

Hyperon spectroscopy at J-PARC

Kiyoshi Tanida

(Advanced Science Research Center,
Japan Atomic Energy Agency)

Workshop on Hadron Spectroscopy
with Strangeness (@Glasgow U.)

4 April 2024



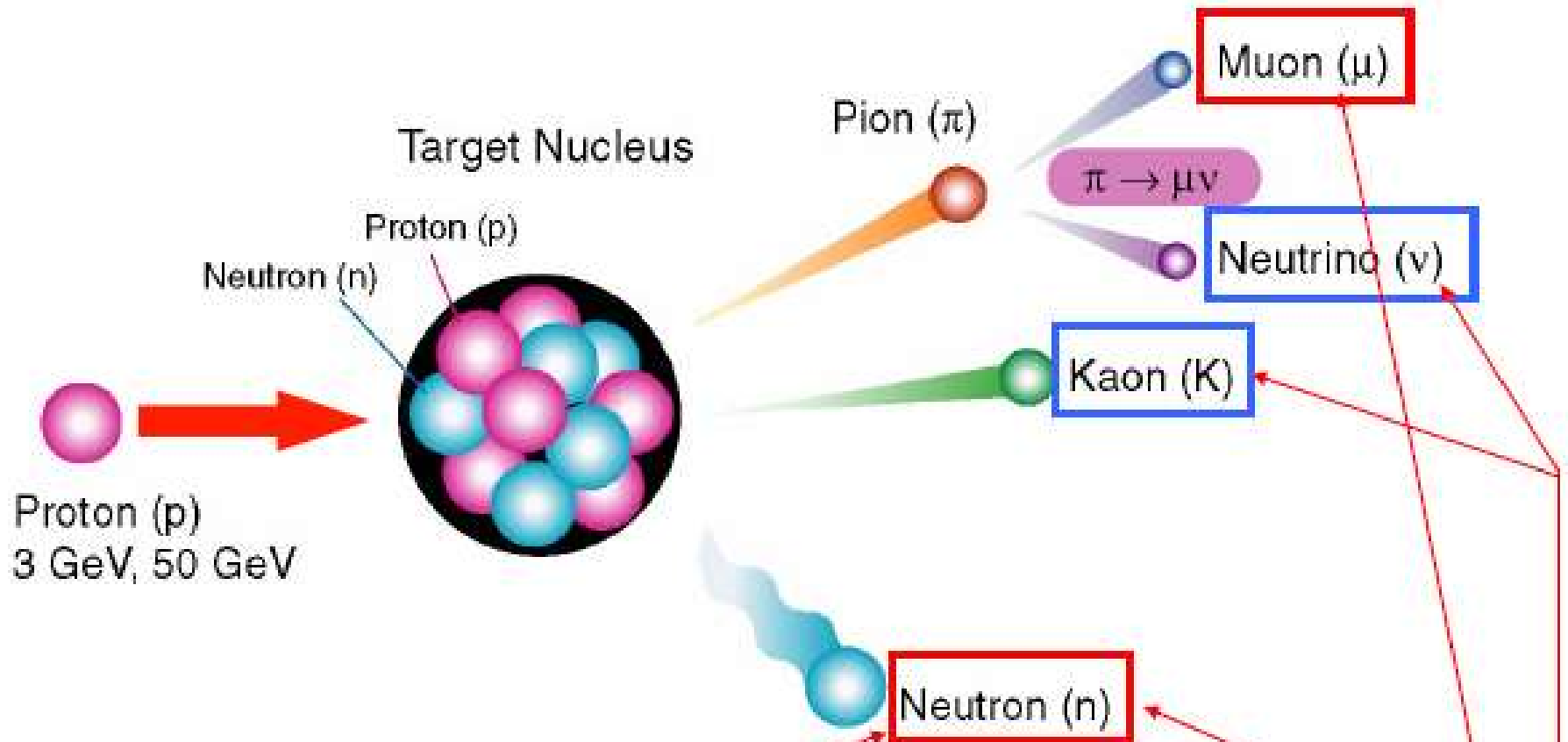
J-PARC

Tokai, Japan

(Japan Proton Accelerator Research Complex)

Material and Biological

50 GeV Synchrotron



Need to have high-power proton beams

→ MW-class proton accelerator (current frontier is about 0.1 MW)

Materials & Life Sciences at 3 GeV
Nuclear & Particle Physics at 50 GeV
R&D toward Transmutation at 0.6 GeV

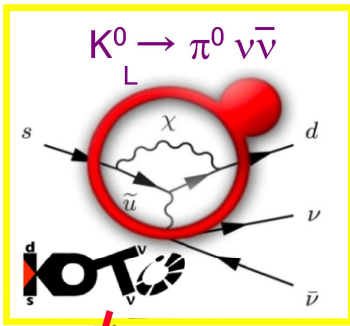
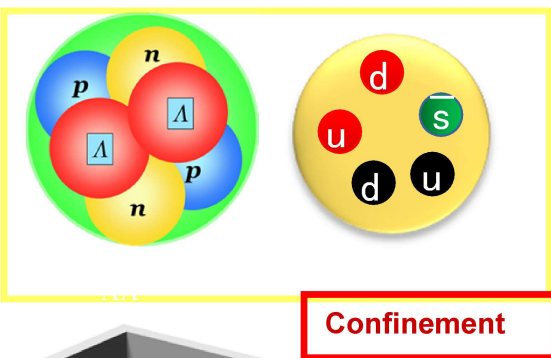
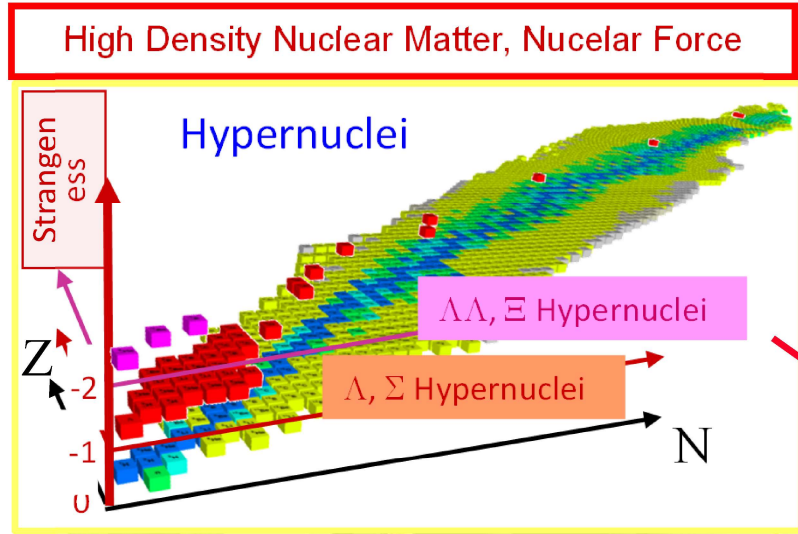
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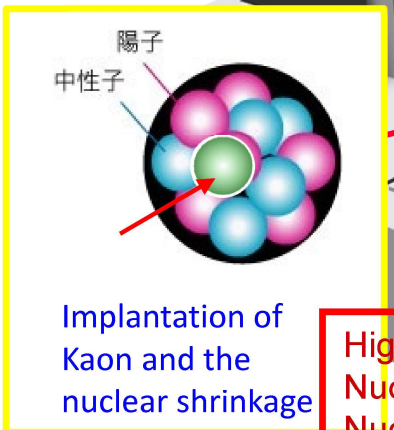
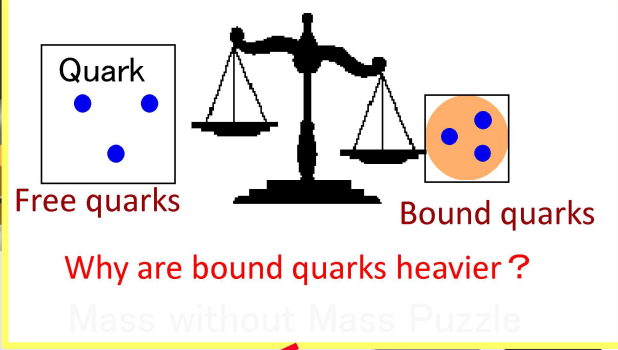
Nuclear & Hadron Physics in J-PARC



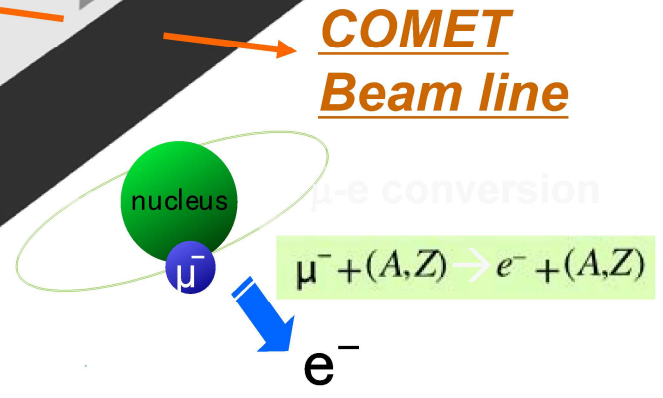
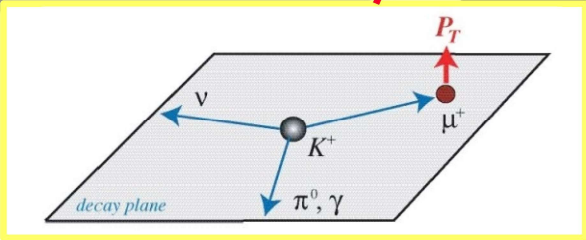
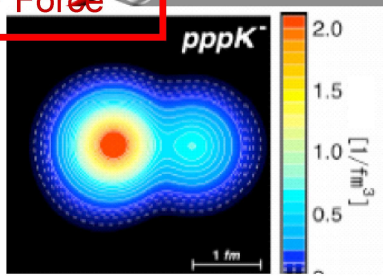
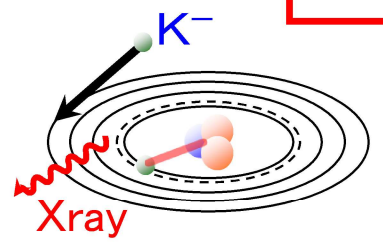
Experiments at a glance (not all)



Origin of Mass



High Density Nuclear Matter, Nuclear Force



Topics of the day

I. Finished

- E31: Hyperon Resonances Below $\bar{K}N$ Threshold

II. Under analysis (data taking finished)

- E42: H-dibaryon search

III. Coming experiments

- E72: Search for new exotic narrow Λ^*
- E90(+ α): ΣN scattering length via cusp spectroscopy

IV. Summary

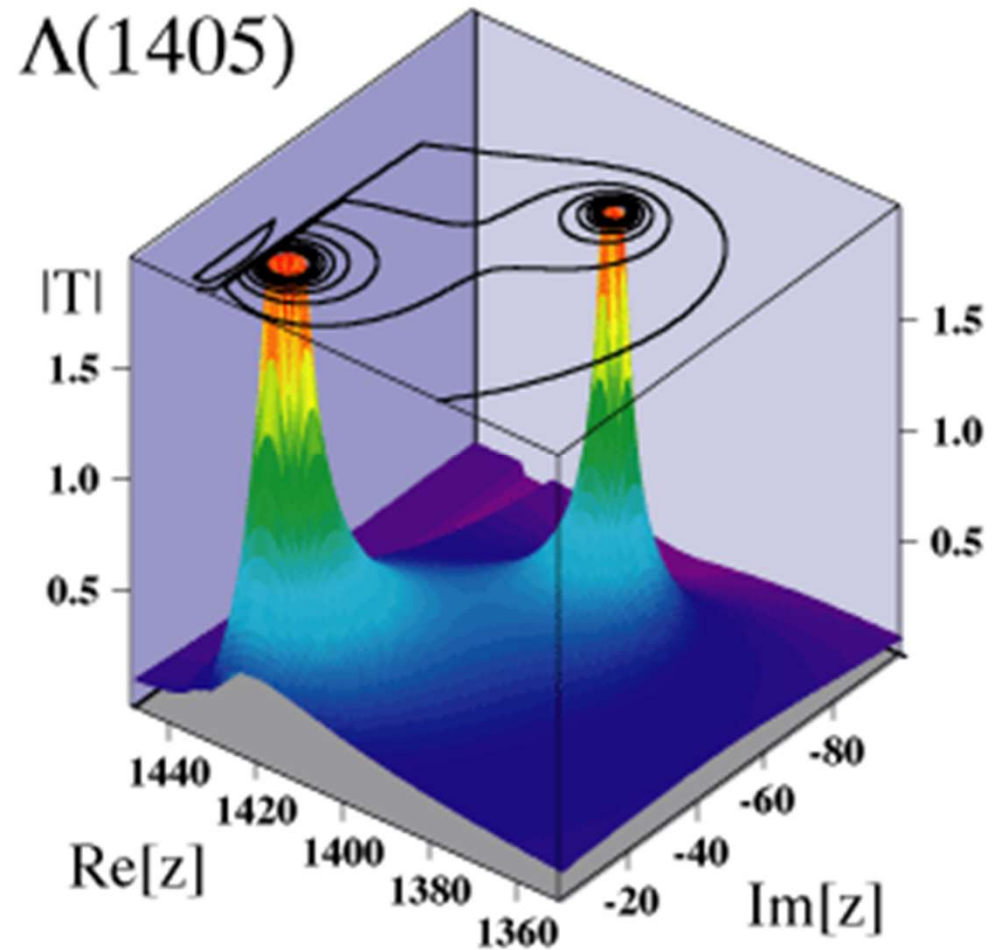
Multi-strangeness systems and future of J-PARC will be covered by Prof. Naruki on Friday.

E31:
Hyperon Resonances
Below $\bar{K}N$ Threshold

$\Lambda(1405)$

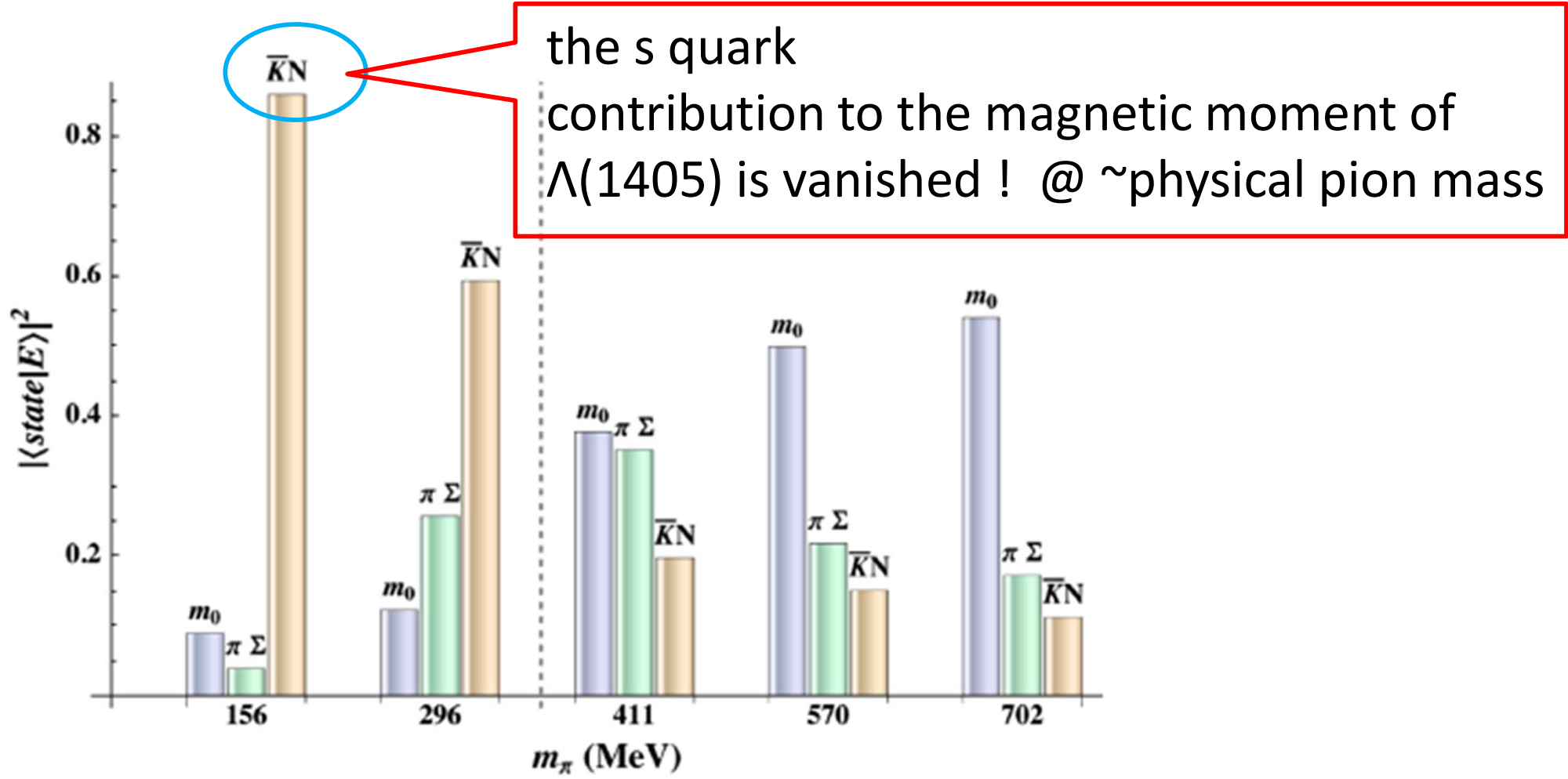
- $S=-1$, Mass ~ 1405 MeV, $J^\pi=1/2^-$
- The lightest negative-parity baryon, though it has strangeness
- 3 quark (uds) vs 5 quark?
- Bound state of $\bar{K}N$?
- $\pi\Sigma$ resonance?
- Double-pole structure?

Mysterious & interesting!



