Exploring high-multiplicity events in high-energy proton-proton collisions

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Particle multiplicities in high-energy pp collisions

Multiplicity: counting of (produced) particles

Recent experimental results: stronger increase in identified particle multiplicities when compared to the minimum-bias case

Two questions may be addressed





Particle multiplicities in high-energy pp collisions

1. Comparison with available models: no unified agreement w.r.t. data

2. Beyond a quantitative description: what causes this change in behavior?

Is it an initial-state effect? A final-state effect? A mixture of both?







Qualitative scenario of proton-proton collisions

Proton-proton collisions: average result is symmetric, as expected

Event-by-event color charge fluctuations may produce asymmetric collisions

Could be the case for multiplicities larger than average, excluding highest multiplicities



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Qualitative scenario of proton-proton collisions

Will make two assumptions:

1. The production mechanism is the same for low and high multiplicities events

2. Final multiplicity proportional to the initial partonic configuration: high multiplicity events have larger Q_s than minimum bias events





Particle production @ CGC EFT

$$\frac{dN_{h}}{dyd^{2}p_{T}} = \frac{K}{(2\pi)^{2}} \int_{x_{F}}^{1} \frac{dz}{z^{2}} \left[f_{q/p}(x_{1},\mu^{2}) \widetilde{\mathcal{N}}_{F}\left(\frac{p_{T}}{z},x_{2}\right) D_{h/q}\left(z,\mu_{FF}^{2}\right) + f_{g/p}(x_{1},\mu^{2}) \widetilde{\mathcal{N}}_{A}\left(\frac{p_{T}}{z},x_{2}\right) D_{h/g}\left(z,\mu_{FF}^{2}\right) \right]$$

Dipole scattering amplitude

"Hybrid formalism" (collinear + TMD)

$$\widetilde{\mathcal{N}}_{A,F}(x,p_T) = \int d^2 r \, e^{i \vec{p_T} \cdot \vec{r}} \left[1 - \mathcal{N}_{\mathcal{A},\mathcal{F}}(x,r)\right]$$

 $x_{1,2} = (p_T/\sqrt{s}) \exp(\pm y)$ Employed to describe particle production @ RHIC, LHC

Dumitru, Hayashigaki, Jalilian-Marian, NPA 765, 464-482 (2006); Boer, Utermann, Wessels, PRD 77, 054014 (2008); Betemps, Goncalves, JHEP 09, 019 (2008); Albacete, Marquet, PLB 687, 174-179 (2010); Altinoluk, Kovner, PRD 83, 105004 (2011); Albacete, Dumitru, Fujii, Nara, NPA 897, 1-27 (2013); Chirilli, Xiao, Yuan, PRL 108, 122301 (2012); Kang, Vitev, Xing, PRL 113, 062002 (2014); Altinoluk, Armesto, Beuf, Kovner, Lublinsky, PRD 91, no.9, 094016 (2015); Iancu, Mueller, Triantafyllopoulos, JHEP 12, 041 (2016); Durães, AVG, Goncalves, Navarra, PRC 94, no.2, 024917 (2016); Ducloué et. al, PRD 97, no.5, 054020 (2018); Ducloué, Lappi, Zhu, PRD 95, no.11, 114007 (2017); Carvalho, AVG, Goncalves, Navarra, PRD 96, no.9, 094002 (2017); Liu, Ma, Chao, PRD 100, no.7, 071503 (2019); Iancu, Mulian, JHEP 03, 005 (2021); Shi, Wang, Wei, Xiao, PRL 128, no.20, 202302 (2022)







Particle production @ CGC EFT

Final states:
$$FS = K_S^0$$
, $h^+ + h^-$
 $\sigma(pp \to FS + X) \propto \sum_i f_i(x_1) \otimes \widetilde{\mathcal{N}}_F(x_2) \otimes D_{i/h} + g(x_1) \otimes \widetilde{\mathcal{N}}_A(x_2) \otimes D_{g/h}$

Photon production, $q+g
ightarrow q+\gamma$ [QCD "Compton" scattering]

$$\sigma(pp o \gamma + X) \propto \sum_{i} f_i(x_1) \otimes \widetilde{\mathcal{N}}_F(x_2)$$
 No FF!

Collinear + TMD factorization for all processes here

D-meson production, $c + g \to D^0 + X + \{g + p \to Q\bar{Q}\} \to D^0 + X$

 $\sigma(pp \to D^0 + X) \propto c(x_1) \otimes \widetilde{\mathcal{N}}_F(x_2) \otimes D_{c/D} + g(x_1) \otimes k_T^2 \widetilde{\mathcal{N}}_A(x_2) \otimes D_{c/D}$

CGC EFT provides a unified description of these processes!



