

# Higgs & Flavour

Joe Davighi, CERN

24<sup>th</sup> October, Rencontres de Blois 2024



If you remove the Higgs, the Standard Model is a gauge theory with  $\times 3 g_i = O(1)$ .  
The Higgs-less SM is completely natural!

~~Hierarchy problem~~

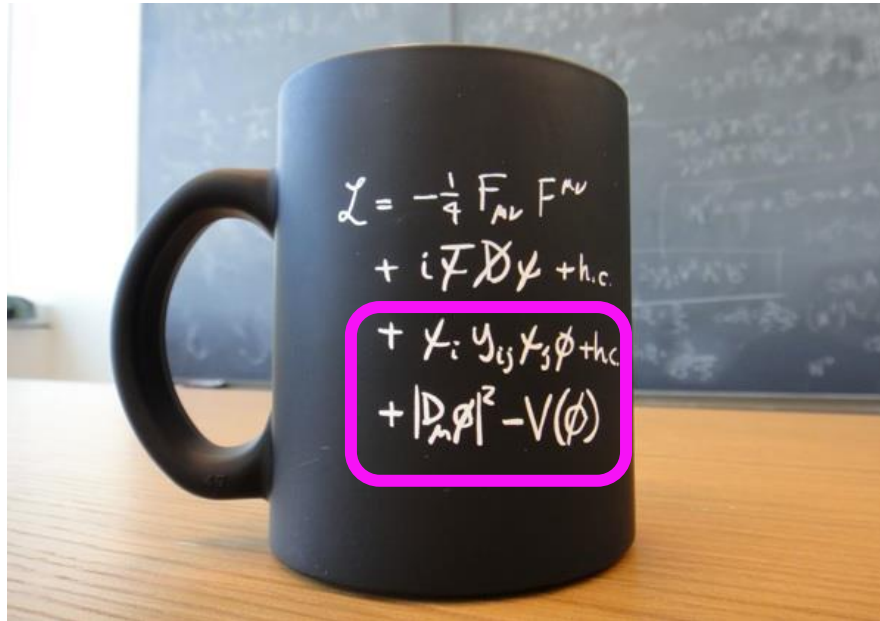
~~Flavour puzzle~~

~~Strong CP problem~~ [massless quarks]

Higgs = key to BSM, both theoretically & experimentally  
(modulo dark sectors)



# The Higgs-centric view of BSM

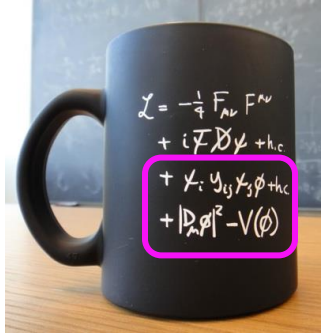


# The Higgs-centric view of BSM

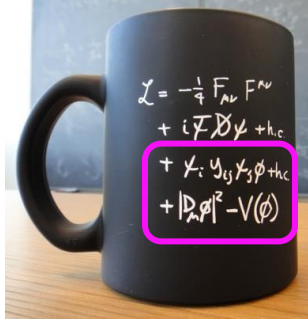
\*The Higgs has an unnaturally small **mass** parameter:

Large hierarchy:  $\mu^2 \ll \Lambda_{\text{high scales}}^2$

[e.g. GUT scale, flavour scale, neutrinos, Planck...]



# The Higgs-centric view of BSM



\*The Higgs has an unnaturally small **mass** parameter:

Large hierarchy:  $\mu^2 \ll \Lambda_{\text{high scales}}^2 \Rightarrow$  **Compositeness** or **SUSY** as low scale as possible

[e.g. GUT scale, flavour scale, neutrinos, Planck...]



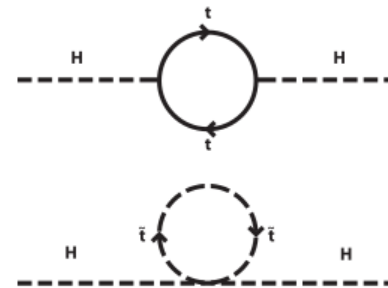
## Compositeness:

- Loops cut off by compositeness scale  $f$
- To get  $m_h \ll m_{\text{res}}$ , need Higgs = pNGB associated with global symmetry breaking
- E.g.  $SO(5) \rightarrow SO(4)$
- Explicit breaking by  $y_t$  &  $g_{1,2}$  generates  $m_h^2$  at 1-loop

$$\delta m_h^2 \sim \frac{f^2}{16\pi^2} (\#n_c y_t^2 M_T^2 - \#g_1^2 M_\rho^2)$$

## Supersymmetry:

Inclusion of superpartner loops removes quadratic sensitivity to UV cut-off



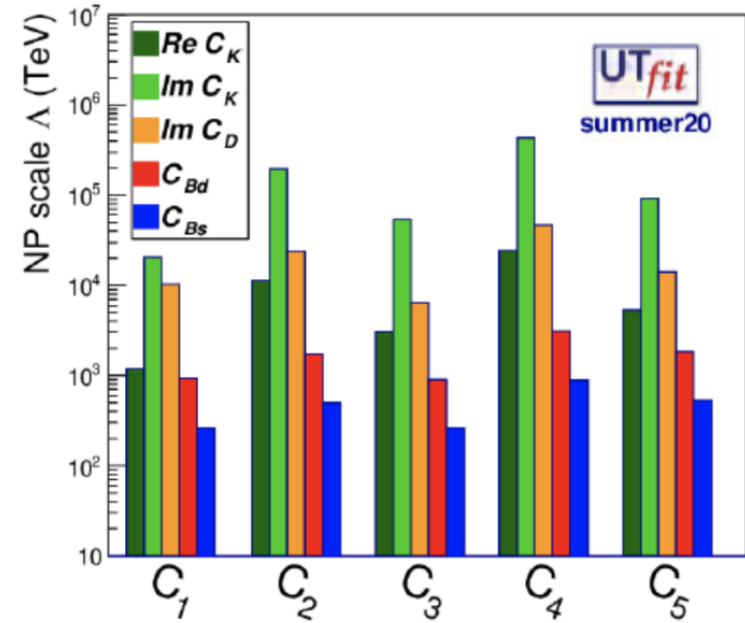
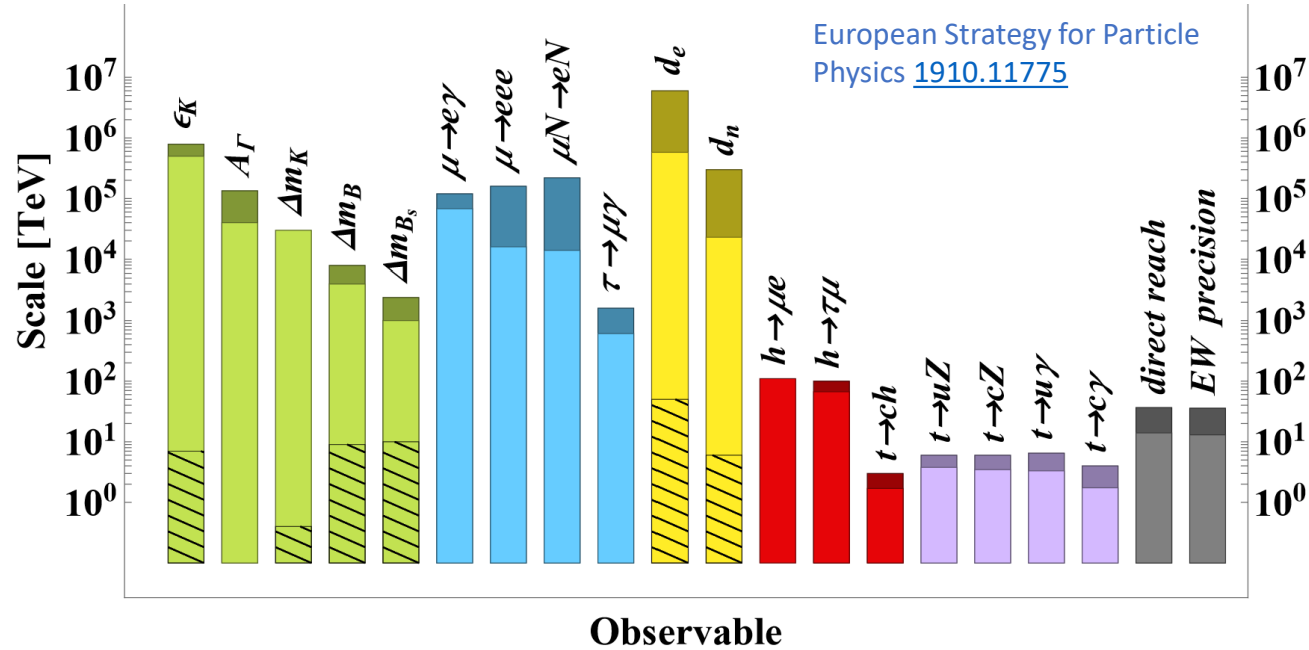
$$\Rightarrow \delta m_h^2 \approx \frac{3}{2\pi^2} \frac{m_t^2}{v^2} M_T^2 \log \frac{\Lambda^2}{M_T^2}$$

vs  $\delta m_h^2 \approx \frac{3}{2\pi^2} \frac{m_t^2}{v^2} \Lambda^2$  for top alone

Most natural expectation:  $M_* \lesssim (\text{loop factor}) m_h \sim \text{few TeV}$

# The BSM Flavour Puzzle

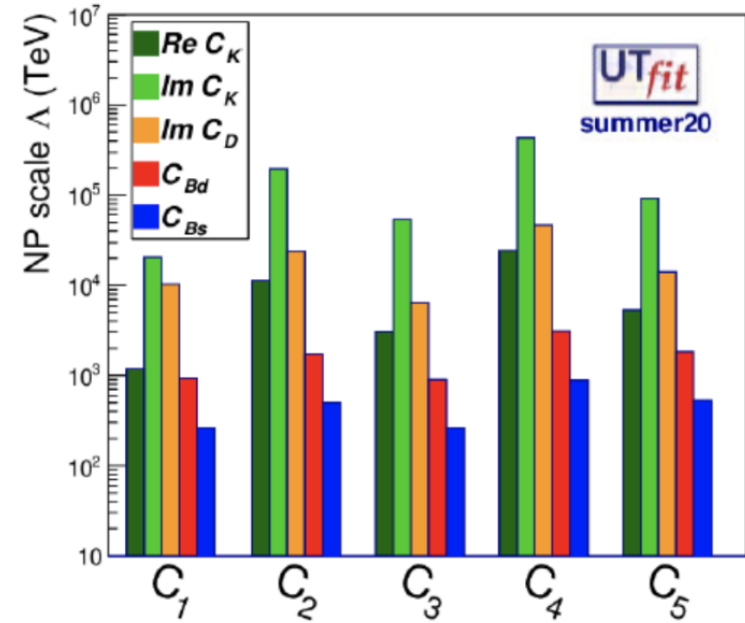
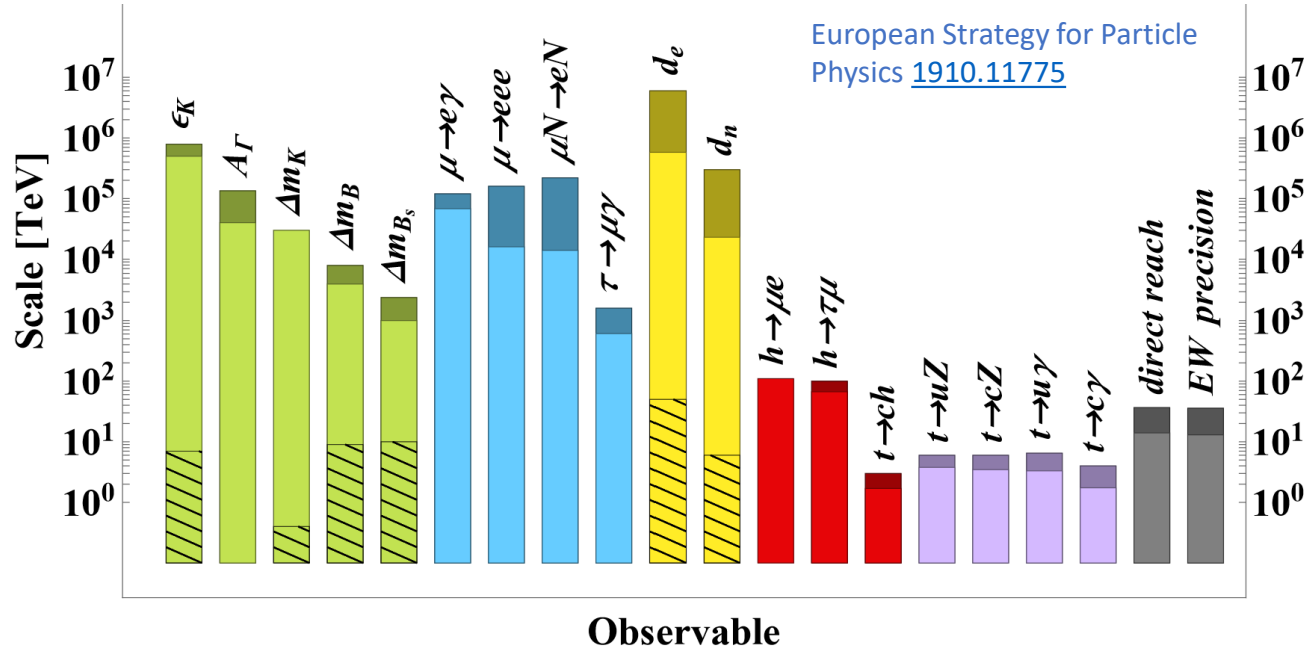
While the hierarchy problem points to scale  $M_* \sim \text{TeV}$ , flavour points to much higher scales!



