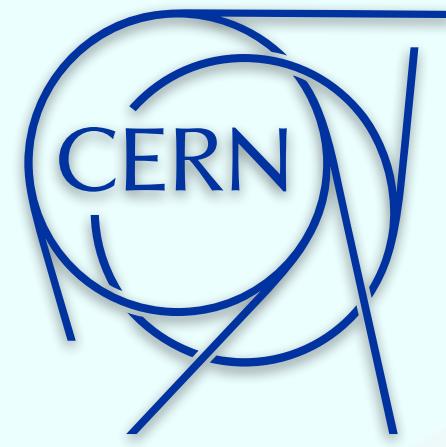




ALICE



# Differential measurements of in-jet fragmentation of charmed mesons and baryons in pp collisions with ALICE

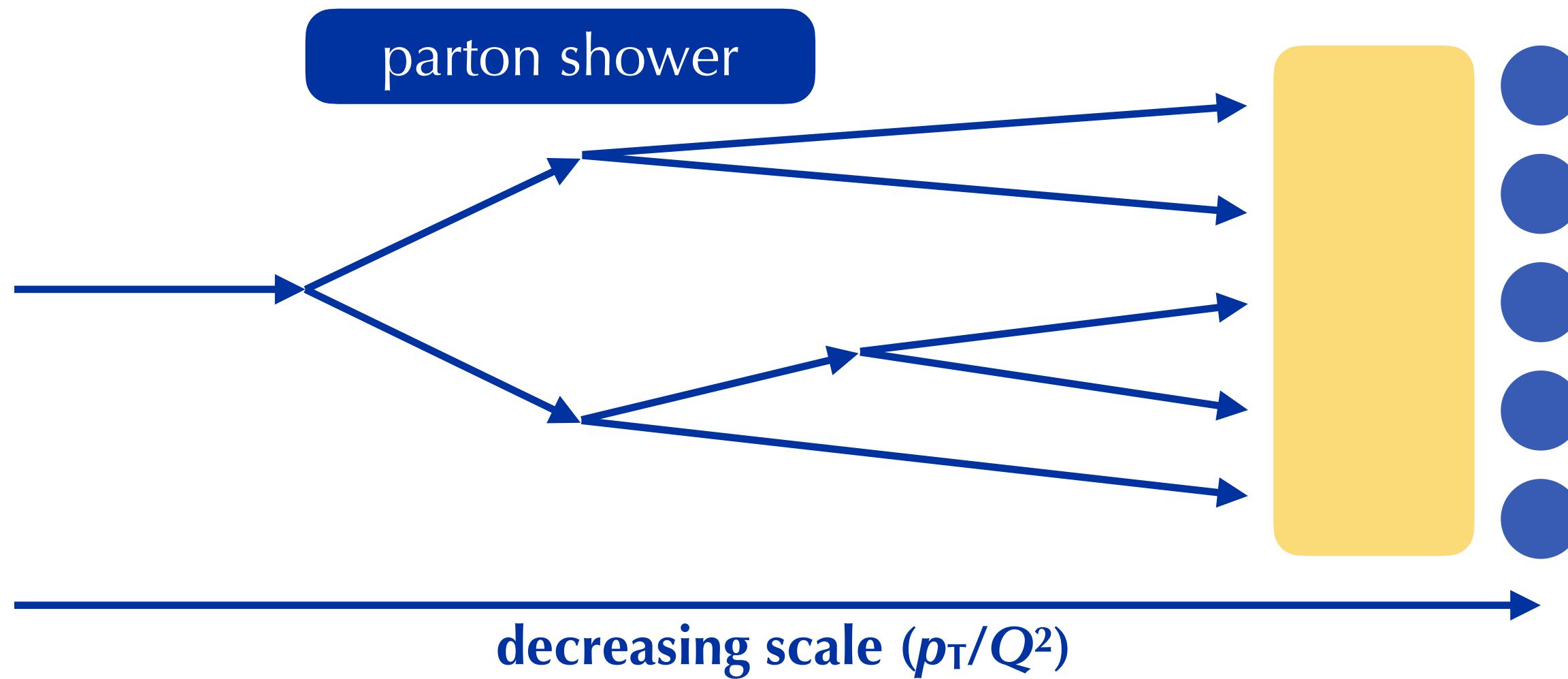
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Jochen Klein (CERN)  
on behalf of the ALICE Collaboration

*12<sup>th</sup> International Conference on Hard and Electromagnetic Probes  
of High-Energy Nuclear Collisions*

Nagasaki, Japan, 25<sup>th</sup> September 2024

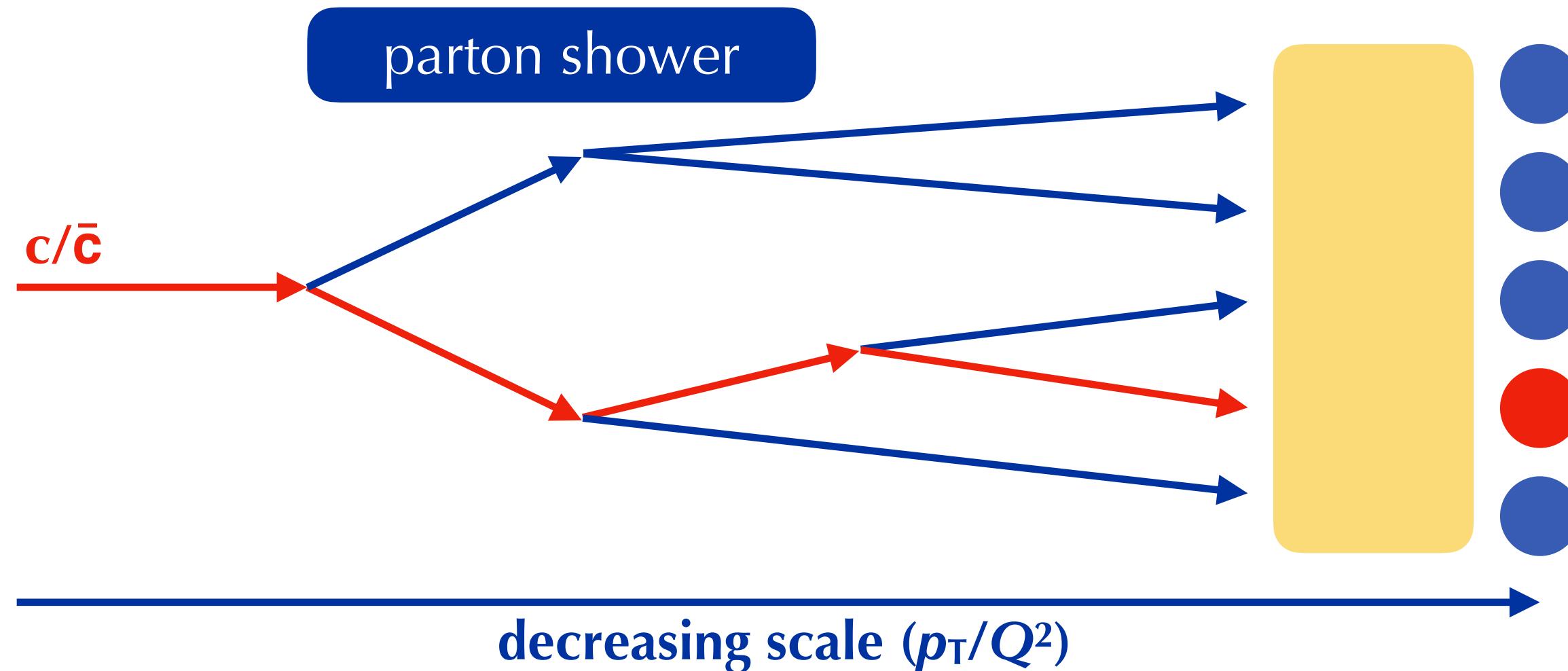
# In-jet fragmentation



- Evolution of a **highly-virtual parton** from hard scattering described by a **parton shower**
  - probabilities for splittings described by splitting functions
- Evolution at **non-perturbative scales**, incl. hadronisation, evades pQCD
  - characterisation through phenomenological modelling
- **Heavy-flavour content** retained and traceable through jet evolution
  - selective access to heavy-quark jets

