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Combined Higgs boson measurements and interpretations at ATLAS

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on behalf of the ATLAS Collaboration

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Introduction

- ~ 9 million Higgs bosons in ATLAS Run 2 dataset
 - ATLAS has launched extensive measurement programs to study the Higgs boson

Decay mode	Targeted production processes	\mathcal{L} [fb ⁻¹]
$H \rightarrow \gamma\gamma$	ggF, VBF, WH, ZH, $t\bar{t}H$, tH	139
$H \rightarrow ZZ$	ggF, VBF, WH + ZH, $t\bar{t}H$ + tH	139
	$t\bar{t}H$ + tH (multilepton)	36.1
$H \rightarrow WW$	ggF, VBF	139
	WH, ZH	36.1
	$t\bar{t}H$ + tH (multilepton)	36.1
$H \rightarrow Z\gamma$	inclusive	139
$H \rightarrow b\bar{b}$	WH, ZH	139
	VBF	126
	$t\bar{t}H$ + tH	139
	inclusive	139
$H \rightarrow \tau\tau$	ggF, VBF, WH + ZH, $t\bar{t}H$ + tH	139
	$t\bar{t}H$ + tH (multilepton)	36.1
$H \rightarrow \mu\mu$	ggF + $t\bar{t}H$ + tH , VBF + WH + ZH	139
$H \rightarrow c\bar{c}$	WH + ZH	139
$H \rightarrow$ invisible	VBF	139
	ZH	139

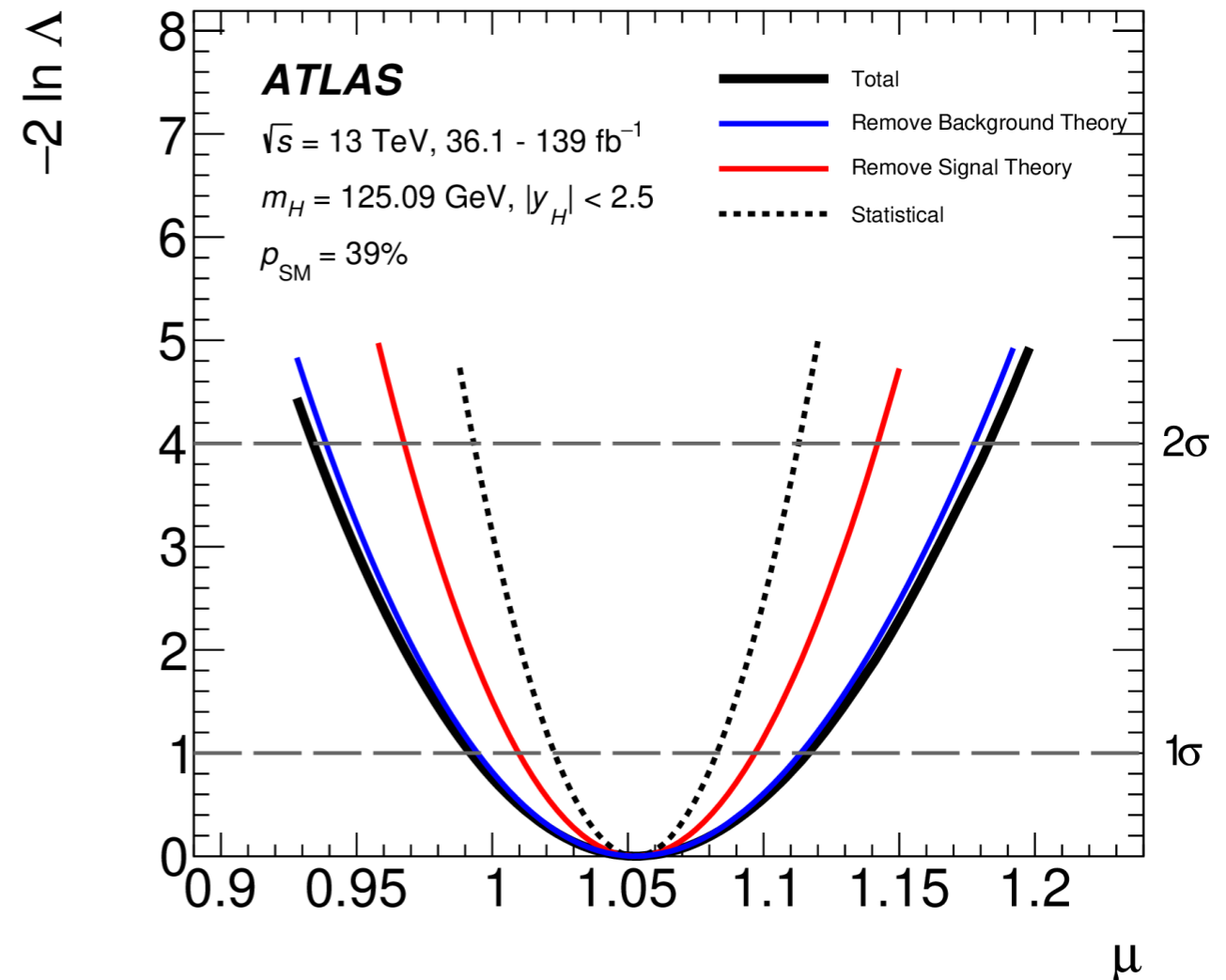
- Best sensitivity can be achieved by combining individual measurements
 - Latest ATLAS Higgs combination: [Nature 607, 52 \(2022\)](#)
 - Measurement using $H \rightarrow \gamma\gamma + 4\ell$: [JHEP 05 \(2023\) 028](#)
- Any deviations from the predicted properties by the SM are a smoking gun for New Physics!
 - Interpretation of ATLAS Higgs combination under effective field theory and BSM models: [arXiv:2402.05742](#)
- HH combination on [Thursday](#)