E.g. kaon mixing:  $L \supset \frac{(\bar{d}s)^2}{\Lambda_{sd}^2} \Rightarrow \Lambda_{sd} \gtrsim 10^{5\div 6} \text{ TeV}$

# The BSM Flavour Puzzle

While the hierarchy problem points to scale  $M_* \sim \text{TeV}$ , flavour points to much higher scales!



E.g. kaon mixing:  $L \supset \frac{(\bar{d}s)^2}{\Lambda_{sd}^2} \Rightarrow \Lambda_{sd} \gtrsim 10^{5\div 6} \text{ TeV}$

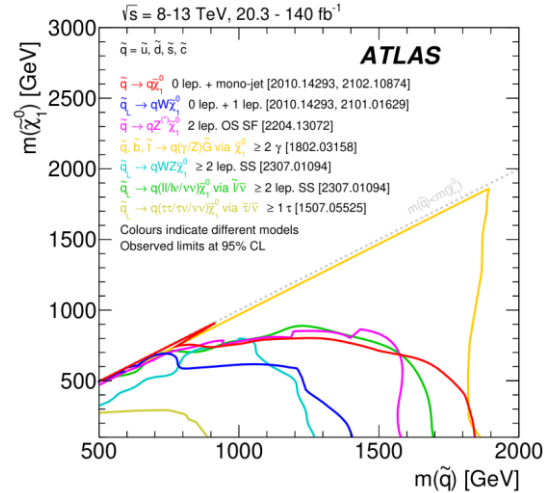
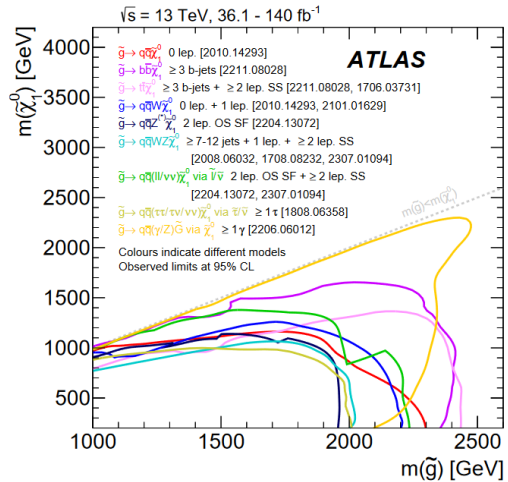
Therefore *any* solution to hierarchy problem **needs** non-trivial **flavour structure**

E.g. **Minimal Flavour Violation (MFV)**: BSM couplings  $C_{ij} \sim \delta_{ij} + \dots$ , with ... built from SM Yukawas

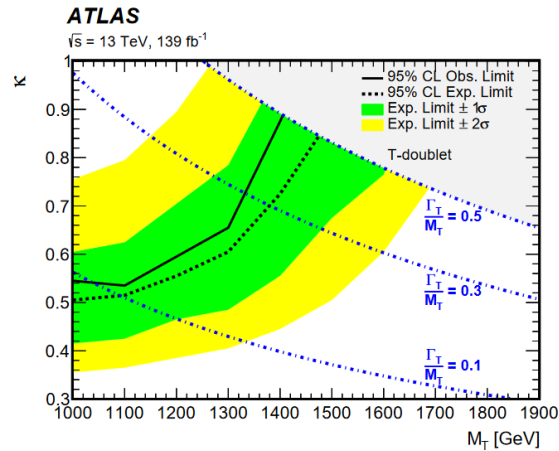
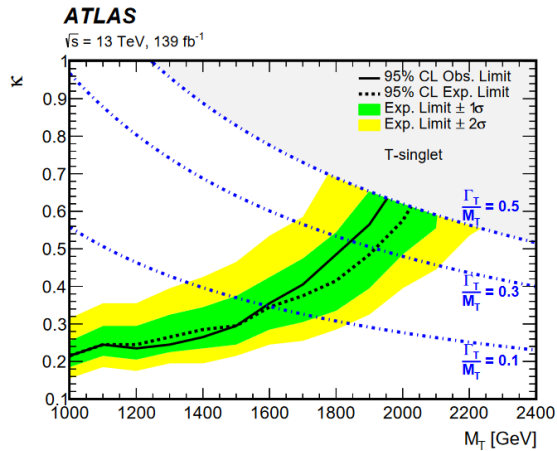
$$\text{MFV: } \frac{1}{\Lambda_{sd}^2} \sim y_t^4 (V_{31} V_{32}^*)^2 \frac{1}{\Lambda_{\text{NP}}^2} \sim \left( \frac{10^{-5}}{\Lambda_{\text{NP}}} \right)^2 \text{ is good enough flavour protection!}$$

# We are now probing $M_*$ directly at the LHC

Few TeV limits on SUSY particles, top partners!



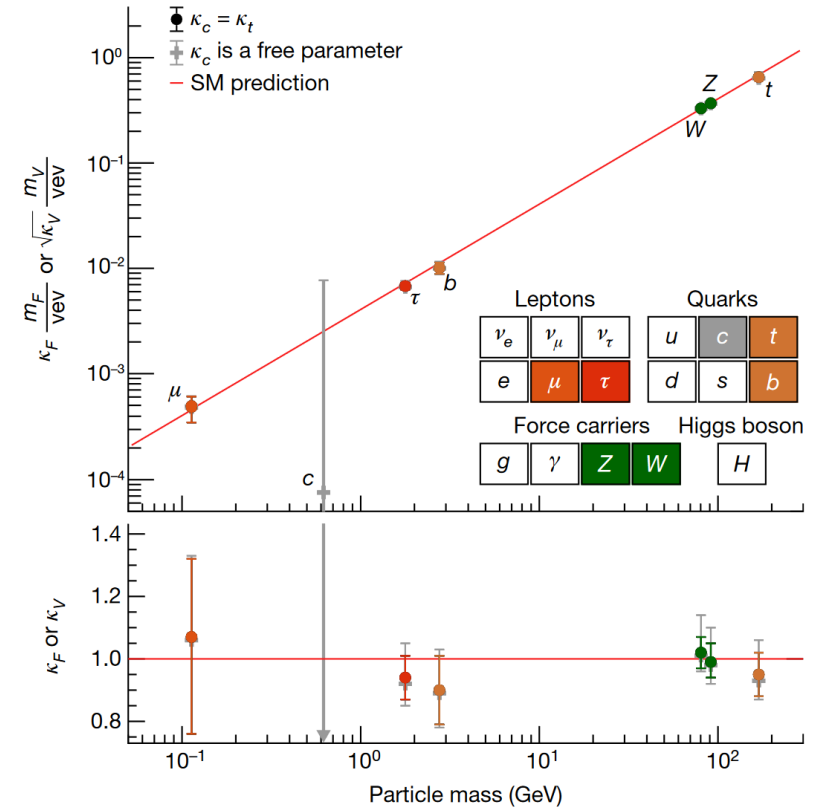
ATLAS,  
[2403.02455](#)



ATLAS,  
[2307.07584](#)

$$\Rightarrow \frac{\delta m_h^2}{m_h^2} \sim \left( \frac{M_T}{500 \text{ GeV}} \right)^2$$

+ No sign of compositeness in Higgs couplings!  
 $HWW, HZZ$  at LHC agree with SM to 3%



$$\Rightarrow \frac{v^2}{f^2} \lesssim 5\%$$



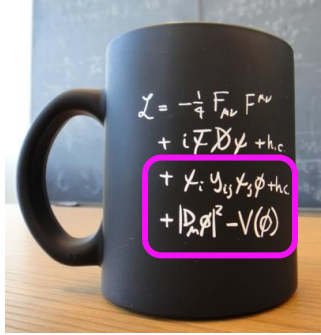
# The Higgs-centric view of BSM

\*The Higgs has an unnaturally small **mass** parameter:

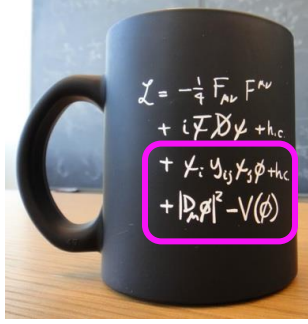
Large hierarchy:  $\mu^2 \ll \Lambda_{\text{high scales}}^2 \Rightarrow$  **compositeness** or **SUSY** as low scale as possible

Little hierarchy:  $\mu^2 \ll \Lambda_{\text{SM}}^2 \sim \text{TeV}^2 \Rightarrow$  accept it! or try even clever-er model-building

E.g. Durieux, McCullough, Salvioni [2110.06941](#), [2202.01228](#)



# The Higgs-centric view of BSM



\*The Higgs has an unnaturally small **mass** parameter:

Large hierarchy:  $\mu^2 \ll \Lambda_{\text{high scales}}^2 \Rightarrow$  **compositeness** or **SUSY** as low scale as possible

Little hierarchy:  $\mu^2 \ll \Lambda_{\text{SM}}^2 \sim \text{TeV}^2 \Rightarrow$  accept it! or try even clever-er model-building

\*Most of the Higgs couplings are generating **flavour**:

$y_{q_3 t_3} \sim 1$ ; all other x12 physical  $y_{ij} \ll 1$

$\Rightarrow \mathcal{L}_{\text{SM}}$  has approx.  **$U(2)^n$  flavour symmetry**

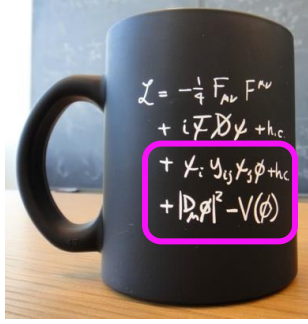
Is there a dynamical explanation? = “SM flavour puzzle”

$y_{ij}$  = marginal couplings: do not clearly point to a scale, unlike  $\mu^2$

$$Y_u \sim \begin{pmatrix} & & \\ & < 0.01 & 0.04 \\ & \uparrow & \uparrow \\ & & 1 \end{pmatrix}$$

$V_{cb}$  provides largest  $U(2)$ -breaking spurion  
Then  $y_2/y_3$  is next largest

# The Higgs-centric view of BSM



\*The Higgs has an unnaturally small **mass** parameter:

Large hierarchy:  $\mu^2 \ll \Lambda_{\text{high scales}}^2 \Rightarrow$  **compositeness** or **SUSY** as low scale as possible

Little hierarchy:  $\mu^2 \ll \Lambda_{\text{SM}}^2 \sim \text{TeV}^2 \Rightarrow$  accept it! or try even clever-er model-building

\*Most of the Higgs couplings are generating **flavour**:

$y_{q_3 t_3} \sim 1$ ; all other x12 physical  $y_{ij} \ll 1$

$\Rightarrow \mathcal{L}_{\text{SM}}$  has approx.  **$U(2)^n$  flavour symmetry**

Is there a dynamical explanation? = “SM flavour puzzle”

$y_{ij}$  = marginal couplings: do not clearly point to a scale, unlike  $\mu^2$

$$Y_u \sim \begin{pmatrix} & & \\ & < 0.01 & 0.04 \\ & \uparrow & \uparrow \\ & & 1 \end{pmatrix}$$

$V_{cb}$  provides largest  $U(2)$ -breaking spurion  
Then  $y_2/y_3$  is next largest

BUT since Higgs is origin of hierarchy problem & flavour puzzle: maybe they have a **joint solution** near TeV?