$$dP_{i \rightarrow jk} = \frac{d\theta}{\theta} dz P_{i \rightarrow jk}(z)$$

# In-jet fragmentation



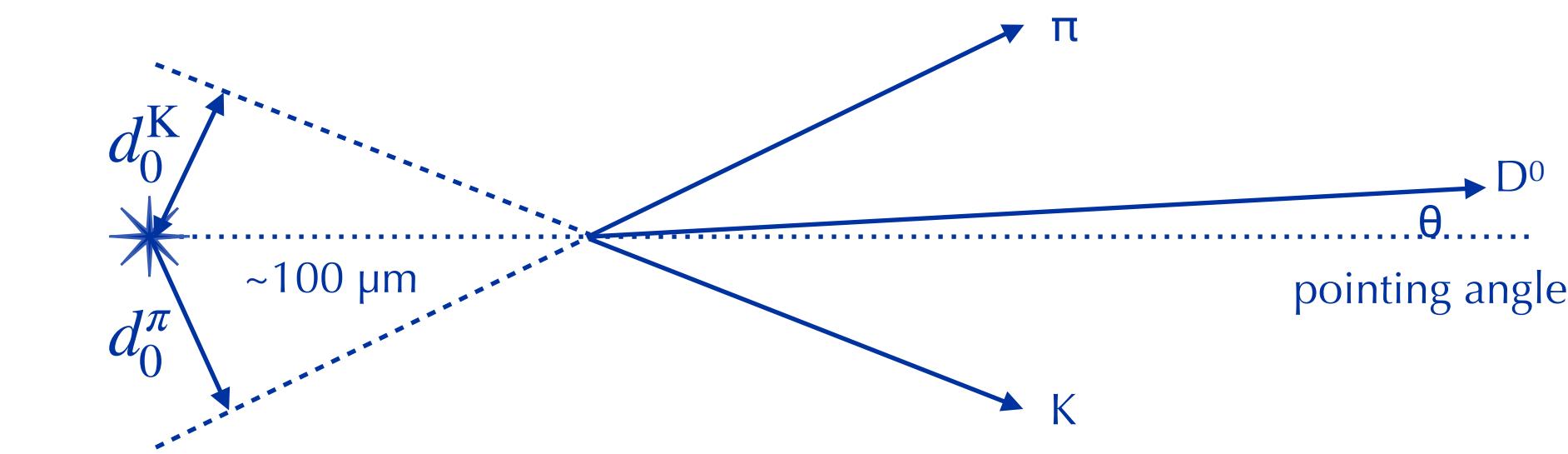
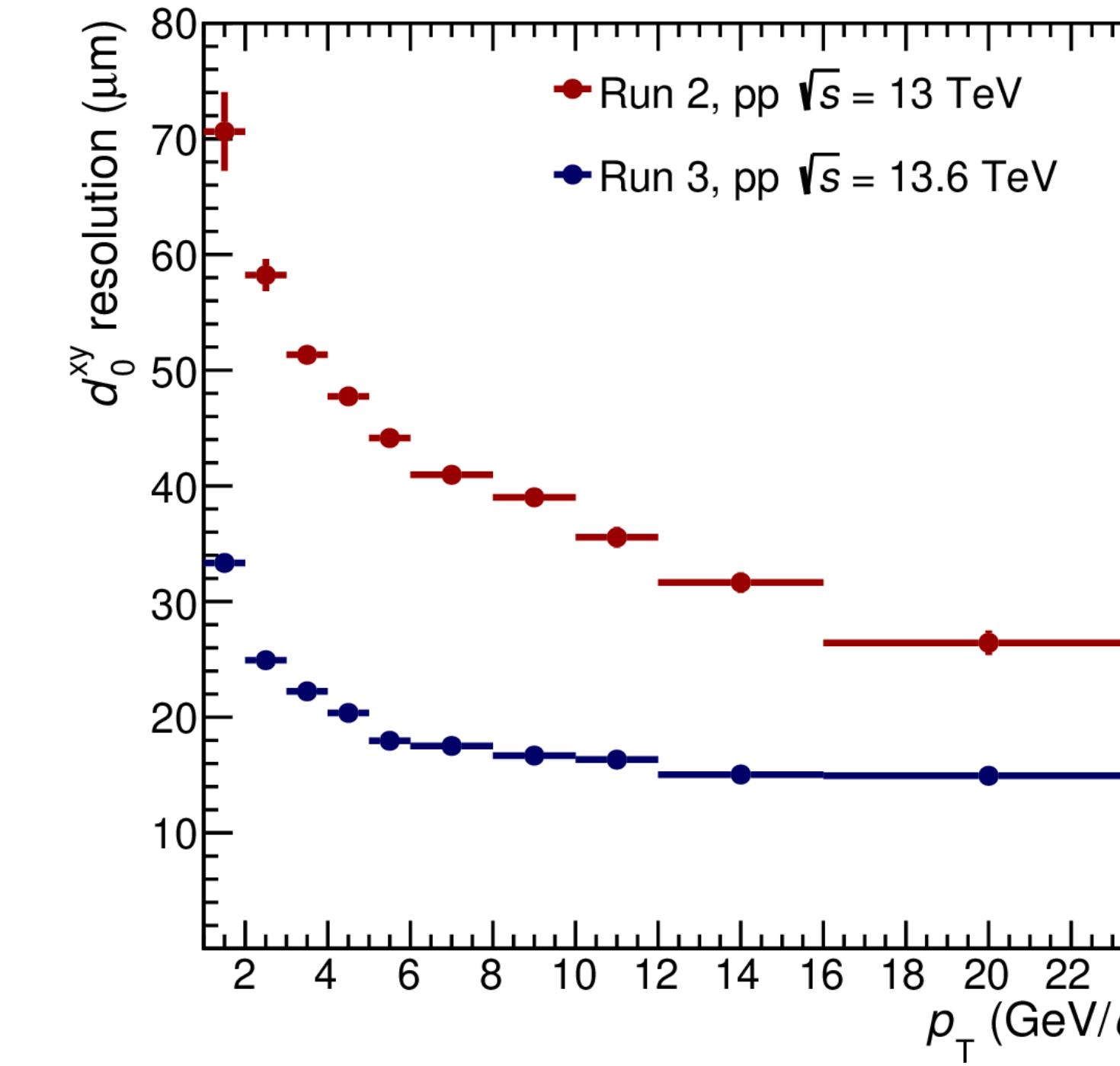
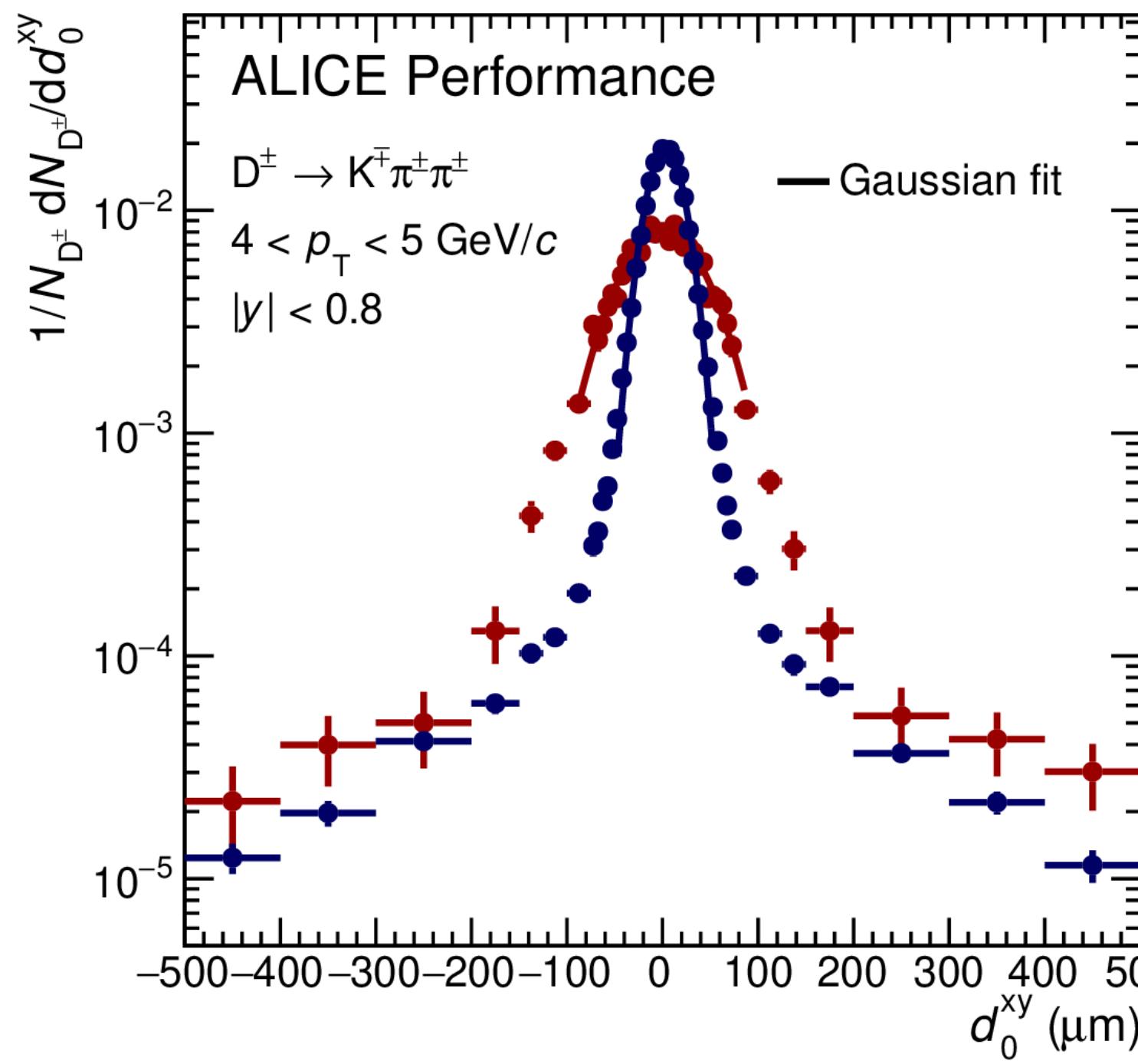
**Heavy-flavour jets  
to probe mass/colour effects  
in jet evolution**

- Evolution of a **highly-virtual parton** from hard scattering described by a **parton shower**
  - probabilities for splittings described by splitting functions
- Evolution at **non-perturbative scales**, incl. hadronisation, evades pQCD
  - characterisation through phenomenological modelling
- **Heavy-flavour content** retained and traceable through jet evolution
  - selective access to heavy-quark jets and splittings

$$dP_{i \rightarrow jk} = \frac{d\theta}{\theta} dz P_{i \rightarrow jk}(z)$$

# Reconstruction of heavy-flavour

- Heavy-flavour candidates ( $D^+$ ,  $D^0$ ,  $\Lambda_c^+$ ) reconstructed using topological variables and particle identification in a two-step selection:
  - preselection with rectangular cuts
  - refined selection with boosted decision trees