The global Higgs signal strength

- Global signal strength measured with respect to the SM prediction

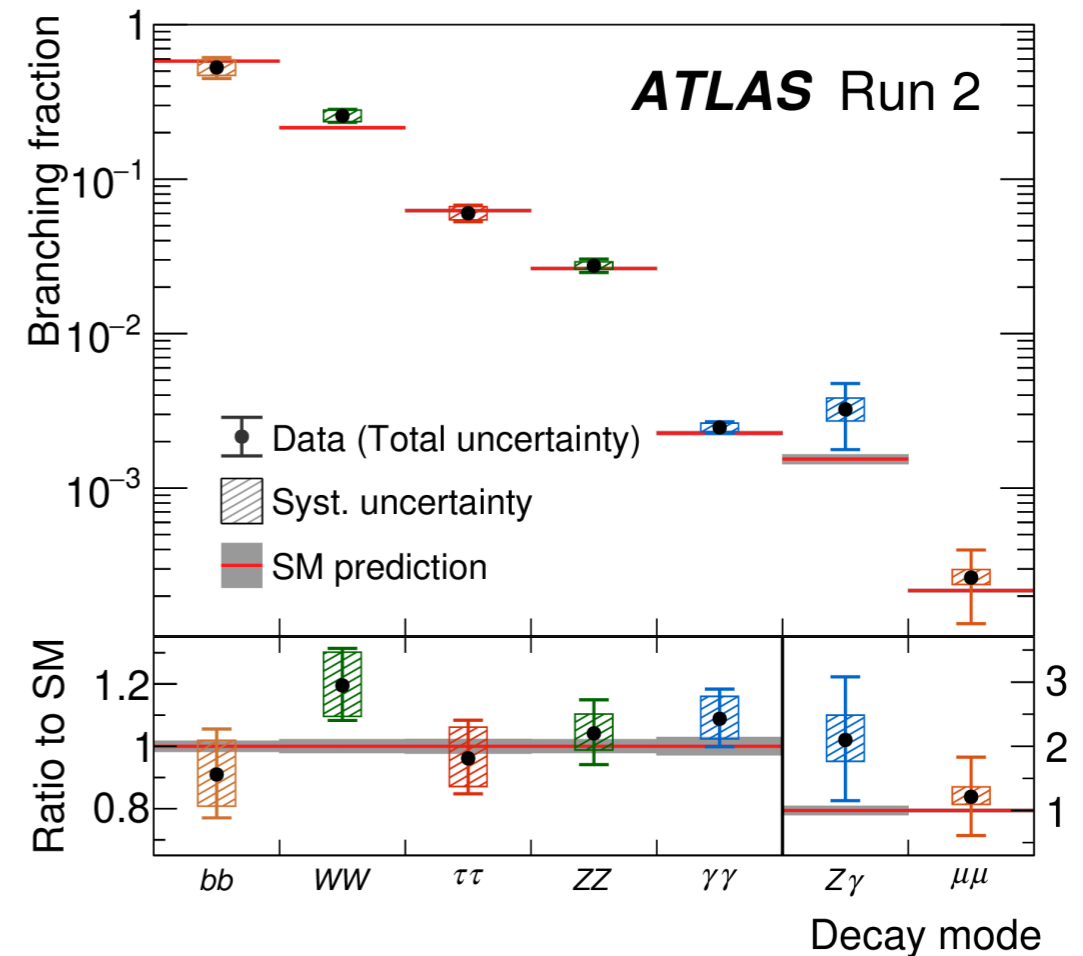
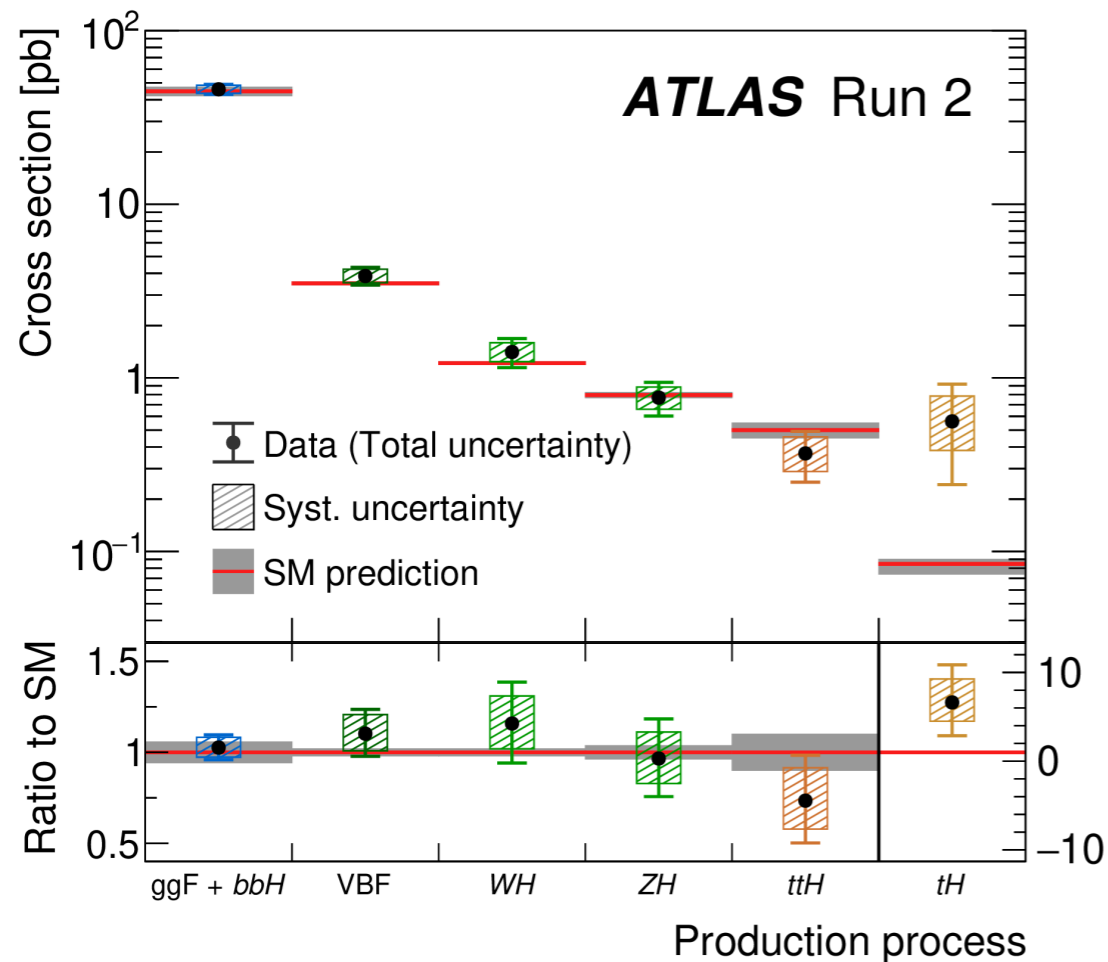
$$\mu = (\sigma/\sigma^{\text{SM}}) \times (B/B^{\text{SM}})$$
 - Production process (σ) and decay mode (B) not distinguished
 - Assume all channels scale the same
- p-value for the SM Higgs is 39%,
- Systematic uncertainty reduced by 2x from Run 1 ATLAS+CMS result



$$\mu = 1.05 \pm 0.06 = 1.05 \pm 0.03 \text{ (stat.)} \pm 0.03 \text{ (exp.)} \pm 0.04 \text{ (sig. th.)} \pm 0.02 \text{ (bkg. th.)}$$

