

# Pulsar and neutron star probes of Dark Matter

Enrico Barausse (SISSA, Trieste, Italy)

35th Rencontres de Blois, October 21-25, 2024



Compact-object  
~~Pulsar and neutron star~~  
probes of Dark Matter

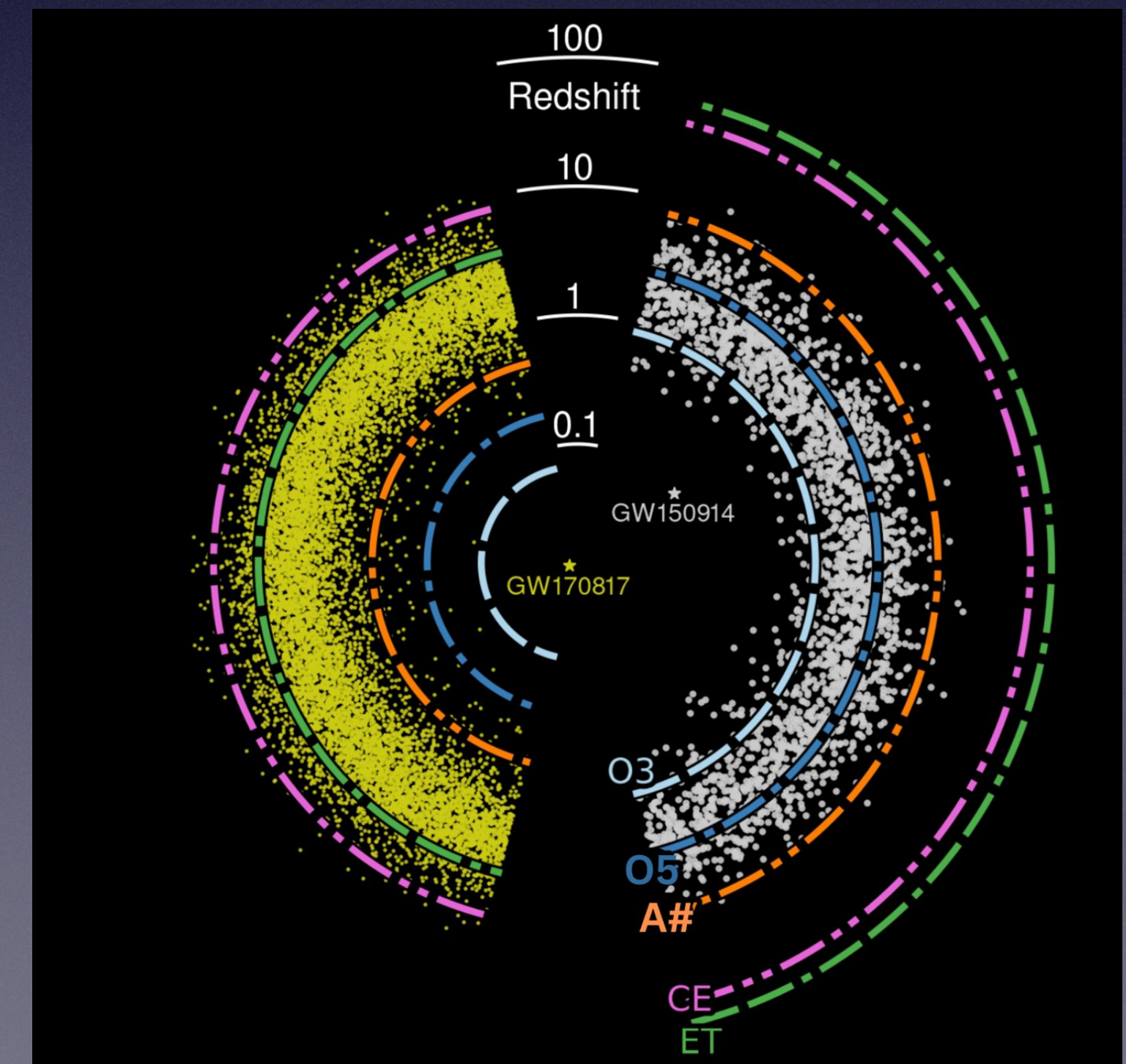
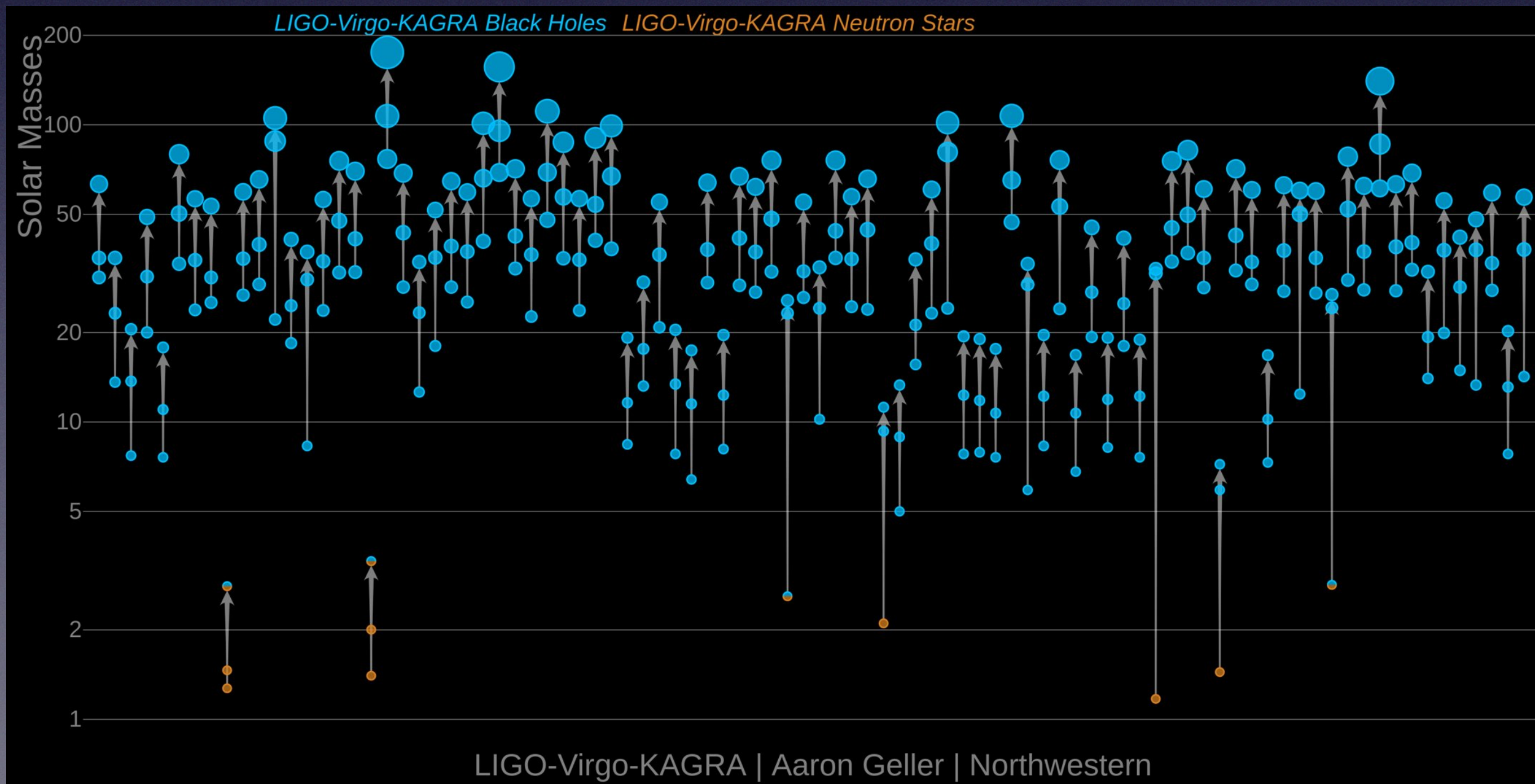
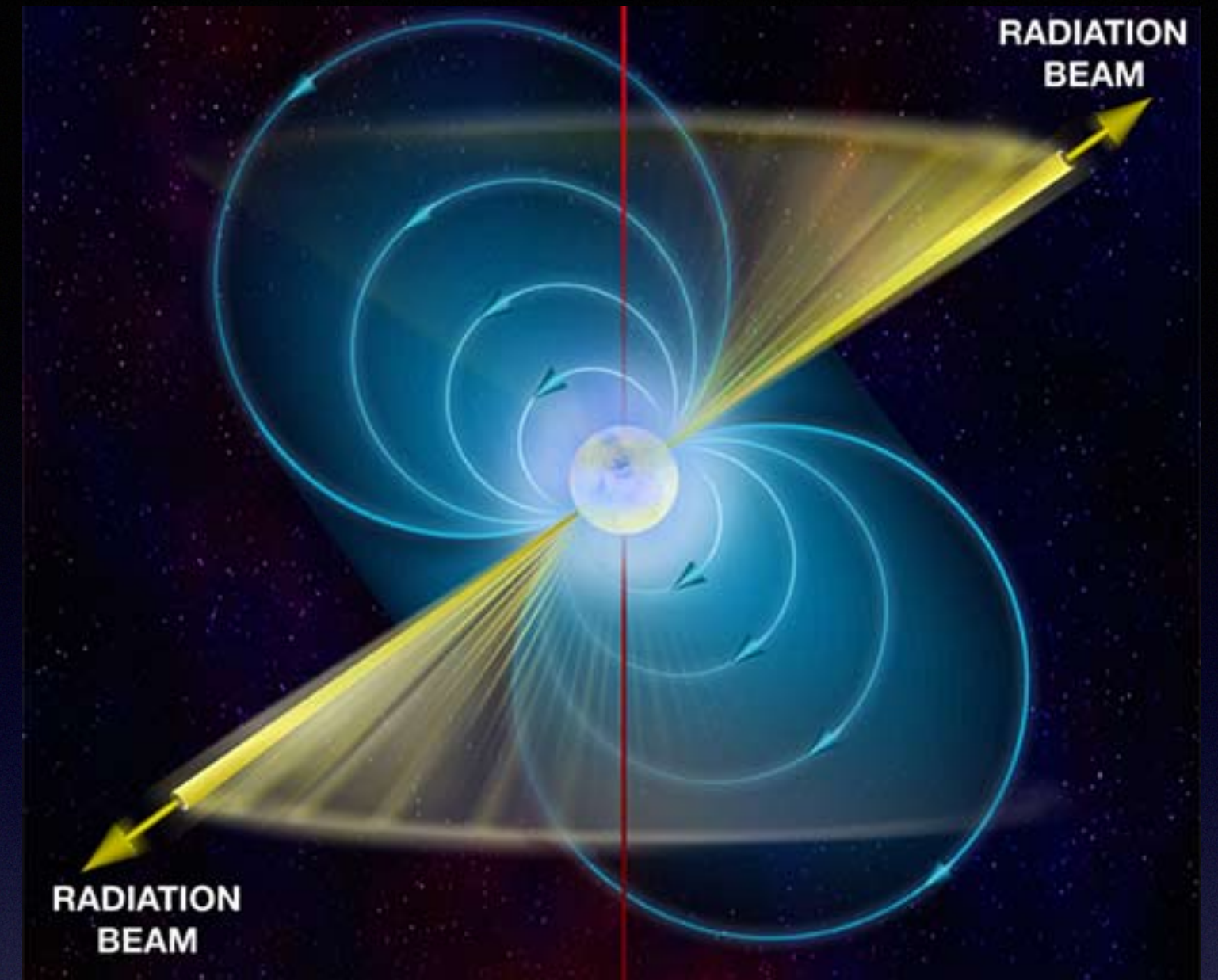
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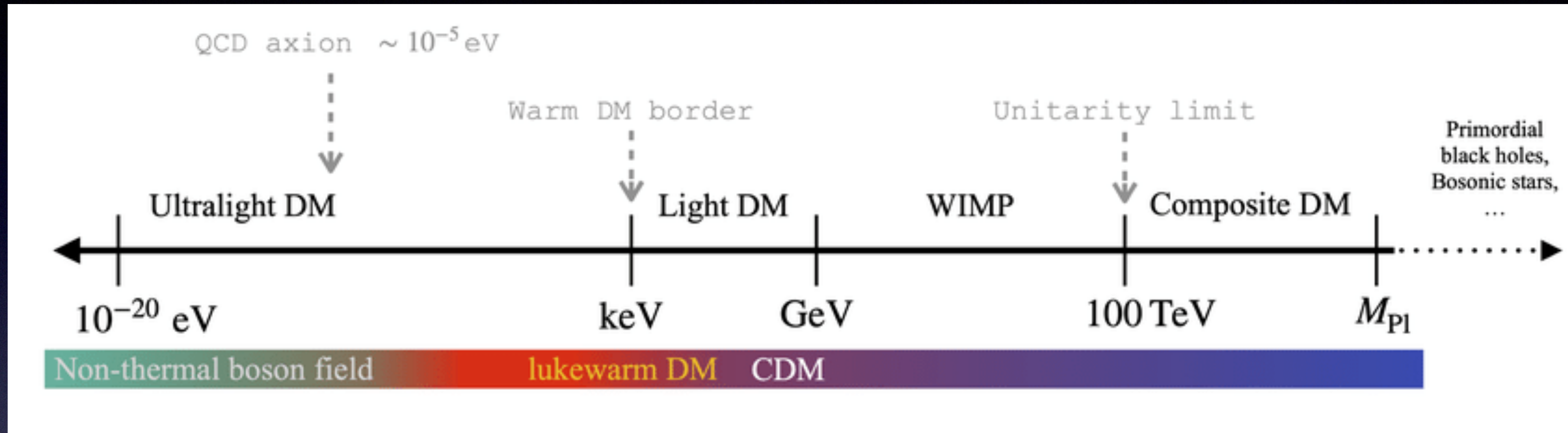


