

# Time-of-Flight corrections for Hadrons at BESIII



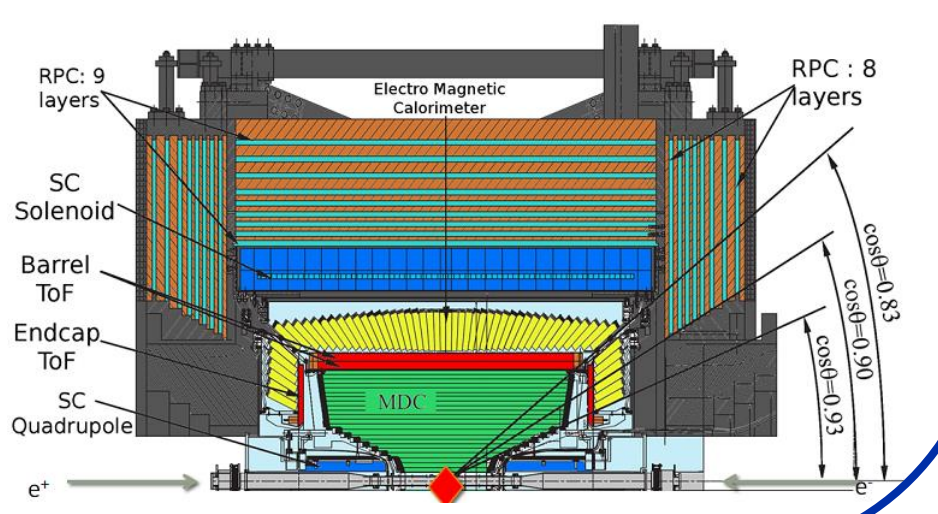
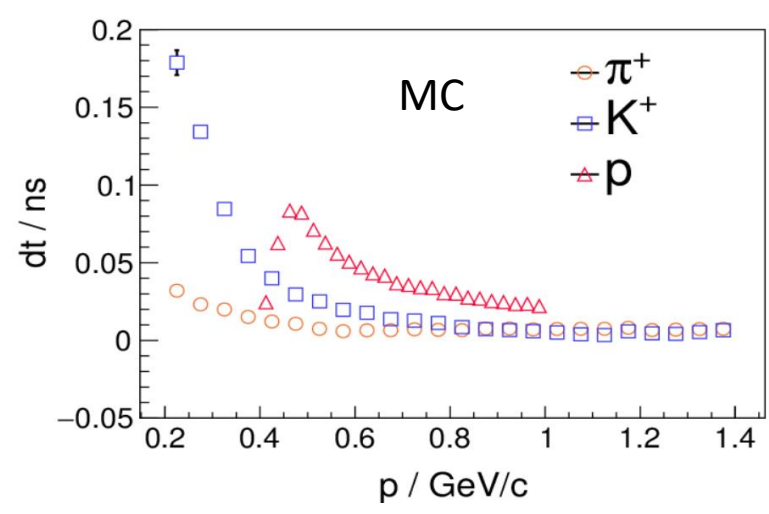
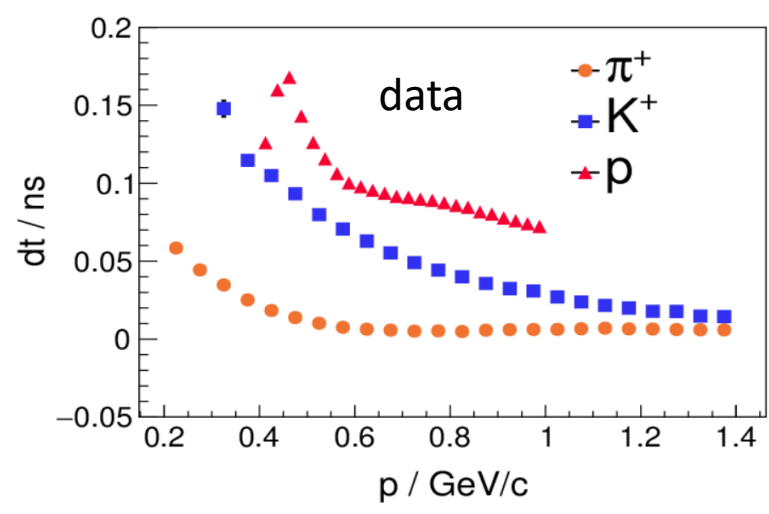
Wang Xinnan<sup>1,2</sup>, Sun Shengsen<sup>1,2</sup>, Liu Huaimin<sup>1,2</sup>