Per production and decay mode measurement

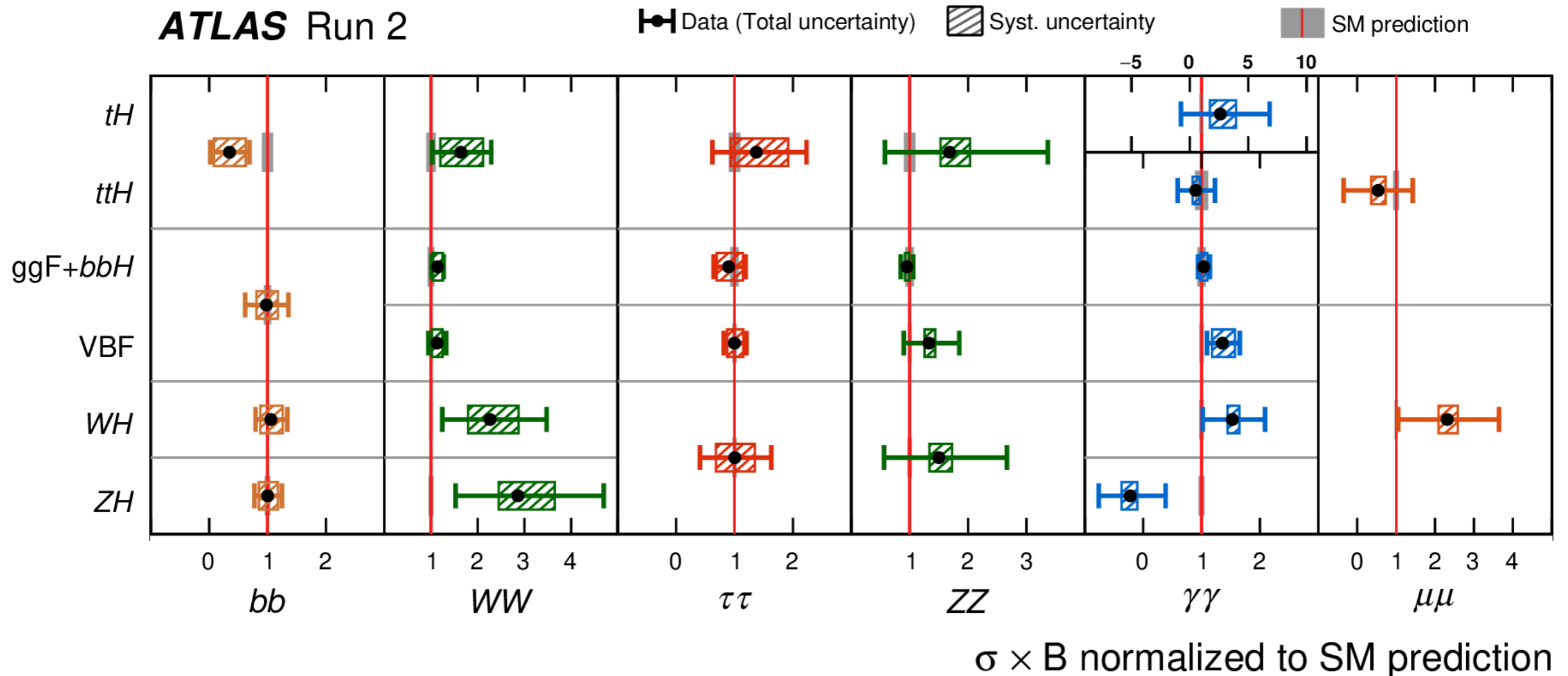
- All major Higgs productions observed:
 - ggF (VBF) precision is 7% (12%)
 - WH (ZH) significance is 5.8σ (5.0σ)
 - ttH + tH significance is 6.4σ
- Gauge and 3rd gen. Yukawa observed:
 - $B(bb)$ precision better than 15% (7σ significance)
 - $WW / \tau\tau / ZZ / \gamma\gamma$ precision 10–12%
 - $B(\mu\mu)$ and $B(Z\gamma)$ 2.0σ and 2.3σ significance



When measuring production processes assume that decays are SM-like and vice-versa

Production and decay simultaneously measurement

- Production modes and branching ratios measured also simultaneously
- Already down to 10% precision in a few individual ggF channels
- Many channels still dominated by the statistical uncertainty— room for big improvements in Run 3!



κ framework

- Used to determine the Higgs coupling to individual particle p (affecting both production σ and decay Γ)