Lattice QCD Evidence that the $\Lambda(1405)$ Resonance is an $\bar{K}N$ molecule

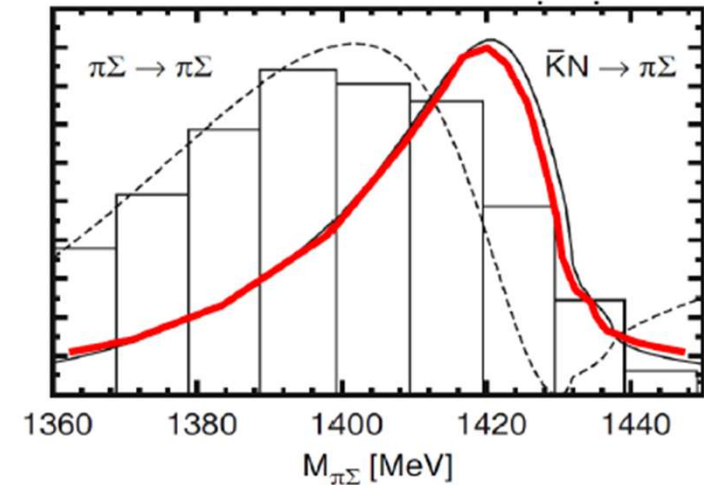
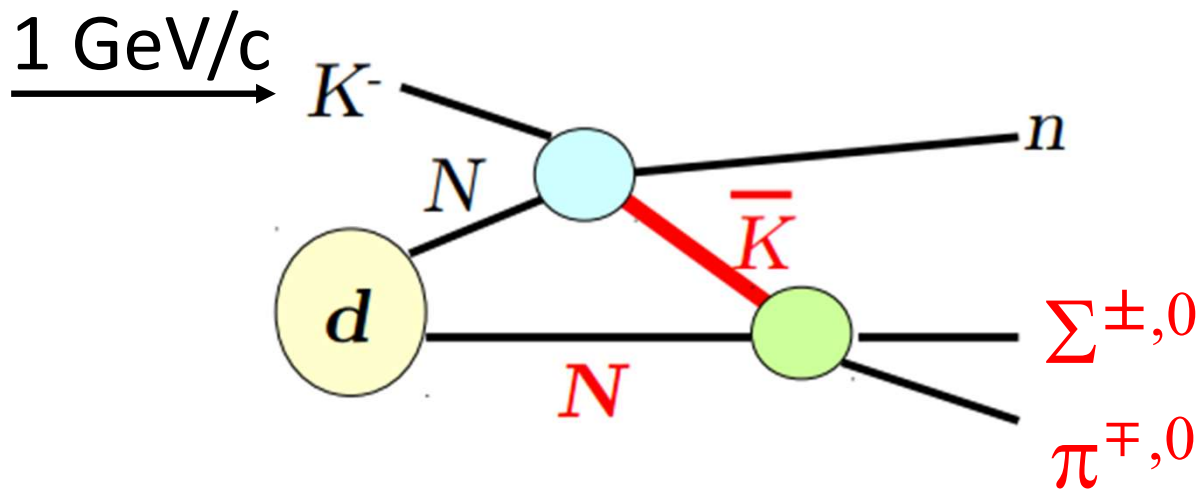
PRL 114, 132002 (2015)



Study of $\bar{K}N$ scattering below the $\bar{K}N$ threshold is important.

J-PARC E31 experiment

measuring an $\bar{K}N \rightarrow \pi\Sigma$ scattering below the $\bar{K}N$ threshold in the $d(K^-,n)\pi\Sigma$ reactions



ChiralUnitary Model:

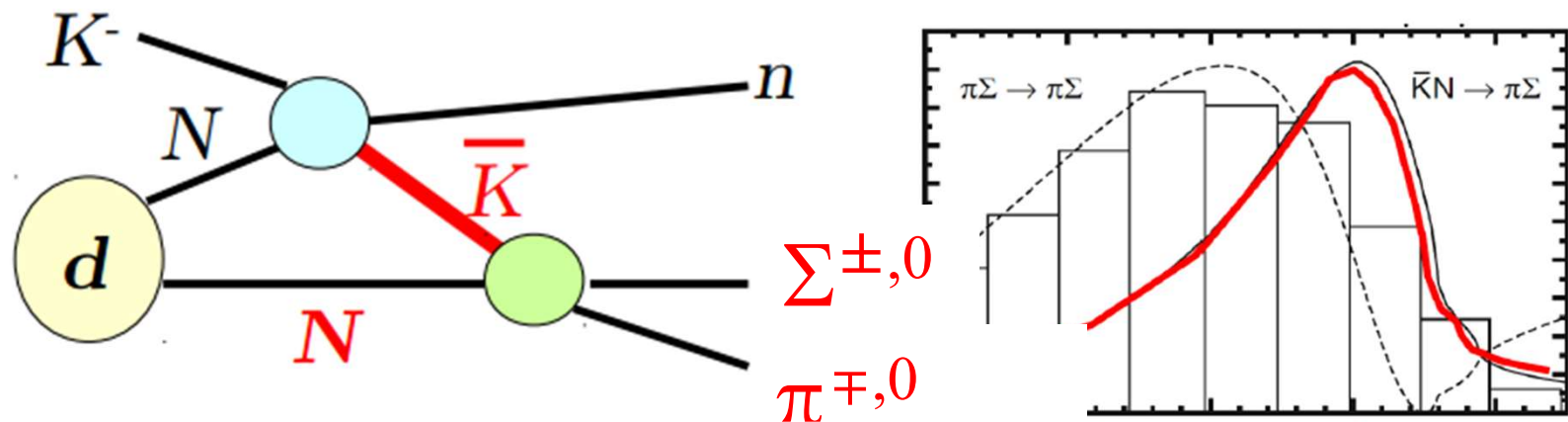
D. Jido et al., NPA725(03)181

- 2 step process
- Producing $\Lambda(1405)$ by virtual \bar{K}

J-PARC E31 experiment

measuring an $\bar{K}N \rightarrow \pi\Sigma$ scattering below the $\bar{K}N$ threshold in the $d(K^-,n)\pi\Sigma$ reactions

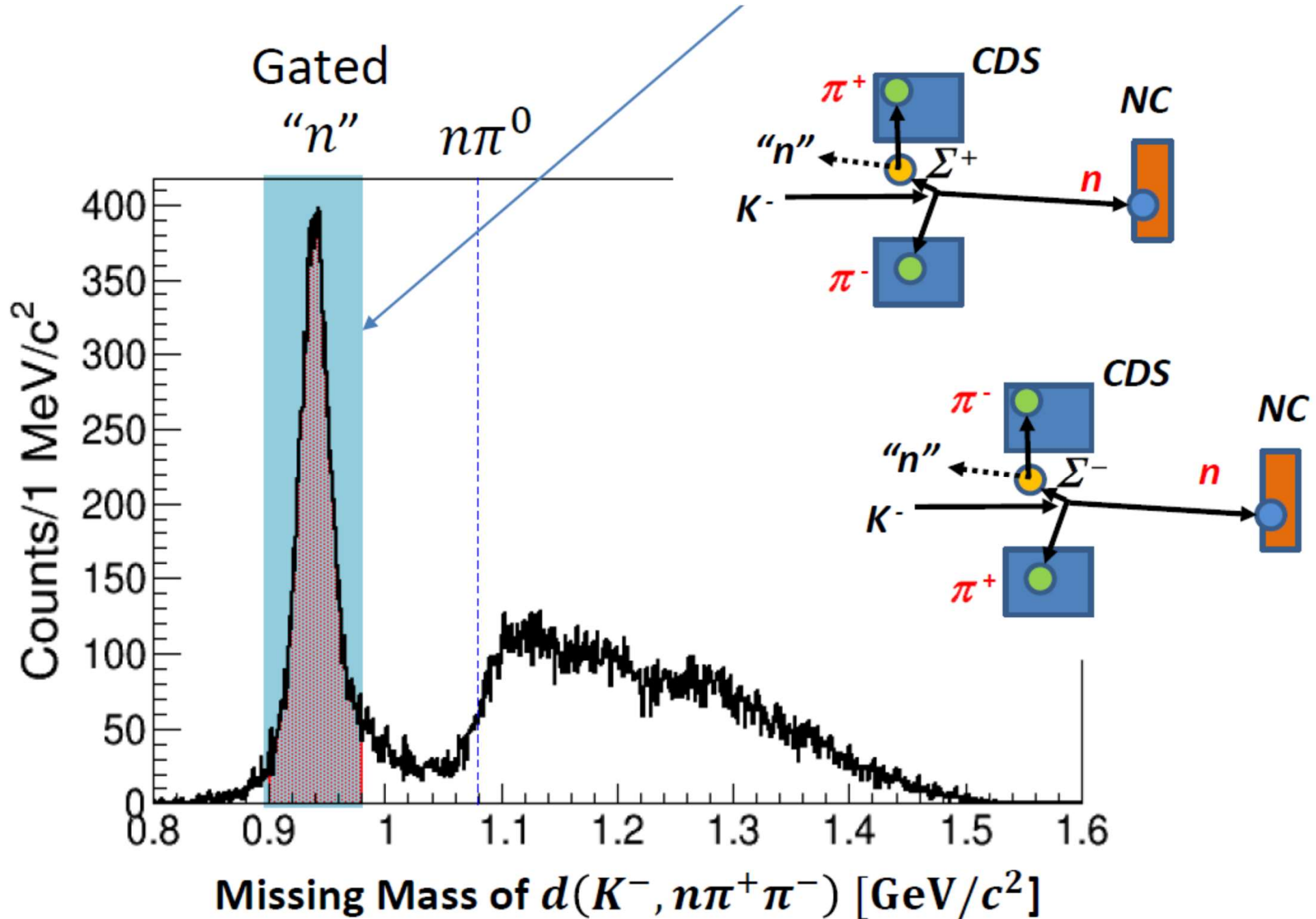
$1 \text{ GeV}/c$



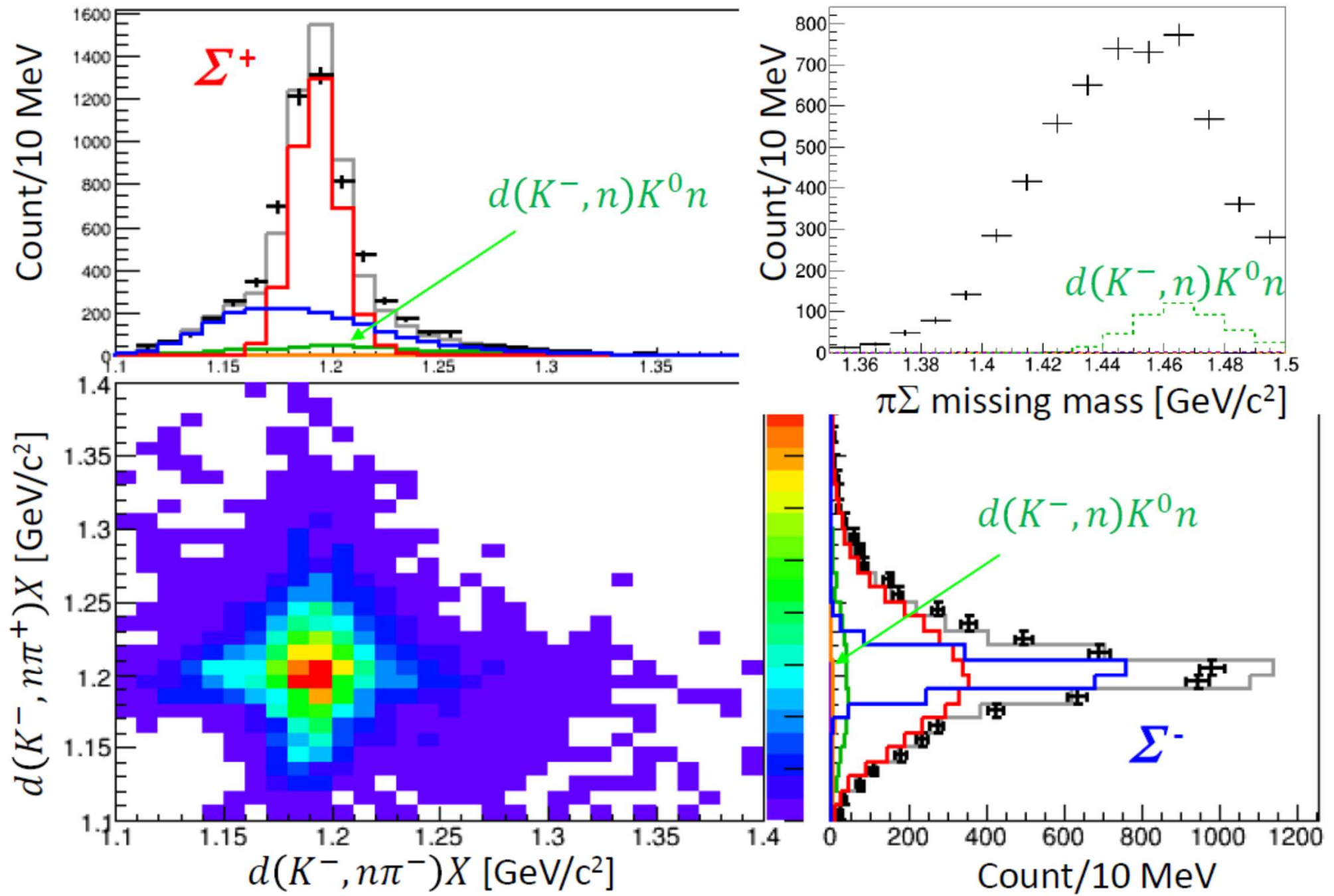
Identifying all final states to decompose the $l=0$ and $l=1$ amplitude

$\pi^{\mp}\Sigma^{\pm}$	$l=0, 1$	$\Lambda(1405)$ $l=0$ S-wave, non-resonant $\Sigma(1385)$ $l=1$ P-wave	Charged mode
$\pi^-\Sigma^0$ [$\pi^-\Lambda$]	$l=1$	$d(K^-,p)\pi^-\Sigma^0$ [$\pi^-\Lambda$]	
$\pi^0\Sigma^0$	$l=0$	$\Lambda(1405)$ ($l=0$, S wave) non-resonant	Neutral mode

Missing neutron ID in $\Sigma\pi$ channel

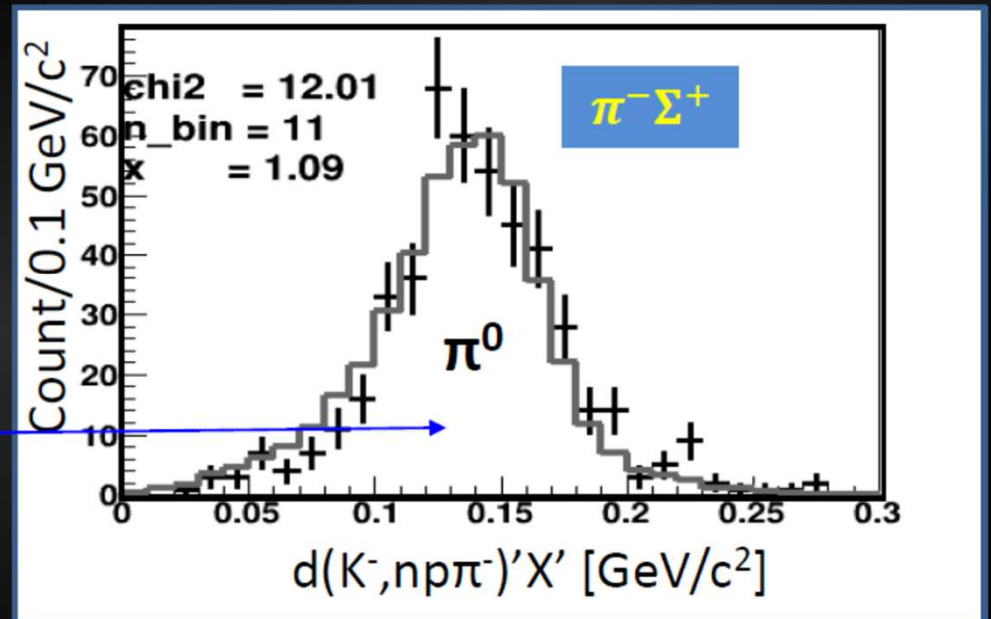
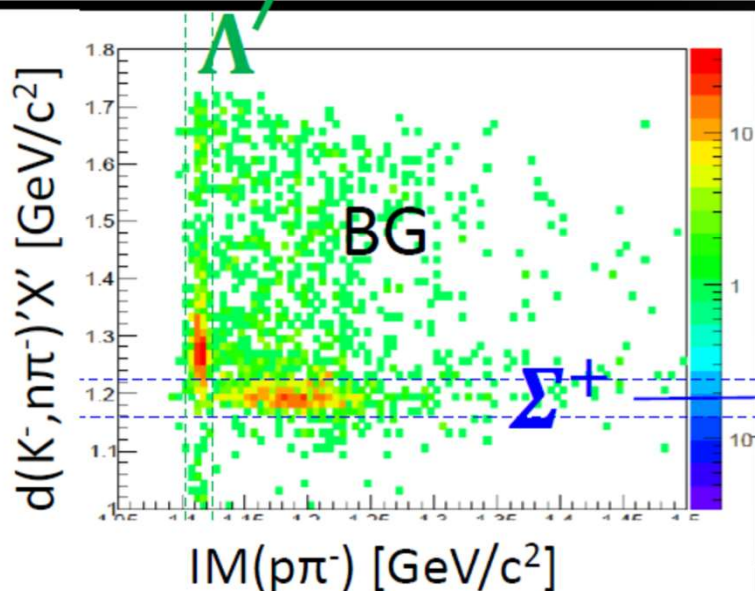
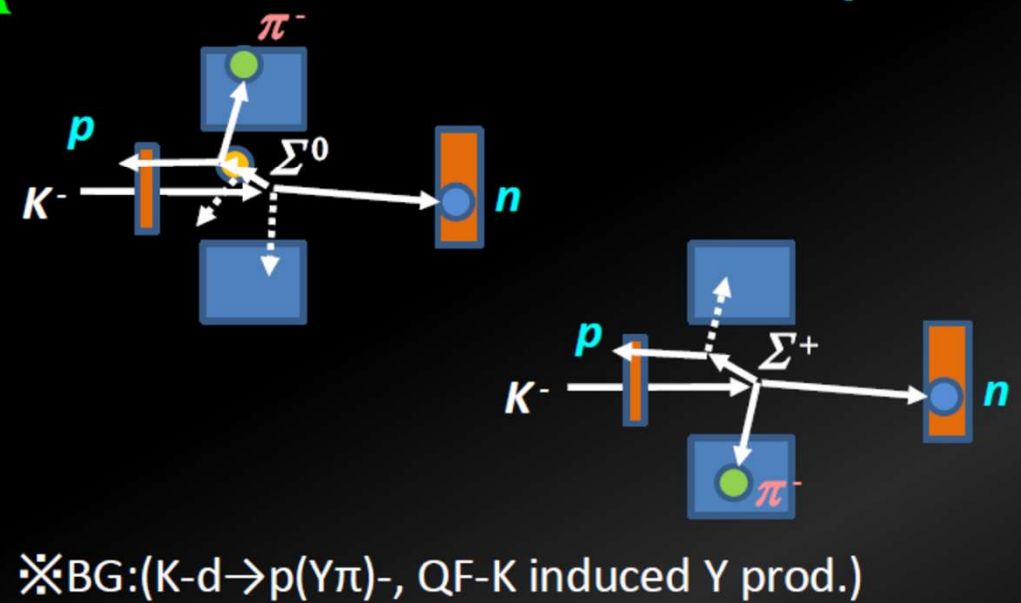
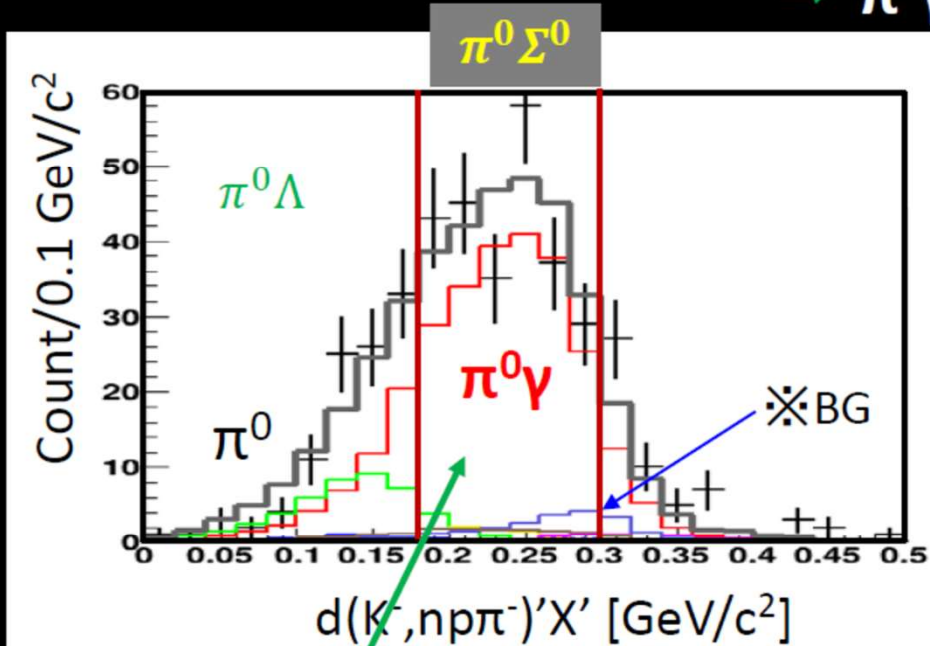