# Why compact objects for DM?

- Neutron stars: high densities & strong fields
- Millisecond pulsars: stable long term clocks
- Black holes: LVK/PTA detections, unstable with ultralight boson fields



# Ultralight boson fields

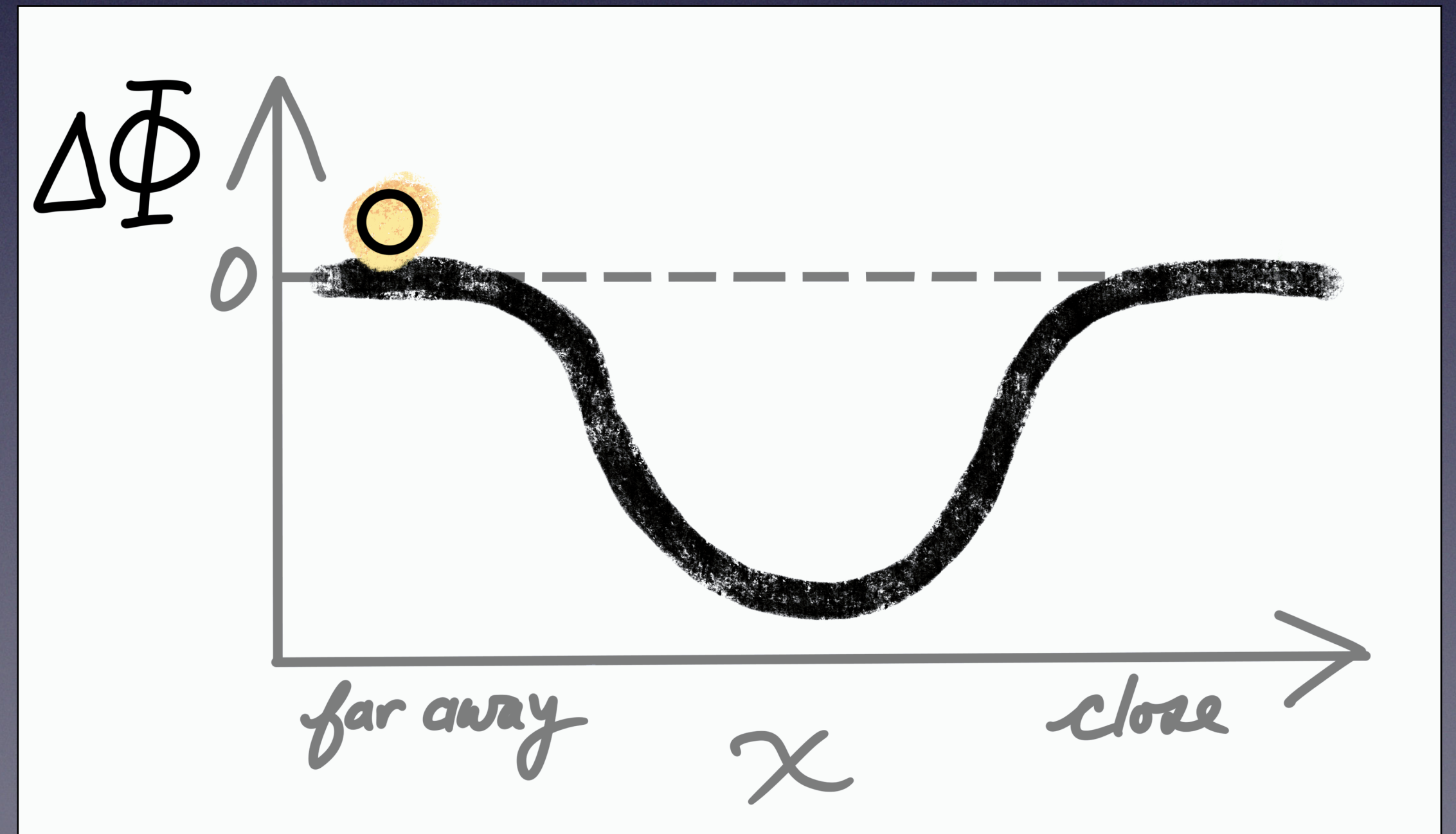
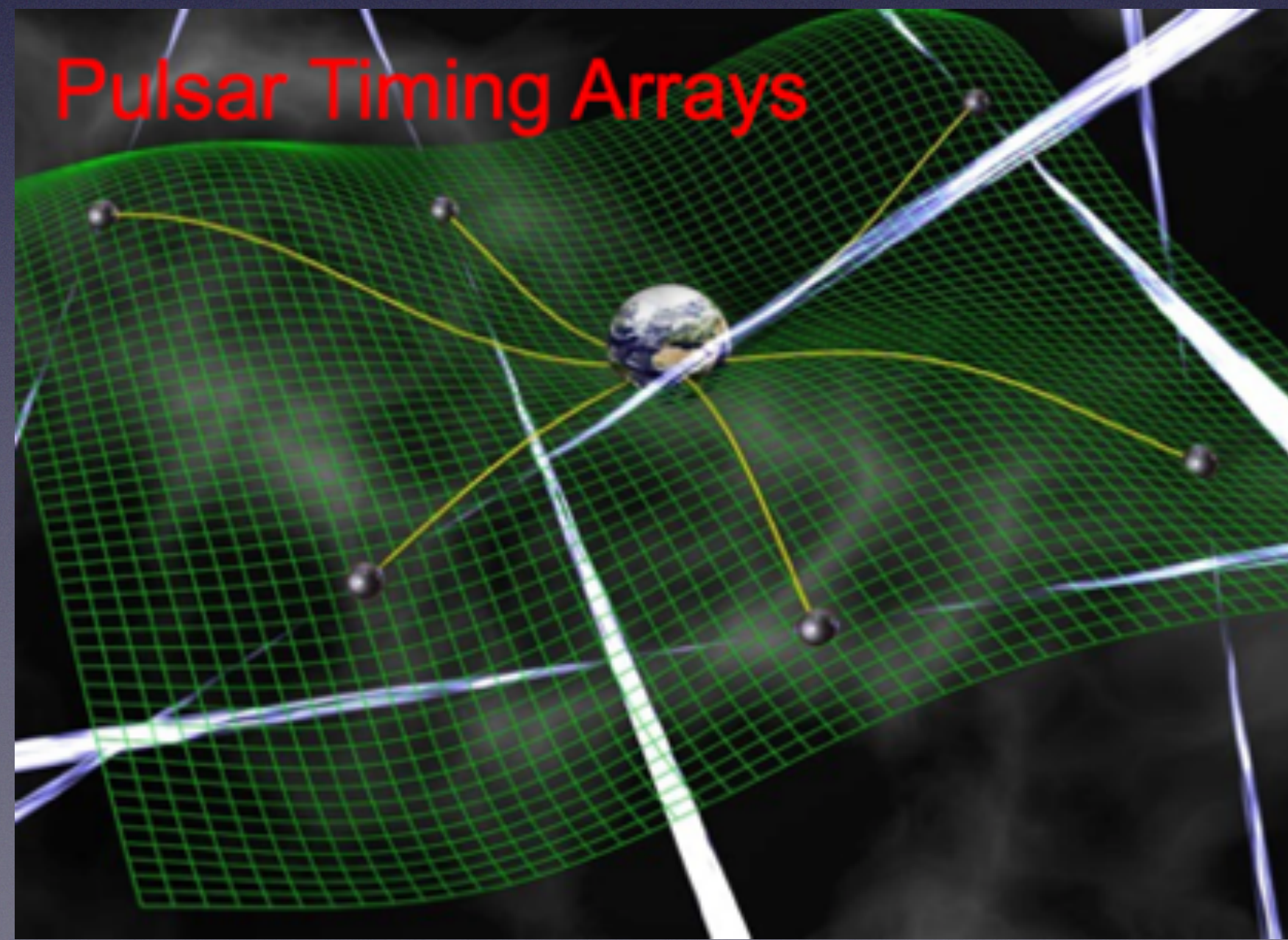


- Classical approximation (e.g. scalar field) inside galaxies due to high occupation numbers
- Recovers LCDM on large scales
- Solve small scale problems of CDM (e.g. cusp-core, satellite and too-big-to-fail problems) if mass is  $\sim 1.e-22$  eV

