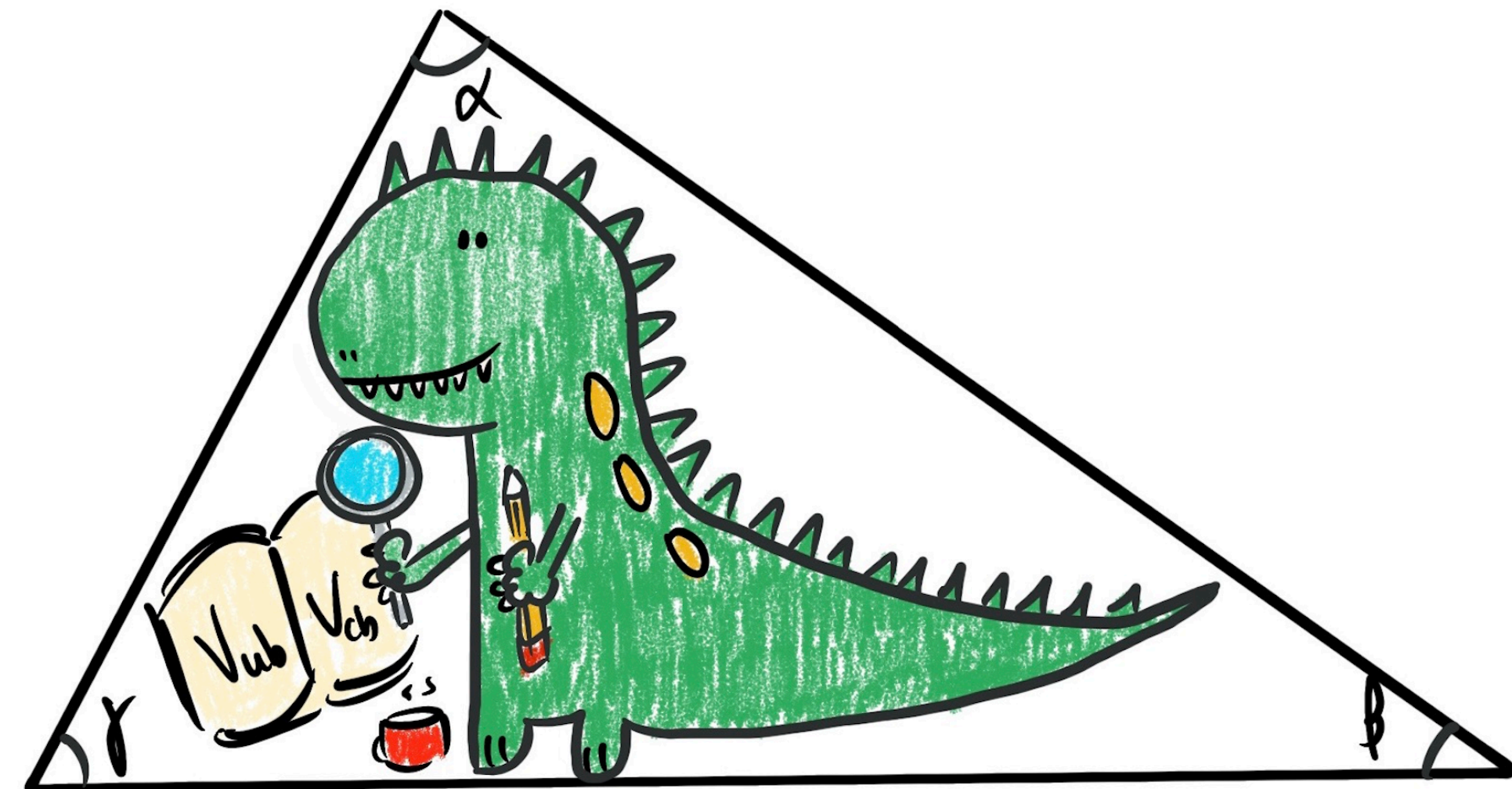


Flavour Physics - Chapter III

Yasmine Amhis
CERN Summer School

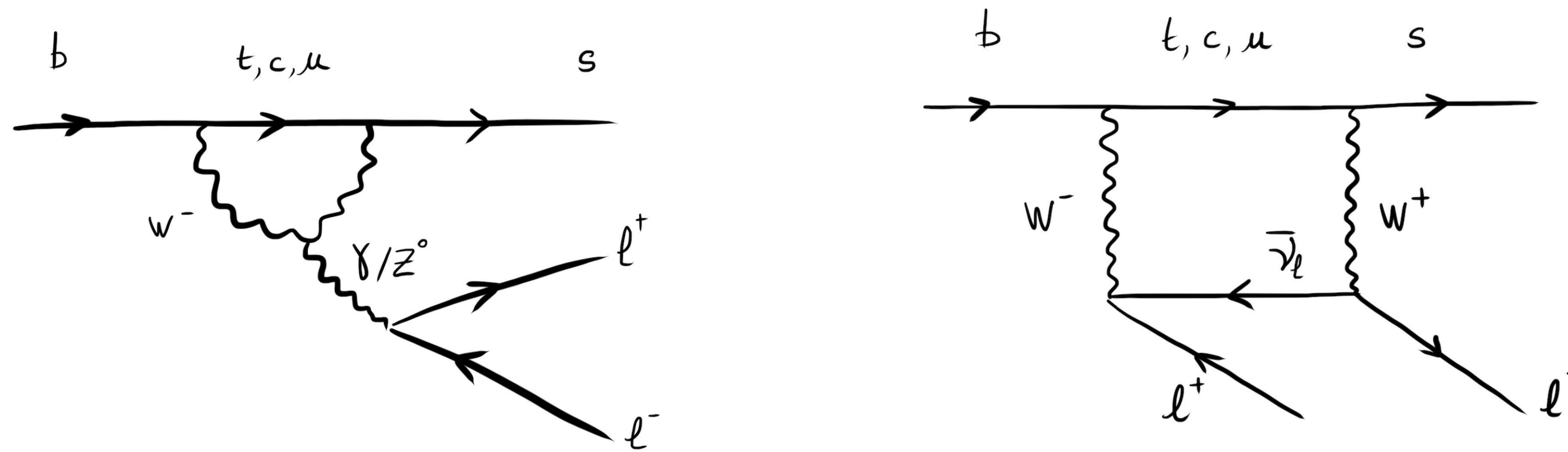


In this lecture
Angular Analyses
Lepton Universality tests

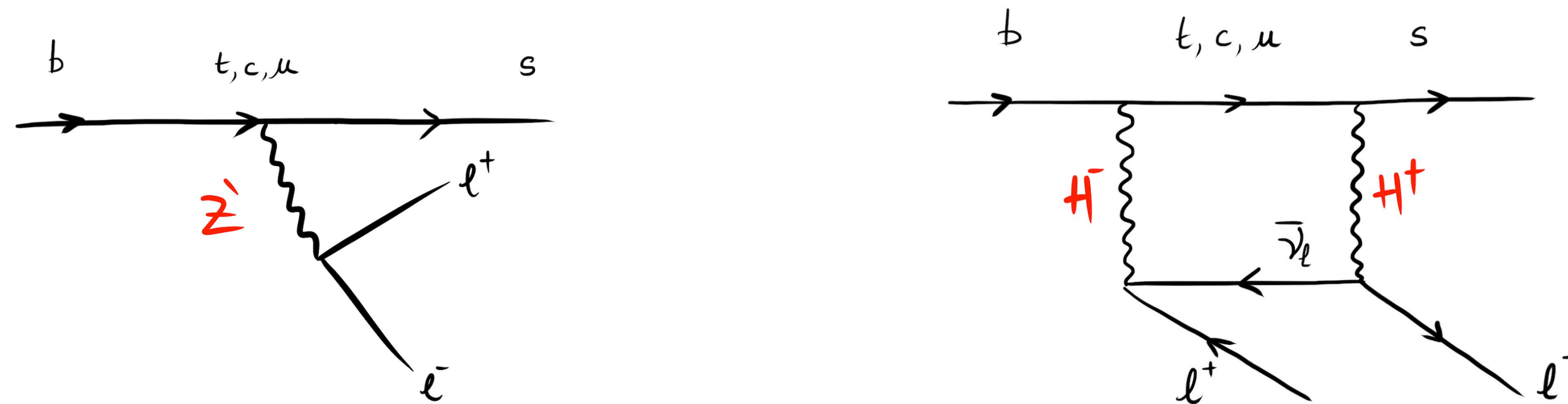


Are we the same?

Standard Model

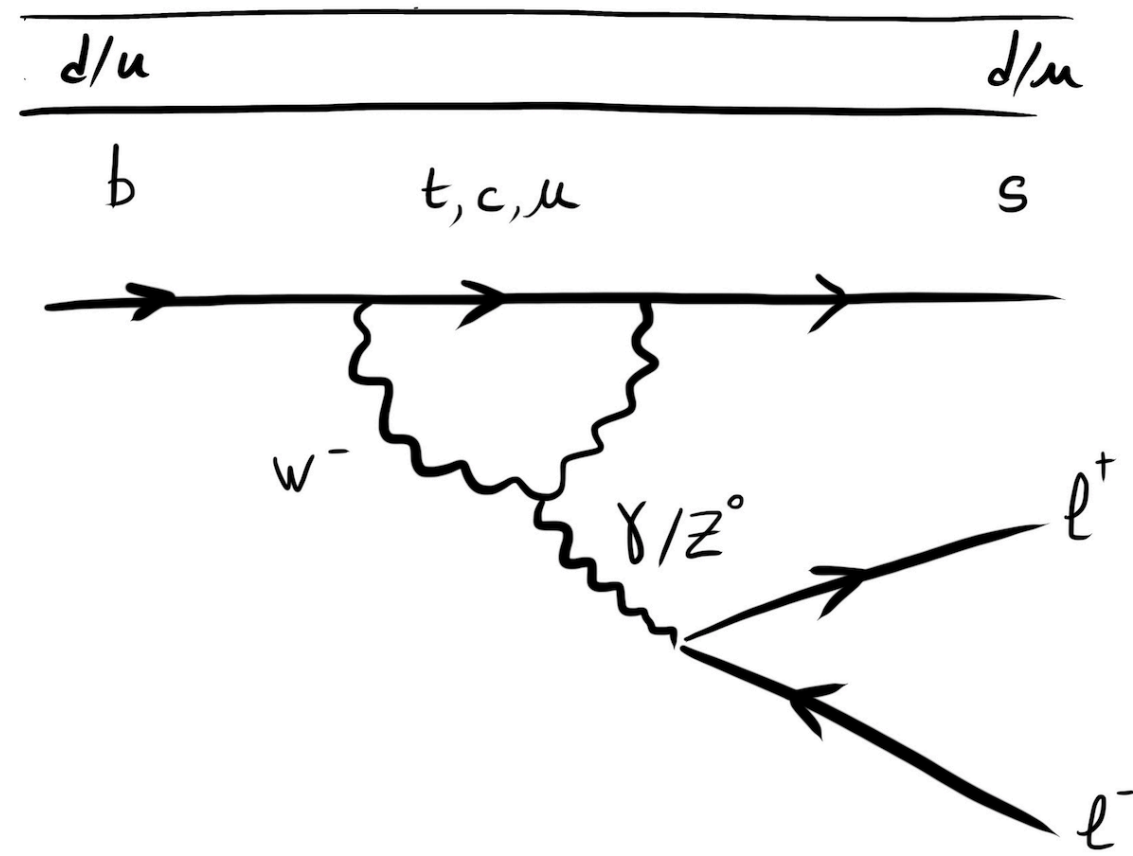


New Physics

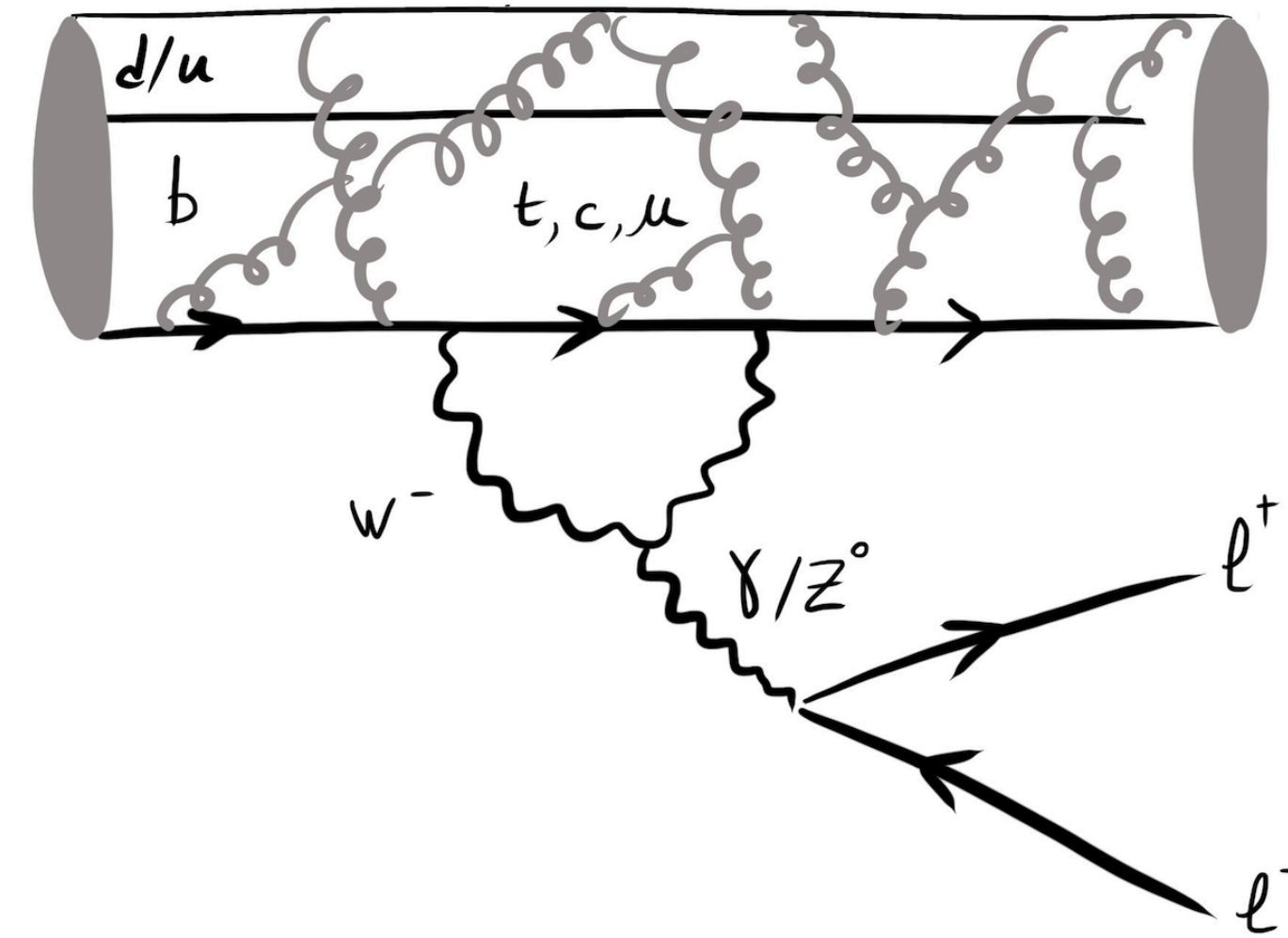
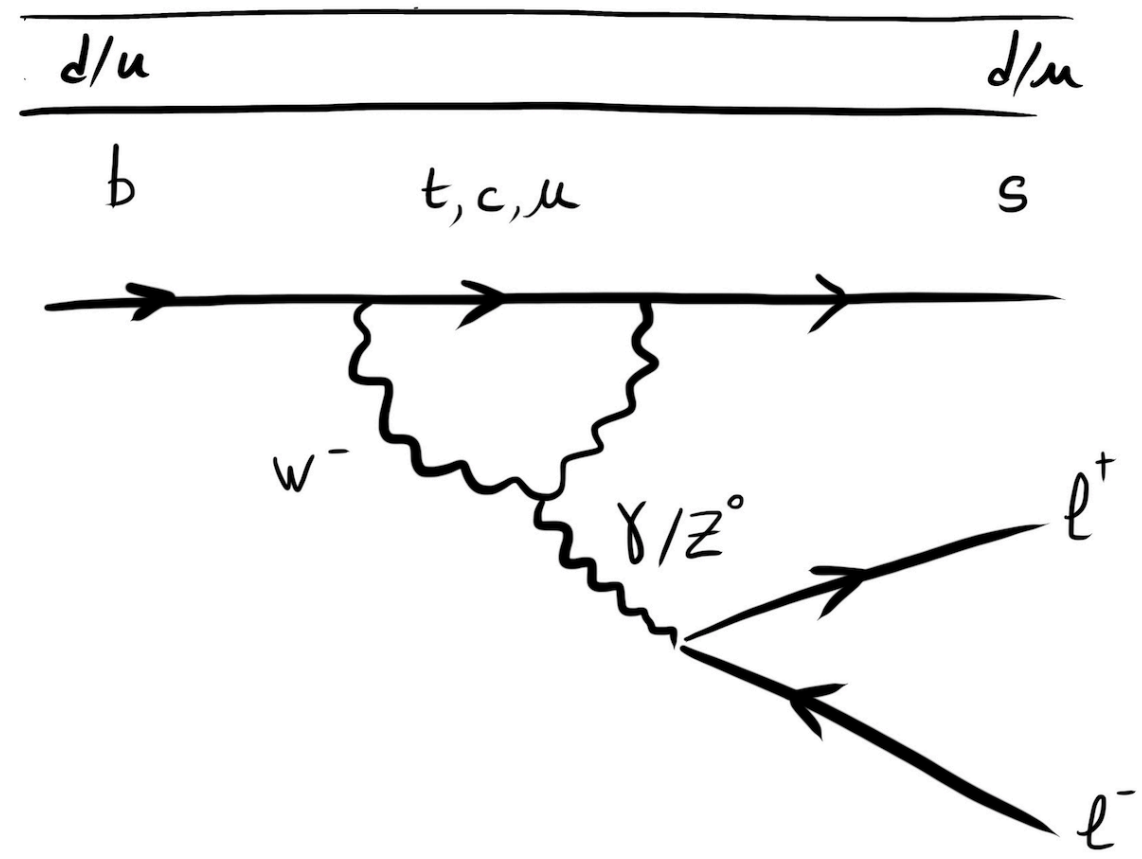


Note to self next time add LQs

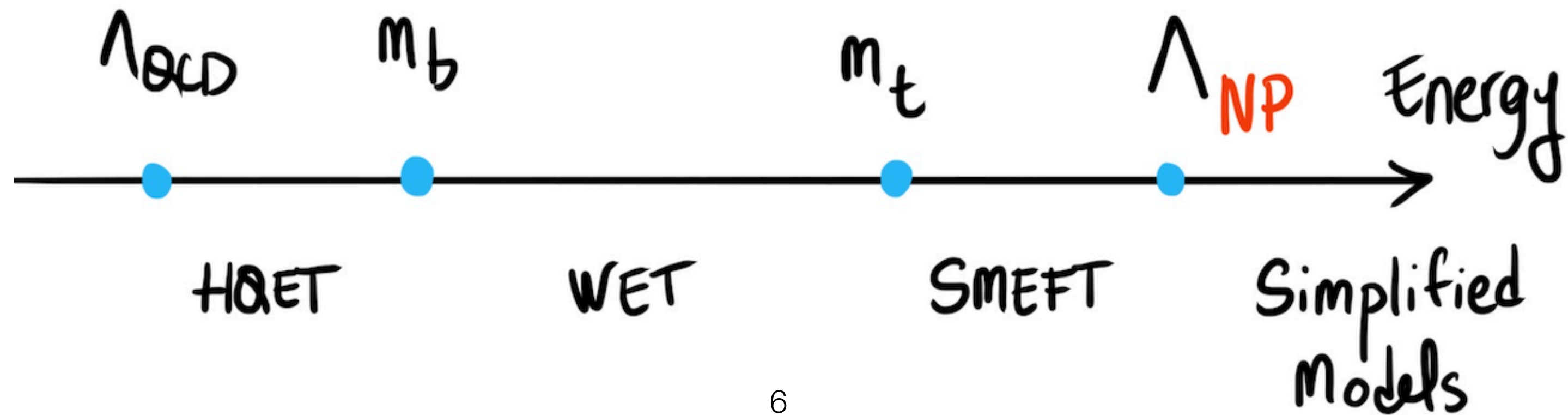
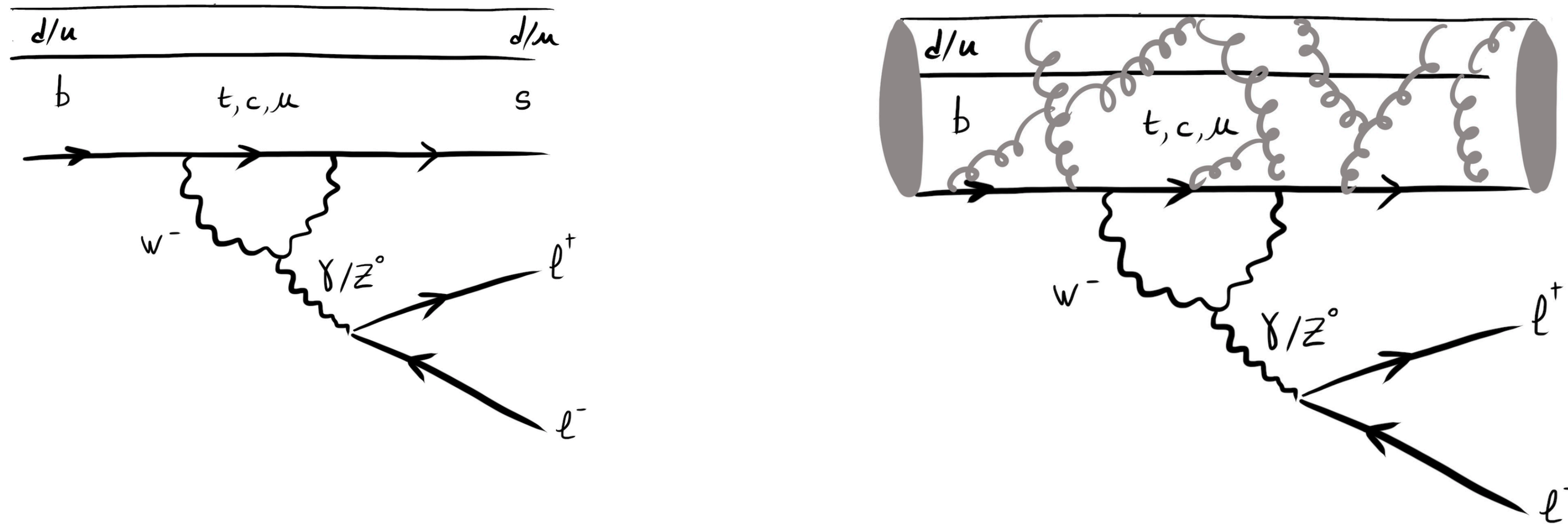
Effective Field Theory



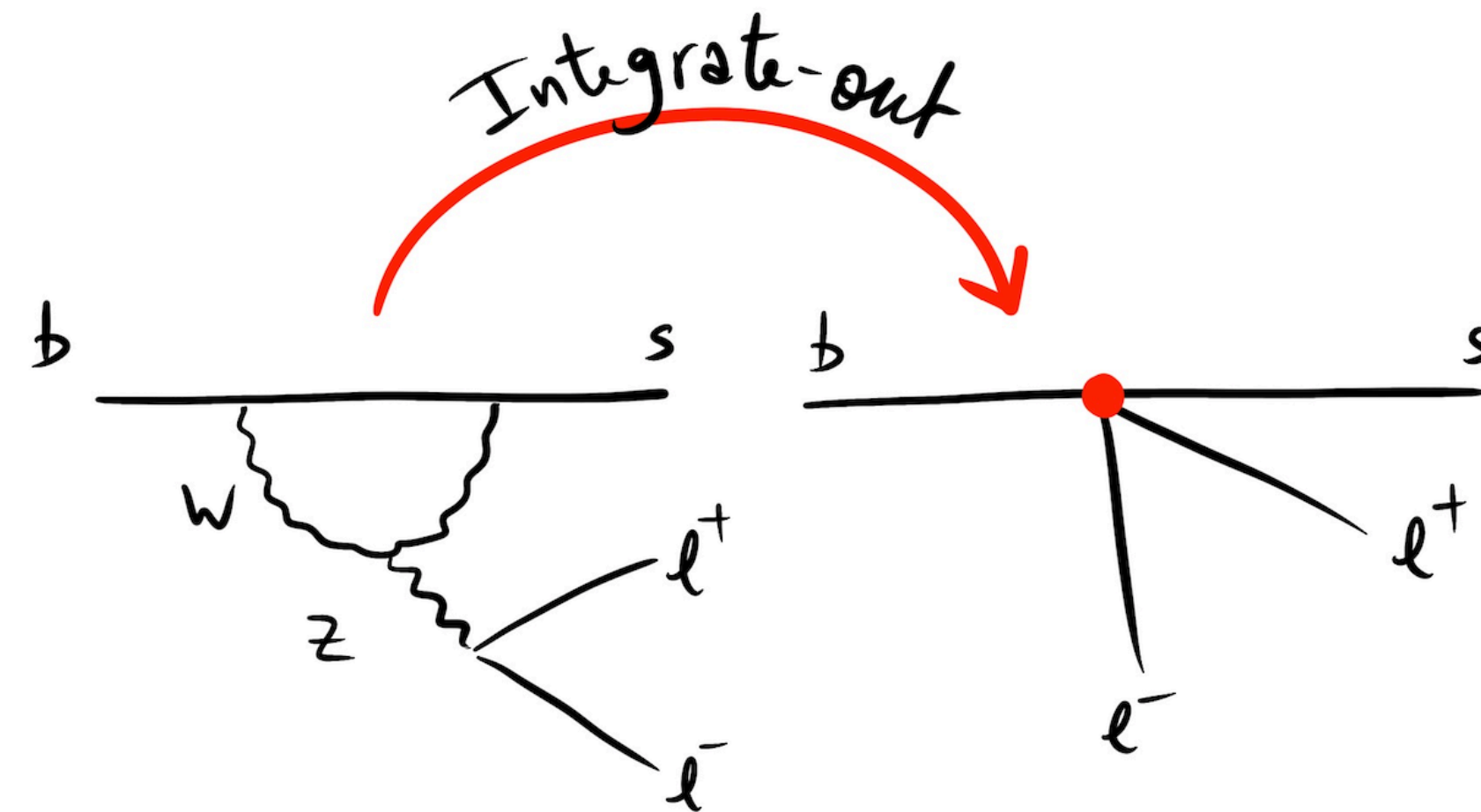
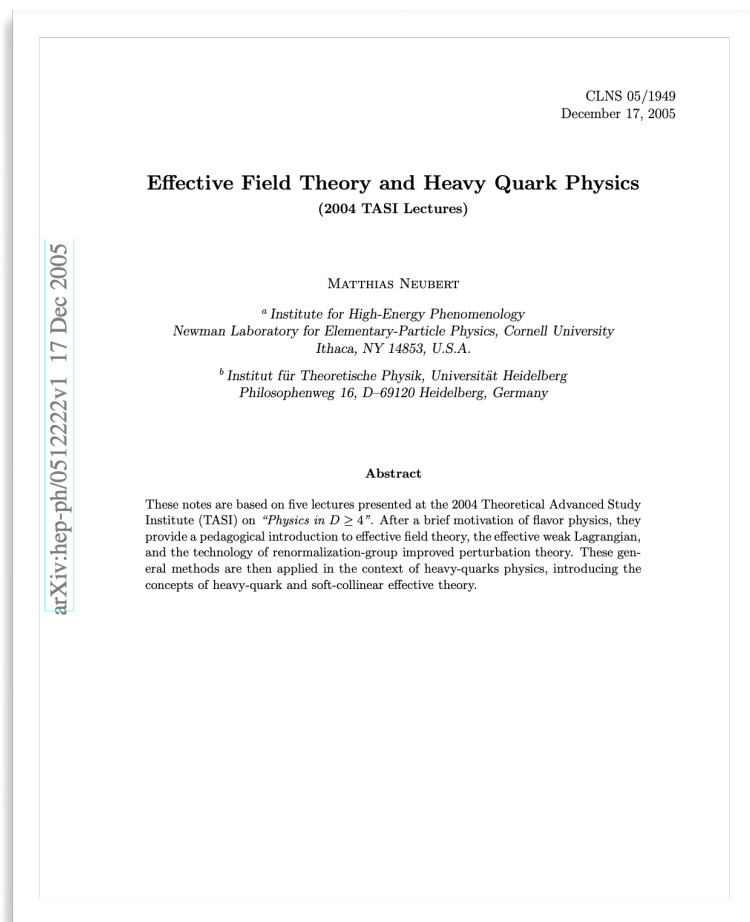
Effective Field Theory



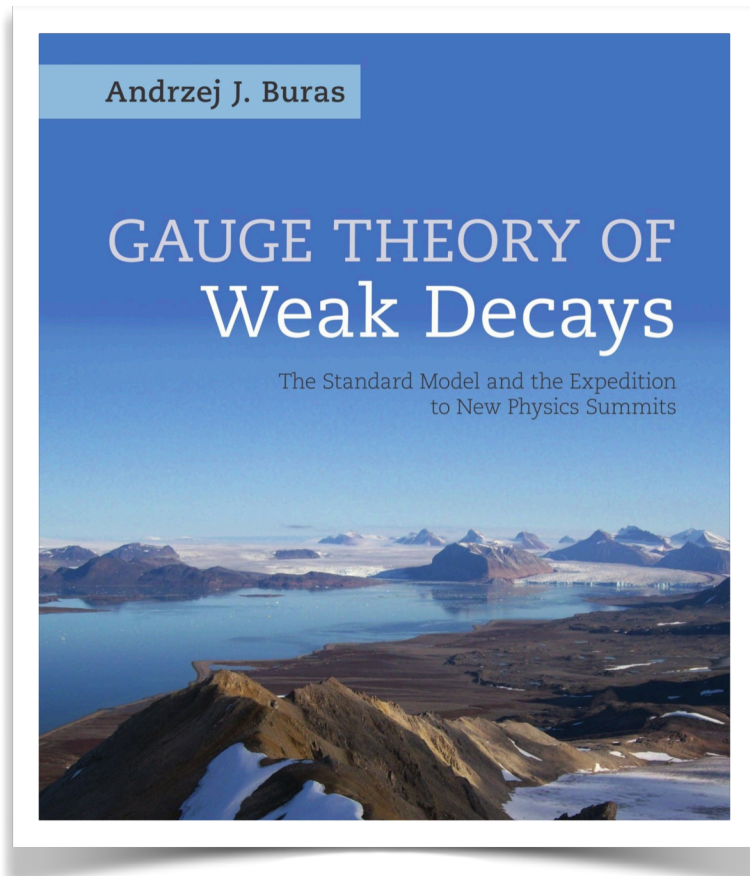
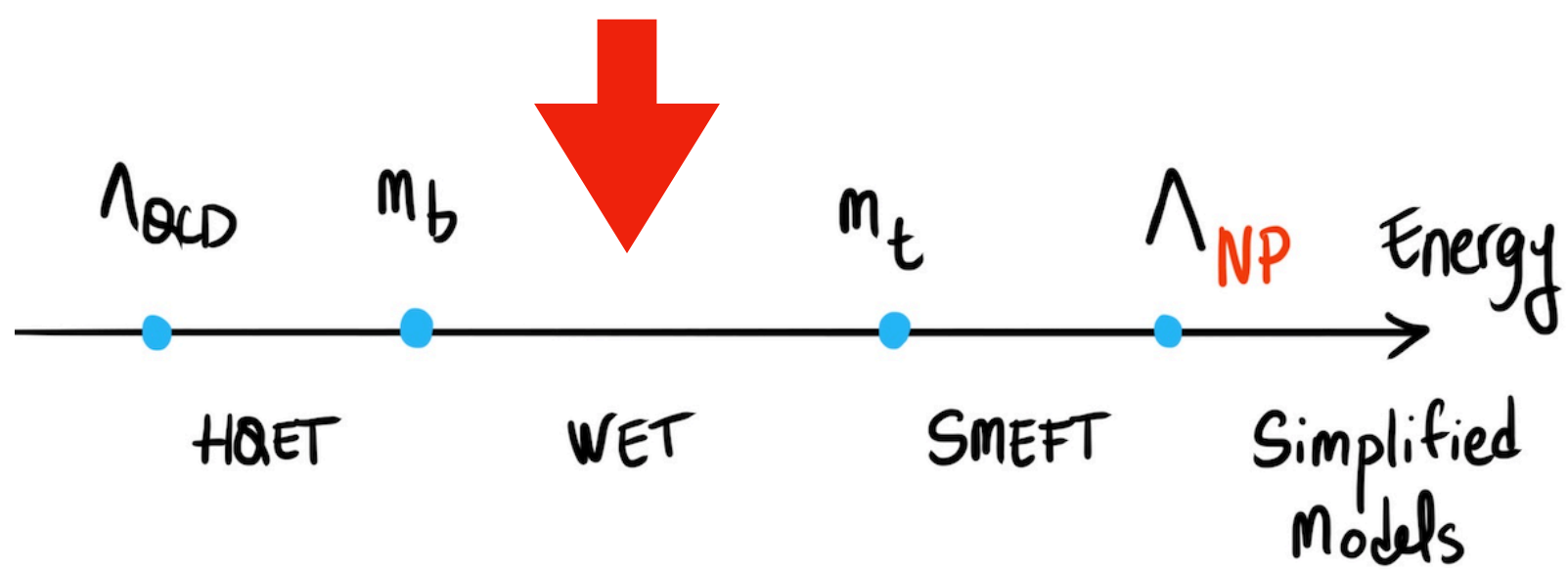
Effective Field Theory



Effective Field Theory



$$\mathcal{H}_{\text{eff}} = \frac{G_F}{\sqrt{2}} \lambda^{\text{CKM}} \sum_i C_i \mathcal{O}_i + h.c.,$$



Effective Field Theory

$$\mathcal{H}_{\text{eff}} = \frac{G_F}{\sqrt{2}} \lambda^{\text{CKM}} \sum_i C_i \mathcal{O}_i + h.c.,$$

SD: Wilson coefficients + perturbative

LD: Local operators + non perturbative
(LCSR, Lattice, etc.)

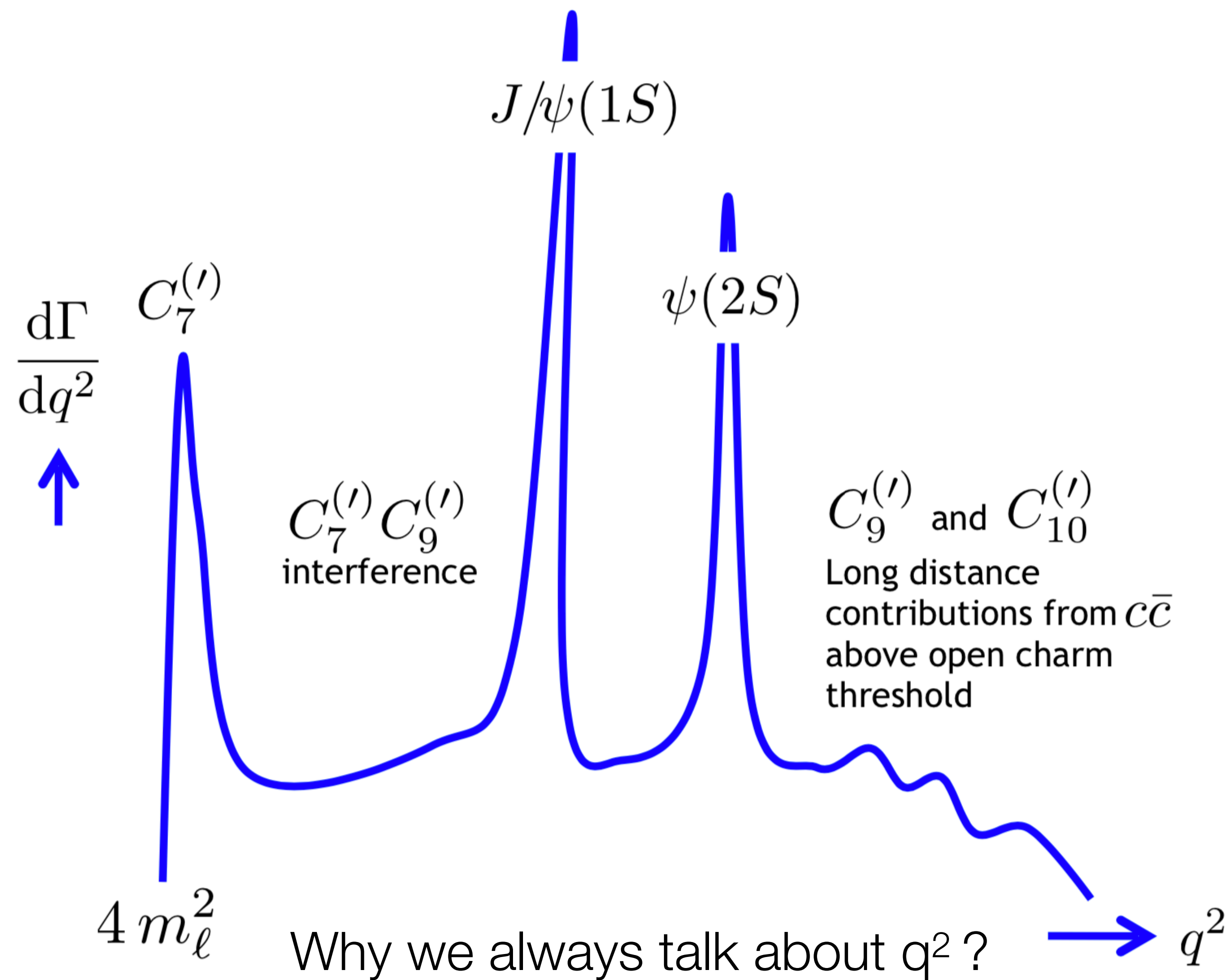
Effective Field Theory

$$\mathcal{H}_{\text{eff}} = \frac{G_F}{\sqrt{2}} \lambda^{\text{CKM}} \sum_i C_i \mathcal{O}_i + h.c.,$$

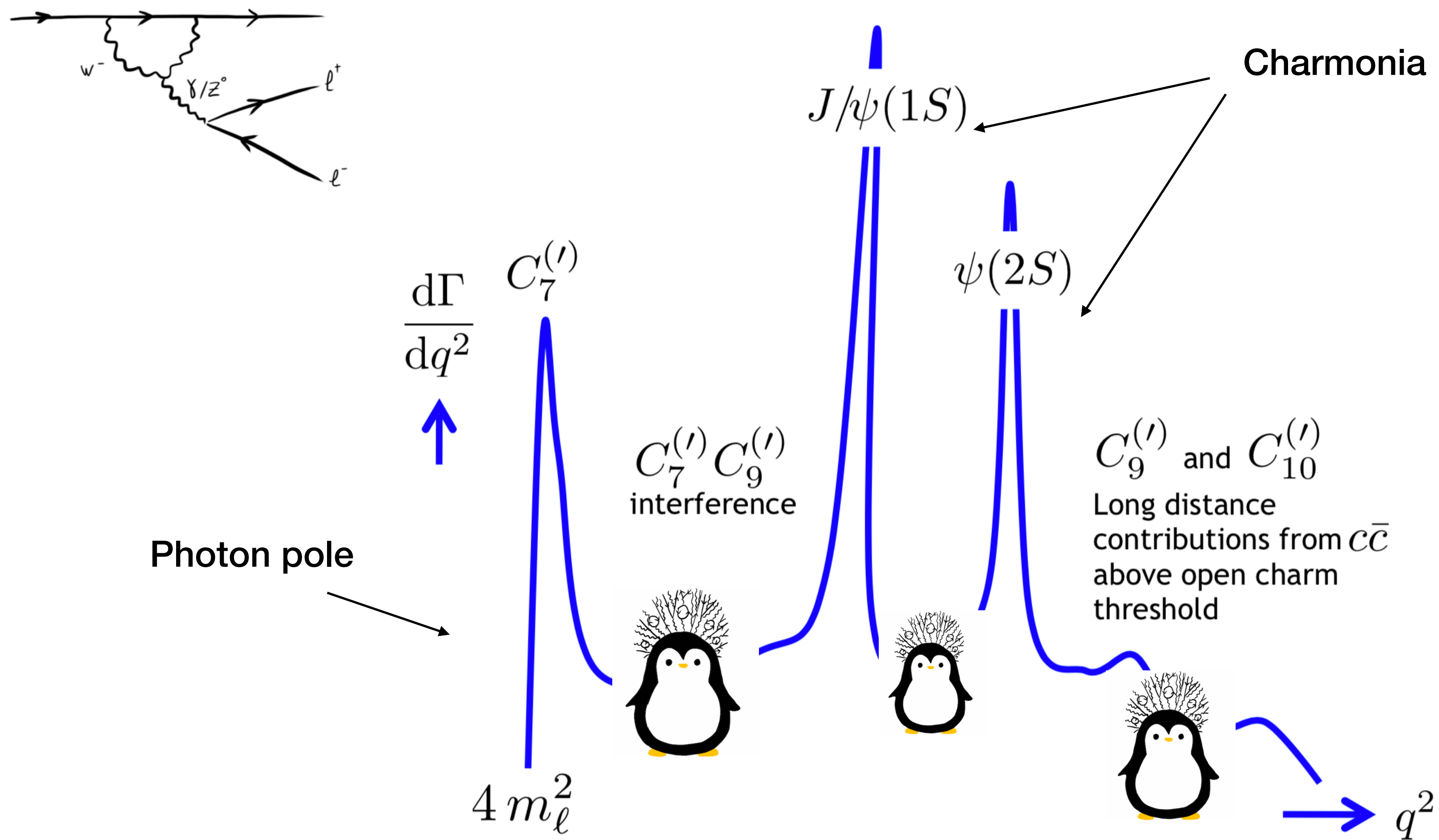
SD: Wilson coefficients + perturbative

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(LCSR, Lattice, etc.)

$$\mathcal{H}_{\text{eff}} = \frac{G_F}{\sqrt{2}} \lambda^{\text{CKM}} \sum_i C_i \mathcal{O}_i + h.c.,$$



$$\mathcal{H}_{\text{eff}} = \frac{G_F}{\sqrt{2}} \lambda^{\text{CKM}} \sum_i C_i \mathcal{O}_i + h.c.,$$



To summarize, the resulting Standard Model operator basis for FCNC processes (without leptons, for simplicity) contains the “current-current operators” (with $p = u, c$)

$$\begin{aligned} Q_1^{(p)} &= (\bar{s}_i p_i)_{V-A} (\bar{p}_j b_j)_{V-A}, \\ Q_2^{(p)} &= (\bar{s}_i p_j)_{V-A} (\bar{p}_j b_i)_{V-A}, \end{aligned} \quad (32)$$

the “QCD penguin operators”

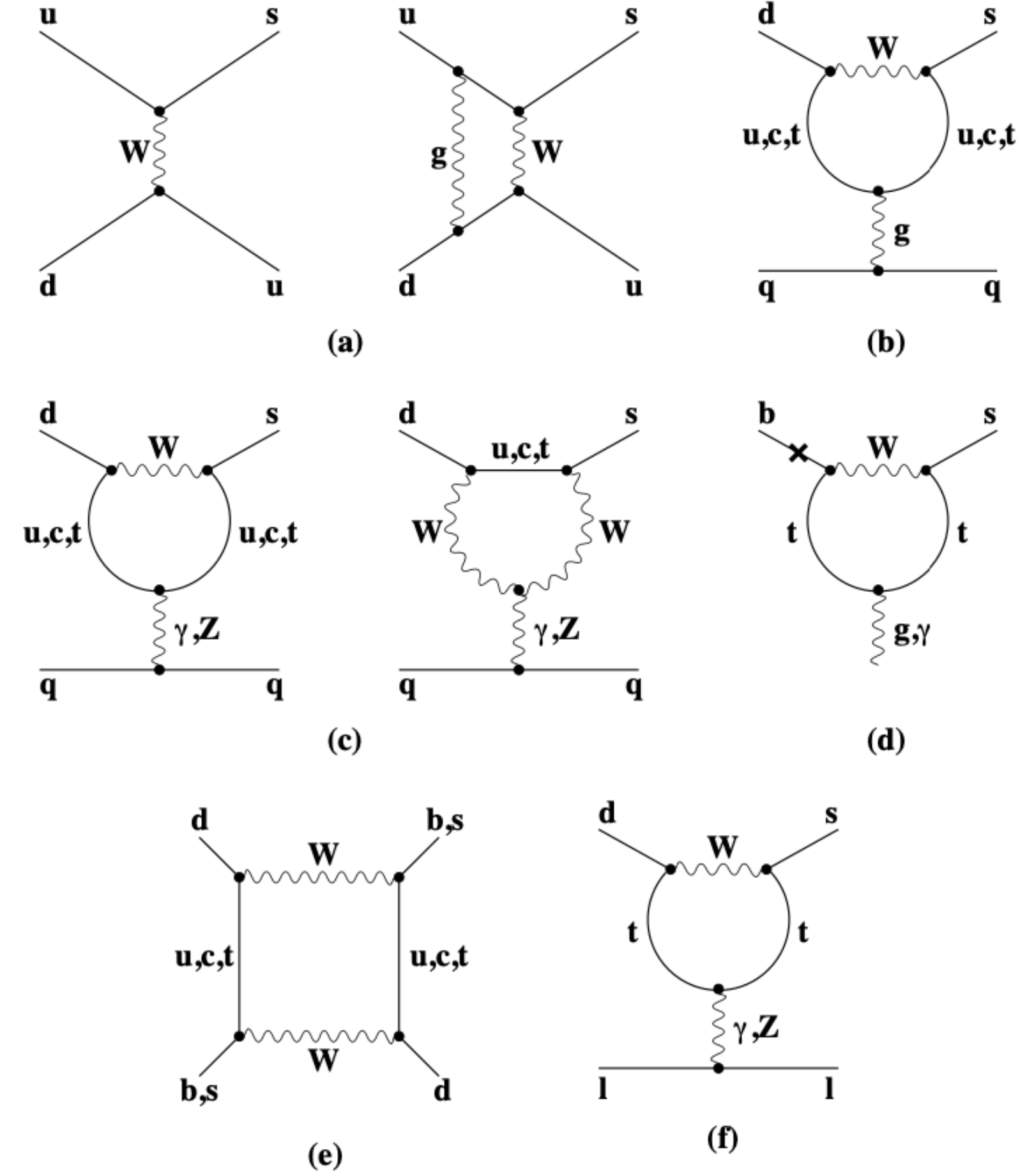
$$\begin{aligned} Q_3 &= (\bar{s}_i b_i)_{V-A} \sum_{q=u,d,s,c,b} (\bar{q}_j q_j)_{V-A}, \\ Q_4 &= (\bar{s}_i b_j)_{V-A} \sum_{q=u,d,s,c,b} (\bar{q}_j q_i)_{V-A}, \\ Q_5 &= (\bar{s}_i b_i)_{V-A} \sum_{q=u,d,s,c,b} (\bar{q}_j q_j)_{V+A}, \\ Q_6 &= (\bar{s}_i b_j)_{V-A} \sum_{q=u,d,s,c,b} (\bar{q}_j q_i)_{V+A}, \end{aligned} \quad (33)$$

the “electroweak penguin operators” (with e_q the electric charges of the quarks in units of $|e|$)

$$\begin{aligned} Q_7 &= (\bar{s}_i b_i)_{V-A} \sum_{q=u,d,s,c,b} \frac{3}{2} e_q (\bar{q}_j q_j)_{V+A}, \\ Q_8 &= (\bar{s}_i b_j)_{V-A} \sum_{q=u,d,s,c,b} \frac{3}{2} e_q (\bar{q}_j q_i)_{V+A}, \\ Q_9 &= (\bar{s}_i b_i)_{V-A} \sum_{q=u,d,s,c,b} \frac{3}{2} e_q (\bar{q}_j q_j)_{V-A}, \\ Q_{10} &= (\bar{s}_i b_j)_{V-A} \sum_{q=u,d,s,c,b} \frac{3}{2} e_q (\bar{q}_j q_i)_{V-A}, \end{aligned} \quad (34)$$

and the electromagnetic and chromo-magnetic dipole operators

$$\begin{aligned} Q_{7\gamma} &= -\frac{em_b}{8\pi^2} \bar{s}_L \sigma_{\mu\nu} F^{\mu\nu} b_R, \\ Q_{8g} &= -\frac{g_s m_b}{8\pi^2} \bar{s}_L \sigma_{\mu\nu} G_a^{\mu\nu} t_a b_R. \end{aligned} \quad (35)$$



