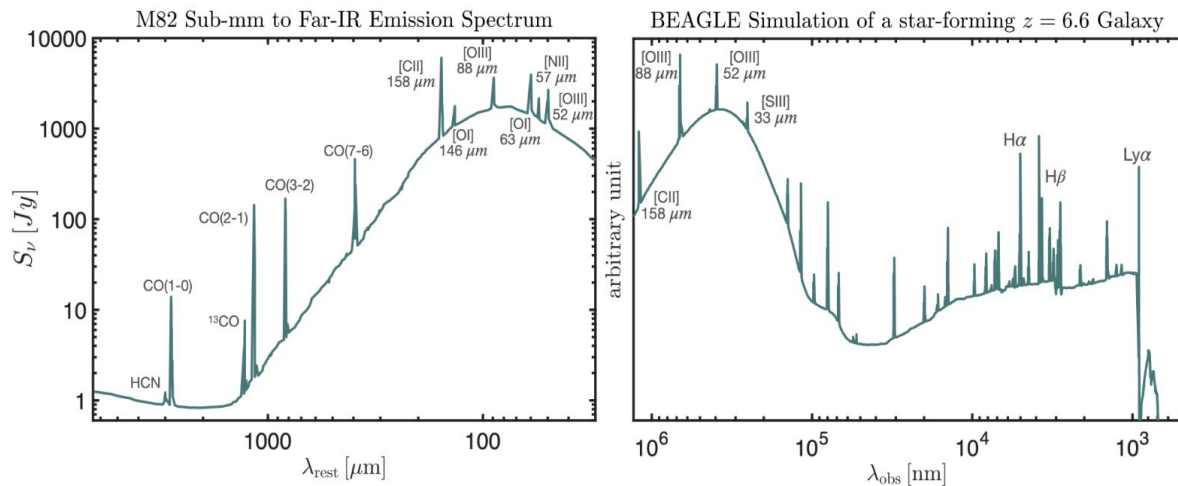


Line-Intensity Mapping for new physics

José Luis Bernal
Instituto de Física de Cantabria

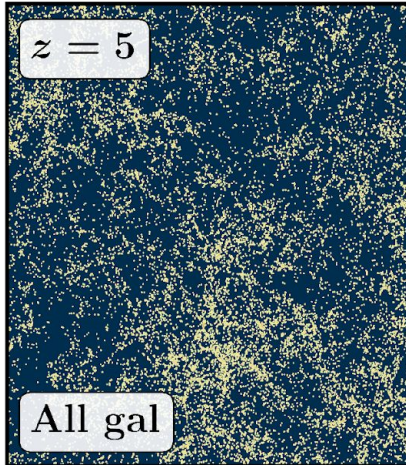
What is Line-Intensity Mapping?

- LIM: use the integrated signal without requiring a detection threshold
- Information from all incoming photons, from all galaxies and IGM along the LoS
- LIM: Target a identifiable spectral line \rightarrow know redshift \rightarrow 3D maps



What is Line-Intensity Mapping?

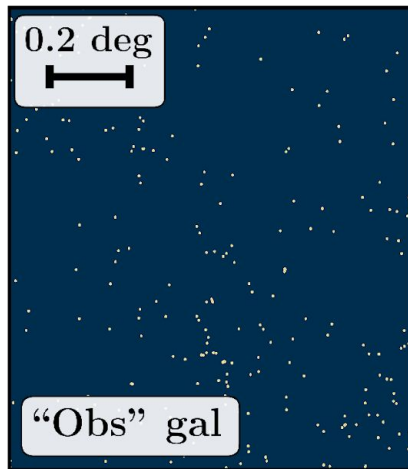
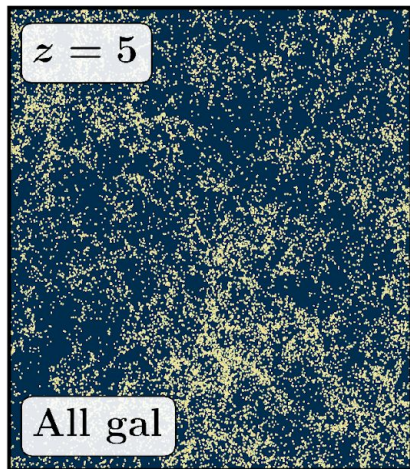
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- 1 deg² at $z = 5, \Delta z = 0.2$
- All haloes

What is Line-Intensity Mapping?

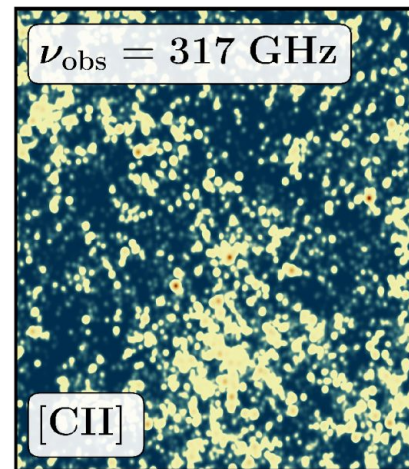
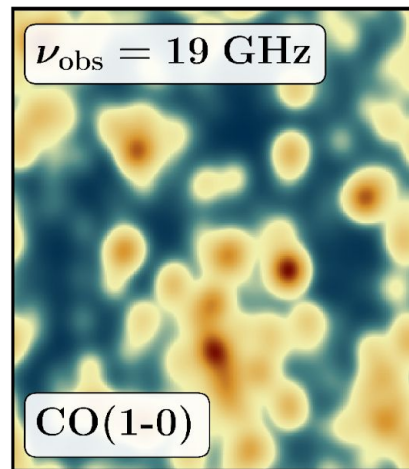
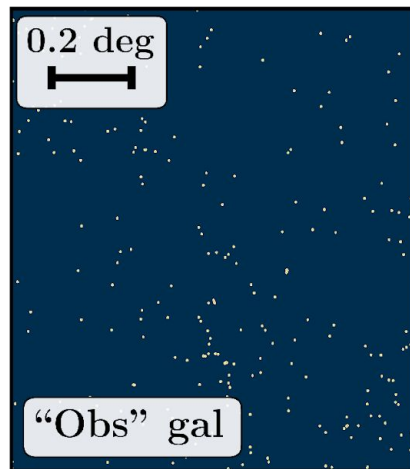
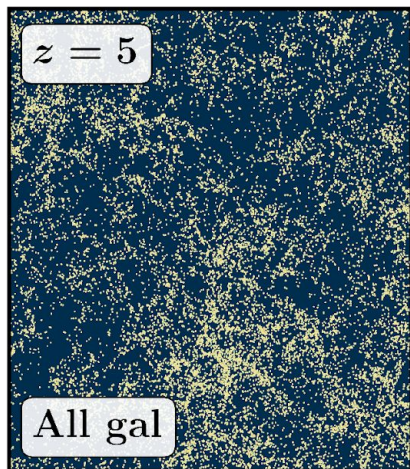
- LIM: use the integrated signal without requiring a detection threshold
- Information from all incoming photons, from all galaxies and IGM along the LoS
- LIM: Target a identifiable spectral line \rightarrow know redshift \rightarrow 3D maps



- 1 deg² at $z = 5, \Delta z = 0.2$
- All haloes
- Only $M_* > 10^{9.5} M_\odot$

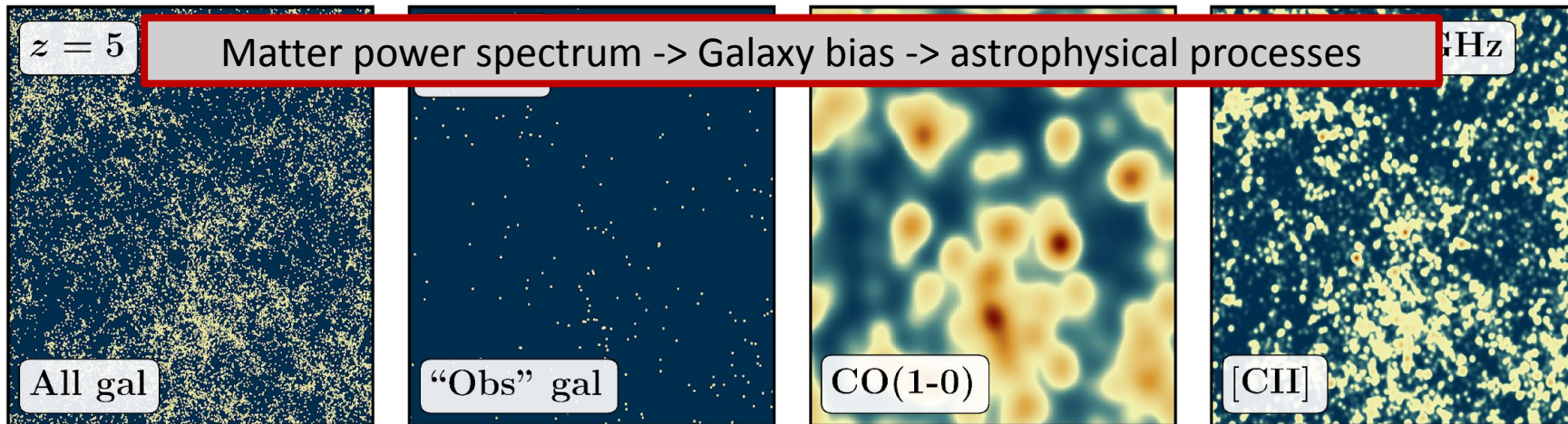
What is Line-Intensity Mapping?

- LIM: use the integrated signal without requiring a detection threshold
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- LIM: Target a identifiable spectral line \rightarrow know redshift \rightarrow 3D maps



What is Line-Intensity Mapping?

- Intensity fluctuations:
 - trace matter density fluctuations
 - Depend on line luminosity -> extragalactic astrophysics
- For cosmology: Noisy map of *all* galaxies and IGM (vs detailed map of brightest)
- For astrophysics: Aggregate of *all* emitters and diffuse emission



What is Line-Intensity Mapping?

