

# The imprints of hydrodynamics in jet quenching

Xoán Mayo López, IGFAE (USC)

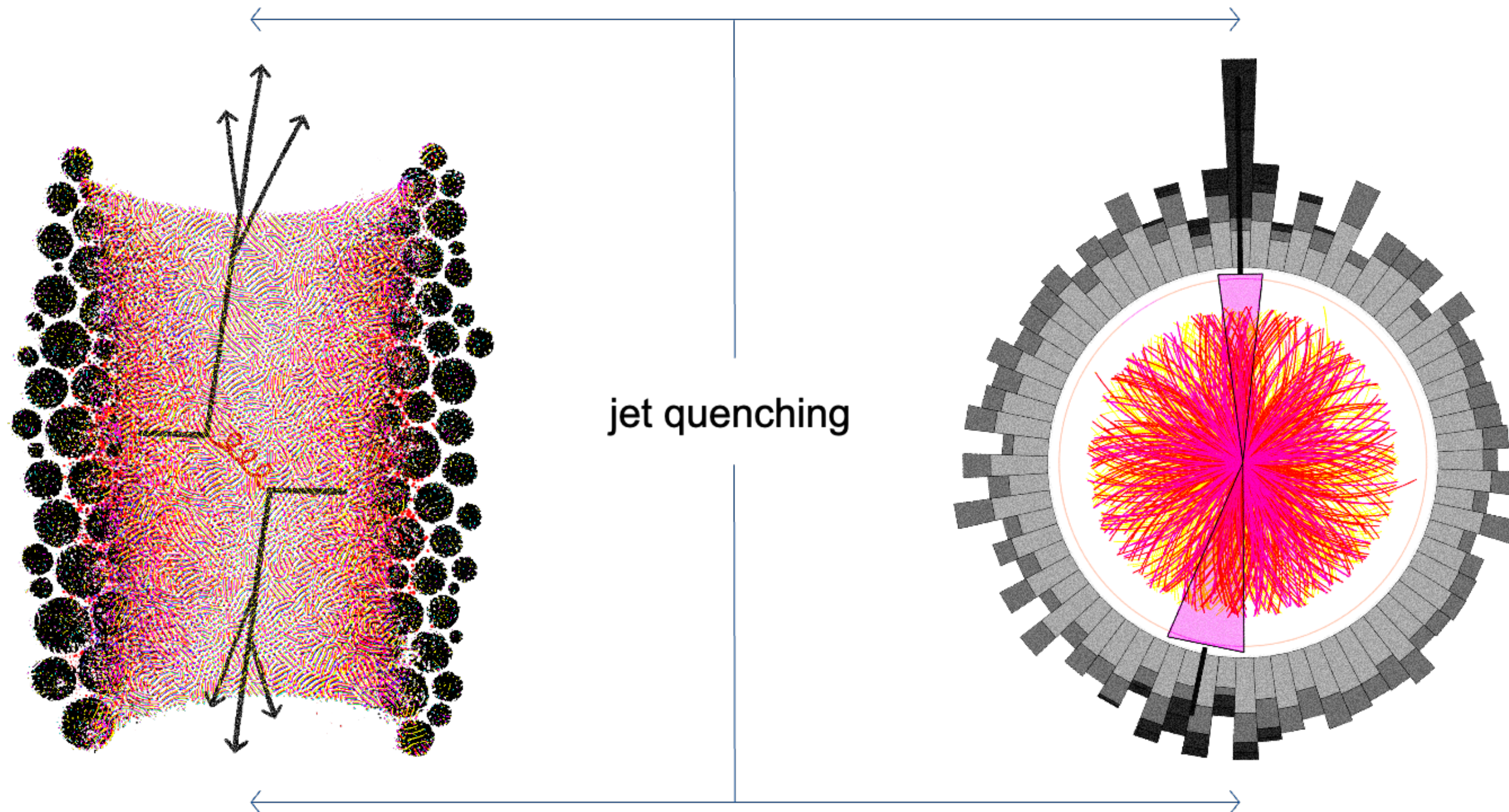
[xoan.mayo.lopez@usc.es](mailto:xoan.mayo.lopez@usc.es)

25th September 2024, Nagasaki

Mainly based on [2304.03712](#), [2309.00683](#), [2406.14628](#)

In collaboration with J. Barata, M. Kuzmin, A. Sadofyev and C. Salgado

# Jet tomography



- Jet tomography: Jets as differential probes of the spatio-temporal structure of the thermal matter in HIC
- Modification of jet properties encodes information about the QGP characteristics and evolution

# Do jets feel the transverse flow and anisotropies of the QGP?



# Do jets feel the transverse flow and anisotropies of the QGP?

Florian Lindenbauer Mon  
 Andrey Sadofyev Mon  
 Sergio Barrera Mon

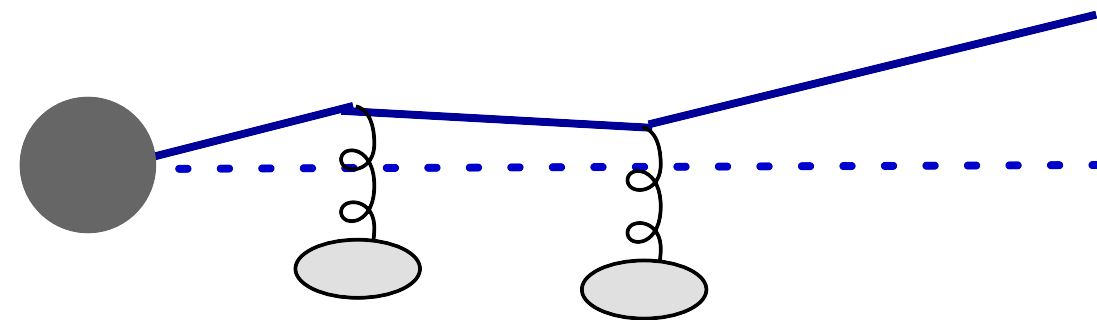
Joseph Bahder Tue  
 Dana Avramescu Tue



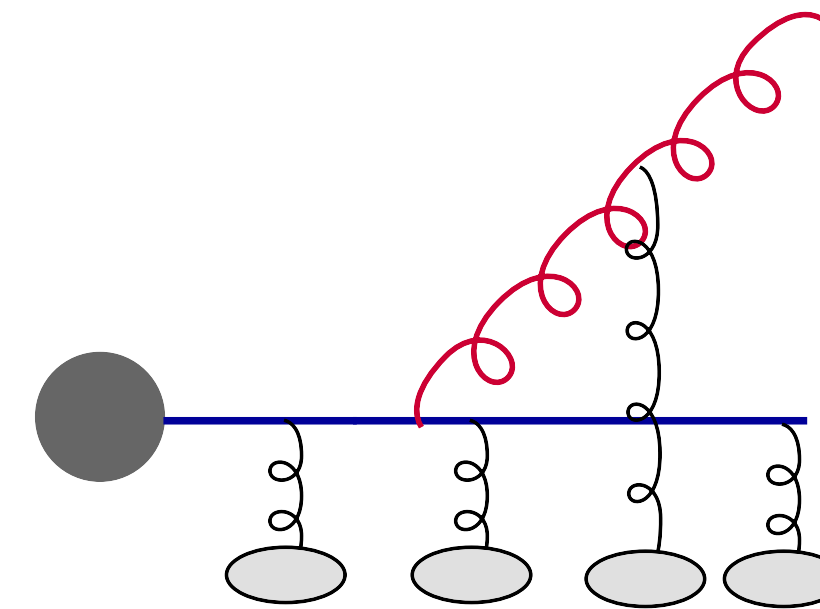
Tan Luo Wed  
 Rainer Fries Wed  
 Carlos Salgado Wed  
 João Silva Wed  
 Carlos Lamas Wed

Focus on leading perturbative processes: Two processes that modify jets.

Broadening



Medium induced gluon radiation



Theoretical formulation of jet quenching requires several assumptions to make it tractable. Some of them are

- Eikonal expansion; only sub-eikonal length enhanced terms are kept
- Medium is modeled by a background field
- In the simplest scenario the medium is **static** and **homogeneous**

See e.g. Casalderrey-Solana, Salgado 2007

# Background color field

See e.g.