The unitarity of the CKM matrix implies $\lambda_u + \lambda_c + \lambda_t = 0$, where $\lambda_p \equiv V_{pb}V_{ps}^*$. We will use this relation to eliminate CKM factors involving couplings of the top quark. Note also that in the limit $m_u = m_c = 0$ (which is justified at dimension-6 order) the penguin graphs always involve $\lambda_t = -(\lambda_u + \lambda_c)$. The final result for the effective weak Lagrangian reads

$$\mathcal{L}_{\text{eff}} = -\frac{G_F}{\sqrt{2}} \left[\sum_{p=u,c} \lambda_p \left(C_1 Q_1^{(p)} + C_2 Q_2^{(p)} \right) + \sum_{i=3,\dots,10,7\gamma,8g} (\lambda_u + \lambda_c) C_i Q_i \right]. \quad (36)$$

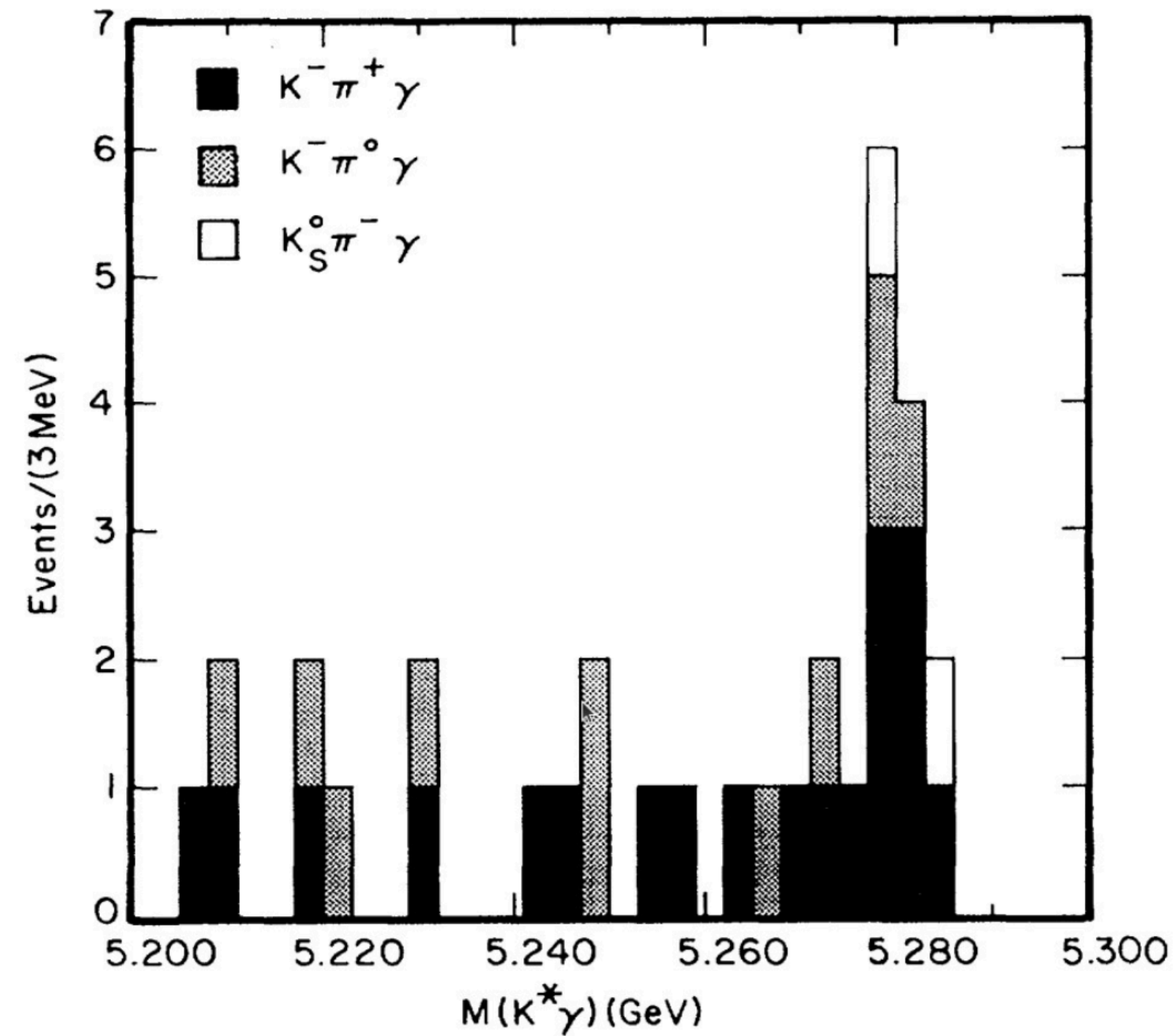
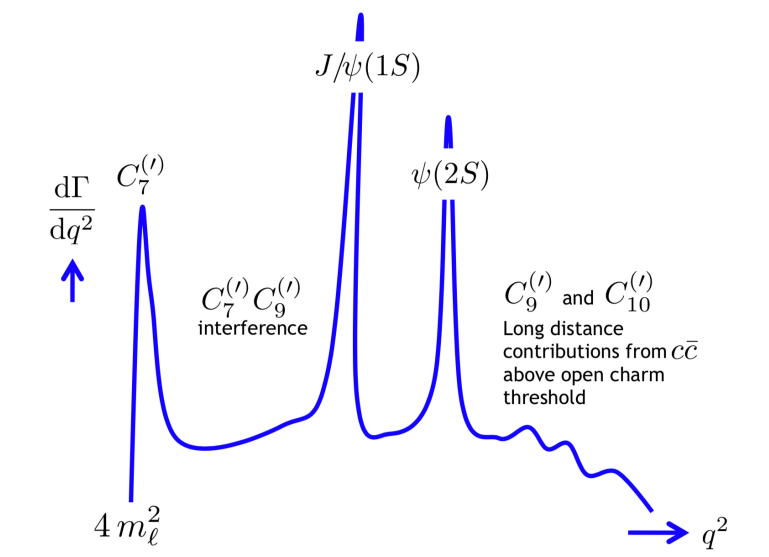
16

Note that

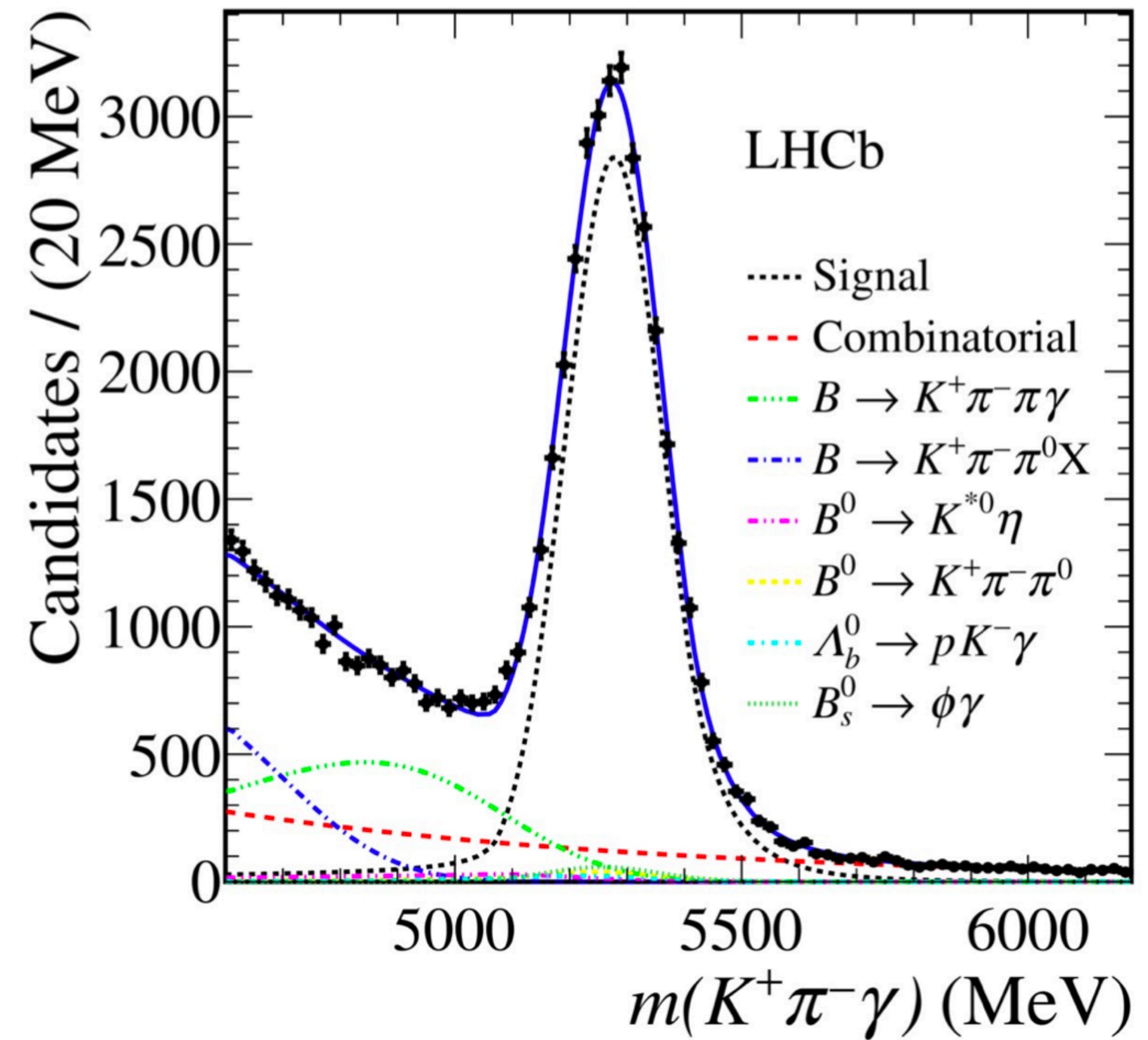
$$\frac{\lambda_u}{\lambda_c} = \frac{V_{ub}V_{us}^*}{V_{cb}V_{cs}^*} \sim e^{-i\gamma} \quad (37)$$

has a non-zero, relative CP-violating phase. This allows for the phenomenon of CP violation from amplitude interference in FCNC processes – a phenomenon that is currently being studied extensively at the B -factories (see, e.g., [1]).

Photon pole - family of radiative decays



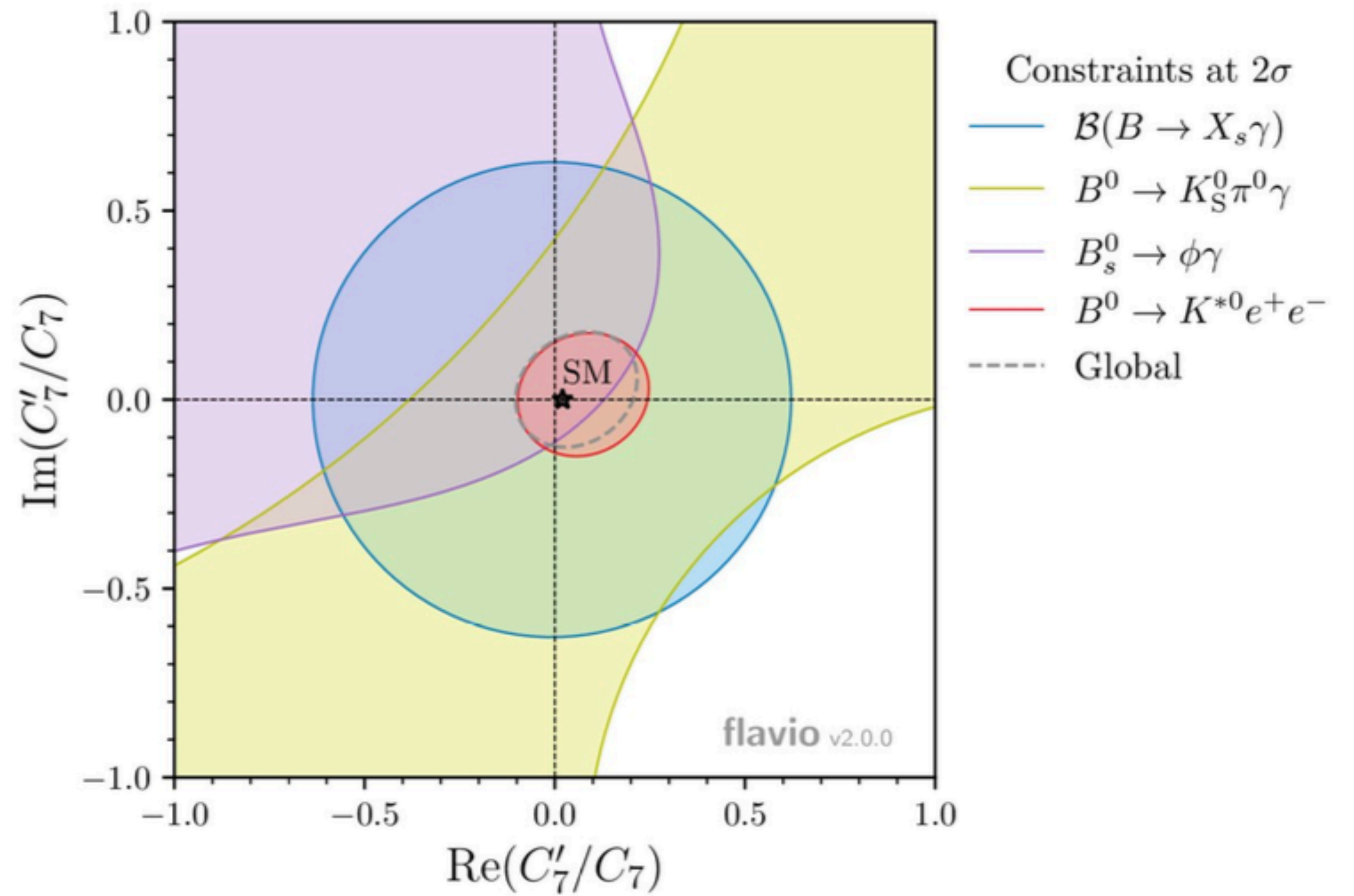
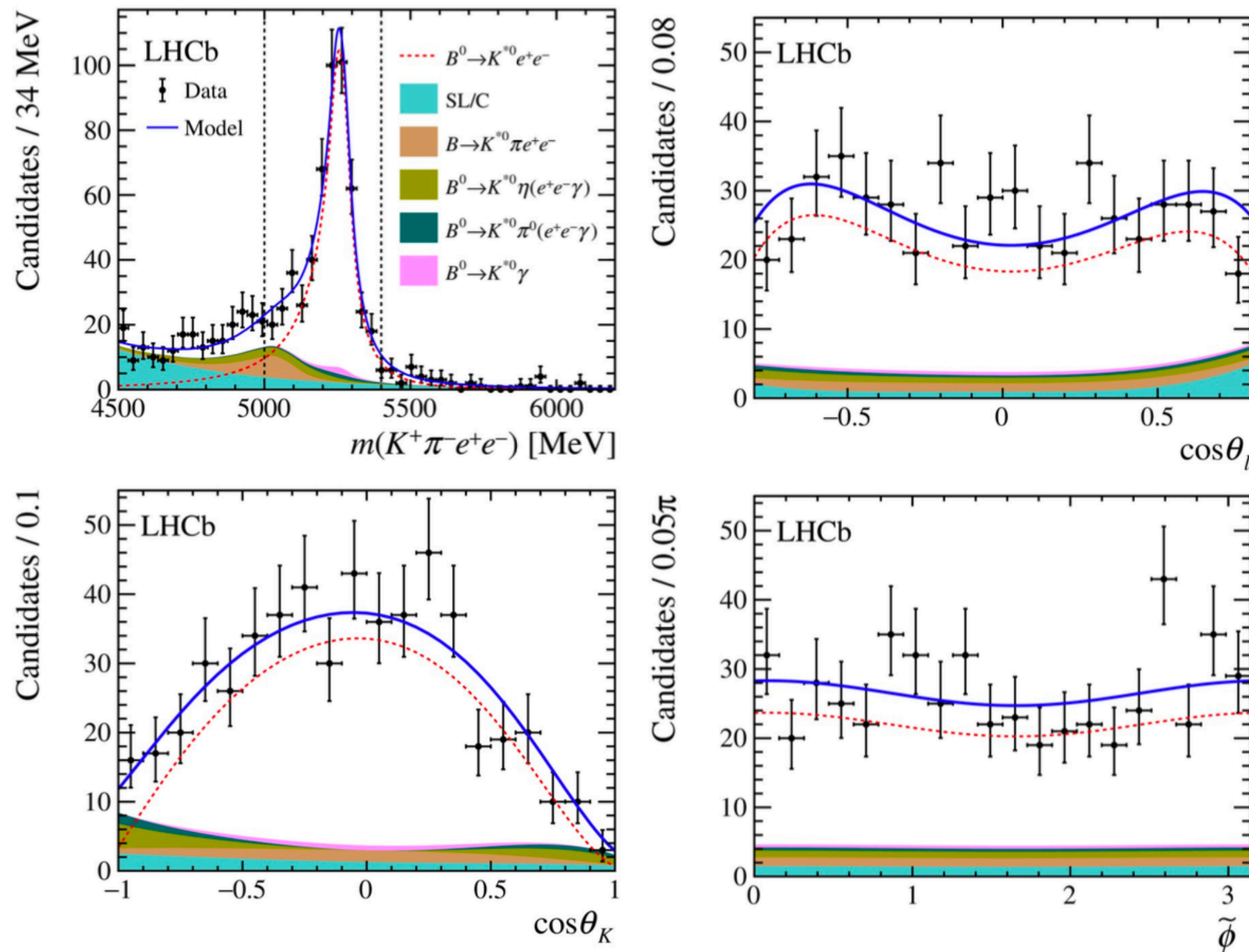
CLEO, PRL 71 (1993) 674



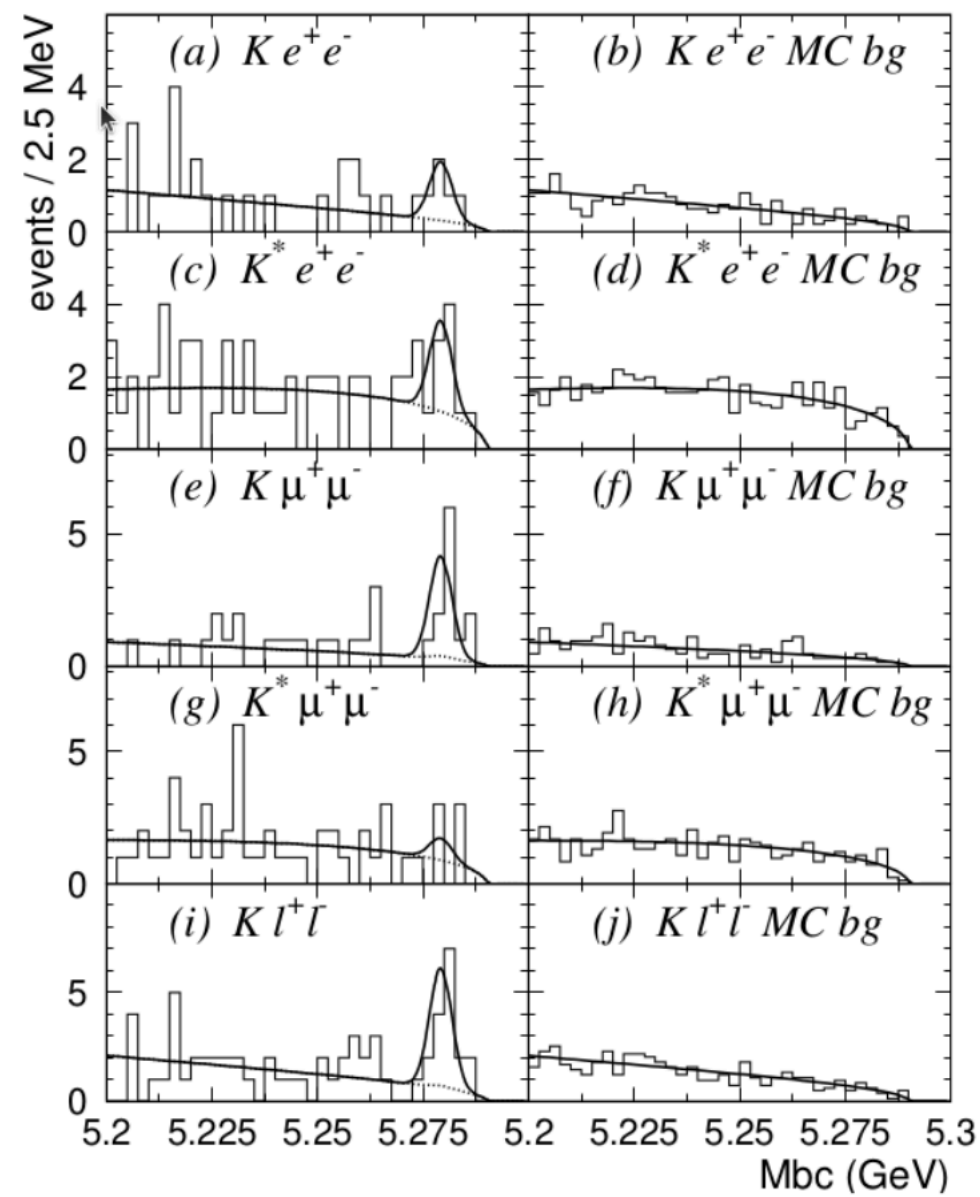
LHCb, PRL 123 (2019) 031801

A glimpse of what goes on here

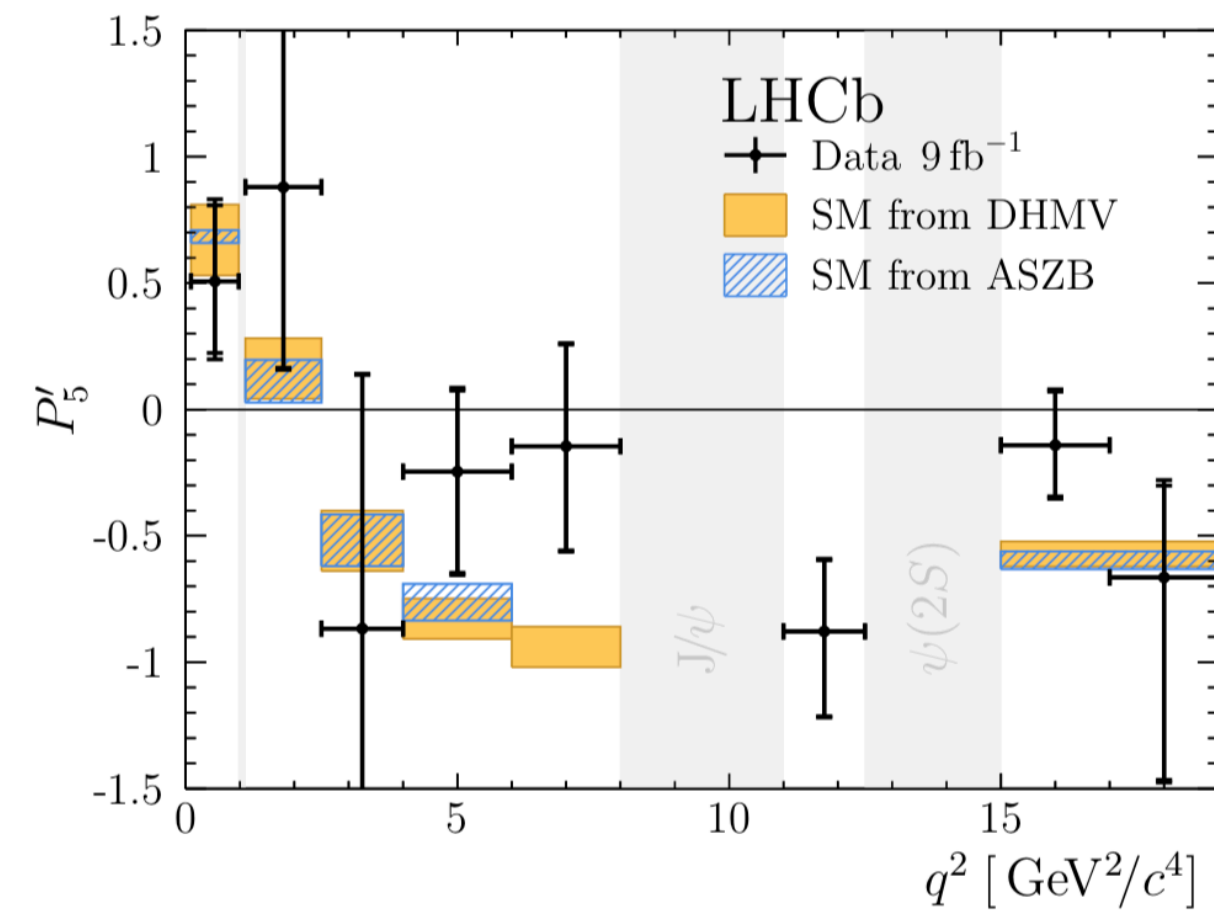
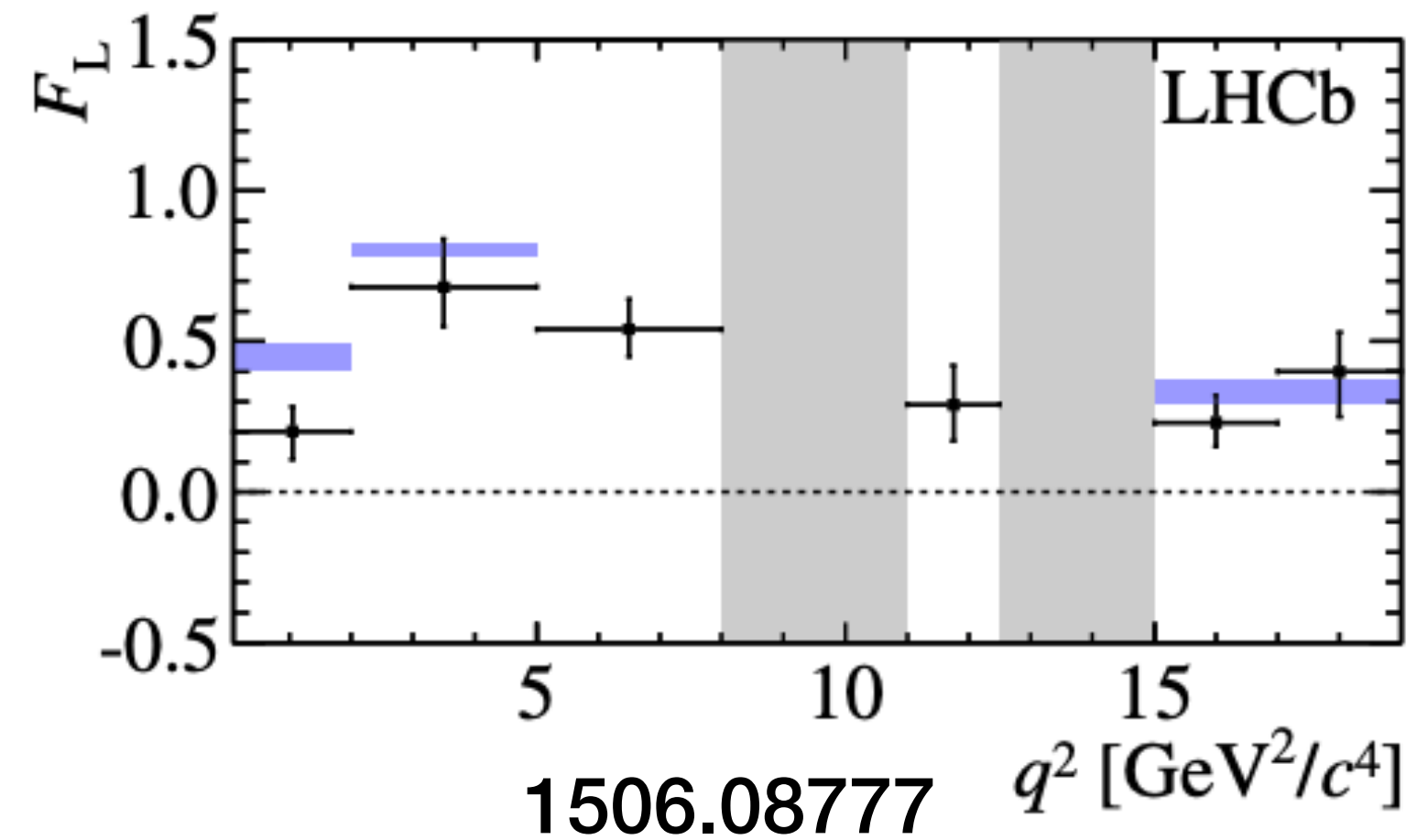
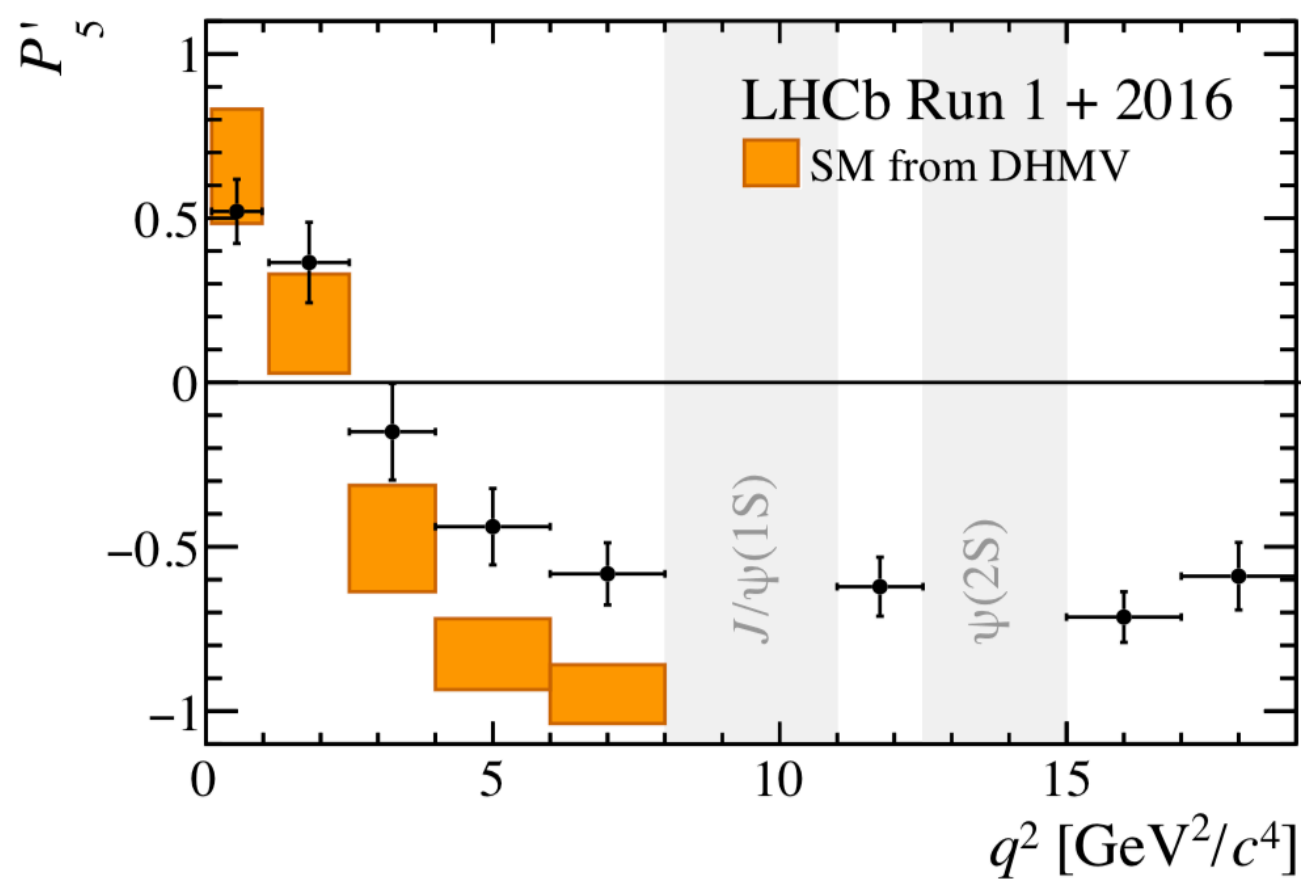
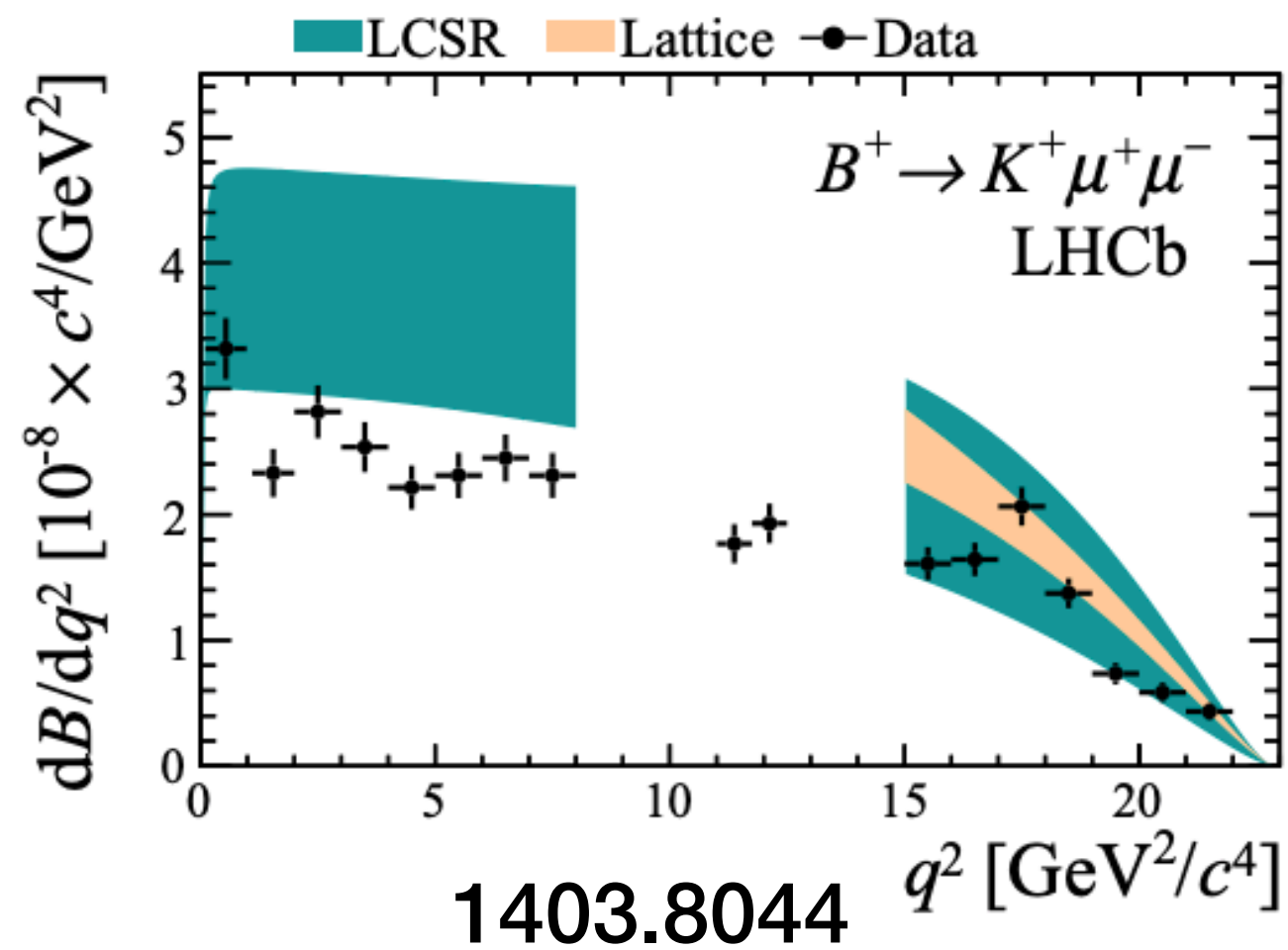
$B^0 \rightarrow K^{*0} e^+ e^-$
Very low q^2



A collection of tensions



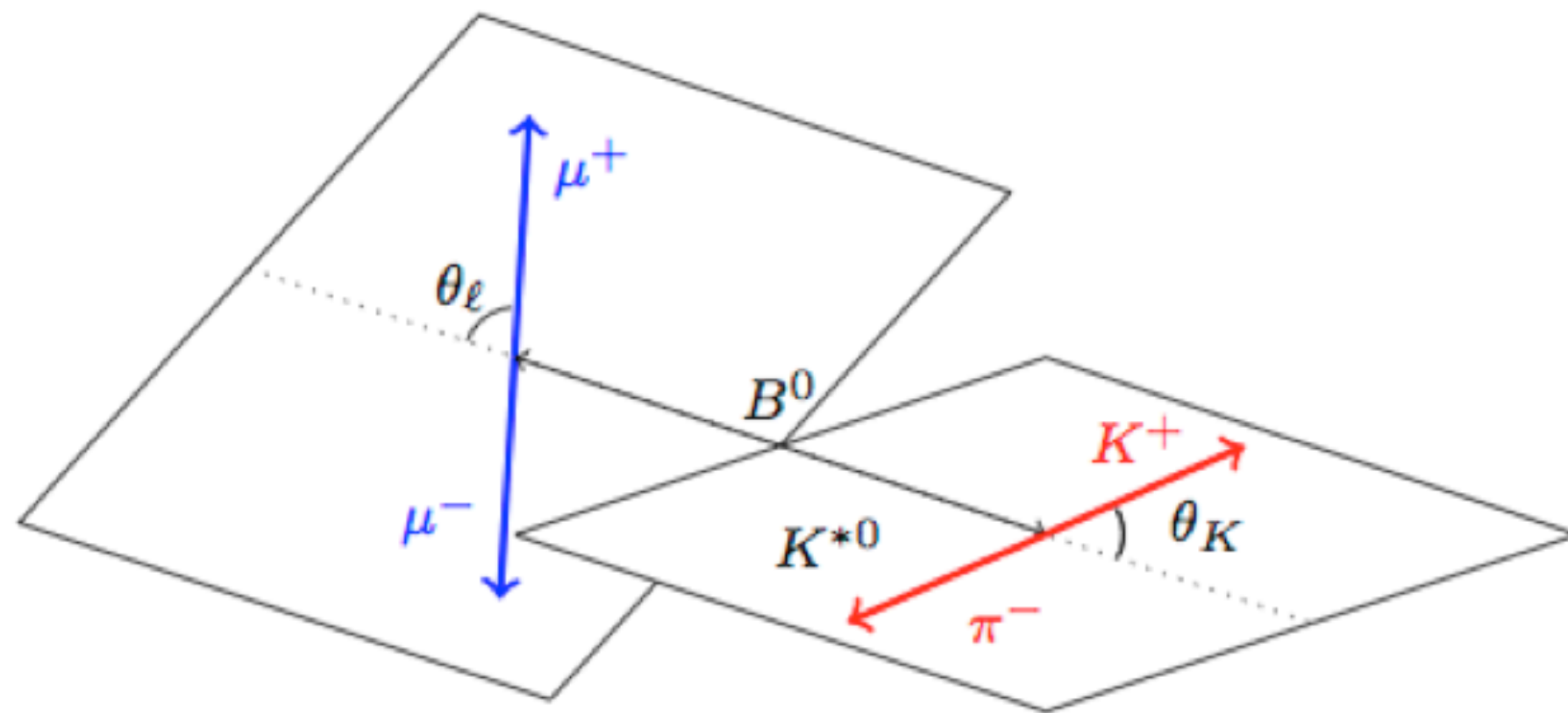
Belle, PRL 88 (2002) 021801



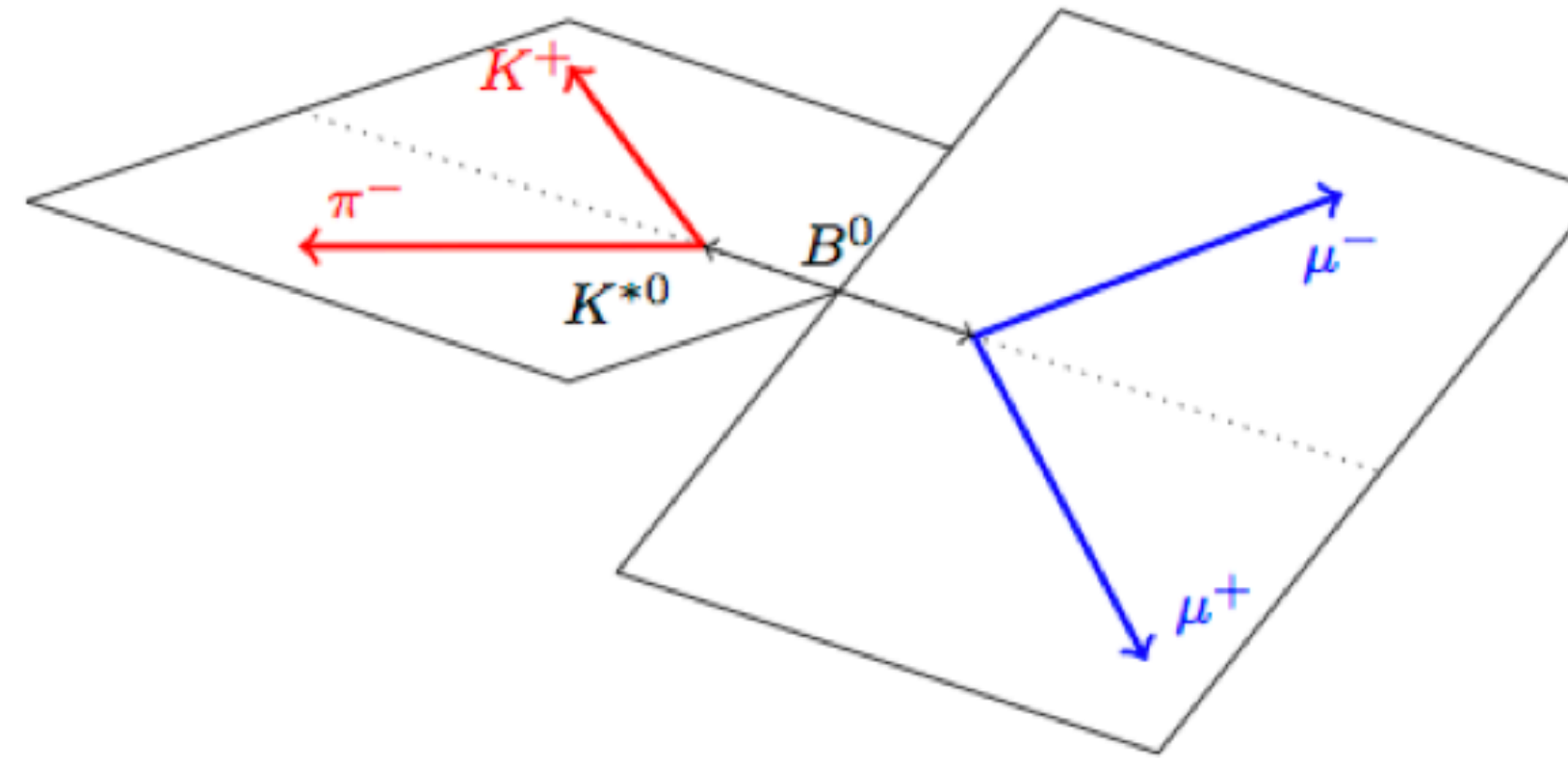
$d\Gamma/dq^2, F_L, P'_5, \dots$

Large effort to develop optimised variables to cancel hadronic uncertainties from LD.

