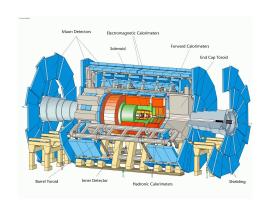
### NLO templates for Higgs jets

José Juknevich tmini workshop May 30, 2011

#### Outline:

- Introduction
- Template Overlap Method
- \* NLO template for Higgs
- Summary

L. Almeida, O. Erdogan, JJ, S. Lee, G. Perez, & G. Sterman Work in progress



### Motivation

- A key task in the search for BSM physics is to efficiently identify "signature" particles - W/Z, Higgs, top quarks - in various kinematic regimes
  - At the LHC, these particles will be frequently produced at high-transverse momentum
  - When these boosted objects decay they form a highly collimated topology in the detector
  - Standard approaches for indentifying these particles (e.g. jet recombination) fail, because all decay products end up in a single jet

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  - When these boosted objects decay they form a highly collimated topology in the detector
  - Standard approaches for indentifying these particles (e.g. jet recombination) fail, because all decay products end up in a single jet
- Energy flow methods have been proposed to address these questions
   Almeida, Lee, Perez, Sterman, Sung, Virzi

Gur-Ari, Papucci, Perez;...

- These take advantage of the different energy flow in the decay pattern of signal and background
- IR-safe observables based on correlations of energy flow have been used to probe the jet substructure with increasing precision
  - E.g. jet cross sections, angularities, planar flow,...
  - Note that some useful original information is lost when computing correlations

L. Almeida, S. Lee, G. Perez,

G. Sterman, & I. Sung '10

We would like to measure how well the energy flow of a physical jet matches that of a boosted partonic decay

Functional measure 
$$Ov(j,f)=\langle j|f
angle\equiv\mathcal{F}\left[rac{dE(j)}{d\Omega},rac{dE(f)}{d\Omega}
ight]$$

 $j \rightarrow set$  of particles that conform a jet

 $f \Rightarrow \{p_1, p_2, ..., p_n\}$  partonic distributions ("templates") with  $\sum p_i = P$ ,  $P^2 = M^2$ 

### Overlap formalism

G. Sterman, & I. Sung '10

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Define "template overlap" as the maximum functional overlap of j to a state f[j]:

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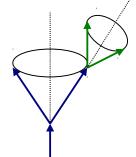
A natural measure being the weighted difference of energy flows integrated over a fixed region of phase space

$$\begin{split} Ov^{(F)}(j,f) &= \max\nolimits_{\tau_n^{(R)}} \exp\left[-\frac{1}{2\sigma_E^2} \left(\int d\Omega \left[\frac{dE(j)}{d\Omega} - \frac{dE(f)}{d\Omega}\right] F(\Omega,f)\right)^2\right] \\ &\tau_n^{(R)} \equiv \int \prod\limits_{i=1}^n \frac{d^3\vec{p}_i}{(2\pi)^32\omega_i} \delta^4(P - \sum\limits_{i=1}^n p_i)\Theta(\{p_i\},R) \end{split} \qquad \begin{array}{l} \textbf{F(}\Omega,f) \Rightarrow \textbf{weight function ,} \\ \textbf{smooth enough} \end{split}$$

# Example: Top and QCD jets G. Sterman, & I. Sung '10

At Lo, top decay has a simple 3 body kinematics

Top decay: 
$$t \rightarrow W^+ b \rightarrow q q' b$$



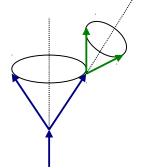
While we expect high mass, QCD jets typically have a twosubjet topology

# Example: Top and QCD jets G. Sterman, & I. Sung '10

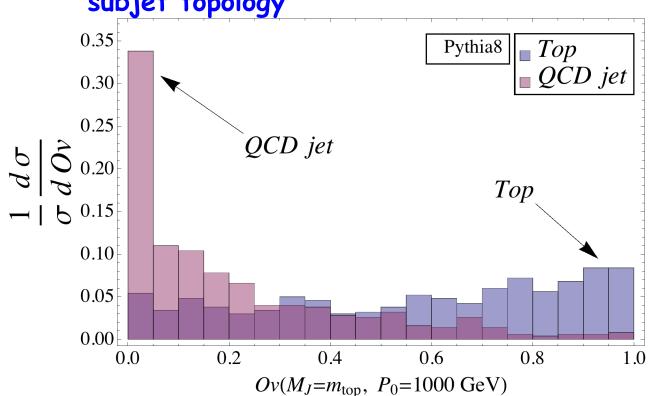
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Selection cuts:

 $160 \text{ GeV} < m_{\tau} < 190 \text{ GeV},$ 

950 GeV < E<sub>T</sub> < 1050 GeV

Jets found with anti-kt algorithms D=0.5

Calorimeter discretized with

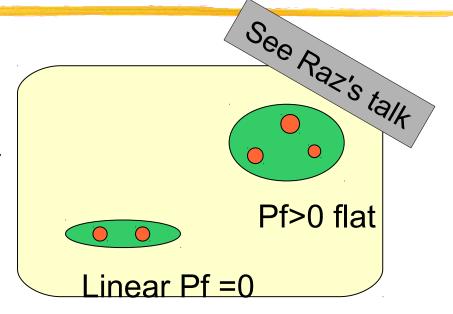
 $\Delta\theta$  =0.06 and  $\Delta\phi$ =0.1

Showering smears the top distributions, but top decays tend to give larger overlaps.

Top decays often feature a triangular structure, transverse to the boost axis

<u>Planar flow:</u> measures the planarity of the energy flow within a jet

$$I_{\omega}^{kl} = \frac{1}{m_J} \sum_{i} \omega_i \frac{p_{i,k}}{\omega_i} \frac{p_{i,l}}{\omega_i}$$
$$Pf = \frac{4 \det I_{\omega}}{(\operatorname{tr} I_{\omega})^2}$$

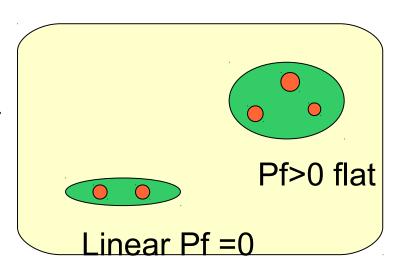


### Planar Flow

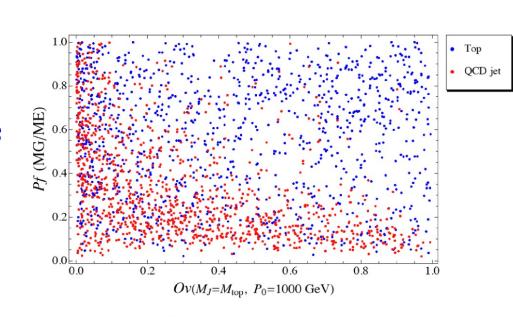
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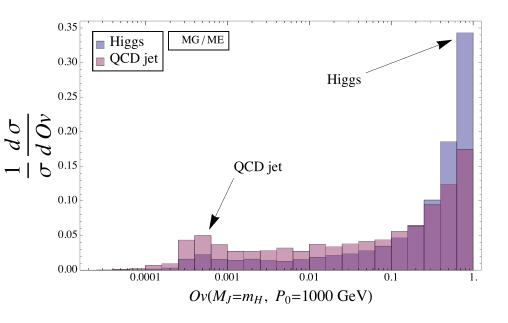
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Planar-flow jet shapes can be used to distinguish between many 3-jet events with large template overlap

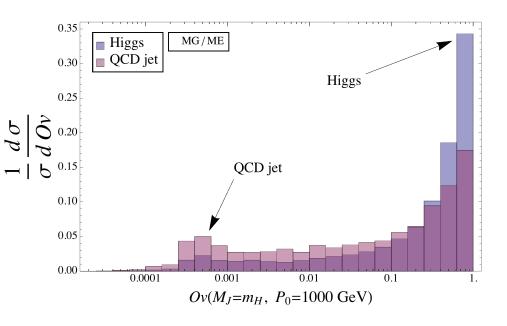




For the Higgs, both signal and background have two-parton states at LO. Hence, their templates are only slightly different.