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- For astrophysics: Aggregate of *all* emitters and diffuse emission

Matter power spectrum -> Galaxy bias -> astrophysical processes

Three main features that make LIM unique:

1. Capture faint and diffuse sources
2. Access beyond the reach of galaxy surveys
3. Quickly map large three-dimensional volumes

New physics from:
changing $P(k)$,
 dn/dL [dndM+affecting astro],
new signals, ultra-large scales

*21cm from Cosmic Dawn + Reionization

Information return from line-intensity maps

- LIM fluctuations trace matter: cosmology, but degenerate with astrophysics $T_i \propto L(M_i, \Theta_i)$

$$\delta T \sim \langle Tb \rangle \delta_m \implies P_{TT} = \langle \delta T \delta T^* \rangle \sim \langle Tb \rangle^2 P_m + X_{LT}(z)^2 \int dL \frac{dn}{dL} L^2$$

- Limitations:
 - Intensity maps are *highly* non-Gaussian: lots of information beyond P(k)
 - P(k) only depends on the 1st and 2nd [sic] moments of the luminosity function
 - P(k) mostly relevant for cosmology, degenerate with astro, but incapable to constrain it
- VID: 1pt distribution of intensities, proxy for the full luminosity function

$$\mathcal{P}(T) = \sum_{N=0}^{\infty} \mathcal{P}_N(T) \mathcal{P}(N) \propto \left(\underbrace{\Phi * \Phi * \dots * \Phi}_{N} \right) (T) \quad \text{Breysse+(2016, 2017)}$$

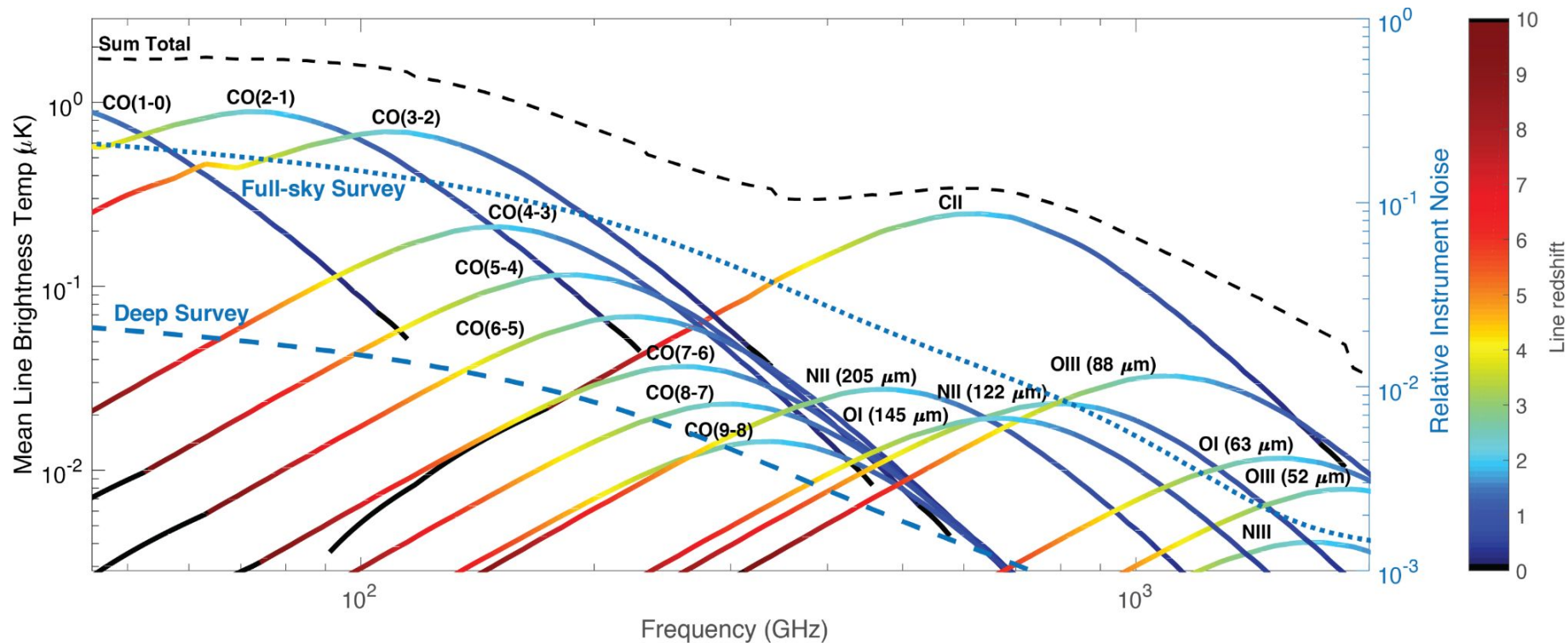
P(k): best for cosmo, integrals of luminosity functions

VID: best for astro, integrals of clustering

Contamination of intensity maps

- Continuous foregrounds (loss of long line-of-sight modes):
 - Uncorrelated: Galactic or CIB
 - Component separation [Cunnington+ \(2023\)](#), [Carucci+ \(2023\)](#), [van Cuyk+ \(2023\)](#)
 - Foreground wedge [Pofer \(2014\)](#)
 - Correlated: CIB
 - Combine with galaxy surveys [Switzer+ \(2015\)](#), [Switzer \(2017\)](#), [Switzer+ \(2018\)](#)
 - Neural networks [Pfeffer+ \(2019\)](#), [Moriwaki+ \(2021\)](#)

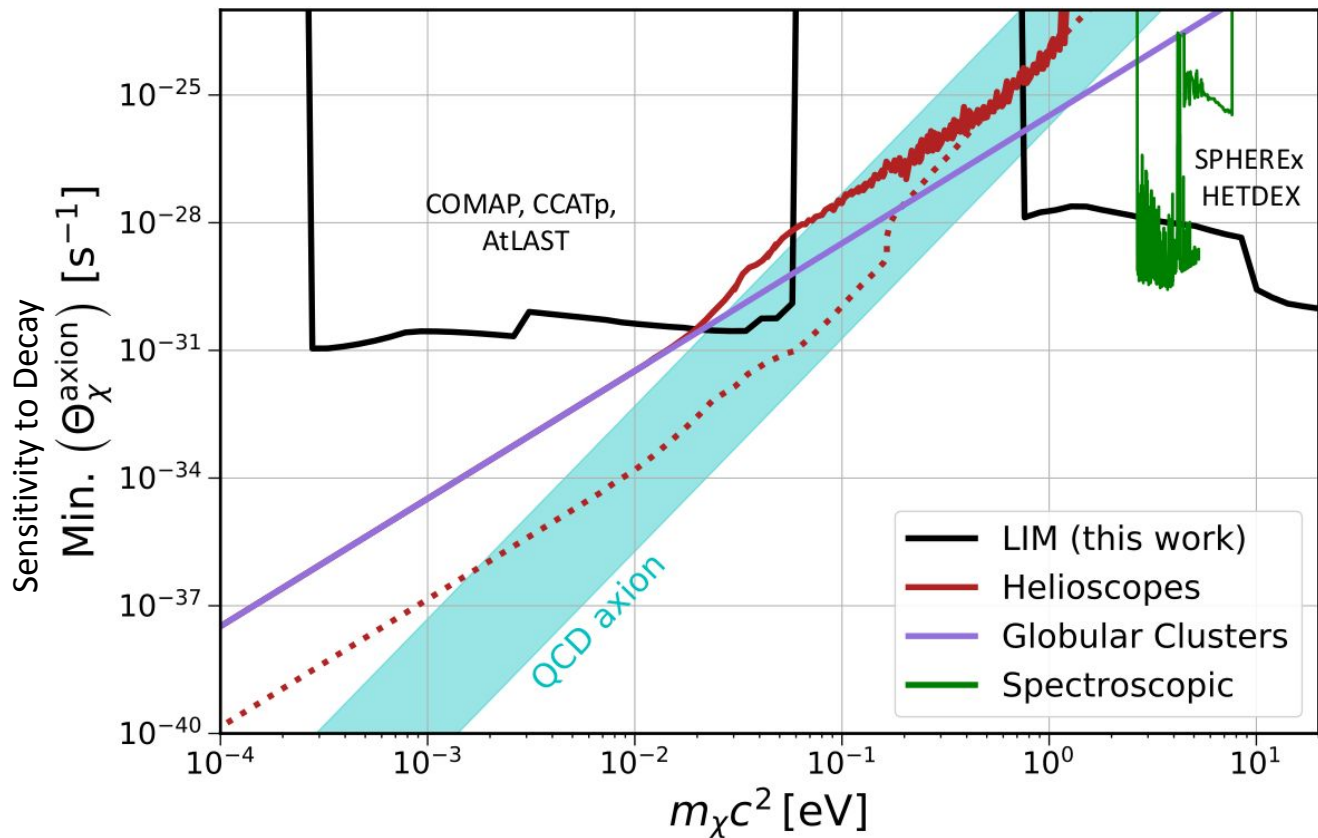
Line interlopers



Contamination of intensity maps

- Continuous foregrounds (loss of long line-of-sight modes):
 - Uncorrelated: Galactic or CIB
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 - Correlated: CIB
 - Combine with galaxy surveys [Switzer+ \(2015\)](#), [Switzer \(2017\)](#), [Switzer+ \(2018\)](#)
 - Neural networks [Pfeffer+ \(2019\)](#), [Moriwaki+ \(2021\)](#)
- Line interlopers (redshift and signal confusion):
 - Masking: targeted or blind [Breyse+ \(2015\)](#), [Sun+ \(2018\)](#), [van Cuyk+ \(2023\)](#)
 - Model them: projection effects [Lidz & Taylor \(2016\)](#), [Sun+ \(2018\)](#), [Gong+ \(2020\)](#)
 - Spectral templates: de-project at pixel level [Cheng+\(2020\)](#)
 - Nulling interlopers: similar to CMB lensing nulling [Bernal & Baleato-Lizancos \(in prep\)](#)
 - Exotic unknown signals!! DM and/or neutrino decay
 - [Creque-Sarbinowski & Kamionkowski \(2018\)](#), [Bernal+ \(2021\)](#), [Nishikawa \(2021\)](#), [Bernal+ \(2022\)](#)