<sup>1</sup>Institute of High Energy Physics

<sup>2</sup>University of Chinese Academy of Sciences

## Introduction

- BESIII: study  $\tau$ -charm physics with high precision and explore new physics
- Accurate and reliable particle identification (PID): enhances the signal-to-noise ratio significantly
- Time-of-flight (TOF) system based on plastic scintillation: pivotal in particle identification, especially for  $K/\pi$  separation
- Systematic deviation of  $\Delta t$  of charged hadrons observed in data and MC:
  - Universality: observed by all scintillation TOF detector
  - Systematic deviation  $\rightarrow$  Unreasonable PID efficiency
  - Inconsistent offset for data and MC  $\rightarrow$  Increase in systematic uncertainties



## Correction for Hadrons

### Possible reason for time deviation

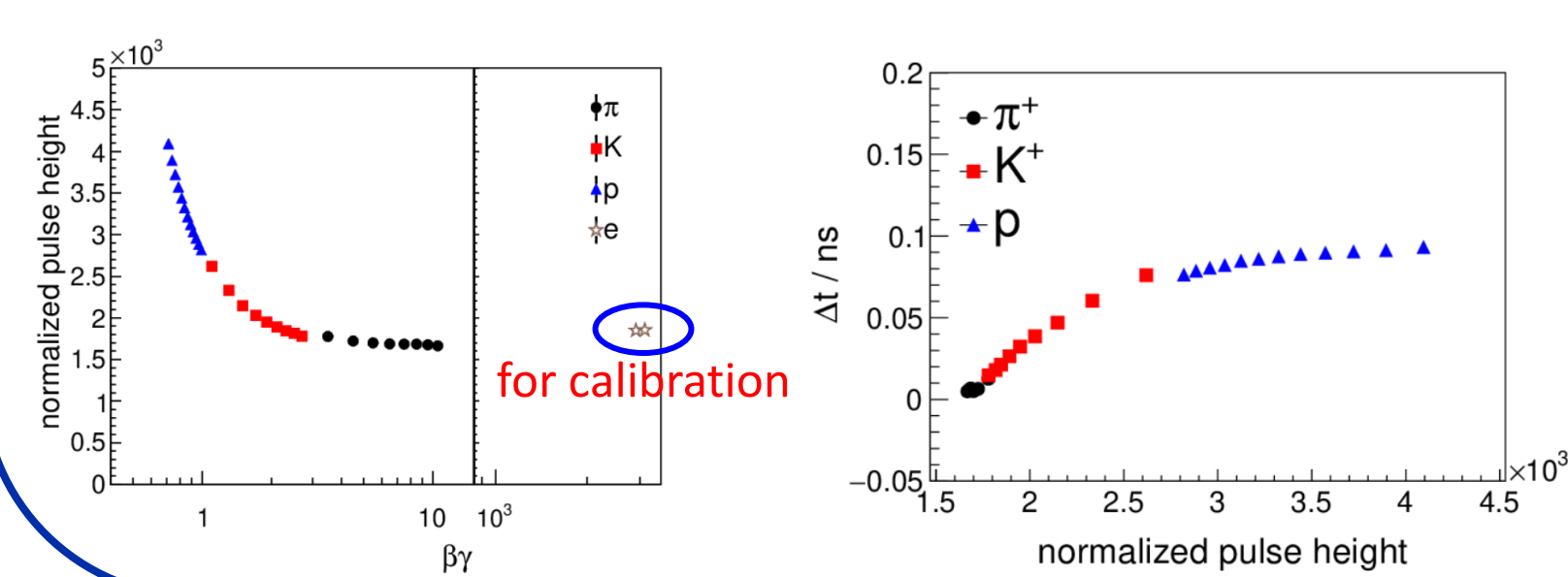
$$\Delta t = t_{mea} - t_{exp}^i, t_{mea} = TDC - t_0 - t_{cor}$$

