# BSM phenomenology at future accelerators

Henning Bahl



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- More and more precision measurements and searches.
- The SM precisely describes a large variety of processes over many order of magnitudes.
- So, particle physics is doing great?!



Tower of Babel the SM

Nikola Tesla



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coupling to SM





Where can we go from here?



Where can we go from here?



mass

Where can we go from here?



mass

Where can we go from here?

Where should we go from here?





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Ideally, we want to construct a "no-loose" experiment.

Side note: the LHC was such an experiment, since without the Higgs the SM is inconsistent.

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One approach: start with the particles we know!

- How can we learn about light BSM physics?
- How can we learn about heavy BSM physics?
- $\rightarrow$  talk outline: discuss examples for both.



# Constraining light BSM physics

The top lamppost and rare decays [HB,Koren,Wang, 2307.11154]

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Can we do this in a more systematic manner?



20

40

60

80

100

120

140

m<sub>x</sub> [GeV]

160 8

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#### Rare top decays — EFT classification

• Rare top-quark decays with SM final state can be parameterized using SMEFT (see e.g. [Bradshaw & Chang 2304.06063]).

 $\mathcal{L} = \mathcal{L}_{\rm SM} + \sum_{i,n} \frac{c_n}{\Lambda^i} \mathcal{O}_i^n$ 

SM dim 6		
$ig  Q^{(1)}_{quqd}$	$\left(ar{Q}^a_{Li} u_{Rj} ight)arepsilon_{ab}\left(ar{Q}^b_{Lk} d_{Rl} ight)$	
$\mathcal{O}_{lequ}^{(1)}$	$\left(ar{Q}^a_{Li} u_{Rj} ight)arepsilon_{ab}\left(ar{L}^b_{Lk} e_{Rl} ight)$	
$Q_{u\Phi}$	$(\Phi^\dagger\Phi)(ar{Q}_{Li}u_{Rj} ilde{\Phi})$	
$Q^{(1)}_{\Phi q}$	$(\Phi^\dagger i \overleftrightarrow{D}_\mu \Phi) (ar{Q}_{Li} \gamma^\mu Q_{Lj})$	
$Q_{uG}$	$(ar{Q}_{Li}\sigma^{\mu u}\mathcal{T}^A u_{Rj})\widetilde{\Phi}G^A_{\mu u}$	
$Q_{uW}$	$(ar{Q}_{Li}\sigma^{\mu u}u_{Rj}) au^{I}\widetilde{\Phi}W^{I}_{\mu u}$	
$Q_{uB}$	$(ar{Q}_{Li}\sigma^{\mu u}u_{Rj})\widetilde{\Phi}B_{\mu u}$	

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- Additionally, we also consider the possibility of light BSM particles:
  - scalar singlet S (e.g. ALP),
  - fermionic singlet N (e.g. sterile neutrino),
  - light gauge boson Z' (e.g. from gauging  $B_3 L_3$ ),
  - not discussed here: light charged Higgs boson.
- $\Rightarrow$  New operators and final states.

BSM dim 5		
$Q_{SqD}$	$S(ar{Q}_{Li} D \!\!\!/ Q_{Lj})$	
$Q_{Su\Phi}$	$S(ar{Q}_{Li}u_{Rj}\widetilde{\Phi})$	
BSM dim 6		
$Q_{qdlN}$	$\left(ar{Q}^a_{Li} d_{Rj} ight)arepsilon_{ab}\left(ar{L}^b_{Lk}N ight)$	
$Q_{qulN}$	$\left(ar{Q}_{Li}u_{Rj} ight)\left(ar{N}L_{Lk} ight)$	
$Q_{dueN}$	$\left(ar{e}_{Rj}^{c}u_{Rj} ight)\left(ar{d}_{Rk}N ight)$	
$Q_{qqNN}$	$\left(ar{Q}_{Li}\gamma_{\mu}Q_{Lj} ight)\left(ar{N}\gamma^{\mu}N ight)$	
$Q_{SSDq}$	$S^2(ar{Q}_{Li} D \!\!\!/ Q_{Lj})$	
$Q_{SSu\Phi}$	$S^2(ar Q_{Li} u_{Rj} \widetilde \Phi)$	
$Q_{uZ'}$	$(ar{Q}_{Li}\sigma^{\mu u}u_{Rj})\widetilde{\Phi}F'_{\mu u}$	

- Investigate operators individually.
- Set  $\Lambda = 1$  TeV,  $c_i^n = 1$ , and  $m_S = m_N = m_{Z'} = 10$ GeV as a benchmark.
- Calculate branching ratio for different final states.



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- Sizeable branching ratios/number of events for various operators.
- Various final states which can be probed with current and future data.
- $\Rightarrow$  Huge potential for future searches!



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#### What if we just have top-decay operators?

Considering only top decay operators, the BSM particles can either be

stable if only operators involving two BSM particles are considered (e.g. due to Z<sub>2</sub> symmetry)
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Many interesting unexplored signatures for prompt and long-lived searches.

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• rare Z boson decays (e.g.,  $\sim 10^{12}$  Z's at FCCee),



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• • •



# Constraining heavy BSM physics

The Higgs lamppost and the interplay with precision measurements



mass



mass



mass



#### Higgs precision at future colliders



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[de Blas et al., 1905.03764]



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- And what about the interplay with searches?

Consider simple BSM extensions of the SM!

• Higgs precision measurements put stringent constraints on many BSM scenarios.