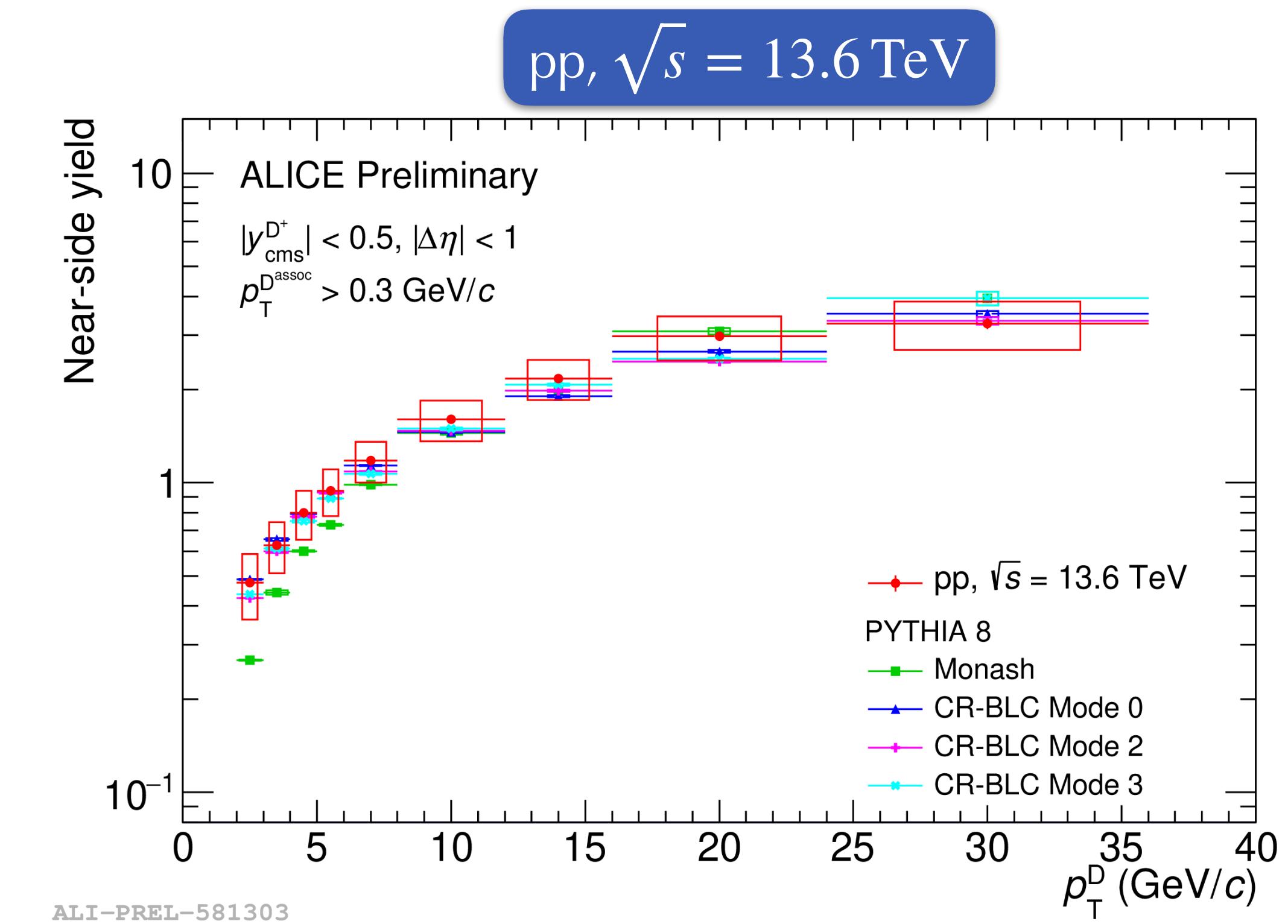
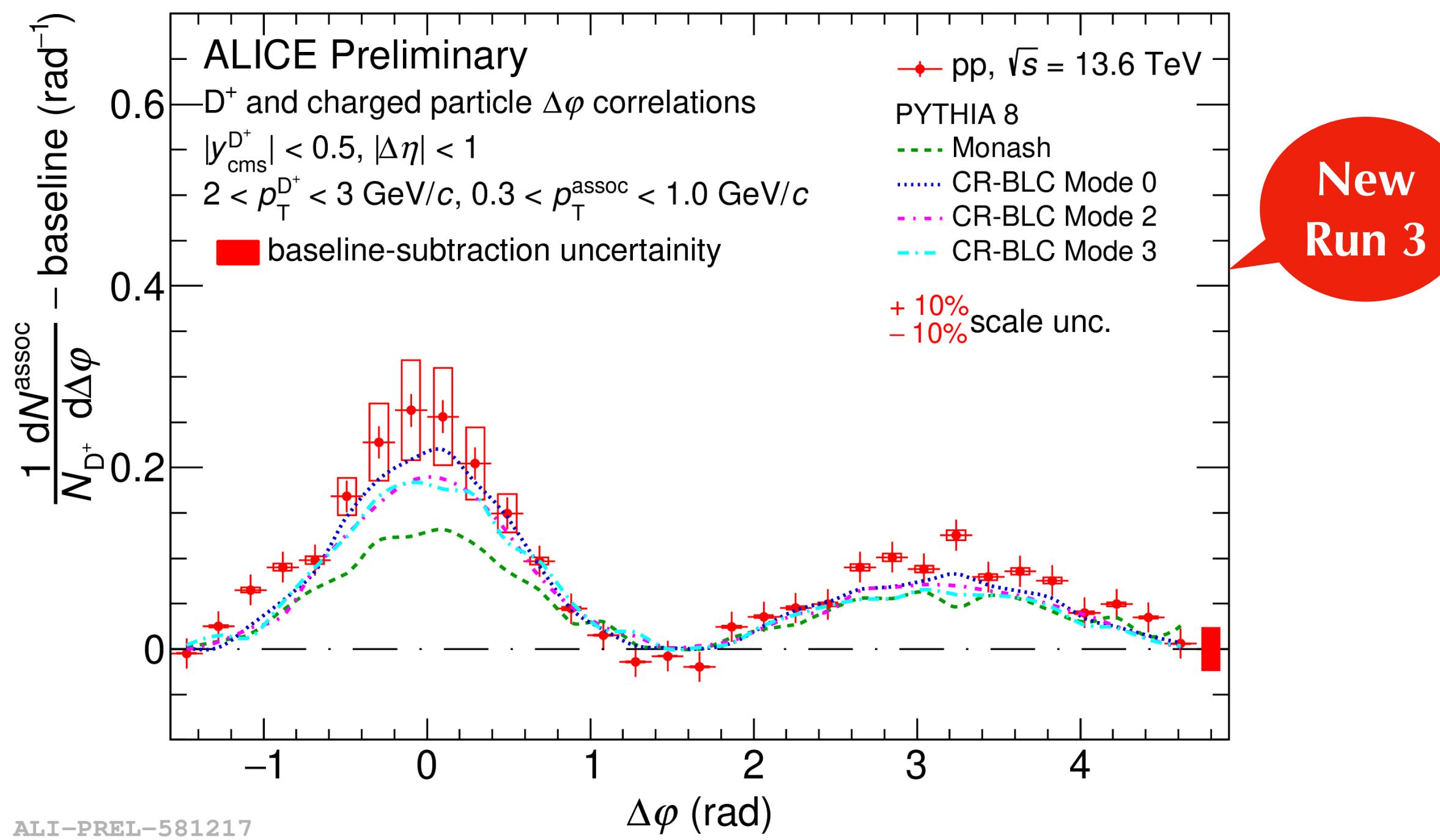


**Impact parameter resolution  
significantly improved  
with ALICE 2**

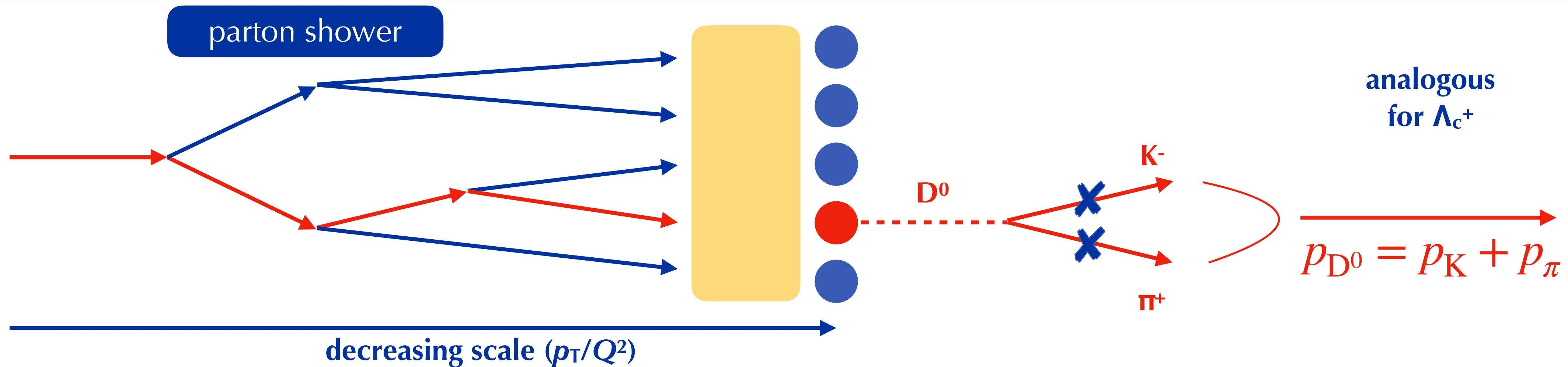
ALI-PERF-577966

# Correlation of D<sup>+</sup> and hadrons

- Azimuthal correlation of D<sup>+</sup> meson with charged hadrons
  - probes **fragmentation of charm quarks, incl. hadronisation**
  - improved precision, extended kinematic reach
  - PYTHIA 8 reproduces distributions well



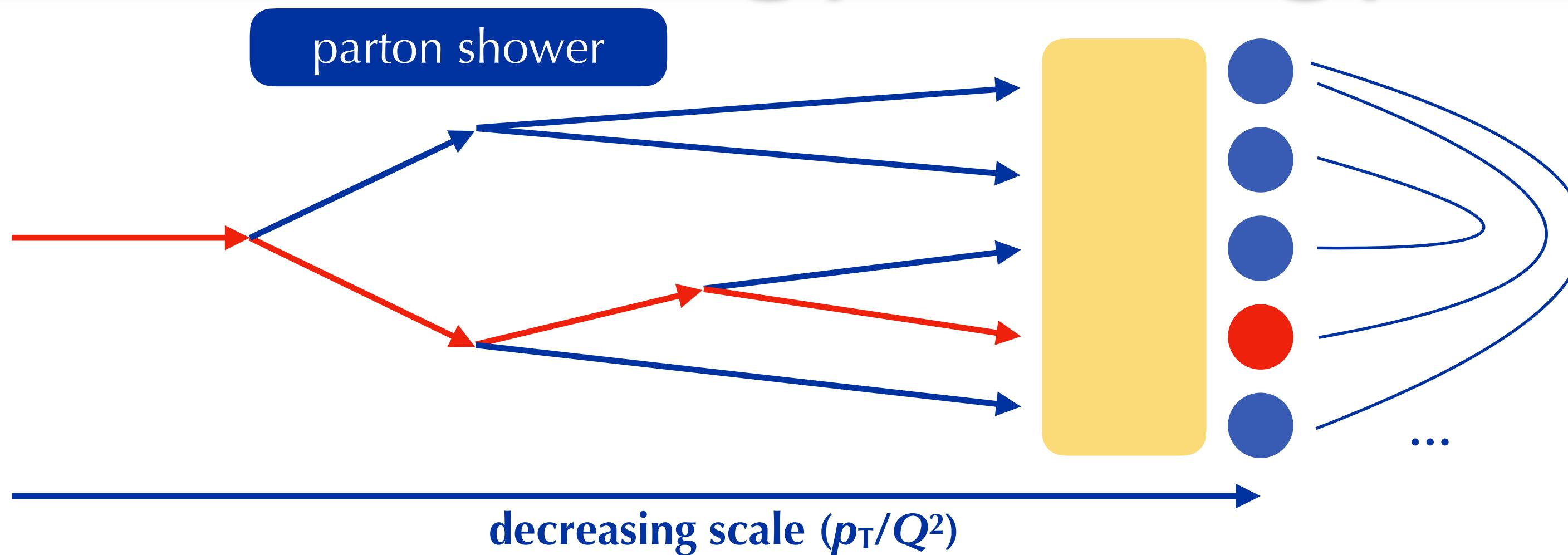
# Reconstruction of heavy-flavour jets



- Heavy-flavour daughters replaced by candidates
- Heavy-flavour jets reconstructed with anti- $k_T$  algorithm
  - $R = 0.4$
  - $p_T^{\text{trk}} > 150 \text{ MeV}/c$
  - $|\eta^{\text{jet}}| < 0.5$

