

Visualizing How Jet Structure Shapes Jet Wakes

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AGENDA

TOPIC 1: The Hybrid Strong/Weak Coupling Model of Heavy Ion Collisions **TOPIC 2:** Probing the resolution length of QGP using large-radius jet suppression **TOPIC 3:** Visualizing jet-wakes and their structure using jet shape observables

TOPIC 1 The Hybrid Strong/Weak Coupling Model Of Heavy Ion Collisions

STRONG/WEAK COUPLING REGIMES

The physics of jets and QGP hydrodynamics have both weakly and strongly coupled aspects. Calculations are intractable at strong coupling using standard perturbative methods.

"A successful phenomenological model that describes the modifications of jets in the medium, today, must be **a hybrid model in which one can simultaneously treat the weakly coupled physics of jet production and hard jet evolution and the strongly coupled dynamics of the [QGP] medium and the soft exchanges between the jet and the medium**" (arXiv:1405.3864v3 [Casalderrey-Solana, et al.])

HOLOGRAPHIC PARTON ENERGY LOSS

arXiv:1405.3864v3 [Casalderrey-Solana, et al.]

- Parton splittings that result in the jet shower are determined by the high-virtuality, perturbative, DGLAP equations (PYTHIA 8)
- Each parton loses energy to the strongly coupled plasma as determined by a holographic energy loss formula

$$
\left. \frac{dE}{dx} \right|_{\text{strongly coupled}} = -\frac{4}{\pi} \frac{E_{\text{in}}}{x_{\text{stop}}} \frac{x^2}{x_{\text{stop}}^2} \frac{1}{\sqrt{1 - (x/x_{\text{stop}})^2}}
$$

Here, $x_{\text{stop}} \equiv E_{\text{in}}^{1/3}/(2T^{4/3}\kappa_{\text{sc}})$ is the maximum distance the parton can travel within the plasma before thermalizing and equilibrating with the plasma.

JET-INDUCED WAKES

arXiv:1405.3864v3 [Casalderrey-Solana, et al.]

- The energy lost by each parton is deposited into the plasma in the form of a wake.
- One way to think of this is that the jet pulls some amount of QGP in the direction of the jet.
- In the Hybrid Model, a wake is generated by the production of low-momentum hadrons, according to the momentum spectrum.

$$
E\frac{d\Delta N}{d^3p} = \frac{1}{32\pi} \frac{m_T}{T^5} \cosh(y - y_j) e^{-\frac{m_T}{T} \cosh(y - y_j)}
$$

$$
\times \left\{ p_T \Delta p_T \cos(\phi - \phi_j) + \frac{1}{3} m_T \frac{\Delta E}{\cosh(y_j)} \cosh(y - y_j) \right\}
$$

POSITIVE AND NEGATIVE WAKES

The jet pulls some amount of QGP in the direction of the jet. So, when you compare the freezeout of a QGP droplet containing a jet wake to one without, it will have:

- 1) **Positive Wake:** Additional soft particles in the jet direction
- 2) **Negative Wake:** Depletion of soft particles in the direction opposite the jet

TOPIC 2 Probing the Resolution Length of QGP Using Large-Radius Jet Suppression

QGP RESOLUTION LENGTH

- If two partons that result from the **same splitting** are separated by a length smaller than L_{res}, then they will lose energy to the plasma – and produce a wake – as if they were a single parton.
- \bullet In our implementation, L_{res} only applies to partons within the same parton shower. Two partons belonging to showers that were **initiated by two different partons** are treated as resolved structures regardless of their separation.

arXiv: 1707.05245 [Hulcher, Pablos, Rajagopal]

 L_{res} = 0: The medium resolves splitting immediately after a parton fragments ⇒ fully **incoherent** energy loss

 $L_{res} = \infty$: The medium never resolves splittings ⇒ fully **coherent** energy loss

USING JET SUBSTRUCTURE AS A PROBE OF LRES

- We study the energy loss experienced by jets with multiple hard structures, as a function of the angle between such structures. This allows us to probe the QGP resolution length.
- We study an observable introduced by ATLAS at QM 2019, arXiv: 2301.05606, and shown in **Martin Rybar's talk**

Arjun Kudinoor | 10

Higher p_T subjet

Lower p_T subjet

• $\Delta R_{12} = [(\Delta y_{12})^2 + (\Delta \phi_{12})^2]^{\frac{1}{2}}$ is the separation between the two constituents in the penultimate k_t -clustering step. For a large-radius R = 1.0 jet with two R = 0.2 skinny-subjets, ΔR_{12} is the angular separation between the two subjets.