# Rest of the Talk

## 1. Introduction: Higgs-centric BSM

## 2. Higgs into Flavour

- Which flavour symmetry? The appeal of  $U(2)$ s over MFV
- Case study: partial compositeness solutions to hierarchy problem, MFV vs  $U(2)$
- Future prospects esp. FCC-ee

## 3. Flavour into Higgs

- Flavour non-universal gauge interactions as origin of  $U(2)$ , solving SM + BSM flavour puzzles
- Testing these flavour models via electroweak precision
- General Lessons from SMEFT regarding EW precision, and FCC-ee

## 2. Higgs into Flavour

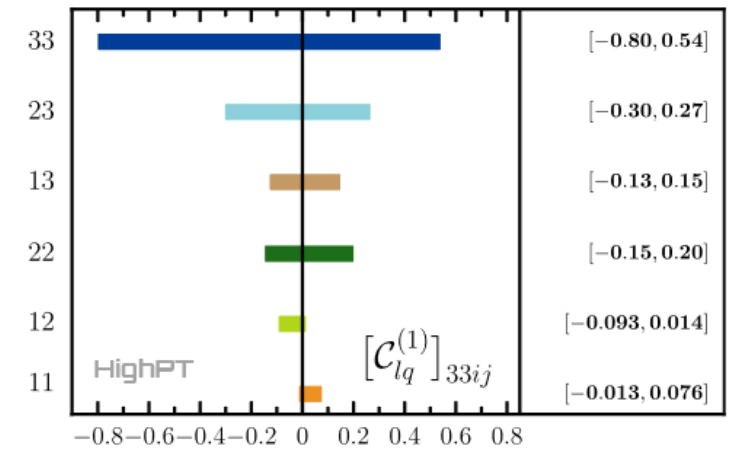
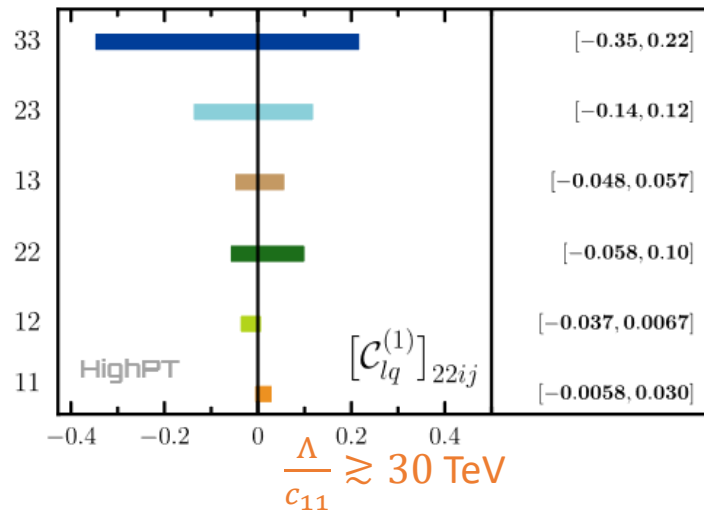
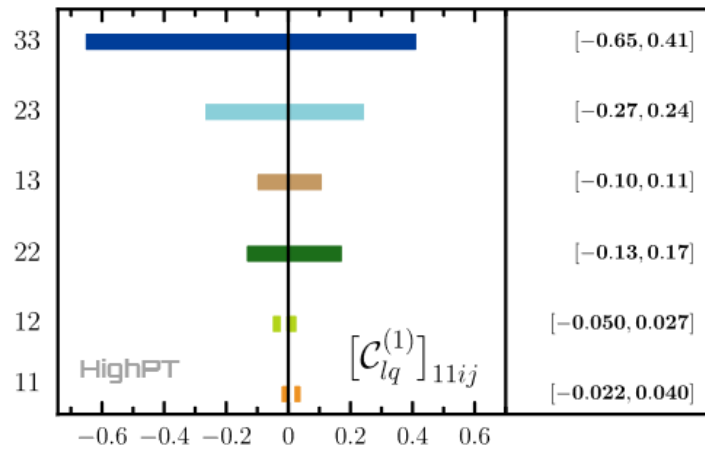
# BSM Flavour Puzzle: Beyond MFV

- MFV [ $C_{ij} \sim \delta_{ij} + \dots$ ] now probed to 10 TeV by LHC direct searches: driven by valence quarks

Example: High- $p_T$  Drell-Yan tails  $pp \rightarrow ll$   $\frac{\Lambda}{c_{33}} \gtrsim 3 \text{ TeV}$

Allwicher, Faroughy, Jaffredo, Sumensari, Wilsch, [2207.10714](#)

Allwicher, Faroughy, Jaffredo, Sumensari, Wilsch, [2207.10756](#)



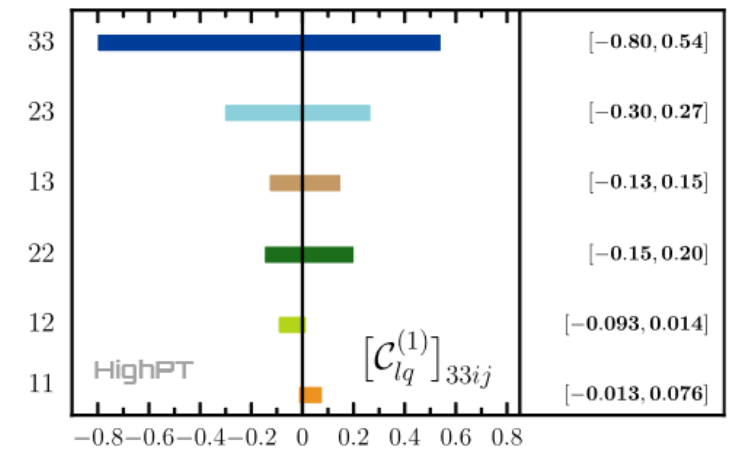
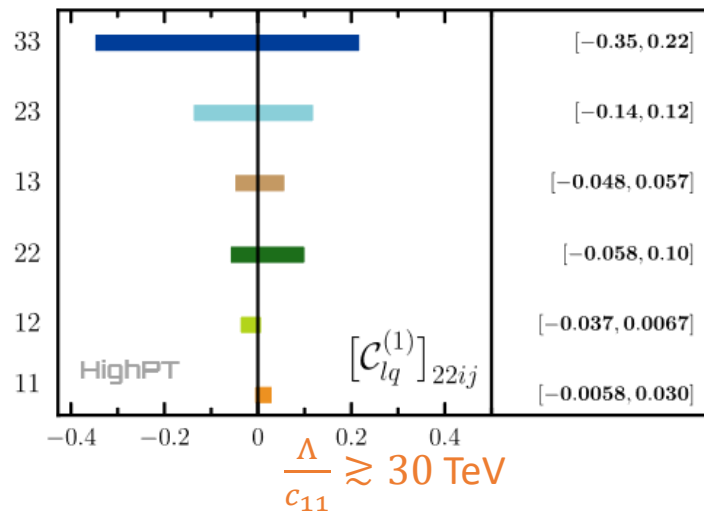
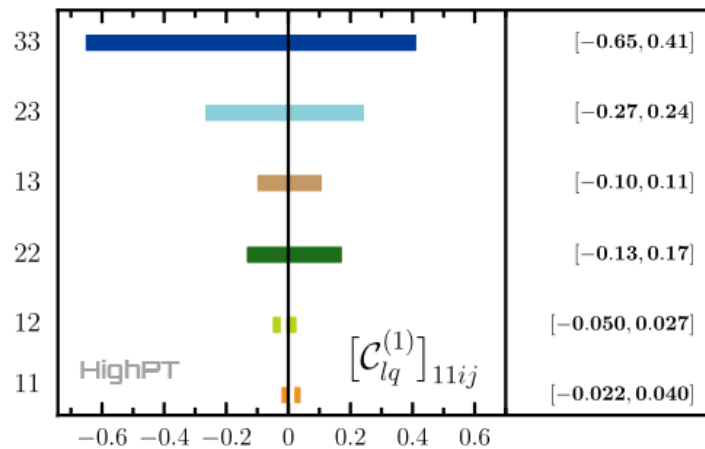
# BSM Flavour Puzzle: Beyond MFV

- MFV [ $C_{ij} \sim \delta_{ij} + \dots$ ] now probed to 10 TeV by LHC direct searches: driven by valence quarks

Example: High- $p_T$  Drell-Yan tails  $pp \rightarrow ll$   $\frac{\Lambda}{c_{33}} \gtrsim 3$  TeV

Allwicher, Faroughy, Jaffredo, Sumensari, Wilsch, [2207.10714](#)

Allwicher, Faroughy, Jaffredo, Sumensari, Wilsch, [2207.10756](#)



From MFV to  $U(2)$ : the **flavour non-universal** path to BSM...

$$C_{ij} \sim \begin{pmatrix} \epsilon & & \\ & \epsilon & \\ & & 1 \end{pmatrix} + \dots$$

1. Just as good flavour protection as MFV 😊
2. Direct search bounds weaker:  $\Lambda_{U(2)} \sim 1$  TeV vs  $\Lambda_{\text{MFV}} \sim 10$  TeV 😊
3. Same global symmetry as Yukawa! Also explain SM flavour puzzle? 😊

The  $U(2)$  vs MFV advantages are totally general; not just for semi-leptonic operators  
(we'll return to theories that solve the flavour puzzle later)

But how does the phenomenology play out in “explicit” solutions to the hierarchy problem?

