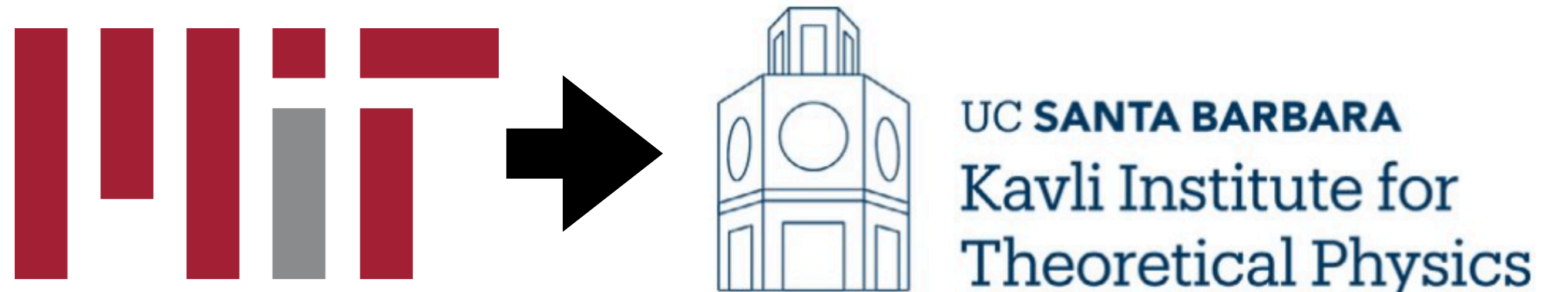


Quarkonium Suppression in Strongly Coupled Plasmas

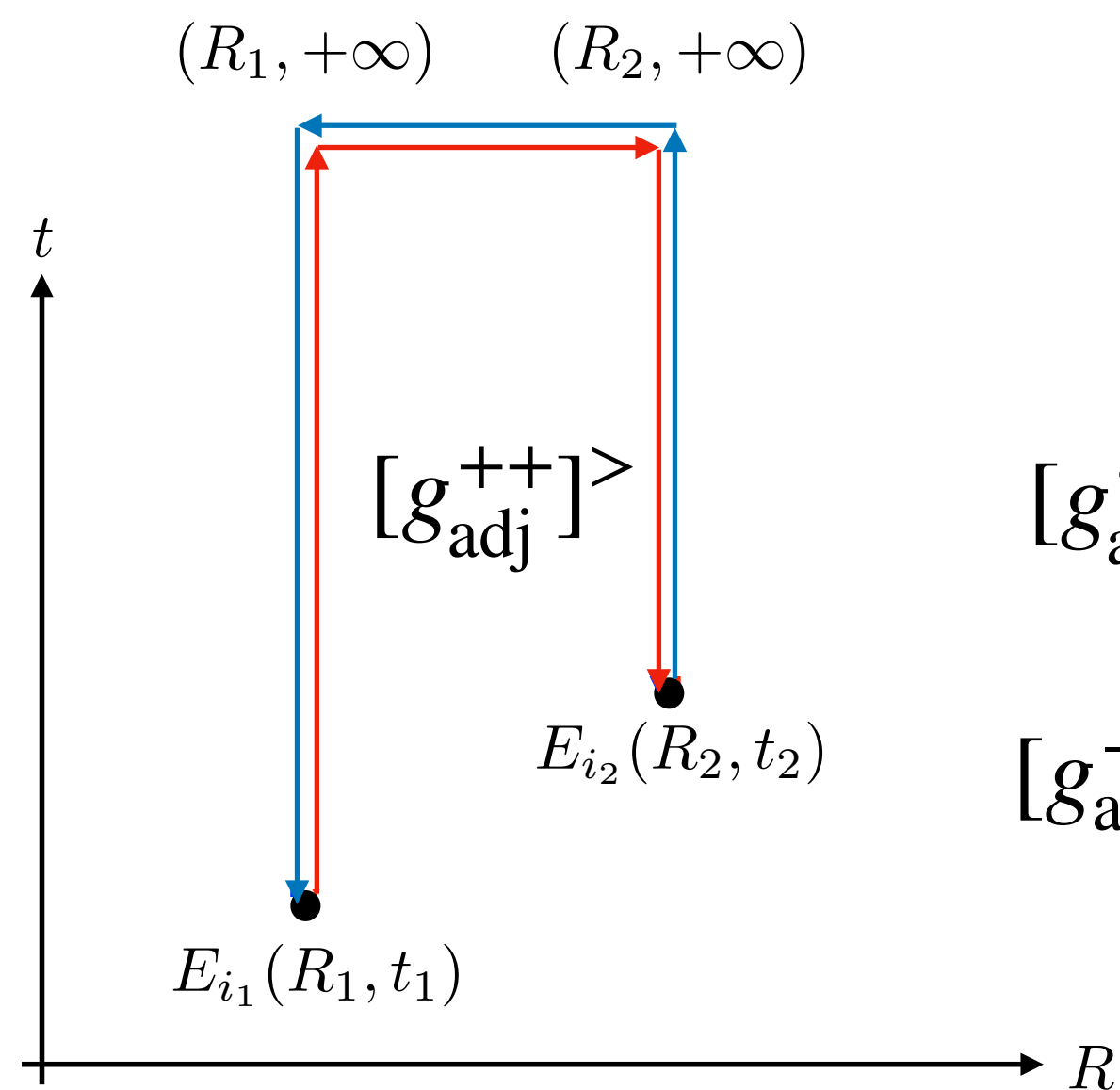
12th International Conference on Hard and Electromagnetic Probes of High-Energy Nuclear Collisions, Nagasaki, Japan
September 27, 2024