LARGE-RADIUS JET SUPPRESSION AS A PROBE OF LRES

L res = ∞: **Disfavored** by data. Partons within each shower are unresolved, and so $R_{\lambda\lambda}$ is roughly independent of ΔR_{12} . Not entirely independent because jets with larger ΔR_{12} can contain subjets from different hard scatterings, which

 $L_{res} = 0$ and $L_{res} = 2/(\pi T)$ are **consistent** with the data.

 $L_{res} = 0$ also shows constant suppression as a function of $ΔR₁₂ > 0$. Single subjets are suppressed far less than large-radius jets with multiple subjets.

LARGE-RADIUS JET SUPPRESSION AS A PROBE OF LRES

What if we reduce the size of the subjets? $R = 0.2 \rightarrow R = 0.1$

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TOPIC 3 Imaging the Structure of Jet Energy Loss Using Novel Jet-Shape Observables

How does the structure of a jet affect the structure of its wake?

(Assume $\mathsf{L}_{\mathsf{res}}$ = 0 for the remainder of this talk)

A NEW JET SHAPE OBSERVABLE

- Simplest multi-subjet case **two subjets**
- $R = 2.0$ jets reconstructed from $R = 0.2$ subjets
- Restrict to **gamma-jet** analysis
	- \rightarrow Photons dont produce wakes
	- \rightarrow No contamination in jets from negative wakes

In our calculations of jet shapes, we include all particles within an $R = 2.0$ radius of the axis of each large-radius jet, not just the particles inside the $R = 0.2$ skinny subjets.

- **● Photon selection and isolation criteria:**
	- \circ p_T^y > 100 GeV and |η^γ| < 1.44
	- \circ Σ E_T < 5 GeV around r = 0.4 of the photon
- \bullet **R** = 0.2 subjets: p_T > 35 GeV, $|η|$ < 3.0, Δφ_{γ, subjet} > 2π/3
- \bullet **R** = **2.0 jets:** $|y| < 2.0$, 50 $< p_{\text{T}} < 1000$ GeV, 2 subjets

Pb+Pb: FULL JET SHAPE

 $\frac{1}{2}$ -1

 $\frac{1}{2}$

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Pb+Pb: WAKE SHAPE

Pb+Pb: SHAPE OF WAKE + NONWAKE HADRONS WITH 0.7 < p_T < 1.0 GeV

 $1.8 < \Delta y_{12} < 2.0$

 -1 -2 -3 -3

 Ω

0.04

 0.02

 $1.6 < \Delta y_{12} < 1.8$

 -1 -2 -3 -3

 Ω

0.04

 0.02

Only a single-pronged structure is visible at low angular separation even when low- p_{τ} non-wake hadrons are included. However, two-pronged structures appear at lower angles than when we restrict to using only hadrons belonging to the wake.

VACUUM (pp): SHAPE OF HADRONS WITH 0.7 < p $_{\sf T}$ **< 1.0 GeV**

 -1 -2 -3 -3

 0.02

 $0.02 -$

 0 -1 2 -2 3

-3

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wakes in it, are present.

PROJECTING THE SHAPES ONTO THE r-AXIS: HADRONS WITH 0.7 < p_T < 1.0 GeV

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KEY TAKEAWAYS

EEEC,

- We confirm that **QGP resolves partons within parton showers** via our jet suppression analyses of large-radius jets reconstructed using skinny subjets.
- Large-radius jets with multiple subjets produce multiple sub-wakes if the subjets are far-separated. We **can image these wakes and their internal structure** using the novel jet shape observables we introduced here.
- If we restrict to measuring jet shapes using only those hadrons with low momenta ~0.7-1.0 GeV, then we can visualize the wake in an experimentally feasible way. **Let's image the wake in experiments!**

Other observables, like energy correlators, can also be used to image the wake! **Ananya Rai's Poster + arXiv: 2407.13818**

BACKUP

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THE HYBRID STRONG/WEAK COUPLING MODEL

- Treat weakly coupled physics perturbatively
- Treat strongly coupled processes using AdS/CFT
	- Find the stringy gravity dual of QCD **N=4 SYM**
	- Describe your particles in using strings that hang from the boundary theory into the bulk spacetime
	- Calculate the observables you desire (energy loss, momenta, etc.)
- Monte Carlo simulations of heavy ion collisions
	- Feed in energy loss calculations for light quarks and gluons from above
	- Run the simulation and manipulate the output data to calculate **observables that experimentalists can study** using collider data

Difficult calculations in strongly coupled gauge theories may be solved in their more tractable weakly coupled gravitational dual.

