

# Search for exotic weak couplings with nuclear beta decay



**Bertram Blank**  
**LP2i Bordeaux**



- Super-allowed  $0^+ - 0^+$   $\beta$  decay:  $^{10}\text{C}$  decay
- $\beta - \nu$  angular correlation measurements: WISArD
- Beta-shape measurement: InESS ( $^{114}\text{In}$ )



**September 9 - 13, 2024**

# Standard model of weak interaction

## Hamiltonian: Lorentz invariance

*J.D. Jackson et al, Nucl. Phys. 4 (1957) 206*  
*M. González-Alonso et al., Prog. Part. Nucl. Phys. 104, 165 (2019)*

hadronic terms

leptonic terms

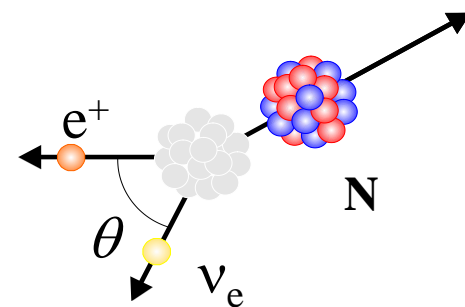
$$\begin{aligned}
 H = & \left( \bar{\psi}_p \gamma_\mu \psi_n \right) \left( C_V \bar{\psi}_e \gamma_\mu \psi_\nu + C'_V \bar{\psi}_e \gamma_\mu \gamma_5 \psi_\nu \right) \\
 & + \left( \bar{\psi}_p \gamma_\mu \gamma_5 \psi_n \right) \left( C_A \bar{\psi}_e \gamma_\mu \gamma_5 \psi_\nu + C'_A \bar{\psi}_e \gamma_\mu \psi_\nu \right) \\
 & + \left( \bar{\psi}_p \psi_n \right) \left( C_S \bar{\psi}_e \psi_\nu + C'_S \bar{\psi}_e \gamma_5 \psi_\nu \right) \\
 & + \frac{1}{2} \left( \bar{\psi}_p \sigma_{\lambda\mu} \psi_n \right) \left( C_T \bar{\psi}_e \sigma_{\lambda\mu} \psi_\nu + C'_T \bar{\psi}_e \sigma_{\lambda\mu} \gamma_5 \psi_\nu \right) + \text{Hermitian conj.}
 \end{aligned}$$

coupling constant
initial wave function
current
final wave function

(pseudo-scalar term omitted...)

## Standard model: V-A theory

- $C_S = C'_S = C_T = C'_T = C_p = C'_p = 0$
- **Maximal violation of parity:**  $C_V = C'_V$  and  $C_A = C'_A$
- **Time-reversal symmetry:**  $C_V, C'_V, C_A, C'_A$  real



## Beyond standard model physics (new physics “NP”)

- Search for new particles (HEP)  $\leftrightarrow$  deviation from theory in  $\beta$  decay experiments
- high-energy frontier
precision frontier

• • • The nuclear laboratory



# β-decay probability

$$\frac{dW(\mathbf{J})}{dE_e d\Omega_e d\Omega_\nu} = dW_0 \times \xi \left\{ 1 + a \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu} + b \frac{m_e}{E_e} + \frac{\langle \mathbf{J} \rangle}{J} \cdot \left[ A \frac{\mathbf{p}_e}{E_e} + \left( B + b_B \frac{m_e}{E_e} \right) \frac{\mathbf{p}_\nu}{E_\nu} + D \frac{\mathbf{p}_e \times \mathbf{p}_\nu}{E_e E_\nu} \right] \right\} \dots$$



β-ν correlation coefficient  
CP conserving

Fierz interference term  
CP conserving

β-asymmetry parameter  
P violating

ν-asymmetry parameter  
P violating

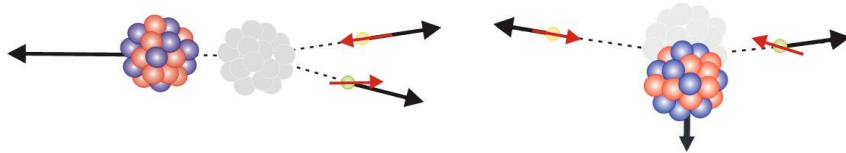
« D » coefficient  
CP violating

for aligned spins only

$$\frac{dW(\mathbf{J})}{dE_e d\Omega_e d\Omega_\nu} = dW_0 \times \xi \left\{ 1 + a \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu} + b \frac{m_e}{E_e} \right\}$$

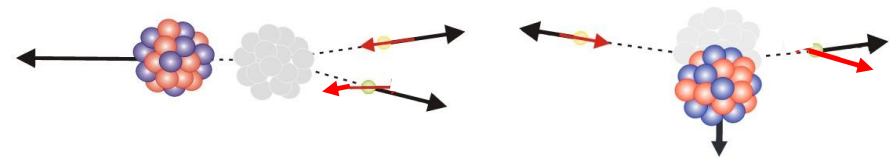
## pure Fermi transitions ΔJ=0

⇒ S=0 : spin of leptons anti-parallel



## pure Gamow-Teller transitions

⇒ S=1 : spin of leptons parallel



### SM: vector current

- Preferred emission angle:  $\theta = 0^\circ$
- Maximum recoil energy

### NP: scalar current

- Preferred emission angle:  $\theta = 180^\circ$
- Minimum recoil energy

### NP: tensor current

- Preferred emission angle:  $\theta = 0^\circ$
- Maximum recoil energy

### SM: axial-vector current

- Preferred emission angle:  $\theta = 180^\circ$
- Minimum recoil energy

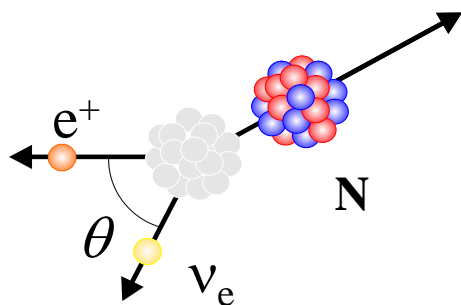
$$a_{\beta\nu}^F \cong 1 - \frac{|C_S|^2 + |C'_S|^2}{C_V^2}$$

$$b_{\beta\nu}^F \cong \pm \text{Re} \left( \frac{C_S + C'_S}{C_V} \right)$$

$$a_{\beta\nu}^{GT} \cong -\frac{1}{3} \left[ 1 - \frac{|C_T|^2 + |C'_T|^2}{C_A^2} \right]$$

$$b_{\beta\nu}^{GT} \cong \pm \text{Re} \left( \frac{C_T + C'_T}{C_A} \right)$$

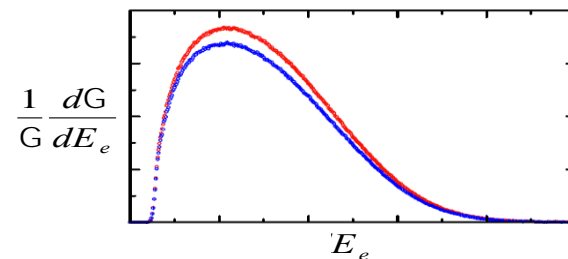
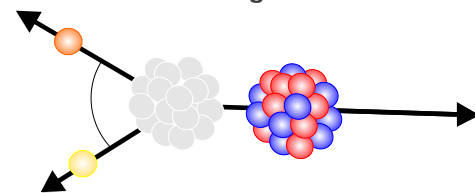
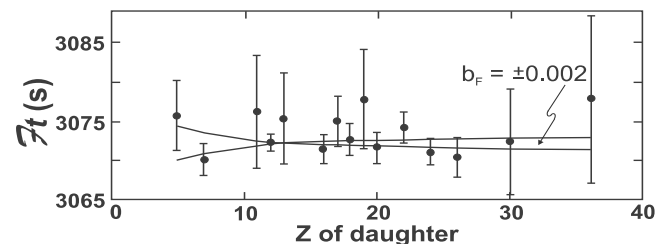
# β-decay probability



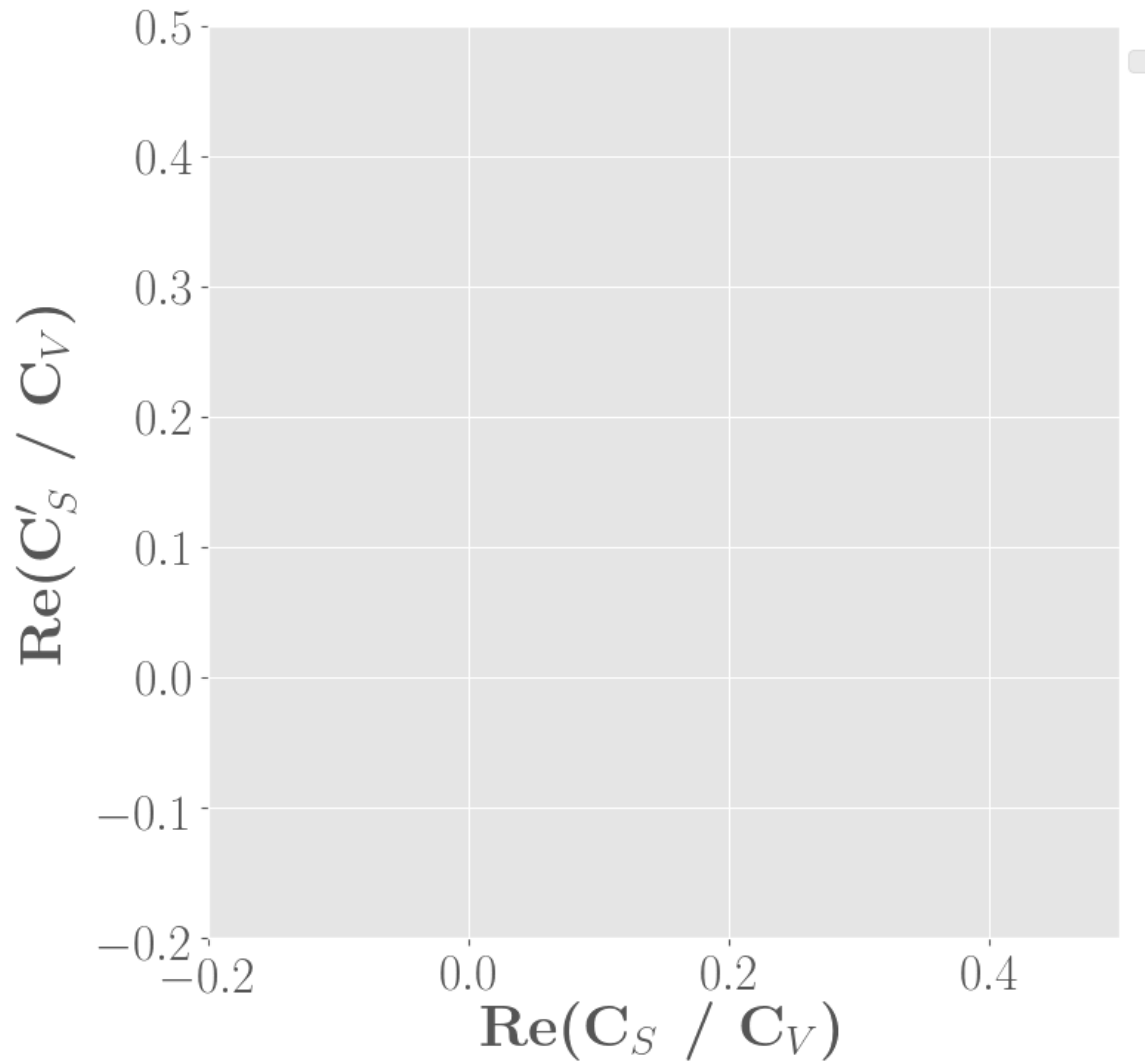
$$\frac{dW(\mathbf{J})}{dE_e d\Omega_e d\Omega_\nu} = \boxed{dW_0} \times \xi \left\{ 1 + \boxed{a} \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu} + \boxed{b} \frac{m_e}{E_e} \right\}$$

phase space factor
**β-ν angular correlation coefficient**
**Fierz interference term = 0 (SM)**

- effect on Ft values:  $\mathcal{F}t \sim b \left\langle \frac{m_e}{E_e} \right\rangle$
- effect on angular correlations
- effect on beta-spectrum shape

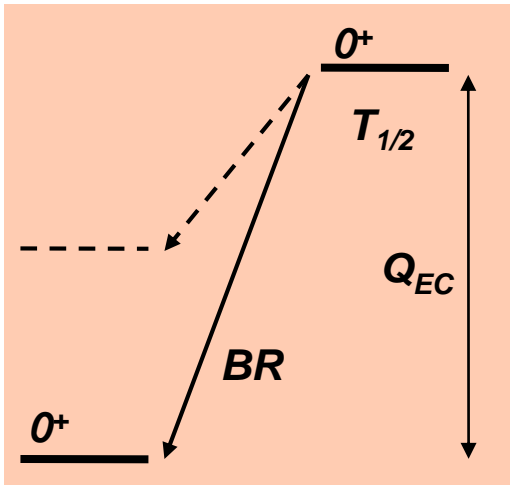


## ● ● ● Limits on scalar currents (Fermi decays)



- **Super-allowed  $0^+ - 0^+$   $\beta$  decay:  $^{10}\text{C}$  decay**
- $\beta$ - $\nu$  angular correlation measurements: WISArD
- Beta-shape measurement: InESS ( $^{114}\text{In}$ )

● ● ● Nuclear beta decay:  $0^+ - 0^+$



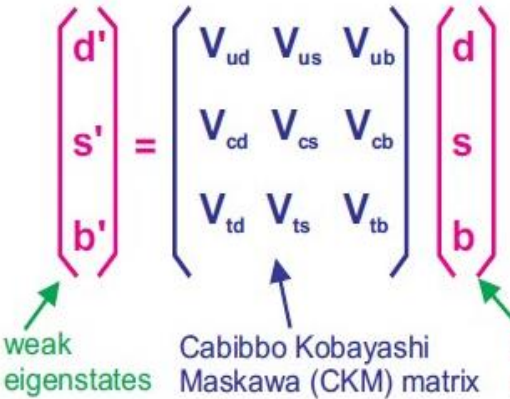
$0^+ \rightarrow 0^+$ :

$$Ft = ft (1 + \delta_R') (1 - \delta_c + \delta_{NS}) = \frac{K}{G_V^2 (1 + \Delta_R) \langle M_F \rangle^2} = \text{const}$$

$f(Z, Q_{EC}) \sim 1.5\%$

$f(\text{nucl. structure}) \sim 0.3-1.5\%$

$f(\text{weak interaction}) \sim 2.4\%$



Obtain precise value of  $G_V^2$

Determine  $V_{ud}^2$

Test CKM unitarity

$$V_{ud}^2 = G_V^2 / G_\mu^2$$

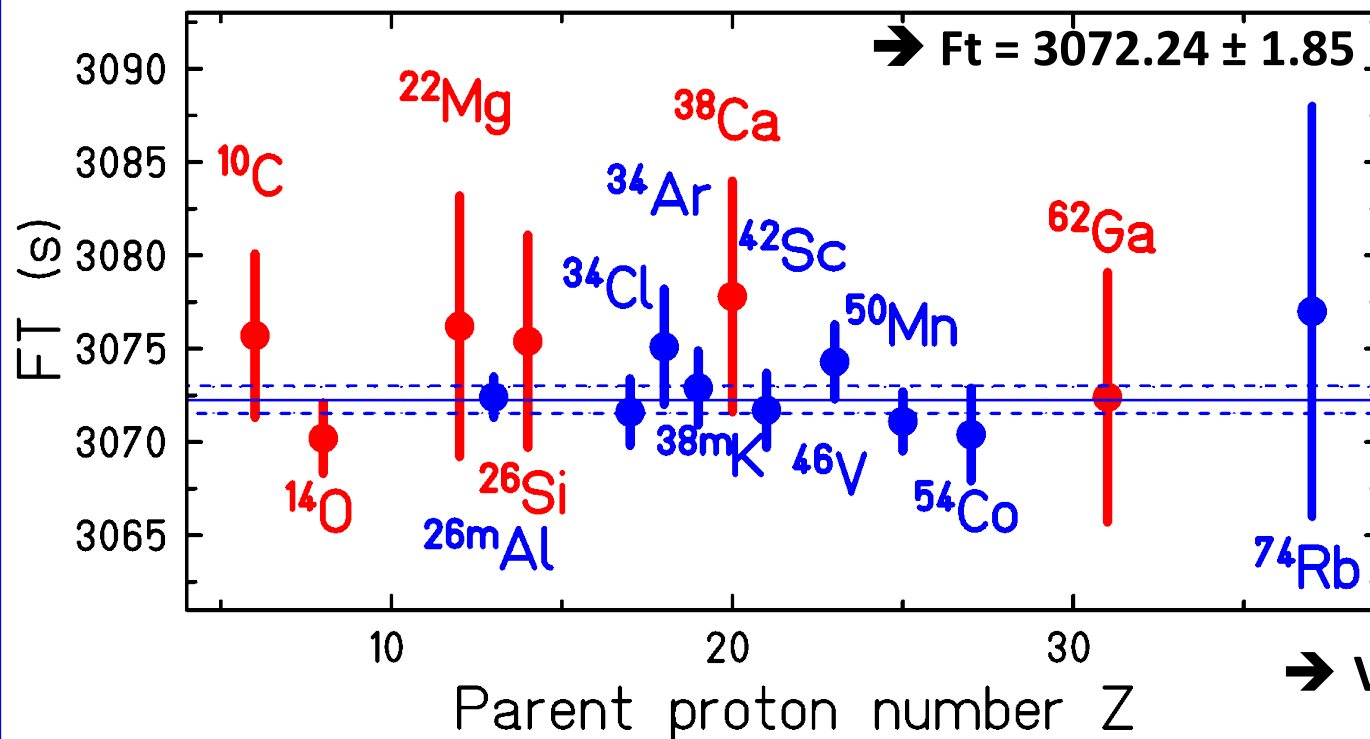
$$V_{ud}^2 + V_{us}^2 + V_{ub}^2 = 1$$

Precision measurements required:  $10^{-3}$

✓  $Q_{EC}$  → mass measurements:  $f \sim Q_{EC}^5$

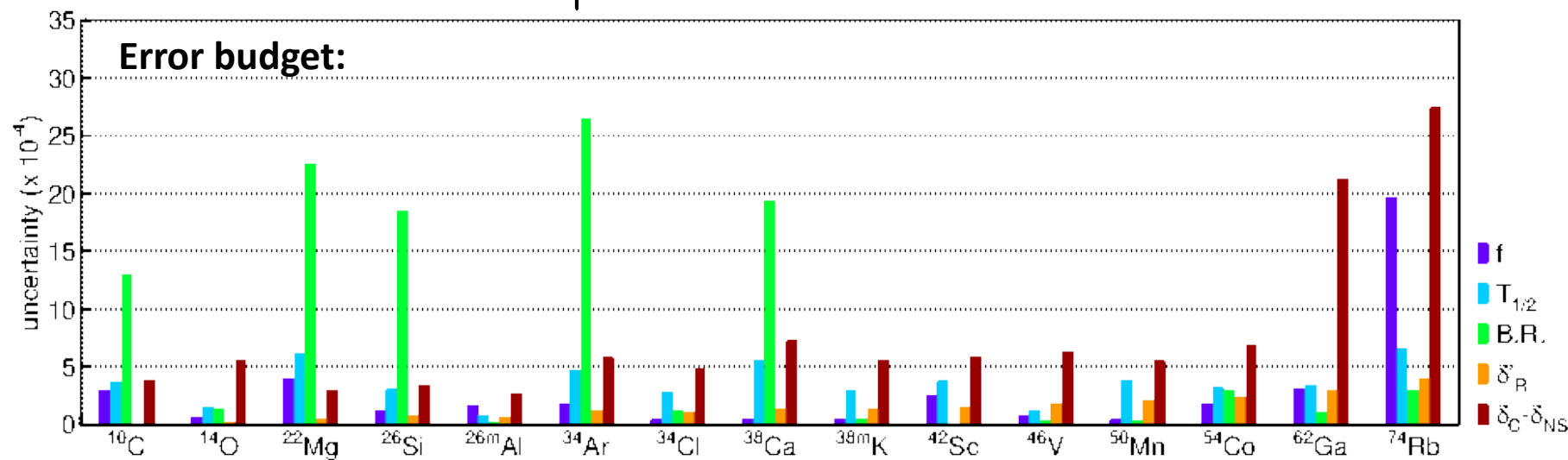
✓  $T_{1/2}, BR$  →  $\beta$ -decay studies:  $t = T_{1/2} / BR$