# Energy-energy correlators

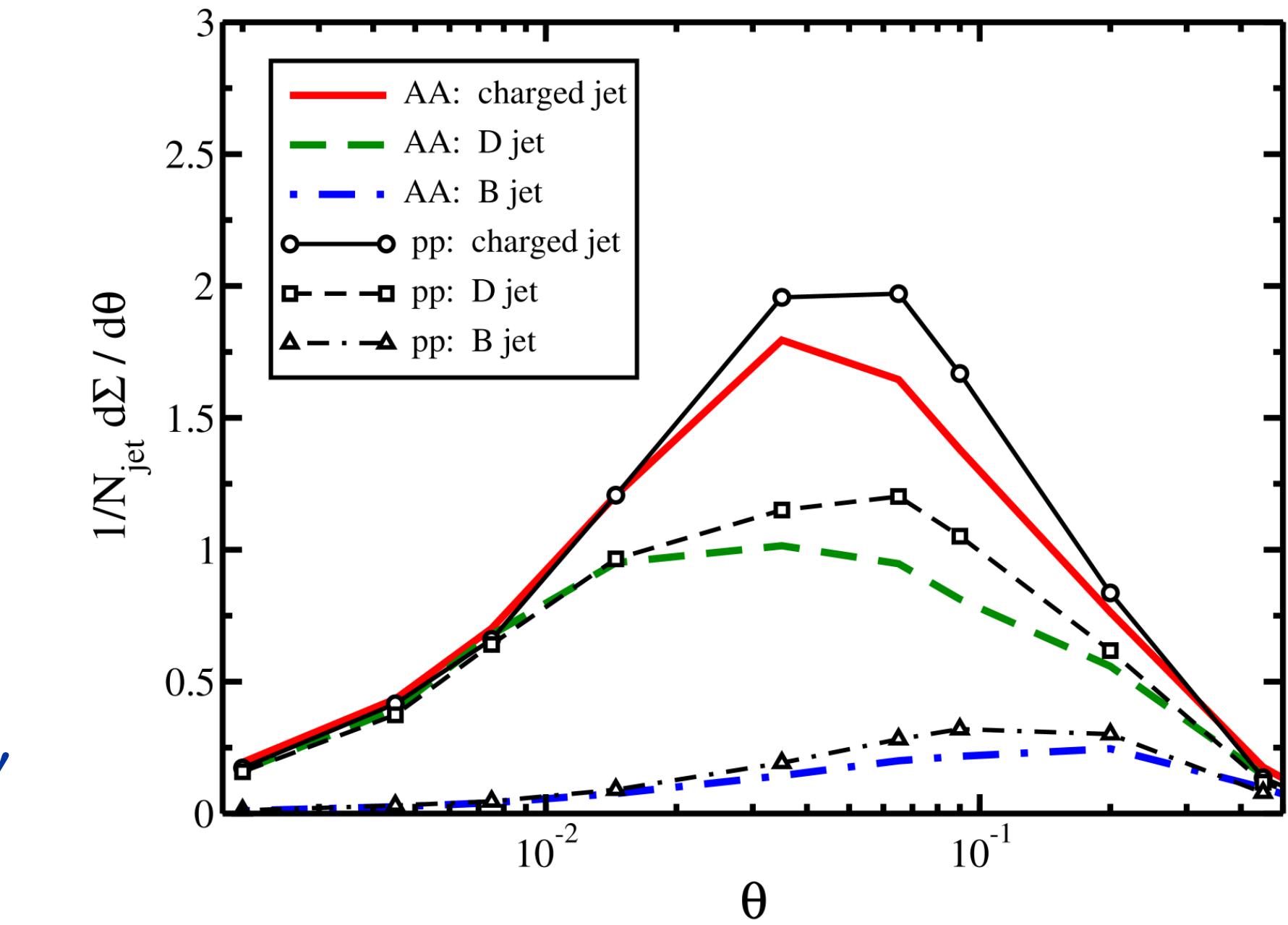
→ A. Nambrath, A. Rai  
(Tue 9:00, 12:10)



Energy-weighted distance  
calculated for all pairs in jet

$$R_{L,ij} = \sqrt{\Delta\phi_{ij} + \Delta\eta_{ij}}$$

$$w_{ij} = \frac{p_{T,i} p_{T,j}}{p_{T,\text{jet}}^2}$$



[Phys. Rev. D 102 (2020) 054012]

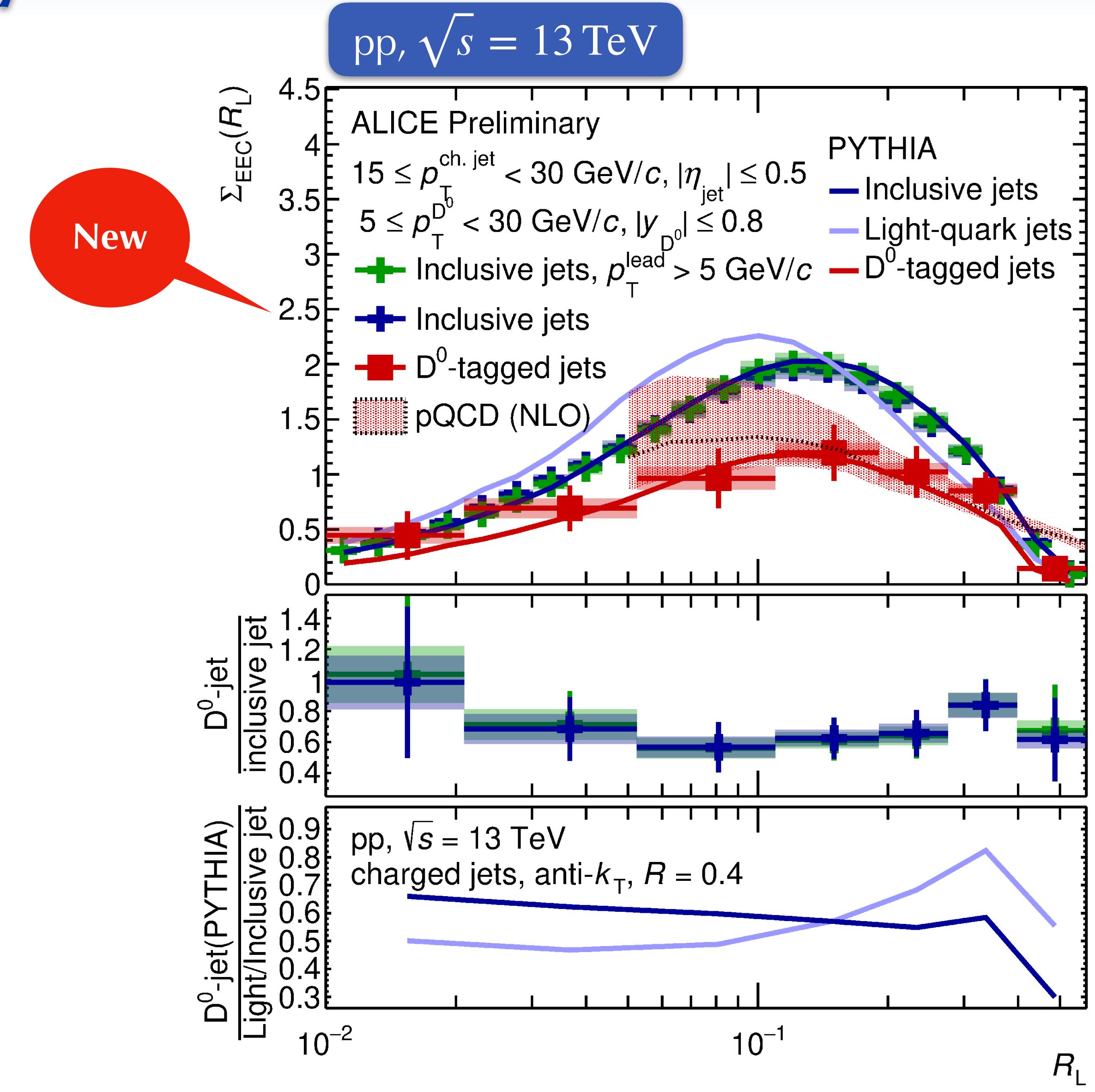
[arXiv:2409.12843]

- Energy-energy correlators capture **information of full jet evolution** while separating scales
  - large  $R_L \rightarrow$  perturbative
  - small  $R_L \rightarrow$  non-perturbative
- Heavy-flavour jets  $\rightarrow$  study **impact of mass/colour effects**, calculations available also for AA

# Energy-energy correlators

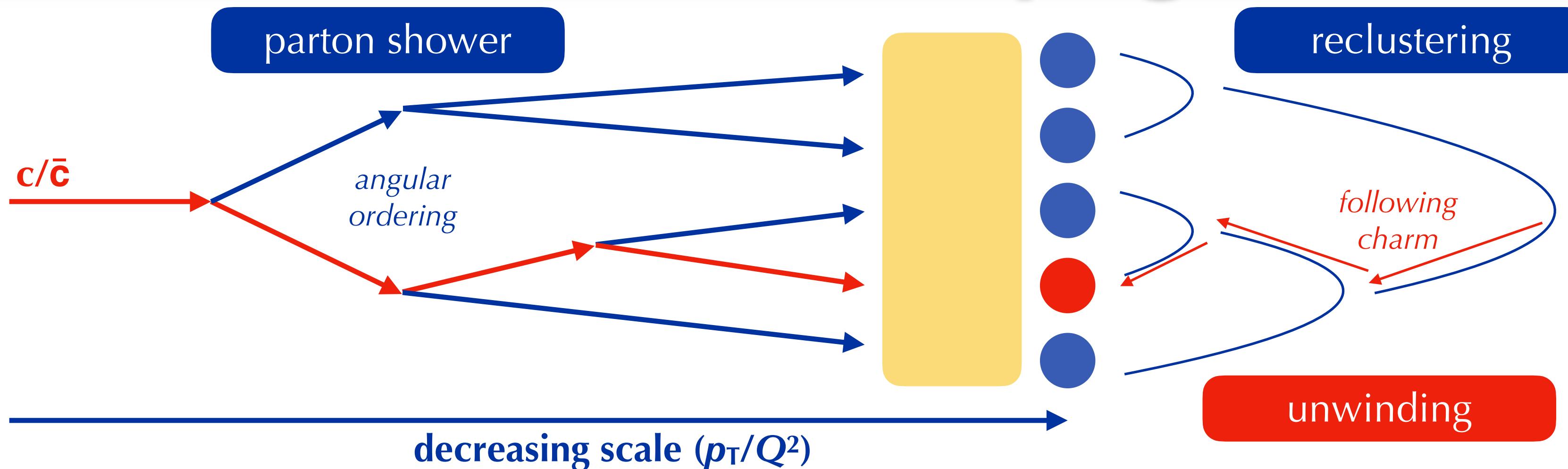
→ P. Dhankher  
(poster)

- Light-quark jets (Pythia)
- Inclusive jets (gluon-dominated)
  - peak shifted towards larger  $R_L$  (w.r.t. light-quark expectation)
  - not affected by leading  $p_T$  cut
- $D^0$  jets
  - reduced integral → mass effects
  - peak position comparable to inclusive jets, shifted w.r.t. light-quark jet expectation
  - PYTHIA describes data
  - tension with pQCD calculation in peak position?
- Flavour hierarchy described by theory models