$$t_{cor} = P_0 + \frac{P_1 + P_2 \times z}{\sqrt{Q}} + \frac{P_3}{Q} + P_4 \times z + P_5 \times z^2 + P_6 \times z^3$$

$$t_{exp}^i = \frac{L}{c \cdot \beta_i}$$

time delay, time walk, equivalent speed

When calibration: using Bhabha events



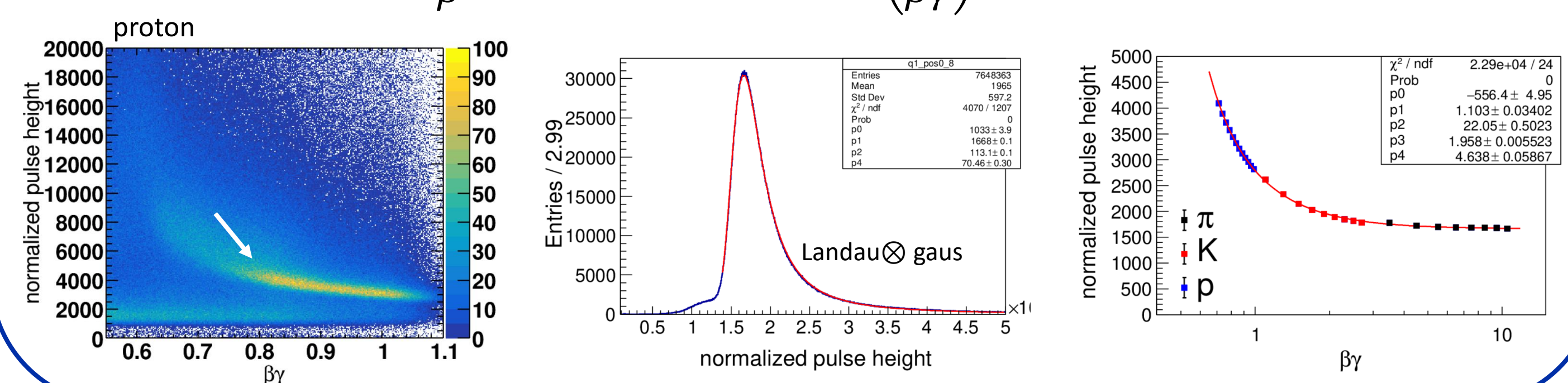
indicating Time-walk term for electrons cannot describe that of hadrons well

