

New toy model simulation for elucidating the parton energy loss mechanism depending on path-length within the quark-gluon plasma medium

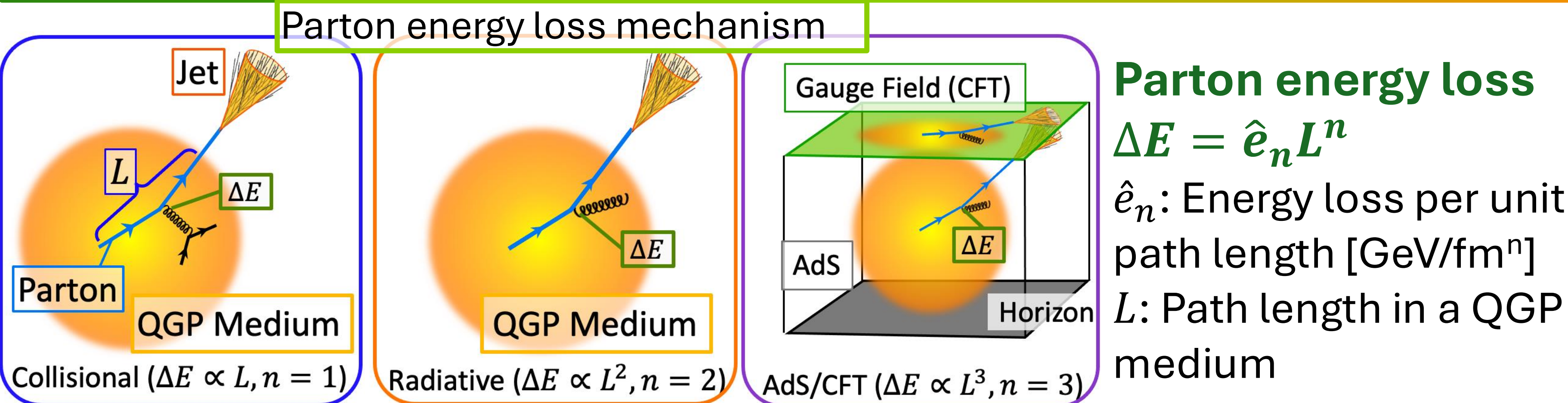
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1. Purpose

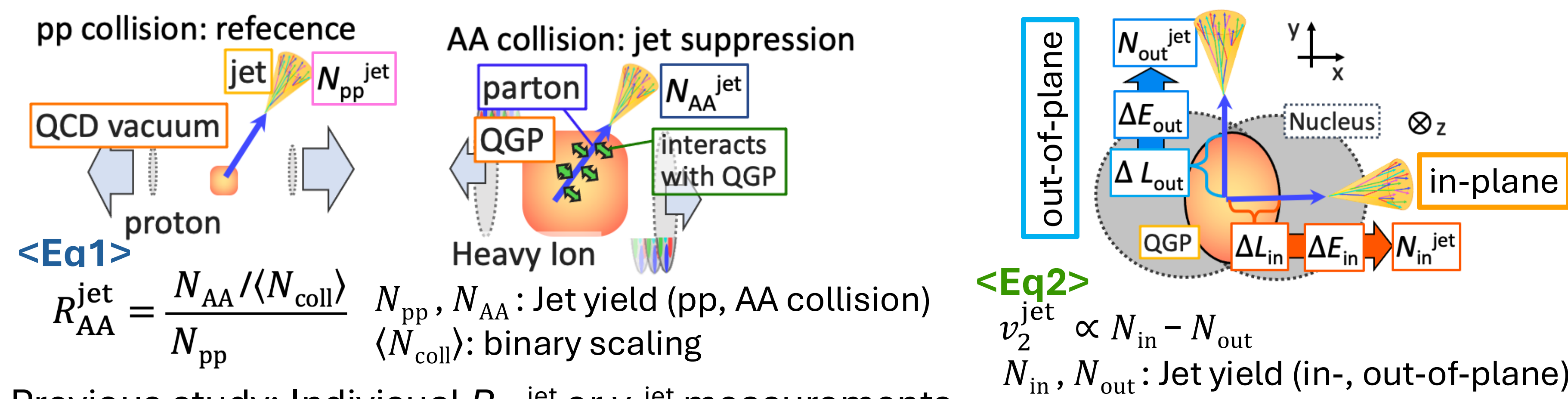
Clarifying the mechanism of parton energy loss in the Quark-Gluon Plasma (QGP)