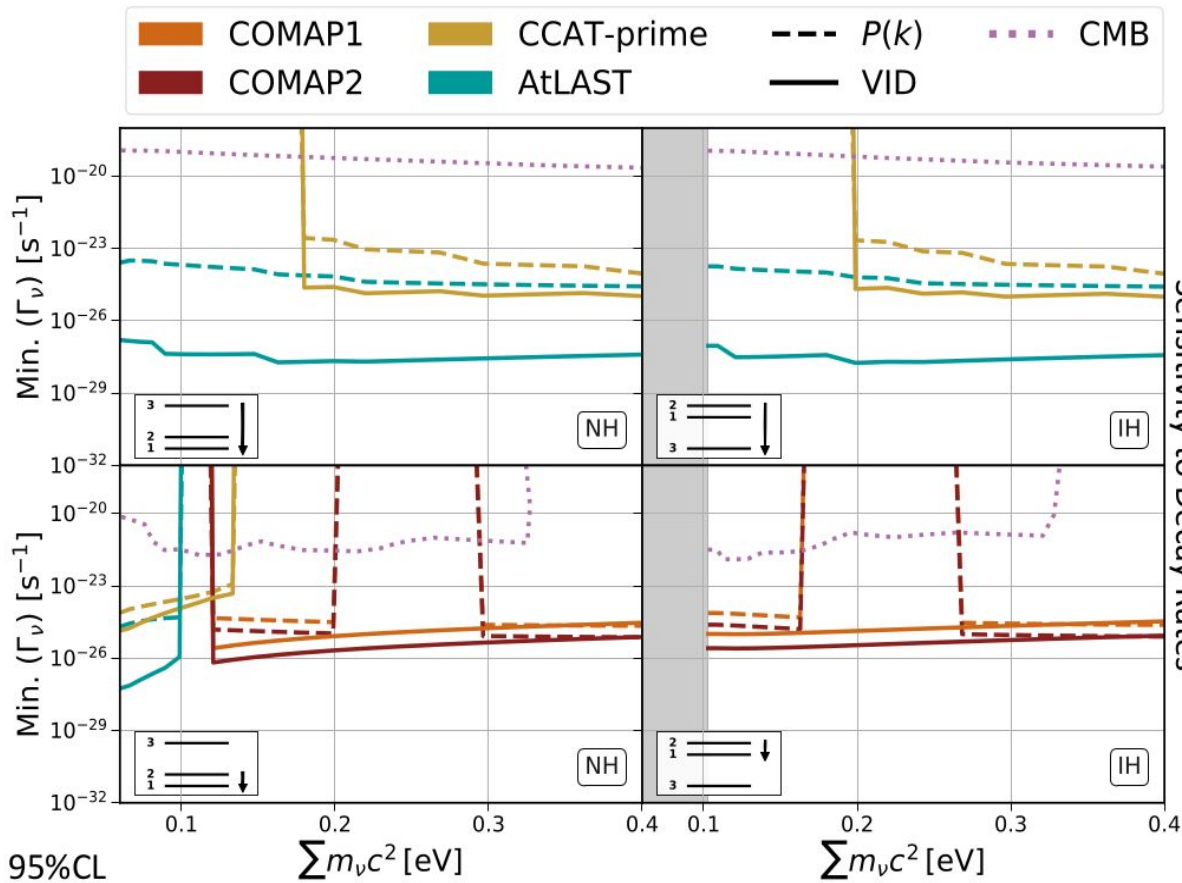
Sensitivity in axion context



95%C

L

Sensitivities to neutrino decay



$$\Gamma_{ij} \sim 10^{-28} - 10^{-25} s^{-1}$$

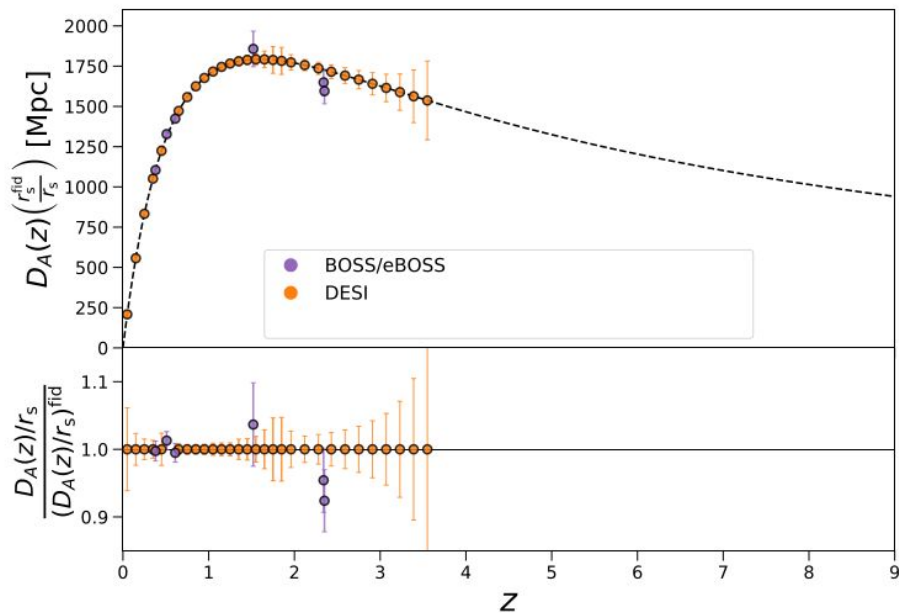
↓ Effective transition moment

$$\mu_{ij}^{eff} \sim 10^{-12} - 10^{-8} \left(\frac{m_i c^2}{0.1 \text{ eV}} \right)^{1.5} \mu_B$$

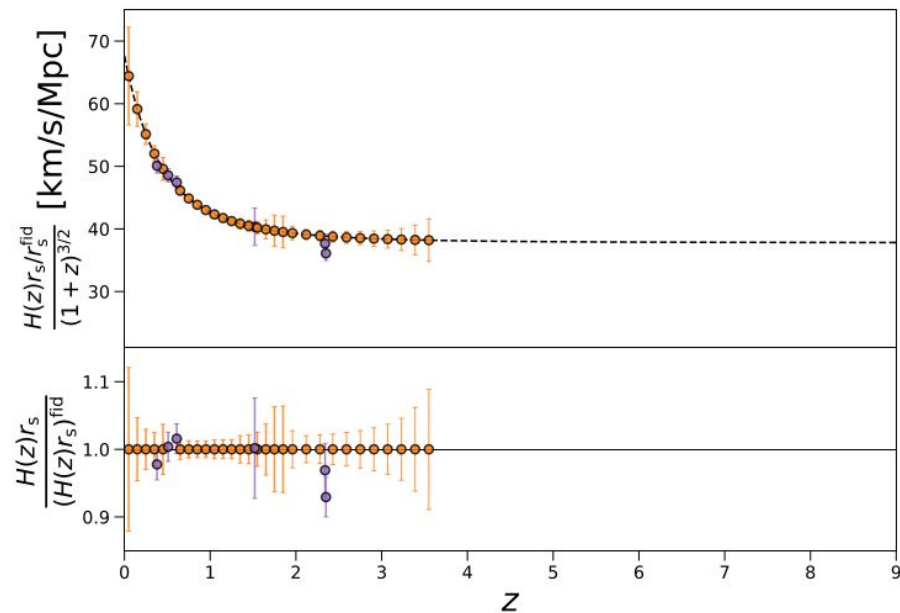
- CMB forecast: $3 \times 10^{-11} - 10^{-8} \mu_B$
- Borexino: $< 2.8 \times 10^{-11} \mu_B$
- TRGB: $< 4.5 \times 10^{-12} \mu_B$

LIM BAO

Angular diameter distance



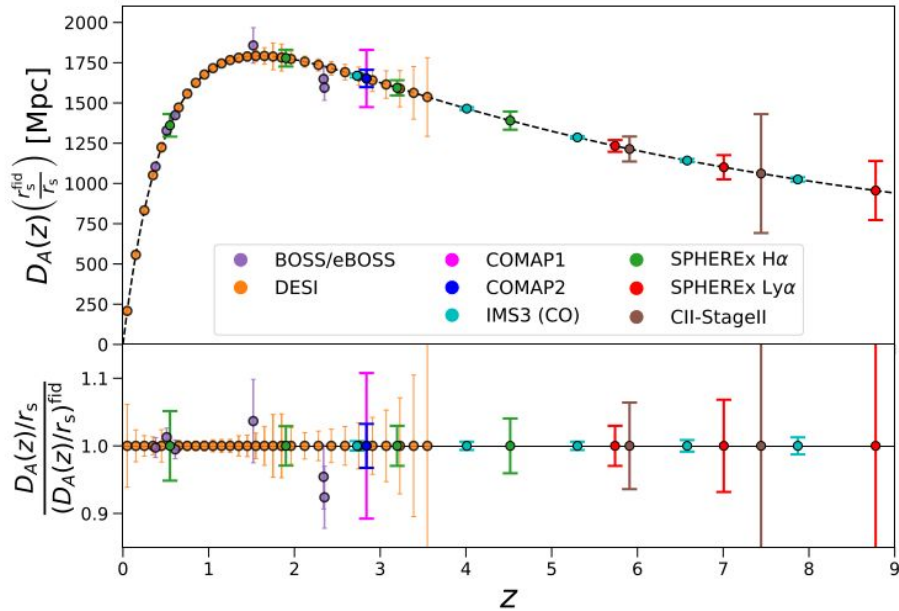
Hubble parameter



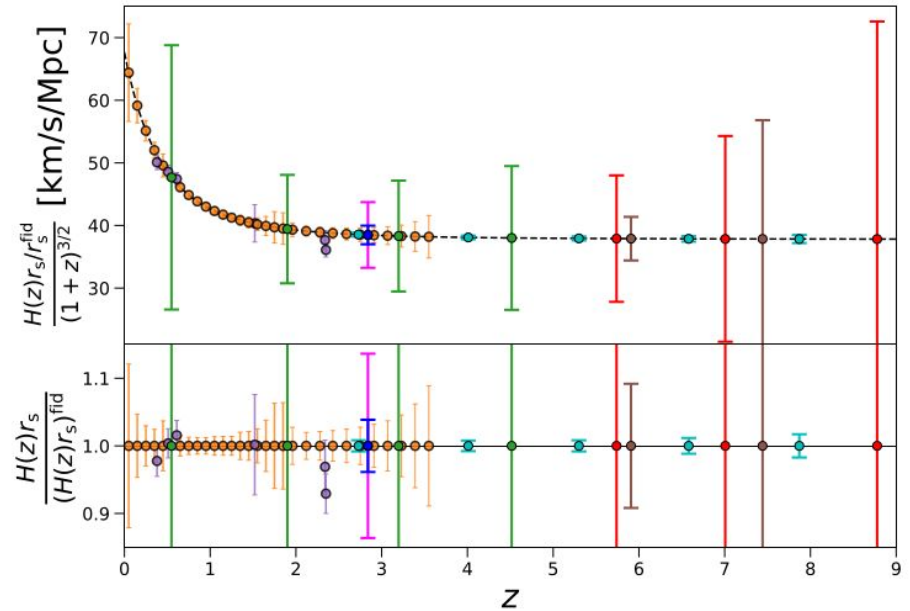
Current and coming constraints using galaxy surveys

LIM BAO

Angular diameter distance



Hubble parameter

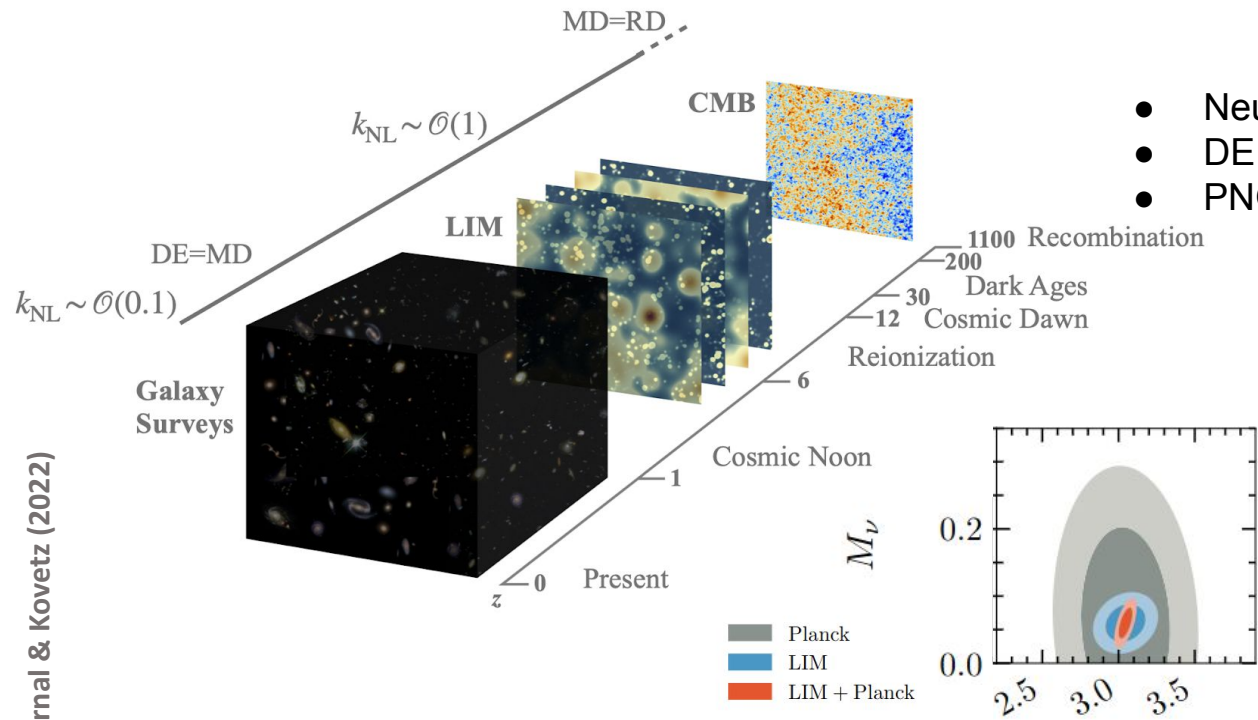


Add VAO at higher redshift
(Muñoz, 2019)

