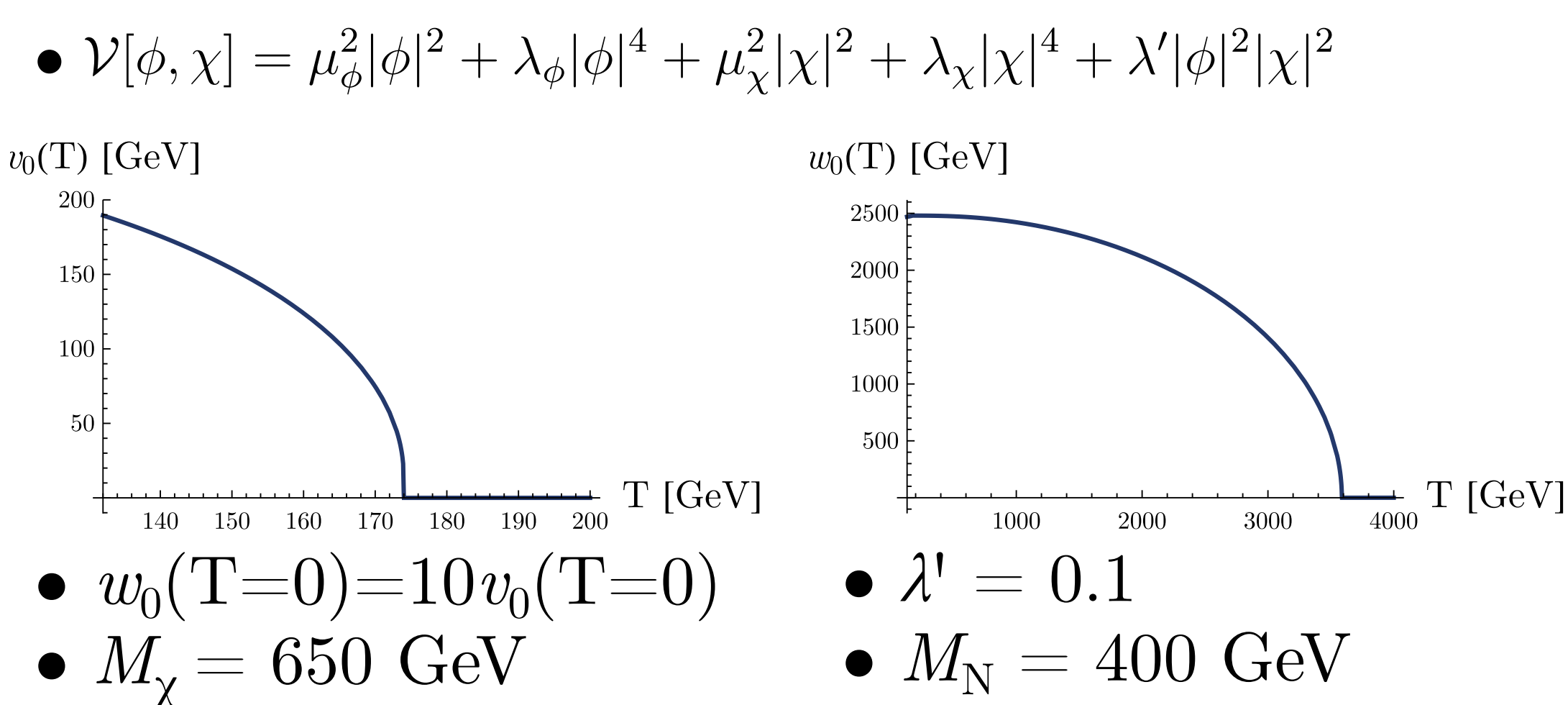