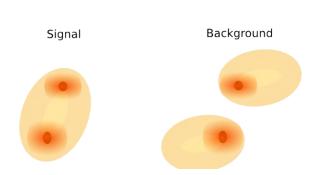
### Templates and Pf for Higgs

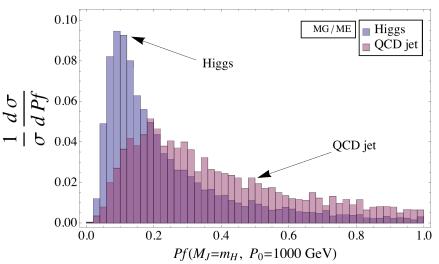
Almeida, Lee, Perez, Sterman, & Sung '10



For the Higgs, both signal and background have two-parton states at LO. Hence, their templates are only slightly different.

Templates can be improved by making use of color flow, partly captured by planar flow





# L. Almeida, O. Erdogan, JJ, S. Lee, G. Perez, & G. Sterman (in preparation)

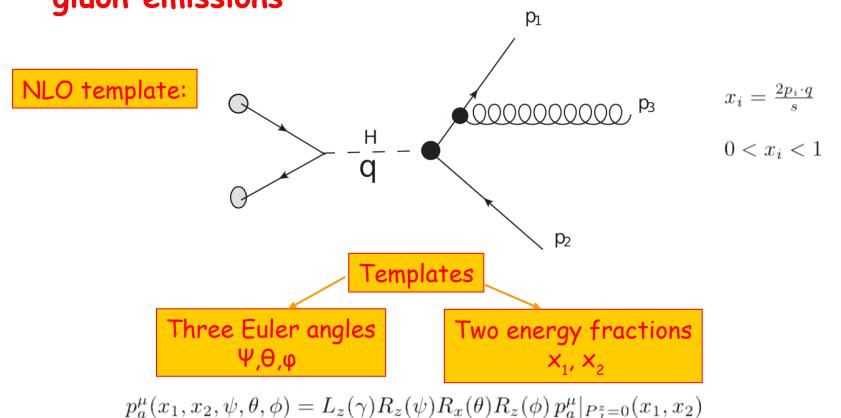
For the Higgs, both signal and background have a two-subjet topology at LO

IDEA: Enhance templates by including the effects of gluon emissions

# L. Almeida, O. Erdogan, JJ, S. Lee, G. Perez, & G. Sterman (in preparation)

For the Higgs, both signal and background have a twosubjet topology at LO

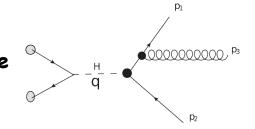
Enhance templates by including the effects of gluon emissions



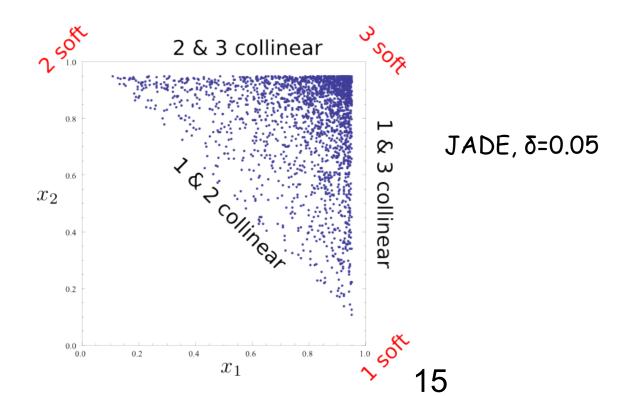
# NLO templates and Higgs decay

#### Differential branching ratio

Since the Higgs is a color singlet, we can provide a precise NLO computation

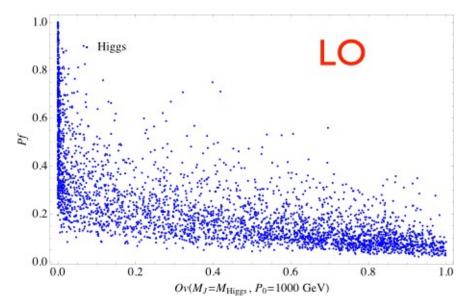


$$\frac{d\Gamma(H \to q\bar{q}g)}{\Gamma_0} = \frac{1}{8\pi^2} C_F \alpha_s \frac{(1-x_1-x_2)^2+1}{(1-x_1)(1-x_2)} dx_1 dx_2 d(\cos\theta) d\phi.$$