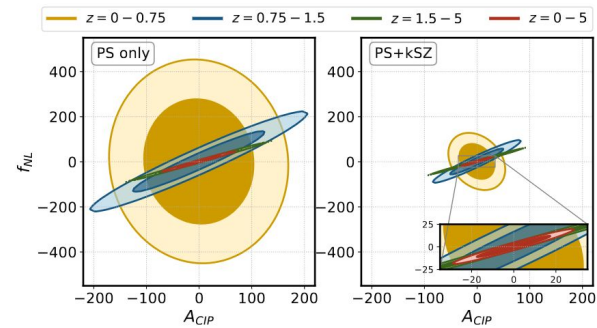
Current and coming constraints using galaxy surveys

+ Star-Formation-related LIM BAO

Tomographic $P(k)$ and big volumes



- Neutrino physics Moradinezhad Dizgah+ (2021)
- DE & MG Moradinezhad Dizgah+ (2023)
- PNG Sato-Polito, Bernal+ (2021), Karkare+ (2022)



Bernal & Kovetz (2022)

Moradinezhad Dizgah+ (2021) N_{eff}

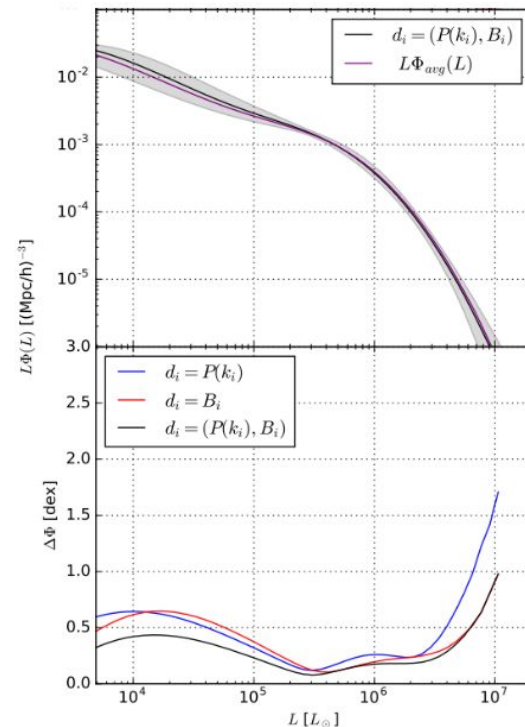
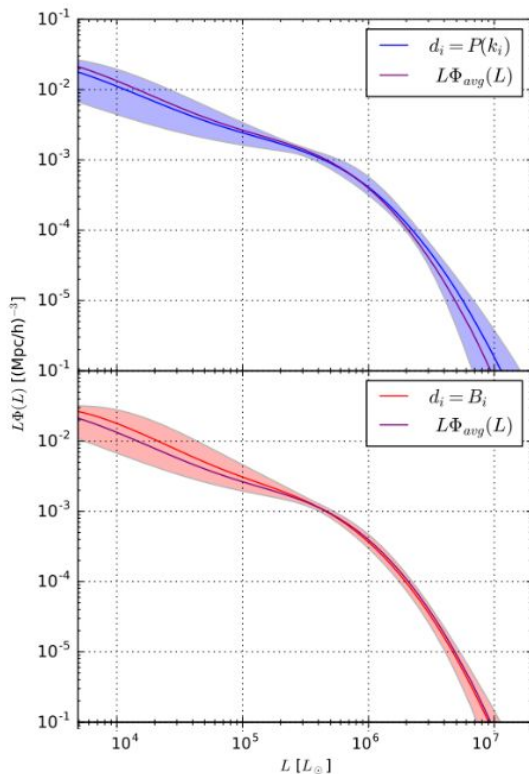
Sato-Polito, Bernal+ (2021)

Combining VID and P(k)

Combination significantly improves constraints on the luminosity function (Ihle+2019)

P(k) - VID covariance proportional to integrated bispectrum (Sato-Polito & Bernal 2022)

Breaks degeneracies between astro & cosmo: improves beyond- Λ CDM sensitivity (Sabra, Bernal+ 2024)



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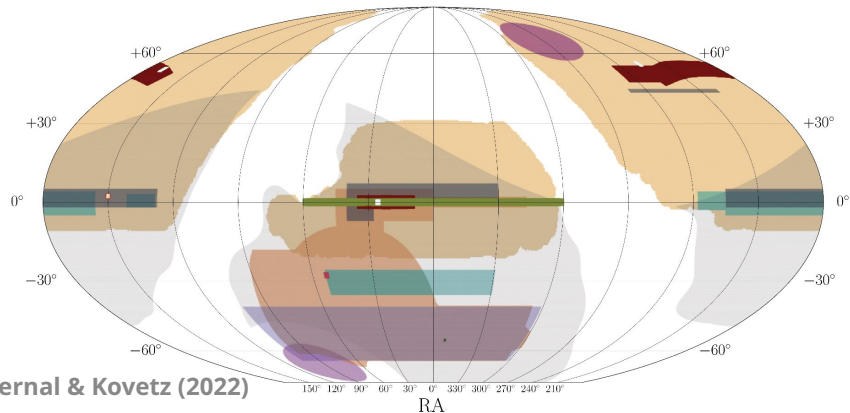
Breaks degeneracies between astro & cosmo: improves beyond-LCDM sensitivity
(Sabla, Bernal+ 2024)

Beyond-LCDM with VID+P(k):
best for models that affect HMF \rightarrow dn/dL
(e.g., n CDM, f_{NL} , ...)
(Bauer+2020)

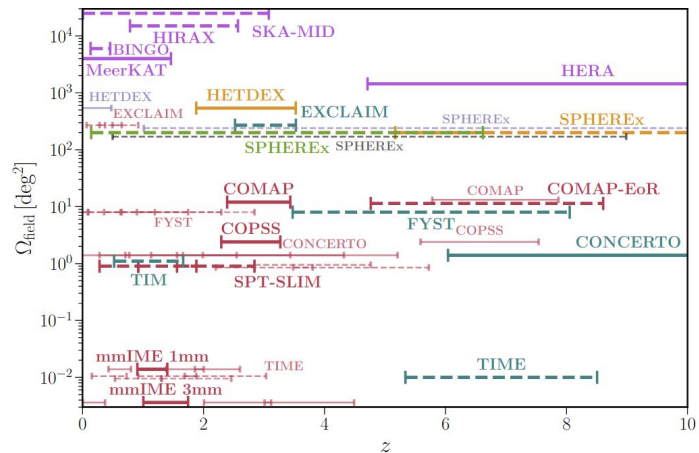
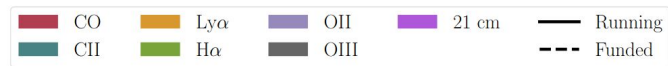
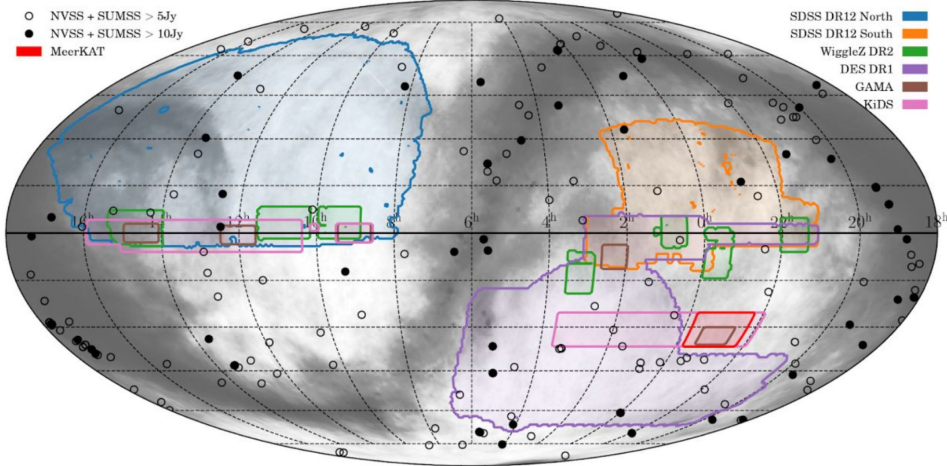
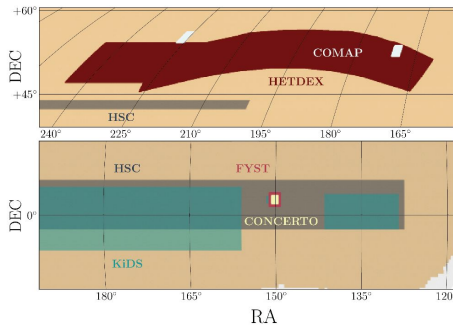
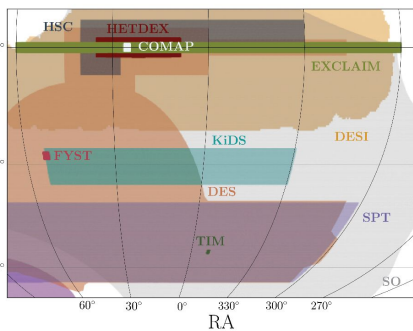
Parameter	Fiducial	COMAP-Y5			COMAP-XL		
		P_0	B_i	$P_0 + B_i$	P_0	B_i	$P_0 + B_i$
k_{cut} [Mpc $^{-1}$]	0.5	± 8.74	± 41.93	± 2.42	± 11.56	± 1.48	± 1.24
n	0.1	± 15.95	± 12.16	± 0.24	± 25.75	± 0.15	± 0.11
Ω_a/Ω_d ($m_a = 10^{-32}$ eV)	0.04	± 0.76	± 0.52	± 0.04	± 0.17	± 0.31	± 0.02
Ω_a/Ω_d ($m_a = 10^{-27}$ eV)	0.04	± 0.19	± 0.18	± 0.02	± 0.09	± 0.07	± 0.01
Ω_a/Ω_d ($m_a = 10^{-24}$ eV)	0.04	± 78.2	± 0.14	± 0.06	± 20.4	± 0.06	± 0.02
f_{NL}	0	± 3140	± 71	± 3.2	± 220	± 14.2	± 0.38

(Sabla, Bernal+ 2024)

Many opportunities



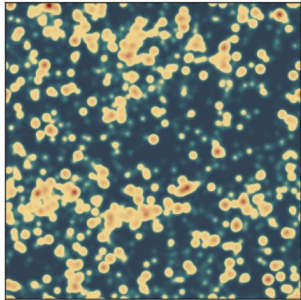
Bernal & Kovetz (2022)



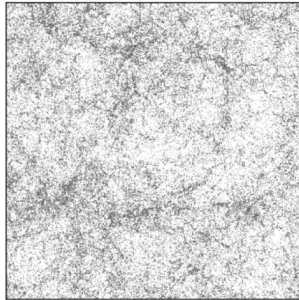
All probes, all cross-correlations

- SkyLine: Mock line observations (almost any line, contaminants, etc), LRGs and ELGs, ...
- Agora: CMB secondaries and galaxy lensing
- Coherent when MDPL2 (and UniverseMachine) used for SkyLine!

