

# Study of energy-energy correlator of jets in PbPb collisions at CMS



Jussi Viinikainen https://jusaviin.github.io

Vanderbilt University

for the CMS Collaboration

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## Energy-energy correlator definition

$$\frac{\mathrm{d}\Sigma}{\mathrm{d}\theta} = \int \mathrm{d}\vec{n}_{1,2} \frac{\langle \epsilon(\vec{n}_1)\epsilon(\vec{n}_2)\rangle}{Q^2} \delta^2(\vec{n}_1\cdot\vec{n}_2-\cos(\theta))$$

- $\epsilon(\vec{n}) = \text{Energy flow to direction } \vec{n}$
- $Q^2$  = Hard scale of the process
- $\delta^2(\vec{n}_1 \cdot \vec{n}_2 \cos(\theta)) = \text{Require angle } \theta$  between direction vectors



- Reasons to love energy correlators:
  - Scaling: Different time scales of jet evolution imprinted in different angular scales
  - Simplicity: No jet declustering needed, can be constructed using tracks
  - Control: Well understood pp baseline, medium modifications perturbatively calculable

#### Physics goal 1: color coherence

# Color coherence



Image credit: Jennifer James (Vanderbilt)

Casalderrey-Solana, Mehtar-Tani, Salgado, Tywoniuk

PLB 725 (2013) 357-360



- Large angle emission: medium resolves emitted gluon as separate object
- Small angle emission: emitted gluon and emitter resolved as single object
- Critical angle: minimum separation where medium resolves separate objects

#### Color coherence effects to the correlator shape



• Color coherence effects expected to change the shape at  $\theta\gtrsim 0.08$ 



#### Andrés, Dominguez, Holguin, Marquet, Moult





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#### Physics goal 2: jet wake

# Jet wake



Image stolen from: Yen-Jie Lee (MIT)



• Energetic parton pulls medium with it, leaving depletion behind

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**EEC** measurements

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#### Jet wake effects to the correlator shape



• Jet wake effects expected to change the shape at  $\theta\gtrsim$  0.3



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### Energy-energy correlator definition for this analysis

$$\frac{\mathrm{d}\boldsymbol{\Sigma}}{\mathrm{d}\boldsymbol{\theta}} = \int \mathrm{d}\vec{\boldsymbol{n}}_{1,2} \frac{\langle \boldsymbol{\epsilon}(\vec{\boldsymbol{n}}_1)\boldsymbol{\epsilon}(\vec{\boldsymbol{n}}_2) \rangle}{Q^2} \delta^2(\vec{\boldsymbol{n}}_1 \cdot \vec{\boldsymbol{n}}_2 - \cos(\boldsymbol{\theta}))$$

$$\mathsf{EEC}(\Delta r) = \frac{1}{W_{\mathsf{pairs}}} \frac{1}{\delta r} \sum_{\mathsf{jets} \in [\rho_{\mathrm{T},1}, \rho_{\mathrm{T},2}]} \sum_{\mathsf{pairs} \in [\Delta r_a, \Delta r_b]} (\rho_{\mathrm{T},i} \, \rho_{\mathrm{T},j})^n$$

- Normalize with weighted number of pairs  $W_{\text{pairs}}$
- Bin width normalization:  $\delta r = \Delta r_b \Delta r_a$
- Hard scale appears only in jet  $p_{\rm T}$  binning
  - Improves resolution, no need for unfolding
- Exponent values n = 1 and n = 2 used in this analysis
- Selects pairs within R = 0.4 from winner-take-all jet axis

#### Expected background in PbPb collisions



- Different pairings in the simulation
  - All pairs
  - Signal+signal pairs
  - Signal+background pairs
  - Background+background pairs
- Background contributions dominant at large  $\Delta r$
- Background subtraction needed