### The pulse height (Q) calibration

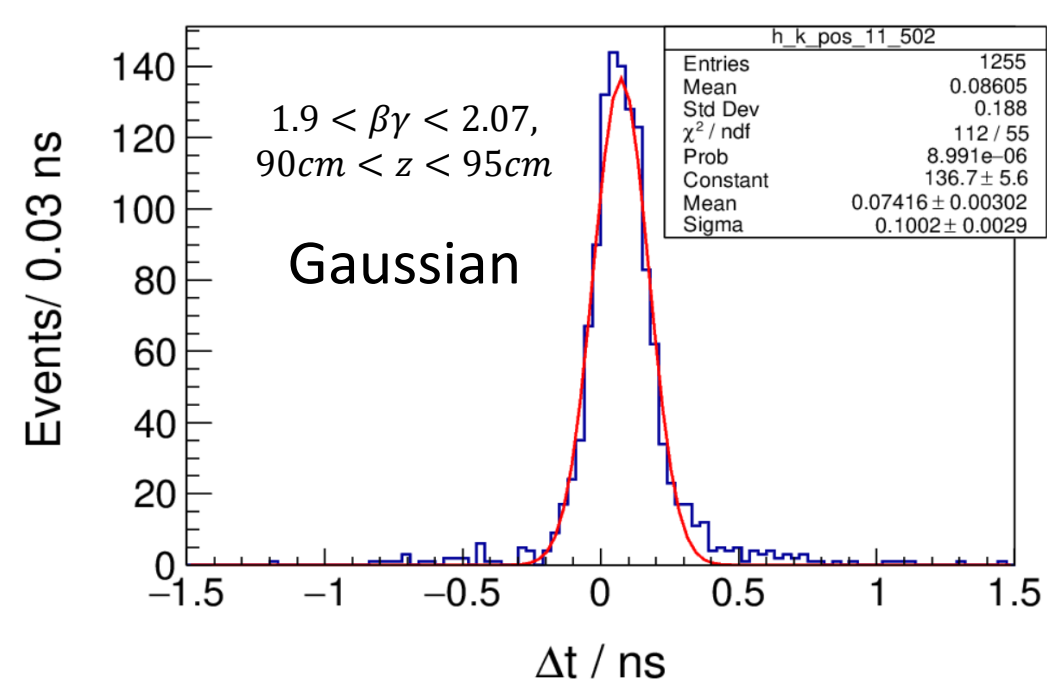
Briks' Law:  $\frac{dL}{dx} = L_0 \frac{dE/dx}{1 + \kappa_B dE/dx}$ ,  $\kappa_B$  is a small constant,  $Q_{peak}$  is proportional to  $dL/dx$

$\rightarrow$  Fit the  $Q_{peak}(\beta\gamma)$  with a Bethe-Bloch-like formula (NOT Bethe-Bloch)

$$Q_{peak} = \frac{P_1}{\beta^4} \left\{ P_2 - \beta^{P_4} - \log \left[ P_3 + \left( \frac{1}{\beta\gamma} \right)^{P_5} \right] \right\}$$