LIM



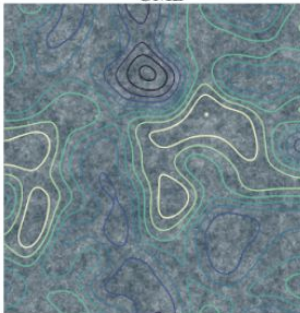
LRGs/ELGs



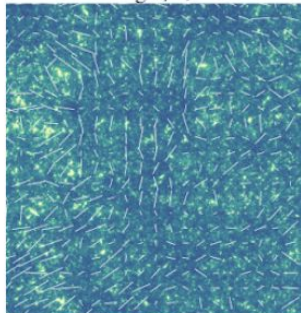
- Opportunities to model and prepare for cross correlations with any probe
- Especially interesting for LIM x LIM, useful for correlations with lensing (project already proposed)

Sato-Polito, Kokron, Bernal (2022)
Omori (2022)

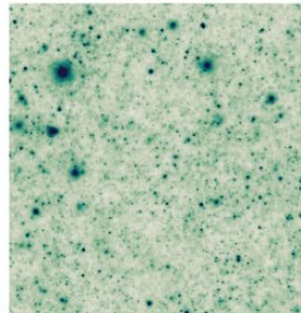
κ_{CMB}



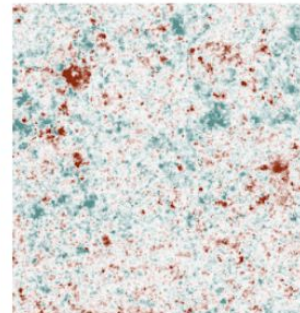
$\kappa_{\text{gal}}/\gamma$



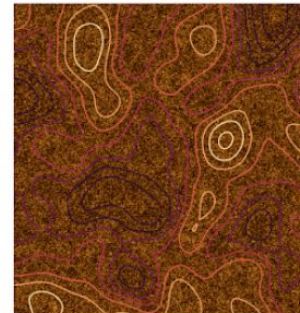
TSZ



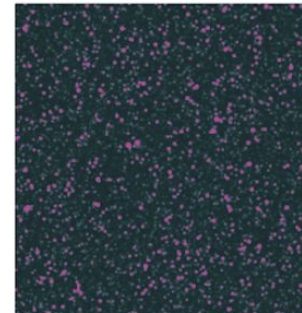
κ_{SZ}



CIB



RADIO

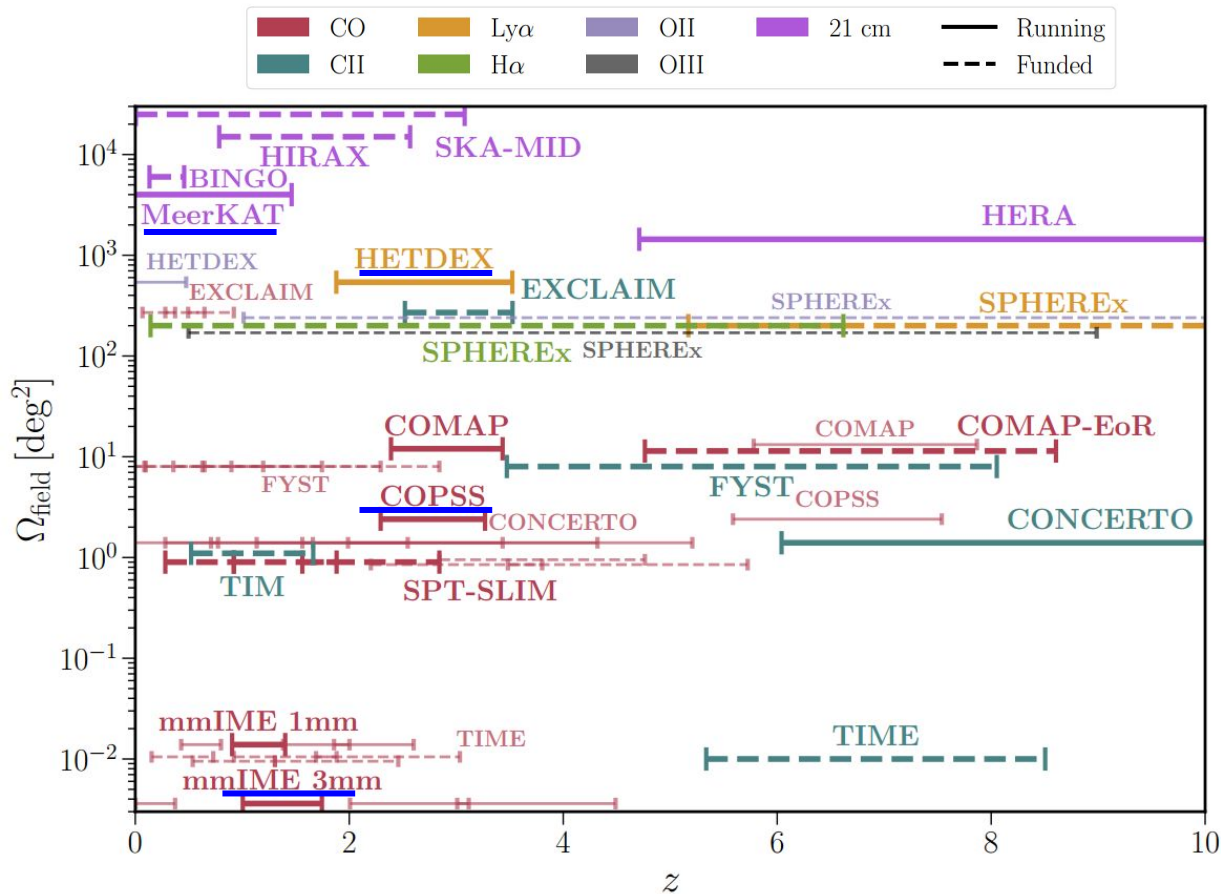


Conclusions

- LIM has the potential to become a key pillar for observational cosmology
 - Capture faint and diffuse sources
 - Access beyond reach of galaxy surveys
 - Quickly map huge volumes
- Challenges
 - Degeneracies with astrophysics (and other observational effects like line broadening)
 - Non linear bias and other non-trivial modeling
 - Foregrounds and contaminants
- Reasons to be optimistic
 - Many pathfinders and experiments observing and funded (and many theory efforts too!)
 - Many (very complementary) summary statistics
 - New information, and checks, through cross correlations
 - Excellent probe for new physics (HMF, energy injection, $P(k)$, new signals, ...)

Back up slides

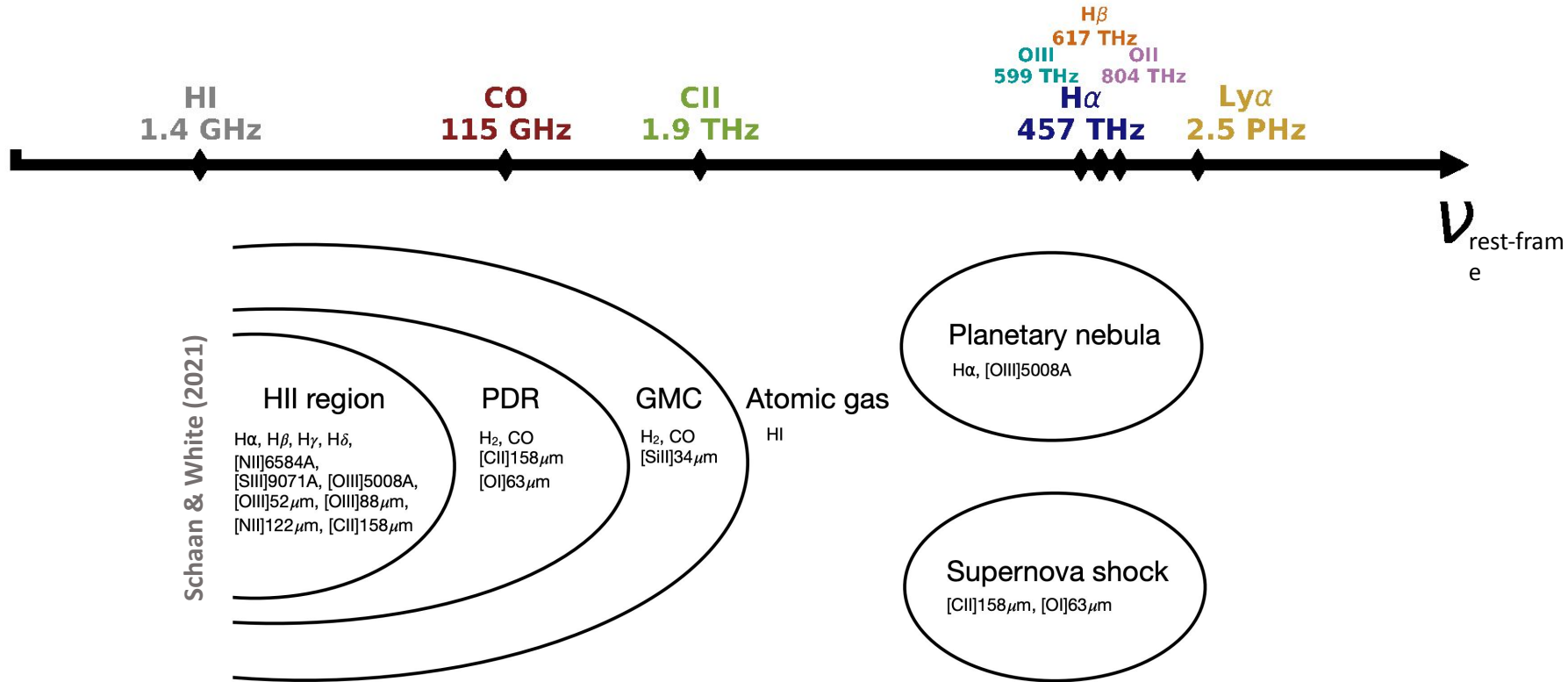
Filling the gaps in cosmic history



- Pathfinder stage
- Intrinsically multitracer
- All kind of astrophysics
- Huge range of freq (syst.)
- Planck x QSOs ([CII]), GBT, ...