### Mixed event background subtraction method



- Three cones are used in this method
  - Signal cone: this is around the studied jet
  - Ø Mixed cone 1: same location as jet cone in minimum bias event
  - Mixed cone 2: same location as jet cone in another minimum bias event
- Three different pairings are made from the cones
  - O S + M1: signal+fake together with mismodeled fake+fake
  - 2 M1 + M1: properly modeled fake+fake
  - 3 M1 + M2: mismodeled fake+fake
- Extract background: BG = (S + M1) + (M1 + M1) (M1 + M2)

# Jet $p_{\rm T}$ unfolding and tracking corrections



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#### Final results: energy-energy correlator distributions, PbPb 0-10%



- PbPb distributions have the same features as previously seen in pp!
  - CMS: PRL 133 (2024) 071903
  - STAR: PoS HP2023 (2024) 175
  - ALICE: ALI-PREL-540213
- Low  $\Delta r \rightarrow$  free hadrons
- Moderate  $\Delta r 
  ightarrow$  transition
- High  $\Delta r 
  ightarrow$  free quark/gluon
- Peak depends on jet  $p_{\rm T}$



- The jet peak moves towards smaller Δr when going to more central collisions
- Effect from energy loss → more central jets have higher initial virtuality



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- The jet peak moves towards smaller Δr when going to more central collisions
- Effect from energy loss → more central jets have higher initial virtuality
- Also the shape of the distribution at large Δr is modified!



• Peripheral distribution shows only small modifications



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- Enhancement at low Δr due to energy loss



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- Change in trend around  $\Delta r \sim 0.1$  to enhancement at large  $\Delta r$



- Peripheral distribution shows only small modifications
- Enhancement at low Δr due to energy loss
- Change in trend around  $\Delta r \sim 0.1$  to enhancement at large  $\Delta r$
- Flat trend at few lowest  $\Delta r$  bins  $\rightarrow$  universal scaling for free hadrons

#### Perturbative calculation with color coherence effects



- Perturbative calculation by Holguin&co<sup>[1]</sup> includes color coherence
- Two free parameters: *k* and normalization
- Calculation normalized to data in region  $0.042 < \Delta r < 0.126$
- Turn-on angle is similar in calculation and data

<sup>1</sup>arXiv:2407.07936

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# Jet wake in the Hybrid model and JEWEL



- Both Hybrid model<sup>[2]</sup> and JEWEL<sup>[3]</sup> only predict large  $\Delta r$  enhancement with wake included
- Models show different magnitudes of enhancement and turn-on angles

<sup>2</sup>JHEP 09 (2015) 175, JHEP 03 (2017) 135 <sup>3</sup> EPJC 60 (2009) 617, JHEP 1707 (2017) 141

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EEC measurements

#### Summary

- EEC measured for the first time ever in heavy ion collisions!
- Free hadron, transition, and free quark/gluon regions visible in PbPb EECs
- Energy loss moves the peak in PbPb to smaller  $\Delta r$
- Interesting modifications are seen at large  $\Delta r$  region
- Models with jet wake and color coherence show qualitatively similar behavior as data



This work is supported by the grant DE-FG05-92ER40712 from the US Department of Energy





Image credit: BOOST 2022 conference logo

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**EEC** measurements

#### Energy-energy correlator distributions, pp



- pp results have consistent features with previous measurements
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- Low  $\Delta r \rightarrow$  free hadrons
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- Peak depends on jet  $p_{\rm T}$

#### Model comparisons with pp distribution



• Hybrid vacuum = Pythia8 with MPI off

• Models agree with pp data within  $\sim 5\%$  for n=1, but too narrow shape for n=2

### Simple energy loss model: $p_{\rm T}$ spectrum shift in Pythia8



- Estimating energy loss effects in data
  - Shift the jet  $p_{\mathrm{T}}$  spectrum in Pythia8
  - $\bullet\,$  Find a shift that produces measured jet  $R_{\rm AA}$  around  $p_{\rm T}=120\,{\rm GeV}$
  - Compare energy-energy correlators in shifted and reference  $p_{\mathrm{T}}$  bins

#### Medium effects: jet $p_{\rm T}$ spectrum shift



- Enhancement seen at low Δr due to shift of the peak position
- If energy loss is just spectrum shift, it does not produce enhancement at large  $\Delta r$

#### PbPb to pp ratio and kinematic cuts



• Sensitivity to low  $p_{\rm T}$  particles essential for large  $\Delta r$  enhancement!