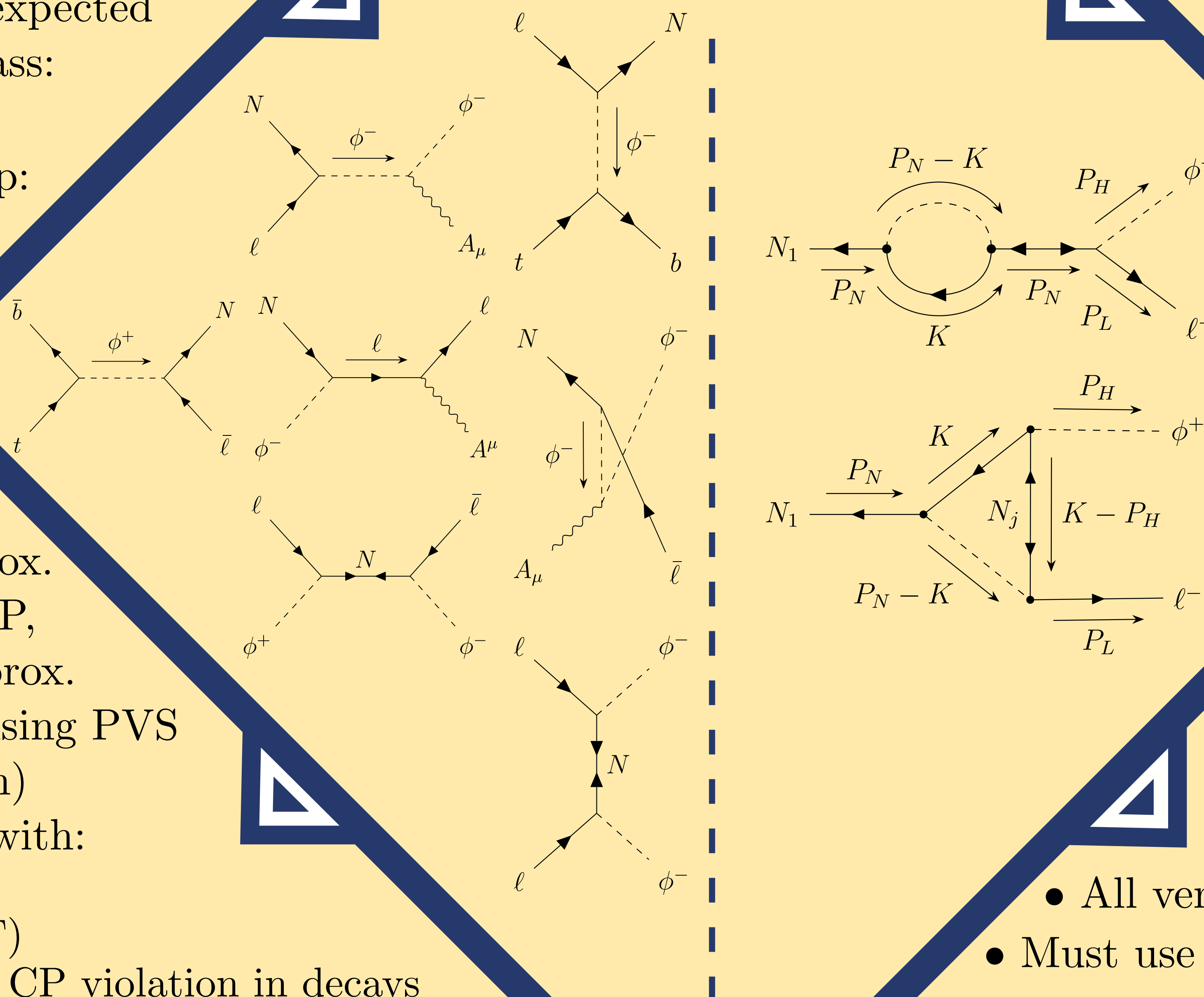