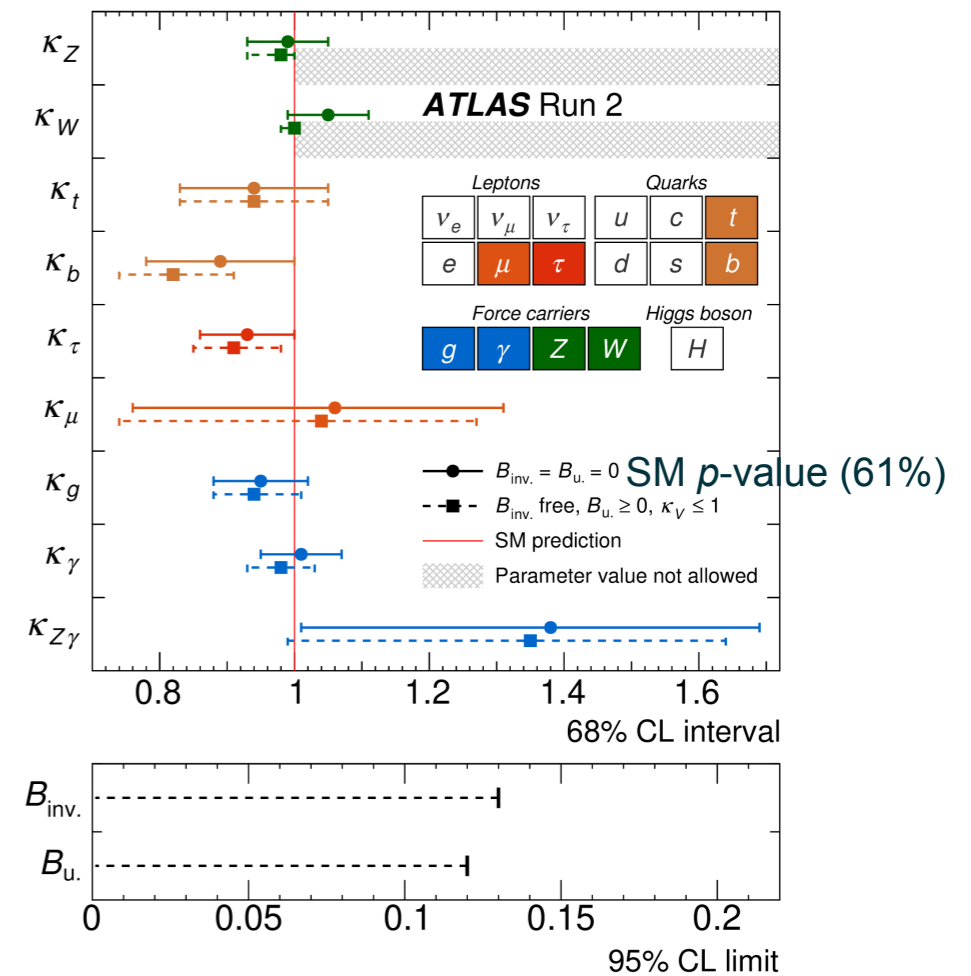
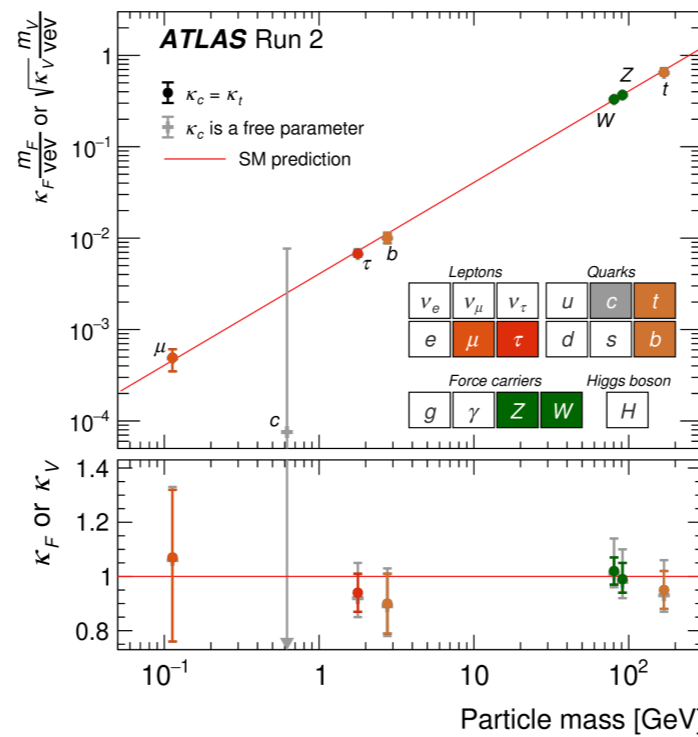
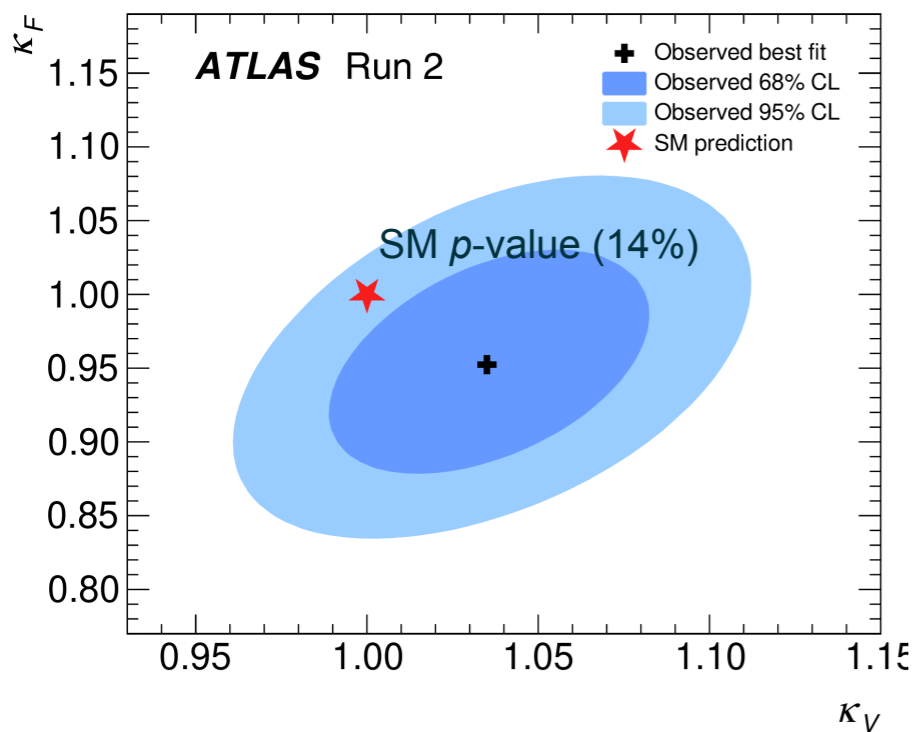
$$\kappa_p^2 = \sigma_p / \sigma_p^{\text{SM}}$$

$$\kappa_p^2 = \Gamma_p / \Gamma_p^{\text{SM}}$$

- Modified for the total Higgs width: $\kappa_H = \kappa_H(\kappa_b, \kappa_W, \kappa_\tau, \kappa_Z, \kappa_c, \kappa_s, \kappa_\mu, B_{\text{invis.}}, B_{\text{und.}})$

- Three models with progressively fewer assumptions studied:

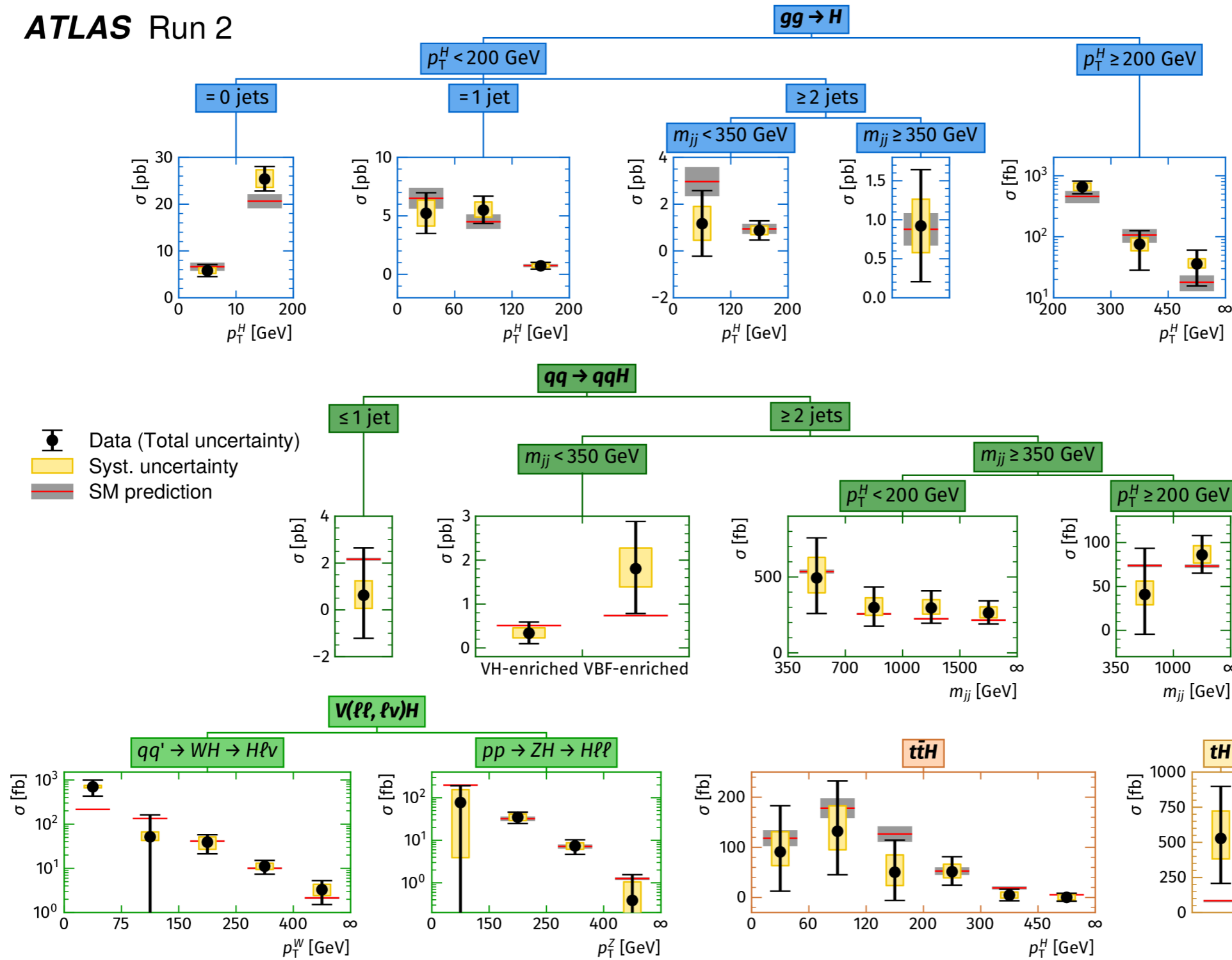
- 1) Single modifier for vector bosons and single modifier for fermion couplings
- 2) Coupling modifiers for W, Z, t, b, c, τ, μ treated independently, loop processes resolved
- 3) Same as 2) with coupling modifiers for non-SM particles in loop processes



Simplified template cross sections (STXS) framework

- Signal cross sections measured in specific kinematic phase spaces.