● ● ●  $0^+ \rightarrow 0^+$  decays: present status



- 15 nuclei
- other nuclei under study:
  - $^{18}\text{Ne}$
  - $^{22}\text{Mg}$
  - $^{30}\text{S}$

→  $V_{ud} = 0.9740 \pm 0.0005$





- • •  $0^+ \rightarrow 0^+$  decays: limits on exotic currents

- **standard model assumption: only vector current**

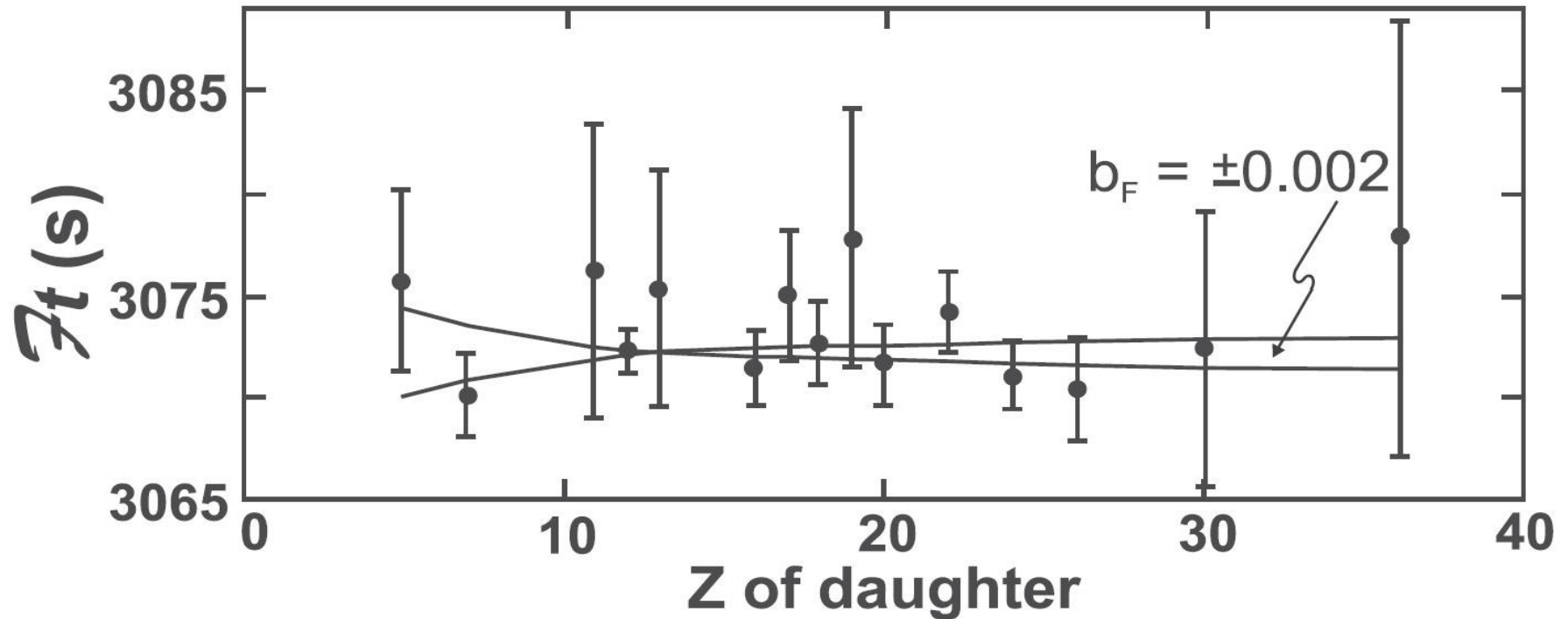
$$dW = dW_0 \left( 1 + a \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu} + \cancel{b \frac{m_e}{E_e}} \right)$$

- **if scalar currents, we obtain for  $\mathcal{F}t$**

$$dW = dW_0 \left( 1 + \cancel{a \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu}} + b \frac{m_e}{E_e} \right)$$

- $\mathcal{F}t \rightarrow \mathcal{F}t^* \left( 1 + \frac{b_F y}{\langle E \rangle} \right)$ ,  $y^2 = 1 - Z^2 \alpha^2$
- **limit on scalar current from term in  $\mathcal{F}t$  function:  $(1 + b_f y / \langle E \rangle)$**

• • •  $0^+ \rightarrow 0^+$  decays: limits on exotic currents



- from  $\beta$  decay:  $b_F = 0.000 \pm 0.002 \sim \left( \frac{C_s + Cs'}{C_V} \right)$
- valid only for left-handed currents

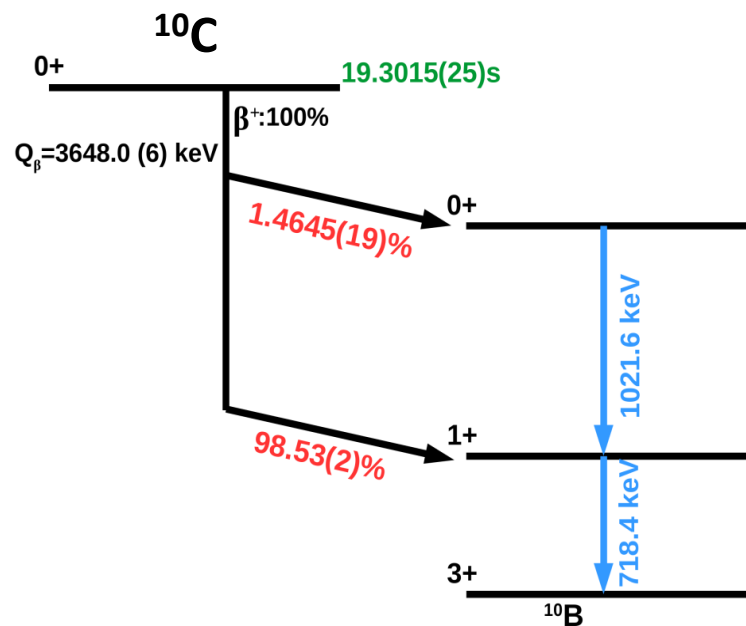
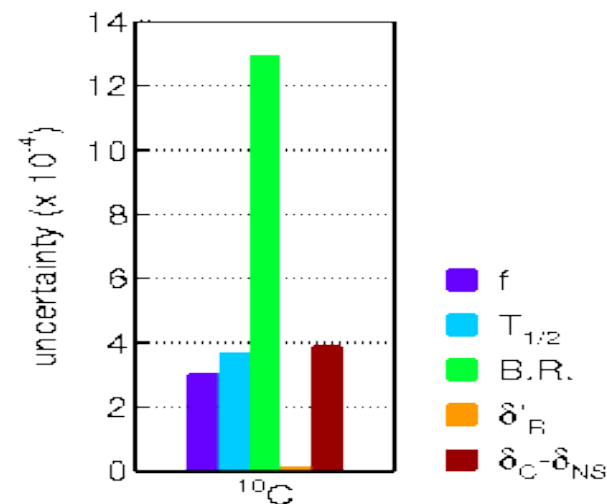
➔➔ improve on low-Z nuclei

# ● ● ● $0^+ \rightarrow 0^+$ decays: $^{10}\text{C}$ error budget

- BR by far largest error
- two precise measurements:
  - Savard et al.: 1.4625(25)%  
(PRL 74 (1995) 1521)
  - Fujikawa et al.: 1.4665(38)%  
(PLB 449 (1999) 6)

→ measurements with Ge multi-detector array

our approach:  
re-measuring the BR of  $^{10}\text{C}$   
with out precisely calibrated  
Germanium detector ( $\Delta\varepsilon < 0.15\%$ )

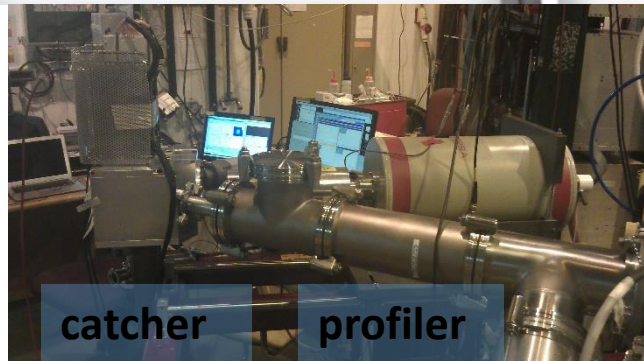
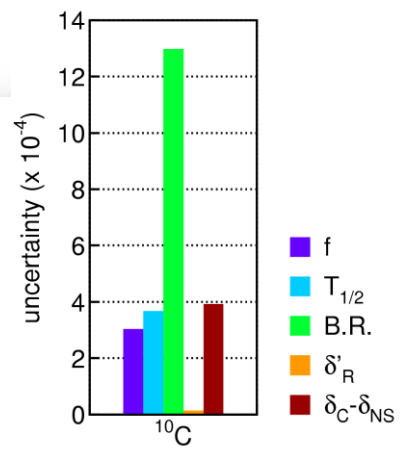
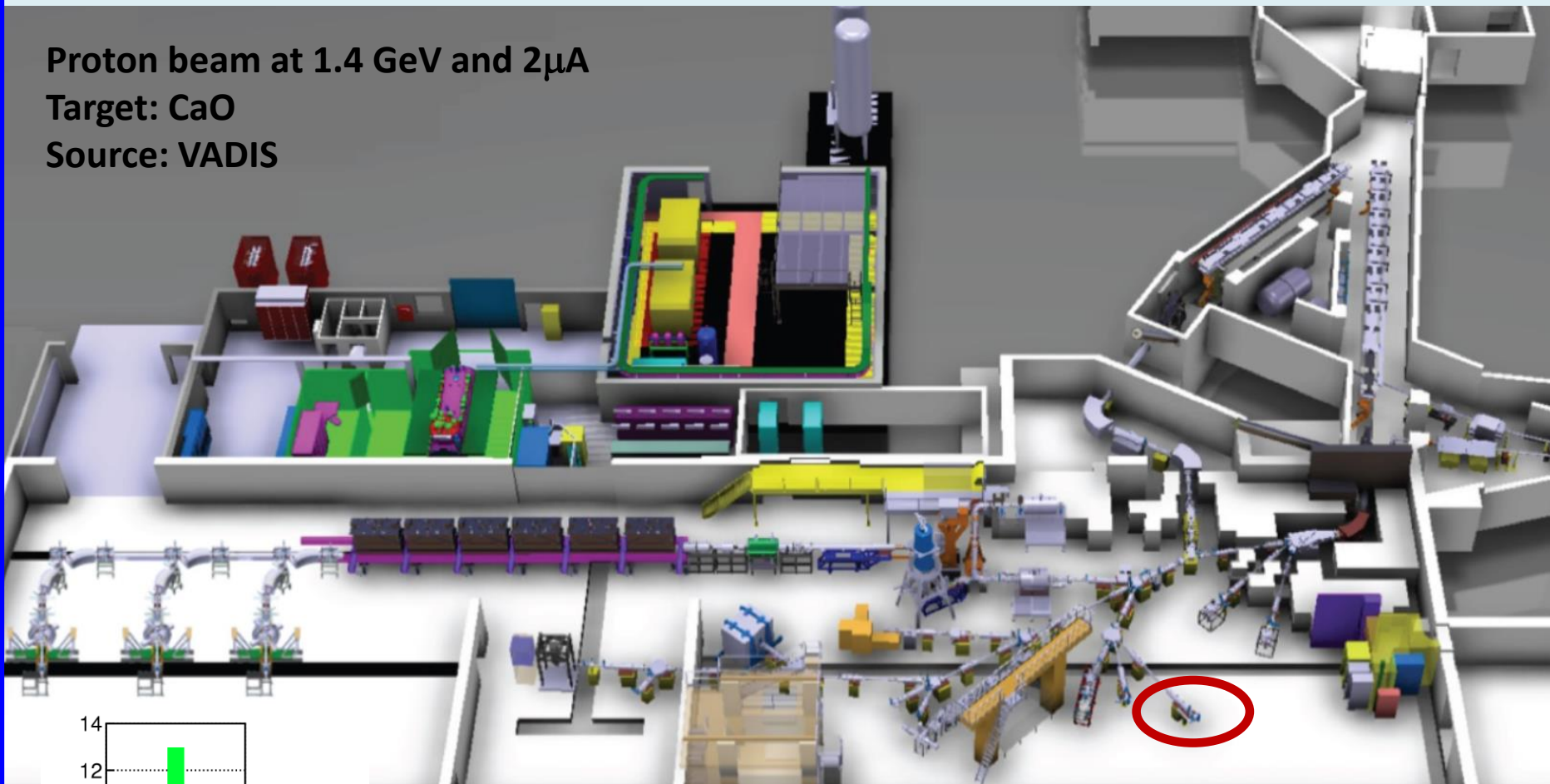


