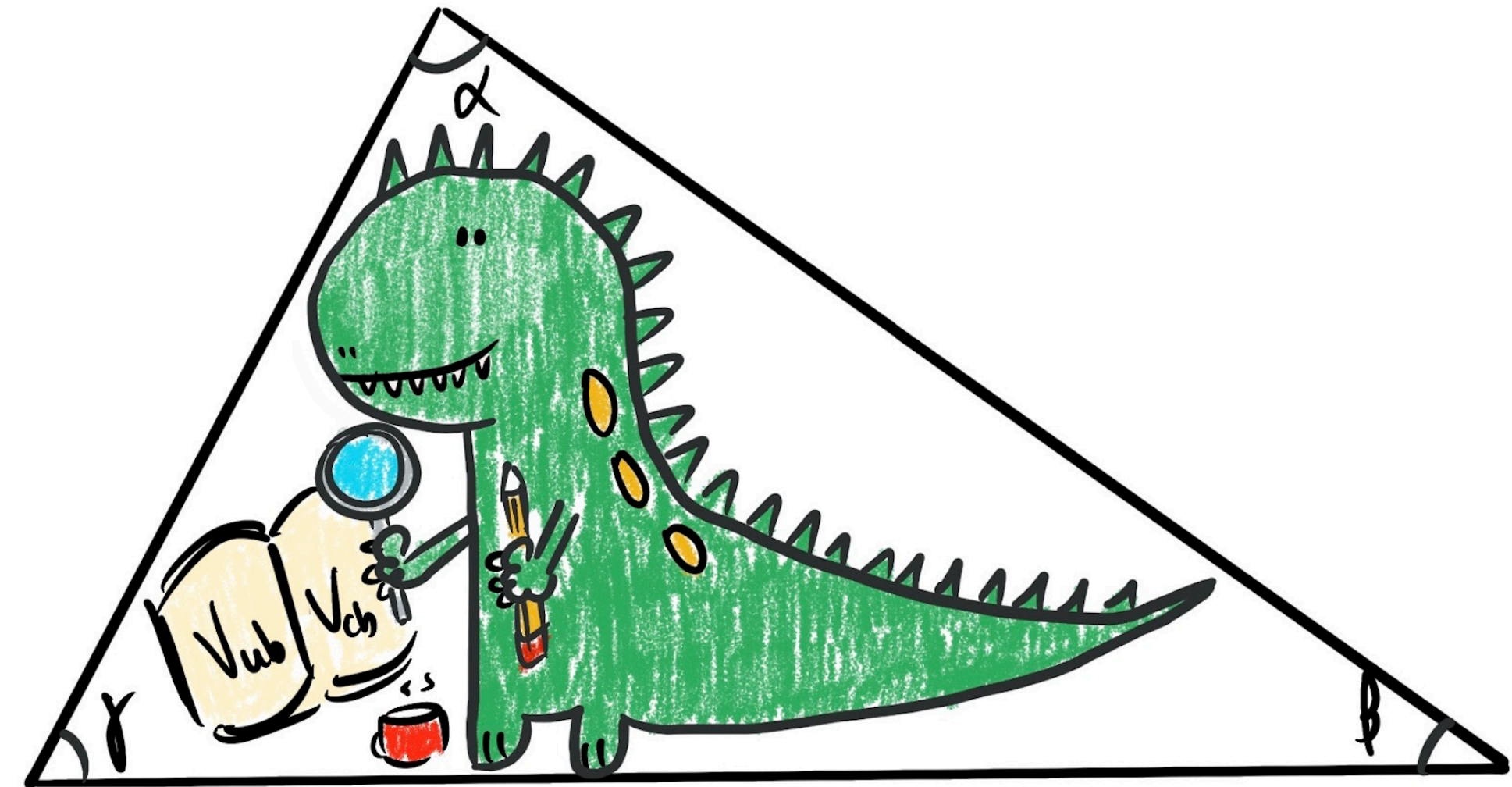
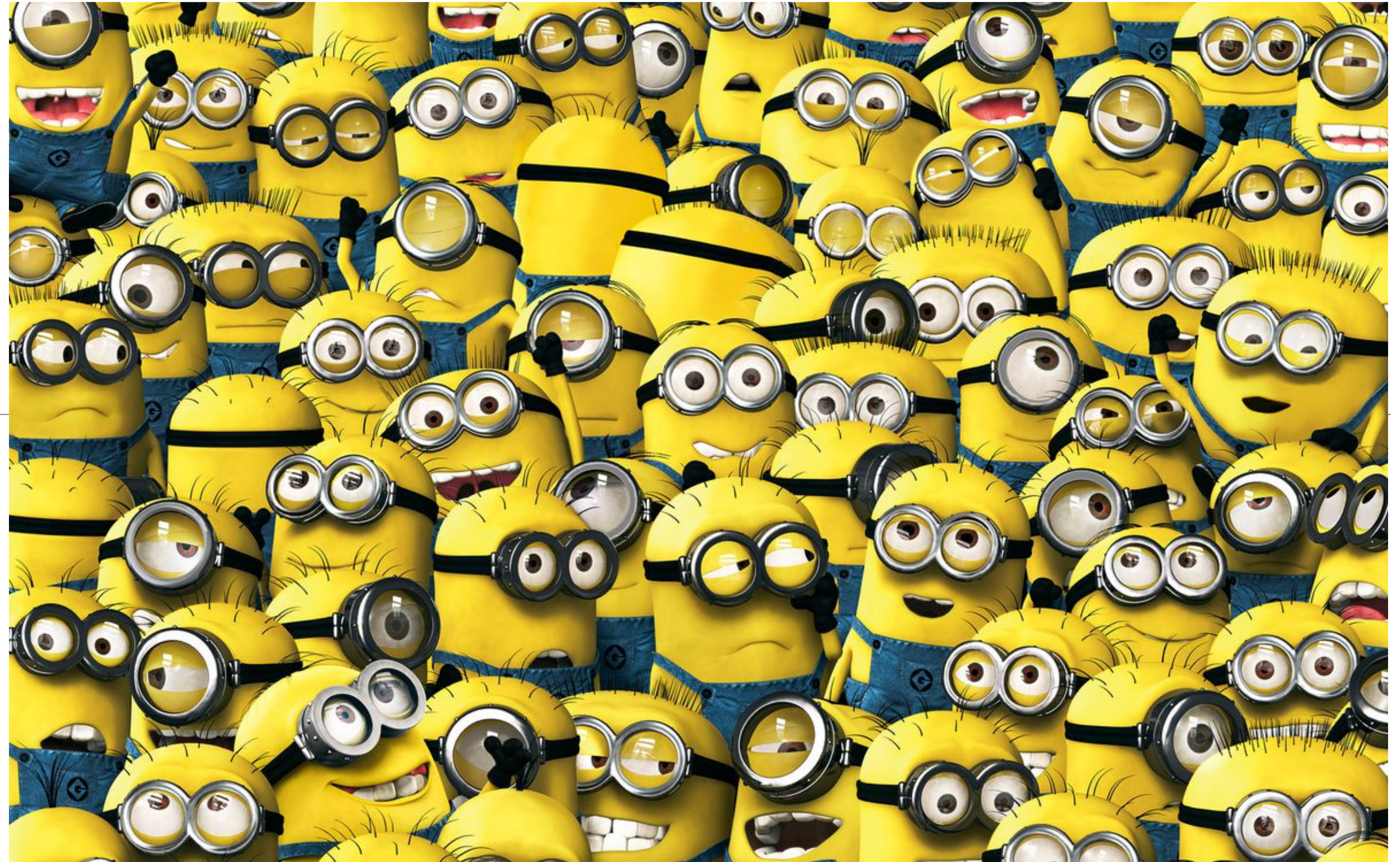


Flavour Physics - Chapter I

Yasmine Amhis
CERN Summer School



Quick survey of the room



A lot of material taken from previous lectures of mine but also from Mark Williams, Tim Gershon, Gerhard Raven, Andreas Hocker, Gino Isidori, Yosef Nir and others I probably forgot.

If you wish references to textbooks from me a message

Let's see how Flavour Physics can help us go Beyond the SM ?

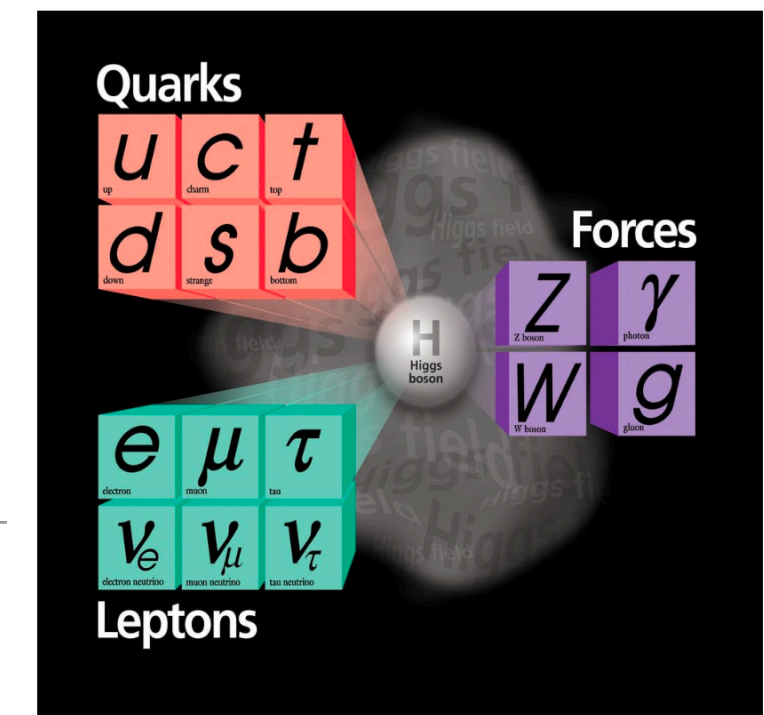
Beyond the SM 12

* Need to add neutrino mass (Majorana or Dirac?)

Motivation for BSM

| <u>Plausible EFT Solutions</u> | <u>Challenge EFT Paradigm</u> |
|--|---|
| <ul style="list-style-type: none">• Dark matter• Baryon asymmetry• Strong CP• Fermion masses and mixings• <u>Grand unification</u> | <ul style="list-style-type: none">• Hierarchy problem• Cosmological constant• Initial conditions for inflation / Eternal inflation• UV completion of gravity |

Disclaimer



Flavour Physics is packed with Jargon (K , π , D^* , K^* , ADS, C9, OS etc.)

However the underlying physics is fascinating

Rich phenomenology and experimental techniques

Exciting implications !

Please bare with me



A hitchhiker guide to flavour physics

Questionnaire de Proust

What is the observable?

A branching ratio? An angle?

What is the process? A penguin? A tree?

What are we testing/measuring? NP? SM?

What is the statistics? Rare decay? Normalisation ?

What is the topology of the decay?

Are we ever going to see it?

What about the systematics?

Do we really care about it?

If you are lost go back to these questions

Structure of these lectures

- Examples of historical/recent measurements.
- What makes them experimentally challenging? Blood sweat & tears.
- How do we loop back to the underlying phenomenology ?



What is Flavour Physics?



WIKIPEDIA
The Free Encyclopedia

Flavour (particle physics)

In [particle physics](#), **flavour** or **flavor** refers to the *species* of an elementary particle. The [Standard Model](#) counts six flavours of [quarks](#) and six flavours of [leptons](#). They are conventionally parameterized with *flavour quantum numbers* that are assigned to all [subatomic particles](#). They can also be described by some of the [family symmetries](#) proposed for the quark-lepton generations.

[Contents](#) [\[hide\]](#)

| | | |
|--|--|--|
| $0.511 \text{ MeV}/c^2$ -1 $\frac{1}{2}$ e electron | $105.7 \text{ MeV}/c^2$ -1 $\frac{1}{2}$ μ muon | $1.777 \text{ GeV}/c^2$ -1 $\frac{1}{2}$ τ tau |
| $<2.2 \text{ eV}/c^2$ 0 $\frac{1}{2}$ ν_e electron neutrino | $<0.17 \text{ MeV}/c^2$ 0 $\frac{1}{2}$ ν_μ muon neutrino | $<15.5 \text{ MeV}/c^2$ 0 $\frac{1}{2}$ ν_τ tau neutrino |

Coined by Gell-mann and Fritsch on visit to ice cream parlour
(Pasadena, 1971)

“Just as ice cream has both color and flavor so do quarks.”



Where do we stand?

| Fermions ("matter") | Bosons ("forces") |
|--|--|
| $\left\{ \begin{array}{l} \text{Quarks} \\ uuu \quad ccc \quad ttt \\ ddd \quad sss \quad bbb \\ \\ \text{Leptons} \\ e \quad \mu \quad \tau \\ \nu_e \quad \nu_\mu \quad \nu_\tau \end{array} \right\} \times \left\{ \begin{array}{l} \text{MATTER} \\ \text{ANTIMATTER} \end{array} \right\}$ | $\begin{array}{l} gggggggg \\ \gamma \\ W^+ \\ W^- \\ Z \\ \\ H \end{array}$ |

What do we have within the Standard Model ?

3 gauge couplings

2 Higgs parameters

6 quark masses

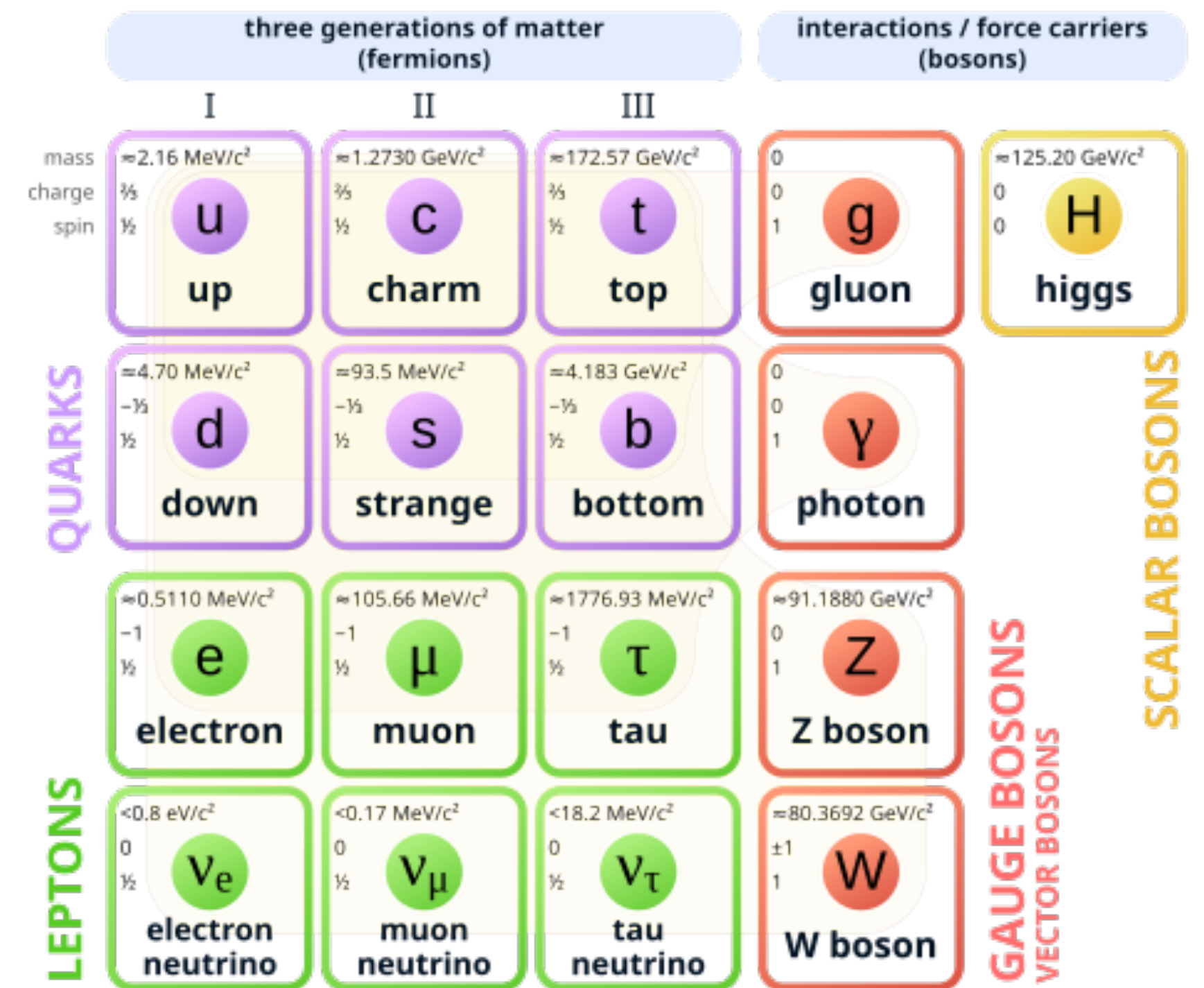
3 quark mixing angles + 1 phase

3 (+3) lepton masses

(3 lepton mixing angles + 1 phase)

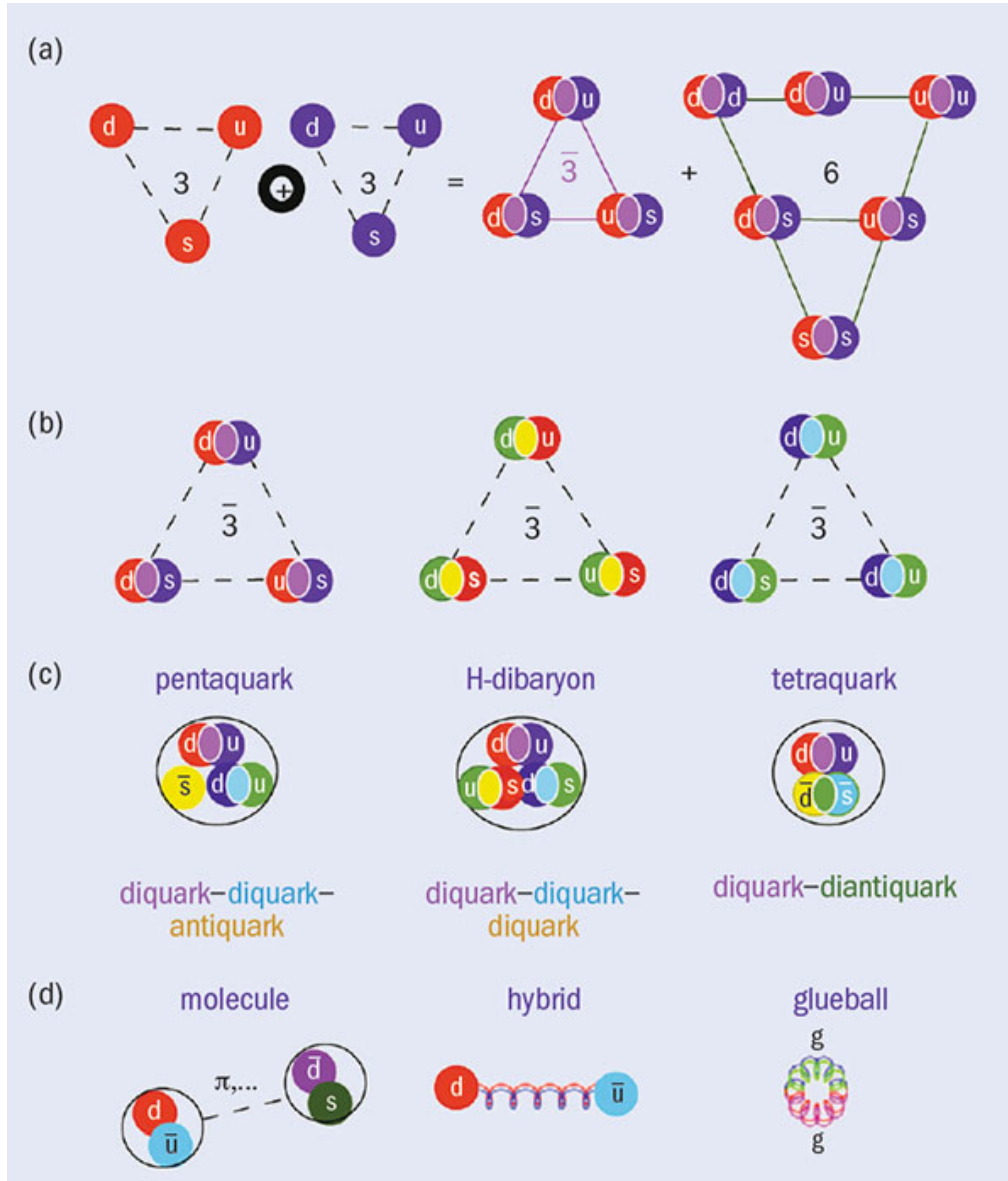
() = with Dirac neutrino masses

Standard Model of Elementary Particles

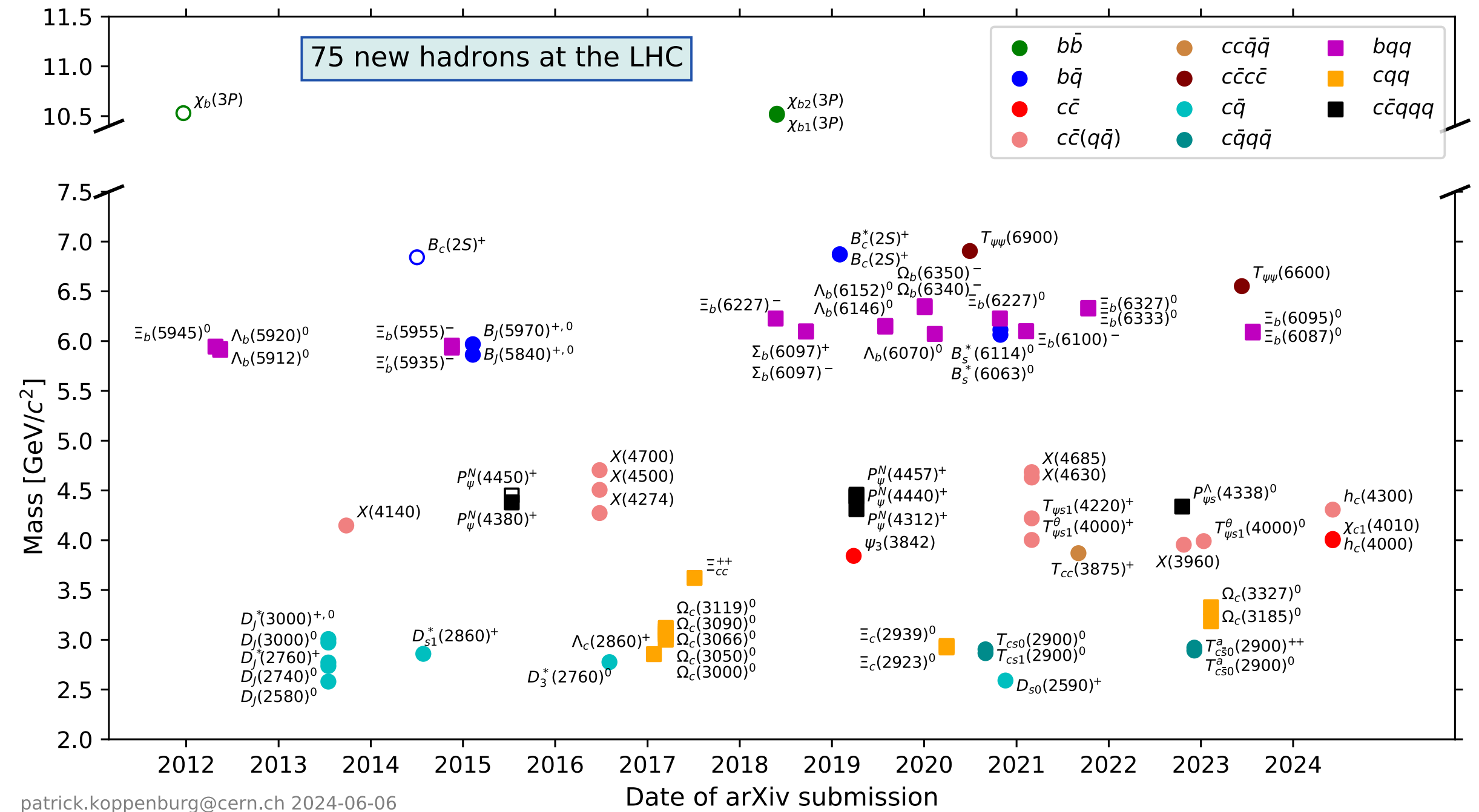


Hadrons !

One fundamental particle was discovered at the LHC so far...but also 75 new hadrons at the LHC



<https://cerncourier.com/a/exotic-hadrons-bend-the-rules/>



Hadron

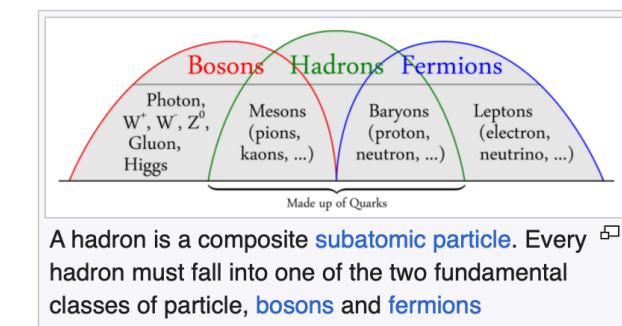
Article Talk

From Wikipedia, the free encyclopedia

(Redirected from **Hadrons**)

In **particle physics**, a **hadron** (/ˈhædrɒn/ [ⓘ]; from Ancient Greek ἄδρός (*hadrós*) 'stout, thick') is a composite subatomic particle made of two or more quarks held together by the strong interaction. They are analogous to molecules, which are held together by the electric force. Most of the mass of ordinary matter comes from two hadrons: the proton and the neutron, while most of the mass of the protons and neutrons is in turn due to the binding energy of their constituent quarks, due to the strong force.

Hadrons are categorized into two broad families: **baryons**, made of an odd number of quarks (usually three quarks) and **mesons**, made of an even number of quarks (usually two quarks: one quark and one antiquark).^[1] Protons and neutrons (which make the majority of the mass of an atom) are examples of baryons; pions are an example of a meson. "Exotic" hadrons, containing more than three valence quarks, have been discovered in recent years. A tetraquark state (an exotic meson), named the $Z(4430)^-$, was discovered in 2007 by the Belle Collaboration^[2] and confirmed as a resonance in 2014 by the LHCb collaboration.^[3] Two pentaquark states (exotic baryons), named $P_c^+(4380)$ and $P_c^+(4450)$, were discovered in 2015 by the LHCb collaboration.^[4] There are several more exotic hadron candidates and other colour-singlet quark combinations that may also exist.



This is the land of spectroscopy !

Discrete Symmetries

But actually



Discrete symmetry transformations lead to multiplicative conservation laws

The following discrete transformations are fundamental in particle physics:

☀ **Parity P (“handedness”):**

reflection of space around an arbitrary center;
 P invariance \rightarrow physics does not distinguish *right* and *left*

☀ **Particle-antiparticle transformation C :**

change of all additive quantum numbers (for example the electrical charge) in its opposite (“charge conjugation”)

☀ **Time reversal T :**

the time arrow is reversed in the equations;
 T invariance \rightarrow if a movement is allowed by a the physics law, the movement in the opposite direction is also allowed

In particle physics:

$$P|e_L^- \rangle = |e_R^- \rangle$$

$$P|\pi^0 \rangle = -|\pi^0 \rangle$$

$$P|n \rangle = +|n \rangle$$

$$C|e_L^- \rangle = |e_L^+ \rangle$$

$$C|u \rangle = |\bar{u} \rangle$$

$$C|d \rangle = |\bar{d} \rangle$$

$$C|\pi^0 \rangle = +|\pi^0 \rangle$$

What do we have within the Standard Model ?

3 gauge couplings

2 Higgs parameters

6 quark masses

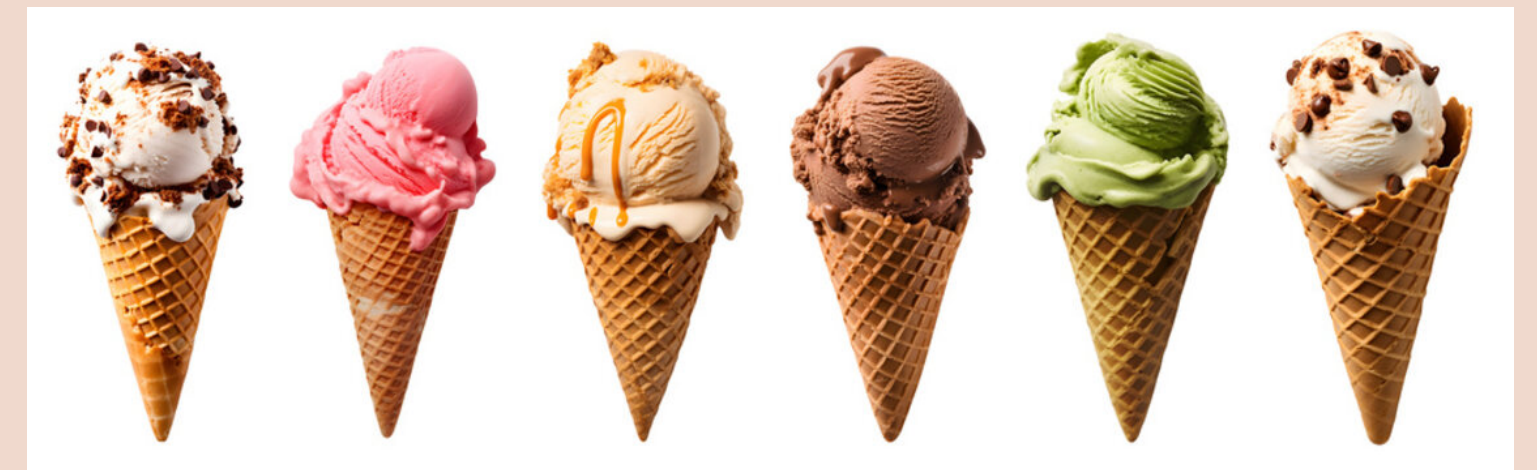
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Flavour Physics



What do we have within the Standard Model ?