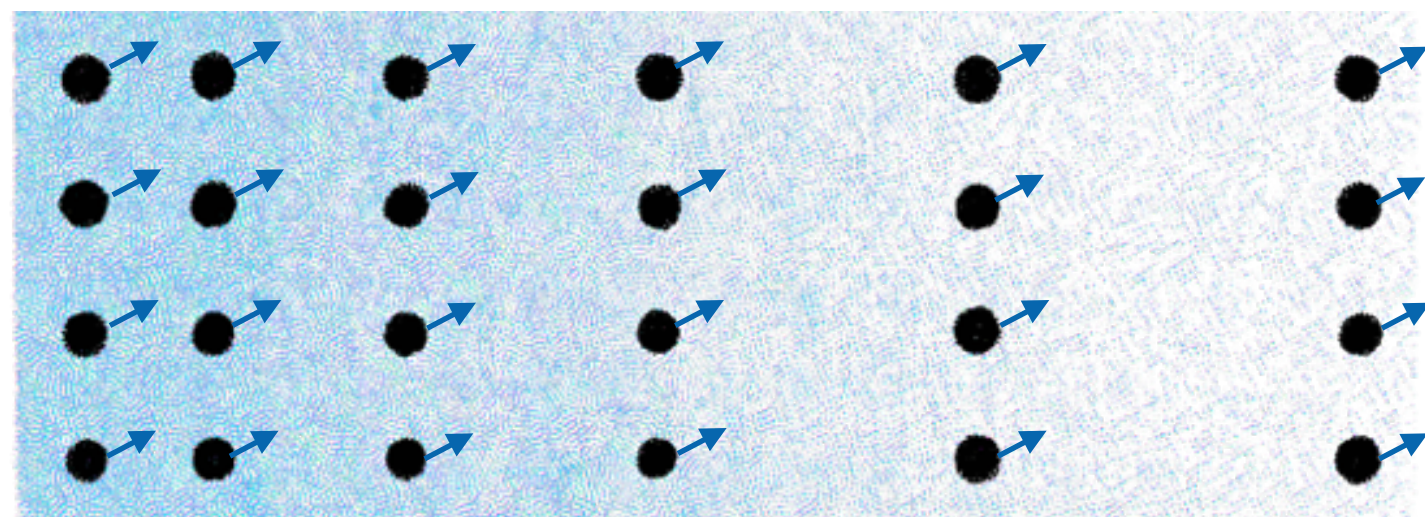
Sadofyev, Sievert, Vitev PRD 2021

Andres, Dominguez, Sadofyev, Salgado PRD 2022

Kuzmin, XML, Reiten, Sadofyev PRD 2024

Kuzmin, XML 2024

The medium is modeled by a field created by a classical current of sources



Heavy sources

$$u_\mu = (1, \mathbf{u}, u_z)_\mu$$

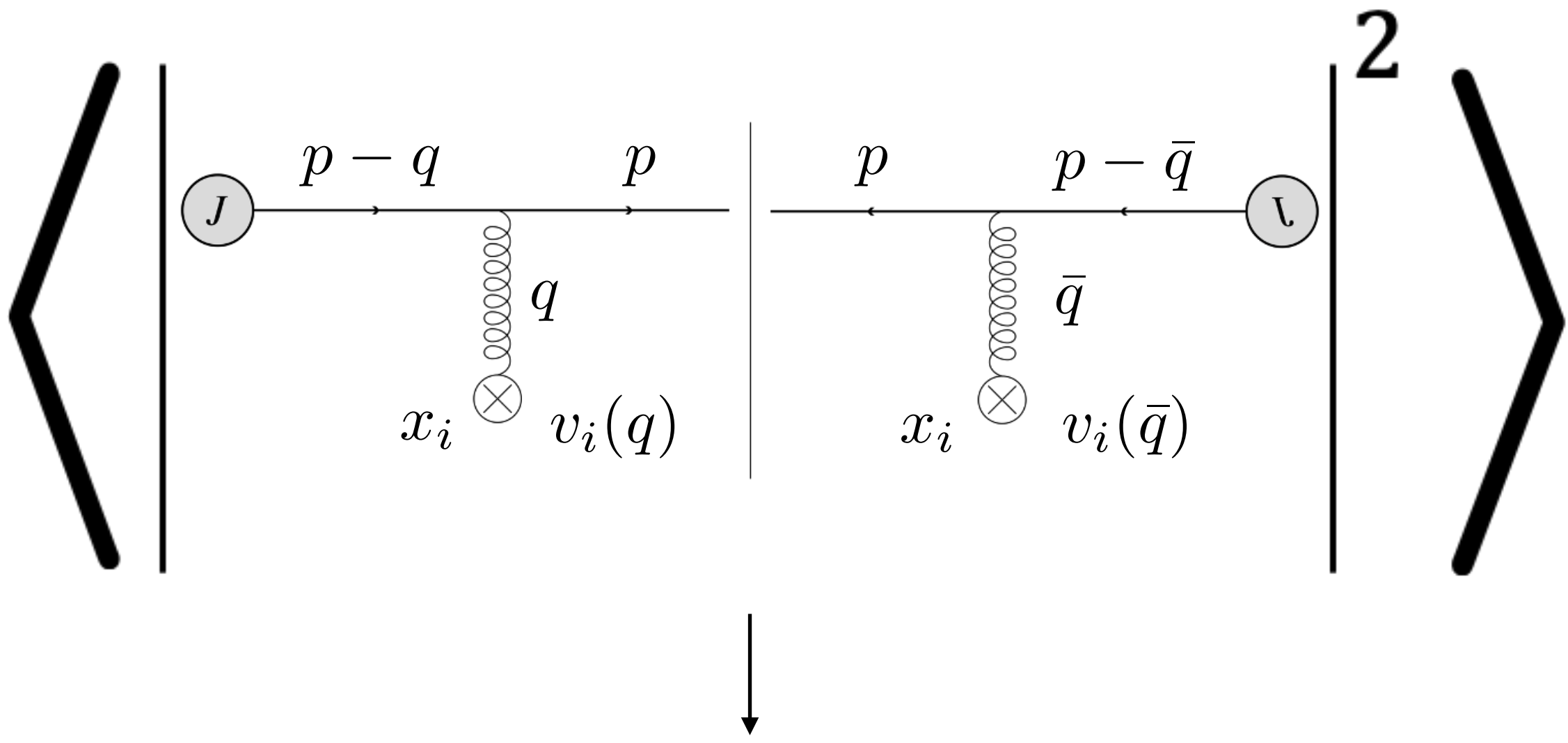
The stochastic field can be written as

$$gA^{a\mu}(q) = \sum_i u_i^\mu e^{-iq \cdot x_i} t_i^a v_i(q) (2\pi) \delta(q_0 - \mathbf{q} \cdot \mathbf{u} - q_z u_z)$$

$$v_i(q) = \frac{g^2}{q^2 - \mu^2 + i\epsilon}$$

- controls the jet-medium interaction
- controls the inhomogeneity
- velocity of the sources

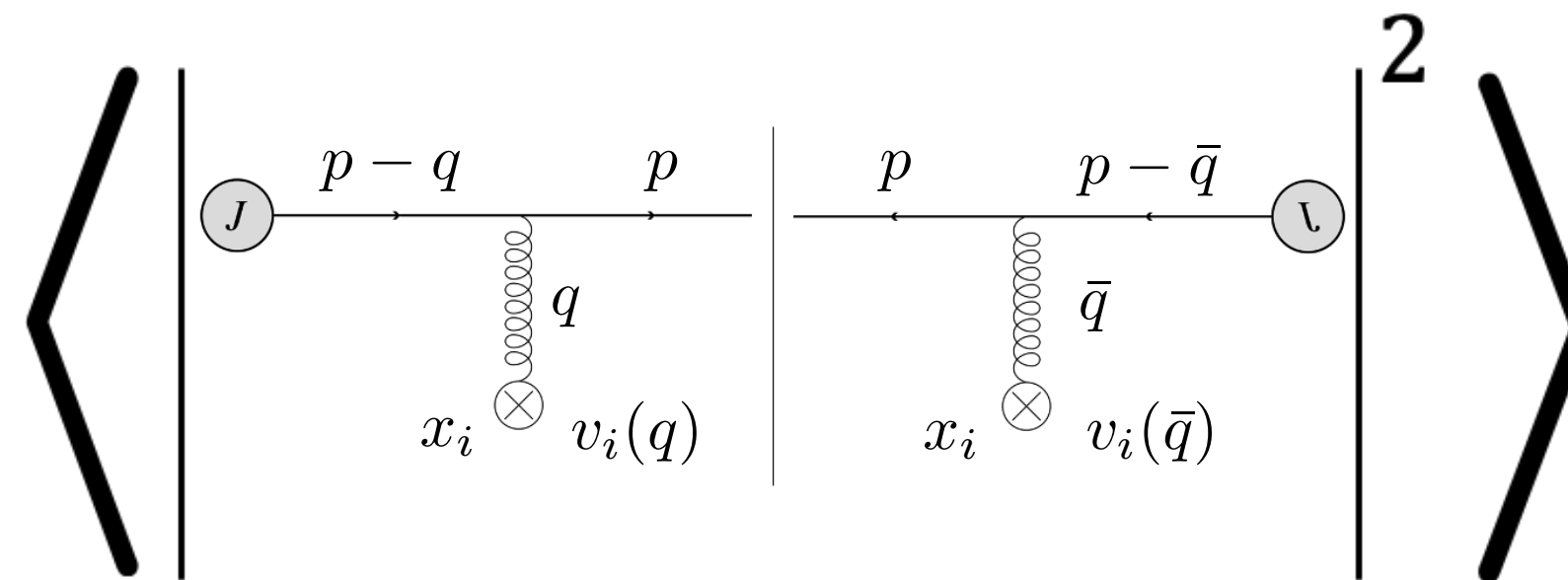
Stochastic field  $\longrightarrow$  need to specify the average over its configurations  $\longrightarrow$  Gaussian statistics



Colour neutrality

$$\langle A^a(q) A^b(\bar{q}) \rangle \sim \langle t_i^a t_j^b \rangle = C \delta_{ij} \delta^{ab}$$

Hydrodynamic variables,  $g(\mathbf{x}, z)$ , encode the matter structure:  $g(\mathbf{x}, z) \equiv \rho(\mathbf{x}, z) \quad \mu^2(\mathbf{x}, z) \quad \mathbf{u}(\mathbf{x}, z) \quad u_z(\mathbf{x}, z)$



See e.g.

- Sadofyev, Sievert, Vitev PRD 2021
- Barata, Sadofyev, Salgado PRD 2022
- Barata, XML, Sadofyev, Salgado PRD 2023
- Kuzmin, XML, Reiten, Sadofyev PRD 2024

Transversely homogeneous matter :

$$g(\mathbf{x}, z) \simeq g(z)$$

$$\int_{\mathbf{x}} g(z) e^{-i(\mathbf{q} \pm \bar{\mathbf{q}}) \cdot \mathbf{x}} = g(z) (2\pi)^2 \delta^{(2)}(\mathbf{q} \pm \bar{\mathbf{q}})$$

Transversely inhomogeneous matter :

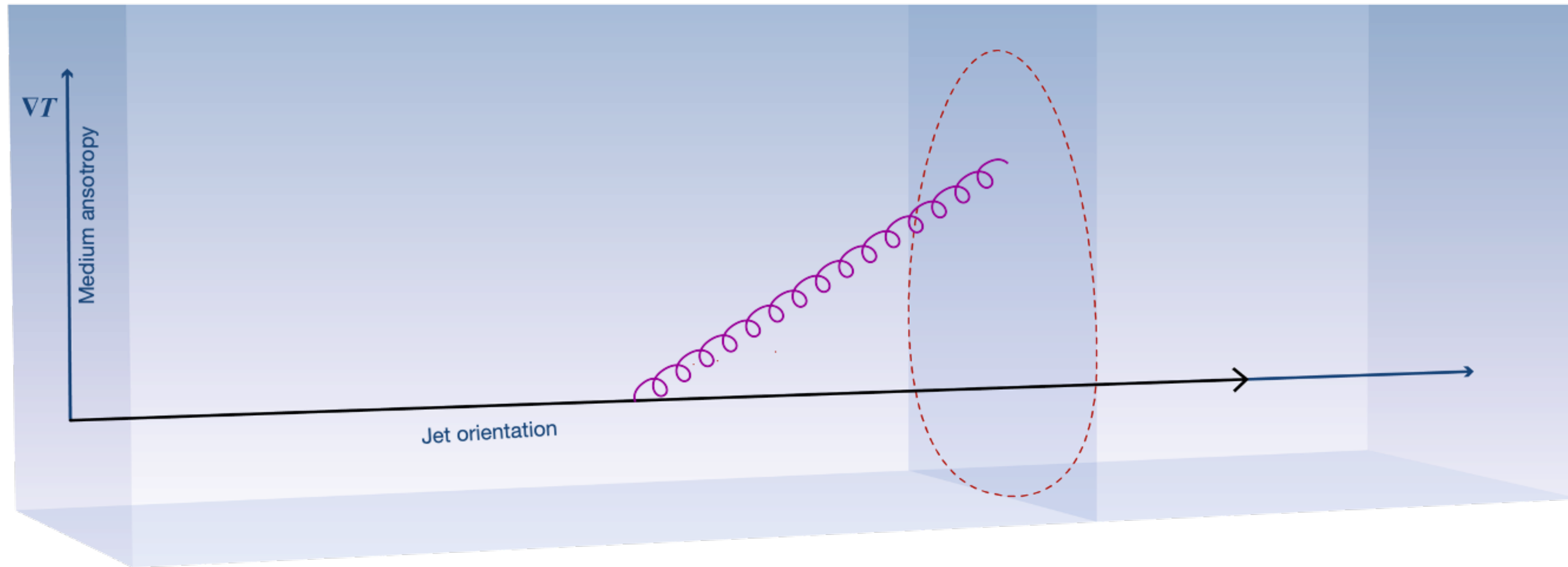
$$g(\mathbf{x}, z) \simeq g(z) + \nabla_{\alpha} g(z) \mathbf{x}_{\alpha}$$

$$\int_{\mathbf{x}} \nabla_{\alpha} g(z) \mathbf{x}_{\alpha} e^{-i(\mathbf{q} \pm \bar{\mathbf{q}}) \cdot \mathbf{x}} = i \nabla_{\alpha} g(z) (2\pi)^2 \frac{\partial}{\partial (\mathbf{q} \pm \bar{\mathbf{q}})_{\alpha}} \delta^{(2)}(\mathbf{q} \pm \bar{\mathbf{q}})$$