2. Background

The QGP cannot be observed directly due to its tiny size and short lifetime.
 → Observe high-momentum **parton** passing through in a QGP medium
 → Information on an energy that a parton lost by interaction with the QGP medium allows to study **properties of the QGP** and **interaction between the QGP and a parton**.

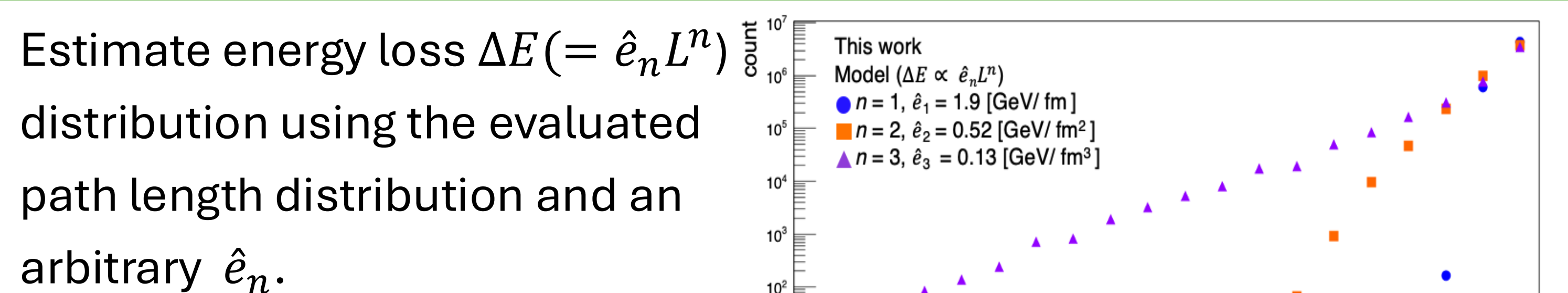
Parton is reconstructed as a collimated hadrons flux (**Jet**)
 → Parton energy loss is observed as jet yield suppression
 - Measurements: **Nuclear modification factor (R_{AA}^{jet})**, **Azimuthal anisotropy (v_2^{jet})**



