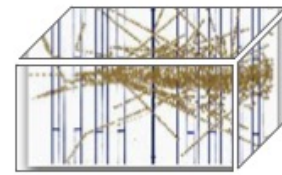


This work was supported by U.S. – Japan Science Cooperation Program in High Energy Physics.



**CALOR 2024**  
Tsukuba

# Development of High-Granularity Dual-Readout Calorimetry with psec Timing

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 **Fermilab**

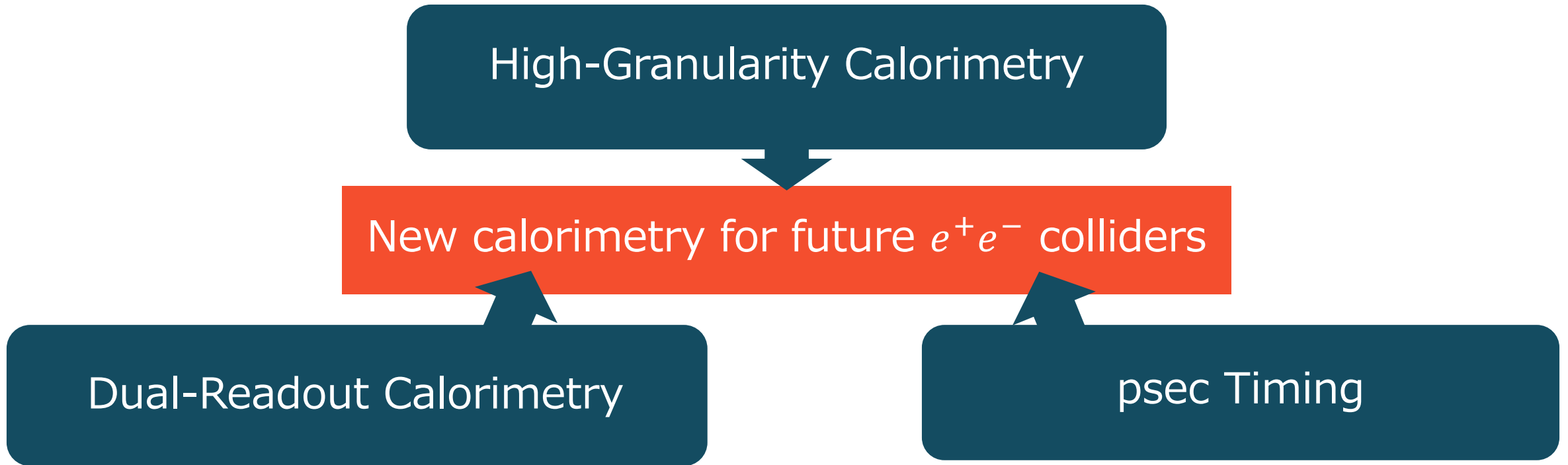
 **KEK**



# Outline

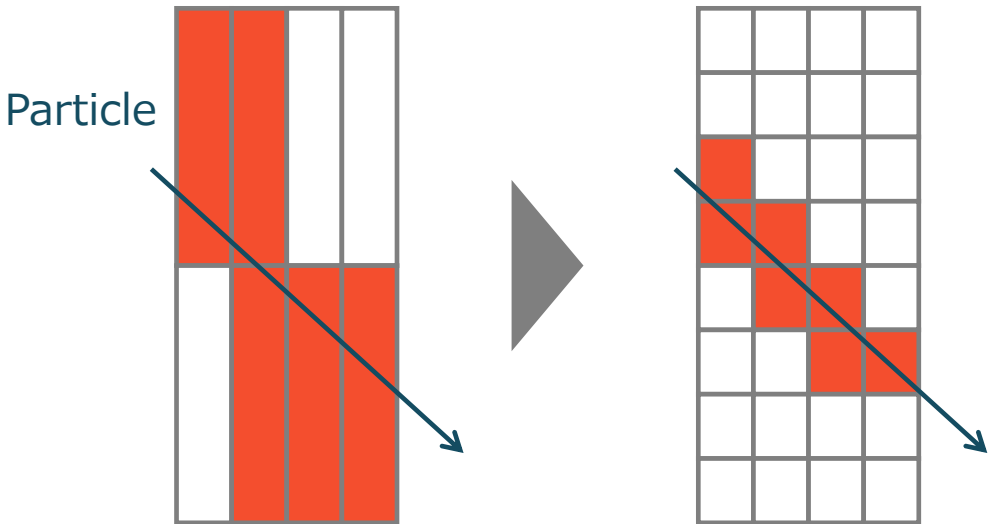
- ◆ Concept
- ◆ Performance Evaluation by Simulation
- ◆ Scintillation Detector Development
- ◆ Cherenkov Detector Development
- ◆ Summary and Prospect

# Concept

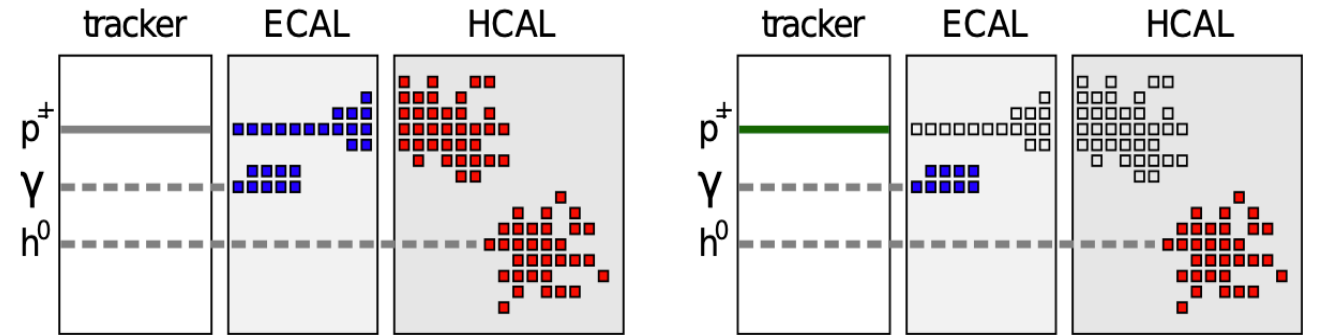


# High-Granularity

## Highly Granular calorimeter



## Particle Flow Algorithm



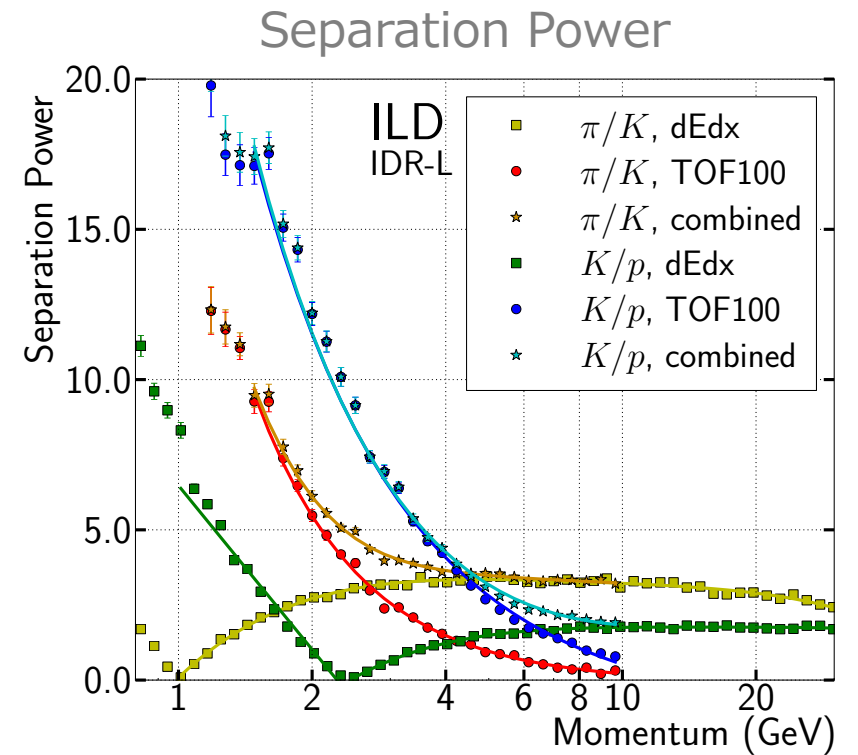
$$E = E_{\text{ECAL}} + E_{\text{HCAL}} = E_{\text{tracker}} + E_{\text{ECAL}} + E_{\text{HCAL}}$$

[https://www.desy.de/~ohartbri/TOP/thesis\\_oskar\\_master.pdf](https://www.desy.de/~ohartbri/TOP/thesis_oskar_master.pdf)

- **High granularity** for identifying particles and their track to execute Particle Flow Algorithm (PFA).
- Measurement with best suited detectors depending on particle types.

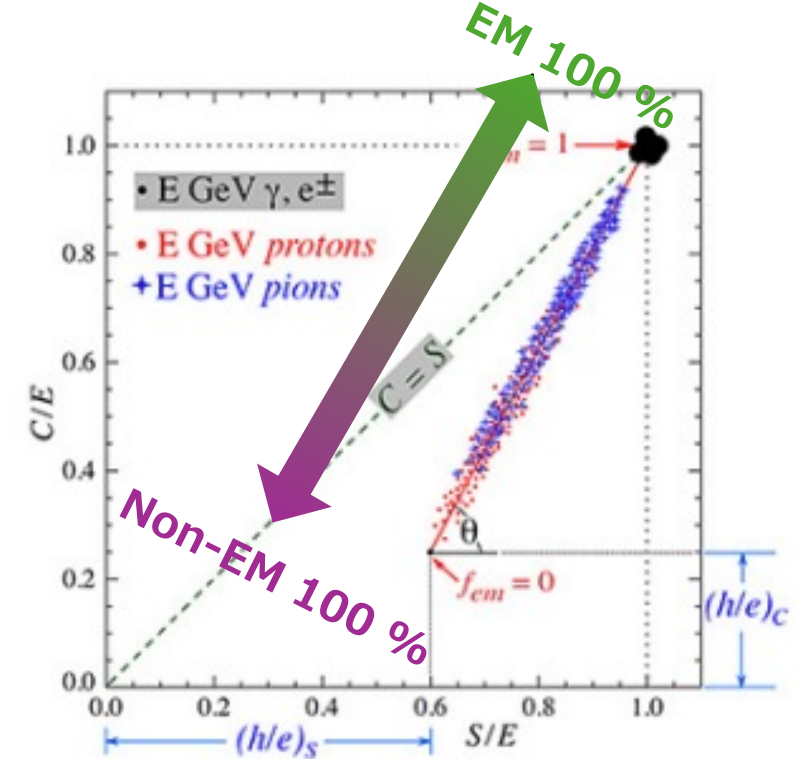
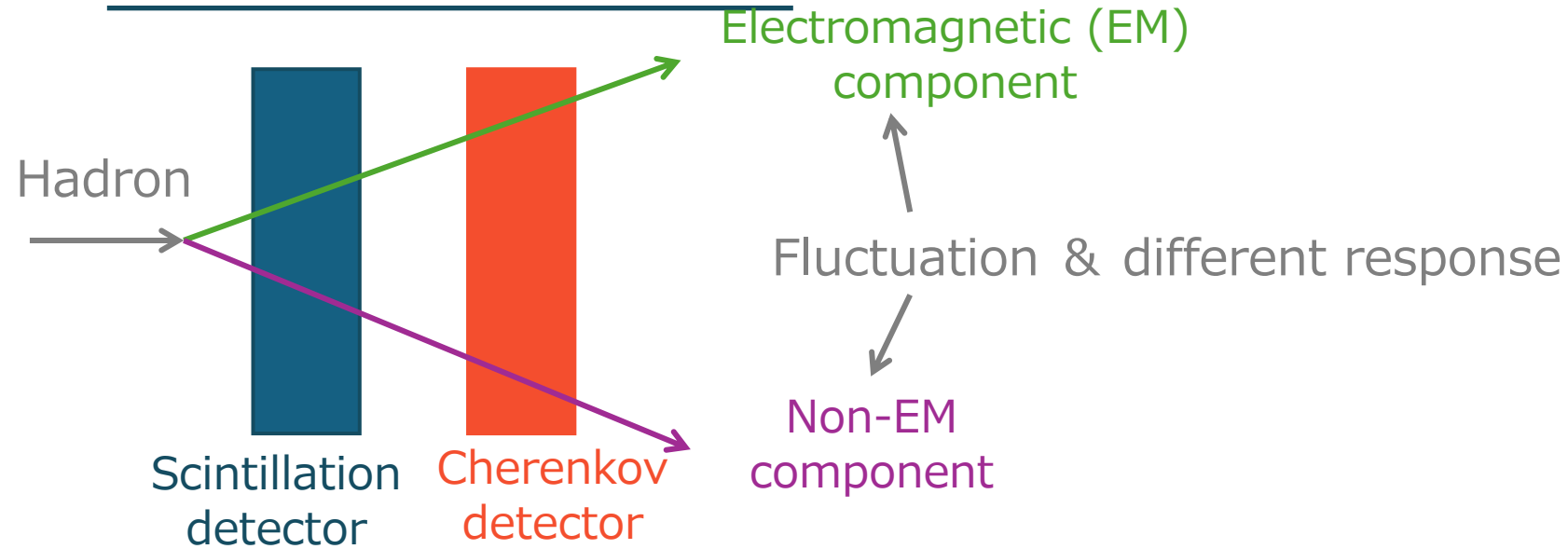
# psec-Timing

- Improvement of particle identification by time of flight (TOF).
- Reduction of background.
- Improvement of PFA.



<https://cds.cern.ch/record/2717327>

# Dual-Readout



(Lee, S., Livan, M. and Wigmans, R.(2018). Nucl. Instr. and Meth. A882, 148.)

To improve energy resolution of hadronic shower with Scintillation detector & Cherenkov detector.

$$\begin{cases} S = E \cdot [f_{em} + \left(\frac{h}{e}\right)_s (1 - f_{em})] \\ C = E \cdot [f_{em} + \left(\frac{h}{e}\right)_c (1 - f_{em})] \end{cases} \quad \blacktriangleright \quad E = \frac{S - \chi C}{1 - \chi} \quad \left( \chi = \frac{1 - \left(\frac{h}{e}\right)_s}{1 - \left(\frac{h}{e}\right)_c} \right)$$

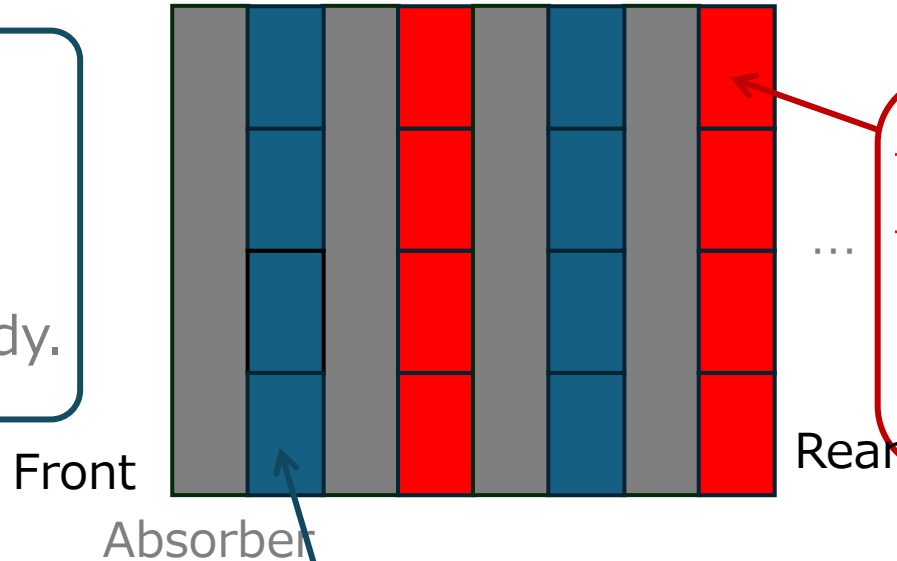
- $\left(\frac{h}{e}\right)_s, \left(\frac{h}{e}\right)_c$ : Conversion efficiency of Non-EM signals to EM signals (independent with energy and particle type).
- $E$ : Initial particle energy.
- $f_{em}$ : Energy ratio of EM component to  $E$ .

# Overall design and research items

## Overall Simulation

High-granularity, dual-readout and psec timing detector performance study.

## Hadron calorimeter



## Cherenkov Detector layer development

High-granularity and psec timing resolution detector.

## Scintillation Detector layer development

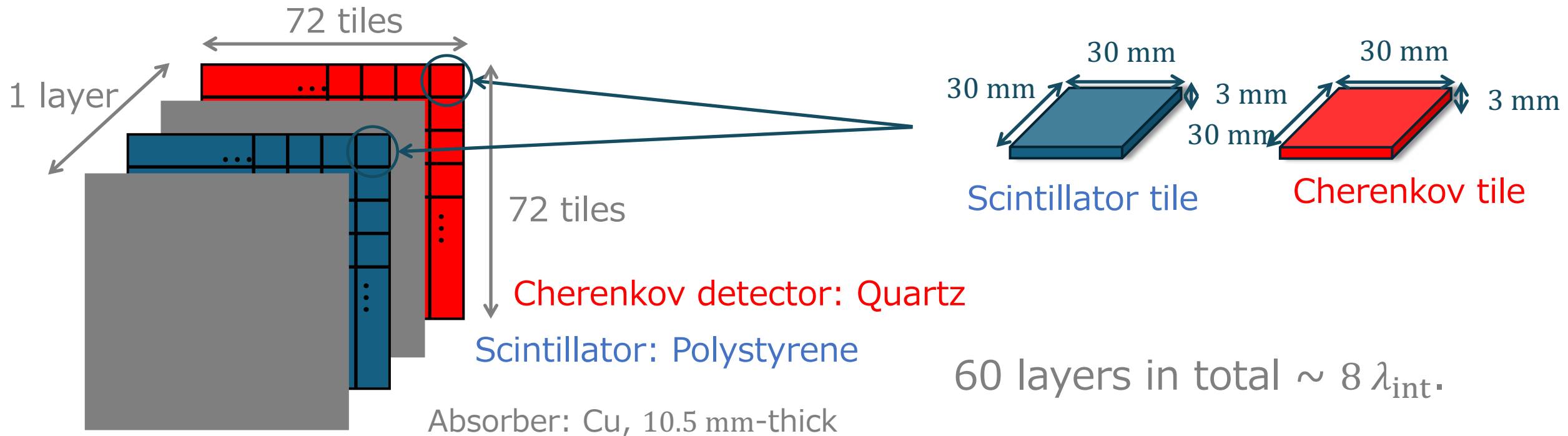
High-granularity detector.