ALI-PREL-579219

# Soft drop grooming



**Use soft drop grooming  
to access  
perturbative splittings**

- **Recluster jet constituents** to access splitting tree
  - using Cambridge/Aachen algorithm to replicate angular ordering
- **Groom away soft splittings** based on momentum fraction (soft drop)

$$z = \frac{p_{T,g}}{p_{T,c} + p_{T,g}} > z_{\text{cut}} \left( \frac{\Delta R_{c,g}}{R} \right)^\beta, \text{ here } z_{\text{cut}} = 0.1, \beta = 0$$

# Groomed momentum fraction

- **Momentum fraction**

of first splitting passing soft drop criterion

$$z_g = \frac{p_{T,g}}{p_{T,c} + p_{T,g}}$$

- converges to splitting function

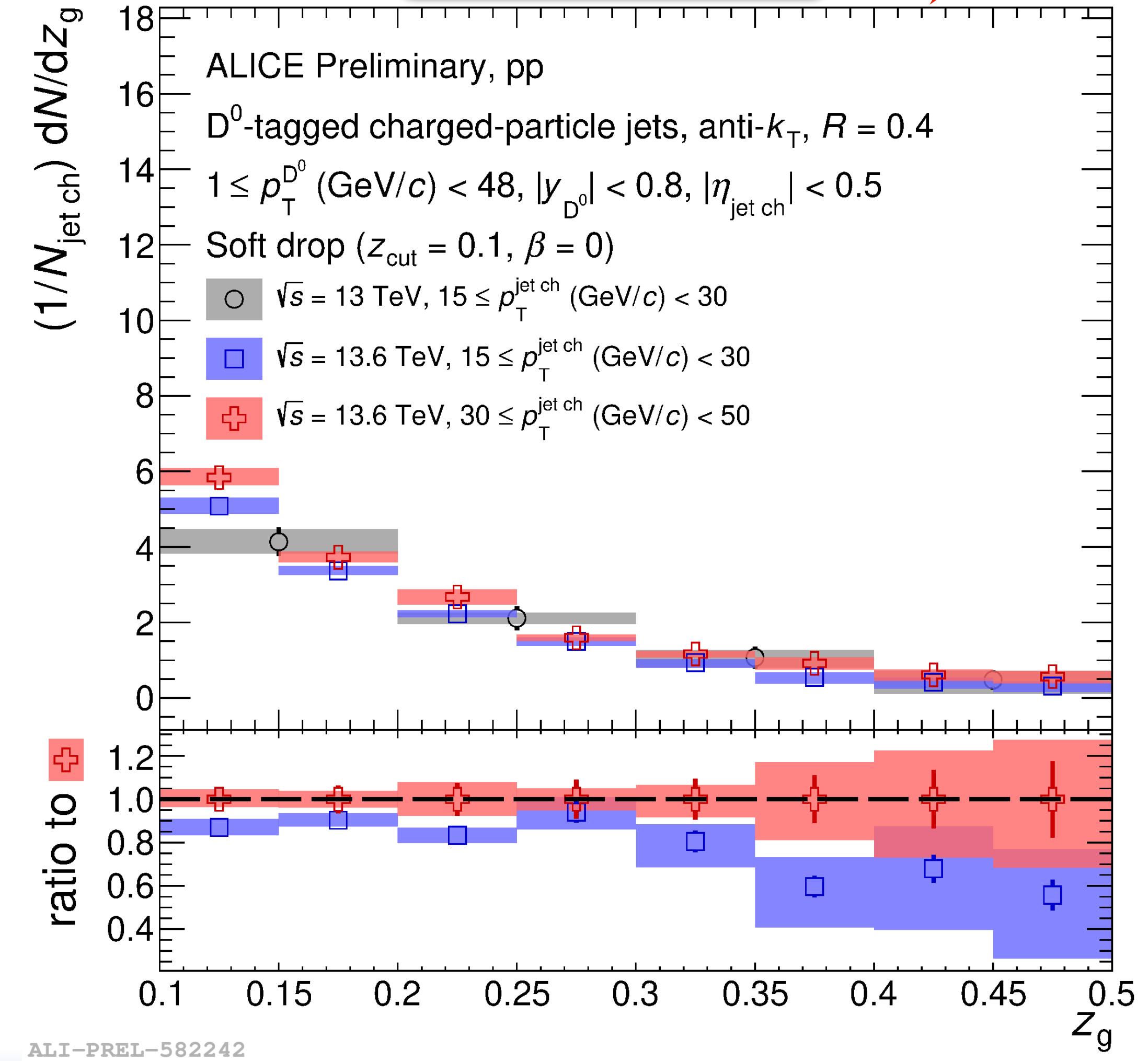
$$dP_{i \rightarrow jk} = \frac{d\theta}{\theta} dz P_{i \rightarrow jk}(z)$$

- **$D^0$  jets**

- $z_g$  converges onto charm splitting function
- improved precision, extended kinematic range
- steeper than inclusive  $\rightarrow$  mass effects
- integral increasing for larger  $p_T^{\text{jet}}$   
 $\rightarrow$  more jets passing soft drop (mass)

pp,  $\sqrt{s} = 13.6 \text{ TeV}$

New  
Run 3



# Groomed momentum fraction

- **Momentum fraction**

of first splitting passing soft drop criterion

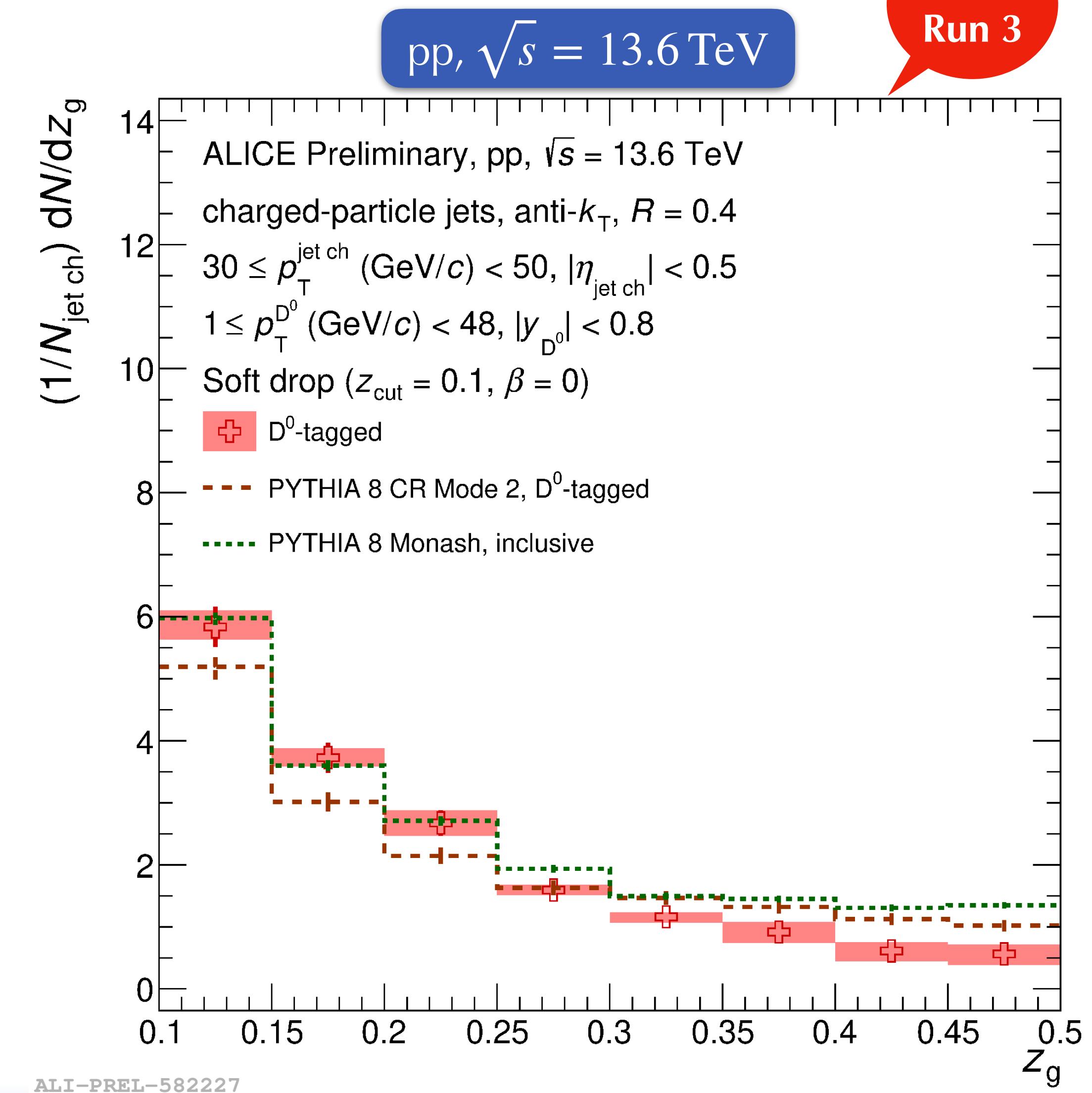
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# Groomed opening angle