Template fitting



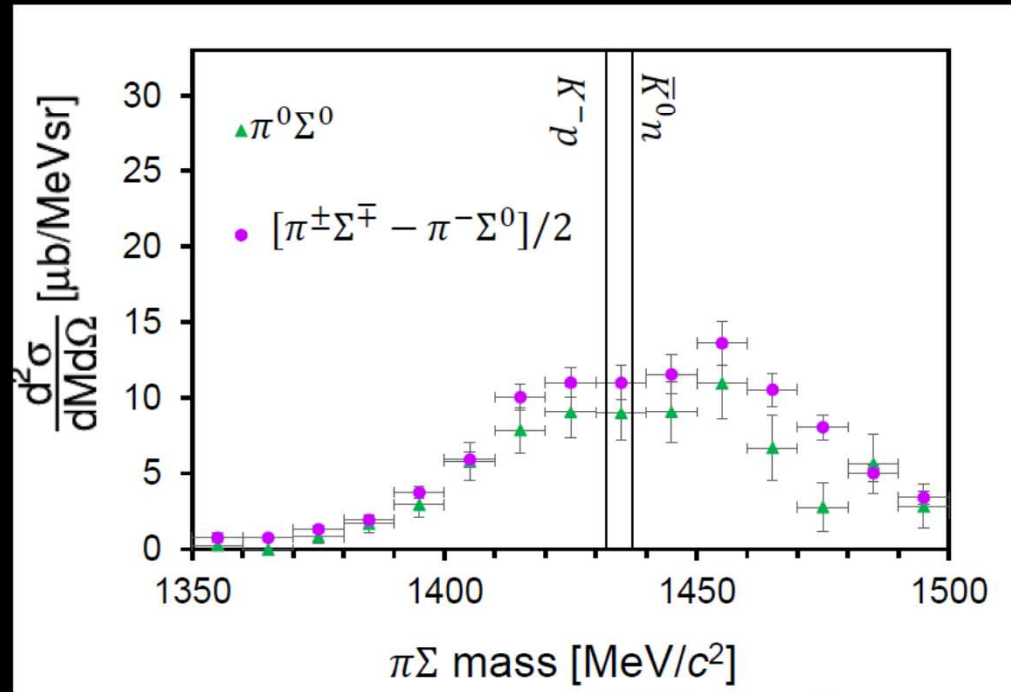
$$d(K^-, n) \pi^0 \Sigma^0 \text{ vs } d(K^-, n) \pi^- \Sigma^+$$

↙ $\pi^0 \gamma \Lambda$
↙ $\pi^- p \pi^0$

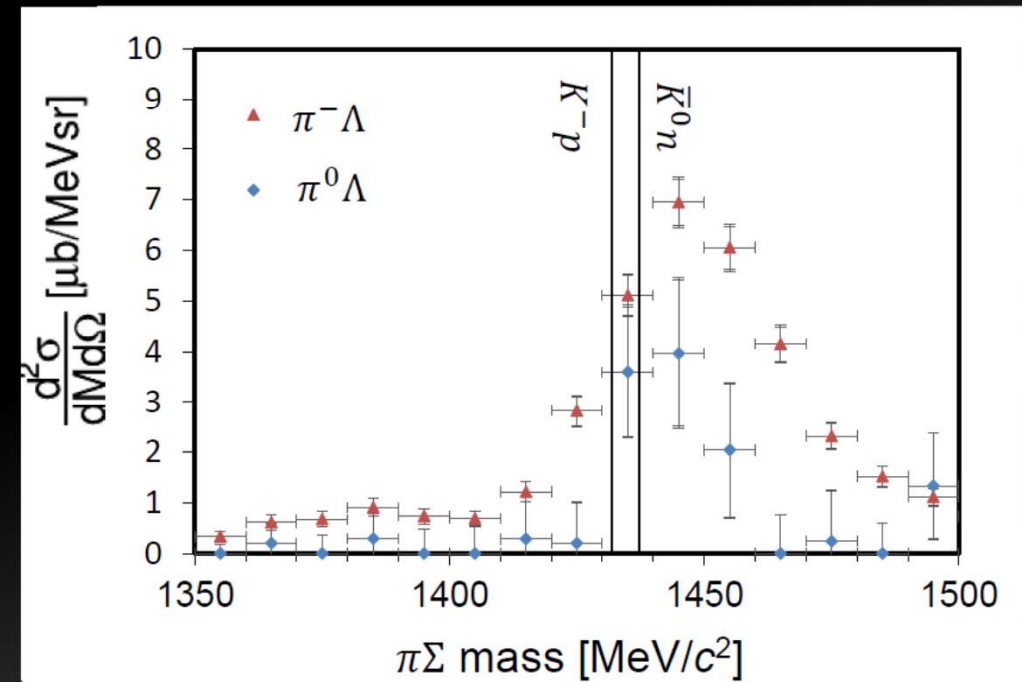


Isospin relations seem to be satisfied well.

$[\pi^\pm \Sigma^\mp - \pi^- \Sigma^0]/2$ vs $\pi^0 \Sigma^0$ ($I' = 0$)



$\pi^- \Lambda$ vs $\pi^0 \Lambda$ ($I' = 1$)



$$\frac{d\sigma}{d\Omega}([\pi^\pm \Sigma^\mp - \pi^- \Sigma^0]/2) \propto \left| -\frac{3T_1^{I=0} - T_1^{I=1}}{4\sqrt{3}} T_2^{I'=0} \right|^2$$

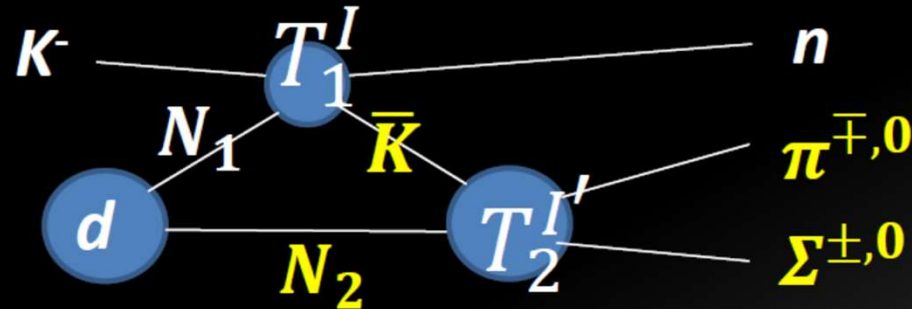
$$\approx \frac{d\sigma}{d\Omega}(\pi^0 \Sigma^0) \propto \left| -\frac{3T_1^{I=0} - T_1^{I=1}}{4\sqrt{3}} T_2^{I'=0} \right|^2$$

$$\frac{d\sigma}{d\Omega}(\pi^- \Lambda) \propto \left| \frac{T_1^{I=0} + T_1^{I=1}}{2\sqrt{2}} T_2^{I'=1} \right|^2$$

$$\approx 2 \times \frac{d\sigma}{d\Omega}(\pi^0 \Lambda) \propto \left| -\frac{T_1^{I=0} + T_1^{I=1}}{4} T_2^{I'=1} \right|^2$$

Extracting Scattering Amplitude

- 2-step process



$$\begin{aligned} \frac{d\sigma}{dM_{\pi\Sigma}} \Big|_{\theta_n=3^\circ} &\sim \left| \langle n\pi\Sigma | T_2^{I'} (\bar{K}N_2 \rightarrow \pi\Sigma) G_0 T_1^I (K^- N_1 \rightarrow \bar{K}n) | K^- \Phi_d \rangle \right|^2 \\ &\sim \left| T_2^{I'} (\bar{K}N \rightarrow \pi\Sigma) \right|^2 F_{\text{res}}(M_{\pi\Sigma}) \end{aligned}$$

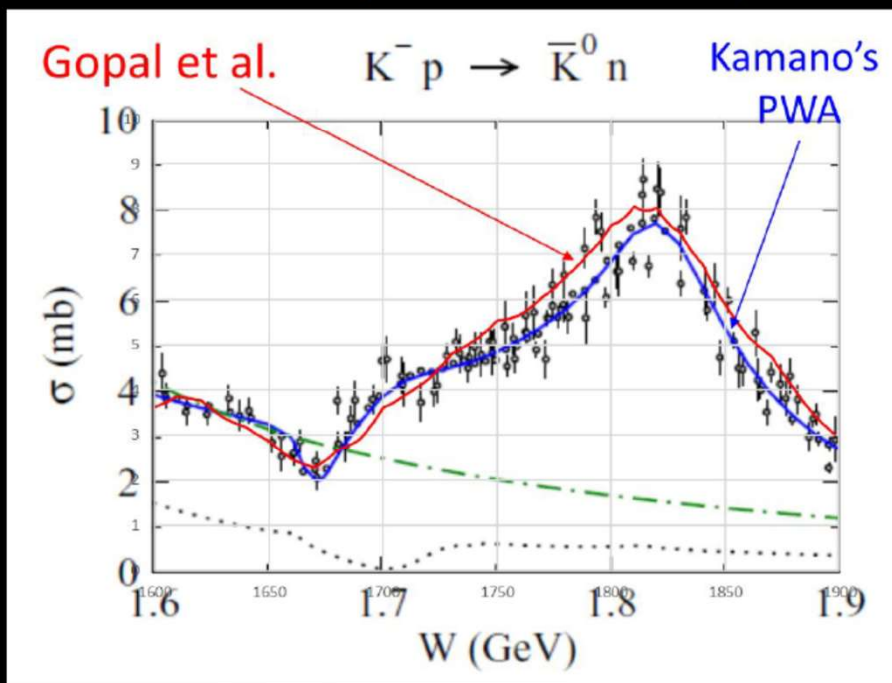
Factorization Approximation

$$F_{\text{res}}(M_{\pi\Sigma}) \sim \left| \int_0^\infty dq_{N_2}^3 T_1^I \frac{1}{E_{\bar{K}} - E_{\bar{K}}(q_{\bar{K}}) + i\epsilon} \Phi_d(q_{N_2}) \right|^2, \quad q_{\bar{K}} + q_{N_2} = q_{\pi\Sigma}$$

E31: Response Function, $F_{\text{res}}(M_{\pi\Sigma})$

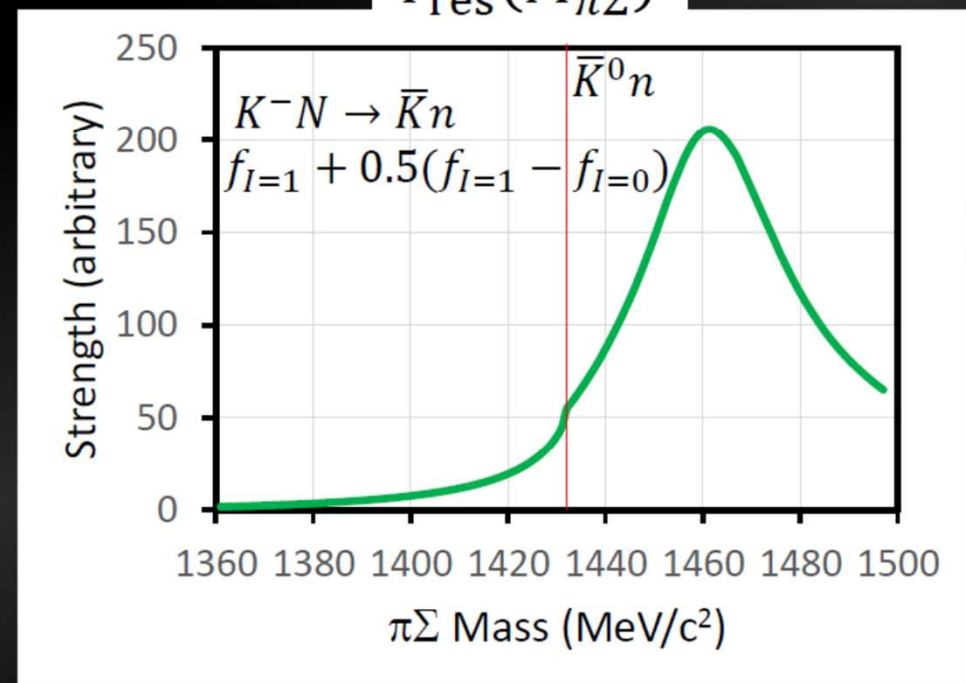
$$F_{\text{res}}(M_{\pi\Sigma}) \sim p_{\pi}^{cm} p_n^2 / |(E_{K^-} + m_d)\beta_n - p_{K^-} \cos \theta| \times \int d\Omega_{\pi}^{cm} E_{\pi} E_{\Sigma} \left| \int q_2 T_1^I(p_{K^-}, q_N, p_n, q_{\bar{K}}, \cos \theta_{n\bar{K}}; M_{\pi\Sigma}) G_0(q_2, q_1) \Phi_d(q_2) d^3 q_2 \right|^2$$

Elementary Cross Section for T_1^I



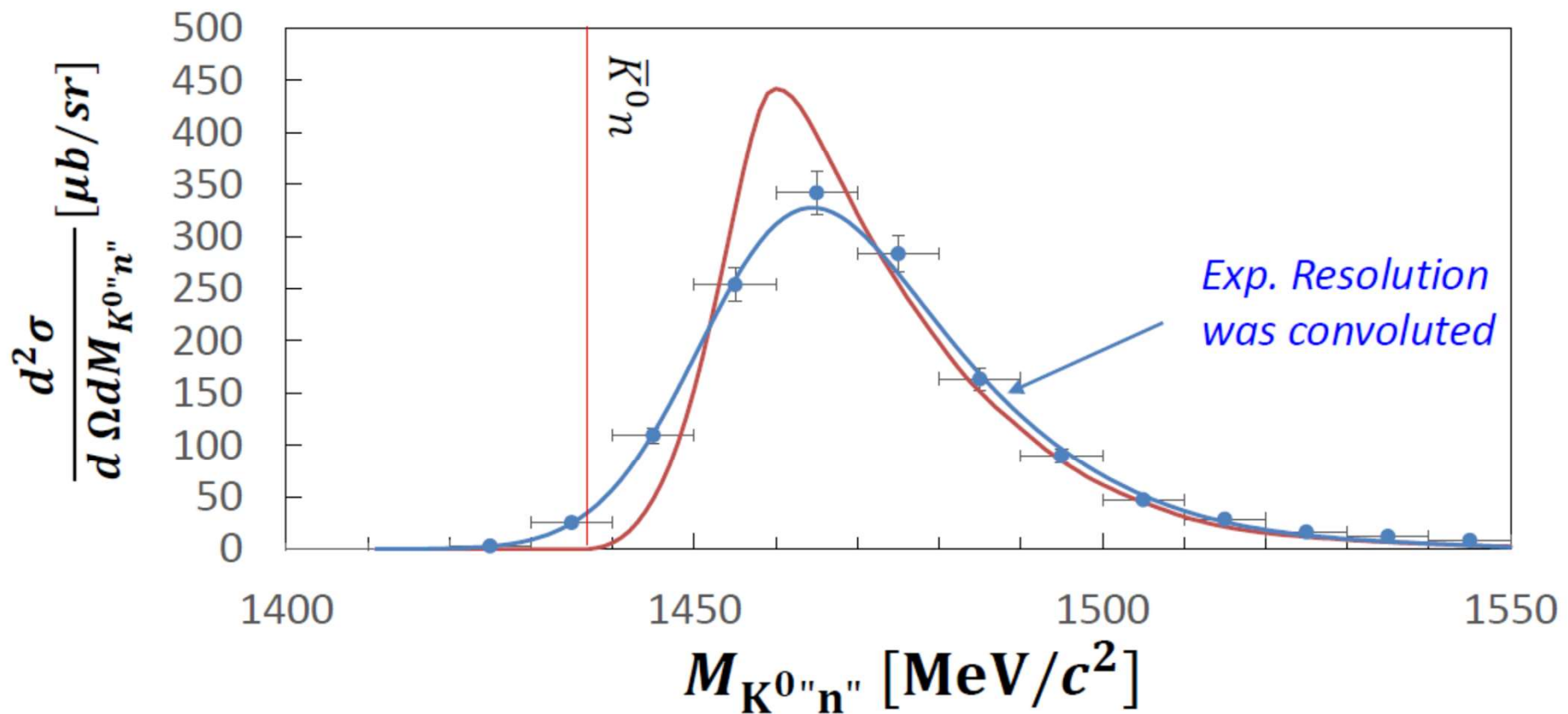
Gopal et al., NPB119, 362(1977)

