

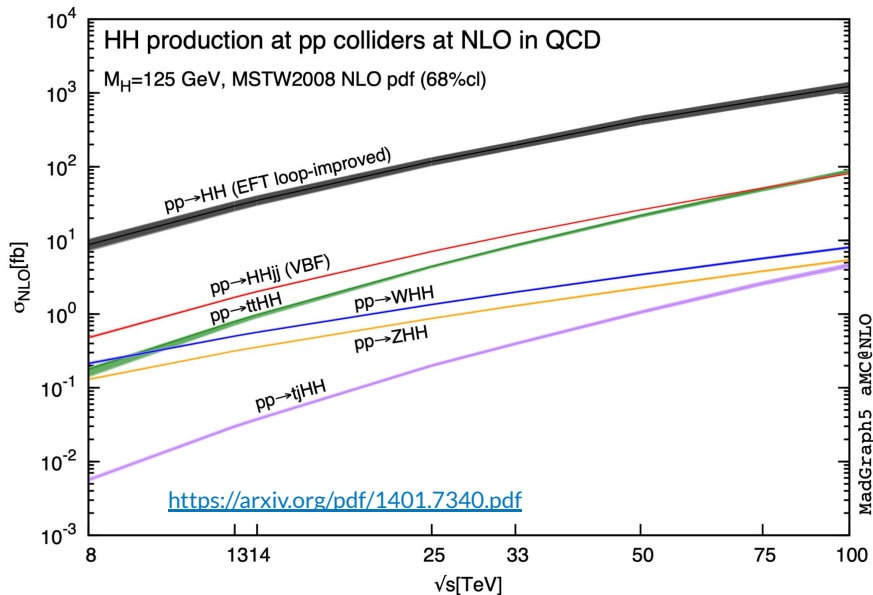
VVh/Vhh in ATLAS and CMS

Rare multi-boson production at the LHC
and beyond

Alessandra Cappati (LLR)* *from zoom,*
Matteo Presilla (KIT)

1st COMETA General Meeting, Izmir

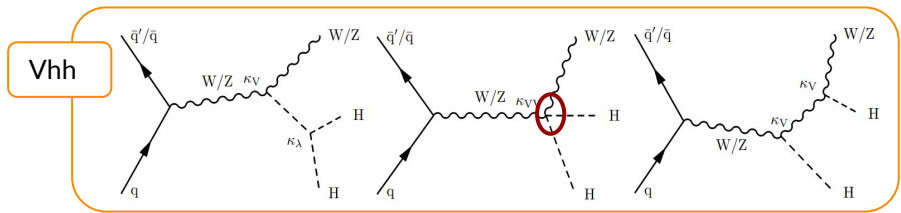
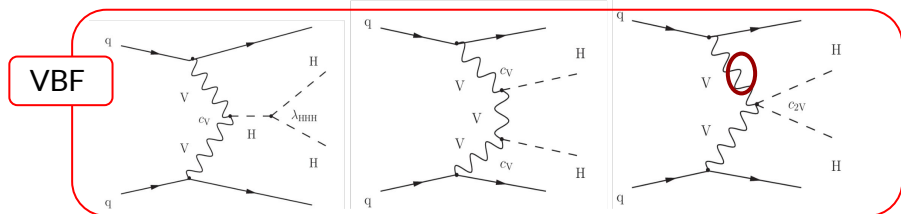
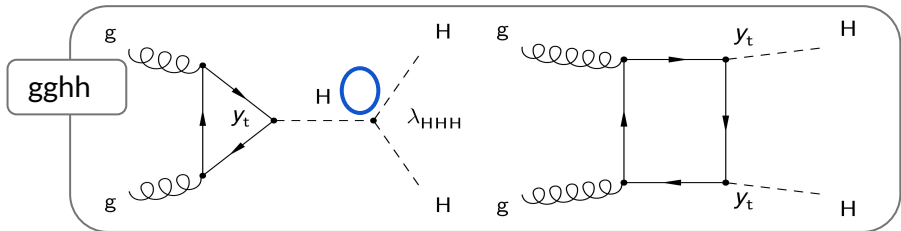
hh production modes



With full Run 2, possible to target also **subdominant** production modes

→ Diagrams also involve a different couplings

Exp. observation very hard, but small modifications to **VVhh** would lead to **big changes** in σ



smaller xsec

hh beyond the SM

BSM processes can **modify cross-section** and **kinematic properties**

BSM effects parametrized as **multiplicative modifier** of the SM parameter λ : k_λ

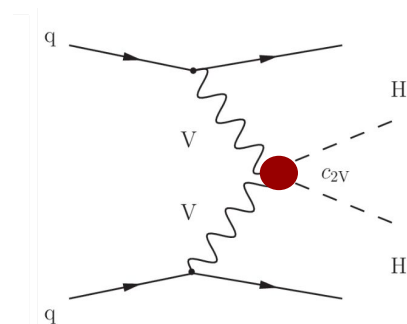
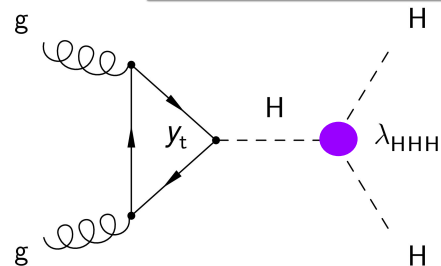
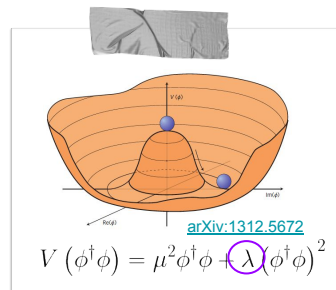
→ For **purely scalar operators**, description in terms of Wilson coefficients or modifiers are **equivalent**

For **VVhh** BSM effects also parametrized as modifier of the SM coupling: k_{2V}

→ Not equivalent to the SMEFT approach (only true for some models)

To combine with other anomalous quartic couplings, need proper EFT parametrization → JHEP 09 (2022) 038

↙ more on this later



Outline:

- Vhh production: non-resonant & resonant
- Anomalous VVh couplings
- VBF-hh dim-8 EFT, and new signatures

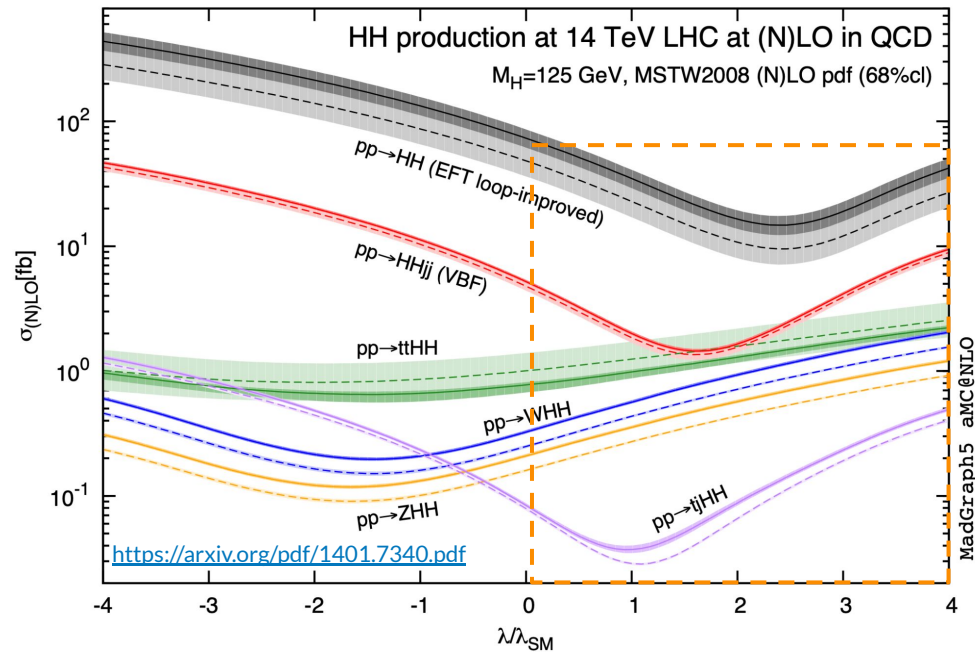
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Vhh production: non-resonant production.