- Opening angle  $R_g$   
of first splitting passing soft drop criterion

- targets  $\theta$  dependence

$$dP_{i \rightarrow jk} = \frac{d\theta}{\theta} dz P_{i \rightarrow jk}(z)$$

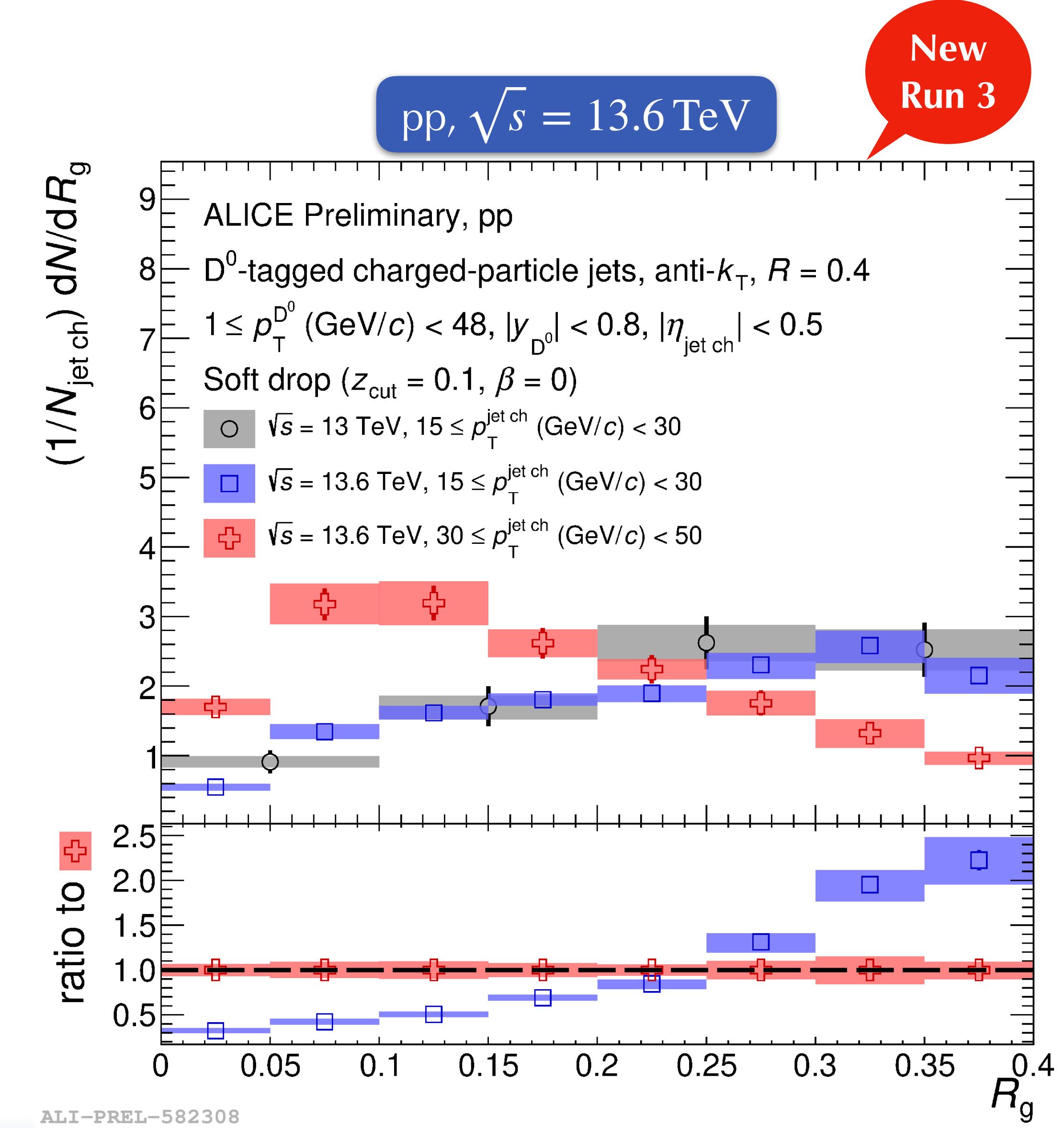
- $D^0$  jets

- improved precision,  
extended kinematic range

- more collimated than inclusive jets

→ Casimir effect

- wider jets for lower  $p_T^{\text{jet}}$



# Groomed opening angle

- Opening angle  $R_g$  of first splitting passing soft drop criterion

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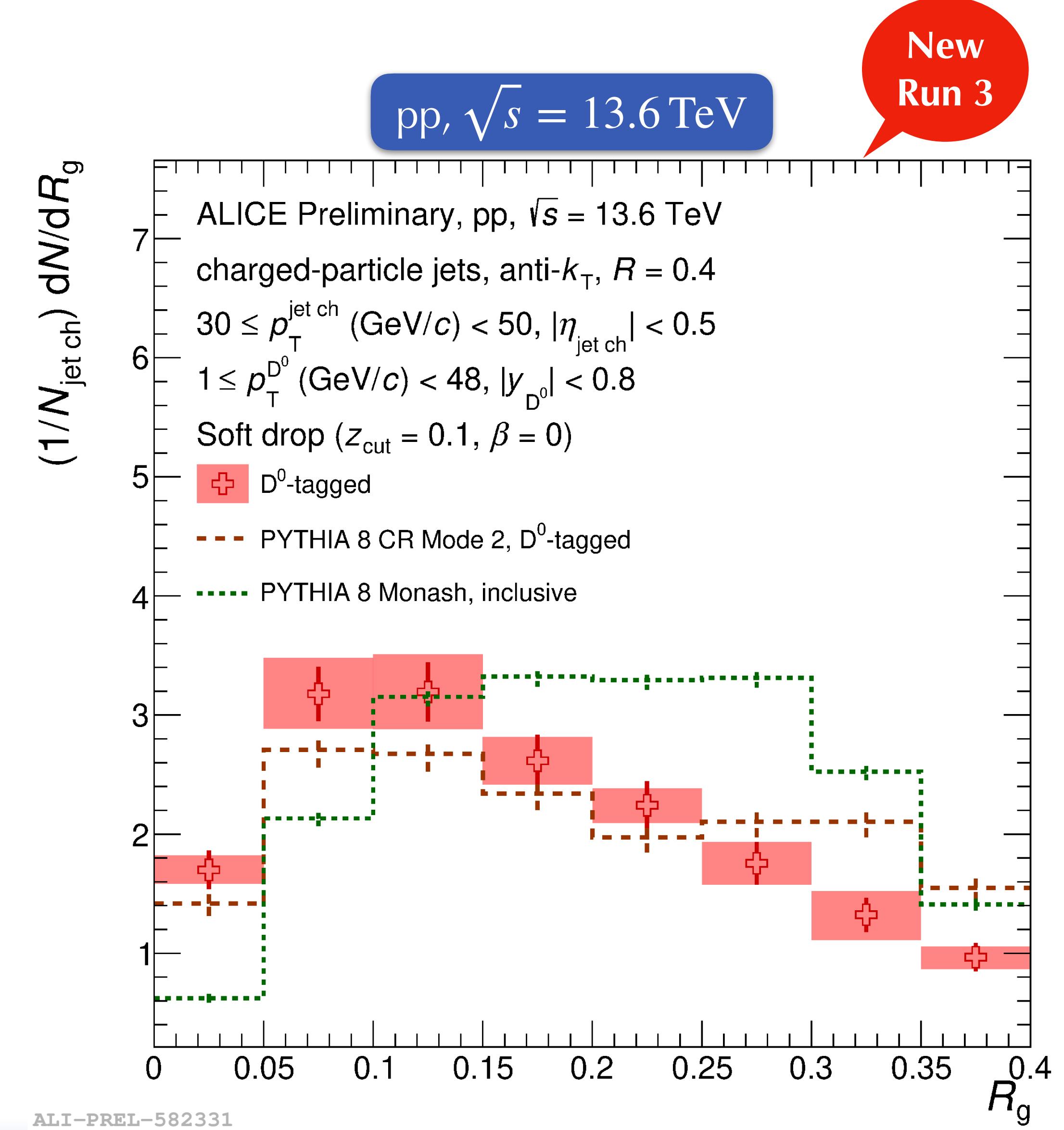
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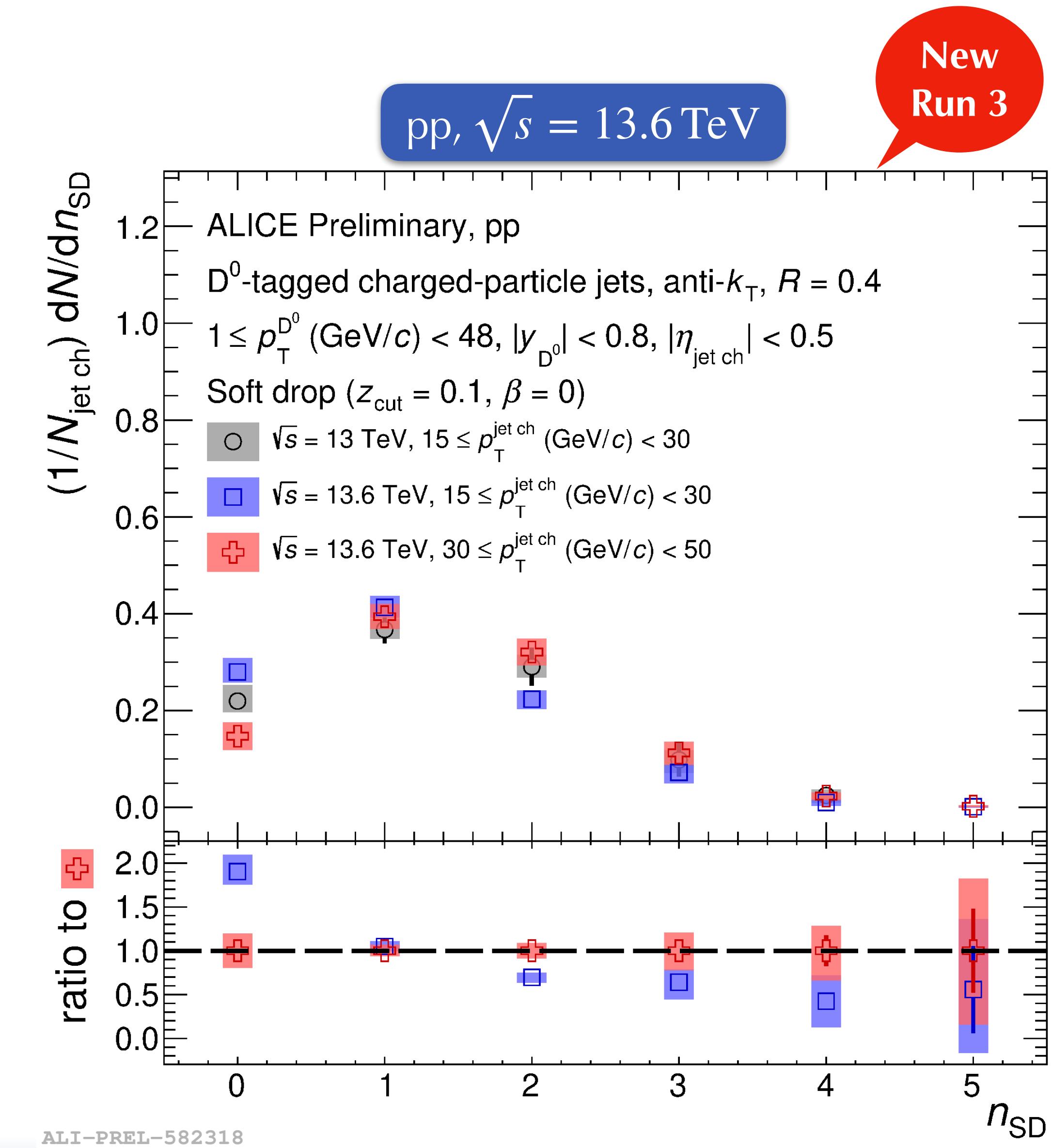
→ Casimir effect