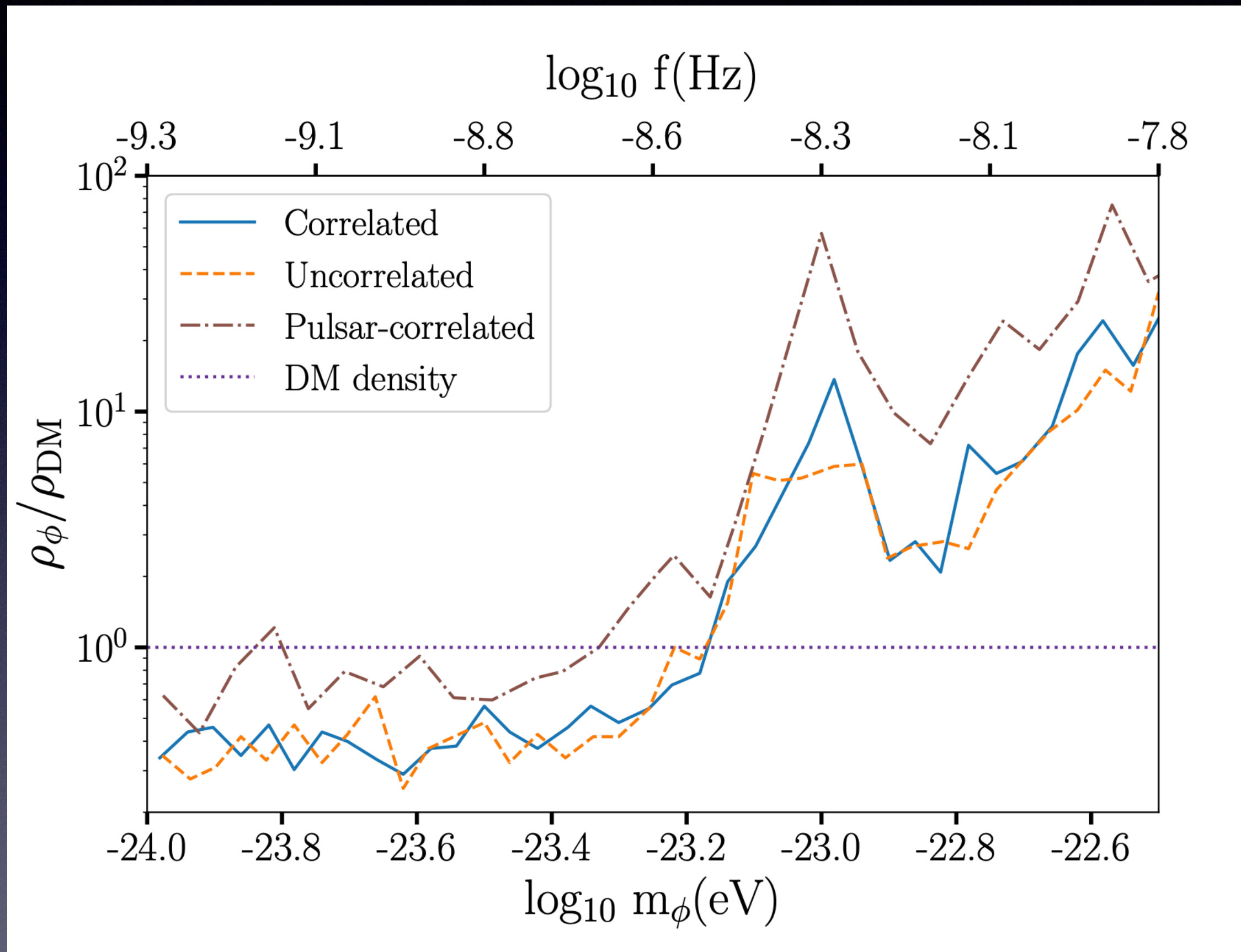
# The Khmelnitsky-Rubakov effect (2013)

$$\square \phi = m^2 \phi \Rightarrow \phi \approx \frac{\sqrt{\rho}}{m M_p} \exp[i(mt + \gamma(\mathbf{x}))]$$

- Boson field with mass  $m$  oscillates on timescale  $1/m$  within the Galaxy
- $\nabla^2 U = 4\pi G \rho_\phi$ : Newtonian potential also oscillates
- Photons redshifted/blueshifted (integrated Sachs-Wolfe effect)
- $1/m \sim \text{yr} \sim 1/\text{nHz}$  for  $m = 1\text{e-}22$  eV: detectable by PTAs



# EPTA constraints on ultralight DM



Smarra+EB+ (EPTA) PRL 131, 171001 (2023)

$$\ell_c \simeq \frac{2\pi}{m_\phi v_\phi} \sim 0.4 \text{ kpc} \left( \frac{10^{-22} \text{ eV}}{m_\phi} \right),$$

$$\delta t_{\text{DM}} = \frac{\Psi_c(\vec{x})}{2m_\phi} [\hat{\phi}_{\text{E}}^2 \sin(2m_\phi + \gamma_{\text{E}}) - \hat{\phi}_{\text{P}}^2 \sin(2m_\phi + \gamma_{\text{P}})],$$

- No coupling to matter (except through gravity)
- Need to model all other effects (including GW background)
- Ultralight DM cannot be 100% of DM below  $1 \cdot 10^{-23.2}$  eV
- Similar results from Nanograv

# How about direct coupling to SM?

- Parametrize couplings to SM particles (weak equivalence principle violations)
- Changes to pulsar moment of inertia,  $I(\varphi)$
- DM field oscillates, so moment of inertia (and pulsar rotational velocity) oscillate

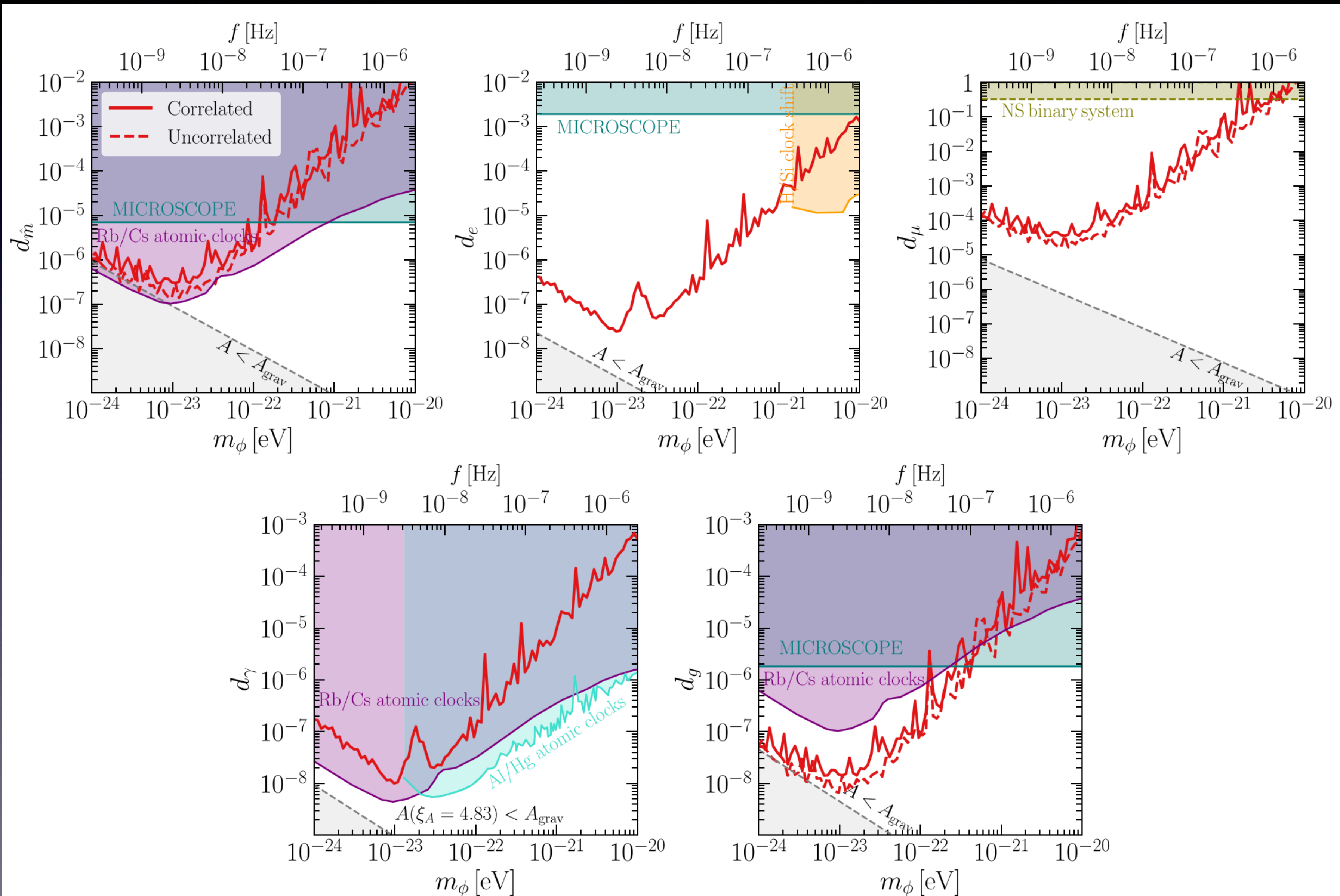
$$\omega = S/I(\varphi)$$

- Coupling affects atomic clocks used to time pulsars

$$\mathcal{L} \supset \frac{\varphi}{\Lambda} \left[ \frac{d_\gamma}{4e^2} F_{\mu\nu} F^{\mu\nu} + \frac{d_g \beta_3}{2g_3} G_{\mu\nu}^A G_A^{\mu\nu} - \sum_{f=e,\mu} d_f m_f \bar{f} f - \sum_{q=u,d} (d_q + \gamma_q d_g) m_q \bar{q} q \right]$$
$$\Lambda = M_{\text{Pl}} / \sqrt{4\pi}$$

Kaplan et al 2022

# Nanograv constraints (2023)





# A universal (conformal) coupling to SM?

- Write the simplest scalar tensor theory:

$$S = M_{\text{P}}^2 \int d^4x \sqrt{-g} \left( \frac{R}{2} - g^{\mu\nu} \partial_\mu \varphi \partial_\nu \varphi \right) + S_m[\psi_m, \tilde{g}_{\mu\nu}] \quad \tilde{g}_{\mu\nu} = A^2(\varphi) g_{\mu\nu}$$