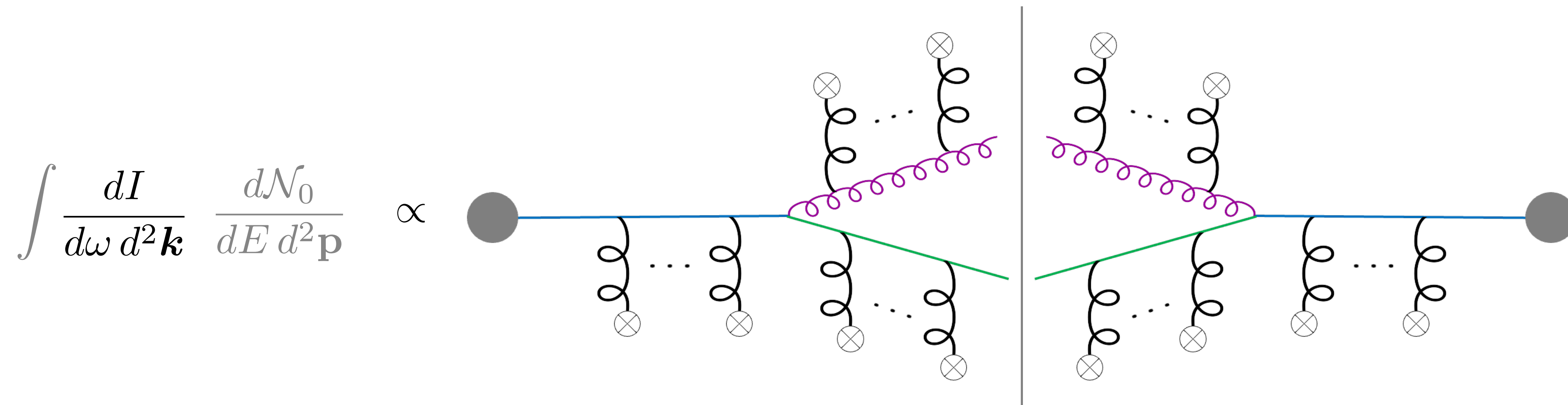


# Configuration 1

## Anisotropic and static matter in the dense regime



The medium-induced gluon spectrum in the dense regime

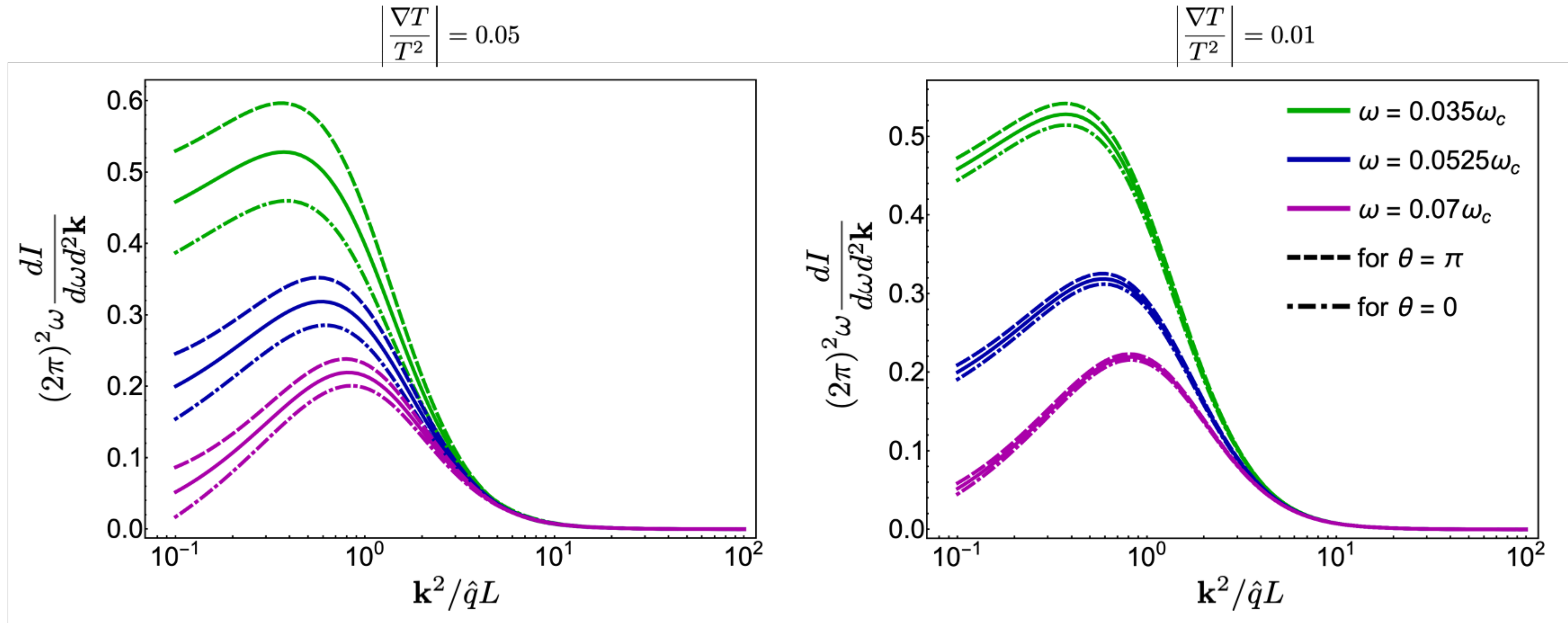


Controls the in-medium energy loss

$$\frac{d\omega}{dL} \propto \frac{\partial}{\partial L} \int d\omega d^2\mathbf{k} \omega \frac{dI}{d\omega d^2\mathbf{k}}$$

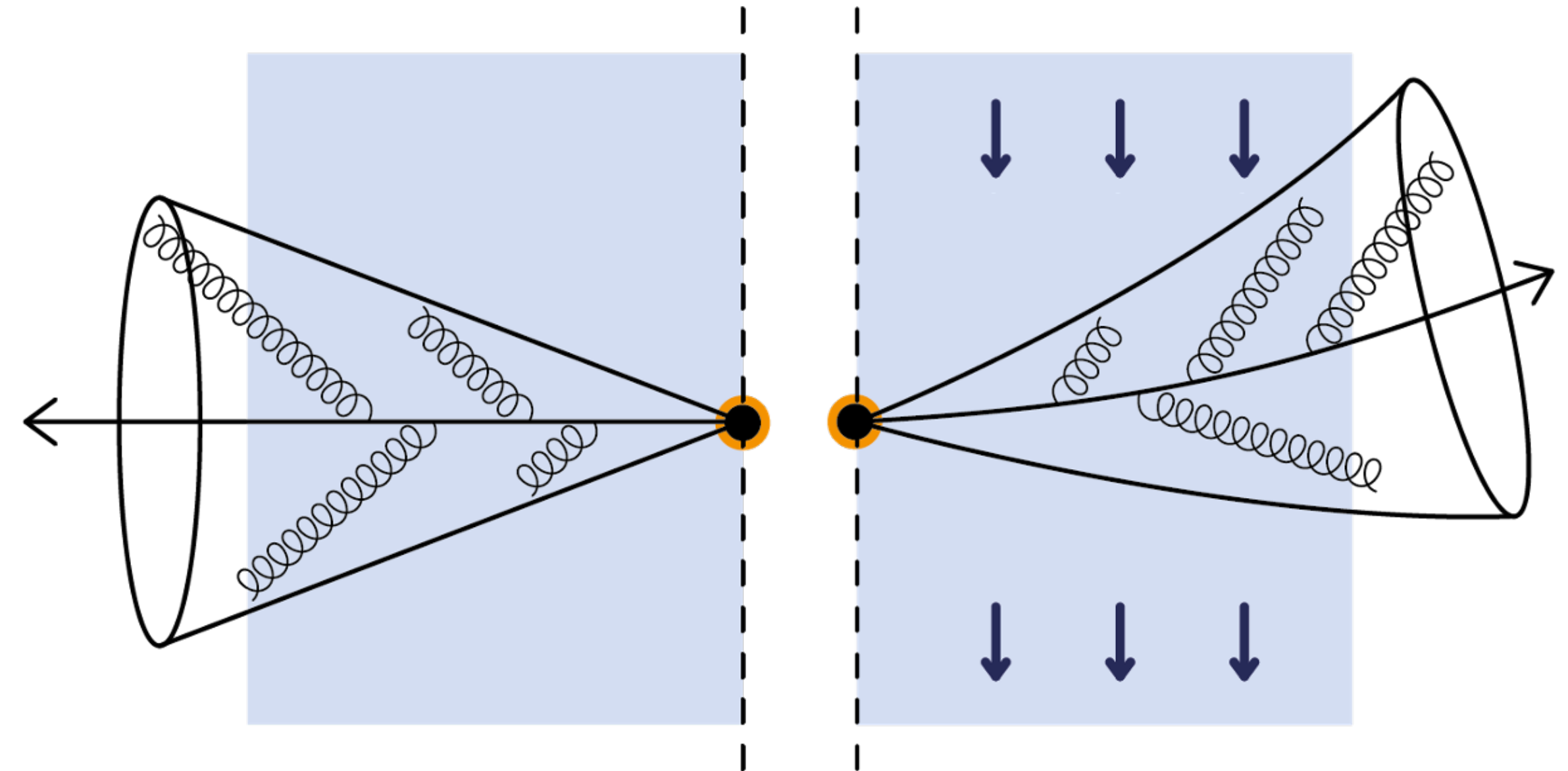
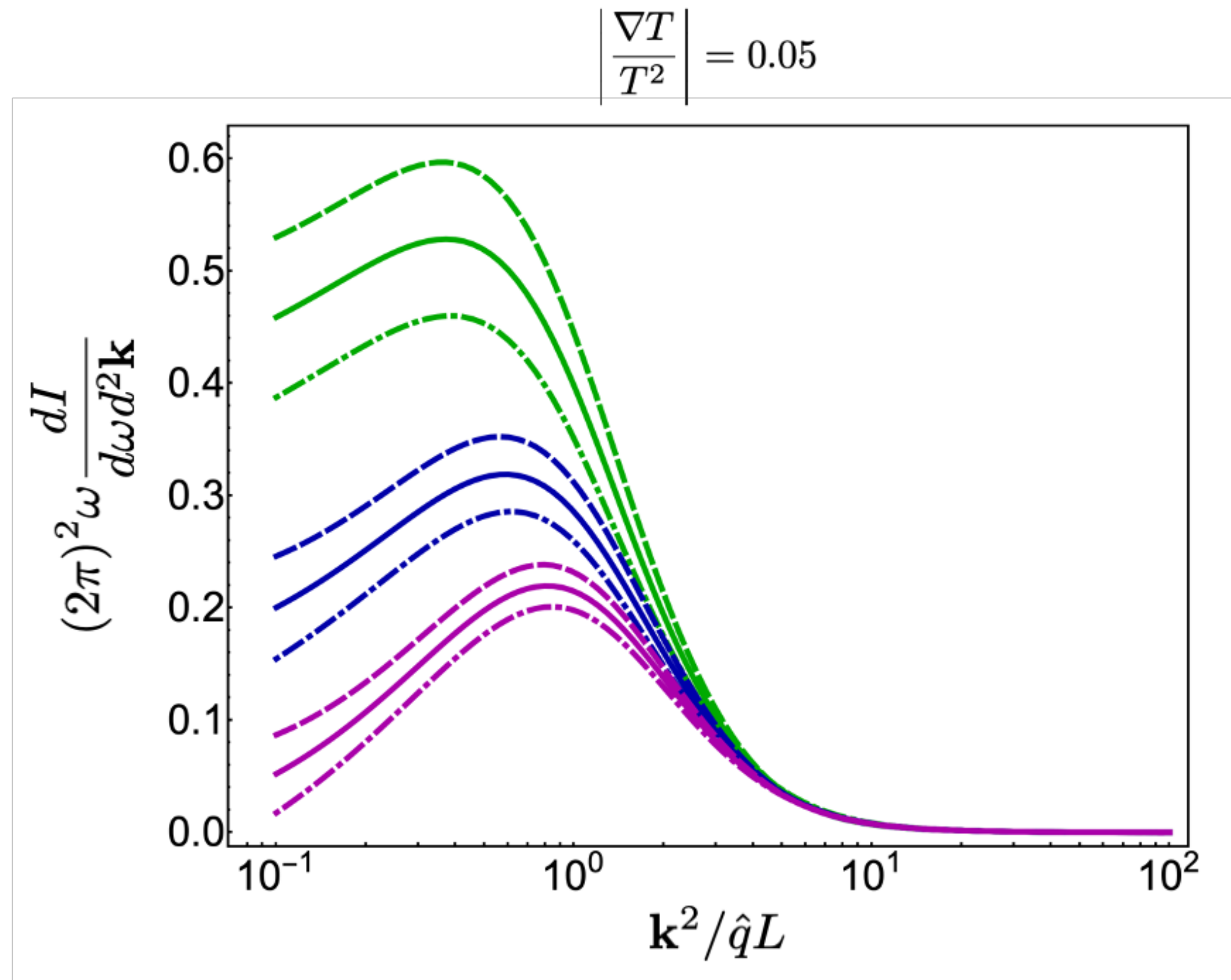
The spectrum is anisotropic with a modification subleading in energy