(ATLAS: EPJC 83(2023)519, CMS-PAS-HIG-22-006)

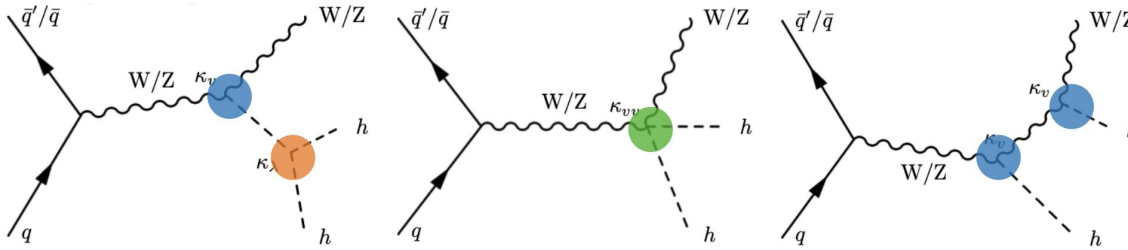
Vhh production

Complimentary to ggF and VBF channels, with cleaner signal when choosing V-leptonic decay



Constructive interference yields an increasing Vhh cross section as k_λ increases ($0 < k_\lambda < 4$), while ggF and VBF channels are near their minimum

Vhh search in CMS



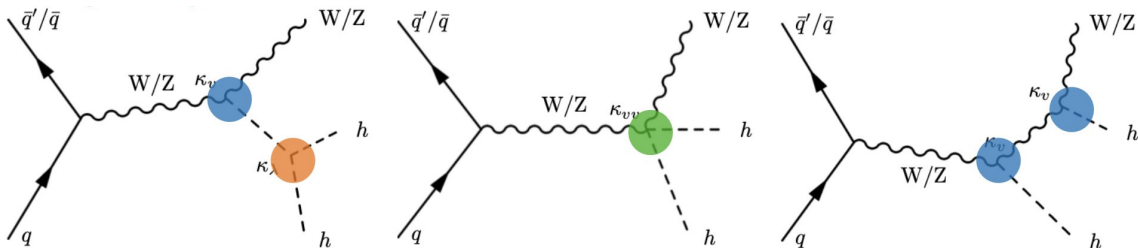
Higgs self-coupling

VVhh coupling

VVh coupling

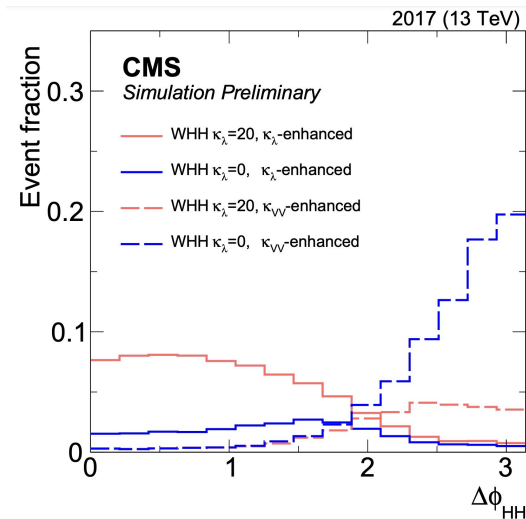
- Focus on $hh \rightarrow 4b$ final states (~34%) with both leptonic and hadronic decays of the V boson
- Nearly all V-decay channels: 2L, 1L, MET, Fully hadronic
- **Very low sensitivity to SM process:** only 110 events would have been produced without any selection applied!

Vhh search in CMS



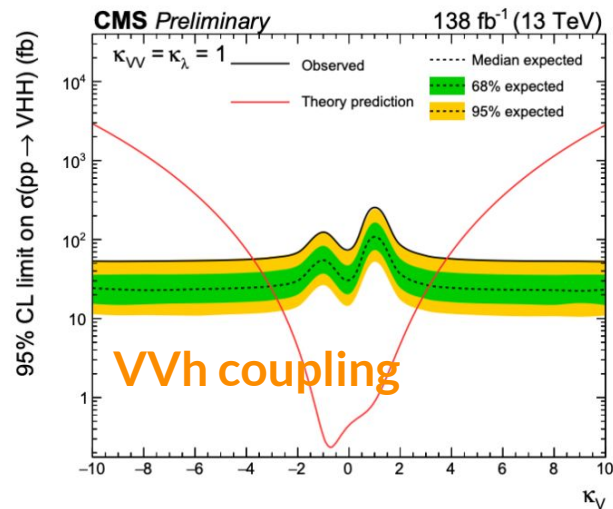
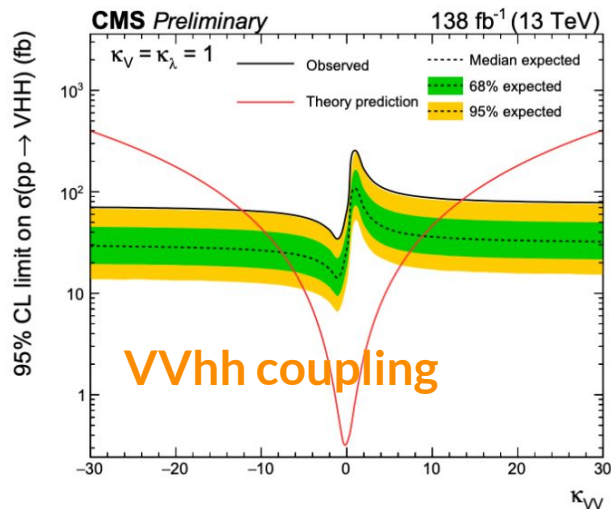
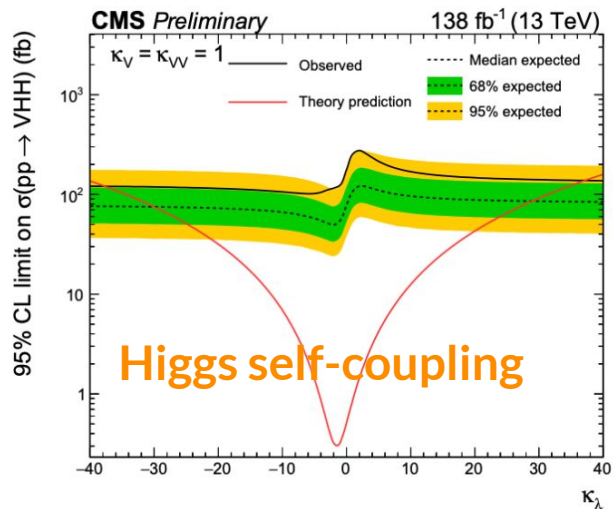
→ Striking **difference of some kinematics distribution** when the coupling constants vary