(adapted from)
Bernal & Kovetz (2022)

Intrinsically multitracer



$\Phi(L_1, L_2, \dots)$: combine with continuum, and statistically probe all the SED

Using LIM for cosmology

- Focus on the anisotropic power spectrum:

- Alcock-Paczynski effect: $k_{\parallel}^{meas} = k_{\parallel}^{true} \alpha_{\parallel}$; $k_{\perp}^{meas} = k_{\perp}^{true} \alpha_{\perp}$

- Breaking degeneracies: $P(k, \mu, z) = \left(\frac{\langle T \rangle b \sigma_8 + \langle T \rangle f \sigma_8 \mu^2}{1 + 0.5(k\mu\sigma_{FOG})^2} \right)^2 \frac{P_m(k)}{\sigma_8^2} + P_{shot}(z)$

- Include experimental window function: $\tilde{P}(k, \mu, z) = W(k, \mu, z)P(k, \mu, z)$

- Legendre multipoles: up to the hexadecapole! $\alpha_{\parallel}, \alpha_{\perp}, \langle T \rangle f \sigma_8$

BAO cosmology!

$$\tilde{P}_{\ell}(k^{meas}, z) = \frac{H(z)}{H^{fid}(z)} \left(\frac{D_A^{fid}(z)}{D_A(z)} \right)^2 \frac{2\ell + 1}{2} \int_{-1}^1 d\mu^{meas} \tilde{P}(k^{true}, \mu^{true}, z) \mathcal{L}_{\ell}(\mu^{meas})$$

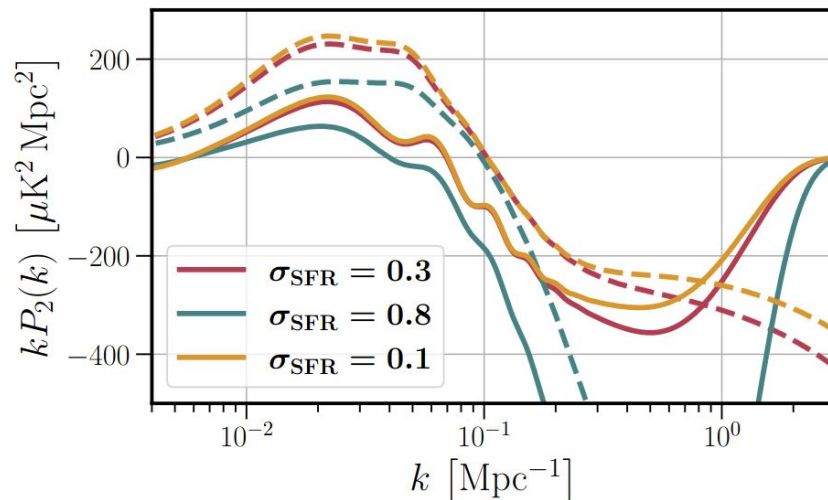
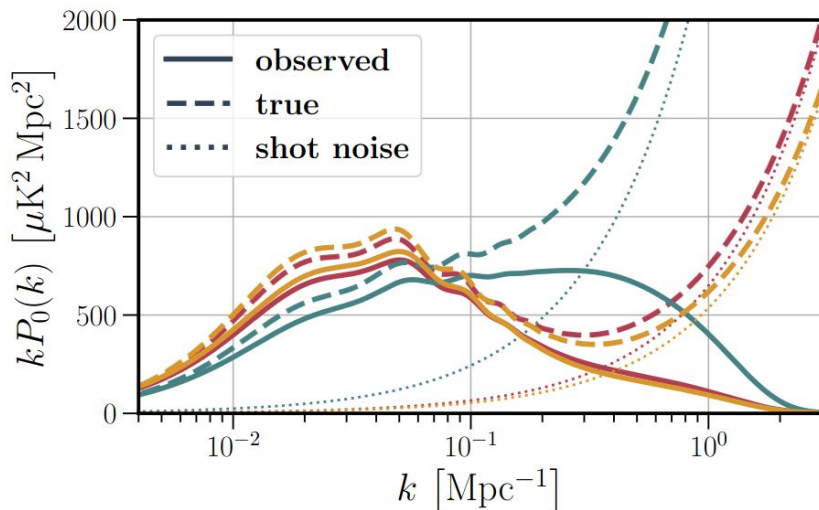
Using LIM for cosmology

Bernal+ (2019a)

- LIM fluctuations trace matter: cosmology, but degenerate with astrophysics $T_i \propto L(M_i, \Theta_i)$

$$\delta T \sim \langle Tb \rangle \delta_m \implies P_{TT} = \langle \delta T \delta T^* \rangle \sim \langle Tb \rangle^2 P_m + X_{LT}(z)^2 \int dL \frac{dn}{dL} L^2$$

- Careful with interpretation of shot noise!!



SkyLine

- Coherent multi-line, multi-probe simulated sky
- Mock map for a given experiment with *all* contributions, coherent with other probe

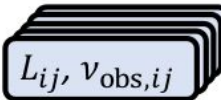
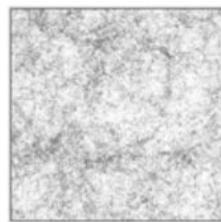
MDPL2 + UniverseMachine*
lightcone

Halo positions
($RA_i, DEC_i, z_i, \delta z_i$)

Astro properties
($M_i, M_{*,i}, SFR_i$)

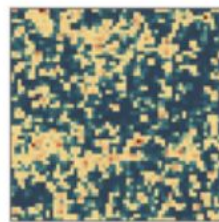
$L_{IR,i}$ $L_{UV,i}$
 $L(SFR) \& IRX$

Line models



$\phi_j, L_j(M)$

Mass assignment
at z_{obs}

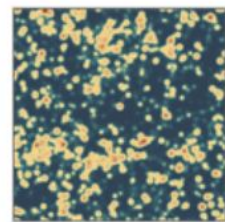


PySM

Smoothing
+ sum of
contributions

I_{noise}^{vox}

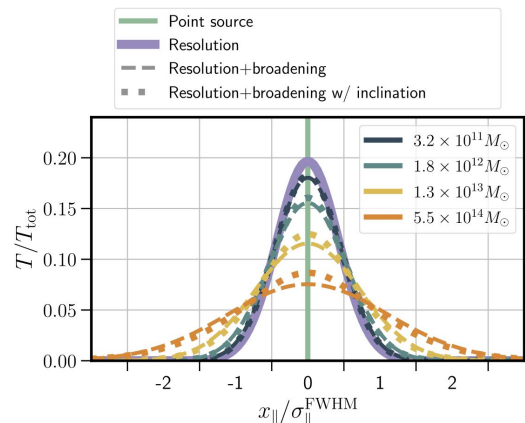
Total map



I_{tot}^{vox}

$P(k), B_l, C_\ell$

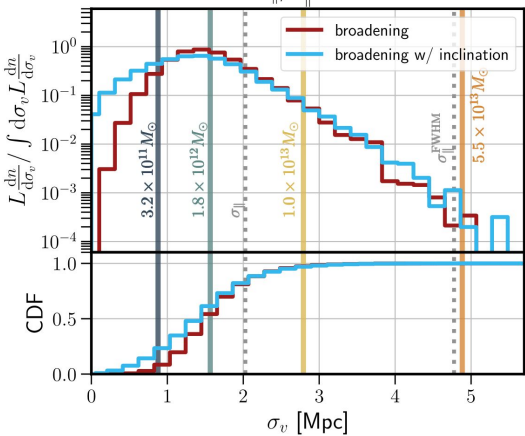
VID: extended contribution



Experimental resolution + line broadening:
a emitter contributes to more than 1 voxel

$$T(\mathbf{x}) \propto \sum_s \frac{dL_s}{d\mathbf{x}}(\mathbf{x}|\vartheta_s)$$

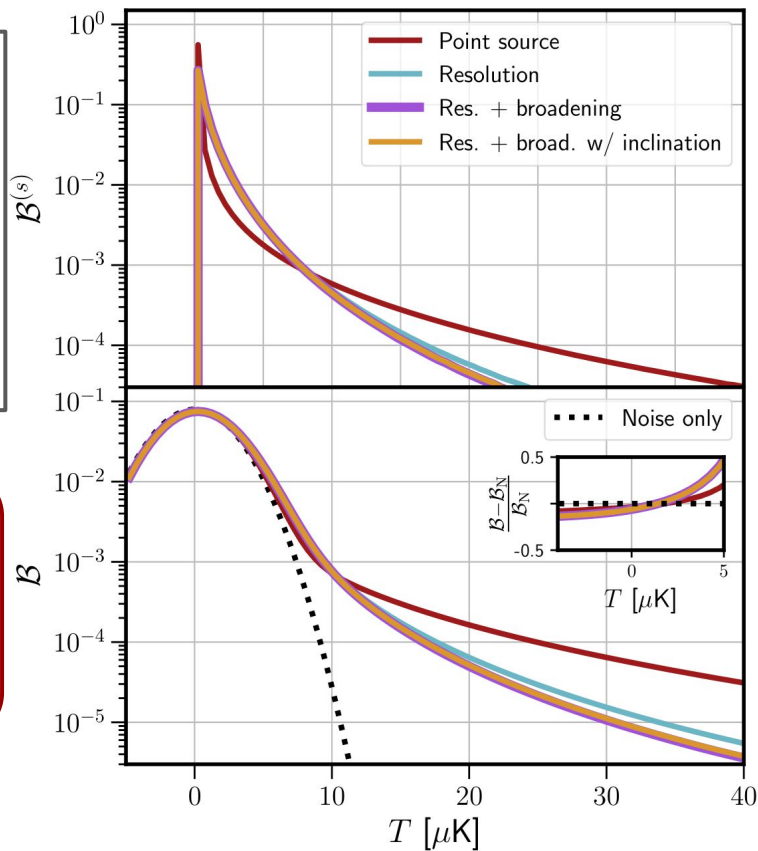
$\mathcal{P}_1 \sim$ Ergodic hypothesis



Big case-dependent effect:
critical for VID but also for any 1-point statistic (CVID, DDE, etc)