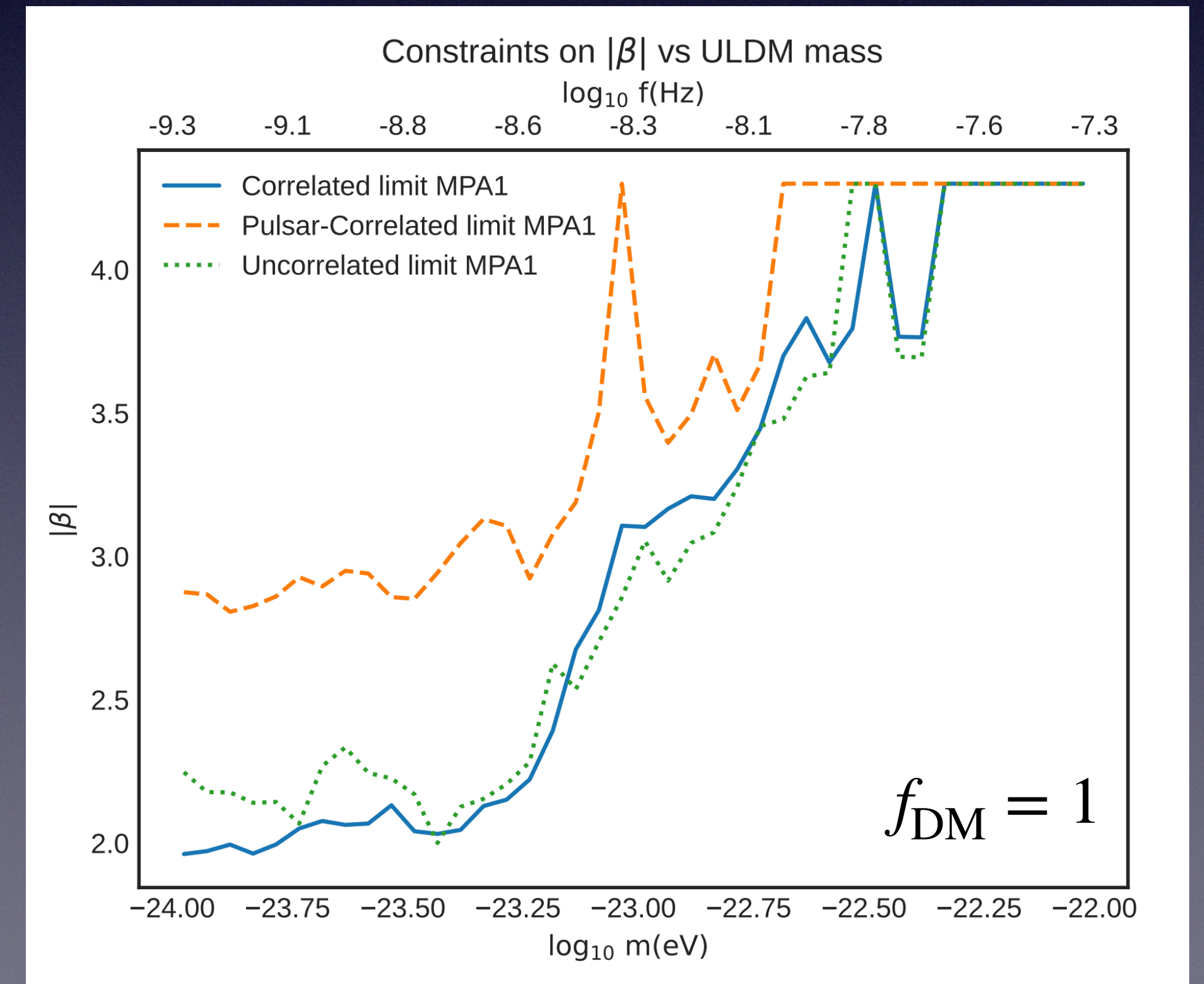
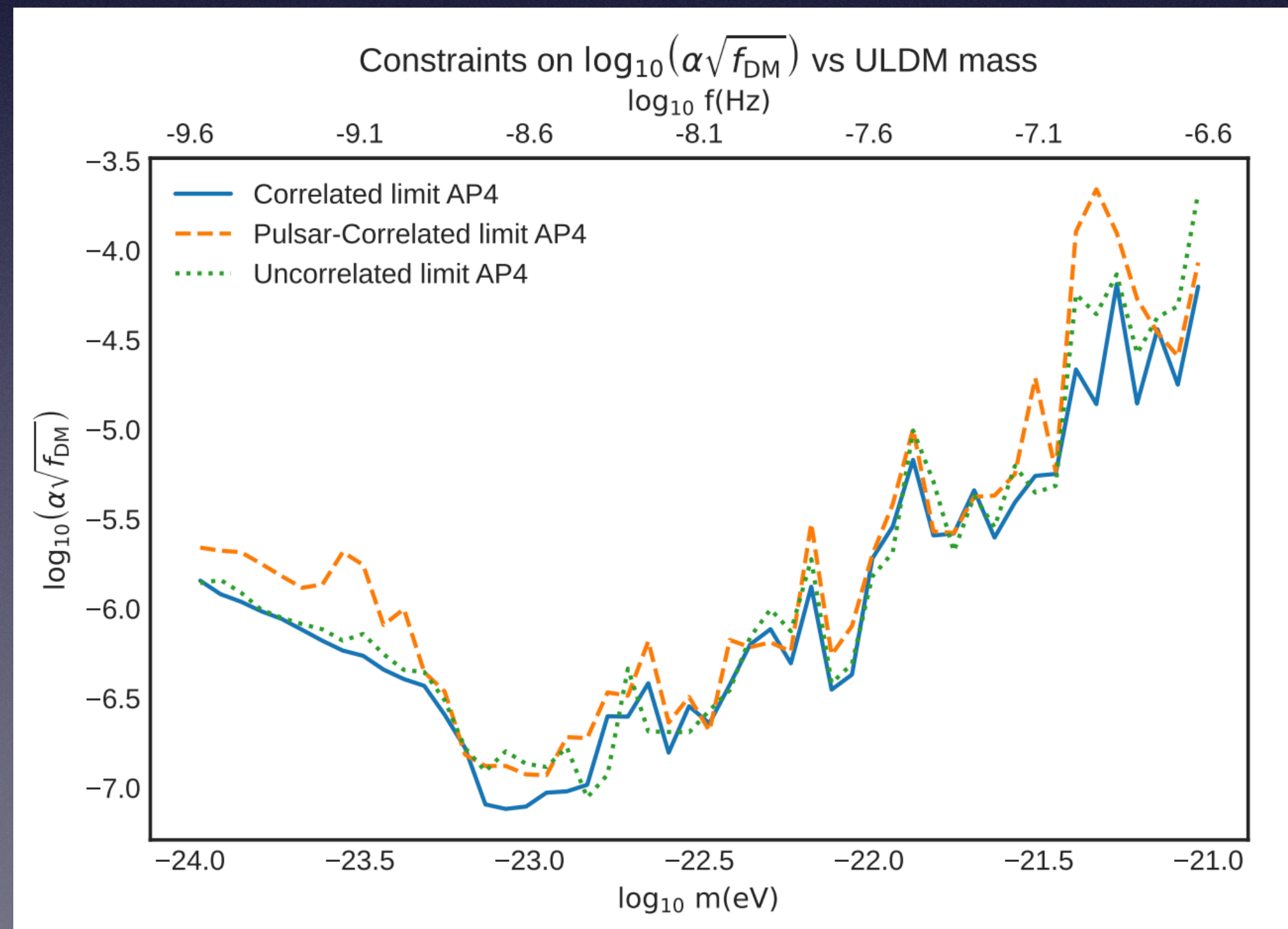
$$S = M_{\text{P}}^2 \int d^4x \sqrt{-\tilde{g}} A^{-2}(\varphi) \left[ \frac{\tilde{R}}{2} - (1 - 3\alpha^2(\varphi)) \tilde{g}^{\mu\nu} \partial_\mu \varphi \partial_\nu \varphi \right] + S_m[\psi_m, \tilde{g}_{\mu\nu}] \quad \alpha(\varphi) = A'(\varphi)/A(\varphi)$$

- Brans-Dicke for  $A = \exp(\alpha\varphi)$ , Damour-Esposito-Farèse (1993) for  $A = \exp(\beta\varphi^2/2)$
- Test particles follow geodesics (weak equivalence principle), photon unaffected
- Planck mass and G renormalised by local scalar value:  $M_{\text{NS}} \approx M_{\text{b}} \left[ 1 - kG(\varphi)M_{\text{b}}/(R_{\text{NS}}c^2) \right]$
- Motion of neutron stars does not follow geodesics (strong equivalence principle violation)

$$S = - \int m(\varphi) d\tau \Rightarrow u^\mu \nabla_\mu u^\alpha \sim \partial m / \partial \varphi$$

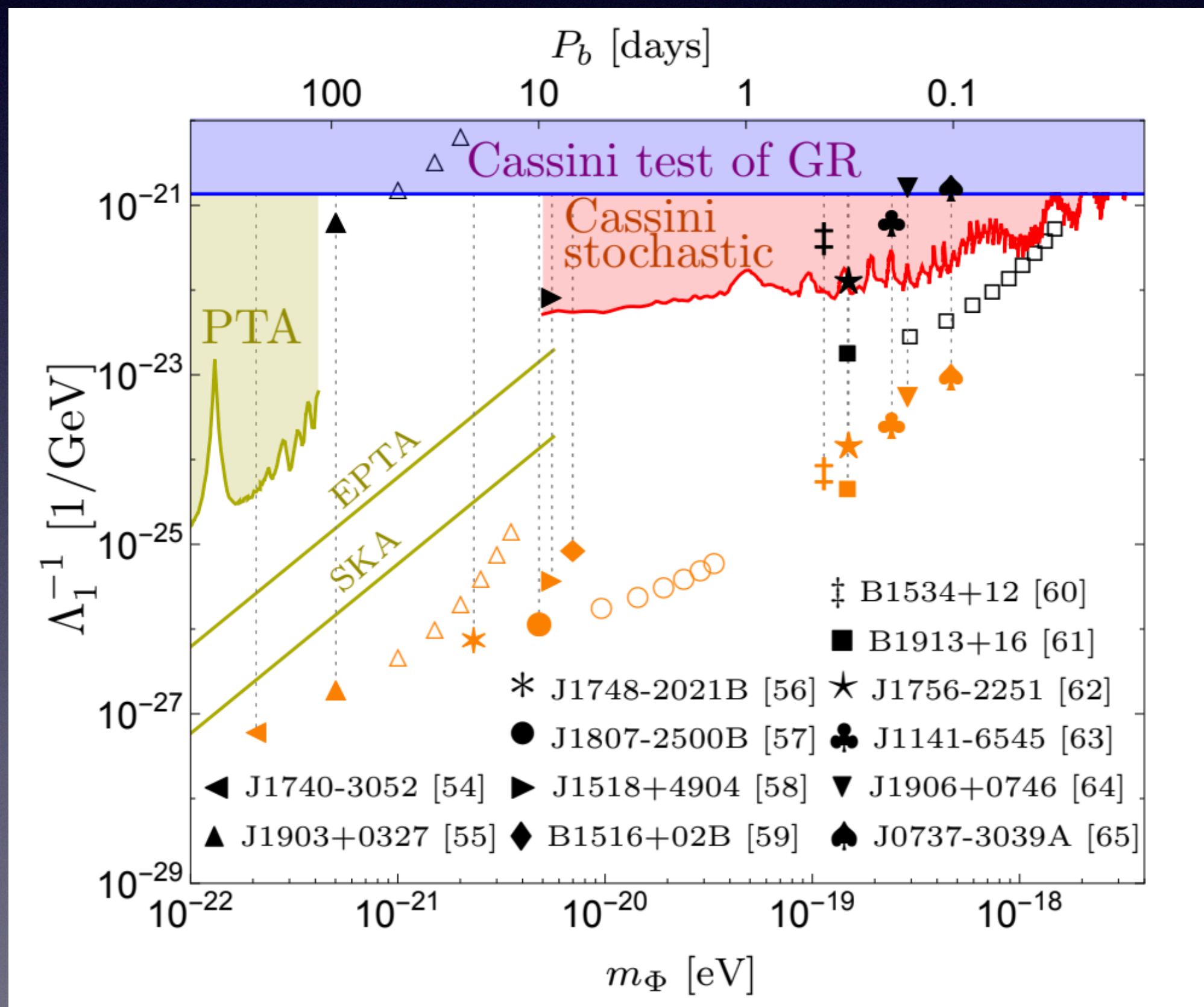
# A universal (conformal) coupling to SM?