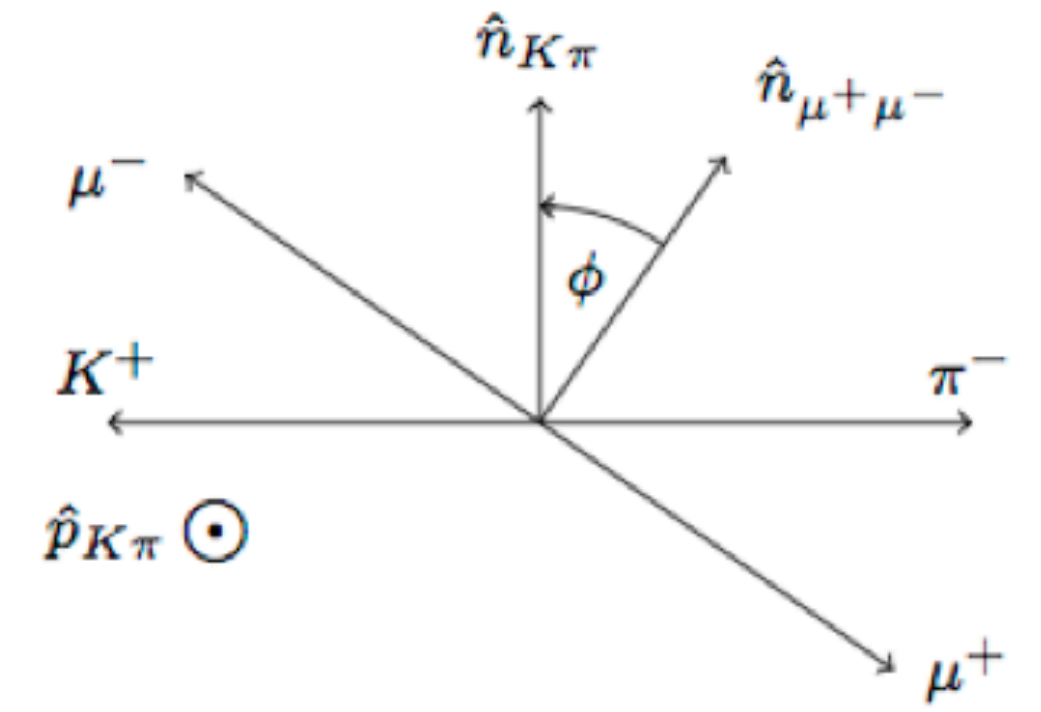
$K^*\mu\mu$ the cool kid on the block



(a) θ_K and θ_ℓ definitions for the B^0 decay



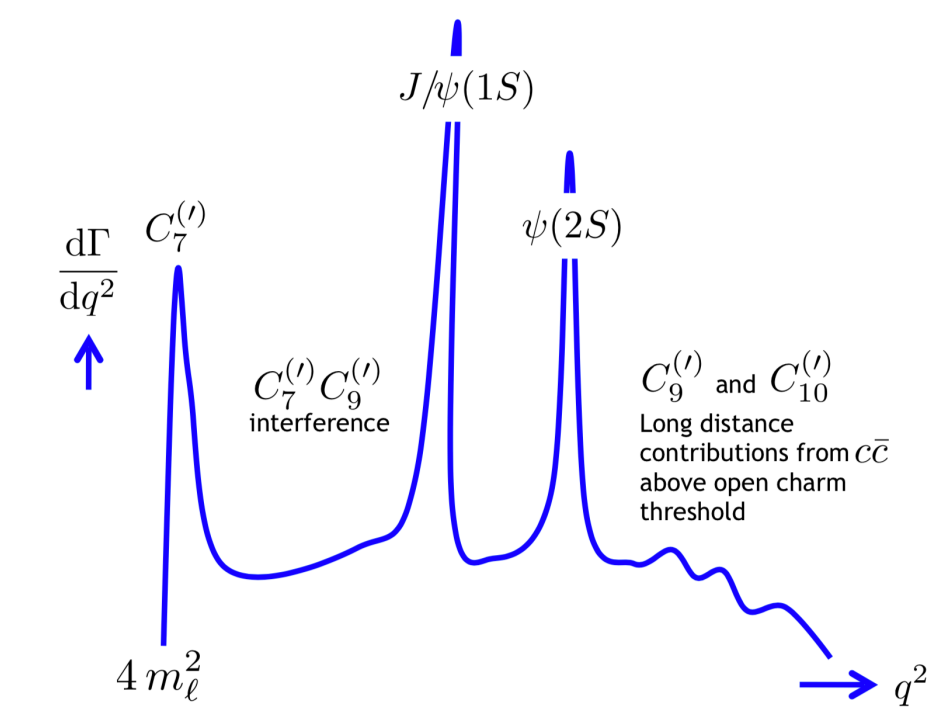
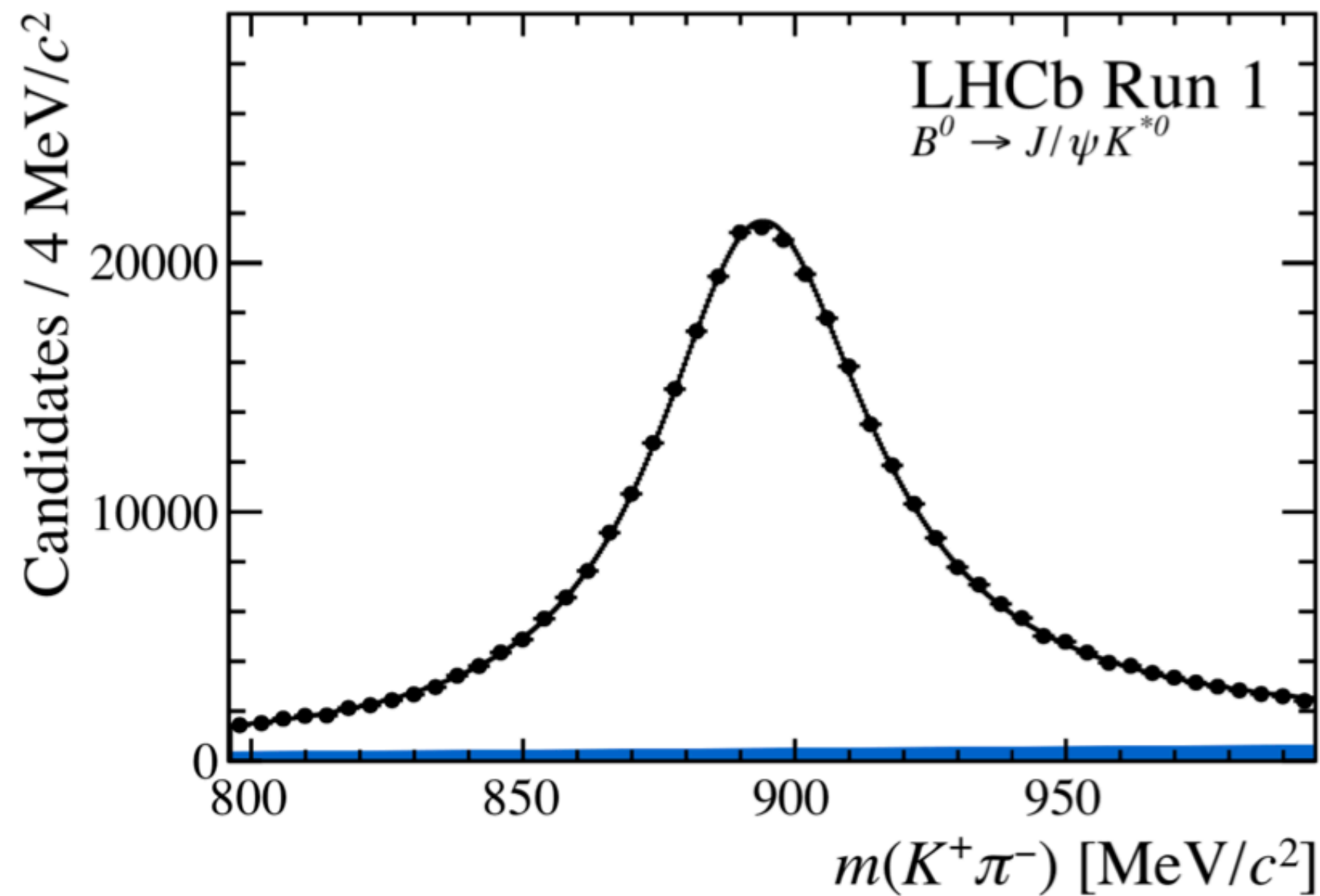
(b) ϕ definition for the B^0 decay



The helicity basis

The K^* meson is a vector with spin 1: 3 polarisations

This allows for a rich angular structure



Narrow bins

Bin	q^2 range [GeV^2/c^4]
1	[0.1, 0.98]
2	[1.1, 2.5]
3	[2.5, 4.0]
4	[4.0, 6.0]
5	[6.0, 8.0]
6	[11.0, 12.5]
7	[15.0, 17.0]
8	[17.0, 19.0]
9	[1.1, 6.0]
10	[15.0, 19.0]

Wide bins

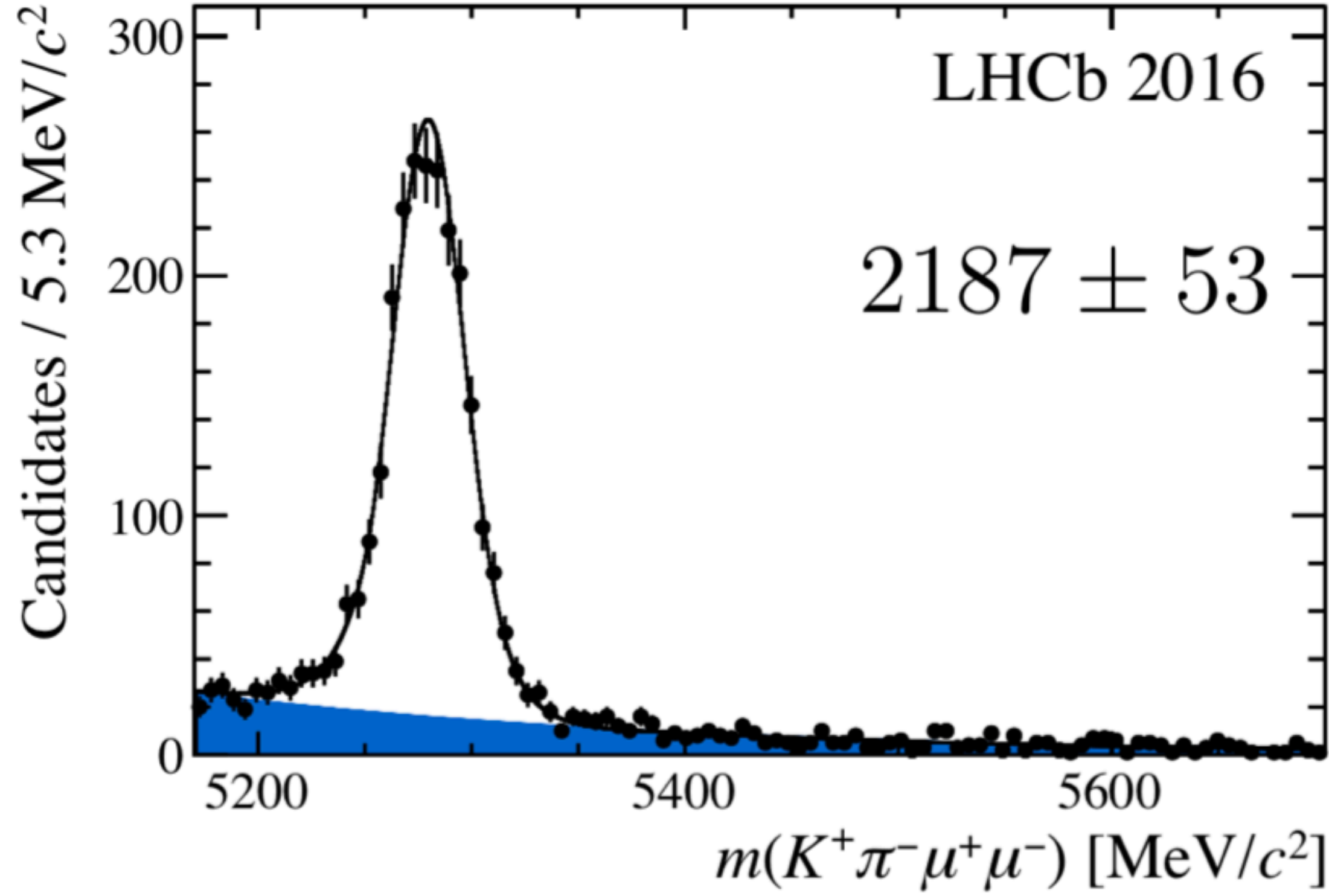
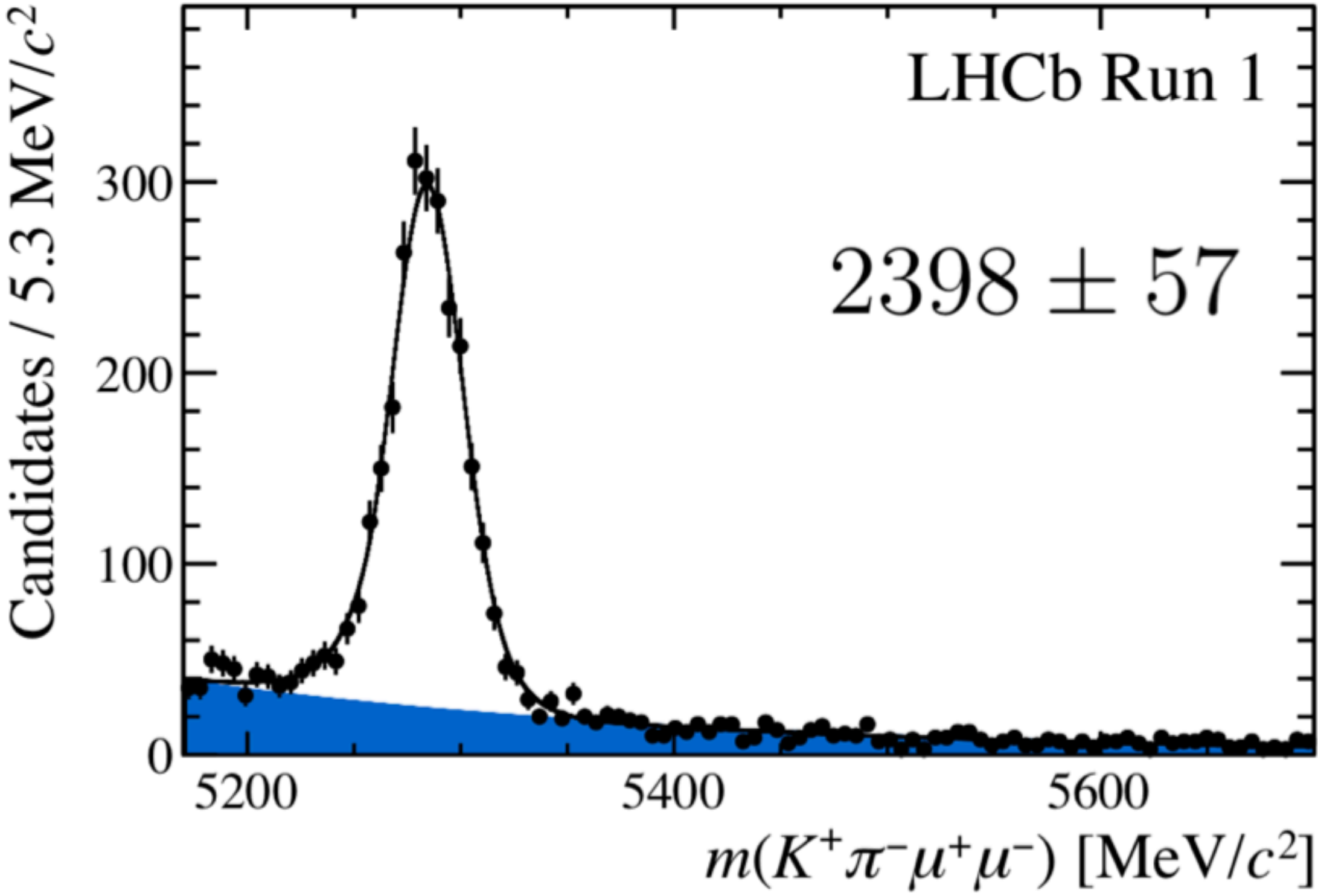
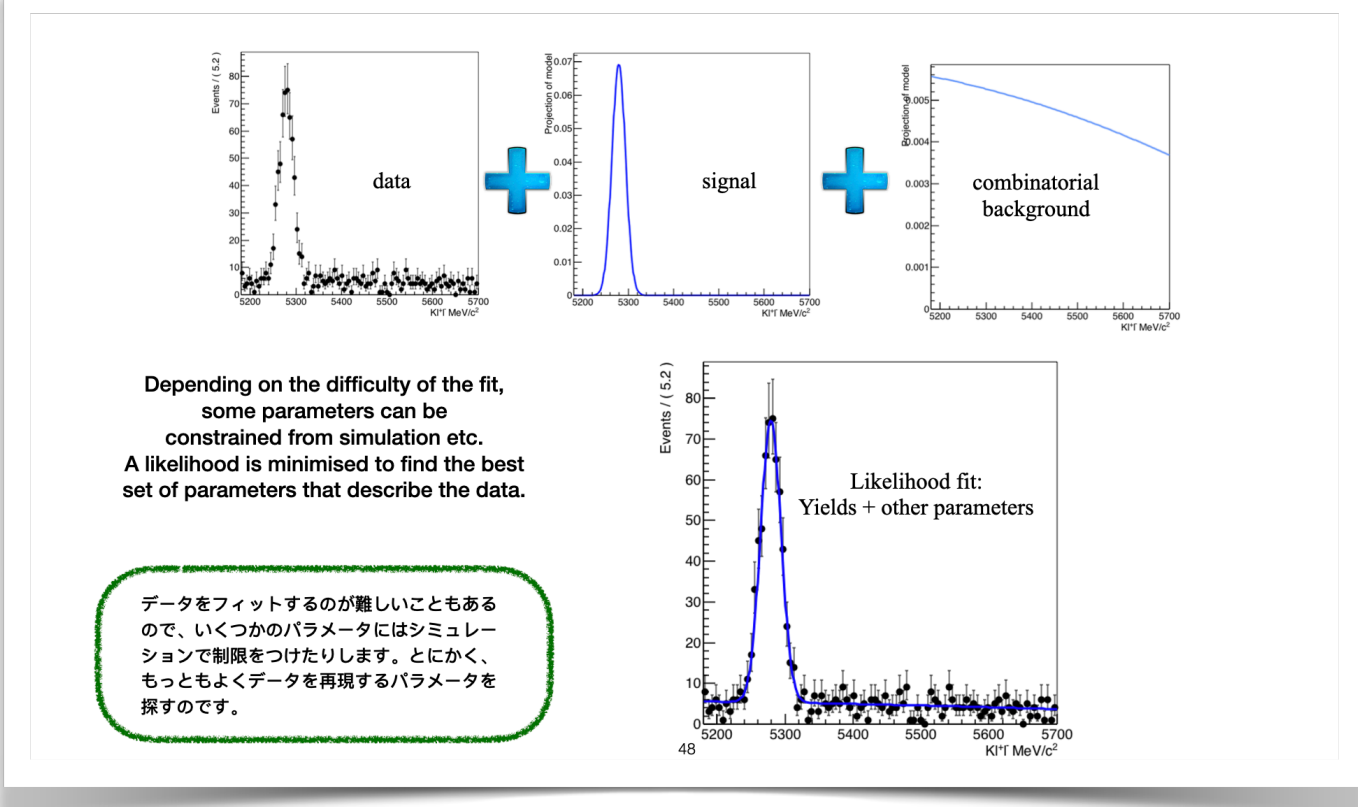
$B^0 \rightarrow K^{*0} \phi(1020) (\rightarrow \mu^+ \mu^-)$

Control channel

[8.0, 11.0] GeV^2/c^4
 $B^0 \rightarrow K^{*0} J/\psi (\rightarrow \mu^+ \mu^-)$

$B^0 \rightarrow K^{*0} \psi(2S) (\rightarrow \mu^+ \mu^-)$

The signal - it's a very rare decay yes, but this is very clean.



$$\frac{d^4\Gamma[\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-]}{dq^2 d\vec{\Omega}} = \frac{9}{32\pi} \sum_i \underbrace{I_i(q^2)}_{\text{angular coefficients}} \underbrace{f_i(\vec{\Omega})}_{\text{angular functions}}$$

angular coefficients angular functions

- Angular coefficients are combinations of the different K^{*0} amplitudes

i	$I_i(q^2)$	$f_i(\vec{\Omega})$
1s	$\frac{3}{4} [\mathcal{A}_{\parallel}^L ^2 + \mathcal{A}_{\perp}^L ^2 + \mathcal{A}_{\parallel}^R ^2 + \mathcal{A}_{\perp}^R ^2]$	$\sin^2 \theta_K$
1c	$ \mathcal{A}_0^L ^2 + \mathcal{A}_0^R ^2$	$\cos^2 \theta_K$
2s	$\frac{1}{4} [\mathcal{A}_{\parallel}^L ^2 + \mathcal{A}_{\perp}^L ^2 + \mathcal{A}_{\parallel}^R ^2 + \mathcal{A}_{\perp}^R ^2]$	$\sin^2 \theta_K \cos 2\theta_l$
2c	$- \mathcal{A}_0^L ^2 - \mathcal{A}_0^R ^2$	$\cos^2 \theta_K \cos 2\theta_l$
3	$\frac{1}{2} [\mathcal{A}_{\perp}^L ^2 - \mathcal{A}_{\parallel}^L ^2 + \mathcal{A}_{\perp}^R ^2 - \mathcal{A}_{\parallel}^R ^2]$	$\sin^2 \theta_K \sin^2 \theta_l \cos 2\phi$

The number of amplitudes will depend on the spin structure

- The K^{*0} **amplitudes** are in turn dependent on **Wilson coefficients** and **form factors (non-perturbative QCD)**

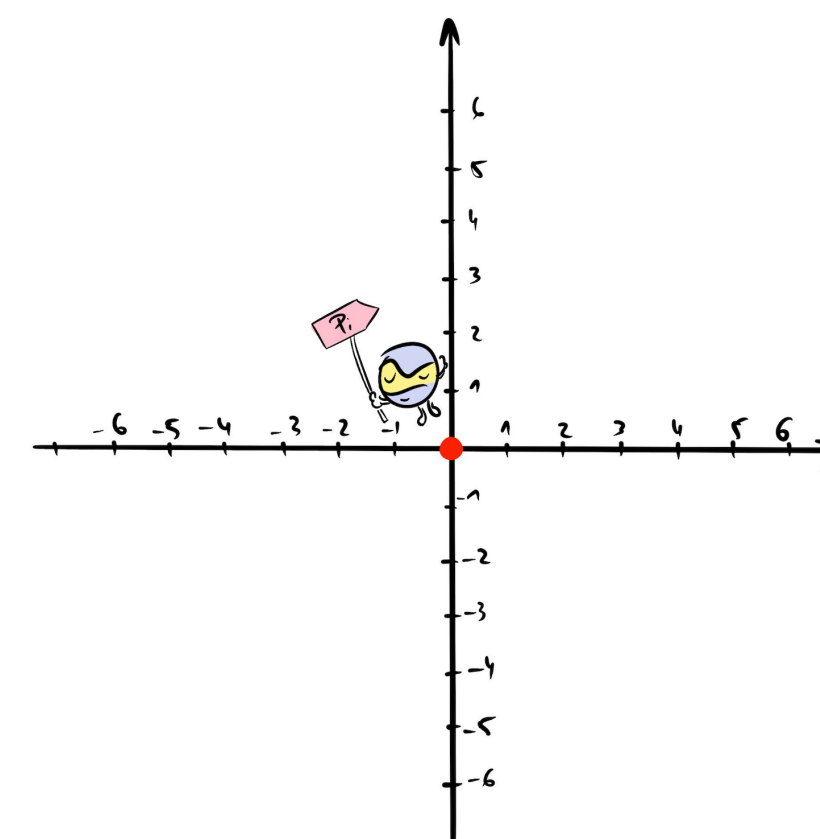
$$\begin{aligned}
 \mathcal{A}_{\perp}^{L(R)} &= \mathcal{N}\sqrt{2\lambda} \left\{ [(C_9^{\text{eff}} + C_9'^{\text{eff}}) \mp (C_{10}^{\text{eff}} + C_{10}'^{\text{eff}})] \frac{V(q^2)}{m_B + m_{K^*}} + \frac{2m_b}{q^2} (C_7^{\text{eff}} + C_7'^{\text{eff}}) T_1(q^2) \right\} \\
 \mathcal{A}_{\parallel}^{L(R)} &= -\mathcal{N}\sqrt{2}(m_B^2 - m_{K^*}^2) \left\{ [(C_9^{\text{eff}} - C_9'^{\text{eff}}) \mp (C_{10}^{\text{eff}} - C_{10}'^{\text{eff}})] \frac{A_1(q^2)}{m_B - m_{K^*}} \right. \\
 &\quad \left. + \frac{2m_b}{q^2} (C_7^{\text{eff}} - C_7'^{\text{eff}}) T_2(q^2) \right\} \\
 \mathcal{A}_0^{L(R)} &= -\frac{\mathcal{N}}{2m_{K^*}\sqrt{q^2}} \left\{ [(C_9^{\text{eff}} - C_9'^{\text{eff}}) \mp (C_{10}^{\text{eff}} - C_{10}'^{\text{eff}})] \right. \\
 &\quad \times [(m_B^2 - m_{K^*}^2 - q^2)(m_B + m_{K^*}) A_1(q^2) - \lambda \frac{A_2(q^2)}{m_B + m_{K^*}}] \\
 &\quad \left. + 2m_b (C_7^{\text{eff}} - C_7'^{\text{eff}}) [(m_B^2 + 3m_{K^*}^2 - q^2) T_2(q^2) - \frac{\lambda}{m_B^2 - m_{K^*}^2} T_3(q^2)] \right\}
 \end{aligned}$$

JHEP 0901:019,2009

We meet again our favorite Wilson coefficients and form factors

But how do we relate the amplitude with what we fit in the data ?

First we have to pick a basis



For this decay we encounter often two the S_i basis and the P_i basis.

For the curious there a number of pheno packages where the amplitudes are already coded if you want to play with them Flavio, EOS, et al.

S_i basis

8 CP-averaged observables are extracted from the fit

$$\frac{1}{d(\Gamma + \bar{\Gamma})/dq^2} \frac{d(\Gamma + \bar{\Gamma})}{d\cos\theta_l d\cos\theta_K d\phi} \Big|_P = \frac{9}{32\pi} \left[\frac{3}{4}(1 - F_L) \sin^2 \theta_K \right. \quad (29)$$

$$+ F_L \cos^2 \theta_K + \frac{1}{4}(1 - F_L) \sin^2 \theta_K \cos 2\theta_l$$

$$- F_L \cos^2 \theta_K \cos 2\theta_l + S_3 \sin^2 \theta_K \sin^2 \theta_l \cos 2\phi$$

$$+ S_4 \sin 2\theta_K \sin 2\theta_l \cos \phi + S_5 \sin 2\theta_K \sin \theta_l \cos \phi$$

$$+ \frac{4}{3} A_{FB} \sin^2 \theta_K \cos \theta_l + S_7 \sin 2\theta_K \sin \theta_l \sin \phi$$

$$\left. + S_8 \sin 2\theta_K \sin 2\theta_l \sin \phi + S_9 \sin^2 \theta_K \sin^2 \theta_l \sin 2\phi \right].$$

F_L : fraction of longitudinal polarisation of the K^{*0}

A_{FB} : forward-backward asymmetry of dimuon system

$P_i^{(l)}$ basis : *Reparameterise the fit to obtain optimised observables:*
form factor uncertainties cancel at first order

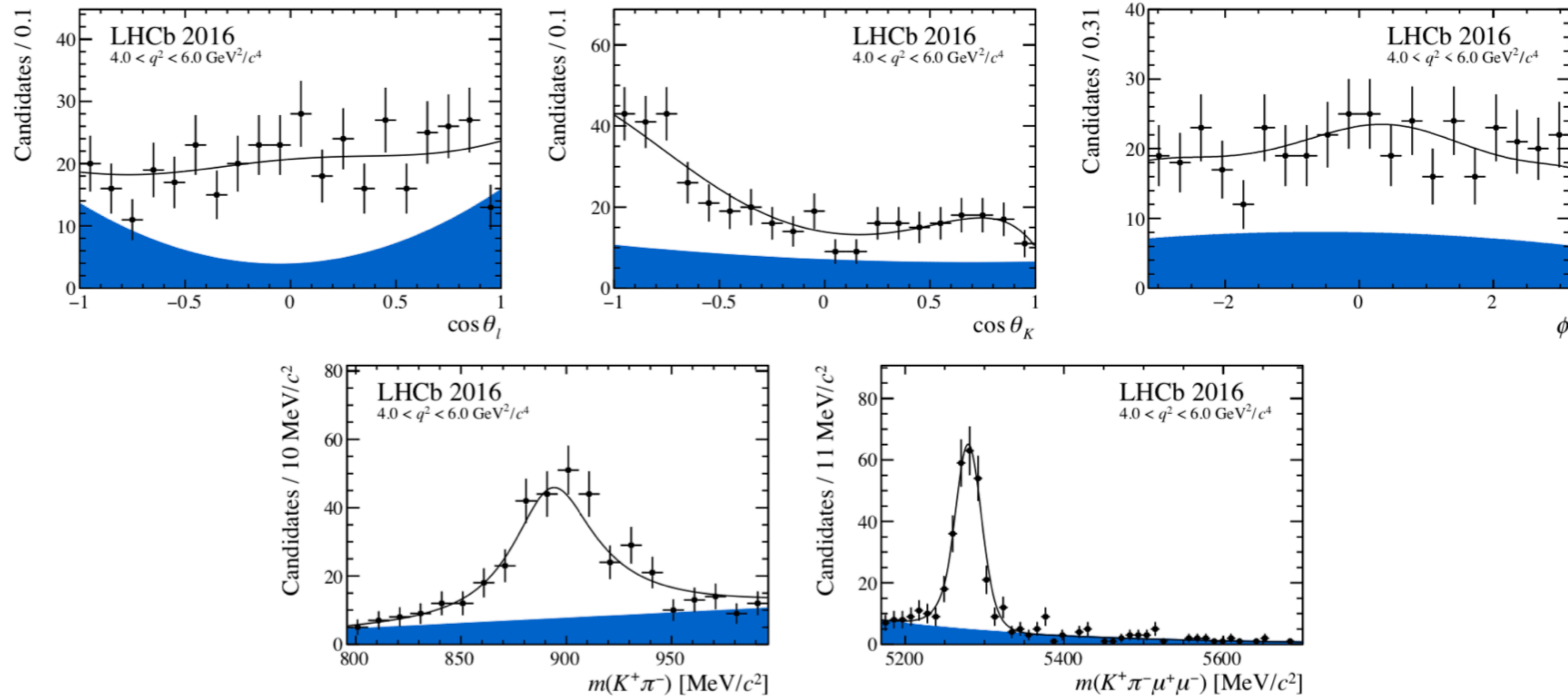
JHEP 12 (2014) 125, JHEP 09 (2010) 089

7 CP-averaged observables are extracted from the fit (+ F_L)

Extracted by
 reparametrising the
 fit PDF in this basis

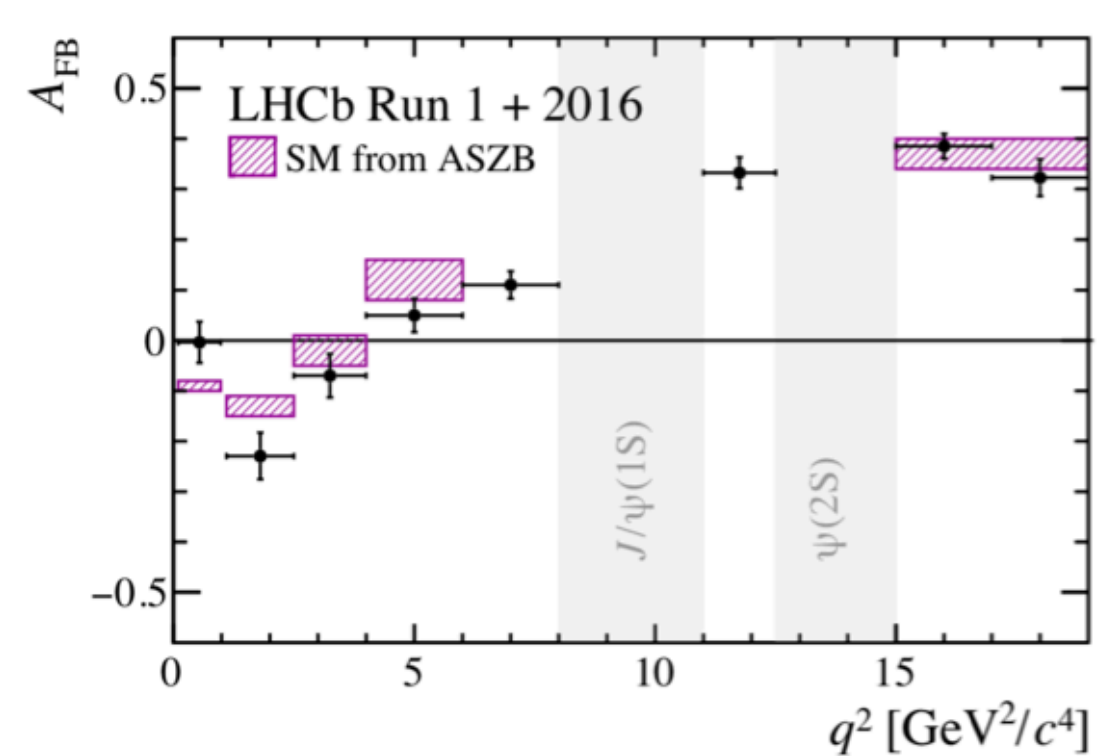
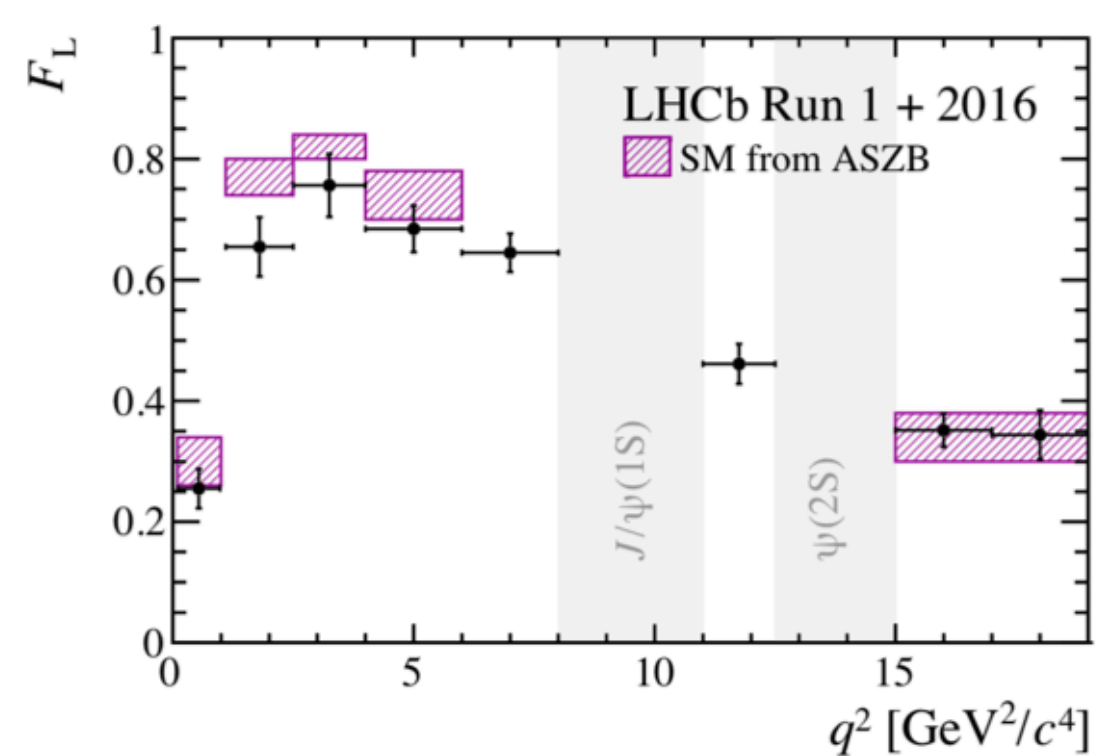
$$\begin{aligned}
 P_1 &= \frac{2 S_3}{(1 - F_L)} = A_T^{(2)} \frac{|A_\perp|^2 - |A_\parallel|^2}{|A_\perp|^2 + |A_\parallel|^2} \\
 P_2 &= \frac{2 A_{\text{FB}}}{3 (1 - F_L)}, \\
 P_3 &= \frac{-S_9}{(1 - F_L)}, \\
 P'_{4,5,8} &= \frac{S_{4,5,8}}{\sqrt{F_L(1 - F_L)}}, \\
 P'_6 &= \frac{S_7}{\sqrt{F_L(1 - F_L)}}.
 \end{aligned}$$

Fast forward to the results skipping all the lovely details about angular acceptance, simulation reweighing, systematic uncertainties, statistical coverage etc.

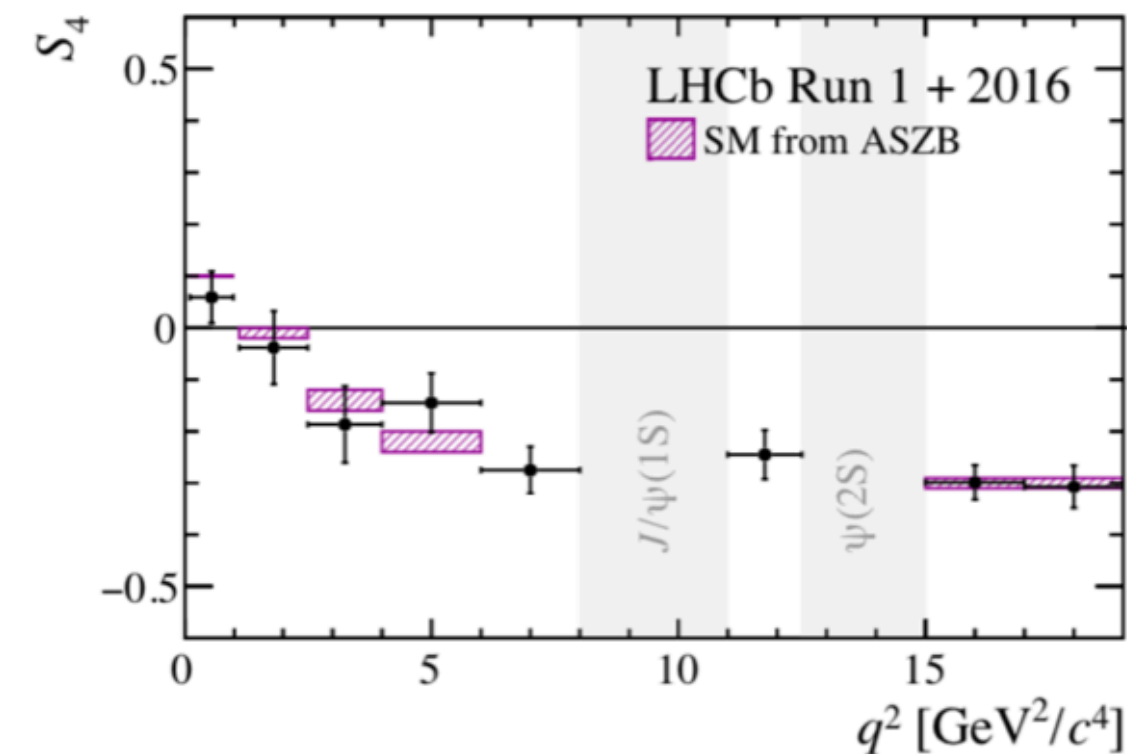
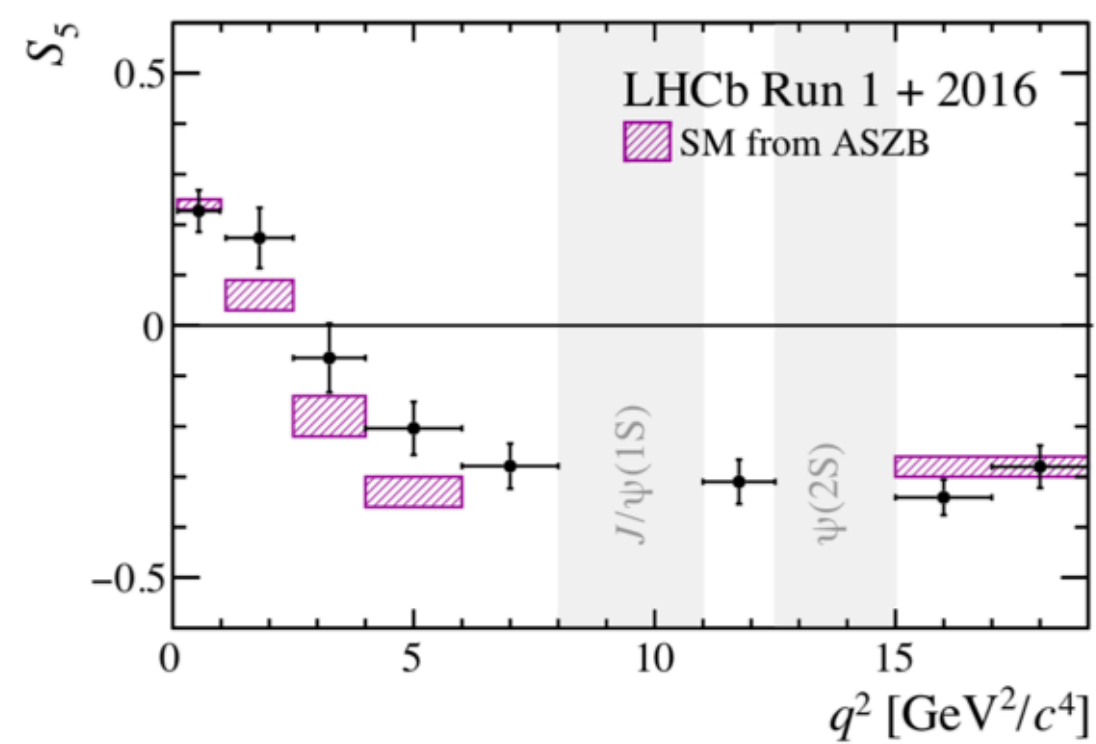