Assuming harmonic oscillator and constant density profile

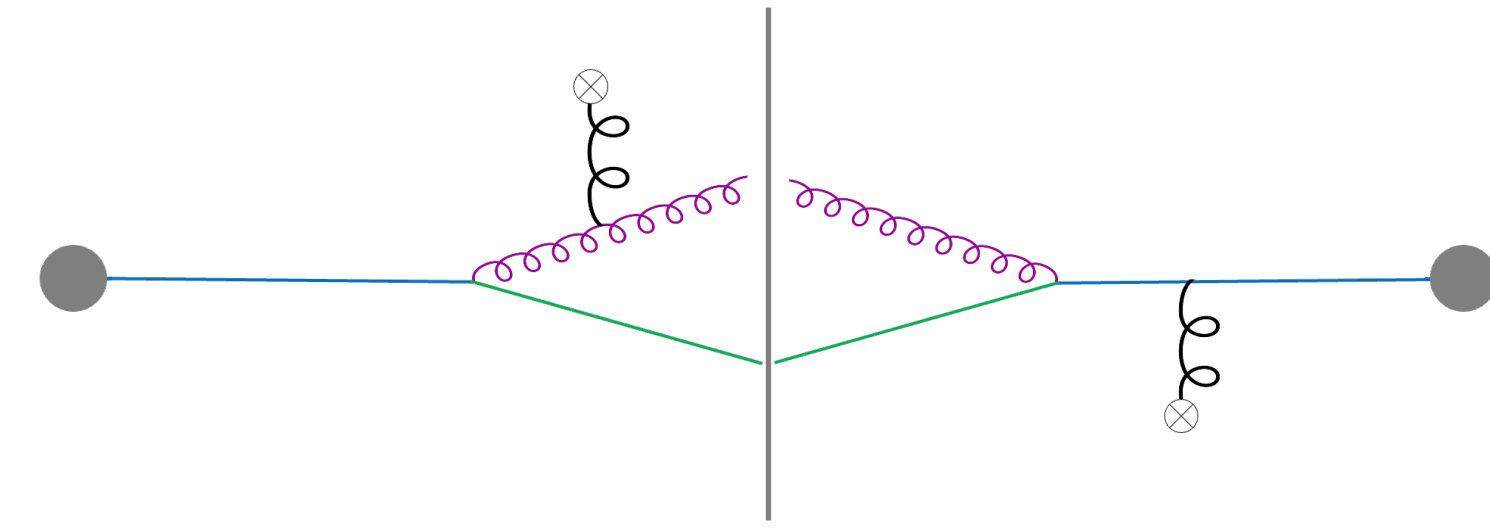


The spectrum is anisotropic with a modification subleading in energy

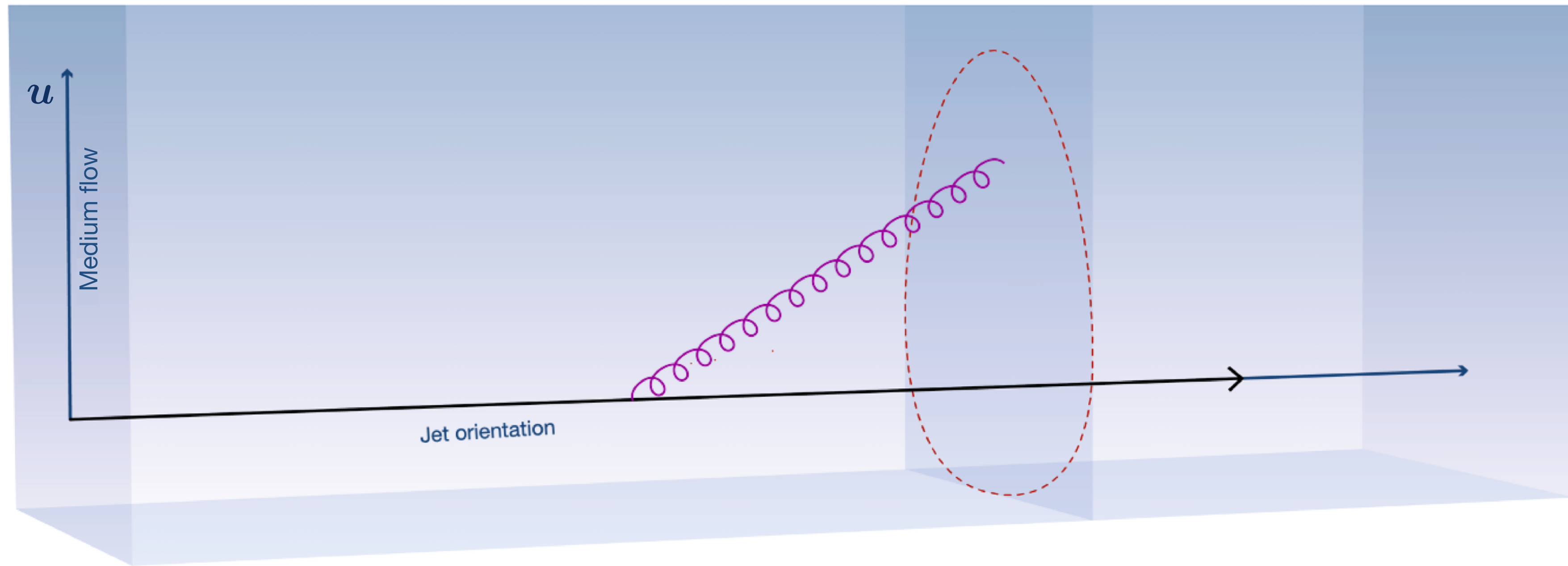
Assuming harmonic oscillator and constant density profile