Bruno Scheiing Hitschfeld
based on 2304.03298,
2306.13127, 2310.09325



**What properties of QGP does
quarkonium probe?**

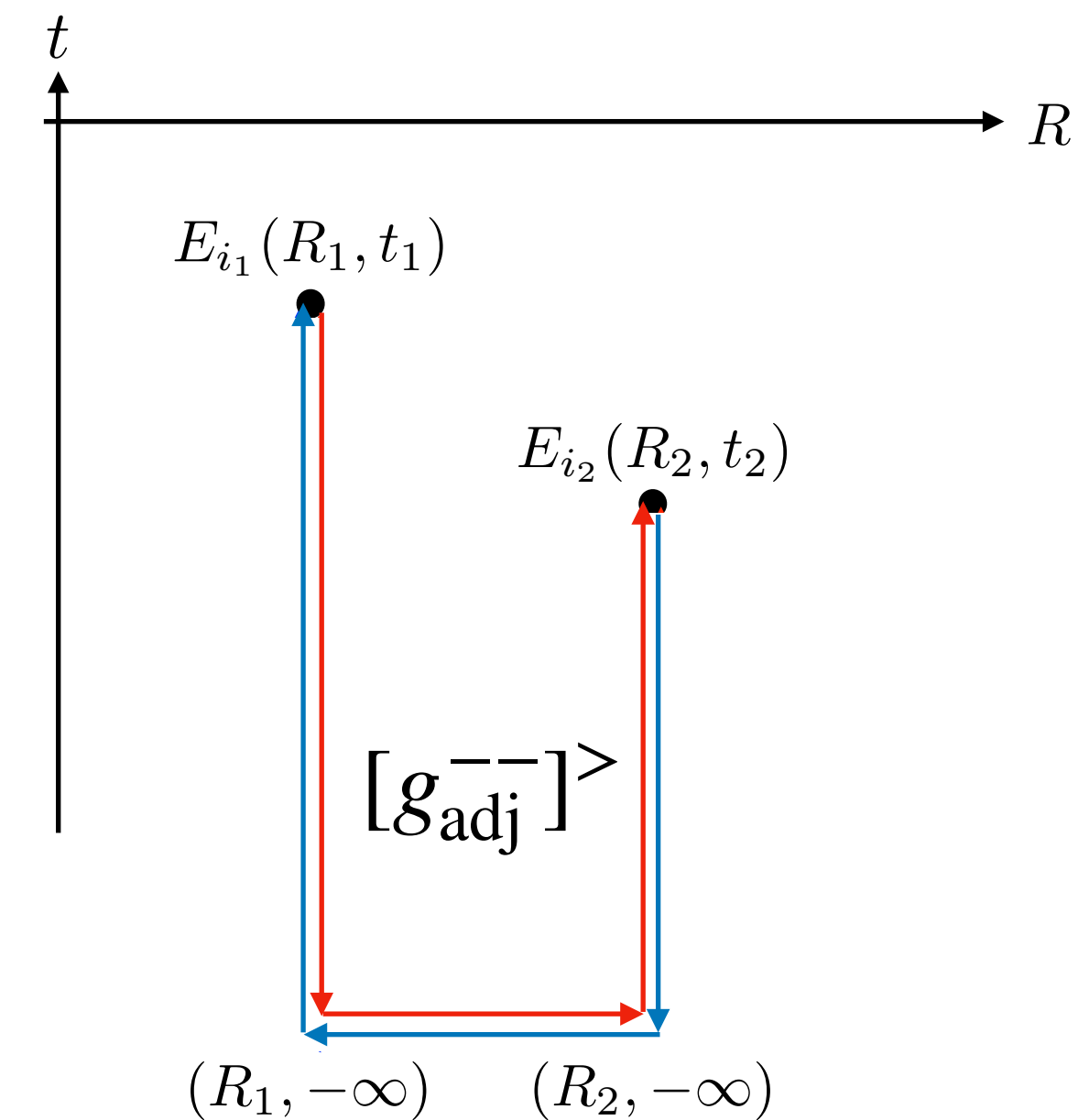
What properties of QGP does quarkonium probe?