# ● ● ● $^{10}\text{C}$ measurement at ISOLDE

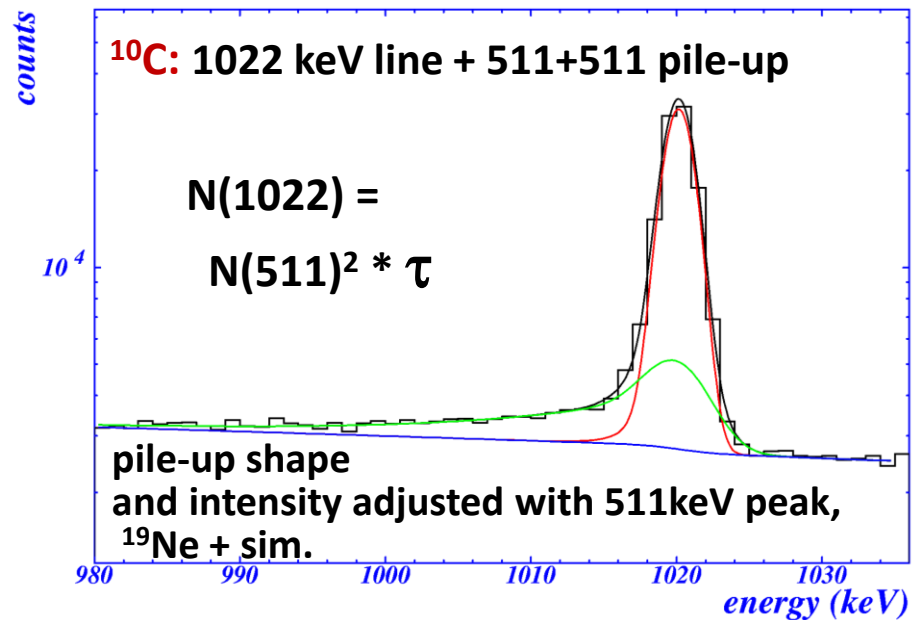
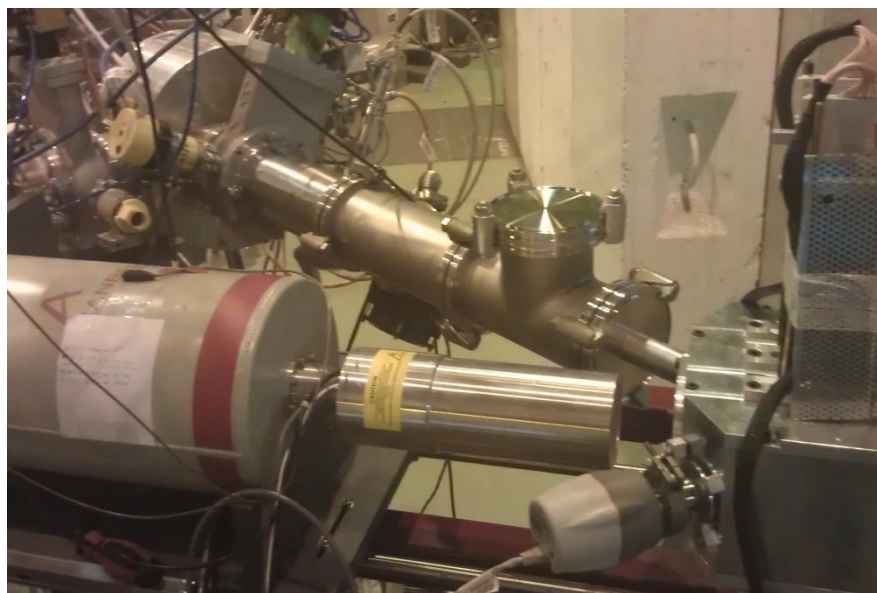
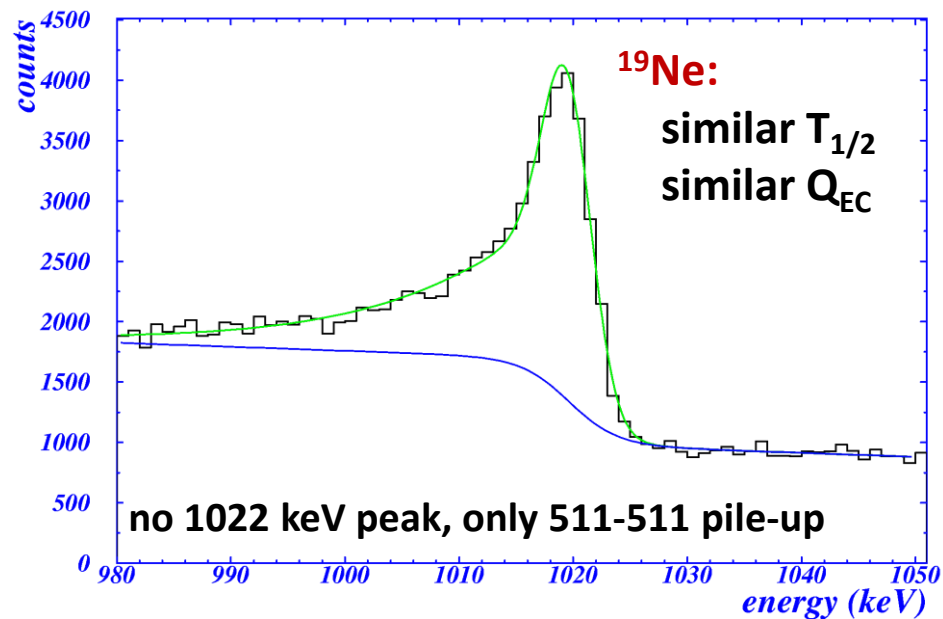
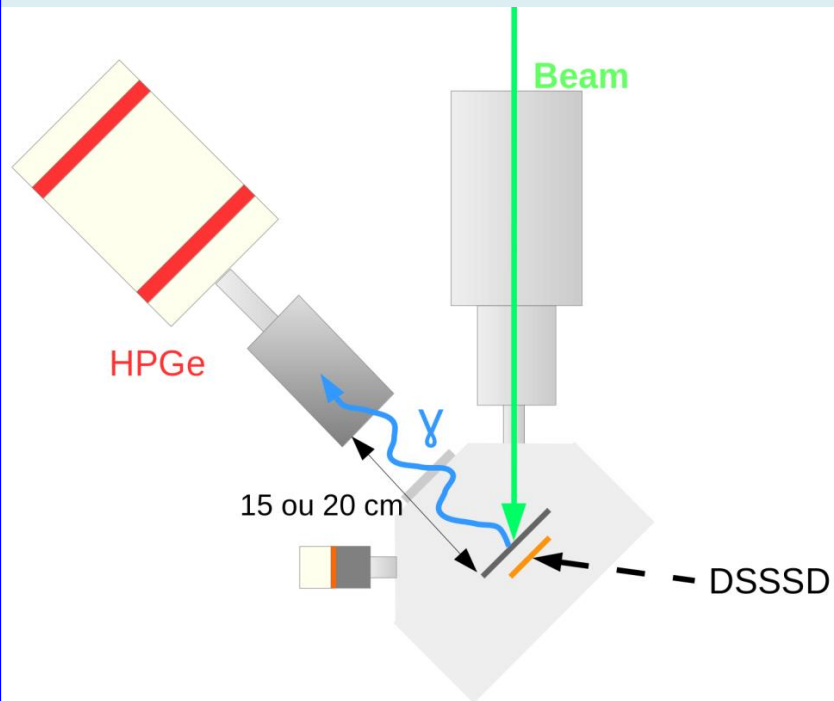
Proton beam at 1.4 GeV and  $2\mu\text{A}$

Target: CaO

Source: VADIS

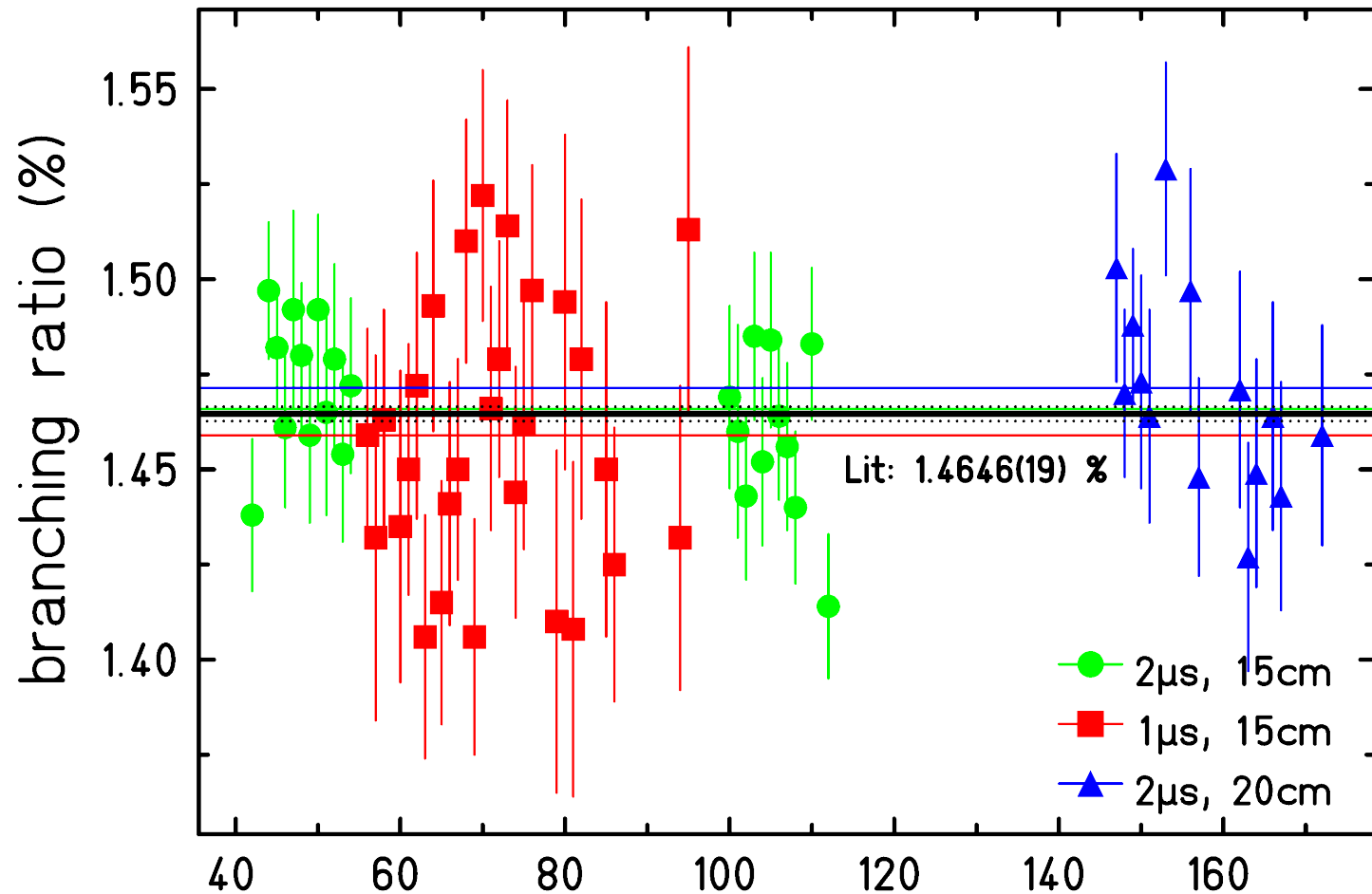


# ● ● ● $^{10}\text{C}$ experimental set-up and analysis procedure



● ● ● Super-allowed branching ratio of  $^{10}\text{C}$

Blank et al., EPJA56 (2020) 156



next attempt:

Final result:  
Literature:

- higher statistics: difficult...
- higher purity: MR-ToF selection

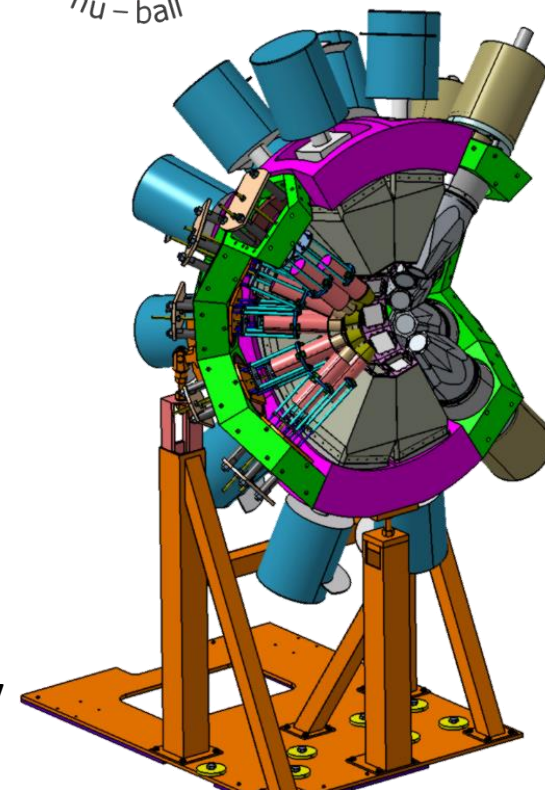
statistics: 0.0039 %  
pile-up: 0.0030 %

● ● ●  $^{10}\text{C}$  measurement at ALTO/Orsay



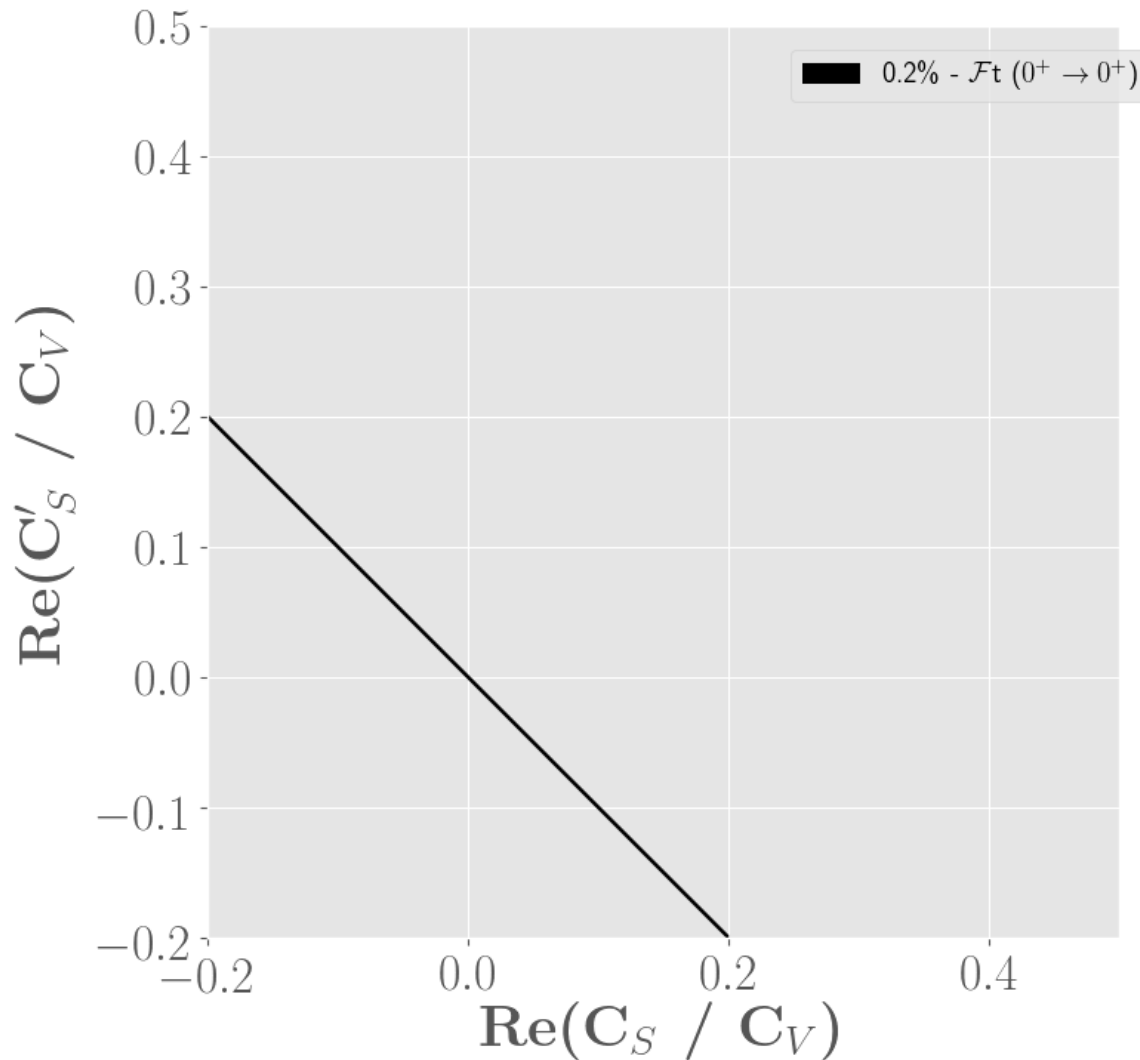
data under analysis...

100 Ge crystals: 5.5% @ 1 MeV  
18 LaBr<sub>3</sub>: 1.5% @ 1 MeV



similar experiment with AGATA at Legnaro: Jeongsu Ha et al.

# ● ● ● Limits on scalar currents: 2018



$$b_{\beta\nu}^F \cong \pm \text{Re} \left( \frac{C_S + C'_S}{C_V} \right)$$

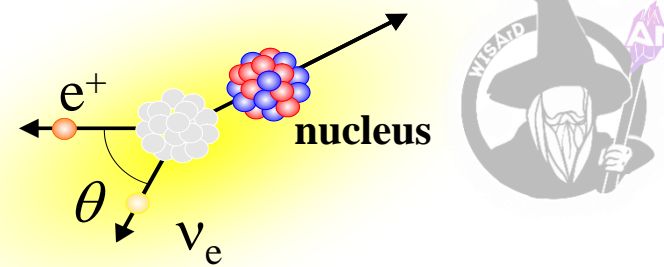
$$\leq \pm 0.002$$



- Super-allowed  $0^+ - 0^+$   $\beta$  decay:  $^{10}\text{C}$  decay
- $\beta$ - $\nu$  angular correlation measurements: WISArD
- Beta-shape measurement: InESS ( $^{114}\text{In}$ )

# • • • The WISArD experiment

$$dW = dW_0 \times \xi \left( 1 + a \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu} + b \frac{m}{E_e} \right)$$

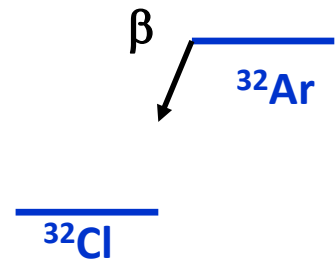


**Pure Fermi transition ( $\Delta J=0, S=0$ ):**

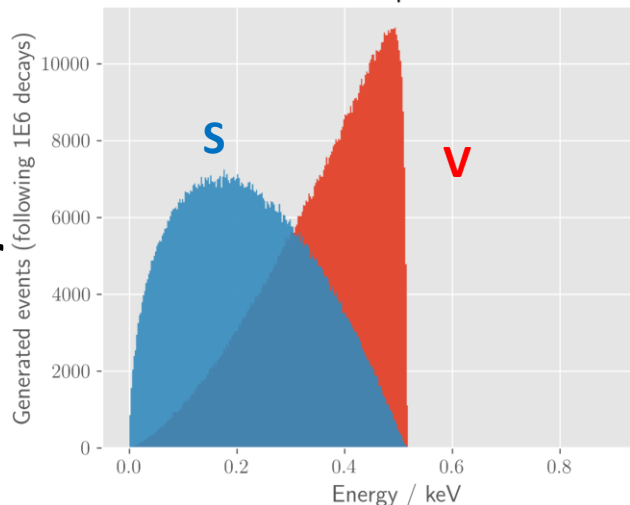
$$a_F \cong 1 - \frac{|C_S|^2 + |C'_S|^2}{|C_V|^2}$$

$$b_F \approx \pm Re \left( \frac{C_S + C'_S}{C_V} \right)$$

**kinematic shift of nucleus  $^{32}\text{Cl}$**



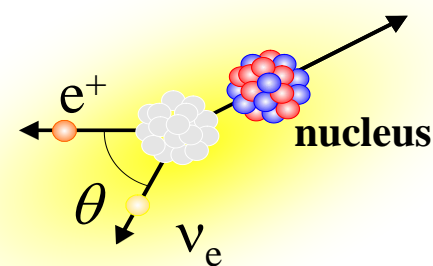
**nuclear recoil:**



**ion traps: LPCTrap ( $^6\text{He}$ ), TRINAT ( $^{38}\text{mK}$ ), WITCH ( $^{35}\text{Ar}$ )**

# • • • The WISArD experiment

$$dW = dW_0 \times \xi \left( 1 + a \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu} + b \frac{m}{E_e} \right)$$

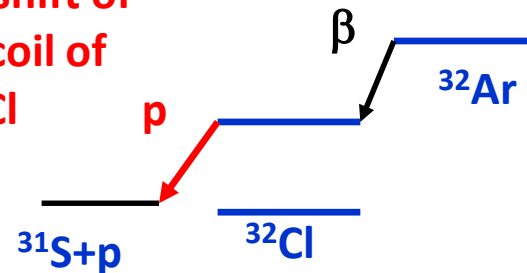


Pure Fermi transition ( $\Delta J=0, S=0$ ):

