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# Flavorless physics with flavor

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# Outline

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- MFV
- MFV as a tool for EFT and flavor
- MFV instead of R-parity
- MFV for the spectrum
- Conclusions



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# EFTs

# EFTs

The basic idea of EFTs is that we have NR operators.  
Consider the effective Fermi theory

$$a \frac{\bar{\mu}\nu_{\mu}\bar{\nu}_e e}{\Lambda^2} \implies \mu \rightarrow e\nu\bar{\nu}$$

- If we know nothing, we assume  $a \sim 1$ , and get  $\Lambda \sim m_W$
- Unless we have more input, we assume that all dim 6 operators are roughly the same
- We could also have

$$a \frac{\bar{\mu}e\bar{e}e}{\Lambda^2} \implies \mu \rightarrow eee$$

- Why is it not observed?

# SM and Fermi theory

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The Fermi theory is more than a simple EFT

- In the Fermi EFT we have an operator that gives  $\mu \rightarrow eee$
- Yet, the full theory is not generic, it is the SM
- We add the GIM mechanism as a guide for the size of FCNC operators
- Flavor is broken in a very specific way, and  $\mu \rightarrow eee$  is highly suppressed by small neutrino masses
- Can the full theory above the SM also be non-generic?

# The flavor problem

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In fact, we know the full theory must be non-generic!

- Many reasons to expect NP at  $\Lambda \sim 1$  TeV
- Naive flavor bounds imply  $\Lambda > 10^4$  TeV
- This tension is called

The NP flavor problem

- The full theory must have a non-trivial flavor structure

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MFV

## Minimal Flavor Violation (MFV)

- In this way of thinking let us define MFV as a guide to the full theory
- The NP flavor structure comes from the SM Yukawas
- We think about the Yukawas as small (other than top) so we have approximate flavor symmetries
- This idea can be realized in many NP models
- It basically solves the NP flavor problem: the NP operators are suppressed by small Yukawas



# MFV: Definition

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- Without Yukawas the flavor group is

$$U(3)_Q \times U(3)_U \times U(3)_D$$

- The Yukawas are spurions
- Recall  $U(3) = SU(3) \times U(1)$ . The diagonal  $U(1)$  is baryon number

$$Q(3, 1, 1) \quad U(1, 3, 1) \quad D(1, 1, 3) \quad Y_D(3, 1, \bar{3}) \quad Y_U(3, \bar{3}, 1)$$

- The idea of MFV is that the Yukawas are the only spurions that break the flavor symmetry
- Linear MFV is the idea that these Yukawas are small and it is justified to keep only leading order terms

# MFV: Can it do more?

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MFV is a nice idea to solve the NP flavor problem

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Q: Can we use it to solve other problems or make other predictions?

A: Yes!

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# MFV instead of R-parity

# Susy and R-parity

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SUSY without imposing R-parity ( $R_p$ )

- It leads to rapid proton decay

$$W = \mu LH + \lambda LLE + \lambda' LQD + \lambda'' UDD$$

- For example, using  $\lambda'$  and  $\lambda''$  we have

$$A(P^+ \rightarrow \pi^0 e^+) \propto \lambda' \lambda''$$

- Standard way out: impose  $R_P$  or just Baryon number
- Flavor symmetries could be used, but these ideas are not very elegant

# MFV instead of R-parity

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Idea based on E. Nikolidakis and C. Smith (0710.3129, 0809.3152)

- We impose  $SU(3)$  MFV. The  $U(1)$  is baryon number, and it is “unfair” to impose it
- We can get the B violating term already with two  $Y$ s

$$(Y_u Y_d^\dagger) (UUD)$$

- Some  $SU(3)$  algebra  $(Q, U, D)$

$$(\bar{3}, 3, 1) \times (3, 1, \bar{3}) \times (1, 3, 1) \times (1, 3, 1) \times (1, 1, 3) \sim (1, 1, 1)$$

- This is not a huge suppression

# MFV for L violation

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The big effect comes from the leptons

- The MFV symmetry is  $SU(3)_L \times SU(3)_E$

$$L(3, 1) \quad E(1, 3) \quad Y_e(3, \bar{3})$$

- Using powers of  $Y_e$  we cannot get the L violating terms!
- The L violating terms can be generated if we have neutrino masses  $m_\nu(6, 1)$

$$m_\nu Y_e LLE$$

Huge suppression!

# MFV for proton decay

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- The small Yukawas and the need for neutrino mass save the proton

$$\mathcal{A} \sim Y_u^3 Y_d^2 Y_e^2 m_\nu$$

- Still, close to the current limit (depends on  $\tan \beta$ )
- The LSP decays hadronically
- May get “large”  $\Delta B = 2$  effects ( $N$ - $\bar{N}$  oscillations)
- We can understand it all in terms of symmetries. MFV implies that all L violating terms will be  $\Delta L = 3$  (and  $\Delta B = 1$ )

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# MFV for the spectrum



# Heavy quarks

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Idea based on YG, Nir, Thaler, Volansky, Zupan, 0706.1845

- What can MFV tell us about new vector-like quarks,  $D_i$ ?
- We assume that these new quarks are heavy and decay into SM quarks
- MFV tells us there must be 3 of them!

$$Y_{ij}^{Dd} \bar{d}_i D_j H$$

- There are four different triplet flavor representations of the new quarks
- There are always three new quarks

# Spectrum

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- Depending on the details we can have several spectra
  - Degenerate
    - $2 + 1$
    - Hierarchical
- MFV predicts that in the LHC we can only see degenerate heavy quarks!
- Observation of two non-degenerate heavy quarks can rule out MFV using a “flavorless” observable

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# Conclusions

# MFV has a lot of flavor

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- MFV is an effective idea that is an addition to the EFT description
- MFV can replace R-parity
- MFV can be probed by heavy states