$F_{\text{res}}(M_{\pi\Sigma})$



Demonstration for fitting data with the 1-step $K^- d \rightarrow n K^0 n$ reaction calculation

- Data: $d(K^-, n) \bar{K}^0 n$ Ks/KL, BR(Ks- \rightarrow pi \pm -) corrected (K. Inoue)



$\bar{K}N$ Scattering Amplitude

L. Lensniak, arXiv:0804.3479v1(2008)

$$\bullet T_2^{I'}(\bar{K}N \rightarrow \bar{K}N) = \frac{A}{1 - iAk_2 + \frac{1}{2}ARk_2^2}$$

$$\bullet T_2^{I'}(\bar{K}N \rightarrow \pi\Sigma) = \frac{1}{\sqrt{k_1}} e^{i\delta_0} \frac{\sqrt{\text{Im}A - \frac{1}{2}|A|^2 \text{Im}Rk_2^2}}{1 - iAk_2 + \frac{1}{2}ARk_2^2}$$

$$\bullet T_2^{I'}(\pi\Sigma \rightarrow \pi\Sigma)$$

$$= \frac{e^{i\delta_0}}{k_1} \frac{(\sin \delta_0 + i \text{Im}(e^{-i\delta_0} A)k_2 - \frac{1}{2} \text{Im}(e^{-i\delta_0} AR)k_2^2)}{1 - iAk_2 + \frac{1}{2}ARk_2^2}$$

- 5 real number parameters (effective range expansion)

– A : scattering length, R : effective range, δ_0 : phase

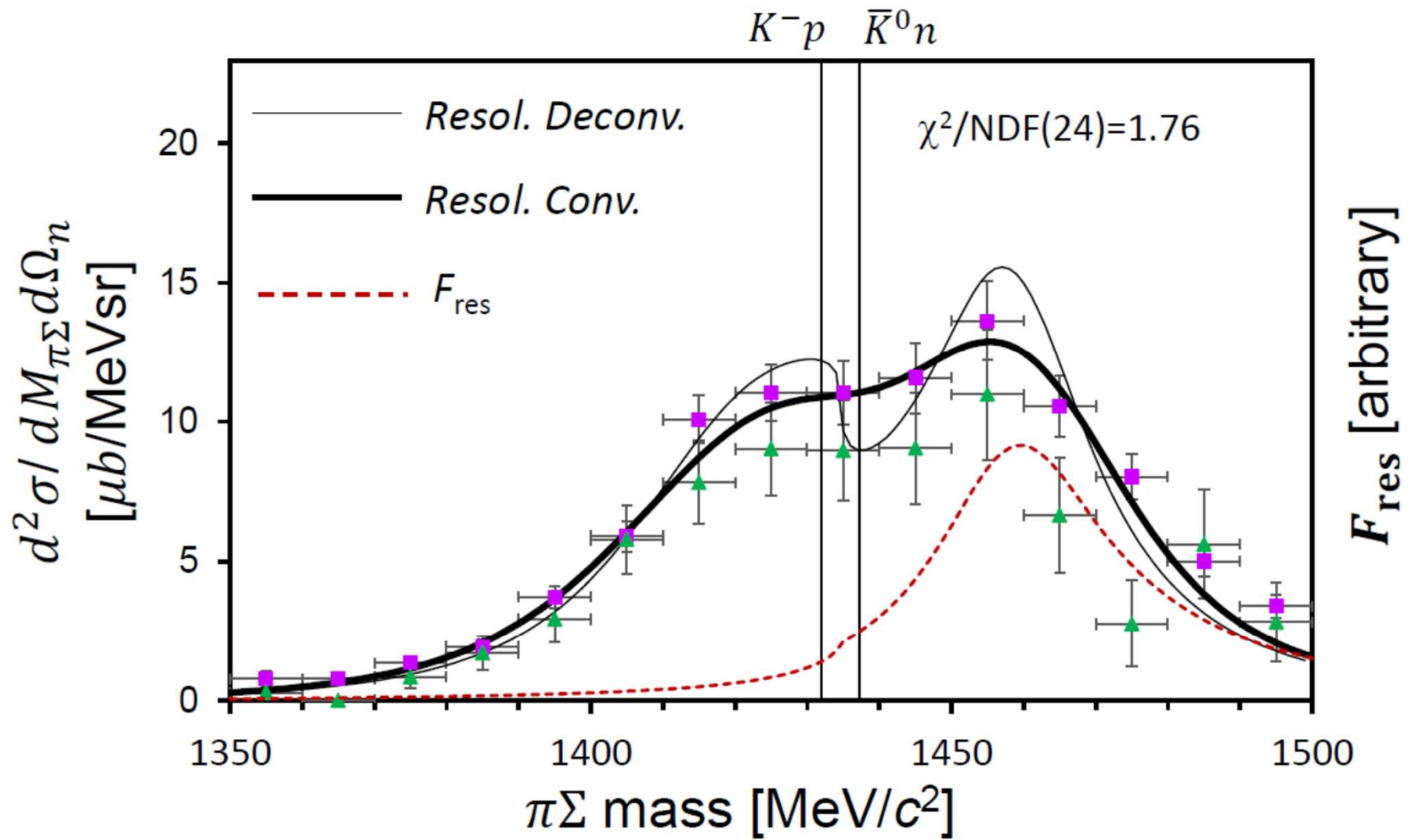
$$T_{11} = k_2 T_2^{I'}(\bar{K}N \rightarrow \bar{K}N),$$

$$T_{12} = \sqrt{k_1 k_2} T_2^{I'}(\bar{K}N \rightarrow \bar{K}N),$$

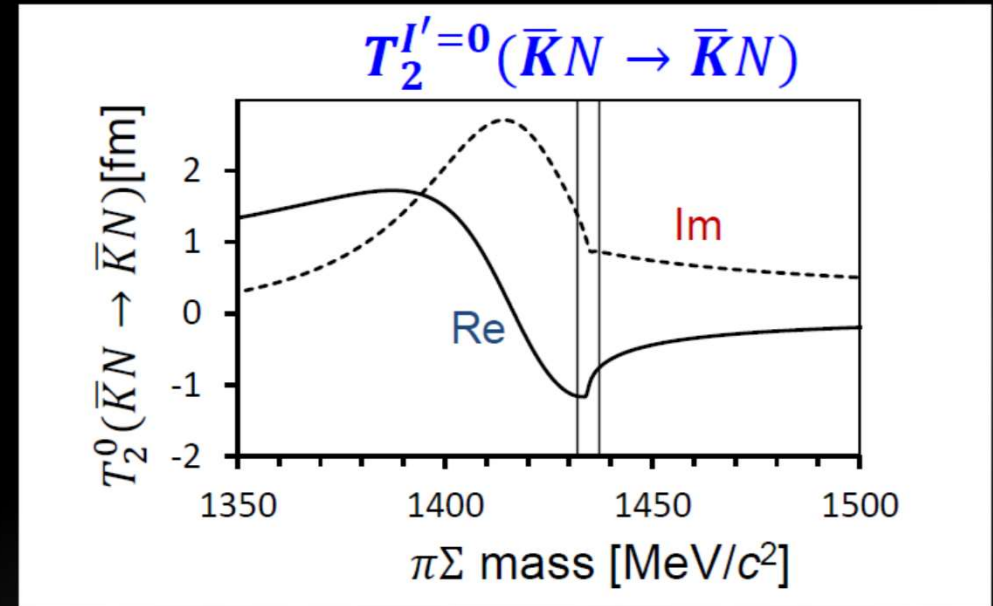
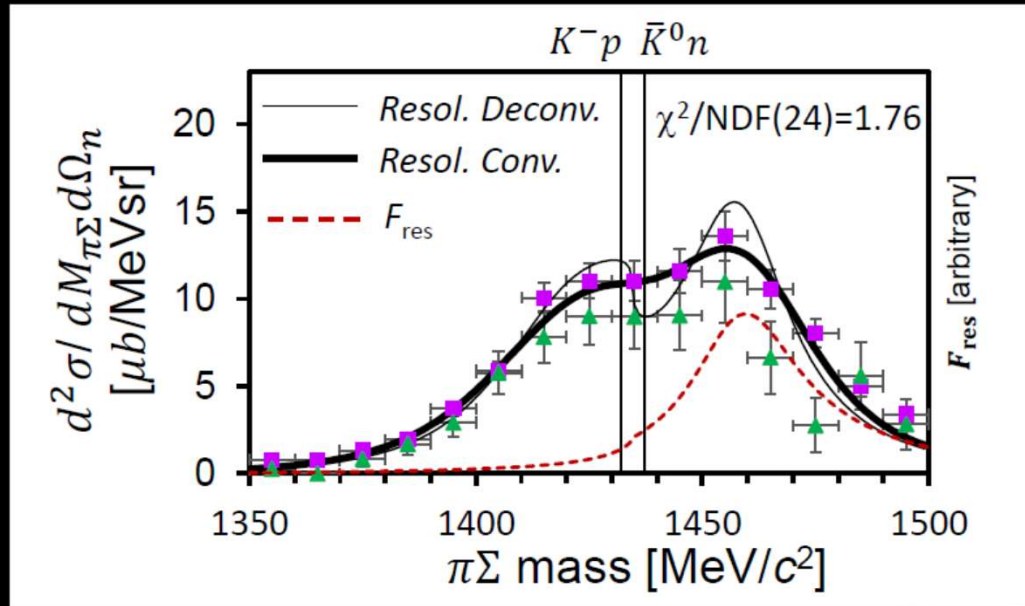
$$|T_{11}|^2 + |T_{12}|^2 = \text{Im}T_{11},$$

$$S = I + 2iT,$$

Fit the spectra to deduce $\bar{K}N$ scattering amplitude



Best fit $\bar{K}N$ scattering amplitude



A pole at $(1417.7_{-7.4}^{+6.0+1.1}) + (-26.1_{-7.9}^{+6.0+1.7})i$ MeV/c^2

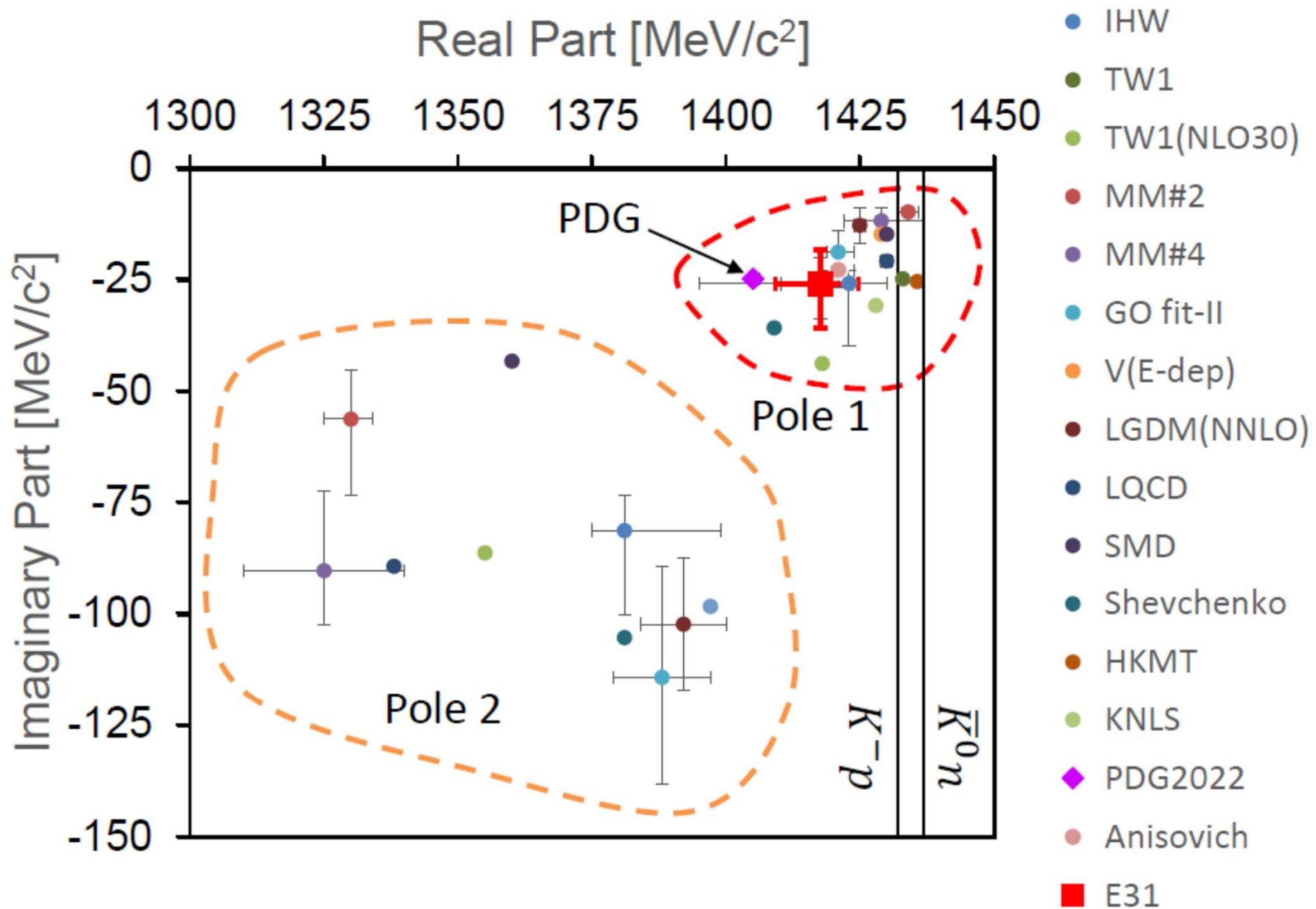
$$\left| T_2^{I'=0}(\bar{K}N \rightarrow \bar{K}N) \right|^2 / \left| T_2^{I'=0}(\bar{K}N \rightarrow \pi\Sigma) \right|^2 = 2.2_{-0.6}^{+1.0+0.3}$$

$$A^{I'=0} = (-1.12 \pm 0.11_{-0.07}^{+0.10}) + i(0.84 \pm 0.12_{-0.07}^{+0.08}) \text{ fm}$$

$$R^{I'=0} = (-0.18 \pm 0.31_{-0.06}^{+0.08}) + i(0.41 \pm 0.13_{-0.09}^{+0.09}) \text{ fm}$$

Phys. Lett. B837(2023)137637

$\Lambda(1405)$ pole position

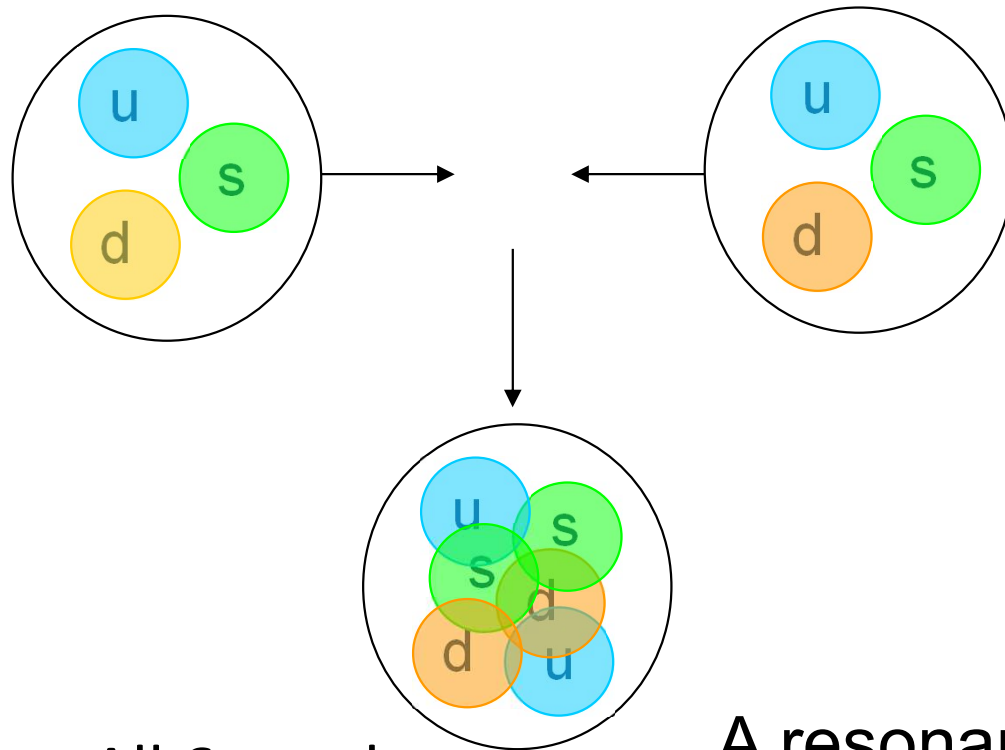


E42: H-dibaryon search

H dibaryon

Flavor-singlet (00) state (strangeness -2, isospin 0,
or 1S_0 state in $\Lambda\Lambda - \Xi N - \Sigma\Sigma$ system)

Color-magnetic force is not
repulsive, but attractive



6 quark state may exist

→ **H dibaryon**

but not found so far

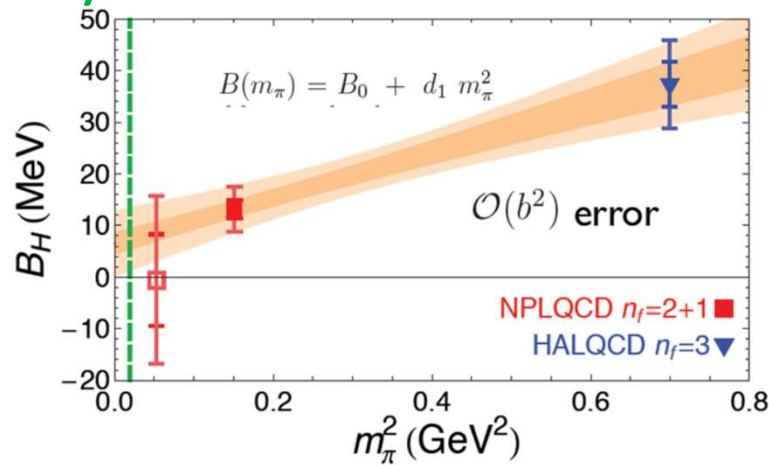
All 6 quarks
in s-state

A resonant state just above $\Lambda\Lambda$ threshold?