Fit projections for the bin $4.0 < q^2 < 6.0 \text{ GeV}^2/c^4$ for 2016 data

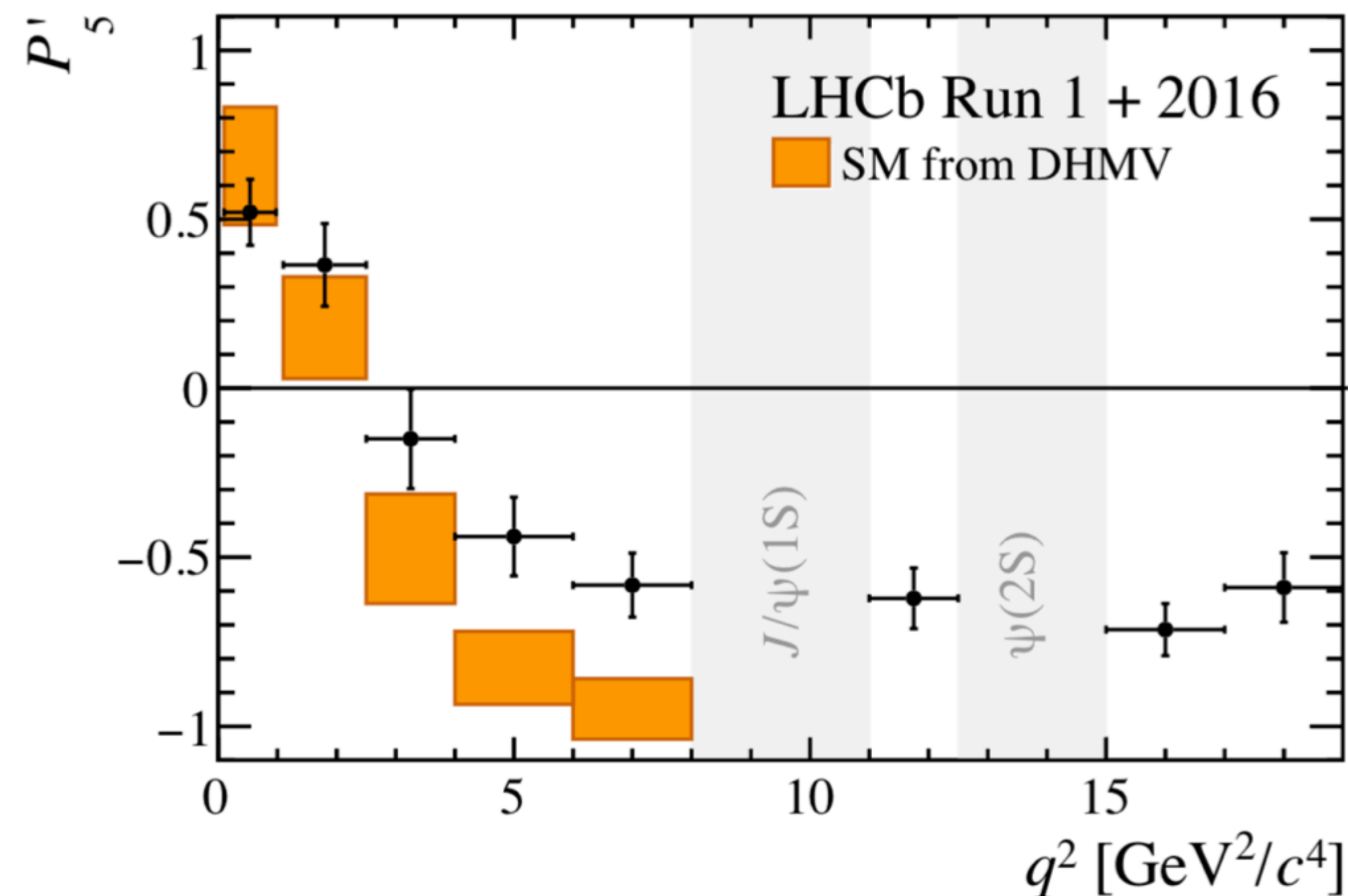
Some example of the results



Theory predictions
from JHEP 08 (2016)
098, Eur. Phys. J. C75
(2015) 382

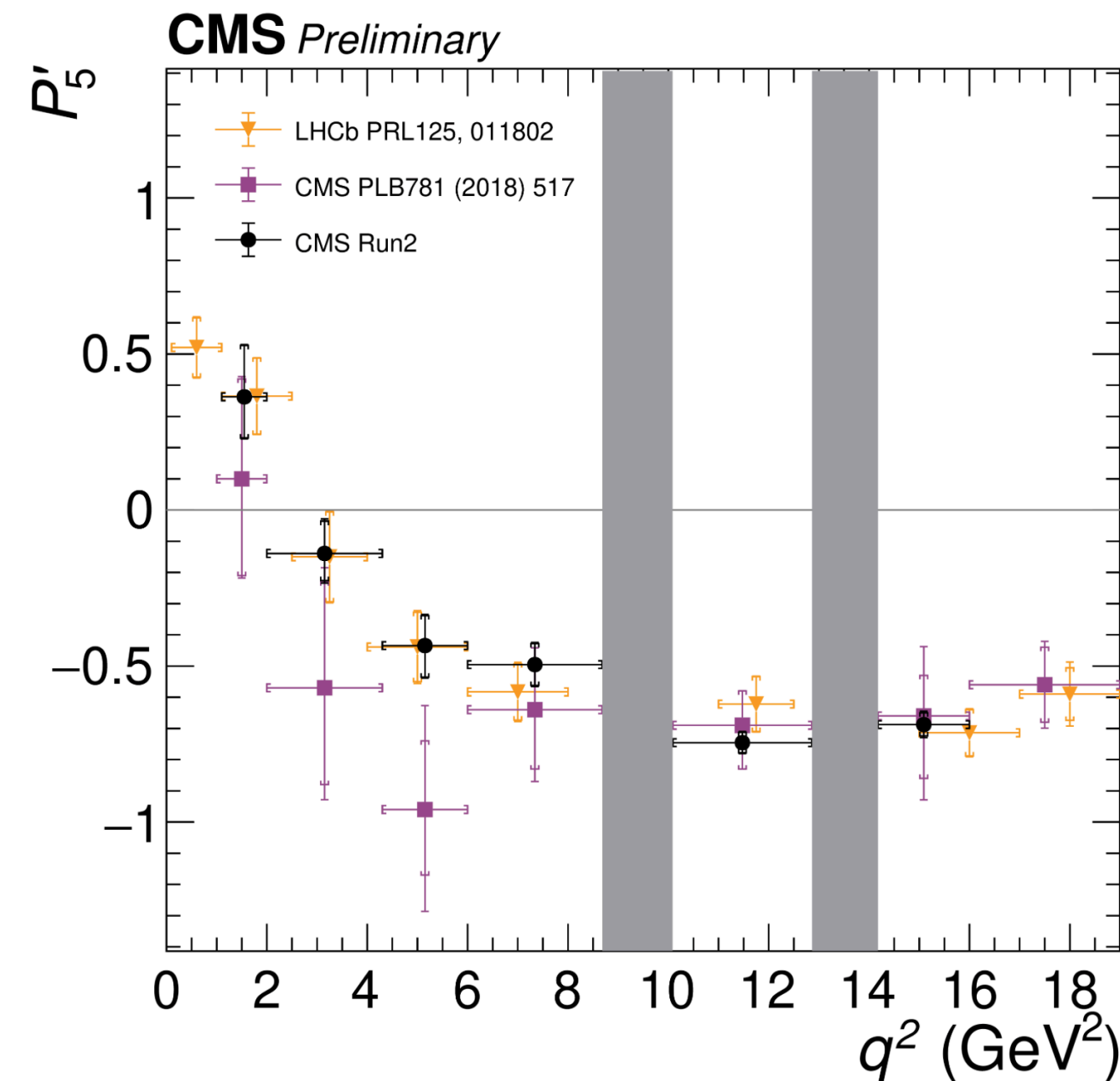
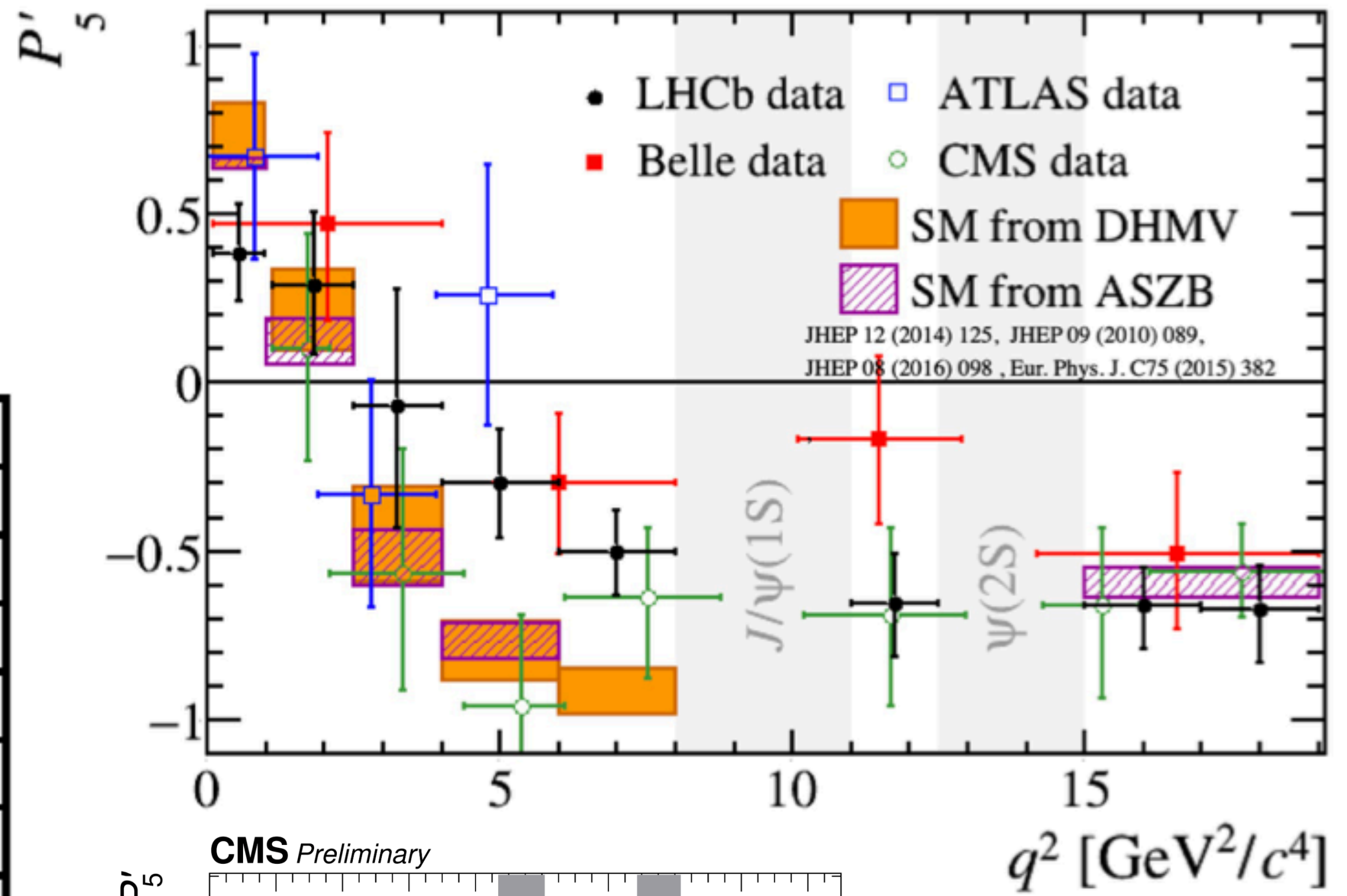
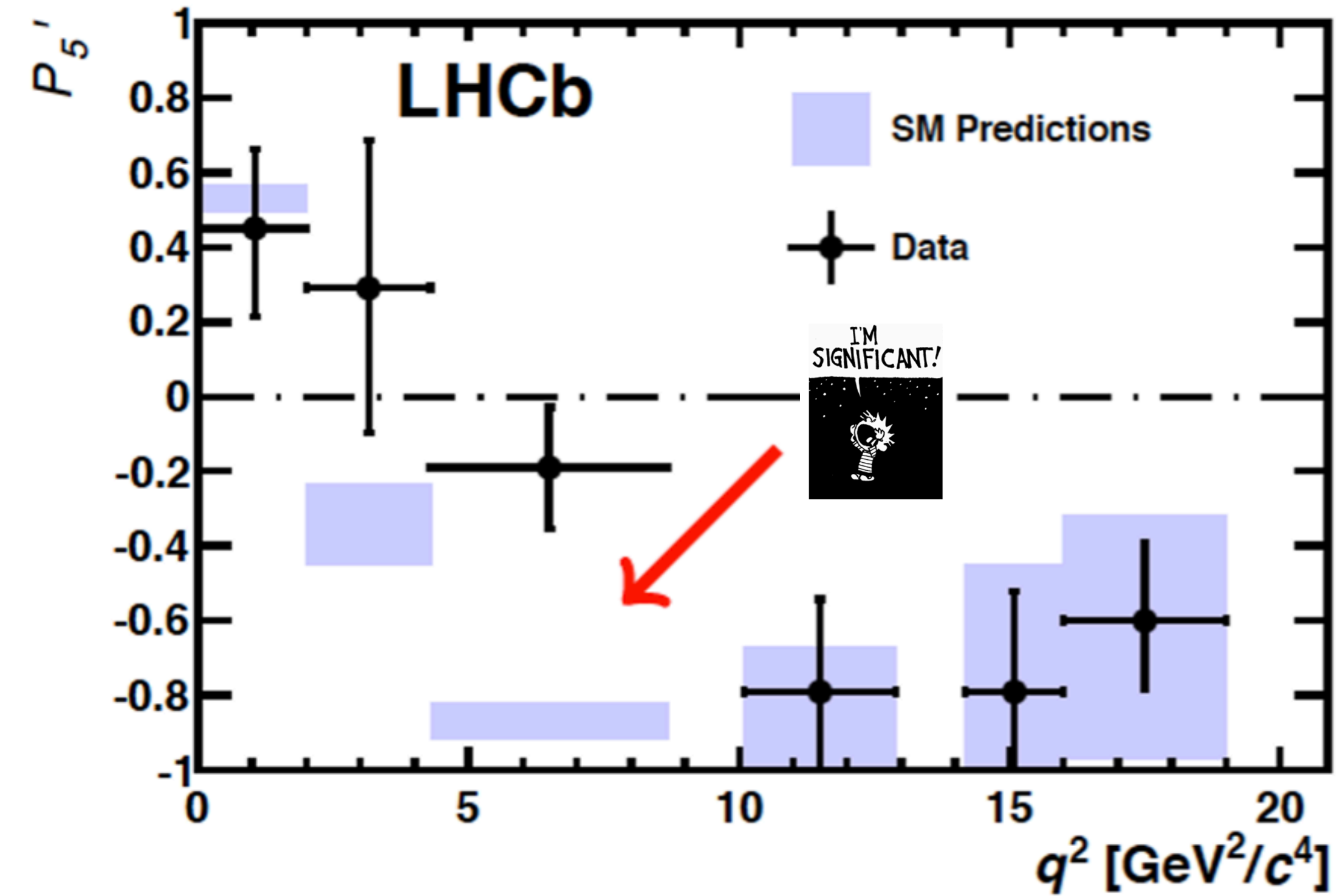


One of the guiltiest plots in the B anomalies saga



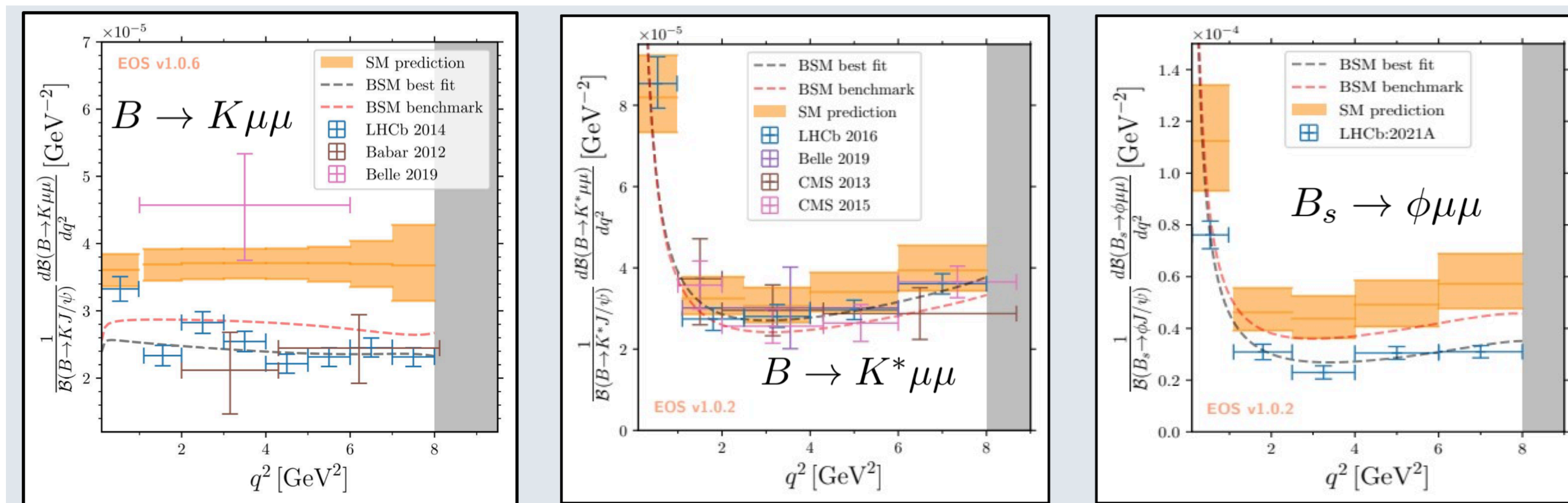
Often many discussion about the predictions, you may have heard of the words
Non factorable charm loops

Patience often required...



A couple of words

- Explore also other B systems.
- Continue the work on the theory predictions.
- One things which would be interesting is to measure this also with electrons.



Ménil's talk

The idea behind a lepton universality test



Are we the same?

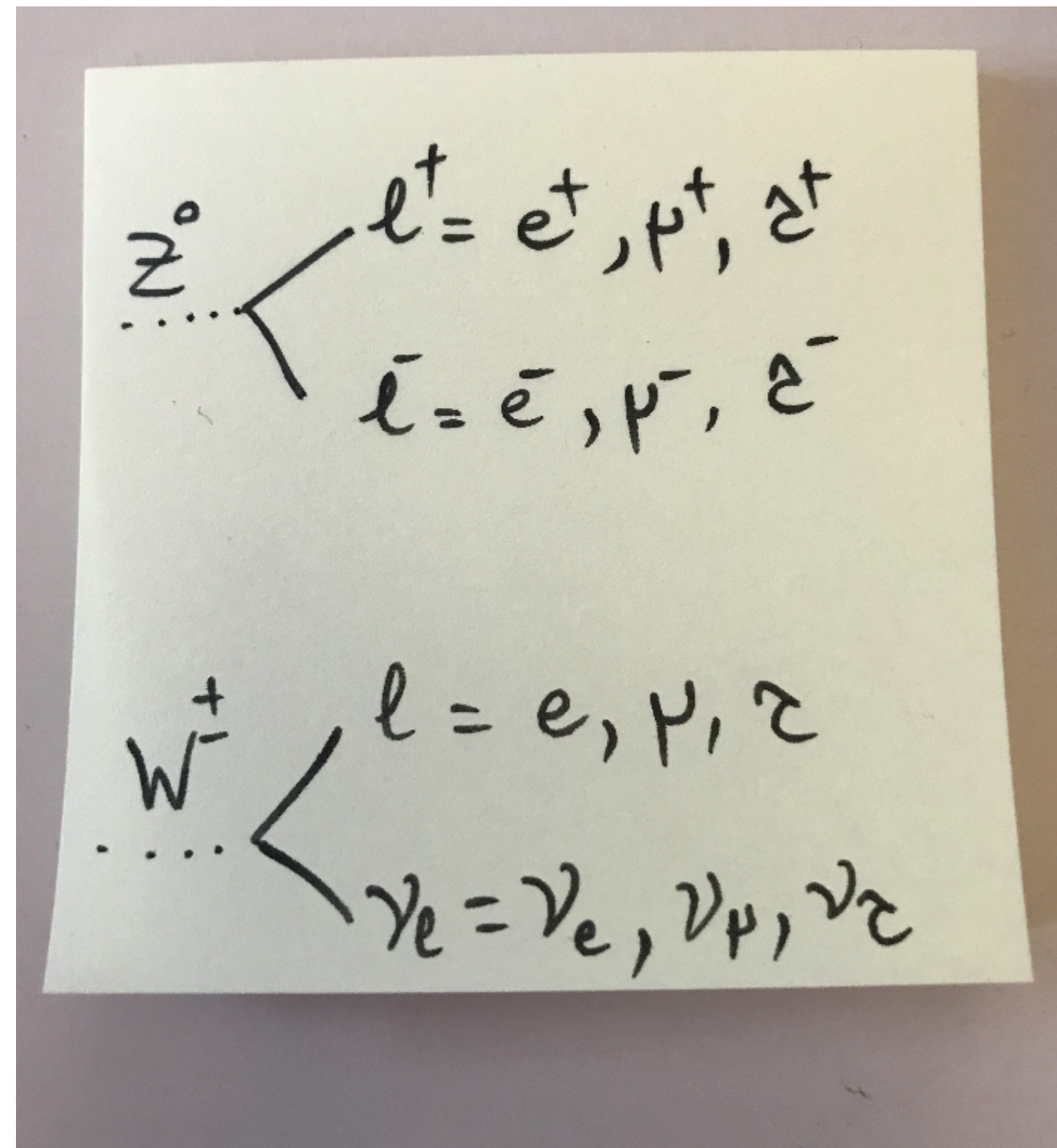
It's very simple
we expect the coupling to the leptons
to be the same

これはシンプル。

レプトンとの結合はどれも同じだと期待できます。
それをテストしてみようというわけです。

Lepton Universality tests

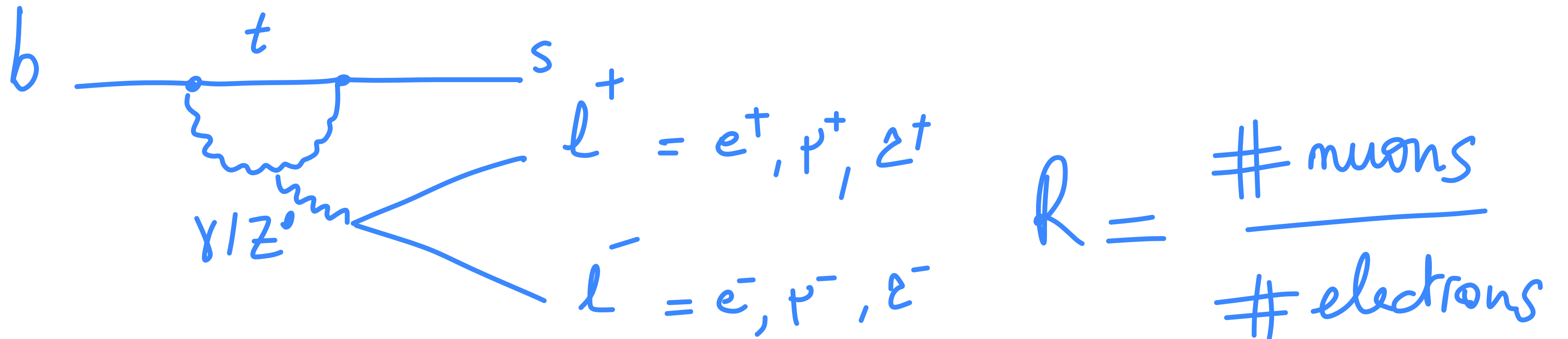
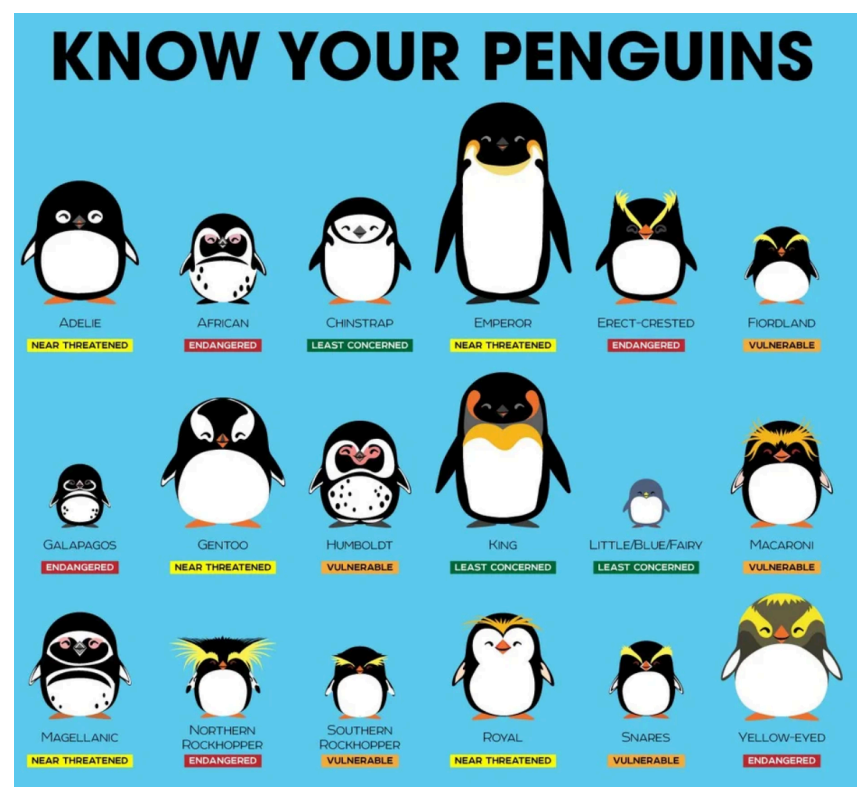
レプトン普遍性のテスト



From the PDG or equivalent :

$$\frac{\Gamma_{Z \rightarrow \mu^+ \mu^-}}{\Gamma_{Z \rightarrow e^+ e^-}} = 1.0009 \pm 0.0028,$$

$$\frac{\Gamma_{Z \rightarrow \tau^+ \tau^-}}{\Gamma_{Z \rightarrow e^+ e^-}} = 1.0019 \pm 0.0032.$$



“The” observable

$$R_H \equiv \frac{\int \frac{d\Gamma(B \rightarrow H \mu^+ \mu^-)}{dq^2} dq^2}{\int \frac{d\Gamma(B \rightarrow H e^+ e^-)}{dq^2} dq^2},$$

A powerful probe to look for NP in an indirect way.

Today, we discuss three papers: 1705.05802, 1903.09252, 2103.11769

The “Simplicity” of Lepton Universality test

Loop induced

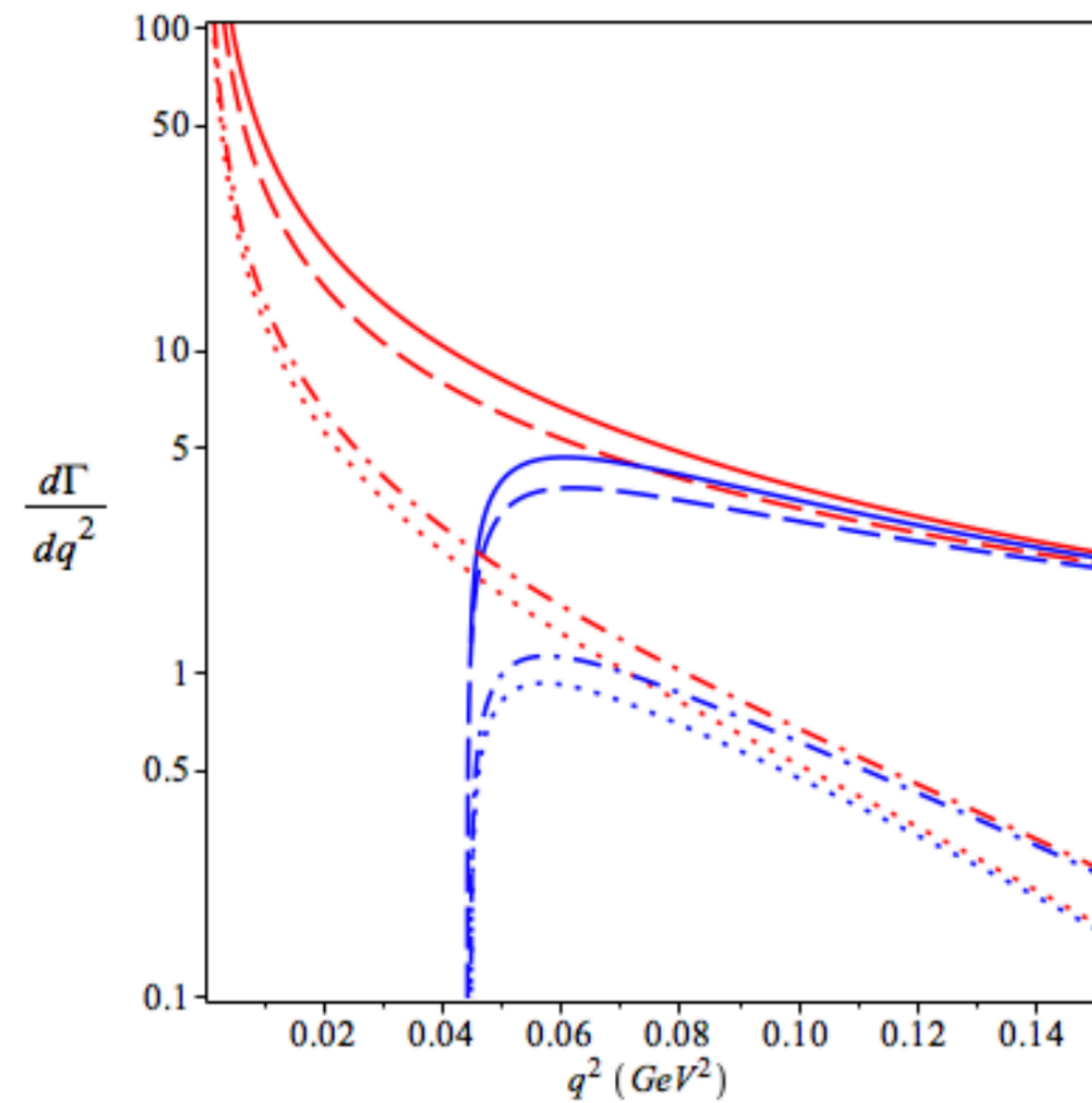
$$R_H \equiv \frac{\int \frac{d\Gamma(B \rightarrow H \mu^+ \mu^-)}{dq^2} dq^2}{\int \frac{d\Gamma(B \rightarrow H e^+ e^-)}{dq^2} dq^2},$$

Similar observables in charged currents

$$R_{D^*}^{(\tau/\mu)} [q_{\min}^2] = \frac{\int_{q_{\min}^2}^{q_{\max}^2} dq^2 \frac{d\mathcal{B}}{dq^2} (B \rightarrow D^* \tau \bar{\nu})}{\int_{q_{\min}^2}^{q_{\max}^2} dq^2 \frac{d\mathcal{B}}{dq^2} (B \rightarrow D^* \mu \bar{\nu})}$$

Tree level

What can we expect in the SM



1605.07633

$$R_{K^*} [1.1, 6.0]^{\text{SM}} = 1.00 \pm 0.01_{\text{QED}}$$

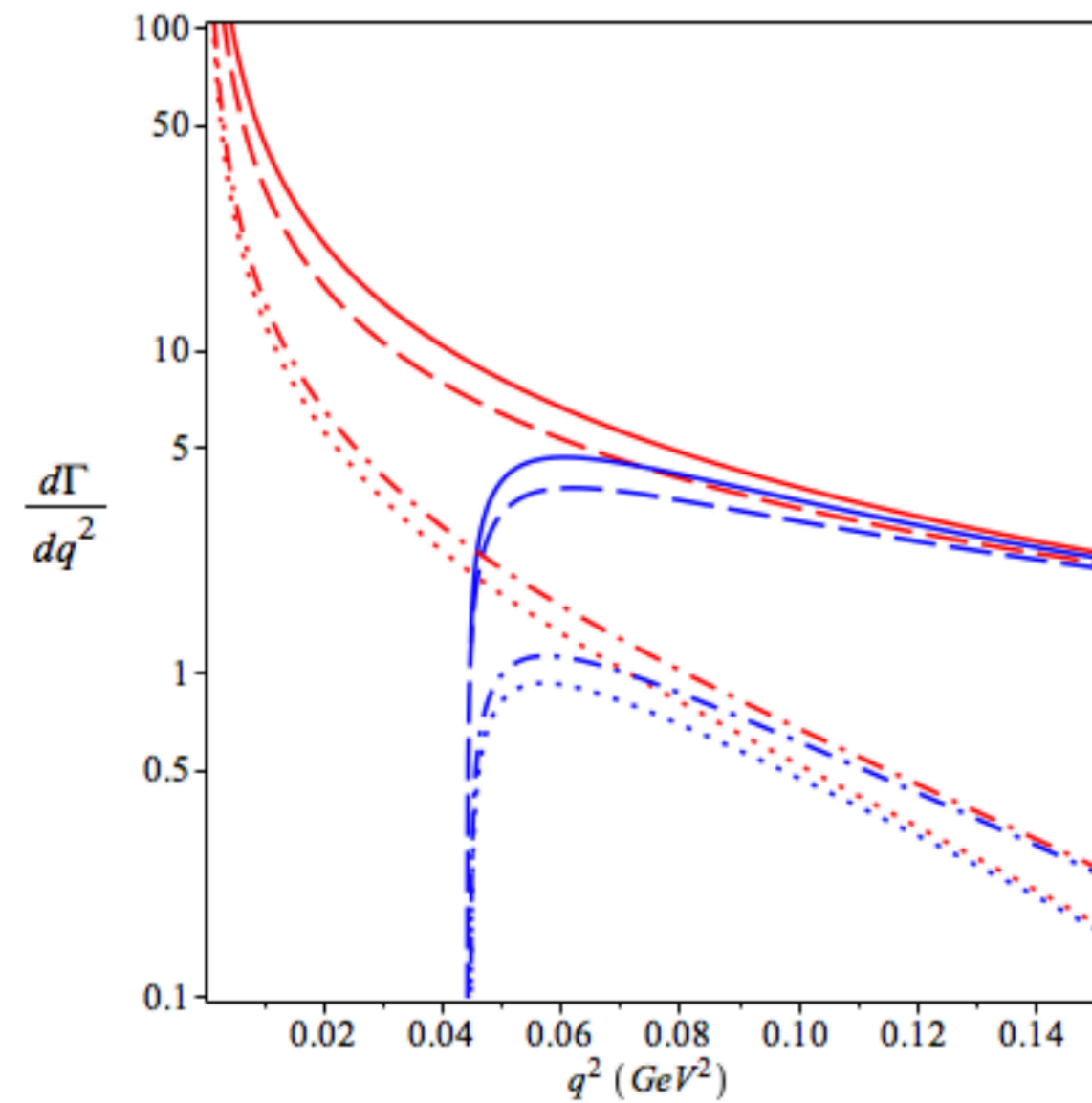
$$R_{K^+} [1.0, 6.0]^{\text{SM}} = 1.00 \pm 0.01_{\text{QED}}$$

Assuming V-A currents

$$R_\phi(B_s) \approx R_{\pi K}(B) \approx R(\Lambda_b)_\Lambda \approx R(\Lambda_b)_{pK} \approx \dots \approx R_K$$

1909.02519

What can we expect in the SM



$$R_{K^*} [1.1, 6.0]^{\text{SM}} = 1.00 \pm 0.01_{\text{QED}}$$

$$R_{K^+} [1.0, 6.0]^{\text{SM}} = 1.00 \pm 0.01_{\text{QED}}$$

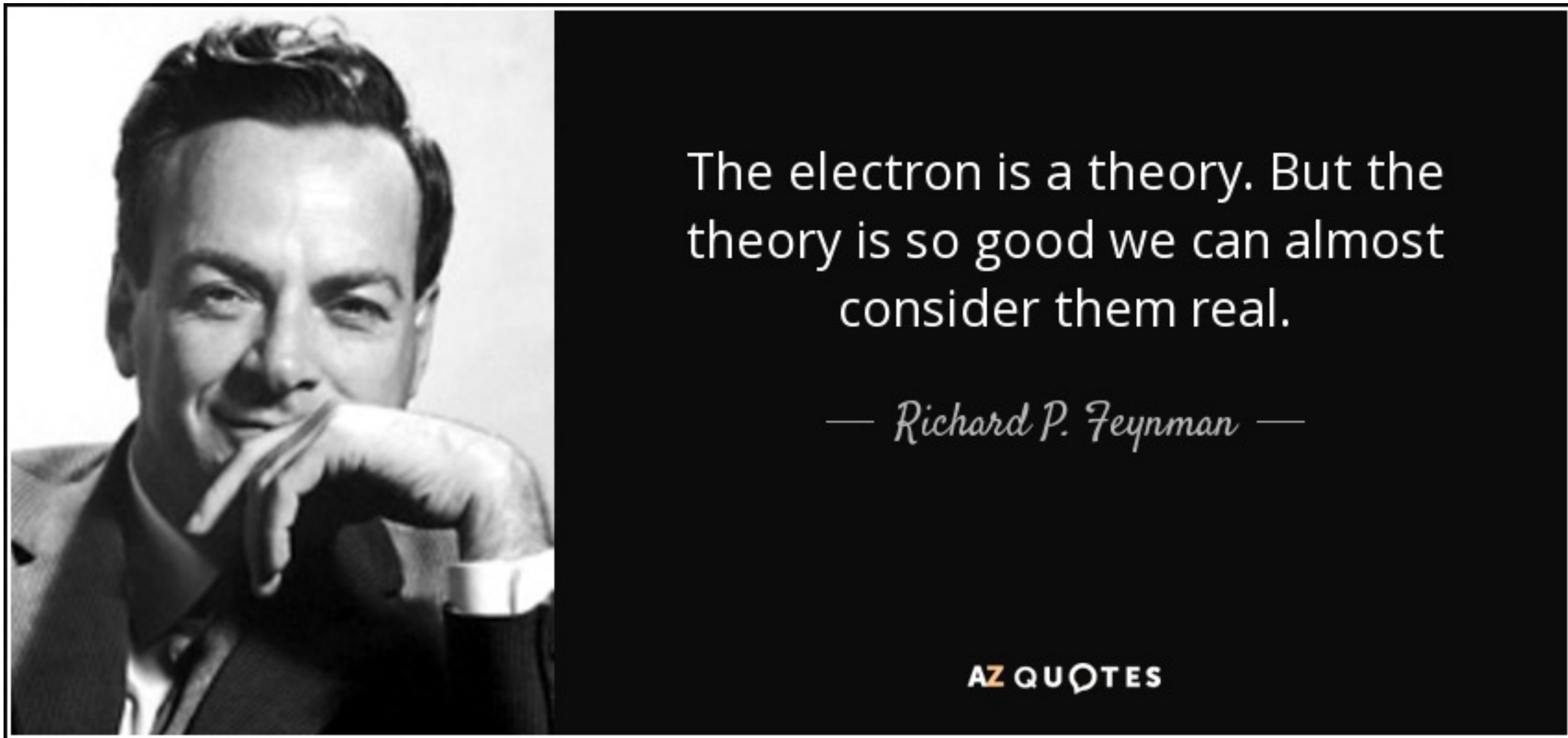
$$R_\phi(B_s) \approx R_{\pi K}(B) \approx R(\Lambda_b)_\Lambda \approx R(\Lambda_b)_{pK} \approx \dots \approx R_K$$



1605.07633

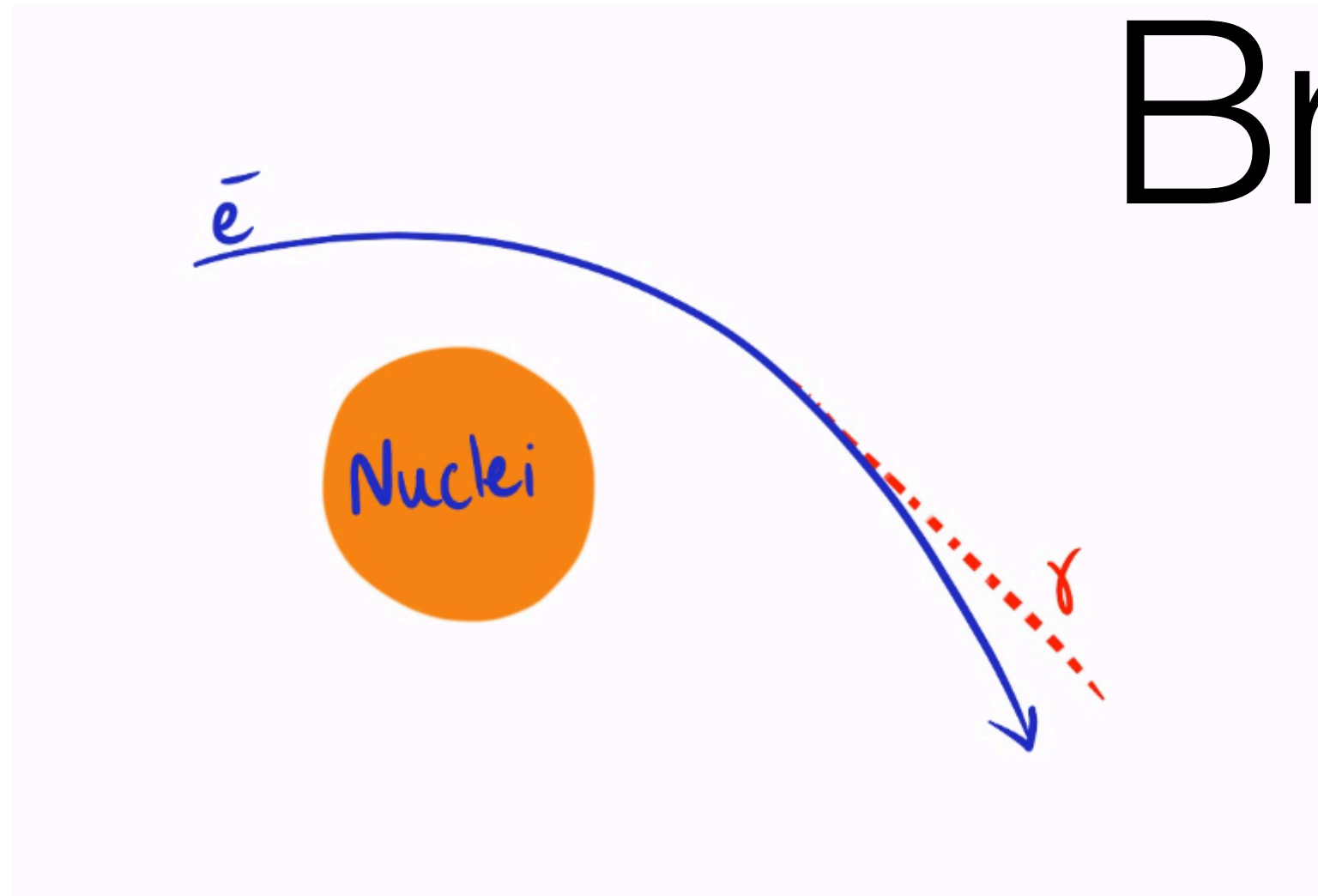
1909.02519

Why are electrons difficult ?



I am not sure this is the answer we are looking for

Bremsstrahlung



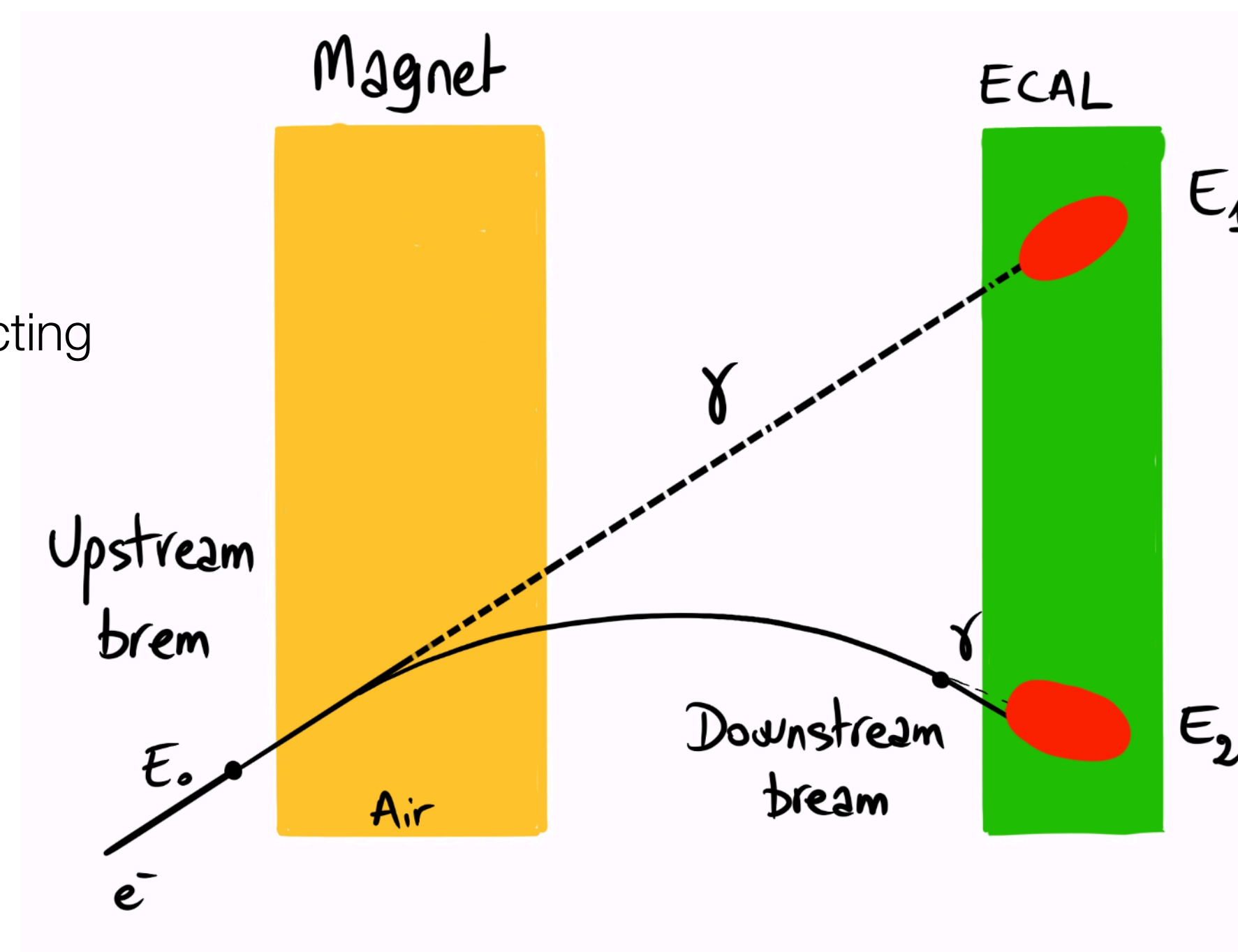
$$\sigma \propto 1/m_l^2$$

$$\text{Energy loss} \propto E_e$$

$$\text{Energy loss} \propto \text{material}$$

Match electron tracks to photon clusters in the ECAL
Correct electron momenta by "attaching" photons.

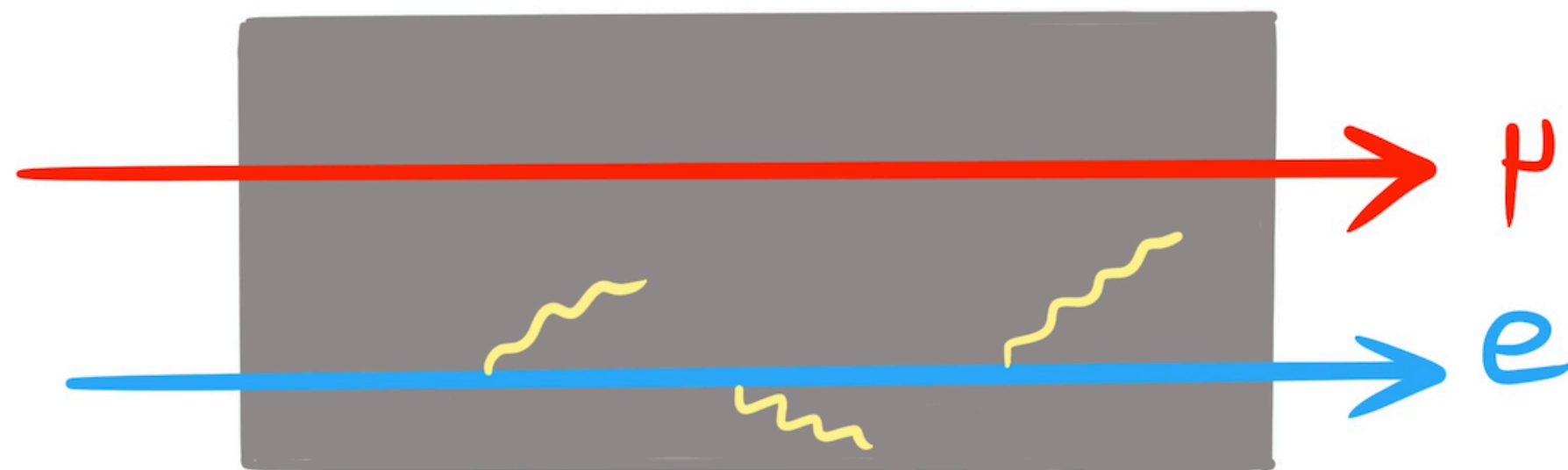
Three categories of events: 0, 1, > 1 photons
Different invariant mass shapes due to under- or over-correcting
ECAL resolution is worse than tracker.
Bin migration included in systematics.



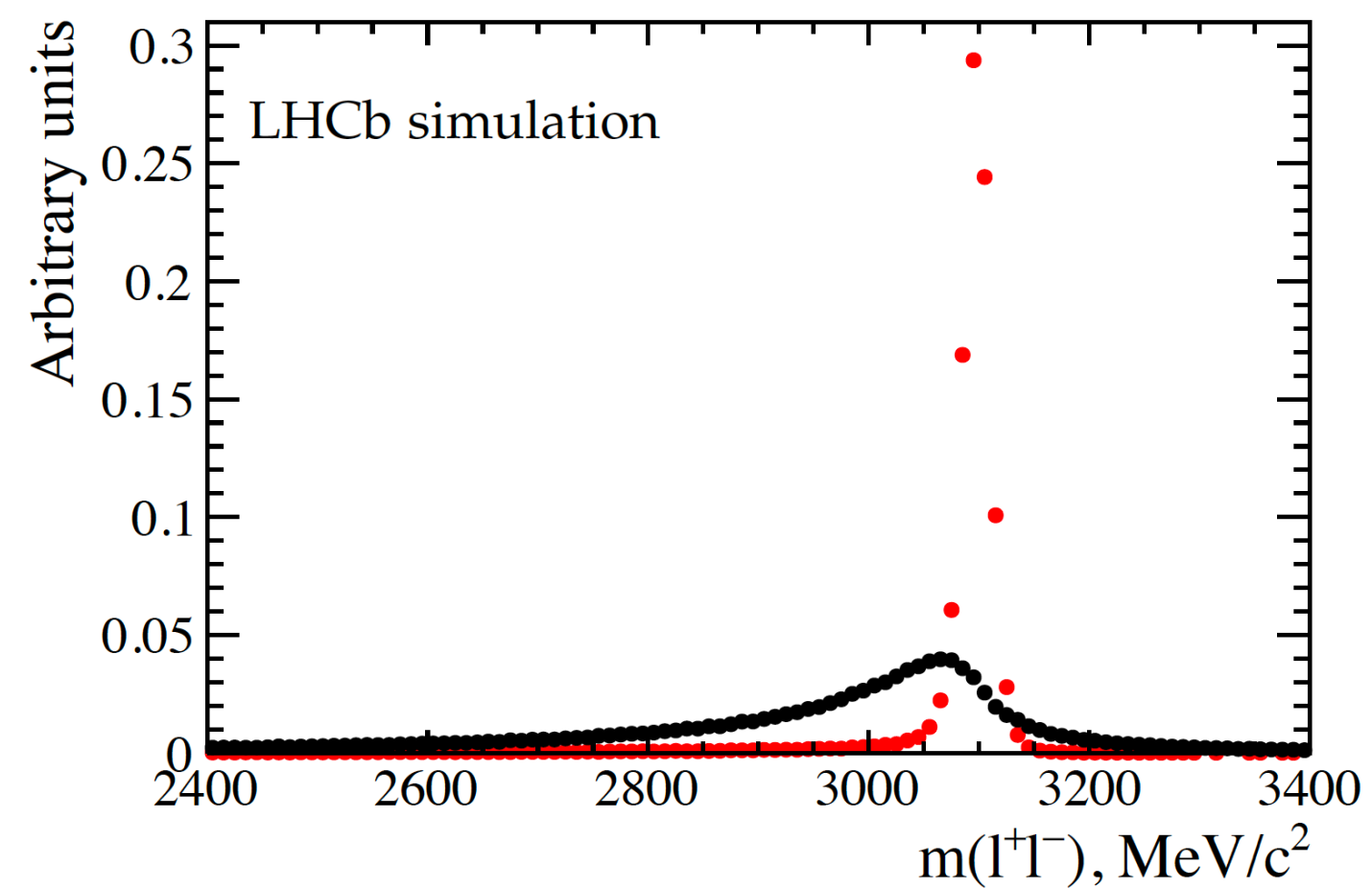
Electrons vs muons

Even after Bremsstrahlung recovery, electrons still have degraded momentum, mass, q^2 resolution.

Particle ID and track reconstruction efficiencies also larger for muons than for electrons.