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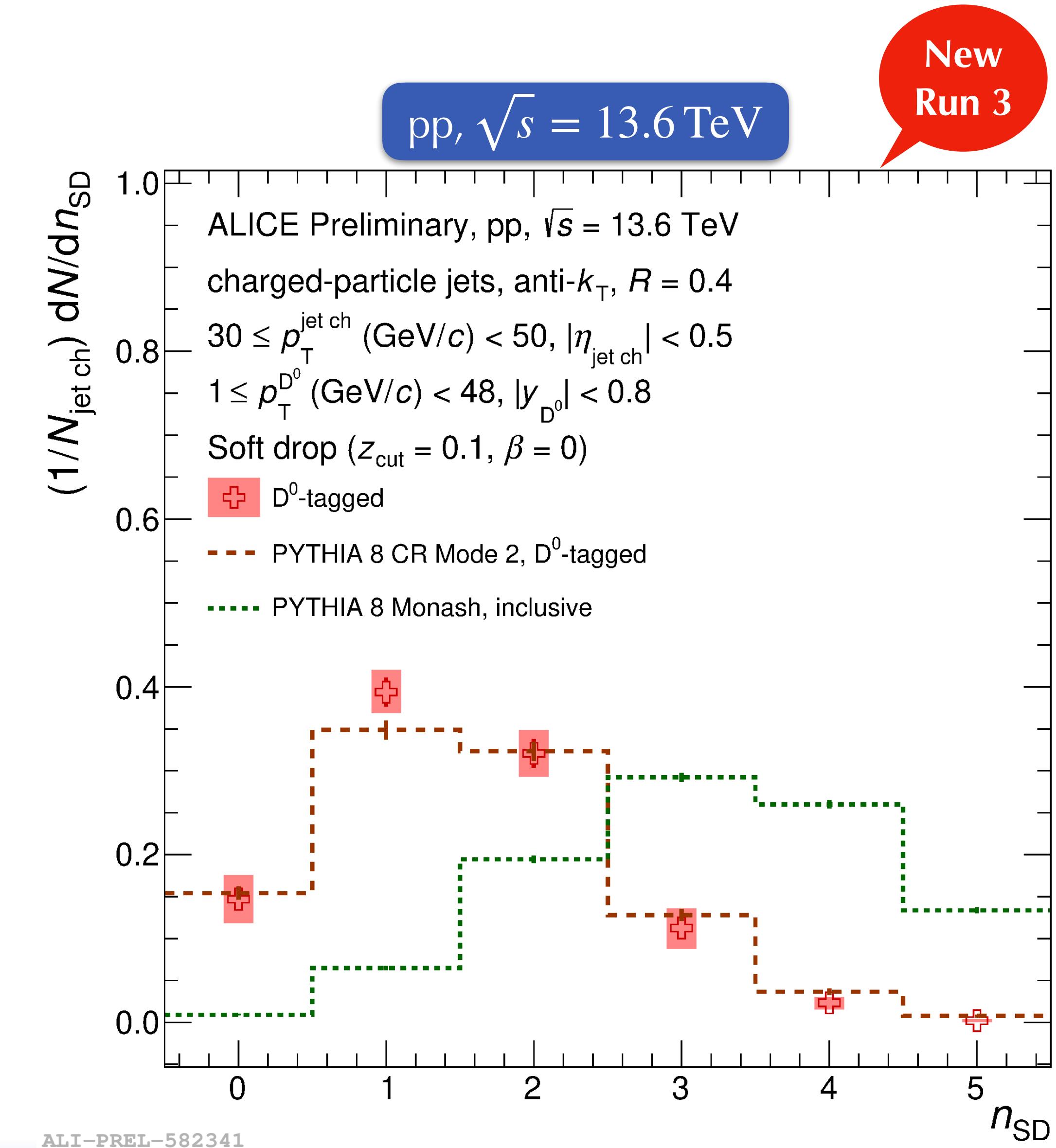
# Number of groomed splittings

- **Number of splittings**  
passing soft drop criterion  $n_{\text{SD}}$ 
  - targets number of perturbative emissions
  - qualitatively probes perturbative part of the fragmentation function
- **D<sup>0</sup> jets**
  - extended kinematic range
  - fewer emissions compared to inclusive  
→ mass effect
  - number of emissions increase with  $p_{\text{T}}^{\text{jet}}$

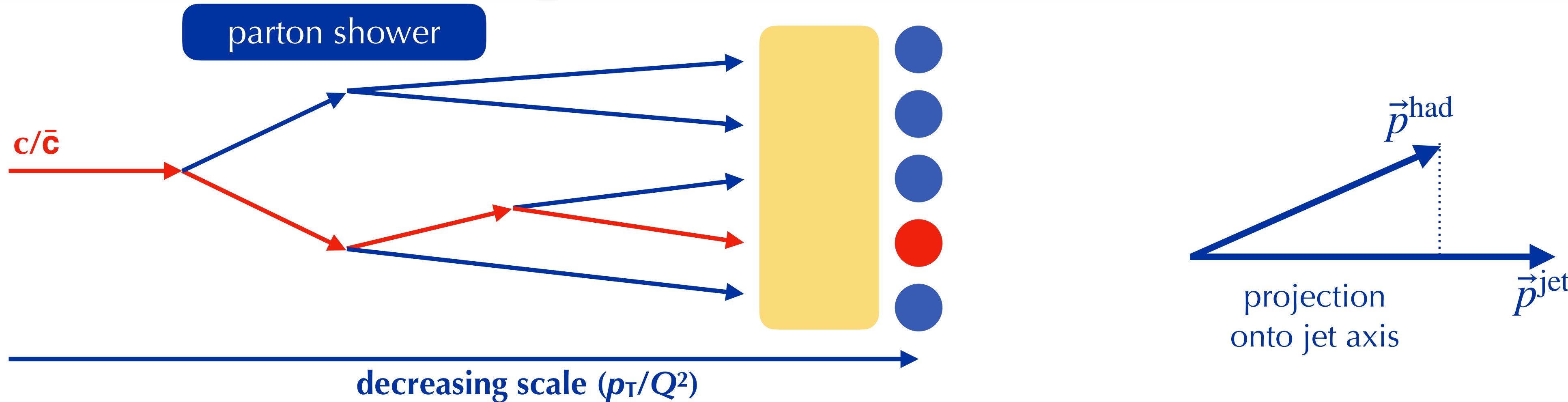


# Number of groomed splittings

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  - number of emissions increase with  $p_{\text{T}}^{\text{jet}}$



# Fragmentation function



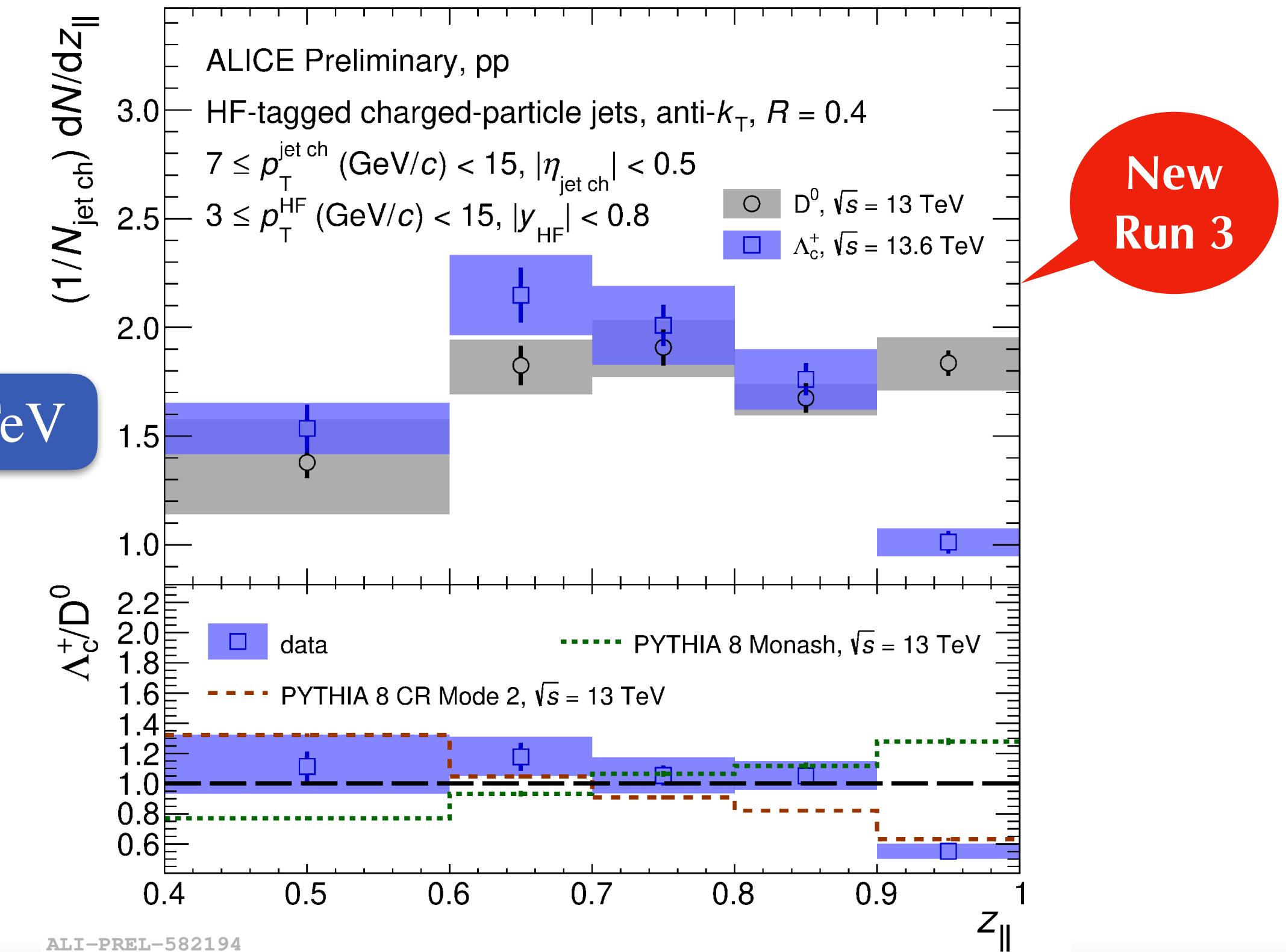
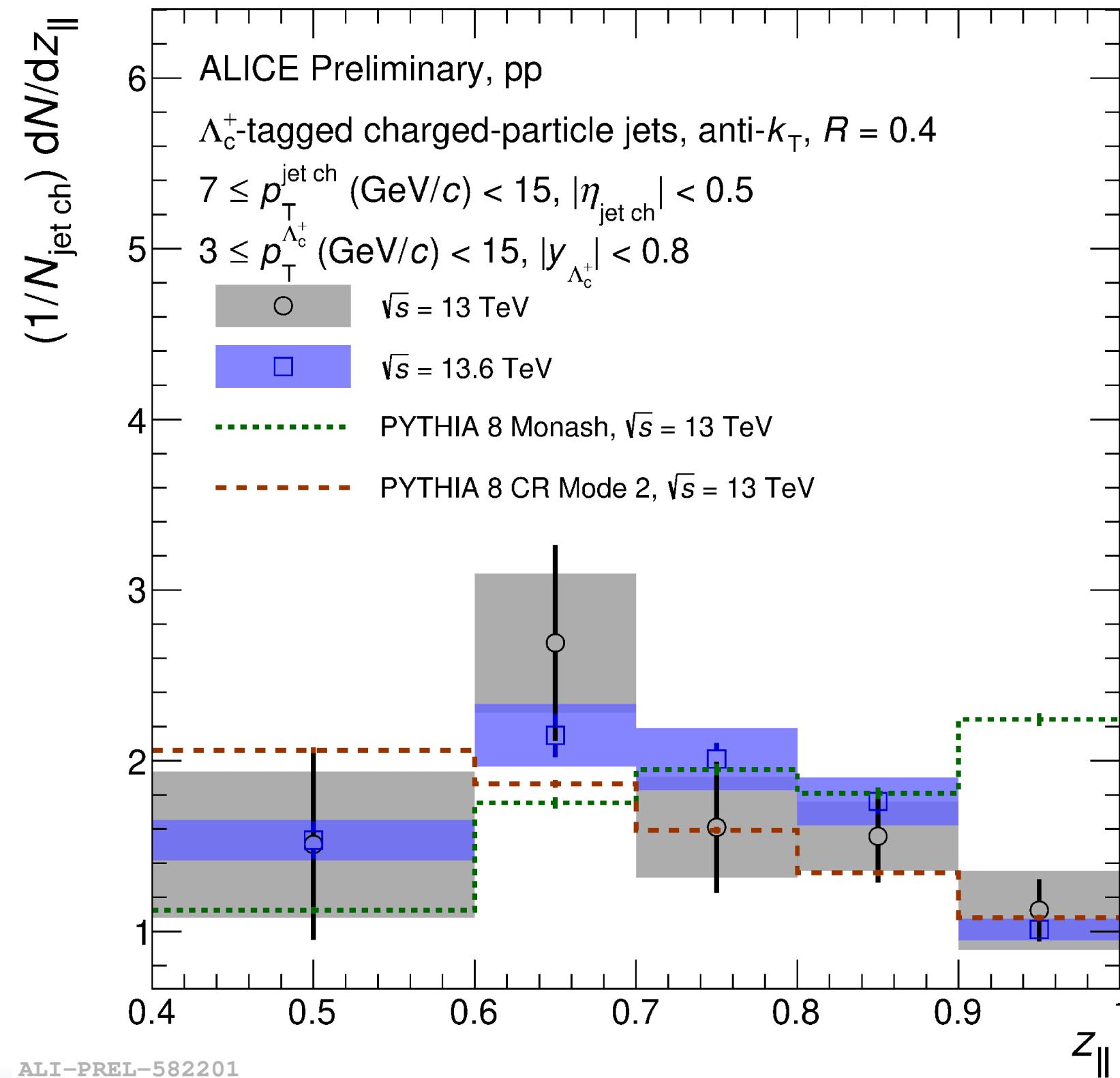
- **Longitudinal momentum fraction** of jet carried by heavy-flavour hadron