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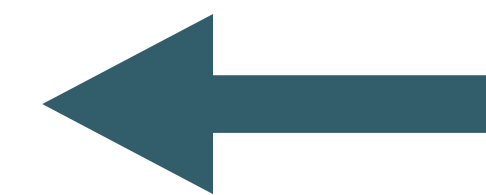
6 quark masses

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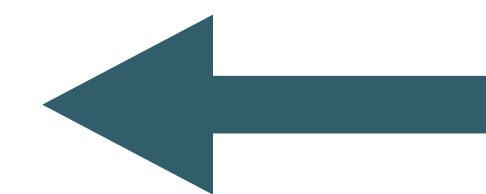
3 (+3) lepton masses

(3 lepton mixing angles + 1 phase)

() = with Dirac neutrino masses



CKM Matrix



PMNS

Please refer to your favorite
Neutrino lectures

► The flavor structure of the SM

$$\mathcal{L}_{\text{SM}} = \mathcal{L}_{\text{gauge}}(A_a, \psi_i) + \mathcal{L}_{\text{Higgs}}(H, A_a, \psi_i)$$

3 identical replica of the basic fermion family

→ $[\psi = Q_L, u_R, d_R, L_L, e_R] \Rightarrow$ huge flavor-degeneracy: $U(3)^5$ global symmetry

Within the SM the flavor-degeneracy is broken only by the **Yukawa** interaction:

in the quark sector:

$$\left[\begin{array}{l} \bar{Q}_L^i Y_D^{ik} d_R^k H + h.c. \rightarrow \bar{d}_L^i M_D^{ik} d_R^k + \dots \\ \bar{Q}_L^i Y_U^{ik} u_R^k H_c + h.c. \rightarrow \bar{u}_L^i M_U^{ik} u_R^k + \dots \end{array} \right.$$

The Y are not hermitian → diagonalized by bi-unitary transformations:

$$V_D^+ Y_D U_D = \text{diag}(y_b, y_s, y_d)$$

$$V_U^+ Y_U U_U = \text{diag}(y_t, y_c, y_u)$$

$$y_i = \frac{2^{1/2} m_{q_i}}{\langle H \rangle} \approx \frac{m_{q_i}}{174 \text{ GeV}}$$

► The flavor structure of the SM

$$\mathcal{L}_{\text{SM}} = \mathcal{L}_{\text{gauge}}(A_a, \psi_i) + \mathcal{L}_{\text{Higgs}}(H, A_a, \psi_i)$$

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in the quark sector:

$$\left[\begin{array}{l} \bar{Q}_L^i Y_D^{ik} d_R^k H + h.c. \rightarrow \bar{d}_L^i M_D^{ik} d_R^k + \dots \\ \bar{Q}_L^i Y_U^{ik} u_R^k H_c + h.c. \rightarrow \bar{u}_L^i M_U^{ik} u_R^k + \dots \end{array} \right.$$

The residual flavor symmetry let us to choose a (gauge-invariant) flavor basis where only one of the two Yukawa couplings is diagonal:

$$Y_D = \text{diag}(y_d, y_s, y_b)$$

$$Y_U = V^+ \times \text{diag}(y_u, y_c, y_t)$$

or

$$Y_D = V \times \text{diag}(y_d, y_s, y_b)$$

$$Y_U = \text{diag}(y_u, y_c, y_t)$$


► unitary matrix

$$\bar{Q}_L^i Y_D^{ik} d_R^k H \rightarrow \bar{d}_L^i M_D^{ik} d_R^k + \dots \quad M_D = \text{diag}(m_d, m_s, m_b)$$

$$\bar{Q}_L^i Y_U^{ik} u_R^k H_c \rightarrow \bar{u}_L^i M_U^{ik} u_R^k + \dots \quad M_U = V^+ \times \text{diag}(m_u, m_c, m_t)$$

To diagonalize also the second mass matrix we need to rotate separately u_L & d_L (non gauge-invariant basis) $\Rightarrow V$ appears in charged-current gauge interactions:

$$J_W^\mu = \bar{u}_L \gamma^\mu d_L \rightarrow \bar{u}_L V \gamma^\mu d_L$$


Cabibbo-Kobayashi-Maskawa
(CKM) mixing matrix

► Properties of the CKM matrix & CKM fits

$$V_{\text{CKM}} = \begin{bmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{bmatrix}$$

Experimental indication
of a strongly hierarchical
structure:



$$\approx \begin{bmatrix} 1-\lambda^2/2 & \lambda & A\lambda^3(\rho-i\eta) \\ -\lambda & 1-\lambda^2/2 & A\lambda^2 \\ A\lambda^3(1-\rho-i\eta) & -A\lambda^2 & 1 \end{bmatrix}$$

Wolfenstein, '83

$\lambda = 0.22$

$A, |\rho+i\eta| = O(1)$



► Properties of the CKM matrix & CKM fits

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Wolfenstein, '83

$$\lambda = 0.22$$

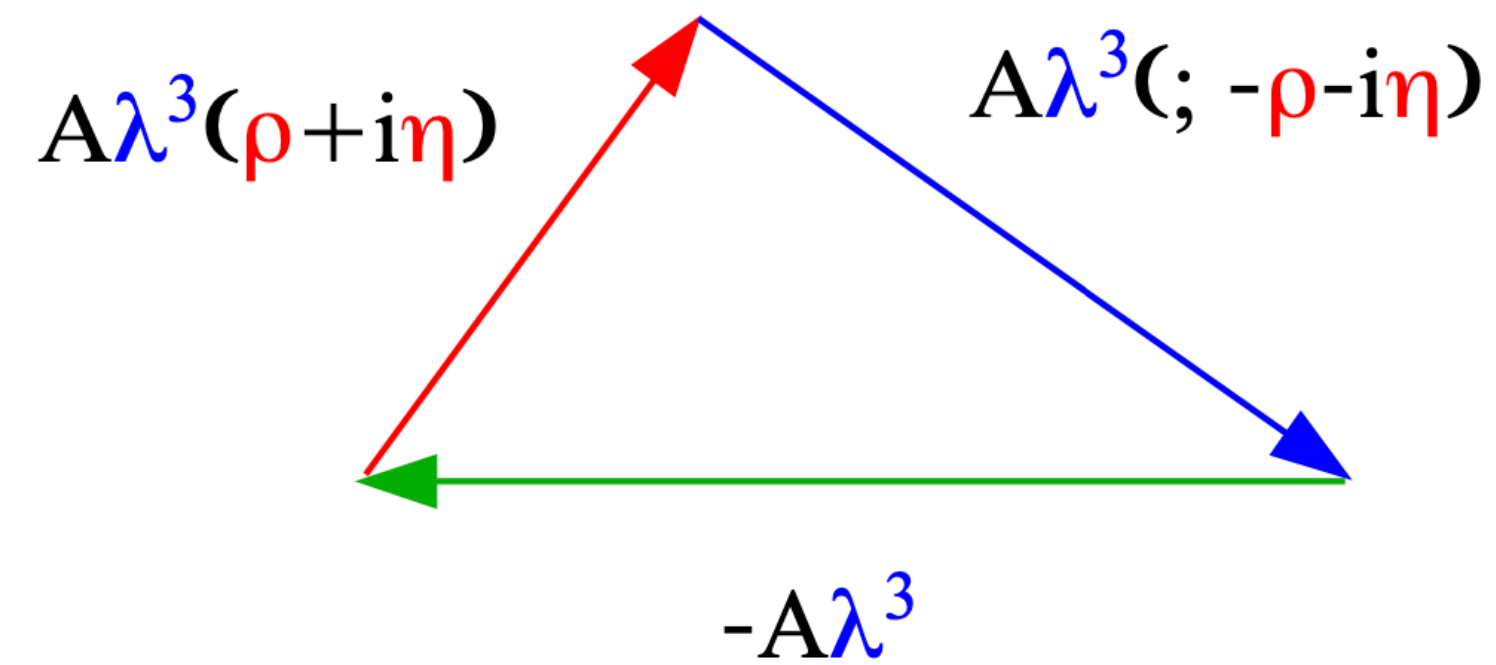
$$A, |\rho+i\eta| = O(1)$$

$$(V^\dagger V)_{ij} = \delta_{ij}$$



Triangular relations, such as [i=b, j=d]:

$$\underline{V_{ub}^* V_{ud}} + \underline{V_{cb}^* V_{cd}} + \underline{V_{tb}^* V_{td}} = 0$$



only the **3-1** triangles have all sizes of the same order in λ

$$\lambda^2 = \frac{|V_{us}|^2}{|V_{ud}|^2 + |V_{us}|^2},$$

$$A^2 \lambda^4 = \frac{|V_{cb}|^2}{|V_{ud}|^2 + |V_{us}|^2},$$

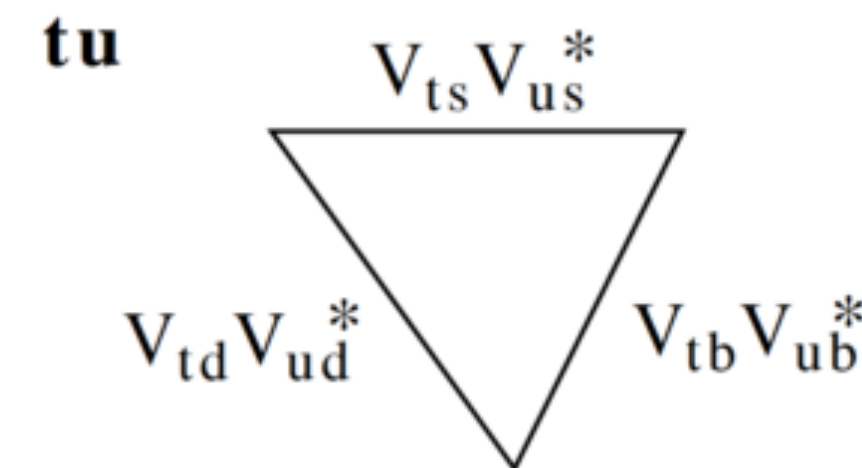
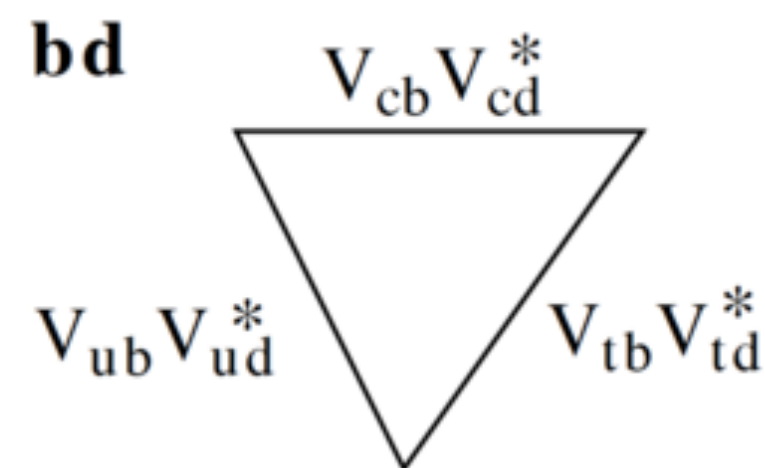
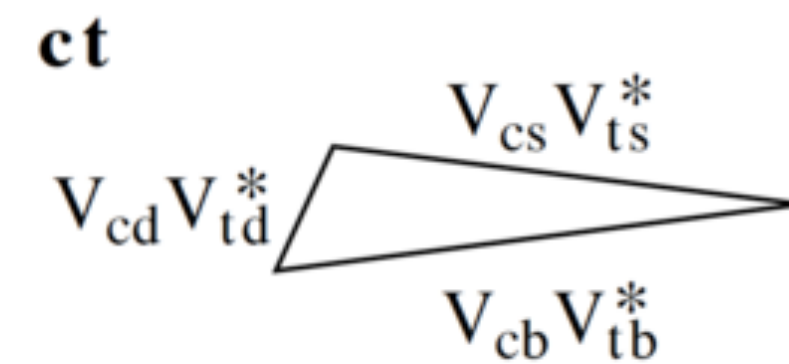
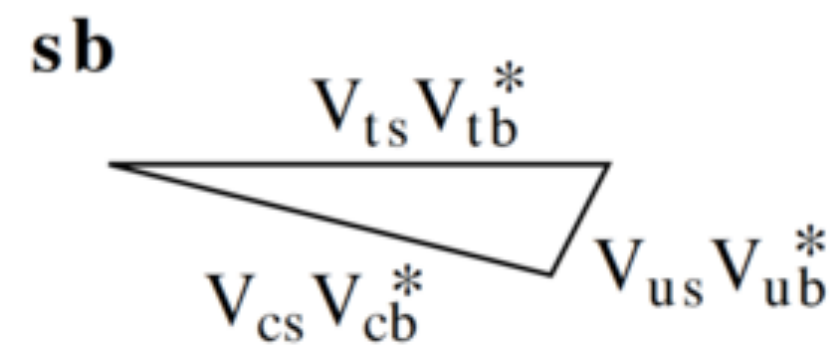
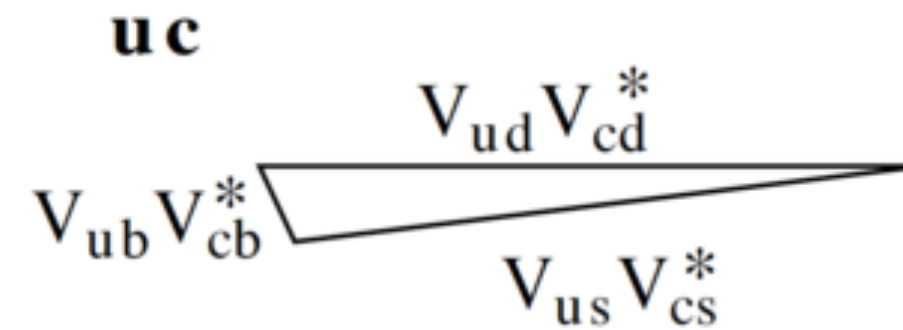
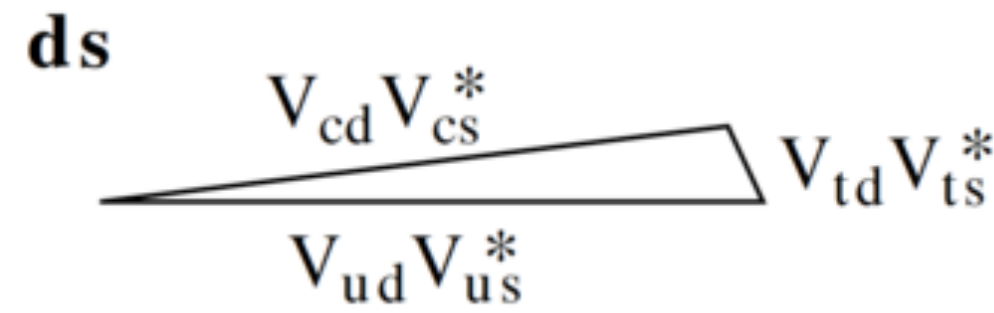
$$\bar{\rho} + i\bar{\eta} = -\frac{V_{ud}V_{ub}^*}{V_{cd}V_{cb}^*}.$$

The other triangles

The unitarity of the CKM matrix, $(VV^\dagger)_{ij} = (V^\dagger V)_{ij} = \delta_{ij}$, leads to twelve distinct complex relations among the matrix elements. The six relations with $i \neq j$ can be represented geometrically as triangles in the complex plane. Two of these,

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0, \quad (13.35a)$$

$$V_{td}V_{ud}^* + V_{ts}V_{us}^* + V_{tb}V_{ub}^* = 0, \quad (13.35b)$$



$$\alpha \equiv \varphi_2 \equiv \arg \left(-\frac{V_{td}V_{tb}^*}{V_{ud}V_{ub}^*} \right) \simeq \arg \left(-\frac{1 - \rho - i\eta}{\rho + i\eta} \right),$$

$$\beta \equiv \varphi_1 \equiv \arg \left(-\frac{V_{cd}V_{cb}^*}{V_{td}V_{tb}^*} \right) \simeq \arg \left(\frac{1}{1 - \rho - i\eta} \right),$$

$$\gamma \equiv \varphi_3 \equiv \arg \left(-\frac{V_{ud}V_{ub}^*}{V_{cd}V_{cb}^*} \right) \simeq \arg(\rho + i\eta).$$

How we build the angles

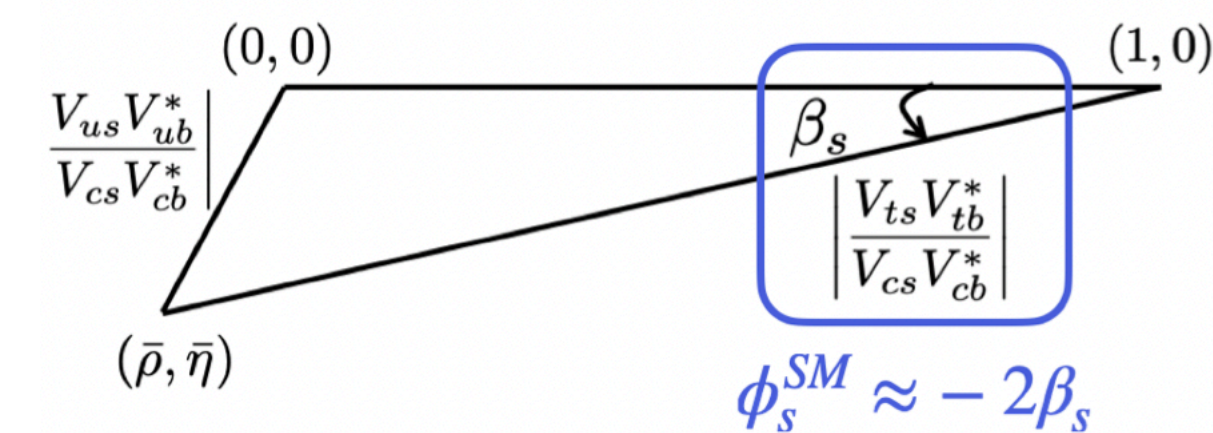
$$V_{CKM} = \begin{pmatrix} |V_{ud}| & |V_{us}| & |V_{ub}| e^{-i\gamma} \\ -|V_{cd}| & |V_{cs}| & |V_{cb}| \\ |V_{td}| e^{-i\beta} & -|V_{ts}| e^{i\beta_s} & |V_{tb}| \end{pmatrix} = \begin{pmatrix} \bullet & \bullet & \bullet \\ \bullet & \bullet & \bullet \\ \bullet & \bullet & \bullet \end{pmatrix}$$

Unitarity

Can construct many triangles

$$\sin(2\beta) = \text{Im} \left(\frac{q \bar{A}_{J/\psi} K_S^0}{p A_{J/\psi} K_S^0} \right)$$

$$\beta = \arg \left(-\frac{V_{cb}^* V_{cd}}{V_{tb}^* V_{td}} \right)$$



It's never a straight forward path

The GIM mechanism

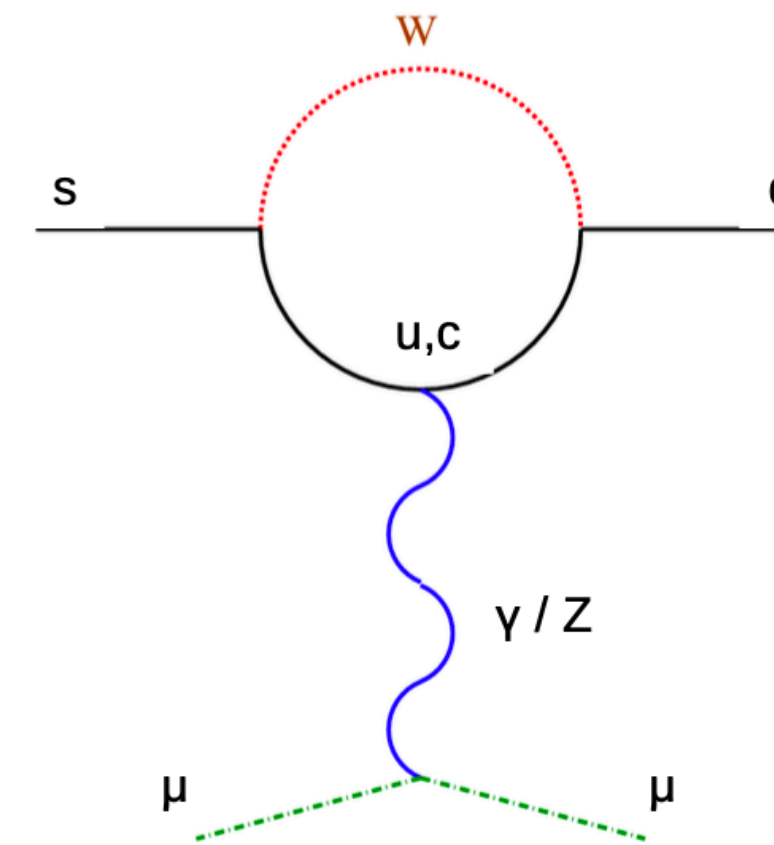
$K^+ \rightarrow \mu^+ \nu_\mu$ & $\pi^0 \mu^+ \nu_\mu$ so why not $K^0 \rightarrow \mu^+ \mu^-$ & $\pi^0 \mu^+ \mu^-$?

- GIM (Glashow, Iliopoulos, Maiani) mechanism (1970)
 - no tree level flavour changing neutral currents
 - suppression of FCNC via loops
- Requires that quarks come in pairs (predicting charm)

$$A = V_{us} V_{ud}^* f(m_u/m_W) + V_{cs} V_{cd}^* f(m_c/m_W)$$
$$2 \times 2 \text{ unitarity: } V_{us} V_{ud}^* + V_{cs} V_{cd}^* = 0$$

$$m_u, m_c < m_W \therefore f(m_u/m_W) \sim f(m_c/m_W) \therefore A \sim 0$$

kaon mixing \Rightarrow predict m_c



A number of things that we still don't know

Why are there so many different fermions?

What is responsible for their organisation into generations / families?

Why are there 3 generations / families each of quarks and leptons?

Why are there flavour symmetries?

What breaks the flavour symmetries?

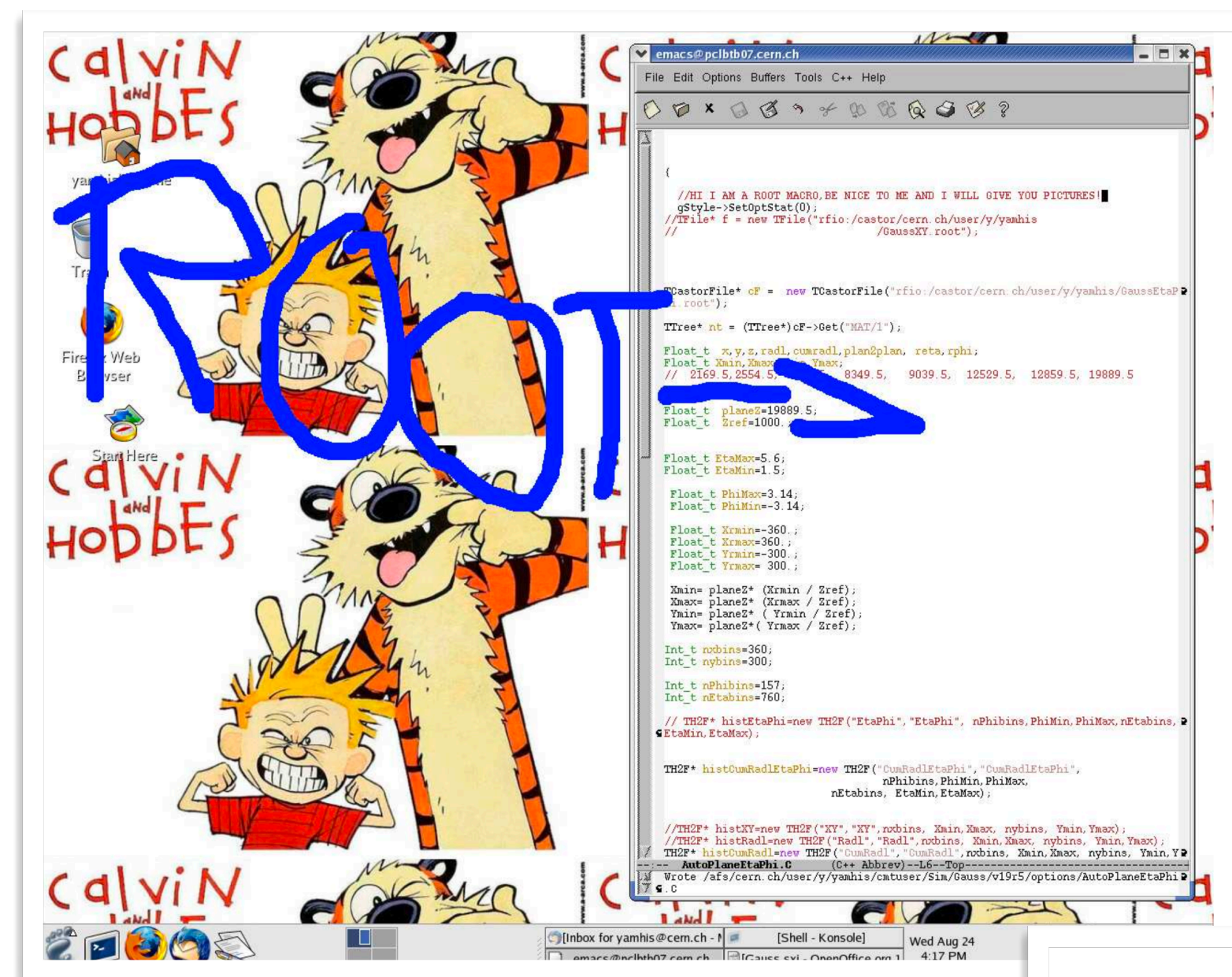
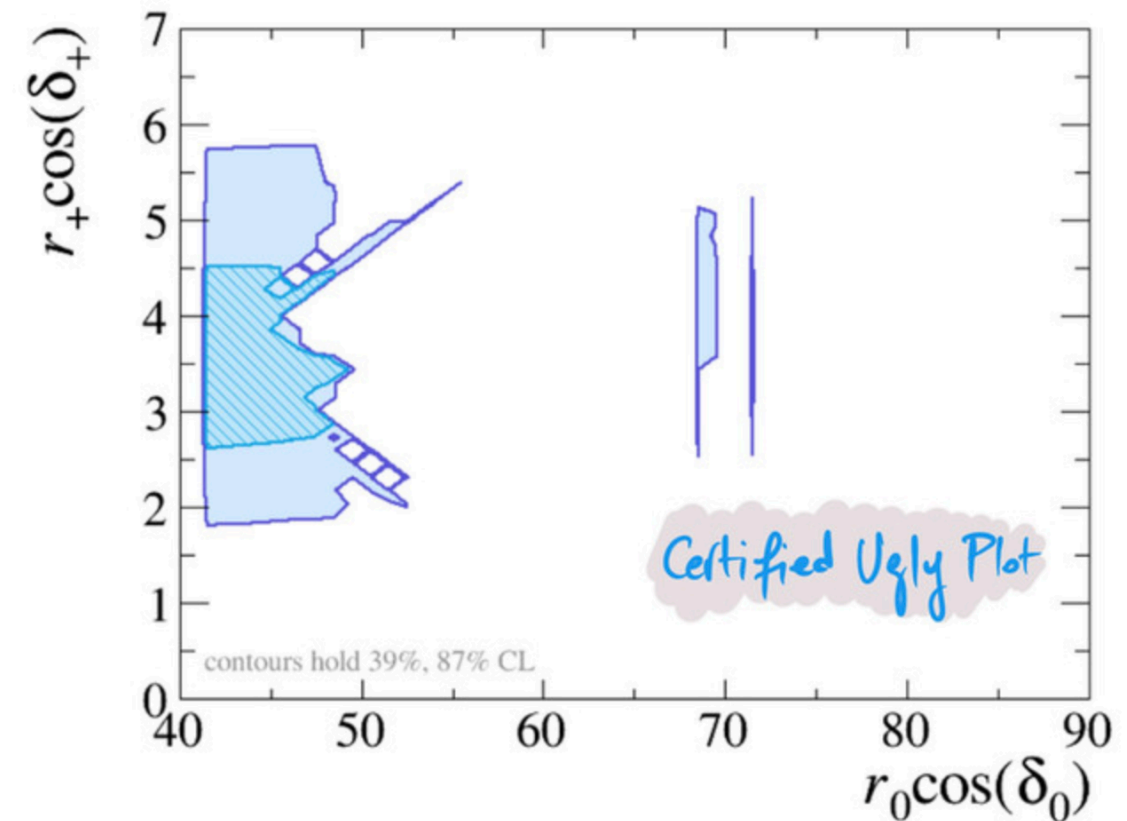
What causes matter–antimatter asymmetry?

Almost twenty years ago !

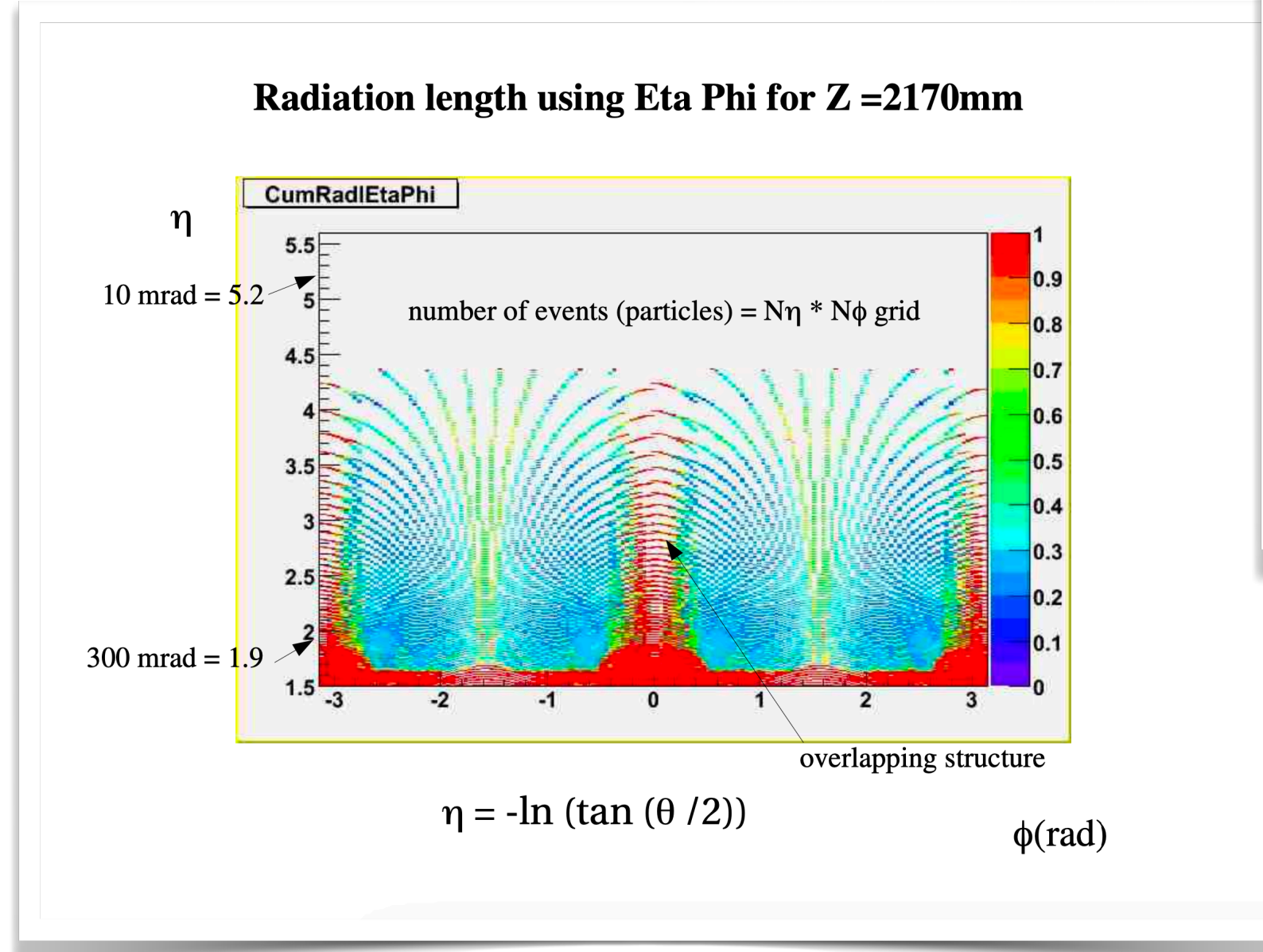


Gauss Vs Yas!