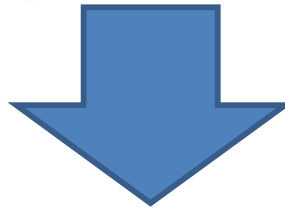
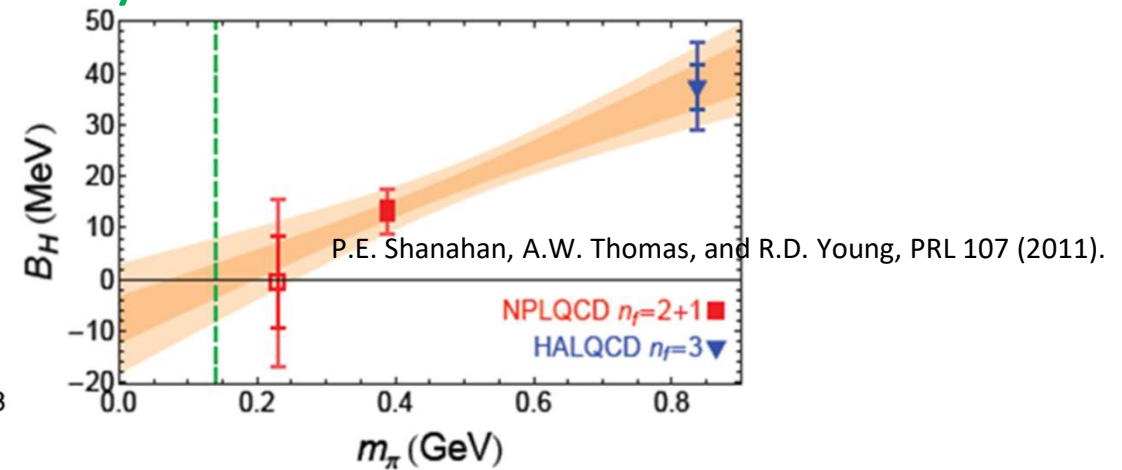
⇒ **Still an open and important question**

Lattice QCD calculation for H dinaryon

Physical π mass

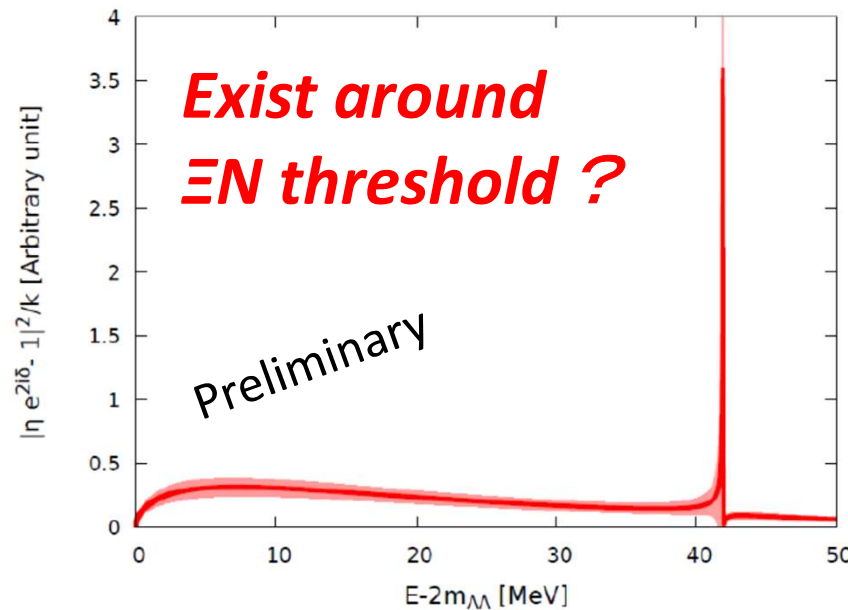


Physical π mass

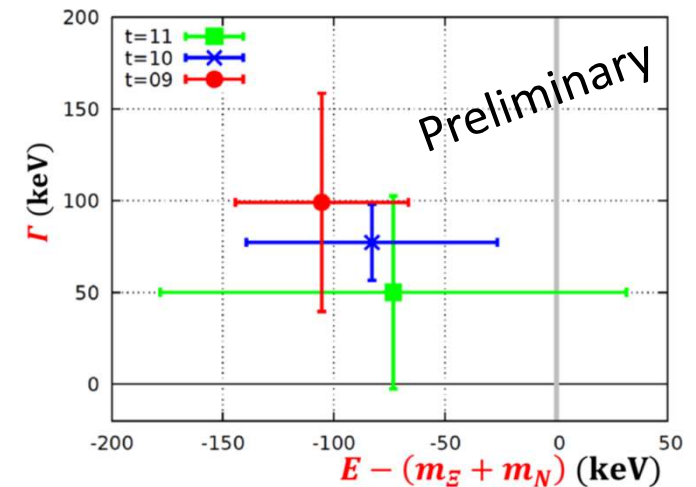


Calculation at almost physics point

	Mass [MeV]
π	146
K	525
m_π/m_K	0.28
N	956 ± 12
Λ	1121 ± 4
Σ	1201 ± 3
Ξ	1328 ± 3

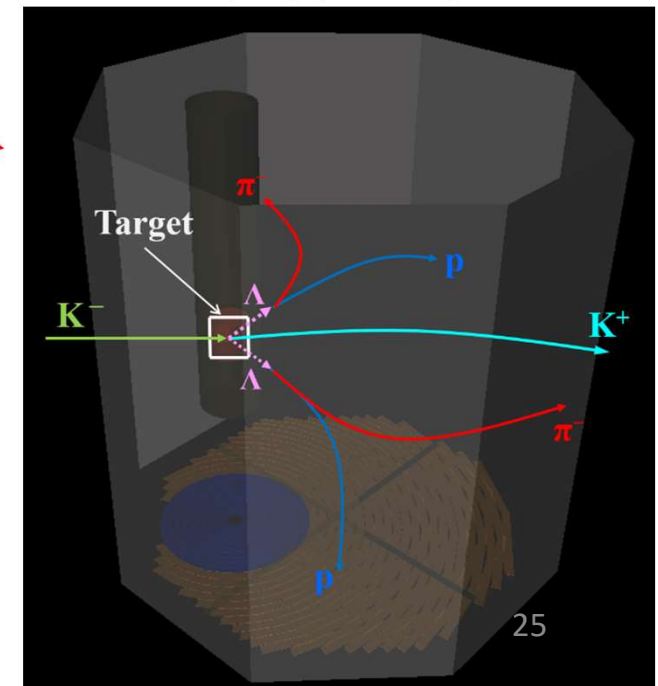
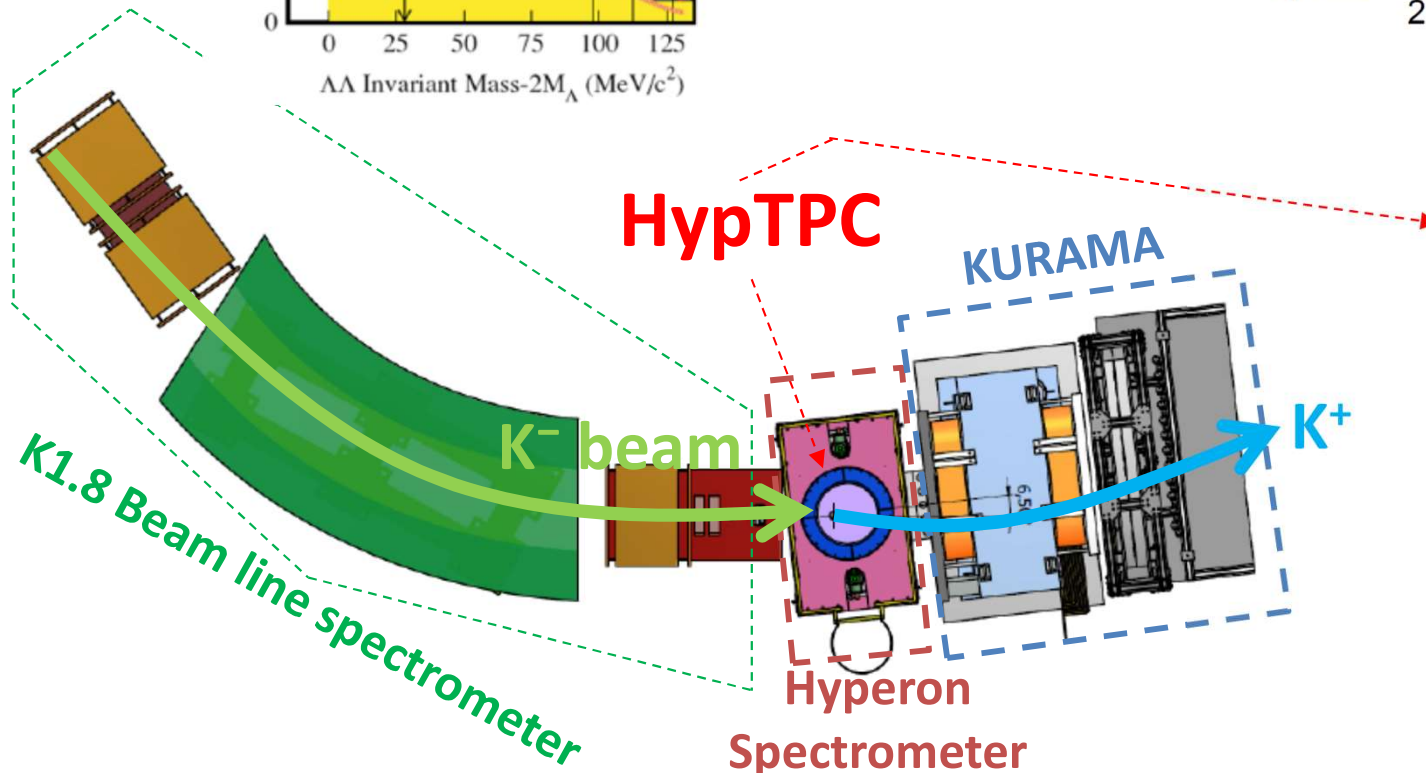
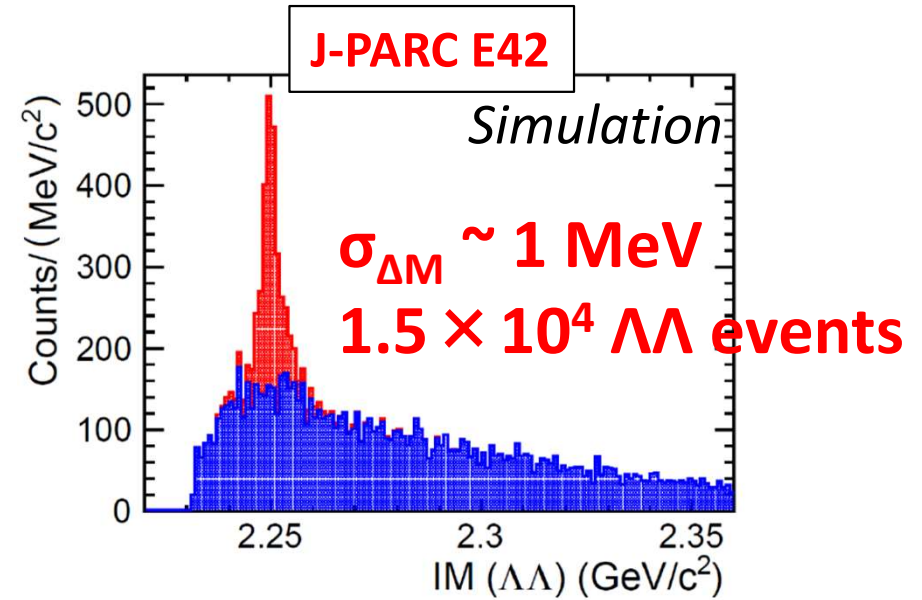
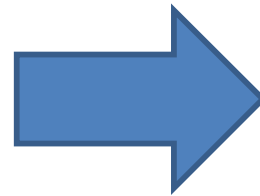
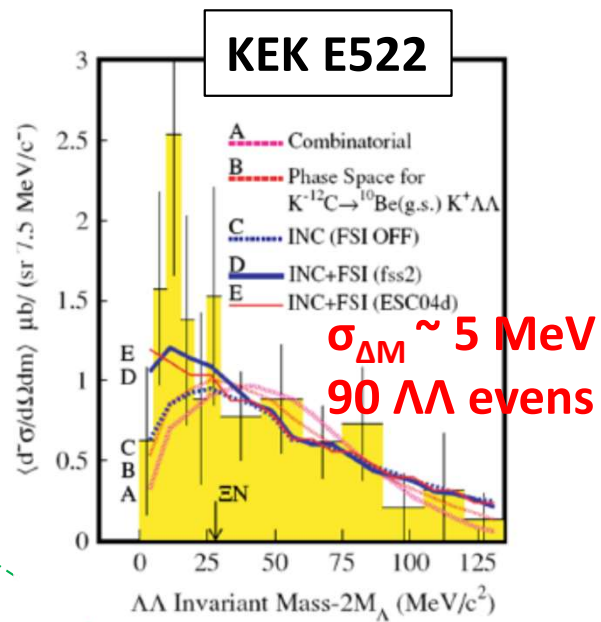