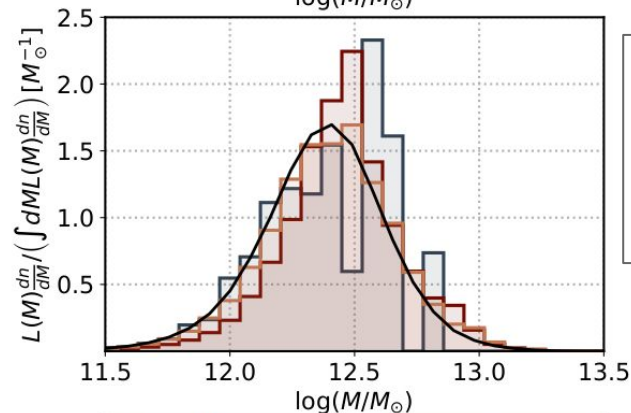
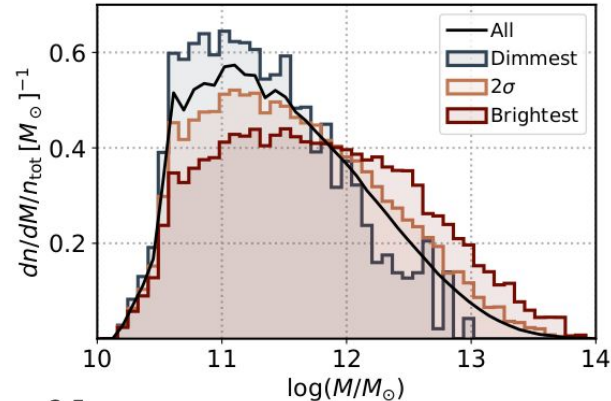
Effect agrees with simulations

Bernal (2023)

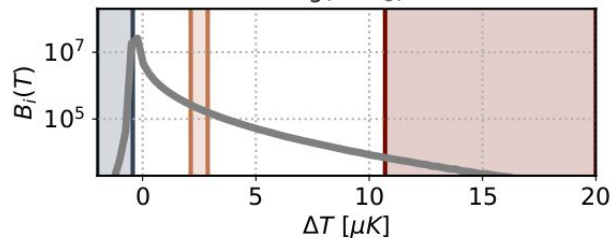


Which halos probed by LIM?

- We can use the maps to study if LIM is actually sensitive to faint emitters (which halos dominate the temperature of each voxel?)
- Many faint halos or few bright ones?
- Dimmest voxels dominated by light halos, more massive halos more common in brightest voxels
- Luminosity weighted distribution is *very* similar



CO(1 \rightarrow 0), z \sim 3



Using LIM for local PNG: P(k)

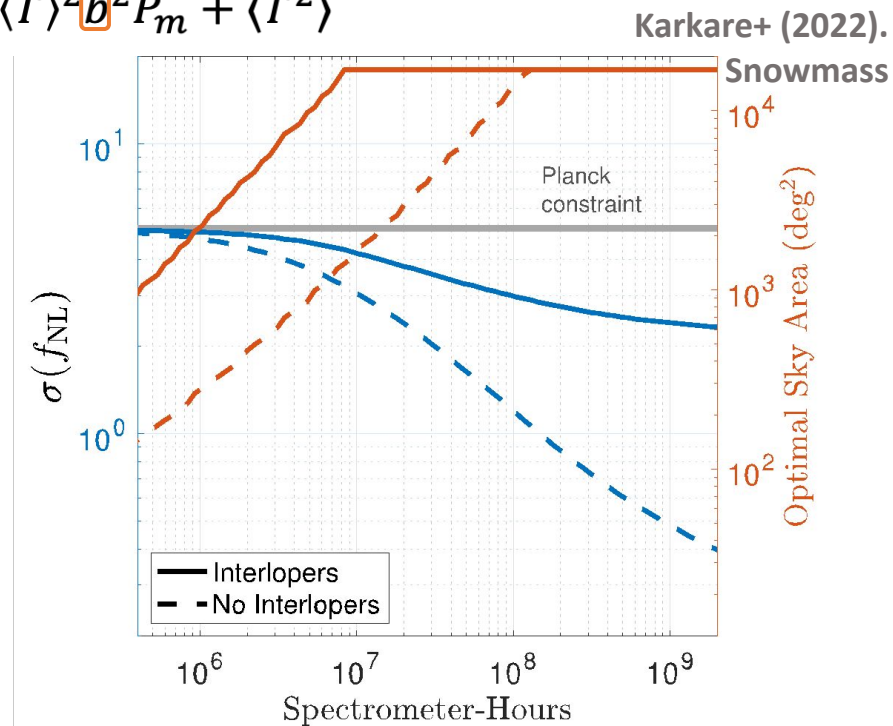
- Intensity traces density: cosmological information degenerate with astrophysics

$$\delta T \sim \langle T \rangle b \delta_m \Rightarrow P_{TT} \sim \langle T \rangle^2 b^2 P_m + \langle T^2 \rangle$$

- Assumes:

- Observations in 80-310 GHz
- R = 300
- Noise from interlopers
- Excellent observing sites (only instrument noise)
- Autopower spectrum: get to improve with x-corr.
- Optimal sky coverage

- See also Bernal+(2019), Moradinezhad Dizgah+(2018, 2019), Liu & Breyse (2021), Chen & Pullen (2022), ...



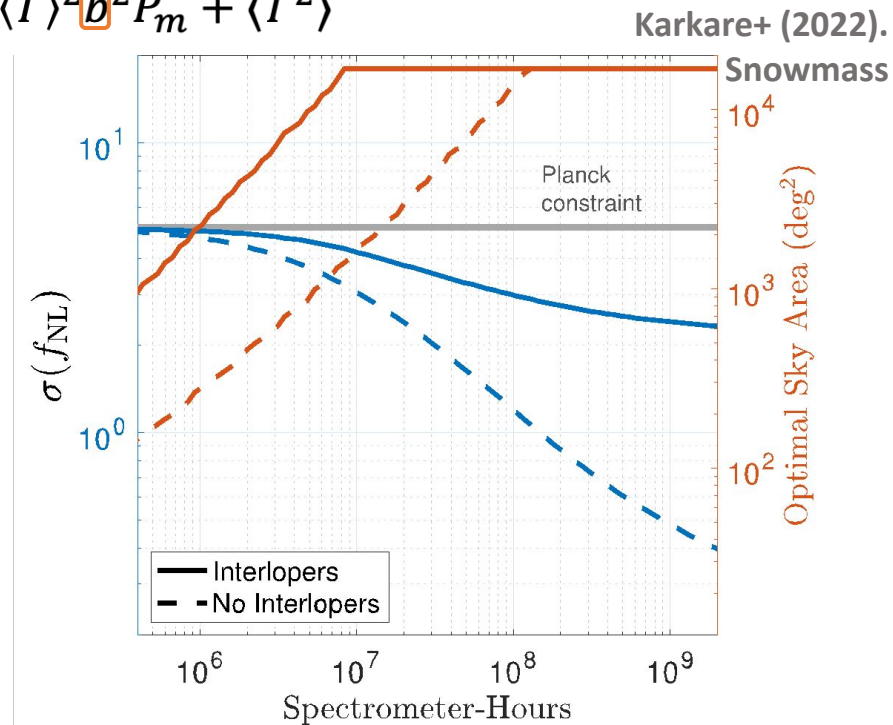
Using LIM for local PNG: P(k)

- Intensity traces density: cosmological information degenerate with astrophysics

$$\delta T \sim \langle T \rangle b \delta_m \Rightarrow P_{TT} \sim \langle T \rangle^2 b^2 P_m + \langle T^2 \rangle$$

- Limitations:

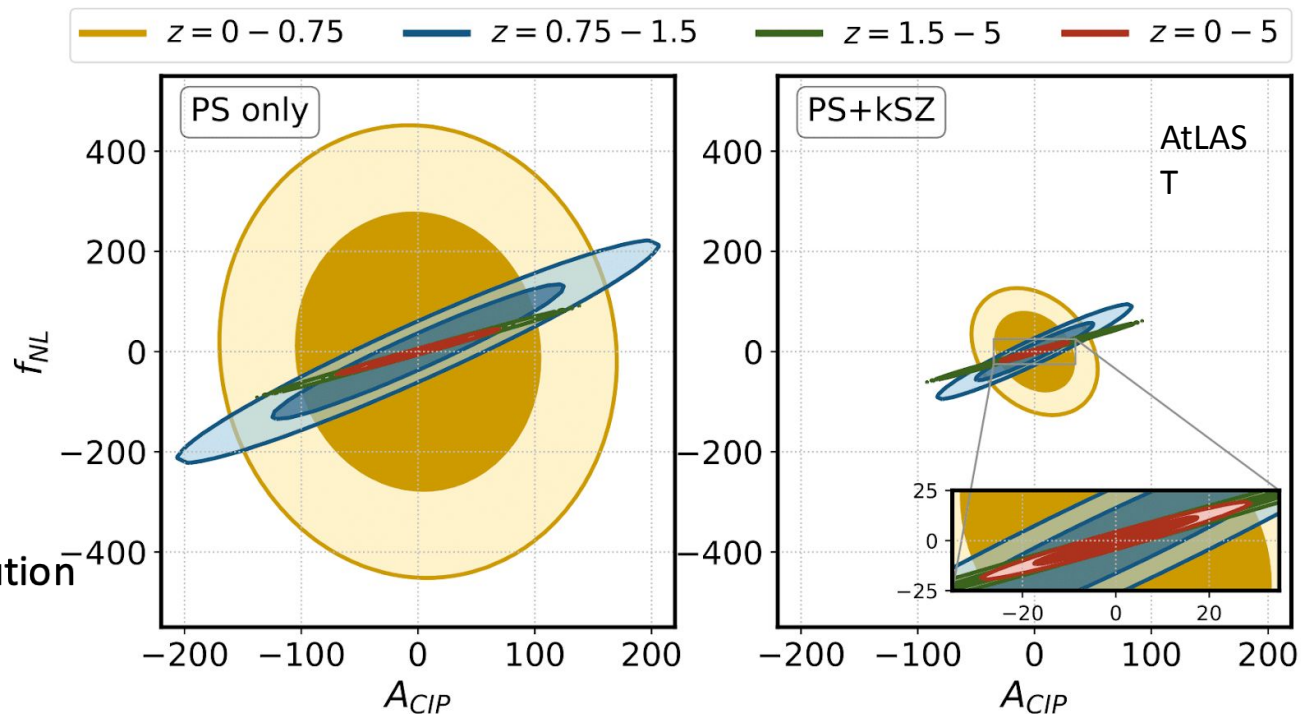
- Intensity maps are highly non-Gaussian: lots of information beyond P(k)
- More challenges for PNG from B(k)
- P(k) only depends on 1st and 2nd moments of the luminosity functions
- P(k) mostly relevant for cosmology, but degenerate with some astro



Using LIM for local PNG: kSZ tomography

- $\langle T\delta\delta \rangle$: LIM as tracer of LSS
- v_r reconstruction
- multitracer LIM x velocity
- Higher z (bigger volume)