# Performance Evaluation by Simulation

Studying dual-readout performance for single  $\pi^-$  energy resolution with this setup (not including psec Timing).

(Use DD4hep and its interface to Geant4 to describe geometry, materials)

## Reference Setup (CALICE AHCAL-like tiles)



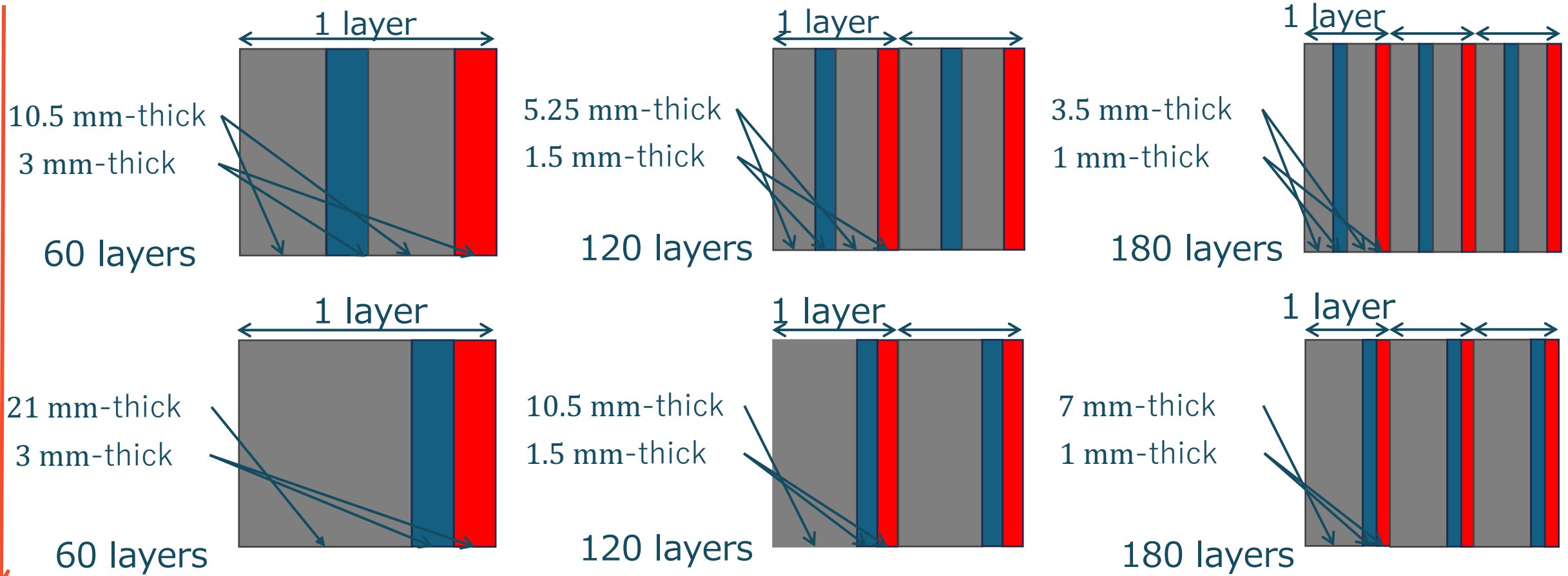


# Comparison with different configurations

Cu  
Polystyrene  
Quartz

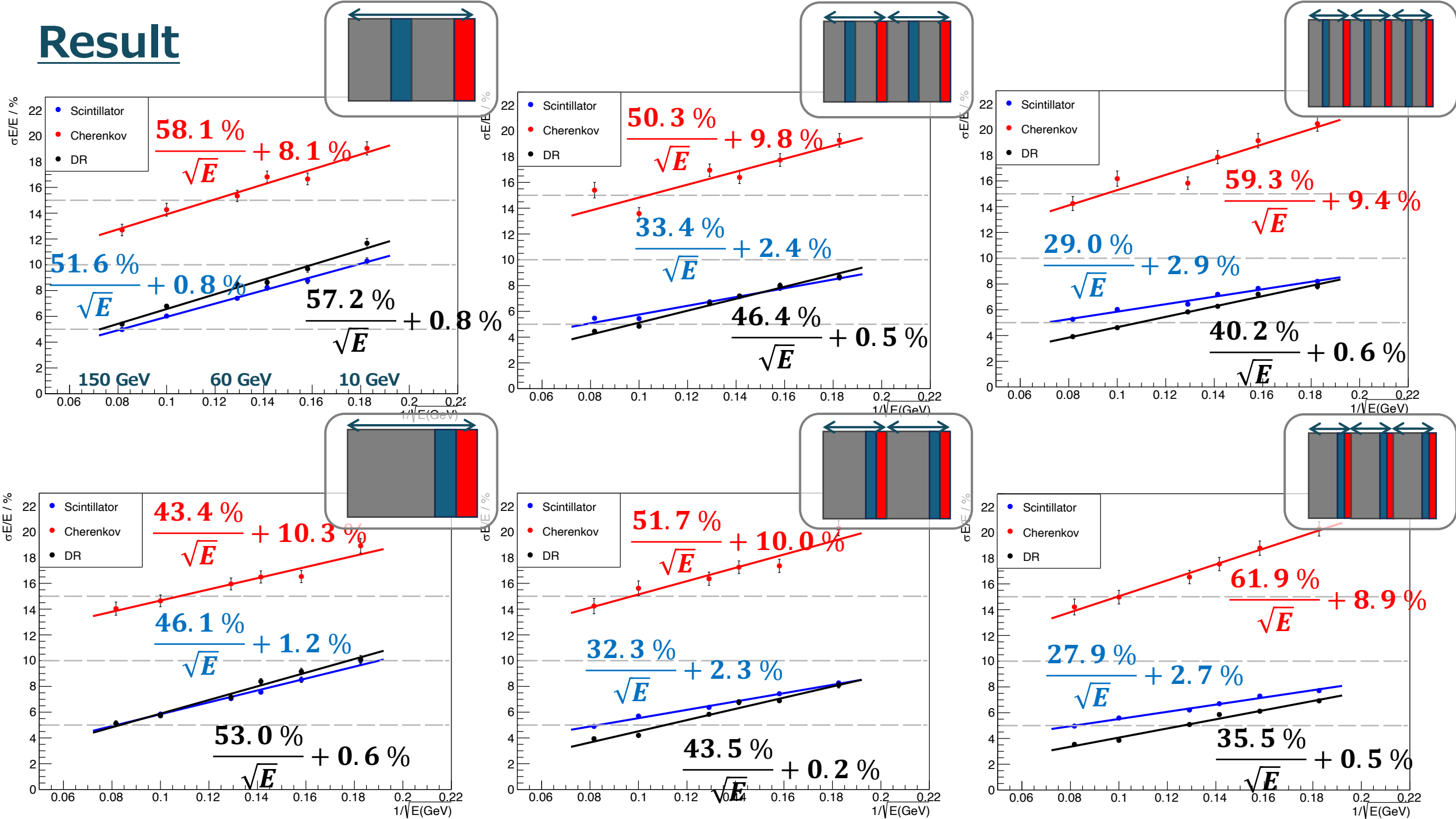
- The same total thickness of each material.
- Changing the **sampling fineness** and which **S & C** are in pairs or not.

Fine sampling →



S + C in pairs

# Result

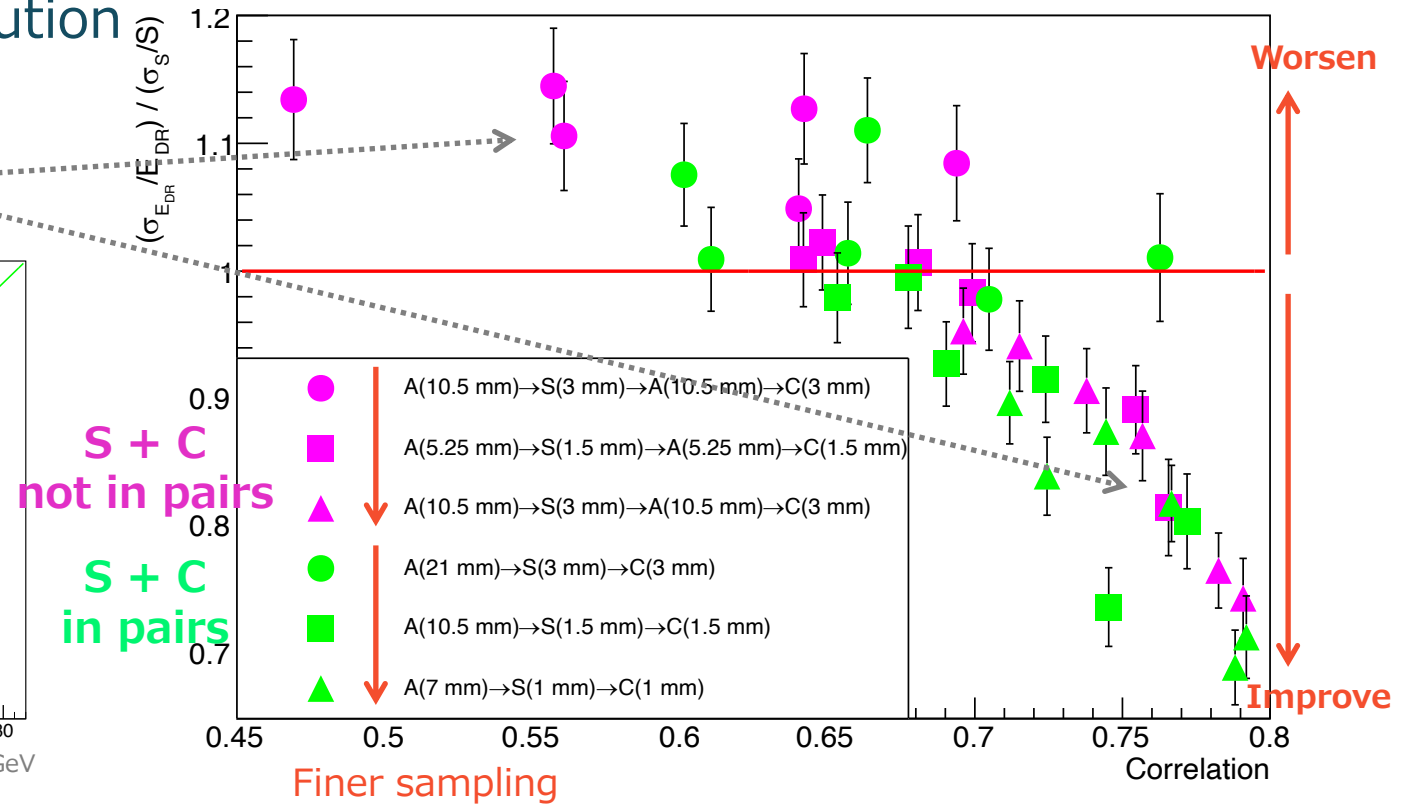
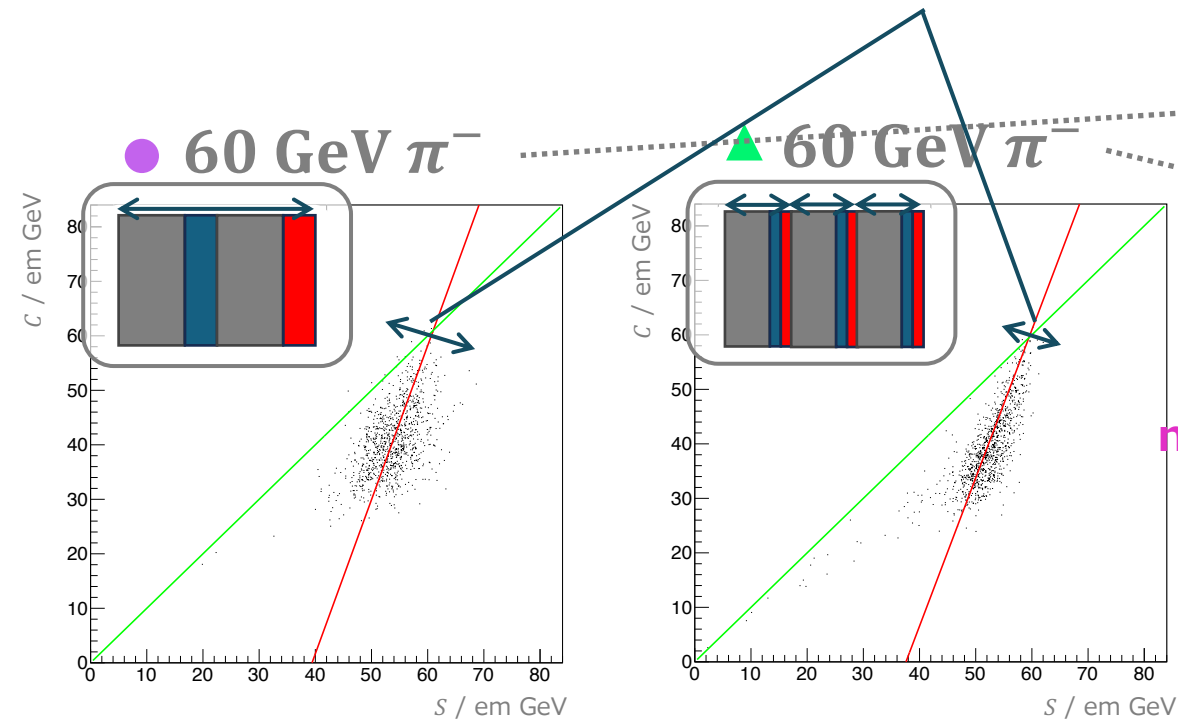


# Discussion

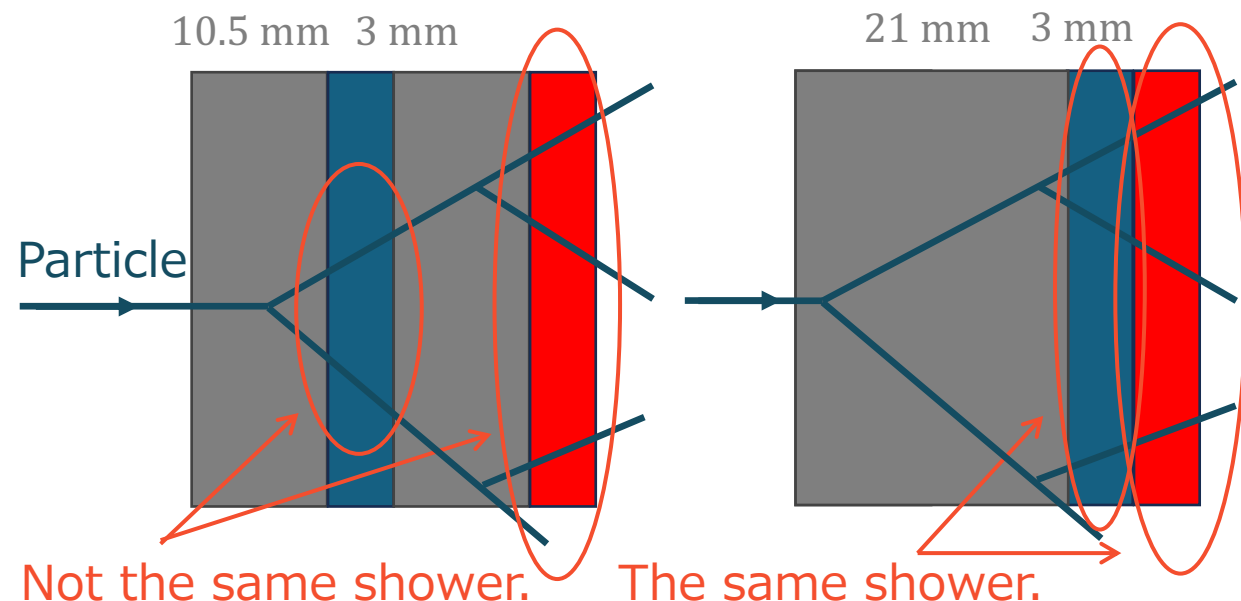
Better Dual-Readout performance with higher correlation between Scintillator signals and Cherenkov signals.