- Pulsar moment of inertia and rotational velocity change if local scalar field changes:  $\omega = S/I(\varphi)$
- Scalar field variation can be caused by small mass (oscillations on timescale  $1/m$ )
- Constraints with EPTA (Kuntz & EB 24, Smarra, Kuntz, EB+24): more stringent than Solar system/neutron star binaries

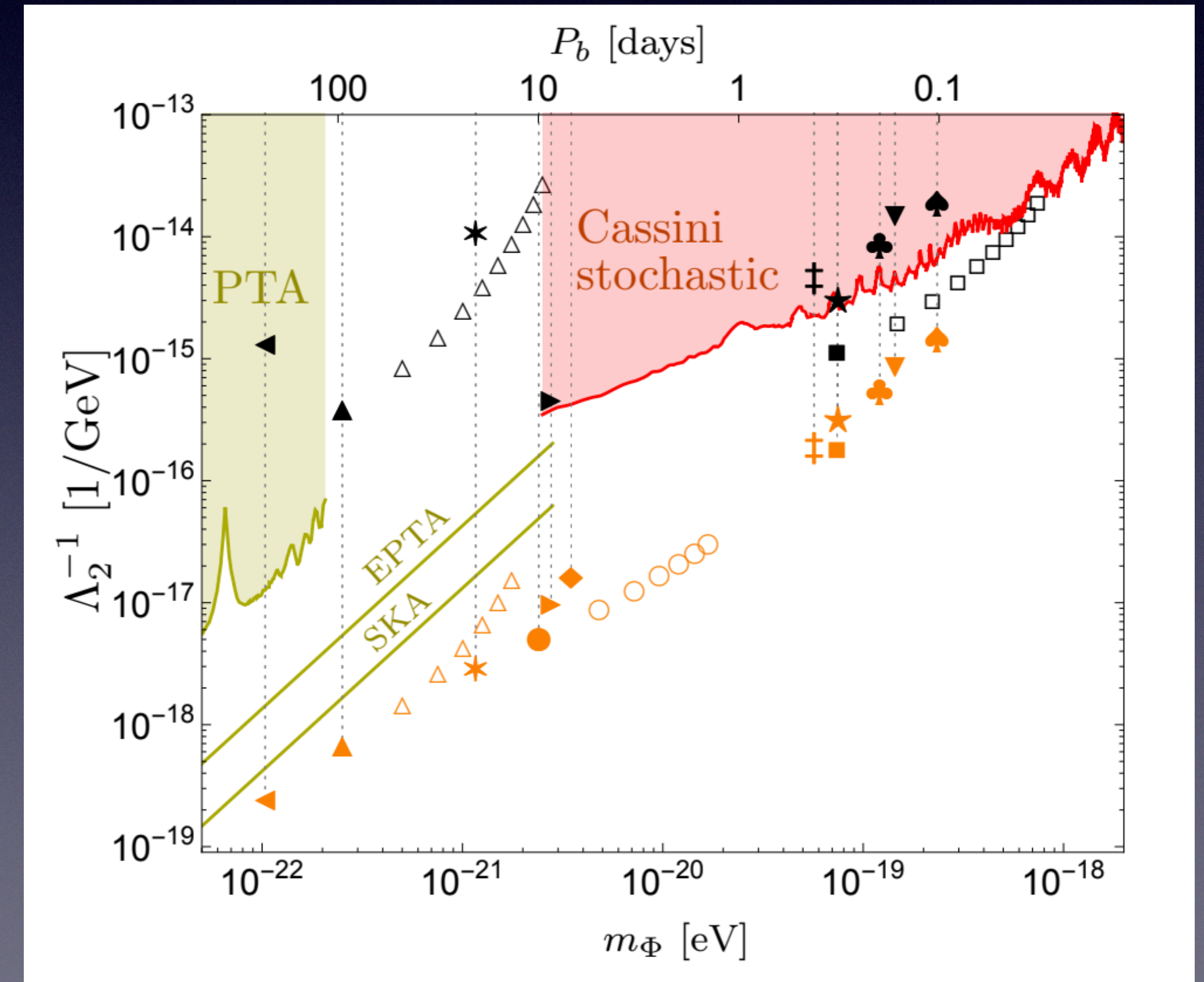


# Pulsar binary resonances

(Conformal or gravitational) coupling of ultralight DM to binary pulsars can give resonances, if DM and binary frequencies are in integer/half integer ratio  
(Blas, Nacir Sibiryakov 2016)



$$\Lambda_1^{-1} = \alpha/M_P$$



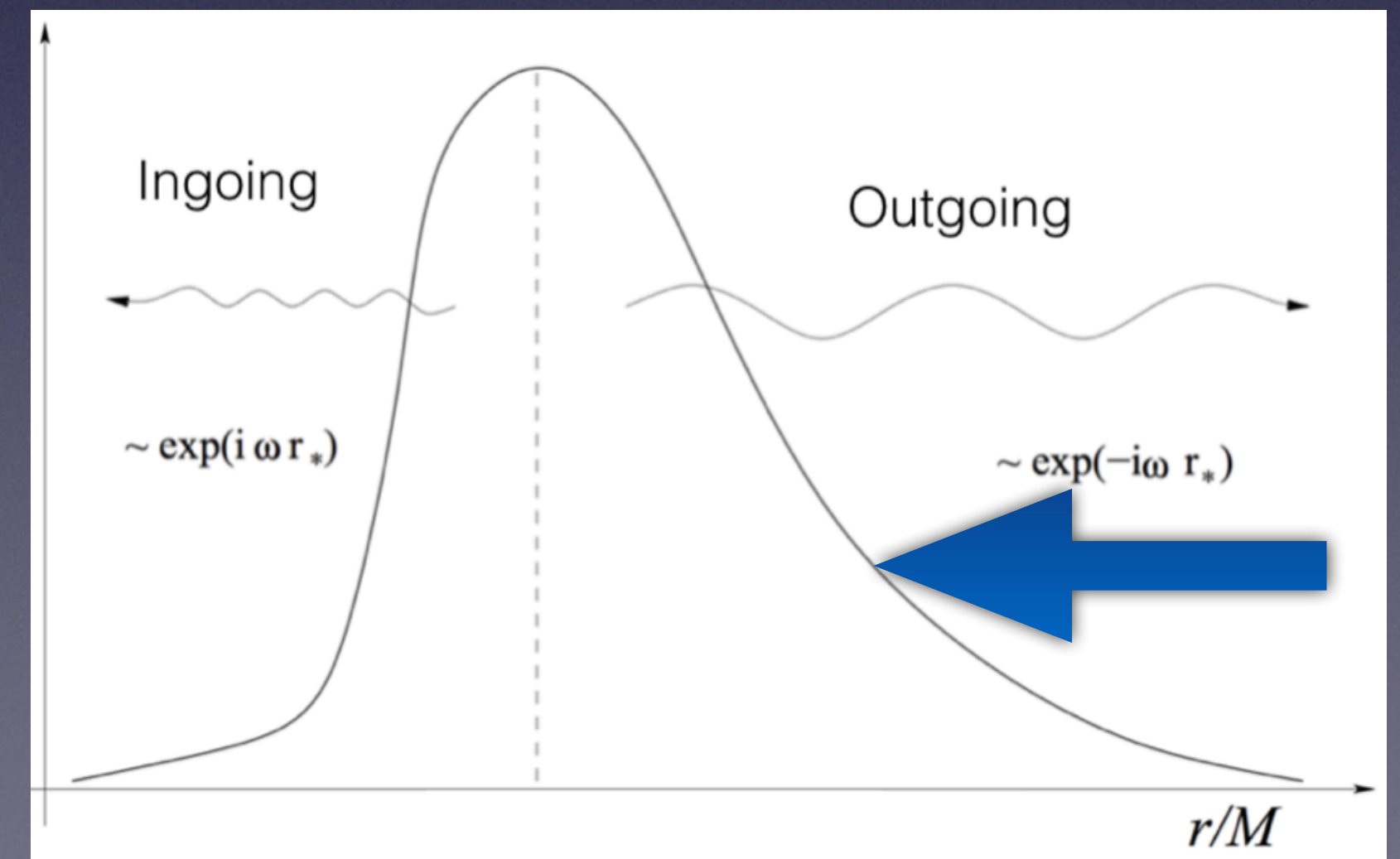
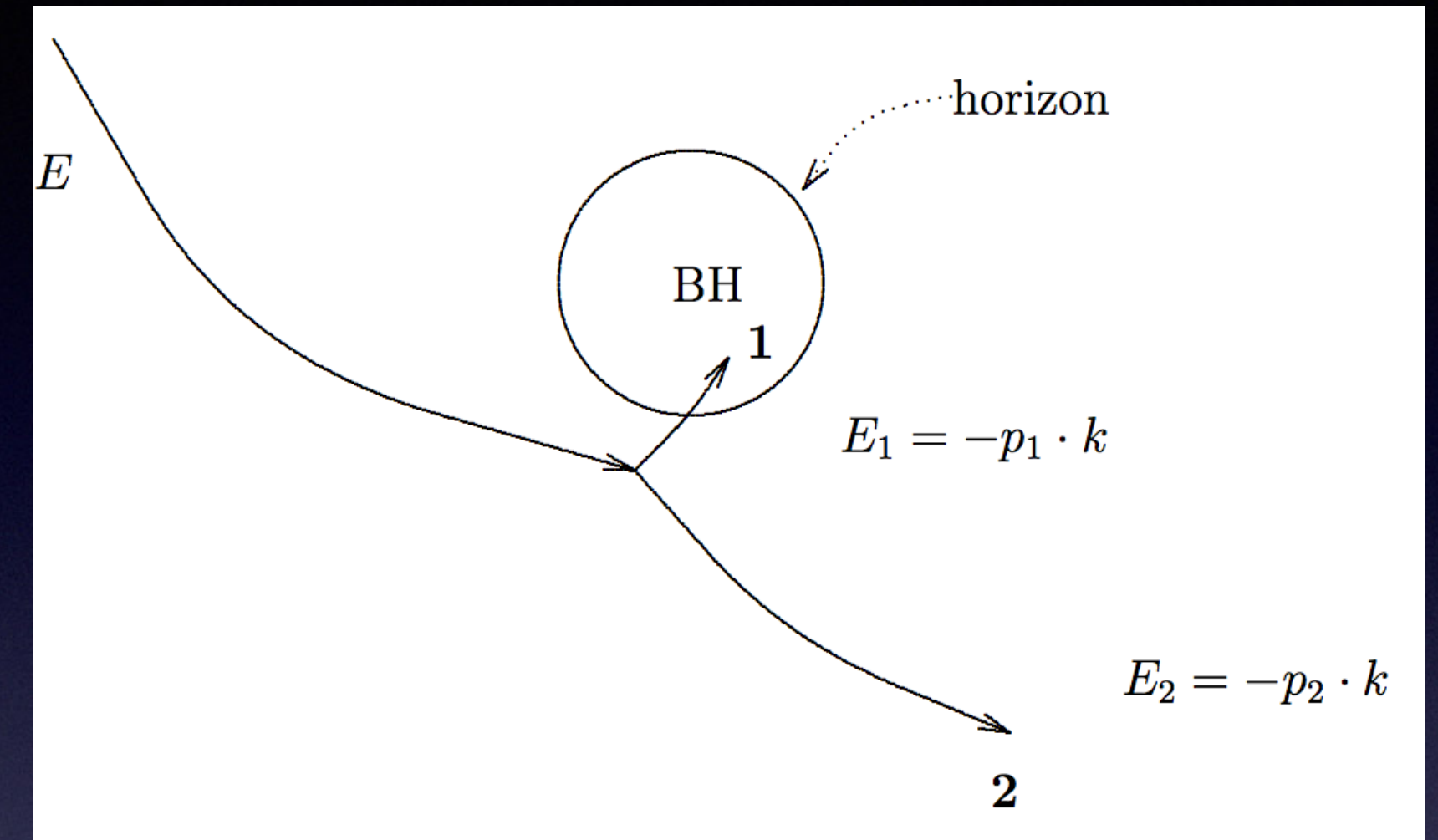
$$\Lambda_2^{-1} = \sqrt{\beta}/M_P$$

# Black holes and light bosons

- Scalars form self-gravitating configurations if complex & massive (to avoid dispersion to infinity) and time dependent (to provide pressure): boson stars, oscillatons
- Around BHs, massive real (complex) scalars can form quasi-stationary (stationary) configurations: boson clouds or condensates, hairy BHs...