Yasmine Sarah Amhis
 Summer School 2005
 LHCb, CERN
 Geneva

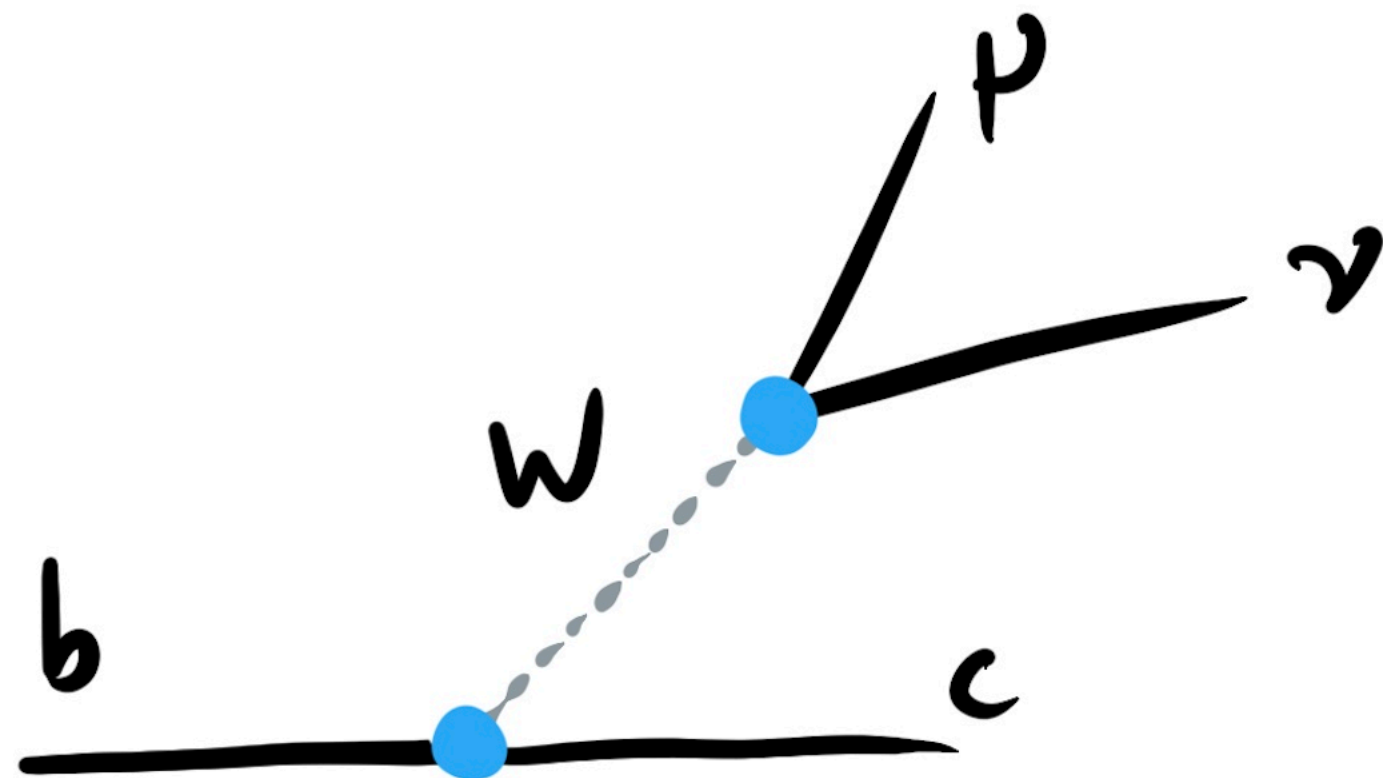


*****Break*****
 Segmentation Violation

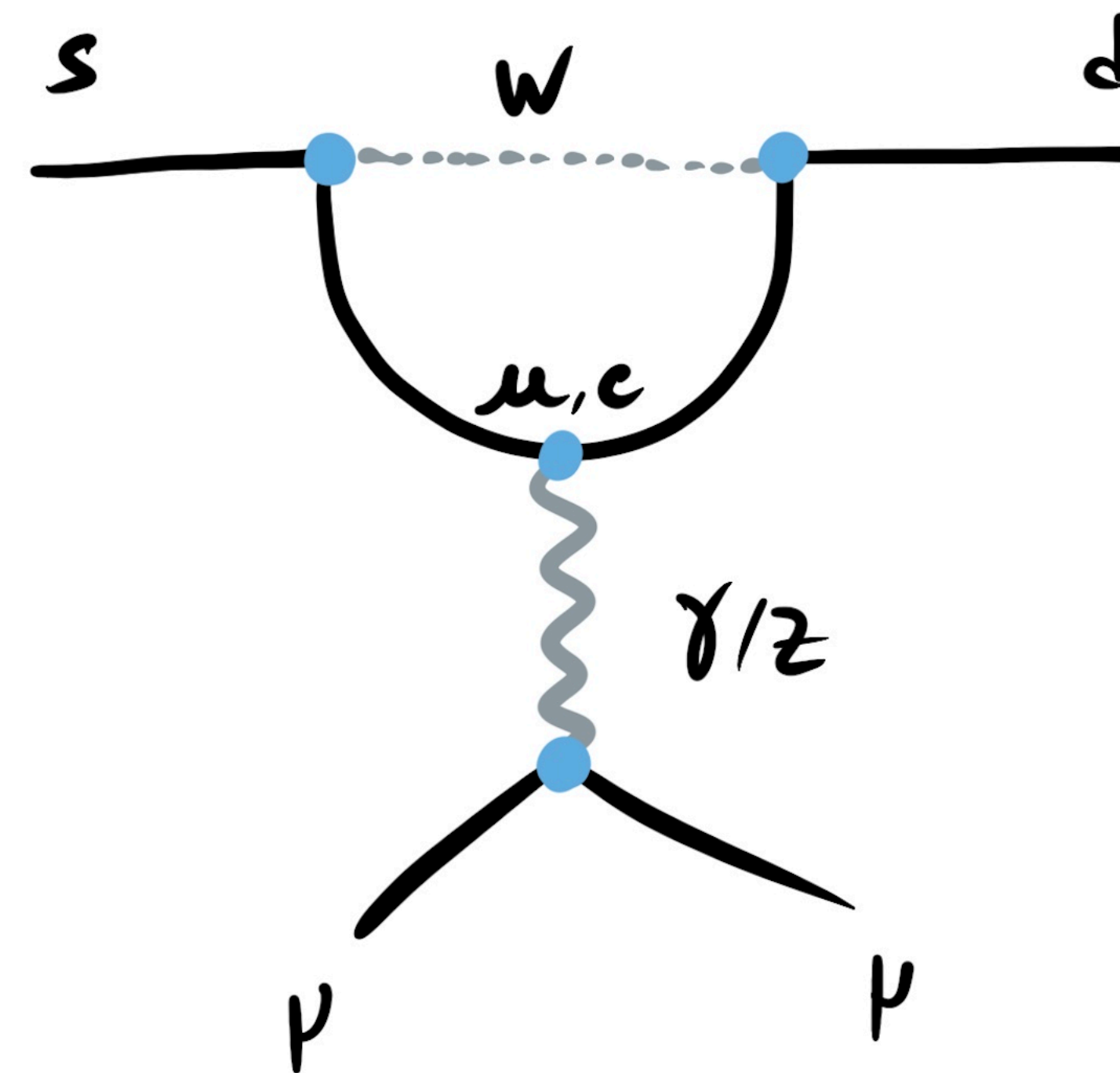


Trees vs penguins

Flavour Changing Charged Currents



Flavour Changing Neutral Currents



Rule of thumb: you can't access all the parameters at once
you have to pick your battles

CP Violation through the History of Particle Physics

- Discovery of strange particles (Rochester, Butler) (1946, '47)
- Neutral kaons can mix (Gell-Mann, Pais) (1952)
- K_L discovery (Lederman *et al.*) (1956)
- P violation: possible explanation (Lee, Yang) (1956)
- P violation found in β decay (Wu *et al.*) (1957)
later: maximum P and C violation, but CP invariance
- Cabibbo-Theory (1963)
- ➡ CP violation (CPV) discovered (Cronin, Fitch *et al.*) (1964)

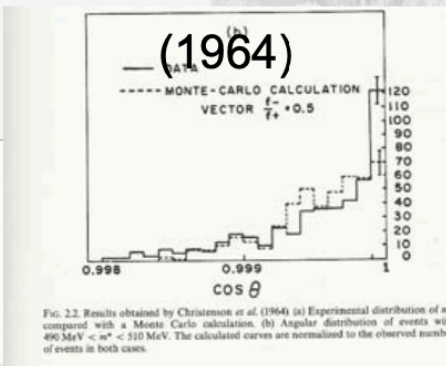
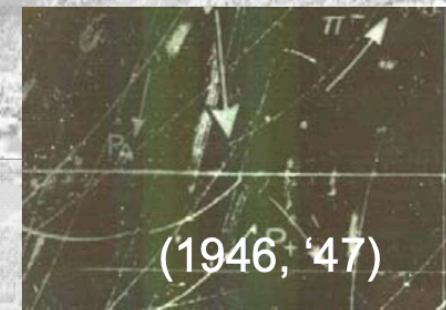


Fig. 2.2. Results obtained by Cronin *et al.* (1964) (a) Experimental distribution of $\cos\theta$ compared with a Monte Carlo calculation. (b) Angular distribution of events with $400 \text{ MeV} < \sqrt{s} < 1.0 \text{ GeV}$. The calculated curves are normalized to the observed number of events in both cases.

CP Violation is a Family History of Quarks

- GIM-Mechanism (Glashow, Illiopolous, Maiani) (1970)
- CPV phase requires 3 families (Kobayashi-Maskawa) (1973)
- J/ψ resonance: c quarks (Ting, Richter) (1974)
- Discovery of τ lepton: 3rd family (Perl *et al.*) (1975)
- Υ resonance: b quarks (Lederman *et al.*) (1977)
- Broad $\Upsilon(4S)$ (CLEO) (1980)
- B mesons live long ($|V_{cb}|$ small) (MAC, MARK II) (1983)
- B mesons oscillate (ARGUS) (1987)
- t -quark discovery (CDF) (1995)
- $\epsilon'/\epsilon \neq 0$ (NA31, NA48, KTeV) (1999)
- Start of B Factories: BABAR (PEP II), Belle (KEKB) (1999)
- ➡ CPV in B system : $\sin(2\beta) \neq 0$ (BABAR, Belle) (2001)
- ➡ Direct CPV in B system : $A_{CP}(K^+\pi^-) \neq 0$ (BABAR, Belle) (2004)

Twenty years later where are we?

Examples of Flavored Discoveries

- The smallness of $\Gamma(K_L \rightarrow \mu^+ \mu^-) / \Gamma(K^+ \rightarrow \mu^+ \nu)$
 \Rightarrow Predicting the charm quark
- The size of Δm_K
 $\Rightarrow m_c$
- The size of Δm_B
 $\Rightarrow m_t$
- The measurement of ϵ_K
 \Rightarrow Third generation
- The measurement of ν flavor transitions
 $\Rightarrow m_\nu \neq 0$

Y. Nir

The strength of flavour physics and indirect searches

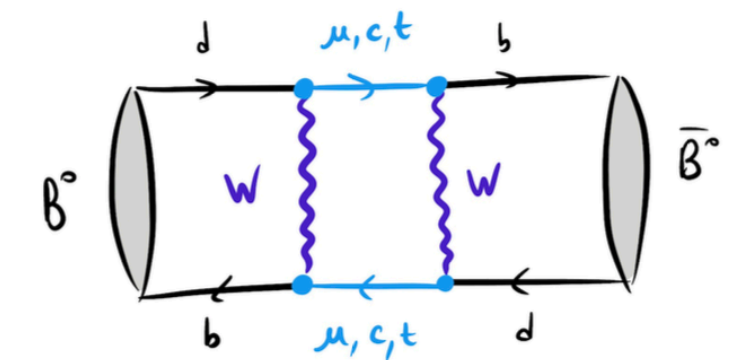
PLB 192 (1987)

OBSERVATION OF B^0 - \bar{B}^0 MIXING

ARGUS Collaboration

In summary, the combined evidence of the investigation of B^0 meson pairs, lepton pairs and B^0 meson-lepton events on the $\Upsilon(4S)$ leads to the conclusion that B^0 - \bar{B}^0 mixing has been observed and is substantial.

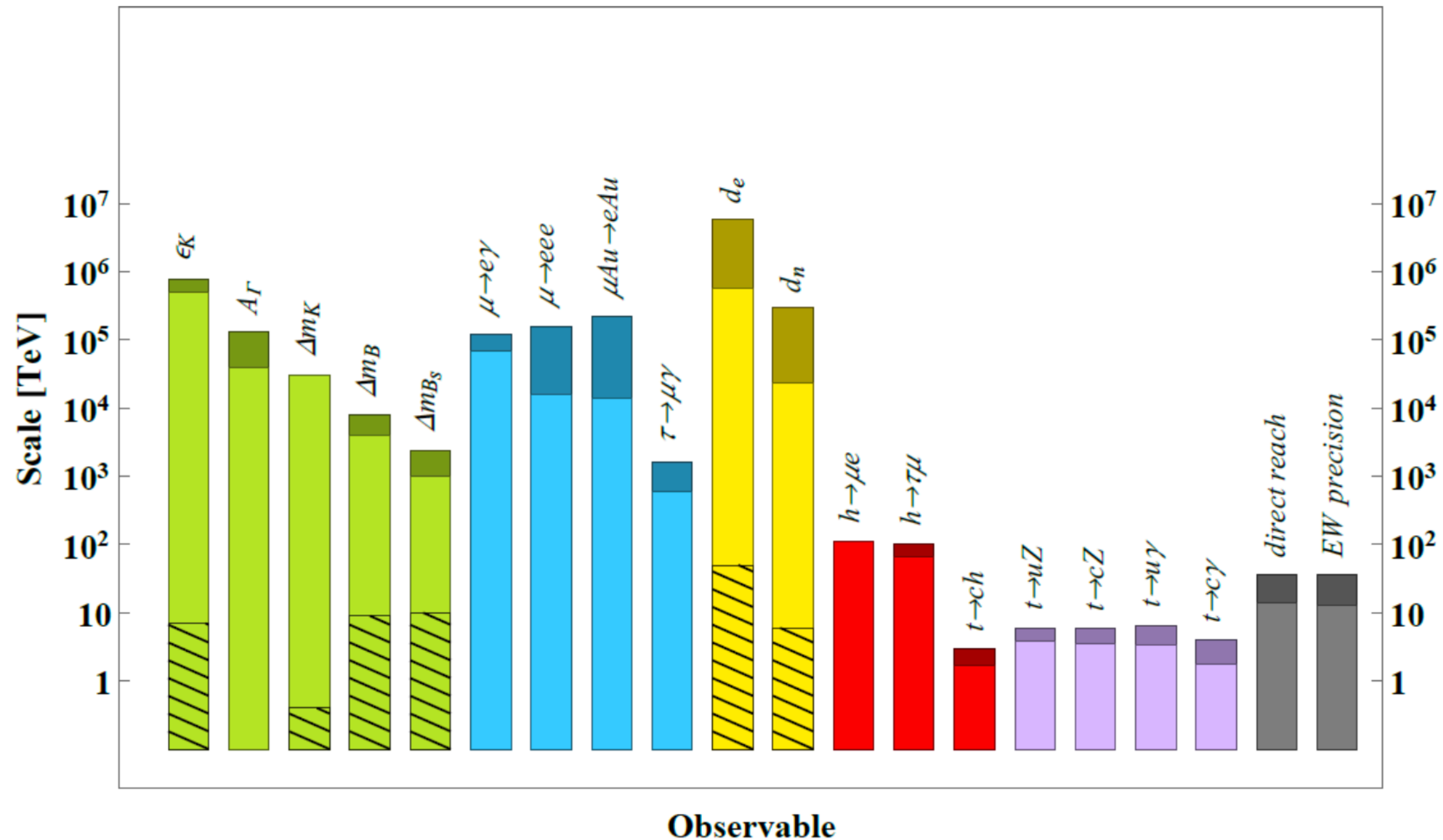
| Parameters | Comments |
|-------------------------------------|--|
| $r > 0.09$ (90%CL) | this experiment |
| $x > 0.44$ | this experiment |
| $B^{1/2} f_B \approx f_c < 160$ MeV | B meson (\approx pion) decay constant |
| $m_b < 5$ GeV/c ² | b-quark mass |
| $\tau < 1.4 \times 10^{-12}$ s | B meson lifetime |
| $ V_{td} < 0.018$ | Kobayashi-Maskawa matrix element |
| $\eta_{\text{QCD}} < 0.86$ | QCD correction factor ^{a)} |
| $m_t > 50$ GeV/c ² | t quark mass |



$$\mathcal{M}(B^0 - \bar{B}^0) \propto \sum_j (V_{jb} V_{jd}^*) (V_{j\bar{b}} V_{j\bar{d}}) F(m_{u_j}^2, m_{d_j}^2)$$

Emphasis the complementarity of direct vs indirect searches

Oldie but goodie - an indirect road to discoveries and high scales



Can we use Flavour Physics to probe higher scale?

What is CP violation? The $\theta - \tau$ puzzle:

Two **strange** charged particles discovered:

the “ θ ” decaying to $\pi^+\pi^0$

the “ τ ” decaying to $\pi^+\pi^-\pi^+$

★ Parities of 2π and 3π are opposite, but masses and lifetimes of θ & τ found to be the same
Parity violation discovered 1957 (C.N.Wu et al, then many others, all following T.D.Lee and C.N.Yang)

θ & τ are the same particle: “ K^+ ”

From P to CP

P is maximally violated in beta decay (no right-handed neutrinos), however, C is also maximally violated (no left-handed antineutrinos)

- C : charge conjugation (swap particle for antiparticle)
- **the product CP is conserved** (Landau 1957)

Or so thought, until $K_L \rightarrow \pi^+\pi^-$ [CP(-1)→CP(+1)] was observed (Cronin & Fitch, **1964**)

- **CP violation distinguishes absolutely matter from antimatter**

N.B. CPT is conserved in any Lorentz invariant gauge field theory

Evidence for the 2π Decay of the K_2^0 Meson

J.H. Christenson (Princeton U.), J.W. Cronin (Princeton U.), V.L. Fitch (Princeton U.), R. Turlay (Princeton U.)

Jul 27, 1964

3 pages

Published in: *Phys.Rev.Lett.* 13 (1964) 138-140

Published: Jul 27, 1964

DOI: [10.1103/PhysRevLett.13.138](https://doi.org/10.1103/PhysRevLett.13.138)

PDG: K^0 MASS

Experiments: BNL-E-0181

View in: [OSTI Information Bridge Server](#)

[cite](#) [claim](#)

[reference search](#) [4,115 citations](#)

Citations per year

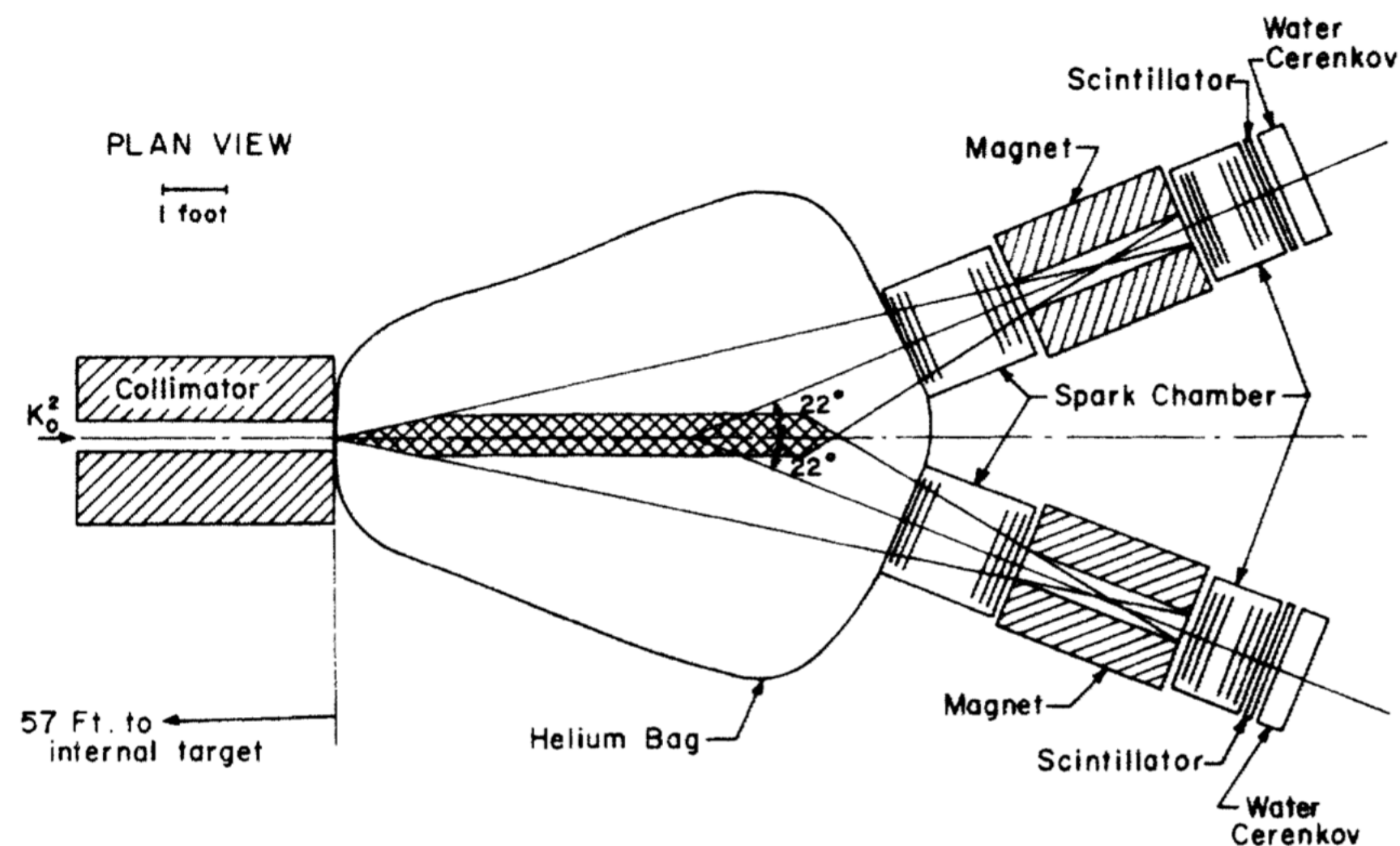
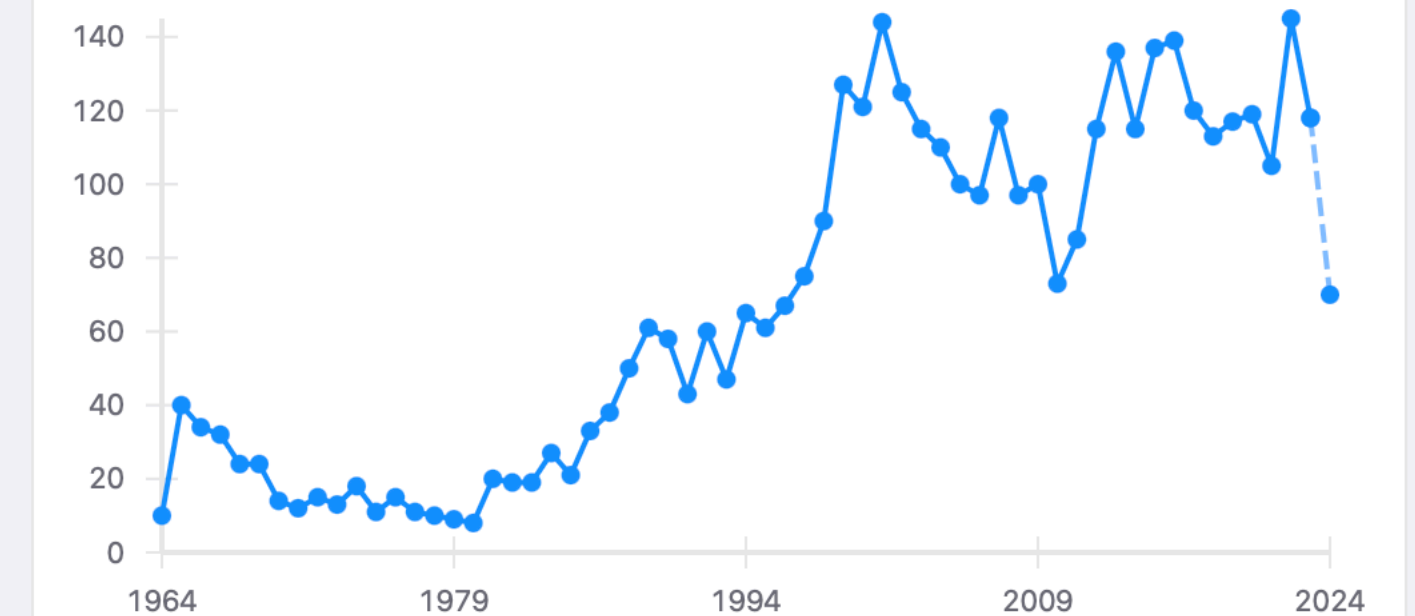


FIG. 1. Plan view of the detector arrangement.

We would conclude therefore that K_2^0 decays to two pions with a branching ratio $R = (K_2^0 \rightarrow \pi^+ + \pi^-) / (K_2^0 \rightarrow \text{all charged modes}) = (2.0 \pm 0.4) \times 10^{-3}$ where the error is the standard deviation. As emphasized above, any alternate explanation of the effect requires highly nonphysical behavior of the three-body decays of the K_2^0 . The presence of a two-pion decay mode implies that the K_2^0 meson is not a pure eigenstate of CP . Expressed as $K_2^0 = 2^{-1/2}[(K_0 - \bar{K}_0) + \epsilon(K_0 + \bar{K}_0)]$ then $|\epsilon|^2 \cong R_T \tau_1 \tau_2$ where τ_1 and τ_2 are the K_1^0 and K_2^0 mean lives and R_T is the branching ratio including decay to two π^0 . Using $R_T = \frac{3}{2}R$ and the branching ratio quoted above, $|\epsilon| \cong 2.3 \times 10^{-3}$.

To start with ... a Motivation

1. The Universe is empty* !
 2. The Universe is almost empty* !
- $$\frac{\Delta n_{\text{baryon}}}{n_{\gamma}} = \frac{n_{\text{baryon}} - n_{\overline{\text{baryon}}}}{n_{\gamma}} \sim O(10^{-10})$$

Bigi, Sanda, "CP Violation" (2000)

- ☀ Initial condition ? Would this be possible ?
- ☀ Dynamically generated ?

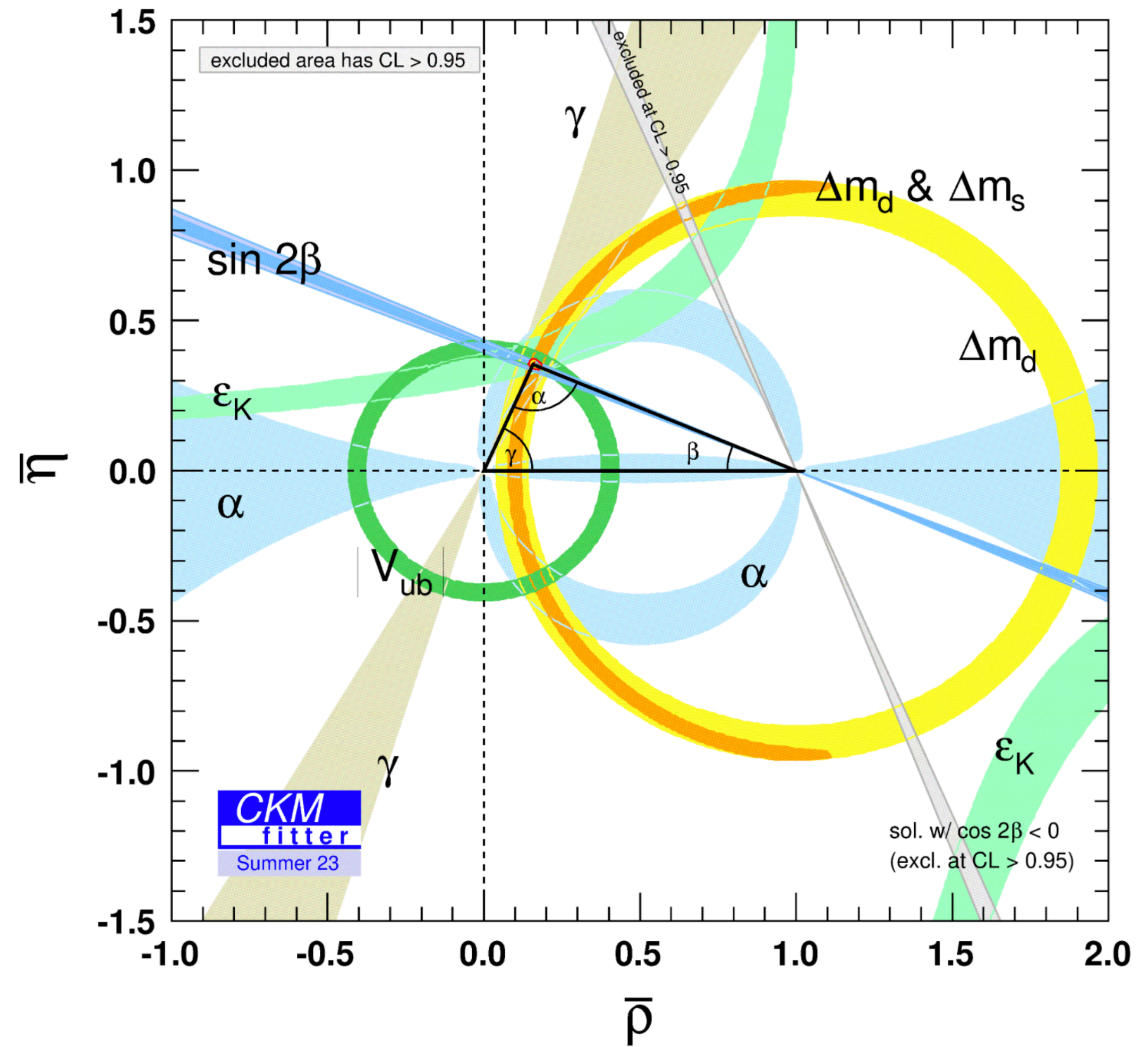
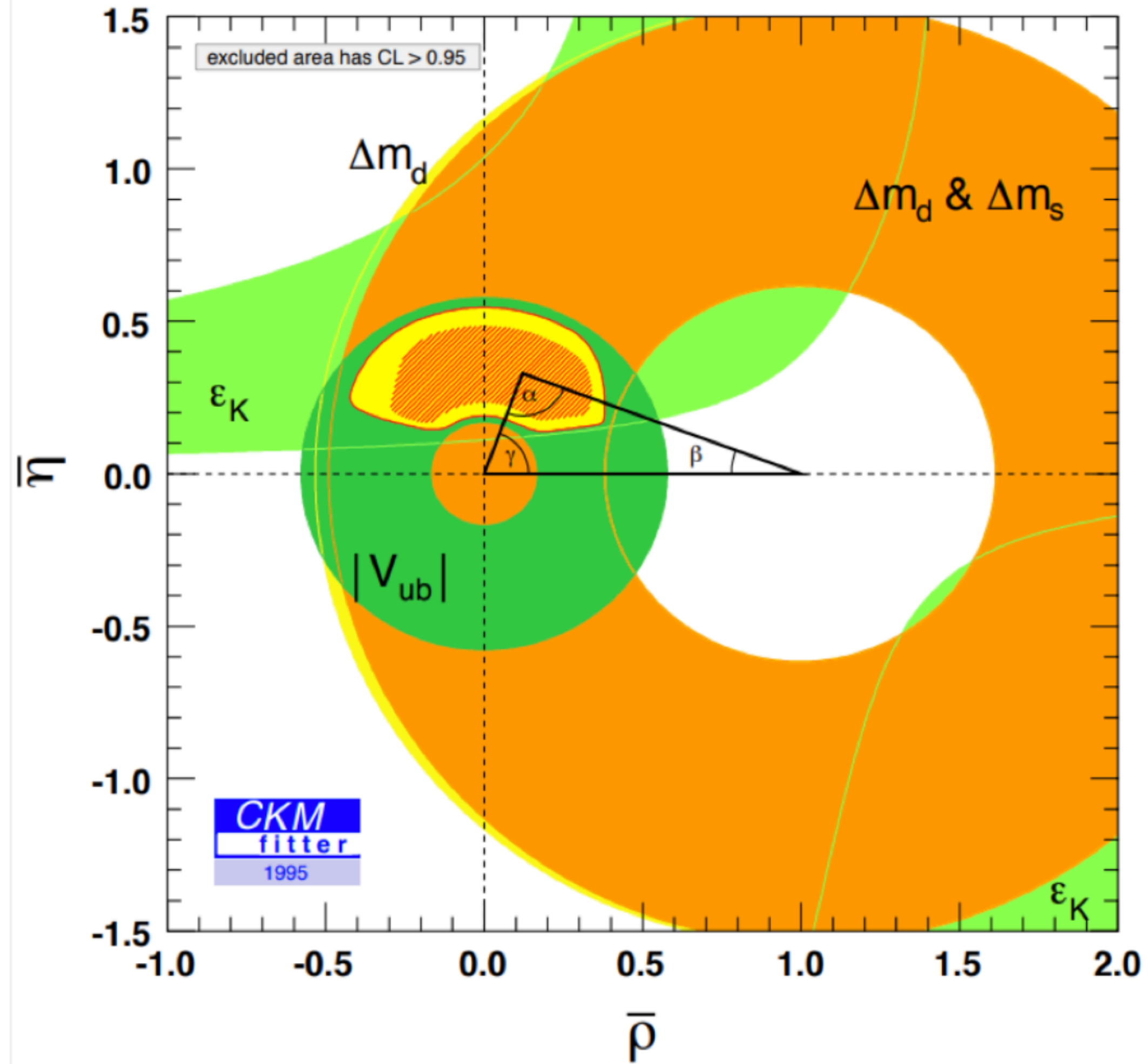
Sakharov conditions (1967) for Baryogenesis