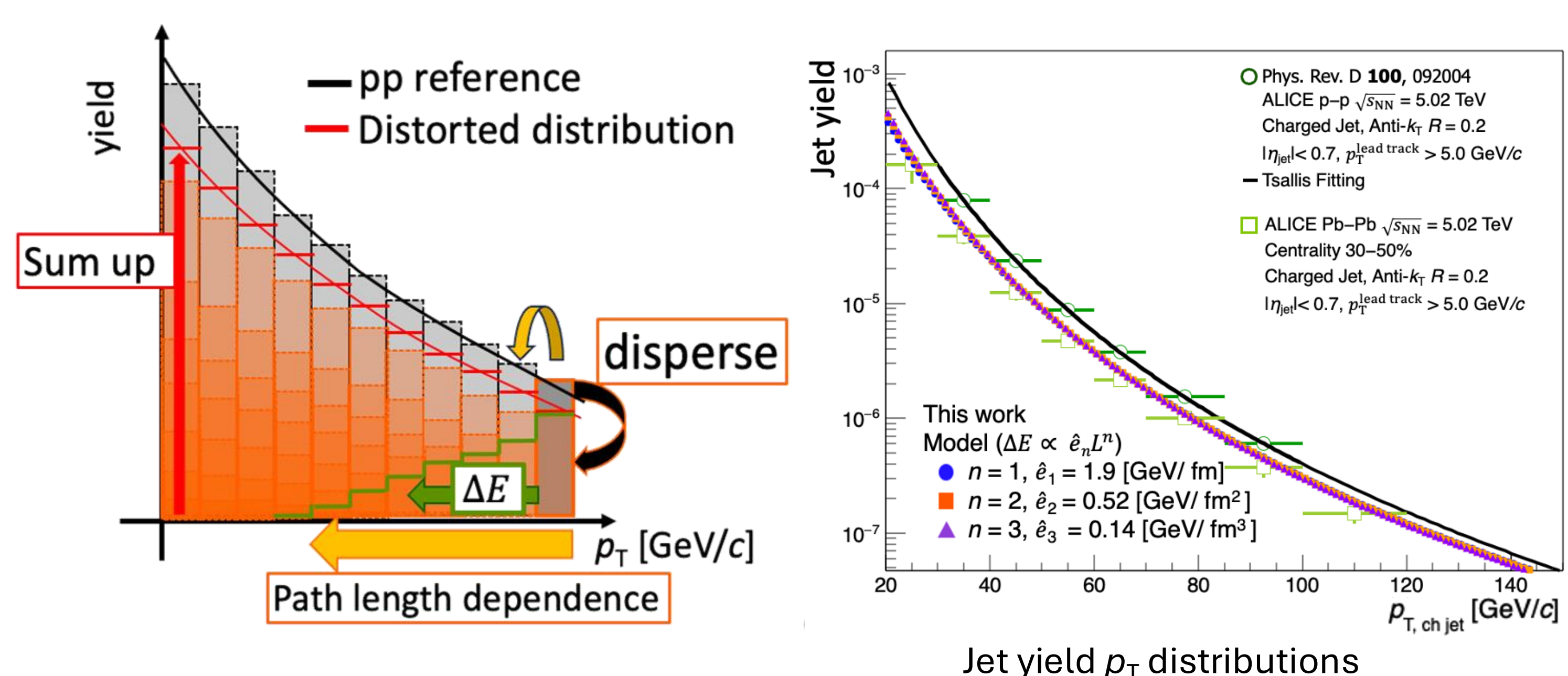
Previous study: Individual R_{AA}^{jet} or v_2^{jet} measurements
 ✓ Jet suppression, ✓ Pass length dependency of the jet suppression
 ✗ The parton energy loss mechanism

Developed a toy simulation in this study
 + Use the both results of the R_{AA}^{jet} and v_2^{jet} measured under the same conditions
 → Quantify the parameters (\hat{e}_n, n) of the parton energy loss $\Delta E = \hat{e}_n L^n$

4. Jet's Yield p_T Distributions (Step 5-7)



By dispersing each p_T bin value of the jet yield distribution according to the ΔE distribution, the suppressed jet yield distributions are obtained.