ATLAS Run 2



11 ggF regions

9 VBF regions

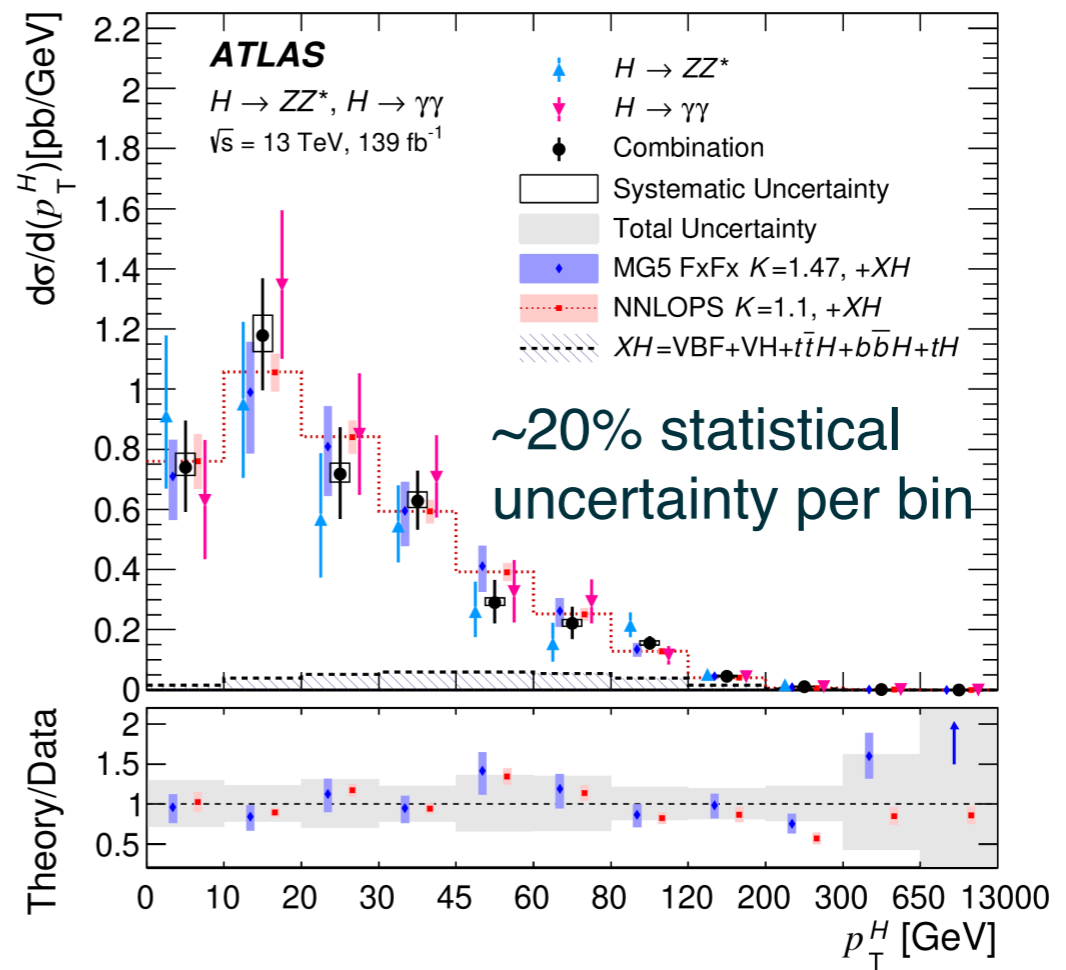
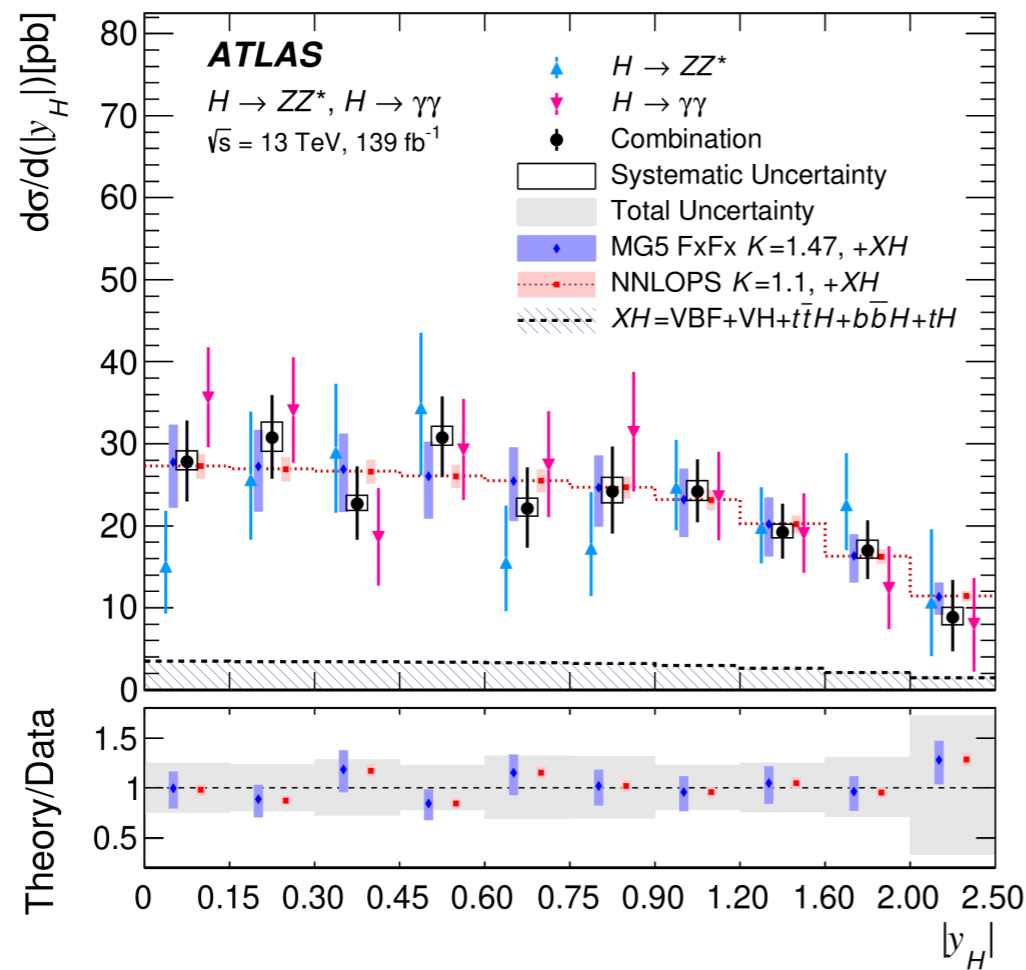
9 VH regions

7 ttH+tH regions

36 total regions

Differential cross section in H to $\gamma\gamma+4\ell$

- Higgs production cross sections measured also in finer bins and variables beyond STXS
 - Combined $H \rightarrow \gamma\gamma$ and $H \rightarrow 4\ell$ production cross section measurement



Observable	Total	p_T^H	$ y_H $	p_T^H vs $ y_H $	N_{jets}	$p_T^{\text{lead. jet}}$
Compatibility p -value	49%	20%	23%	69%	80%	37%

Interpretation within SMEFT with STXS

- SMEFT: extension of SM by adding higher-dimensional operators built upon SM fields

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_i^{N_{d=6}} \frac{c_i}{\Lambda^2} O_i^{(6)} + \sum_j^{N_{d=8}} \frac{b_j}{\Lambda^4} O_j^{(8)} + \dots$$

- Warsaw basis used: complete set of d=6 operators, assuming $\Lambda = 1$ TeV

- "Top" flavour scheme:

- First two generation quarks treated similarly
- All lepton generations separately
- 204 CP-even operators, 50 related to Higgs measurement considered in this analysis