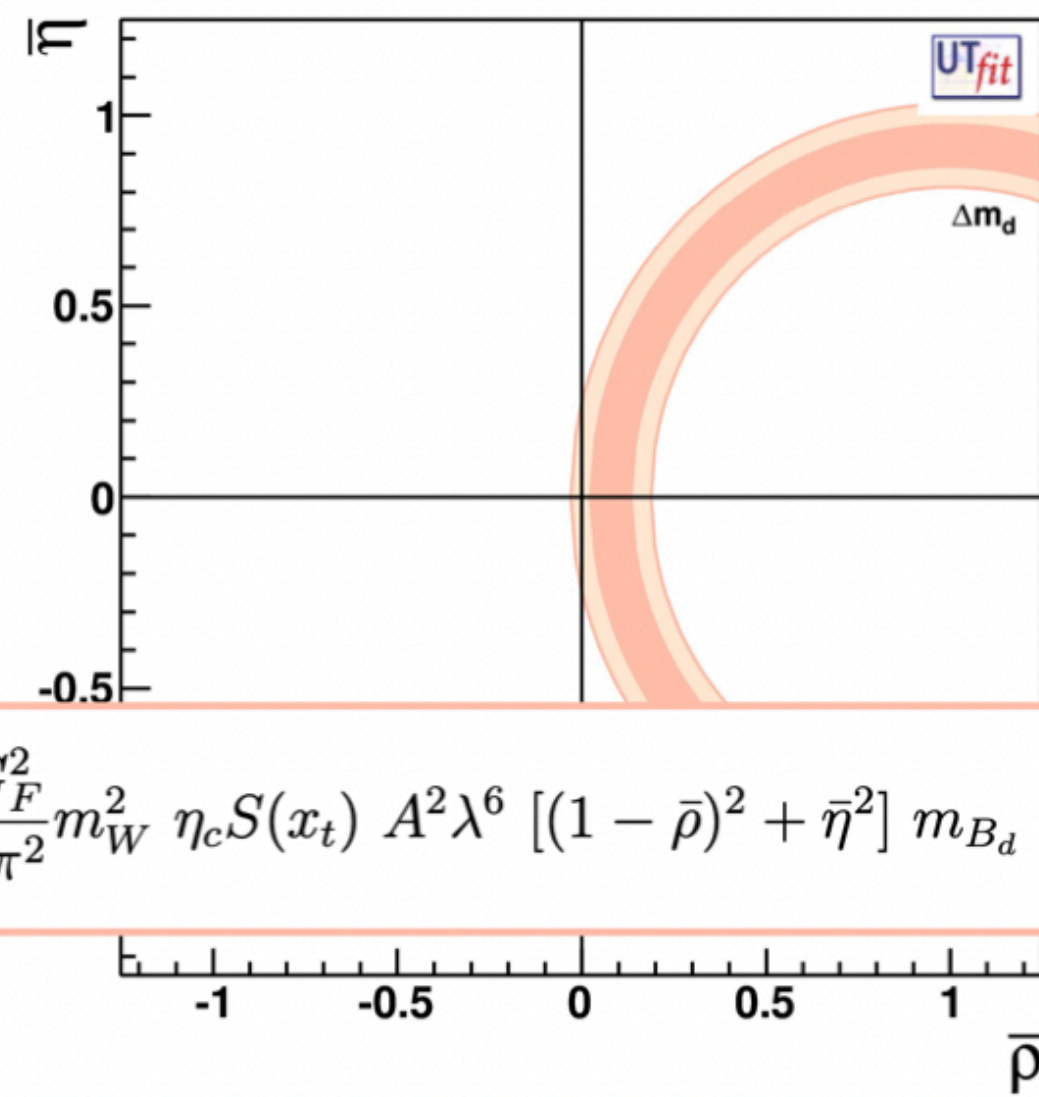
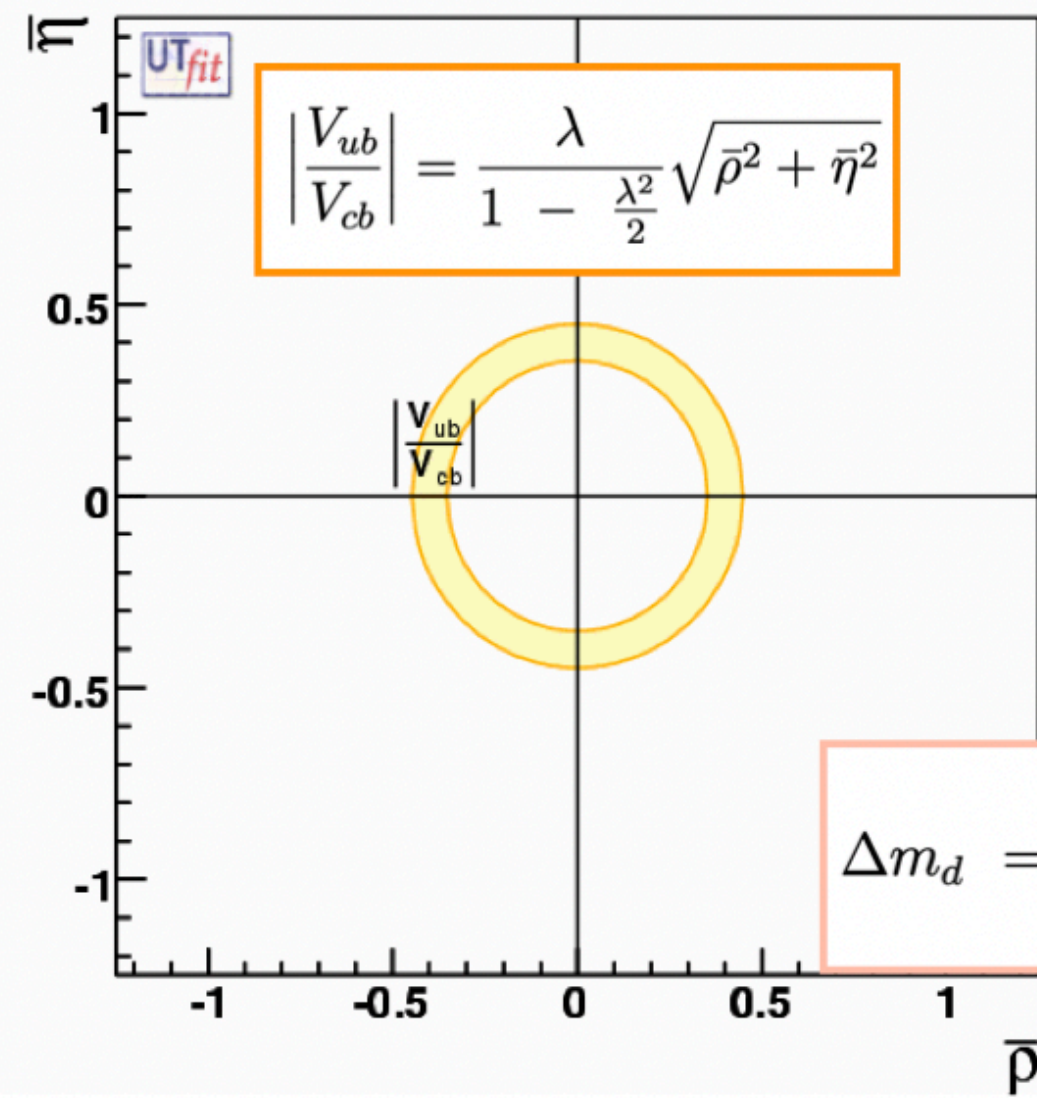
1. Baryon number violation
2. **C and CP violation**
3. Withdrawal from thermodynamic equilibrium (non-stationary system)



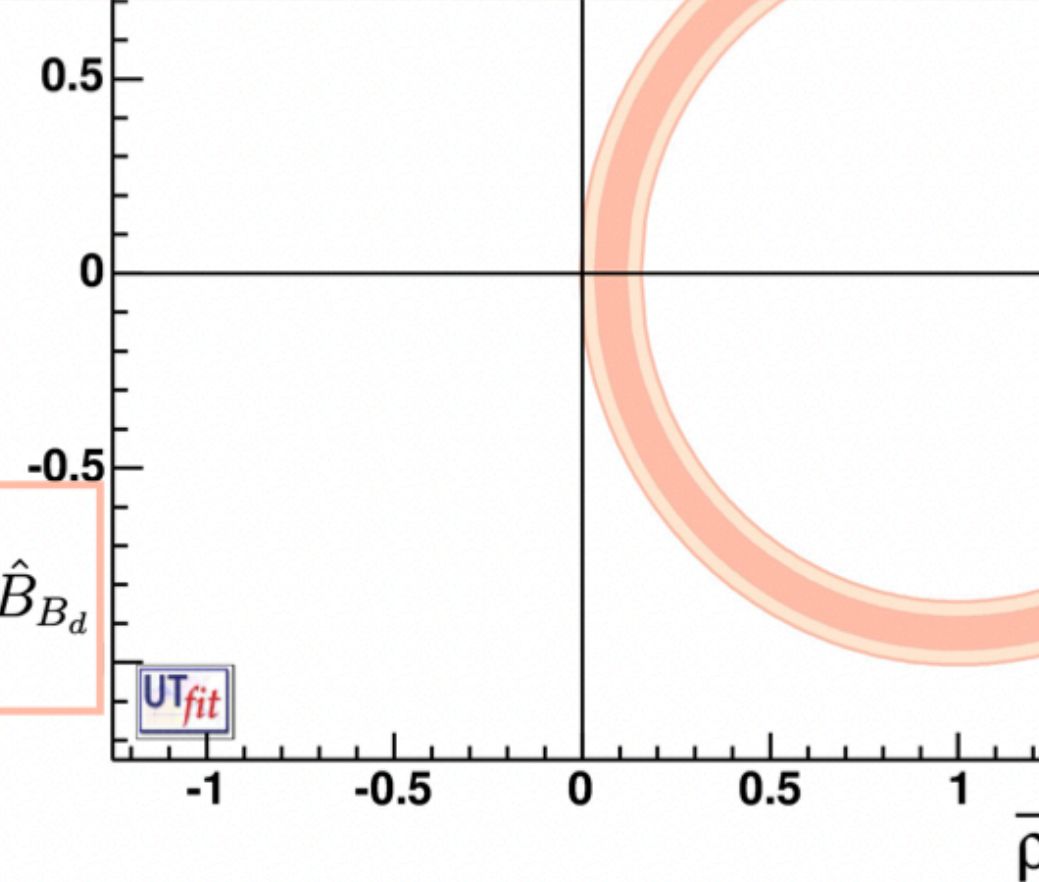
- ☀ So, if we believe to have understood CPV in the quark sector, what does it signify ?
- ☀ A sheer accident of nature ?
- ☀ What would be the consequence of a different CKM phase ?

1995 to 2023

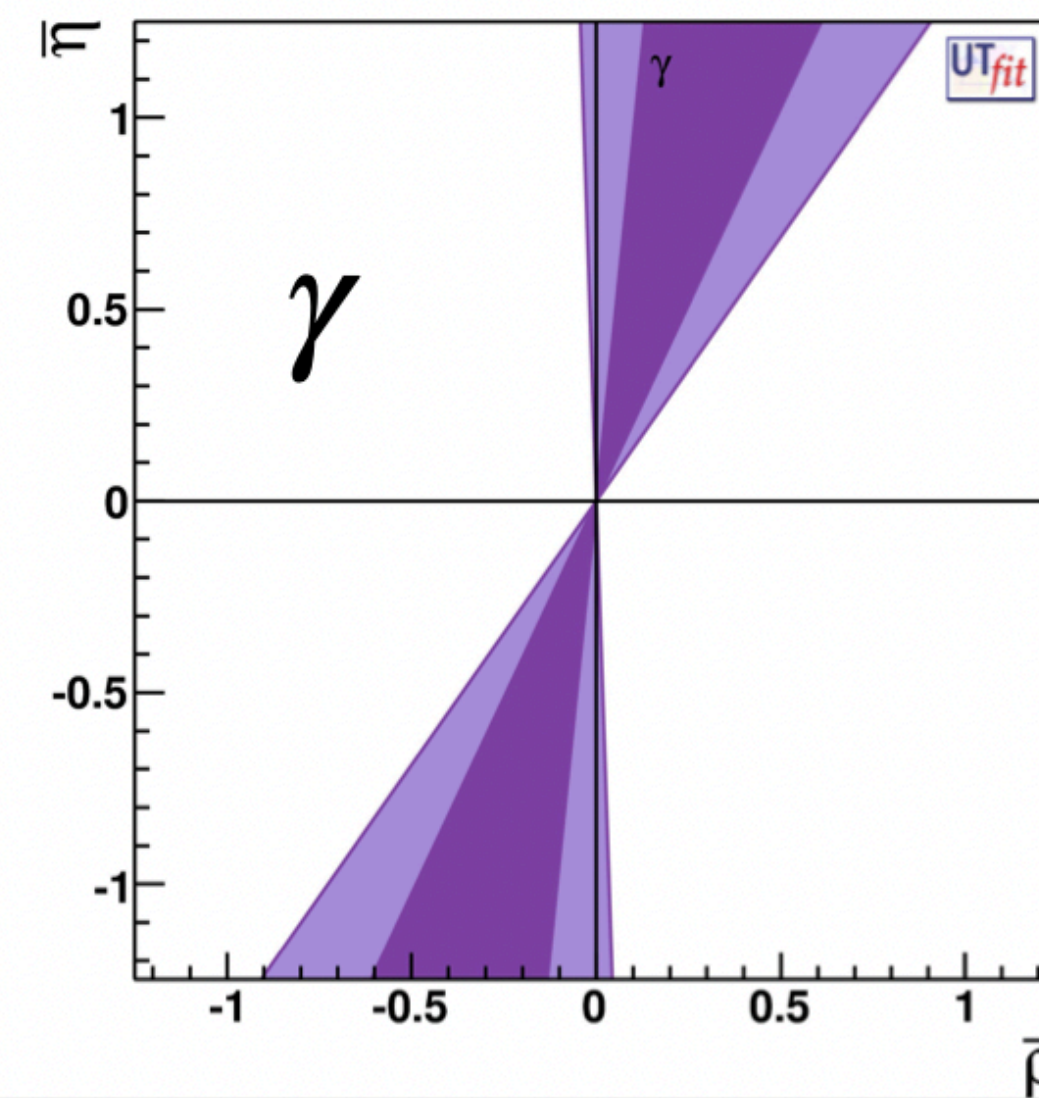
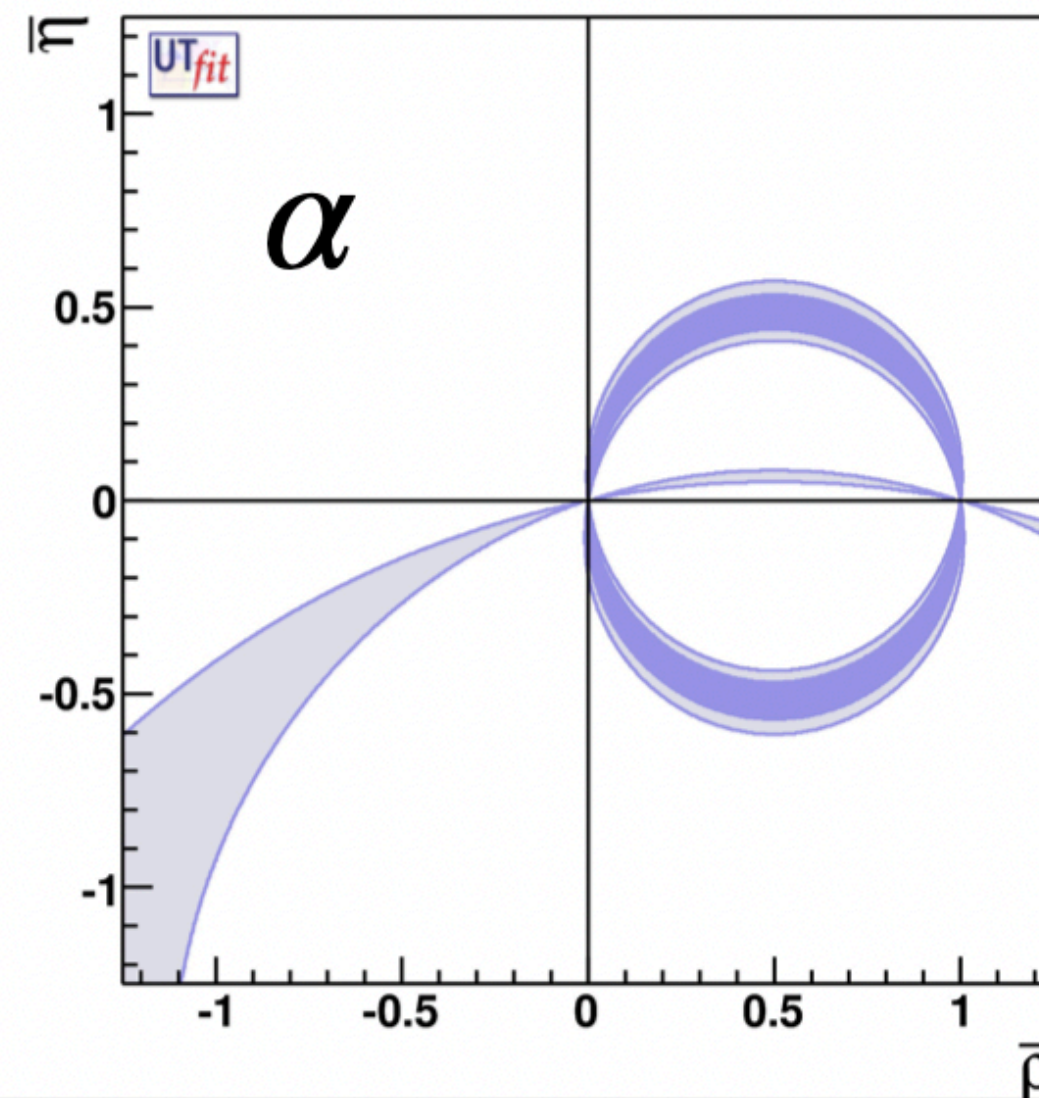
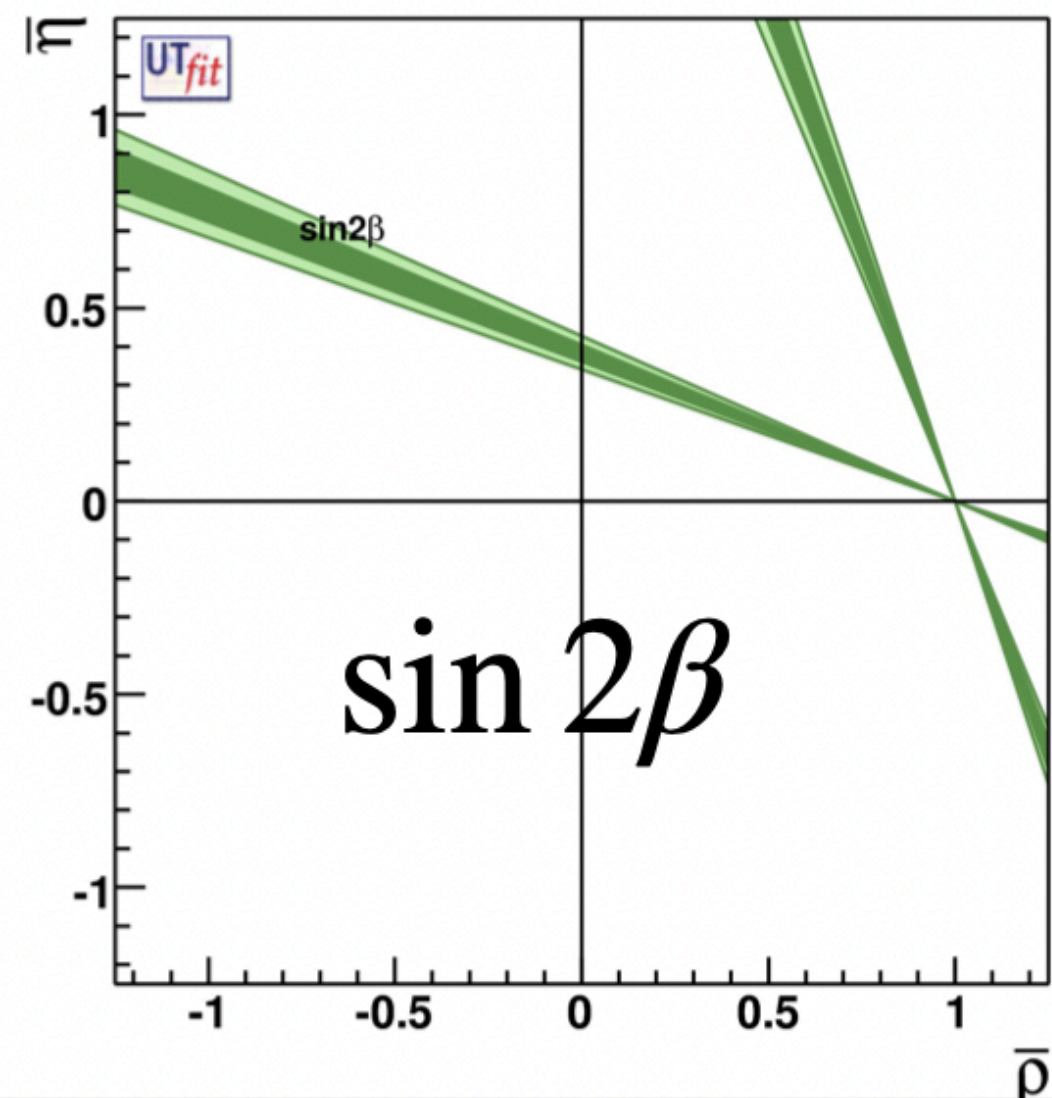
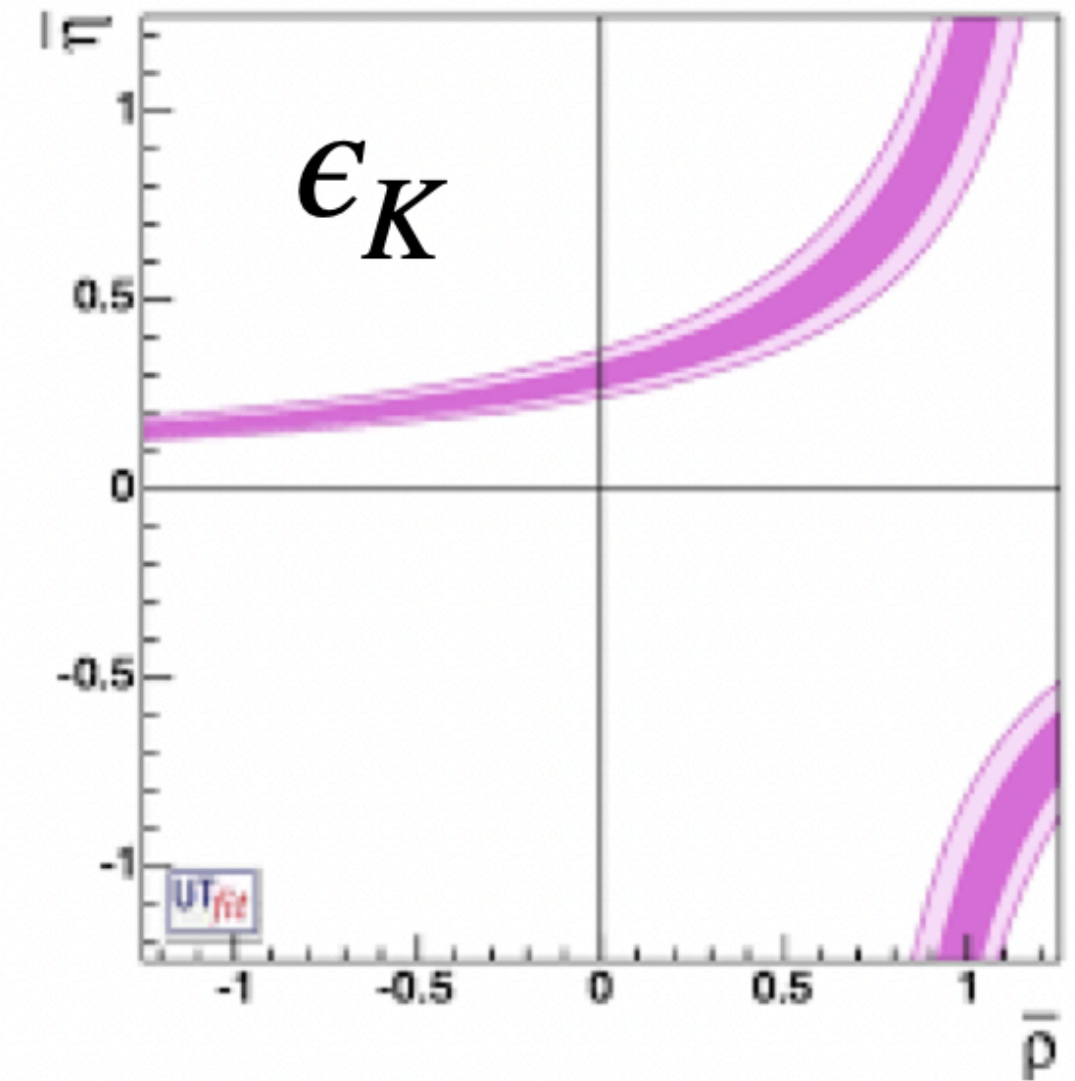




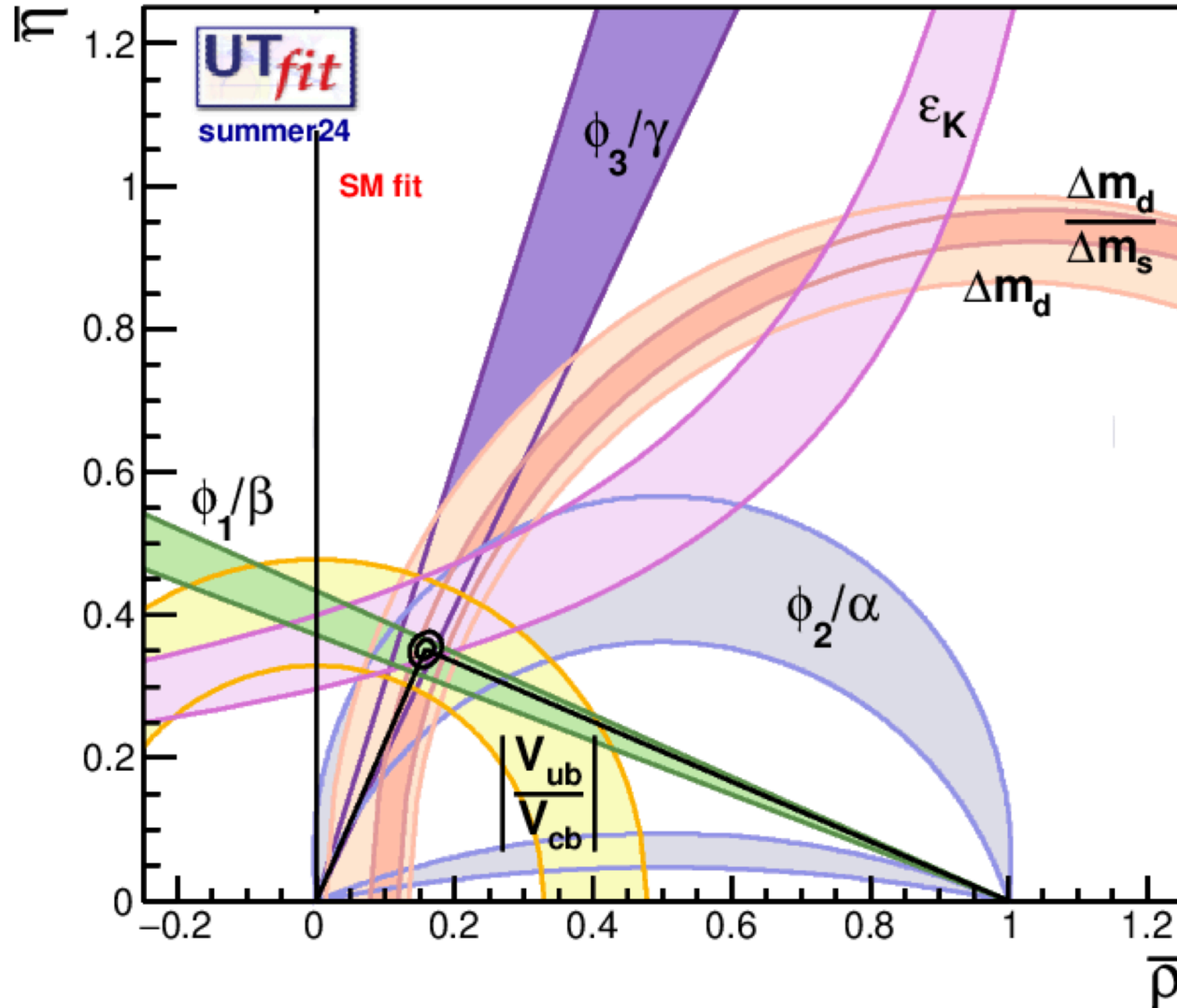
$$\frac{\Delta m_d}{\Delta m_s} = \frac{m_{B_d} f_{B_d}^2 \hat{B}_{B_d}}{m_{B_s} f_{B_s}^2 \hat{B}_{B_s}} \left(\frac{\lambda}{1 - \frac{\lambda^2}{2}} \right)^2 [(1 - \bar{\rho})^2 + \bar{\eta}^2]$$



$$\Delta m_d = \frac{G_F^2 m_W^2 \eta_c S(x_t) A^2 \lambda^6}{6\pi^2} [(1 - \bar{\rho})^2 + \bar{\eta}^2] m_{B_d} f_{B_d}^2 \hat{B}_{B_d}$$



Overall, we see a very consistent picture...this could be the end of the lecture ?