Phase transitions [1,2]

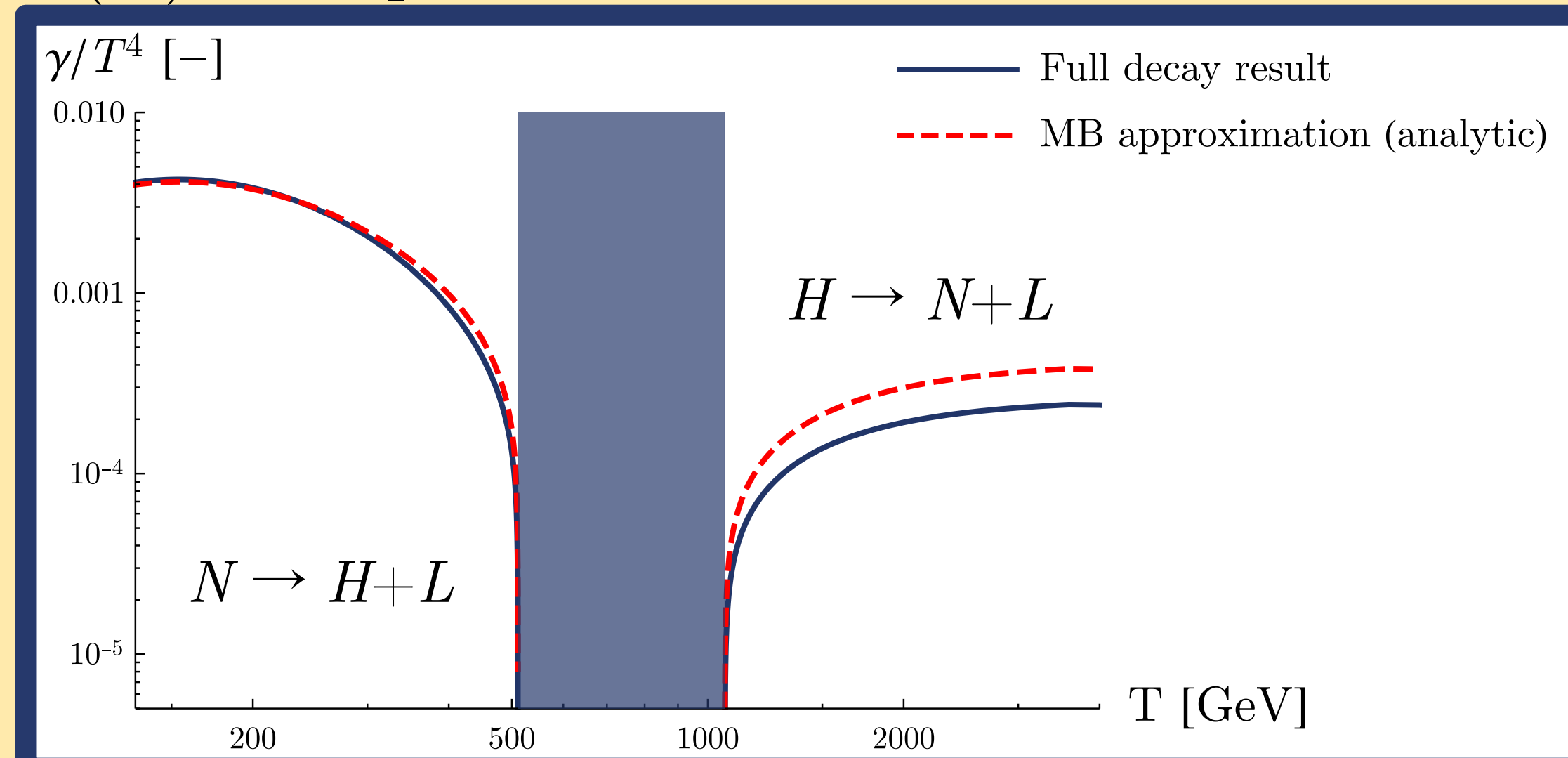


- Two-step phase transition (PT) signature:
 $G_{SM} \times U(1)_z \rightarrow G_{SM} \rightarrow SU(3)_c \times U(1)_{EM}$
- Strong first order PT **not** expected
- Sterile neutrino vacuum mass:
 $m_N^2 \approx Y_N^2 w_0^2(T)/2$
- Running couplings at 2 loop:
 $g(\mu) = g(2\pi T)$
- **Real potential** via OPT