$$z_{||} = \frac{\vec{p}^{\text{jet}} \cdot \vec{p}^{\text{had}}}{\vec{p}^{\text{jet}} \cdot \vec{p}^{\text{jet}}}$$

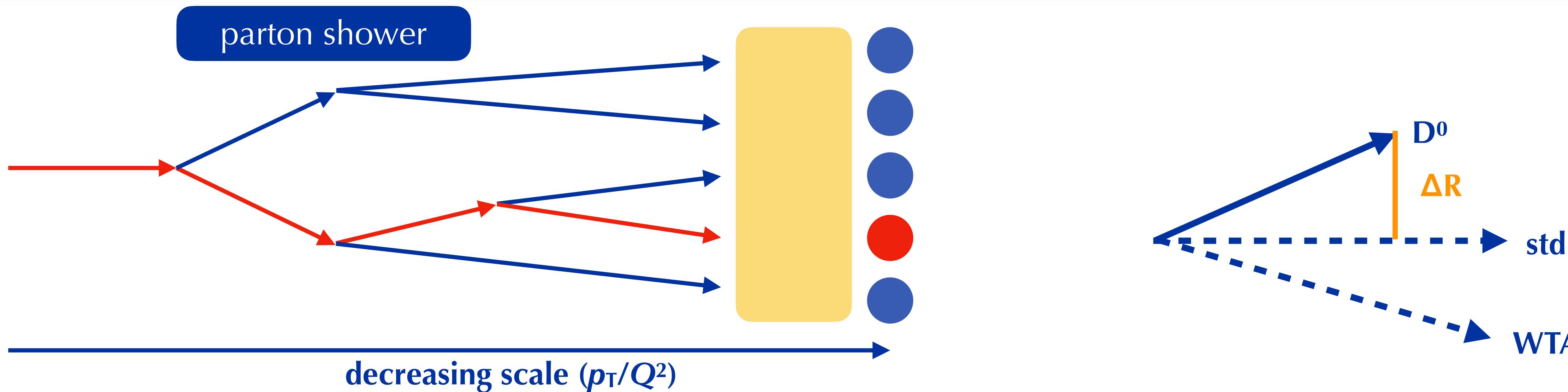
- targets heavy-flavour fragmentation functions
- tests (non-)universality of fragmentation

# Fragmentation function

- $\Lambda_c$  jets
  - improve sensitivity to hadronisation mechanisms
  - possible tension with colour reconnection modes (describing hadron yields)
- Comparison of  $\Lambda_c$  and  $D^0$  jets
  - comparison of baryon and meson
  - tension with models less pronounced



# Jet axes differences



- Radial distance between different axis definitions in jets

$$\Delta R_{\text{axis}} = \sqrt{(\varphi_{\text{axis},1} - \varphi_{\text{axis},2})^2 + (\eta_{\text{axis},1} - \eta_{\text{axis},2})^2}$$

with standard, winner-takes-all, soft drop, D<sup>0</sup> hadron axes

- probes radial structure of jet and fragmentation

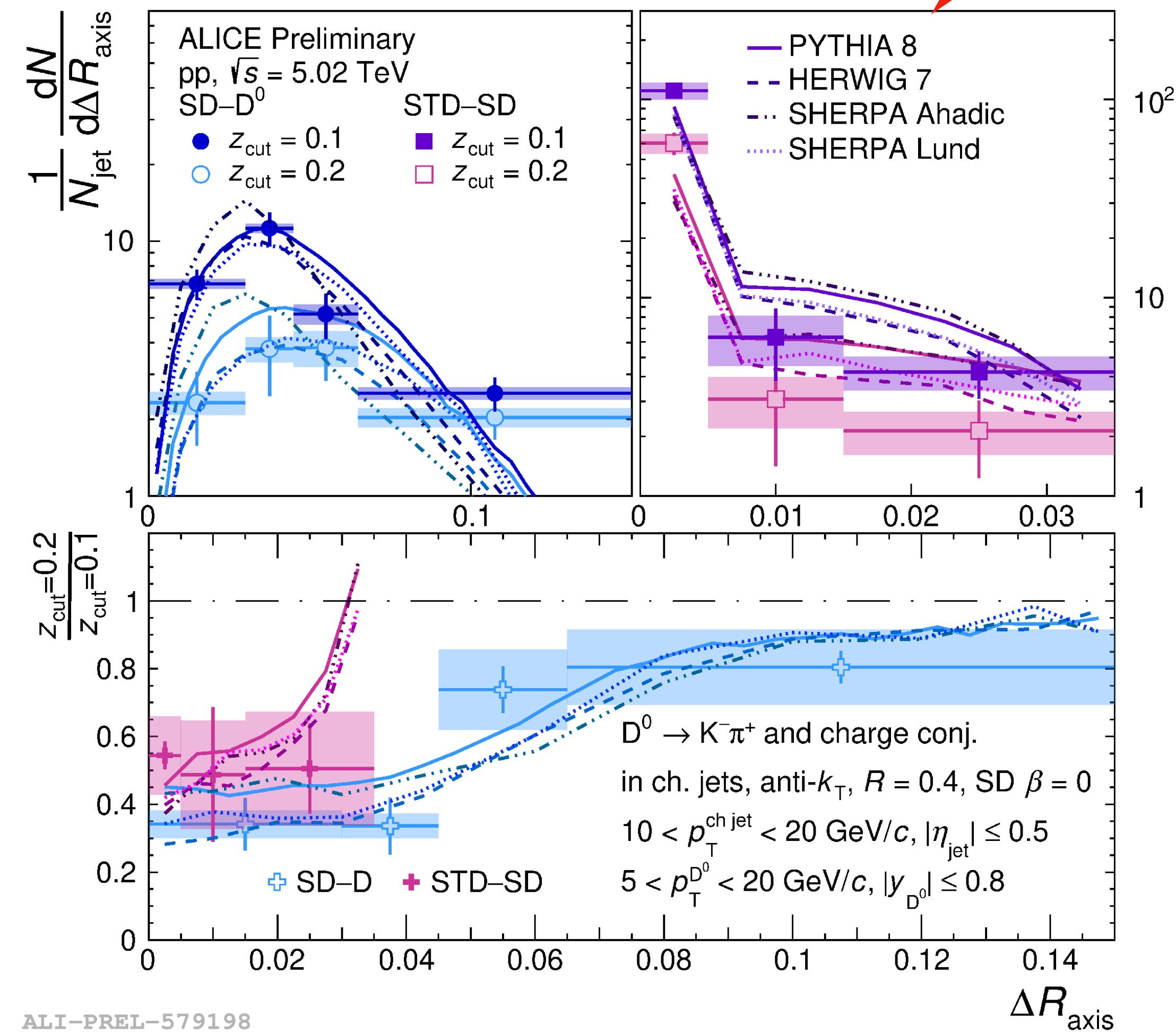
# Jet axes differences

→ E. Yeats  
(poster)

- **Inclusive jets**
  - soft drop and standard axes mostly close for jets surviving grooming
- **$D^0$  jets**
  - $D^0$  adds axis in the core of the jet
  - **$D^0$  and WTA axes aligned**  
 $\Delta R < 0.01$  for  $99\% \pm 1\%$  of the jets
- **Jets with smaller axis differences more suppressed** by soft drop grooming
  - standard and soft drop axes always closer
  - standard and  $D^0$  axes spread farther apart
- **Data described by PYTHIA 8 and SHERPA**  
 (better with Lund fragmentation)

pp,  $\sqrt{s} = 13$  TeV

New



SHERPA: [SciPost Phys., 7(3):034, 2019, JHEP, 05:026, 2006]

HERWIG: [arXiv:0803.0883, Eur.Phys.J. C76 (2016) no.4, 196]

PYTHIA: [arXiv:2203.11601, arXiv:1404.5630, arXiv:1505.01681]

# Conclusions & Outlook

- Heavy-flavour jets give access to **colour and mass effects** with multitude of techniques
  - energy-energy correlators
  - soft groomed substructure observables
  - longitudinal momentum fractions
  - jet axes
- **Great potential of Run 3 data** demonstrated by new measurements
- **Extension of kinematic reach and observables** with improved Run 3 performance ongoing

*Thank you  
for your attention!*