levels @
95% Prob

$$\bar{\rho} = 0.158 \pm 0.009$$

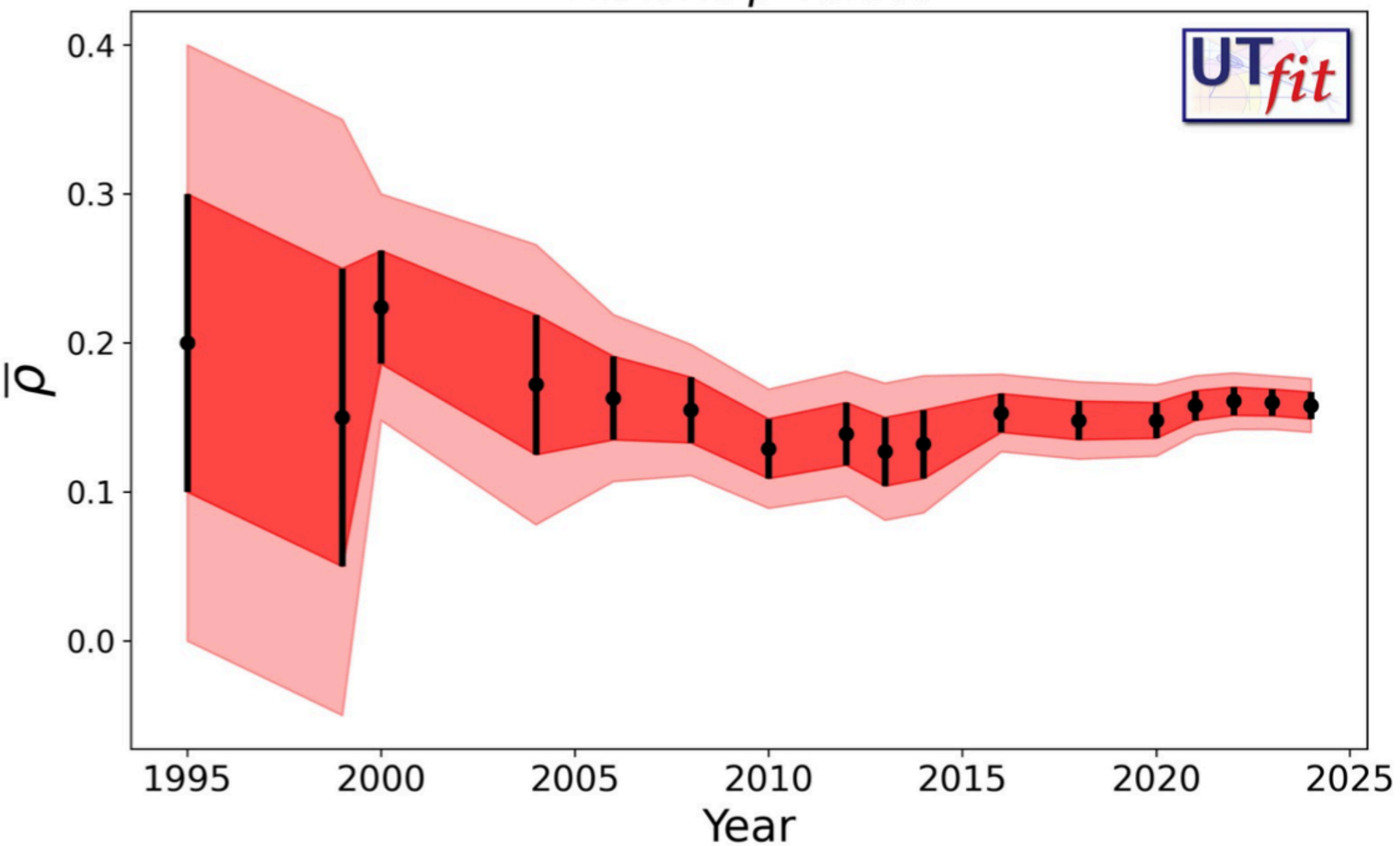
$$\bar{\eta} = 0.352 \pm 0.010$$

$$\lambda = 0.2250 \pm 0.0007$$

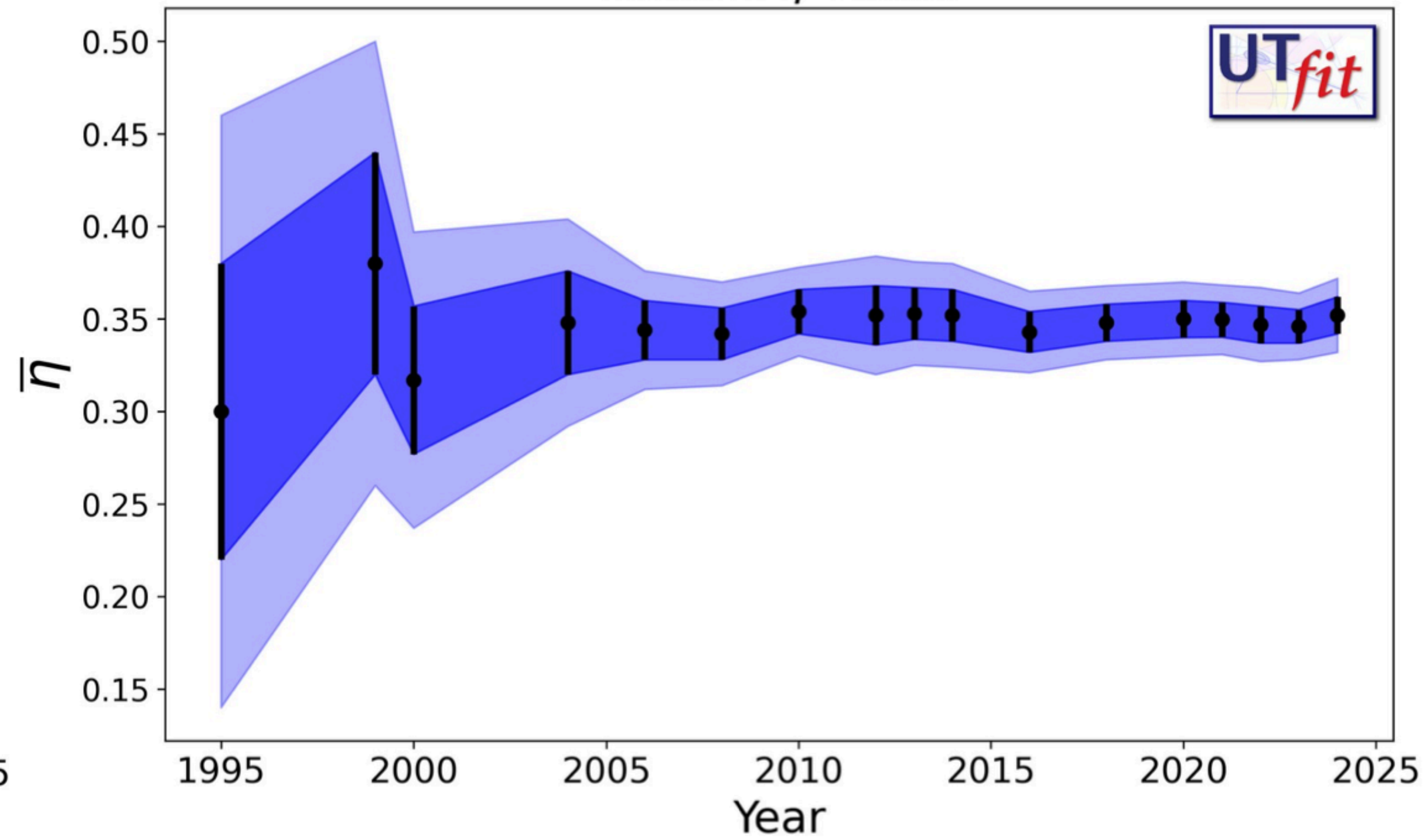
$$A = 0.826 \pm 0.009$$

Evolution over the last decades

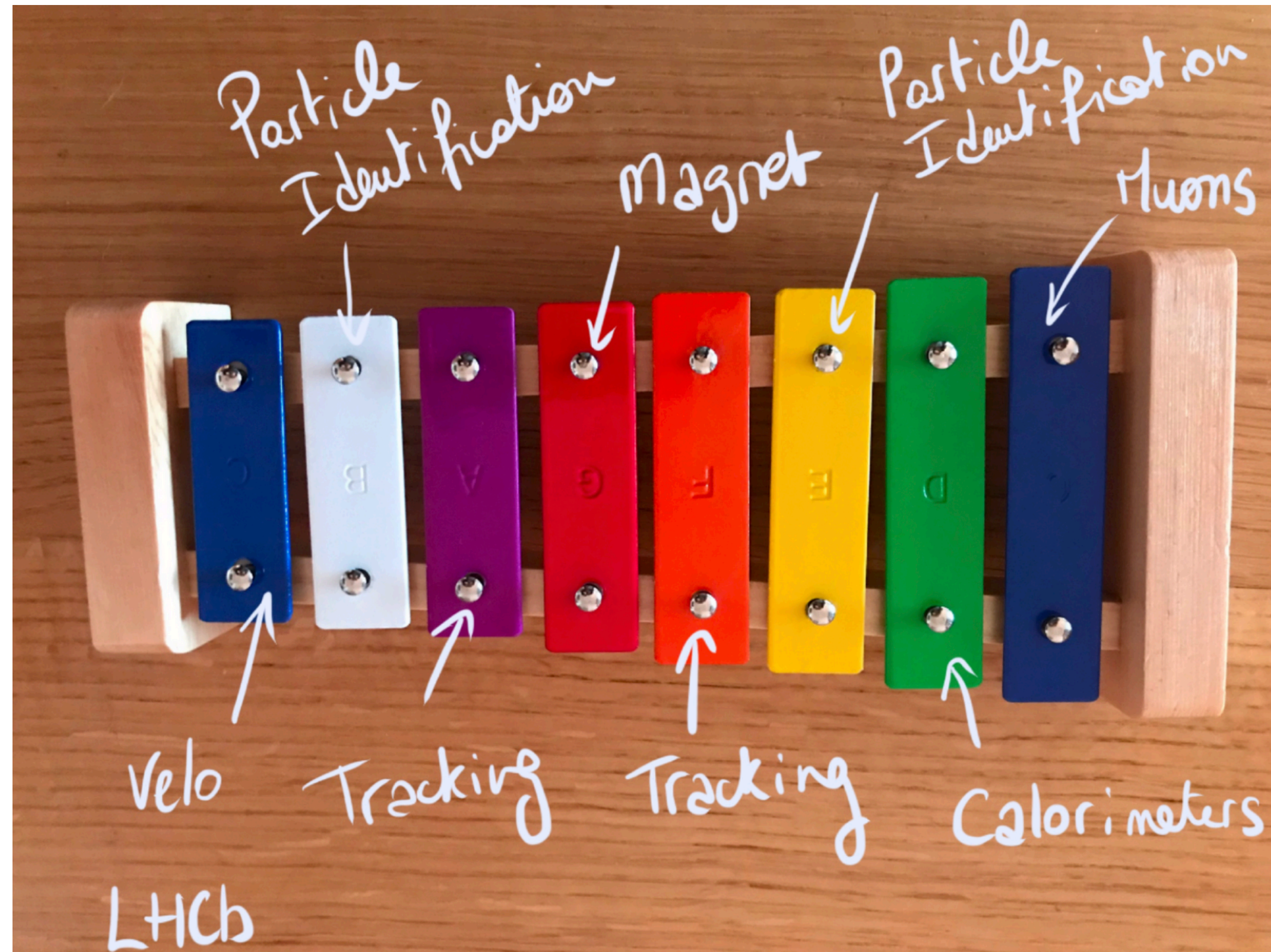
Historic $\bar{\rho}$ values



Historic $\bar{\eta}$ values



You can't make an omelette without breaking a few eggs



Need a collider

Need excellent:

Vertexing

Tracking

PID

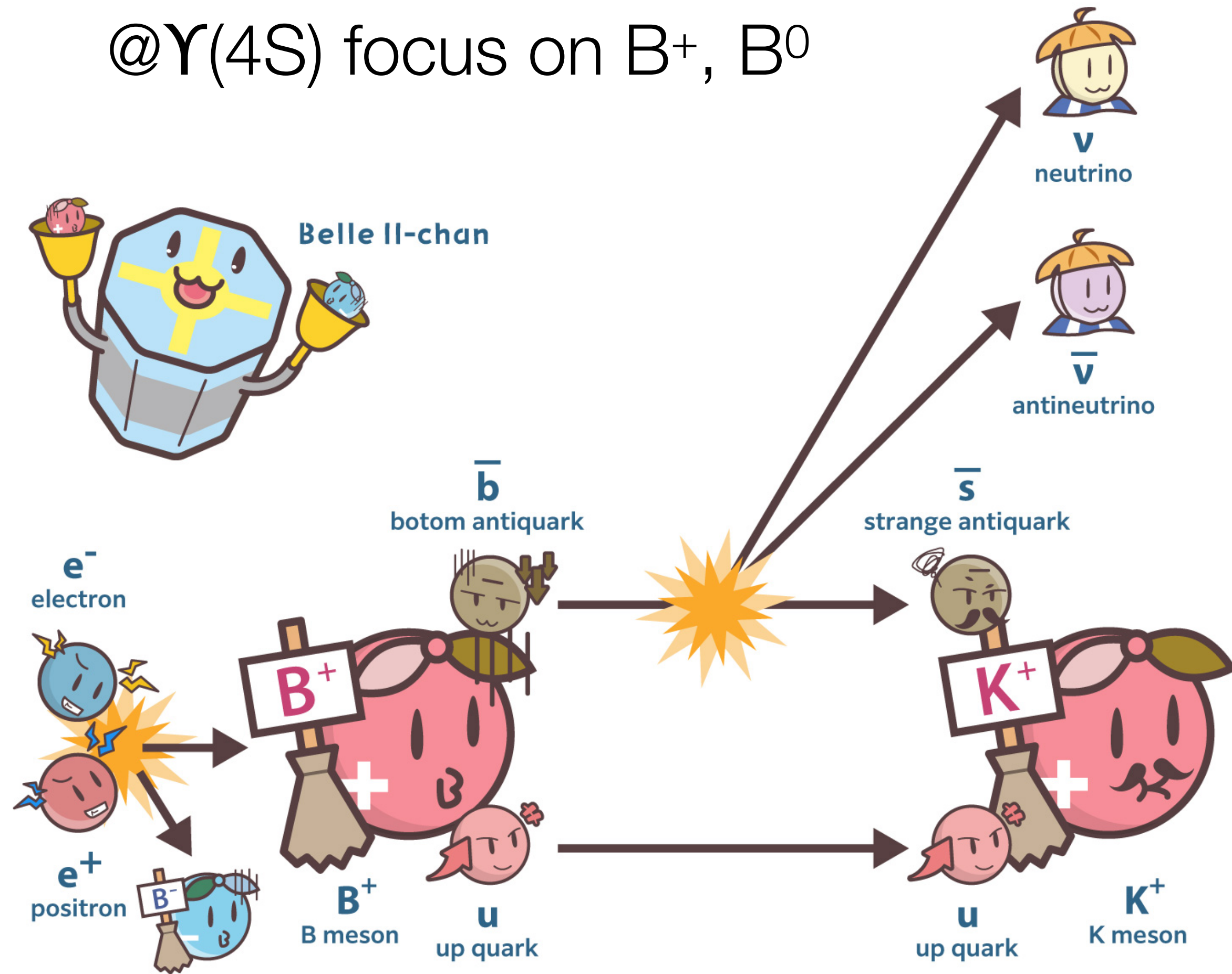
Calorimetry

Versatile triggers

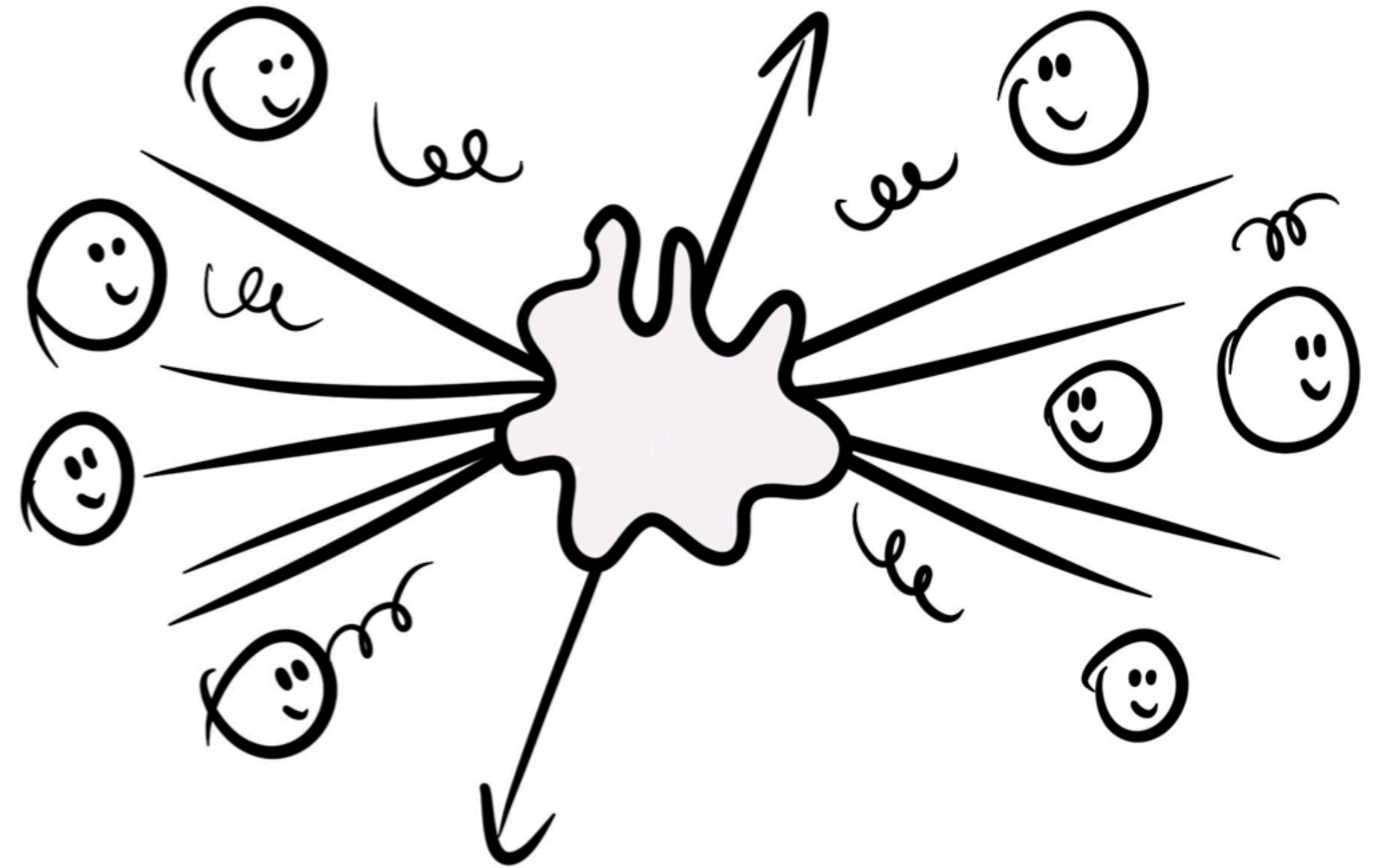
Often we can't have
everything at the same time
...decisions decisions...

Leptons or Hadrons

@Y(4S) focus on B^+ , B^0

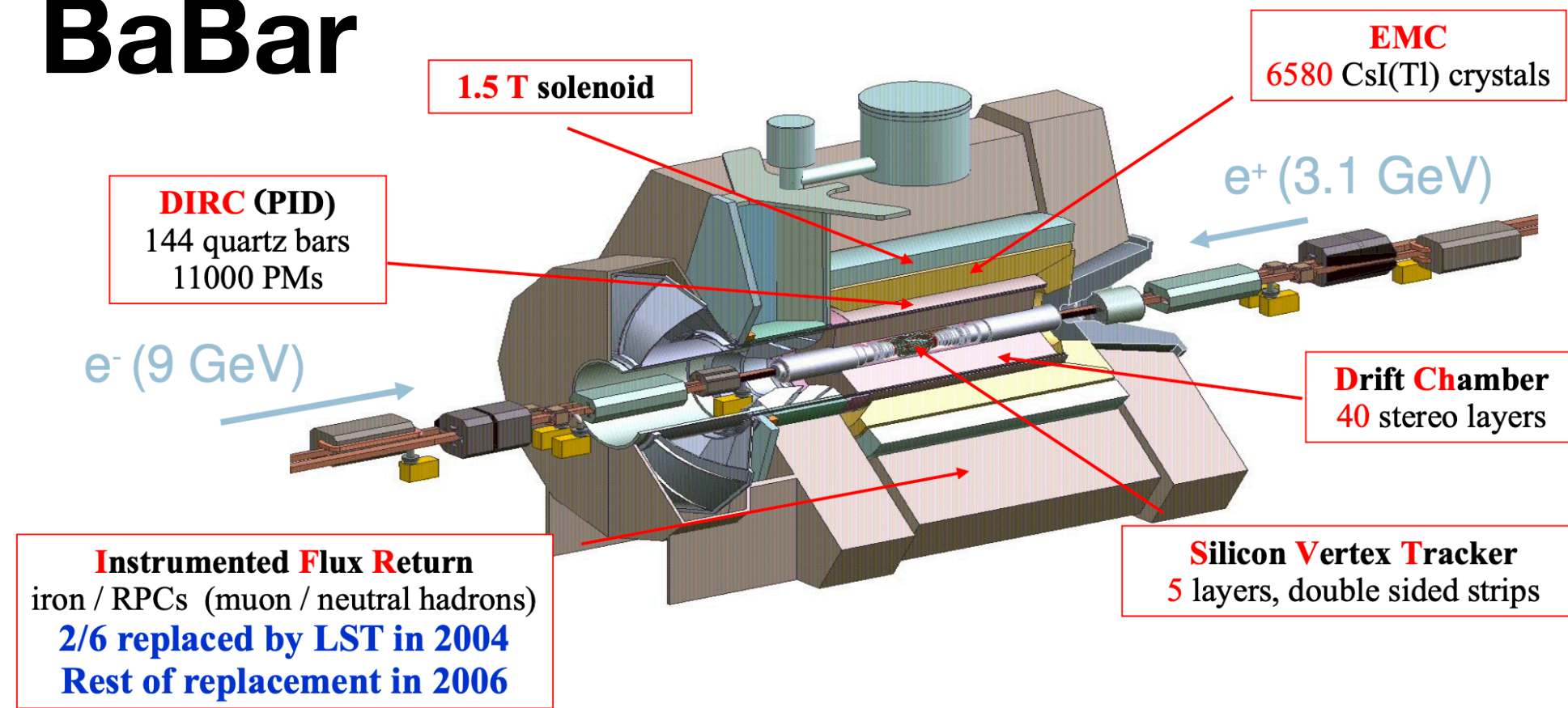


All species are created B, u, d, s, c baryons etc.

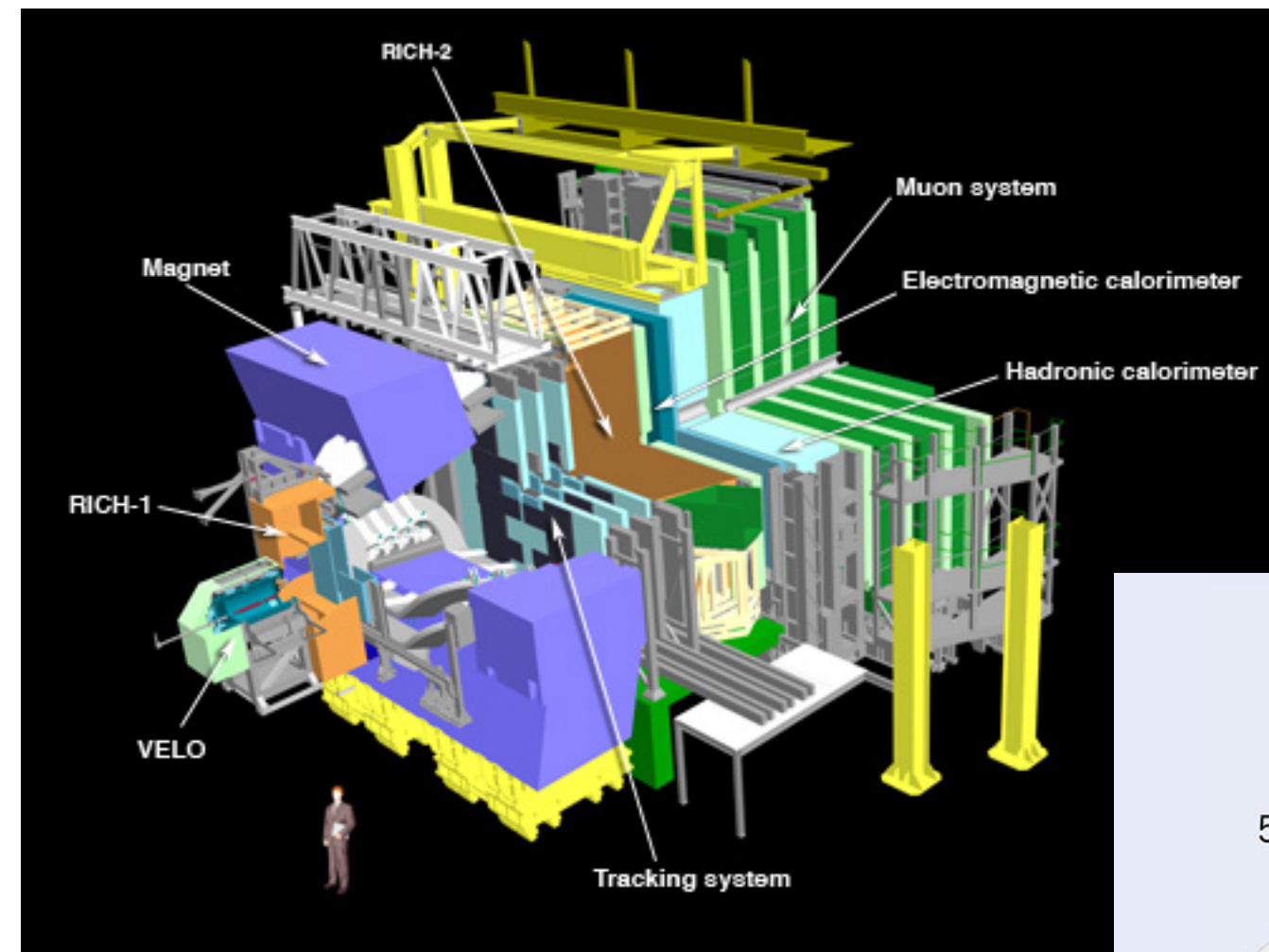
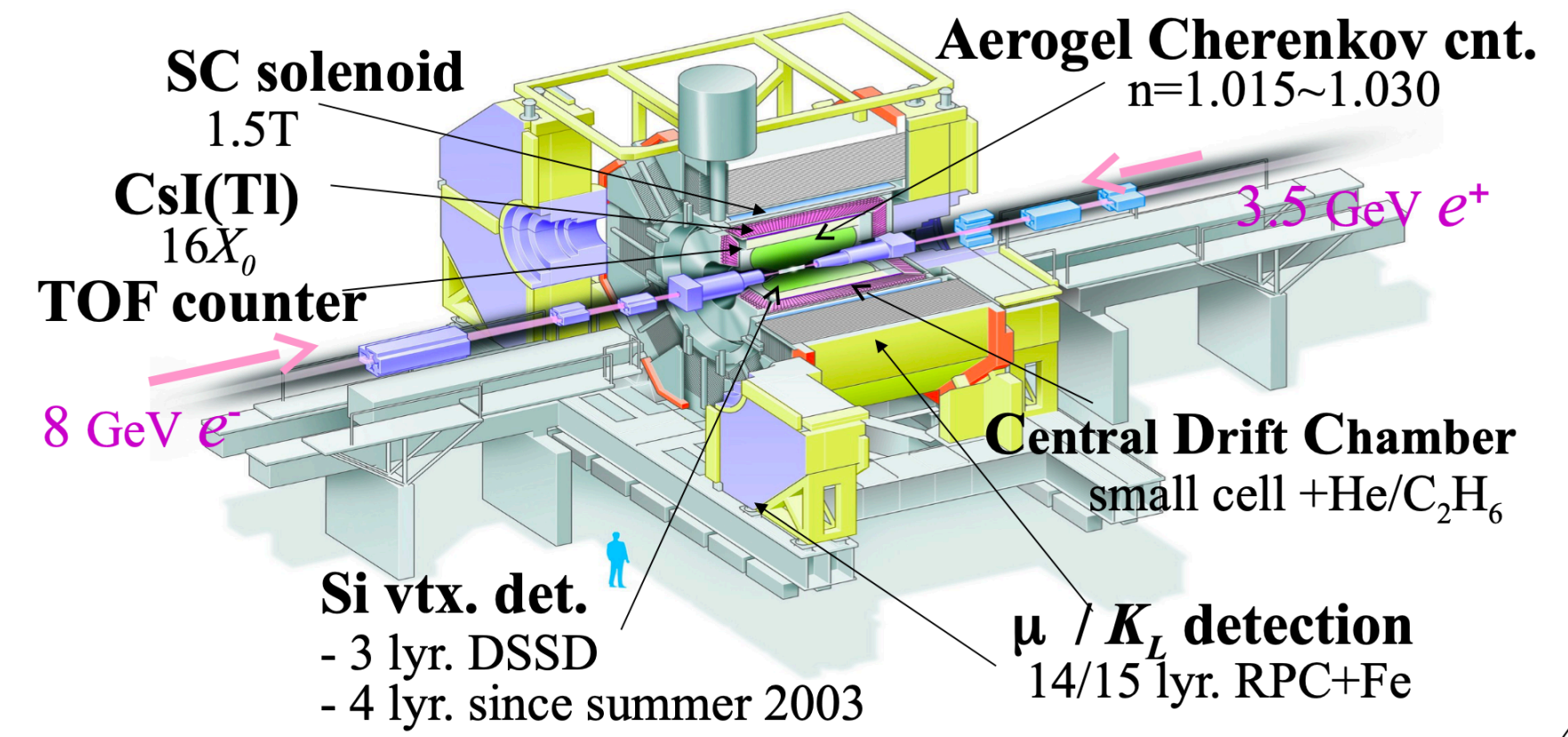