Answer in Xiaojun Yao's talk (14:50 Wed):

$$[g_{\text{adj}}^{+++}]_{i_2 i_1}^>(t_2, t_1, \mathbf{R}_2, \mathbf{R}_1) = \langle (E_{i_2}(\mathbf{R}_2, t_2) \mathcal{W}_2)^a (\mathcal{W}_1 E_{i_1}(\mathbf{R}_1, t_1))^a \rangle_T$$

$$[g_{\text{adj}}^{---}]_{i_2 i_1}^>(t_2, t_1, \mathbf{R}_2, \mathbf{R}_1) = \langle (\mathcal{W}_2' E_{i_2}(\mathbf{R}_2, t_2))^a (E_{i_1}(\mathbf{R}_1, t_1) \mathcal{W}_1')^a \rangle_T$$



Transport descriptions of quarkonia

connecting first-principles theory with physical phenomena

- So far, transport descriptions that incorporate these correlators explicitly make simplifying assumptions that make the dynamics of quarkonium “Markovian” (no memory effects). For example:

- The **Quantum Brownian motion limit** assumes $T \gg |\Delta E|$, with ΔE the energy gap between different quarkonium states. In this way, it is assumed that QGP relaxes quickly back to local equilibrium relative to the time scales of quarkonium.

$$\frac{d\rho}{dt} = \mathcal{L}[\rho(t)]$$

- The **Quantum Optical limit** assumes a semiclassical description where QGP is made of quasiparticles. In this way, transitions at different times become decorrelated.

