







# **Probing an Interacting Dark Sector Model with Galaxy Cluster Abundance**

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## 1. Motivation

Forecast the constraints on a beyond-CDM model from future galaxy cluster data (CMB-S4) combined with next generation weak lensing data (ngWL) like the ones we will get from Euclid or Rubin surveys. The reason to look into an interacting dark sector is

to explore the properties of the dark sector,

• to address the  $S_8$  tension.

## 2. Interacting Dark Sector

relative error of 1% for clusters and 2.4% for Planck). For the case of  $Mock_{IDM-DR}$ , CMB-S4×ngWL will be able to recover the value of  $\xi_{DR}$  with a relative error of ~ 13% (Fig. 2). For  $Mock_{\Lambda CDM}$ , the degeneracy between  $\xi_{DR}$  and  $S_8$  is lefted, and we get an upper bound on the temperature ratio  $\xi_{DR}$  (Fig. 3).



An interacting dark sector can be described by a non-abelian SU(N) theory. The mapping between the particle physics properties of the model to cosmological parameters can be done using the Effective field THeory Of Structure formation (ETHOS) formalism [1]. Besides the equations describing ΛCDM components, extra equations are included for IDM and DR.
IDM equations

$$\dot{\delta}_{\mathsf{IDM}} + \theta_{\mathsf{IDM}} - 3\dot{\phi} = 0,$$

$$\dot{\theta}_{\text{IDM}} - c_{\text{IDM}}^2 k^2 \delta_{\text{IDM}} + \mathcal{H} \theta_{\text{IDM}} - k^2 \psi = \Gamma_{\text{IDM}-\text{DR}} \left( \theta_{\text{IDM}} - \theta_{\text{DR}} \right) \,.$$

• DR equations

$$\begin{split} \dot{\delta}_{\mathrm{DR}} &+ \frac{4}{3} \theta_{\mathrm{DR}} - 4 \dot{\phi} \ = \ 0 \ , \\ \partial_{\mathrm{DR}} &- \frac{1}{4} k^2 \delta_{\mathrm{DR}} + k^2 \sigma_{\mathrm{DR}}^2 - k^2 \psi \ = \ \Gamma_{\mathrm{DR-IDM}} \ (\theta_{\mathrm{DR}} - \theta_{\mathrm{IDM}}) \ . \end{split}$$



**Figure 2:** Posteriors within the IDM–DR model when assuming the *Mock*<sub>IDM–DR</sub> benchmark model. The gray shaded area refers to the results from the joint analysis of DES-Y3 and KiDS-1000 [4], and the dotted lines refer to the input values of the benchmark model used to generate the mockdata.



Figure 1: Schematic description of the Universe with an interacting dark sector before recombination.

The main parameters describing this model are

•  $\xi_{\text{DR}} \equiv \frac{T_{\text{DR}}}{T_{\text{CMB}}} \Big|_{z=0}$ : temperature ratio, can be mapped to the density of DR, •  $f_{\text{IDM}} \equiv \frac{\Omega_{\text{IDM}}}{\Omega_{\text{IDM}} + \Omega_{\text{CDM}}}$ : fraction of interacting dark matter, •  $a_{\text{dark}}$ : intensity of the interaction ( $\Gamma_{\text{DR}-\text{IDM}} \propto a_{\text{dark}}$ ).

Due to the interaction with relativistic species (DR), IDM acquires momentum  $\rightarrow$  can escape from over densities  $\rightarrow$  suppresses the structure formation.

### 3. Generating Mockdata

**Figure 3:** Posteriors within the IDM–DR model when assuming the  $Mock_{\Lambda CDM}$  benchmark model.

#### 5. Conclusion

We forecasted the constraints on an interacting dark sector from future galaxy cluster data combined with next generation weak lensing data for mass calibration (CMB-S4×ngWL). We found that cluster abundance will be able to distinguish between the two models (IDM–DR and  $\Lambda$ CDM), and measure  $S_8$  at a percent level, which means it will offer a definitive answer about the tension.

To generate the mock catalog for each survey, we compute the matter power spectrum for a given model ( $\Lambda$ CDM or IDM–DR) with the Boltzmann solver CLASS [2]. The matter power spectrum is then used to calculate the HMF. We use the Tinker [3] simulation-based HMF in the mass range  $M \in [10^{13}, 10^{16}] h^{-1}$ M $_{\odot}$ . We generate mock data for two different benchmark cosmologies. The first ( $Mock_{IDM-DR}$ ) is based on the IDM–DR model with parameters chosen such that it is compatible with Planck 2018 data, and in addition yields a lower value of  $S_8$  due to the interaction of DM with DR, close to those reported by weak-lensing shear measurements. We choose here to compare to the recent joint analysis of DES-Y3 and KiDS-1000 [4]. The second ( $Mock_{\Lambda CDM}$ ) is based on a  $\Lambda$ CDM model with input values chosen as the mean parameter posteriors from Planck 2018 temperature and polarization anisotropy without CMB lensing [5]. We take the overlapping region between CMB-S4 and the ngWL survey Euclid, which is roughly  $\Omega_s = 10, 100 \text{ deg}^2$  and even larger for Rubin. We find approximately 24,000 clusters for  $Mock_{\Lambda CDM}$ .

### 4. Constraints

We show the constraints from CMB-S4×ngWL mockdata for the two benchmark points. All parameters are recovered within  $1\sigma$ , and will allow us to reduce the uncertainty on  $S_8$  by about a factor of two compared to CMB data from Planck (with a

#### References

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