CI}



$$R_2^{CI} = 1/2(R_2^{US} + R_2^{LS})$$



R_2^{US} & R_2^{LS} Contribution to R_2^{CI}