Corresponding to the Dual-Readout resolution

Correlation vs Resolution Improvement ( $\frac{\sigma_{E_{DR}}}{E_{DR}} / \frac{\sigma_S}{S}$ )



## S + C in pairs



Correlation: 0.56

Improvement: 1.14

Correlation: 0.66

Improvement: 1.01

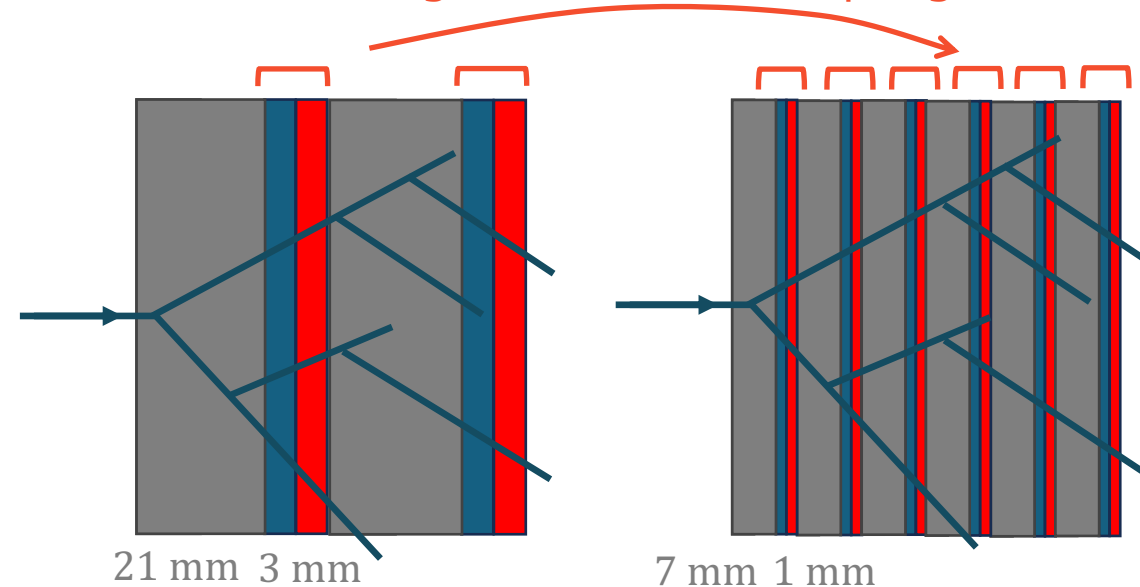
$$\left(\frac{\sigma_{EDR}}{EDR} / \frac{\sigma_S}{S}\right)$$

"Homogeneous" reading the shower with Scintillators and Cherenkov detectors in S + C in pairs setups.

Higher the correlation.

## Fine sampling

Increasing the shower sampling.



Correlation: 0.66

Improvement: 1.01

Correlation: 0.77

Improvement: 0.82

$$\left(\frac{\sigma_{EDR}}{EDR} / \frac{\sigma_S}{S}\right)$$

Less affected by shower fluctuation with finer sampling.

Higher the correlation.

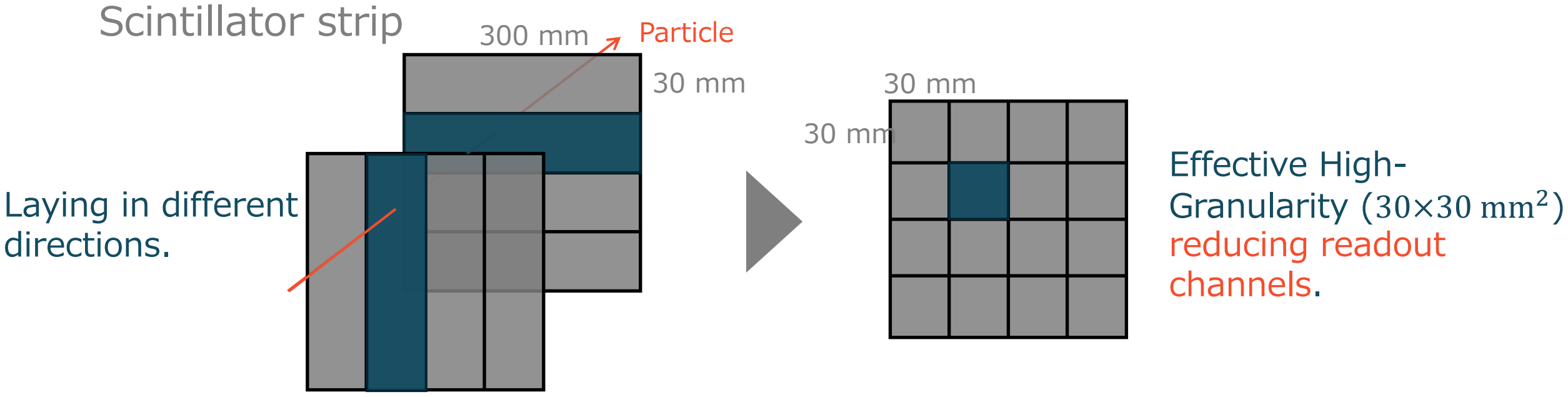
# Scintillation Detector Development

(Poster by H. Ogawa)

## Requirement

High- granularity

## Concept



- Optimization of the strip design.
- Checking the light yield and uniformity with position scan using Sr90 beta-ray.

### Strip material candidates

	EJ200	EJ232
Light yields [photons/1MeV]	10,000	8,400
Attenuation length [cm]	380	17
rise time [ns]	0.9	0.35
characteristic	standard	fast

### Readout candidates

#### 1. Single SiPM



#### 2. Double SiPMs

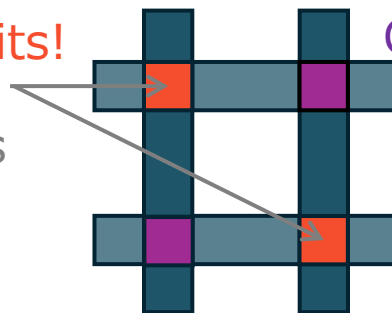


#### 3. Double SiPMs at each side



2 & 3 setups are motivated for hit position reconstruction to mitigate ghost hits.

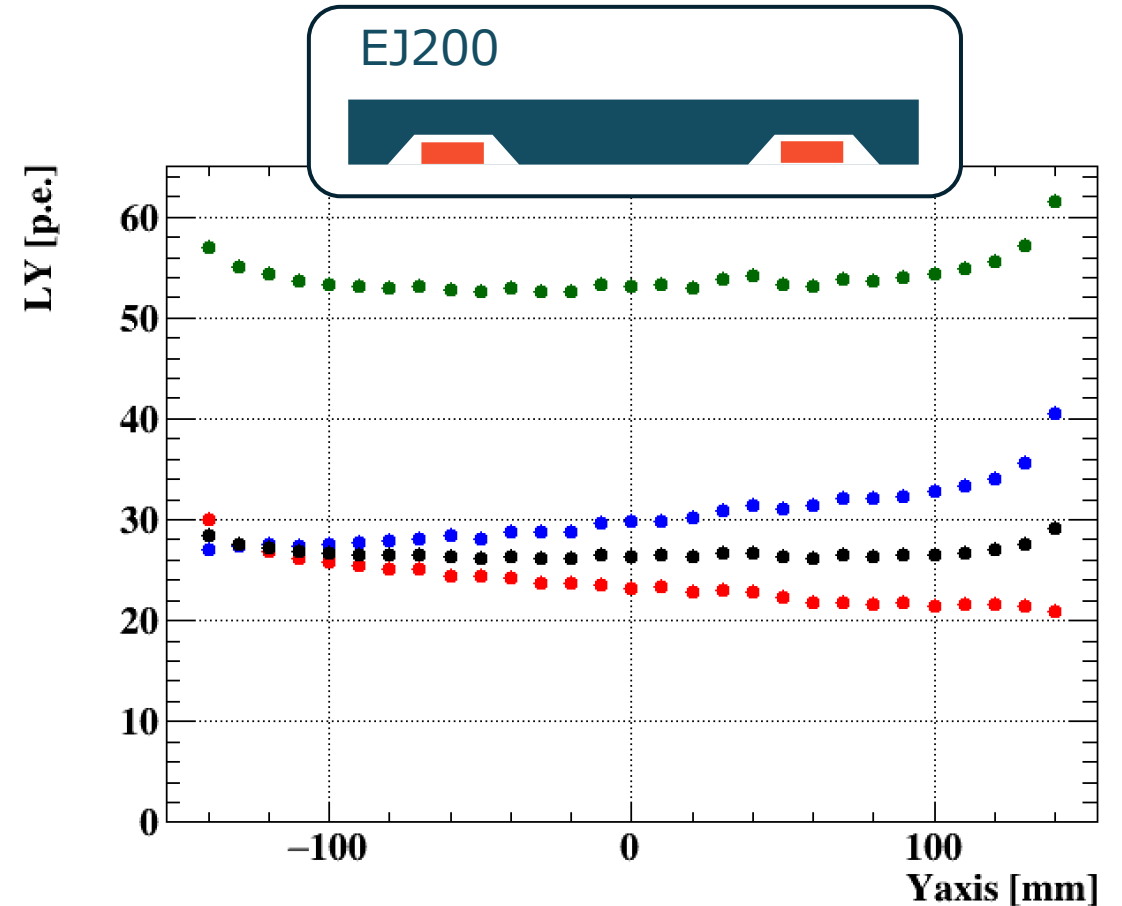
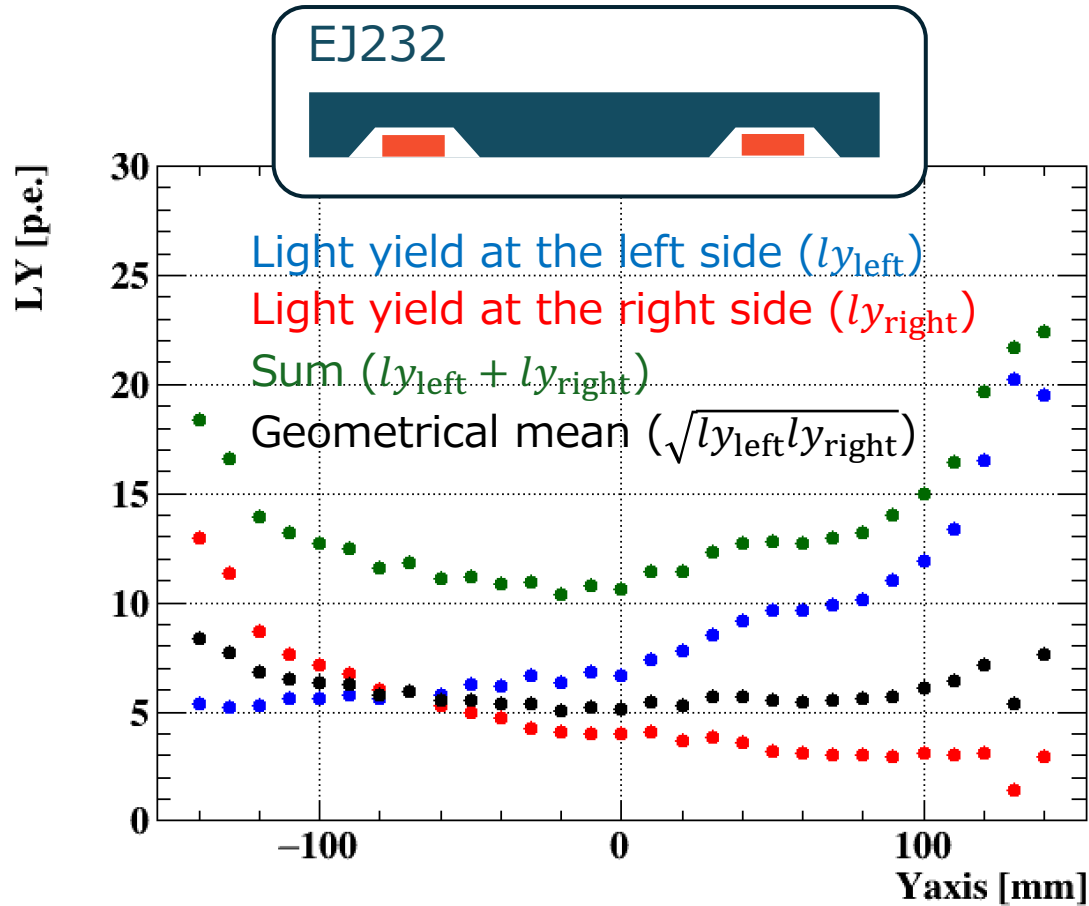
Hits! Ghost hits



Accidentally coming 2 particles at the same time

# Light yield and uniformity

- ✓ Sufficient light yield and good uniformity for EJ200.
- ✓ L-R asymmetry to be investigated.



# Cherenkov Detector Development

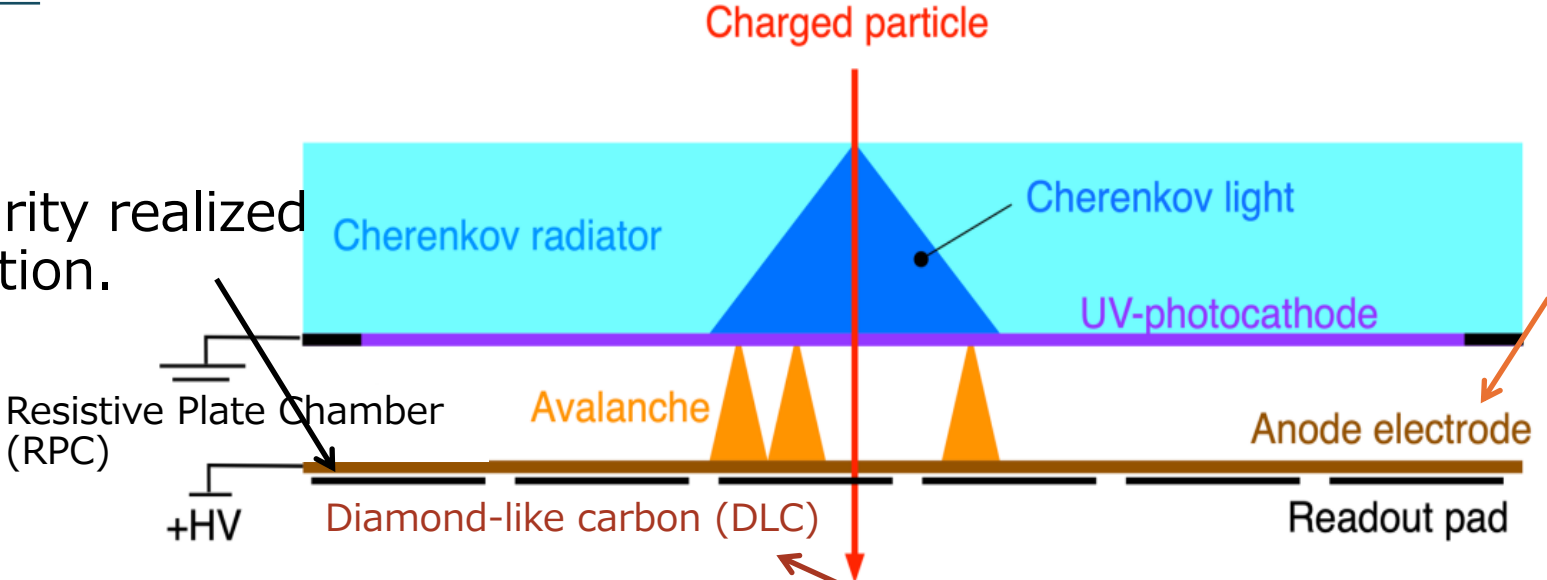
(Poster by W. Li)

## Requirements

High-granularity & psec timing

## Concept

High-Granularity realized by segmentation.

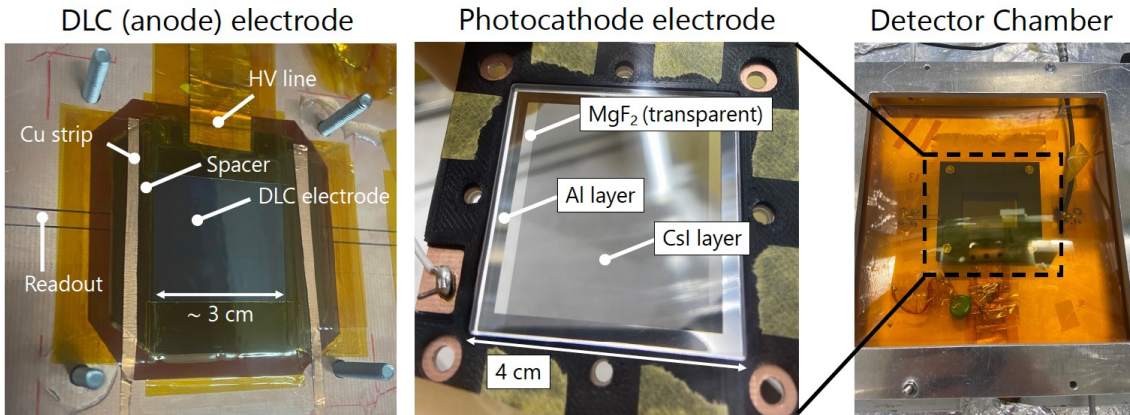
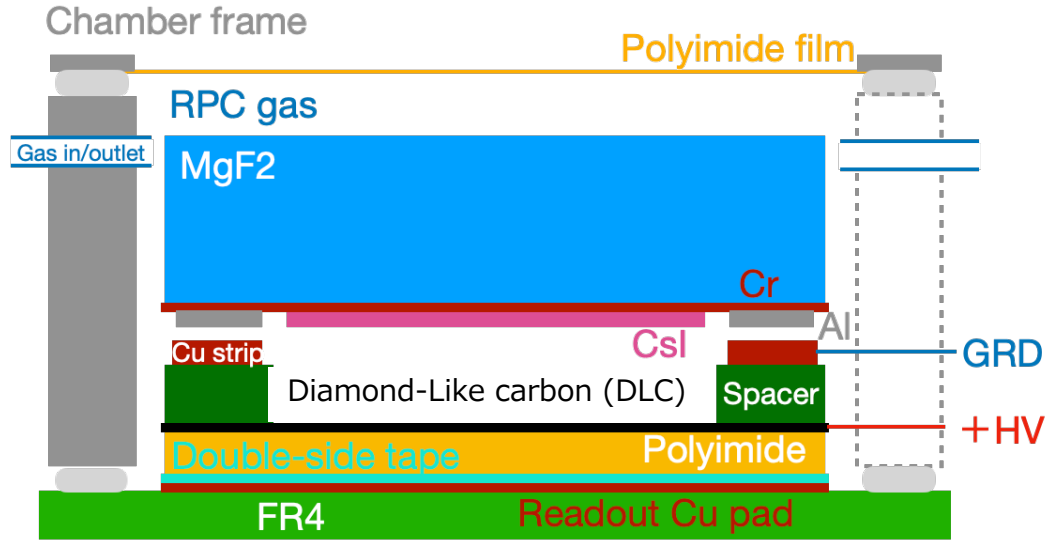


- Amplification gas layer.
- Realizing fast response.
- Covering a large area at low cost.