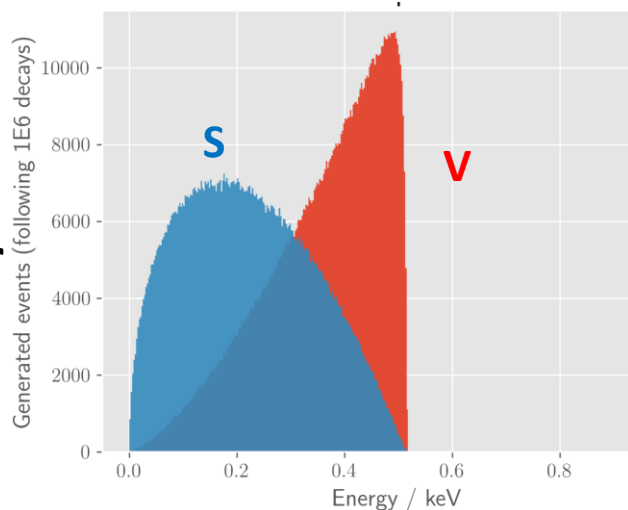
$$a_F \cong 1 - \frac{|C_S|^2 + |C'_S|^2}{|C_V|^2}$$

$$b_F \approx \pm Re \left( \frac{C_S + C'_S}{C_V} \right)$$

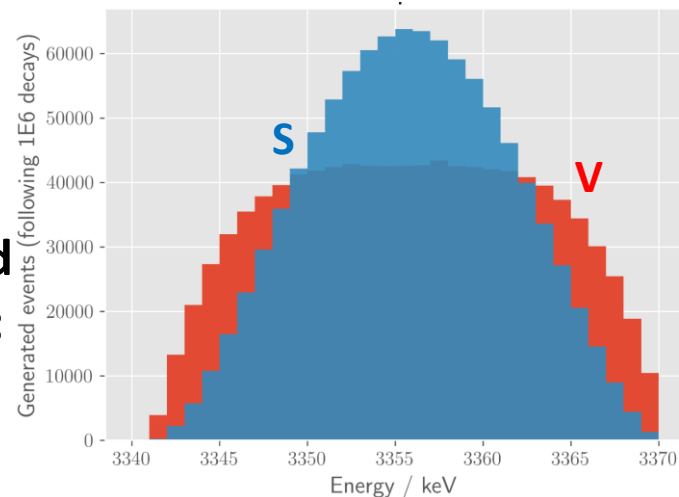
kinematic shift of  
proton: recoil of  
nucleus  $^{32}\text{Cl}$



nuclear  
recoil:



emitted  
proton:



ion traps: LPCTrap ( $^6\text{He}$ ), TRINAT ( $^{38}\text{mK}$ ), WITCH ( $^{35}\text{Ar}$ )

WISArD experiment at ISOLDE

## • • • First experiment: ISOLDE 1993

# Beta-neutrino recoil broadening in $\beta$ -delayed proton emission of $^{32}\text{Ar}$ and $^{33}\text{Ar}$

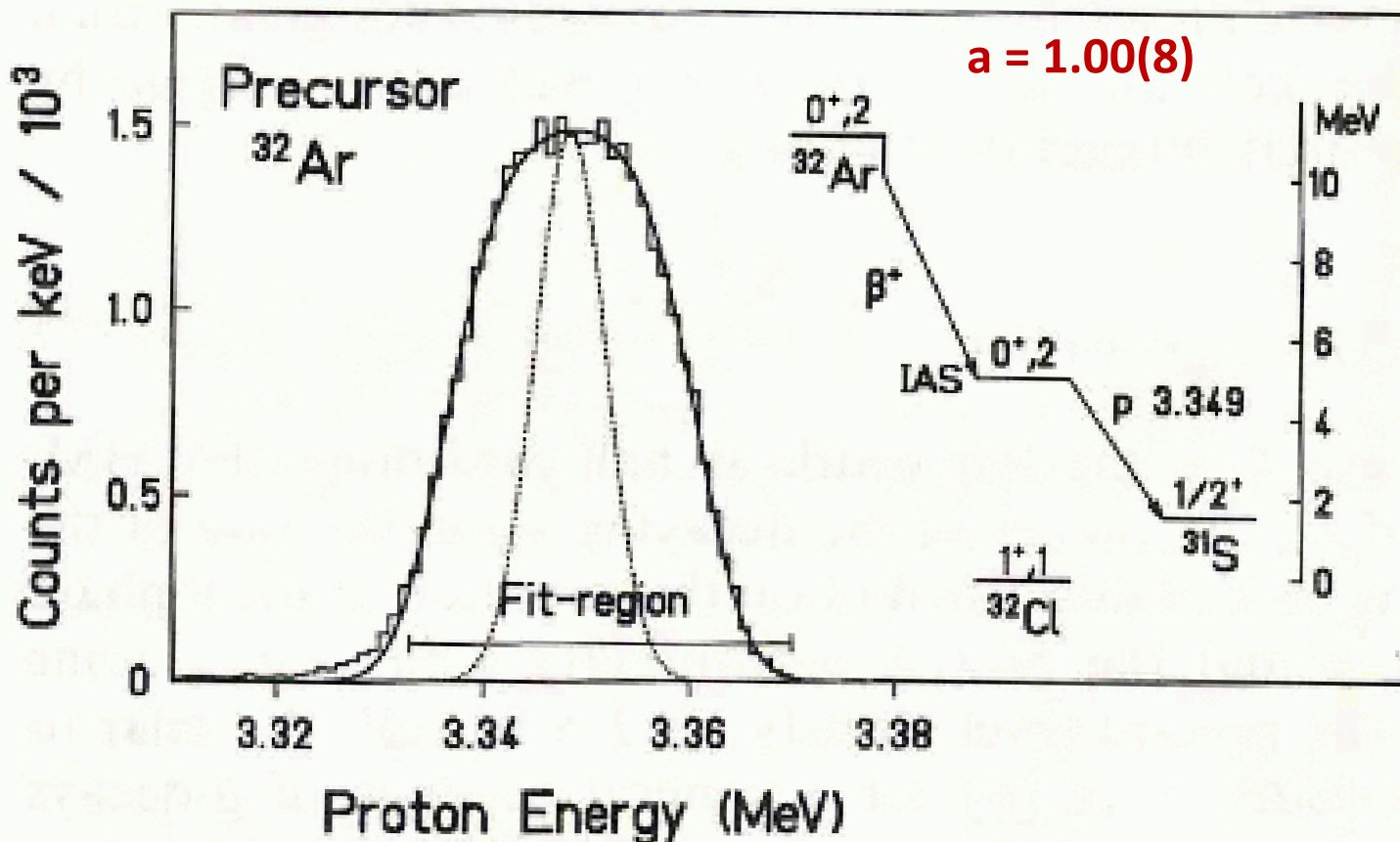
D. Schardt<sup>1</sup>, K. Riisager<sup>2</sup>

<sup>1</sup> GSI, Postfach 110552, W-6100 Darmstadt 11, Germany

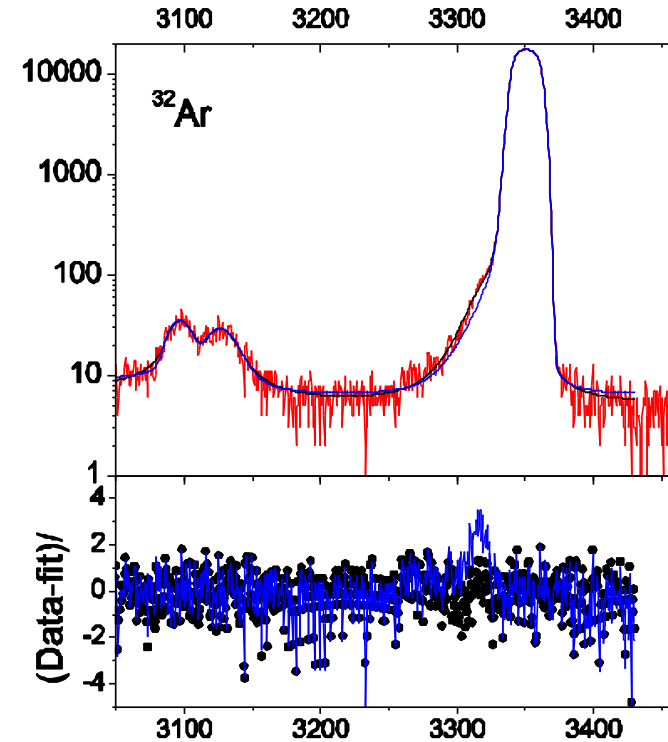
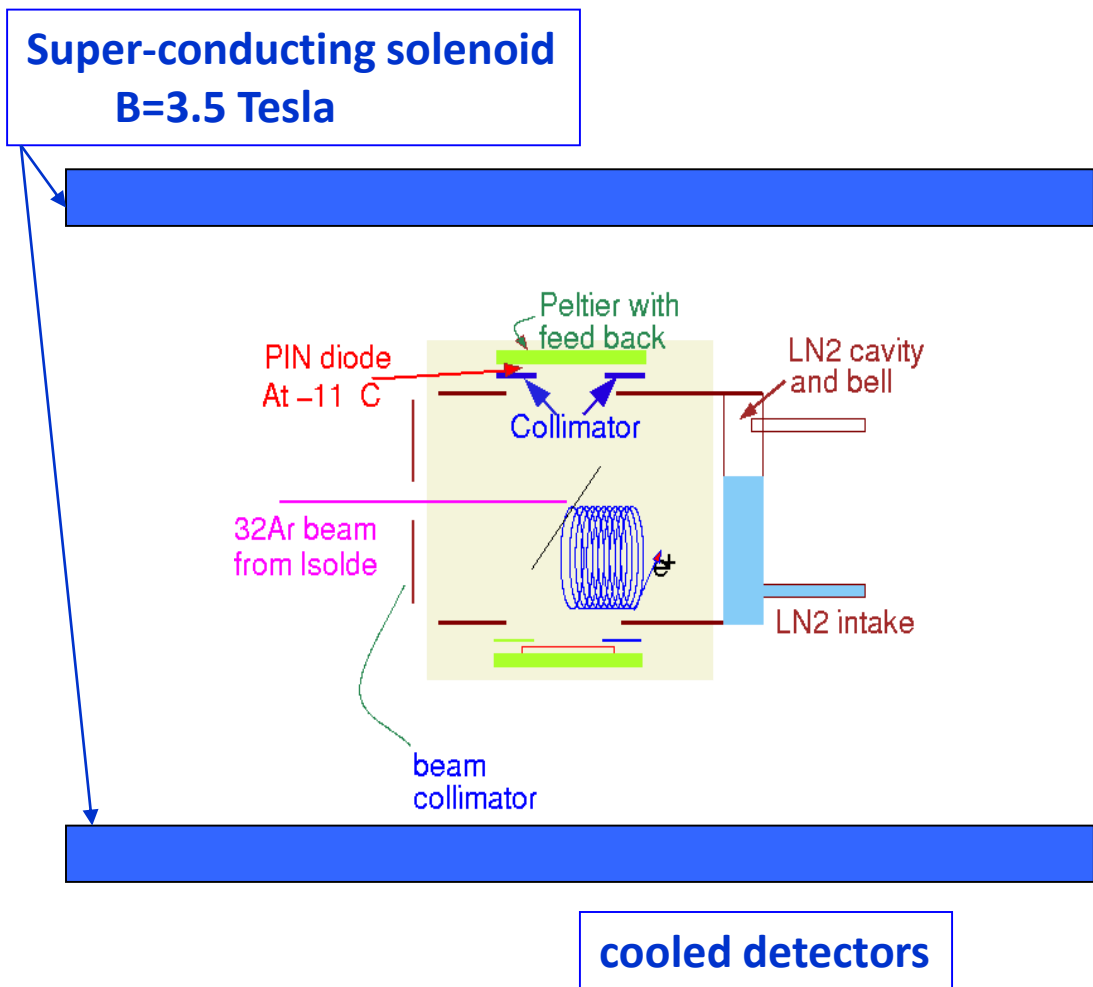
<sup>2</sup> Institute of Physics and Astronomy, Aarhus University, DK-8000 Aarhus C, Denmark

ZPA 345 (1993) 265

Set-up: cooled silicon detector



## ● ● ● Second experiment: ISOLDE 1999



Result:  
 $\tilde{a}=0.9989(65)$

E. G. Adelberger et al., PRL 83 (1999) 1299

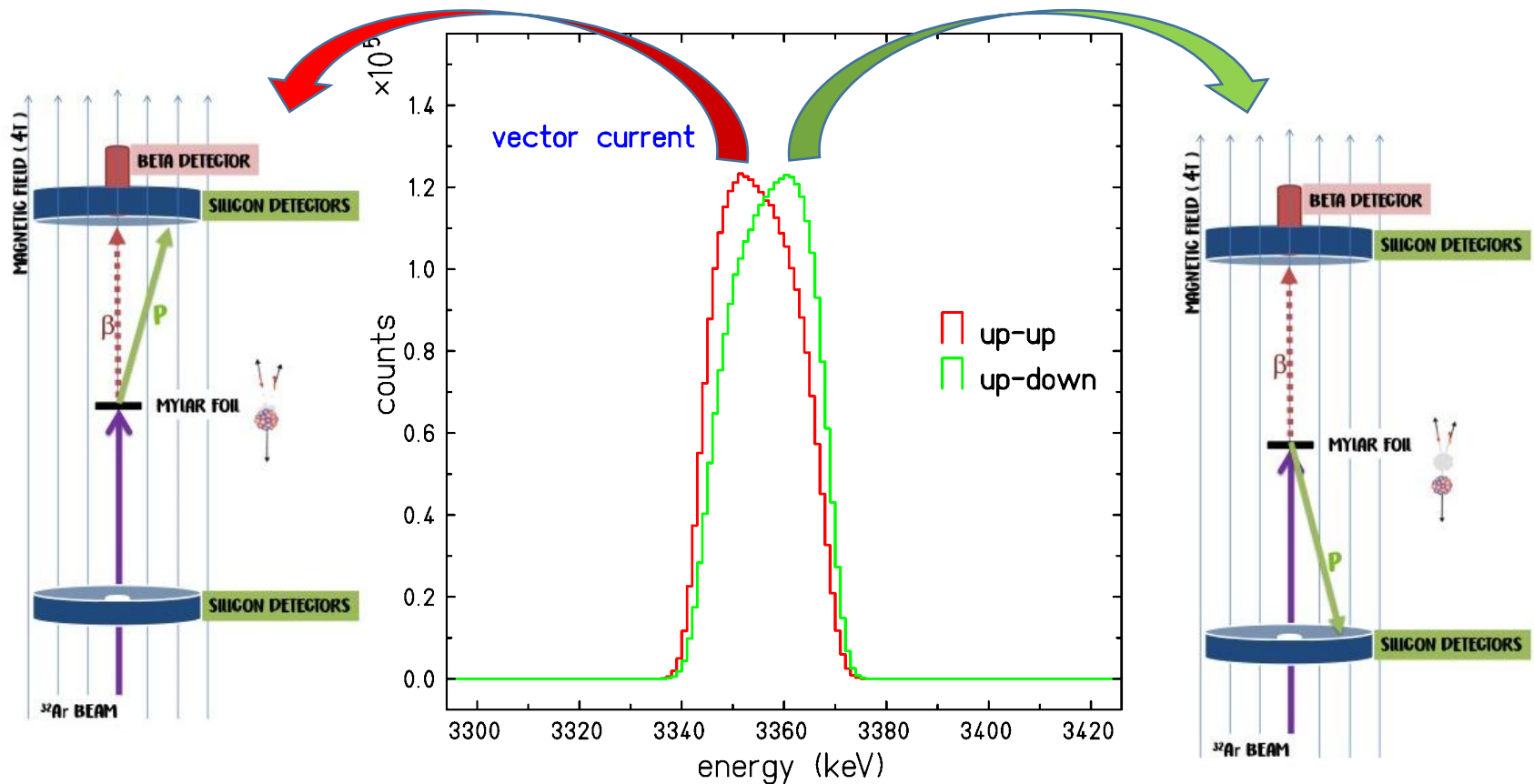
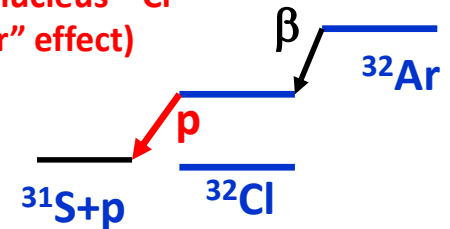
A. Garcia et al., Hyperfine Interact. 129 (2000) 237