Case study: **Composite Higgs from strongly dynamics;  $U(2)$  vs MFV**

Main reference here:

Glioti, Rattazzi, Ricci, Vecchi, [2402.09503](#); see also Stefanek, [2407.09593](#)



# How to generate flavour in Composite Higgs Models?

The problem with elementary fermions:  $L_{\text{strong}} \supset \frac{1}{\Lambda^{d-1}} \bar{q} O_H u + \Lambda^{4-d'} O_H O_H^\dagger + \frac{1}{\Lambda^2} (\bar{q} q)^2$  Cannot have  $\Lambda$  low due to flavour bounds

$O_H$  is a composite scalar operator with quantum numbers of Higgs.  
Want  $d \approx 1$  to get large top Yukawa

Want  $O_H O_H^\dagger$  to be irrelevant!  
But  $d \approx 1$  (quasi-free) implies  $d' \approx 2d \approx 2$

# How to generate flavour in Composite Higgs Models?

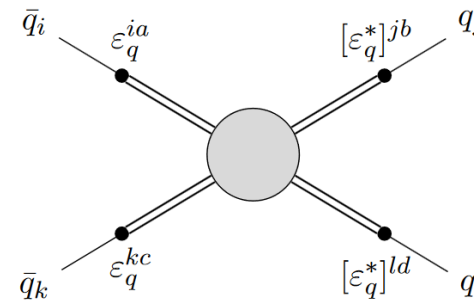
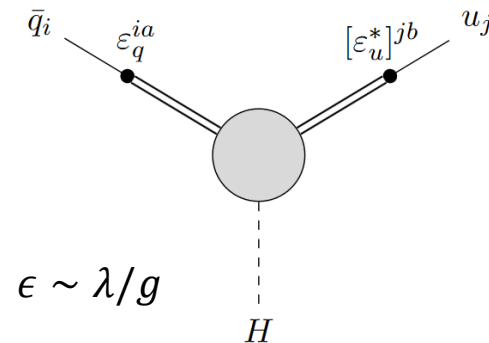
The problem with elementary fermions:  $L_{\text{strong}} \supset \frac{1}{\Lambda^{d-1}} \bar{q} O_H u + \Lambda^{4-d'} O_H O_H^\dagger + \frac{1}{\Lambda^2} (\bar{q} q)^2$  Cannot have  $\Lambda$  low due to flavour bounds

$O_H$  is a composite scalar operator with quantum numbers of Higgs.  
Want  $d \approx 1$  to get large top Yukawa

Want  $O_H O_H^\dagger$  to be irrelevant!  
But  $d \approx 1$  (quasi-free) implies  $d' \approx 2d \approx 2$

**Partial Compositeness** is a solution:  $L \supset \lambda_q^{ia} \bar{q}_i O_a^q + \lambda_u^{ia} \bar{u}_i O_a^u + \bar{O}_a^q O_H O_b^u$

Kaplan, [1991](#)  
Review: Panico, Wulzer, [1506.01961](#)



Yukawa couplings now generated by **relevant** operators

# Aside: Flavour from Anarchy?



Partial compositeness even promised a *dynamical solution* to *flavour puzzle*:

- The  $\lambda_q^{ia} \bar{q}_i O_a^q$  mixing operators run with scale
- If  $\lambda_q^{ia}$  anarchic at high scale  $\Lambda_{\text{high}}$ , slight differences in anomalous dimensions of  $O_a^q$  transmute to *exponential hierarchies* in the resulting “proto-Yukawas” at scale  $m_*$

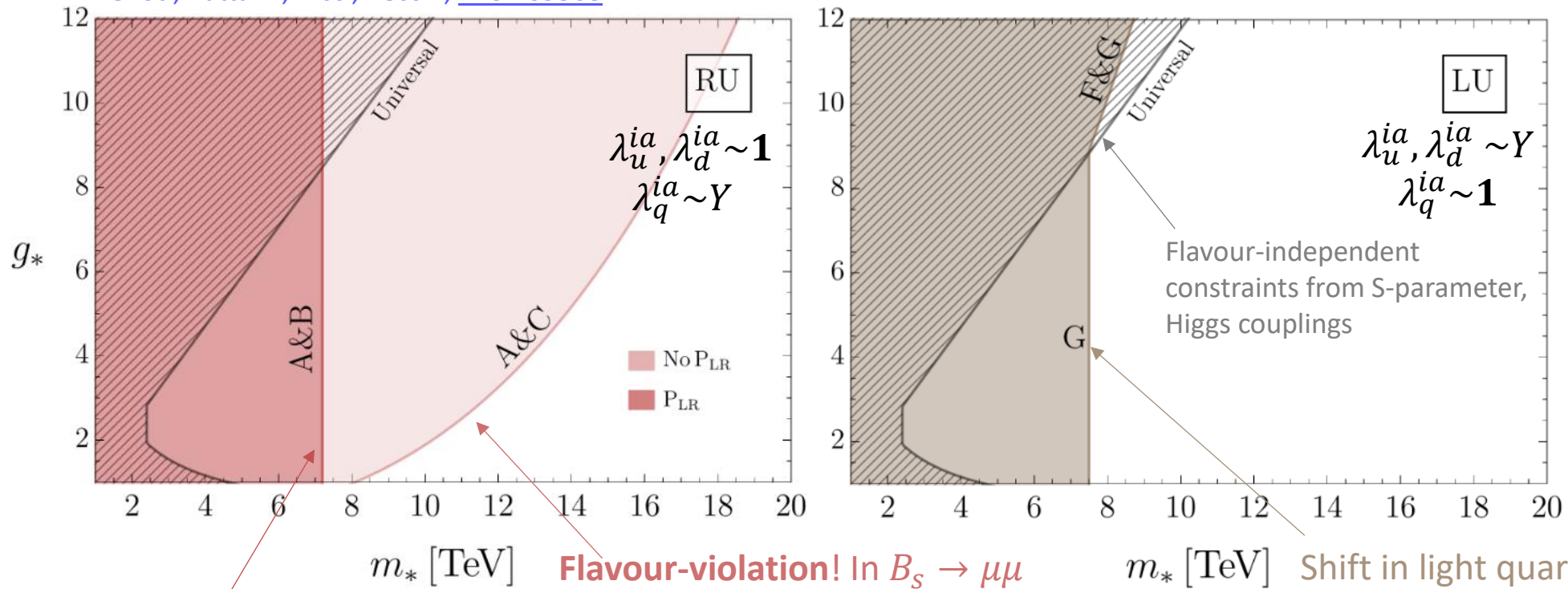
$$\lambda_\psi^{ia}(m_*) \simeq \lambda_\psi^{ia}(\Lambda) \left(\frac{m_*}{\Lambda}\right)^{\gamma_\psi^a} \equiv \lambda_\psi^{ia}(\Lambda) e^{-\gamma_\psi^a L}, \quad L \equiv \ln \Lambda/m_*$$

- BUT this entails large flavour violation also at  $m_*$
- Strongest bound from neutron EDM  $\Rightarrow M_* \gtrsim 20 \div 25 \text{ TeV}$   
[ Even assuming 1-loop suppressed quark dipole operators ]
- Such a high scale degrades this as a solution to the hierarchy problem AND is untestable in colliders
- We **need** a flavour symmetry to bring down  $m_*$ . Let's compare MFV vs.  $U(2)$ -like

# Partial Compositeness with MFV: $M_* \gtrsim 7 \div 8 \text{ TeV}$

MFV-like flavour symmetry [+ custodial  $SU(2)_L \times SU(2)_R$  symmetry to protect  $m_W/m_Z$ ]

Glioti, Rattazzi, Ricci, Vecchi, [2402.09503](#)



Label	Observable
A	$pp \rightarrow jj$
B	$\Delta F = 2 (B_d)$
C	$B_s \rightarrow \mu^+ \mu^-$
D	nEDM
E	$B^0 \rightarrow K^{*0} e^+ e^- (C_7')$
F	$B \rightarrow X_s \gamma (C_7)$
G	W-coupling

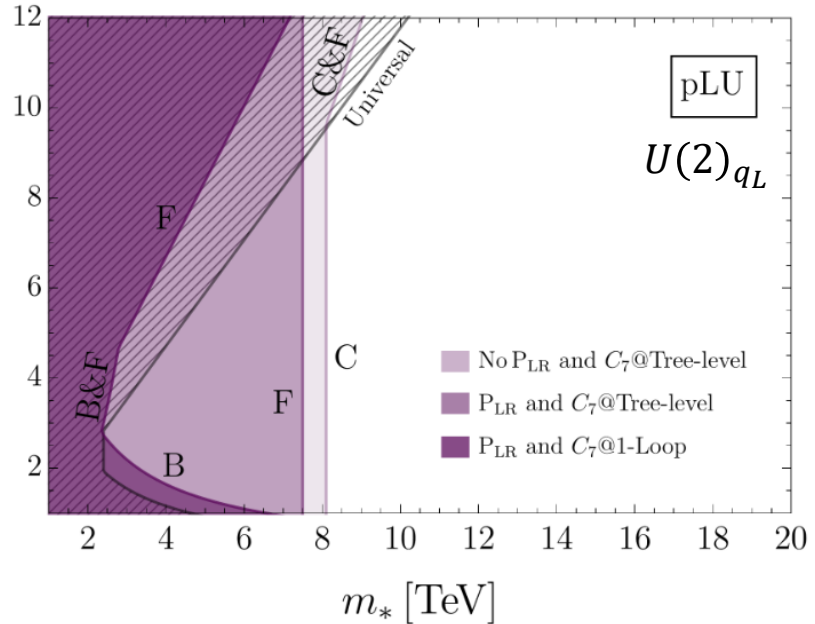
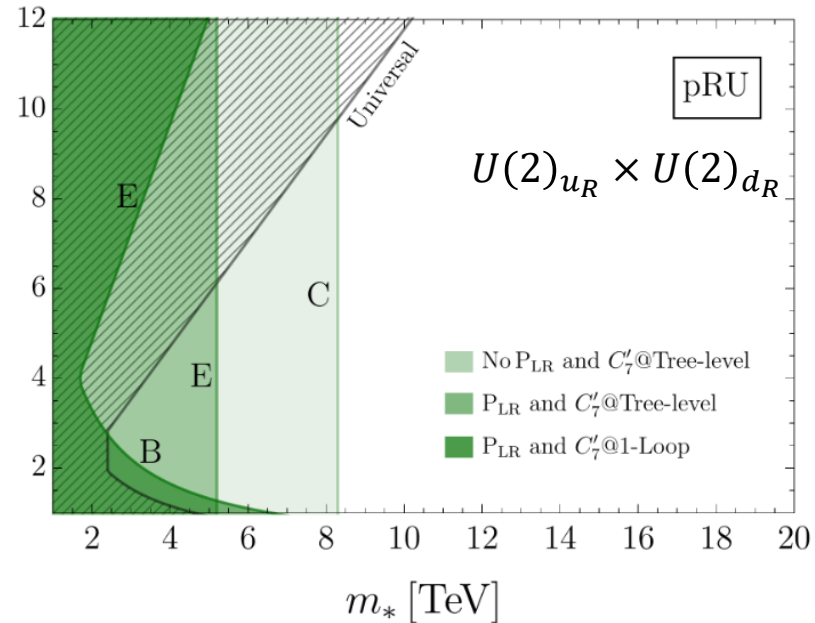
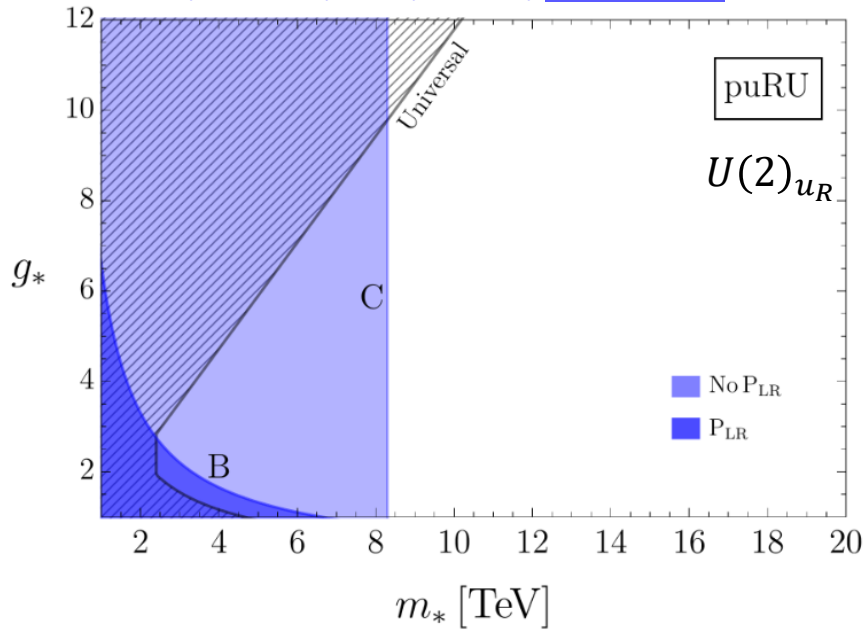
Di-jet constraints from LHC, driven by light quark couplings