K. Sasaki for the HAL Collab., Reimei 2016, Inha (2016).

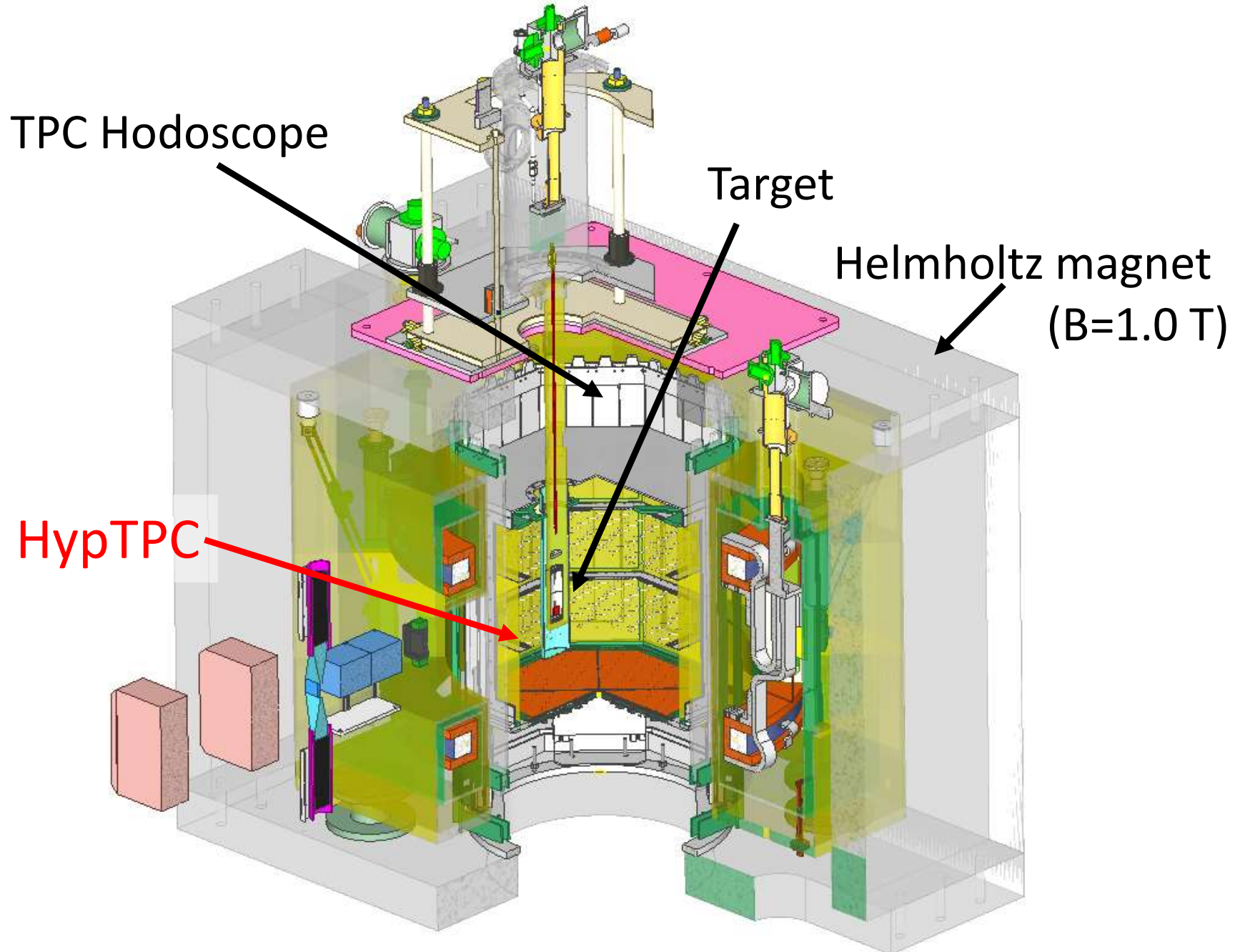


J-PARC E42 experiment

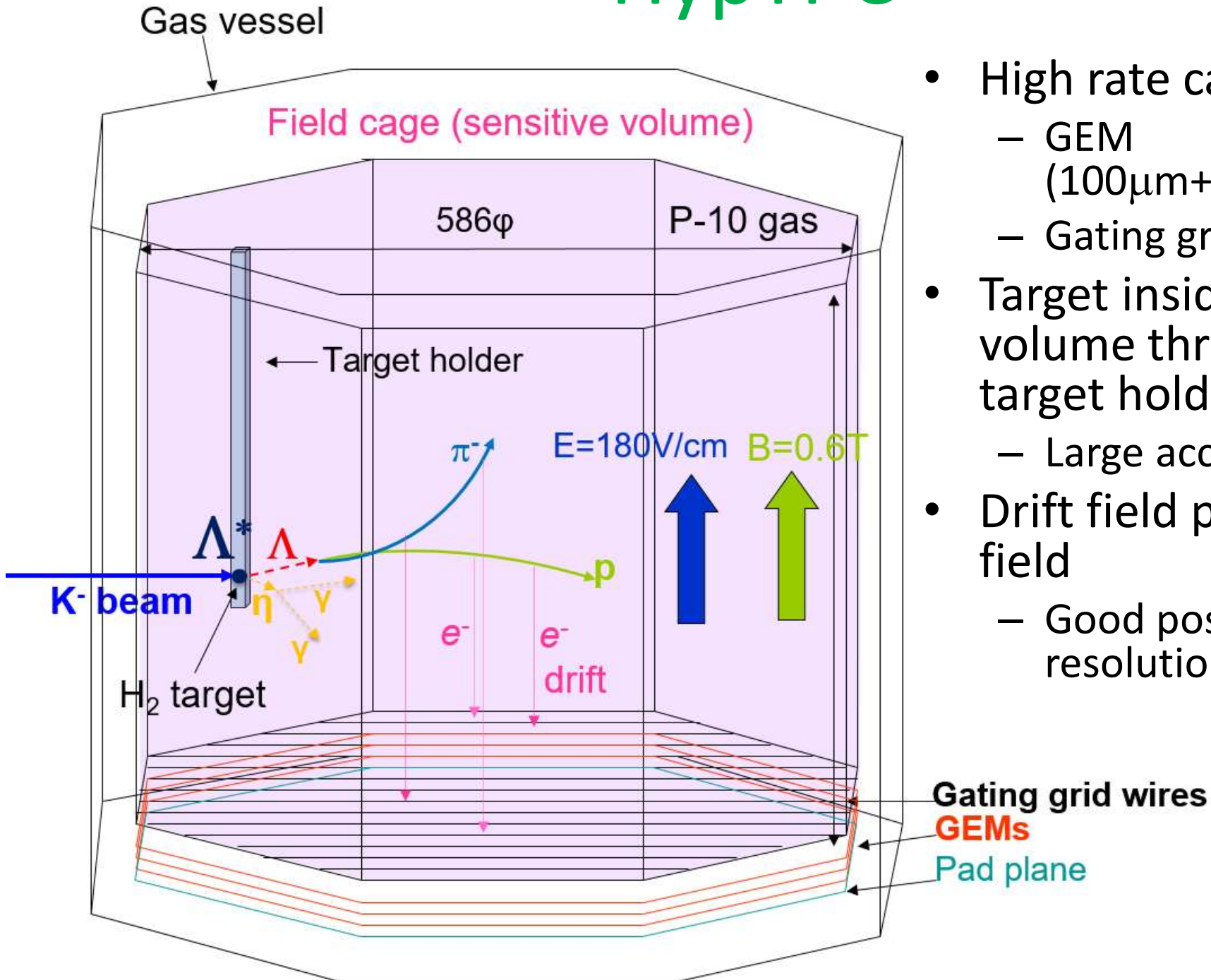
H -dibaryon search by using (K^-, K^+) reaction with diamond target.



Hyperon Spectrometer

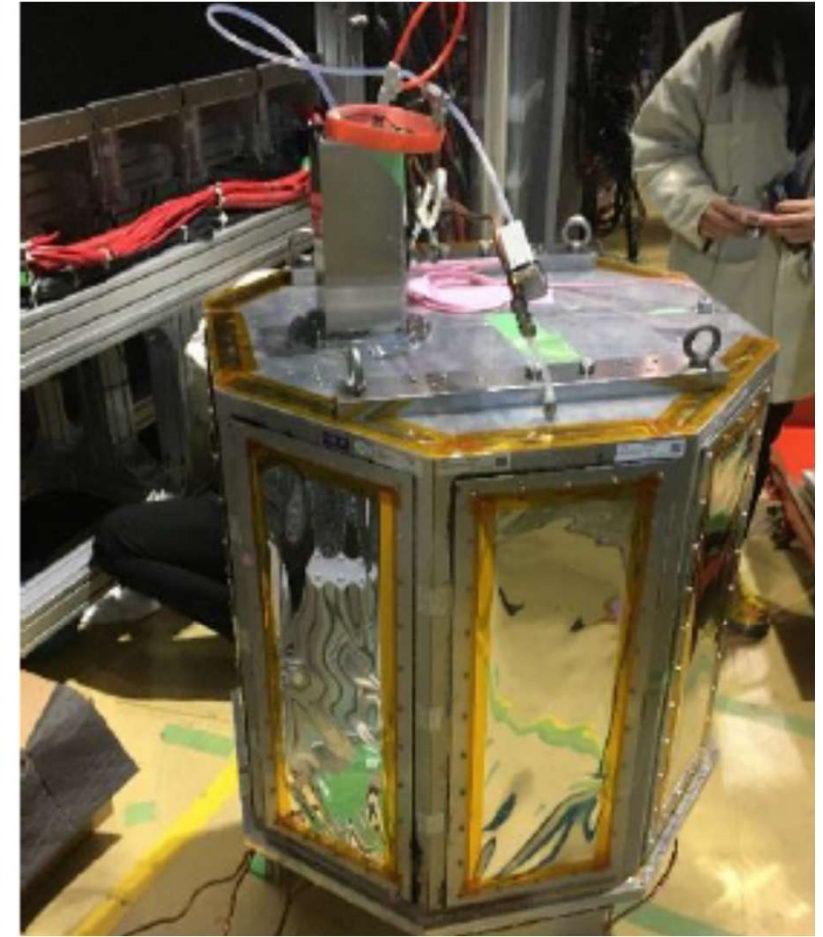
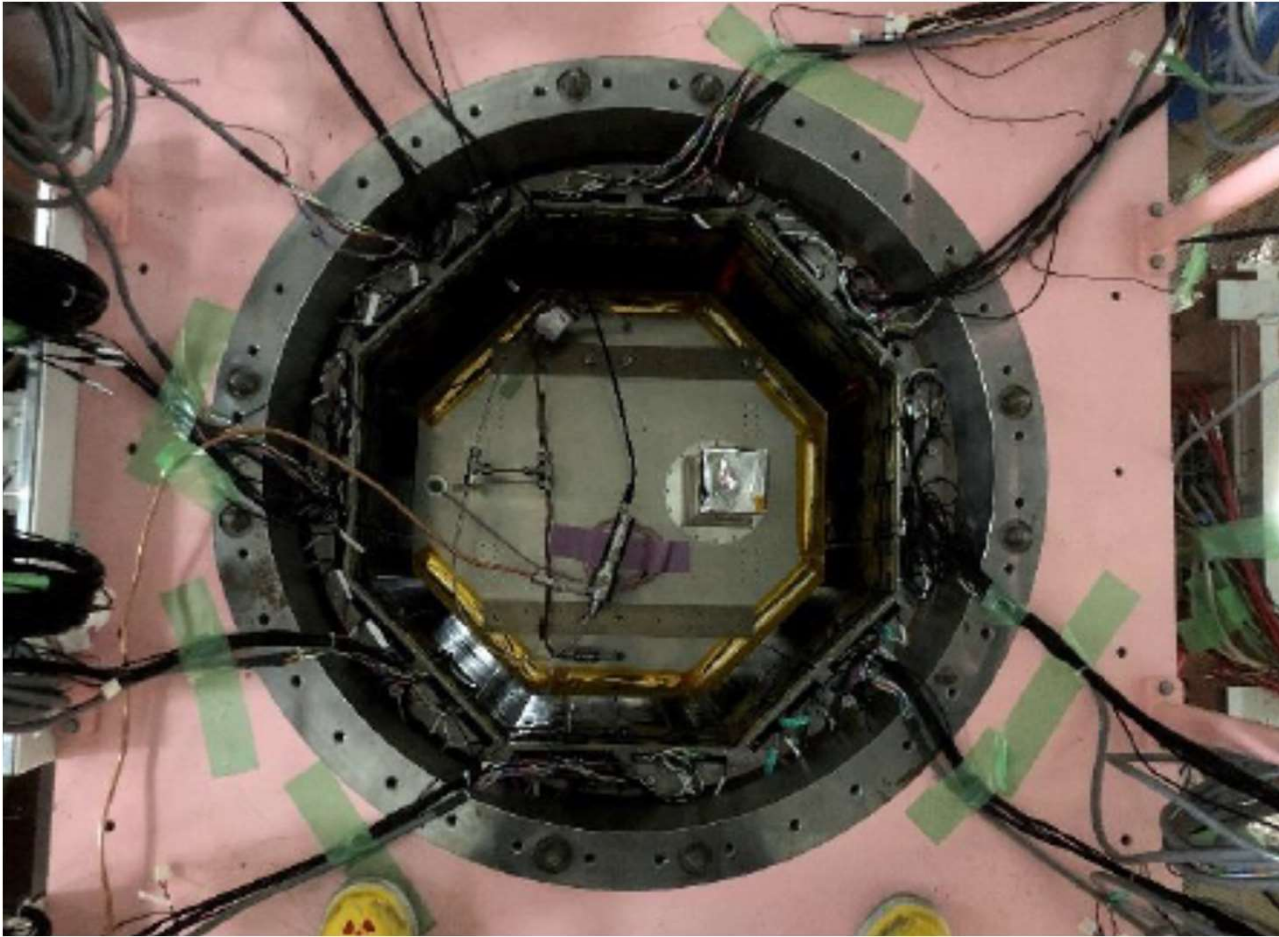


HypTPC



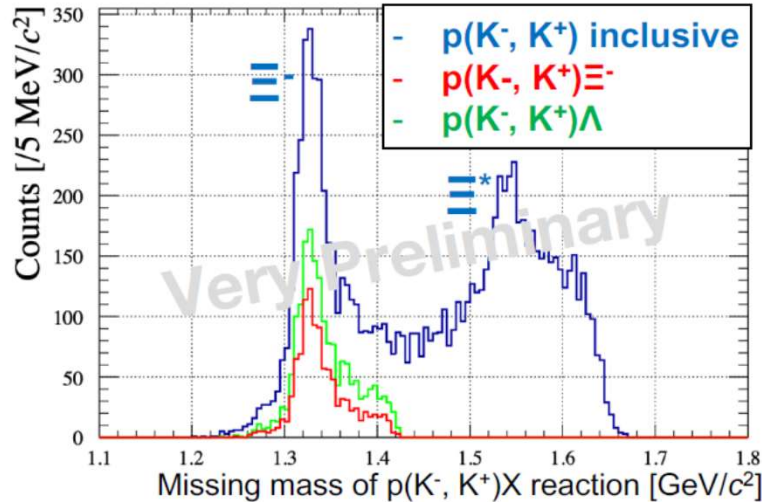
- High rate capability
 - GEM
($100\mu\text{m}+50\mu\text{m}+50\mu\text{m}$)
 - Gating grid
- Target inside the drift volume through the target holder
 - Large acceptance
- Drift field parallel to B-field
 - Good position resolution

Run in 2021

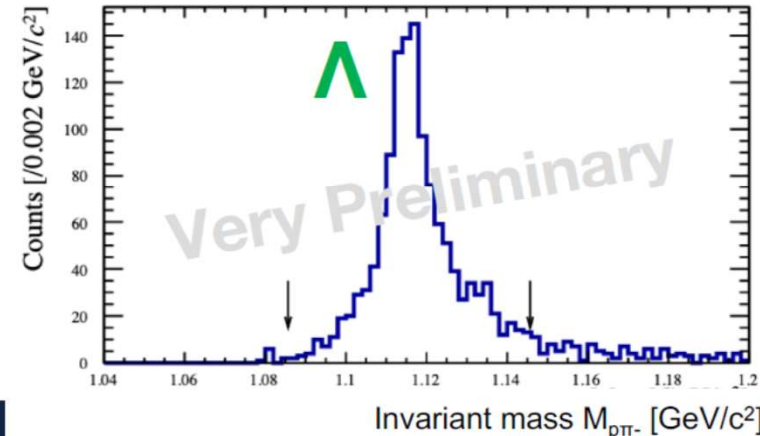
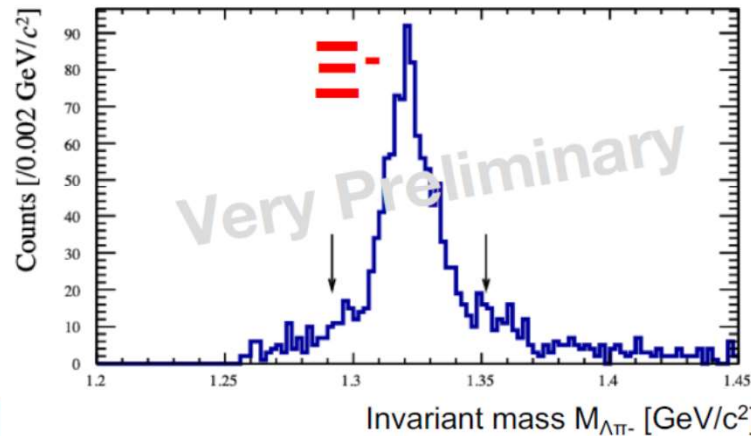


- Data taking is finished
- Analysis ongoing

p(K⁻, K⁺) missing-mass analysis with CH₂ target



	Inclusive	Coin with Ξ^-	Coin with Λ
Yield (C(QF) + H)	4022 events	1076 events	1770 events
Yield (H)	1591 events	556 events	742 events
Coincidence Prob. (H)		0.34 (Coin Ξ^- / Inclusive)	0.47 (Coin Λ / Inclusive)
Br \times Acceptance ($\Xi^- \rightarrow \Lambda\pi^-$, $\Lambda \rightarrow p\pi^-$)		0.64×0.87 =0.56	0.64×0.92 =0.59



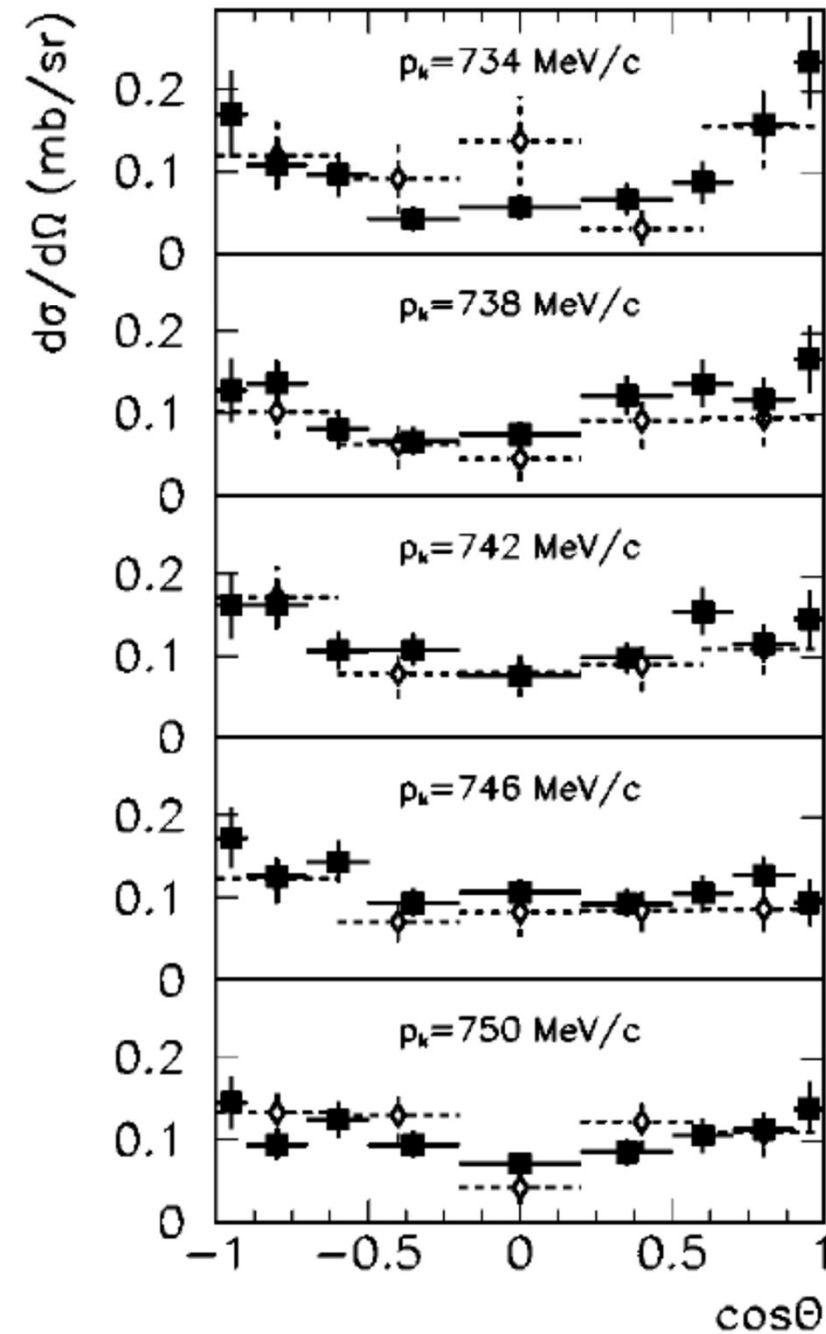
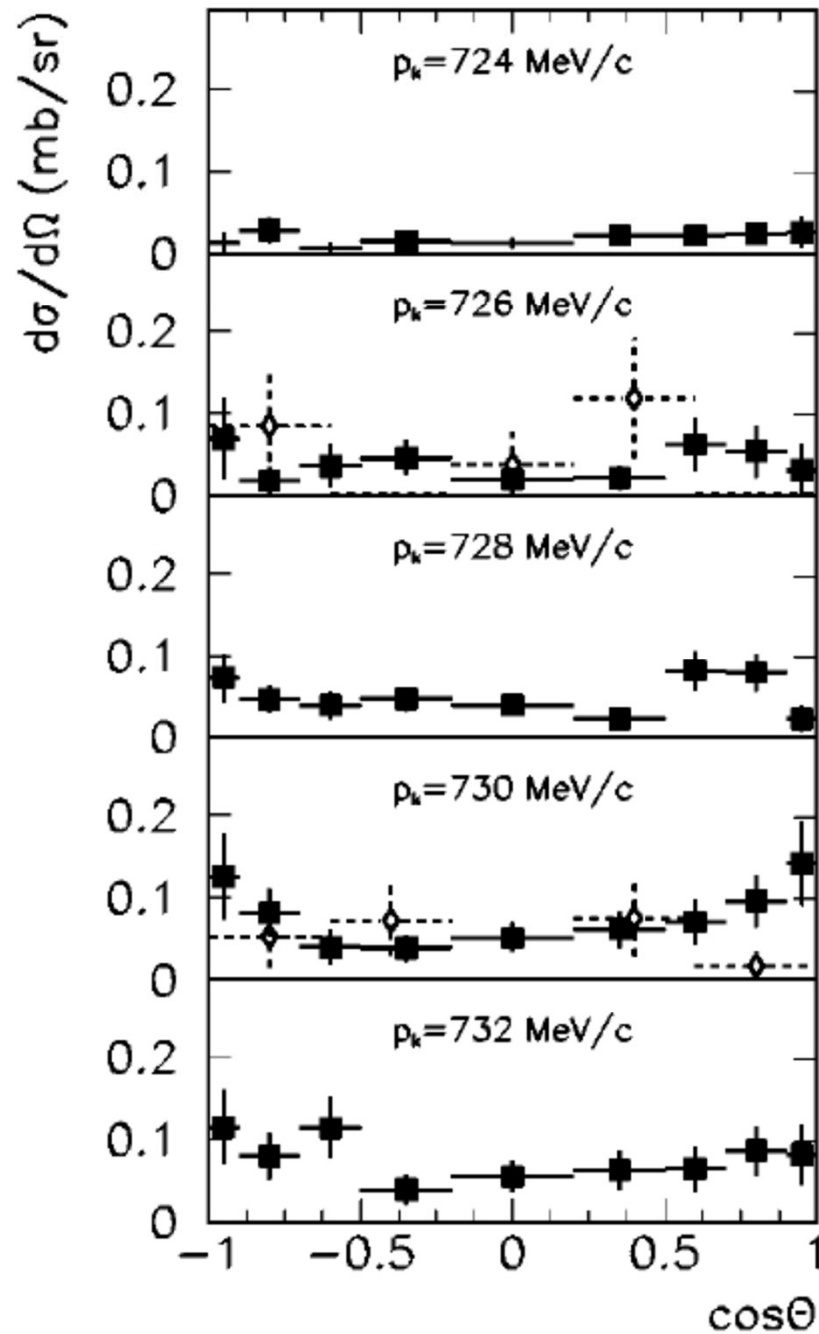
- Diamond target: $\sim 3,000$ $\Lambda\Lambda$ events are reconstructed with 46% of E42 data
- We will open the box soon