# • • • The WISArD experiment

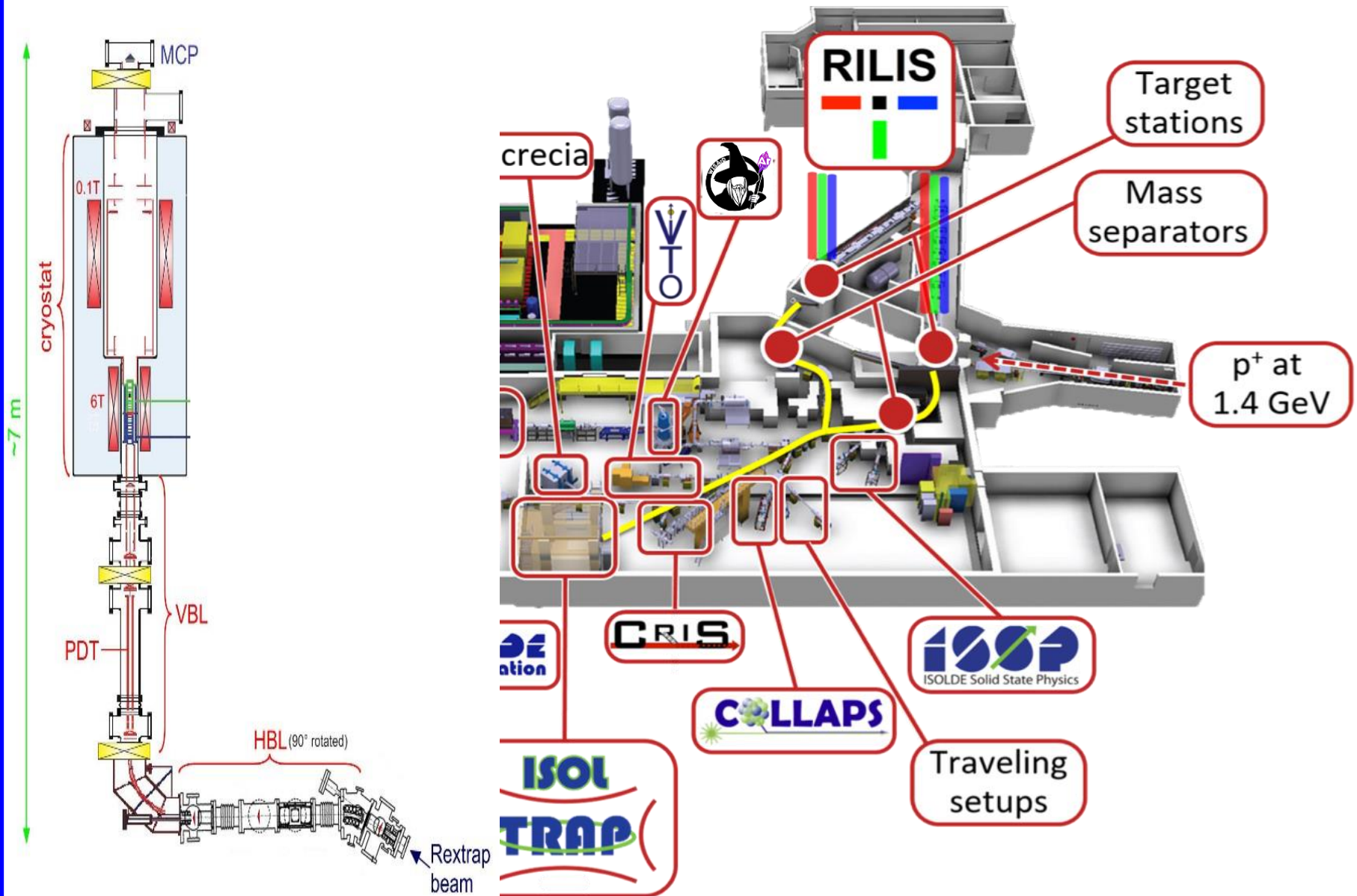
- Principle: measurement of the recoil of nucleus via an indirect measurement:  $\beta$ -delayed proton in a magnetic field to guide the positrons

- kinematical cuts with **singles** protons and **e<sup>+</sup> - coincident** protons
- increased sensitivity

Detection of proton:  
recoil of nucleus  $^{32}\text{Cl}$   
("Doppler" effect)



# ● ● ● ISOLDE - CERN



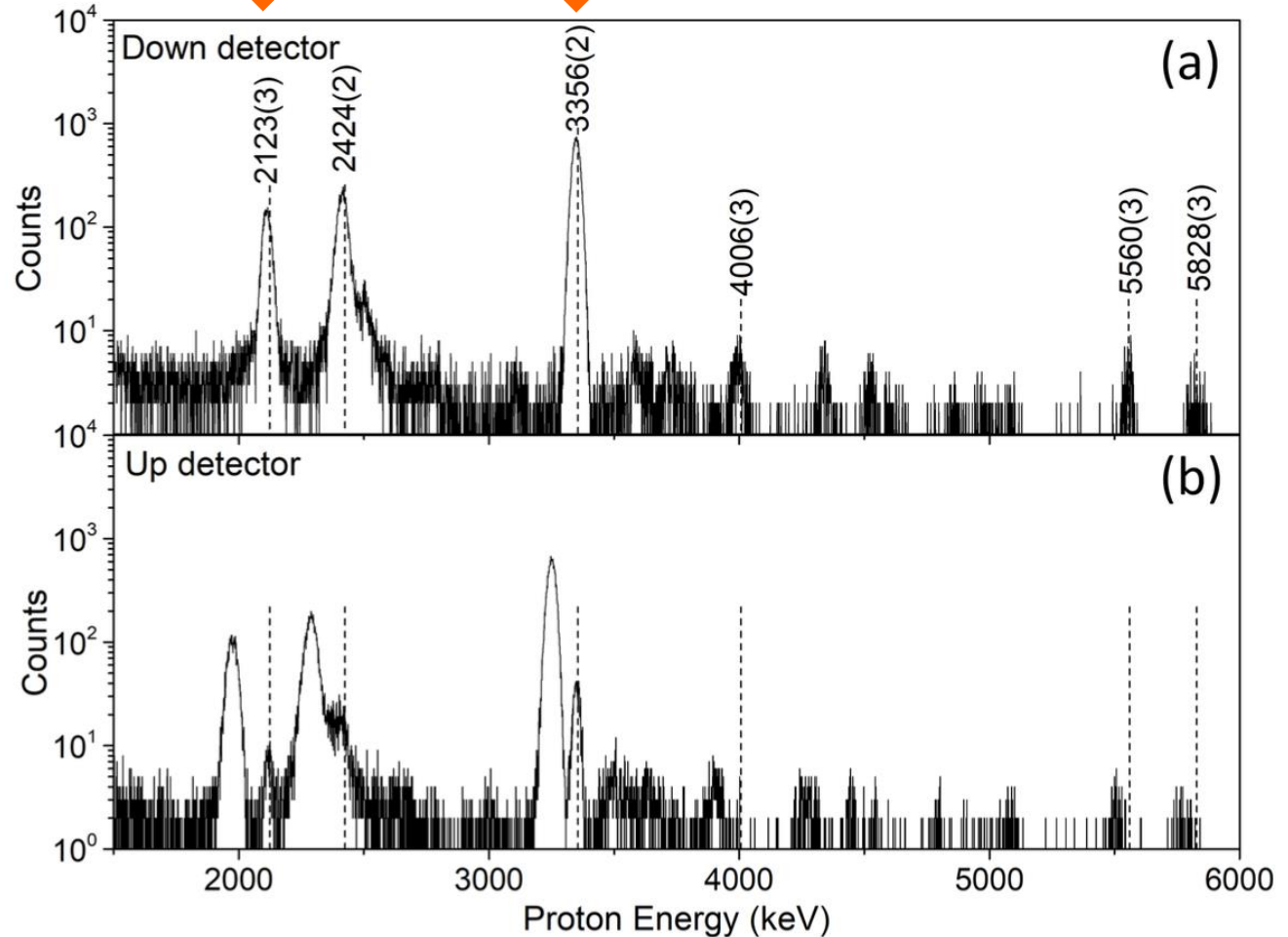
# • • • The WISArD experiment: proof-of-principles (2018)

first results (nov. 2018):

proton spectra:

GT

IAS: Fermi transition



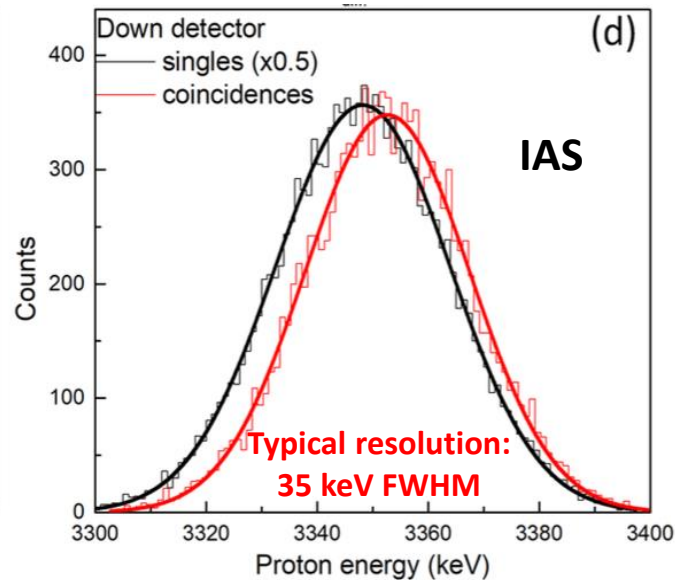
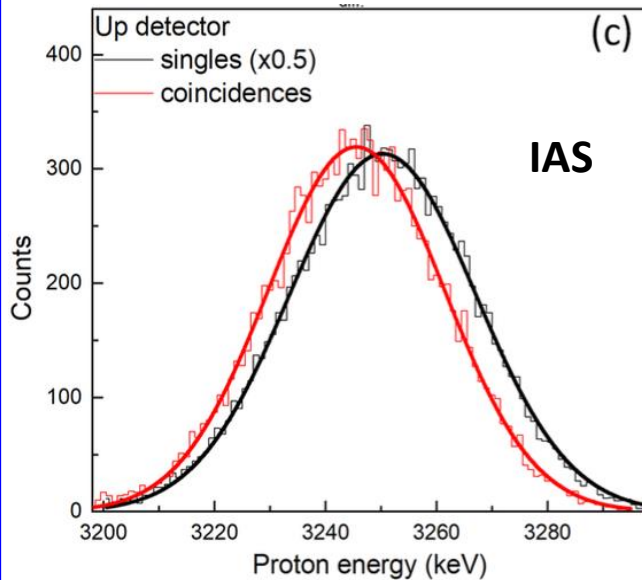
- E shift -> p detector dead layer

- E shift -> mylar foil + dead layer
- « shadow » peaks

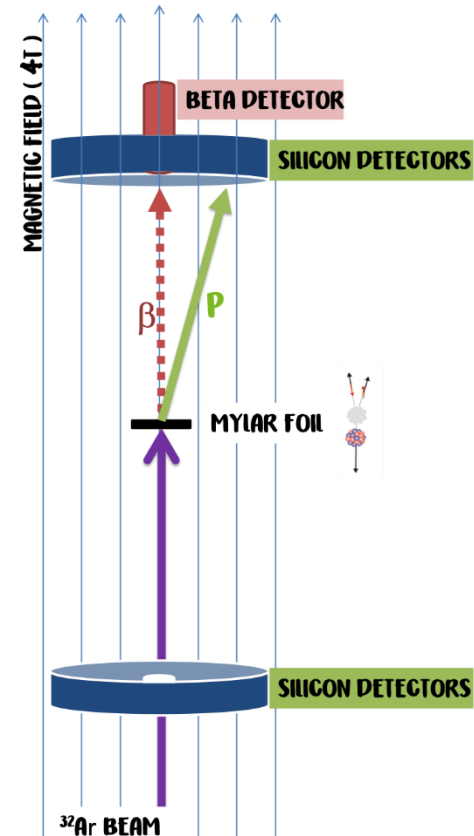


# • • • The WISArD experiment

## first results: (nov. 2018)



Average shift:  
 $\Delta = 4.49(3) \text{ keV}$

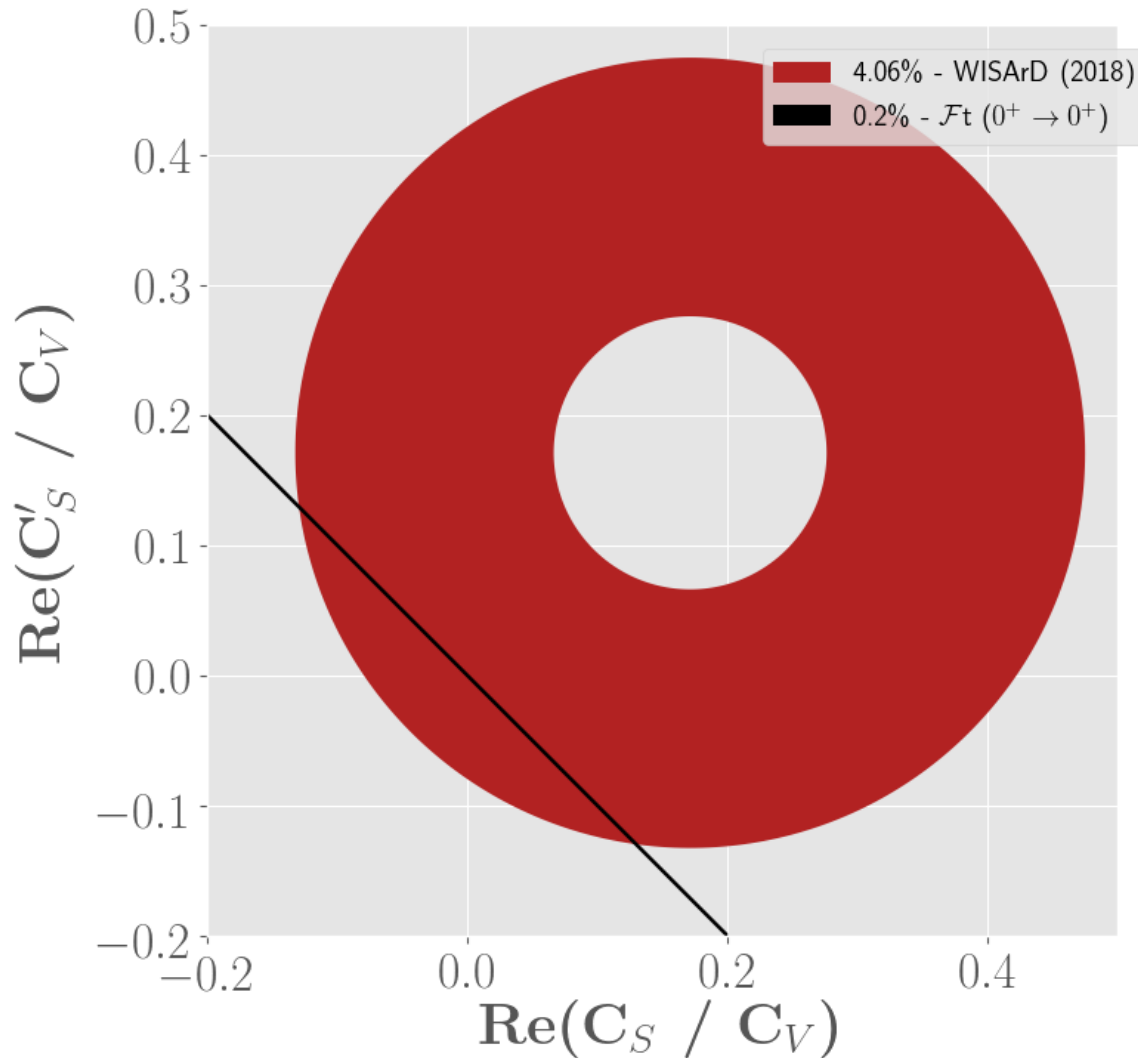


by means of GEANT4 MC calculations:

$$\tilde{a}_{\beta\nu}^F = 1.01(3)_{(stat)}(2)_{(syst)}$$

$$\tilde{a}_{\beta\nu}^{GT} = -0.22(9)_{(stat)}(2)_{(syst)}$$

# ● ● ● Limits on scalar currents: 2018



$$a_{\beta\nu}^F = 1.01(4) \quad (2018)$$

- after 35h collection
- $N_{\text{coinc}} \approx 1e5$
- 3<sup>rd</sup> best result

# • • • WISArD upgrades 2019 - 2021



2018

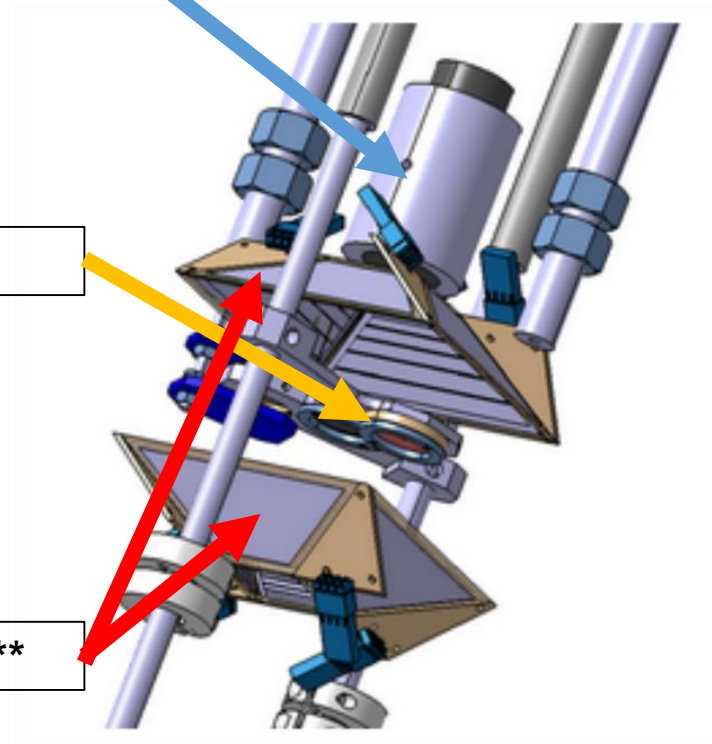


Beta detector\* + SiPM

Catcher\*\*\*

proton detectors planes\*\*

2021



\* Plastic scintillator;

\*\* Silicon surface-barrier (thickness = 300  $\mu\text{m}$ );