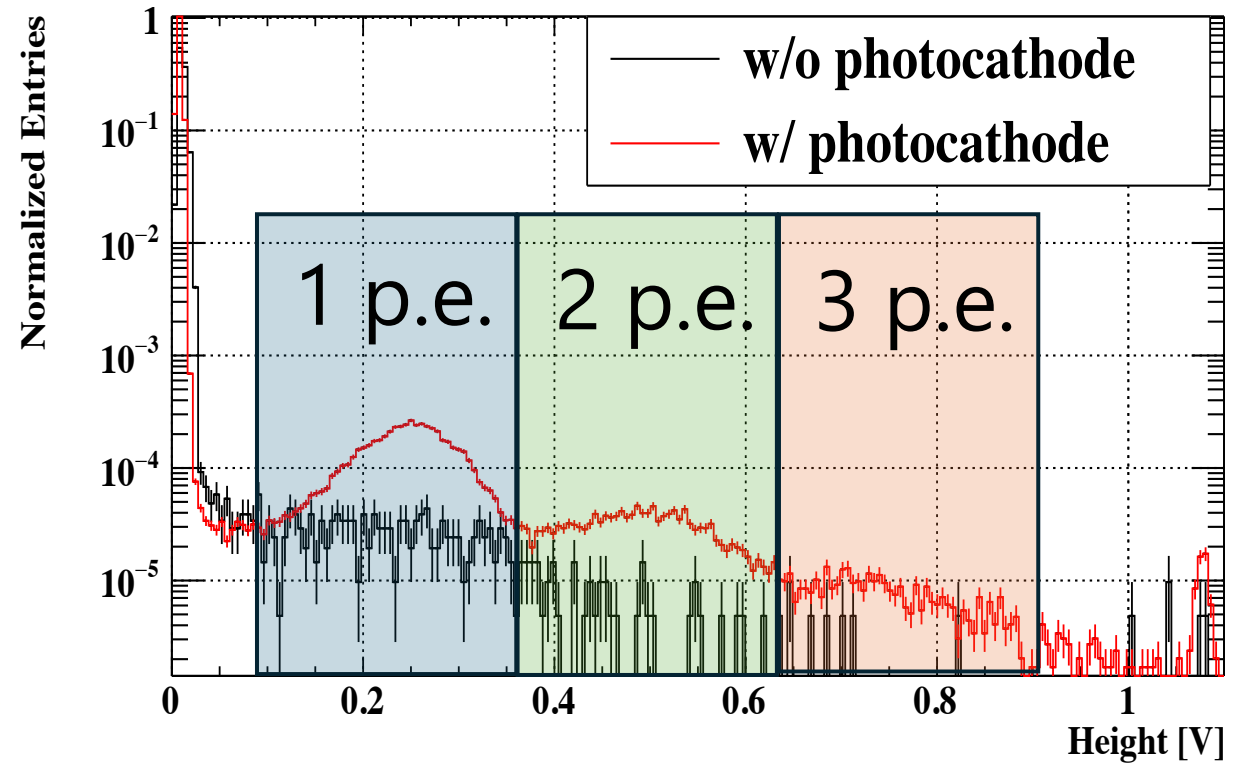
High rate capability.



# Cherenkov signal observed with a prototype.

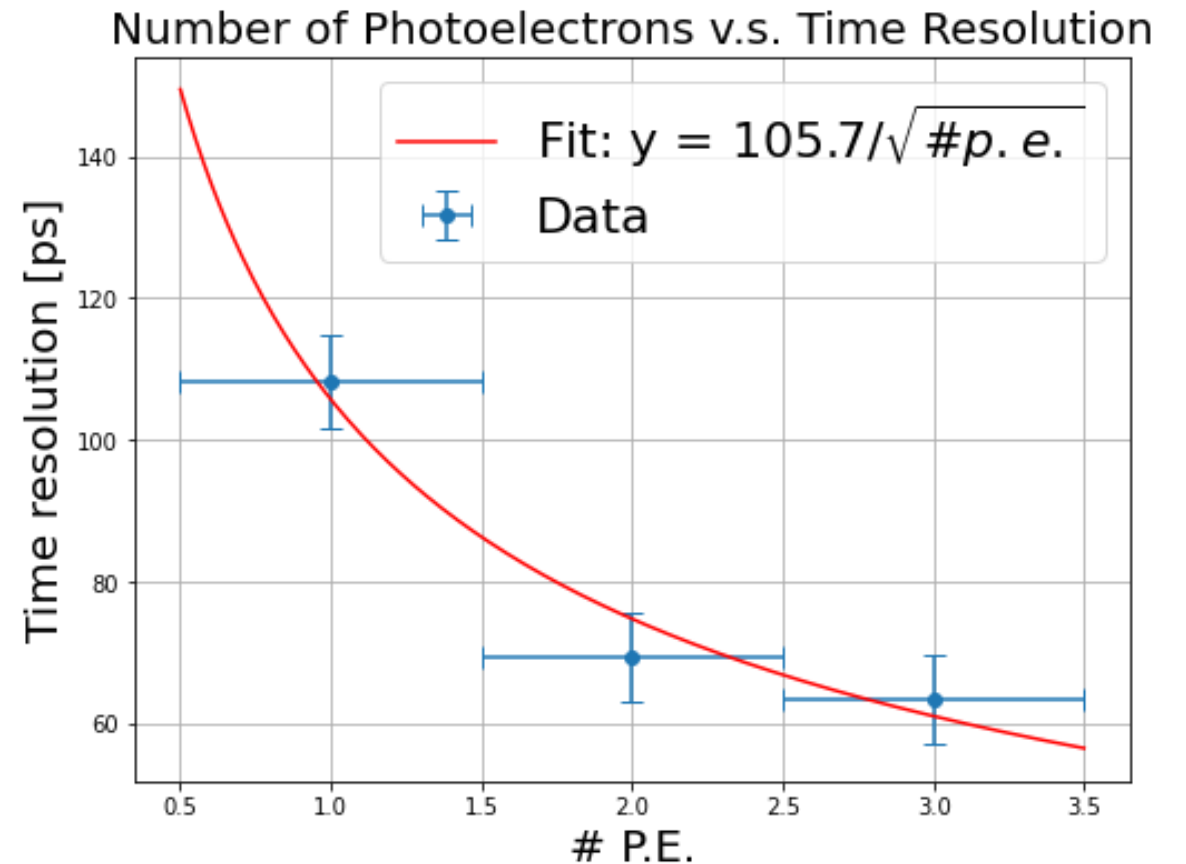
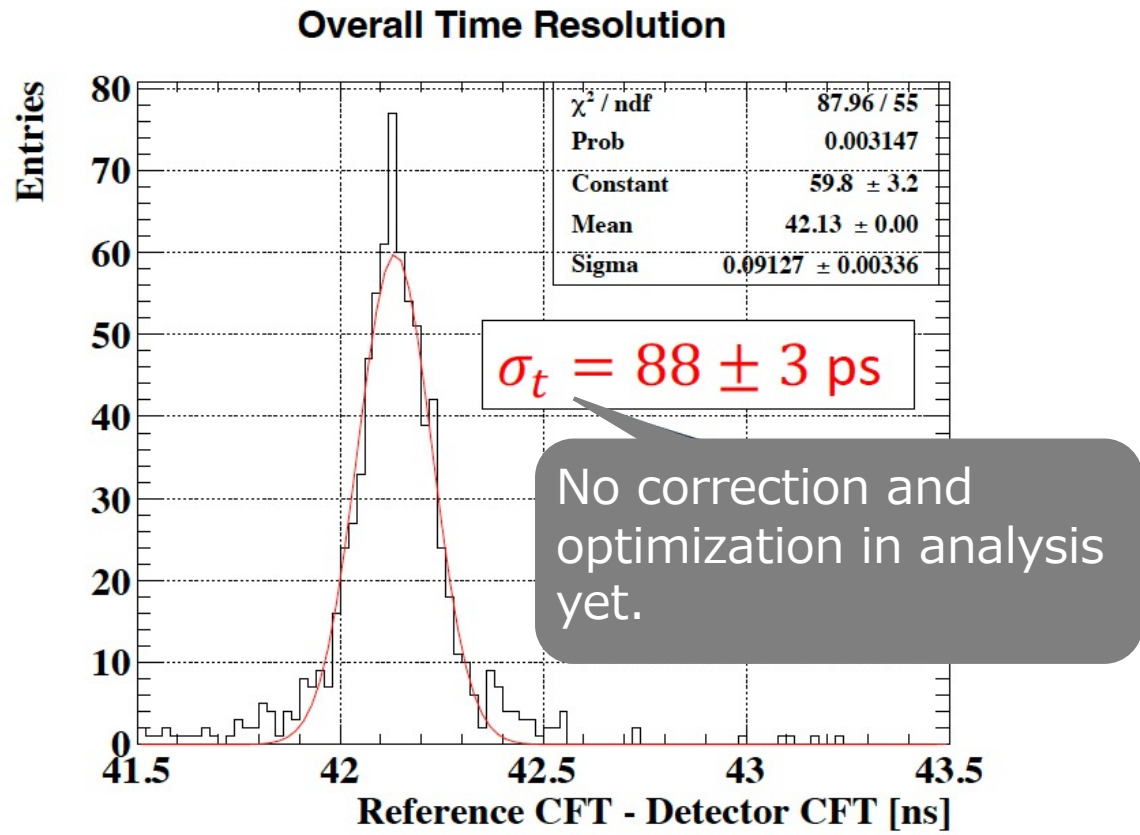


Charge spectrum in a Sr90 beta-ray test



# Preliminary timing performance in a cosmic-ray test.

- QE of CsI photocathode seems lower than expected.
- 10 p.e.s required for time resolution of 30 ps.



# 3. Summary and Prospect

Developing High-Granularity Dual-Readout Calorimetry with psec Timing.

## Simulation

Studying Dual-Readout performance of CALICE AHCAL-like setup.

Performance study also with high-granularity (PFA) and psec timing.

## Scintillation Detector

Measuring the light yield with several strip configurations.

Planning to optimize the strip design.

## Cherenkov Detector

Checking the operation of the DLC-RPC Cherenkov detector with High-Granularity & psec timing.

Planning to optimize the hardware design.

Beam test with combined prototype at KEK or Fermilab.

# Backup

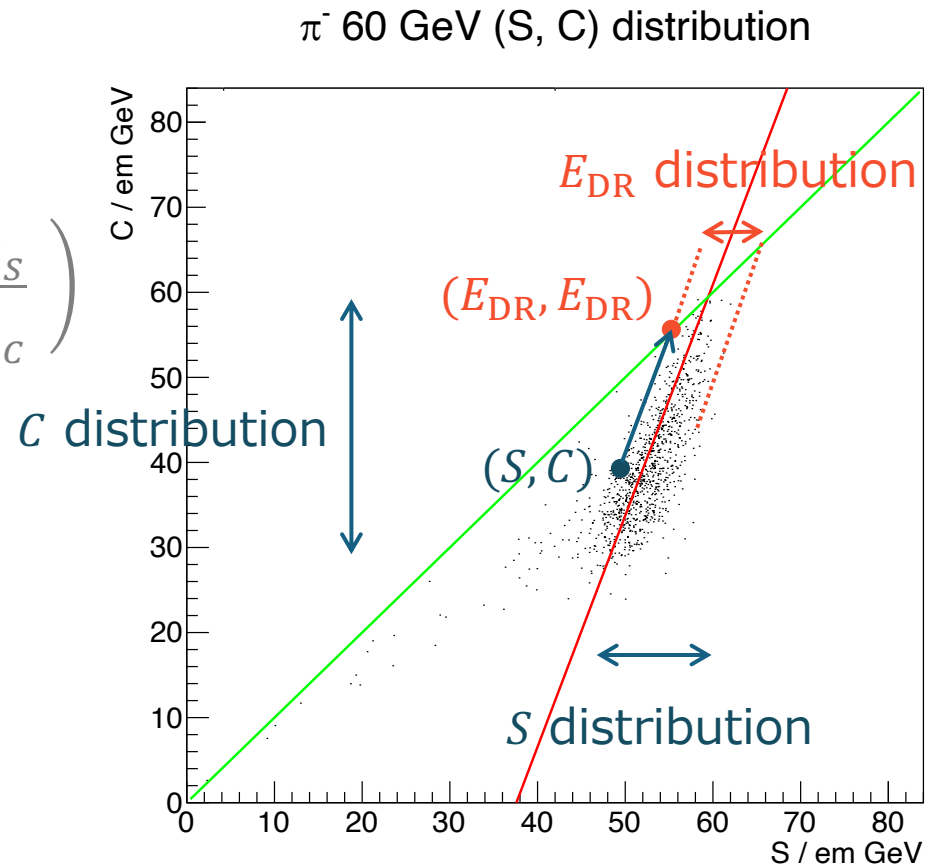
# Dual-Readout

# Dual-Readout analysis

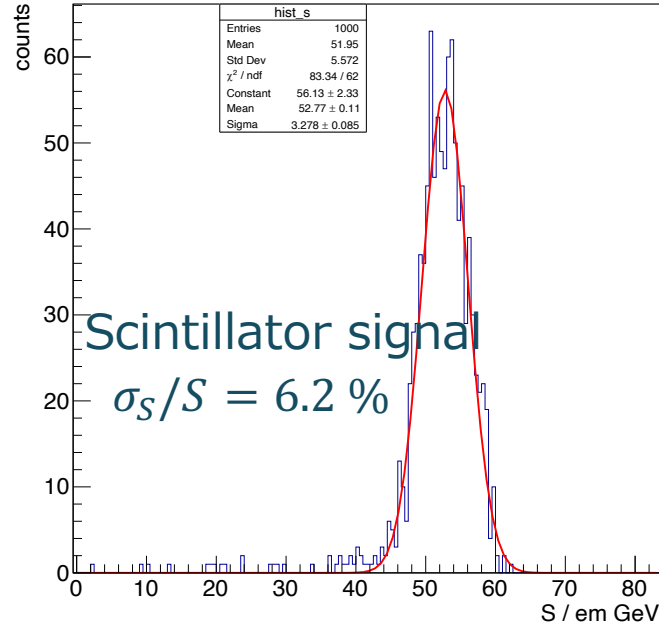
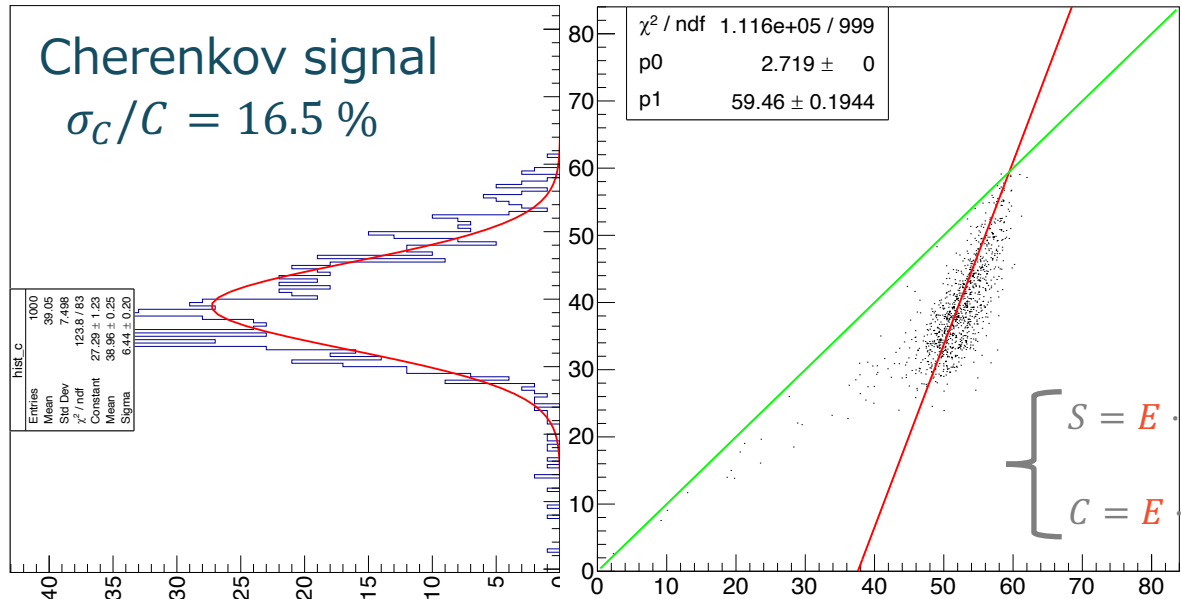
- Dual-Readout method:

$$\begin{cases} S = E \cdot [f_{\text{em}} + \left(\frac{h}{e}\right)_s (1 - f_{\text{em}})] \\ C = E \cdot [f_{\text{em}} + \left(\frac{h}{e}\right)_c (1 - f_{\text{em}})] \end{cases} \quad \longrightarrow \quad E_{\text{DR}} = \frac{S - \chi C}{1 - \chi} \quad \left( \chi = \frac{1 - \left(\frac{h}{e}\right)_s}{1 - \left(\frac{h}{e}\right)_c} \right)$$