#### Jet resolution effects and unfolding



• Jet energy corrections are derived such that for each truth  $p_{\rm T}$ , the most likely reconstructed  $p_{\rm T}$  matches

### Jet resolution effects and unfolding



- Jet energy corrections are derived such that for each truth  $p_{\rm T}$ , the most likely reconstructed  $p_{\rm T}$  matches
- ullet Steeply falling spectrum  $\to$  for given reconstructed  $p_{\rm T},$  the most likely truth  $p_{\rm T}$  is shifted down
- Unfolding corrects for this by effectively increasing the mean  $p_{\rm T}$  in each measured bin



- Signal-to-background ratio depends on jet  $p_{\rm T}$
- Background needs to be scaled to take into account the mean jet  $p_{\rm T}$  shift from unfolding
- This can be done in fully data driven way

# The shift in peak position during unfolding



- Position of the peak depends on jet  $p_{\rm T}$
- We fit the peak before and after unfolding to determine the turning point
- Peak position after unfolding can be related back to mean jet  $p_{\rm T}$

#### Scaling factor for background



- Knowing the mean jet p<sub>T</sub> after unfolding, we can determine the signal-to-background ratio
- We scale the background estimate to match this ratio
- In simulation, the extracted signal matches well with truth only if this method is applied

#### Sources of systematic uncertainty

#### Color coding for size of uncertainty

- Small, medium, large
- Jet energy scale
- Jet energy resolution
- Jet  $p_{\rm T}$  prior for unfolding
- Number of iterations for unfolding
- Track selection
- Track pair efficiency
- Background subtraction
- Signal-to-background ratio scaling
#### Hybrid model and JEWEL comparison for double ratio



- Isolate the effects of soft-hard correlations with double ratio
- ullet Interestingly, the Hybrid model is better in describing the double ratio at large  $\Delta r$

<sup>1</sup>JHEP 09 (2015) 175, JHEP 03 (2017) 135, PRC 99 (2019) 5, 051901

EEC measurements

#### CoLBT model comparison for PbPb/pp ratio



- q-parameter in CoLBT<sup>[1]</sup> model describes the minimum virtuality for vacuum splittings
- q = 0.5 doesn't describe the data well
- q = 1 is better, but earlier turn-on and less enhancement than in data
- Enhancement at large Δr in CoLBT mainly coming from medium response
- There is also gluon radiation component

<sup>1</sup>PLB 777 (2018) 86, PLB 810 (2020) 135783, PRL 128 (2022) 2, 022302

**EEC** measurements

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 $140 < p_{T}^{
m jet} < 160 \, {
m GeV}$ 

 $180 < p_{T}^{\rm jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- Hybrid model prediction provided by Pablos, Kudinoor, Rajagopal

PbPb to pp double ratio, Hybrid, 50-90%, n = 1

 $120 < p_{T}^{\rm jet} < 140 \,{
m GeV}$ 

 $140 < p_{T}^{
m jet} < 160 \, {
m GeV}$ 

 $180 < p_{T}^{\rm jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- Hybrid model prediction provided by Pablos, Kudinoor, Rajagopal

PbPb to pp double ratio, Hybrid, 0-10%, n = 2

$$120 < p_{\mathrm{T}}^{\mathrm{jet}} < 140\,\mathrm{GeV}$$

$$140 < 
ho_{
m T}^{
m jet} < 160\,{
m GeV}$$

$$180 < p_{\mathrm{T}}^{\mathrm{jet}} < 200\,\mathrm{GeV}$$



- Data from CMS-PAS-HIN-23-004
- Hybrid model prediction provided by Pablos, Kudinoor, Rajagopal