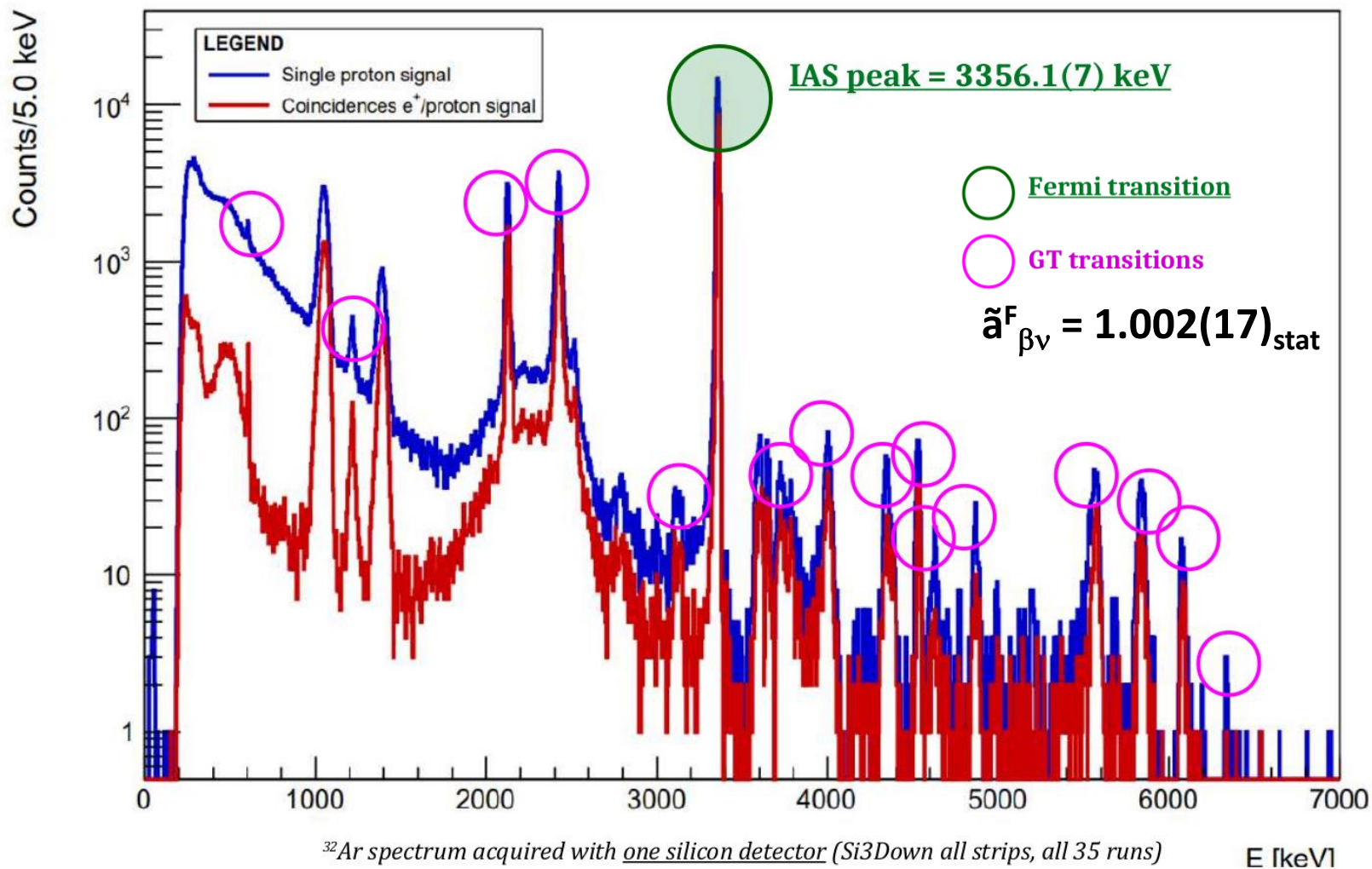
\*\*\* Aluminized Mylar (thickness = 6.7  $\mu\text{m}$ )

\* Plastic scintillator – EJ200;

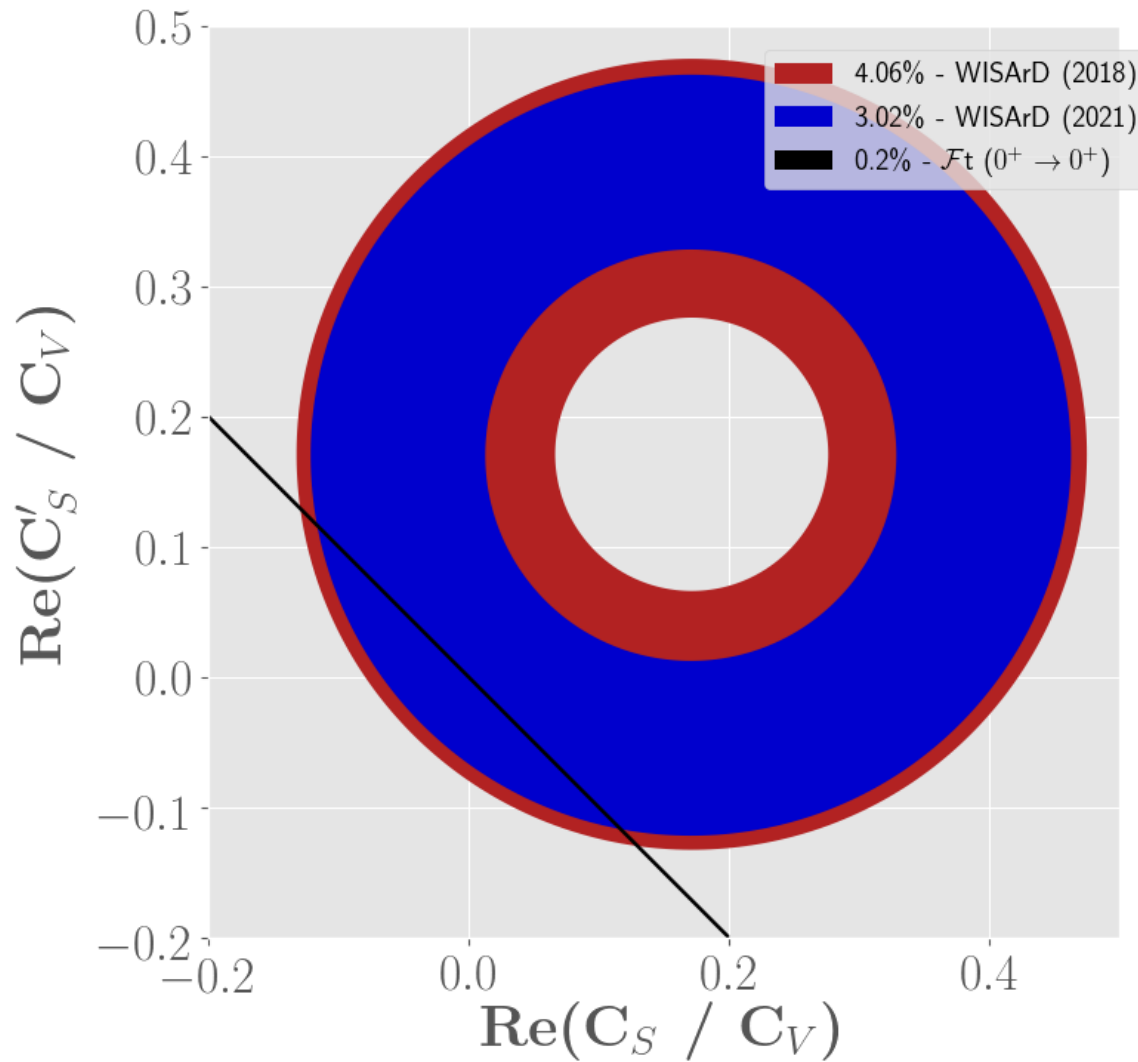
\*\* MICRON single-sided silicon-strip (thickness = 300  $\mu\text{m}$ );

\*\*\* Aluminized Mylar (thickness = 0.5  $\mu\text{m}$ )

# WISArD 2021 test experiment



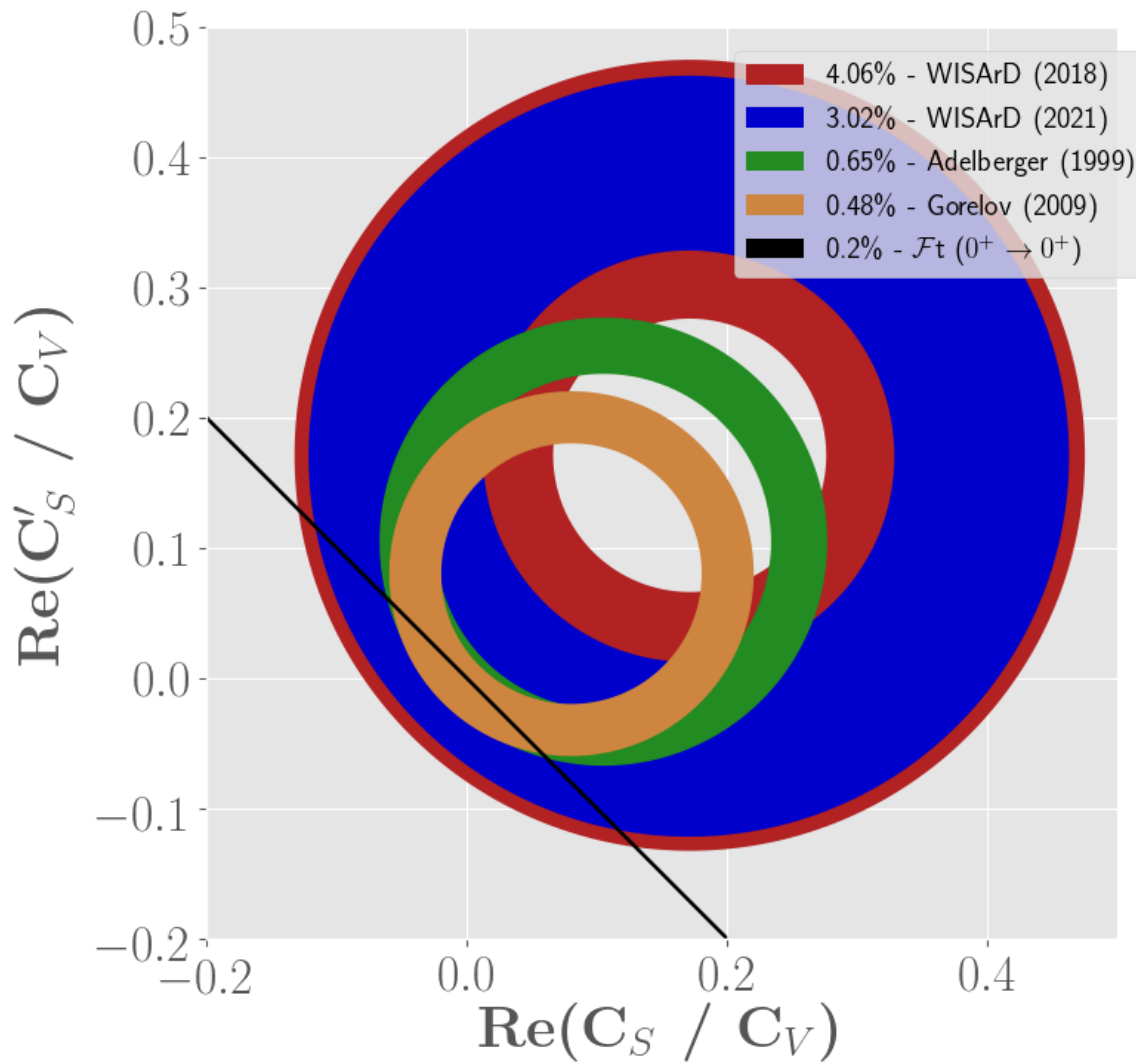
# ● ● ● Limits on scalar currents: 2021



$$a_{\beta\nu}^F = 1.01(4) \quad (2018)$$

$$a_{\beta\nu}^F = 1.02(\sim 3) \quad (2021)$$

# ● ● ● Limits on scalar currents: 2024



$$a_{\beta\nu}^F = 1.01(4) \quad (2018)$$

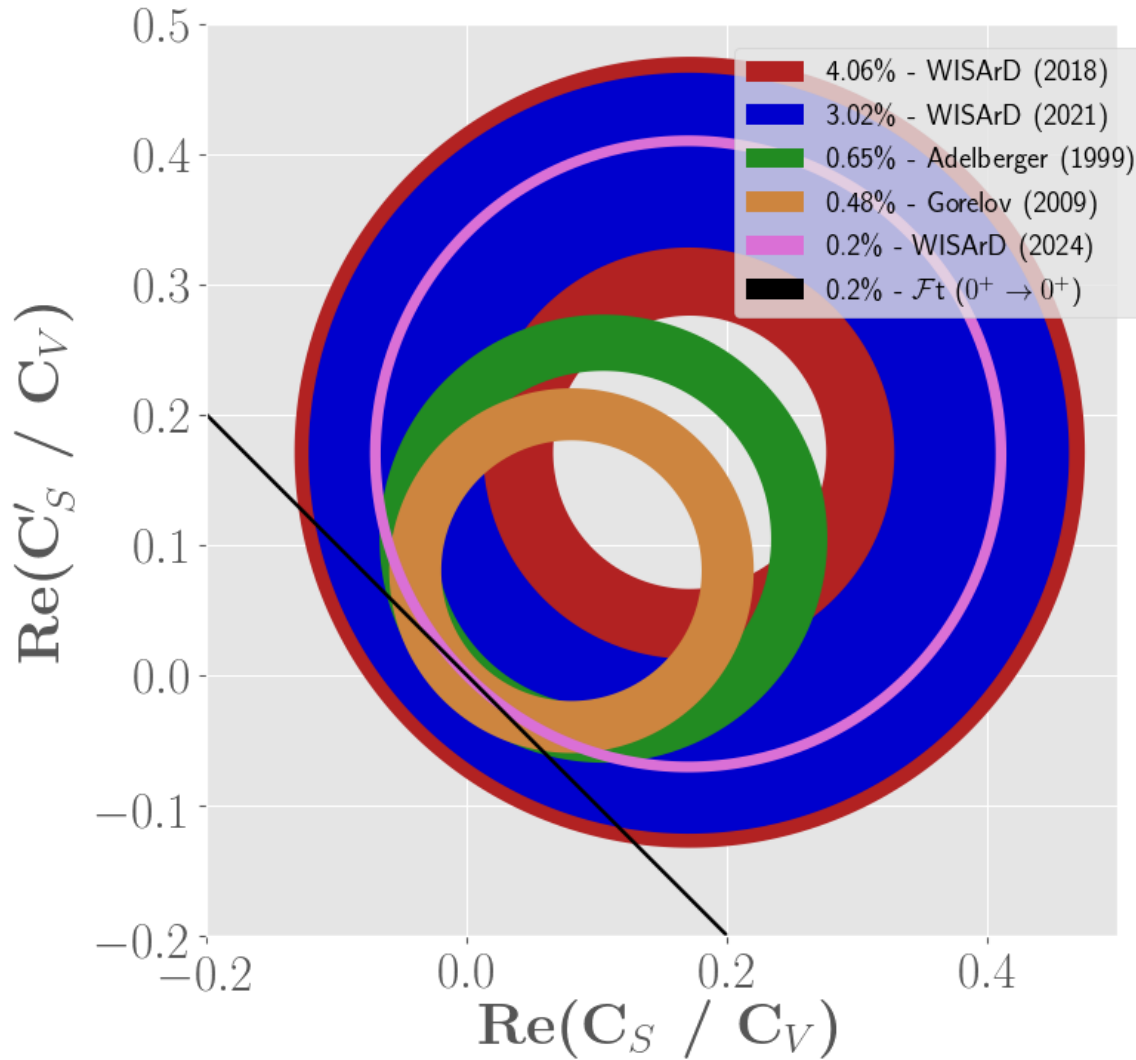
$$a_{\beta\nu}^F = 1.02(\sim 3) \quad (2021)$$

$$a_{\beta\nu}^F = 0.9989(65) \quad (\text{Adelberger})$$

$$a_{\beta\nu}^F = 0.9981(48) \quad (\text{Gorelov})$$

- all components work...
- new data taking in May 2024...
- ➔ aim of 0.1 - 0.2% precision on  $a_{\beta_V}$  and  $b$

● ● ● Limits on scalar currents: >2024



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$$a_{\beta\nu}^F = 1.02(\sim 3) \quad (2021)$$

$$a_{\beta\nu}^F = 0.9989(65) \quad (\text{Adelberger})$$

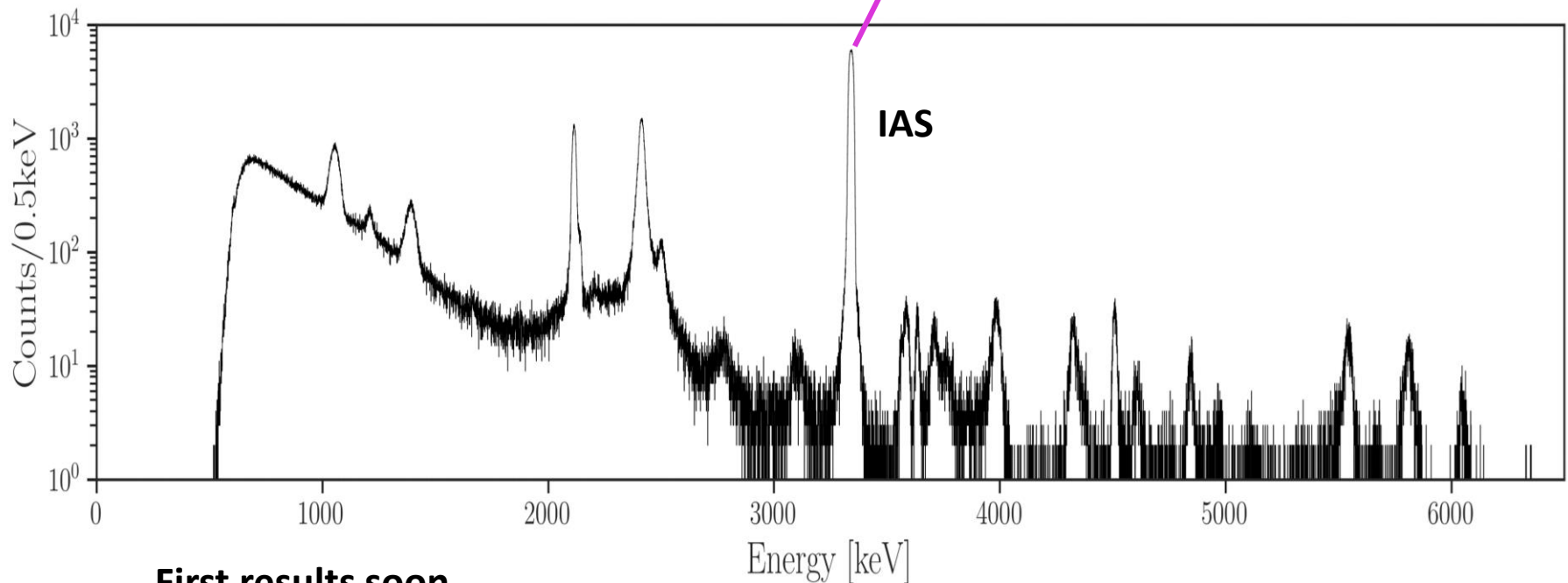
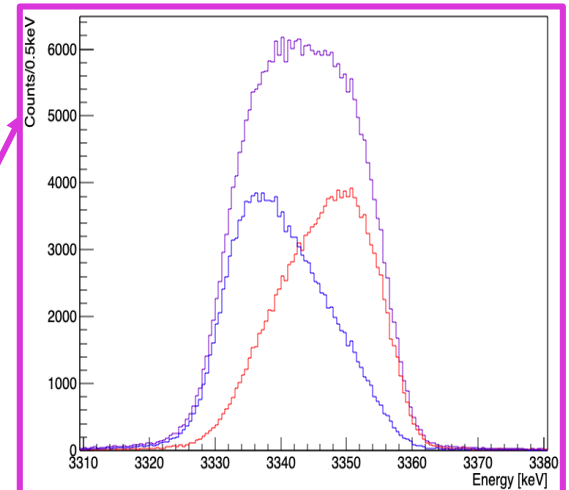
$$a_{\beta\nu}^F = 0.9981(48) \quad (\text{Gorelov})$$

$$a_{\beta\nu}^F = 1.0000(20) \quad (\text{WISArD 2024})$$



# ● ● ● Limits on scalar currents: WISArD 2024

- 2.5 days with  $^{32}\text{Ar}$  high production rate
- 2000 pps/ $\mu\text{C}$
- $11 \times 10^6$  coincidence events
  - ⇒ 0.2% stat. uncertainty
- all detectors performing at nominal resolution



First results soon...