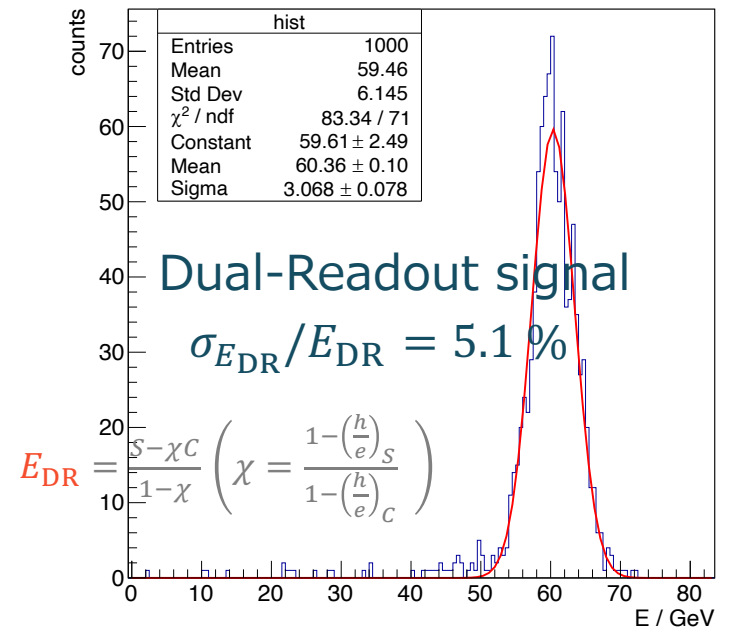
- In graphically understanding  $\rightarrow$



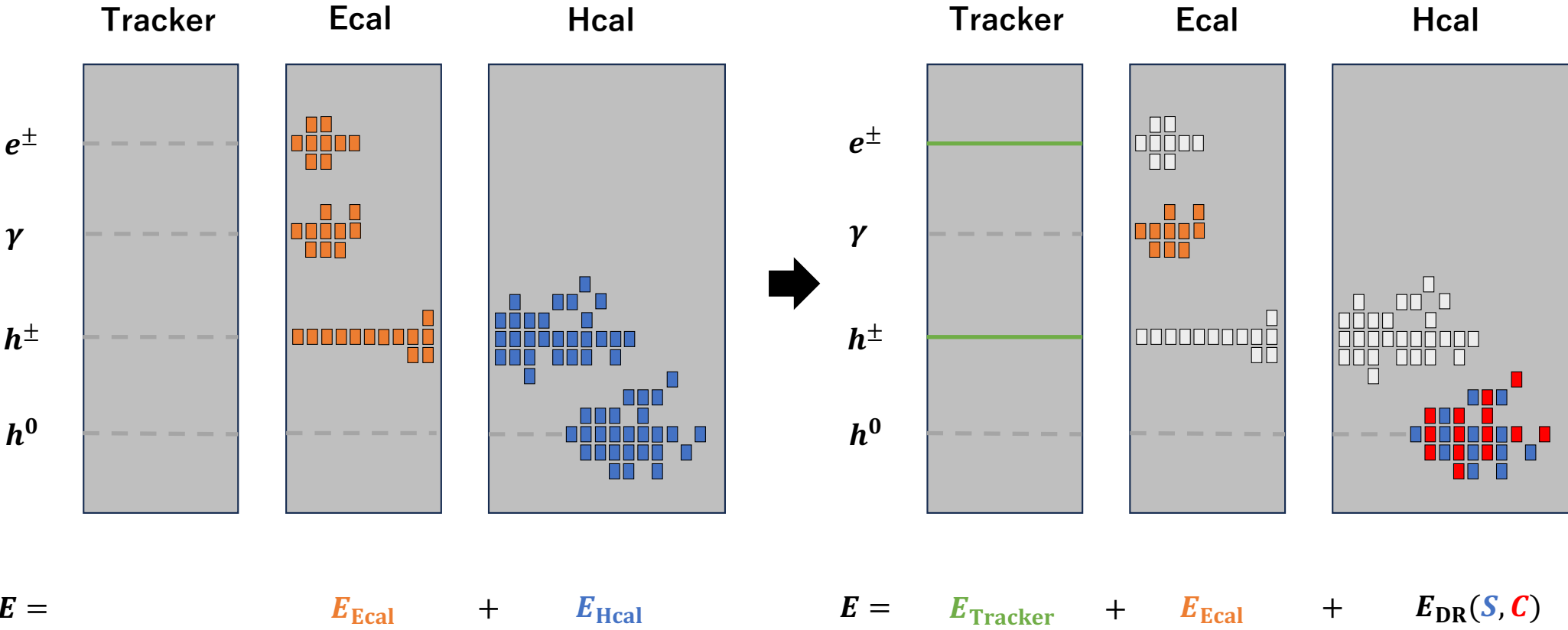
$\pi^-$  60 GeV (S, C) distribution



$\pi^-$  60 GeV Dual-Readout



# Concept of a new calorimeter

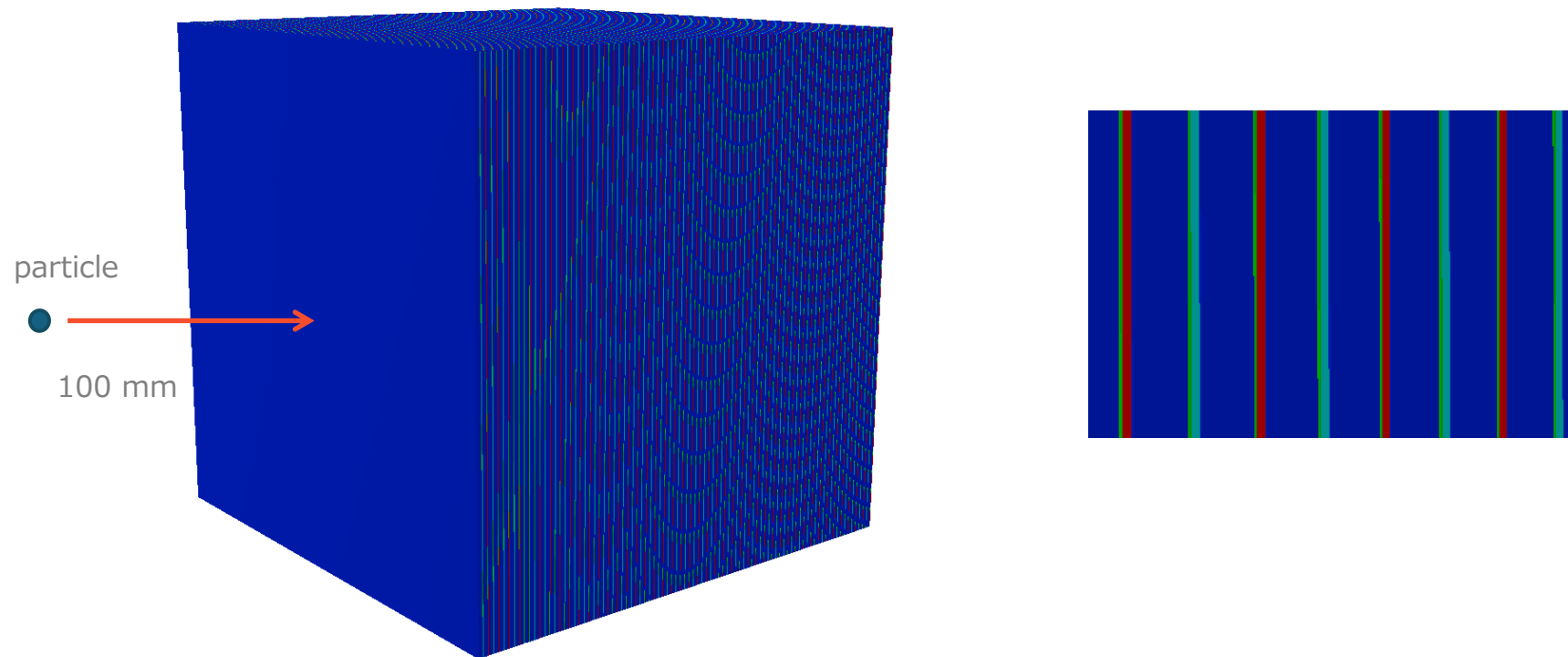




# Simulation

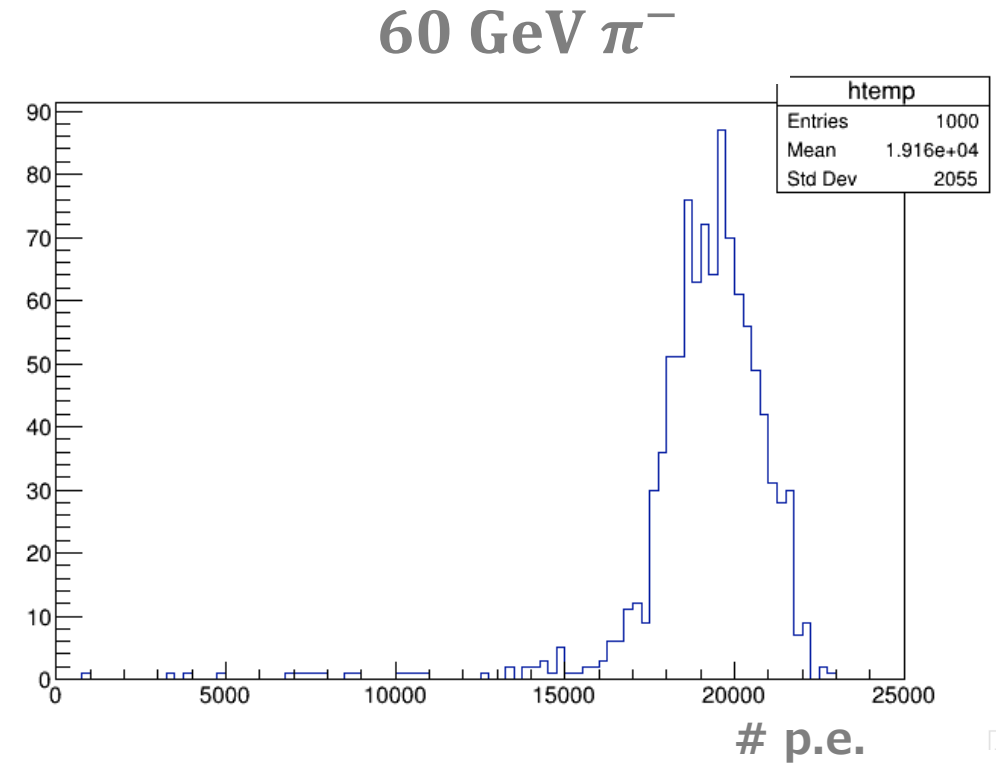
# Simulation setup

Launch single 1000 events of  $e^-$ ,  $\pi^-$  with 30, 40, 50, 60, 100, 150 GeV into the center of the detector.



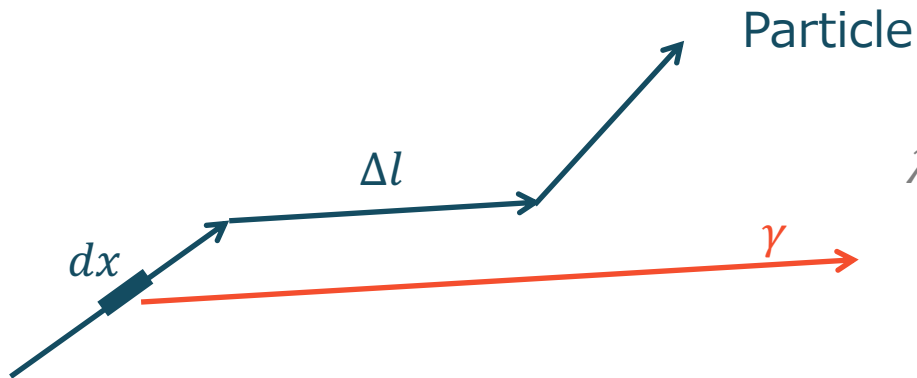
# Scintillator signals

- Use p.e. assuming MPPC linear response.
- #p.e. = 0.0005 / MIP (3 mm thick)



# Cherenkov signals

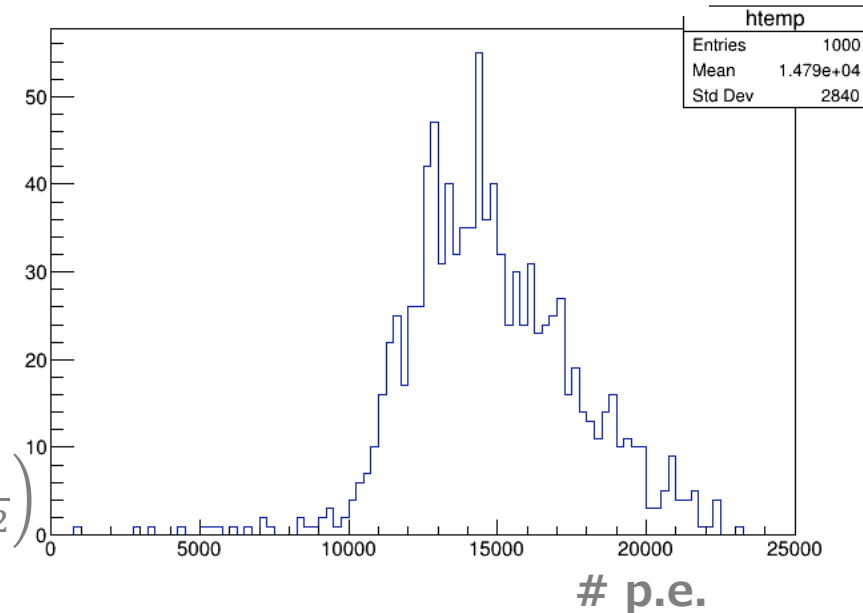
- The number of generated Cherenkov photons:



$$\lambda = \lambda \sim \lambda + d\lambda, \quad dx,$$

$$\frac{d^2 N}{dx d\lambda} = \frac{2\pi Z^2 \alpha}{\lambda^2} \left( 1 - \frac{1}{n^2(\lambda) \beta^2} \right)$$

60 GeV  $\pi^-$



- # Digitized detected Cherenkov photons
- Mean:  $\hat{N}_{\text{det}} = \Delta l \cdot \int_{\lambda_{\text{min}}}^{\lambda_{\text{max}}} \frac{2\pi Z^2 \alpha}{\lambda^2} \left( 1 - \frac{1}{n^2(\lambda) \beta^2} \right) \cdot \text{QE}(\lambda) d\lambda$
- Digitized:  $N_{\text{det}} = \text{gRandom} \rightarrow \text{Poisson}(\hat{N}_{\text{det}})$

$N$ : the number of Cherenkov photons  
 $x$ : particle path length  
 $\lambda$ : wavelength of Cherenkov photons  
 $\alpha$ : Fine-structure constant  
 $Z$ : charge

- NIFS-V made from NIKON.

<https://www.nikon.com/business/components/assets/pdf/sio2-e.pdf>

### Impurities

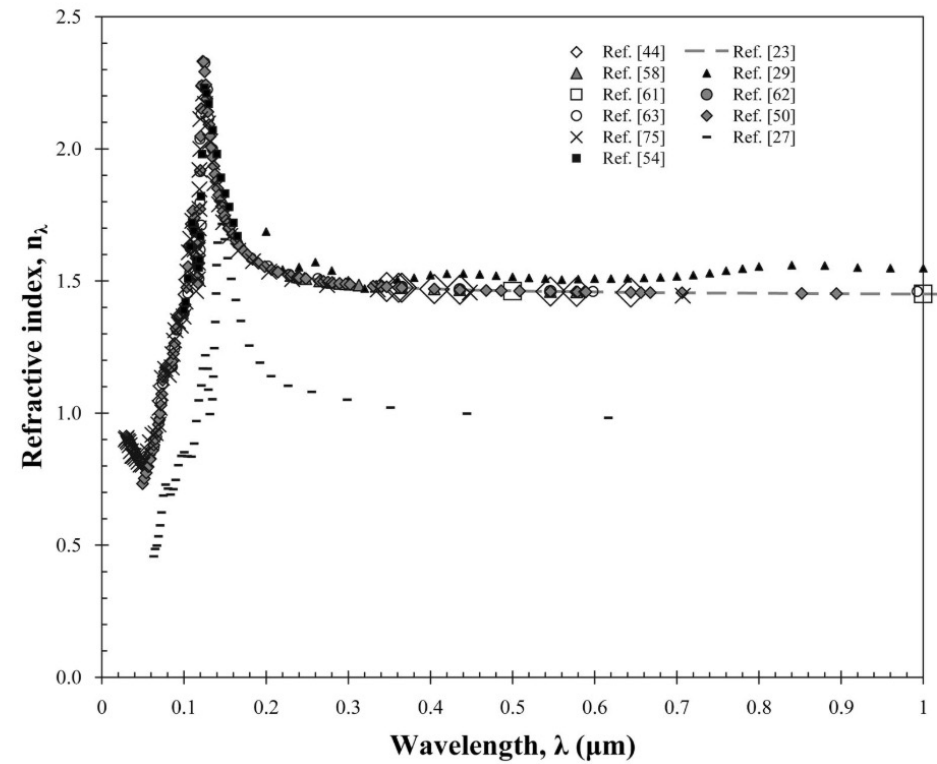
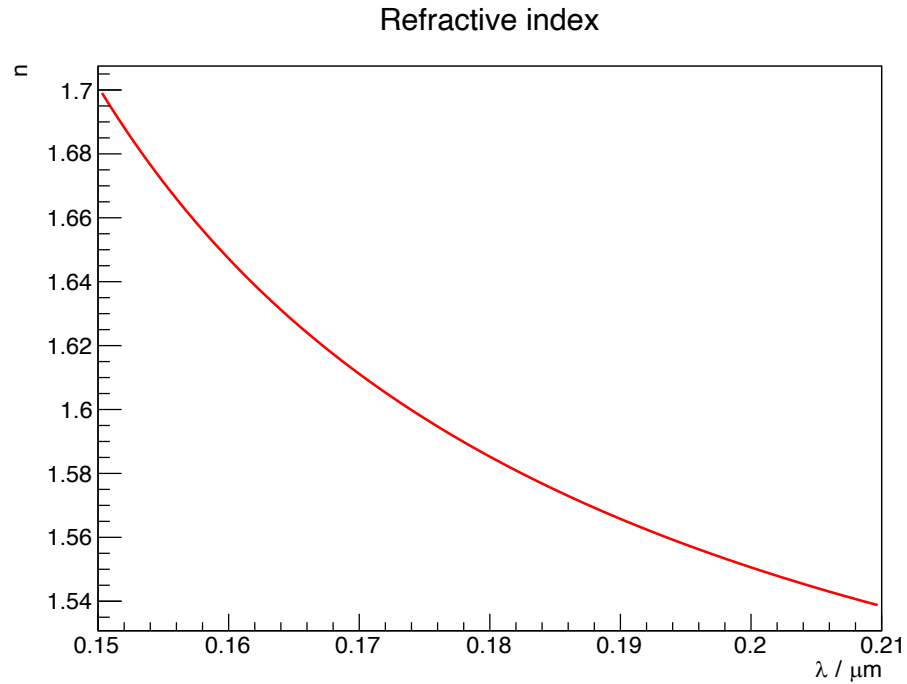
OH	< 100 ppm	Al	< 0.2 ppb
Li	< 0.2 ppb	Ti	< 0.2 ppb
Na	< 0.2 ppb	Cr	< 0.2 ppb
K	< 0.2 ppb	Fe	< 0.2 ppb
Mg	< 0.2 ppb	Cu	< 0.2 ppb
Ca	< 0.2 ppb		