Specifying the dipole scattering amplitude

$$\frac{\partial \mathcal{N}(r,Y)}{\partial Y} = \int d^2 r_1 \ K(r,r_1,r_2) \left[\mathcal{N}(r_1,Y) + \mathcal{N}(r_2,Y) - \mathcal{N}(r,Y) - \mathcal{N}(r_1,Y) \mathcal{N}(r_2,Y) \right]$$

$$\mathcal{N}(r_2,Y) = \mathcal{N}(r,x) \equiv \mathcal{N}(r,x)$$
Balitsky, Kovchegov: NPB 463 (1996) 99, PRL 81 (1998) 2024, PRD 60 (1999) 014020, PLB 518 (2001) 235, NPB 629 (2002) 290, PRD 60 (1999) 034008, PRD 61 (2000) 074018

Running coupling BK: provides the small-x evolution given an initial condition

$$\mathcal{N}_{F}(r, x_{0}) = 1 - exp\left[-\frac{(r^{2} Q_{s0, \text{proton}}^{2})^{\gamma}}{4} ln\left(\frac{1}{\Lambda r} + e\right)\right] \qquad \text{MV-like ic}$$
$$\mathcal{N}_{F}(r, x_{0}) = 1 - exp\left[-\frac{r^{2} Q_{s0, \text{proton}}^{2}}{4}\right] \qquad \text{GBW-like ic}$$

Albacete, Armesto, Milhano, Salgado, PRD 80, 034031 (2009) Albacete, Armesto, Milhano, Quiroga-Arias, Salgado, EPJC 71, 1705 (2011) Albacete, Dumitru, Fujii, Nara, NPA 897, 1-27 (2013)



Application to selected particles: \mathbf{K}_{S}^{0}





Good description of p_T -spectra of K_0^S for kt-fact. & hybrid form.

Gluon-initiated interactions are dominant

Quark-initiated channel is sub-dominant

For now on, only results with hybrid formalism for identified final states

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Application to selected particles: \mathbf{K}_{S}^{0}



 N_{ch} : 0.1 < p_T < 12 GeV, $|\eta|$ < 0.5





Hybrid formalism captures the qualitative behavior seen in data up to: $N_{ch}/\langle N_{ch} \rangle \sim 2.5$

Highest multiplicities not described: missing saturation effects on projectile? Medium modification effects?

Need a way to check what is the reason!

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Application to selected particles: isolated photons



Negligible dependence of isolation radius, will show results for R = 0.1 fm

Not affected by fragmentation processes

(photons from fragmentation suppressed by angular exclusion)

 γ – bremsstrahlung off an eikonal parton through the low-x color field

Qualitative description of p_T-spectra [backup slides]



 q_f







Application to selected particles: isolated photons



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Universal, final-state independent curve at (ultra-)forward rapidities If high multiplicity events are mainly a product of initial-state effects

Result will not be universal if final-state effects play a role in such events



Final remarks



Studied high-multiplicity p+p collisions for different final states in correlation to charged particles + explored different kinematical regions

Qualitative understanding of kaon production at moderated multiplicities

Possible advances in understanding the mechanism behind high-multiplicity events by simultaneous study of different final states







Backup slides



Specifying the dipole scattering amplitude

$$\mathcal{N}_F(r, x_0) = 1 - exp\left[-\frac{(r^2 Q_{s0, \text{proton}}^2)^{\gamma}}{4} ln\left(\frac{1}{\Lambda r} + e\right)\right]$$



 $\gamma = 1 + \text{no log: GBW model}$

 $\gamma>1$: best fit of HERA data



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Specifying the dipole scattering amplitude



Higher than average multiplicity events from collisions where (at least one of the) protons have larger Q_s

Larger Q_s: UGD peak is shifted to the right



Application to selected particles: \mathbf{K}_{S}^{0}



Dependence with p_T cuts

Ch. particles always in $0.1 < p_T < 12 \text{ GeV}$

Including low-p_T particles favors saturation effects

Larger pt ranges require larger Qs(x) to be affected in same way as charged particles



Describing the charged paricle multiplicity



Best description is provided when assuming a slightly larger saturation scale for the proton

Ratios do not depend on Kfactor!



Isolated photons in the hybrid formalism



$$\begin{aligned} \frac{dN^{pp \to \gamma X}}{d^2 \mathbf{k}_T dy} &= \sum_q \frac{e_q^2 \alpha_{em}}{\pi (2\pi)^3} \int d^2 \mathbf{l}_T \int_{x_{min}} dx_p z^2 [1 + (1 - z)^2] \frac{q(x_p, \mu^2)}{\mathbf{k}_T^2} \\ &\times \frac{(\mathbf{k}_T + \mathbf{l}_T)^2}{[z \mathbf{l}_T - (1 - z) \mathbf{k}_T]^2} \int d^2 \mathbf{b} S(\mathbf{k}_T + \mathbf{l}_T, \mathbf{b}, x_g) \ \theta[\sqrt{(y - y_q)^2 + \Delta \phi} - R] \\ &S = 1 - \mathcal{N} \end{aligned}$$

00e, Lappi, Maniysaan, PRD 97(5), 054023 (2018)

scattering quark and the photon

$$x_{g} = \frac{|\mathbf{k}_{T}|e^{-y} + |\mathbf{l}_{T}|e^{-y_{q}}}{\sqrt{s}}, \qquad y_{q} = \log\left(\frac{-e^{y}|\mathbf{k}_{T}| + x_{p}\sqrt{s}}{|\mathbf{l}_{T}|}\right), \qquad z = \frac{|\mathbf{k}_{T}|}{x_{p}\sqrt{s}e^{y}}$$