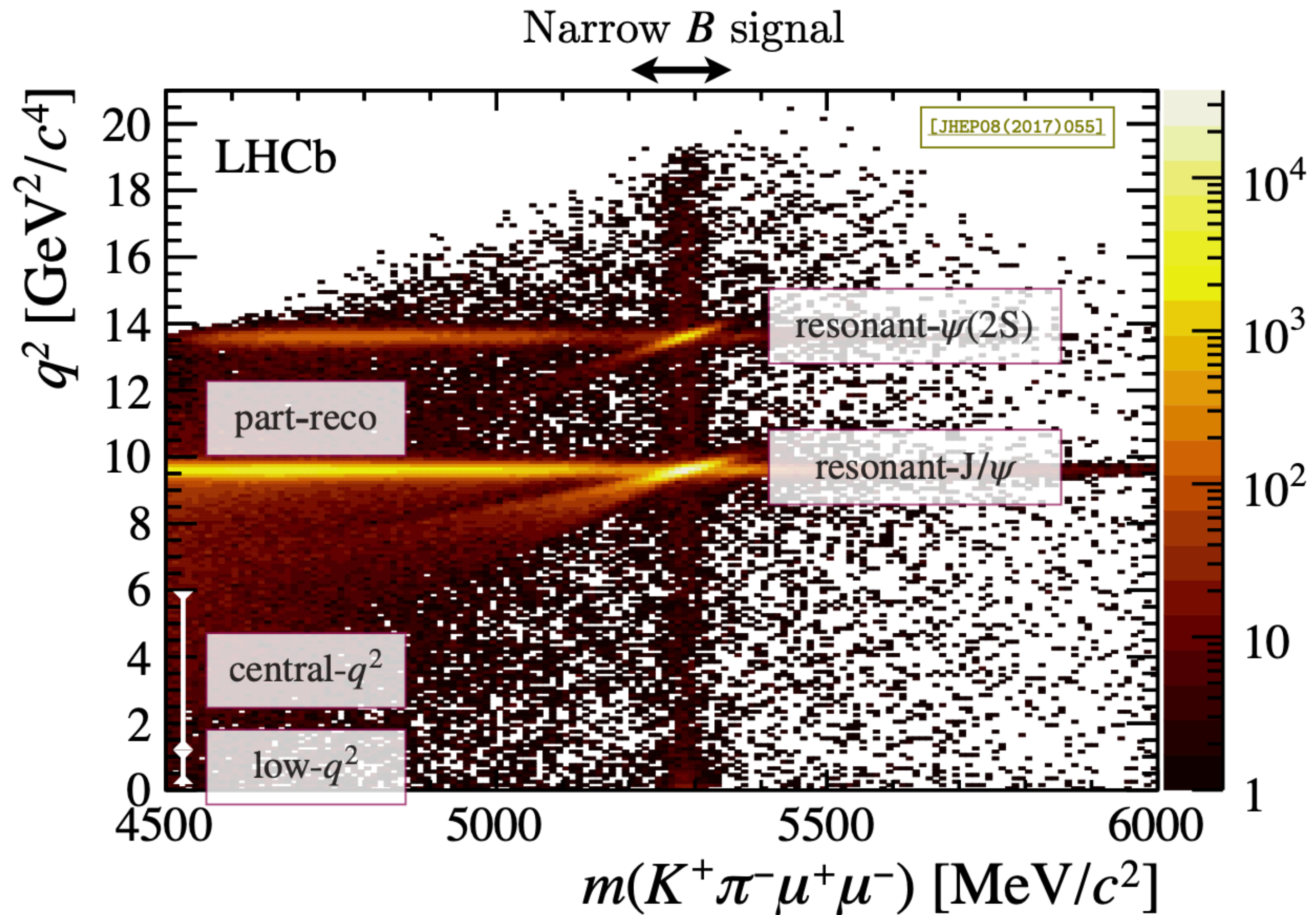


Get the differences between electron and muon efficiencies fully under control



From Vitalii Lisovskyi my former PhD student

What does the data look like?



What is actually measured is

$$R_{K,K^*}(q_a^2, q_b^2) = \frac{\int_{q_a^2}^{q_b^2} \frac{d\Gamma(B^{(+,0)} \rightarrow K^{(+,*0)} \mu^+ \mu^-)}{dq^2} dq^2}{\int_{q_a^2}^{q_b^2} \frac{d\Gamma(B^{(+,0)} \rightarrow K^{(+,*0)} e^+ e^-)}{dq^2} dq^2} \times \frac{\Gamma(J/\psi \rightarrow e^+ e^-)}{\Gamma(J/\psi \rightarrow \mu^+ \mu^-)}$$

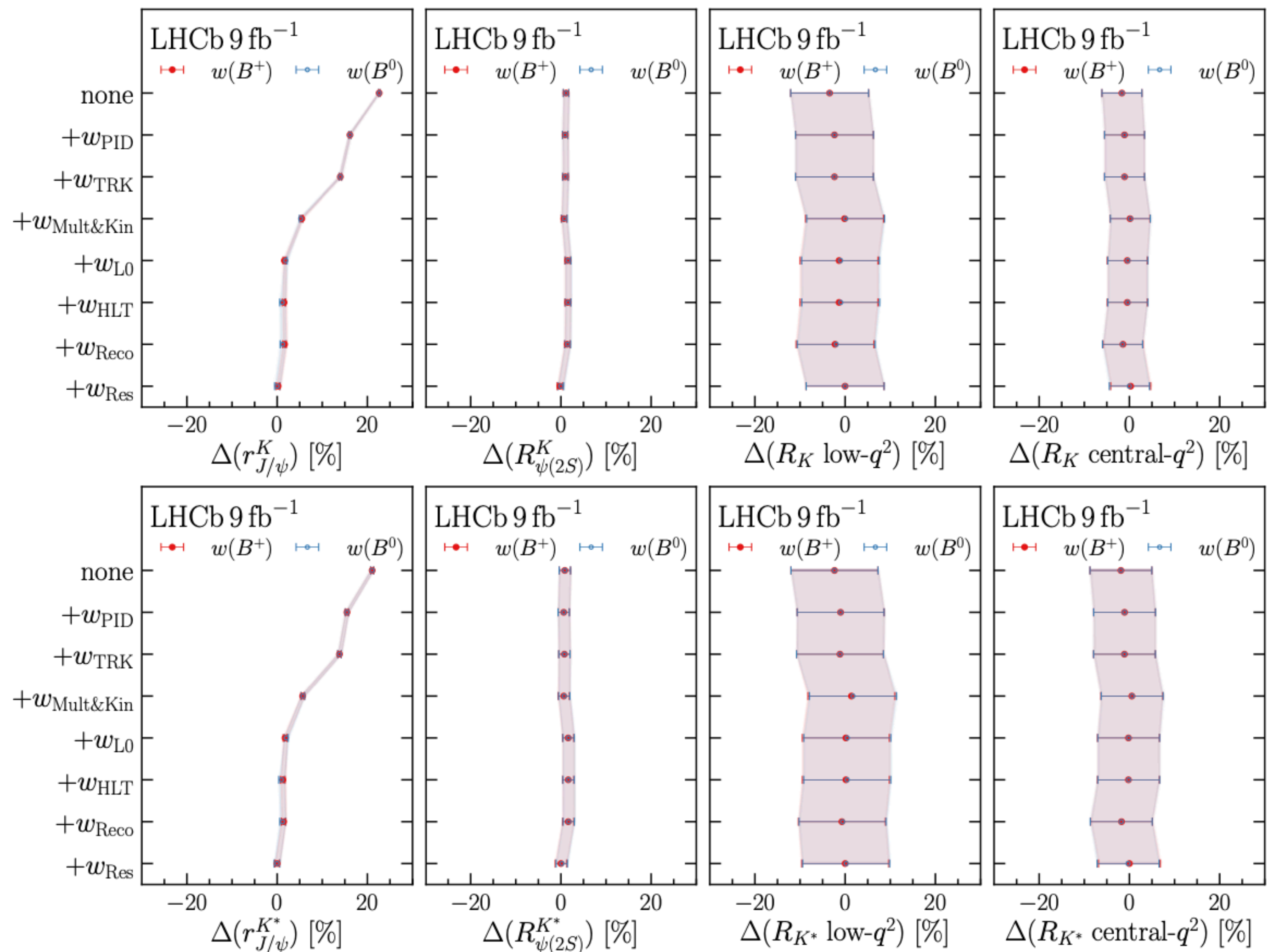
Measured to be 1 Phys. Lett. B731, 227 (2014)

$$R_{(K,K^*)} = \frac{\frac{\mathcal{N}}{\varepsilon}(B^{(+,0)} \rightarrow K^{(+,*0)} \mu^+ \mu^-)}{\frac{\mathcal{N}}{\varepsilon}(B^{(+,0)} \rightarrow K^{(+,*0)} e^+ e^-)} \times \frac{\frac{\mathcal{N}}{\varepsilon}(B^{(+,0)} \rightarrow K^{(+,*0)} J/\psi(e^+ e^-))}{\frac{\mathcal{N}}{\varepsilon}(B^{(+,0)} \rightarrow K^{(+,*0)} J/\psi(\mu^+ \mu^-))}$$

$r_{J/\psi}^{-1} = 1$

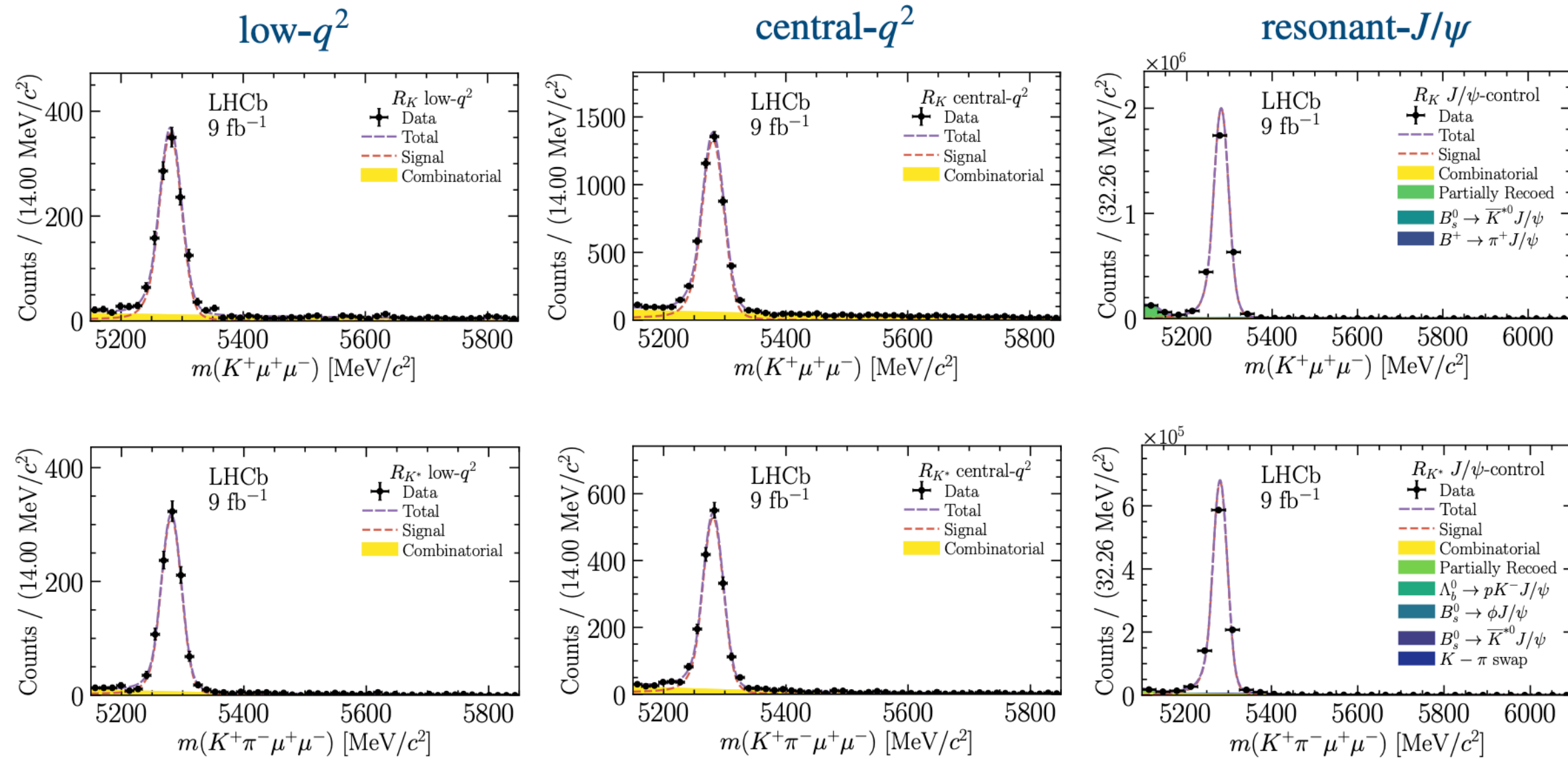
Try to calibrate as much as possible from data

Getting the single/double ratios correct is very painful but it pays off



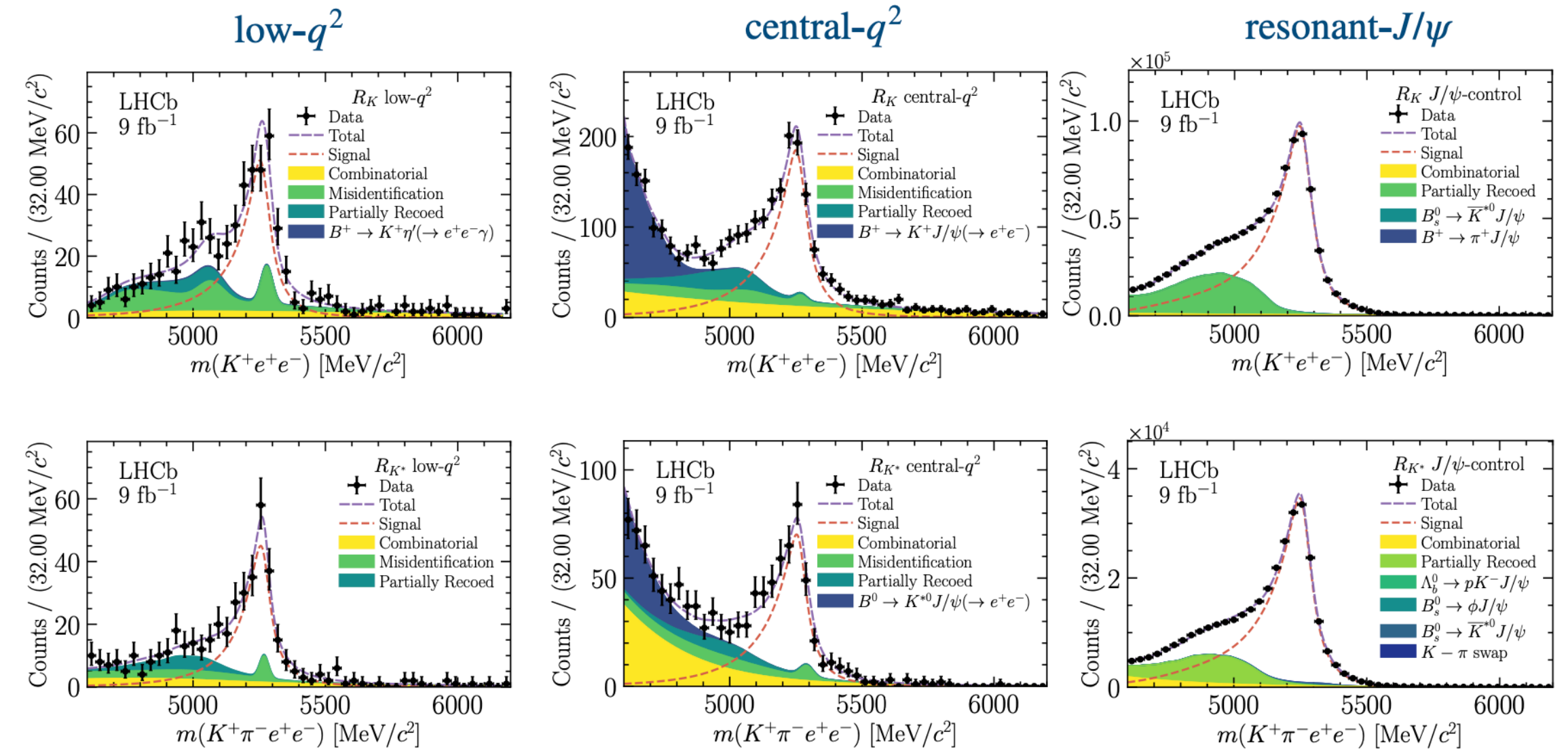
Checked also in various bins of kinematic etc.

Now we look at the data



Once again the muons are a day at the beach

The electrons less so



The cold shower

Taking a cold shower is good for your health, here's why

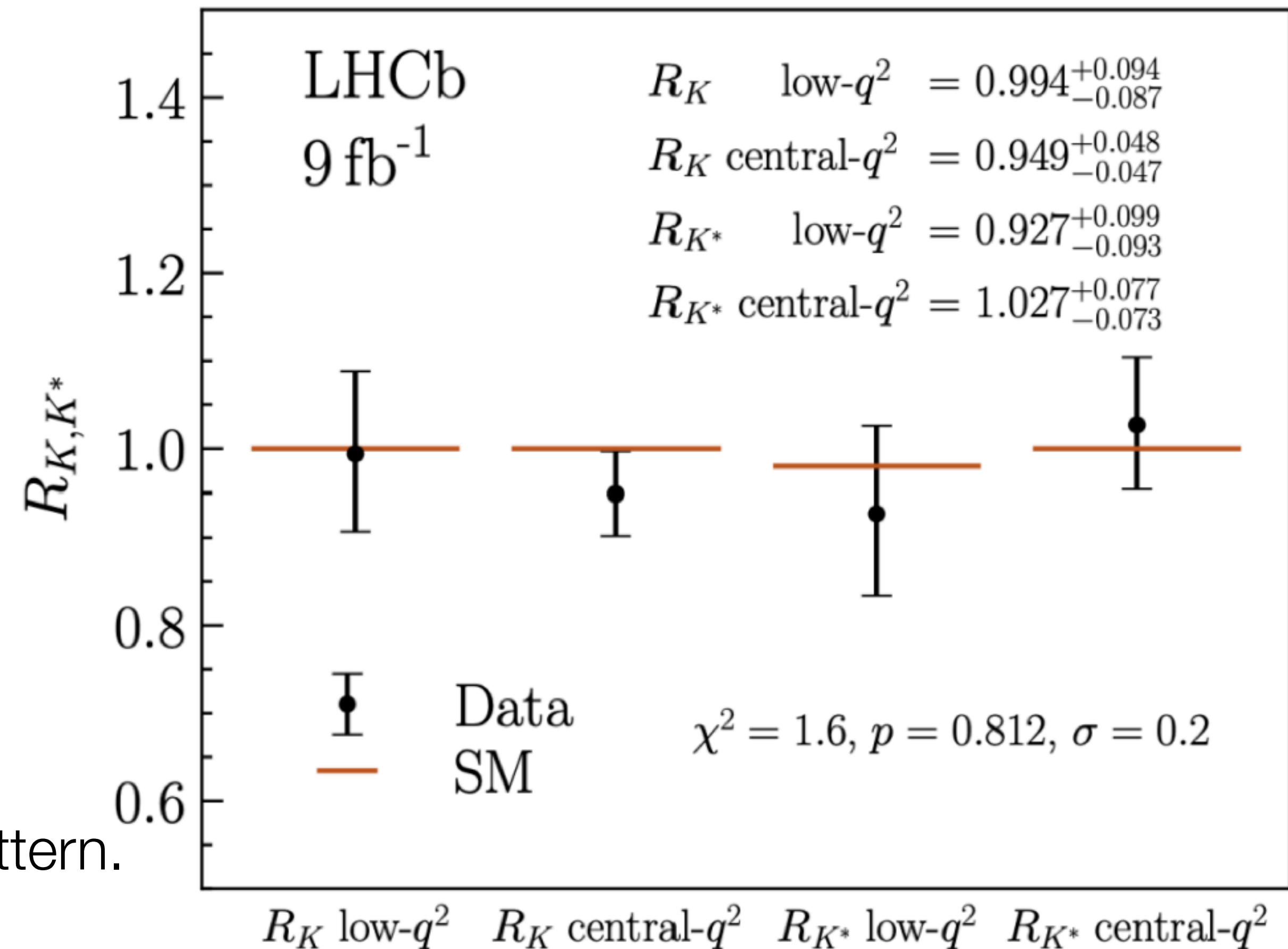
It's widely known that a hit of cold water can do wonders for your body. [Swedish bathhouses](#) are among an age-old Nordic healing tradition, the world's [happiest people](#) go ice swimming, and [Brits swear](#) by a jolt of cold water for a mood-boost. But when all is said and freezing, what good does a cold shower actually do? We break down four reasons why

Why a cold shower?

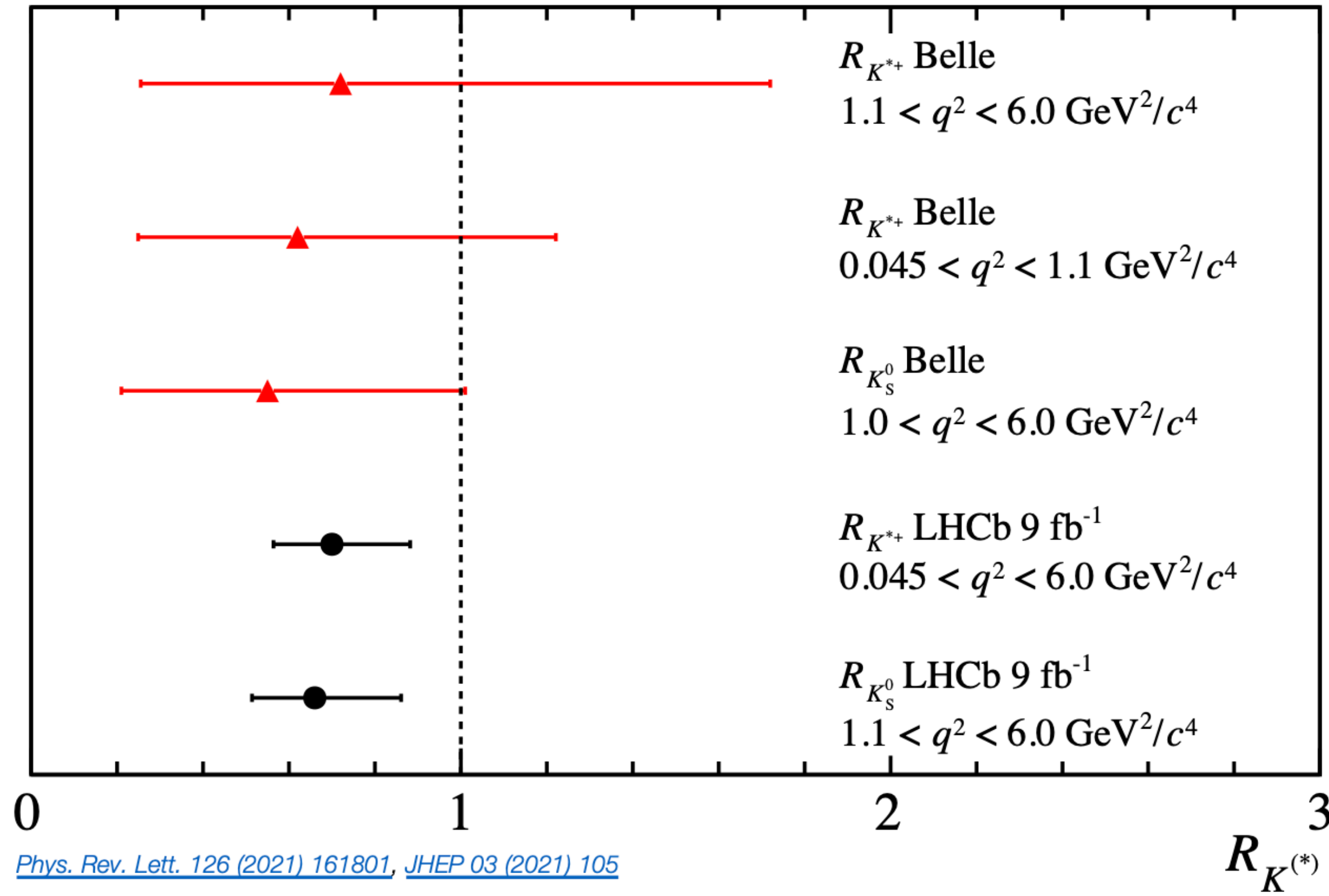
The result before that indicated a consistent pattern.

But !

These results are still statistically limited...

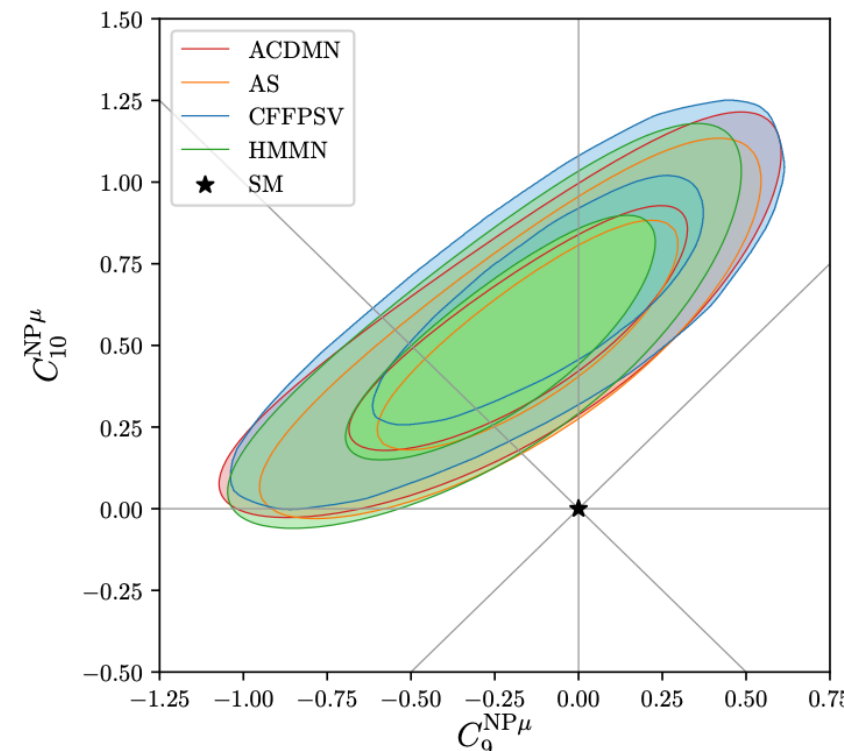
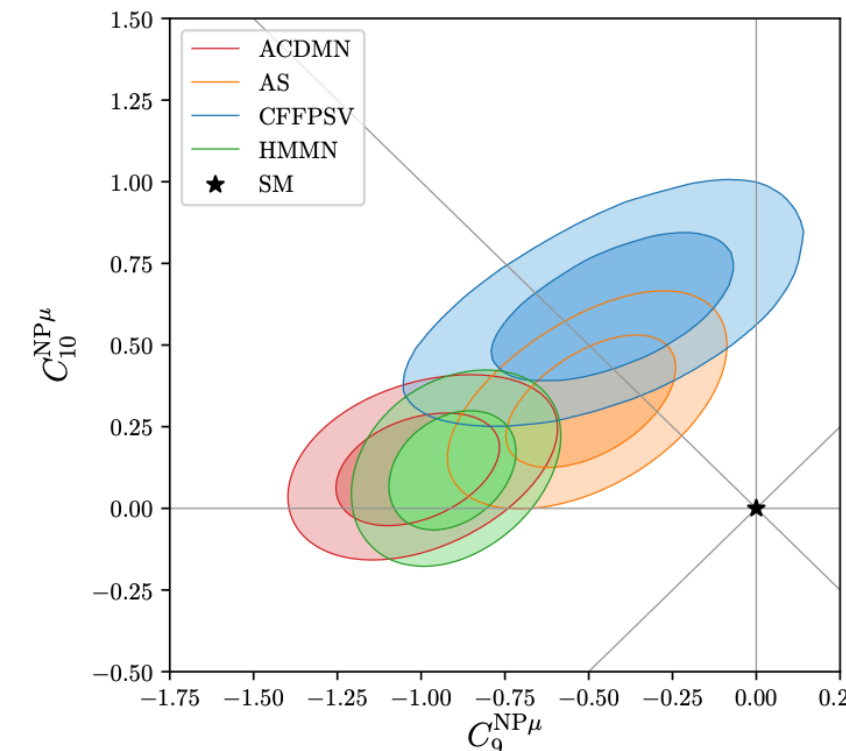


Just for reference - the pre-cold shower picture



[Phys. Rev. Lett. 126 \(2021\) 161801](#), [JHEP 03 \(2021\) 105](#)

2-dimensional fits



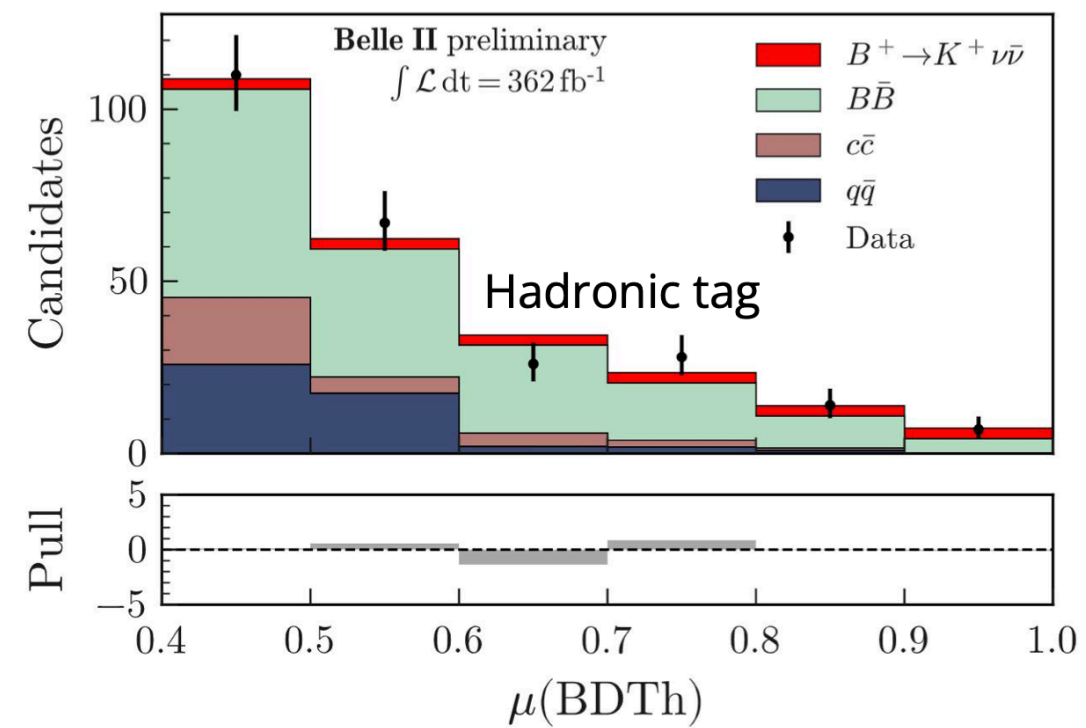
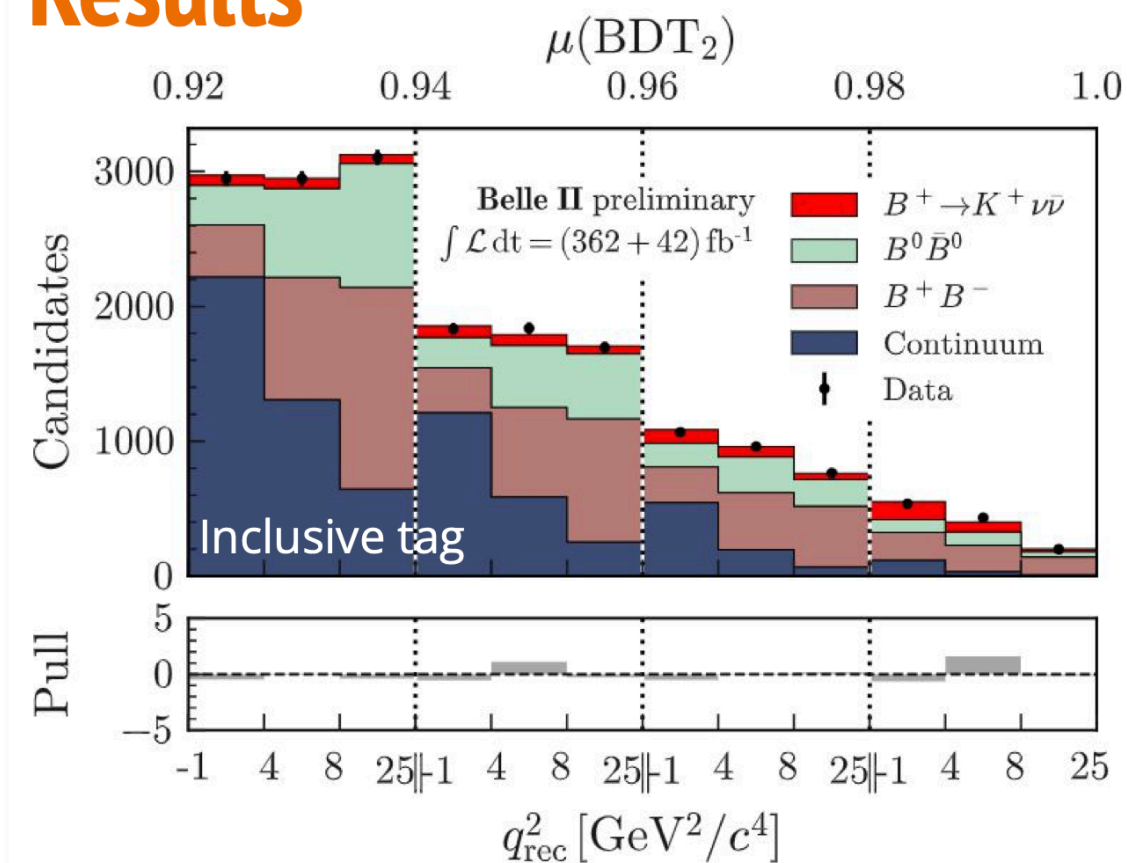
B. Capdevila, M. Fedele, S. Neshatpour, P. Stangl

Flavour Anomaly Workshop, 20 Oct. 2021

16/18

Observation of $B \rightarrow K \nu \bar{\nu}$ on the side of the world

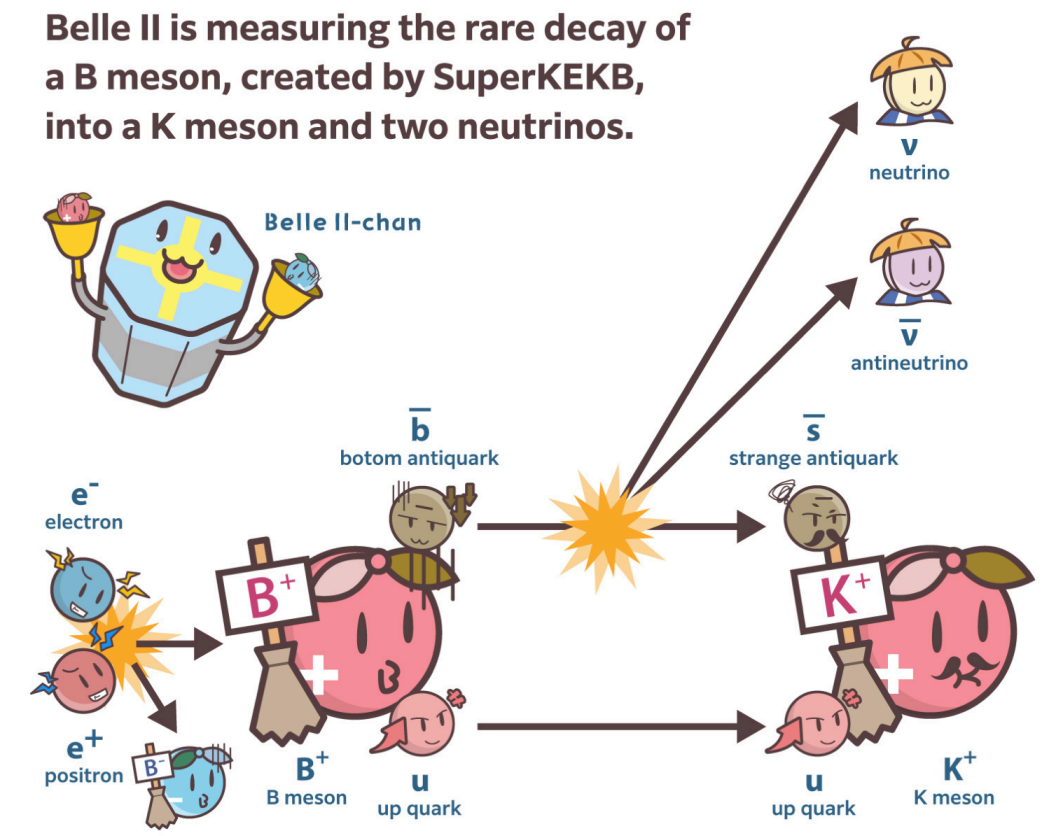
Results



- Maximum likelihood fit to data using signal and background templates
- Branching fractions: $B_{incl.} = (2.8 \pm 0.5(stat) \pm 0.5(stat)) \times 10^{-5}$, $B_{had.} = (1.1^{+0.9}_{-0.8}(stat)^{+0.8}_{-0.5}(syst)) \times 10^{-5}$
- For inclusive analysis, **evidence for $B \rightarrow K \nu \bar{\nu}$** at 3.6σ , branching fraction within 3.0σ of standard model (both considering total uncertainty)
- For hadronic tag, the result is consistent with null hypothesis and SM at 1.1σ and 0.6σ

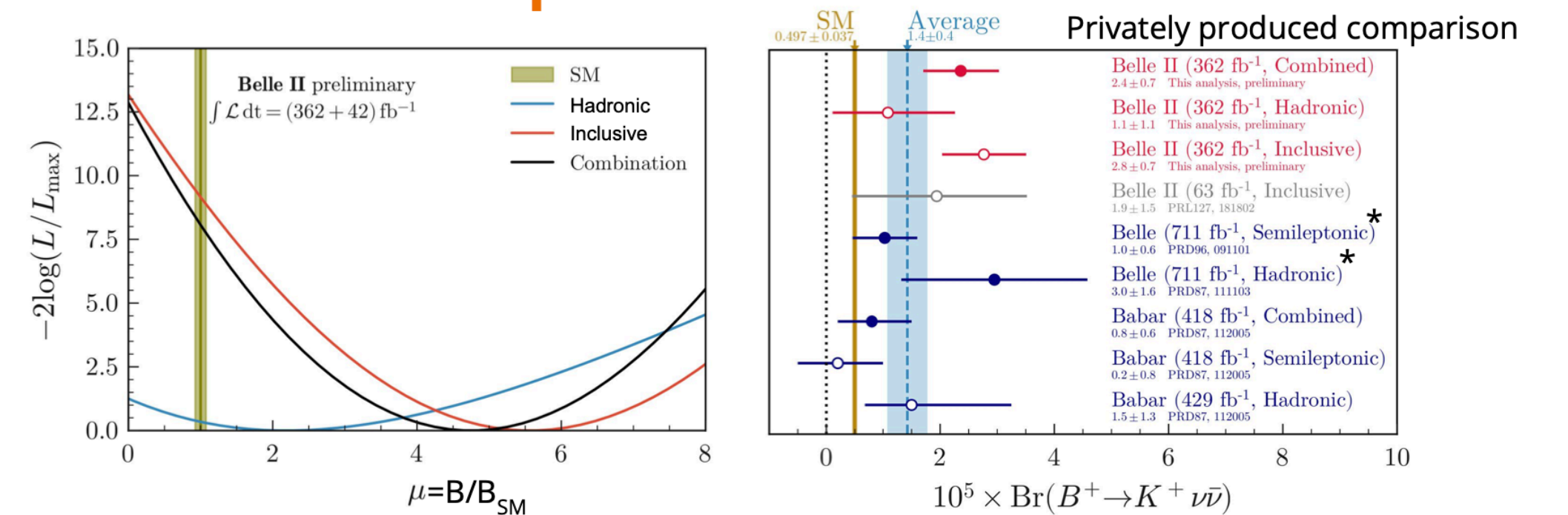
Very interesting result !

Looking forward to seeing impact on phenomenology work



The high-precision calculability of the probability of this decay makes it easy to validate the Standard Model.

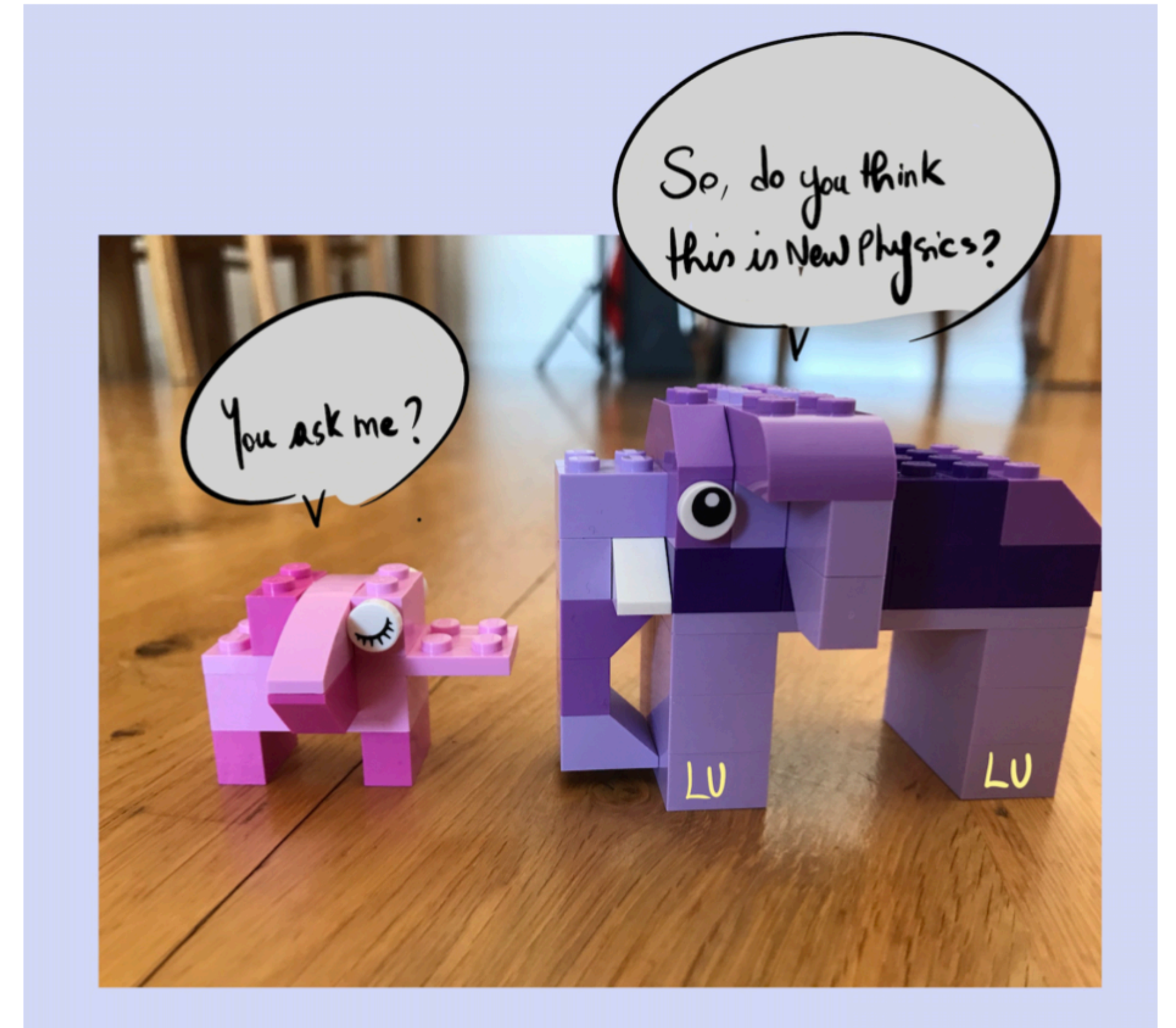
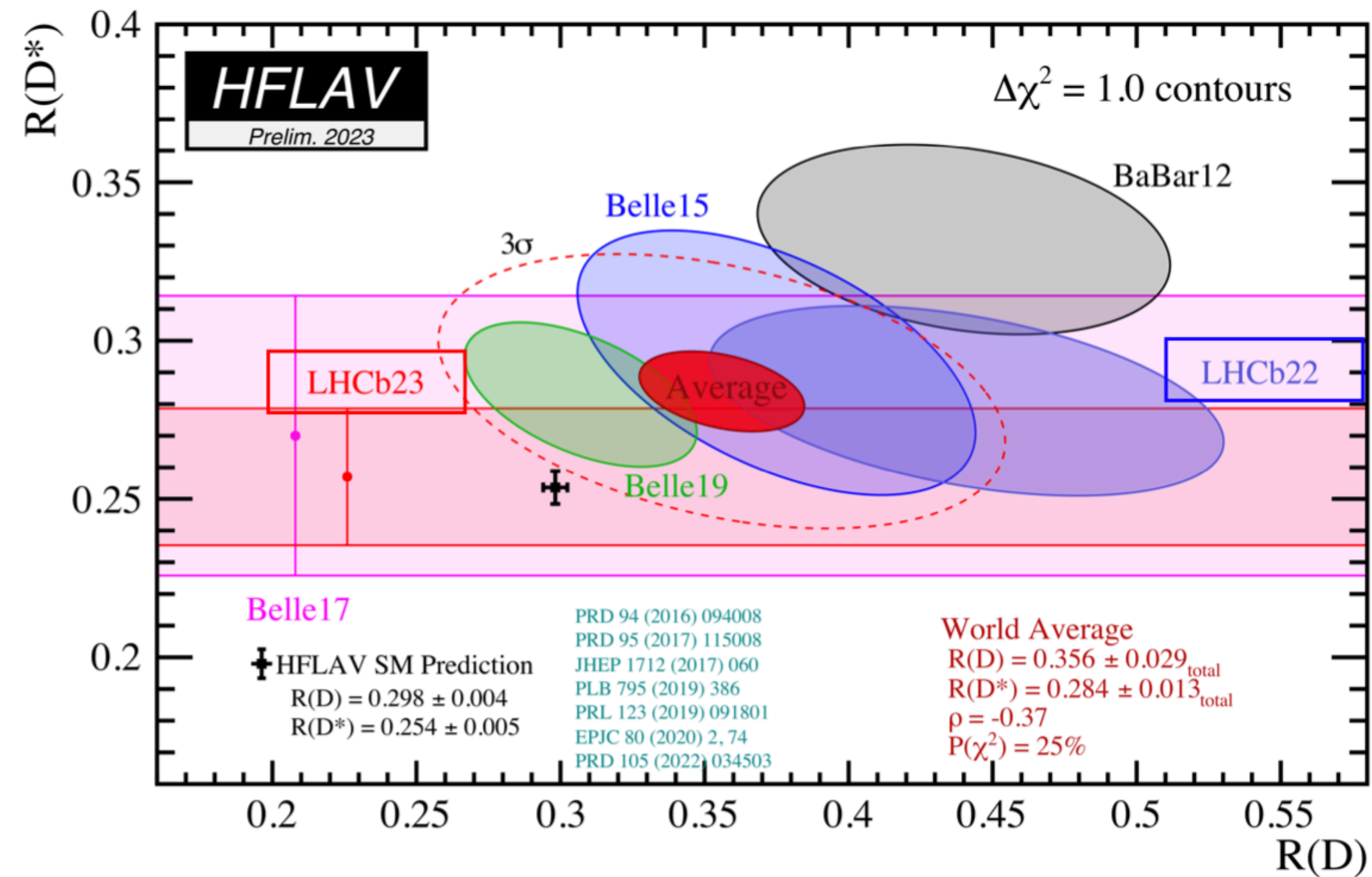
Combination and comparison with other measurements



- Inclusive and hadronic measurements are combined, taking into account common correlated uncertainties. The resulting branching fraction is $B_{comb}(B^+ \rightarrow K^+ \nu \bar{\nu}) = (2.4 \pm 0.7) \times 10^{-5} = [2.4 \pm 0.5(stat)^{+0.5}_{-0.4}(syst)] \times 10^{-5}$ significance of **observation** is 3.6σ the result is within 2.8σ vs standard model
- Some tensions between inclusive and semileptonic results for Belle and BaBar, however overall compatibility of the results is good with $\chi^2/dof = 4.3/4$

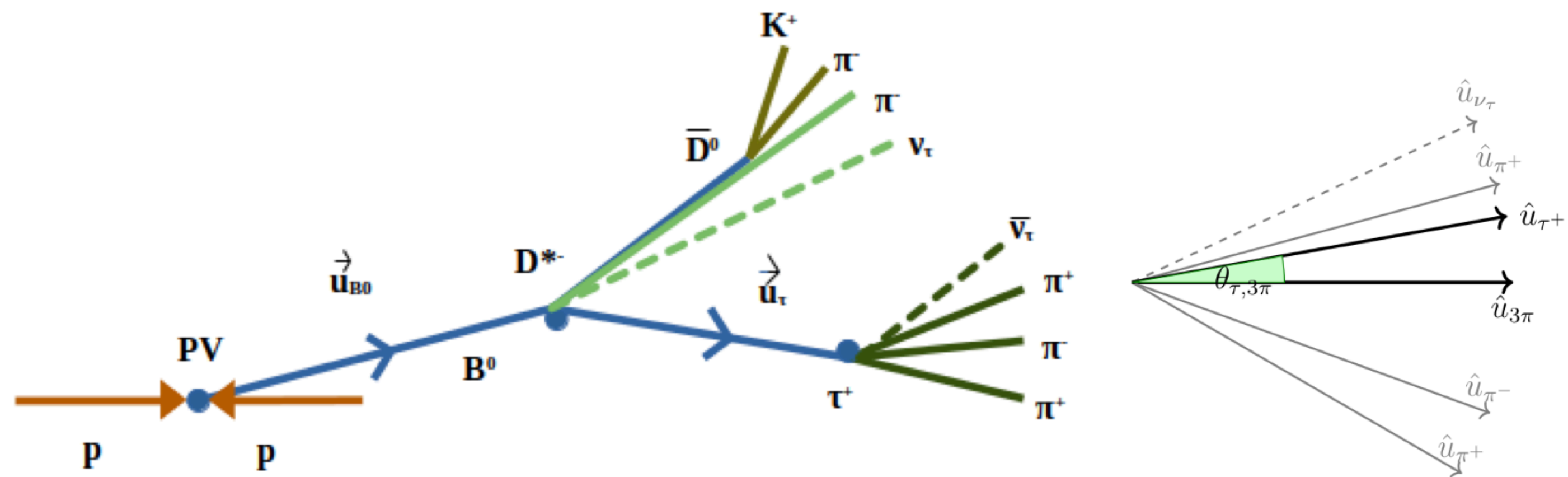
*Belle reports upper limits only; branching fractions are estimated using published number of events and efficiency

Let's continue... charged currents





Why are decays with τ in the final state difficult ?