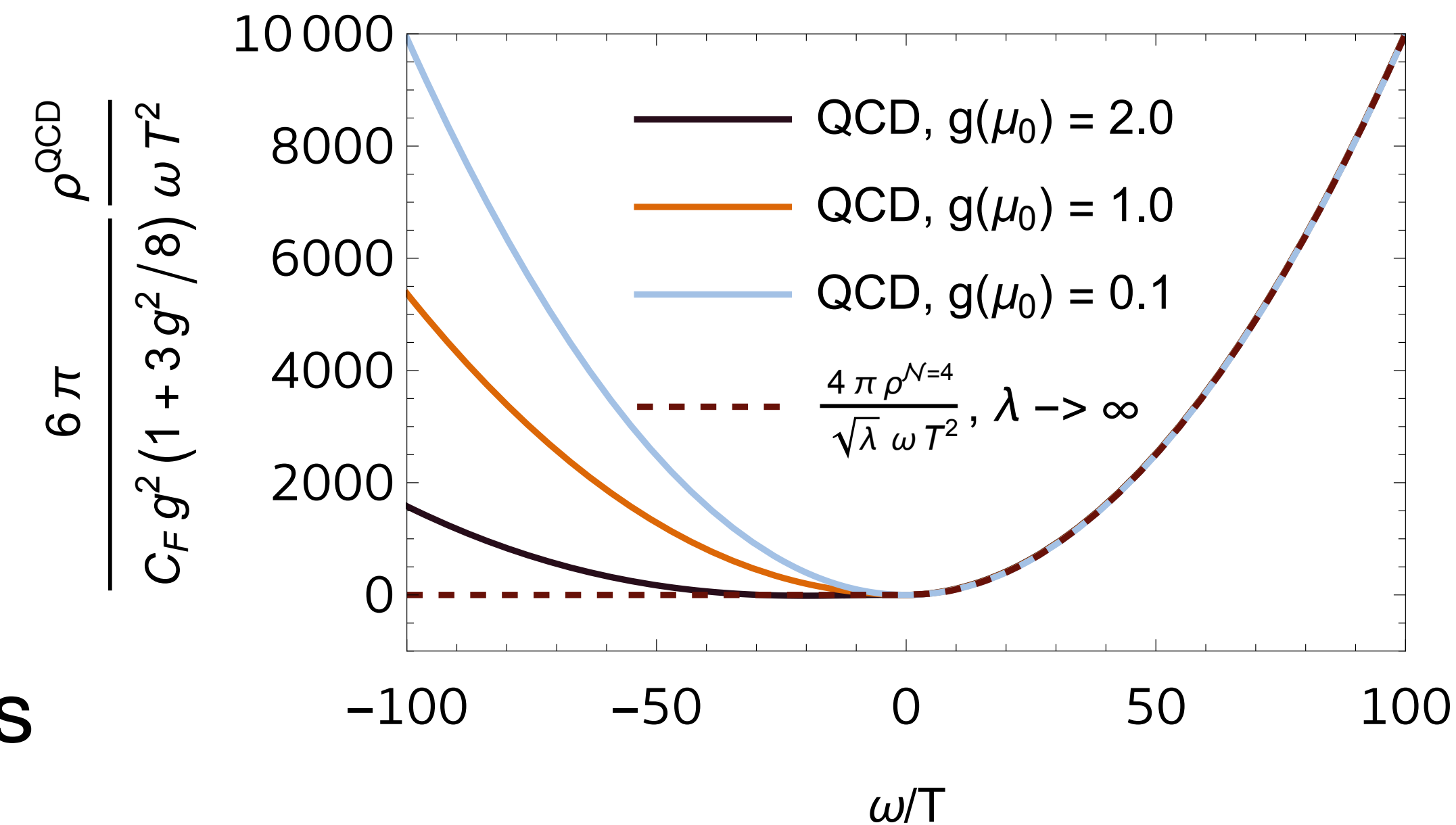
$$\frac{Df}{dt} = \mathcal{C}[f(t)]$$

- Do these assumptions capture the physics of QGP in HICs?

Comparing with a strongly coupled case

how doing calculations in $\mathcal{N} = 4$ SYM helps

- Calculating real time correlation functions in QCD at strong coupling is challenging. A lattice QCD calculation will help! [2306.13127 w/ X. Yao]
- We can gain intuition for what *can* happen by exploring other theories in which calculations are easier. For example, in $\mathcal{N} = 4$ SYM.
- With G. Nijs and X. Yao [2304.03298, 2310.09325] we did this calculation and showed that:
 - The results are qualitatively consistent with an extrapolation from weakly coupled QCD, and
 - the strongly coupled result directly challenges the assumptions of the previously mentioned transport descriptions.