- Super-allowed  $0^+ - 0^+$   $\beta$  decay:  $^{10}\text{C}$  decay
- $\beta-\nu$  angular correlation measurements: WISArD
- **Beta-shape measurement: InESS ( $^{114}\text{In}$ )**



# • • • Beta spectrum shape measurement

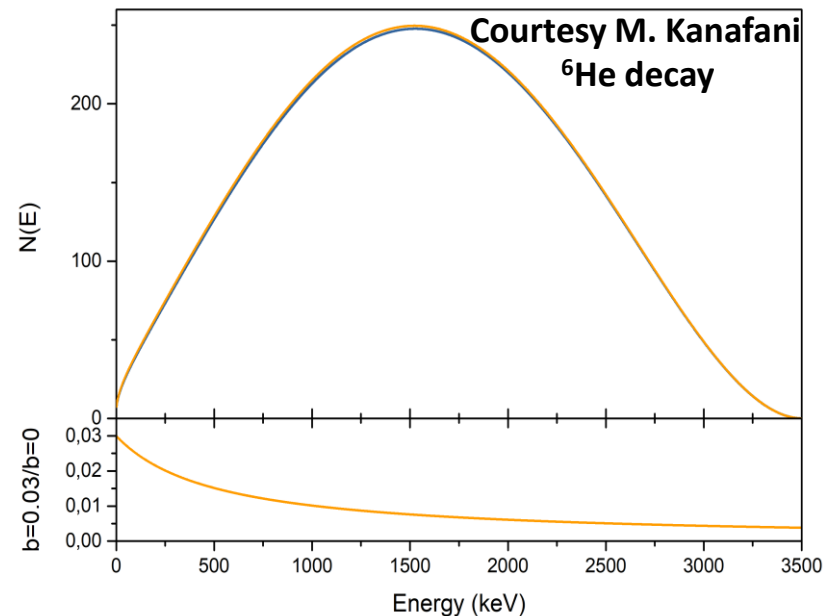
**Beta decay rate:**

$$\frac{dW(\mathbf{J})}{dE_e d\Omega_e d\Omega_\nu} = dW_0 \times \xi \left\{ 1 + a \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu} + b \frac{m_e}{E_e} + \frac{\langle \mathbf{J} \rangle}{J} \cdot \left[ A \frac{\mathbf{p}_e}{E_e} + (B + b_B \frac{m_e}{E_e}) \frac{\mathbf{p}_\nu}{E_\nu} + D \frac{\mathbf{p}_e \times \mathbf{p}_\nu}{E_e E_\nu} \right] \right\}$$



**Beta decay rate of unpolarised nuclei:**

$$\frac{dW(\mathbf{J})}{dE_e d\Omega_e d\Omega_\nu} = dW_0 \times \xi \left\{ 1 + b \frac{m_e}{E_e} \right\}$$



**Weak-Magnetism ( $b_{WM}$ ):**

$$\frac{dW(\mathbf{J})}{dE_e d\Omega_e d\Omega_\nu} = dW_0 \times \xi \left\{ 1 - \frac{2}{3} \frac{E_0}{Mc} b_{WM} + \frac{4}{3} \frac{E_e}{Mc} b_{WM} - \frac{2}{3} \frac{1}{Mc} \frac{1}{E_e} b_{WM} \right\}$$

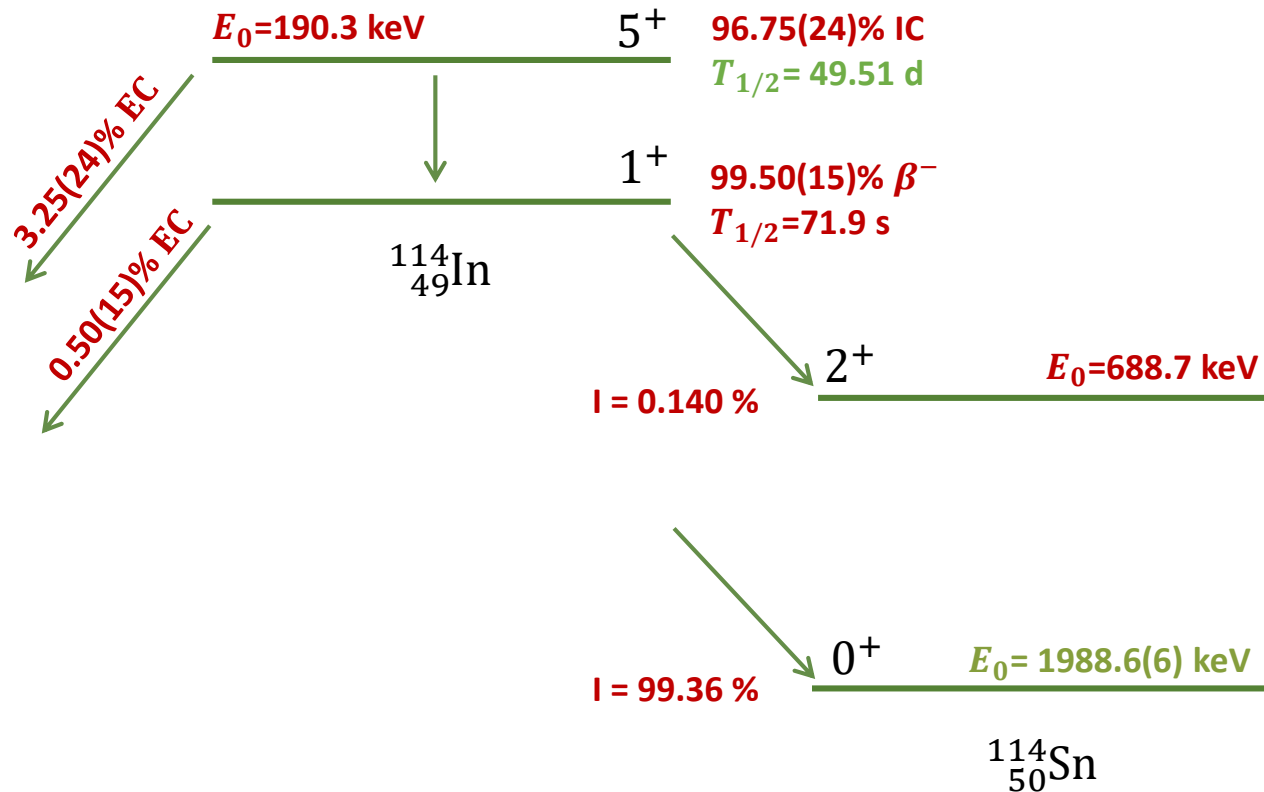
**➔ Strong interaction induced effect, has to be controlled to extract Fierz term**

**$\beta$ -shape measurements:**

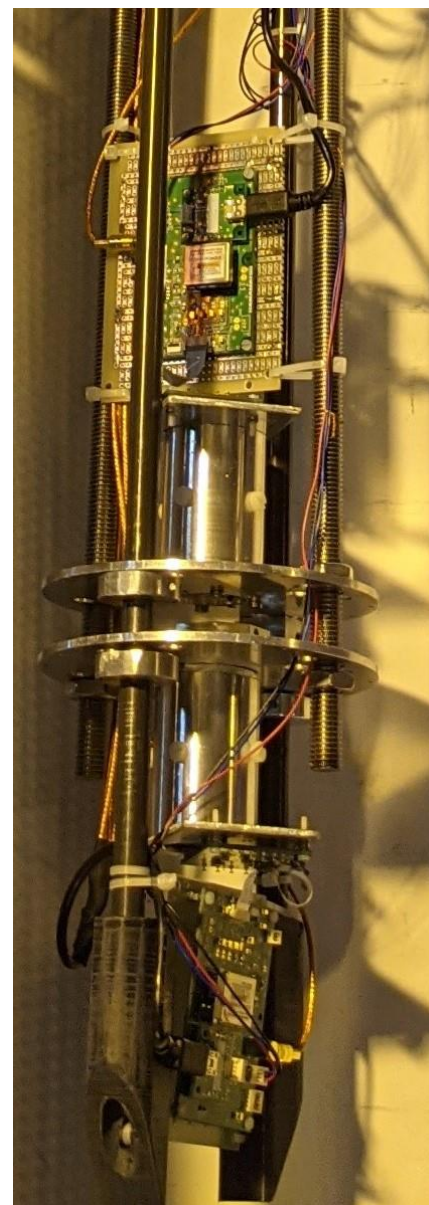
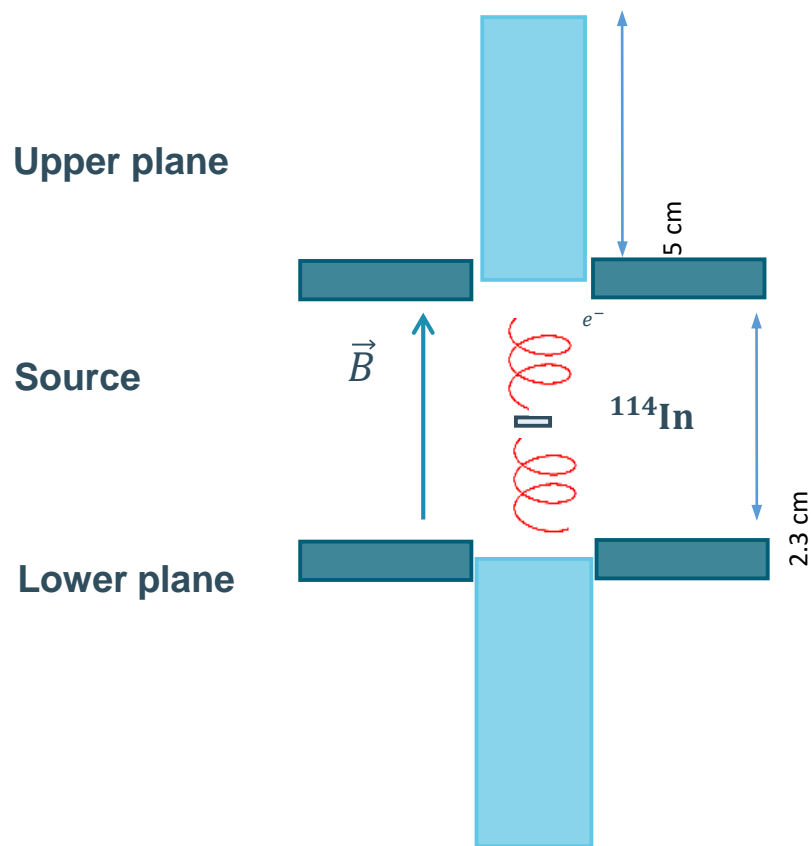
**$^{114}\text{In}$  at WISArD/ISOLDE: InESS**

# ● ● ● Beta spectrum shape measurement

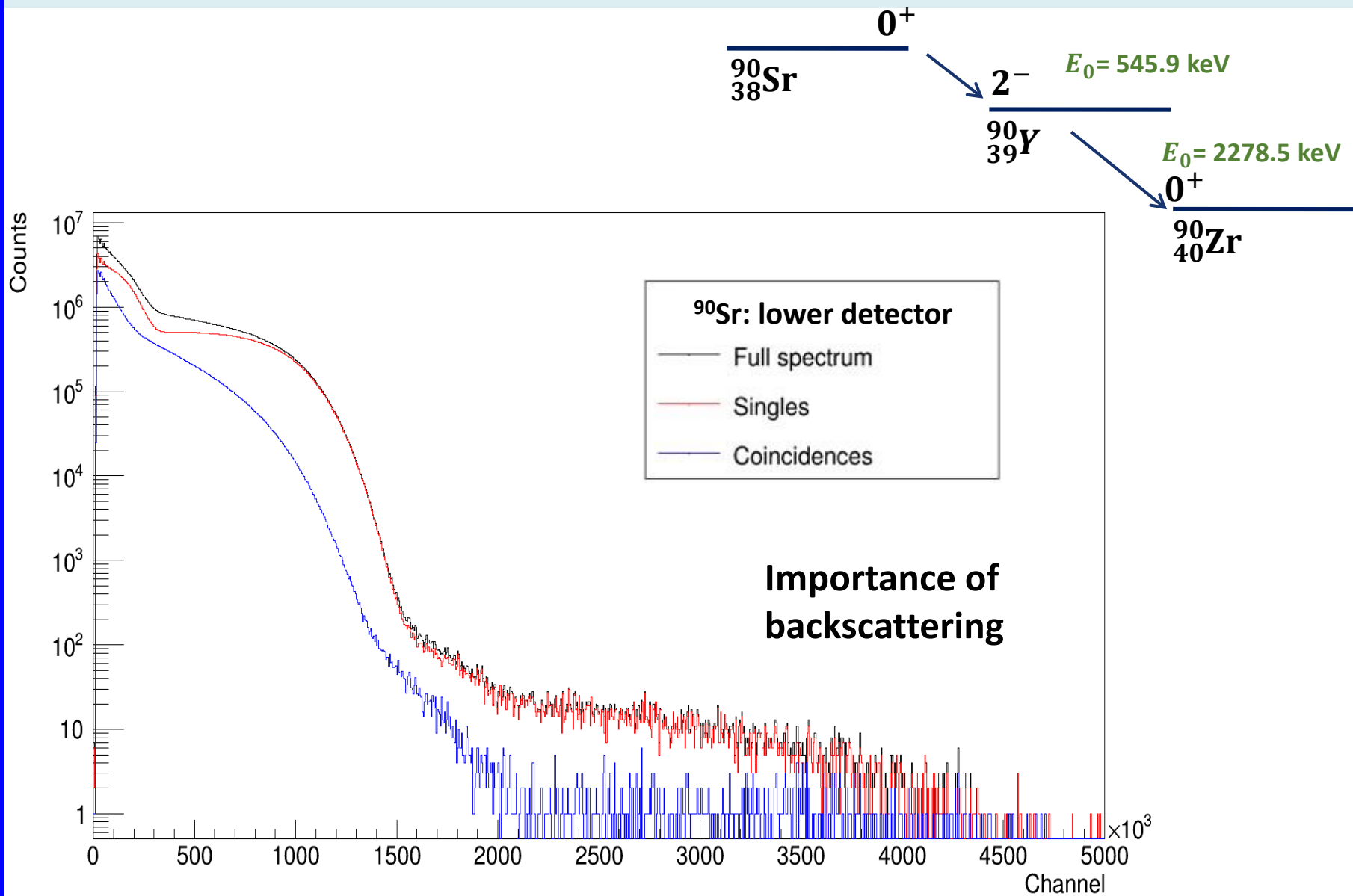
Beta-decay shape from  $^{114}\text{In}$ :



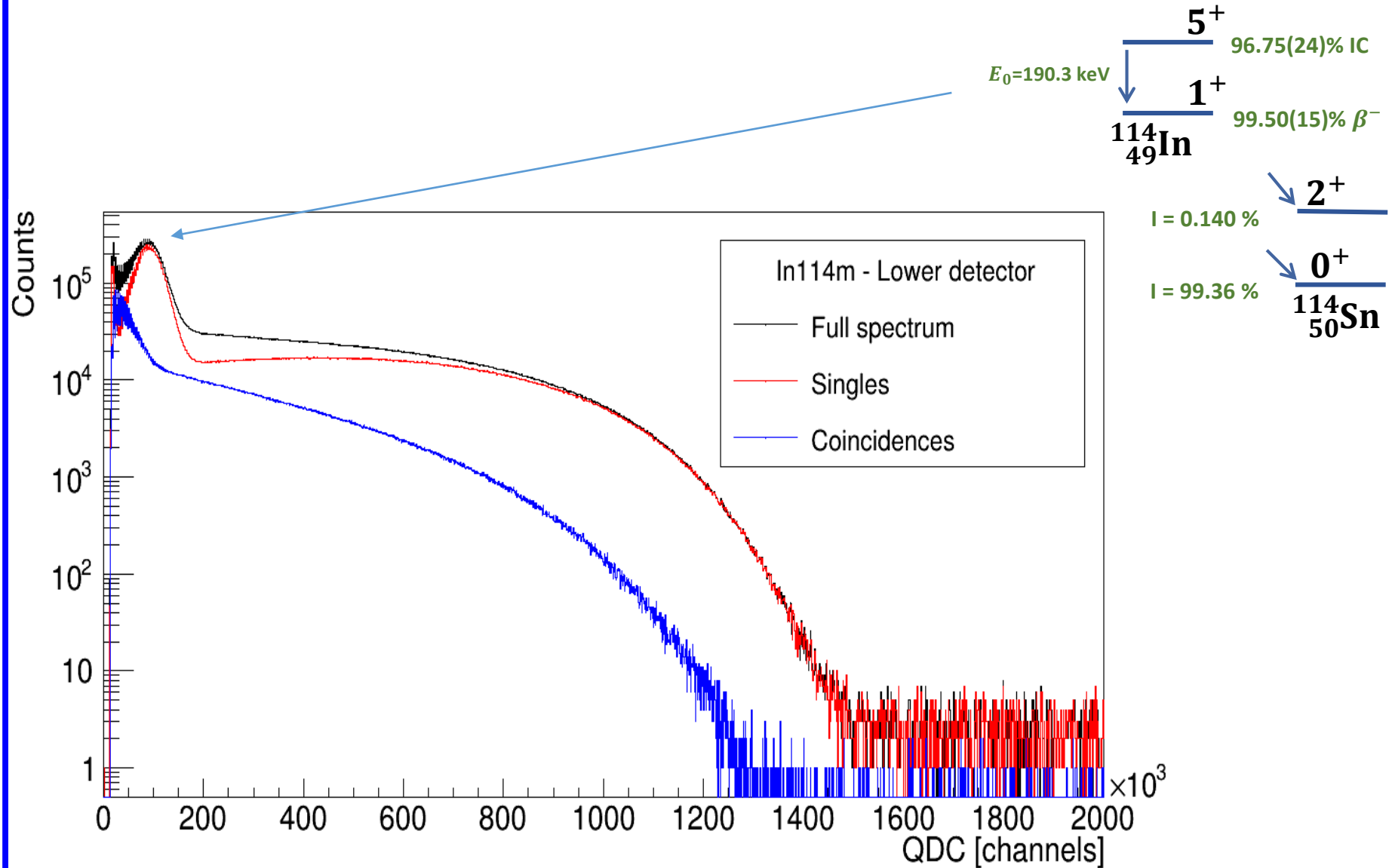
- Closed geometry: B field
  - first try: InESS @WISArD