The first discussion we had with G. Isidori to prepare the lectures was in June...
Obviously I finished this lectures a way hours ago.







Thank you class of 2023 CERN Fermilab

 Why are tau leptons difficult ?

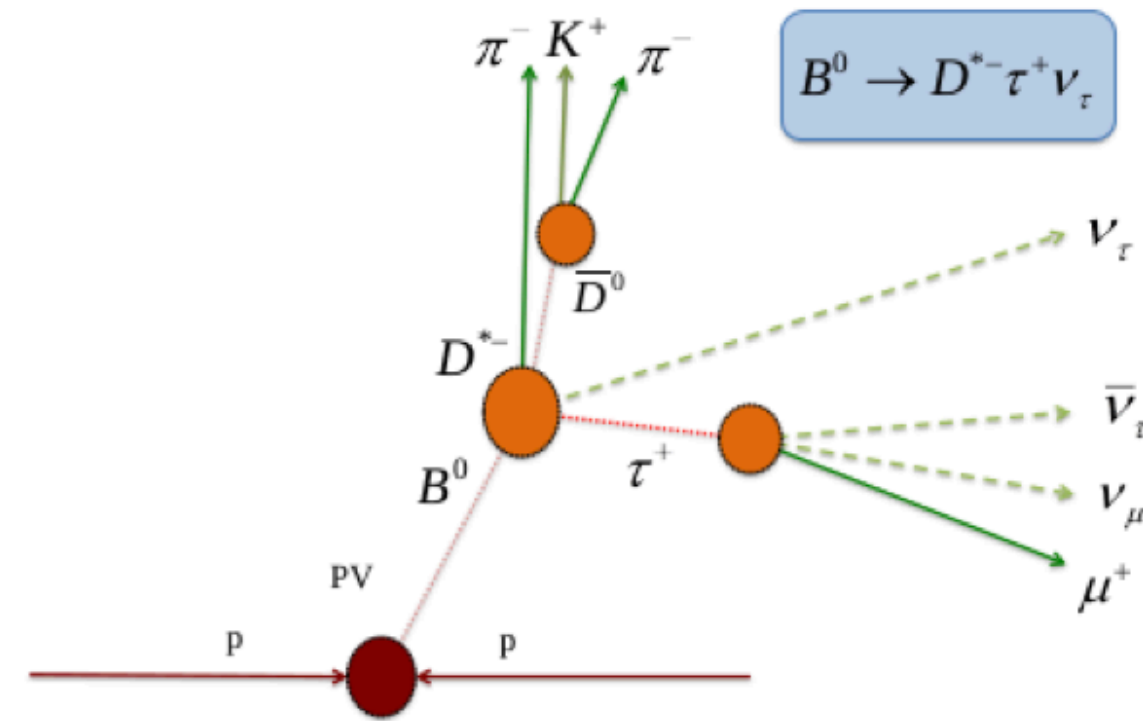
 Tau leptons, also known as tau particles or tauons, are not inherently difficult in the sense that they are inherently complicated or hard to understand. However, there are certain characteristics and properties of tau leptons that can make them challenging to study and detect in certain experimental contexts. Here are a few reasons why tau leptons might be considered "difficult":

- 1. **Short Lifetime:** Tau leptons have a relatively short lifetime of about 2.9×10^{-13} seconds. This means that they decay into other particles very quickly after being produced in particle collisions. Detecting and studying these decay products accurately requires sophisticated experimental setups and techniques.
- 2. **Heavy Mass:** Tau leptons are much more massive than their lighter counterparts, the electron and the muon. Their larger mass affects the kinematics of their interactions and decays, making their behavior more complex to model and understand.
- 3. **Rare Processes:** In many particle physics experiments, tau leptons are not as commonly produced as other particles, like electrons or muons. This rarity can make it challenging to collect a sufficient number of tau events for detailed studies.
- 4. **Neutrinos:** Tau leptons often decay into other particles, including neutrinos. Neutrinos are extremely difficult to detect because they interact very weakly with matter. As a result, a significant portion of the energy and momentum of the tau's decay products might be carried away by neutrinos, making it challenging to accurately reconstruct the initial tau's

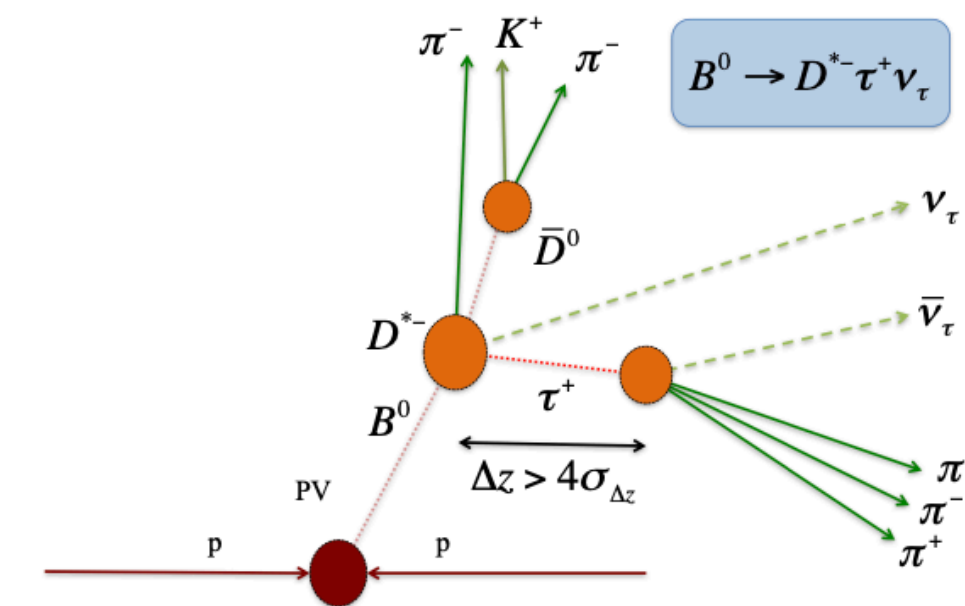
 Regenerate

$$\tau^+ \rightarrow \mu^+ \nu_\mu \bar{\nu}_\tau$$



- Direct measurement of $R(X_c)$
- High statistics
- Backgrounds from D^+ must be controlled well
- Sensitive to $D^{**} \mu^- \nu_\mu$

$$\tau^+ \rightarrow \pi^+ \pi^- \pi^+ (\pi^0) \bar{\nu}_\tau$$



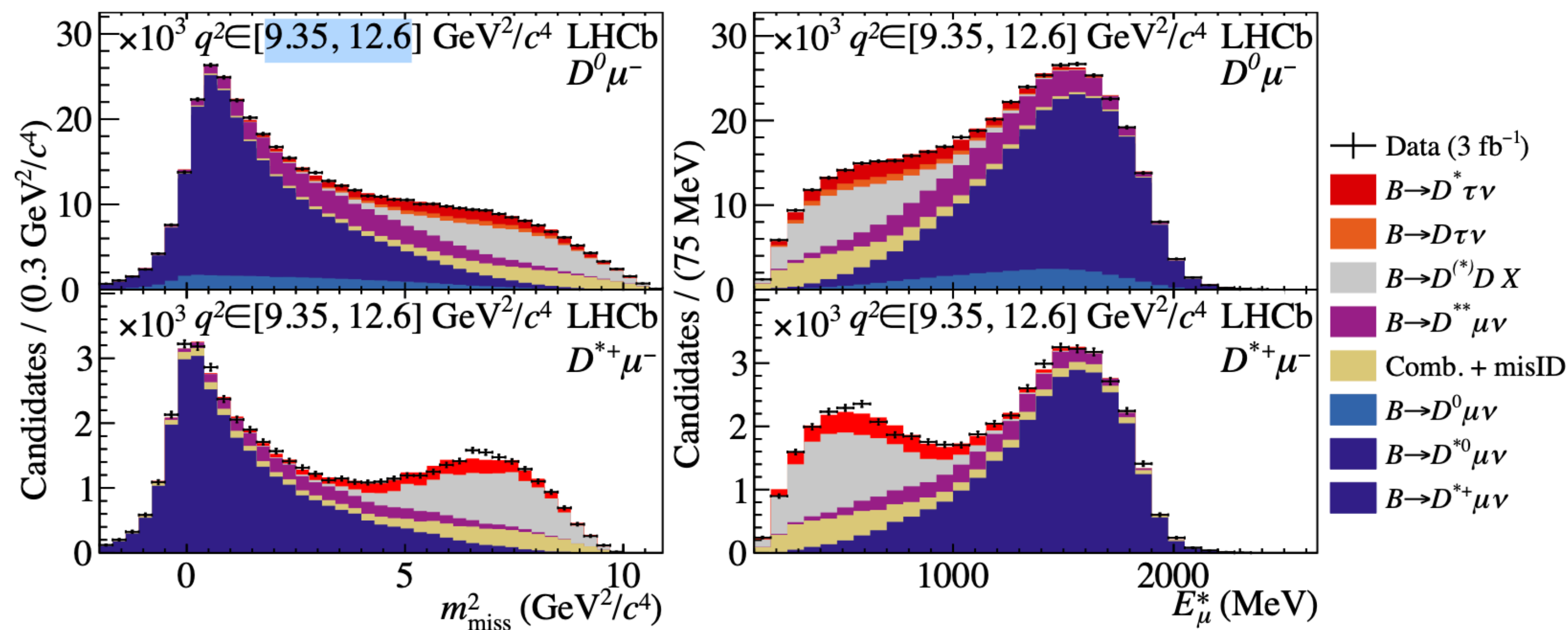
- Measuring τ^+ decay position key to reject dominant backgrounds
- High purity sample
- $\tau^+ \rightarrow 3\pi^\pm$ dynamics is very specific \Rightarrow more control over backgrounds
- $R(X_c)$ requires external inputs
- Lower statistics

Missing energy much easier at GDP & B-factories

Welcome to the world of template fits

3D template fit to

- ▶ $q^2 \equiv (p_B - p_{D^{(*)}})^2$
- ▶ $m_{\text{miss}}^2 \equiv (p_B - p_{D^{(*)}} - p_\mu)^2$
- ▶ E_μ^* energy of μ

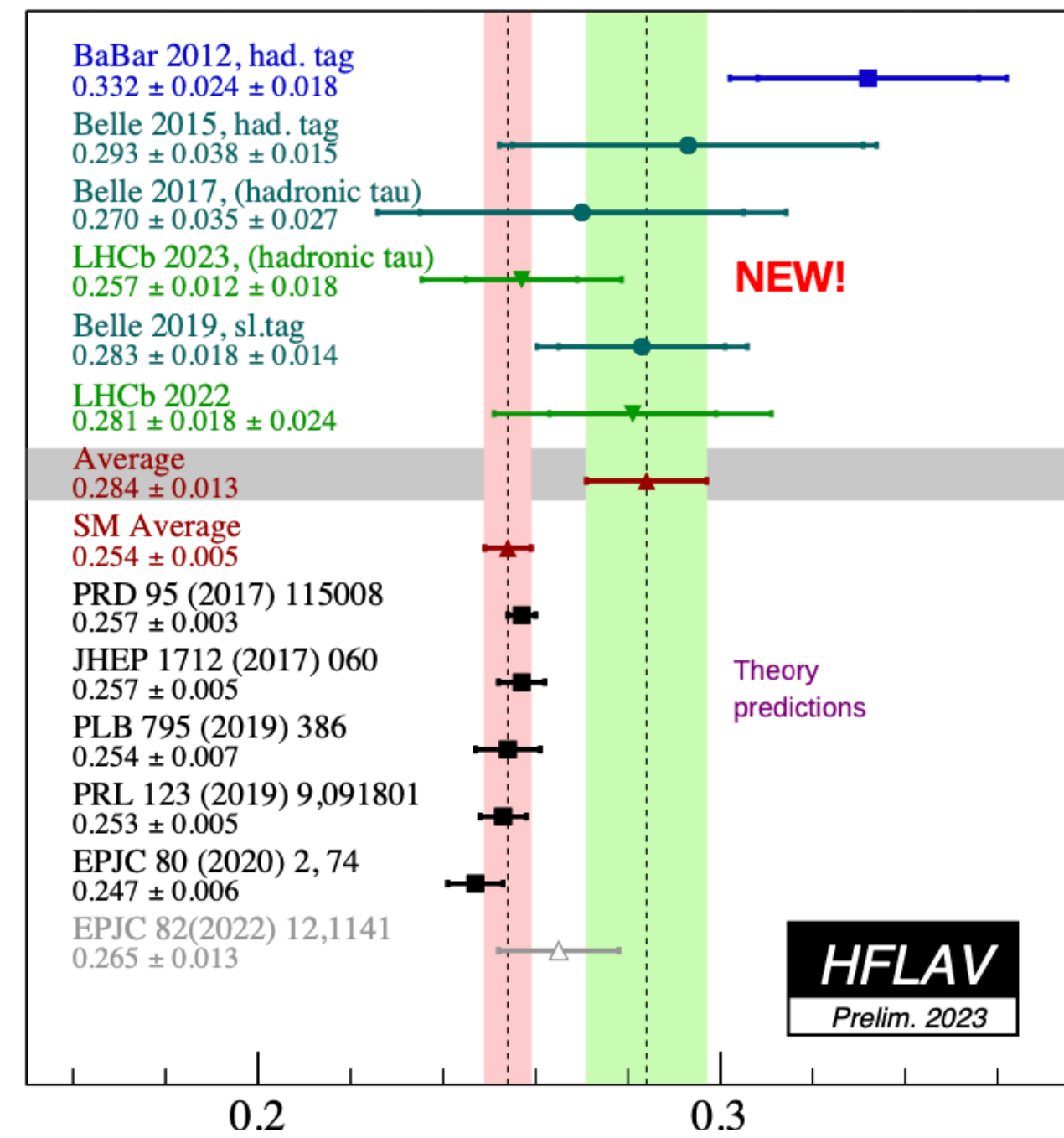
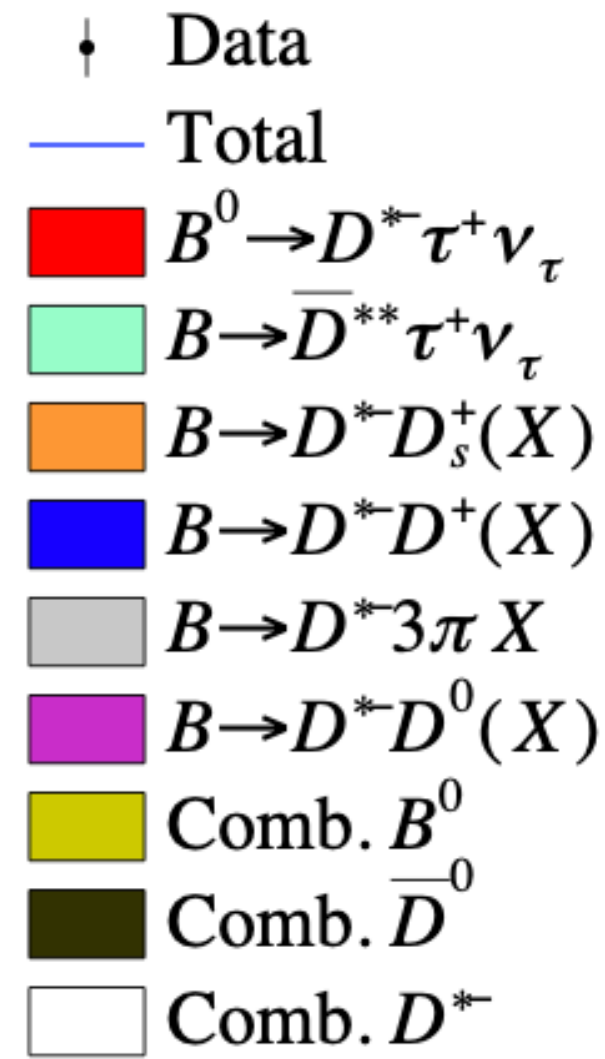
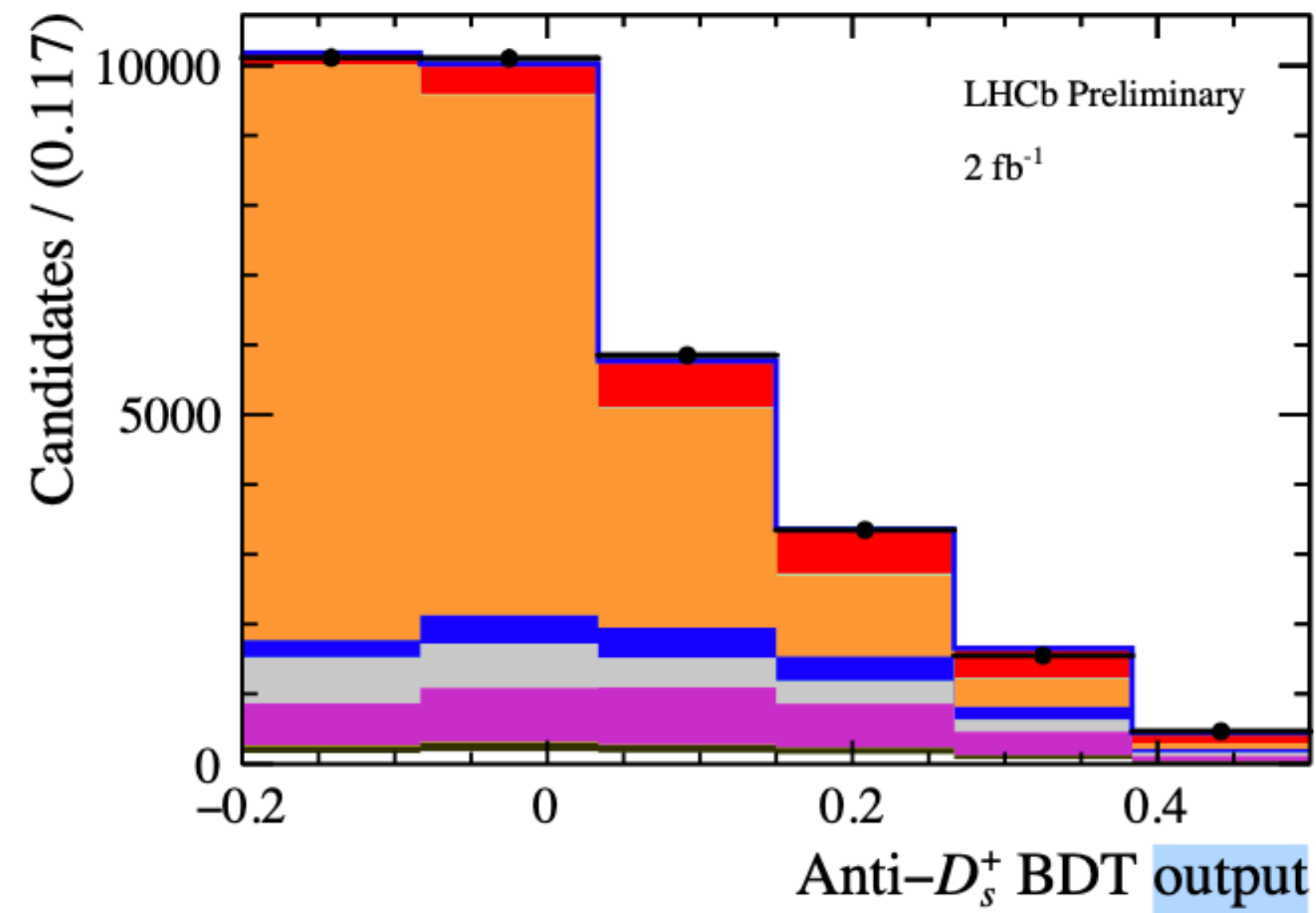
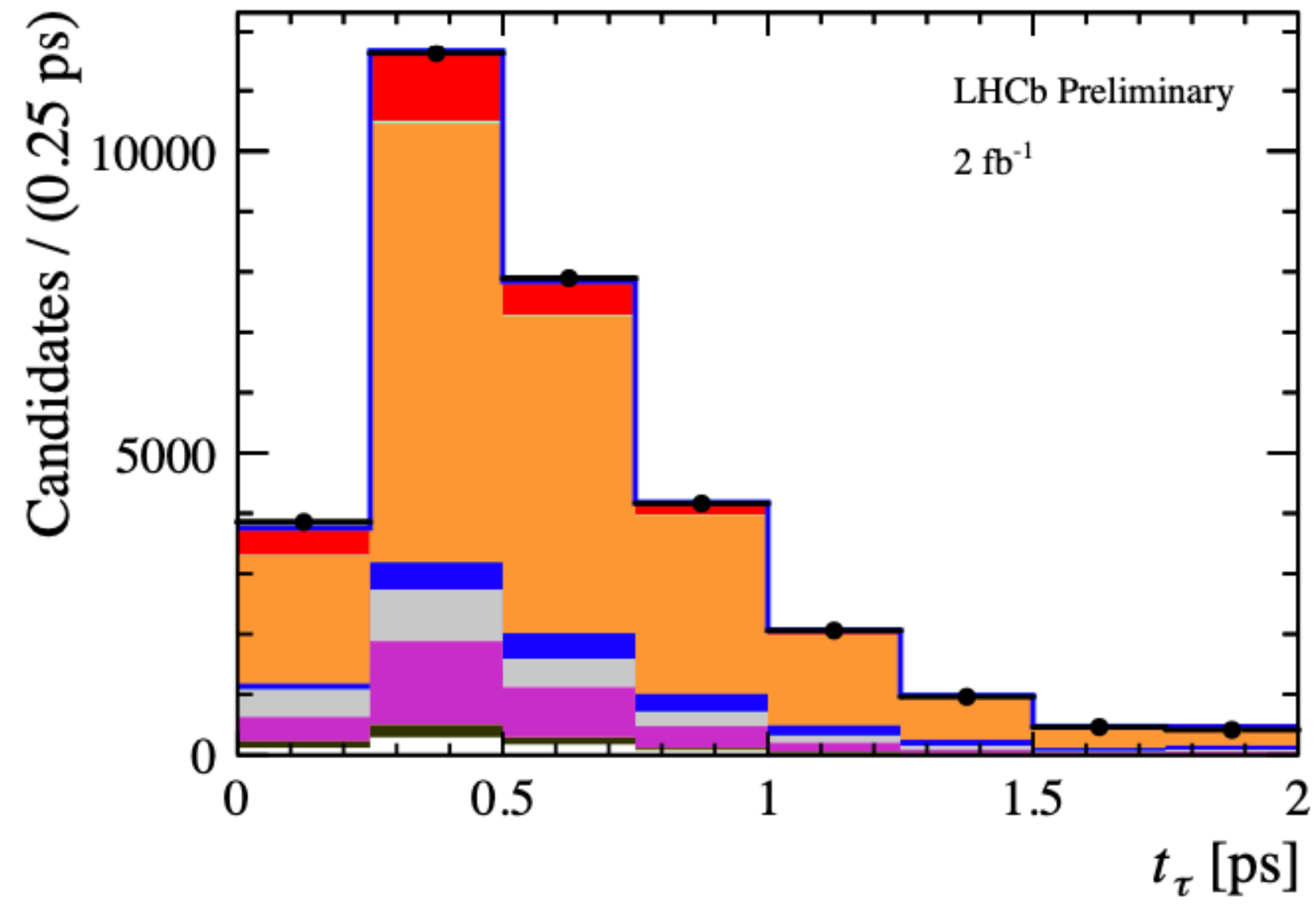
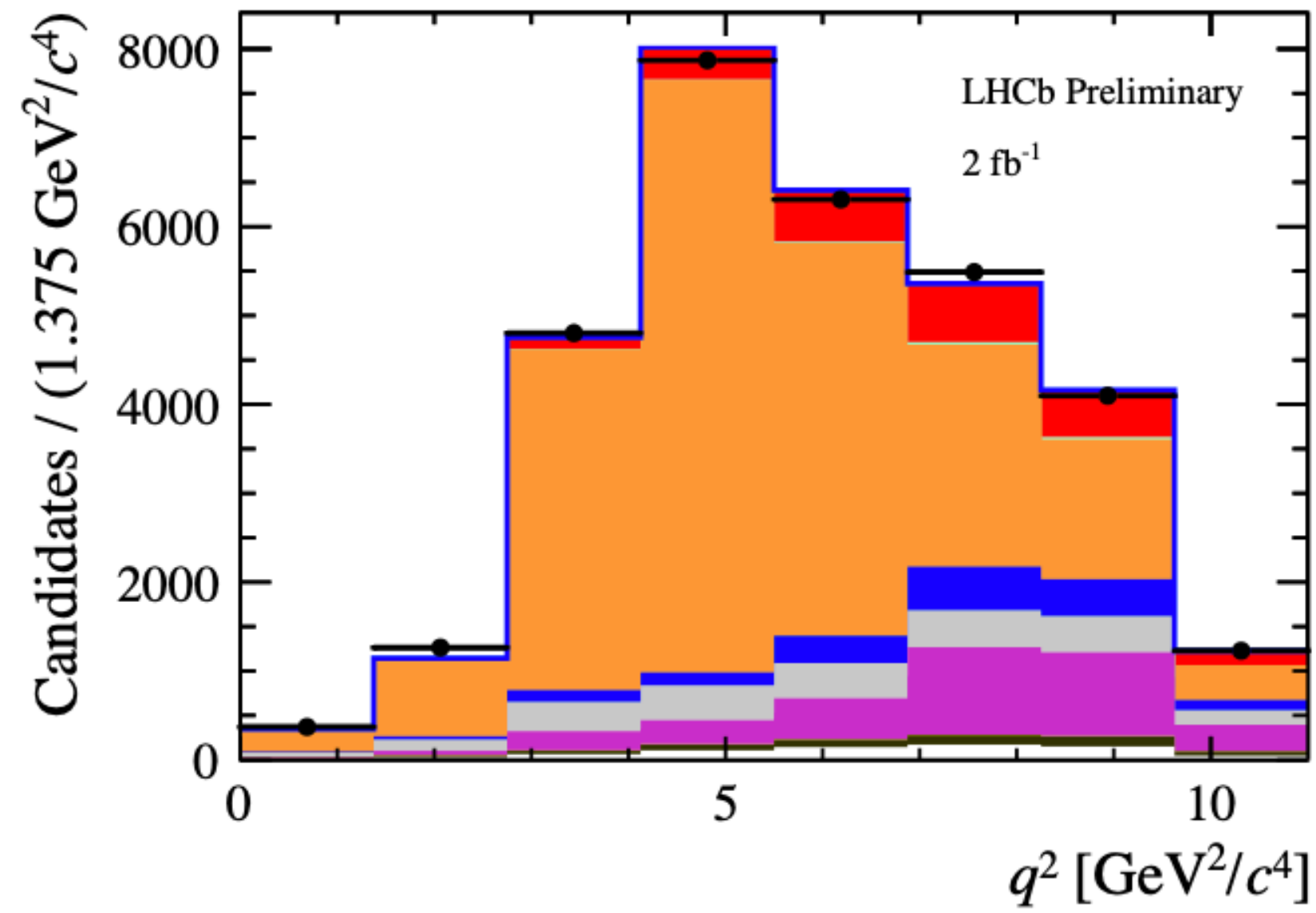


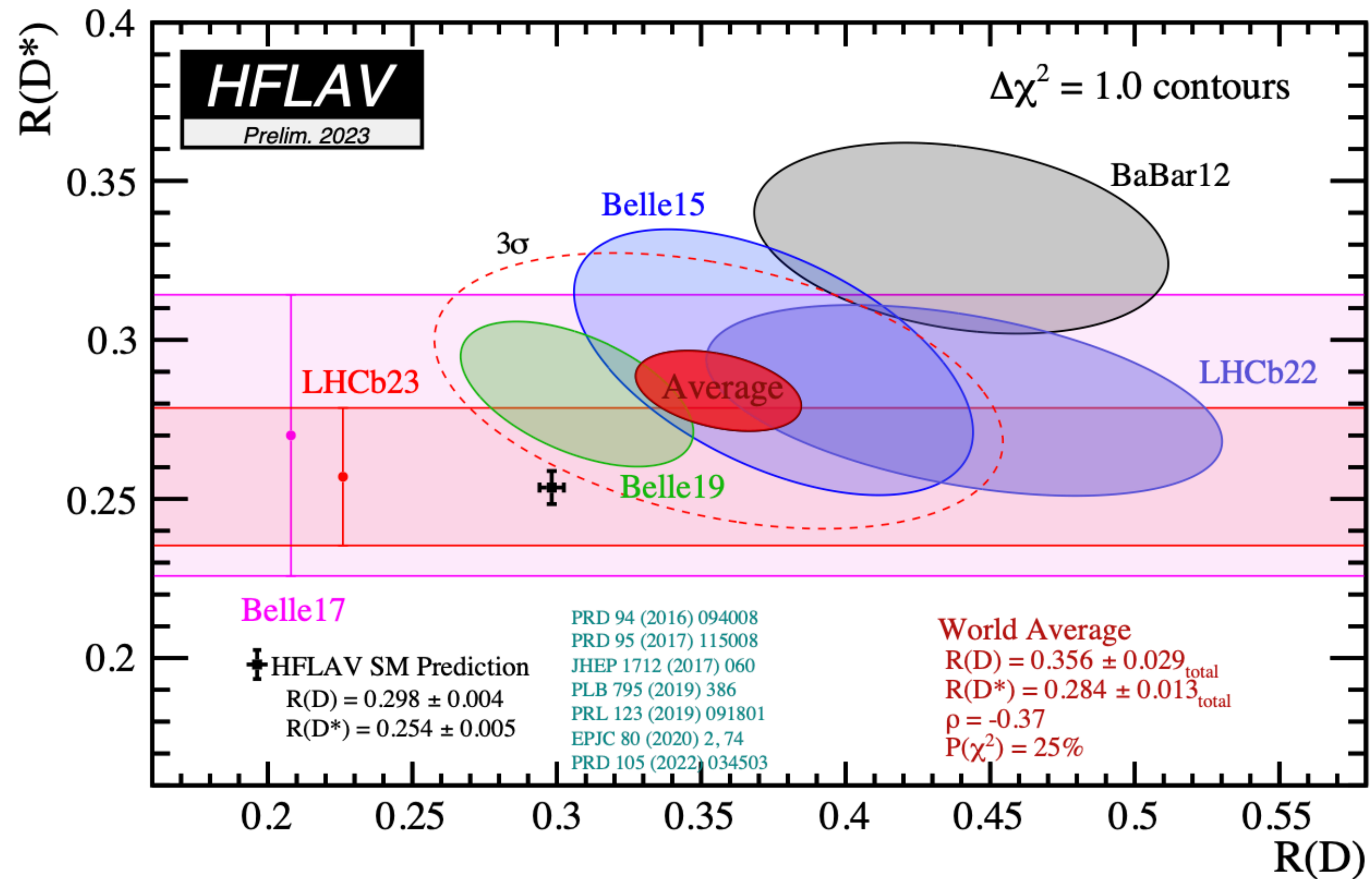
$$R(D) = 0.441 \pm 0.060(\text{stat}) \pm 0.066(\text{syst})$$

$$R(D^*) = 0.281 \pm 0.018(\text{stat}) \pm 0.023(\text{syst})$$

Agreement with SM at 1.9σ

It's just a Tuesday for my colleagues from ATLAS and CMS

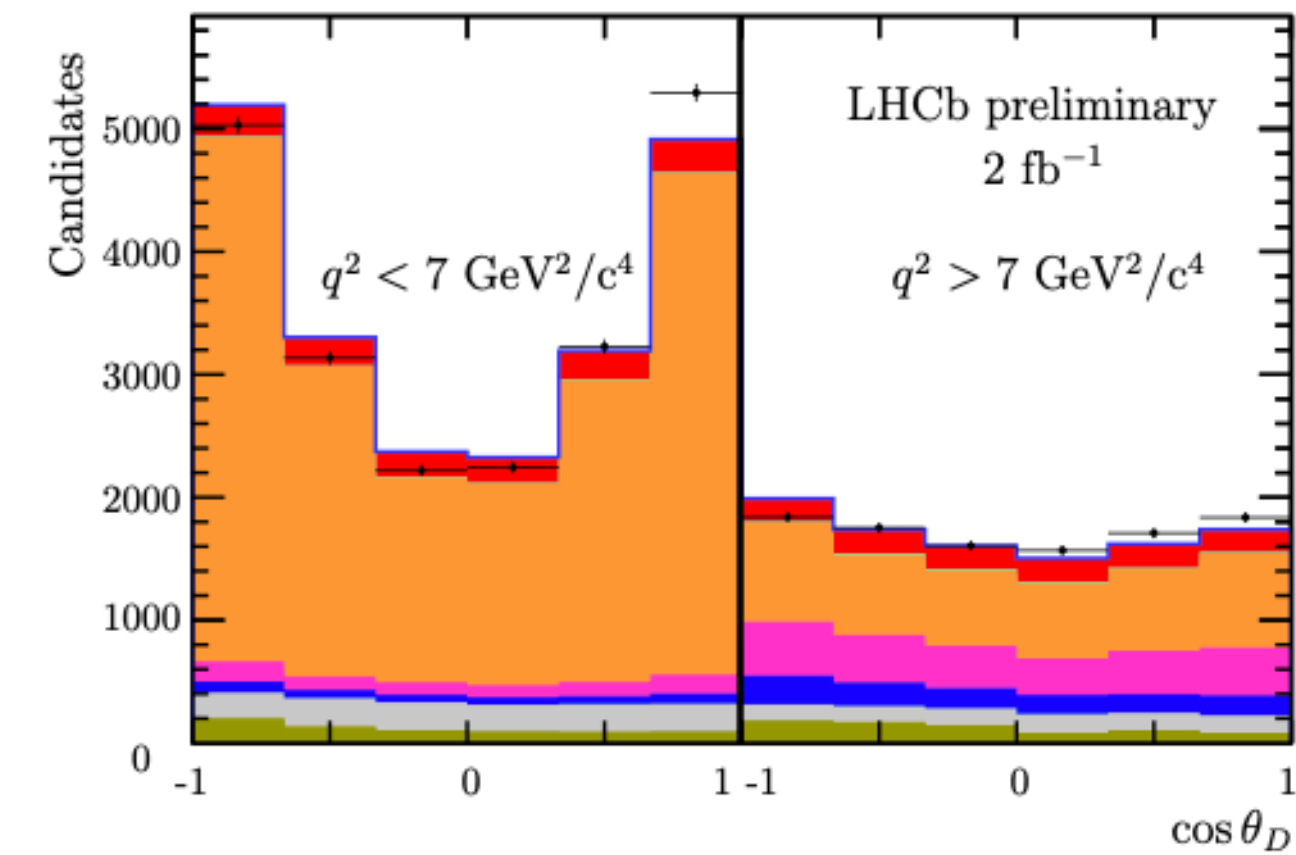
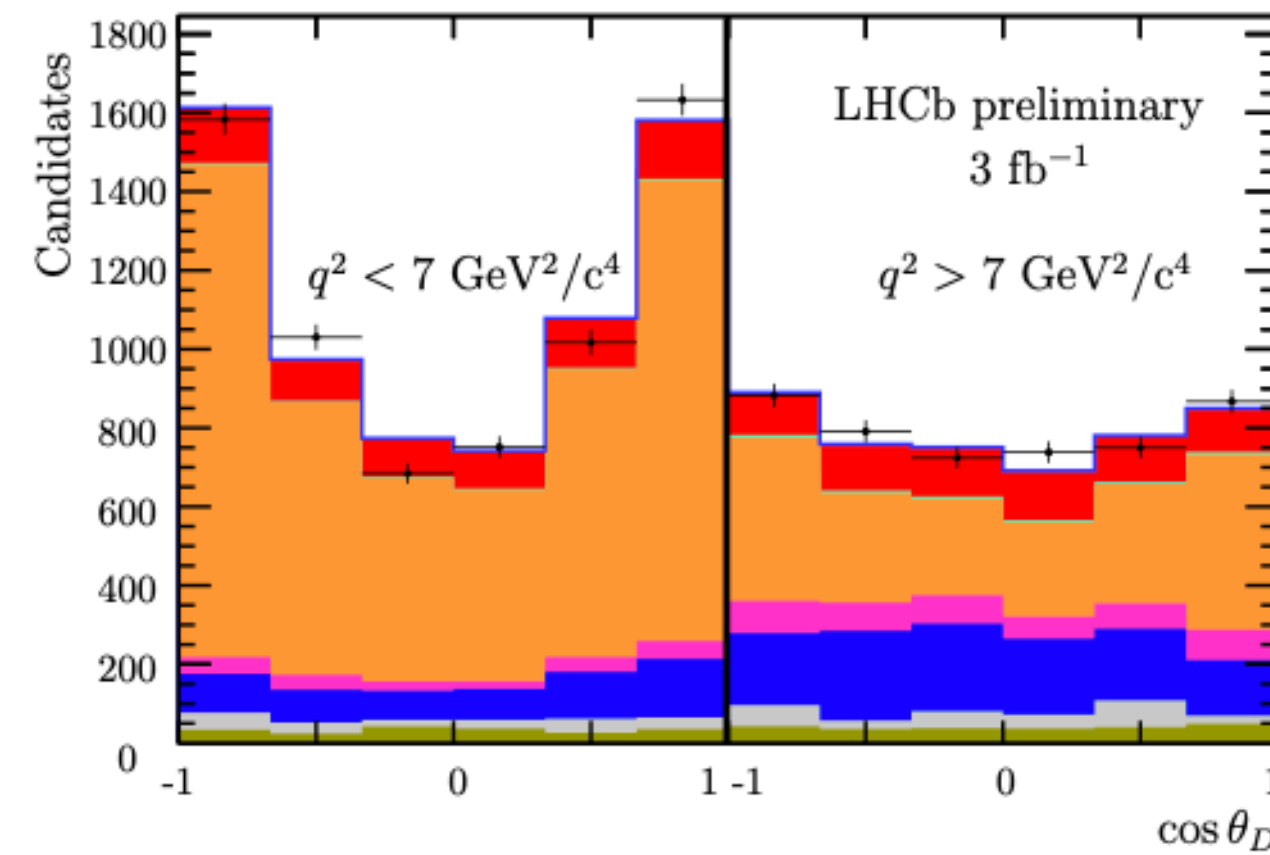
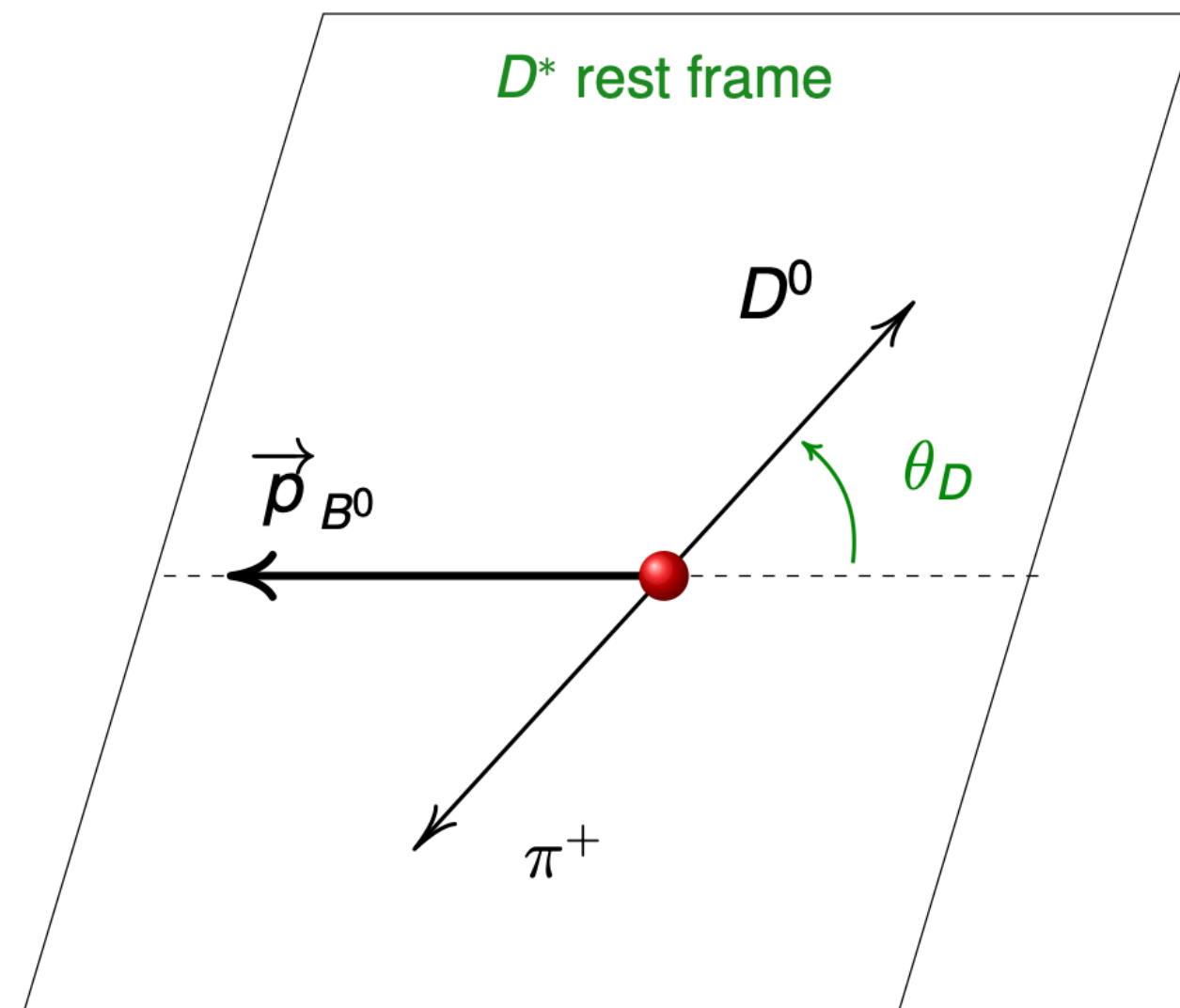




- Including this result, the world average becomes
 $R(D^*) = 0.284 \pm 0.013$; $R(D) = 0.356 \pm 0.029$ [HFLAV]
- The deviation w.r.t. the SM is at 3.2σ for the combination of $R(D)-R(D^*)$

Have a look back at G. Isidori's talk about the implications !

LHCb enters the game of semi-leptonic angular analyses



$F_L^{D^*}$ value extracted for the 3 q^2 region

$q^2 < 7 \text{ GeV}^2/c^4$:	$0.51 \pm 0.07(\text{stat}) \pm 0.03(\text{syst})$
$q^2 > 7 \text{ GeV}^2/c^4$:	$0.35 \pm 0.08(\text{stat}) \pm 0.02(\text{syst})$
q^2 integrated :	$0.43 \pm 0.06(\text{stat}) \pm 0.03(\text{syst})$

- All values are found to be compatible with the SM within 1σ

"It would be nice to have the other angular observable."