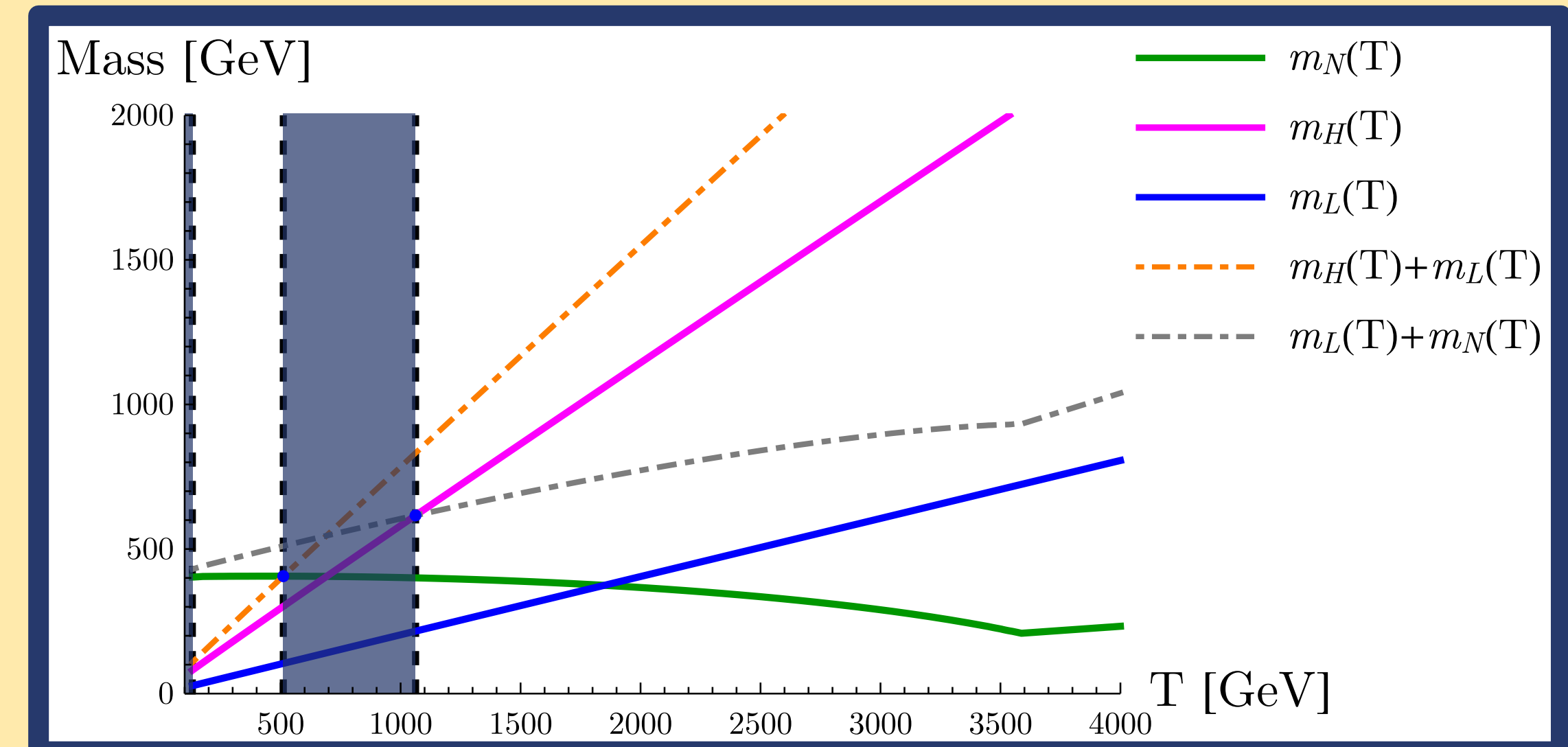
Feynman diagrams



- Decays and scatterings
- **Decays**: most important, semi-analytic without approx.
- **Scatterings**: washout of CP, semi-analytic with MB approx.
- Avoid double counting by using PVS (principal value subtraction)
- Calculate at tree level but with:
 - Thermal masses
 - Running couplings $g(2\pi T)$
 - Multiplicative factor for CP violation in decays