PbPb to pp double ratio, Hybrid, 10-30%, n = 2

 $120 < p_{T}^{\rm jet} < 140 \,{
m GeV}$ 

 $140 < p_{T}^{
m jet} < 160 \, {
m GeV}$ 

 $180 < p_{T}^{\rm jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- Hybrid model prediction provided by Pablos, Kudinoor, Rajagopal

PbPb to pp double ratio, Hybrid, 30-50%, n = 2

 $120 < p_{T}^{\rm jet} < 140 \,{
m GeV}$ 

 $140 < p_{T}^{
m jet} < 160 \, {
m GeV}$ 

 $180 < p_{T}^{\rm jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- Hybrid model prediction provided by Pablos, Kudinoor, Rajagopal

PbPb to pp double ratio, Hybrid, 50-90%, n = 2

 $120 < p_{T}^{\rm jet} < 140 \,{
m GeV}$ 

 $140 < p_{T}^{
m jet} < 160 \, {
m GeV}$ 

 $180 < p_{T}^{\rm jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- Hybrid model prediction provided by Pablos, Kudinoor, Rajagopal

# PbPb distribution, JEWEL, 0-10%, $p_{\mathrm{T}}^{\mathrm{ch}} > 1 \,\mathrm{GeV}$ , n = 1

$$120 < p_{\mathrm{T}}^{\mathrm{jet}} < 140\,\mathrm{GeV}$$

$$140 < p_{
m T}^{
m jet} < 160\,{
m GeV}$$

 $180 < p_{_{
m T}}^{
m jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

# PbPb distribution, JEWEL, 0-10%, $p_{\rm T}^{\rm ch} > 2 \,{ m GeV}$ , n = 1

$$120 < p_{
m T}^{
m jet} < 140\,{
m GeV}$$

$$140 < p_{
m T}^{
m jet} < 160\,{
m GeV}$$

 $180 < p_{_{
m T}}^{
m jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

# PbPb distribution, JEWEL, 0-10%, $p_{\mathrm{T}}^{\mathrm{ch}} > 1 \, \mathrm{GeV}$ , n=2

 $120 < p_{T}^{\rm jet} < 140 \,{
m GeV}$ 

 $140 < p_{_{
m T}}^{
m jet} < 160\,{
m GeV}$ 

 $180 < p_{_{
m T}}^{
m jet} < 200\,{
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

# PbPb distribution, JEWEL, 0-10%, $p_{\rm T}^{\rm ch} > 2 \,{\rm GeV}$ , n = 2

 $120 < p_{T}^{\rm jet} < 140 \,{
m GeV}$ 

 $140 < p_{_{
m T}}^{
m jet} < 160\,{
m GeV}$ 

 $180 < p_{_{
m T}}^{
m jet} < 200\,{
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

PbPb to pp ratio, JEWEL, 0-10%,  $p_{\mathrm{T}}^{\mathrm{ch}} > 1 \,\mathrm{GeV}, \; n=1$ 