→ Utilizing this feature with BDTs; we can create some **regions that are sensitive to high k_λ (k_{VV}) coupling**



- Focus on $hh \rightarrow 4b$ final states (~34%) with both leptonic and hadronic decays of the V boson
- Nearly all V-decay channels: 2L, 1L, MET, Fully hadronic
- **Very low sensitivity to SM process:** only 110 events would have been produced without any selection applied!

non-resonant Vhh results

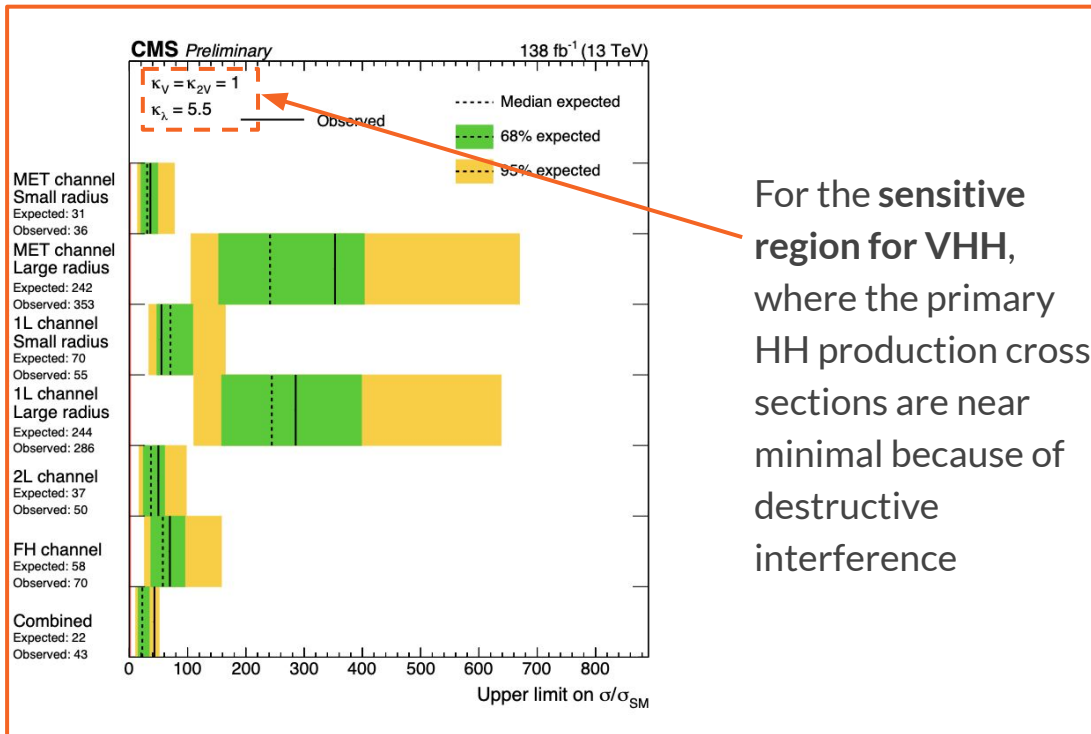
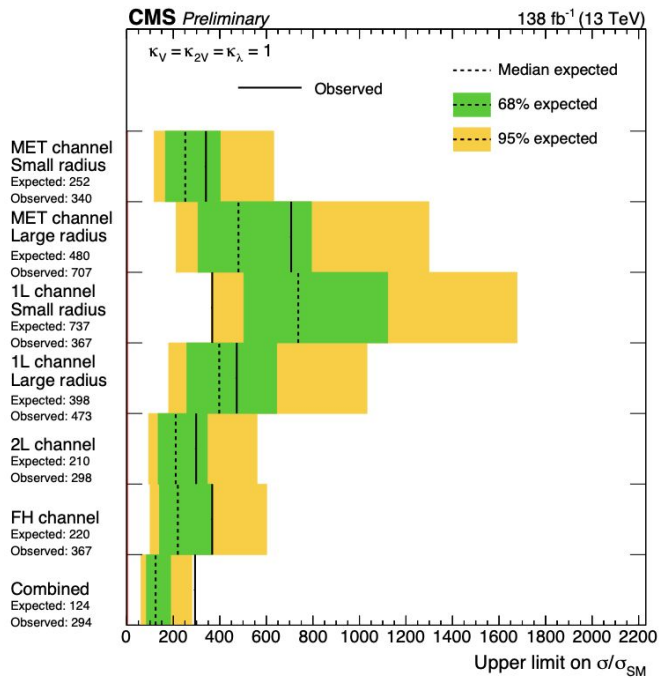


- Unique feature to decompose κ_{WW} and κ_{ZZ} couplings separately
- Constraints similar for CMS and ATLAS

$$\begin{aligned}
 & -12.2 \text{ (-7.2)} < \kappa_{2V} < 13.5 \text{ (8.9)} \\
 & -14.0 \text{ (-10.2)} < \kappa_{WW} < 15.4 \text{ (11.6)} \\
 & -17.4 \text{ (-10.5)} < \kappa_{ZZ} < 18.5 \text{ (11.6)}
 \end{aligned}$$

$$\begin{aligned}
 & -37.7 \text{ (-30.1)} < \kappa_\lambda < 37.2 \text{ (28.9)} \\
 & \mu^{VHH} \equiv \sigma_{VHH} / \sigma_{VHH}^{SM} < 294 \text{ (124)}
 \end{aligned}$$

Vhh cross-section upper limits



For the **sensitive region for VHH**, where the primary HH production cross sections are near minimal because of destructive interference

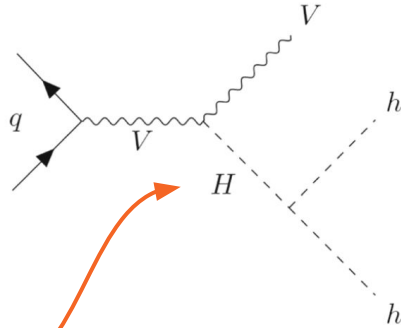
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Vhh production: resonant production.