Wilson coefficient	Operator	Wilson coefficient	Operator
c_H	$(H^\dagger H)^3$	$c_{Qq}^{(1,1)}$	$(\bar{Q}\gamma_\mu Q)(\bar{q}\gamma^\mu q)$
$c_{H\Box}$	$(H^\dagger H)\Box(H^\dagger H)$	$c_{Qq}^{(1,8)}$	$(\bar{Q}T^a\gamma_\mu Q)(\bar{q}T^a\gamma^\mu q)$
c_G	$f^{abc}G_\mu^{av}G_\nu^{bp}G_\rho^{c\mu}$	$c_{Qq}^{(3,1)}$	$(\bar{Q}\sigma^i\gamma_\mu Q)(\bar{q}\sigma^i\gamma^\mu q)$
c_W	$\epsilon^{IJK}W_\mu^{I\nu}W_\nu^{J\rho}W_\rho^{K\mu}$	$c_{Qq}^{(3,8)}$	$(\bar{Q}\sigma^i T^a\gamma_\mu Q)(\bar{q}\sigma^i T^a\gamma^\mu q)$
c_{HDD}	$(H^\dagger D^\mu H)^*(H^\dagger D_\mu H)$	$c_{qq}^{(3,1)}$	$(\bar{q}\sigma^i\gamma_\mu q)(\bar{q}\sigma^i\gamma^\mu q)$
c_{HG}	$H^\dagger H G_{\mu\nu}^A G^{A\mu\nu}$	$c_{tu}^{(1)}$	$(\bar{t}\gamma_\mu t)(\bar{u}\gamma^\mu u)$
c_{HB}	$H^\dagger H B_{\mu\nu} B^{\mu\nu}$	$c_{tu}^{(8)}$	$(\bar{t}T^a\gamma_\mu t)(\bar{u}T^a\gamma^\mu u)$
c_{HW}	$H^\dagger H W_{\mu\nu}^I W^{I\mu\nu}$	$c_{td}^{(1)}$	$(\bar{t}\gamma_\mu t)(\bar{d}\gamma^\mu d)$
c_{HWB}	$H^\dagger \tau^I H W_{\mu\nu}^I B^{\mu\nu}$	$c_{td}^{(8)}$	$(\bar{t}T^a\gamma_\mu t)(\bar{d}T^a\gamma^\mu d)$
$c_{Hl,11}^{(1)}$	$(H^\dagger i\vec{D}_\mu H)(\bar{l}_1\gamma^\mu l_1)$	$c_{Qu}^{(1)}$	$(\bar{Q}\gamma_\mu Q)(\bar{u}\gamma^\mu u)$
$c_{Hl,22}^{(1)}$	$(H^\dagger i\vec{D}_\mu H)(\bar{l}_2\gamma^\mu l_2)$	$c_{Qu}^{(8)}$	$(\bar{Q}T^a\gamma_\mu Q)(\bar{u}T^a\gamma^\mu u)$
$c_{Hl,33}^{(1)}$	$(H^\dagger i\vec{D}_\mu H)(\bar{l}_3\gamma^\mu l_3)$	$c_{Qd}^{(1)}$	$(\bar{Q}\gamma_\mu Q)(\bar{d}\gamma^\mu d)$
$c_{Hl,11}^{(3)}$	$(H^\dagger i\vec{D}_\mu^I H)(\bar{l}_1\tau^I\gamma^\mu l_1)$	$c_{Qd}^{(8)}$	$(\bar{Q}T^a\gamma_\mu Q)(\bar{d}T^a\gamma^\mu d)$
$c_{Hl,22}^{(3)}$	$(H^\dagger i\vec{D}_\mu^I H)(\bar{l}_2\tau^I\gamma^\mu l_2)$	$c_{tq}^{(1)}$	$(\bar{q}\gamma_\mu q)(\bar{t}\gamma^\mu t)$
$c_{Hl,33}^{(3)}$	$(H^\dagger i\vec{D}_\mu^I H)(\bar{l}_3\tau^I\gamma^\mu l_3)$	$c_{tq}^{(8)}$	$(\bar{q}T^a\gamma_\mu q)(\bar{t}T^a\gamma^\mu t)$
$c_{He,11}$	$(H^\dagger i\vec{D}_\mu H)(\bar{e}_1\gamma^\mu e_1)$	$c_{eH,22}$	$(H^\dagger H)(\bar{l}_2 e_2 H)$
$c_{He,22}$	$(H^\dagger i\vec{D}_\mu H)(\bar{e}_2\gamma^\mu e_2)$	$c_{eH,33}$	$(H^\dagger H)(\bar{l}_3 e_3 H)$
$c_{He,33}$	$(H^\dagger i\vec{D}_\mu H)(\bar{e}_3\gamma^\mu e_3)$	c_{uH}	$(H^\dagger H)(\bar{q}Y_u^\dagger u\tilde{H})$
$c_{Hq}^{(1)}$	$(H^\dagger i\vec{D}_\mu H)(\bar{q}\gamma^\mu q)$	c_{tH}	$(H^\dagger H)(\bar{Q}\tilde{H}t)$
$c_{Hq}^{(3)}$	$(H^\dagger i\vec{D}_\mu^I H)(\bar{q}\tau^I\gamma^\mu q)$	c_{bH}	$(H^\dagger H)(\bar{Q}Hb)$
c_{Hu}	$(H^\dagger i\vec{D}_\mu H)(\bar{u}_p\gamma^\mu u_r)$	c_{tG}	$(\bar{Q}\sigma^{\mu\nu}T^A t)\tilde{H}G_{\mu\nu}^A$
c_{Hd}	$(H^\dagger i\vec{D}_\mu H)(\bar{d}_p\gamma^\mu d_r)$	c_{tW}	$(\bar{Q}\sigma^{\mu\nu}t)\tau^I\tilde{H}W_{\mu\nu}^I$
$c_{HQ}^{(1)}$	$(H^\dagger i\vec{D}_\mu H)(\bar{Q}\gamma^\mu Q)$	c_{tB}	$(\bar{Q}\sigma^{\mu\nu}t)\tilde{H}B_{\mu\nu}$
$c_{HQ}^{(3)}$	$(H^\dagger i\vec{D}_\mu^I H)(\bar{Q}\tau^I\gamma^\mu Q)$	$c_{ll,1221}$	$(\bar{l}_1\gamma_\mu l_2)(\bar{l}_2\gamma^\mu l_1)$
c_{Ht}	$(H^\dagger i\vec{D}_\mu H)(\bar{t}\gamma^\mu t)$		
c_{Hb}	$(H^\dagger i\vec{D}_\mu H)(\bar{b}\gamma^\mu b)$		