### The correction of time deviation and resolution

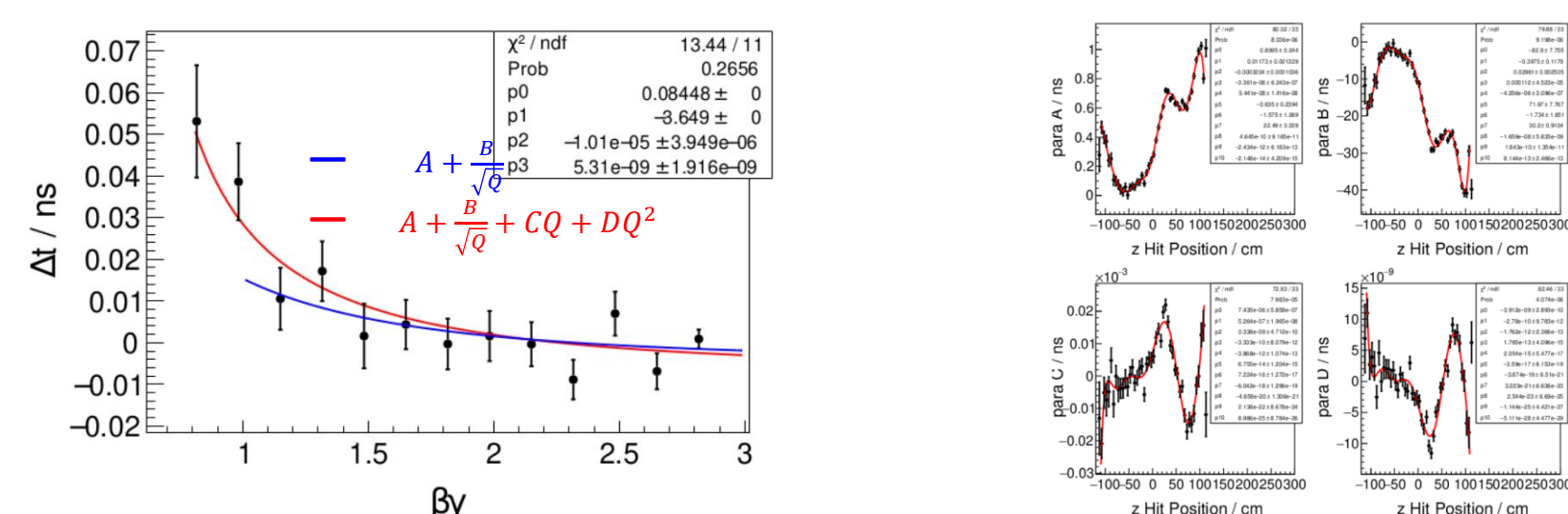


Binning in 2 dimensional (z, p), get the time deviation and time resolution

$\rightarrow$  Time deviation correction term for hadrons is

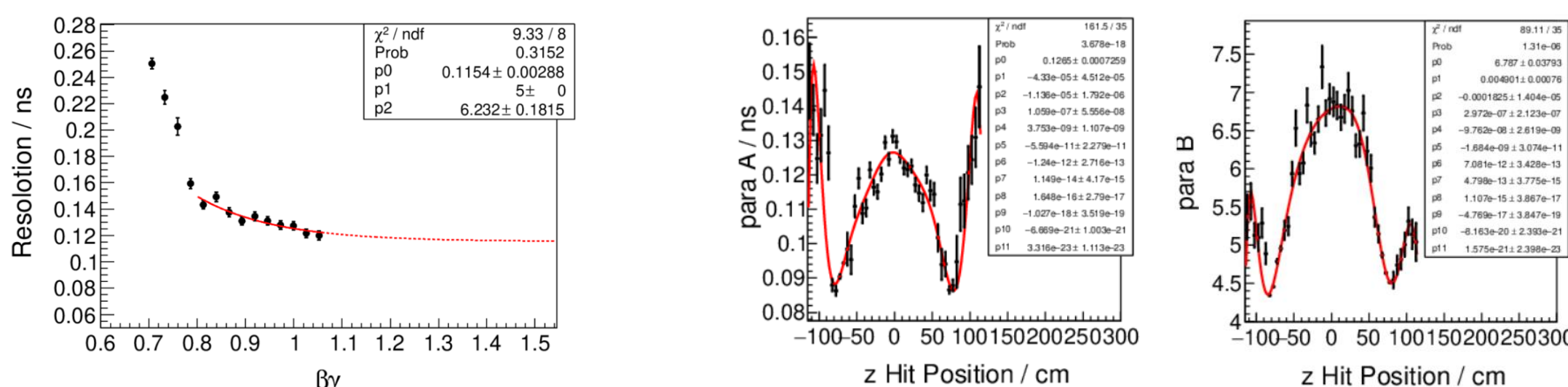
$$\Delta t = A(z) + \frac{B(z)}{\sqrt{Q}} + C(z)Q + D(z)Q^2$$