# Configuration 2



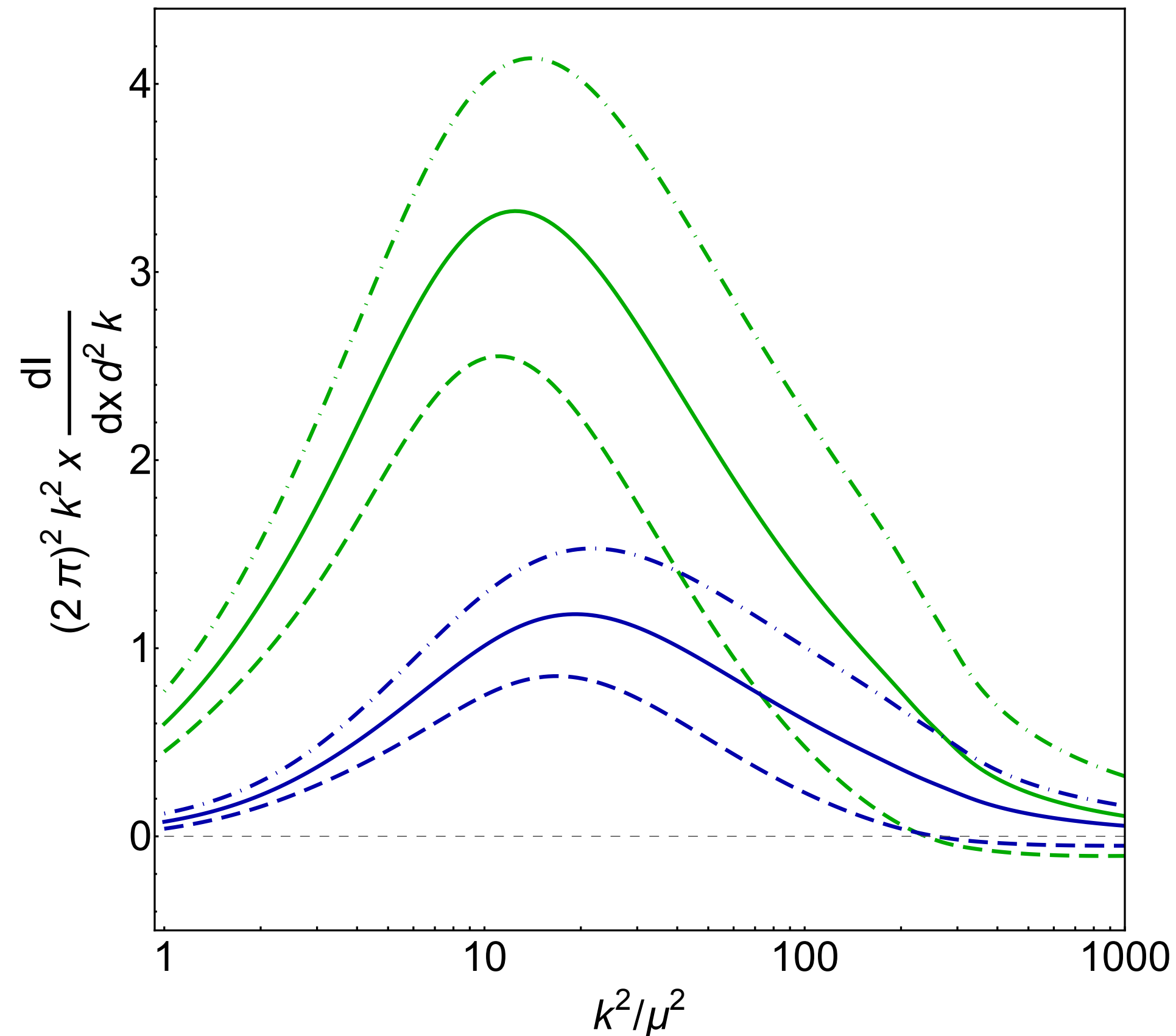
## Homogeneous and flowing matter in the dilute regime



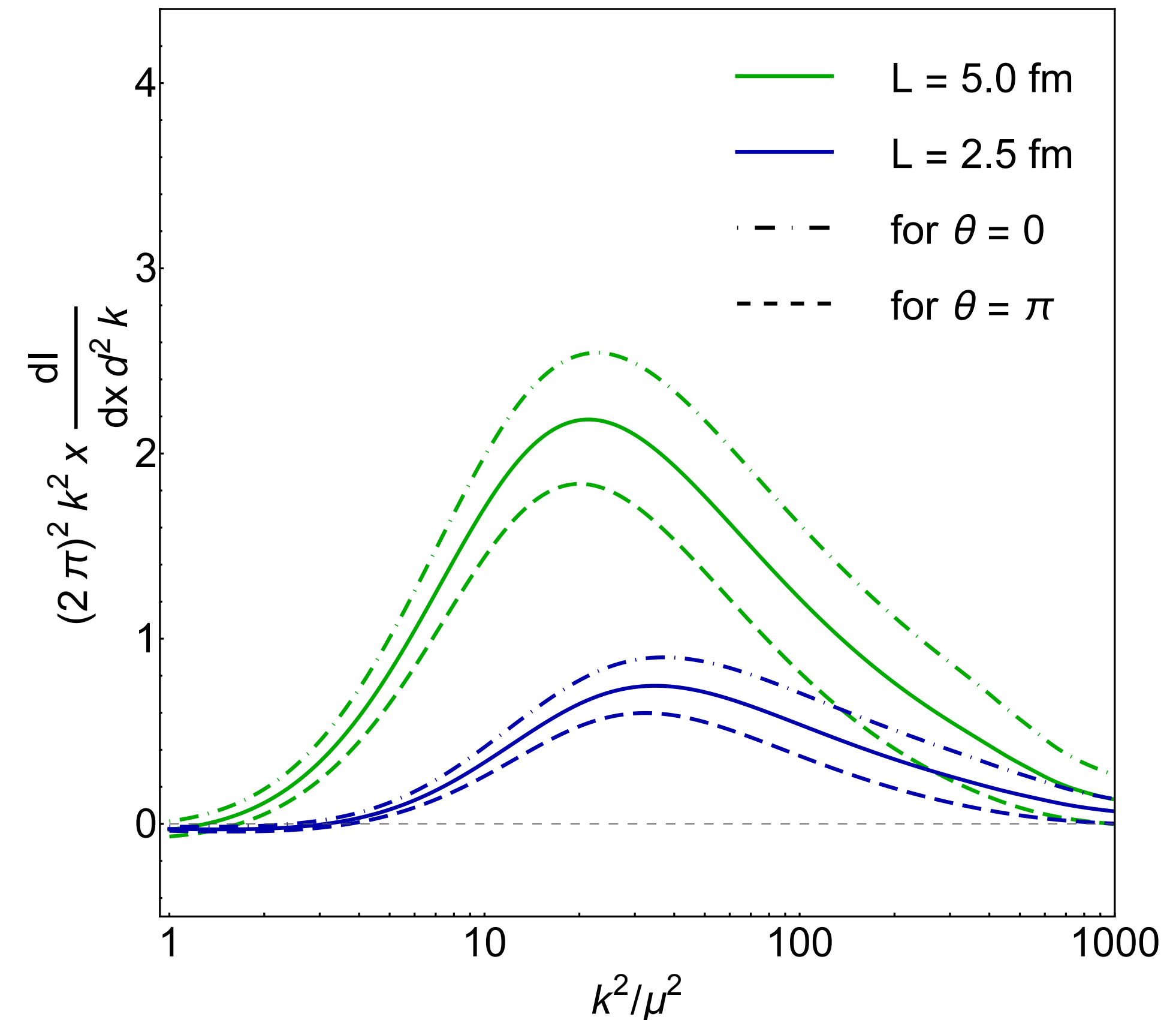
The spectrum is anisotropic with a modification subleading in energy

Assuming GW potential and smooth density profile in the longitudinal direction

$\omega = 5 \text{ GeV}$



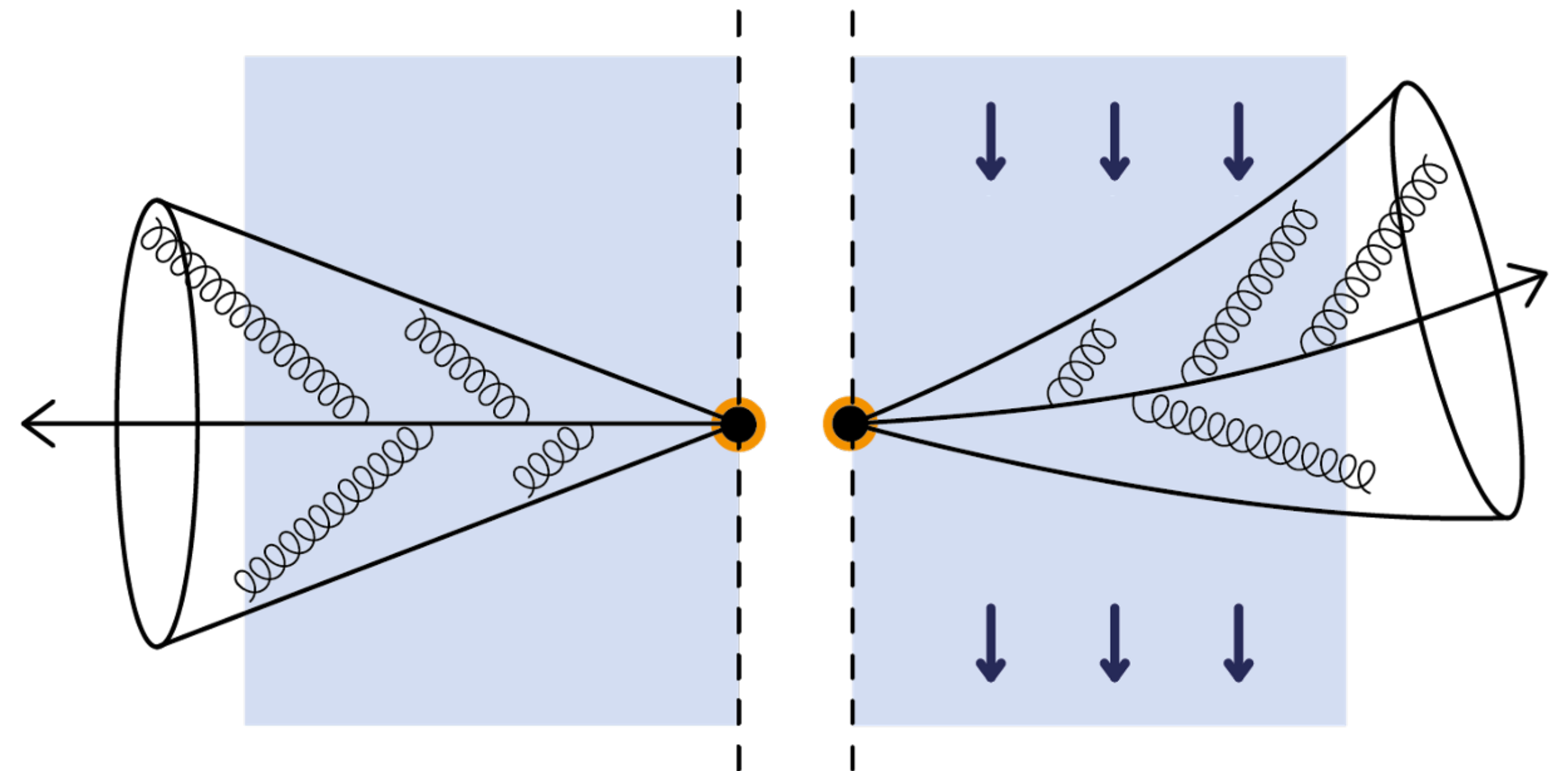
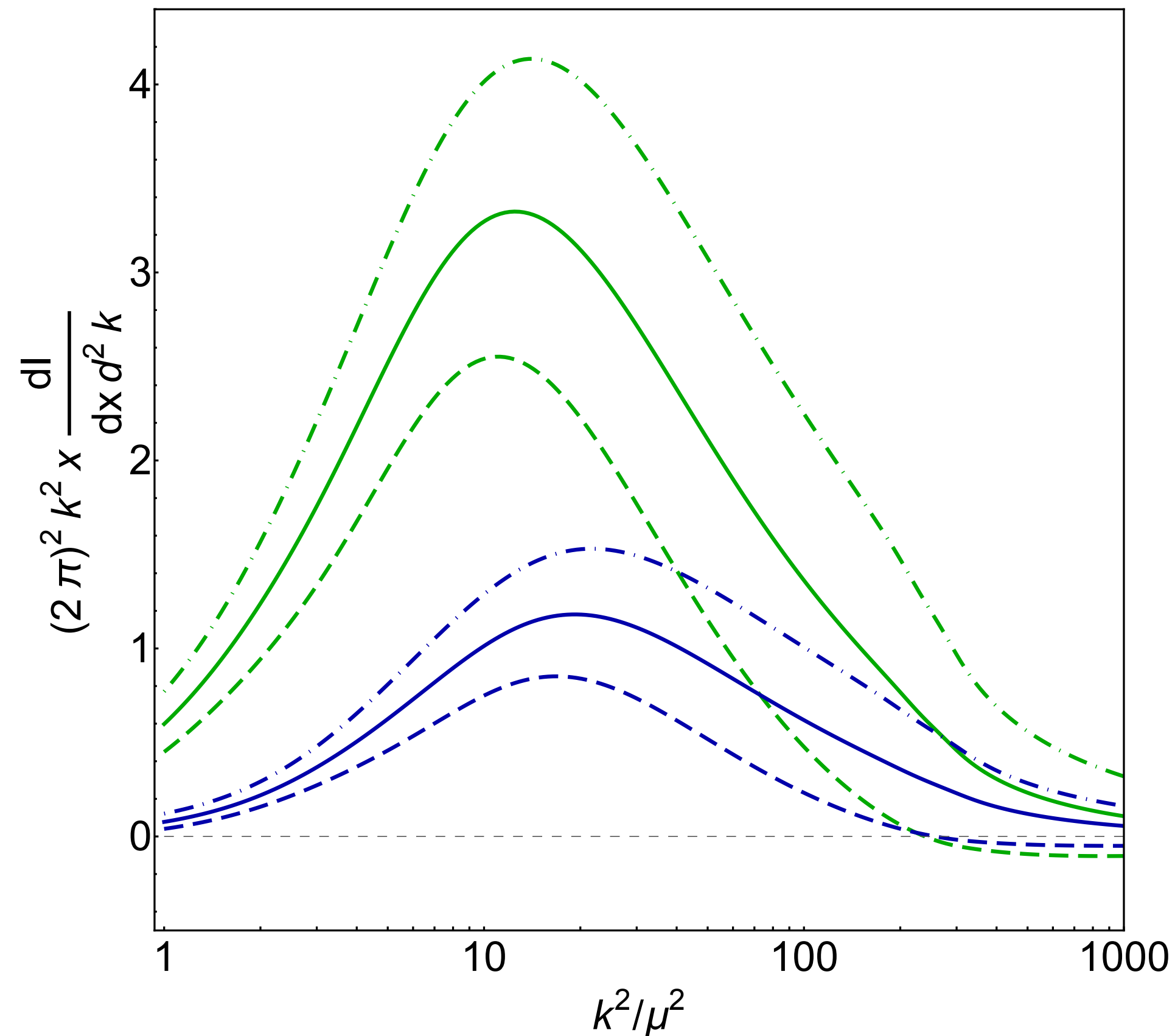
$\omega = 10 \text{ GeV}$