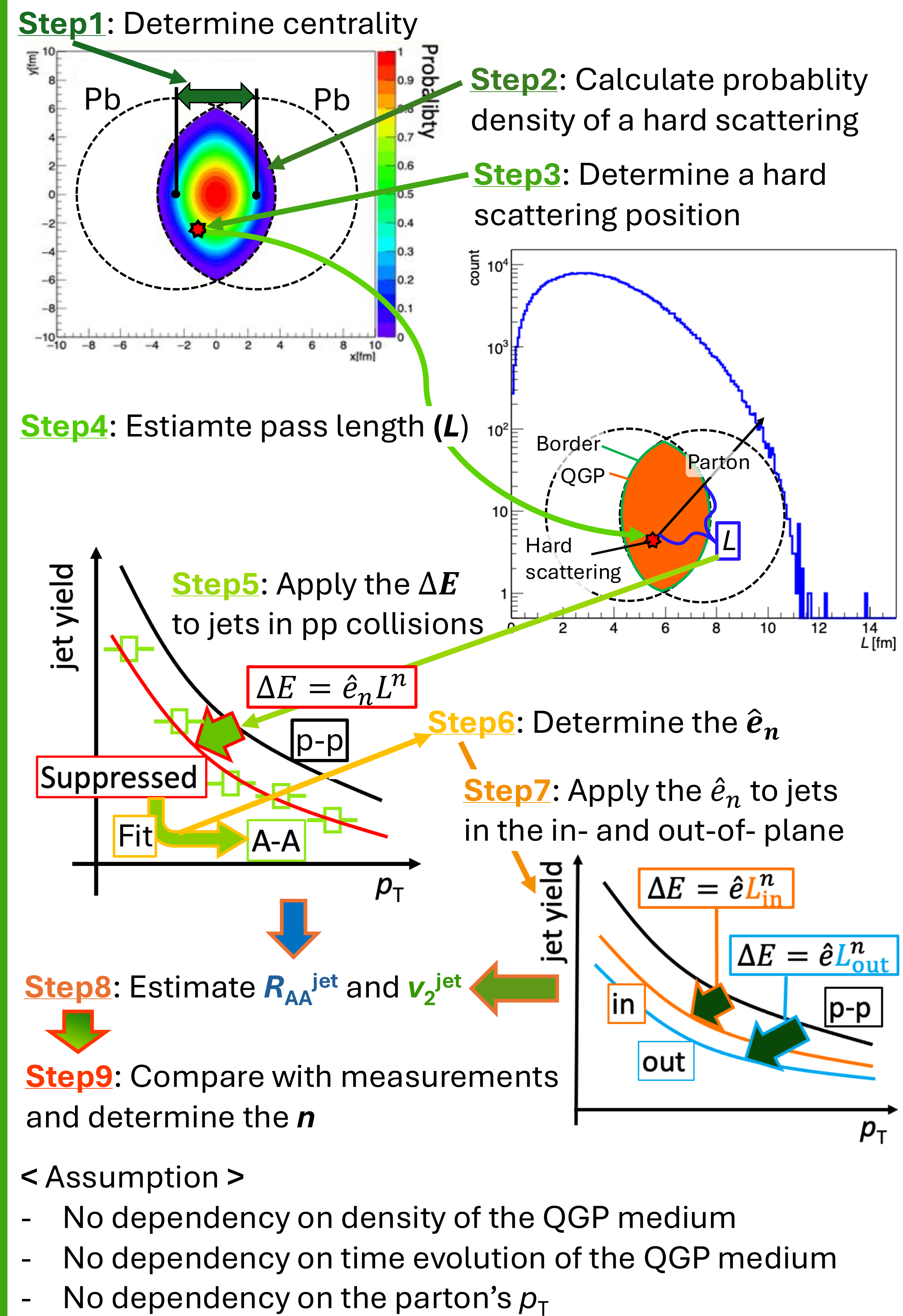
Determine the \hat{e}_n to match the suppressed distribution with the measured jet yield distribution in heavy-ion collisions.

Apply the determined \hat{e}_n to the L distributions in the **in-/out-of-plane**, and obtain p_T distributions for both regions.

6. Conclusion

- Developed new parton energy loss simulation using both R_{AA}^{jet} and v_2^{jet} under the same conditions.
- Only the $n = 1$ model is consistent with the measurements for both R_{AA}^{jet} and v_2^{jet} , and it determined the energy loss parameter $\hat{e}_1 = 1.9$ [GeV/fm].