E72:
Search for new
narrow exotic Λ^*

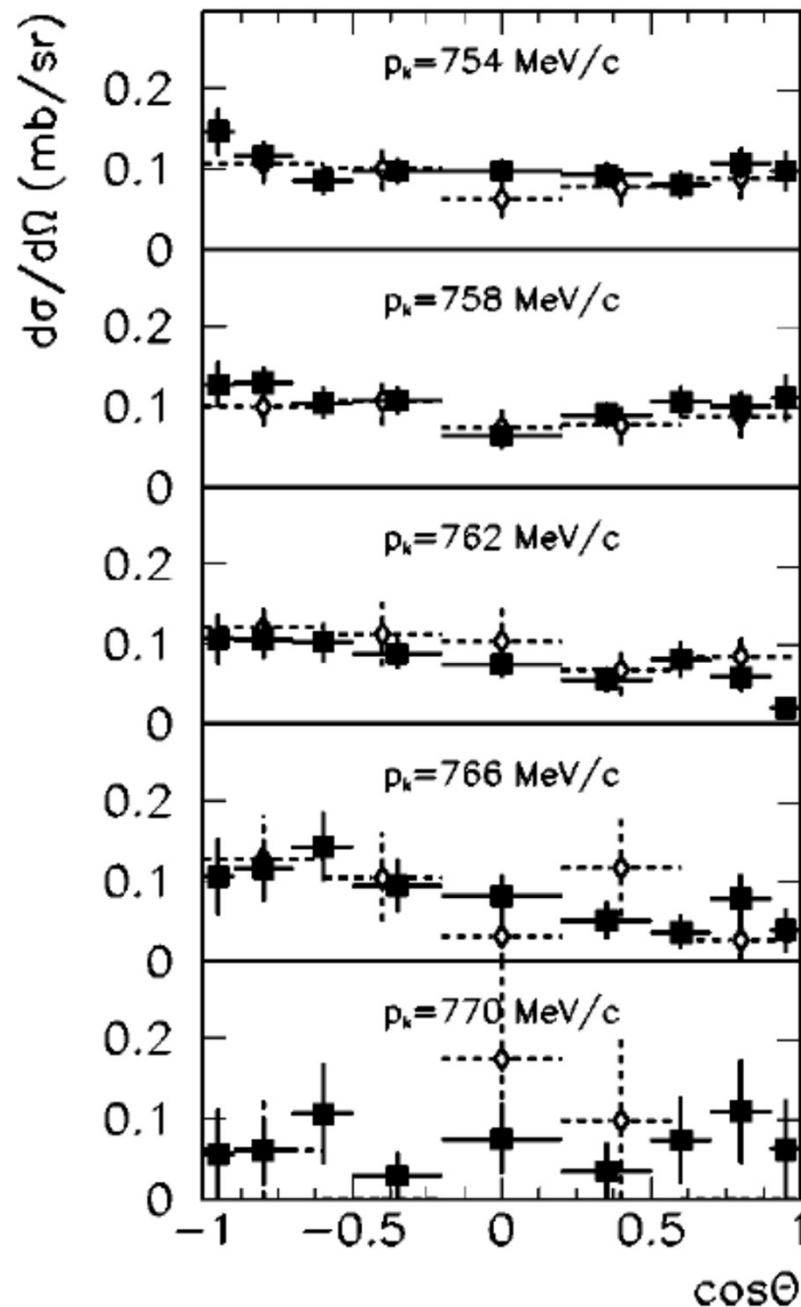
A new Λ resonance around 1670 MeV?

- 2 independent theory groups claim there is **a new narrow Λ^* resonance** around 1670 MeV with **$J=3/2$**
 - Kamano et al. [PRC90.065204, PRC92.025205]
 $J^P=3/2^+$ (P_{03}), $M=1671+2-8$ MeV, $\Gamma=10+22-4$ MeV
 - Liu & Xie [PRC85.038201, PRC86.055202]
 $J^P=3/2^-$ (D_{03}), $M=1668.5 \pm 0.5$ MeV, $\Gamma=1.5 \pm 0.5$ MeV
- The reason is the same
 - From **$K^-p \rightarrow \Lambda\eta$** measurement near the threshold by Crystal Ball collaboration at BNL [PRC64.055205]
 - **Model independent**

Differential cross sections (1)



Differential cross sections (2)



- Flat near the threshold
 - Expected for $J=1/2$ (S-wave)
- Concave-up around $p_K=734$ MeV/c ($v_s=1669$ MeV)
- Flat again for $p_K > 750$ MeV/c ($v_s=1677$ MeV)
- Concave shape requires $J=3/2$ amplitude
 → reason for a narrow resonance; model independent

What can it be?

- The experimental data suggest the existence of a new Λ^* resonance with spin $3/2$ (P_{03} or D_{03}), $\Lambda(1665)$:

Q: What is the nature of $\Lambda(1665)$, if it really exists?

A: We have few ideas at the moment, aside from that it must be exotic, and thus very interesting.

- It is near the $\Lambda\eta$ threshold, but threshold cusp is unlikely.
 - Visible cusp appears only in S wave
- A molecular state in P or D? Then, where is the S state?
 - Cf. $X(3872)$ & $\Lambda(1405)$ are in S wave.

→ **It may be a new type of exotic state!**

- Mixture of a molecular state and a 3-quark state???
- $udss\bar{s}$ pentaquark???

J-PARC E72

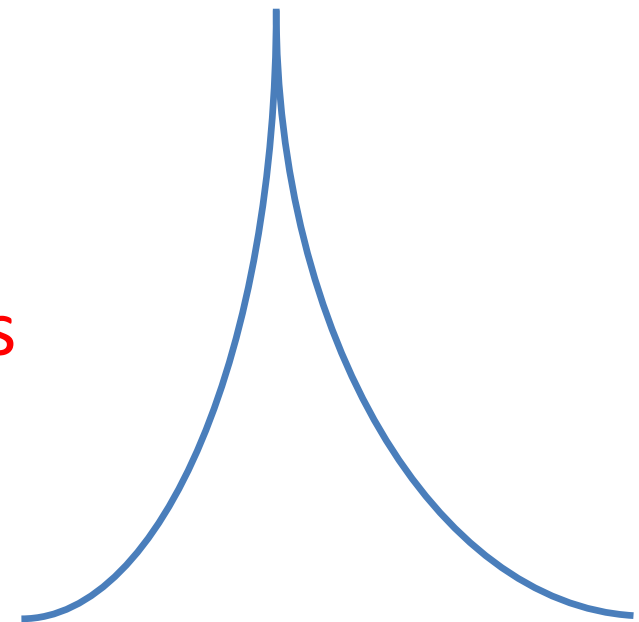
- Repeat the $Kp \rightarrow \Lambda\eta$ experiment again with a large acceptance detector, i.e., TPC (HypTPC)
 - Confirm angular distribution & the new resonance
 - Determine parity by Λ polarization measurement
- Principle
 - K beam momentum: 720-770 MeV/c
 - Momentum resolution: 1 MeV/c or better
 - Can identify narrow resonance of $\Gamma=1.5$ MeV
 - Detect $\Lambda \rightarrow p\pi^-$, identify η by missing mass
- Test run in this spring.
Physics run expected in 2025.

E90:

Σ N scattering length via
cusp spectroscopy

Threshold cusp

- Jump in strength ($|\text{amp}|^2$) in the $(L+1)$ th derivative
 - In the widest sense, cusp **ALWAYS** appears at thresholds.
- Practically, cusp appears only in S-wave
- Interesting case is the 1st derivative changes sign, especially from positive to negative
 - Cusp in the narrow sense.
 - In principle, can be distinguished from usual peak by the derivative at the peak, but **practically there is experimental resolution.**
 - Very few identified cases



Cusp & scattering length

- Cusp occurs at a threshold
 - The statistics is highest at the threshold
 - Low energy seen from the threshold
 - Behavior is roughly determined by the complex scattering length of the threshold channel
- A simple calculation:

$$f_0 \sim \frac{1}{\frac{1}{kA} - i}, \quad A \rightarrow \text{complex } (a+ib)$$

$$\sigma_0 = \frac{4\pi}{k^2} |f_0|^2$$

- Above the threshold:

$$\sigma_0 \propto \frac{1}{(1 + kb)^2 + (ka)^2} \sim 1 - 2kb$$

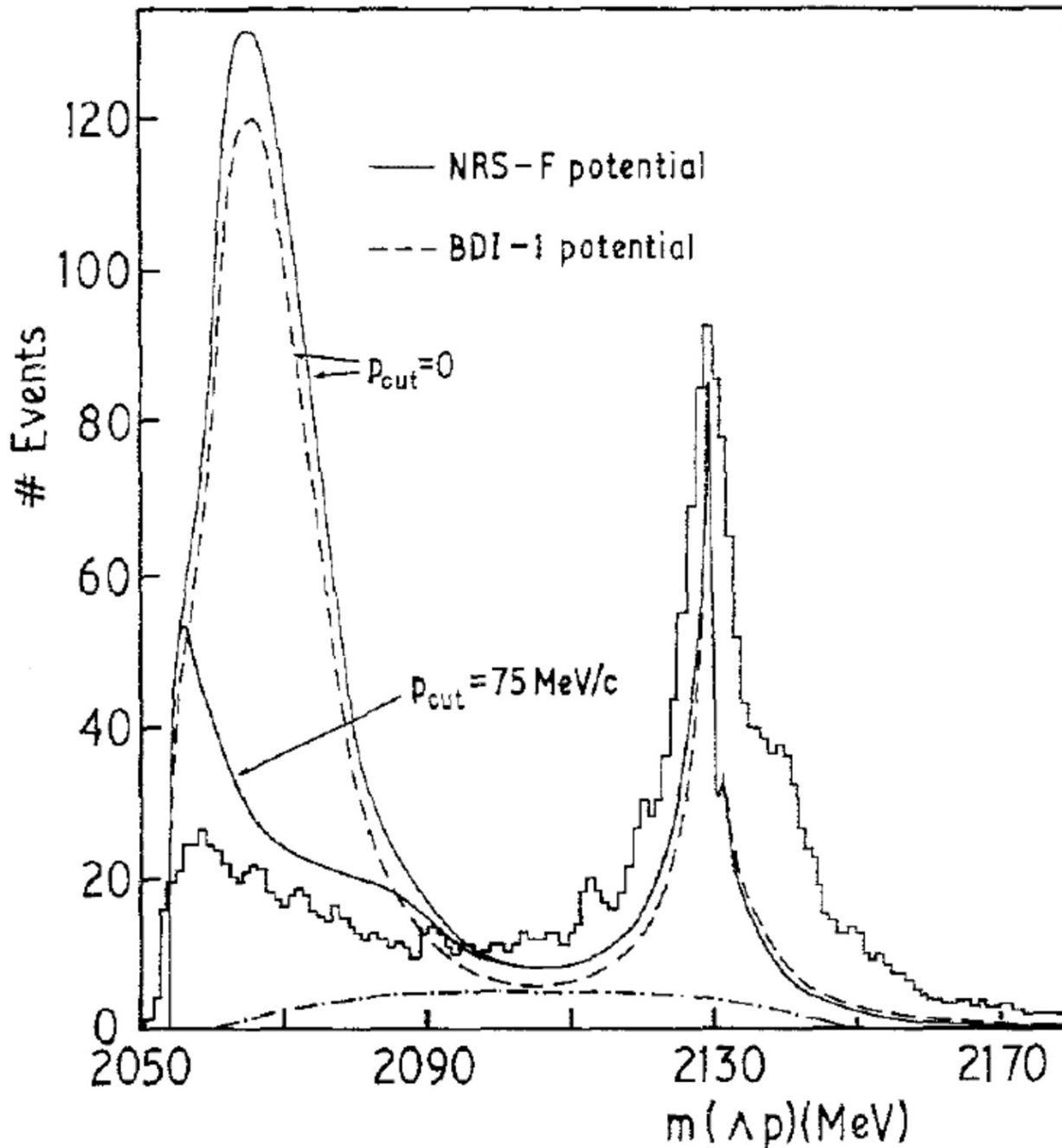
- Below the threshold:

$$\sigma_0 \propto \frac{1}{(1 + |k|a)^2 + (|k|b)^2} \sim 1 - 2|k|a$$

with $k = i\sqrt{2\mu|E|}$ is pure imaginary.

- $a > 0$ (attractive interaction) \rightarrow cusp
 - Pole: $k \sim i/A$ is virtual
 - $E < 0$, but in different Riemann sheet
 - Interaction is attractive, but not strong enough to make a bound state

ΣN cusp



- Seen in $K^-(\text{stopped})+d \rightarrow \Lambda p \pi^-$ and many others
- Maybe the cleanest cusp ever seen, but not confirmed.
 - Because the resolution is not enough

What should we do?

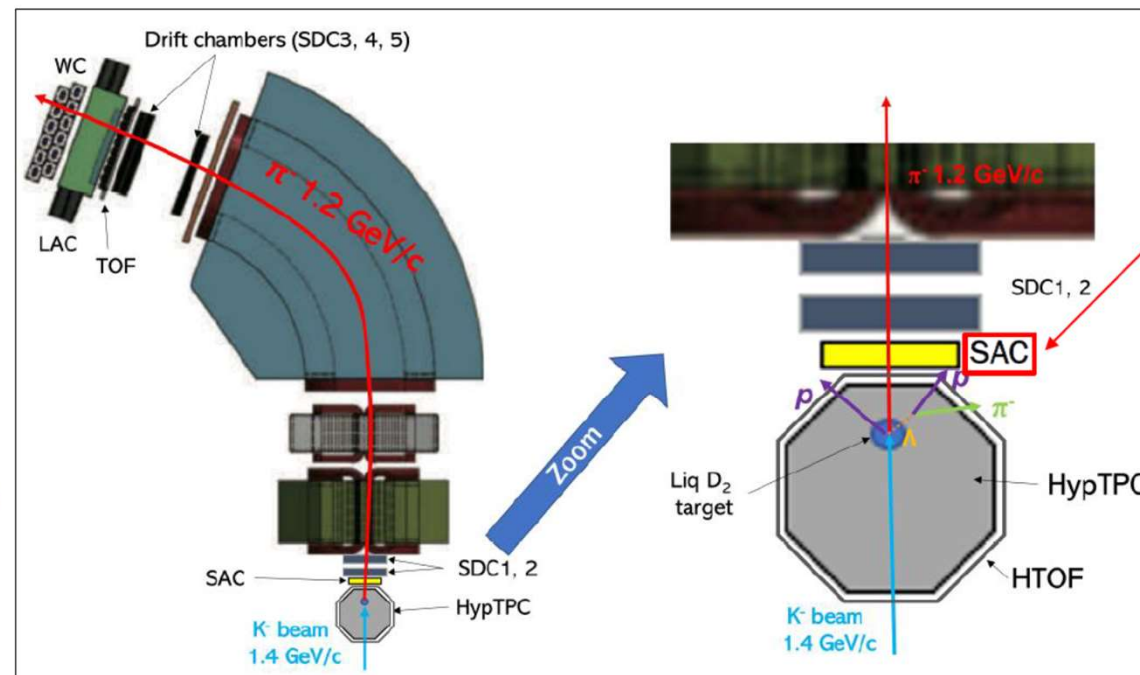
- Try even higher resolution
 - 0.4 MeV (σ) would be enough to see the cusp shape
- Tagging of the final state is necessary
 - Must be ΛN to derive $\Sigma N(I=1/2)$ scattering length
 - $\Sigma N(I=3/2)$ contaminate if not tagged
- J-PARC E90
 - 0.4 MeV resolution with $d(K^-, p)$ reaction at $p_K \sim 1.4$ GeV/c thanks to the high resolution of S-2S spectrometer.
 - Tagging of decay particles by the Hyperon Spectrometer
 - 4π acceptance