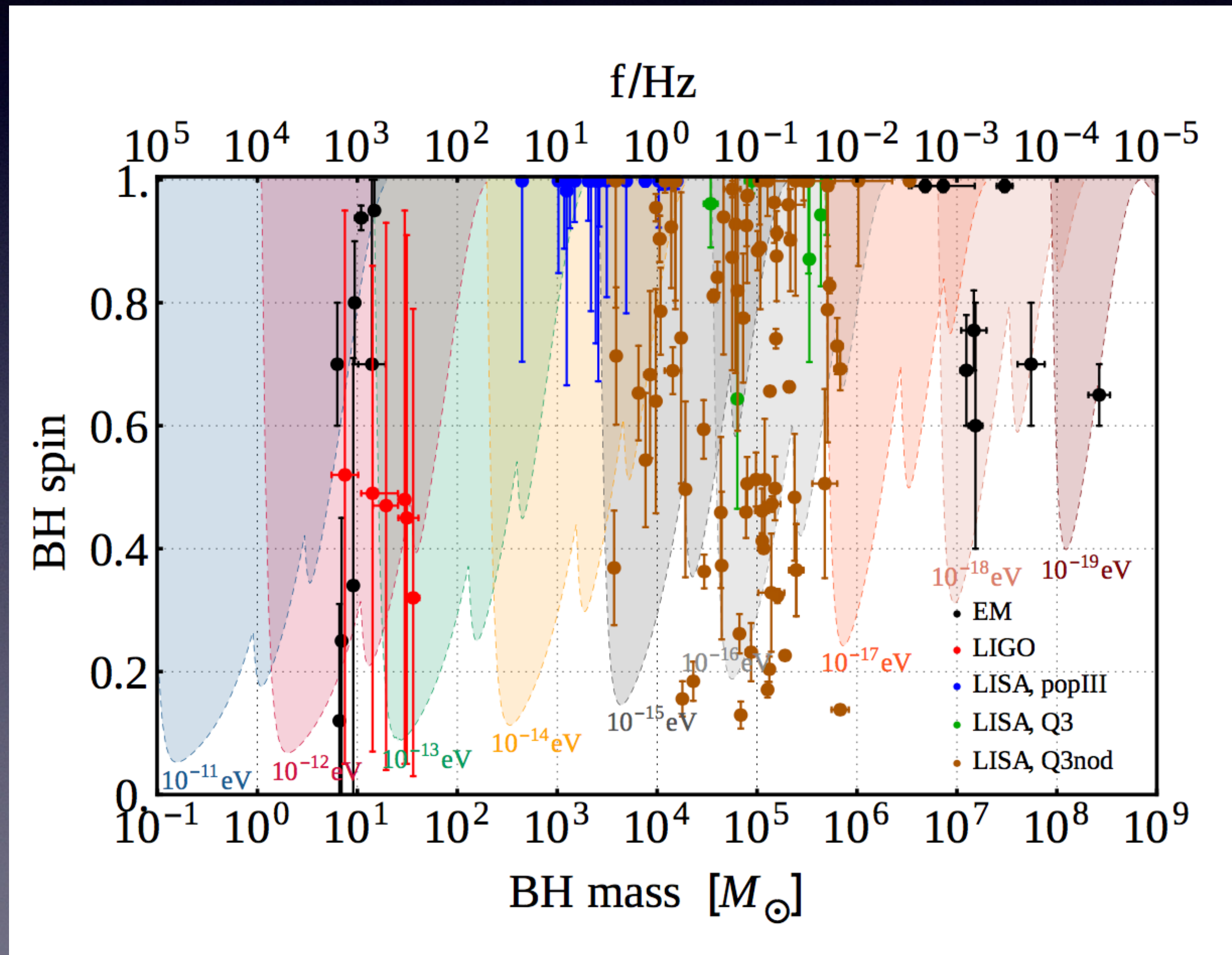
# BH-boson condensates

- Formation linked to superradiant instabilities/Penrose process: amplification of scattered waves with  $\omega < m\Omega_H$
- BH with high enough spin and “mirror” are superradiance unstable (BH bomb; Zeldovich 71, Press & Teukolsky 72, Cardoso et al 04)
- In ergoregion, negative energy modes produced but confined (positive energy modes can escape)
- By energy conservation, more and more negative energy modes produced, which may cause instability according to boundary conditions (at infinity)



# BH-boson condensates

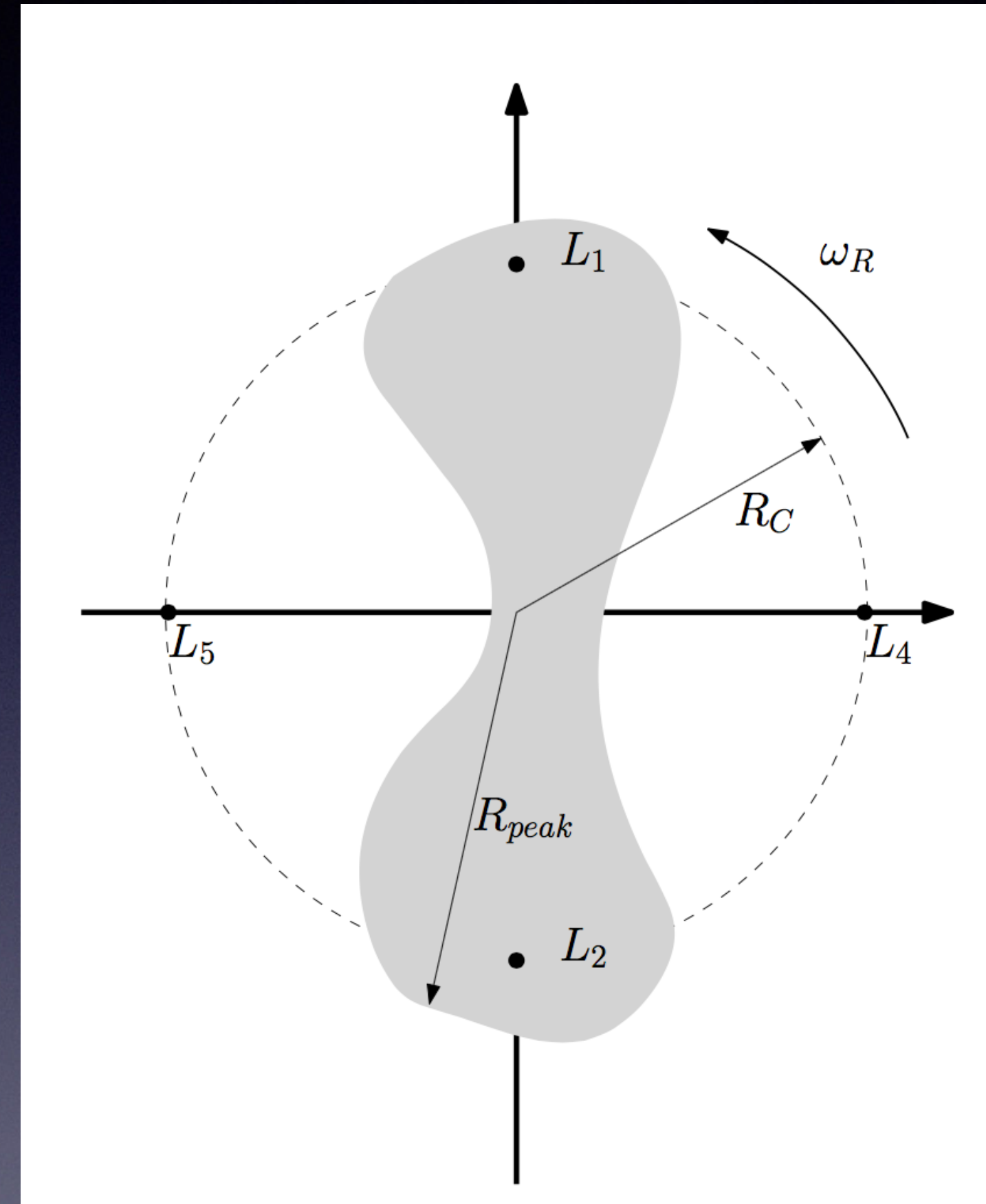
Same instability of spinning BH + massive boson (mass acts as “mirror” and allows for bound states), but NOT for fermions, cf Damour, Deruelle & Ruffini 76



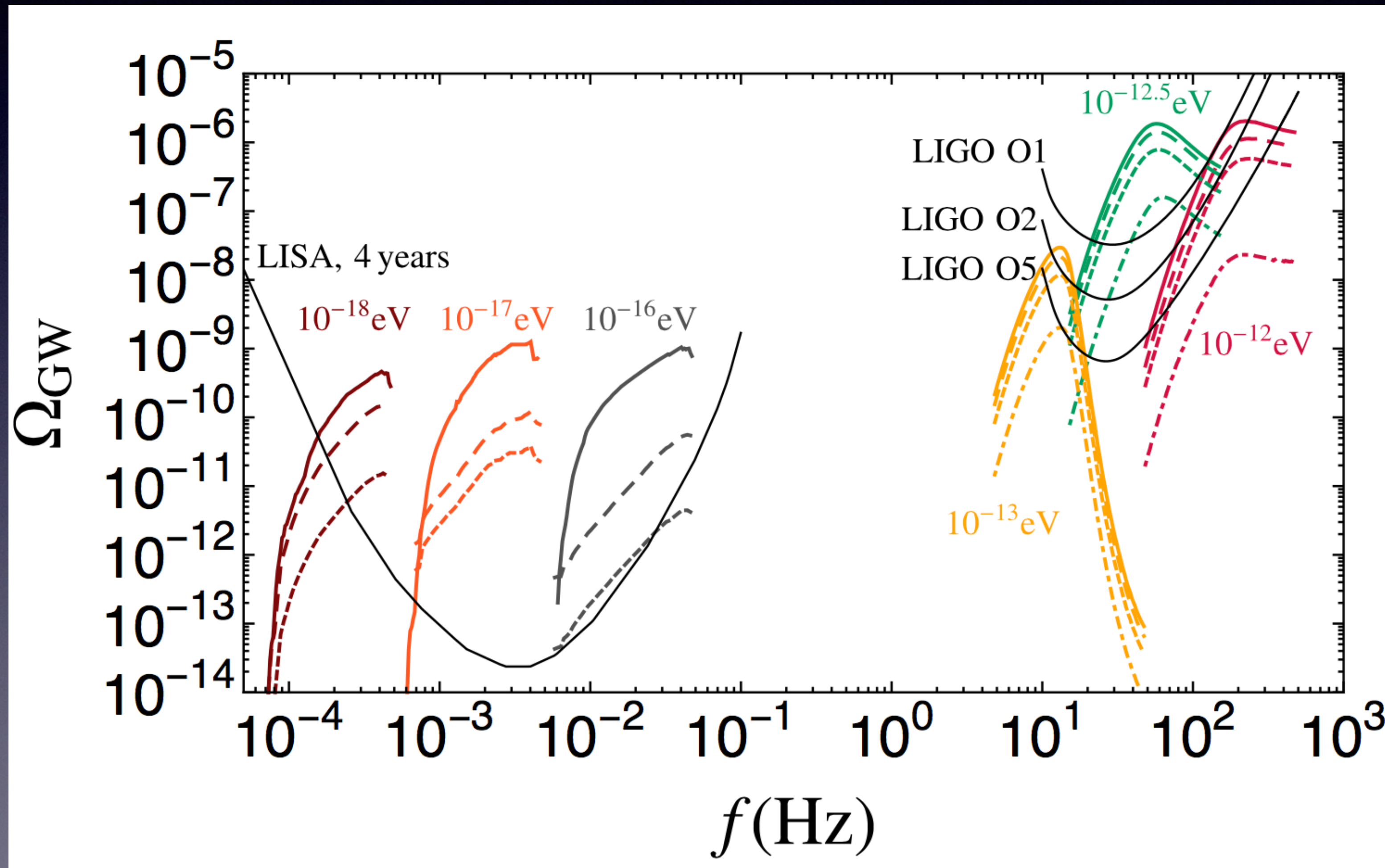
Robust vs  
non-gravitational couplings

# Instability end point

- BH sheds excess spin (and to a lesser degree mass) into a mostly dipolar rotating boson cloud with frequency  $\sim m$
- Instability saturates when  $m \sim \Omega_h$
- Rotating cloud emits monochromatic gravitational waves via quadrupole formula *if non-gravitational couplings are subdominant*