$A + \frac{B}{\sqrt{Q}}$  is the main term



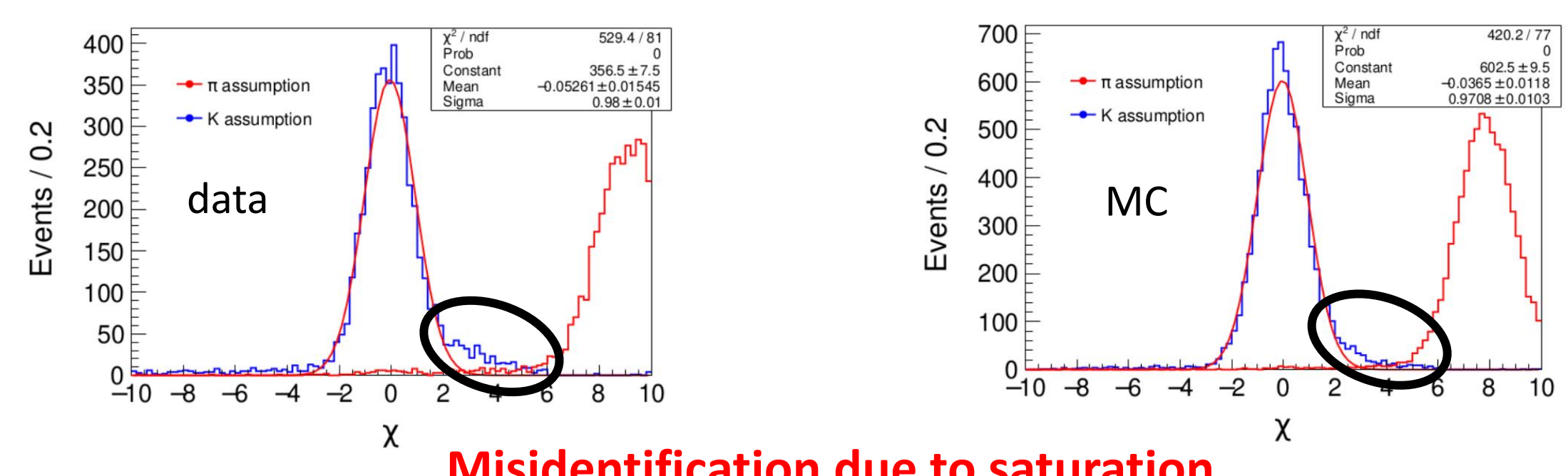
$\rightarrow$  Time resolution correction term for hadrons is