$P_{LR}$  denotes an extension of custodial by a 'left-right' exchange symmetry [kills corrections to  $Zb_L b_L$  vertices]

Key point: strongest current bounds are driven by couplings to **light generation fermions OR flavour violation**, not EW constraints

# Partial Compositeness with $U(2)$ : $M_* \gtrsim 1 \div 2 \text{ TeV}$

Glioti, Rattazzi, Ricci, Vecchi, [2402.09503](#)



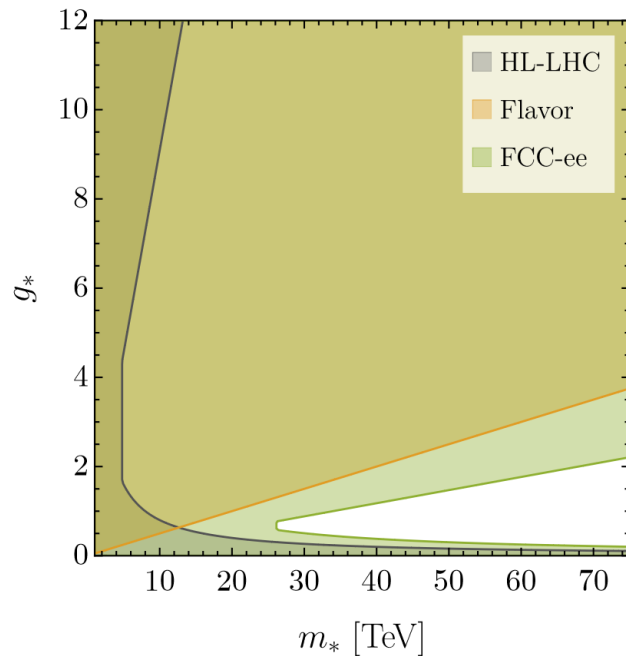
Label	Observable
<del>A</del>	<del><math>pp \rightarrow jj</math></del>
B	$\Delta F = 2 (B_d)$
C	$B_s \rightarrow \mu^+ \mu^-$
D	nEDM
E	$B^0 \rightarrow K^{*0} e^+ e^- (C_7')$
F	$B \rightarrow X_s \gamma (C_7)$
G	W-coupling

Going from MFV to  $U(2)$ , we decouple the strong LHC constraints: dominant bounds now heavy-to-light quark flavour-violation + universal EW constraints

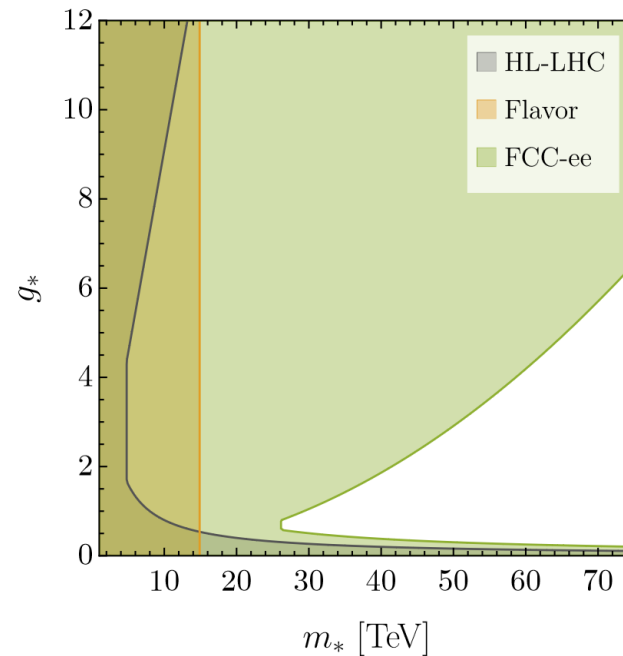
# Future Prospects: HL-LHC, FCC-ee

Stefanek, [2407.09593](#)

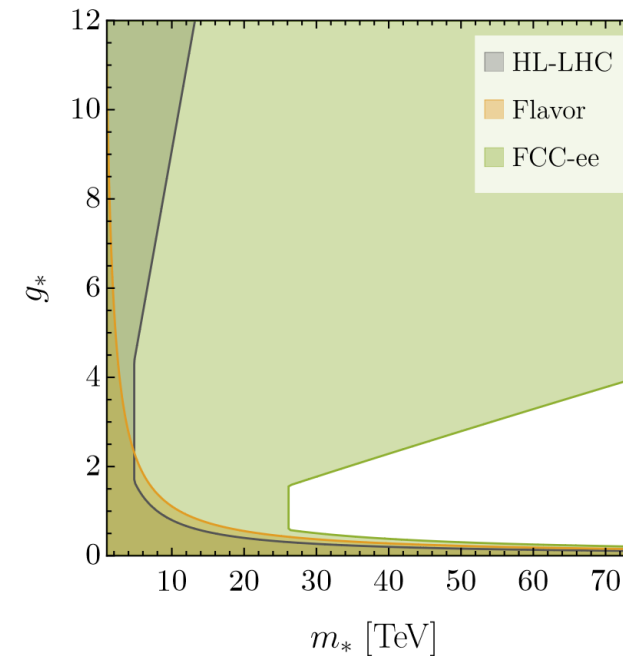
- FCC-ee “tera-Z” run: approx.  $10^5$  times LEP dataset on Z-pole
- With this precision, RG-running into EWPOs at 1-loop (and even 2-loop) is crucially important



(a) Left compositeness



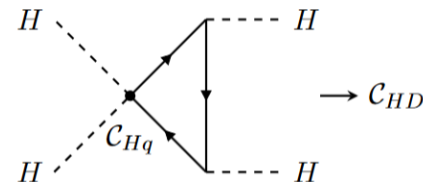
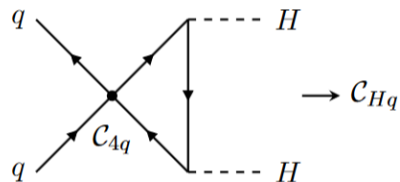
(b) Mixed compositeness



(c) Right compositeness

All 3 scenarios have  $U(2)_{u_R} \times U(2)_{q_L}$

- All sectors contribute to EWPO bounds at this precision, including e.g. 4 top operators which shift  $m_W$  at NLL



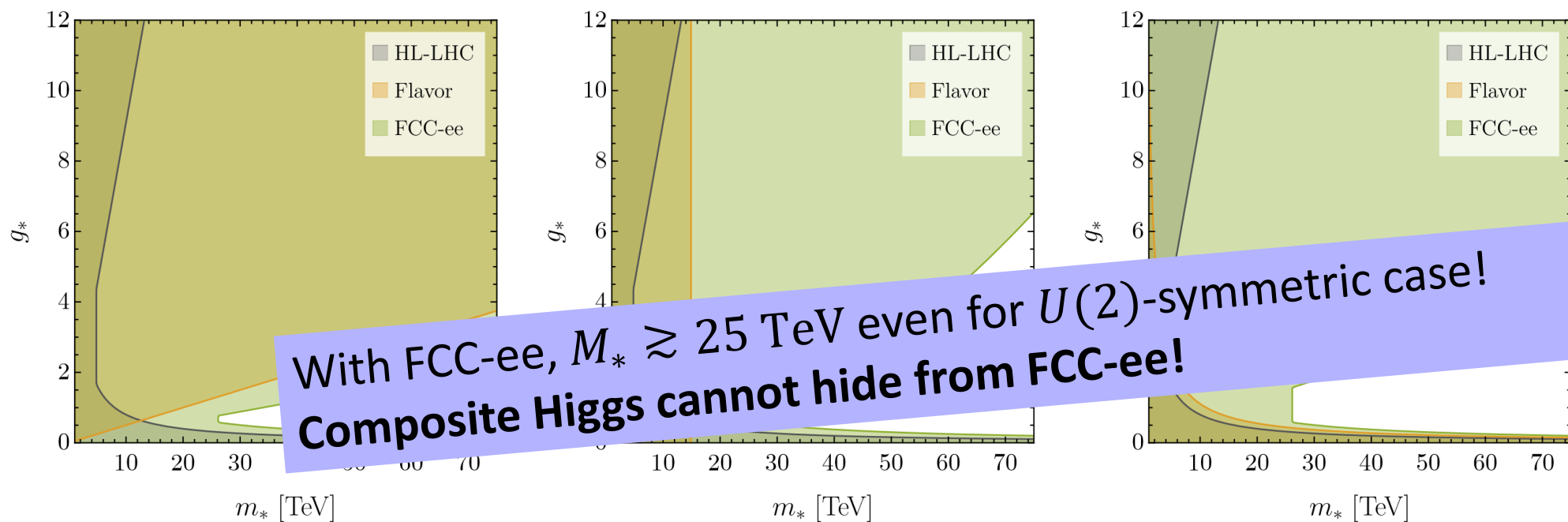
Even current EWPOs give stronger constraint on  $O_{tt} \sim (t\bar{t})^2$  than LHC  $pp \rightarrow t\bar{t}$  and  $pp \rightarrow t\bar{t}t\bar{t}$  measurements!

c.f. also Allwicher et al, [2302.11584](#)

# Future Prospects: HL-LHC, FCC-ee

Stefanek, [2407.09593](#)

- FCC-ee “tera-Z” run: approx.  $10^5$  times LEP dataset on Z-pole
- With this precision, RG-running into EWPOs at 1-loop (and even 2-loop) is crucially important

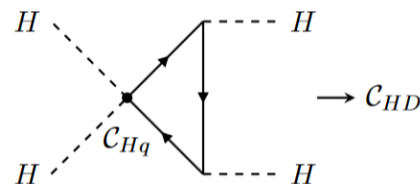
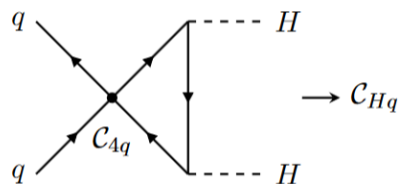


(a) Left compositeness

(b) Mixed compositeness

(c) Right compositeness

- All sectors contribute to EWPO bounds at this precision, including e.g. 4 top operators which shift  $m_W$  at NLL

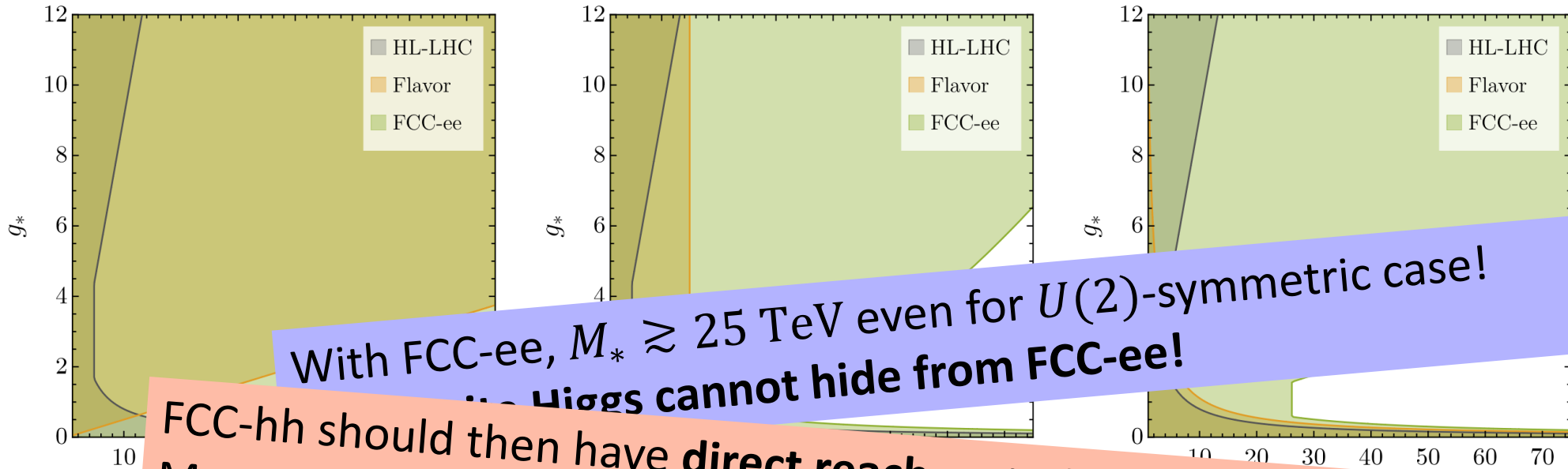


Even current EWPOs give stronger constraint on  $O_{tt} \sim (t\bar{t})^2$  than LHC  $pp \rightarrow t\bar{t}$  and  $pp \rightarrow t\bar{t}t\bar{t}$  measurements!