Comparing with a strongly coupled case

how doing calculations in $\mathcal{N} = 4$ SYM helps

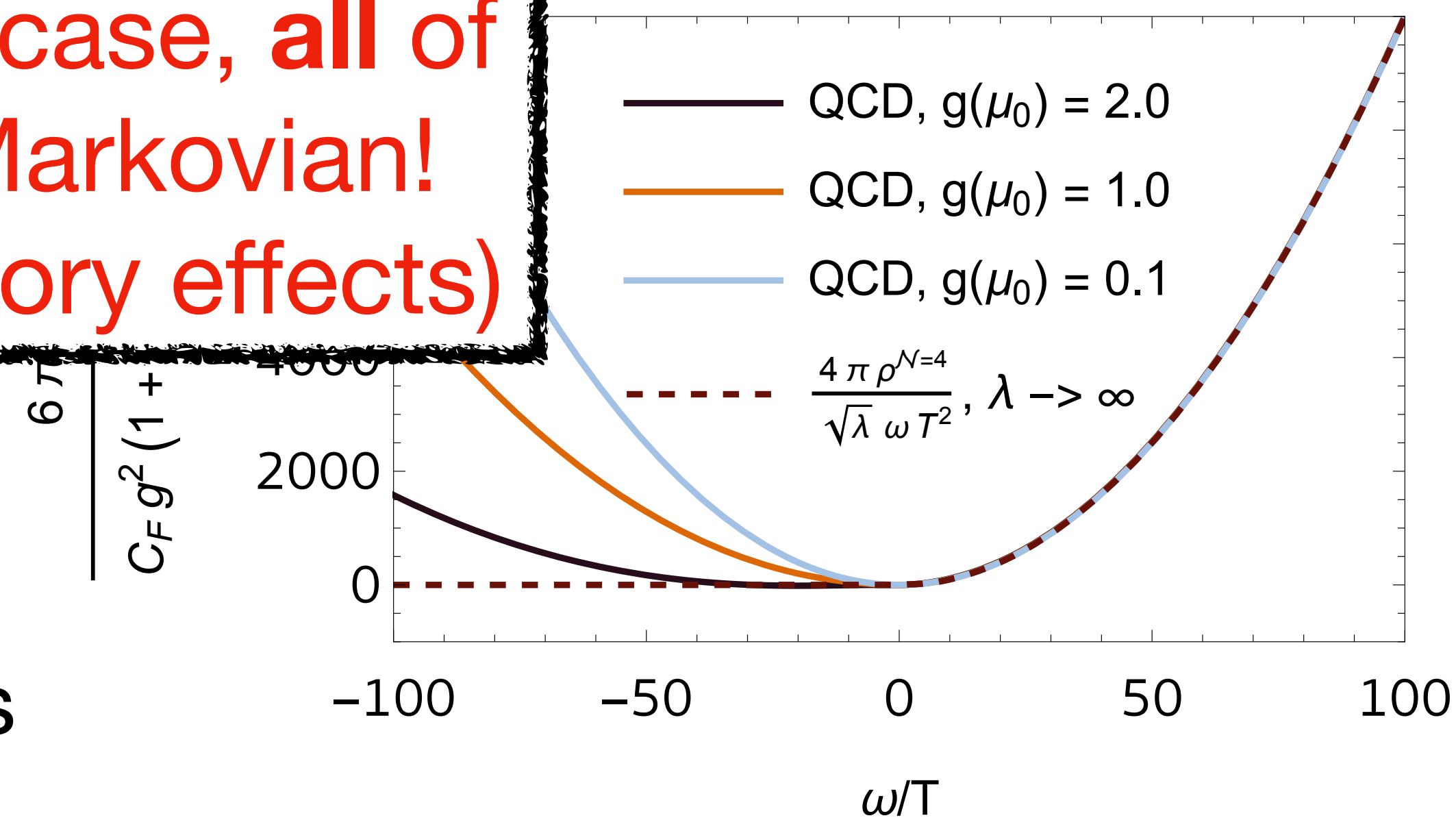
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In the strongly coupled case, all of the dynamics is non-Markovian! (i.e., it is driven by memory effects)

- With G. Nijs and X. [2310.09325] we did showed that:

- The results are qualitatively consistent with an extrapolation from weakly coupled QCD, and

- the strongly coupled result directly challenges the assumptions of the previously mentioned transport descriptions.



Comparing weakly and strongly coupled picture

how our theoretical expectation changes

- A comparison using the existing transport formalisms is impossible, as they completely ignore memory effects.
- In absence of a fully developed transport formalism, back to open quantum systems basics:

$$\rho_{Q\bar{Q}}(t) = \text{Tr}_{\text{QGP}} \left[U(t) \rho_{\text{tot}}(t=0) U^\dagger(t) \right] .$$

- From here, in time-dependent perturbation theory:

$$\langle nl | \rho_{Q\bar{Q}}(t_f) | nl \rangle = \int_{t_i}^{t_f} dt_1 \int_{t_i}^{t_f} dt_2 [g_{\text{adj}}^-]^\triangleright(t_2, t_1) \langle nl | U_{[t_f, t_1]}^{\text{singlet}} r_i U_{[t_1, t_i]}^{\text{octet}} | \psi_0 \rangle \left(\langle nl | U_{[t_f, t_2]}^{\text{singlet}} r_i U_{[t_2, t_i]}^{\text{octet}} | \psi_0 \rangle \right)^\dagger$$