(ATLAS: EPJC 83(2023)519)

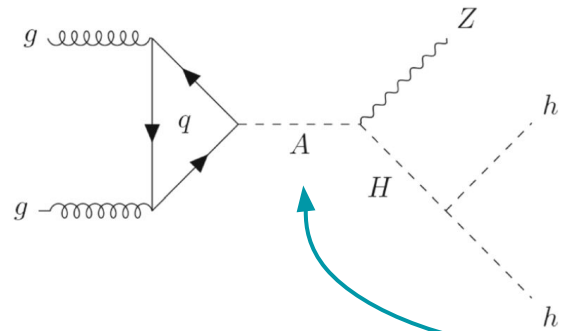
Resonant mediators

VH,
Higgstrahlung



CP-even heavy
scalar from
off-shell V
decay

- Masses from 260 to 1000 GeV
- Narrow resonance ($\sim 3\%$)
- EW singlet/typeII 2HDM

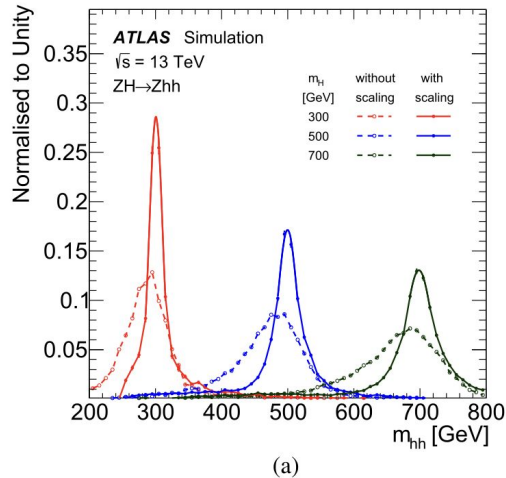


typical
2HDM
signature

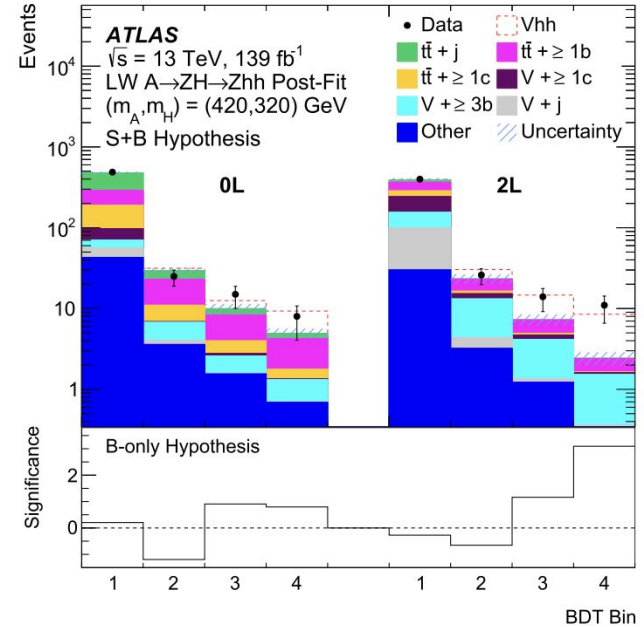
neutral heavy
pseudoscalar

- A is CP-odd, with widths up to 20% of its mass
- A mass range 360-800 GeV

Vhh resonant search



- Similar strategy to the non-resonant search
- signal m_{hh} are expected to peak at $\sim m_{H^0}$
- m_{hh} resolution improved by constraining the measured masses of the two Higgs boson candidates to the exp value



- Significant excesses at $(m_A, m_H) = (420, 320) \text{ GeV}$ with a local (global) significance of 3.8σ (2.8σ) in the LW scenario
- Competitive upper limits on models parameters

—
VVh:

anomalous couplings.

(Phys. Rev. D 104, 052004,
Phys. Rev. D 108, 032013,
CMS-PAS-HIG-22-008)

AC formalism

Are there any anomalous interactions between a Higgs boson and two gauge bosons?

Current precision allows small anomalous CP-even and/or CP-odd couplings.

Generic spin-0 HVV scattering amplitude:

$$\mathcal{A}(\text{HVV}) \sim \left[a_1^{\text{VV}} + \frac{\kappa_1^{\text{VV}} q_1^2 + \kappa_2^{\text{VV}} q_2^2}{(\Lambda_1^{\text{VV}})^2} \right] m_{V_1}^2 \epsilon_{V_1}^* \epsilon_{V_2}^* + a_2^{\text{VV}} f_{\mu\nu}^{*(1)} f^{*(2)\mu\nu} + a_3^{\text{VV}} f_{\mu\nu}^{*(1)} \tilde{f}^{*(2)\mu\nu}$$

- considerations of symmetry and gauge invariance require:

$$a_1^{\text{Z}\gamma} = a_1^{\gamma\gamma} = a_1^{\text{gg}} = 0, \kappa_1^{\text{ZZ}} = \kappa_2^{\text{ZZ}}, \kappa_1^{\gamma\gamma} = \kappa_2^{\gamma\gamma} = 0, \kappa_1^{\text{gg}} = \kappa_2^{\text{gg}} = 0$$

For the $V=W,Z$ we are left with:

$a_1^{\text{WW,ZZ}}$ = CP-even couplings (SM-like)

$a_2^{\text{WW,ZZ}}, \kappa_1^{\text{WW,ZZ}}/(\Lambda_1^{\text{WW,ZZ}})^2, \kappa_2^{\text{Z}\gamma}/(\Lambda_1^{\text{Z}\gamma})^2$ = CP-even anomalous couplings

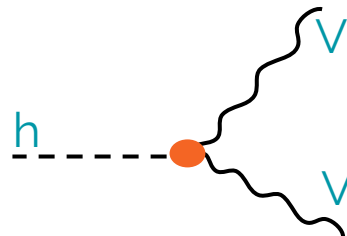
$a_3^{\text{WW,ZZ}}$ = CP-odd coupling

$a_1^{\text{ZZ}} = a_1^{\text{WW}}$ due to custodial symmetry

We consider two approaches to relate ZZ and WW couplings:

Approach 1: $a_1^{\text{ZZ}} = a_1^{\text{WW}}, \kappa_1^{\text{ZZ}}/(\Lambda_1^{\text{ZZ}})^2 = \kappa_1^{\text{WW}}/(\Lambda_1^{\text{WW}})^2$

Approach 2: $a_3^{\text{WW}} = \cos^2\theta_W a_3^{\text{ZZ}}$



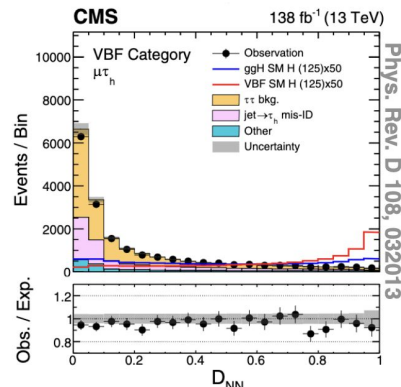
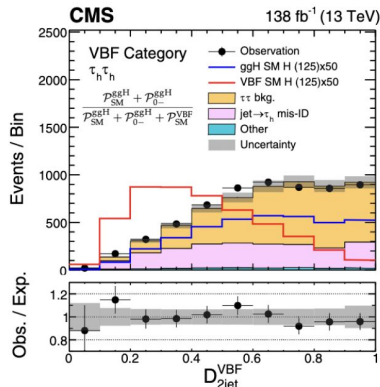
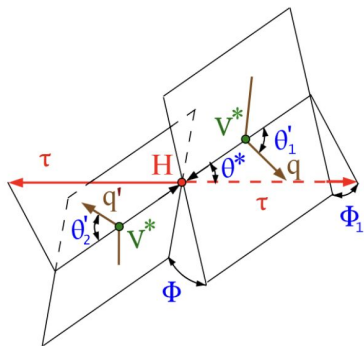
Convenient to parameterise ACs in terms of effective cross-sections (most of the uncertainties cancel in the ratio):

$$f_{a_i} = \frac{|a_i|^2 \sigma_i}{\sum_{j=1,2,3\dots} |a_j|^2 \sigma_j} \text{sign} \left(\frac{a_i}{a_1} \right)$$

How do we measure AC?