# Future Prospects: HL-LHC, FCC-ee

Stefanek, [2407.09593](#)

- FCC-ee “tera-Z” run: approx.  $10^5$  times LEP dataset on Z-pole
- With this precision, RG-running into EWPOs at 1-loop (and even 2-loop) is crucially important



With FCC-ee,  $M_* \gtrsim 25$  TeV even for  $U(2)$ -symmetric case!

... Higgs cannot hide from FCC-ee!

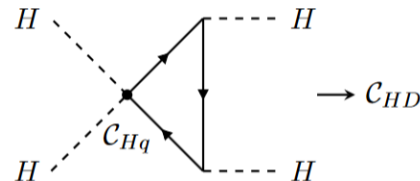
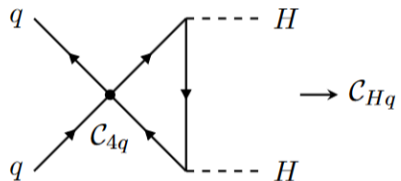
FCC-hh should then have **direct reach** up to  $M_* \sim 20$  TeV [Golling et al [1606.00947](#)]

Muon Collider could have direct reach up to  $E_{\text{CoM}}/2$  [Accettura et al [2303.08533](#)]

(a) Left compositeness

(b) Mixed compositeness

- All sectors contribute to EWPO bounds at this precision, including e.g. 4 top operators which shift  $m_W$  at NLL



Even current EWPOs give stronger constraint on  $O_{tt} \sim (t\bar{t})^2$  than LHC  $pp \rightarrow t\bar{t}$  and  $pp \rightarrow t\bar{t}t\bar{t}$  measurements!



# 3. Flavour into Higgs/EW

# BSM Flavour Puzzle: Beyond MFV

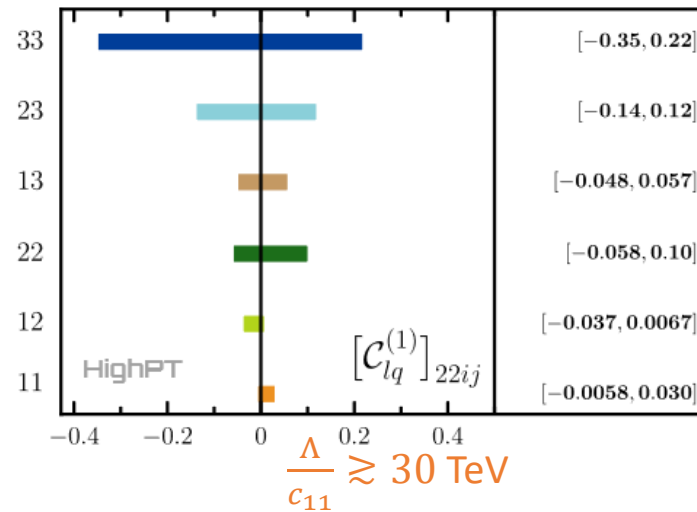
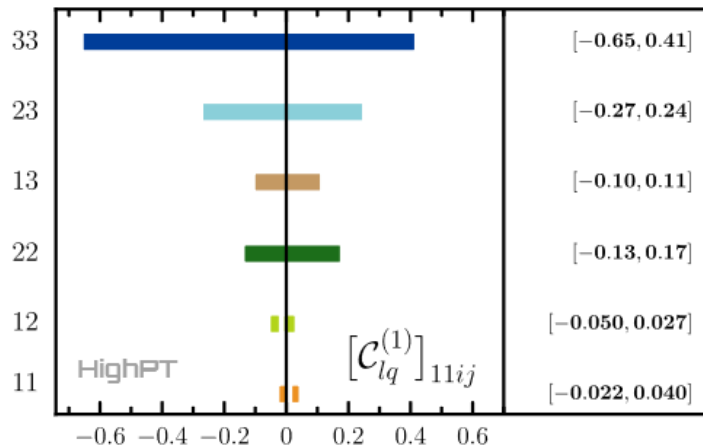
- MFV [ $C_{ij} \sim \delta_{ij} + \dots$ ] now probed to 10 TeV by LHC direct searches: driven by valence quarks

Example: High- $p_T$  Drell-Yan tails  $pp \rightarrow ll$

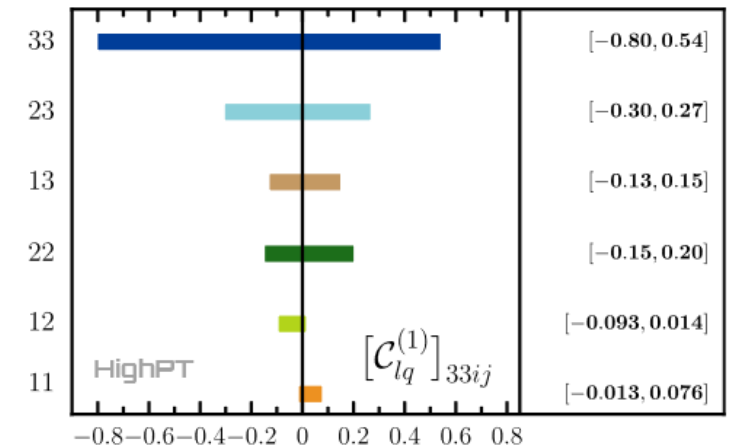
$$\frac{\Lambda}{c_{33}} \gtrsim 3 \text{ TeV}$$

Allwicher, Faroughy, Jaffredo, Sumensari, Wilsch, [2207.10714](#)

Allwicher, Faroughy, Jaffredo, Sumensari, Wilsch, [2207.10756](#)



$$\frac{\Lambda}{c_{11}} \gtrsim 30 \text{ TeV}$$



From MFV to  $U(2)$ : the **flavour non-universal** path to BSM...

$$C_{ij} \sim \begin{pmatrix} \epsilon & & \\ & \epsilon & \\ & & 1 \end{pmatrix} + \dots$$

1. Just as good flavour protection as MFV 😊
2. Direct search bounds weaker:  $\Lambda_{U(2)} \sim 1 \text{ TeV}$  vs  $\Lambda_{\text{MFV}} \sim 10 \text{ TeV}$  😊
3. Same global symmetry as Yukawa! Also explain SM flavour puzzle? 😊

# So far $U(2)$ has been imposed. What could be its origin?

Flavour non-universal [3 vs 1+2] gauge symmetry!

A finite class of models is provided by **flavour deconstruction**

$$G_1 \times G_2 \times G_{3+H} \rightarrow G_{12} \times G_{3+H} \quad \langle \phi_{12} \rangle \sim 100(0\dots) \text{ TeV}$$

$$\rightarrow G_{\text{SM}} \quad \langle \phi_{23} \rangle \sim 1(0\dots) \text{ TeV}$$

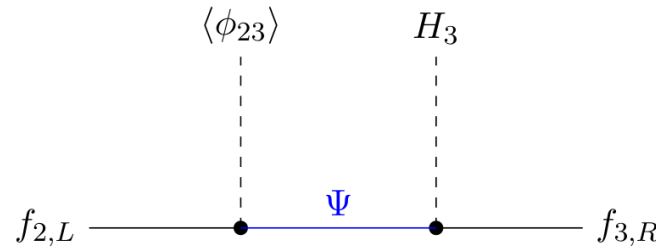
Original example: Li, Ma, [1981](#)

Breaking pattern  $G_A \times G_B \rightarrow G_{A+B}$ , given scalar  $\phi$ , is **generic** for simple  $G$ !

Goursat, 1889

Craig, Garcia-Garcia, Sutherland, [1704.07831](#)

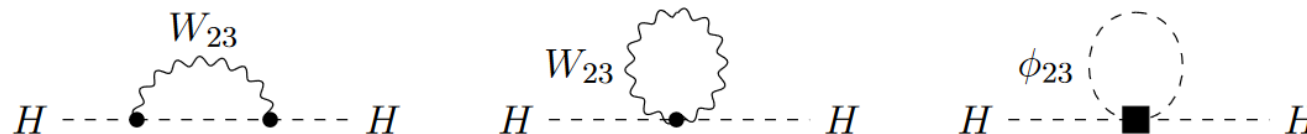
**Solves the SM flavour puzzle**



$$\Rightarrow y_{23} \sim \frac{v_{23}}{M_\Psi} = \epsilon_{23}$$

**Non-decoupling phenomenology**

- Predicts non-universal, charged heavy gauge bosons in adj  $G$ , gauge couplings  $\gtrsim g_i = O(1)$
- Cannot be decoupled [ $M \rightarrow \infty$ ] without creating a hierarchy problem  $\delta m_h^2 \sim g^2 M^2 / 16\pi^2$



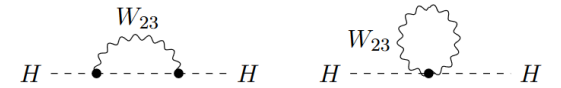
# Survey of Flavour Deconstruction models

	Deconstructed force	$SU(3)$	$SU(2)_L$	$SU(2)_R$	$U(1)_Y$	$U(1)_{B-L}$
Flavour	$ V_{cb}  \ll 1$	✓	✓	×	✓	✓
	$y_i \ll y_3$	×	✓	✓	✓	×
EW	Natural upper limit of $ \tan \theta  M$ EWPOs order	90 TeV 1-loop	20 TeV Tree	40 TeV Tree	40 TeV Tree	500 TeV 1-loop

Davighi, Isidori [2303.01520](#)

$$Y \sim \begin{pmatrix} \times & & \\ & \times & \\ & & \times \end{pmatrix} \quad \begin{pmatrix} & & \\ \times & \times & \times \end{pmatrix} \quad \begin{pmatrix} & & \\ & & \\ \times & \times & \times \end{pmatrix}$$

“Finite naturalness” limits on  $M_X$  from requiring the finite part of  $\delta m_h^2 \lesssim 1 \text{ TeV}^2$



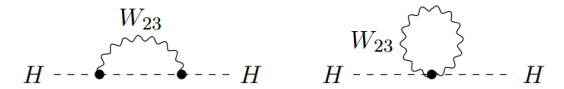
# Survey of Flavour Deconstruction models

	Deconstructed force	$SU(3)$	$SU(2)_L$	$SU(2)_R$	$U(1)_Y$	$U(1)_{B-L}$
Flavour	$ V_{cb}  \ll 1$	✓	✓	×	✓	✓
	$y_i \ll y_3$	×	✓	✓	✓	×
EW	Natural upper limit of $ \tan \theta  M$ EWPOs order	90 TeV 1-loop	20 TeV Tree	40 TeV Tree	40 TeV Tree	500 TeV 1-loop

Davighi, Isidori [2303.01520](#)

$$Y \sim \begin{pmatrix} \times & & \\ & \times & \\ & & \times \end{pmatrix} \quad \begin{pmatrix} & & \\ \times & \times & \times \end{pmatrix} \quad \begin{pmatrix} & & \\ & & \\ \times & \times & \times \end{pmatrix}$$

“Finite naturalness” limits on  $M_X$  from requiring the finite part of  $\delta m_h^2 \lesssim 1 \text{ TeV}^2$



Motivates a **joint solution** with the **hierarchy problem**. Example: **flavour deconstructed compositeness**

Covone, Davighi, Isidori, Pesut, [2407.10950](#)

See Marko Pesut’s parallel talk

- Delivers a **gauge explanation** for the  $U(2)$  protection that we saw can lower compositeness scale
- More freedom for tuning in minimal composite Higgs  $m_h^2 \sim \frac{1}{16\pi^2} [\#y_t^2 M_T^2 - \#g_{R,3}^2 M_\rho^2 + \#g_{R,3}^4 v_\phi^2]$
- To explain  $y_2 \ll y_3$ , the heavy fermion is 100s of TeV – but gives no radiative contribution to Higgs mass thanks to compositeness near TeV!