Test on forward-backward asymmetry:

$$\mathcal{A}_{\text{FB}} = \frac{\int_0^1 d \cos \theta_\ell d\Gamma/d \cos \theta_\ell - \int_{-1}^0 d \cos \theta_\ell d\Gamma/d \cos \theta_\ell}{\int_0^1 d \cos \theta_\ell d\Gamma/d \cos \theta_\ell + \int_{-1}^0 d \cos \theta_\ell d\Gamma/d \cos \theta_\ell}$$

$$\Delta \mathcal{A}_{\text{FB}} = \mathcal{A}_{\text{FB}}^\mu - \mathcal{A}_{\text{FB}}^e$$

Preliminary

$$\mathcal{A}_{\text{FB}}^e = 0.219 \pm 0.011 \pm 0.020,$$

$$\mathcal{A}_{\text{FB}}^\mu = 0.215 \pm 0.011 \pm 0.022,$$

$$\Delta \mathcal{A}_{\text{FB}} = (-4 \pm 16 \pm 18) \times 10^{-3}$$

Test on D* longitudinal polarization fraction:

$$\frac{1}{\Gamma} \frac{d\Gamma}{d \cos \theta_V} = \frac{3}{2} \left(F_L \cos^2 \theta_V + \frac{1 - F_L}{2} \sin^2 \theta_V \right)$$

$$\Delta F_L = F_L^\mu - F_L^e$$

Preliminary

$$F_L^e = 0.521 \pm 0.005 \pm 0.007$$

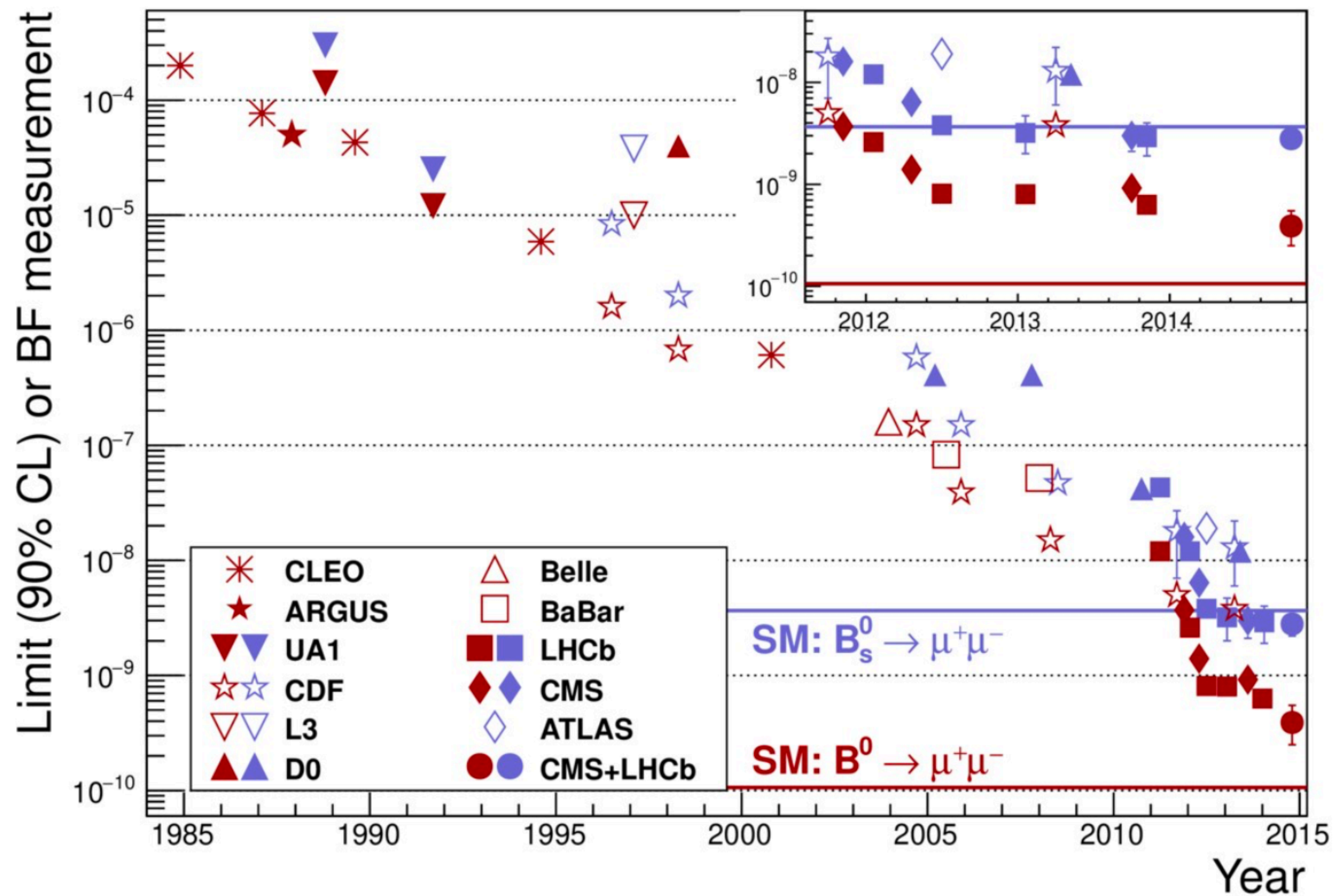
$$F_L^\mu = 0.534 \pm 0.005 \pm 0.006$$

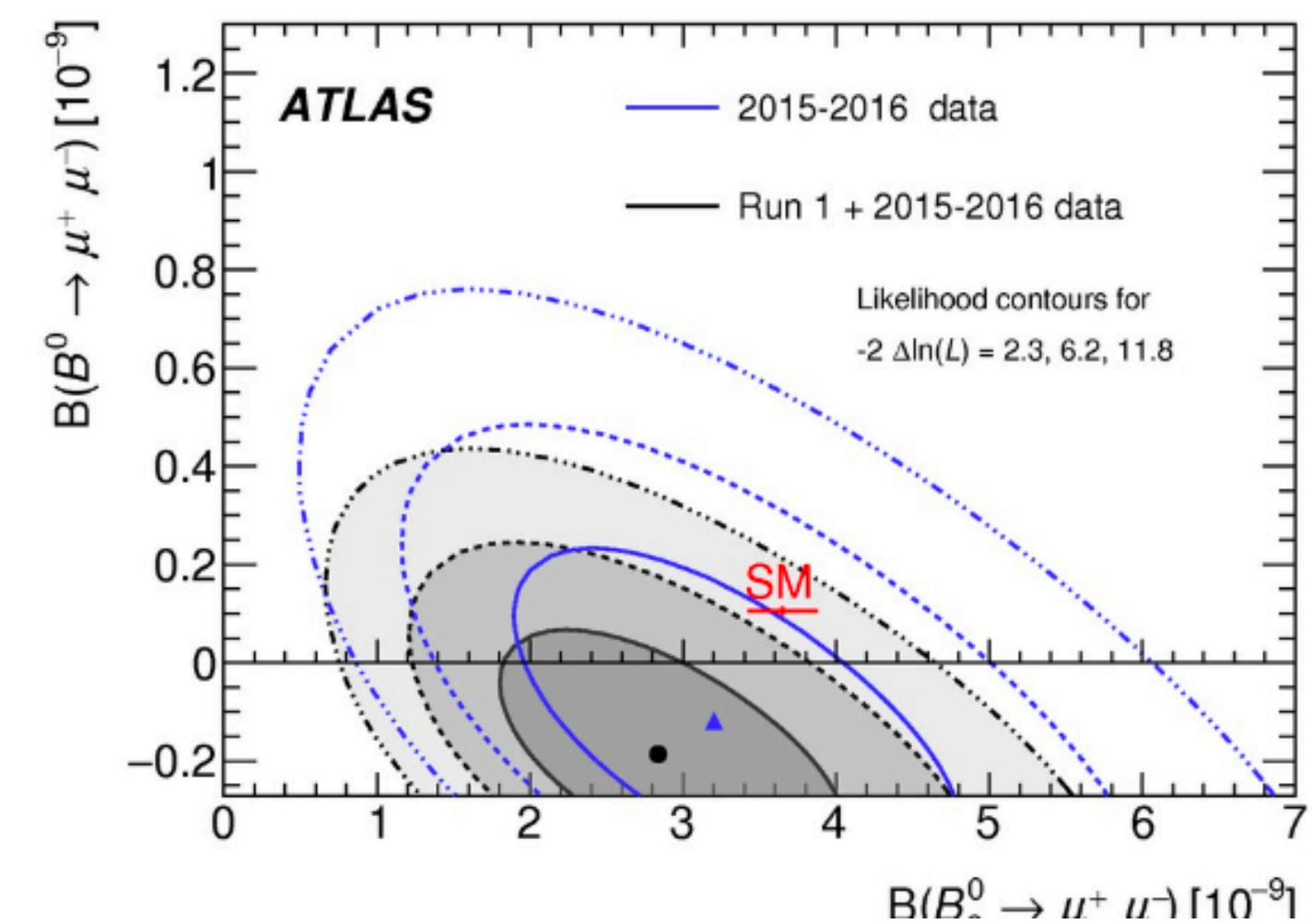
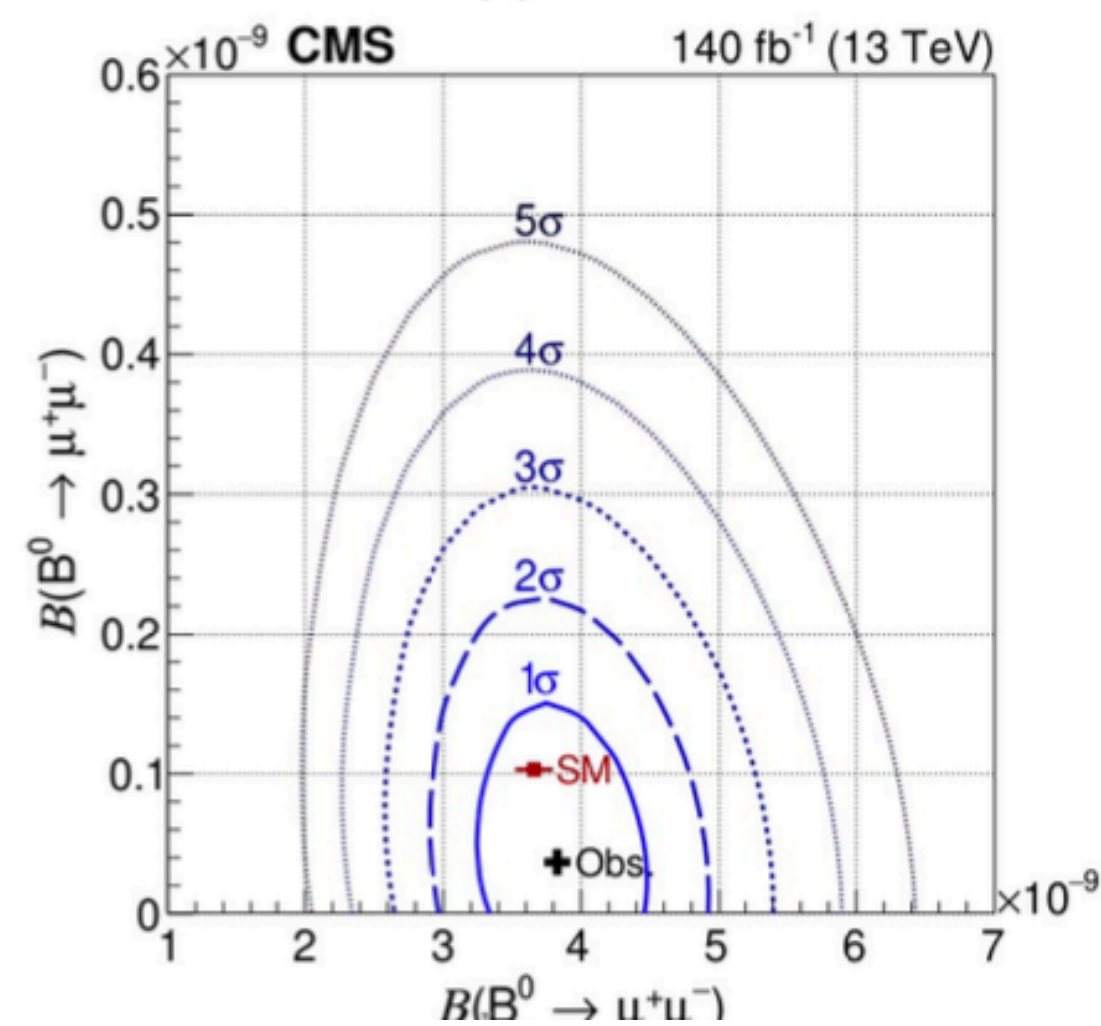
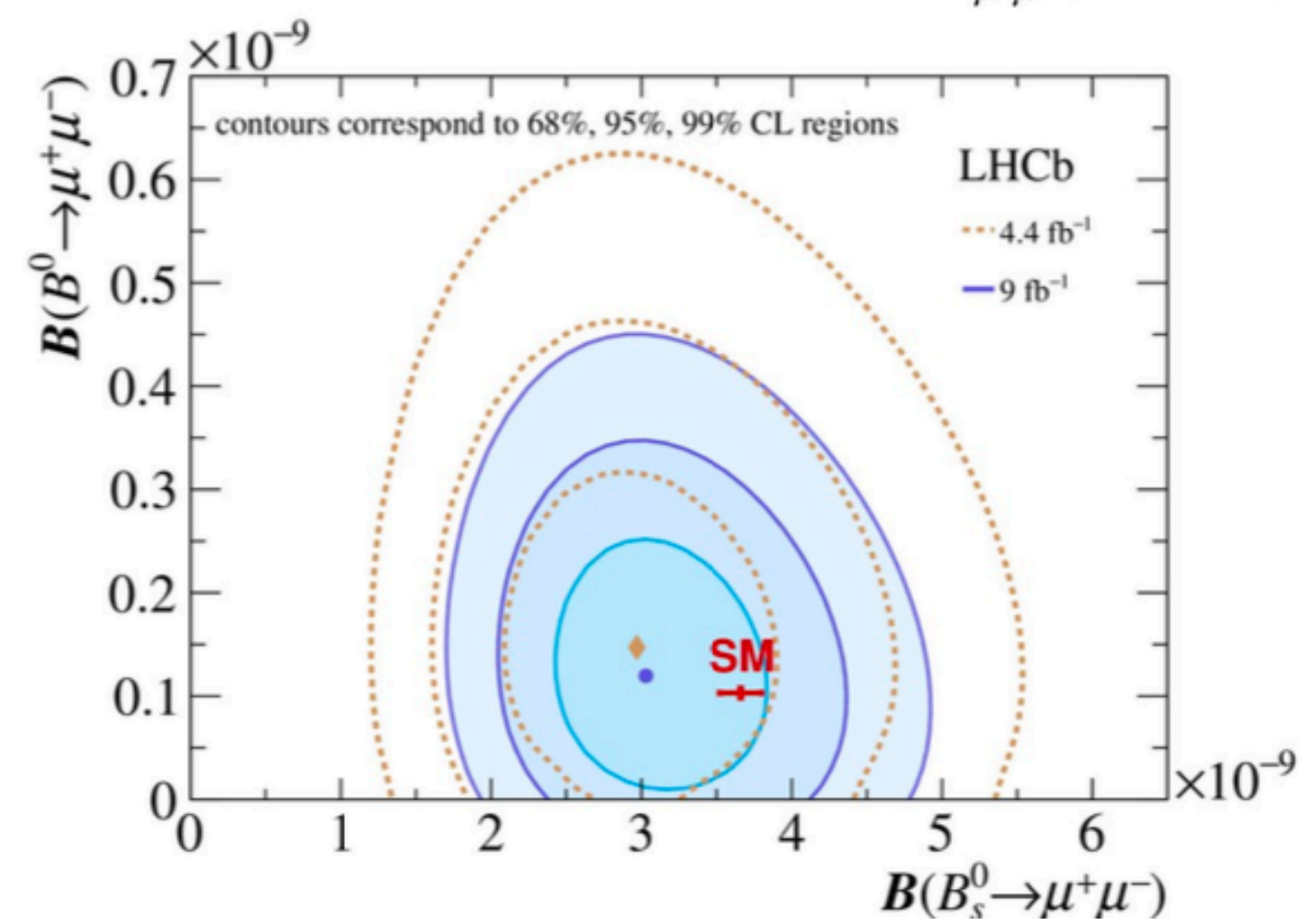
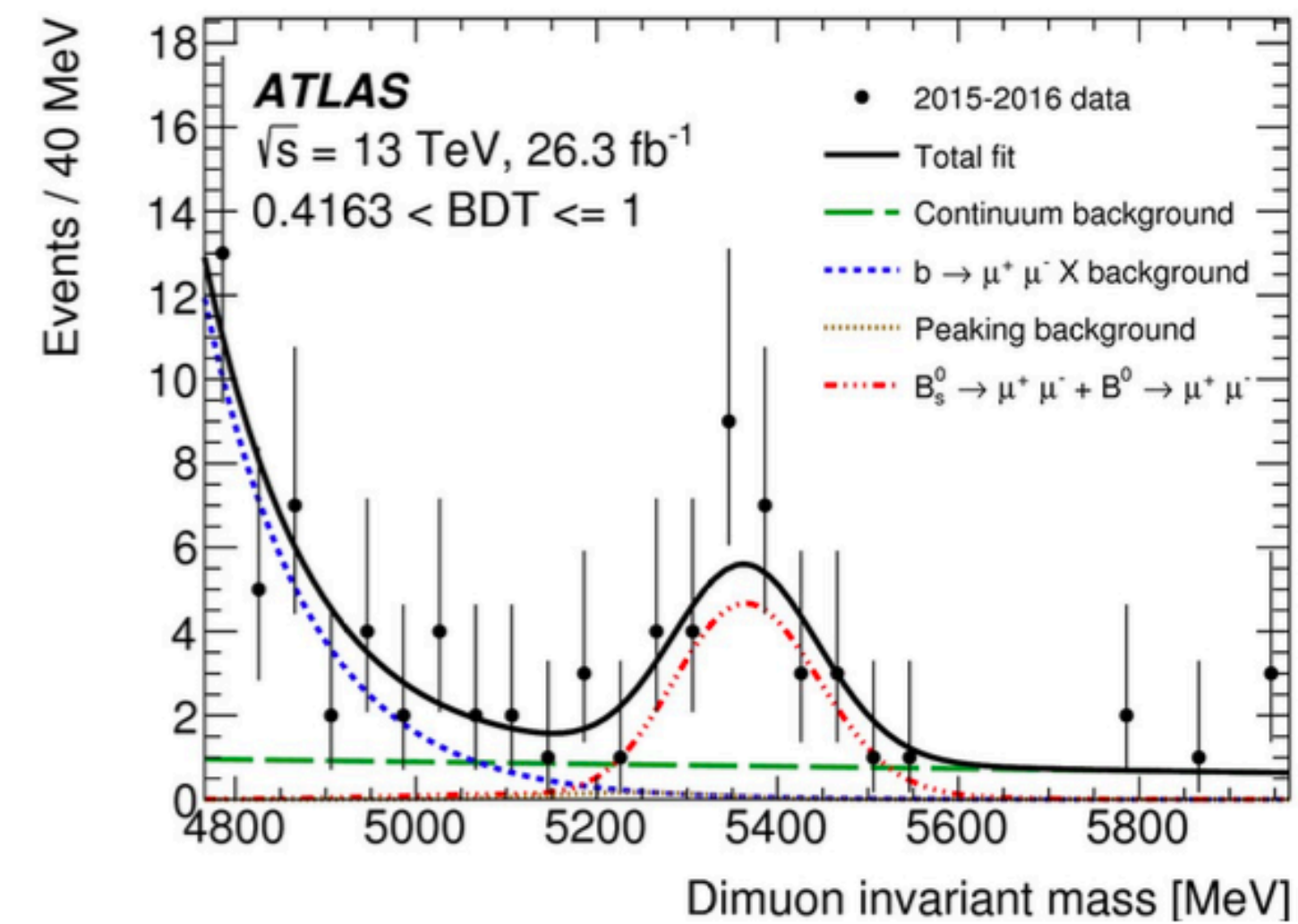
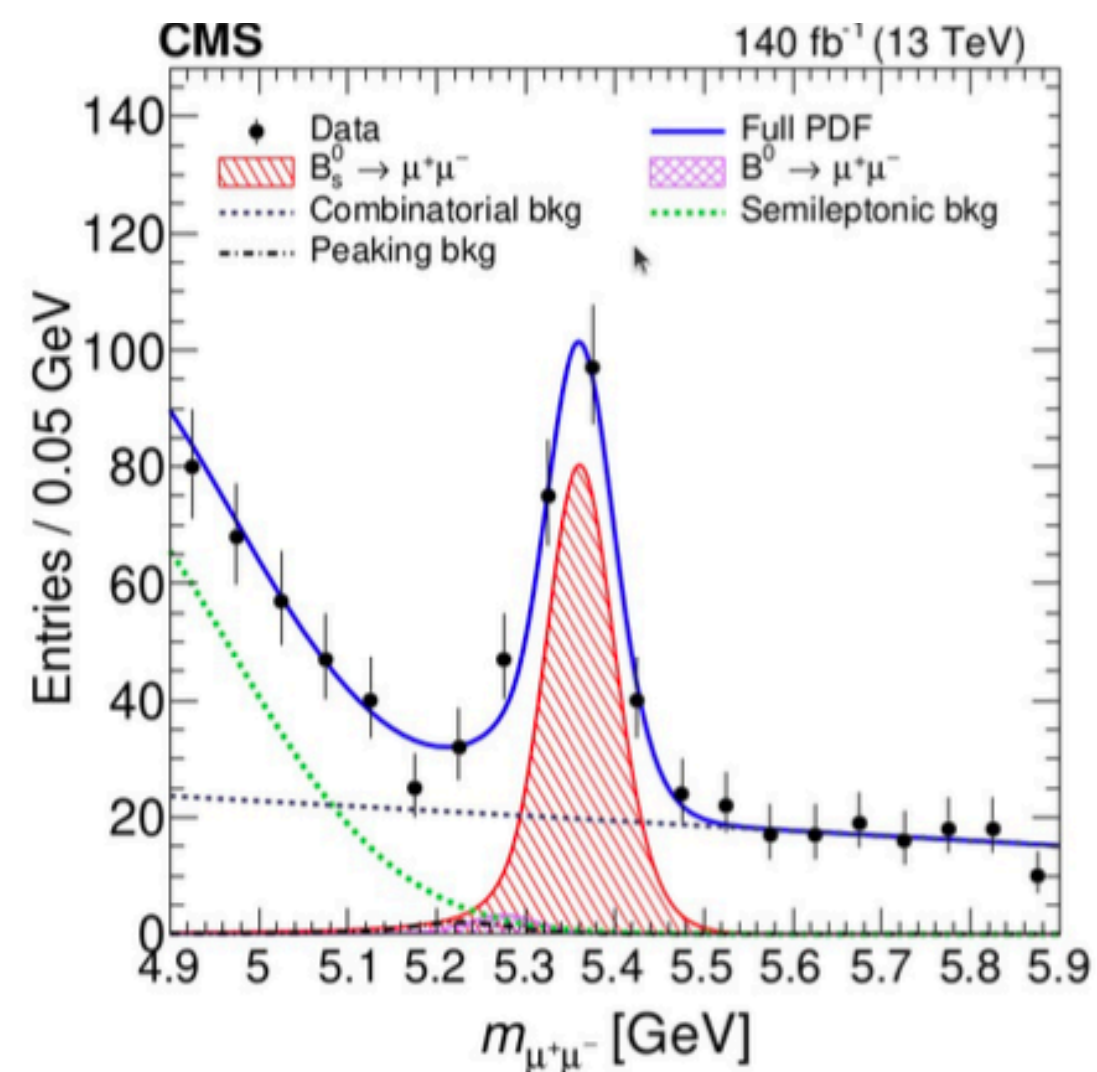
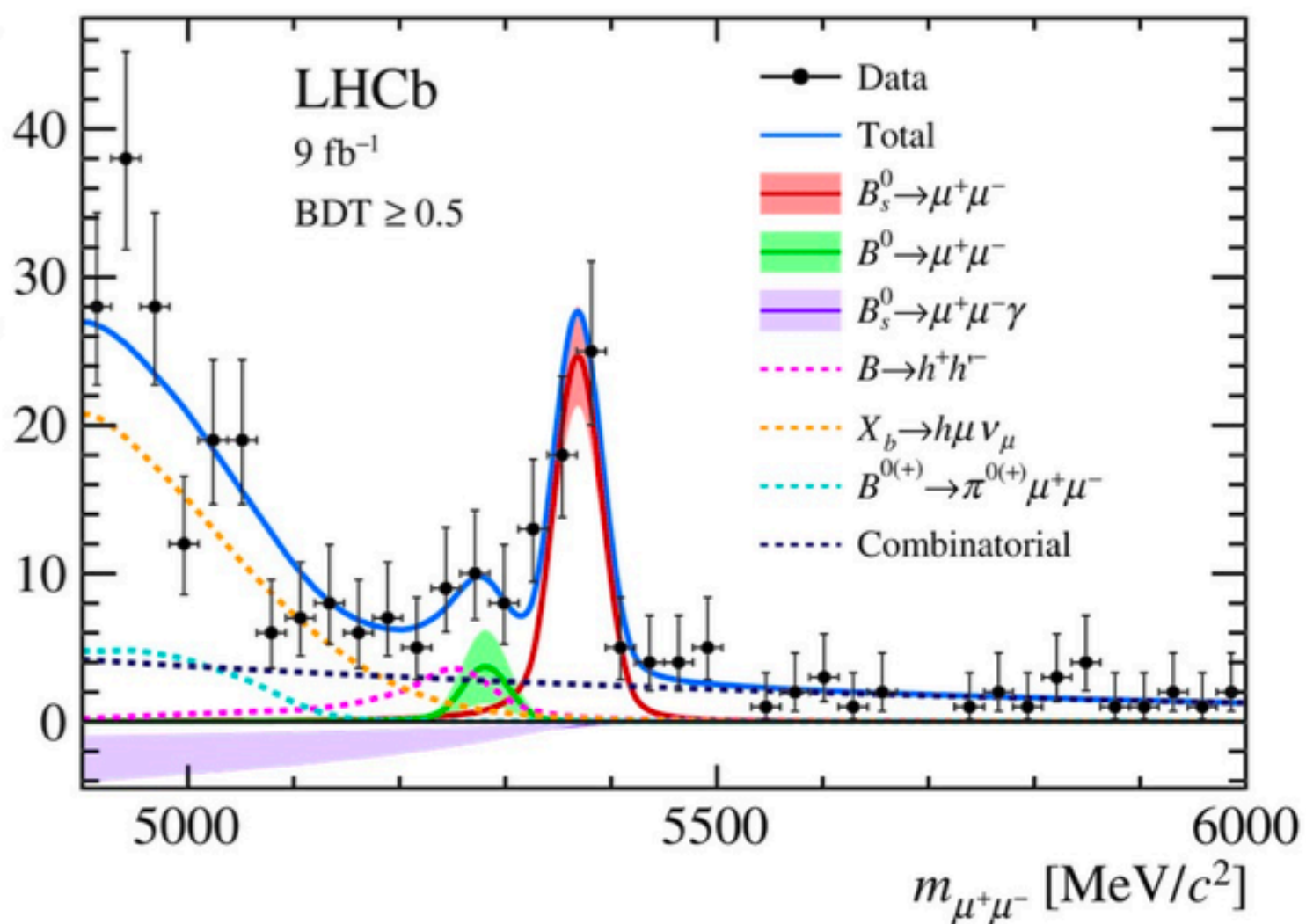
$$\Delta F_L = 0.013 \pm 0.007 \pm 0.007$$

Belle 2

Very appealing to be able to do Lepton Universality tests from angular analysis

What else?

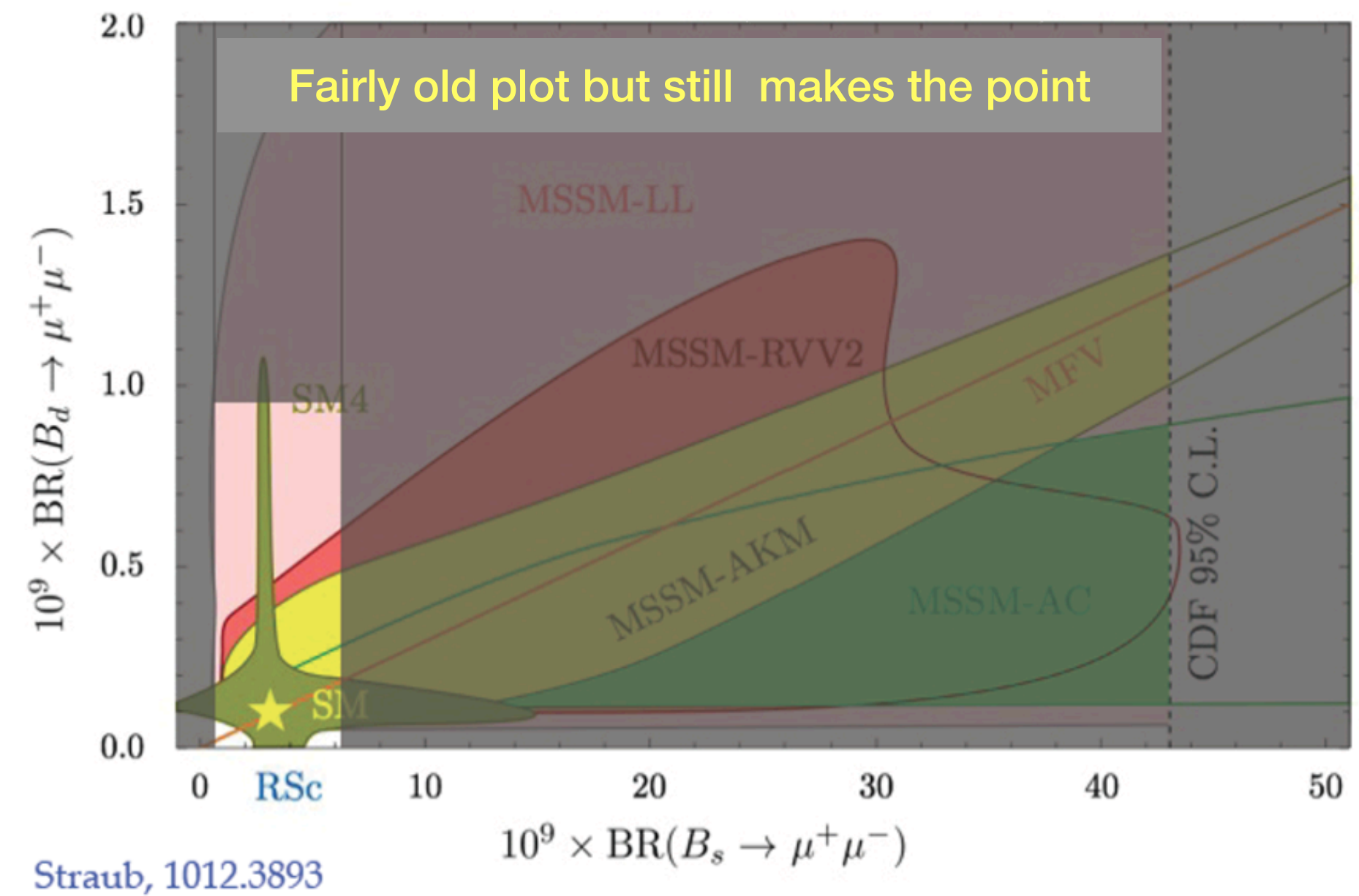
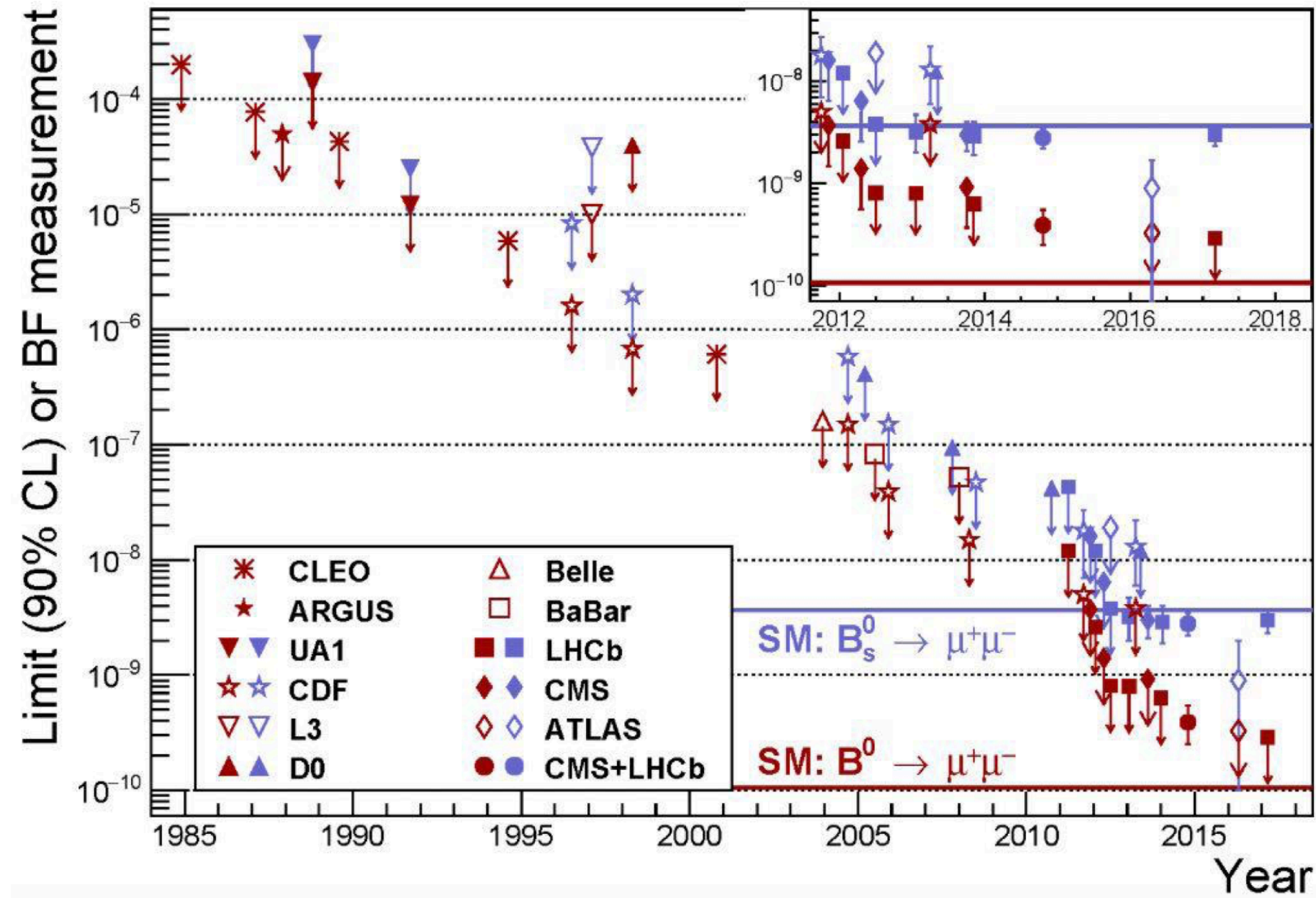
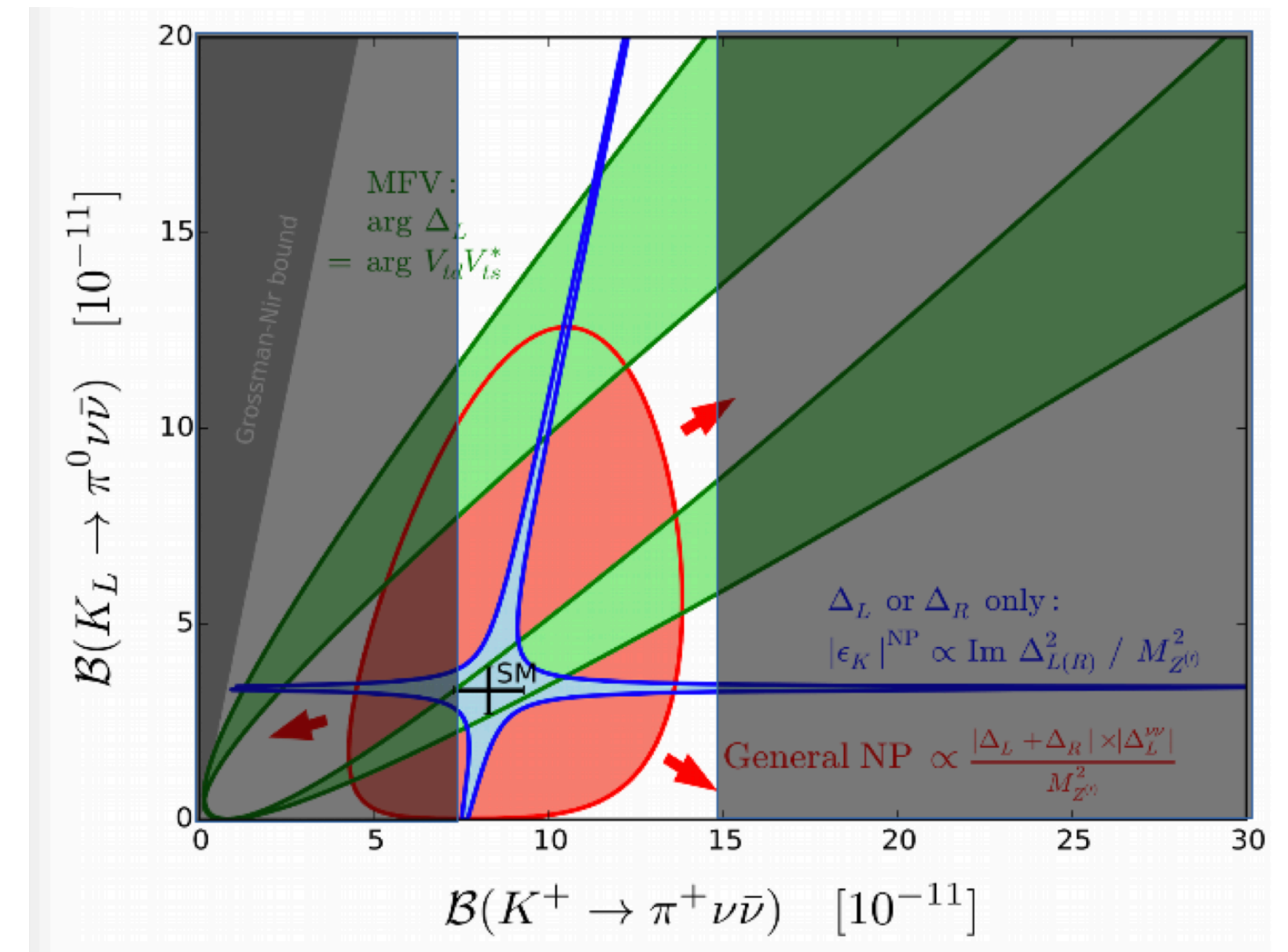
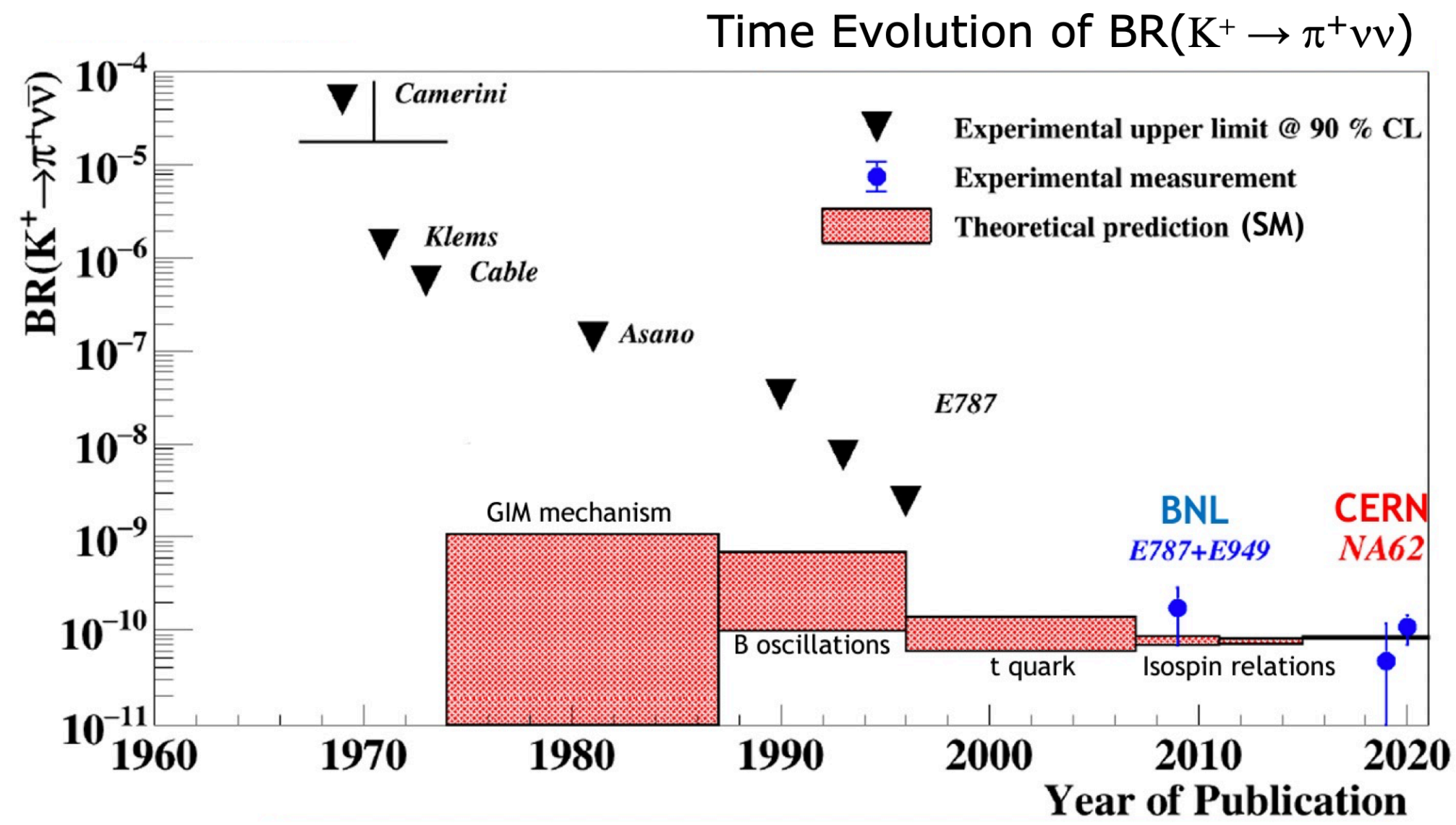




LHCb, PRL 128 (2022) 041801

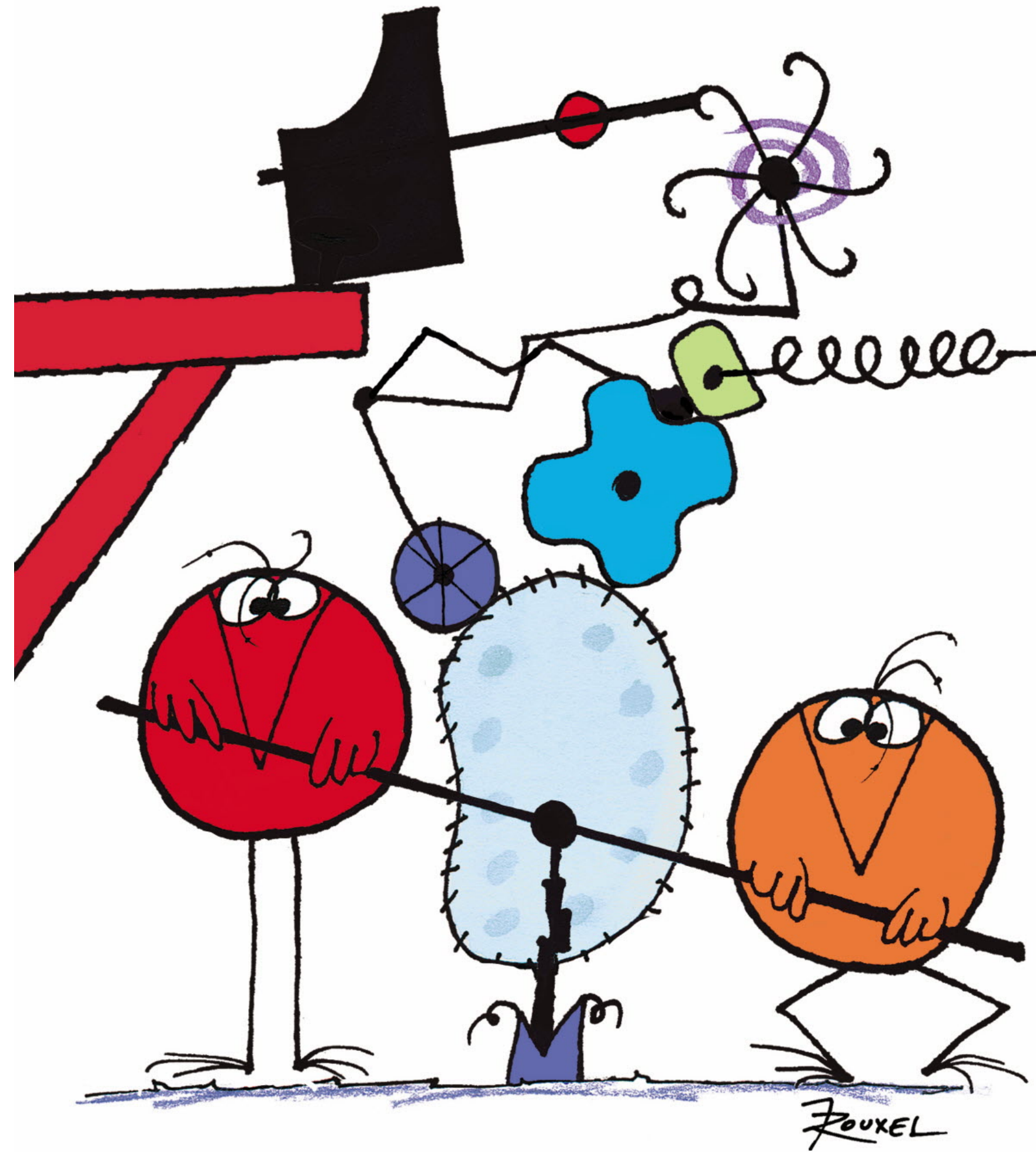
CMS, PL B842 (2023) 137955

ATLAS, JHEP 04 (2019) 098



Always be grateful to D. Straub for inventing Flavio

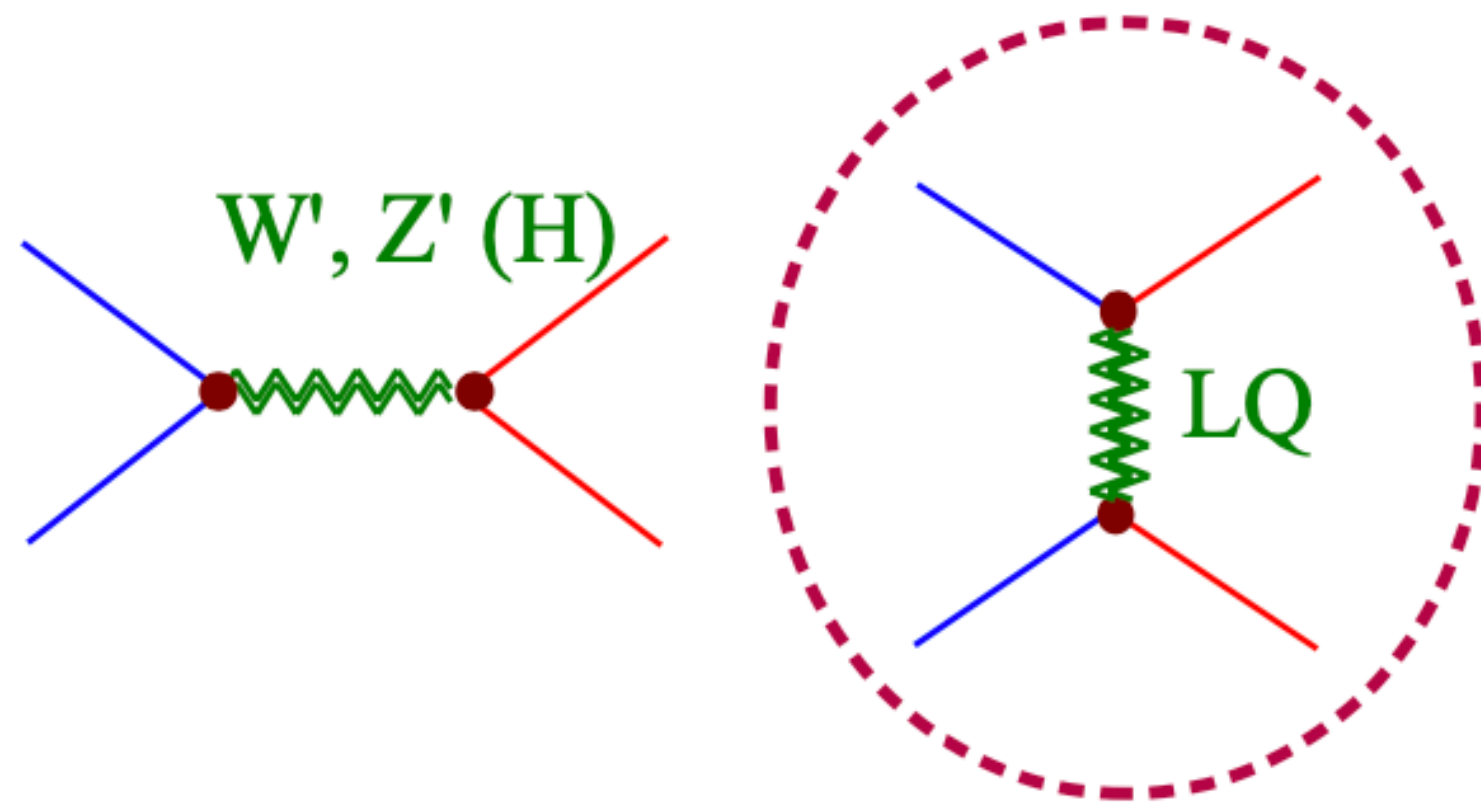
Yes but what about New Physics?