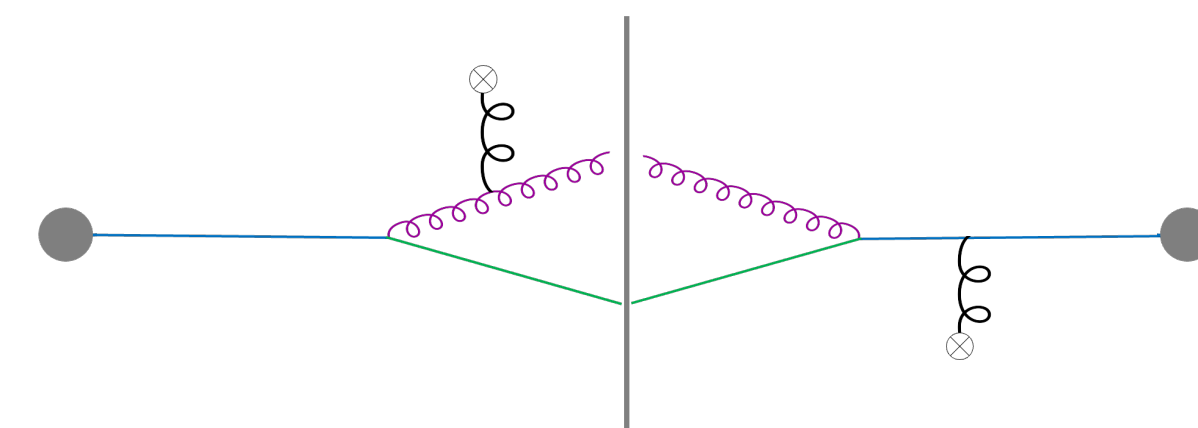
The spectrum is anisotropic with a modification subleading in energy

Assuming GW potential and smooth density profile in the longitudinal direction

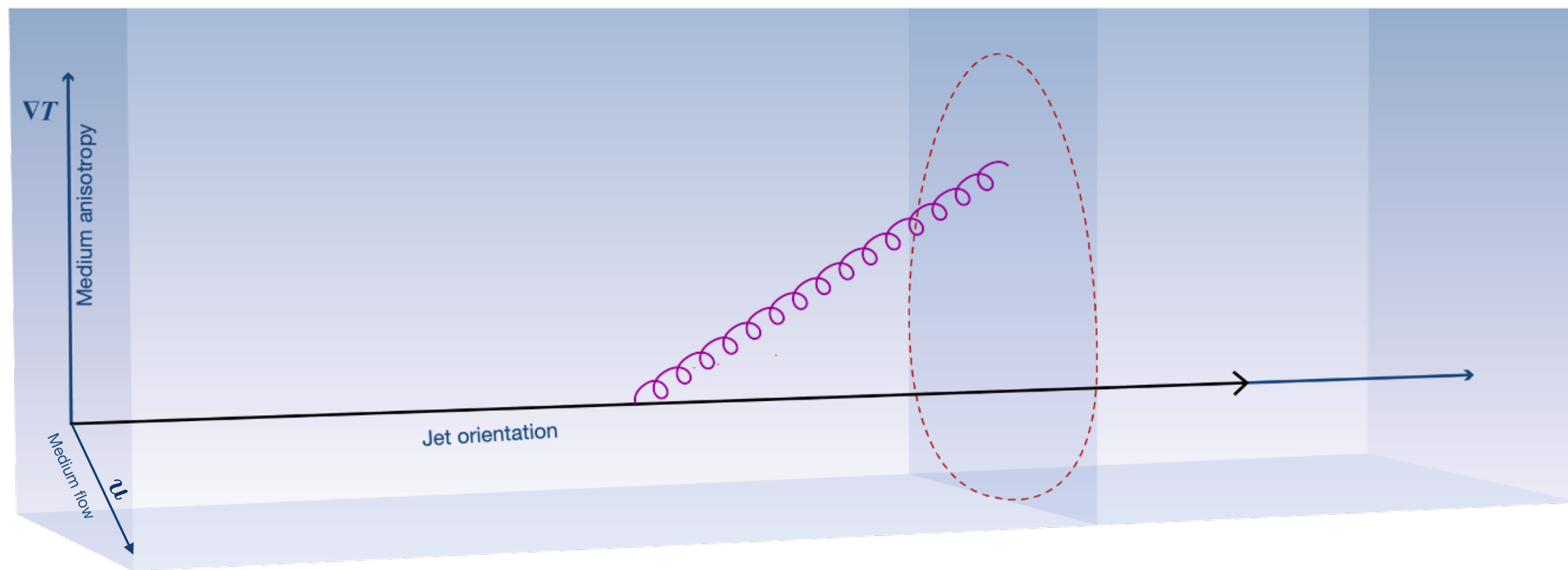
$$\omega = 5 \text{ GeV}$$



# Configuration 3



## Anisotropic and flowing matter in the dilute regime





Novel multiplicative correction to the leading order in energy affecting:

- ▶ the medium induced radiation

$$\frac{dI}{d\omega d^2\mathbf{k}} \propto \int_0^L dz \int d^2\mathbf{q} \left[ 1 - 3zT \frac{\nabla T \cdot \mathbf{u}}{1-0} \right] \left( 1 - \cos \left( \frac{(\mathbf{k} - \mathbf{q})^2}{2\omega} z \right) \right)$$

- ▶ the broadening

$$\hat{q} \propto \left[ 1 - \frac{3}{2} LT \frac{\frac{\nabla T}{T^2} \cdot \mathbf{u}}{1 - u_z} \right] \hat{q}_{\text{iso}}$$