# Phenomenology of Flavour Deconstructed Gauge Bosons

	Deconstructed $SU(2)_L$	Deconstructed $U(1)_Y$
Electroweak: Z-pole & W-pole	9 TeV (5 TeV if exc. $m_W$ )	2 TeV
Flavour: $B_s \rightarrow \mu\mu$ (up-alignment)	7.5 TeV	2 TeV
High $p_T$ : Drell–Yan $pp \rightarrow ee, \mu\mu, \tau\tau$	4.5 TeV	3.5 TeV
EW projection FCC-ee: on and off Z-pole & W-pole	30 TeV	7 TeV

Davighi, Gosnay, Miller,  
Renner [2312.13346](#)

Davighi, Stefanek [2305.16280](#)

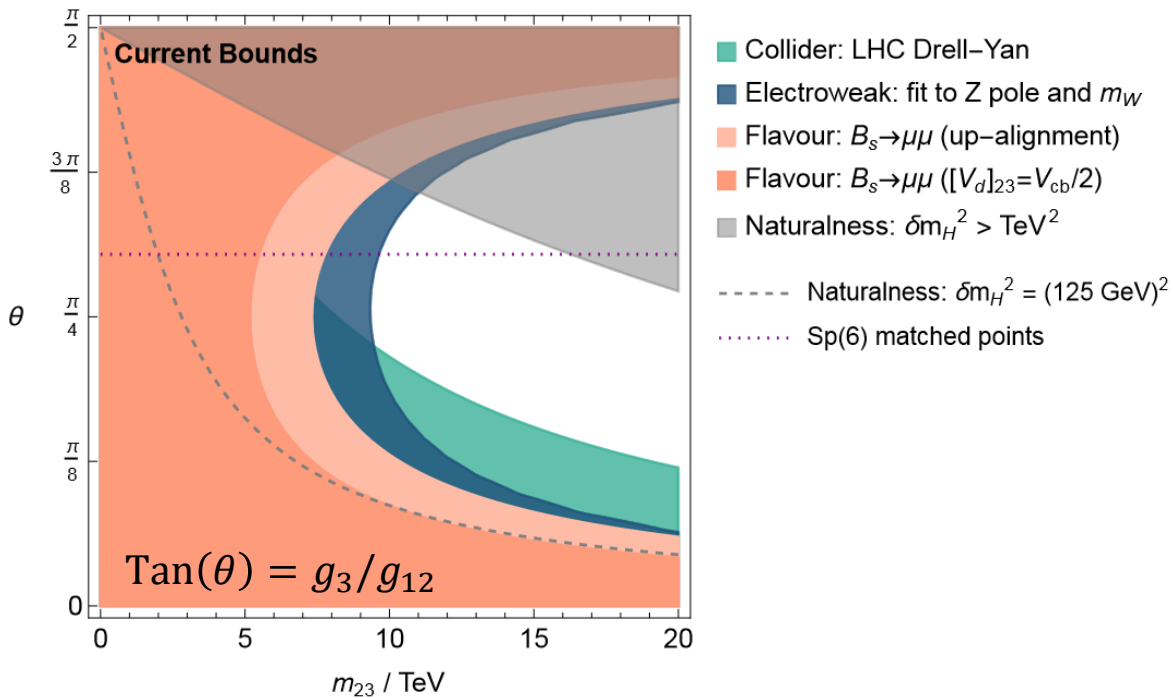
Tree-level shifts in Z-pole observables &  $m_W$  means EW constraints often stronger than flavour!

Key observable given current data is e.g. the W mass (+ Z-pole measurements from LEP *etc*)

- Deconstructing  $SU(2)_L$  gives  $\delta m_W < 0$
- Deconstructing  $U(1)_Y$  gives  $\delta m_W > 0$

# Phenomenology of Deconstructed $SU(2)_L$ gauge bosons

	Deconstructed $SU(2)_L$	Deconstructed $U(1)_Y$
Electroweak: Z-pole & W-pole	9 TeV (5 TeV if exc. $m_W$ )	2 TeV
Flavour: $B_s \rightarrow \mu\mu$ (up-alignment)	7.5 TeV	2 TeV
High $p_T$ : Drell–Yan $pp \rightarrow ee, \mu\mu, \tau\tau$	4.5 TeV	3.5 TeV
EW projection FCC-ee: on and off Z-pole & W-pole	30 TeV	7 TeV

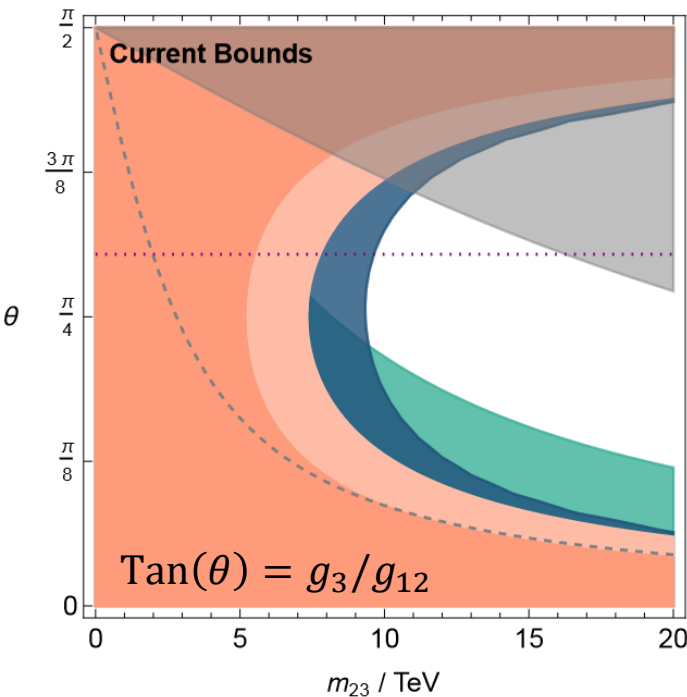


Davighi, Gosnay, Miller, Renner [2312.13346](#)

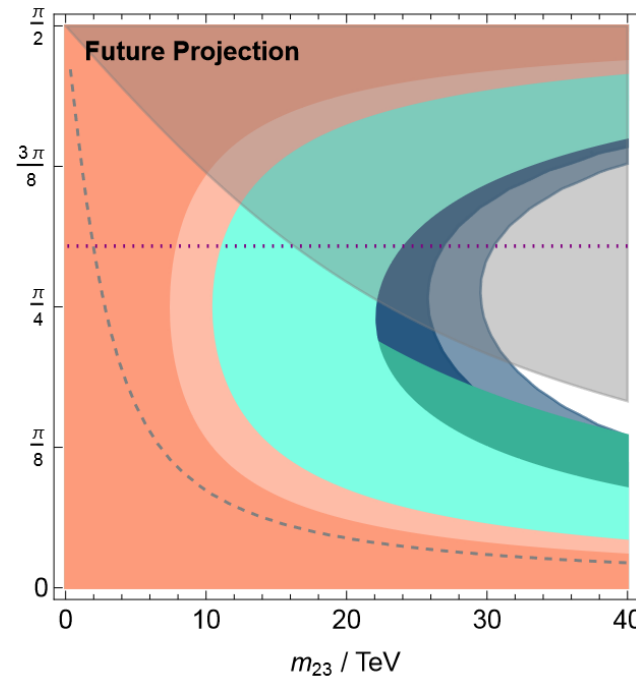
See also Capdevila, Crivellin, Lizana, Pokorski [2401.00848](#)

# Phenomenology of Deconstructed $SU(2)_L$ gauge bosons

	Deconstructed $SU(2)_L$	Deconstructed $U(1)_Y$
Electroweak: Z-pole & W-pole	9 TeV (5 TeV if exc. $m_W$ )	2 TeV
Flavour: $B_s \rightarrow \mu\mu$ (up-alignment)	7.5 TeV	2 TeV
High $p_T$ : Drell-Yan $pp \rightarrow ee, \mu\mu, \tau\tau$	4.5 TeV	3.5 TeV
EW projection FCC-ee: on and off Z-pole & W-pole	30 TeV	7 TeV



- Collider: LHC Drell-Yan
- Electroweak: fit to Z pole and  $m_W$
- Flavour:  $B_s \rightarrow \mu\mu$  (up-alignment)
- Flavour:  $B_s \rightarrow \mu\mu$  ( $[V_d]_{23} = V_{cb}/2$ )
- Naturalness:  $\delta m_H^2 > \text{TeV}^2$
- Naturalness:  $\delta m_H^2 = (125 \text{ GeV})^2$
- ..... Sp(6) matched points



- Electroweak: projected FCC-ee including off-Z-peak
- Electroweak: projected FCC-ee, Z-pole observables only
- Collider: projected Drell-Yan at HL-LHC
- cLFV: projected  $\mu \rightarrow 3e$  at Mu3e (CKM-like leptons)
- Flavour: projected  $B_s \rightarrow \mu\mu$  at HL-LHC (up-alignment)
- Flavour: projected  $B_s \rightarrow \mu\mu$  at HL-LHC ( $[V_d]_{23} = V_{cb}/2$ )
- Naturalness:  $\delta m_H^2 > \text{TeV}^2$
- Naturalness:  $\delta m_H^2 = (125 \text{ GeV})^2$
- ..... Sp(6) matched points

- + key flavour probe at FCC-ee!
- $B \rightarrow K\nu\nu$  to 1% at FCC-ee, synergy with  $B_s \rightarrow \mu\mu$  at HL-LHC
  - Tau LFUV measurements at FCC-ee improve by x13, probe 11 TeV
  - $b s \tau \tau$  prospects at FCC-ee