QCD vs. $\mathcal{N} = 4$ $SU(N_c)$ **SYM THEORY**

Use an $\mathcal{N} = 4$ $SU(N_c)$ **SYM theory instead!** The hot strongly coupled liquid phases of $\mathcal{N}=4$ $SU(N_c)$ SYM theory and QCD are more similar to each other than their vacua and low energy physics (the problematic energy sector that contributes to QCD's nonconformality).

Differences between QCD and $\mathcal{N}=4$ SYM include

- $N_c = 3$ for QCD, whereas we take the $N_c \rightarrow \infty$ limit for $\mathcal{N} = 4$ SYM calculations
- QCD is not conformal, whereas $\mathcal{N}=4$ SYM is conformal
- QCD demonstrates asymptotic freedom (coupling becomes weaker as energies increase to infinity), whereas $\mathcal{N}=4$ SYM is strongly coupled at all length scales
- In QCD, both the fundamental and adjoint degrees of freedom are important to thermodynamic properties of QGP, whereas in $\mathcal{N}=4$ SYM, there are no fundamental degrees of freedom

So, insights from hybrid model calculations in $\mathcal{N}=4$ SYM are treated qualitatively.

- $\mathcal{N} = 4$ $SU(N_c)$ SYM theory \longleftrightarrow
	- Cast particles as strings hanging from the 4-dimensional boundary into the 5-dimensional AdS bulk spacetime
	- Calculate observables of interest (ex: energy loss)

Missing p_T observables – 2016

- Adding the soft particles from the wake is necessary if we aim to describe data. It also seems that our treatment of the wake does not fully capture what the data calls for.
- If goal is seeing larger angle scattering of partons in the jet, ignore the wake, look at observables sensitive to 5-20 GeV partons; groomed jet substructure observables.
- Lets focus on wake: what was key oversimplification?
- We assumed that the wake rapidly equilibrates, and becomes a small perturbation on the hydro flow and hence a small perturbation to the final state particles. The only thing the thermalized particles in the final state remembers is the energy and net momentum deposited by the jet. This is natural at strong coupling.
- We assumed the perturbations to the final state spectra due to the wake are small at all p_T . Need not be so at intermediate p_T .
- To diagnose how well these approximations are justified in reality we need more sophisticated observables...

Missing p_T observables - 2016

- Our characterization of the wake is on the right track. **BUT:**
- We have too many particles with 0.5 GeV $< p_T <$ 2 GeV.
- We have too few particles with 2 GeV $< p_T <$ 4 GeV.
- The energy and momentum given to the plasma by the jet may not fully thermalize. Further improving our model to describe the low- p_T component of jets, as reconstructed, requires full-fledged calculation of the wake.
- Others, using other calculational frameworks, should add background, include the wake, subtract background, and compare to data on Missing- p_T observables. Can we determine whether the energy lost by the jet $-$ namely the wake in the plasma $-$ does not fully thermalize, remembering more than just its energy and momentum?

Pb+Pb: SHAPE OF WAKE + NONWAKE HADRONS WITH 0.7 < p_T < 1.5 GeV

Two-pronged structures emerge at lower subjet-separations due to the higher presence of non-wake hadrons (as compared to the 0.7 $<$ p $_{\rm T}$ $<$ 1.0 GeV case)

Arjun Kudinoor | 26

PROJECTING THE SHAPES ONTO THE r-AXIS: HADRONS WITH 0.7 < p_T < 1.5 GeV

MOST FAR-SEPARATED SUBJETS DUE TO INITIAL STATE RADIATION

Fraction of large-radius jets with a specified Δy_{12} Pb+Pb, 5.02 TeV, 0-5% $\exp(\Delta y)$ N_{jets} Reclustered R = 2.0 jets with two R = 0.2 γ -subjets $p_T^{\gamma} > 100 \text{ GeV}, \ \eta^{\gamma} I < 1.44$
 $p_{\text{subjet}}^{\text{subject}} > 35 \text{ GeV}, \ \eta^{\text{subjet}} I < 3, \ \text{IAq}_{\gamma, \text{subject}}$
 $p_{\text{T}}^{\text{let}} > 50 \text{ GeV}, \ \text{Iy}^{\text{jet}} I < 2$ $_{\rm et}$ | > $\frac{2\pi}{3}$ Sample with $ISR = ON$ Ē **L = ∞** Sample with $ISR = OFF$ **res** 10^{-1} **THEFF ISR** 10^{-2} **QGP** 10^{-3} 0.2 0.6 0.8 1.2 1.6 1.8 Ω 0.4 $\mathbf{1}$ 1.4 \overline{a} Δy ₁₂