Rough estimate of the correction

$LT > 1$  hydro works for not too small droplets

$\left| \frac{\nabla T}{T^2} \right| < 1$  gradient expansion

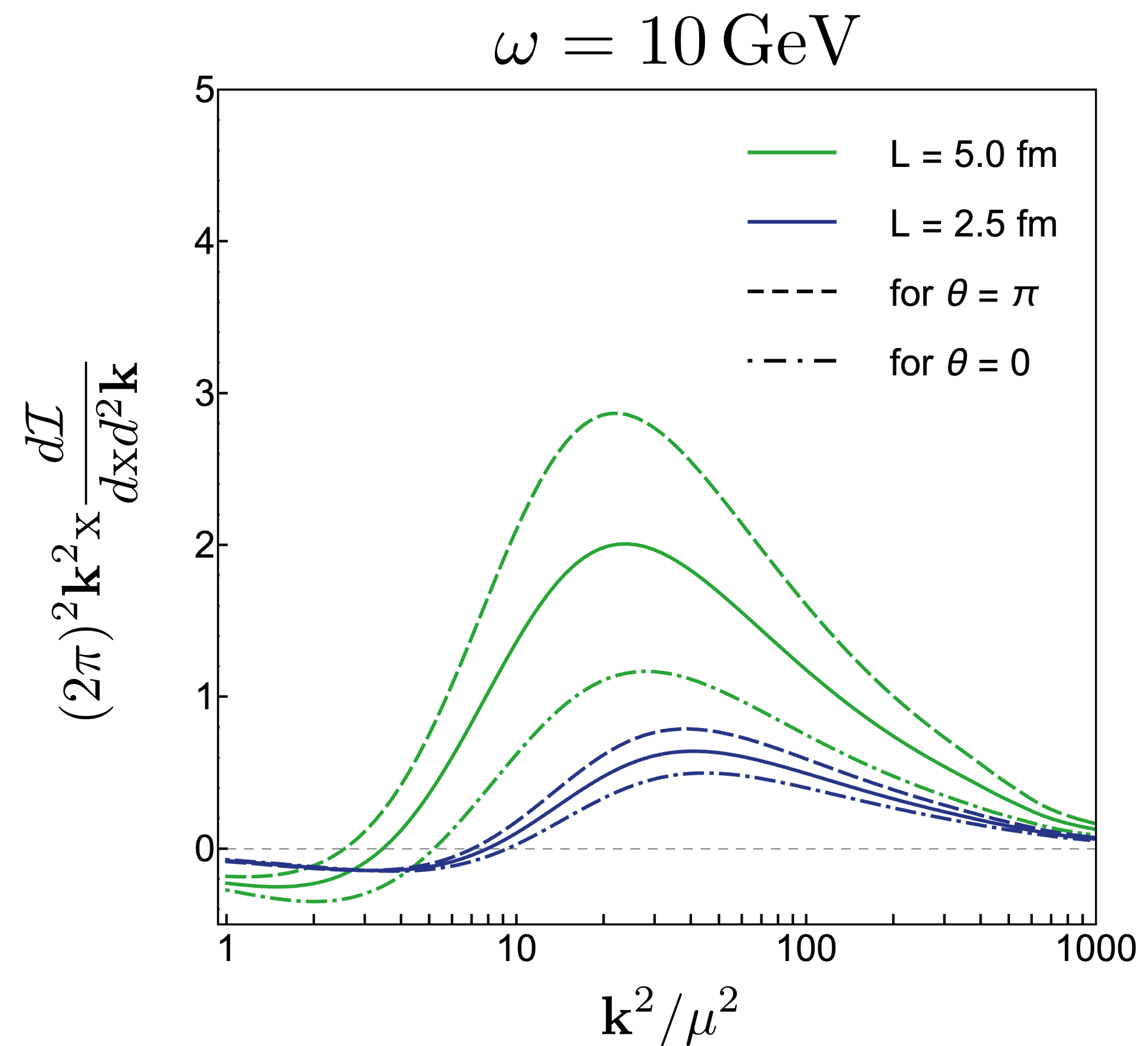
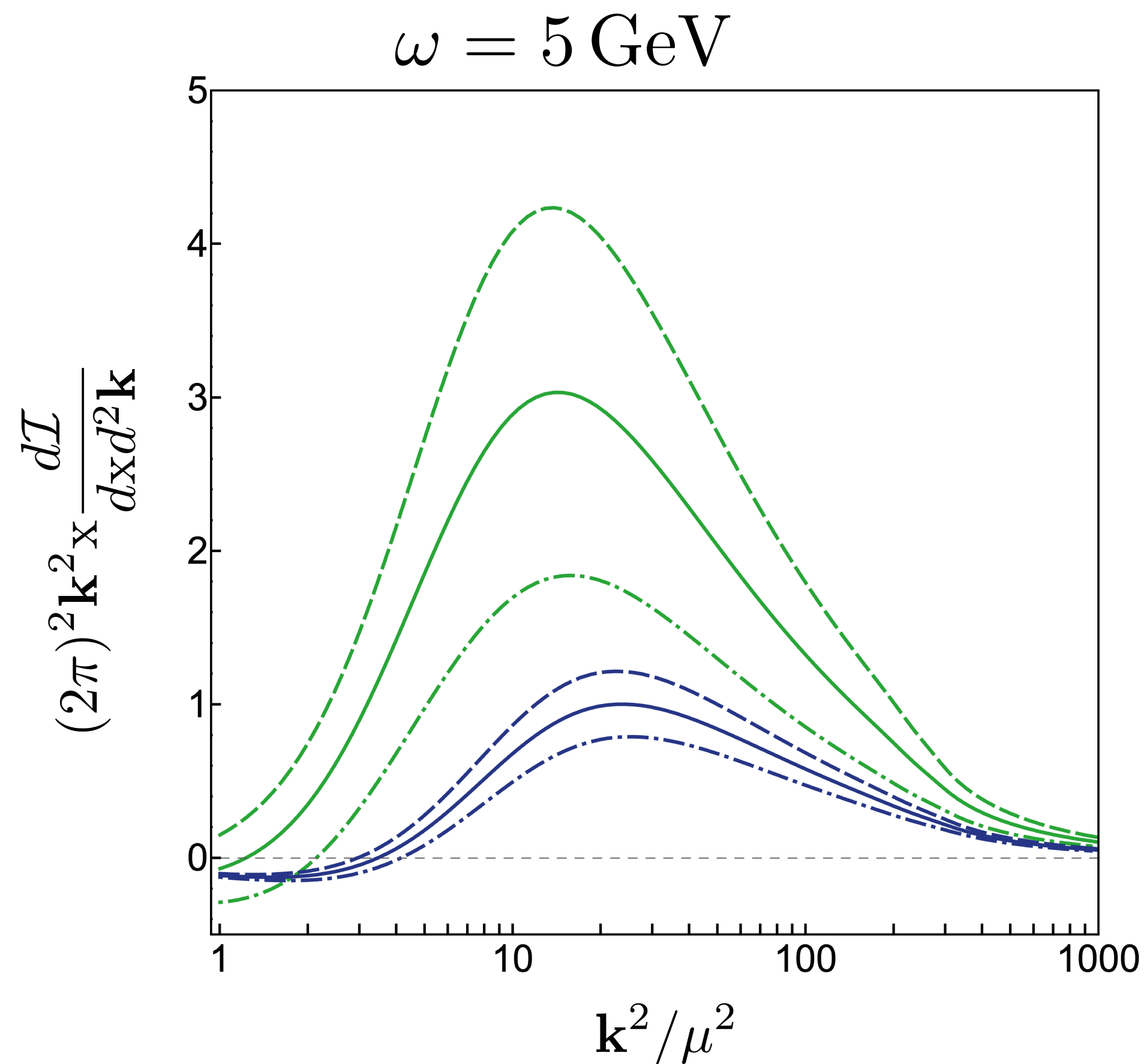


$\left| LT \frac{\frac{\nabla T}{T^2} \cdot \mathbf{u}}{1 - u_z} \right| \sim 1$

$\left| \frac{\mathbf{u}}{1 - u_z} \right| \sim 1$  relativistic flow

Not energy suppressed !!

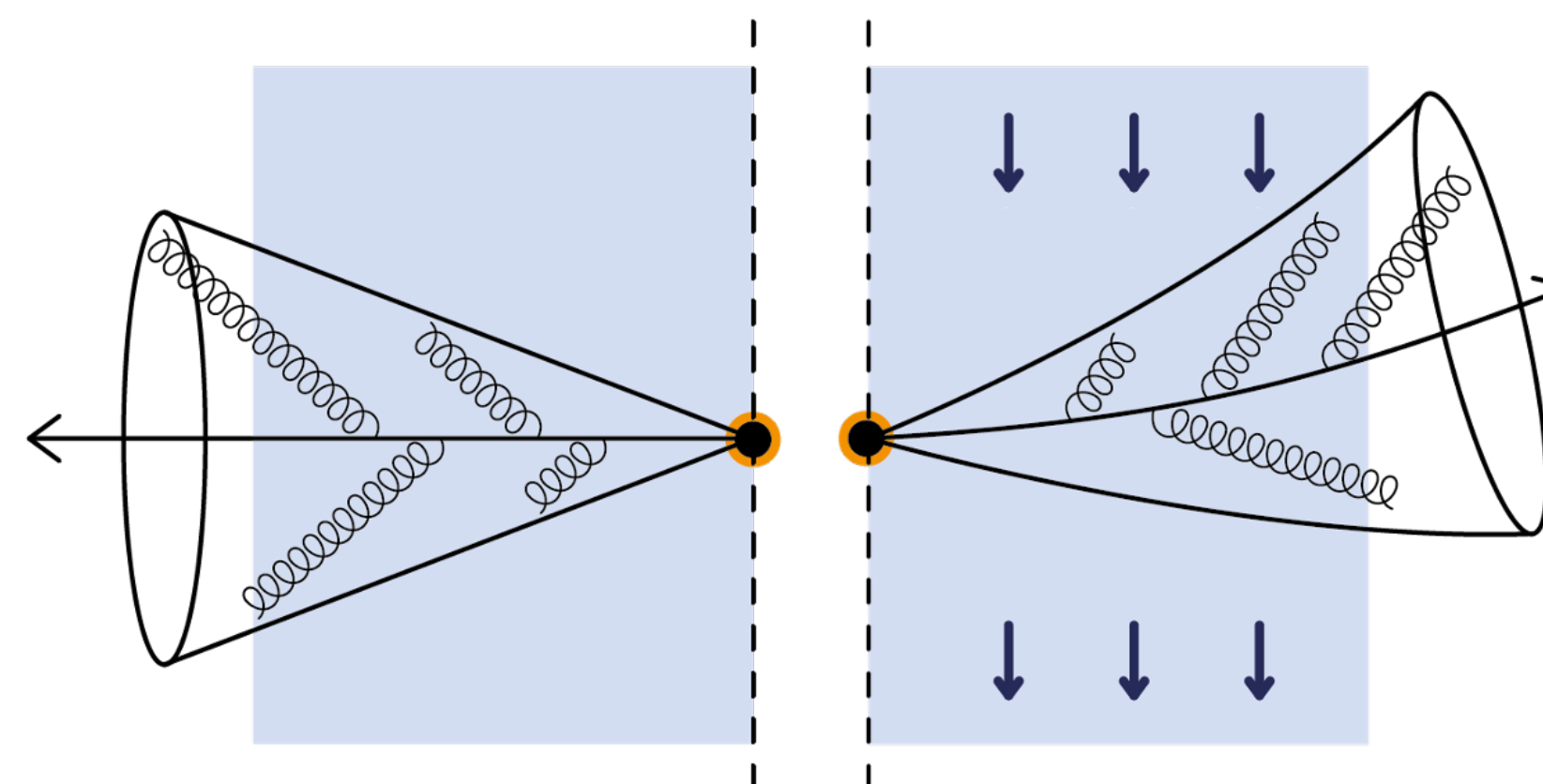
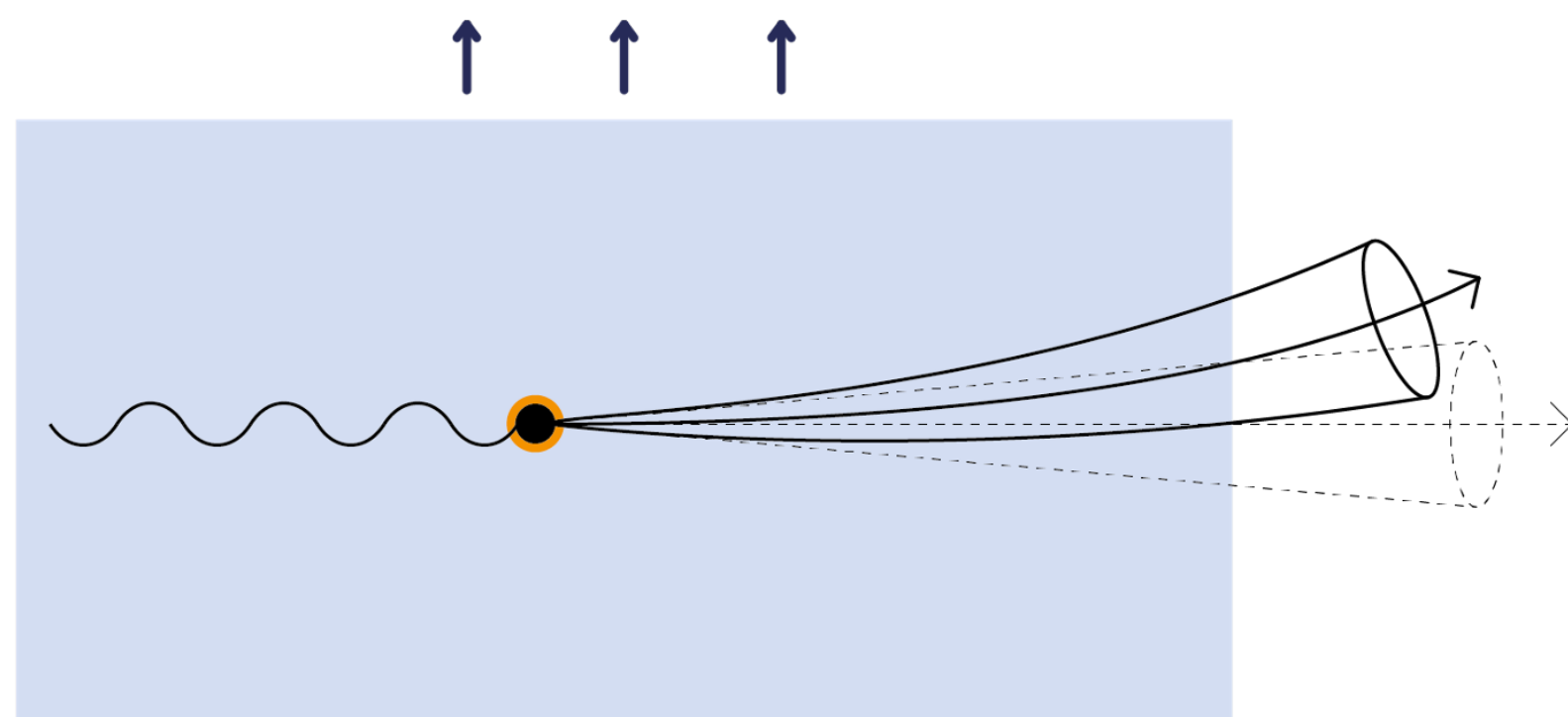
The spectrum is isotropic but depends on the relative direction between the transverse gradients and the flow  
 Assuming GW potential and smooth density profile in the longitudinal direction