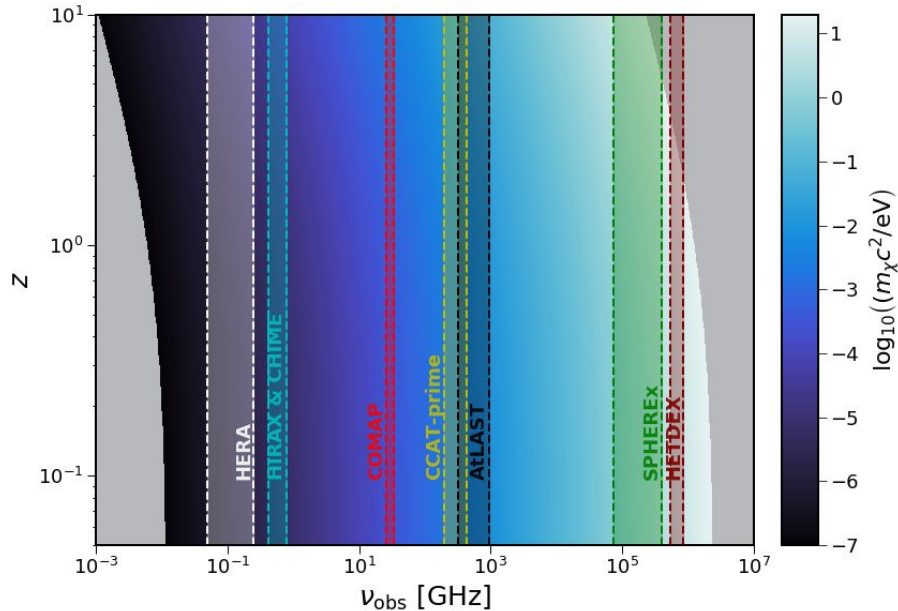
- Degeneracy with CIPs broken due to different z -evolution



Sato-Polito, Bernal+ (2021)

DM & Neutrinos

- Dark Matter:
 - Vast variety of candidates with rich phenomenology
 - Weak coupling with baryons: decaying dark matter (axion, sterile neutrinos, ...)
 - Decays trace directly the matter distribution



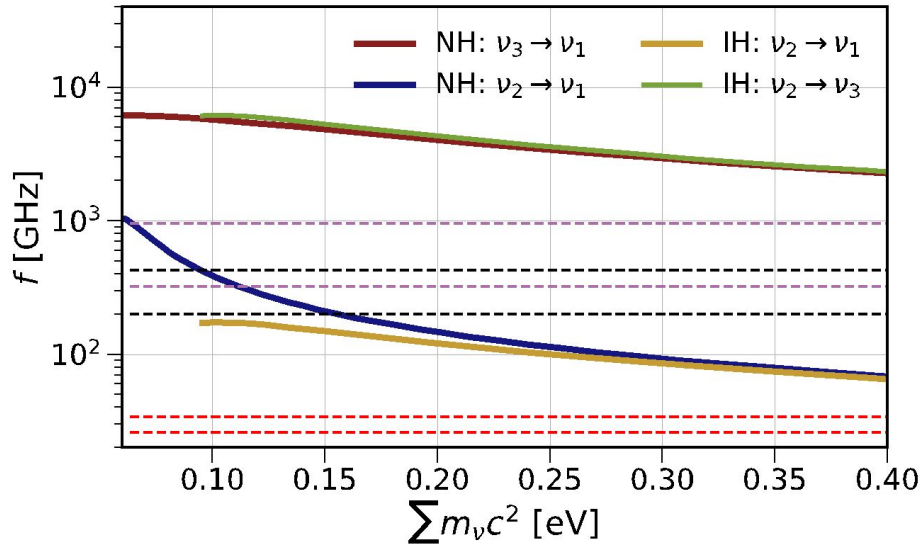
$$\chi \rightarrow \gamma + \gamma$$

$$v_\gamma = m_\chi c^2 / 2h_P$$

DM & Neutrinos

- Neutrinos:

- Controlled by the electromagnetic transition moments
- SM prediction of neutrino lifetime: $\tau_\nu \sim 10^{40-50} \text{ s } (\gg t_U)$
- BSM physics may enhance transition moments: detection \rightarrow BSM physics!
- Traces directly the cosmic neutrino density field

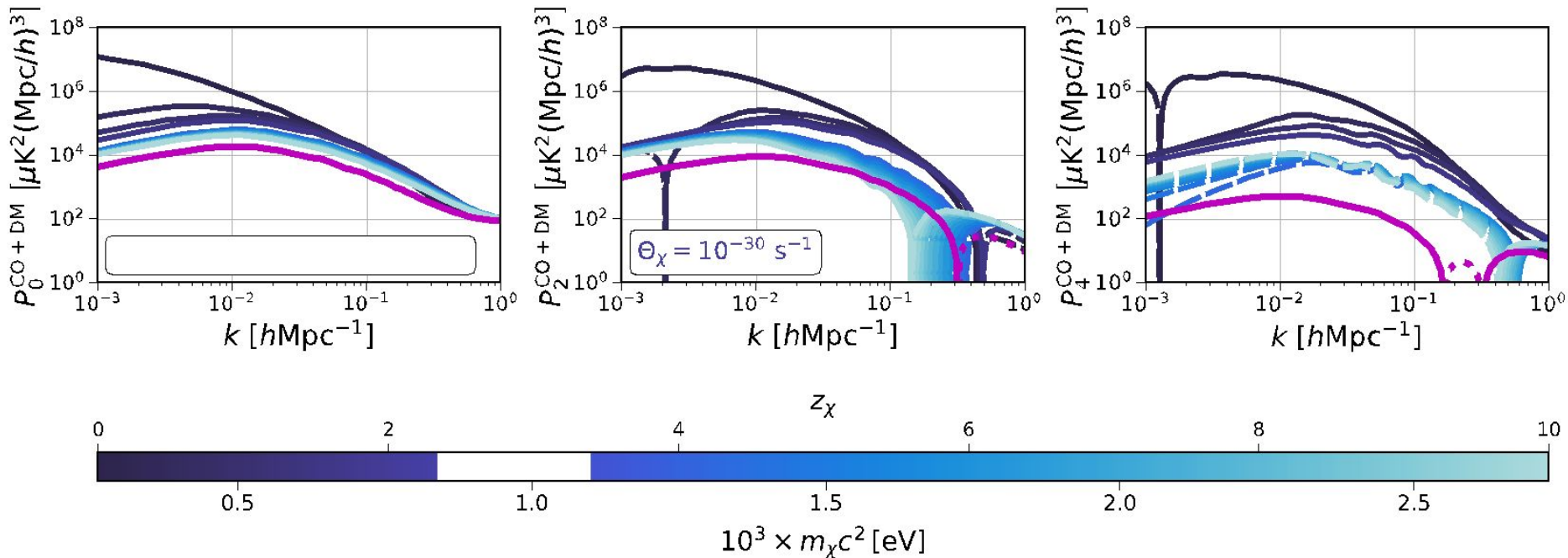


$$\nu_i \rightarrow \nu_j + \gamma$$

$$f_{ij} = (m_i^2 - m_j^2)c^2 / 2h_P m_i$$

Effect in power spectrum

$\bullet P_{tot} = P_l + P_X;$
 $k_i^{true} \equiv k_i^{infer} / q_i$
 $q_{\parallel} = \frac{(1+z_X)/H(z_X)}{(1+z_l)/H(z_l)}$
 $q_{\perp} = \frac{D_M(z_X)}{D_M(z_l)}$



Effect in VID

- Each voxel receives contributions from both emissions:

$$T_{tot} = T_l + T_{noise}$$

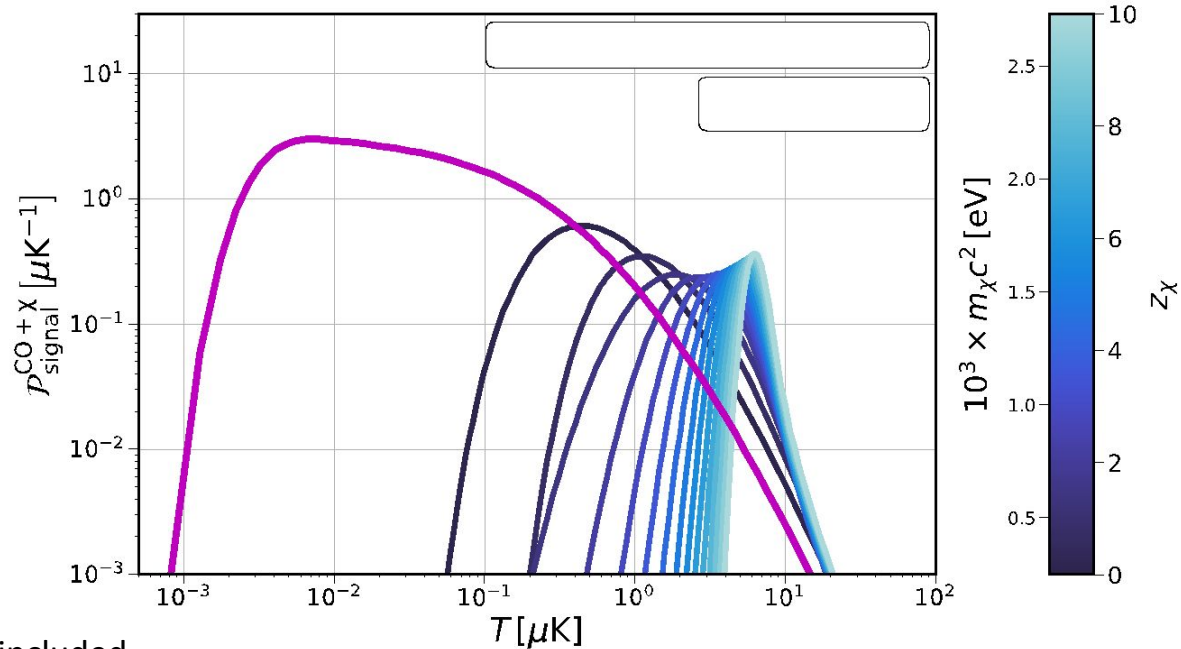
$$\mathcal{P}_{tot+X}(T) = ((\mathcal{P}_l * \mathcal{P}_X) * \mathcal{P}_{noise})(T); \quad \mathcal{P}_X = \mathcal{P}_{\tilde{\rho}} / \langle T_X \rangle$$

- $\mathcal{P}_{\tilde{\rho}}$: PDF of normalized densities. Obtained from simulations
- We provide the first analytic fit to $\mathcal{P}_{\tilde{\rho}_v}$, using Quijote simulations and symbolic regression

Effect in VID

- Each voxel receives contributions from both emissions:

$$\mathcal{P}_{tot+\chi}(T) = \left((\mathcal{P}_l * \mathcal{P}_\chi) * \mathcal{P}_{noise} \right) (T); \quad \mathcal{P}_\chi = \mathcal{P}_{\tilde{\rho}} / \langle T_\chi \rangle$$



Combining VID and P(k)

Correlation coefficient

$$c_{ij} = \frac{\text{Cov}[\mathcal{B}_i, P(k_j)]}{\sigma_{\mathcal{B}_i} \sigma_{P(k_j)}}$$

- Analytic covariance computed using:
 $\mathcal{P}(I) \rightarrow \mathcal{P}(I, \delta(\mathbf{x}))$
- Proportional to collapsed bispectrum
- Example for COMAP Y5: CO(1-0), $z \sim 2.4$
- Definitely important to take into account very soon