Naturally there are different challenges/advantages to each

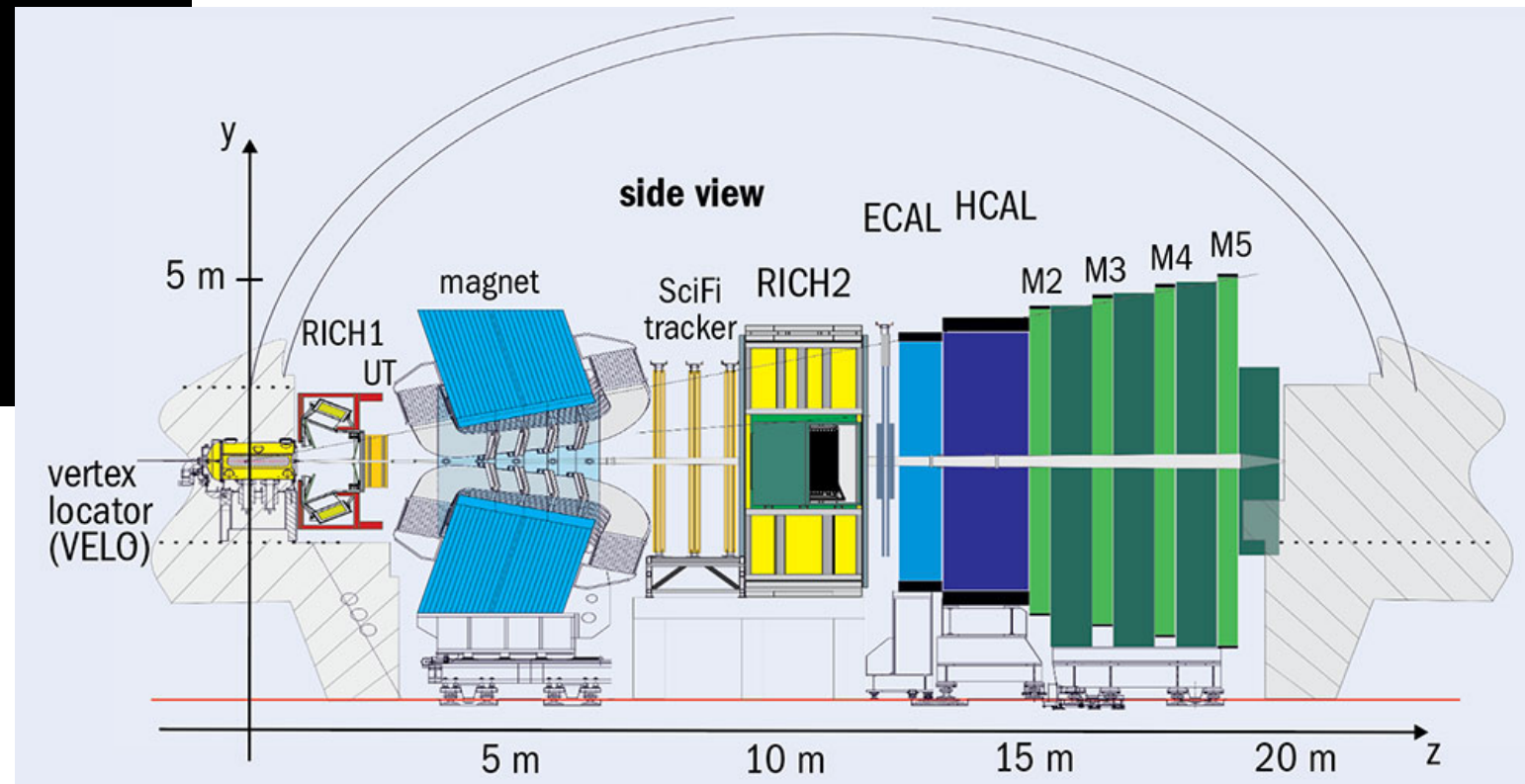
BaBar



Belle



LHCb & its Upgrades

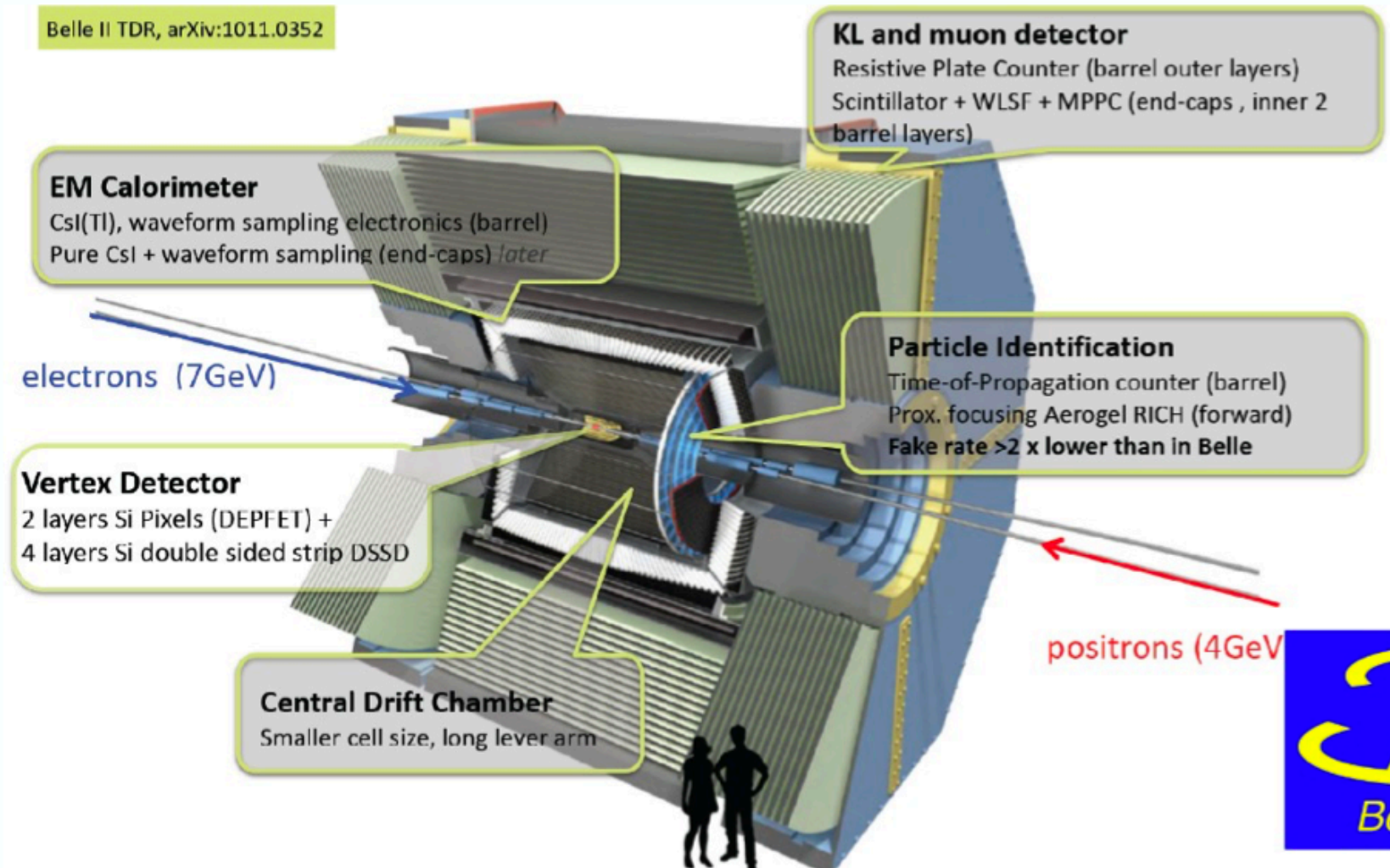


Belle II Detector

Deal with higher background (10-20 \times), radiation damage, higher occupancy, higher event rates (LI trigg. 0.5 \rightarrow 30 kHz)

Improved performance and hermeticity

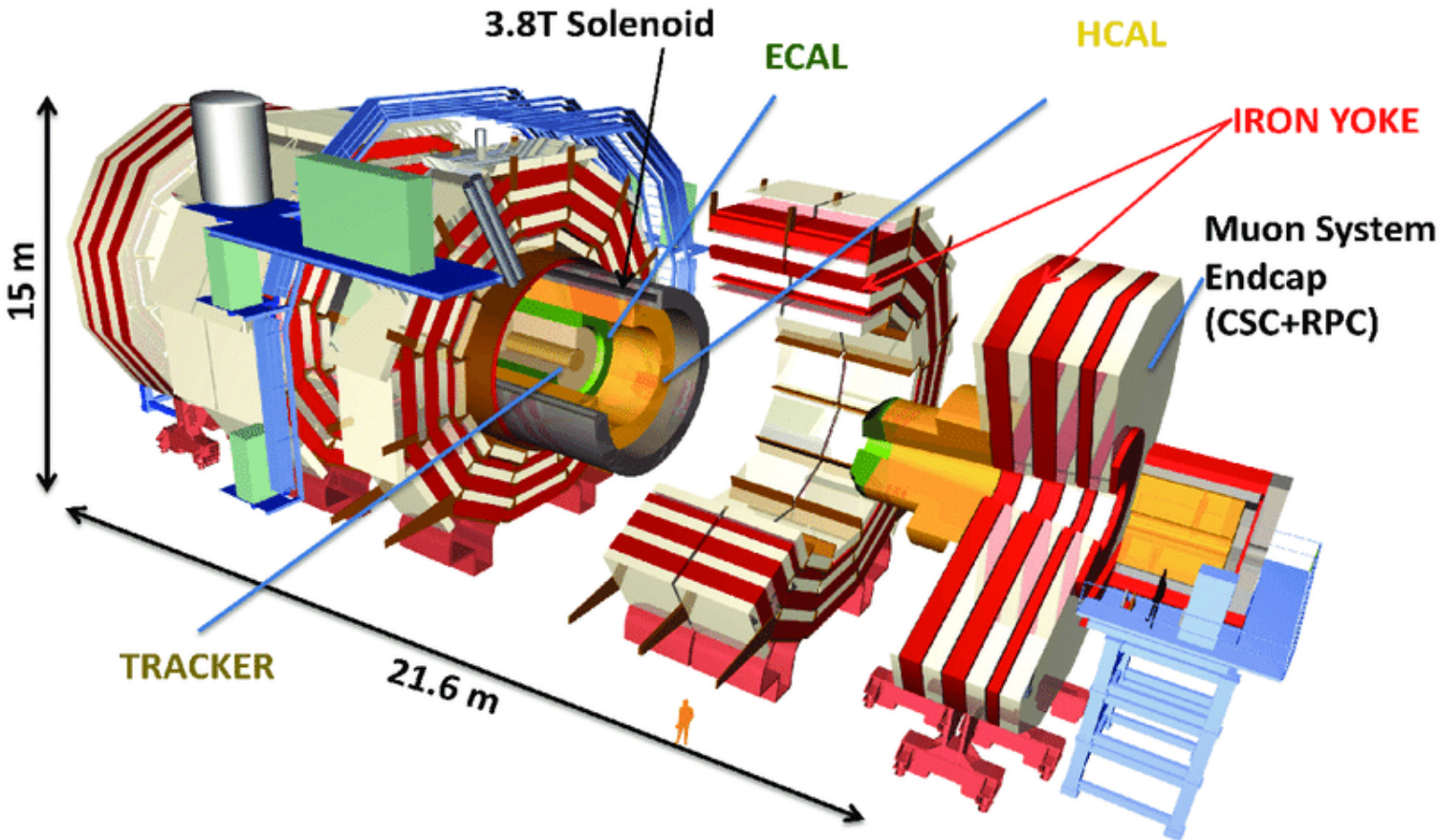
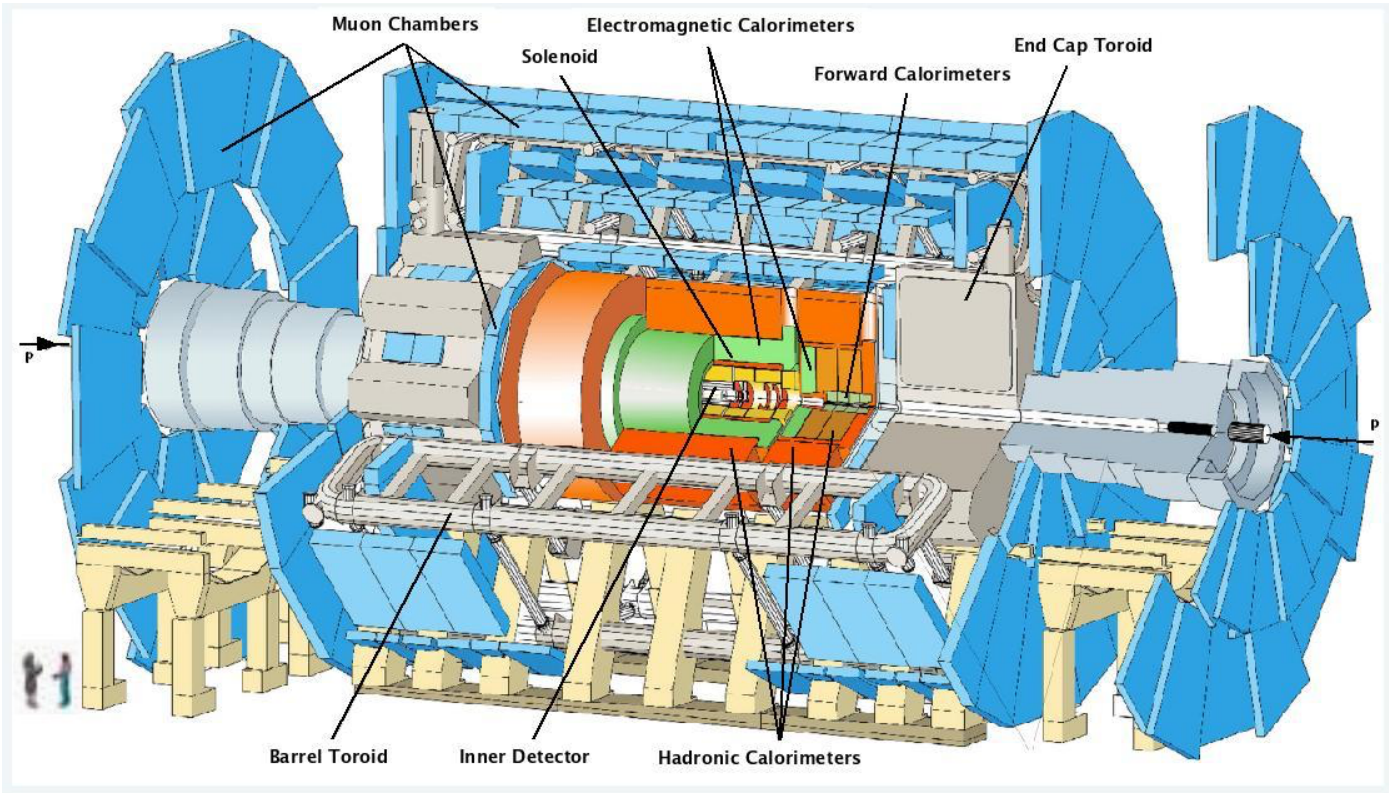
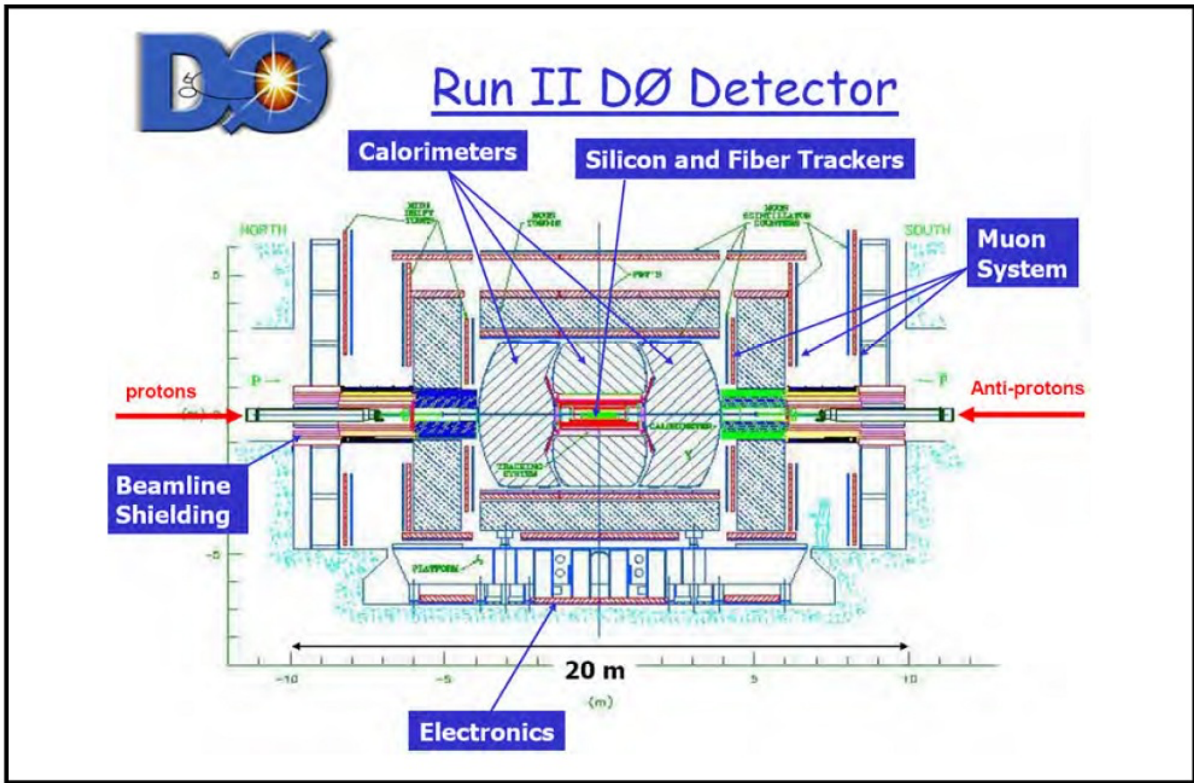
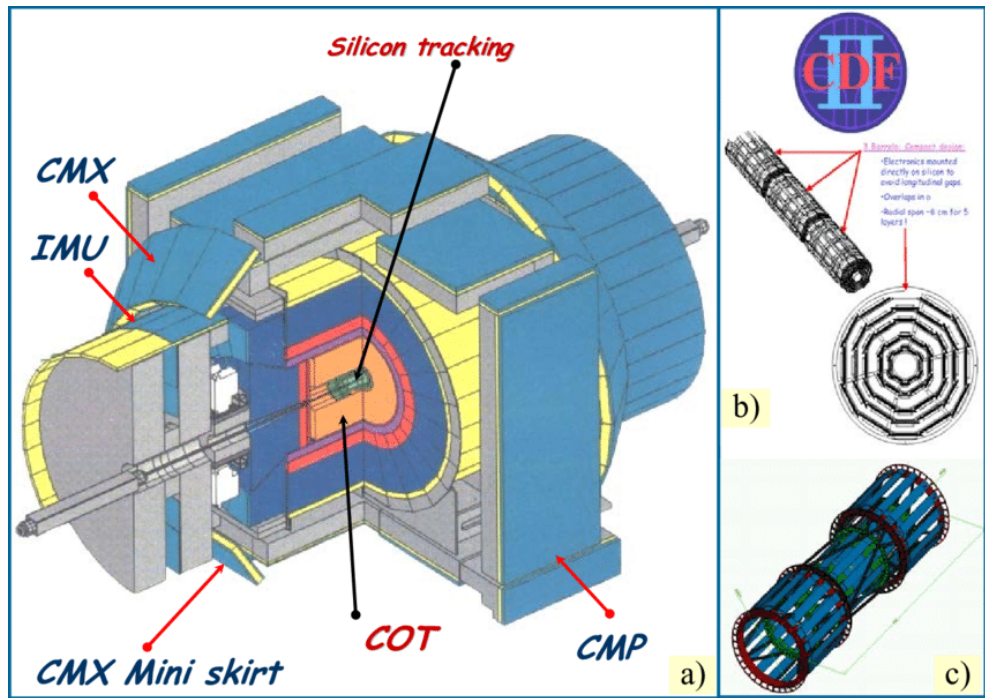
Belle II TDR, arXiv:1011.0352



Have a look at all the TDRs

But also ...

On the other side of the Ocean



On the other side of the ring

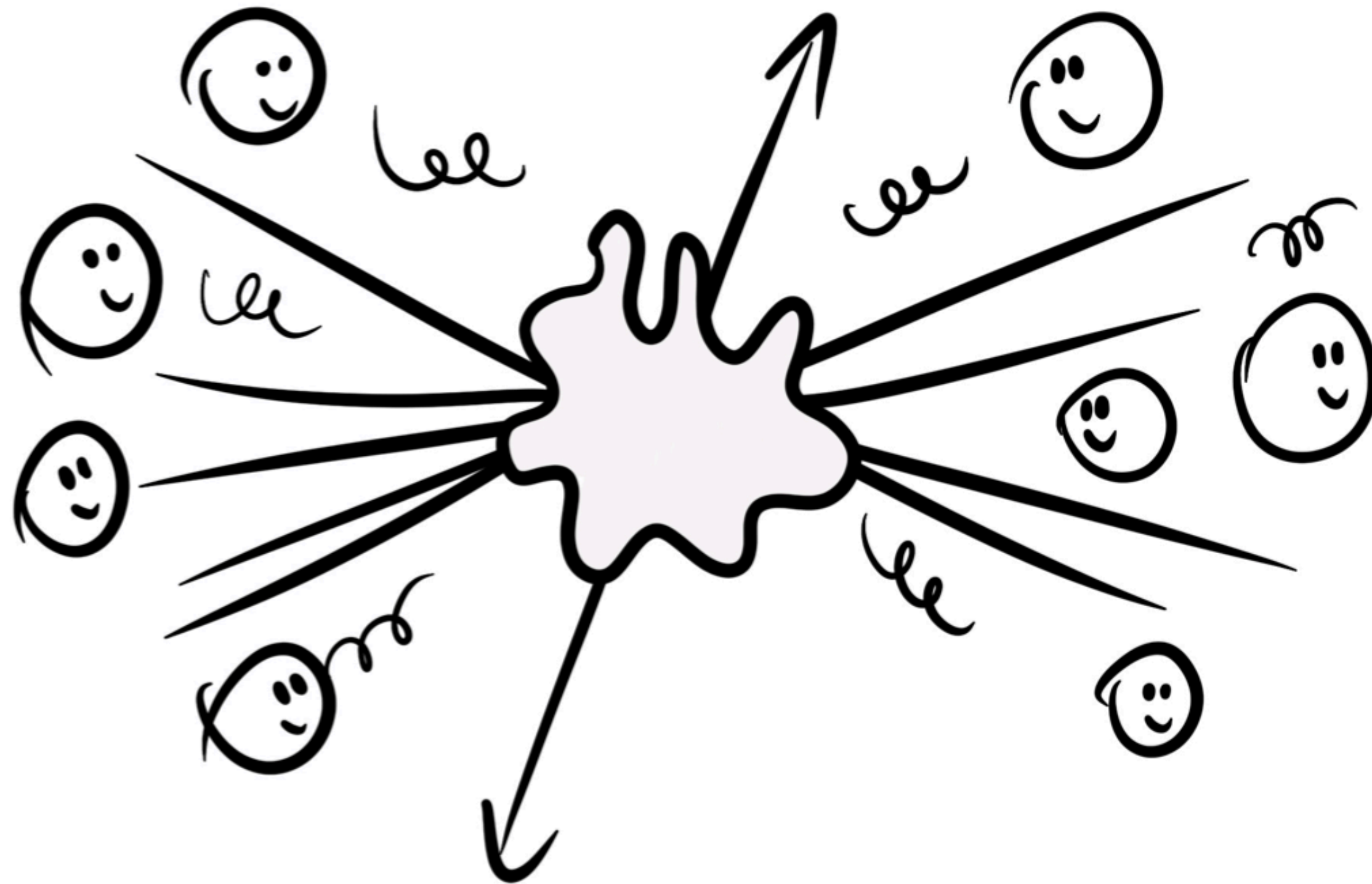
The story starts with collisions

物語は衝突から始まる

But many things are produced. Some “events” are more infesting than others. You will often hear the words:

“Signal”: something we care about

“Background”: something we don’t care about but need to understand very well.

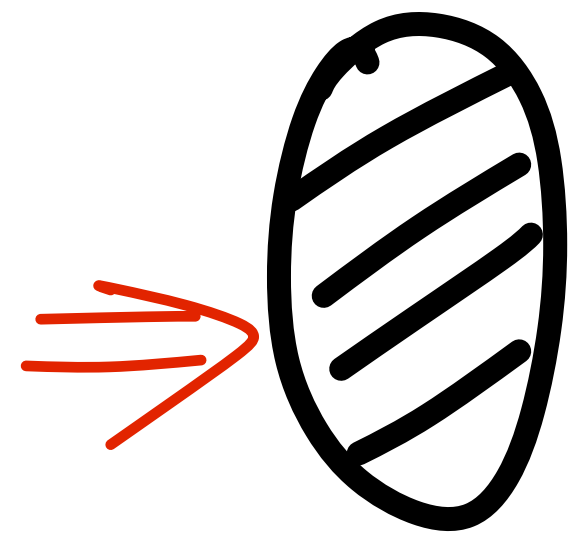


いろいろなものがいっぱい生成されてしまいます。ある事象は他よりもずっといっぱいできるのです。

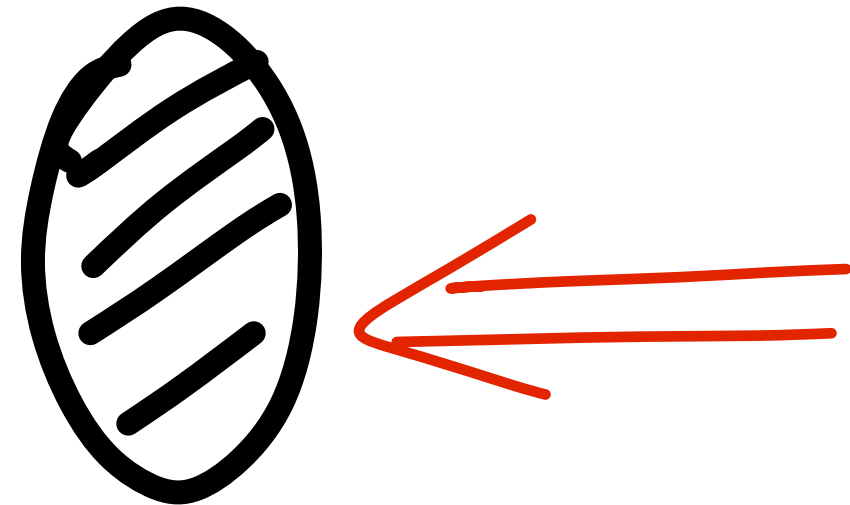
「信号」：ほしいもの

「背景」：いらぬものだけど、ちゃんと理解しておかないといけない。

Production

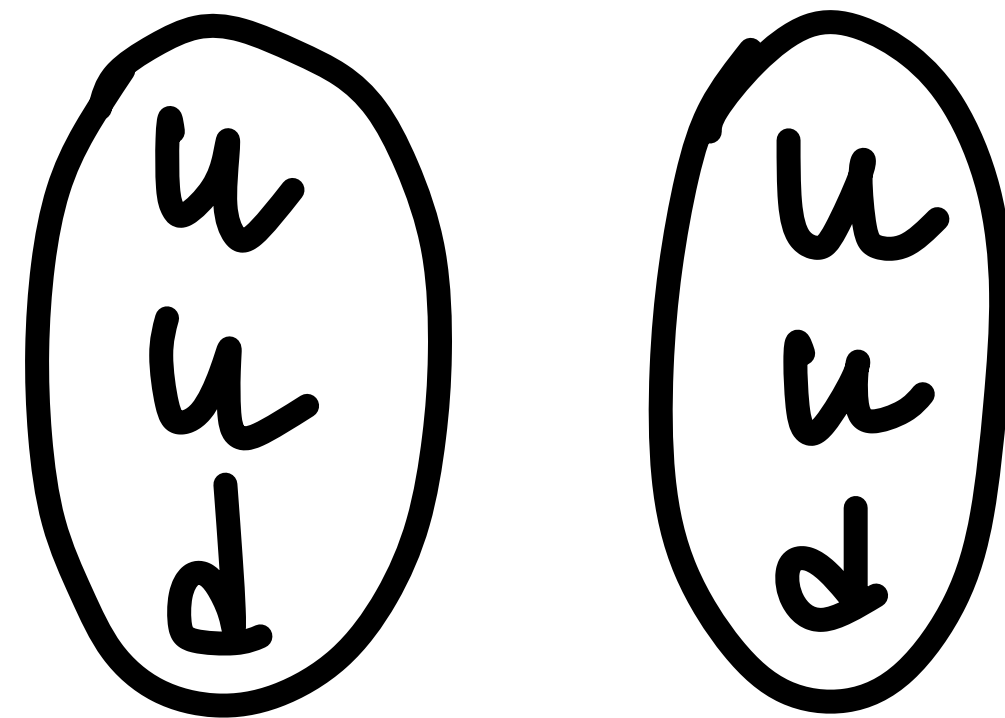


Proton



Proton

The protons produced at the LHC collide.
But actually the protons contain quarks
and gluons also.



3 quarks

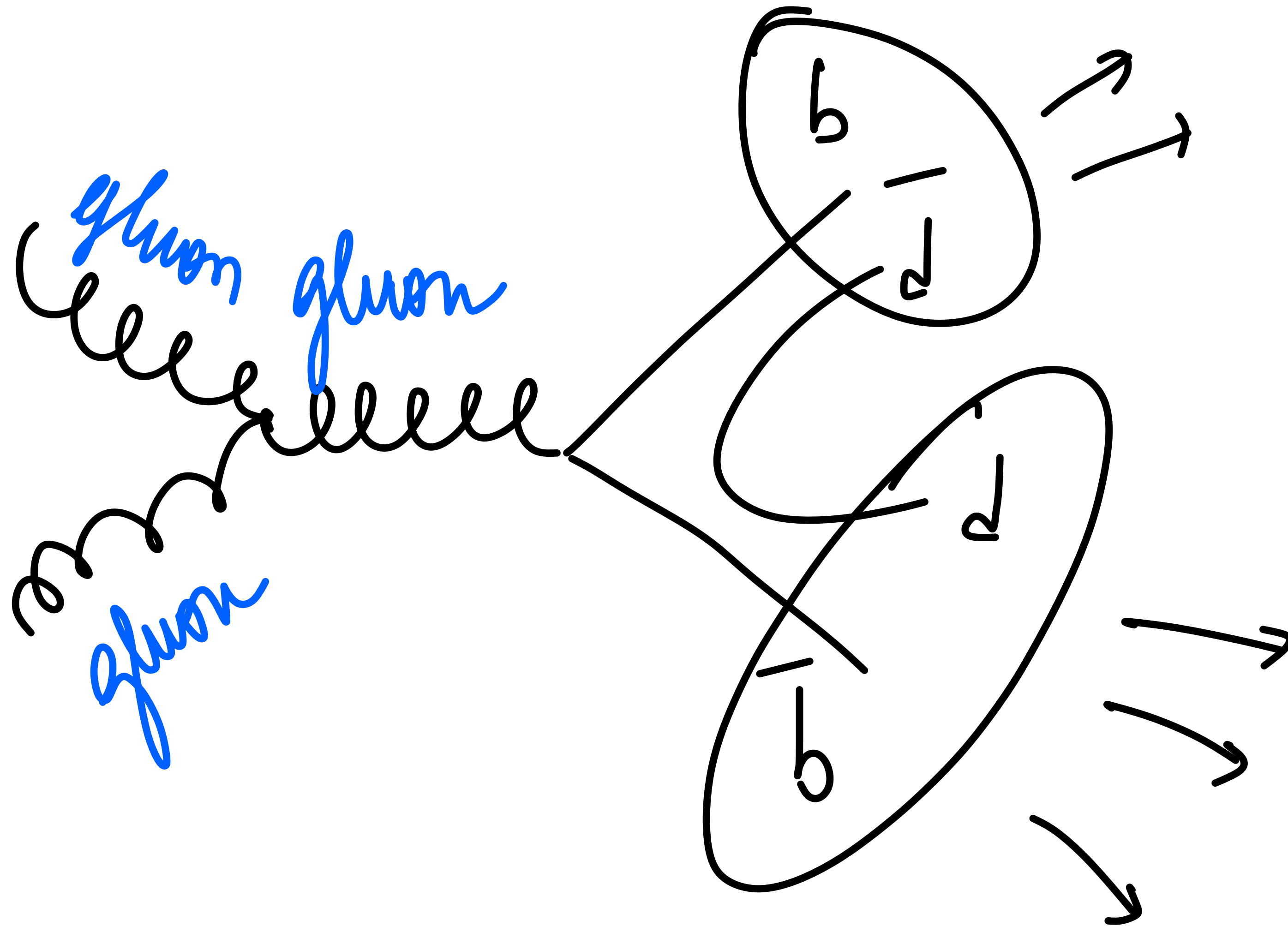


3 quarks + gluons

LHC では陽子が衝突します。

でも実際には、陽子にはクォークに加えてグルーオンが含まれています。

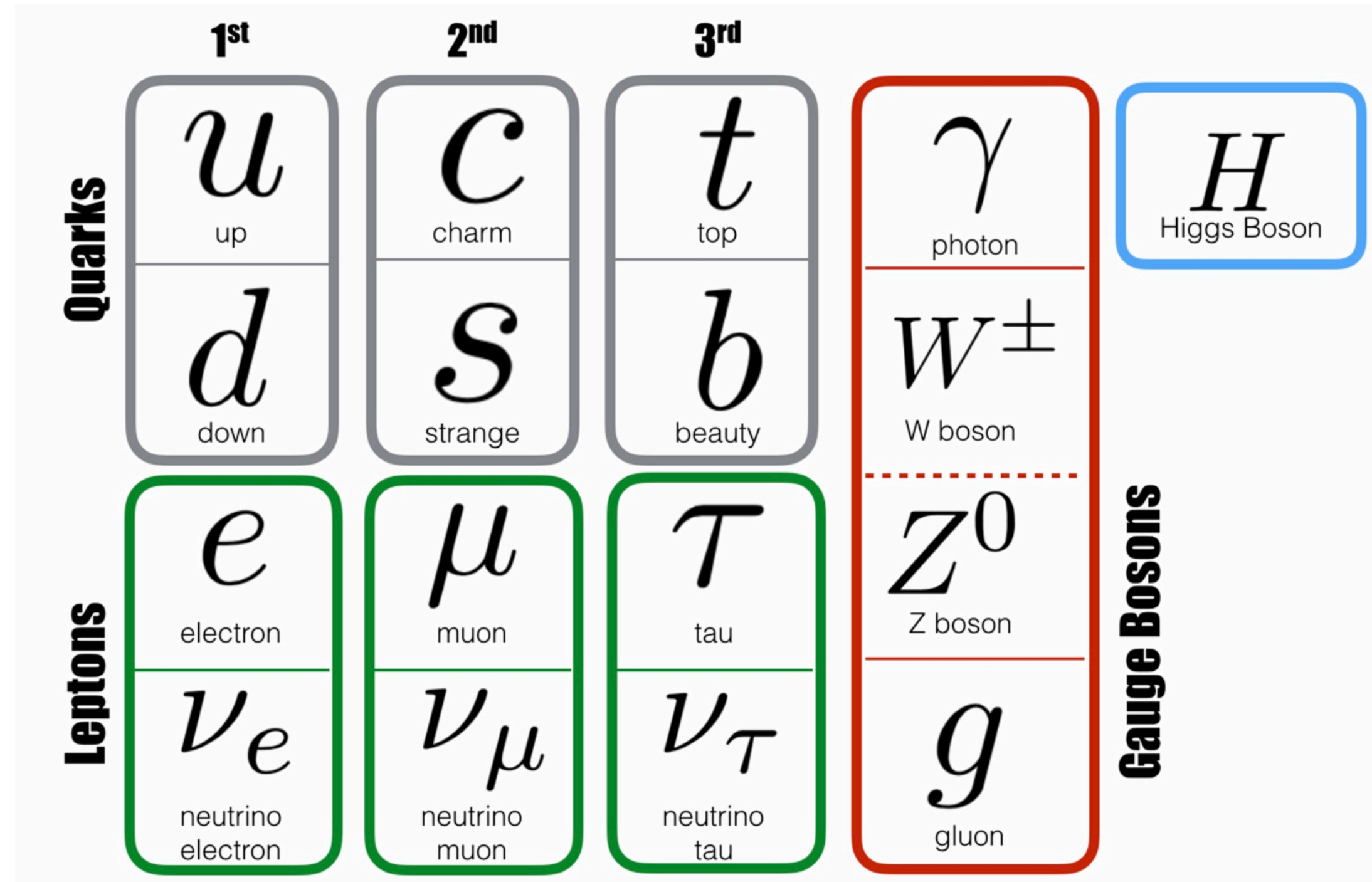
Gluon fusion



The dominating process is Gluon fusion
And this is followed by “hadronisation”

一番多いのは、グルーオンの合体です。そこから「ハドロン化」の過程をへて いろんな粒子が出てきます。

Which particle are we going to pick ?