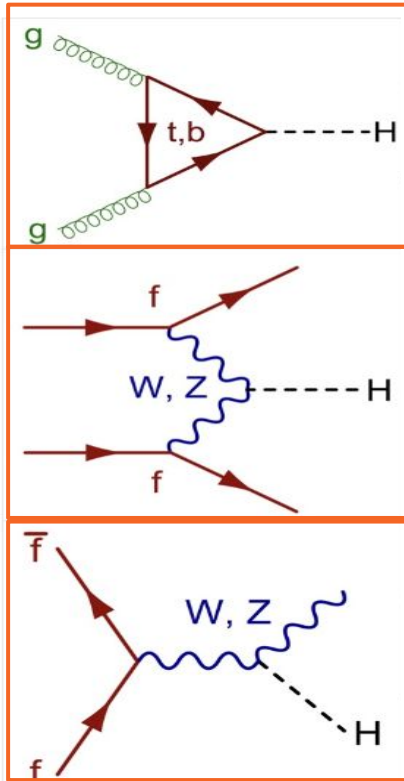
Different approaches employed to achieve good AC sensitivity:

- **“Optimal observables” approach:** reduce phase space dimensionality by combining observables
- **Matrix element methods (MEM):** build Neymann-Pearson-like discriminants based on parton-level information
- **Machine learning techniques:** build NN classifiers to exploit correlations and boost the sensitivity

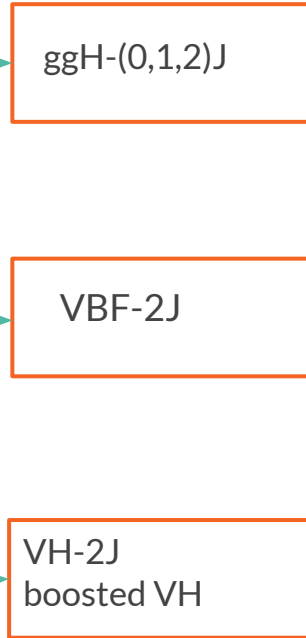


A recent CMS example

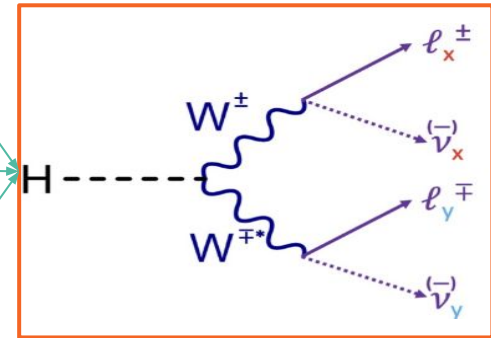
production modes



categories



decay



different flavors: $e\mu$ +MET
(reduction of background)

HW \bar{W} analysis

From the 5 observables (Ω) that fully describe the topology
(3 angles+2 four-momenta)

MELA reduction to 3 types of discriminant:

ggH signal vs VBF/VH signal =>

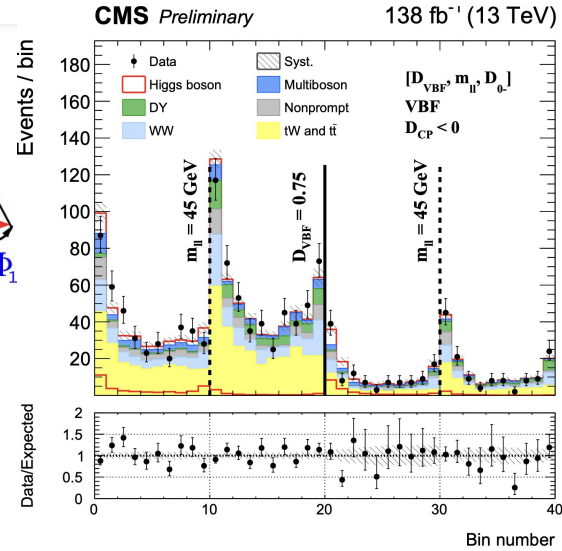
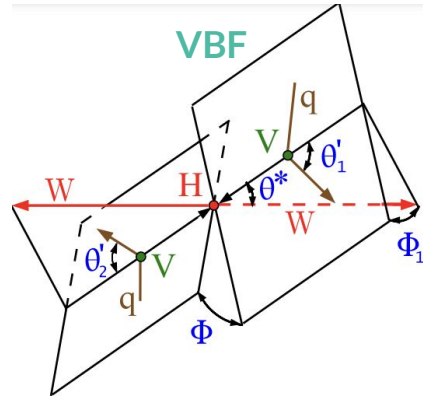
$$\mathcal{D}_{\text{sig}} = \frac{\mathcal{P}_{\text{sig}}(\vec{\Omega})}{\mathcal{P}_{\text{sig}}(\vec{\Omega}) + \mathcal{P}_{\text{bkg}}(\vec{\Omega})}$$

SM vs BSM =>

$$\mathcal{D}_{\text{BSM}} = \frac{\mathcal{P}_{\text{BSM}}(\vec{\Omega})}{\mathcal{P}_{\text{BSM}}(\vec{\Omega}) + \mathcal{P}_{\text{SM}}(\vec{\Omega})}$$

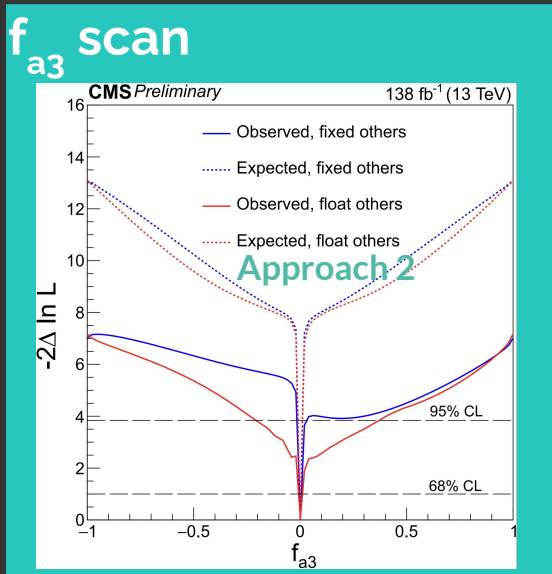
Interference vs pure SM/BSM signal =>

$$\mathcal{D}_{\text{int}} = \frac{\mathcal{P}_{\text{SM-BSM}}^{\text{int}}(\vec{\Omega})}{\mathcal{P}_{\text{SM}}(\vec{\Omega}) + \mathcal{P}_{\text{BSM}}(\vec{\Omega})}$$



- ★ \mathcal{P}_i is the probability for the process (i =SM, BSM).
- ★ $\mathcal{P}_{\text{SM-BSM}}$ is the interference part of the probability distribution with a mixture of SM and BSM.