$$A(z) + 5 \times \exp(-B(z) \times \beta\gamma)$$



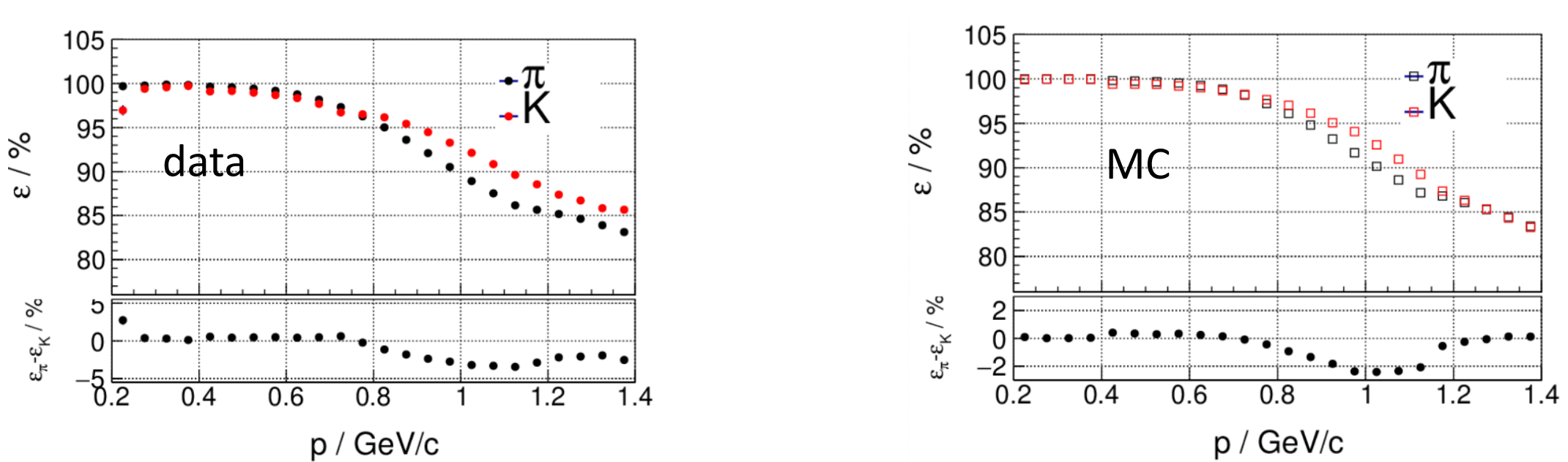
## Correction for Hadrons

### Fine tuning of Time resolution



Misidentification due to saturation

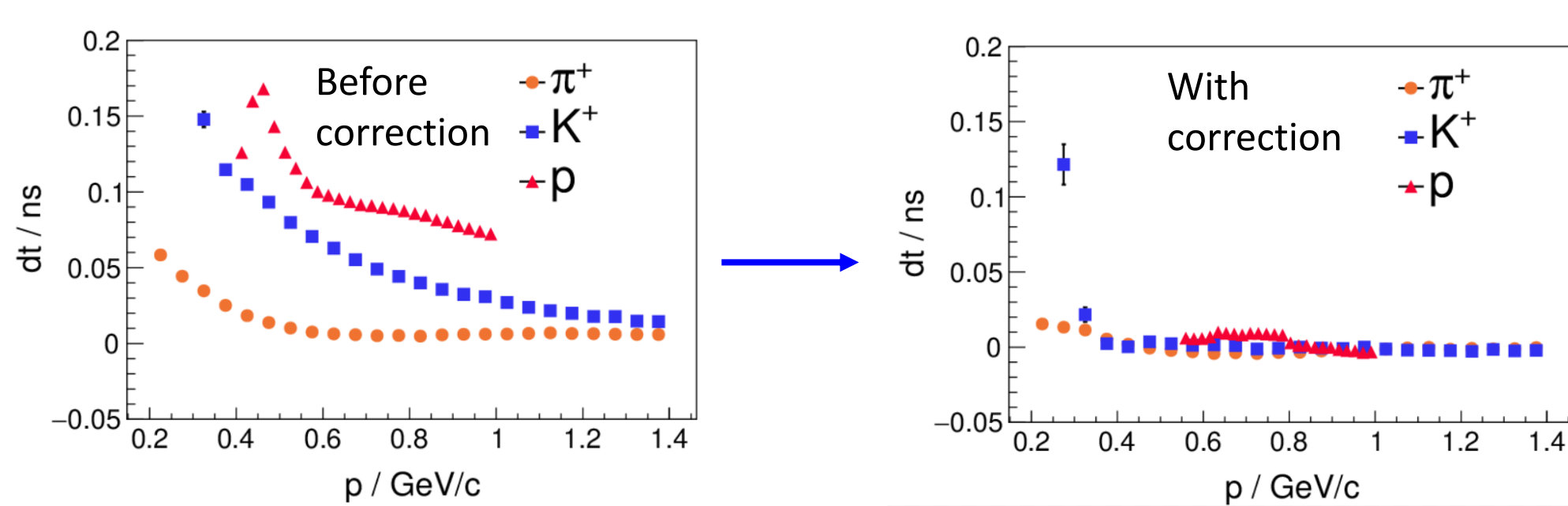
Inconsistent PID efficiency for  $K/\pi$ , Misidentification from  $\pi \rightarrow K$