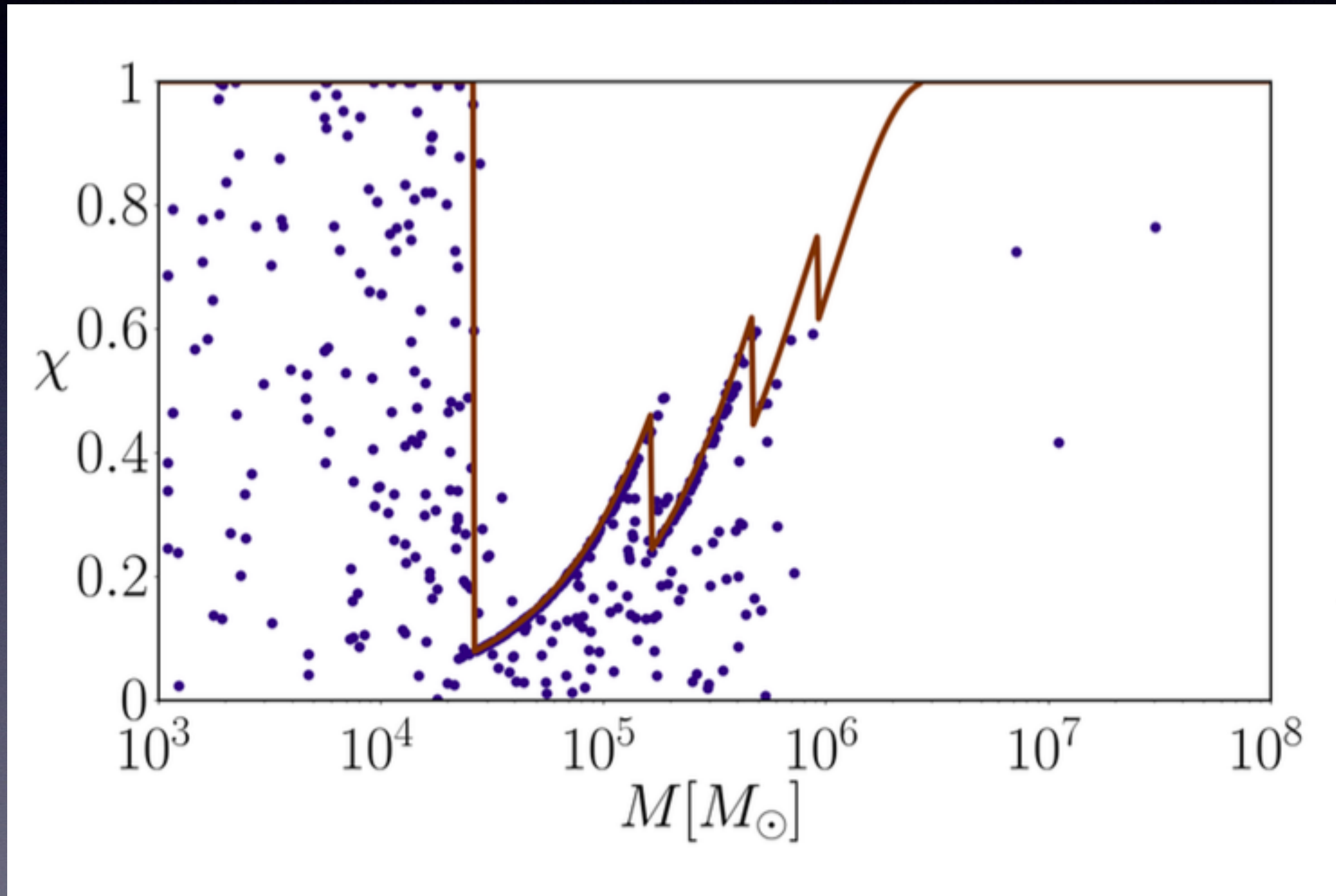


# Background from isolated spinning BHs



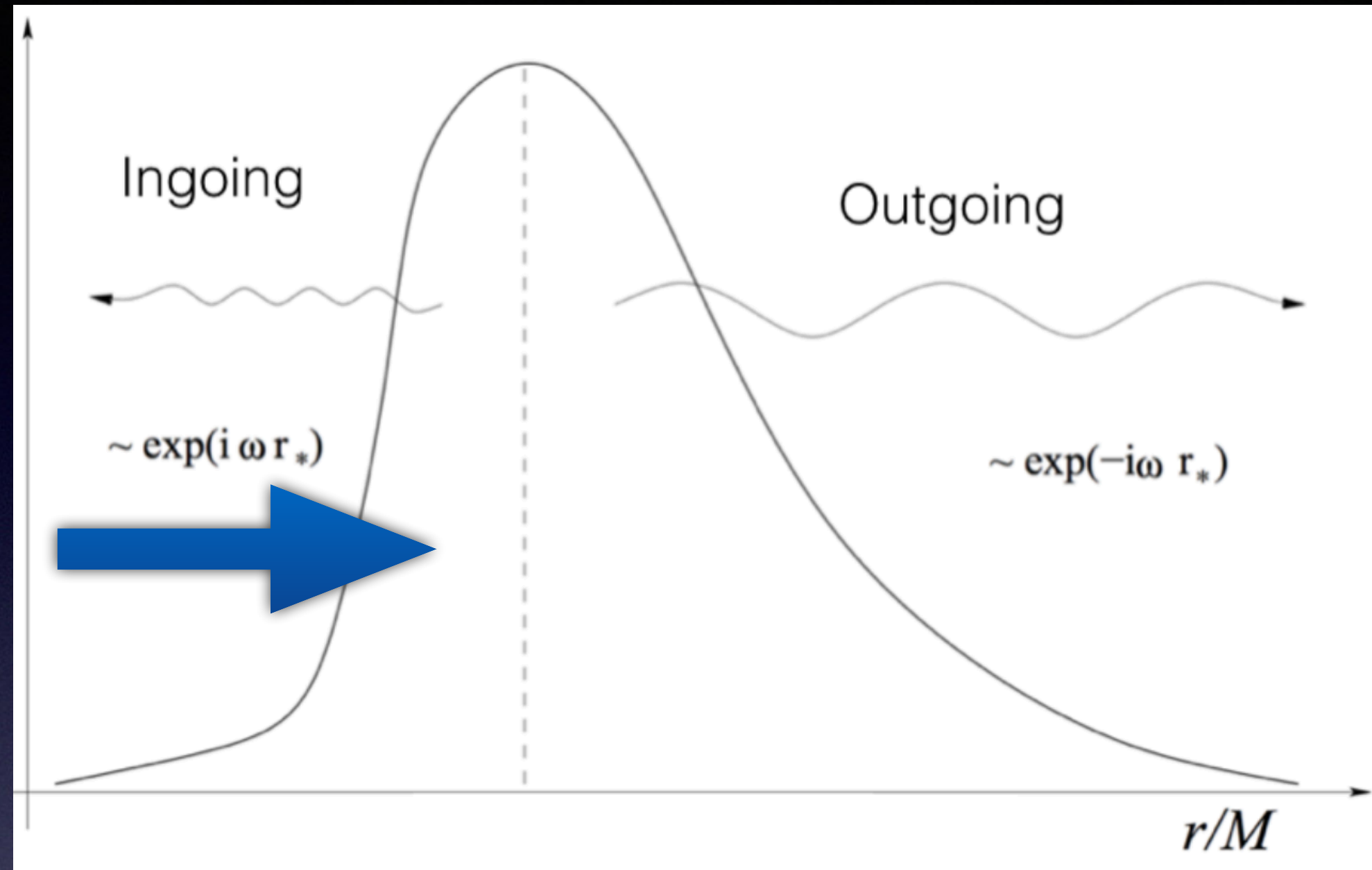


# Regge plane “holes”

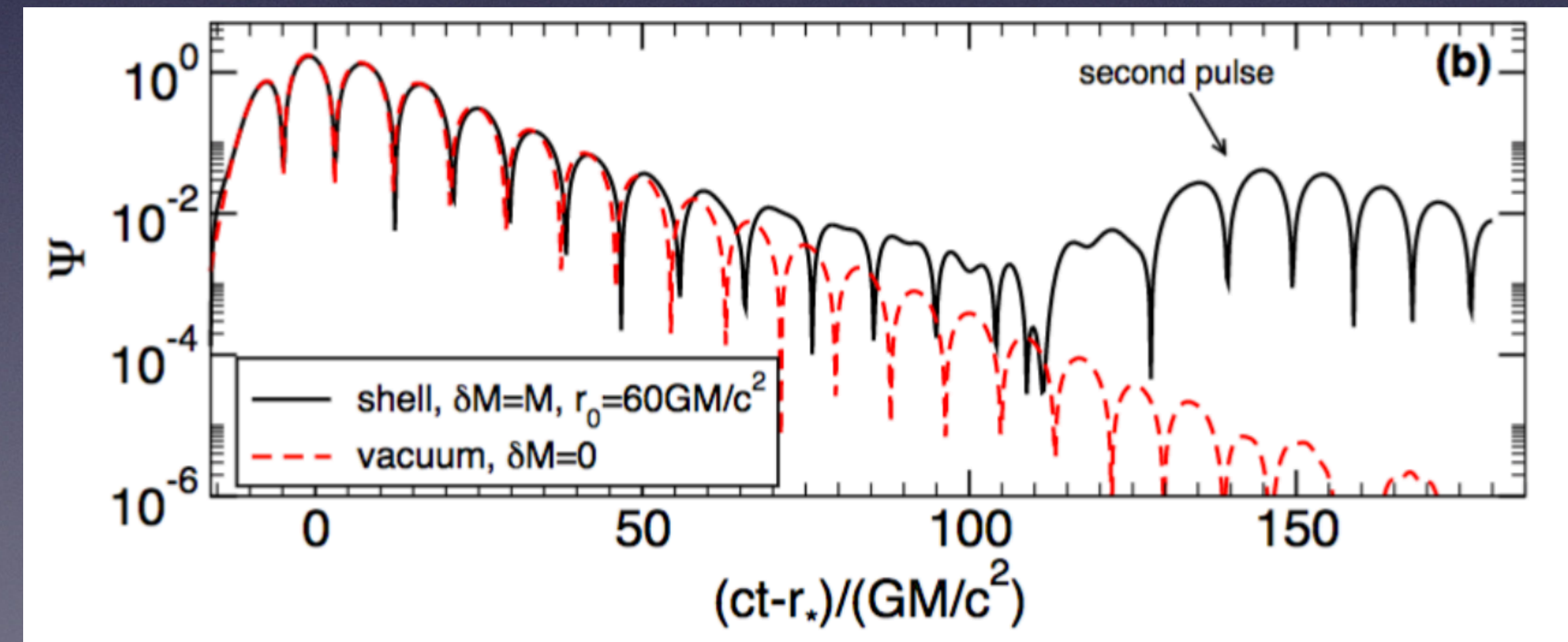
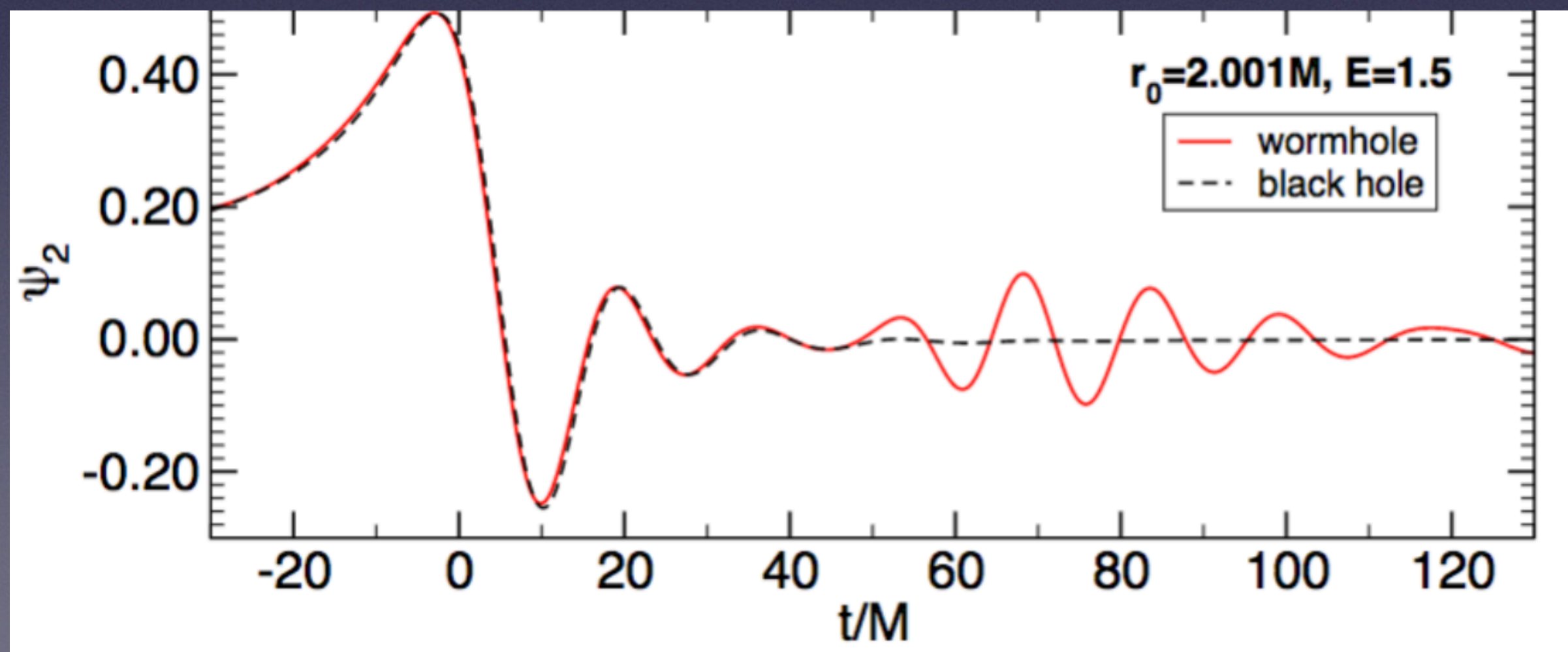


