Effects of hadronic reinteraction on jet fragmentation from small to large systems

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Hard Probes 2024, Nagasaki







2 Relevant Modules







The JETSCAPE Framework

- Modular framework for jet and bulk dynamics studies in HIC
- Latest version JETSCAPE 3.6.5: github.com/JETSCAPE



• New connection: study effects of hard hadrons in the afterburner phase

Figure from Y. Tachibana

SMASH - Simulating Many Accelerated Strongly-interacting Hadrons



Weil et al., Phys. Rev. C 94

(2016)



- Dynamical non-equilibrium description of HIC at low beam energies (GSI/FAIR) and late stage rescattering at high beam energies (RHIC/LHC)
- PDG(2018) hadrons up to $m \approx 2.35 \text{ GeV}$

SMASH Setup

• Effective solution to the relativistic Boltzmann equation

$$p^{\mu}\partial_{\mu}f_{i}(t,\vec{x},\vec{p}) + m_{i}F^{\alpha}\partial^{p}_{\alpha}f_{i}(t,\vec{x},\vec{p}) = \mathcal{C}^{i}_{\mathsf{coll}}\left[f_{i}(t,\vec{x},\vec{p})\right]$$

• Geometric collision criterion

$$d_{\text{trans}} < d_{\text{int}} = \sqrt{\frac{\sigma_{\text{tot}}}{\pi}}, \quad d_{\text{trans}}^2 = (\vec{r}_a - \vec{r}_b)^2 - \frac{[(\vec{r}_a - \vec{r}_b) \cdot (\vec{p}_a - \vec{p}_b)]^2}{(\vec{p}_a - \vec{p}_b)^2}$$

Hybrid Hadronization

- Interpolates between: _{%Han, Fries, Ko. (2016)}
 - String fragmentation \rightarrow dilute systems
 - Quark recombination \rightarrow dense systems
- How to interpolate between the two models?
 - Physics criterion: Recombination probability vanishes for large phase-space distances
- Advantages:
 - Hadronizes all systems from $e^+ + e^-$, p + p to A + A
 - Full phase space information of the partons / hadrons
 ⇒ Input for SMASH
 - Can hadronize "negative hadrons" when a medium is present
- New features of Hybrid Hadronization since JETCSAPE 3.6:
 - Complete treatment of systems with medium (brick, 2+1d, 3+1d), more precise position determination along strings/junctions, ...

Talk: Rainer Fries, Wed 10:50

Poster: Rainer Fries, Tue 16:35



Hendrik Roch, for the JETSCAPE collaboration

How To Hadronize Jets

- Dilute part (string fragmentation) \rightarrow PYTHIA 8
- Solving the recombination problem:
 - (Anti-)quarks are Gaussian wave packets in phase space around (\vec{r}_i, \vec{p}_i) with width
 - $\pmb{\delta}$, color + spin information might be available (otherwise set statistically)
 - Short range correlation: isotropic harmonic oscillator potential (width 1/
 u)
 - Wigner formalism in phase space (need angular momentum eigenstates)
- Example with mesons:
 - Sum over magnetic quantum number *m* (not tracking spin polarization)
 - Probabilities depend on relative coordinates r, p in phase space $(\theta = \angle(r, p))$



Relevant Modules

How To Hadronize Jets

 Probabilities depend on two variables: total phase-space distance squared v and total angular momentum squared t

$$v = rac{v^2 r^2}{2} + rac{p^2}{2\hbar^2 v^2}, \quad t = rac{1}{\hbar^2} \left[p^2 r^2 - (\vec{p} \cdot \vec{r})^2 \right] = rac{1}{\hbar^2} L^2$$

- *t* connects the relative angular momentum of the quarks to the quantum number *I* of the bound state
- Total recombination probability takes quark spins (statistically) and color into account
- Color factors are determined by color tags, thermal partons and shower partons with random color have tag 0

$$\mathcal{P}_{00} = e^{-v}$$
$$\mathcal{P}_{01} = e^{-v}v$$
$$\mathcal{P}_{02} = \frac{1}{2}e^{-v}\left(\frac{2}{3}v^2 + \frac{1}{3}t\right)$$
$$\mathcal{P}_{10} = \frac{1}{2}e^{-v}\left(\frac{1}{3}v^2 - \frac{1}{3}t\right)$$

Hybrid Hadronization Workflow

- Input:
 - Partons with virtualities below a cutoff, with space-time information and color tags
- Recombination Step:
 - Decay gluons into qq̄ and sample recombination probabilities (w/ Wigner functions) for all qq̄ and qqq bound states (in medium → thermal partons from hypersurface)
- Intermediate Step:
 - String system of recombined hadrons and remnant partons (in medium → thermal partons in remnant strings), only color singlets removed
- Fragmentation:
 - Remnant partons tend to be further apart in phase space → Hadronize remnant strings in PYTHIA 8