Fine tuning the time resolution according to momenta

## Performance

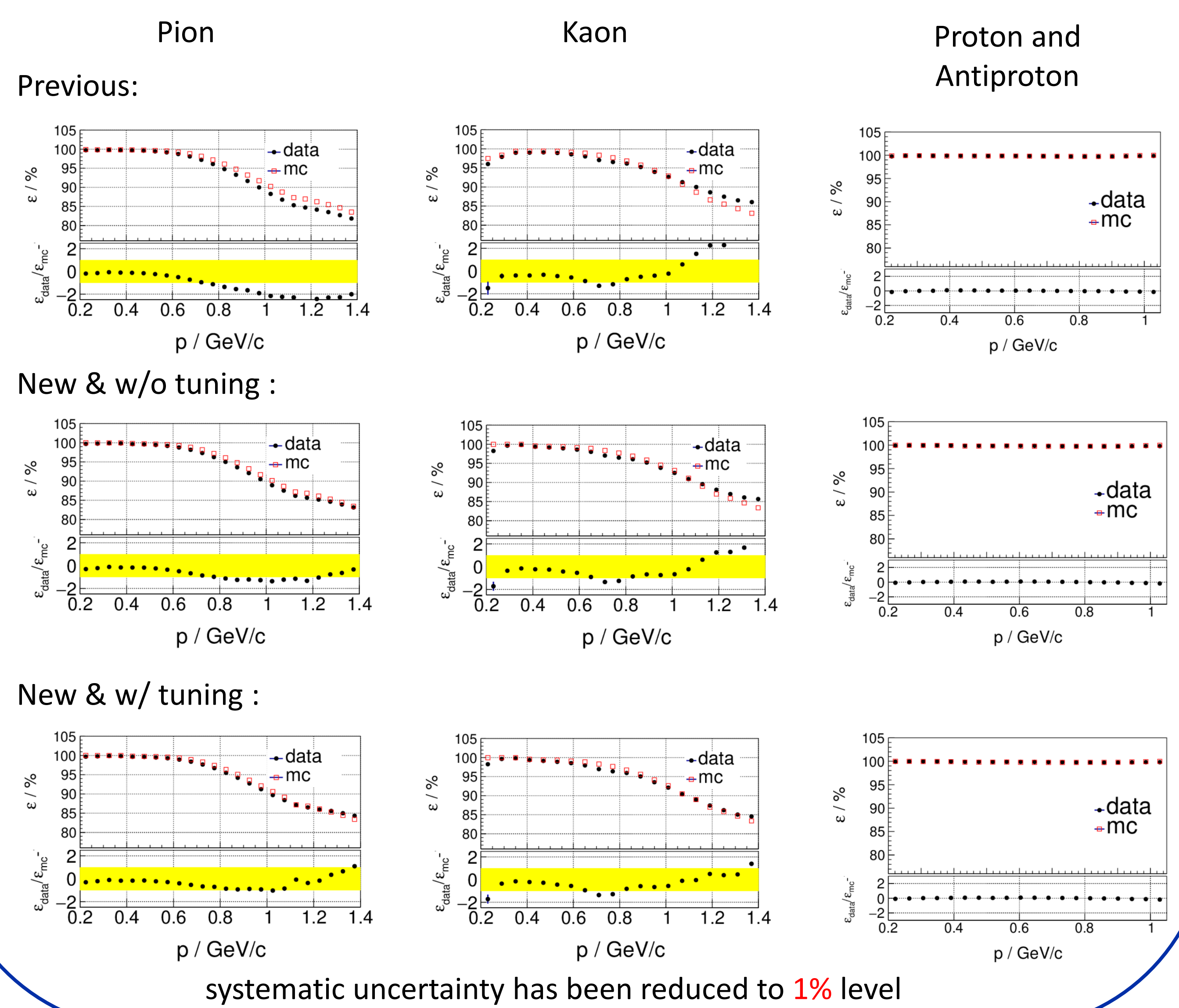
### Time deviation



The systematic deviation of  $\Delta t$  has been reduced significantly

### Particle Identification (PID) efficiencies and systematic uncertainties

previous: TOF correction based on 09 and 12 //  $\psi$  data



systematic uncertainty has been reduced to 1% level

## Conclusions

- Correction formulas for time deviation and time resolution were constructed
- Performance of PID
  - efficiency of PID becomes reasonable
  - systematic uncertainty is reduced to 1%
- A valuable reference for experiments with scintillation TOF detector

xnwang@ihep.ac.cn