- Look for “accumulation” near instability threshold to avoid assumptions on astrophysical model
- Robust vs non-gravitational couplings

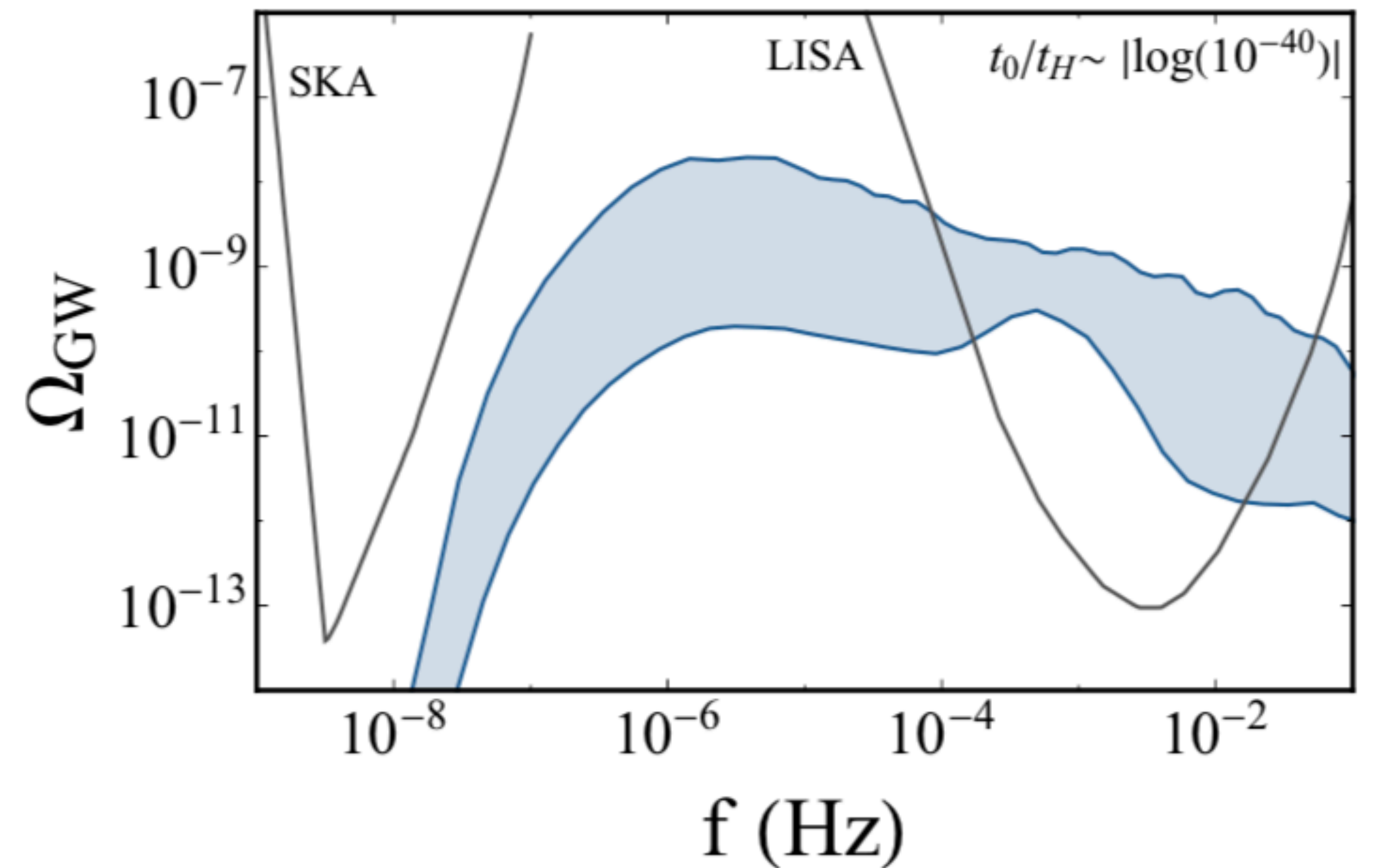
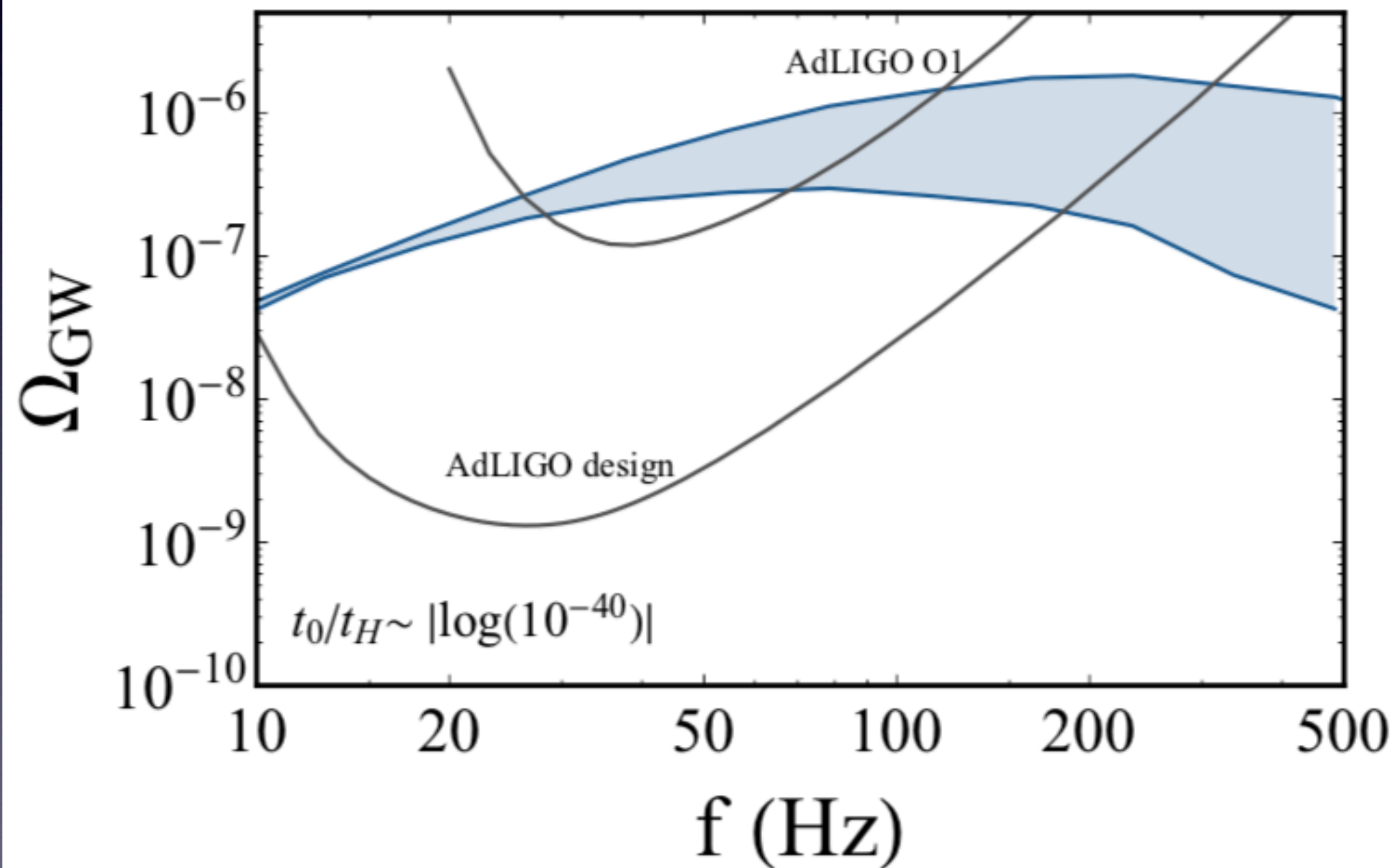
# Superradiance from near horizon physics



- Deviations from Kerr near horizon can produce significant changes in QNM spectrum  $\Delta t \sim \log[r_0/(2M) - 1]$
- Echoes or superradiance instability (for spinning BHs)



# Bounds on BH mimickers from stochastic background



# Conclusions

- Pulsars probe ULDM at  $m \sim 1.e-22$  eV, with and without direct couplings to SM
- $M < 1.e-23.2$  cannot be 100% of DM
- Larger masses probed by binary pulsars (resonances) and BH superradiance, up to  $1.e-12$  eV
- Harder to probe more larger masses/CDM: dynamical friction on binary BHs in DM-dominated dwarf galaxies
- (Some) constraints on PBH DM