E90 setup

SET UP

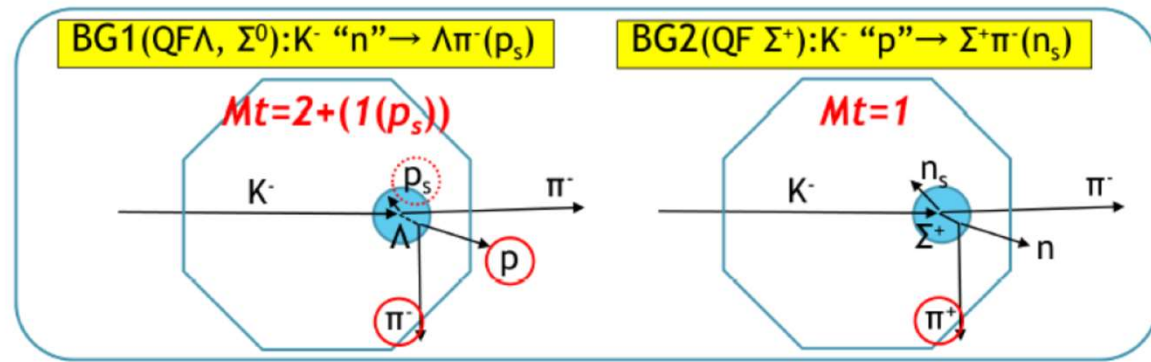
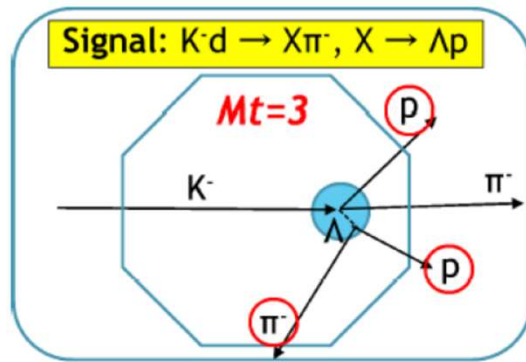
- Reaction: $K^-d \rightarrow \Lambda p \pi^-$ at 1.4 GeV/c
- S-2S(developed for E70): π^- measurements \rightarrow measurement of missing mass spectrum
 - Good mass resolution: $\Delta M \sim 0.4 \text{ MeV } (\sigma)$, $(\Delta p/p(K18))=3.3 \times 10^{-4}(\text{FWHM})$, $\Delta p/p(\text{S-2S})=6.0 \times 10^{-4}(\text{FWHM})$
- HypTPC(developed for E42): Final state (Λp) restriction and background suppression

Momentum transfer
 $\sim 200 \text{ MeV}/c$



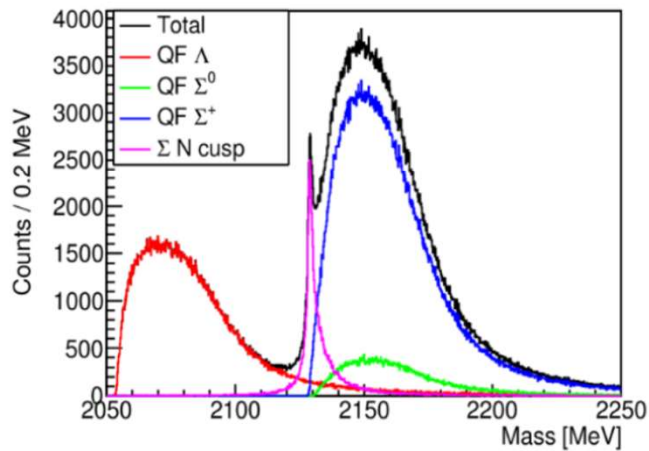
New detector

QF BACKGROUND SUPPRESSION BY HYPTPC



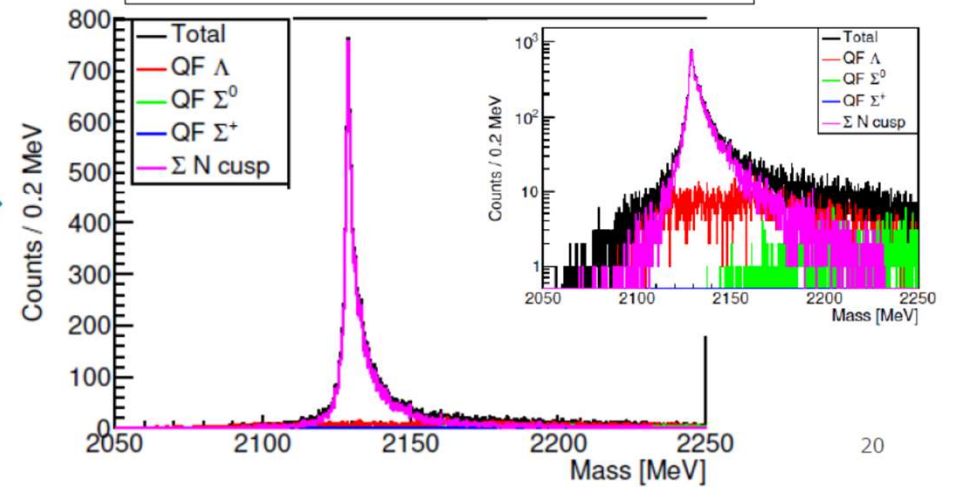
Simulated inclusive spectrum $d(K^-, \pi^-)$

Expected spectrum
for the 15 days beam time

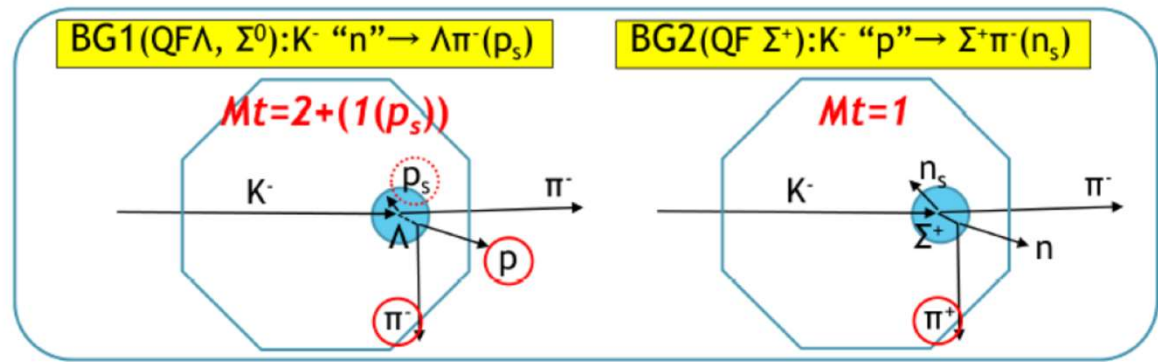
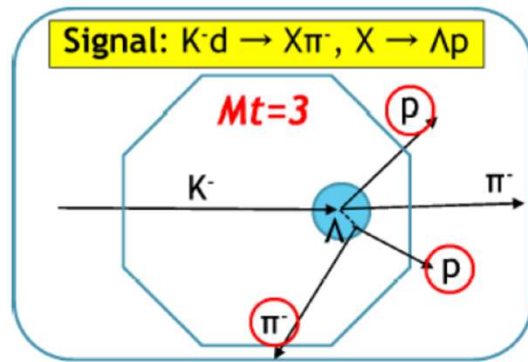


Multiplicity = 3

Multiplicity = 3 without (K^-, π^-)

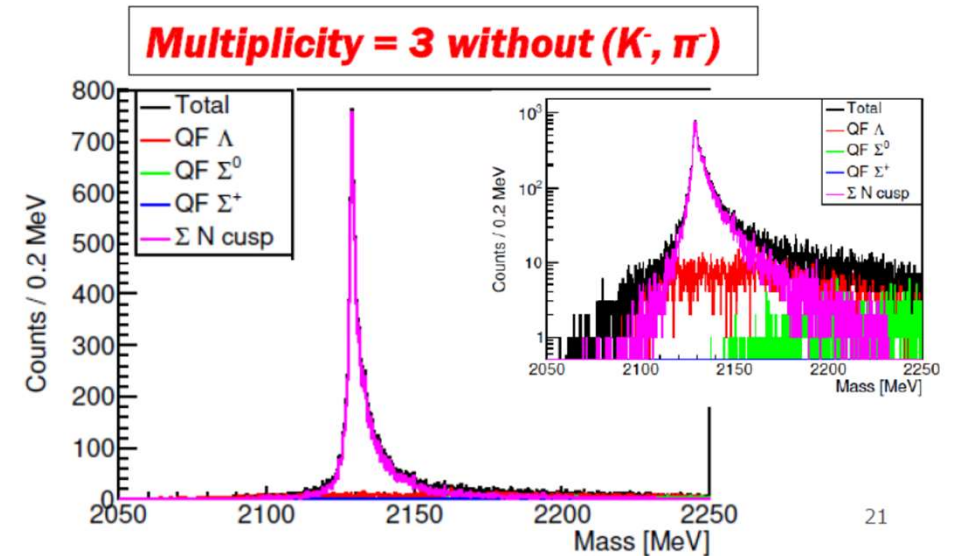
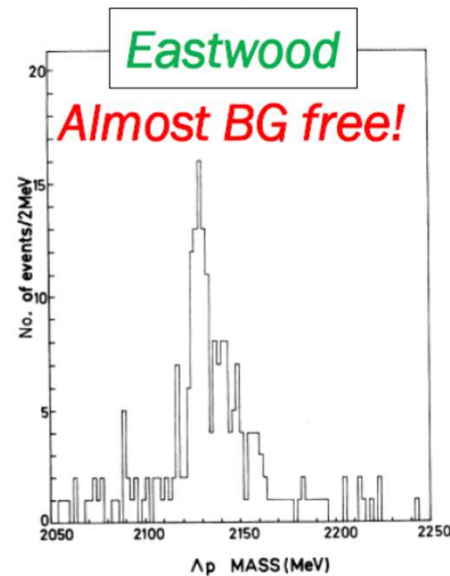


QF BACKGROUND SUPPRESSION BY HYPTPC



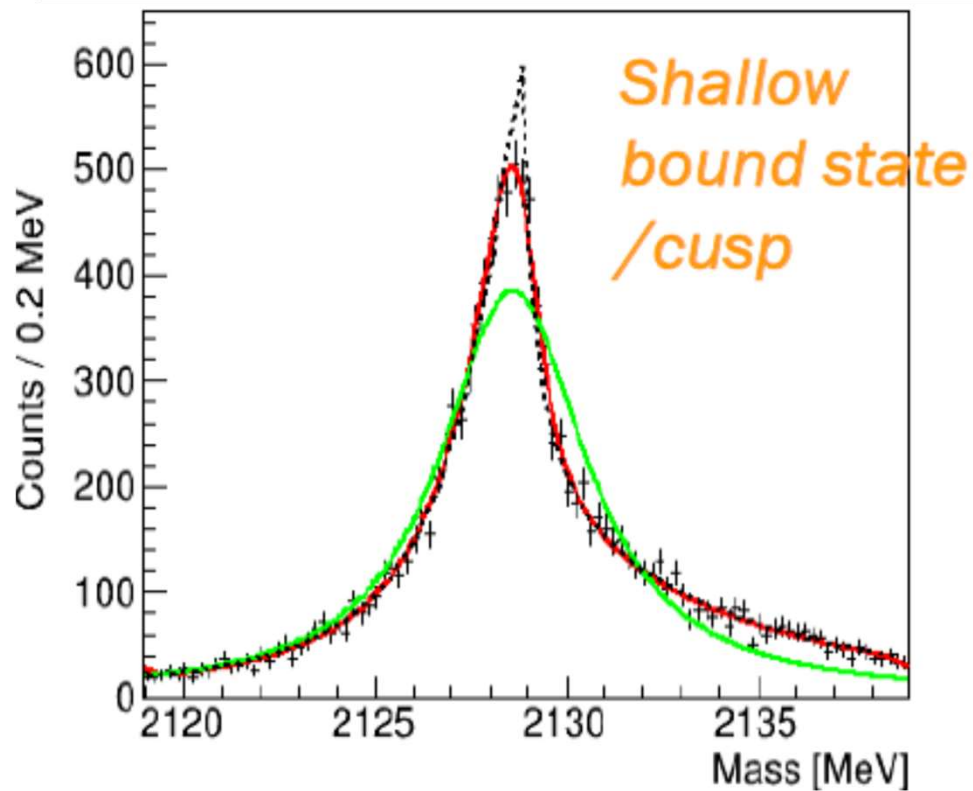
$K^- d \rightarrow \Lambda p \pi^-$
@1.45 and 1.65 GeV/c
(Bubble chamber)

$\cos\theta_{CM} > 0.9$
 $p_{\text{proton}} > 150 \text{ MeV/c}$

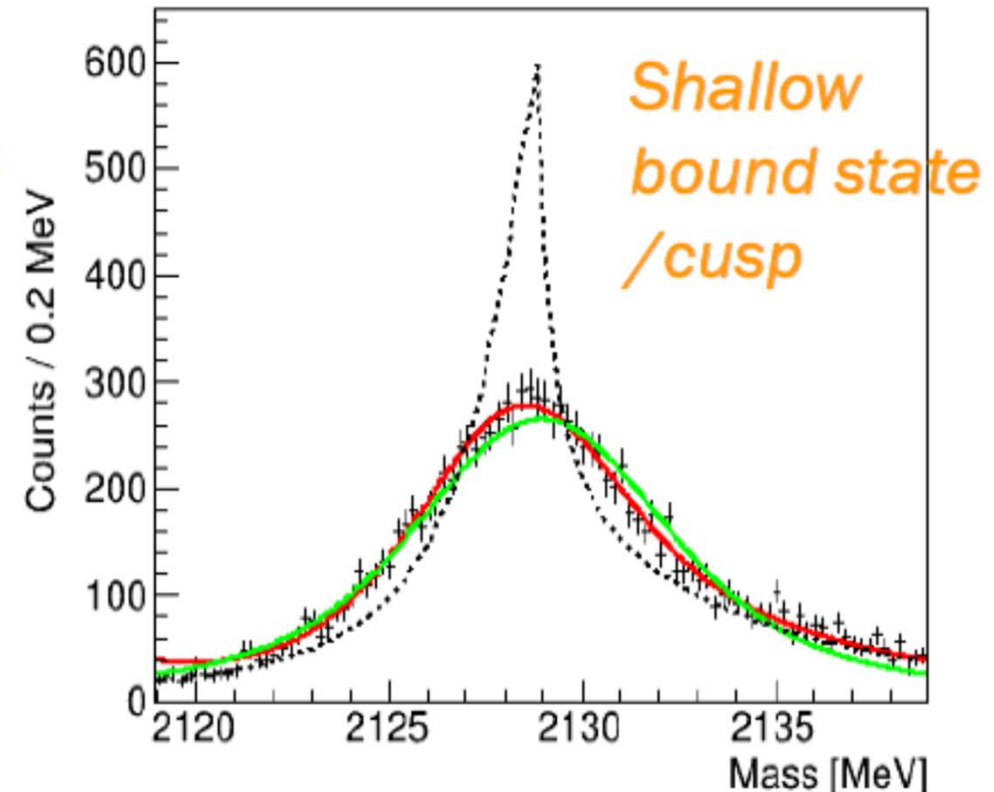


Importance of resolution

$\sigma = 0.4$ MeV



$\sigma = 2$ MeV



Identification possible with $\sigma = 0.4$ MeV, but not with 2 MeV

+ α :

A new experiment to study
 $\bar{K}N(I = 1)$ interaction via
cusp spectroscopy

$\bar{K}N(I = 1)$ scattering length

- Important, related to
 - Kaonic nuclei
 - Kaon condensation in neutron stars
- Dedicated experiments with a measurement of kaonic deuterium atom X rays.
 - J-PARC E57
 - Siddharta-2 at DAΦNE
- A new, independent measurement possible using threshold cusp.

$\Lambda\pi - \bar{K}N(I = 1)$ cusp at J-PARC?

- We already saw a hint in Λ_c decay@Belle



- very poor S/N
- Also unknown production mechanism

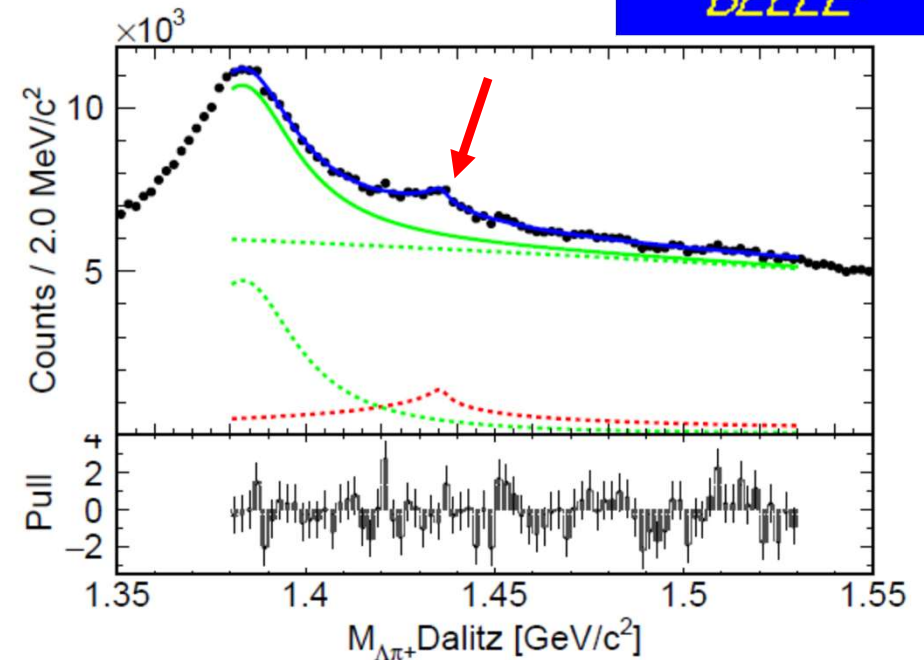
- Direct reaction is preferred

- Two possibilities with $\Lambda\pi^\pm$ in the final state

1. $p(K^-, \pi^\pm)\Lambda\pi^\mp$

2. $d(K^-, p)\Lambda\pi^-$

- reaction 2: small momentum transfer & controlled reaction mechanism – same as E31



Summary

- J-PARC: source of **world-strongest kaon beam**
 - Excellent place for spectroscopy of strange hadrons
- Experiments for hyperons at J-PARC
 - E31: Pole position of $\Lambda(1405)$ via $d(K^-, n\Lambda^*)$ reaction
 - **Support $\text{Re}(\text{pole}) \sim 1420$ MeV, instead of 1405 MeV**
 - E42: Search for H-dibaryon by using (K^-, K^+) reaction
 - Data taking finished. Analysis is going well.
 - E72: Search for new Λ^* resonance via $p(K^-, \Lambda)\eta$
 - Beam expected in 2025
 - E90(+ α): Cusp spectroscopy for scattering length
- More experiments are coming – **See Naruki's talk.**