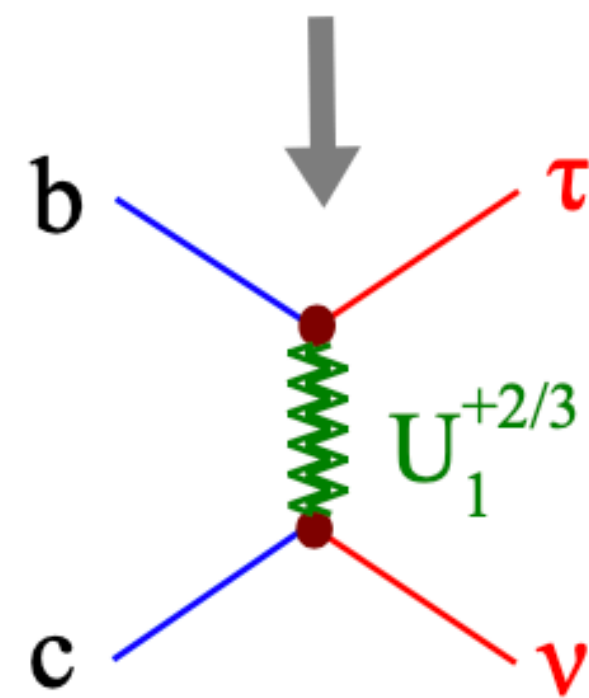
POURQUOI FAIRE SIMPLE QUAND
ON PEUT FAIRE COMPLIQUÉ ?!

► Speculations on present data: from EFT to the UV

Which mediators can generate the effective semileptonic operators required by EFT analysis? Not many possibilities...



Leptoquarks (both scalar and vectors) have a strong advantage: only semileptonic operators at the tree-level (no four-quark operators → strong bounds from meson-antimeson mixing)



Simplest option:

LQ of the Pati-Salam gauge group:

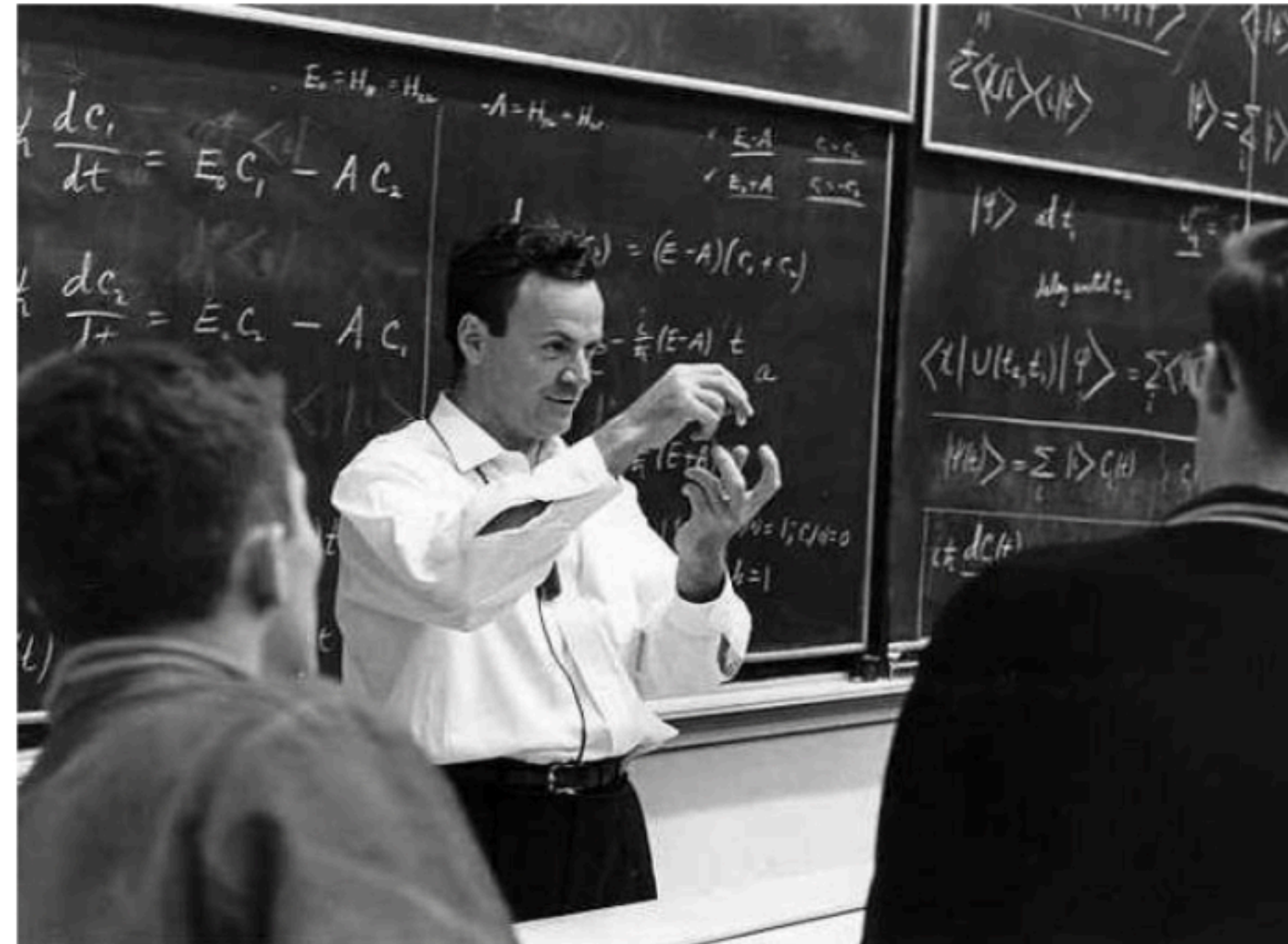
$$SU(4) \times SU(2)_L \times SU(2)_R$$

Fermions in SU(4):

$$\begin{bmatrix} Q^\alpha \\ Q^\beta \\ Q^\gamma \\ L \end{bmatrix}$$

$$SU(4) \sim \begin{bmatrix} SU(3)_C & 0 \\ 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & LQ \\ LQ & \end{bmatrix} \begin{bmatrix} \frac{1}{3} & 0 \\ 0 & -1 \end{bmatrix}$$

Implications & future prospects



“It doesn’t matter how beautiful your theory is, it doesn’t matter how smart you are. If it doesn’t agree with experiment, it’s wrong.”

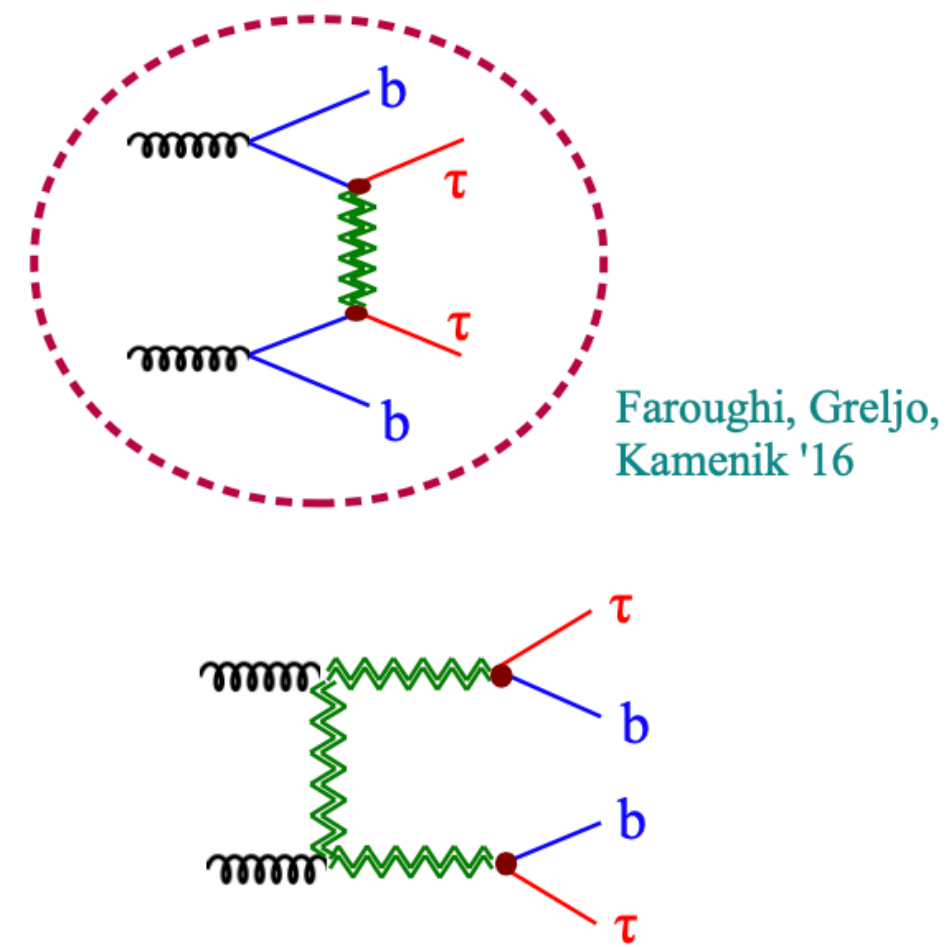
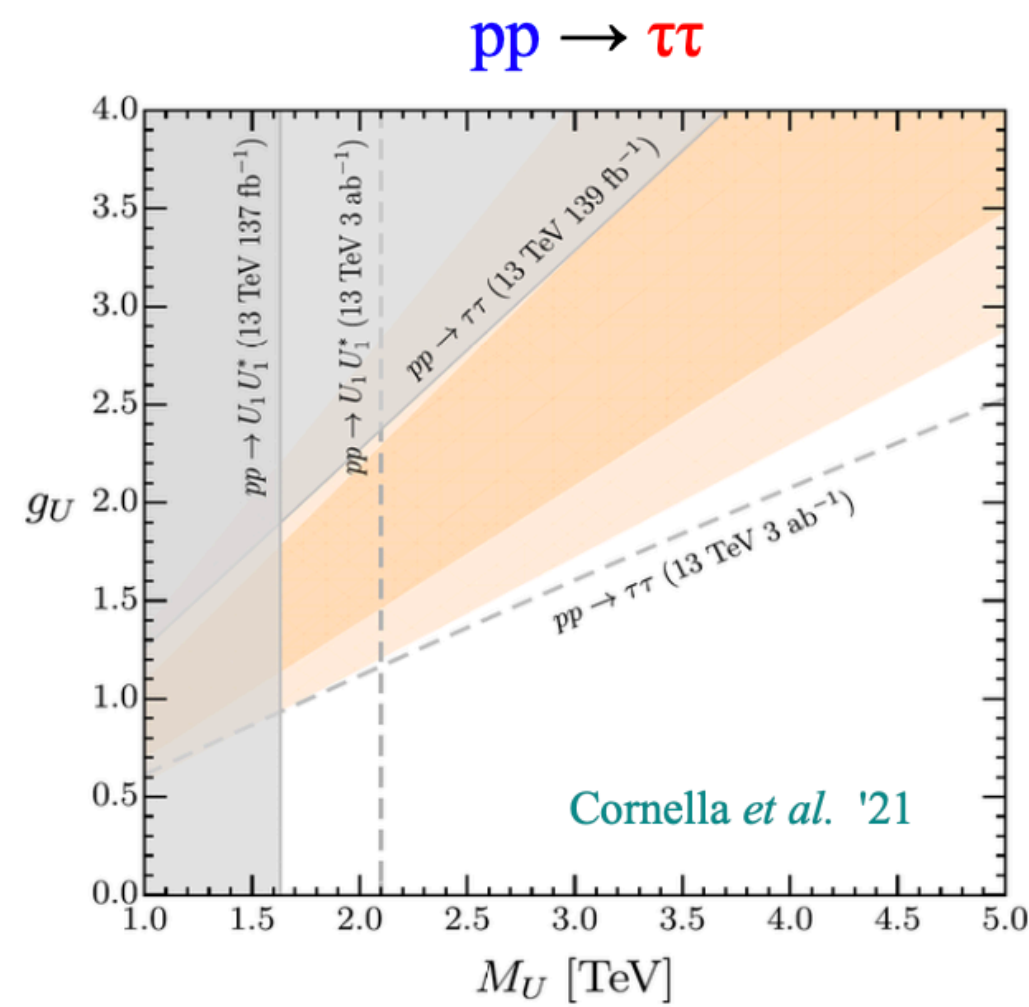
[Feynman]

► Implications & future prospects

If the ideas I sketched before are correct (*even only in part...*), we can expect several interesting new phenomena, at both low and high energies

I The U_1 exchange @ high-energies

[very general, directly connected to the EFT analysis]

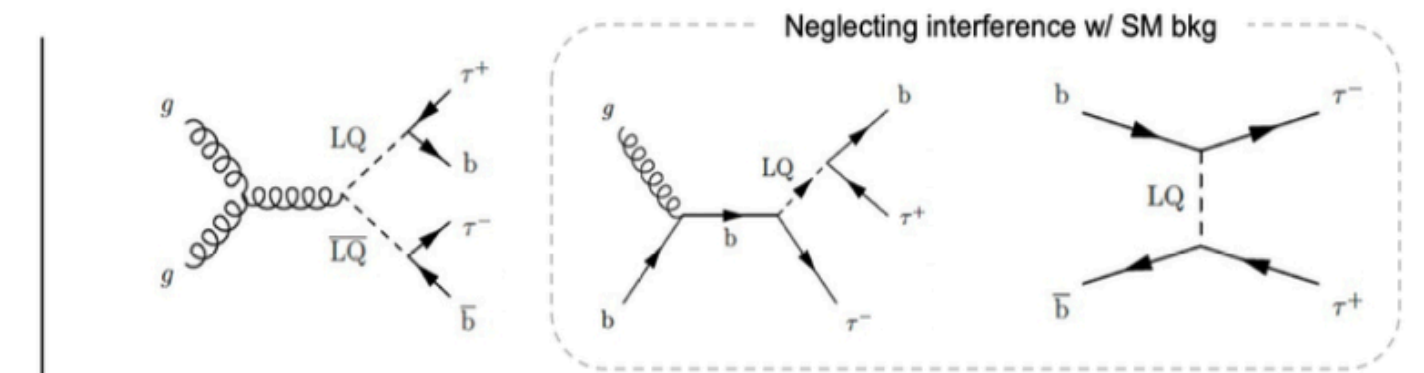
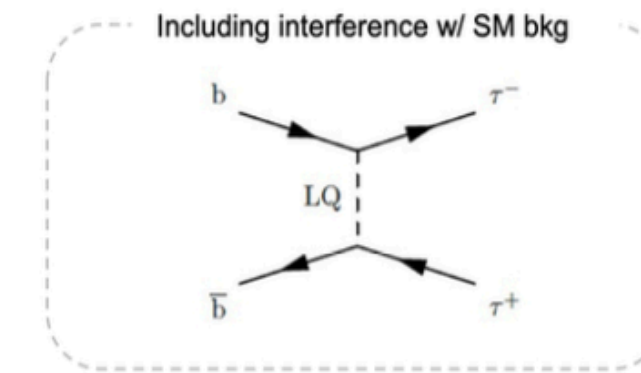


► Implications & future prospects

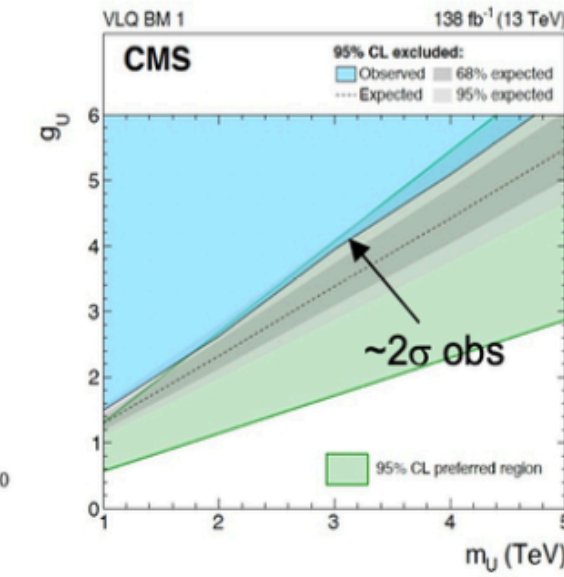
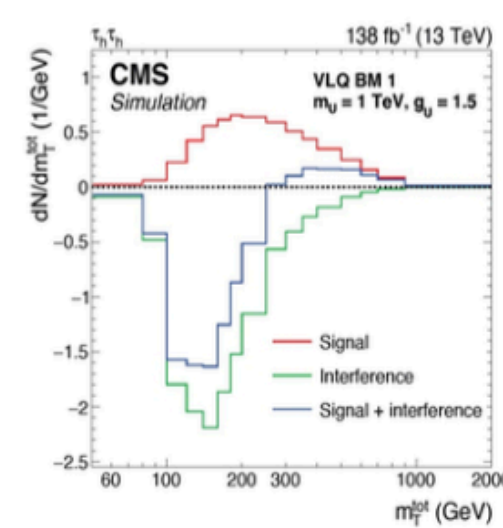
Aurelio Juste [Moriond EW '23]



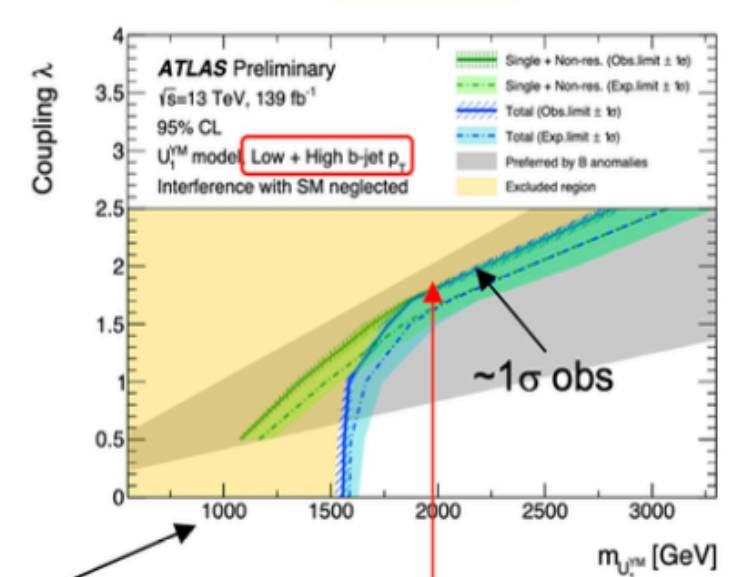
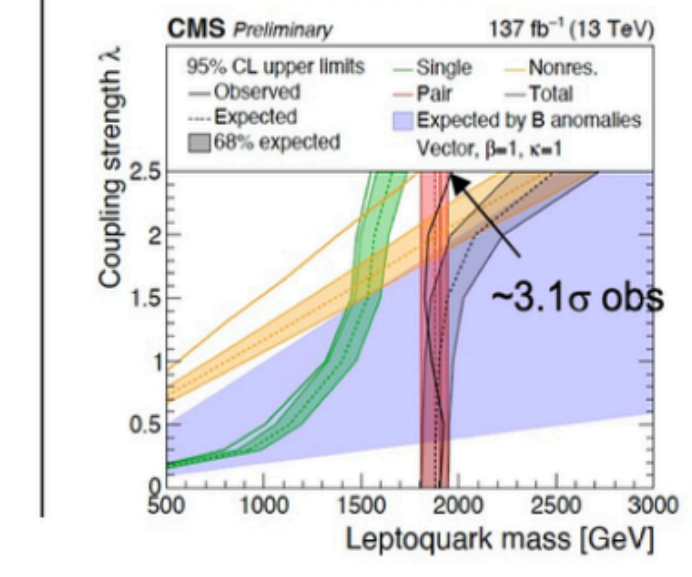
LQ-b- τ : Comparison of recent results



Caveat: BR=1 (CMS) vs BR=0.5 (ATLAS)



Shown at Moriond EW 2022



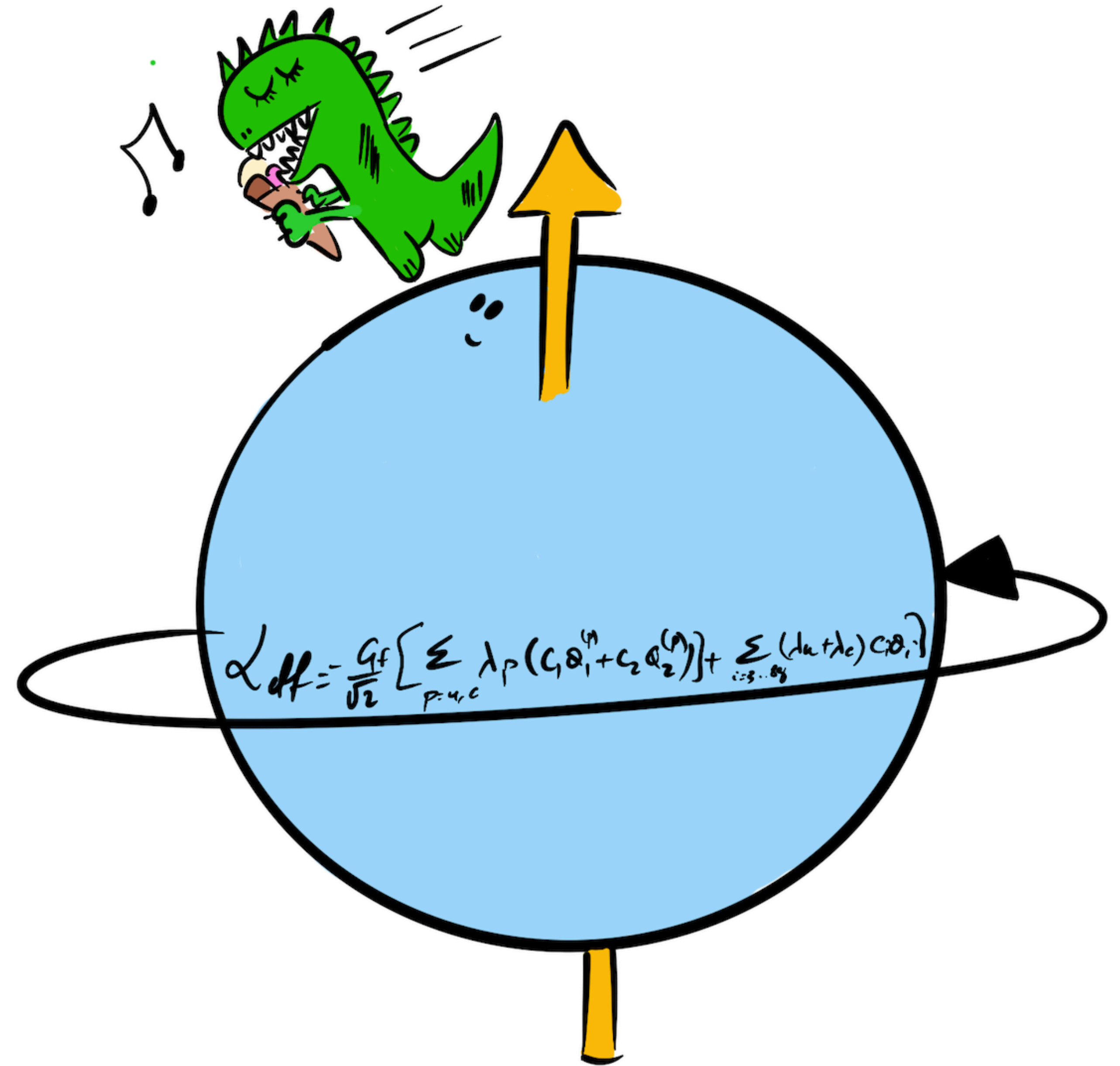
Excludes CMS' excess

Large improvement in sensitivity when adding low b-jet p_T category

Need to clarify interference issue for future interpretations

To almost conclude

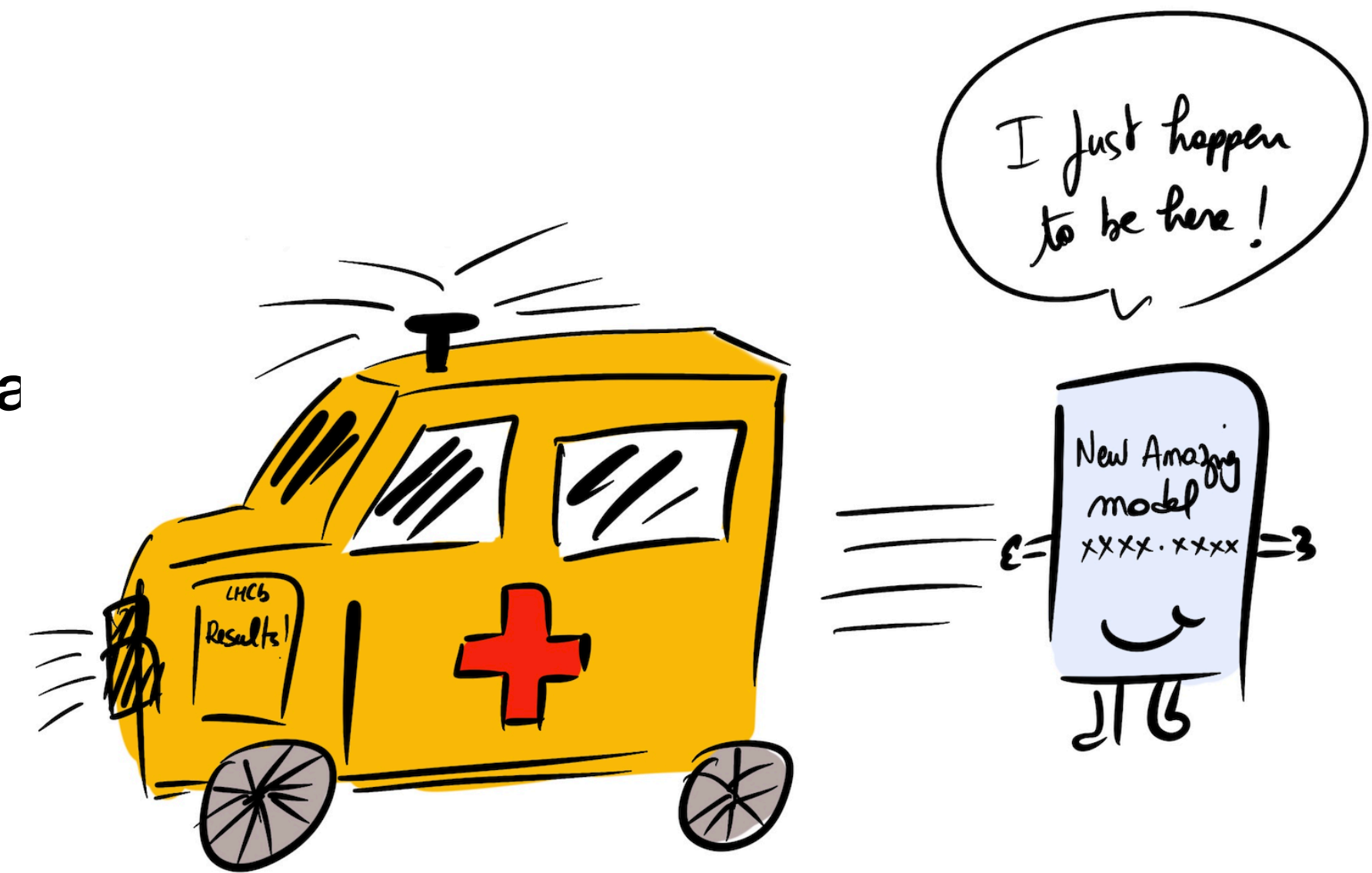
- We need New Physics !
- Flavour Physics is a super cool laboratory to search for it.
- So far the Standard Model seems to be putting up a good fight.
- We can only rely on the imagination of physicists to make the next breakthroughs.
- There are a number of experiments lined up to pursue this adventure !



Good practices for PhD students

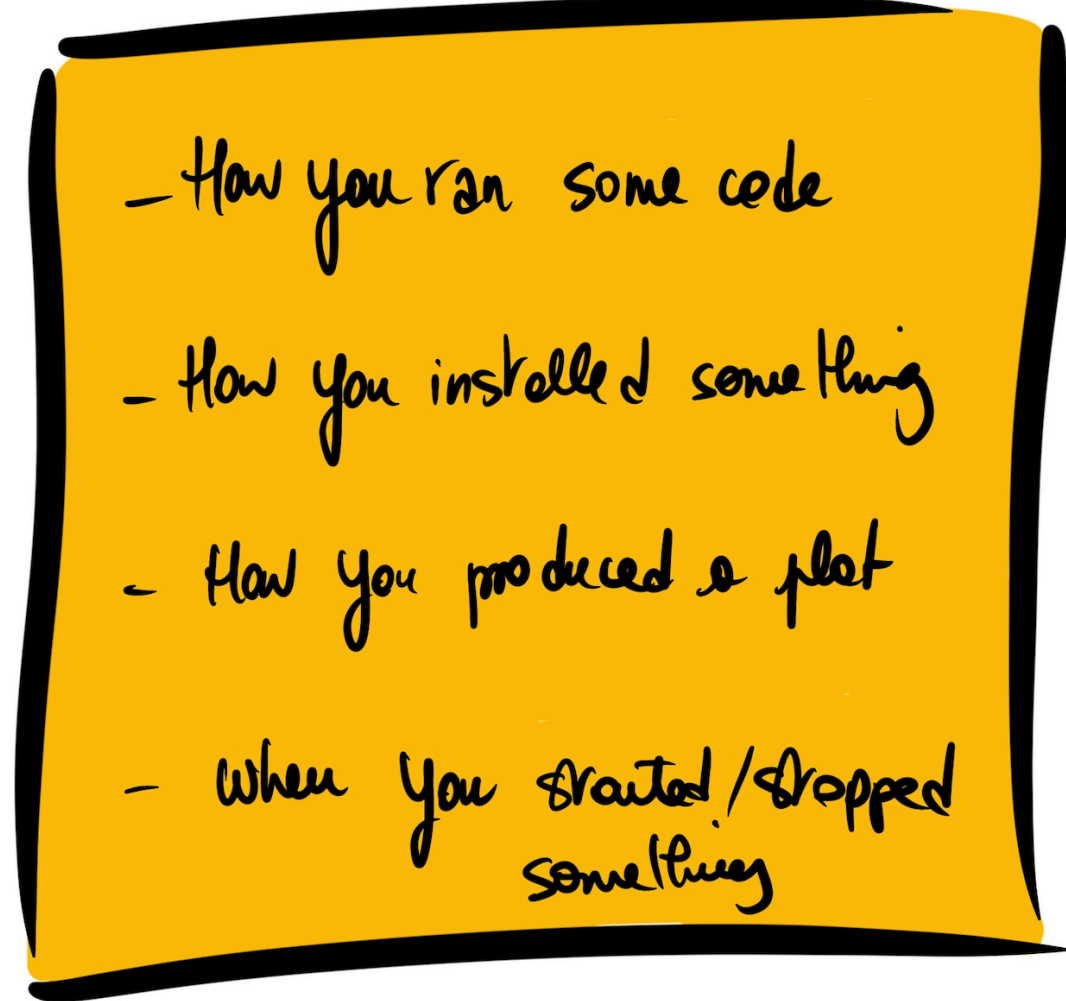
If one day you become a PhD student

- Keep an eye on arXiv.
- Check the theory and experimental summaries talks at conferences and workshops
- Check the review articles.
- Check other submitted PhDs manuscripts.
- Don't be shy and ask questions.

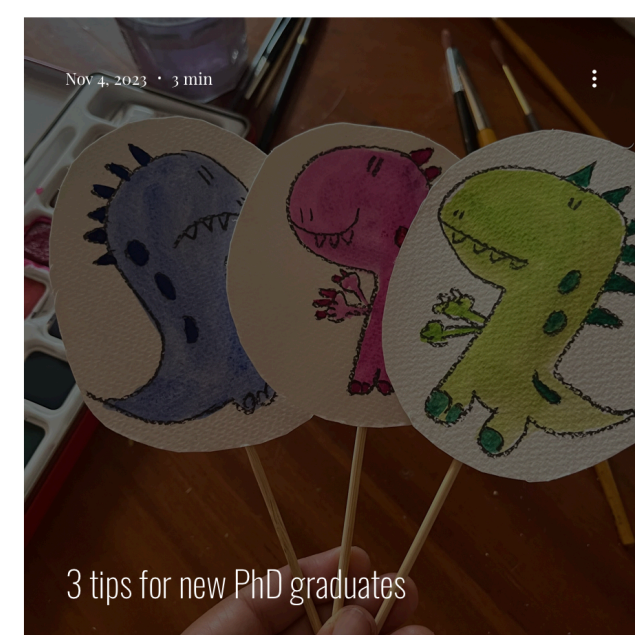
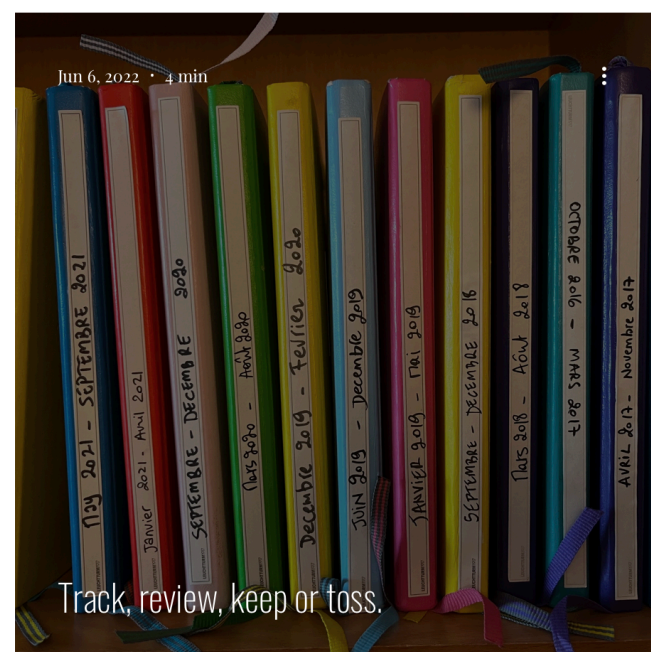


And please please please

- Log your work, it does not matter if you use notebooks, software, whatever.
- Keep track of everything you do, we forget details, we forget obvious things. We always think that we will remember.
- The amount of information to store only increases, so help your future you and write down things.



- How you ran some code
- How you installed something
- How you produced a plot
- When you started/dropped something



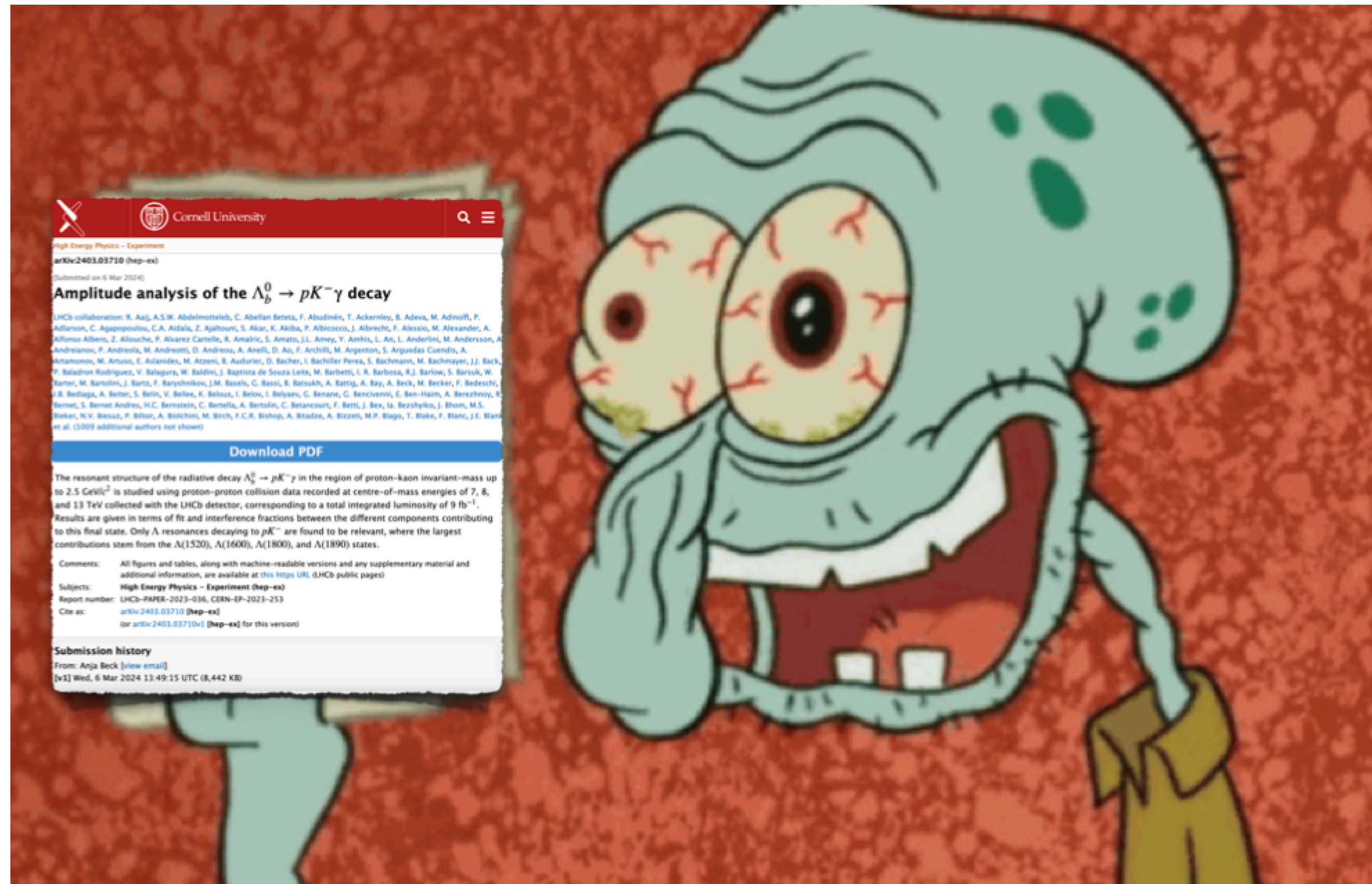
<https://www.yasmineamhis.com/post/track-review-keep-or-toss>

<https://www.yasmineamhis.com/post/3-tips-for-new-phd-graduates>

A colouring book for children will soon be available at the CERN Science Gateway



More information yasmineamhis.com



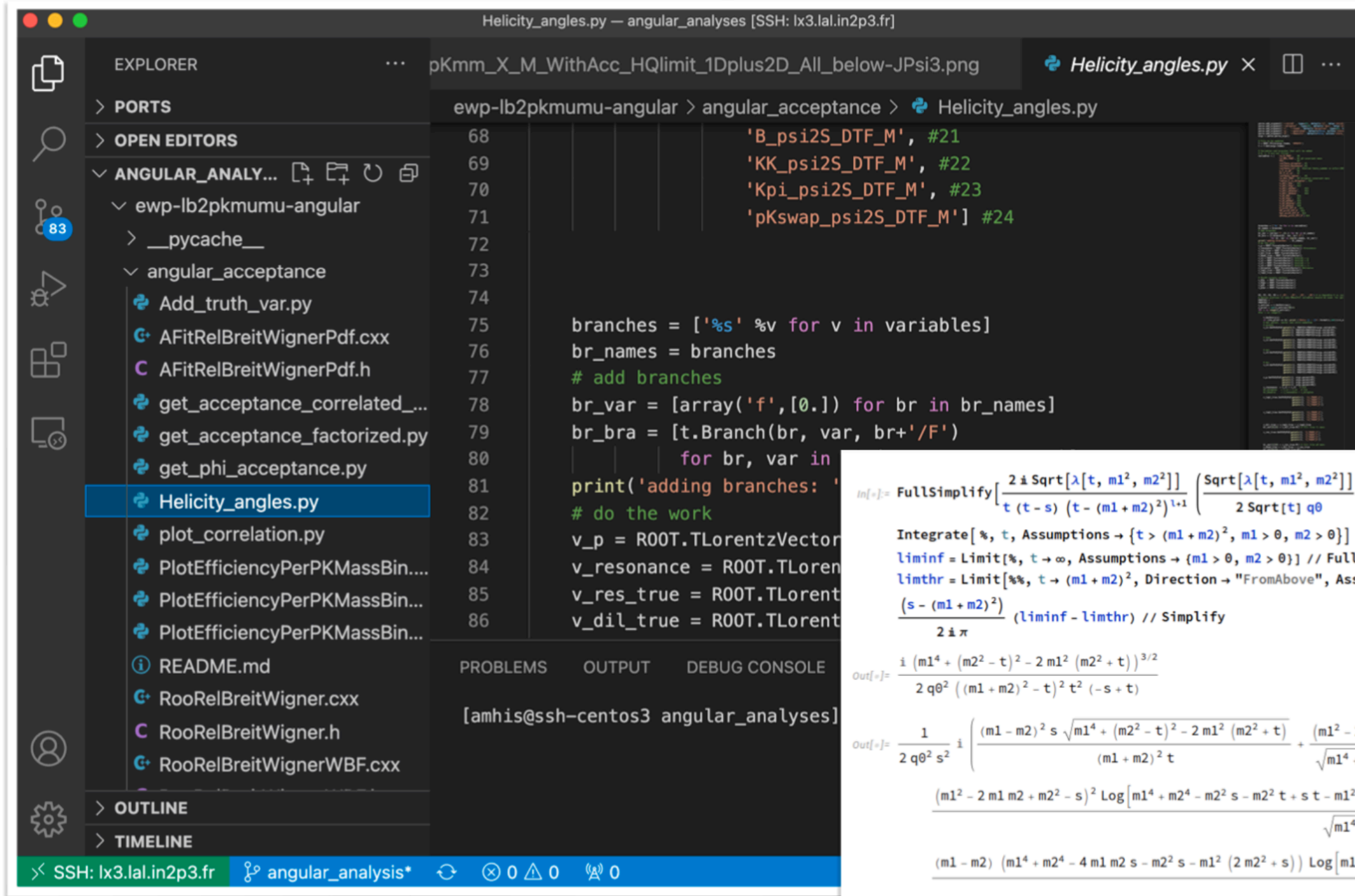
Credit to Anja Beck

What are we doing here?

Understanding the origin of the universe

Searching for Physics Beyond the Standard Model

And how's that working out for you?



Hang in there, it will get better (maybe)
It's a chance to do things with your "hands"

Most probably ...

$$\begin{aligned}
 & \text{FullSimplify}\left[\frac{2 \sqrt{\lambda[t, m1^2, m2^2]}}{t(t-s)(t-(m1+m2)^2)^{1/2}} \left(\frac{\sqrt{\lambda[t, m1^2, m2^2]}}{2 \sqrt{t} q0}\right)^{21} /. l \rightarrow 1, \text{Assumptions} \rightarrow \{t > (m1+m2)^2 > 0, l > 0, q0 > 0\}\right] \\
 & \text{Integrate}[\%, t, \text{Assumptions} \rightarrow \{t > (m1+m2)^2, m1 > 0, m2 > 0\}] \\
 & \text{Liminf} = \text{Limit}[\%, t \rightarrow \infty, \text{Assumptions} \rightarrow \{m1 > 0, m2 > 0\}] // \text{FullSimplify} \\
 & \text{Limthr} = \text{Limit}[\%, t \rightarrow (m1+m2)^2, \text{Direction} \rightarrow \text{"FromAbove"}, \text{Assumptions} \rightarrow \{m1 > 0, m2 > 0\}] \\
 & \frac{(s - (m1+m2)^2)}{2 \sqrt{\pi}} (\text{Liminf} - \text{Limthr}) // \text{Simplify} \\
 & \frac{i (m1^4 + (m2^2 - t)^2 - 2 m1^2 (m2^2 + t))^{3/2}}{2 q0^2 ((m1+m2)^2 - t)^2 t (-s+t)} \\
 & \frac{1}{2 q0^2 s^2} i \left(\frac{(m1-m2)^2 s \sqrt{m1^4 + (m2^2 - t)^2 - 2 m1^2 (m2^2 + t)}}{(m1+m2)^2 t} + \frac{(m1^2 - 2 m1 m2 + m2^2 - s)^2 \text{Log}[s-t]}{\sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)}} - \frac{(m1-m2) (m1^4 + m2^4 - 4 m1 m2 s - m2^2 s - m1^2 (2 m2^2 + s)) \text{Log}[t]}{(m1+m2)^3} \right. \\
 & \left. \frac{(m1^2 - 2 m1 m2 + m2^2 - s)^2 \text{Log}[m1^4 + m2^4 - m2^2 s - m2^2 t + s t - m1^2 (2 m2^2 + s + t) + \sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)} \sqrt{m1^4 + (m2^2 - t)^2 - 2 m1^2 (m2^2 + t)}]}{\sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)}} \right. \\
 & \left. \frac{(m1-m2) (m1^4 + m2^4 - 4 m1 m2 s - m2^2 s - m1^2 (2 m2^2 + s)) \text{Log}[m1^4 + m2^4 - m2^2 s - m2^2 t + s t - m1^2 (2 m2^2 + s + t) + \sqrt{m1^4 + (m2^2 - t)^2 - 2 m1^2 (m2^2 + t)} + m1^2 (-2 m2^2 - t + \sqrt{m1^4 + (m2^2 - t)^2 - 2 m1^2 (m2^2 + t)}]}{(m1+m2)^3} \right) \\
 & \frac{1}{2 q0^2 s^2} \left(i s - \pi \sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)} + \frac{4 m1 m2 \pi \sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)}}{(m1+m2)^2 - s} - 4 m1 m2 (\pi - i \text{Log}[2]) + \right. \\
 & \left. m2^2 (\pi - i \text{Log}[2]) + (7 m1^2 - s) (\pi - i \text{Log}[2]) - \frac{4 m1^3 s (\pi - i \text{Log}[2])}{(m1+m2)^3} + \frac{-4 i m1 s + m1^3 (-8 \pi + 4 i \text{Log}[4])}{m1+m2} - \frac{2 i m1^2 s (-2 + 3 i \pi + \text{Log}[8])}{(m1+m2)^2} \right. \\
 & \left. \frac{2 i (m1-m2) ((m1^2 - m2^2)^2 - (m1^2 + 4 m1 m2 + m2^2) s) \text{Log}[m2]}{(m1+m2)^3} - \frac{i ((m1-m2)^2 - s)^2 \text{Log}[-m1^2 - m2^2 + s + \sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)}]}{\sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)}} \right) \\
 & i \left(\frac{2 (m1-m2) (m1^4 - m2^4 - 4 m1 m2 s - m2^2 s - m1^2 (2 m2^2 + s)) \text{Log}[m1-m2]}{(m1-m2)^3} + \frac{(m1-m2) (m1^4 - m2^4 - 4 m1 m2 s - m2^2 s - m1^2 (2 m2^2 + s)) (i \pi - \text{Log}[2 m1 m2 (m1-m2)^2])}{(m1-m2)^3} - \frac{(m1^2 - 2 m1 m2 - m2^2 - s)^2 \text{Log}[-2 m1 m2 (m1^2 - 2 m1 m2 - m2^2 - s)]}{\sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)}} + \frac{(m1^2 - 2 m1 m2 - m2^2 - s)^2 \text{Log}[-(m1-m2)^2 - s]}{\sqrt{m1^4 + (m2^2 - s)^2 - 2 m1^2 (m2^2 + s)}} \right) \\
 & \frac{1}{2 q0^2 s^2}
 \end{aligned}$$

Thank you for your attention
If you have questions yasmine.sara.amhis@cern.ch