Results:



EFT Higgs basis

Coupling	Observed	Expected
δc_z	$-0.06^{+0.09}_{-0.16}$	$0.00^{+0.08}_{-0.10}$
$c_{z\Box}$	$0.01^{+0.02}_{-0.06}$	$0.00^{+0.02}_{-0.02}$
c_{zz}	$0.03^{+0.30}_{-0.52}$	$0.00^{+0.23}_{-0.29}$
\tilde{c}_{zz}	$-0.17^{+0.42}_{-0.30}$	$0.00^{+0.29}_{-0.32}$

SMEFT Warsaw basis

Coupling	Observed	Expected
$c_{H\Box}$	$-0.76^{+1.43}_{-3.43}$	$0.0^{+1.37}_{-1.84}$
c_{HD}	$-0.12^{+0.93}_{-0.32}$	$0.0^{+0.43}_{-0.30}$
c_{HW}	$0.08^{+0.43}_{-0.87}$	$0.0^{+0.37}_{-0.48}$
c_{HWB}	$0.17^{+0.88}_{-1.79}$	$0.0^{+0.77}_{-0.96}$
c_{HB}	$0.03^{+0.13}_{-0.26}$	$0.0^{+0.11}_{-0.14}$
$c_{H\tilde{W}}$	$-0.26^{+0.67}_{-0.50}$	$0.0^{+0.48}_{-0.52}$
$c_{H\tilde{W}B}$	$-0.54^{+1.37}_{-1.03}$	$0.0^{+0.99}_{-1.07}$
$c_{H\tilde{B}}$	$-0.08^{+0.20}_{-0.15}$	$0.0^{+0.15}_{-0.16}$

All f_{a_i} consistent with 0, the SM value. Limits translated to SMEFT in two bases.

VBF-hh dim-8 EFT & new signatures

(R. Covarelli, A. Cappati, P. Torrielli, M. Zaro - JHEP09 (2022) 038)

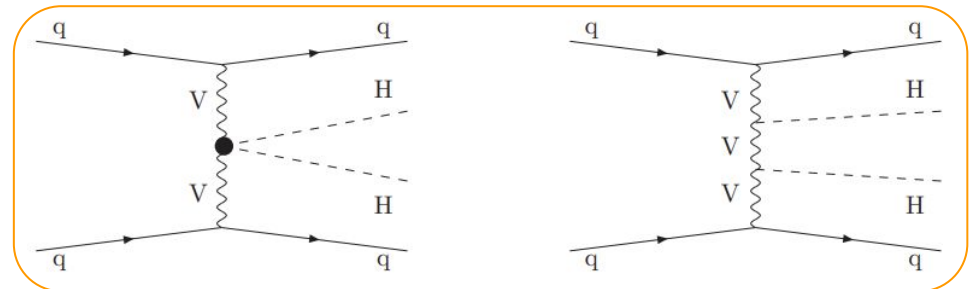
A different proposal from $VVhh$ phenomenology

RC, A. Cappati, P. Torrielli, M. Zaro
[JHEP09 \(2022\) 038](#)

- Paper investigates $VVhh$ interactions
- In EFT terms, only investigated in (gauge) VBS or triboson processes

In this work:

- Reinterpretation of VBF hh experimental results in terms of **dim-8 EFT operators**, sensitive to $VVHH$ interactions
- Focus on **genuine SMEFT aQGC-generating operators** (dimension 8 Eboli's basis)
- **Unitarity constraints** considered
 - dedicated technique adopted
→ **mass-dependent constraints**

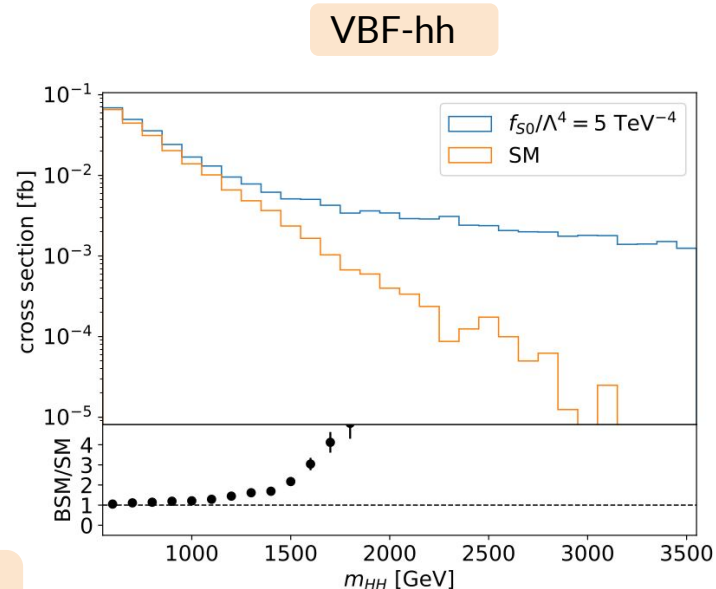


Simulation setup

- Simplified phenomenology analysis
- Generator: MadGraph5_aMC@NLO
- Processes:
 - VBF-hh
 - VBS ($W^\pm W^\pm$, $W^\pm Z$, $W^+ W^-$) (for comparison)
- Typical experimental selections applied on tagging jets

- Observable used to estimate the EFT sensitivity:

- $\sigma[m_{\min}, m_{\max}]$ (integrated cross section in mass interval)
- m = invariant mass of the di-boson states produced
 - $m_{\min} = 1.1$ TeV,
 - m_{\max} = various values between 1.1 TeV and \sqrt{s} (the latter corresponding to no unitarity bound)



Reproducing CMS VBS results

- Managed to reproduce CMS VBS results (w/o unitarity bounds) with simplified observable
- Also filled in missing results

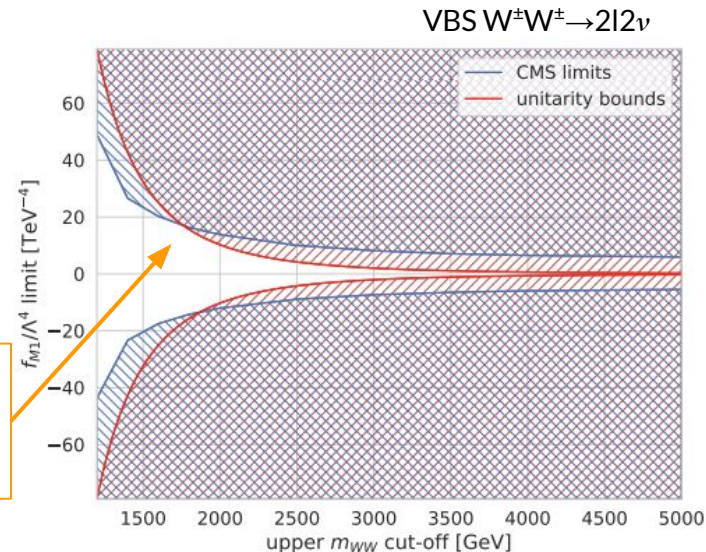
Coeff.	VBS $W^\pm W^\pm \rightarrow 2l2\nu$		VBS $W^\pm Z \rightarrow 3l\nu$		VBS $W^\pm V$ semileptonic	
	CMS exp.	estimated	CMS exp.	estimated	CMS exp.	estimated
f_{M0}/Λ^4	[-3.7,3.8]	[-3.9,3.7]	[-7.6,7.6]	input	[-1.0,1.0]	[-1.0,1.0]
f_{M1}/Λ^4	[-5.4,5.8]	input	[-11,11]	[-11,11]	[-3.0,3.0]	[-3.1,3.1]
f_{M2}/Λ^4	/	/	–	[-13,13]	–	[-1.5,1.5]
f_{M3}/Λ^4	/	/	–	[-19,19]	–	[-5.5,5.5]
f_{M4}/Λ^4	/	/	–	[-5.9,5.9]	–	[-3.1,3.1]
f_{M5}/Λ^4	/	/	–	[-8.3,8.3]	–	[-4.5,4.5]
f_{M7}/Λ^4	[-8.3,8.1]	[-8.5,8.0]	[-14,14]	[-14,14]	[-5.1,5.1]	input
f_{S0}/Λ^4	[-6.0,6.2]	[-6.1,6.2]	[-24,24]	[-25,26]	[-4.2,4.2]	[-6.7,6.8]
f_{S1}/Λ^4	[-18,19]	[-18,19]	[-38,39]	[-38,39]	[-5.2,5.2]	[-8.3,8.4]
f_{S2}/Λ^4	–	[-18,19]	–	[-25,26]	–	[-8.4,8.5]