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Conservative Scaling for Upper Limit on Mass Scale Probed by Higgs Precision

[Snowmass 2209.07510]



Simplified scaling analysis:

Conservative Scaling for Upper Limit on Mass Scale Probed by Higgs Precision

Size of Higgs

**Coupling deviations?** 

[Snowmass 2209.07510]

1% precision constrains BSM particles ٠ with mass from 100 GeV to several TeV. Tree level origin

 $\sim$  $\overline{M^2}$ 

SM Neutral

e.g. scalar singlet

 $\left(rac{\lambda_{h^2s}^2}{2M^2}
ight)$ 

 $M \lesssim 1.7 \, {
m TeV}$ 

 $M \lesssim 5.5 \, {
m TeV}$ 

 $\overline{M^2}$ 

 $v^2$ 

SM Charged

e.g. 2HDM

 $M \lesssim 0.8 \, {
m TeV}$ 

 $M \lesssim 1.4 \, {
m TeV}$ 

 $v^2$ 

 $\overline{M^2}$ 

 $\lambda_6^2 v^2$ 

 $M^2$ 

 $\sim 1\%$ 

 $\sim .1\%$ 

**SM Charged** 

w/ SM loop

e.g. stops in SUSY

 $1 m_{t}^{2}$ 

 $4 m_{\pi}^{2}$ 

 $M \lesssim 0.9 \, {
m TeV}$ 

 $M \lesssim 2.8 \, {
m TeV}$ 

 $\delta\eta_{SM}$ 

Loop level  $v^2$ 

 $\overline{(4\pi)^2} \overline{M^2}$ 

1

SM Neutral

e.g. scalar singlet

 $M \lesssim 0.1 \, {
m TeV}$ 

 $M \lesssim 0.4 \, {
m TeV}$ 

 $\overline{M^2}$ 

 $\left(rac{\lambda_{h^2s^2}^2}{48\pi^2}
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~



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 $V_{\rm SSM}(\Phi, S) = V_{\rm SM}(\Phi) + \frac{1}{2}\mu_S^2 S^2 + \frac{1}{4!}\lambda_S S^4 + \lambda_{S\Phi} S^2 \Phi^{\dagger} \Phi$ 



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All interactions of h are modified by  $\cos \gamma$ .



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1% precision on Higgs couplings  $\rightarrow$  1% limit on sin<sup>2</sup>  $\gamma$ .

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Assuming  $\lambda_{S,S\Phi} \simeq 1$ , this limits  $m_S \lesssim 1.7$  TeV.

 $\sim 1\%$ 

Very simple model allowing for strong 1<sup>st</sup> order phase transition: Size of Higgs  $\sim 1\%$ **Coupling deviations?**  $\partial \eta_{SM}$  $\sim .1\%$  $V_{\rm SSM}(\Phi, S) = V_{\rm SM}(\Phi) + \frac{1}{2}\mu_S^2 S^2 + \frac{1}{4!}\lambda_S S^4 + \lambda_{S\Phi} S^2 \Phi^{\dagger} \Phi$ Tree level origin Loop level  $v^2$  $1 v^2$  $\sim \frac{1}{M^2}$ If S receives a vev ( $S = v_s + s$ ), it mixes with the SM Higgs  $\overline{(4\pi)^2} \overline{M^2}$  $h = \cos \gamma h_0 + \sin \gamma S$ , SM Neutral SM Charged SM Charged **SM Neutral**  $s = -\sin\gamma h_0 + \cos\gamma S$ , e.g. scalar singlet w/ SM loop e.g. 2HDM e.g. scalar singlet e.g. stops in SUSY  $\left(rac{\lambda_6^2 v^2}{M^2}
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m TeV}$  $\frac{\lambda_{S\Phi}^2 v_S^2}{2m_s^2} \frac{v^2}{m_s^2} \simeq \sin^2 \gamma$ Conservative Scaling for Upper Limit on Mass Scale Probed by Higgs Precision

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• Strong constraints from direct searches (without assumption on size of  $\lambda_{S,S\Phi}$ ).





Direct searches are often stronger than precision measurements!

Also true at the LHC and holds also for other models!

[HB et al., 2005.14536]

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• Precision measurements and searches are complementary.



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What if the BSM sector is protected by a  $Z_2$  symmetry?

## The SSM "nightmare" scenario

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If there is an exact  $S \rightarrow -S$  symmetry, S does not get a vev.

- No mixing with SM Higgs.
- All Higgs couplings are SM-like at the tree level.
- Also searches very difficult, since *S* has to be pair produced via the 125 GeV Higgs.
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What about loop-level effects on the Higgs couplings?

The dominant correction to single Higgs couplings scale like ( $m_S^2 = \mu_S^2 + \lambda_{S\Phi}v^2$ ):



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 $-\overline{H} \stackrel{\sim}{\leftarrow} \stackrel{S}{\xrightarrow{S}} \stackrel{\sim}{\rightarrow} \overline{H} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\xrightarrow{S}} \stackrel{\sim}{\rightarrow} \stackrel{\rightarrow}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\rightarrow}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\rightarrow}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\rightarrow}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\rightarrow}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\rightarrow}{\rightarrow} \stackrel{\sim}{\rightarrow} \stackrel{\rightarrow}{\rightarrow} \stackrel{\rightarrow$ 

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Deviation in 
$$\lambda_{HHH}$$
 enhanced by a factor  $\frac{m_S^2}{v^2 \lambda_{\Phi}^{SM}} \left(1 - \frac{\mu_S^2}{m_S^2}\right)$  w.r.t. to other Higgs couplings!

#### The Higgs trilinear as a precision probe



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# The Higgs trilinear as a precision probe



The Higgs trilinear is not only an indicator for a strong 1<sup>st</sup> order phase transition but also probes parameter regions not accessible by other measurements/searches!

Henning Bahl

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#### Thanks for your attention!