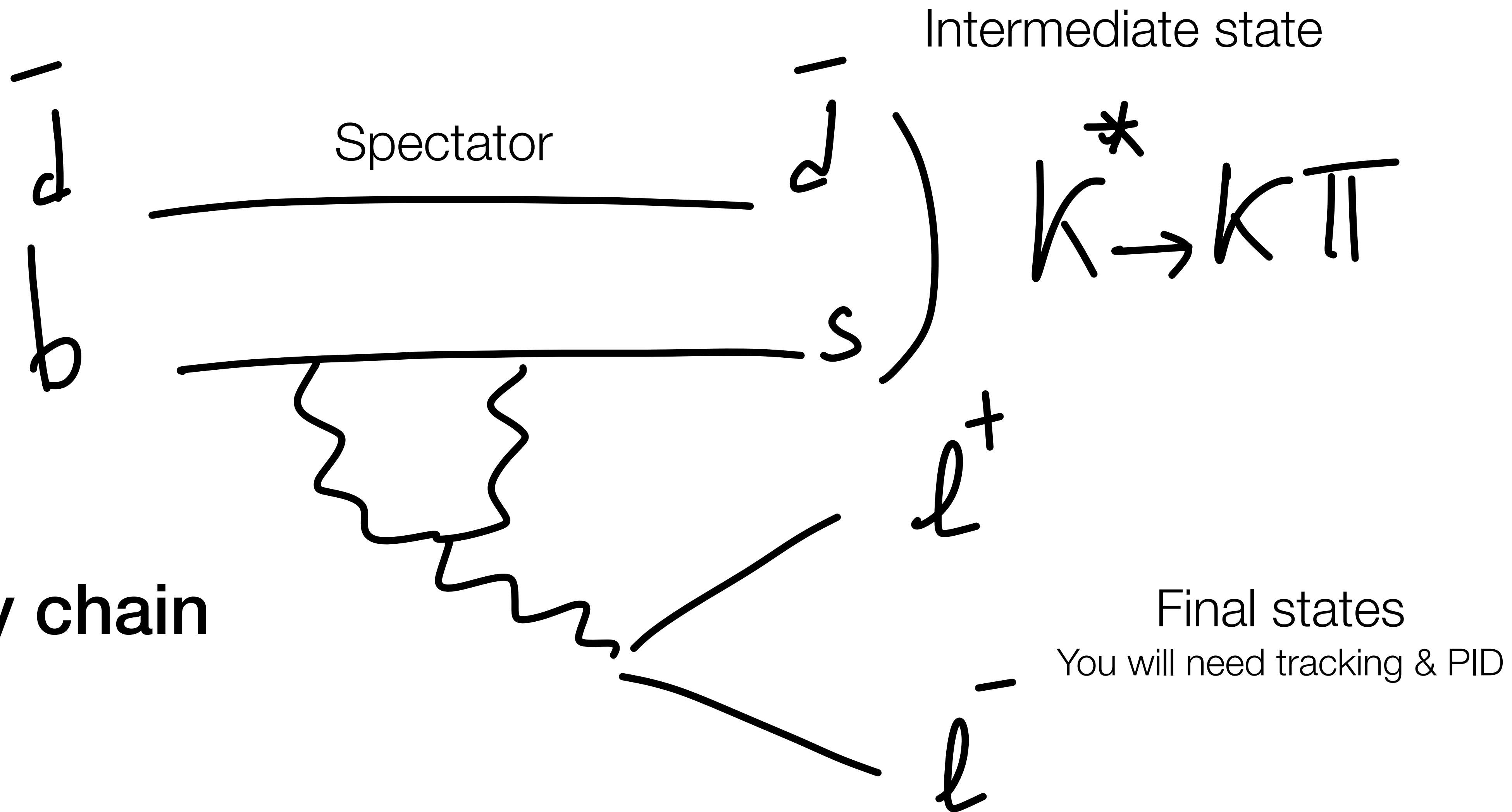


Standard Model

Remember we don't find "free" quarks in nature

Decay chain

崩壊の連鎖



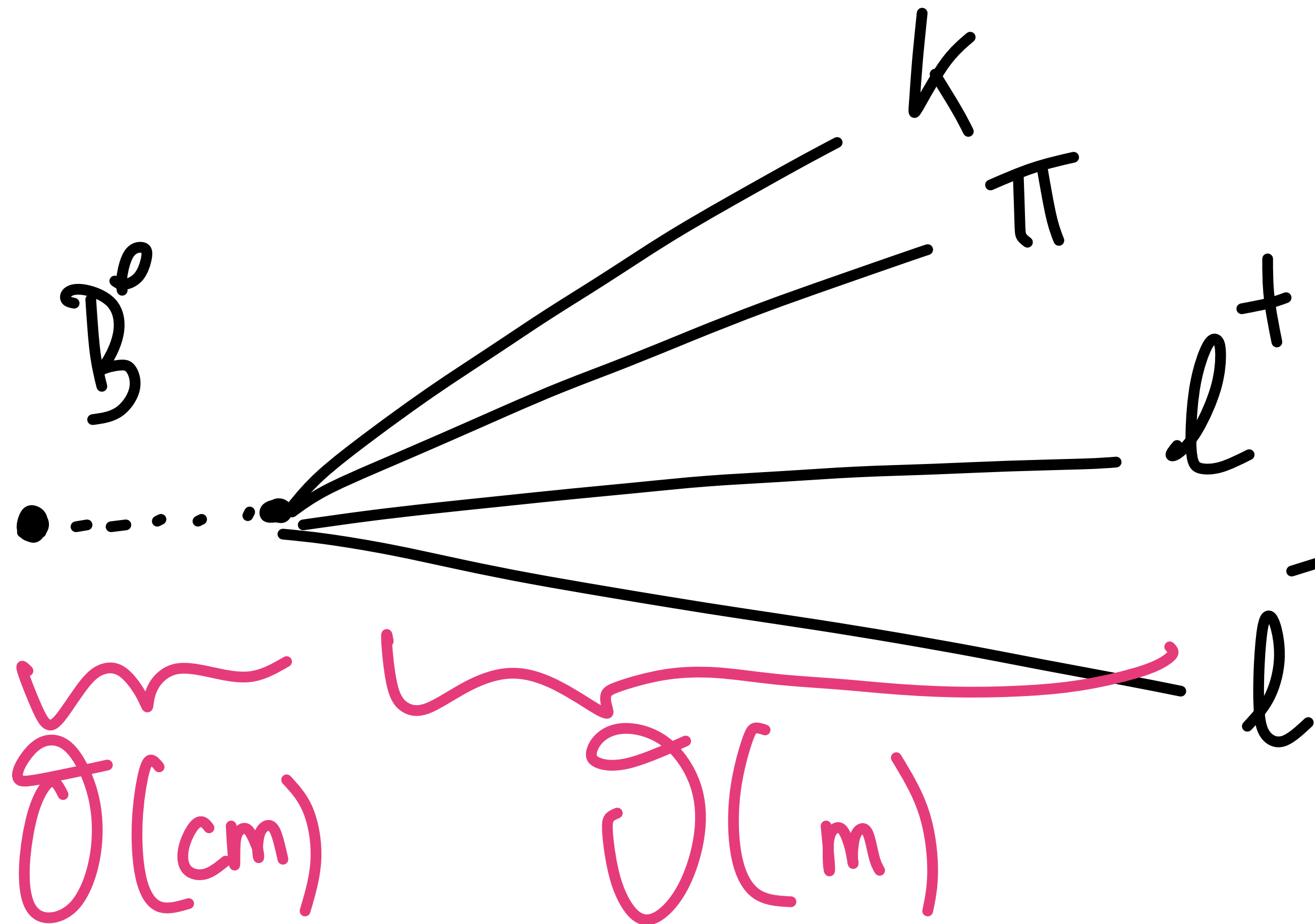
What's the nature of the "final states?"

最後にできた状態の性質は?



Boost !

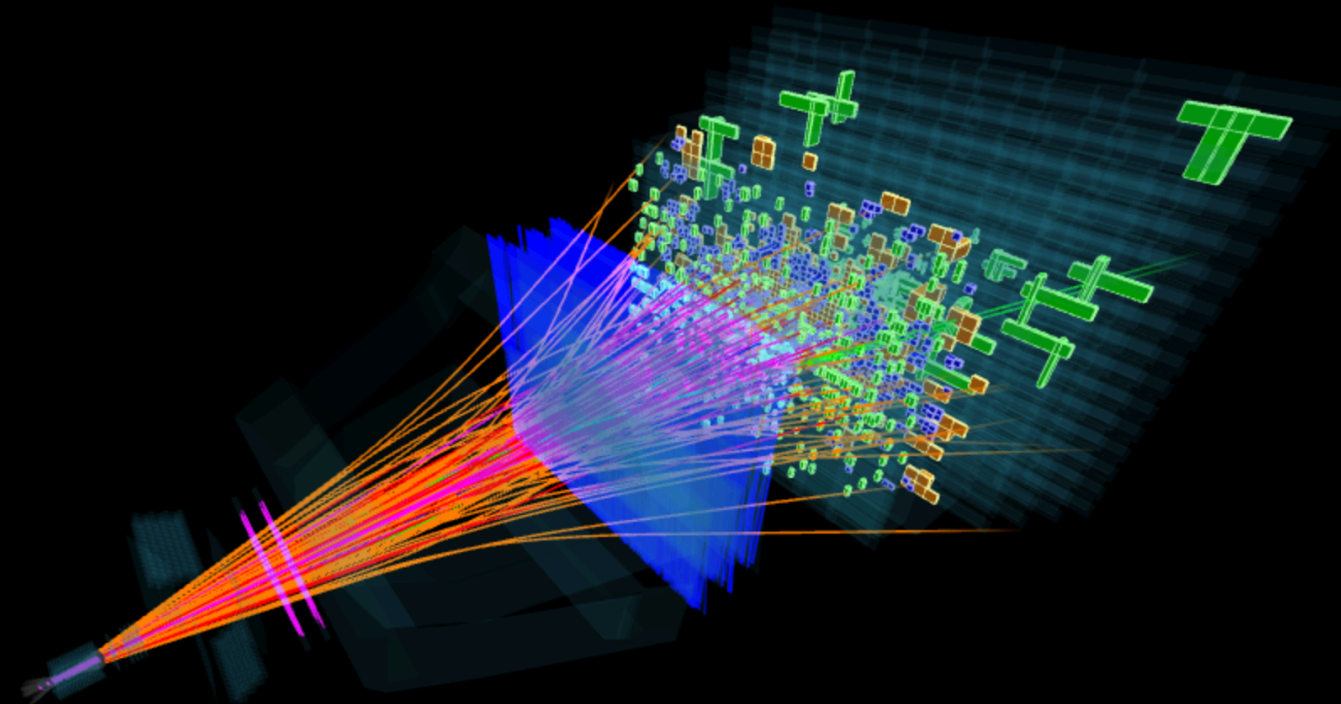
加速!



$$t_{lab} = \tau \cdot \gamma$$



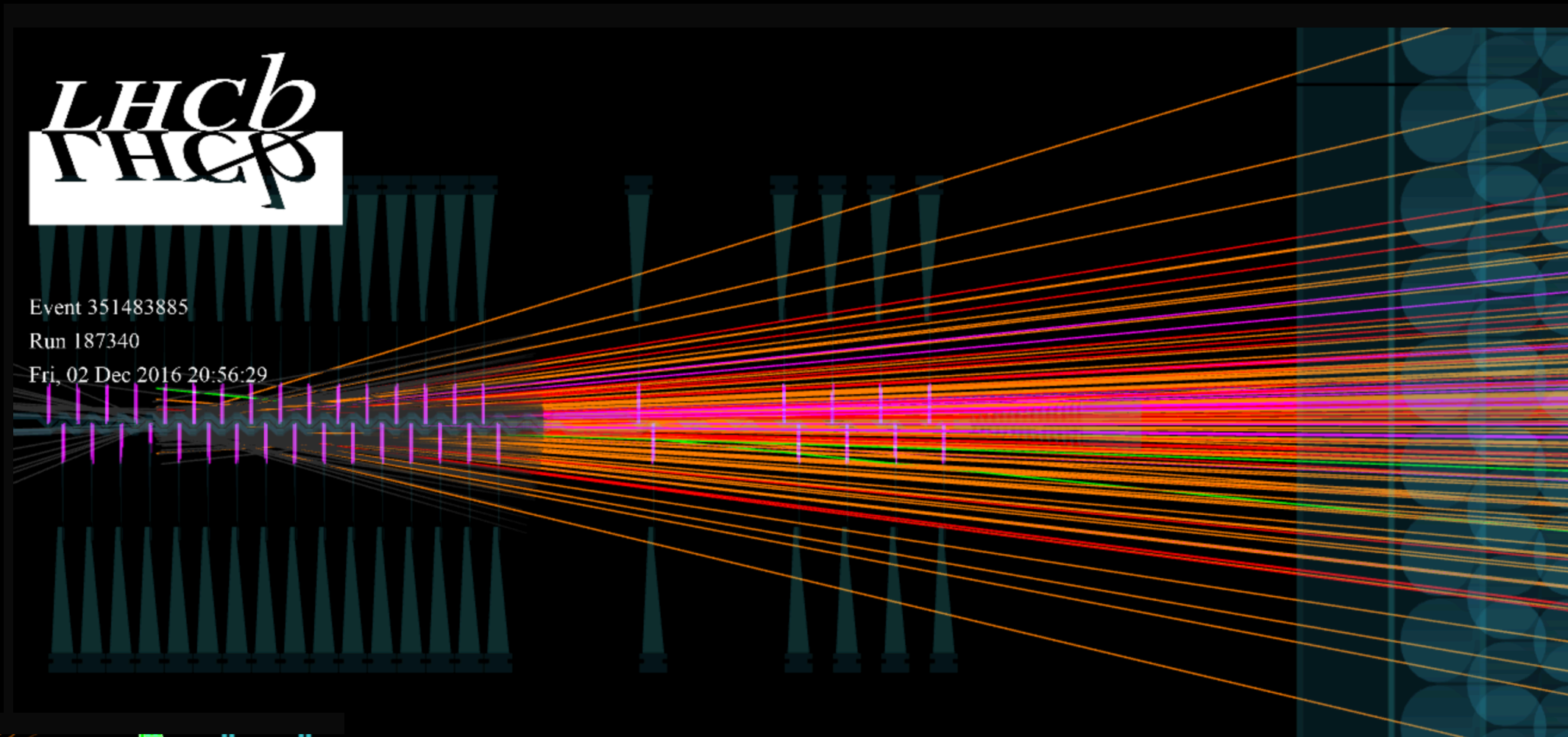
Event 351483885
Run 187340
Fri, 02 Dec 2016 20:56:29



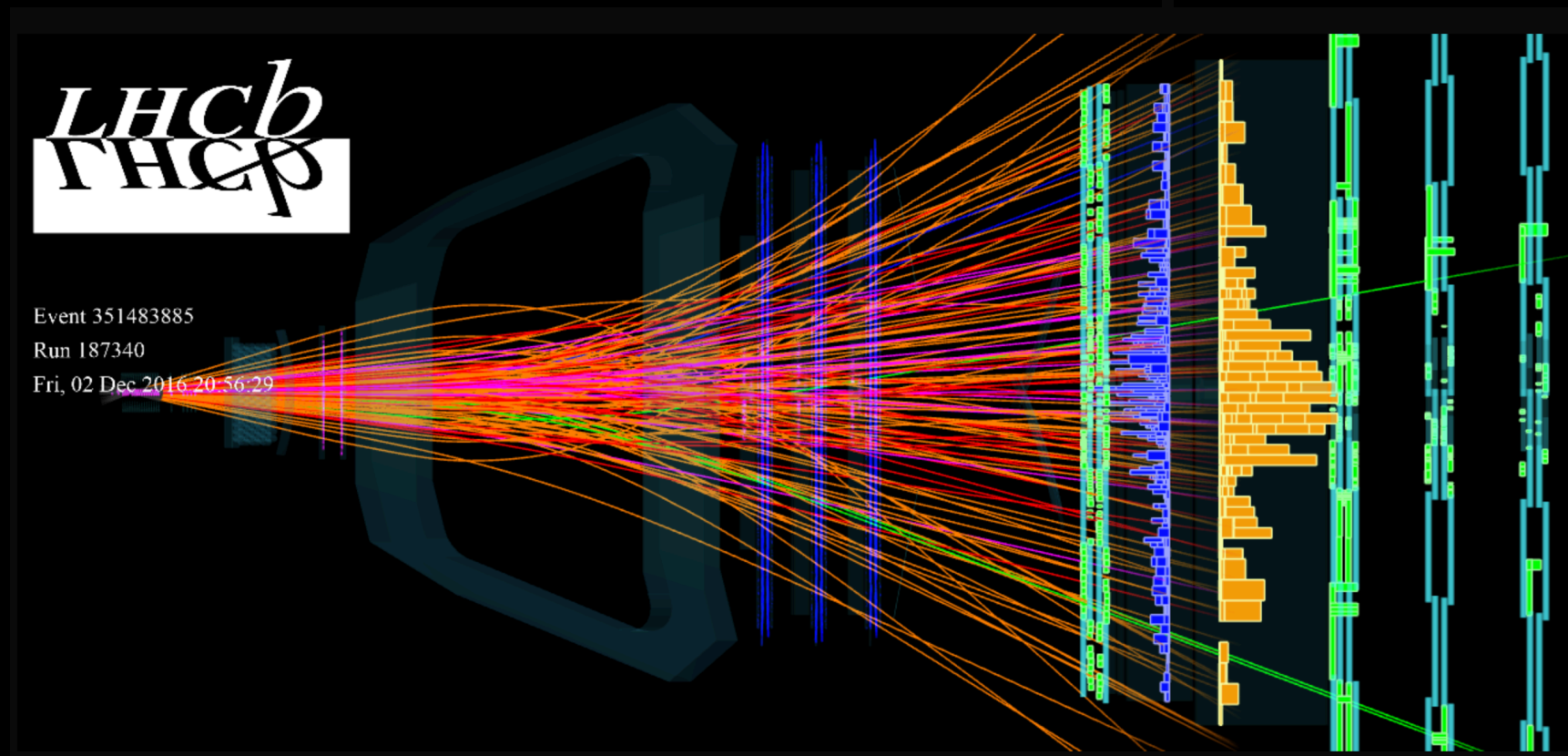
Reconstruction



Event 351483885
Run 187340
Fri, 02 Dec 2016 20:56:29



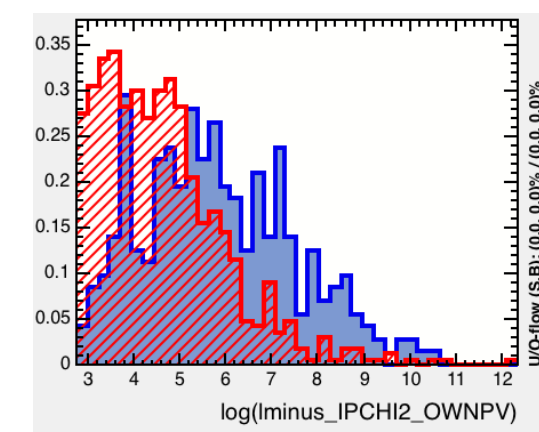
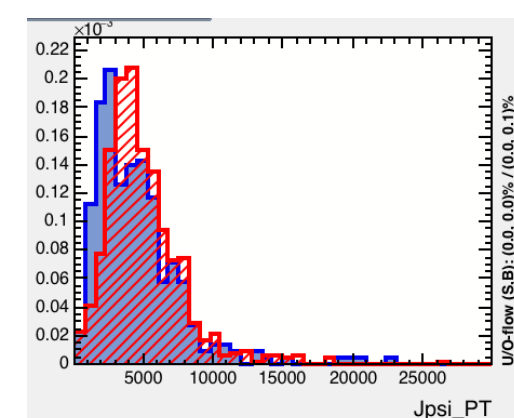
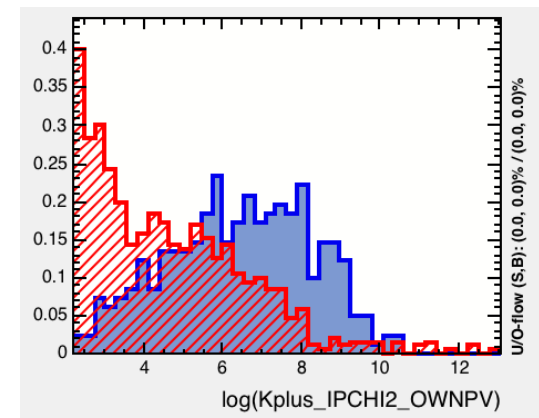
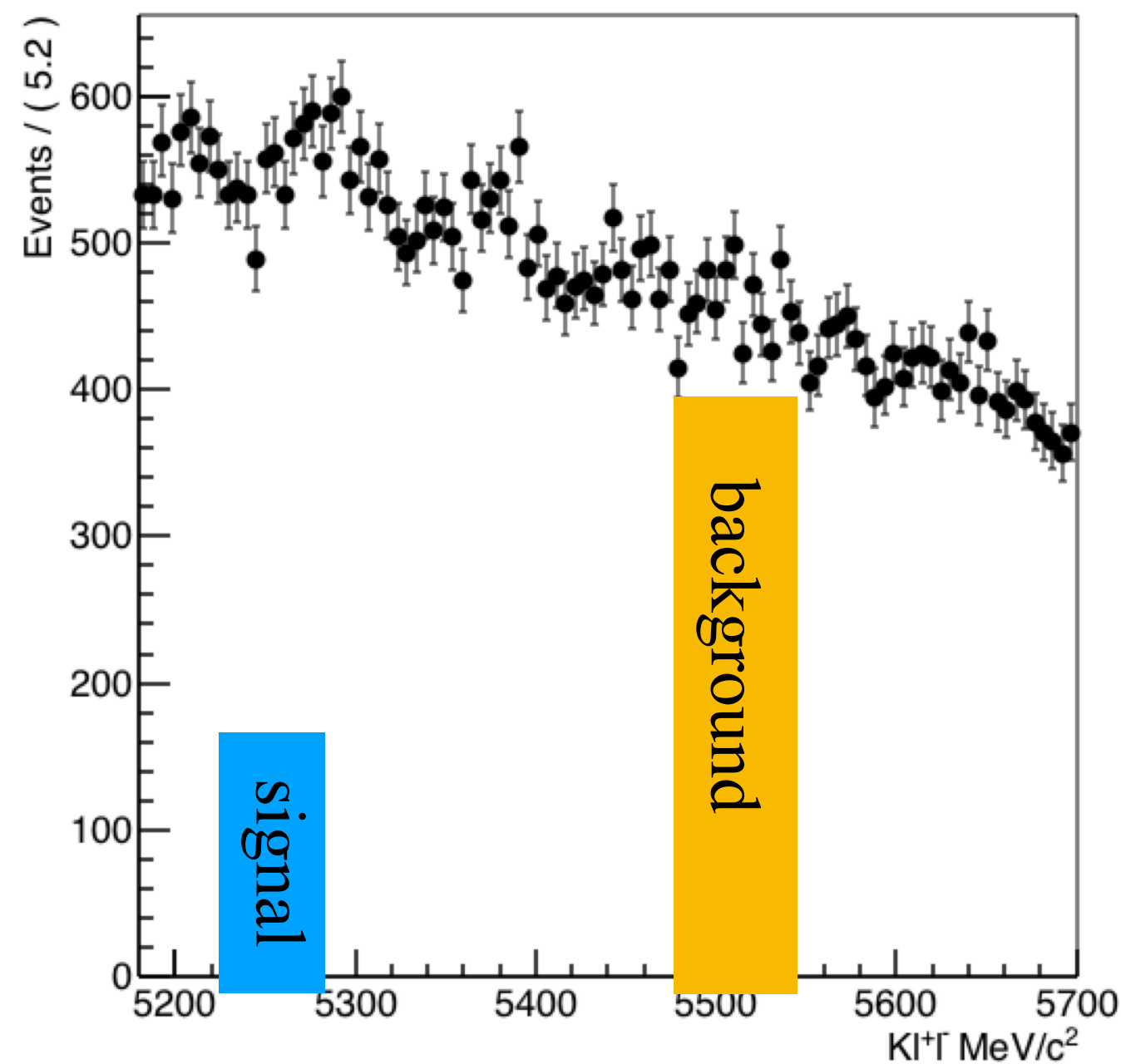
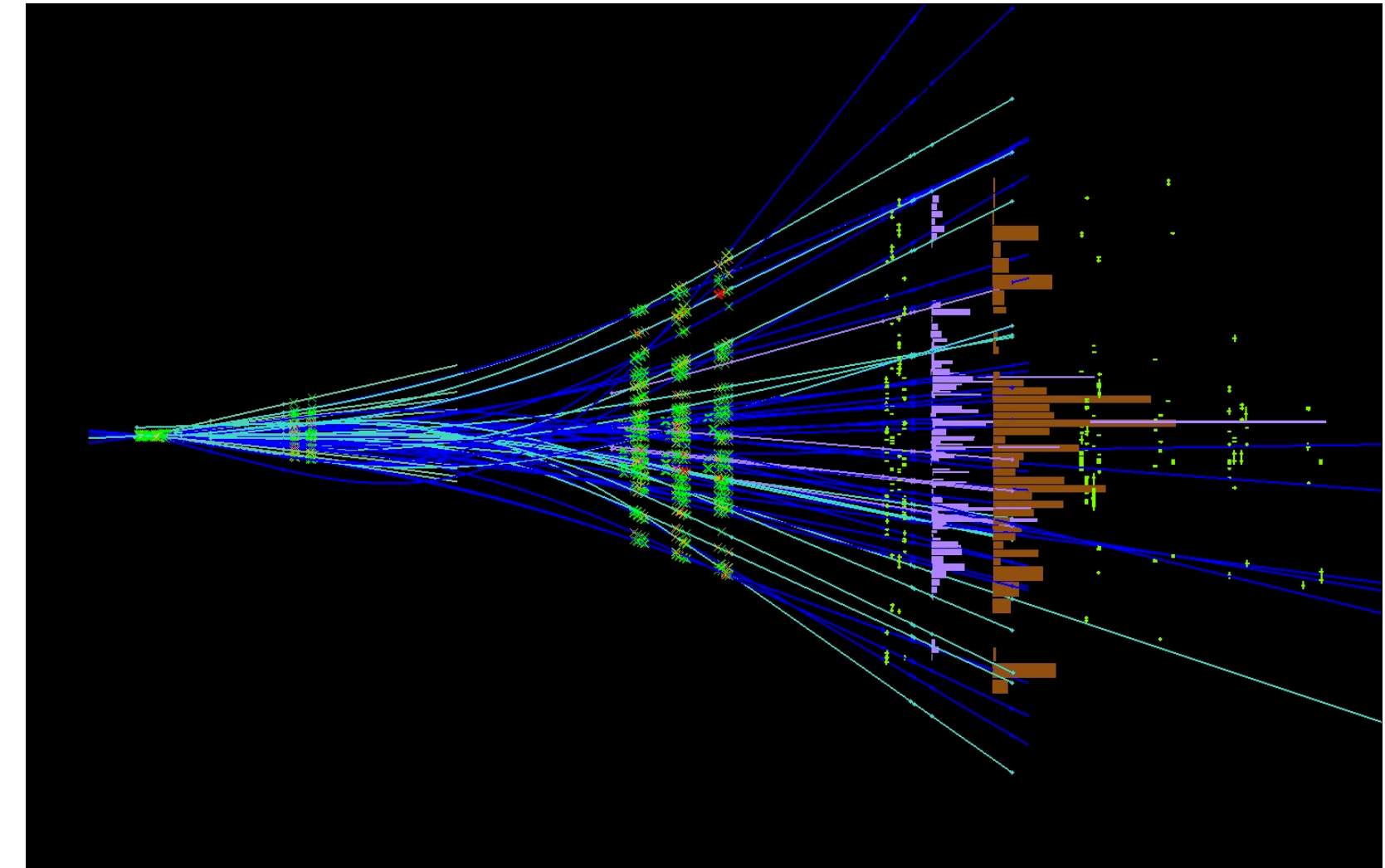
Event 351483885
Run 187340
Fri, 02 Dec 2016 20:56:29