- Refractive index

$$n^2 - 1 = \frac{P_1 \lambda^2}{\lambda^2 - Q_1} + \frac{P_2 \lambda^2}{\lambda^2 - Q_2} + \frac{P_3 \lambda^2}{\lambda^2 - Q_3} + \frac{P_4 \lambda^2}{\lambda^2 - Q_4}$$

Dispersion Coefficients *7	
P <sub>1</sub>	6.40349086E-01
P <sub>2</sub>	3.74308316E-01
P <sub>3</sub>	8.97505390E-02
P <sub>4</sub>	9.08924481E-01
Q <sub>1</sub>	4.25379400E-03
Q <sub>2</sub>	1.27798420E-02
Q <sub>3</sub>	1.40044370E-02
Q <sub>4</sub>	9.93231891E+01

- Checking refractive index



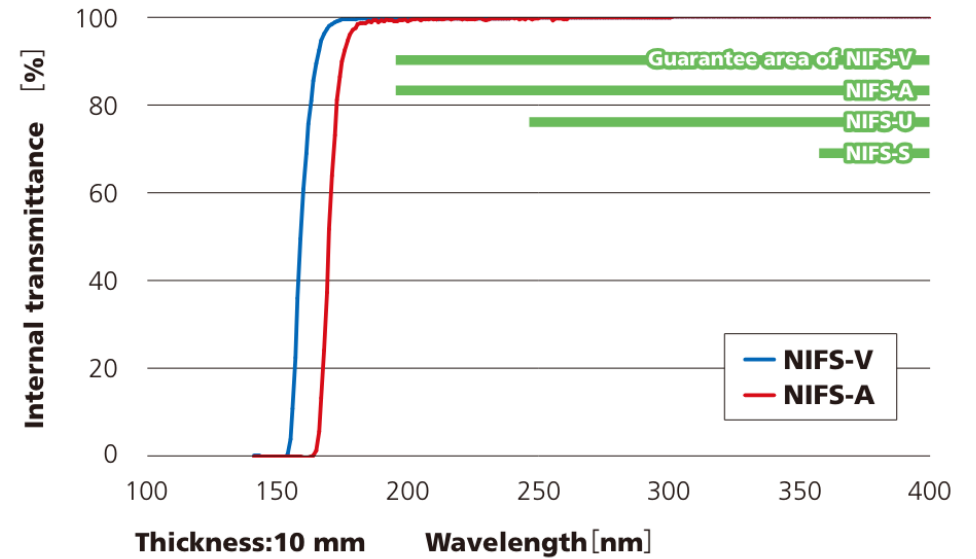
<https://www.seas.ucla.edu/~pilon/Publications/AO2007-1.pdf>

- Internal transmittance.

$$T[\%] = 0 \quad (\lambda < 150 \text{ nm} = \lambda_{\min})$$

$$T[\%] = 10 \cdot (\lambda - 150 \text{ nm}) \quad (\lambda < 160 \text{ nm})$$

$$T[\%] = 100 \quad (\lambda \geq 160 \text{ nm})$$

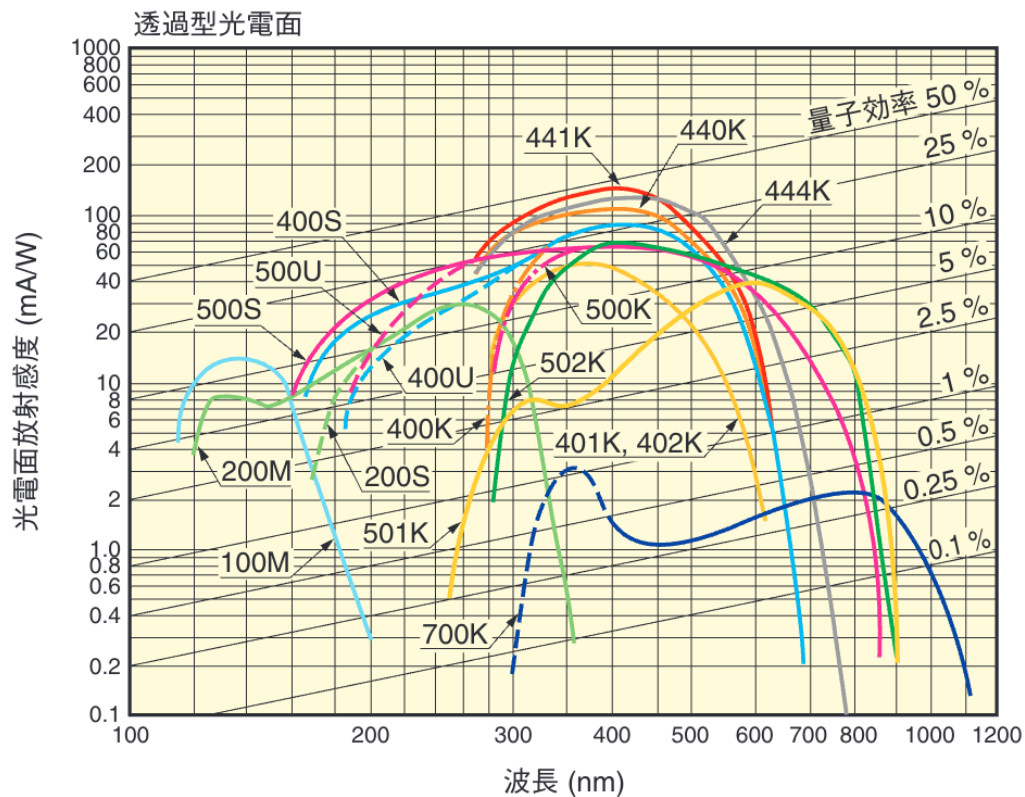


<https://www.nikon.com/business/components/assets/pdf/sio2-e.pdf>

- CsI photocathode

- Assume  $\sim 10\%$ .
- $\lambda < 200\text{ nm} = \lambda_{\text{max}}$ .

[https://www.hamamatsu.com/content/dam/hamamatsu-photonics/sites/documents/99\\_SALES\\_LIBRARY/etd/PMT\\_handbook\\_v4J.pdf](https://www.hamamatsu.com/content/dam/hamamatsu-photonics/sites/documents/99_SALES_LIBRARY/etd/PMT_handbook_v4J.pdf)



THBV3\_0402Jbb

図 4-2(b) 透過型各種光電面分光感度特性



# Calibration with EM component

- Showers caused by  $e^-$  has only EM components.

$$(\text{Output signals}) = k \cdot (\text{Initial particle energy})$$

- Using this  $k$ , reconstructing initial hadron energy from output hadron signals.

$$(\text{Reconstructed hadron energy}) = \frac{1}{k} \cdot (\text{Output hadron signals})$$

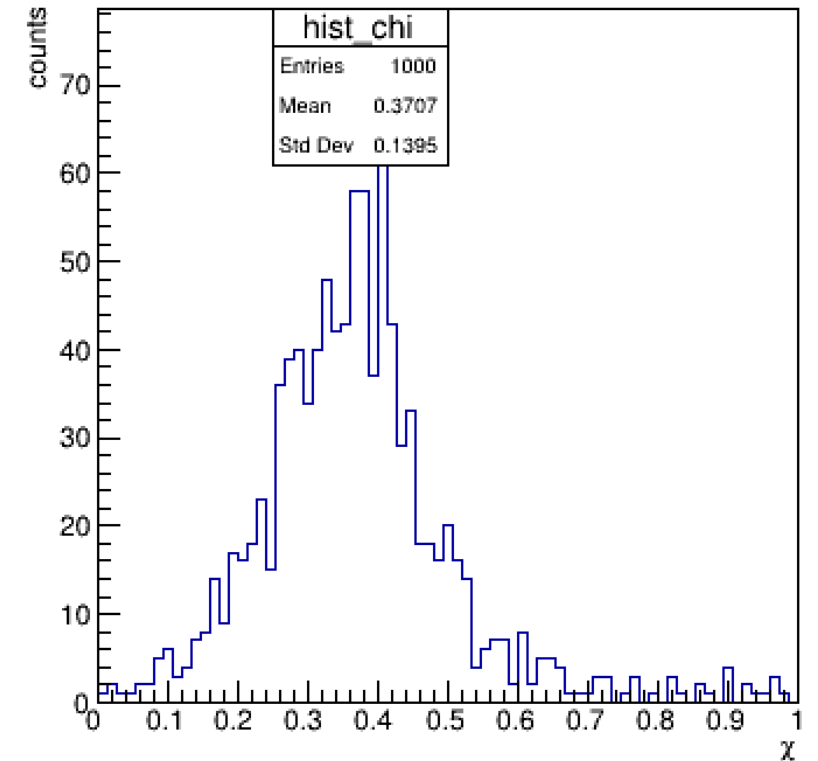
# $\chi$ estimation

Using initial particle energy and solving

$$\chi = (S - E)/(C - E).$$

(use most probable value)

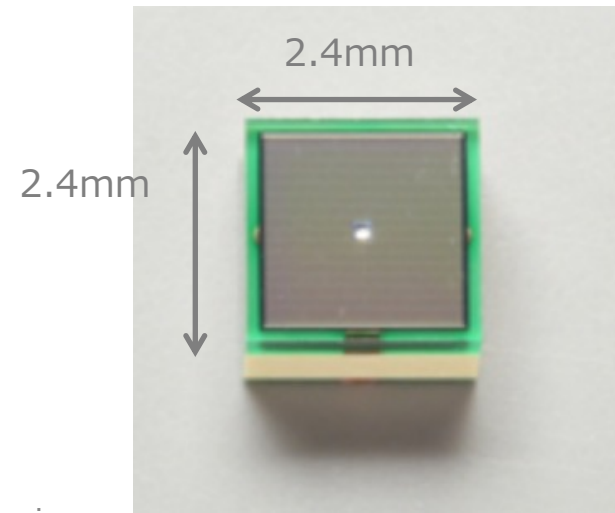
piminus 60 GeV  $\chi$  distribution



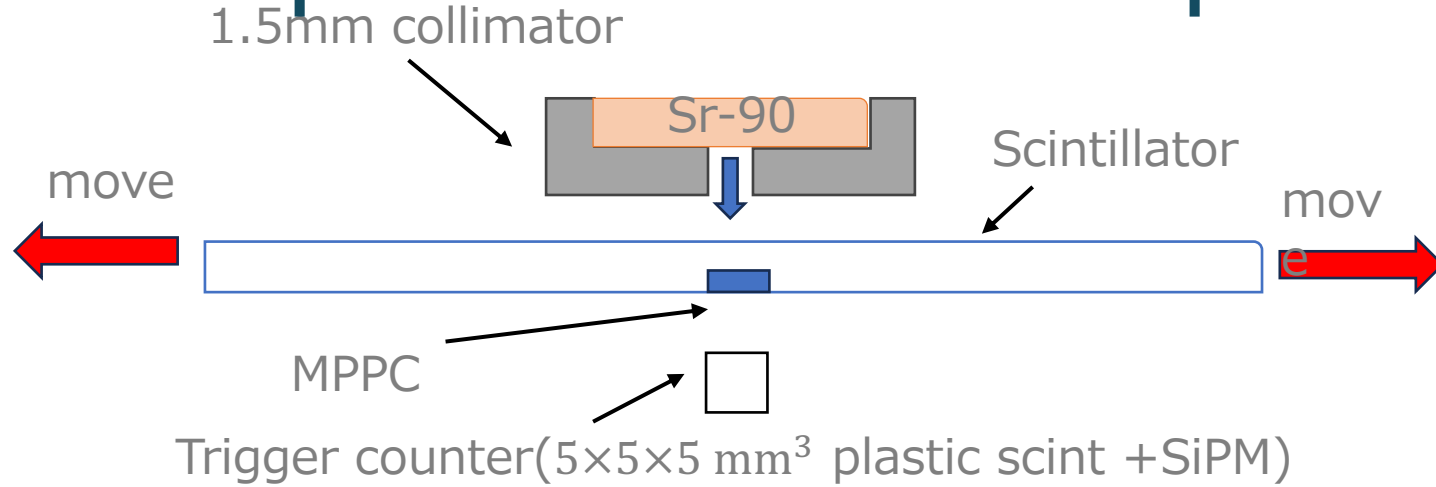
# Scintillator strip

# Strip and SiPM

- Scintillator
  - ELJEN EJ200, EJ232
  - 295mm×30mm×3mm
- SiPM
  - MPPC S13360-2050VE

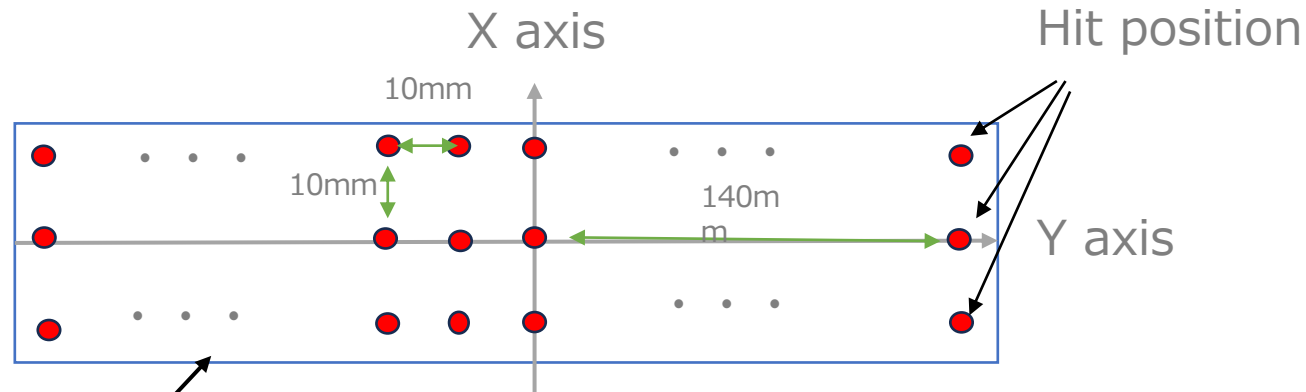


# Experimental setup of position scan



Strip response measured with  $\beta$  from Sr-90

2D position scan with x-y moving stage



scintillator

2024/5/24

CALOR2024 | Taiki Kamiyama

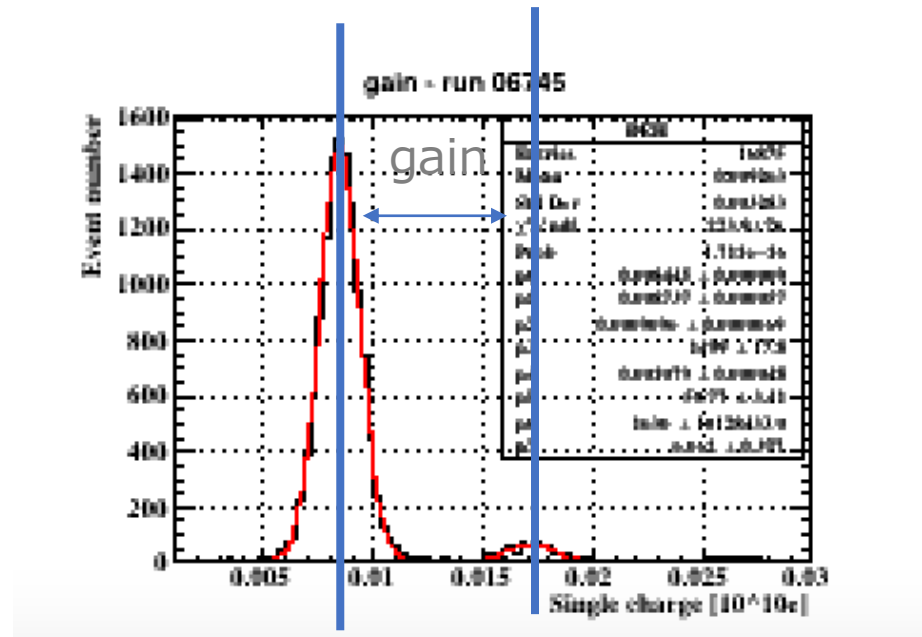
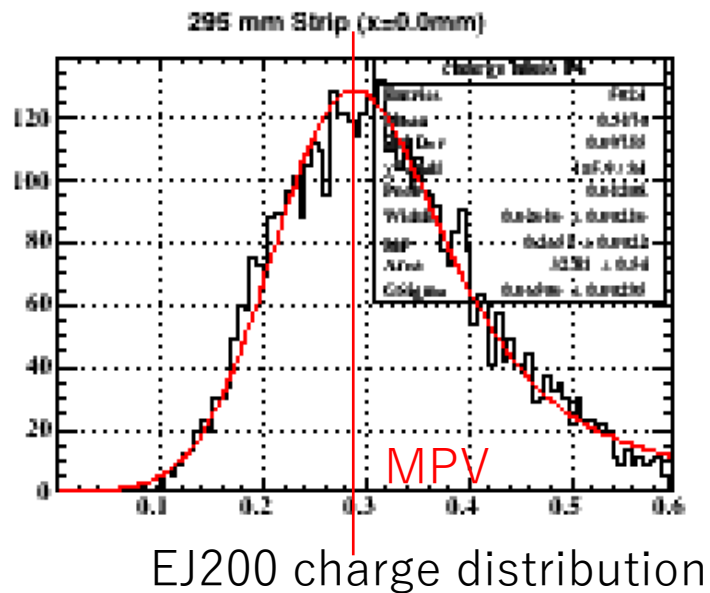
36

# Analysis method

$$\text{Light Yied} = \frac{(\text{charge of scintillation})}{\text{gain}}$$

$$\text{Sum light yield} = (\text{Ch1 light yield}) + (\text{Ch2 light yield})$$

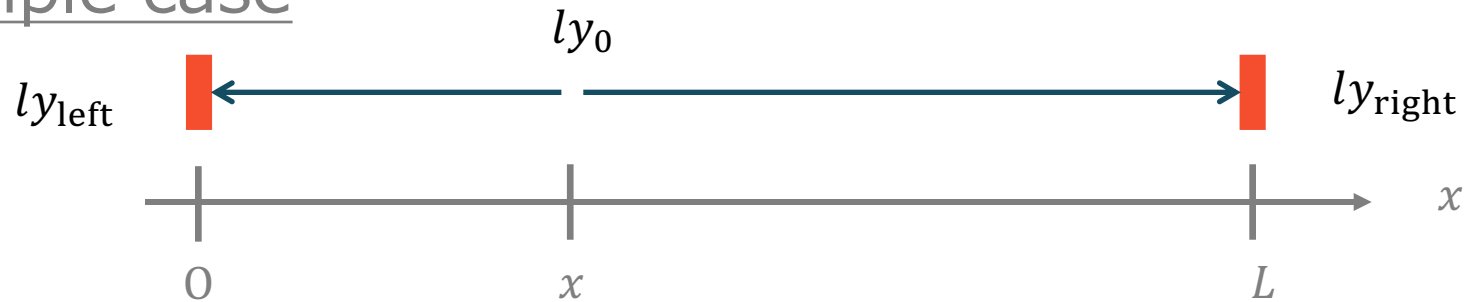
$$\text{Geometric mean lihgt yield} = \sqrt{(\text{Ch1 light yield}) \times (\text{Ch2 light yield})}$$



# Why a geometrical mean?

- For uniformly reconstructing light yield.