# ● ● ● InESS @ WISArD: a few spectra

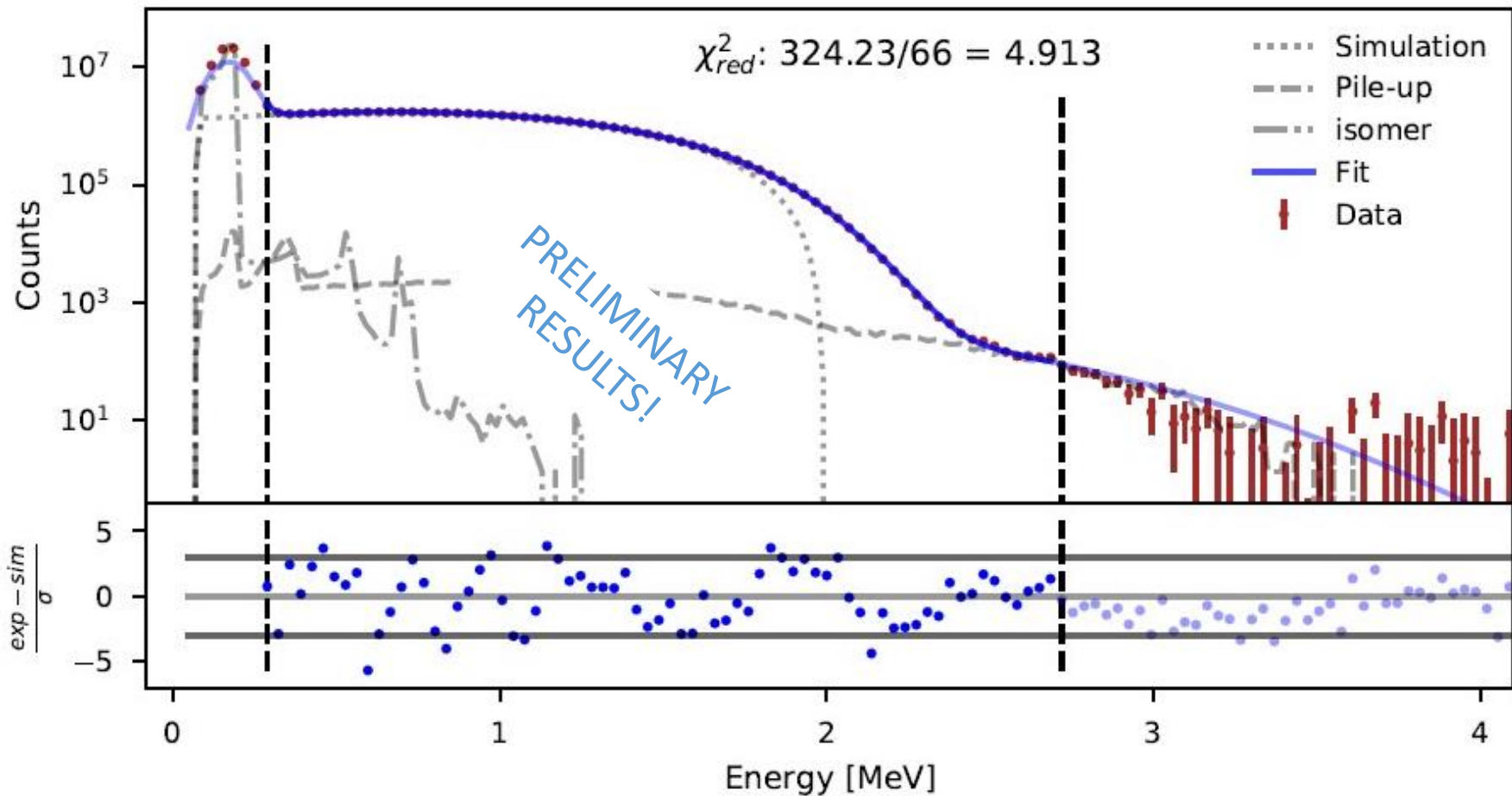


# ● ● ● InESS @ WISArD: a few spectra





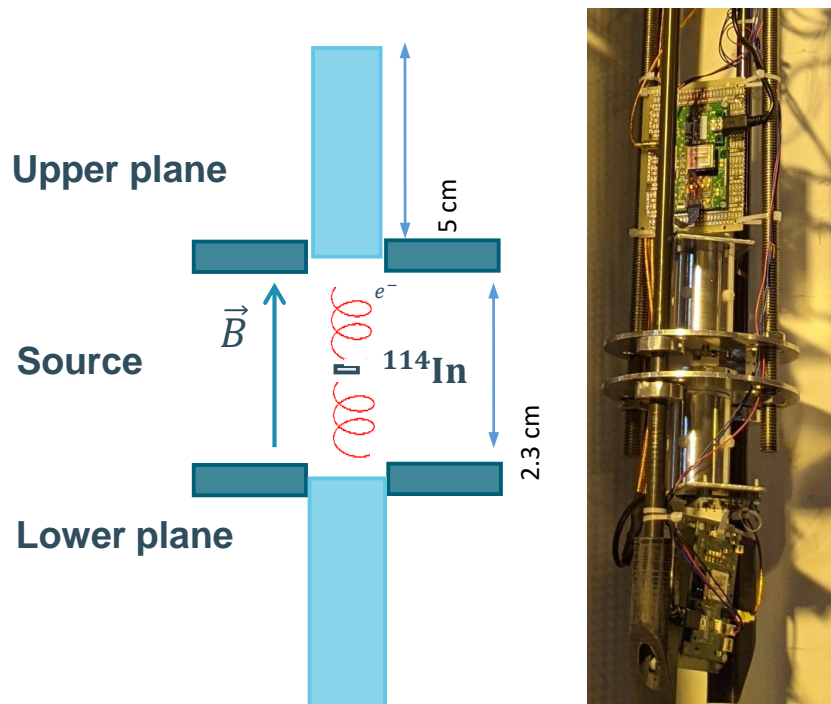
# ● ● ● InESS @ WISArD: Comparison with simulations



weak-magnetism term:  
 $b/Ac = 19.3(22)_{stat}(17)_{sys}$

- **Closed geometry: B field**

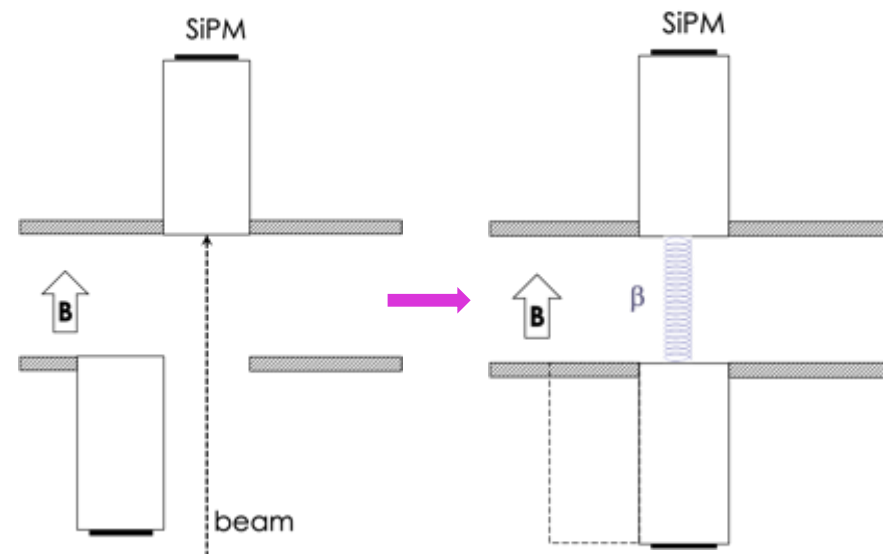
- first try: InESS @WISArD



- **Next step:**

- smaller half-life candidates
- new set-up:

direct implantation of RIB  
rotatable beta detector (e.g.  $^{14}\text{O}$ )



+ replace scintillators by Si(Li) detectors

## ● ● ● Summary

$$\frac{dW(\mathbf{J})}{dE_e d\Omega_e d\Omega_\nu} = dW_0 \times \xi \left\{ 1 + a \frac{\mathbf{p}_e \cdot \mathbf{p}_\nu}{E_e E_\nu} + b \frac{m_e}{E_e} + \frac{\langle \mathbf{J} \rangle}{J} \cdot \left[ A \frac{\mathbf{p}_e}{E_e} + \left( B + b_B \frac{m_e}{E_e} \right) \frac{\mathbf{p}_\nu}{E_\nu} + D \frac{\mathbf{p}_e \times \mathbf{p}_\nu}{E_e E_\nu} \right] \right\}$$

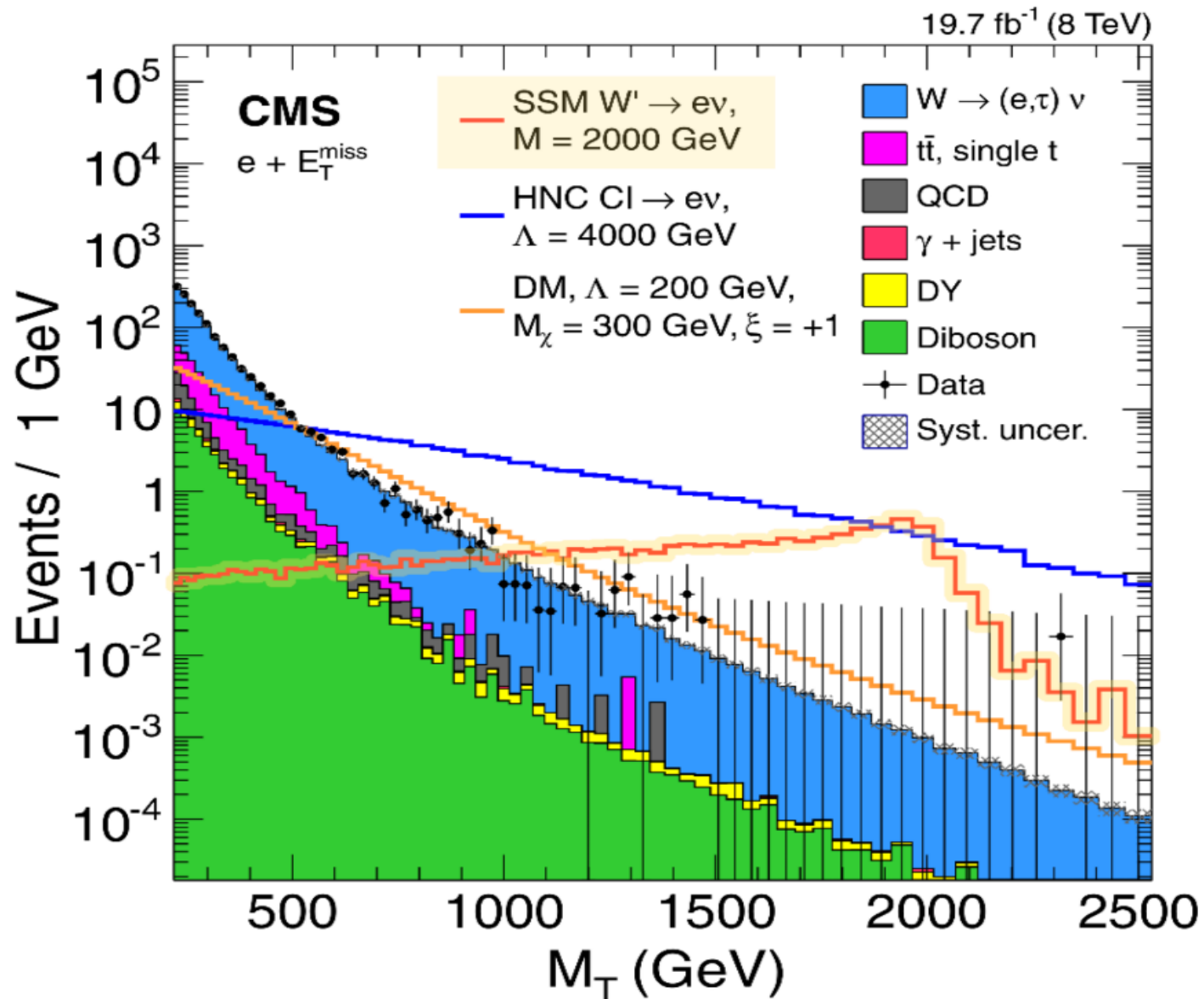
<sup>6</sup>He @ LPC (Paul trap)  
<sup>8</sup>Li @ ANL (Paul trap)  
<sup>8</sup>B @ ANL (Paul trap)  
<sup>6</sup>He @ Seattle (MOT)  
<sup>32</sup>Ar @ ISOLDE (catcher foil)  
<sup>32</sup>Ar @ Texas A&M (Penning)  
<sup>38m</sup>K @ TRIUMF (MOT)  
 n @ aSPECT  
 ...

<sup>114</sup>In @ ISOLDE  
<sup>6</sup>He @ LPC/GANIL (bSTILED)  
<sup>6</sup>He @ NSCL  
<sup>20</sup>F @ NSCL  
 ....

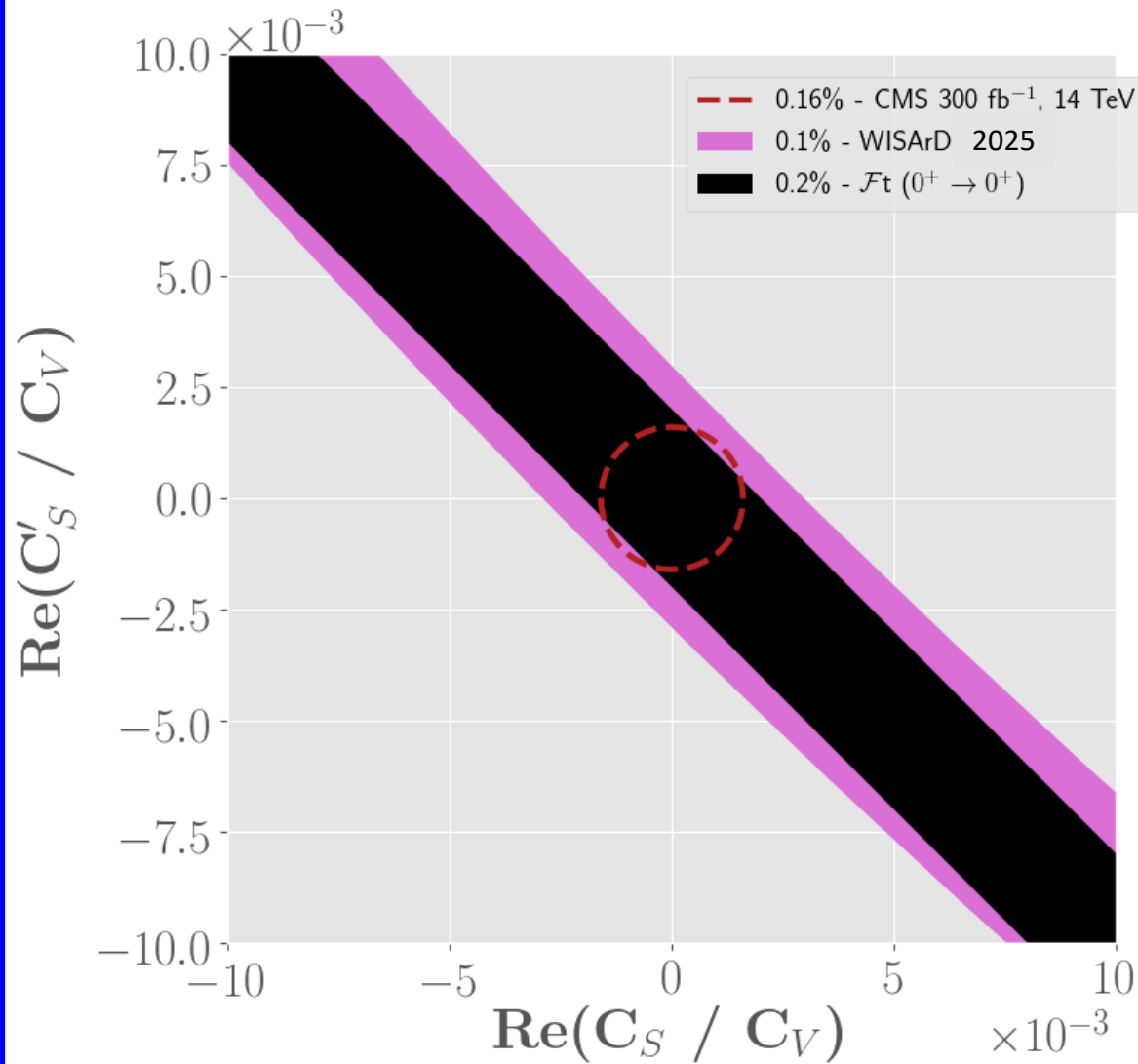


- large number of experiments ongoing
- aim is 0.1% of precision
- certainly impossible with present experiments to go much below...
- with EFT, LHC and  $\beta$ -decay experiments can be compared directly

# LHC experiments



# ● ● ● Present and future limits on scalar currents



$$a_{\beta\nu}^F = 1.0000(10) \quad (\text{WISArD 2025})$$

# Thanks for your attention