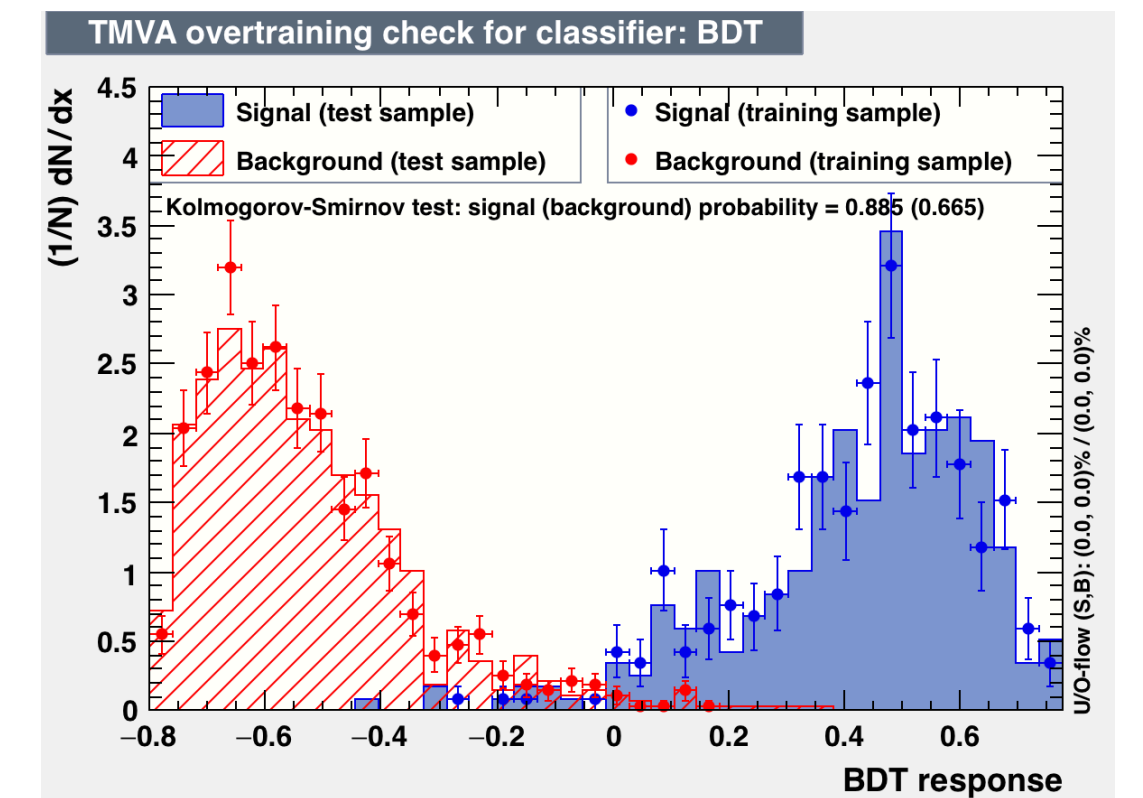
Quadrivector (E, \vec{p})

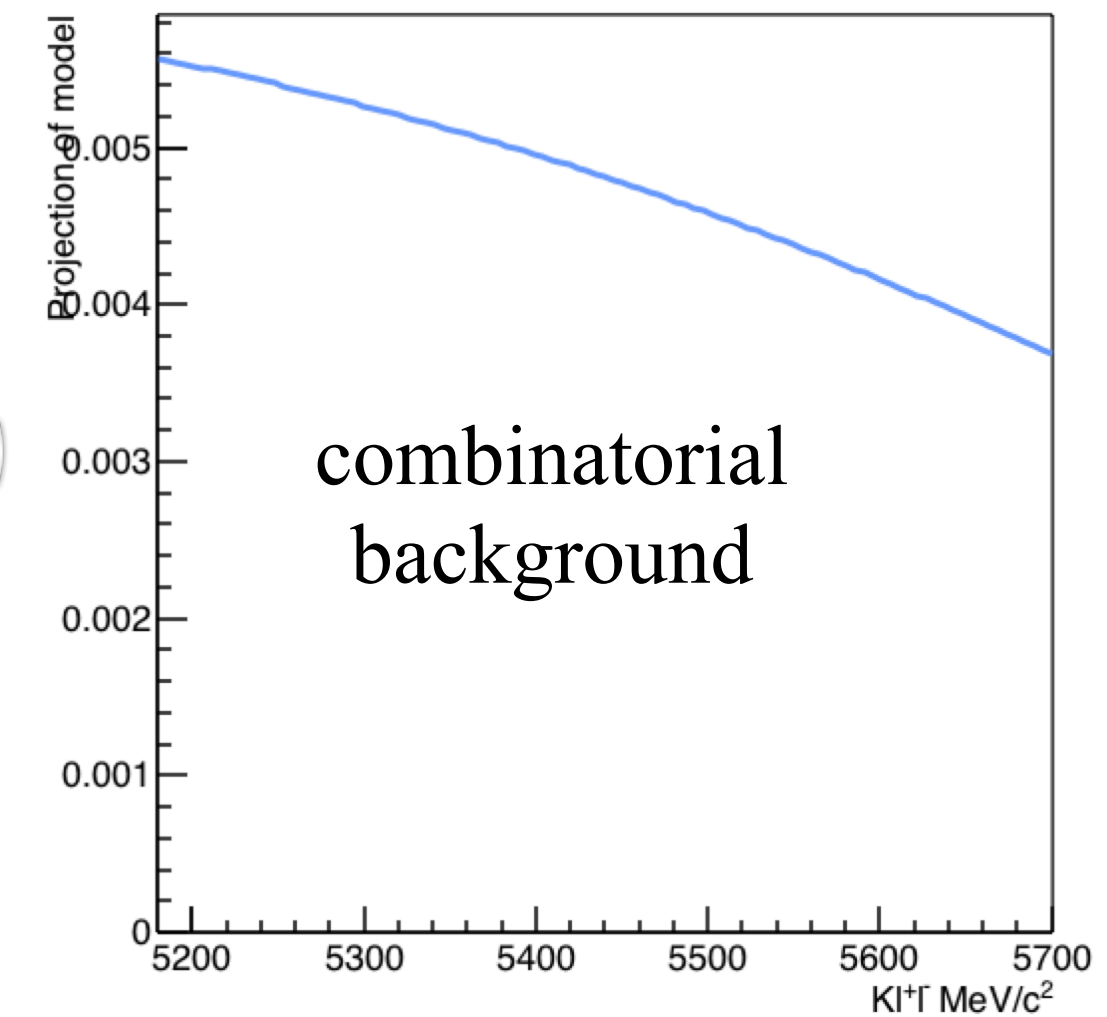
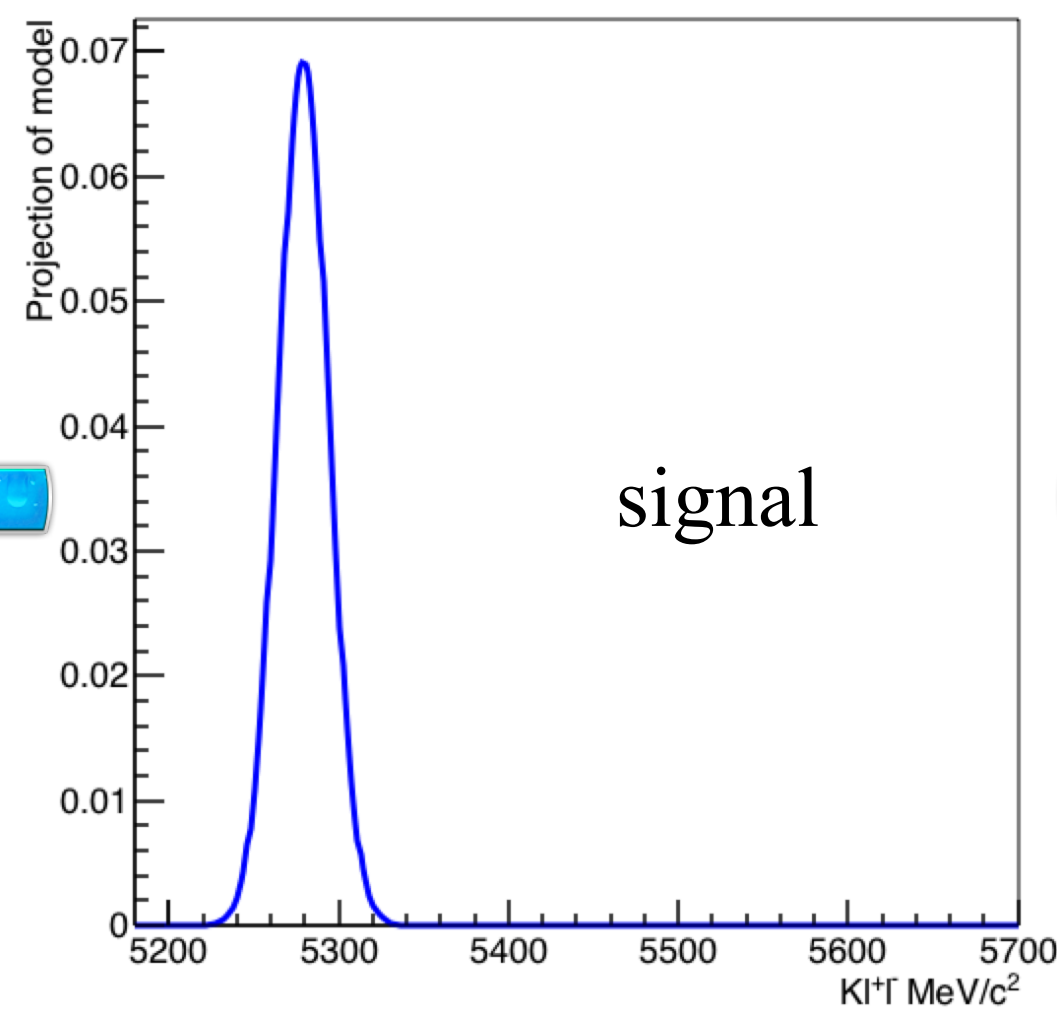
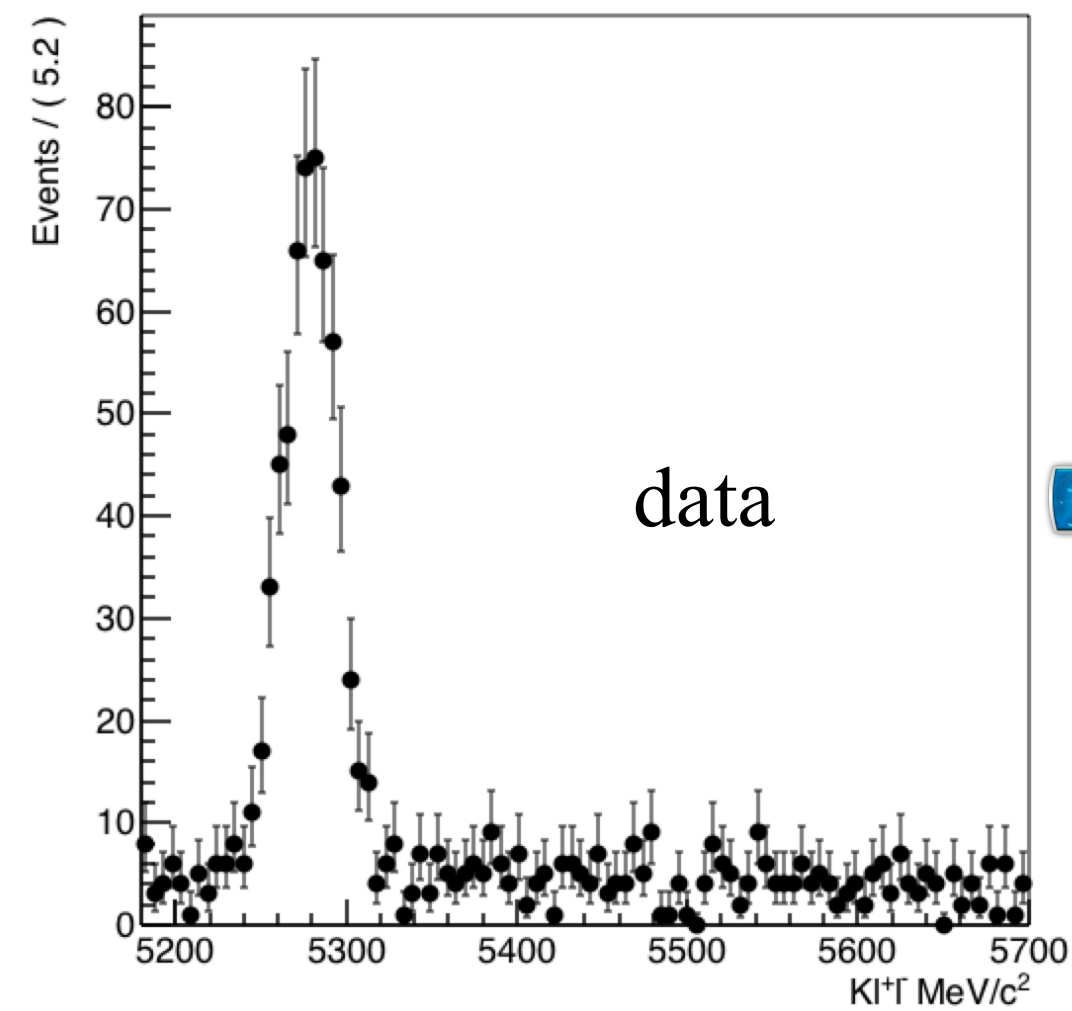
$$B \rightarrow K \pi \ell^+ \ell^-$$

$$\begin{pmatrix} m_B \\ \vec{0} \end{pmatrix} = \begin{pmatrix} E_K \\ \vec{p}_K \end{pmatrix} + \begin{pmatrix} E_\pi \\ \vec{p}_\pi \end{pmatrix} + \begin{pmatrix} E_{\ell^+} \\ \vec{p}_{\ell^+} \end{pmatrix} + \begin{pmatrix} E_{\ell^-} \\ \vec{p}_{\ell^-} \end{pmatrix}$$



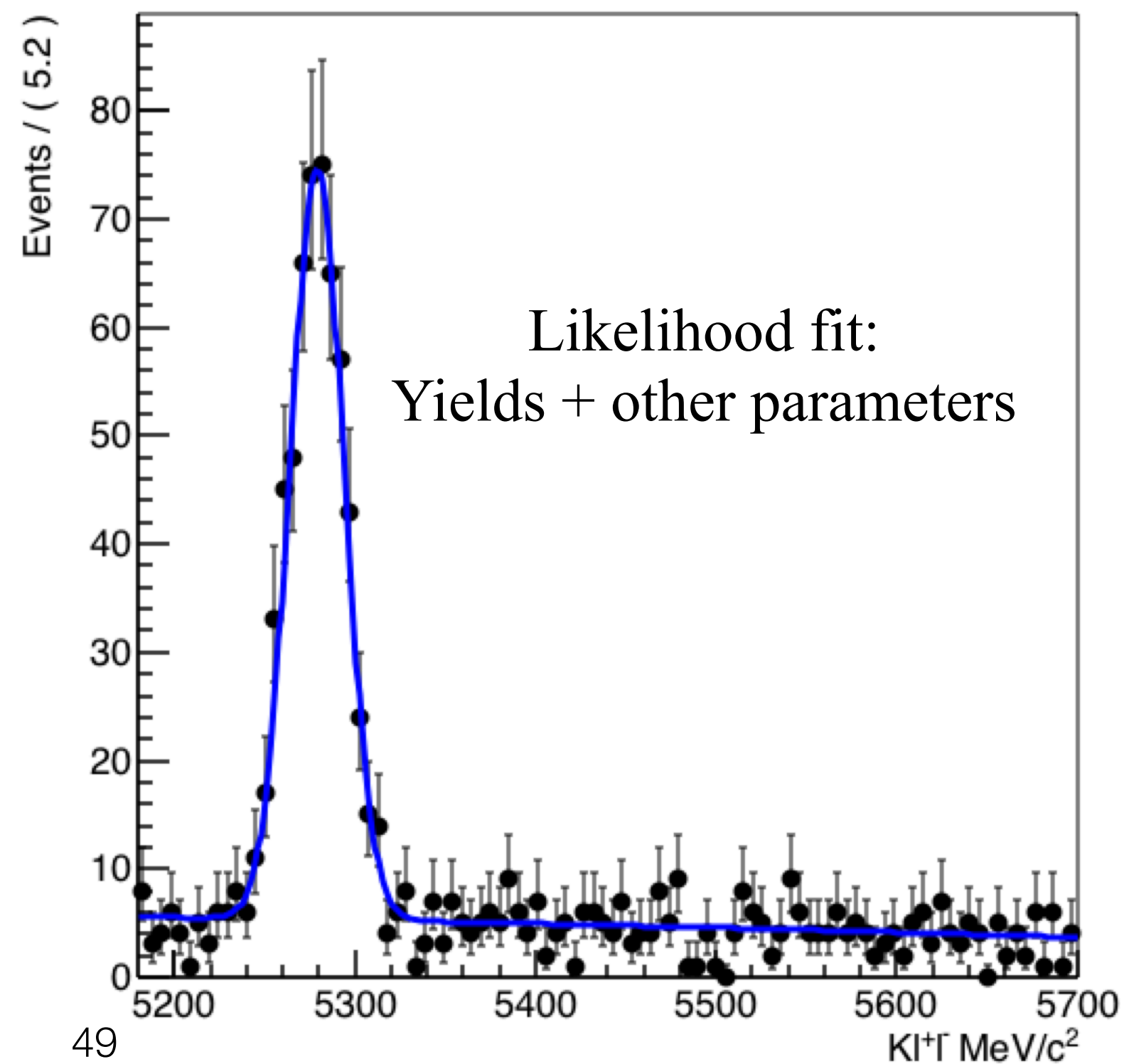
Dump in your favour AI



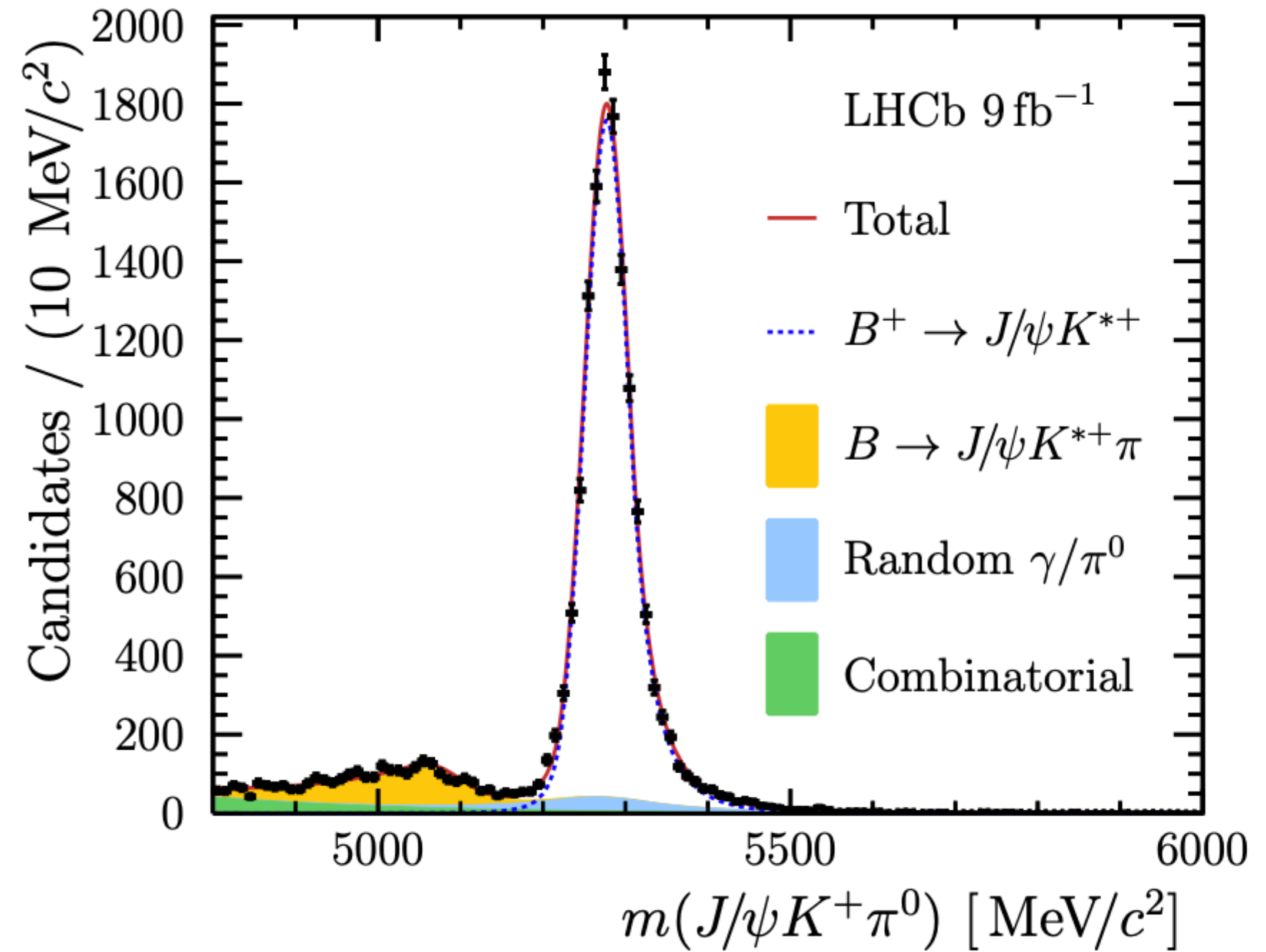
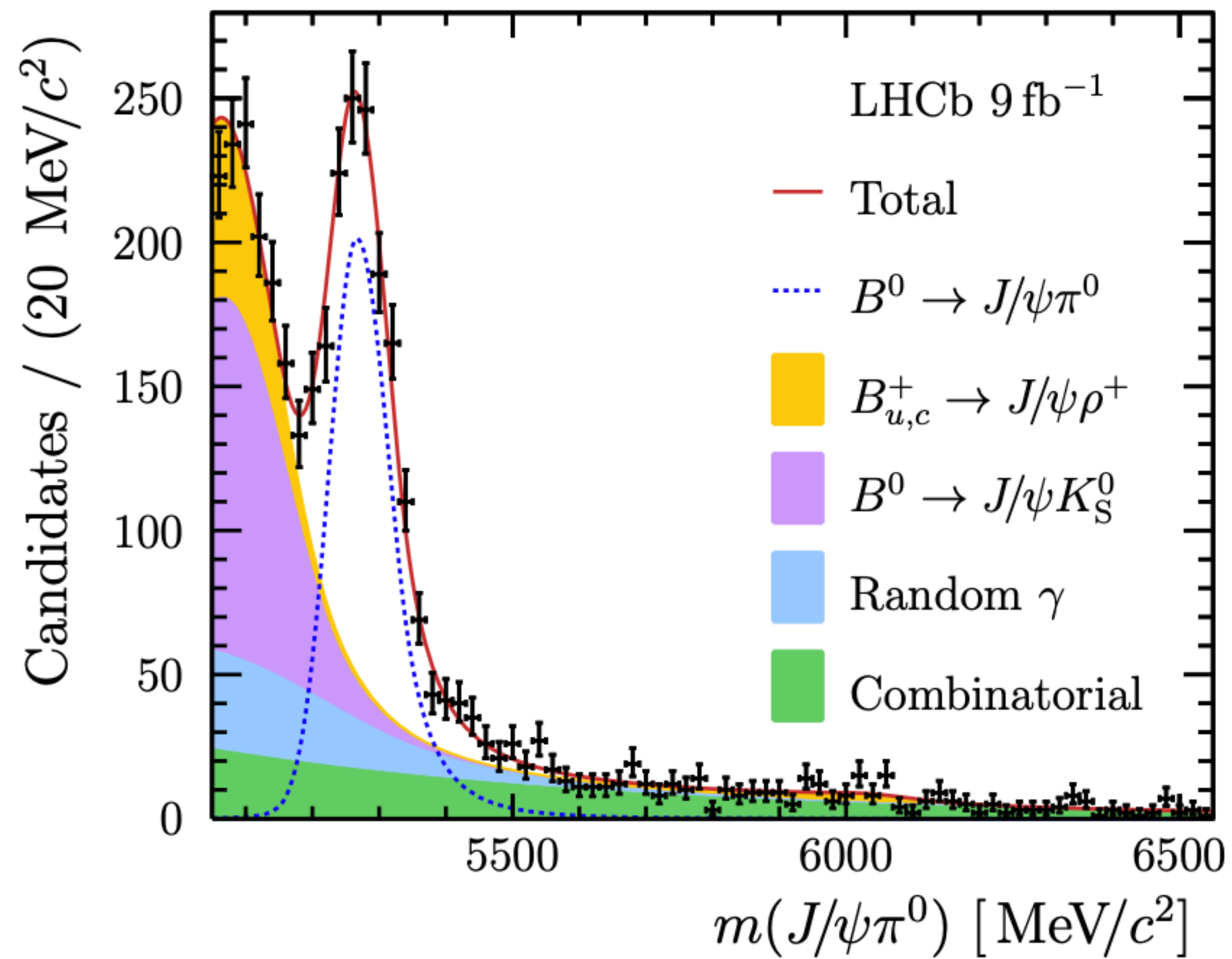


Depending on the difficulty of the fit,
 some parameters can be
 constrained from simulation etc.
 A likelihood is minimised to find the best
 set of parameters that describe the data.

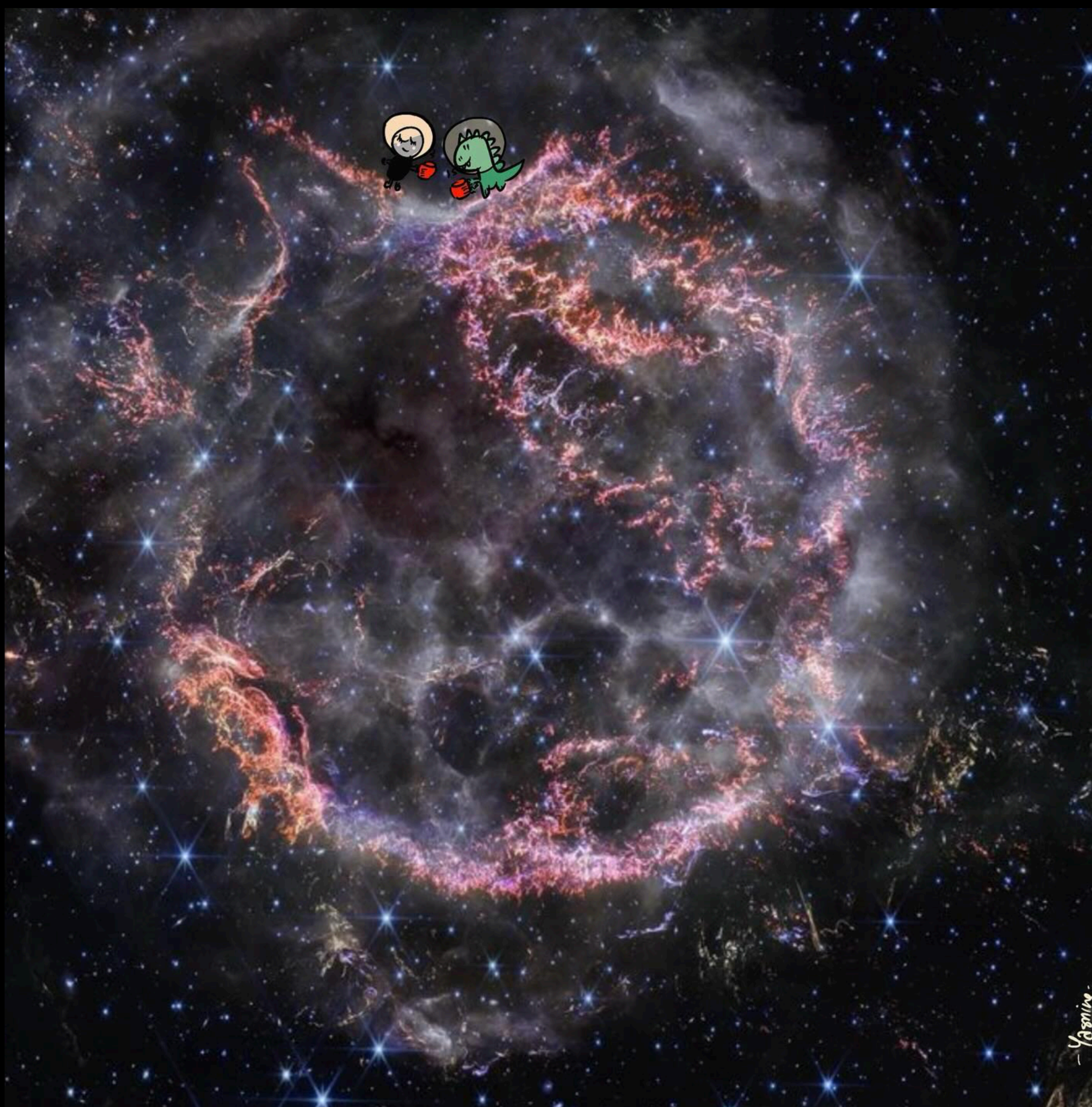
データをフィットするのが難しいこともあるので、いくつかのパラメータにはシミュレーションで制限をつけたりします。とにかく、もっともよくデータを再現するパラメータを探すのです。



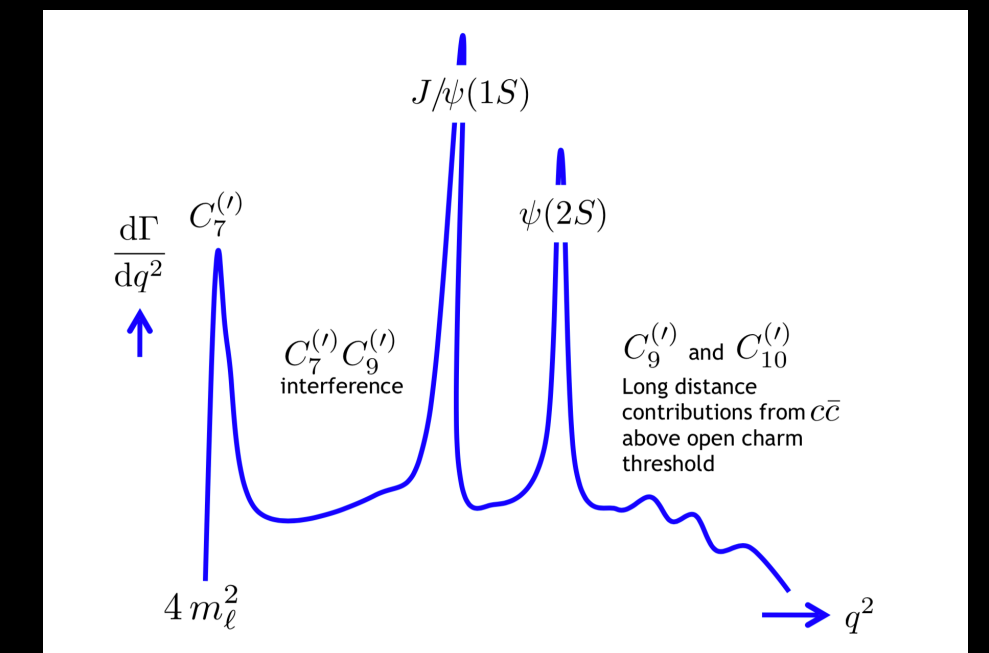
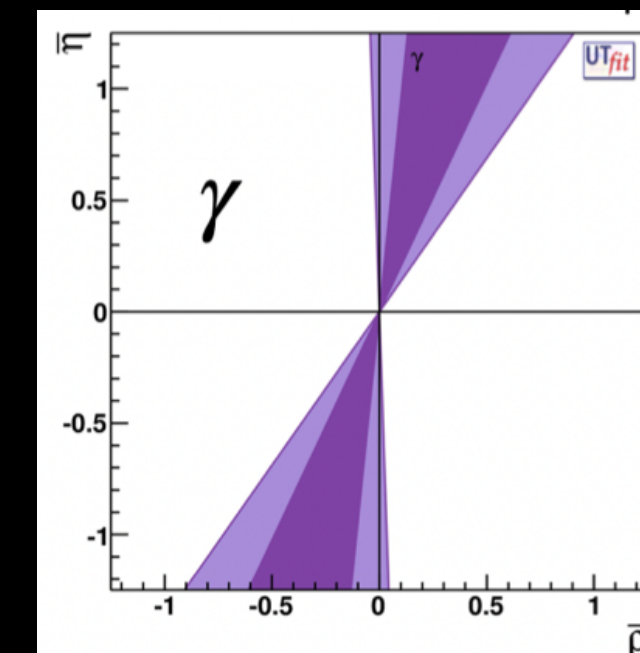
In real life, it will look like this ...



<https://arxiv.org/pdf/2402.05528>



We take a break for today
and I see you tomorrow !



-Yasmine-