Implementation of unitarity bounds

1. Evaluate $\sigma[m_{\min}, m_{\max}]$ for several m_{\max}
2. For each σ , obtain m_{\max} -dependent limits on operator coefficients with same procedure used for validation

Coeff.	VBS $W^\pm W^\pm$	VBS $W^\pm Z$	VBS $W^\pm V$ semilep.
f_{M0}/Λ^4	/	/	[-3.3,3.5]
f_{M1}/Λ^4	[-13,17]	[-67,71]	[-7.4,7.6]
f_{M2}/Λ^4	/	/	[-9.1,9.0]
f_{M3}/Λ^4	/	/	[-32,30]
f_{M4}/Λ^4	/	[-36,36]	[-8.6,8.7]
f_{M5}/Λ^4	/	[-29,29]	[-10,10]
f_{M7}/Λ^4	[-21,18]	[-59,57]	[-11,11]
f_{S0}/Λ^4	[-17,20]	/	[-8.5,9.5]
f_{S1}/Λ^4	/	/	/
f_{S2}/Λ^4	/	[-25,26]	[-21,25]

intersection: max
m to set limits not
violating unitarity



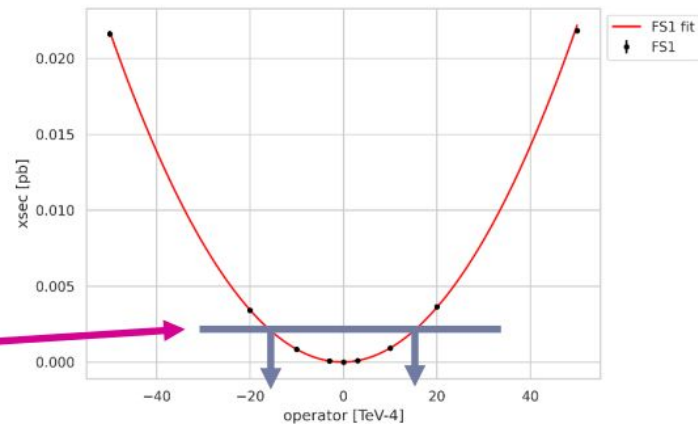
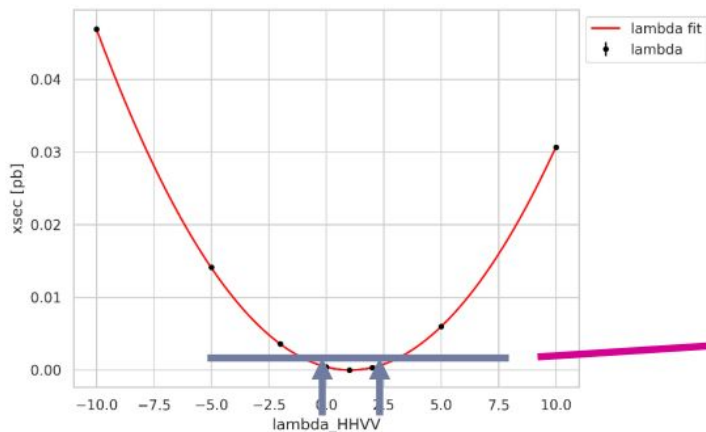
- Limits obtained w/ unitarity much less stringent than those w/o
- If curves do not cross, available data are not enough to set more stringent limits than those imposed by unitarity

VBF-hh limit setting

Similar to VBS, but experimental results in terms of coupling modifier k_{2V}

1. Consider public VBF hh \rightarrow 4b 95% CL limit (CMS only) on k_{2V}
2. Use a VBF-hh simulation as function of k_{2V} to fit a parabola and obtain limit on σ
3. From limit on σ , extract limits on corresponding dim-8 Wilson coefficient from simulation

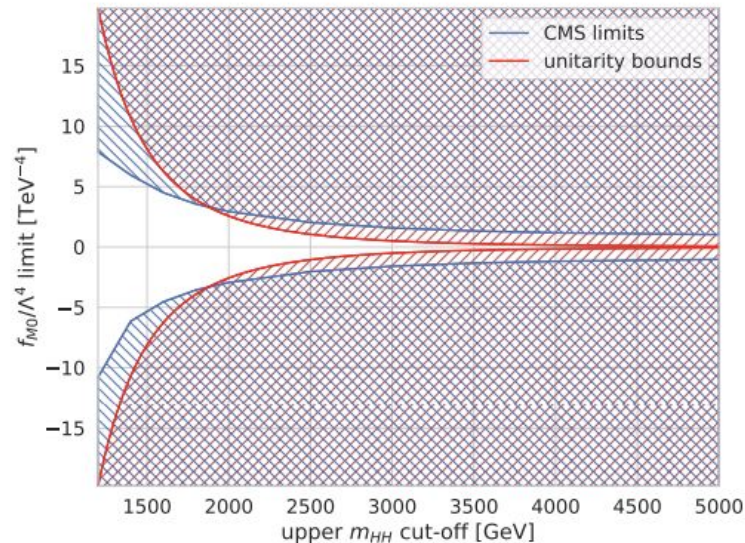
Validation: use limits on f_x as input and re-produce CMS limits on k_{2V}



VBF-hh results

- VBF-hh estimated limits **supersede** those obtained with VBS for f_{M0}, f_{M2}, f_{M3}
- Unitarity boundaries added as described for VBS