# NLO template and Higgs decay

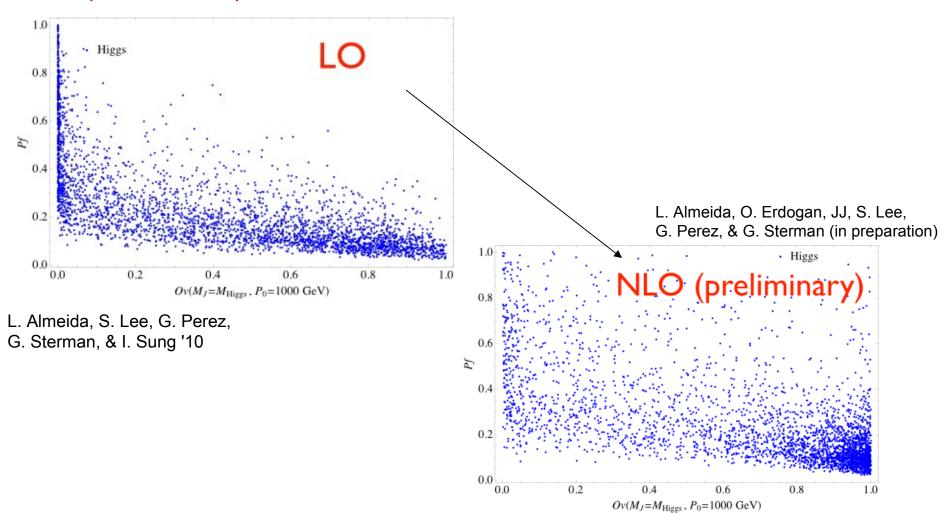
#### Template overlap from LO to NLO



- L. Almeida, S. Lee, G. Perez,
- G. Sterman, & I. Sung '10

## NLO template and Higgs decay

#### Template overlap from LO to NLO



# NLO Planar Flow for Higgs decay

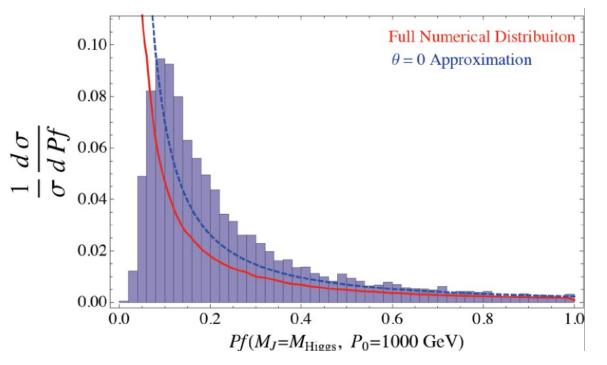
#### NLO planar flow for Higgs:

$$\frac{d\sigma^{\text{NLO}}}{d\text{Pf}} = \int dx_1 dx_2 d(\cos\theta) d\phi \, \frac{d\sigma}{dx_1 dx_2} \delta \left( \text{Pf} - \frac{E_J^3}{E_1 E_2 E_3} \, S \cos^2\theta \right)$$

#### $\theta$ =0 approximation:

$$S=(1-x_1)(1-x_2)(x_1+x_2-1)$$

$$\frac{1}{\sigma_0} \frac{d\sigma^{(3)}}{d \mathrm{Pf}} = \frac{\alpha_s}{2\pi} \mathrm{C_F} \int_{x_2^-}^{x_2^+} dx \frac{8x \left[ \mathrm{Pf}((x-3)x^2 + 4x) + 8x((x-1)x + 1) - 8 \right]}{\mathrm{Pf}(\mathrm{Pf} + 8)^2 (\frac{8}{\mathrm{Pf} + 8} - x) \sqrt{(\frac{8}{\mathrm{Pf} + 8} - x)(x_2^+ - x)(x_2^- - x)x}}$$



Resummation needed.
But, tail (Pf>0) region
already well described
by simple NLO

### Summary

#### Template overlaps:

- □ New class of finite jet observables, based on functional comparison of the energy flow in data with the flow in selected templates of partonic states → help identify boosted jets from tops/Higgs
- Do not require computationally intensive algorithms
- Allow for systematic improvement
  - By incorporating higher order QCD matrix element corrections
- □ Can be combined with jet shapes to improve rejection power.
- Can use our knowledge of the signal to design a custom analysis for each resonance

Recent progress on understanding how to generate NLO templates for Higgs... ... but more ideas on the way...