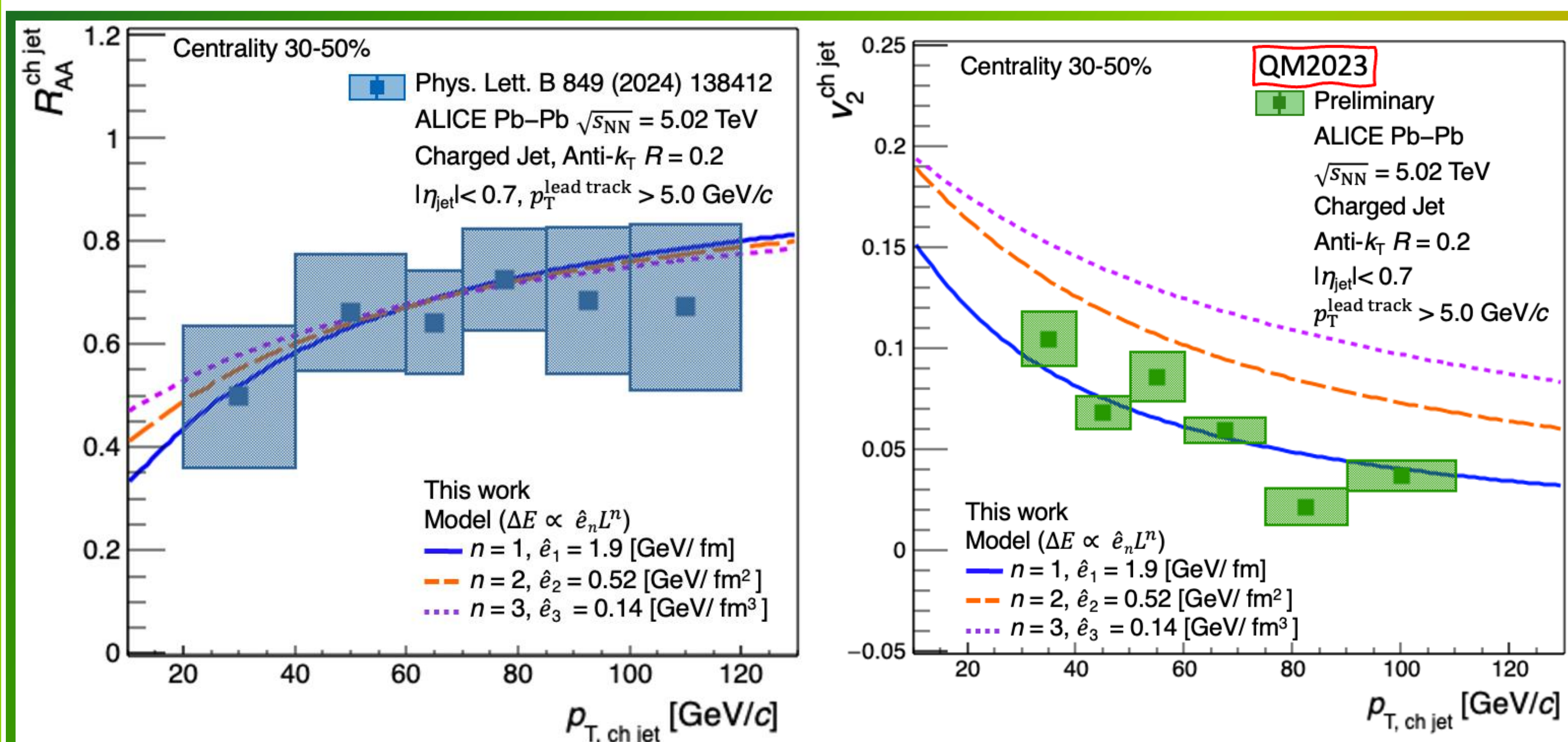
3. Toy Model Simulation Algorithm



5. Results

The \hat{e}_n values determined by the Step6.
 $\hat{e}_1 = 1.9$ [GeV/fm], $\hat{e}_2 = 0.52$ [GeV/fm²], $\hat{e}_3 = 0.14$ [GeV/fm³]

Left Fig: R_{AA}^{jet} is obtained by the Eq1 using jet yield distributions of the Step5.
 Right Fig: v_2^{jet} is obtained by the Eq2 using jet yield distributions of the Step7.



	$n = 1$	$n = 2$	$n = 3$
$\chi^2 (R_{AA}^{jet})$	0.29	0.31	0.52
$\chi^2 (v_2^{jet})$	2.9	31	72

$\chi^2 = \sum_i \frac{(Obs_i - Sim)^2}{(\sigma_{data,i})^2} / NDF$
 Obs_i: Observed value, Sim: Simulation value
 $\sigma_{data,i}$: Uncertainty of measurement
 NDF = (# of p_T bin) - (Free parameter: \hat{e}_n) = 5
 Significance level 0.05: $\chi^2(5) < 11$

- R_{AA}^{jet} : All simulations are consistent with the measurement.
- v_2^{jet} : Only $n = 1$ model is consistent with the measurement.

7. Outlook

- Compare different centrality measurements
- Compare different experiments (ex. ATLAS, sPHENIX)
- Compare different simulation (ex. JETSCAPE)