Simple case

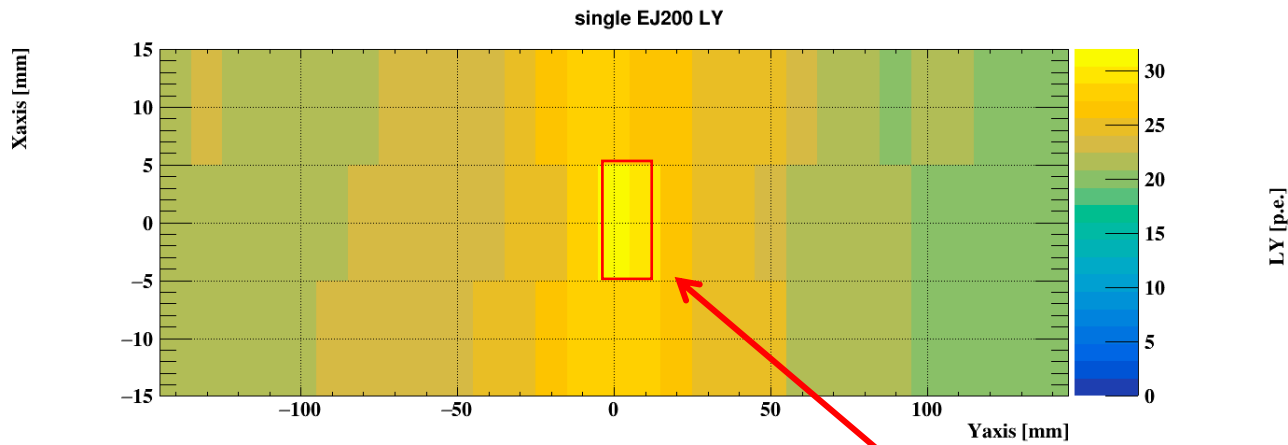


Attenuation length:  $\lambda$

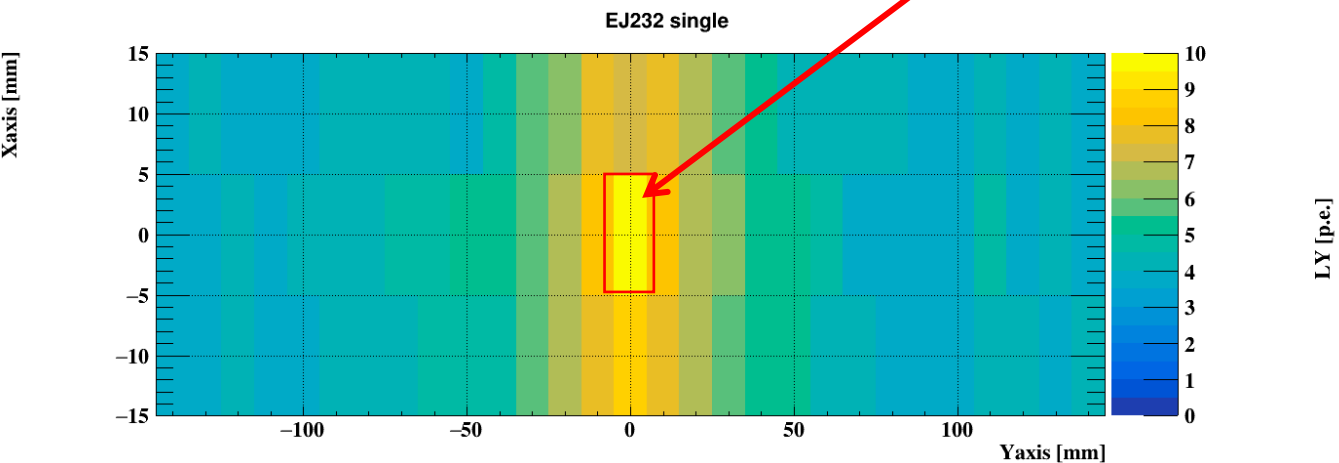
- Mean:  $\frac{ly_{\text{left}} + ly_{\text{right}}}{2} = \frac{ly_0}{2} (e^{-\frac{x}{\lambda}} + e^{-\frac{L-x}{\lambda}})$
- Geometrical Mean:  $\sqrt{ly_{\text{left}} \cdot ly_{\text{right}}} = ly_0 e^{-\frac{L}{2\lambda}}$