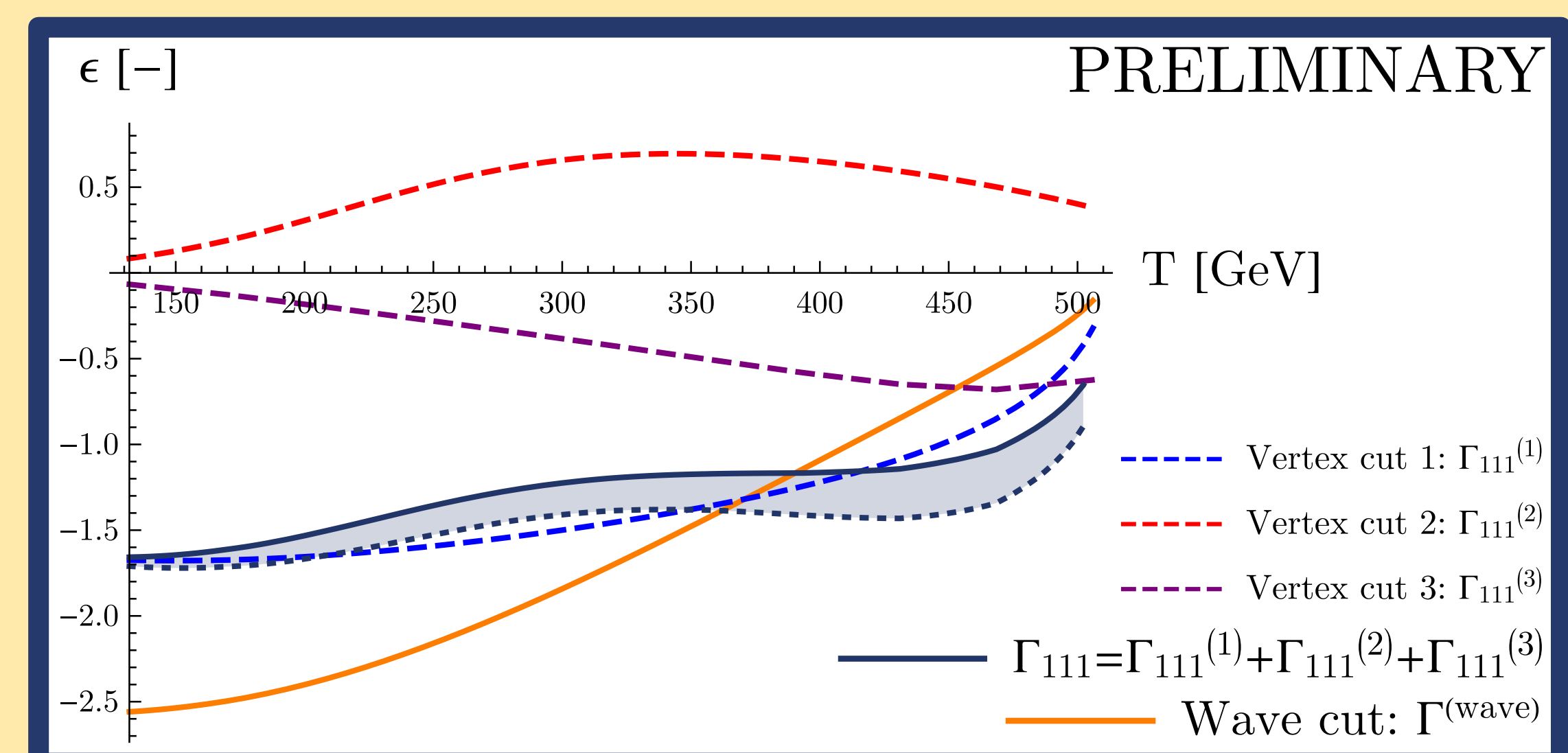


[1] Thermal masses



- At high temperature, i.e. $T > m_i(T=0)$:
 mass = thermal mass + vacuum mass
- Thermal mass: $m_T \sim gT$
- Different decay channels are open depending on T :
 - High T : $H \rightarrow N+L$
 - Intermediate T : *******
 - Low T : $N \rightarrow H+L$

- CP violation at $T=0$ OK
- CP violation needed at $T>0$
- Proportional to imaginary part:
 \rightarrow Use finite T cutting rules [3]
- In total we have 4 cuts:
 - self energy cut (wave)
 - 3 vertex cuts
- All vertex cuts important when $M_N/T = O(1)$
- Must use rotation to find physically meaningful ϵ



Reaction rates

Work in collaboration with Zsolt Szép and Zoltán Trócsányi. Special thanks to Zoltán Péli.

References:

- [1] K. Seller et al., JHEP 04 (2023) 096
- [2] Z. Trócsányi, Symmetry 12 (2020) 1 107
- [3] R. L. Kobes and G. W. Semenoff, Nucl.Phys.B 260 (1985) 714-746.
- [4] G. F. Giudice et al., Nucl.Phys.B 685 (2004) 89-149.

- ΔL generated at $T > T_{sph} \approx 132$ GeV is converted into ΔB
- Baryon-to-photon ratio: $\eta = n_B/n_\gamma = 6.14(19) \cdot 10^{-10}$
- Boltzmann equation gives: $\mathcal{Y}_{\Delta L} = n_B/s \propto \eta$
- Account for all heavy sterile neutrino flavors
- Linearized (in ϵ) Boltzmann equations [4]:

$$sHz \frac{d\mathcal{Y}_{\Delta L}}{dz} \simeq \gamma_D \left[\epsilon \left(\frac{\mathcal{Y}_N}{\mathcal{Y}_N^{eq}} - 1 \right) - \frac{\mathcal{Y}_{\Delta L}}{\mathcal{Y}_l^{eq}} \right] - \frac{\mathcal{Y}_{\Delta L}}{\mathcal{Y}_l^{eq}} \left[2\gamma_{N,s}^{sub.} + 4\gamma_{N,t} + \gamma_{\phi,s} \frac{\mathcal{Y}_N}{\mathcal{Y}_N^{eq}} + 2\gamma_{\phi,t} \right]$$

$$sHz \frac{d\mathcal{Y}_N}{dz} \simeq \left(1 - \frac{\mathcal{Y}_N}{\mathcal{Y}_N^{eq}} \right) (\gamma_\chi + \gamma_D + 2\gamma_{\phi,s} + 4\gamma_{\phi,t})$$

Boltzmann equations

Thermal CP