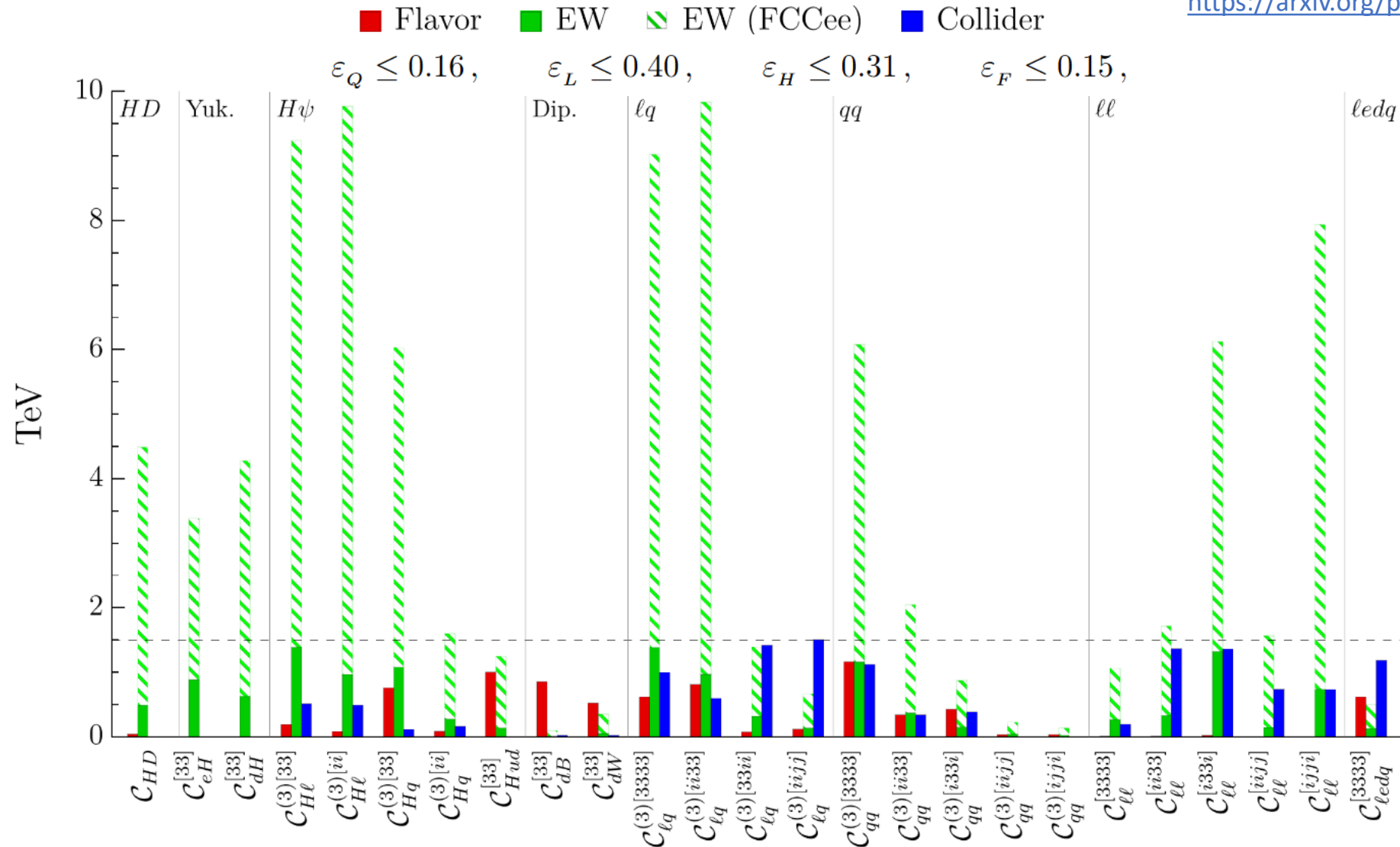
Davighi, Gosnay, Miller, Renner [2312.13346](#)  
 See also Capdevila, Crivellin, Lizana, Pokorski [2401.00848](#)



# The power of tera-Z: general lessons from the SMEFT

Approach 1: bounds on the  $U(2)$ -symmetric SMEFT, including RGE running

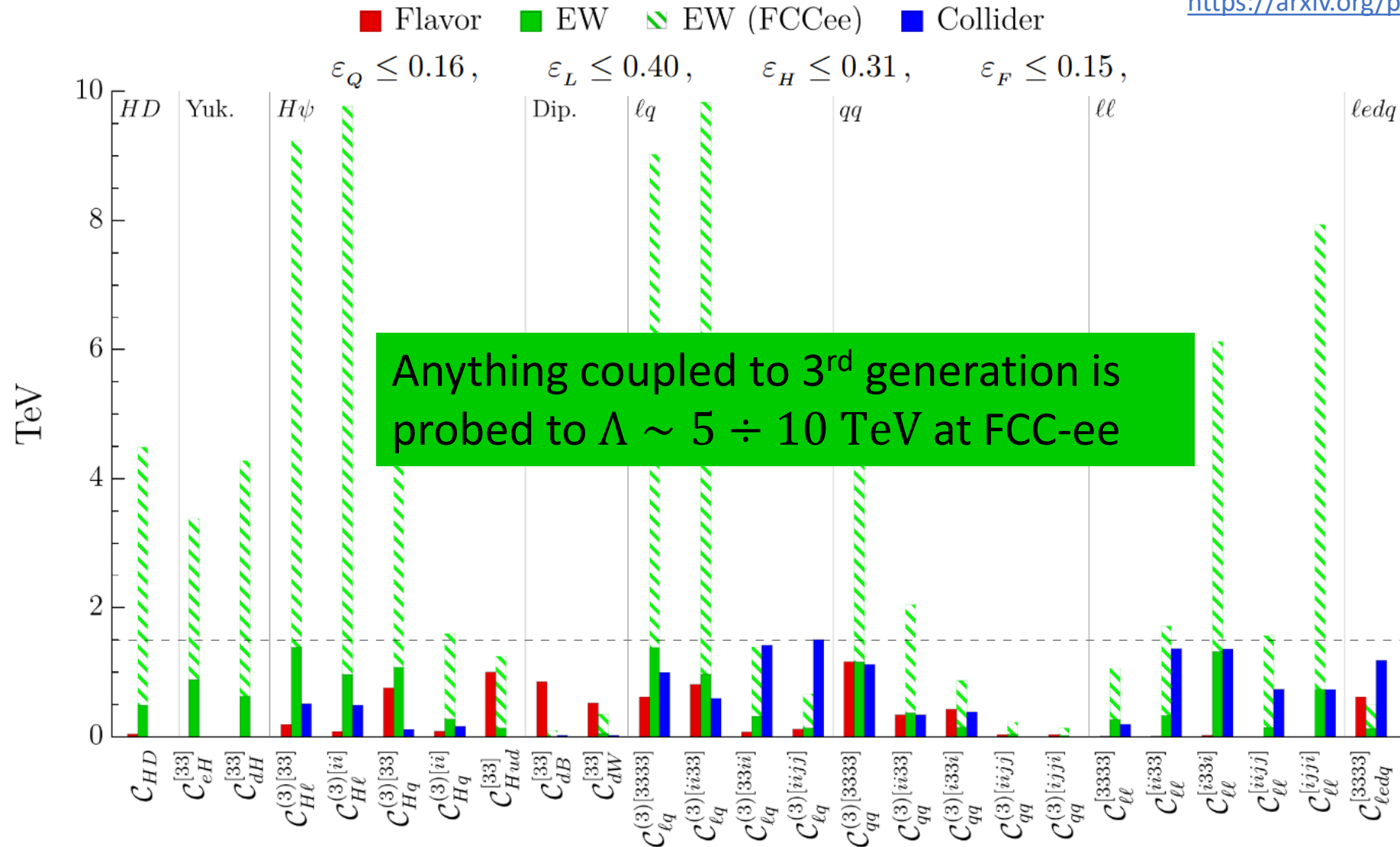
Allwicher, Cornella, Isidori, Stefaneke,  
<https://arxiv.org/pdf/2311.00020>



# The power of tera-Z: general lessons from the SMEFT

Approach 1: bounds on the  $U(2)$ -symmetric SMEFT, including RGE running

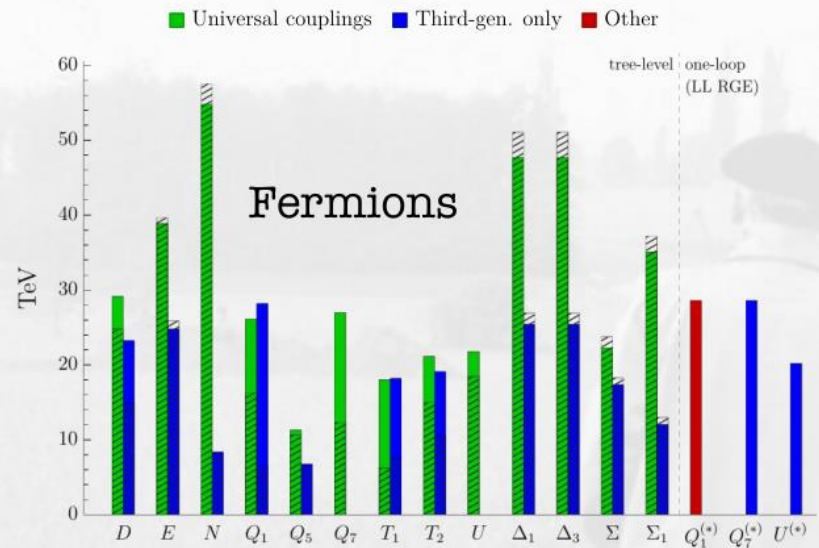
Allwicher, Cornella, Isidori, Stefaneke,  
<https://arxiv.org/pdf/2311.00020>



# The power of tera-Z: general lessons from the SMEFT

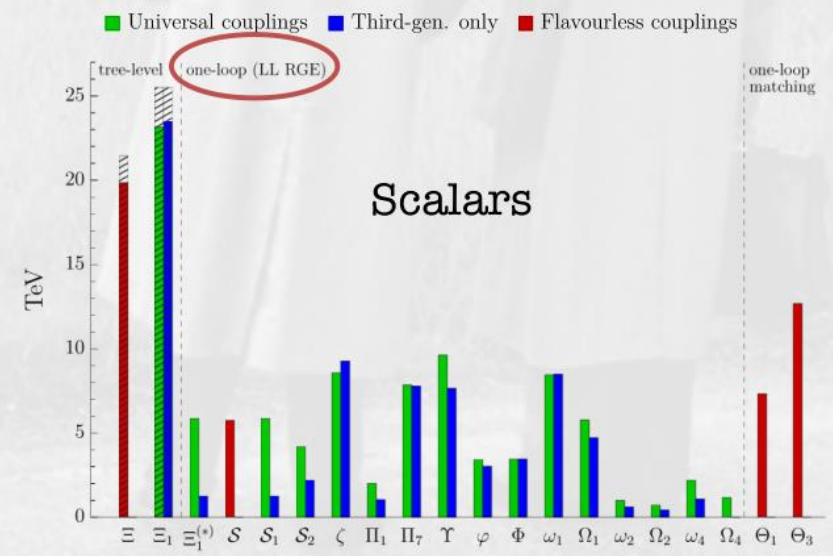
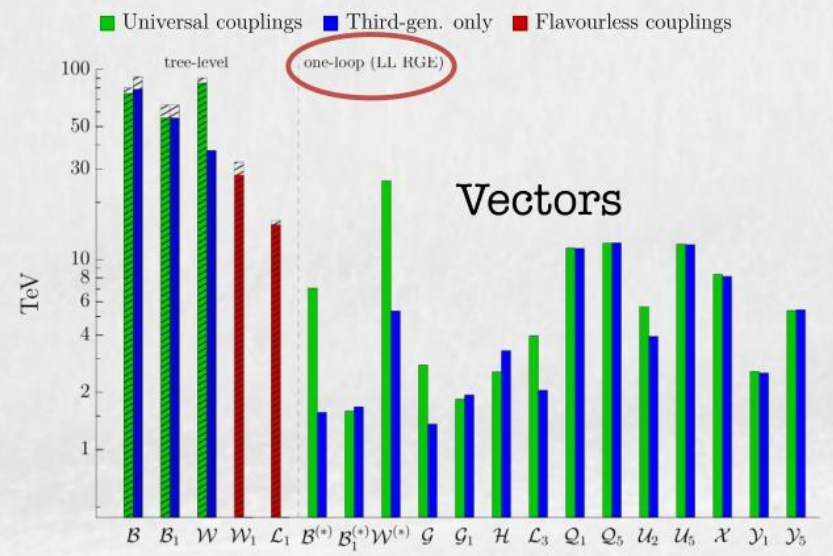
Approach 2: integrate out *any* particle that gives dimension-6 SMEFT operators, and it runs into EWPOs

Plots assume all couplings are 1. Keep in mind when considering mass scales!



Only 1-loop RG contributions included. Full one-loop matching not.

Allwicher, McCullough, Renner, [2408.03992](#)



Slide from Matthew McCullough @ CERN EP/TH Faculty Meeting, Sep 2024

# Conclusions

1. The Higgs remains central motivation for high-energy BSM
2. Flavour and Higgs/EW physics are inextricably connected
3. Flavour provides key experimental probes of Composite Higgs solutions to hierarchy problem
4. EWPOs provide key experimental tests of “deconstruction” theories for the flavour puzzle
5. Fruitful to pursue flavour non-universal models that solve flavour puzzle and hierarchy problem simultaneously, even if they appear complicated...
6. Tera-Z run at FCC-ee will tie together Higgs and flavour like never before!