QM23 Poster, Cameron Parker

Setup - Vacuum Systems



Hadronization

Recombination + String fragmentation Afterburner SMASH

- Consider two vacuum systems:
 - $e^+ + e^-$ at $\sqrt{s_{\sf NN}} = 91.2~{\sf GeV}$
 - p + p at $\sqrt{s_{NN}} = 200 \text{ GeV}$
- Simulation setup:
 - Only decays in SMASH
 - 1 fm/c free-streaming phase before SMASH (including scatterings)
 - 0.1 fm/c free-streaming phase before SMASH (including scatterings)

Vacuum System Results

 $e^+ + e^-$



- Transverse momenta are reshuffled to smaller values caused by interactions
- Larger effect for heavier hadrons (known from afterburner studies in heavy-ion simulations)



Dihadron Correlations

• Analysis similar to SCMS (2011), SCMS (2012):



p + p



 In the jets we see a diffusion of momentum

• Diffusion of hadrons away from the jet center



- *p* + *p* hadron spectra *p*_T ≤ 15 GeV no significant differences
- Next: p + p with more statistics and high multiplicity cut $P(\Delta r) = \frac{1}{N_{\text{tot}}} \frac{d\sum_{i} p_{i}^{f}}{d\Delta r}, \quad \Delta r \equiv \sqrt{(\eta - \eta_{\text{jet}})^{2} + (\phi - \phi_{\text{jet}})^{2}}$

Outlook - Medium Systems



- Particles from the hard and soft sectors can rescatter
- Expectation: Effects in the p_T region between ≈ 5 − 20 GeV



Summary

- Modernized Hybrid Hadronization module for all systems ($e^+ + e^-$, p + p, A + A)
- New connection between Hybrid Hadronization and SMASH → study jet modification in hadronic matter
- First results in vacuum systems show (expected) small effects in the redistribution of hadron momenta

Outlook

Next steps:

- Use optimized $e^+ + e^-$, p + p parameters from Bayesian analysis + more statistics Poster: Rainer Fries, Tue 16:35
- Look at A + A, where we expect even larger effects

Analysis performed with SPARKX (v1.3.0) - Software Package for Analyzing Relativistic Kinematics in Collision eXperiments:



GitHub: smash-transport/sparkx
 10.5281/zenodo.12821236

Götz, Roch, Sass (2024)

Documentation:

smash-transport.github.io/sparkx/

Other JETSCAPE presentations

- Peter Jacobs: Multi-Observable Analysis of Jet Quenching Using Bayesian Inference, Monday 15:40
- Yasiki Tachibana: Extraction of jet-medium interaction details through jet substructure for inclusive and gamma-tagged jets, Monday 17:50
- Yayun He: Energy-energy correlators of inclusive jets in heavy-ion collisions, Tuesday 9:40
- Abhijit Majumder: Correlations between hard probes and bulk dynamics in small systems, Tuesday 16:15
- Chathuranga Sirimanna: Interplay of prompt and non-prompt photons in photon-triggered jet observables, Wednesday 9:40
- Rainer Fries: X-SCAPE as a universal Event Generator for e+p, e+e- and pp collisions, Poster session



Backup Slides

Hybrid Hadronization At Work - String Repair

• 1 quick example:



Picture shamelessly stolen from R. J. Fries

 Recombination removes color singlets, remaining strings "snap together" the right way automatically

Hybrid Hadronization At Work - String Repair

- Remnant partons with color tag 0 (e.g. from LBT) are used in strings
- Unused gluons are restored
- If the initial system was not a color singlet: introduce extra partons to balance color
 - Beam partons
 - Thermal partons
 - Fake partons with zero momentum
- Prepare junctions for PYTHIA: many systems have a too complicated junction topology → cut them into single- and di-junctions



Summary

Hybrid Hadronization At Work -Fragmentation

- Remaining string system handled by PYTHIA
- Decays of excited hadron states can be handled via PYTHIA or by using SMASH
- Positions of fragmentation hadrons are determined by placing them along the strings and junction legs

 Remanant partons tend to have a larger distance in phase space:



Dihadron Correlations

• Analysis similar to **CMS** (2011) , **CMS** (2012) :

$$\frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{pair}}}{d\Delta \eta d\Delta \phi} = B(0,0) \times \frac{S(\Delta \eta, \Delta \phi)}{B(\Delta \eta, \Delta \phi)}$$
$$S(\Delta \eta, \Delta \phi) = \frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{same}}}{d\Delta \eta d\Delta \phi}$$
$$B(\Delta \eta, \Delta \phi) = \frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{mix}}}{d\Delta \eta d\Delta \phi}$$

- $p^{\text{trig}} \in [4, 6] \text{ GeV}, p^{\text{assoc}} \in [2, 4] \text{ GeV}$
- Integrate out $\Delta \eta$ dependence:

$$\frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{pair}}}{d\Delta \phi} = \frac{1}{\Delta \eta_{\text{max}} - \Delta \eta_{\text{min}}} \int_{\Delta \eta_{\text{min}}}^{\Delta \eta_{\text{max}}} \frac{1}{N_{\text{trig}}} \frac{d^2 N^{\text{pair}}}{d\Delta \eta d\Delta \phi} \, d\Delta \eta$$