Multiplicative modification of the radiation spectrum  $\Rightarrow$  Modification of the induced energy loss

## To take home

- Jets do feel the transverse flow and anisotropy, and get bended and distorted
- The transverse flow and anisotropy do affect the medium-induced radiation, modifying the jet substructure
- The interplay between flow and anisotropies modify the amount of quenching of a jet already at LO
- These effects can be probed in experiment, leading towards actual jet tomography



# Thanks

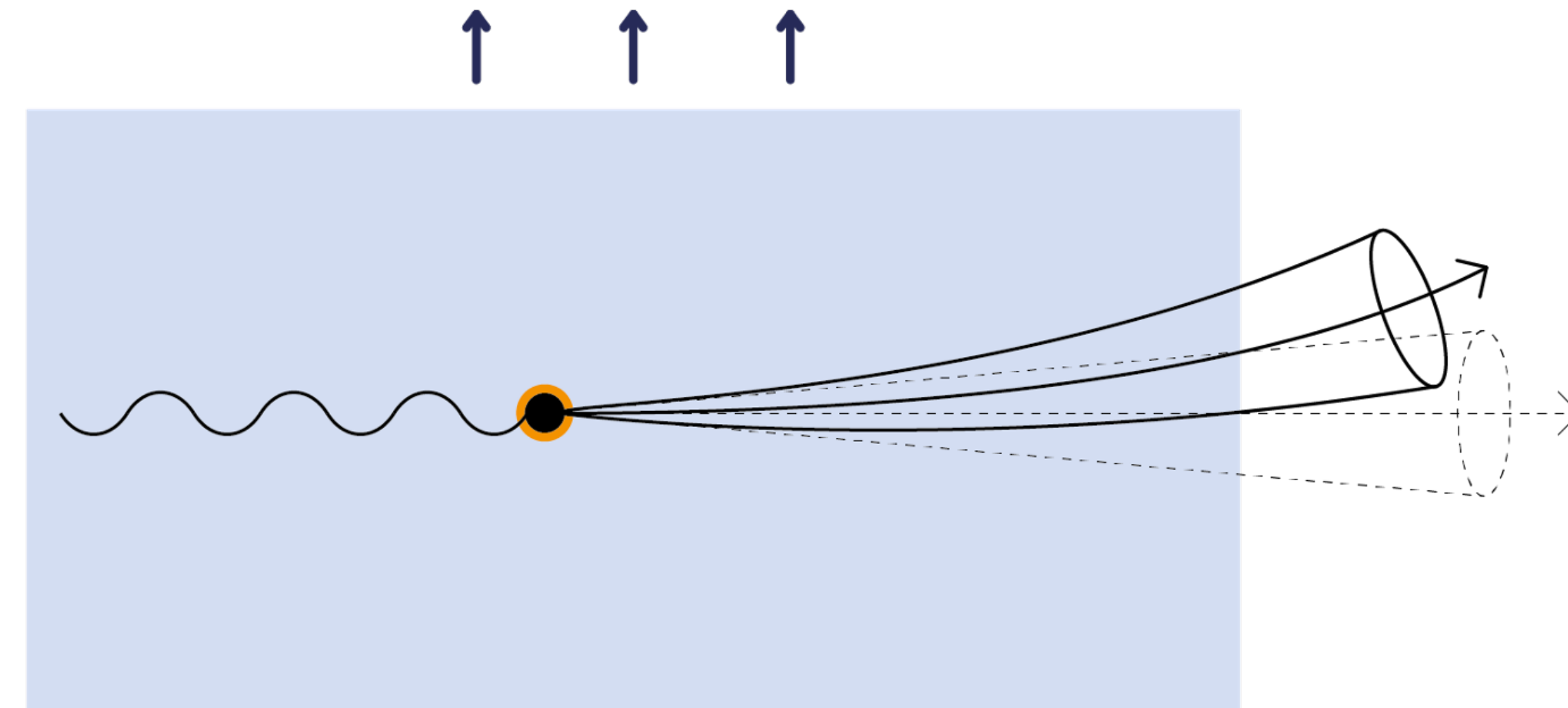
# Back up

The broadening gets an anisotropic contribution subleading in energy for both configurations



Averages of odd powers of  $\mathbf{k}_\perp$  are non zero and along:

- C1 the hydrodynamic gradients
- C2 the flow of the matter



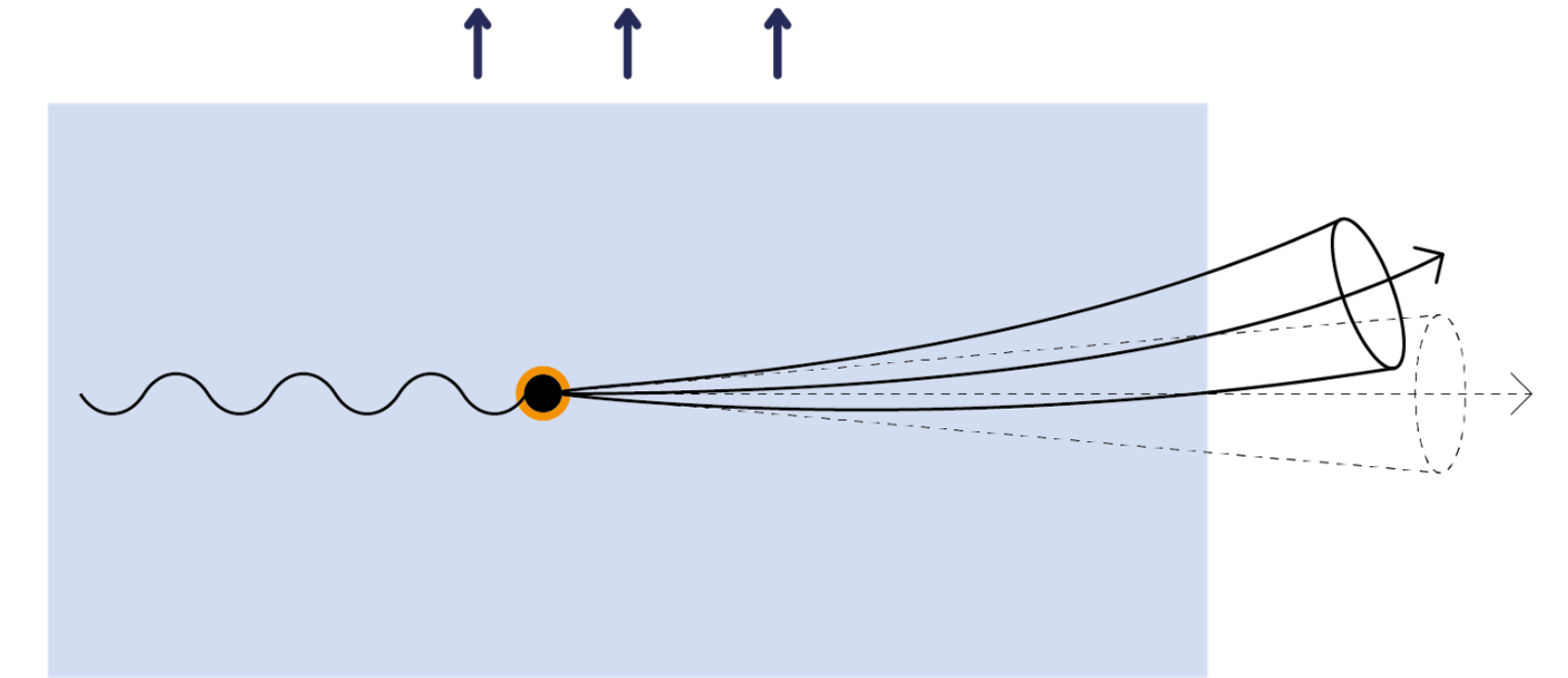
$$E \simeq 20 \text{ GeV} \Rightarrow \theta \sim 4.5^\circ$$

Averages of even powers of  $\mathbf{k}_\perp$  are not modified

Both the leading and subleading orders in energy get modified



- ▶ Averages of odd powers of  $\mathbf{k}_\perp$  behave exactly as in C1 and C2



- ▶ Averages of even powers of  $\mathbf{k}_\perp$  get modified by at leading order in energy

$$\hat{q} \propto \left[ 1 - L \frac{\nabla T \cdot \mathbf{u}}{1 - u_z} \right] \hat{q}_{\text{iso}}$$