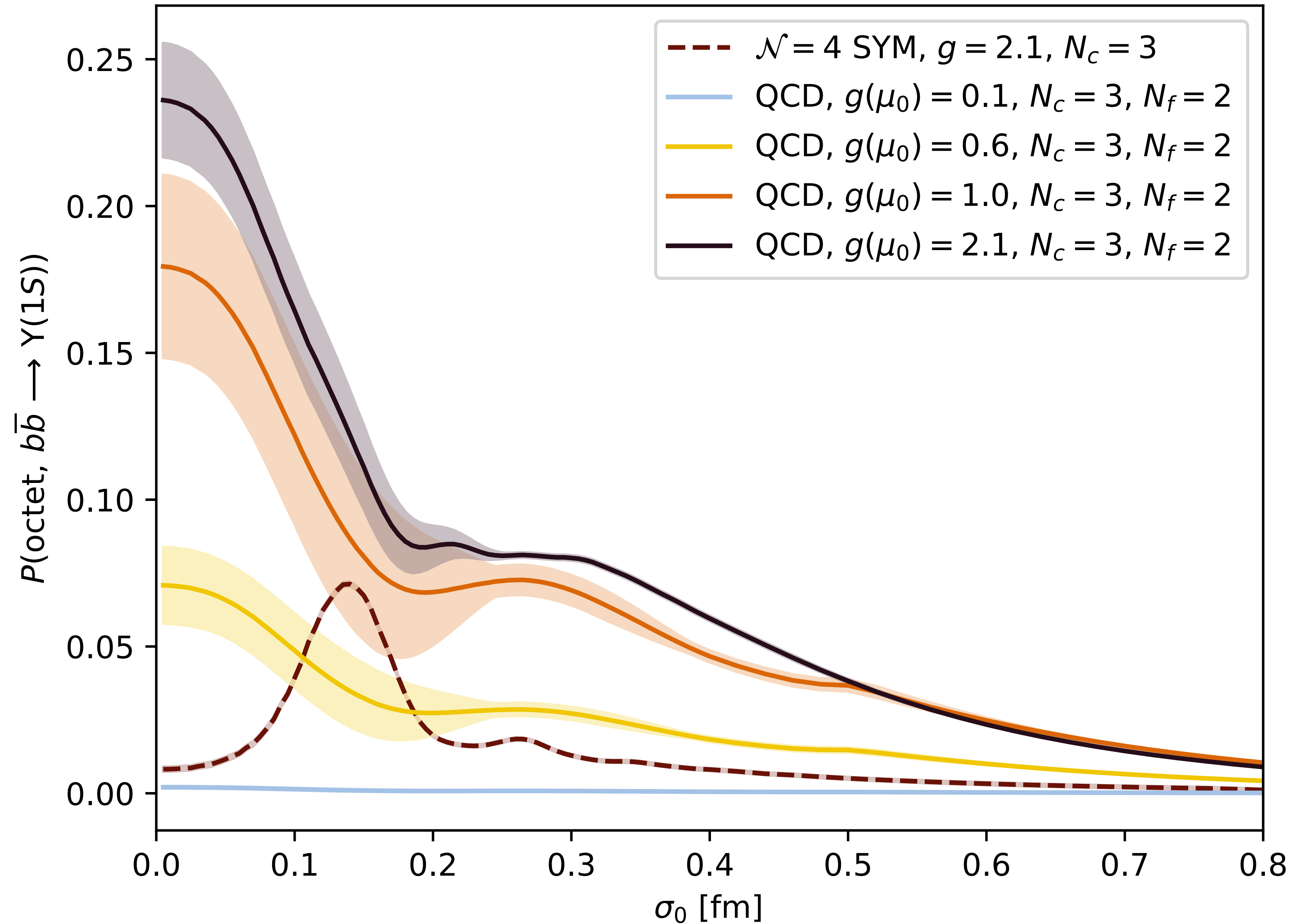
Quarkonium regeneration

weak vs strong coupling

- Big difference in the magnitude of quarkonium regeneration in the two cases!

⇒ To interpret data in terms of QCD properties, assumptions about transport need to be relaxed.

Regeneration probability $Y(1S)$, Bjorken flow



Outlook

the road ahead

- A lattice QCD calculation of

$$G_{\text{adj}}(\tau) = \frac{T_F g^2}{3N_c} \langle E_i^a(\tau) \mathcal{W}^{ab}(\tau, 0) E_i^b(0) \rangle_T$$

can help enormously to determine whether Markovian or non-Markovian effects give the dominant contribution to regeneration/dissociation.

- For the most likely case, where things will be somewhere in between:
 - A transport description that incorporates non-Markovian effects is needed to interpret data in terms of microscopic descriptions.

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Stay tuned!