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Application to selected particles: isolated photons





Negligible dependence of isolation radius

Similar dependence on p_T cuts (as seen in previous plots)

Can check the correlation to charged particles and different kinematical regions



Application to selected particles: isolated photons



Ch. particles and photons have similar Qs dependence for same kinematical range

Ch. particles has faster increase compared to photons

Fig. 6 Correlation between the normalized isolated photon and charged particles yields in pp collisions at $\sqrt{s} = 13$ TeV, derived that the distinct yields are integrated over the same transverse momentum range and are estimated at the same rapidity

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Goncalves, Kopeliovich, Nemchik, Pasechnik, Potashnikova, PRD 96, 014010

$$\frac{d\sigma_{pp\to D^0 X}}{dy d^2 p_T} \bigg|_{G.I.} = \int_{z_{\min}}^1 \frac{dz}{z^2} x_1 g(x_1, Q^2) \\ \times \int_{\alpha_{\min}}^1 d\alpha \frac{d^3 \sigma_{gp\to c\bar{c}X}}{d\alpha d^2 q_T} D_{c/D}(z, \mu^2),$$

$$z_{\min} = \frac{\sqrt{m_D^2 + p_T^2}}{\sqrt{s}} e^y \qquad \alpha_{\min} = \frac{z_{\min}}{z} \sqrt{\frac{m_c^2 z^2 + p_T^2}{m_D^2 + p_T^2}}.$$

interaction of a colorless three-body system gQQbar scattering off the color background field of the target proton

$$\begin{split} \frac{^{3}\sigma_{gp \to c\bar{c}X}}{d\alpha d^{2}q_{T}} &= \frac{1}{6\pi} \int \frac{d^{2}\kappa_{T}}{\kappa_{T}^{4}} \alpha_{s} \mathcal{K}_{dip} \left(x_{2}, \kappa_{T}^{2}\right) \left\{ \begin{bmatrix} 9\\ 8 \mathcal{H}_{0} \left(\alpha, \bar{\alpha}, \vec{q}_{T}\right) \\ &- \frac{9}{4} \mathcal{H}_{1} \left(\alpha, \bar{\alpha}, \vec{q}_{T}, \vec{\kappa}_{T}\right) + \mathcal{H}_{2} \left(\alpha, \bar{\alpha}, \vec{q}_{T}, \vec{\kappa}_{T}\right) \\ &+ \frac{1}{8} \mathcal{H}_{3} \left(\alpha, \bar{\alpha}, \vec{q}_{T}, \vec{\kappa}_{T}\right) \end{bmatrix} + \left[\alpha \leftrightarrow \bar{\alpha}\right] \right\}, \end{split}$$

$$\begin{aligned} \mathcal{H}_{0}(\alpha, \bar{\alpha}, \vec{q}_{T}) &= \frac{m_{c}^{2} + (\alpha^{2} + \bar{\alpha}^{2})q_{T}^{2}}{(q_{T}^{2} + m_{c}^{2})^{2}}, \\ \mathcal{H}_{1}(\alpha, \bar{\alpha}, \vec{q}_{T}, \vec{\kappa}_{T}) &= \frac{m_{c}^{2} + (\alpha^{2} + \bar{\alpha}^{2})\vec{q}_{T} \cdot (\vec{q}_{T} - \alpha\vec{\kappa}_{T})}{[(\vec{q}_{T} - \alpha\vec{\kappa}_{T})^{2} + m_{c}^{2}](q_{T}^{2} + m_{c}^{2})}, \\ \mathcal{H}_{2}(\alpha, \bar{\alpha}, \vec{q}_{T}, \vec{\kappa}_{T}) &= \frac{m_{c}^{2} + (\alpha^{2} + \bar{\alpha}^{2})(\vec{q}_{T} - \alpha\vec{\kappa}_{T})^{2}}{[(\vec{q}_{T} - \alpha\vec{\kappa}_{T})^{2} + m_{c}^{2}]^{2}}, \\ \mathcal{H}_{3}(\alpha, \bar{\alpha}, \vec{q}_{T}, \vec{\kappa}_{T}) &= \frac{m_{c}^{2} + (\alpha^{2} + \bar{\alpha}^{2})(\vec{q}_{T} + \alpha\vec{\kappa}_{T}) \cdot (\vec{q}_{T} - \bar{\alpha}\vec{\kappa}_{T})}{[(\vec{q}_{T} + \alpha\vec{\kappa}_{T})^{2} + m_{c}^{2}][(\vec{q}_{T} - \bar{\alpha}\vec{\kappa}_{T})^{2} + m_{c}^{2}]} \end{aligned}$$

$$x_{1,2} = \frac{M_{Q\bar{Q}}}{\sqrt{s}} e^{\pm y}$$
 $M_{Q\bar{Q}} \simeq 2\sqrt{m_Q^2 + p_T^2}$

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