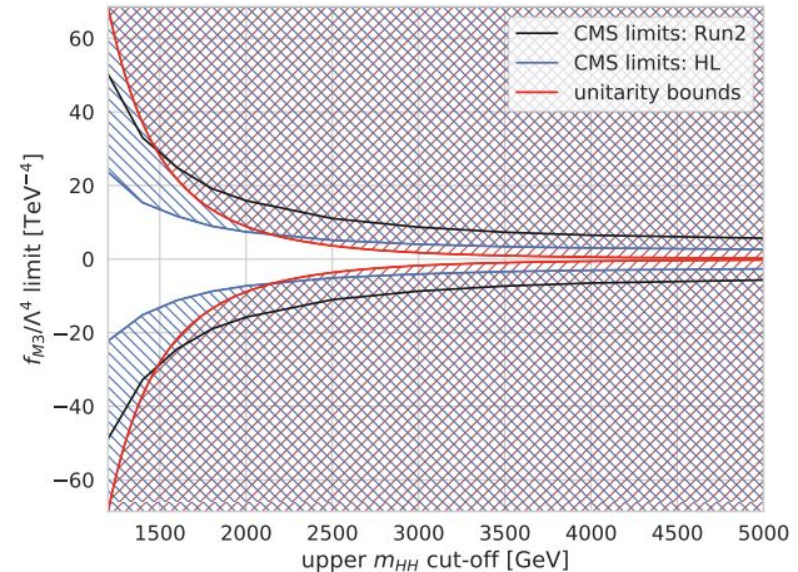
Coeff.	VBS $W^\pm V$ semileptonic		VBF $HH \rightarrow \bar{b}b\bar{b}b$	
	no unitarity	w/ unitarity	no unitarity	w/ unitarity
f_{M0}/Λ^4	[-1.0,1.0]	[-3.3,3.5]	[-0.95,0.95]	[-3.3,3.3]
f_{M1}/Λ^4	[-3.1,3.1]	[-7.4,7.6]	[-3.8,3.8]	[-13,14]
f_{M2}/Λ^4	[-1.5,1.5]	[-9.1,9.0]	[-1.3,1.3]	[-7.6,7.3]
f_{M3}/Λ^4	[-5.5,5.5]	[-32,30]	[-5.2,5.3]	[-29,30]
f_{M4}/Λ^4	[-3.1,3.1]	[-8.6,8.7]	[-4.0,4.0]	[-14,14]
f_{M5}/Λ^4	[-4.5,4.5]	[-10,10]	[-7.1,7.1]	[-26,26]
f_{M7}/Λ^4	[-5.1,5.1]	[-11,11]	[-7.6,7.6]	[-27,27]
f_{S0}/Λ^4	[-4.2,4.2]	[-8.5,9.5]	[-30,29]	/
f_{S1}/Λ^4	[-5.2,5.2]	/	[-11,10]	/
f_{S2}/Λ^4	-	[-21,25]	[-17,16]	/



Perspectives for HL-LHC

- Limits w/o unitarity obtained rescaling the excluded σ by $L^{-\frac{1}{2}}$ ($L = 3 \text{ ab}^{-1}, 13 \text{ TeV}$)
 - Limits w/ unitarity present significant additional gain since m_{max} moves to larger values, allowing inclusion of more data in the sensitivity estimate
- limits improve by factor 4-5
- first physical limit on f_{S1}

Coeff.	VBS $W^\pm V$ semileptonic		VBF $HH \rightarrow b\bar{b}b\bar{b}$	
	no unitarity	w/ unitarity	no unitarity	w/ unitarity
f_{M0}/Λ^4	[-0.47,0.47]	[-0.96,1.02]	[-0.43,0.43]	[-0.90,0.87]
f_{M1}/Λ^4	[-1.5,1.5]	[-2.3,2.4]	[-1.7,1.7]	[-3.5,3.5]
f_{M2}/Λ^4	[-0.69,0.68]	[-2.1,2.1]	[-0.62,0.61]	[-1.7,1.7]
f_{M3}/Λ^4	[-2.5,2.4]	[-6.8,6.3]	[-2.4,2.4]	[-6.5,6.6]
f_{M4}/Λ^4	[-1.4,1.4]	[-2.4,2.5]	[-1.8,1.8]	[-3.9,4.0]
f_{M5}/Λ^4	[-2.0,2.0]	[-3.0,3.1]	[-3.2,3.2]	[-6.9,7.0]
f_{M7}/Λ^4	[-2.4,2.4]	[-3.5,3.5]	[-3.5,3.5]	[-7.1,7.1]
f_{S0}/Λ^4	[-1.8,2.0]	[-2.6,3.3]	[-14,13]	/
f_{S1}/Λ^4	[-2.4,2.4]	[-5.8,6.1]	[-5.1,4.5]	/
f_{S2}/Λ^4	[-2.3,2.4]	[-4.8,5.2]	[-8.1,7.1]	/



New final states

$gg \rightarrow VVH$ and $qq \rightarrow VHH$

→ for both, $V=Z$, since final states with W bosons would suffer from large top-induced bkg and would require a real experimental analysis

1. $gg \rightarrow VVH$

Considering EFT effects with similar magnitude as those induced in VBS and VBF HH , the cross-section remains too small, even at HL-LHC

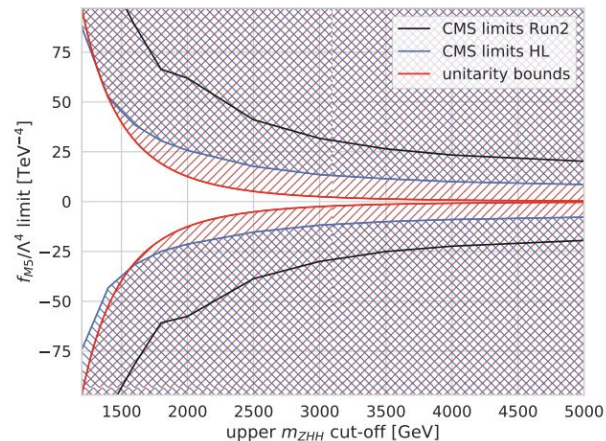
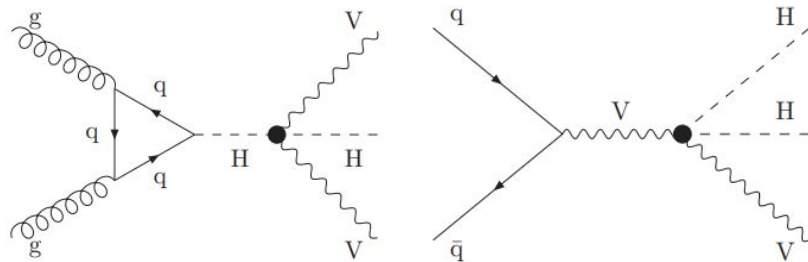
2. $qq \rightarrow VHH$

Performed simple analysis (since no available exp. results at the time)

- Assume only 1 SM bkg ($Z+4b$ jets)
- Enhance signal by requiring m_{bb} close to m_H for b jet pair candidates
- Estimate $\sigma[m_{min}, m_{max}]$ for signal+EFT and bkg
- Compute S and B with LHC Run 2 luminosity, and limits with Feldman-Cousins approach

Sensitivity smaller than other final states

But promising results with HL-LHC prospects: limits w/ unitarity on some M-type operators!



Summary.

- Rare Vhh production
 - ◆ non-resonant \Rightarrow SM and k -framework
 - ◆ resonant \Rightarrow sensitivity to specific BSM scenarios
- Search for anomalous effects, in the tensor structure of the H interactions with electroweak bosons (HVV):
 - ◆ matrix element likelihood approach &/or a neural network to optimize the measurement of anomalous couplings, as well as interpretation in terms of EFT scenarios
- Novel approach to aQGC from $VVhh$
 - ◆ competitive to traditional VBS probes
 - ◆ new possible signatures to explore



BACKUP

Recent ATLAS and CMS results

recent Vhh measurements

★ EPJC83(2023)519 **Search for Higgs boson pair production in association with a vector boson.**

★ HIG-22-006 **Search for vector-boson associated di-Higgs production with $HH \rightarrow 4b$ and with leptonic vector boson decays.**

Anomalous Couplings in VVh

HIG-22-008 **Anomalous Higgs couplings in HWW.** ★

PRD 108 (2023) 032013 **AC to vector bosons/fermions in production in $h \rightarrow \tau\tau$.**

PRD 99, 112003 **Off-shell Higgs production and AC in four-lepton final state.**