# Single readout (EJ200 & EJ232)

EJ200 single light yield



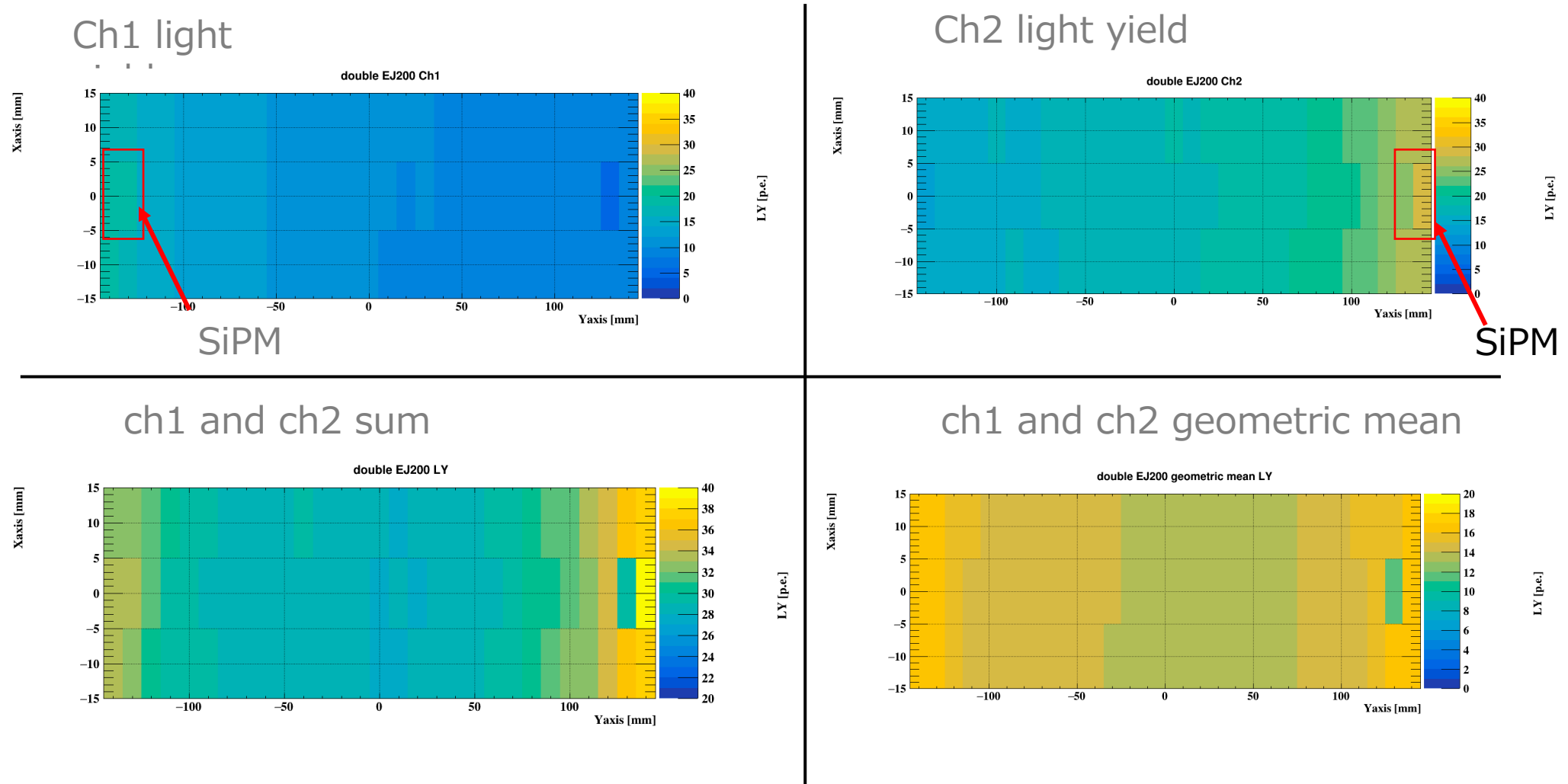
EJ232 single light yield



Dimple and SiPM

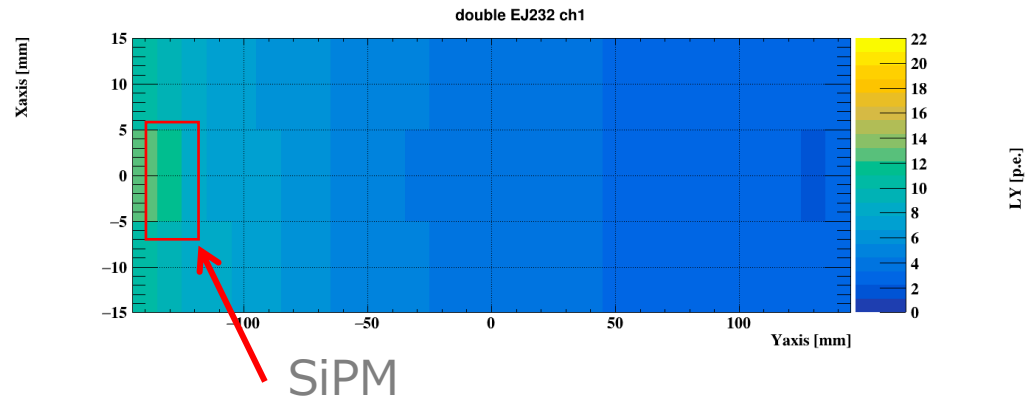


# Double readout (EJ200)

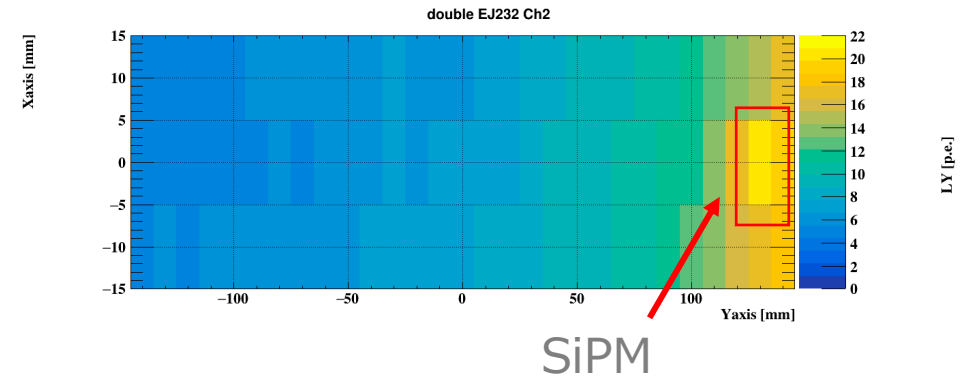


# Double readout (EJ232)

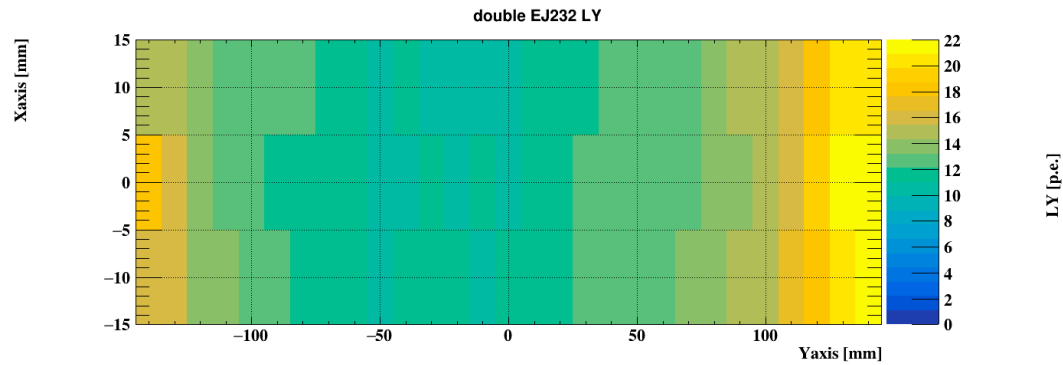
Ch1 light yield



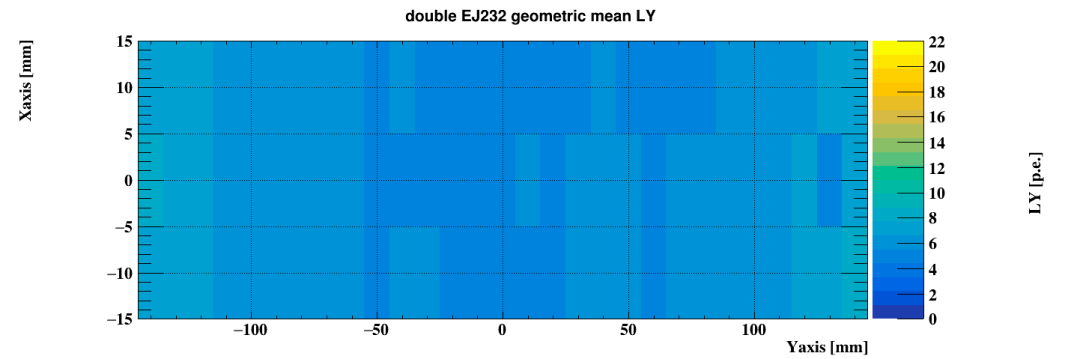
Ch2 light yield



Ch1 and ch2 sum

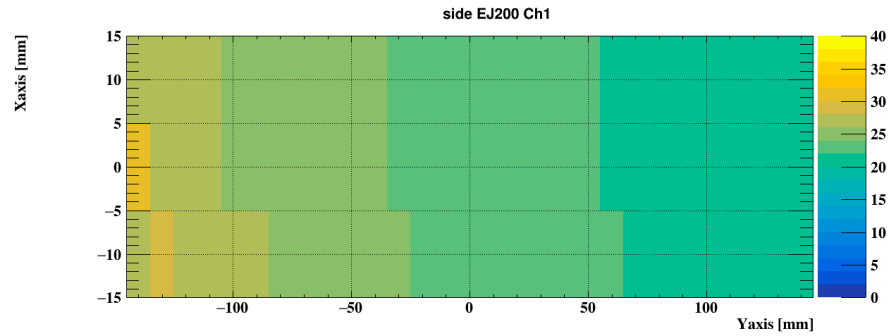


ch1 and ch2 geometric mean

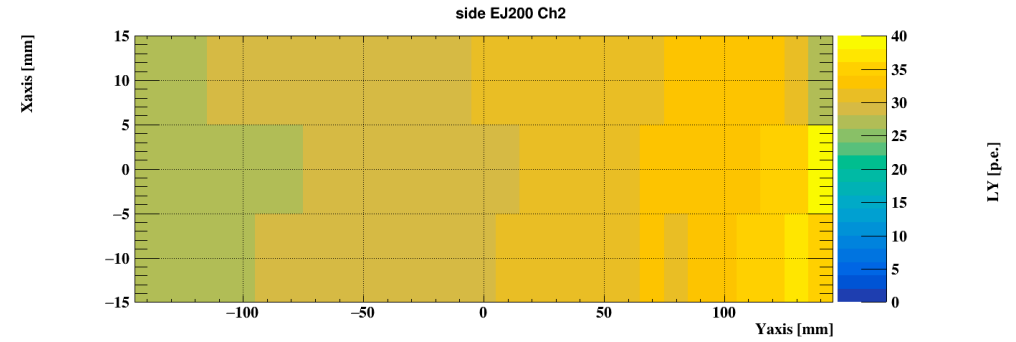


# Side readout (EJ200)

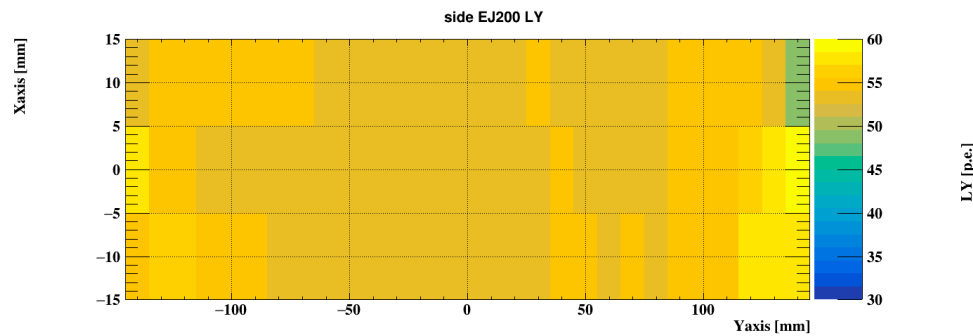
Ch1 at left side



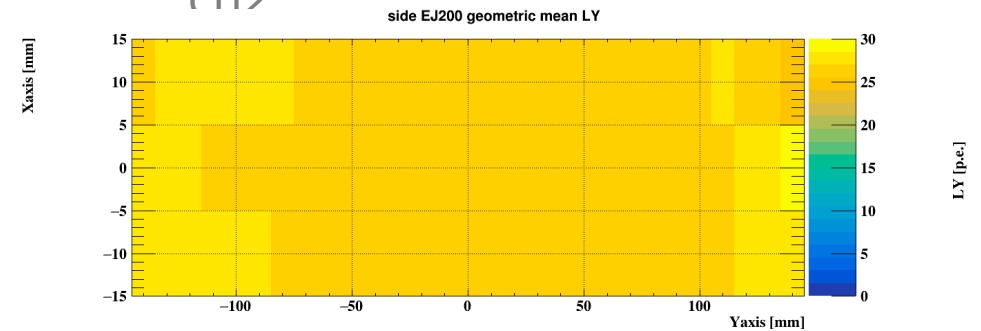
Ch2 at right side



Ch1 and ch2 sum

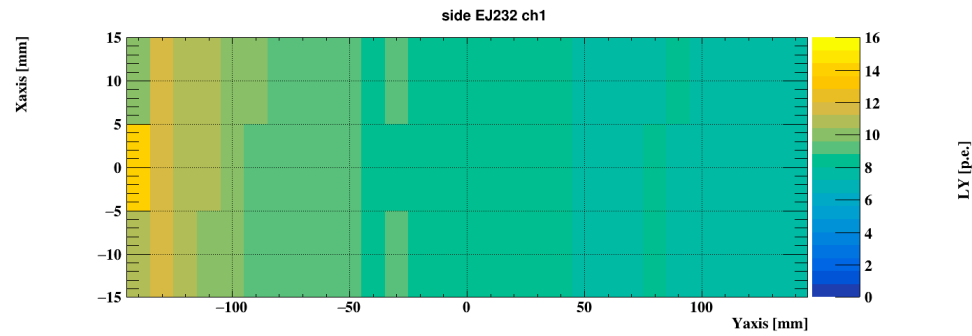


Geometric mean ch1 and ch2

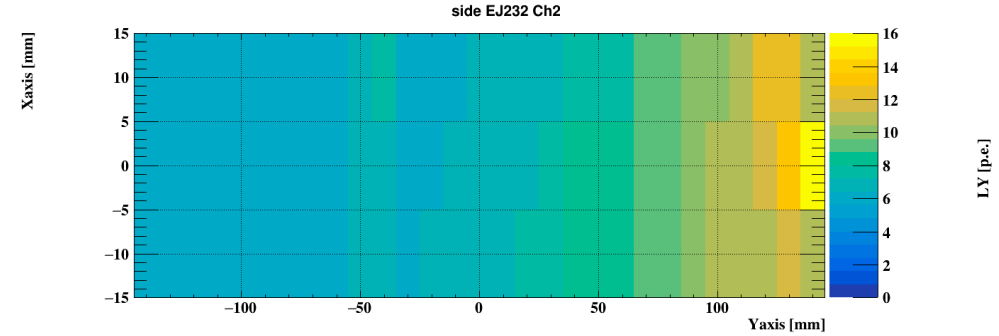


# Side readout (EJ232)

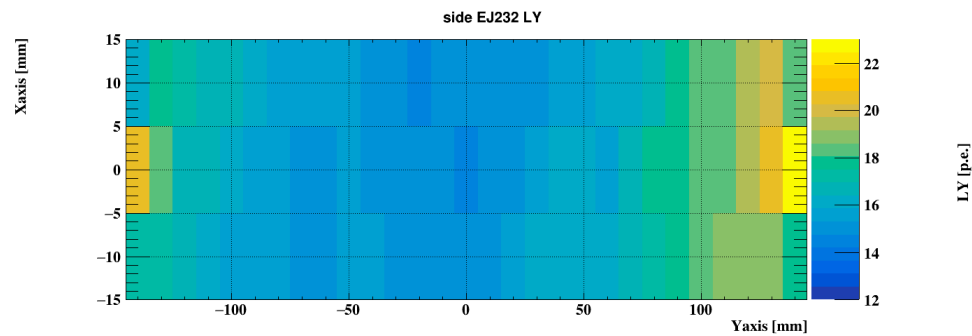
Ch1 at left side



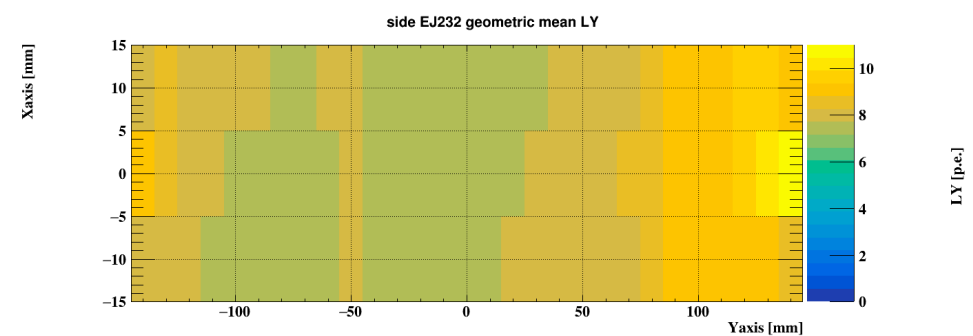
Ch2 at right side



Ch1 and ch2 sum

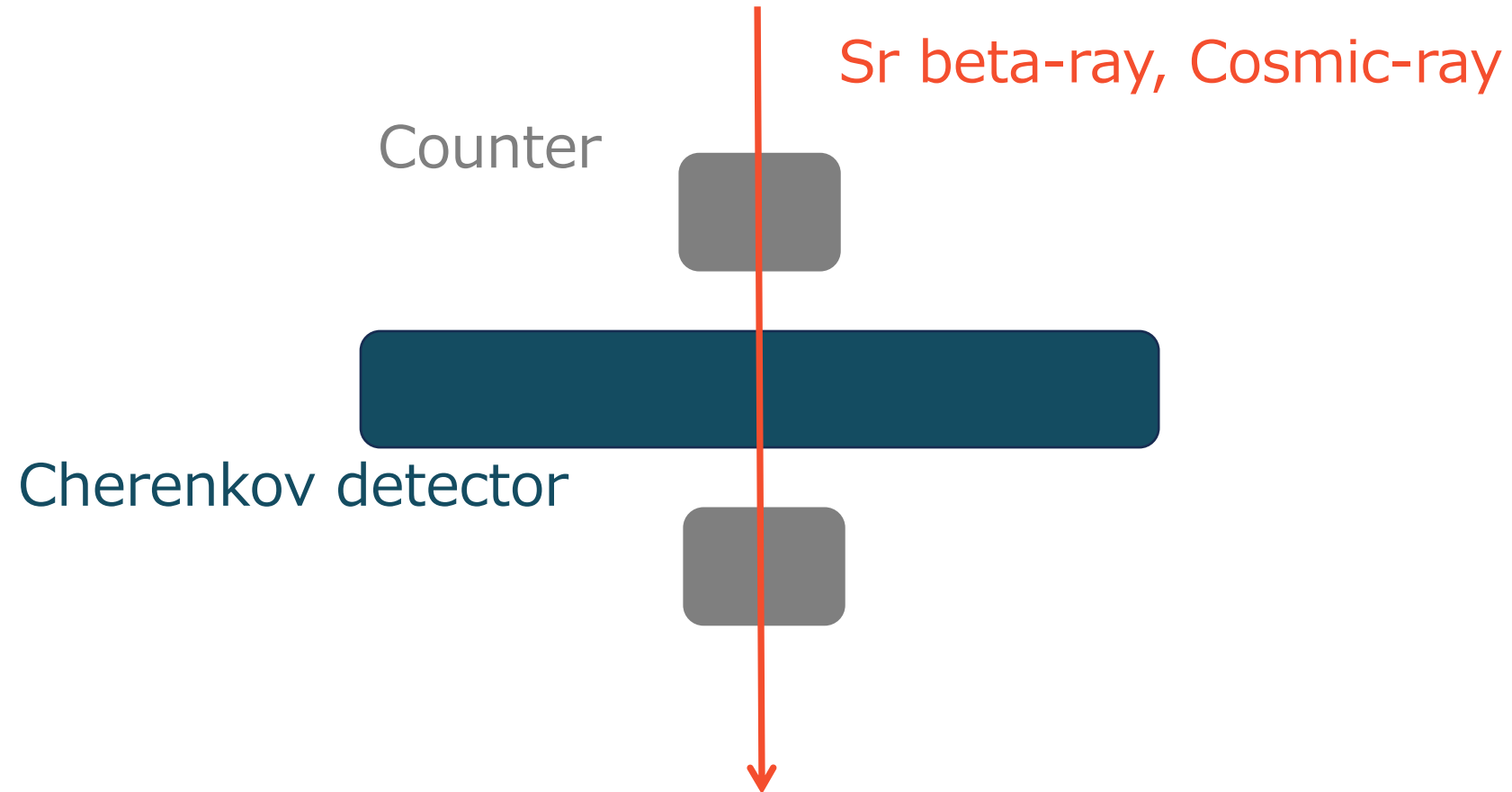


Geometric mean ch1 and ch2



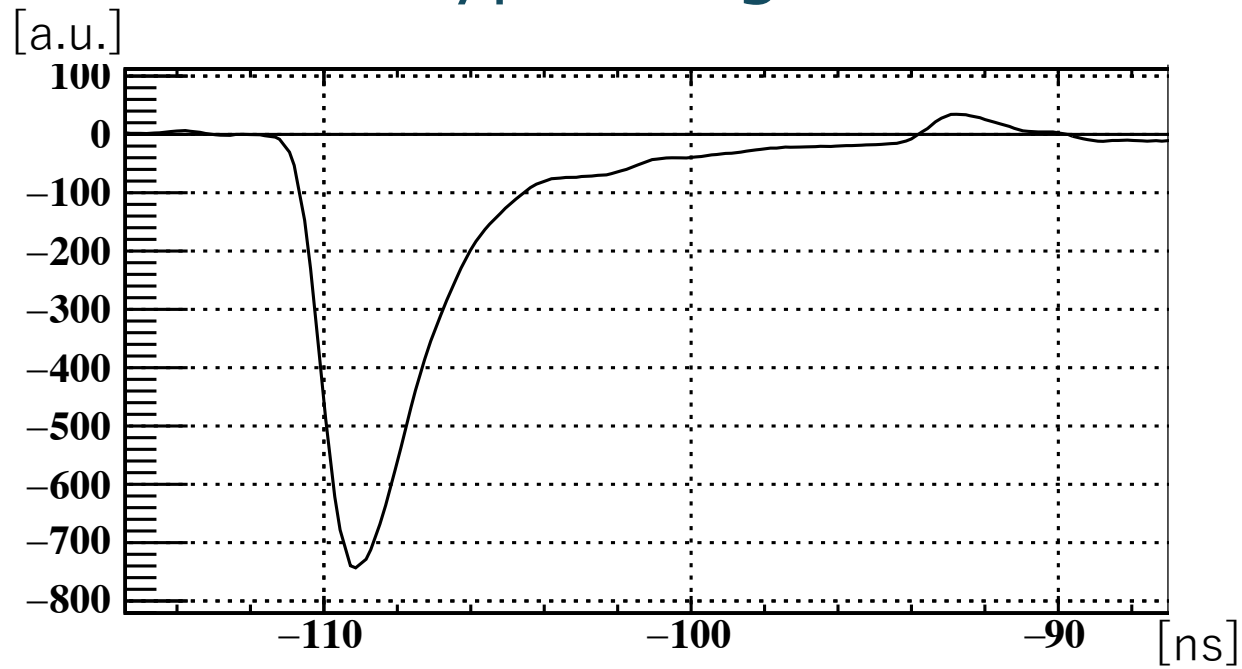
# DLC-RPC Cherenkov detector

# Experimental setup

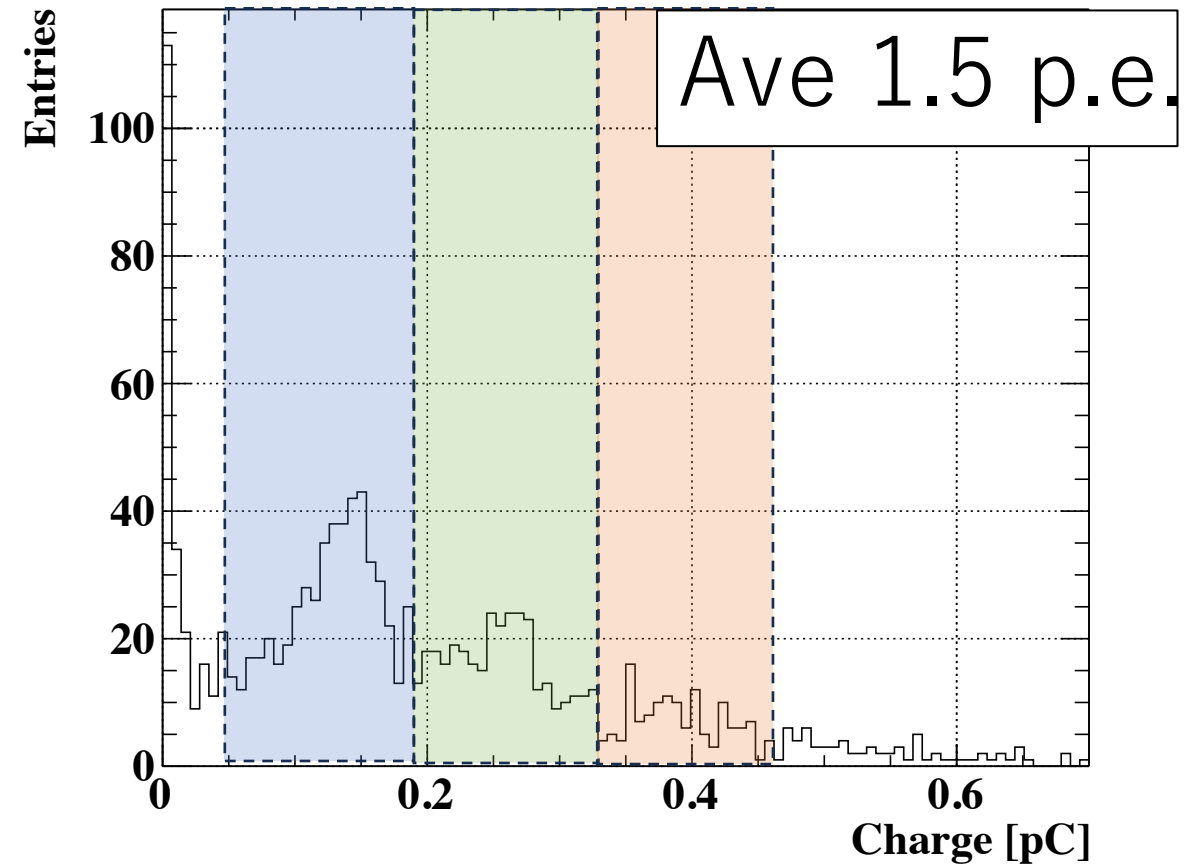


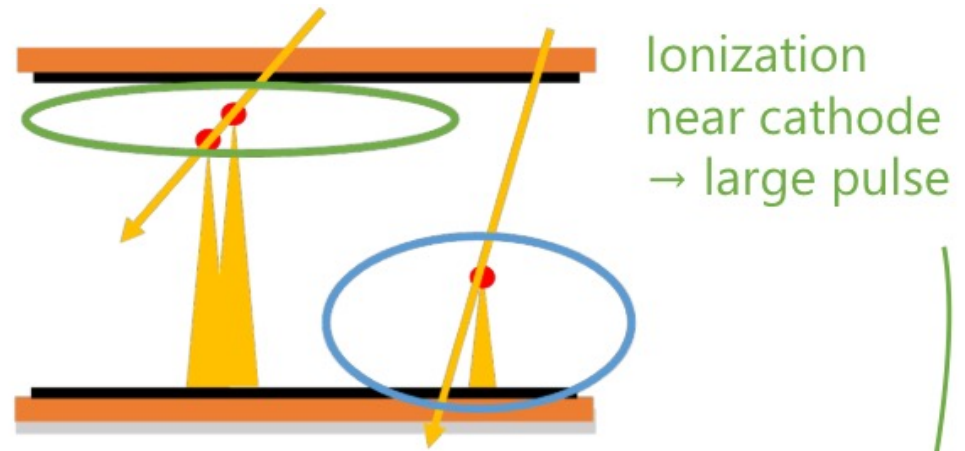
# Data

## Typical signal



## Cosmic-ray test





**DLC-RPC Time Resolution Height Slice**