 $120 < p_{T}^{\rm jet} < 140 \,{
m GeV}$ 

 $140 < p_{T}^{
m jet} < 160 \, {
m GeV}$ 

 $180 < p_{T}^{\rm jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

PbPb to pp ratio, JEWEL, 0-10%,  $p_{\rm T}^{\rm ch} > 2 \,{
m GeV}$ , n = 1

 $120 < p_{T}^{
m jet} < 140 \, {
m GeV}$ 

 $140 < p_{T}^{
m jet} < 160 \, {
m GeV}$ 

 $180 < p_{T}^{\rm jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

PbPb to pp ratio, JEWEL, 0-10%,  $p_{\rm T}^{\rm ch} > 1$  GeV, n = 2

 $120 < p_{_{
m T}}^{
m jet} < 140\,{
m GeV}$ 

 $140 < p_{T}^{\text{jet}} < 160 \,\text{GeV}$ 

 $180 < p_{T}^{
m jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

PbPb to pp ratio, JEWEL, 0-10%,  $p_{\rm T}^{\rm ch} > 2 \,{\rm GeV}, \ n=2$ 

 $120 < p_{_{
m T}}^{
m jet} < 140 \, {
m GeV}$ 

 $140 < p_{_{
m T}}^{
m jet} < 160\,{
m GeV}$ 

 $180 < p_{T}^{
m jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

### PbPb to pp double ratio, JEWEL, 0-10%, n = 1

 $120 < p_{T}^{\rm jet} < 140 \,{
m GeV}$ 

 $140 < p_{_{
m T}}^{
m jet} < 160\,{
m GeV}$ 

 $180 < p_{_{
m T}}^{
m jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

PbPb to pp double ratio, JEWEL, 0-10%, n = 2

 $120 < p_{_{
m T}}^{
m jet} < 140\,{
m GeV}$ 

 $140 < p_{_{
m T}}^{
m jet} < 160 \, {
m GeV}$ 

 $180 < p_{_{
m T}}^{
m jet} < 200 \, {
m GeV}$ 



- Data from CMS-PAS-HIN-23-004
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

pp distribution,  $p_{\mathrm{T}}^{\mathrm{ch}} > 1 \,\mathrm{GeV}$ , n = 1

 $120 < p_{T}^{\text{jet}} < 140 \,\text{GeV}$ 

 $140 < p_{T}^{\text{jet}} < 160 \,\text{GeV}$ 

 $180 < p_{T}^{\text{jet}} < 200 \,\text{GeV}$ 



- Data from CMS-PAS-HIN-23-004
- Hybrid model vacuum a specific Pythia8 tune, provided by Pablos, Kudinoor, Rajagopal
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

pp distribution,  $p_{\rm T}^{\rm ch} > 2 \,{\rm GeV}$ , n = 1

 $120 < p_{T}^{\text{jet}} < 140 \,\text{GeV}$ 

$$140 < p_{
m T}^{
m jet} < 160\,{
m GeV}$$

 $180 < p_{T}^{\text{jet}} < 200 \,\text{GeV}$ 



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pp distribution,  $p_{\rm T}^{\rm ch} > 1 \, {\rm GeV}$ , n=2

 $120 < p_{T}^{\text{jet}} < 140 \,\text{GeV}$ 

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m T}^{
m jet} < 160\,{
m GeV}$$

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pp distribution,  $p_{\rm T}^{\rm ch} > 2 \,{\rm GeV}$ , n = 2

 $120 < p_{T}^{\text{jet}} < 140 \,\text{GeV}$ 

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m T}^{
m jet} < 160\,{
m GeV}$$

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- Hybrid model vacuum a specific Pythia8 tune, provided by Pablos, Kudinoor, Rajagopal
- JEWEL 2.4.0 simulation done by Sheng, Kunnawalkam Elayavalli

#### Particle density with respect to jet axis in Pythia8

- E-Scheme axis has a dip in particle density around jet radius
- In correlation measurements, good to avoid sharp structures like this



#### Energy-energy correlator axis comparison in Pythia8

- Most of the pairs are the same
- For e-scheme axis, strong enhancement with respect to WTA around the jet radius



### Background estimation for systematics: reflected $\eta$ cone

- $\bullet$  Reflect jet  $\eta$  coordinate, require at least twice the cone radius distance from original axis to avoid overlapping cones
  - if  $|\eta_{\rm jet}| > R \Rightarrow \eta_{\rm reflected} = -\eta_{\rm jet}$
  - if  $-R \le \eta_{
    m jet} < 0 \Rightarrow \eta_{
    m reflected} = \eta_{
    m jet} + 2R$
  - if  $0 \leq \eta_{
    m jet} \leq R \Rightarrow \eta_{
    m reflected} = \eta_{
    m jet} 2R$
- The background estimation is constructed by pairing all particles from the signal cone with all particles in the reflected cone