Parameterisation

$$(\sigma \times \mathcal{B})_{\text{SMEFT}}^{i,k',H \rightarrow X} = \sigma_{\text{SMEFT}}^{i,k'} \times \mathcal{B}_{\text{SMEFT}}^{H \rightarrow X} = \left(\sigma_{\text{SM}}^{i,k'} + \sigma_{\text{int}}^{i,k'} + \sigma_{\text{BSM}}^{i,k'} \right) \times \left(\frac{\Gamma_{\text{SM}}^{H \rightarrow X} + \Gamma_{\text{int}}^{H \rightarrow X} + \Gamma_{\text{BSM}}^{H \rightarrow X}}{\Gamma_{\text{SM}}^H + \Gamma_{\text{int}}^H + \Gamma_{\text{BSM}}^H} \right)$$

- Linear term: interference between dim-6 operators and SM
- Quadric term: pure BSM term, product of two dim-6 operators

$$\frac{\sigma_{\text{int}}^{i,k'}}{\sigma_{\text{SM}}^{i,k'}} = \sum_j A_j^{\sigma_{i,k'}} c_j \quad \frac{\sigma_{\text{BSM}}^{i,k'}}{\sigma_{\text{SM}}^{i,k'}} = \sum_{j,l \geq j} B_{jl}^{\sigma_{i,k'}} c_j c_l$$

$$\frac{\Gamma_{\text{int}}^{H \rightarrow X}}{\Gamma_{\text{SM}}^{H \rightarrow X}} = \sum_j A_j^{\Gamma_{H \rightarrow X}} c_j \quad \frac{\Gamma_{\text{BSM}}^{H \rightarrow X}}{\Gamma_{\text{SM}}^{H \rightarrow X}} = \sum_{j,l \geq j} B_{jl}^{\Gamma_{H \rightarrow X}} c_j c_l$$

$$\frac{\Gamma_{\text{int}}^H}{\Gamma_{\text{SM}}^H} = \sum_j A_j^{\Gamma^H} c_j \quad \frac{\Gamma_{\text{BSM}}^H}{\Gamma_{\text{SM}}^H} = \sum_{j,l \geq j} B_{jl}^{\Gamma^H} c_j c_l$$

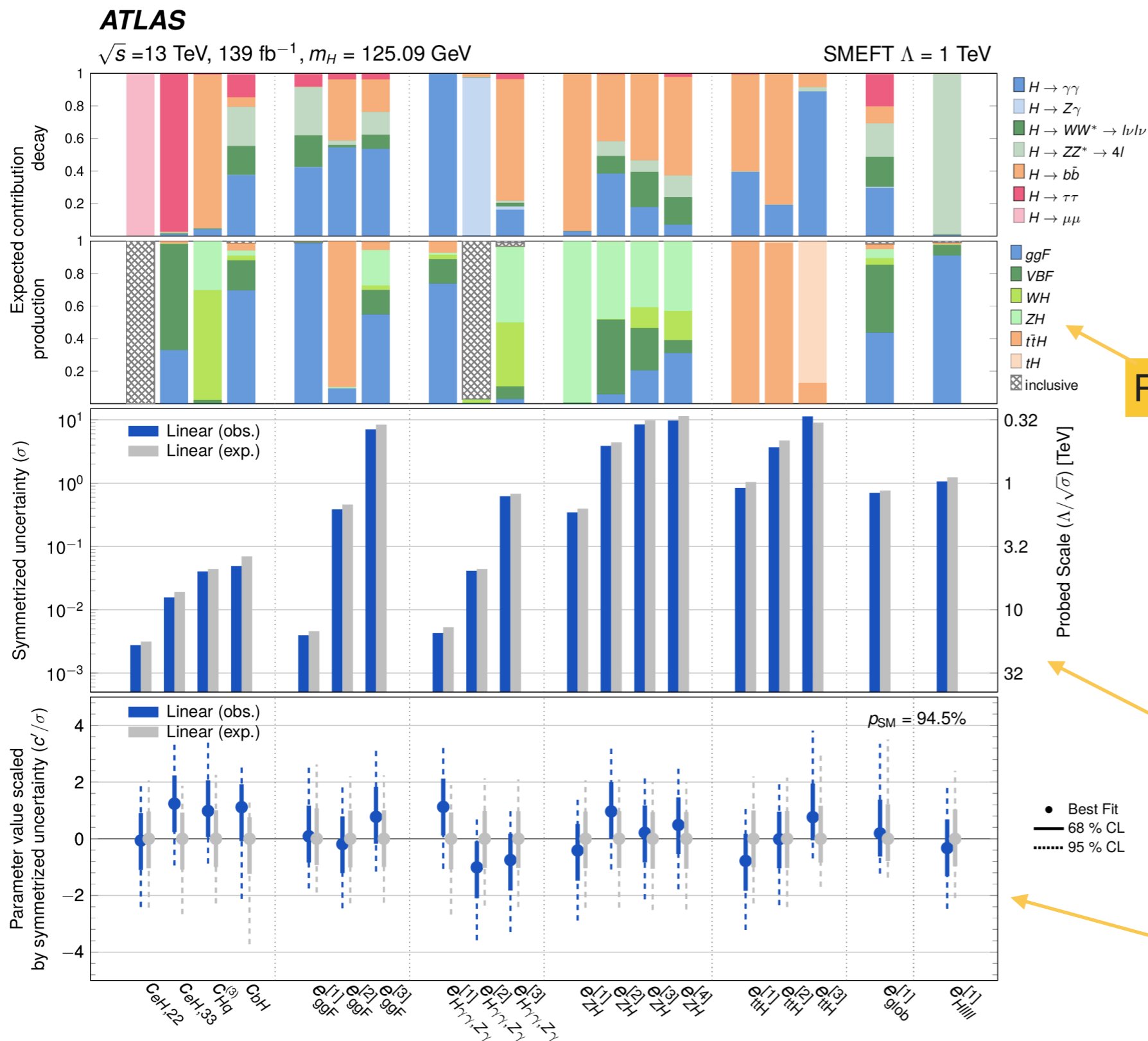
$$A_j^{\Gamma^H} = \frac{\sum_X \Gamma_{\text{SM}}^{H \rightarrow X} A_j^{\Gamma_{H \rightarrow X}}}{\sum_X \Gamma_{\text{SM}}^{H \rightarrow X}} \quad B_{jl}^{\Gamma^H} = \frac{\sum_X \Gamma_{\text{SM}}^{H \rightarrow X} B_{jl}^{\Gamma_{H \rightarrow X}}}{\sum_X \Gamma_{\text{SM}}^{H \rightarrow X}}$$

- Measurements are re-parameterised in terms of Wilson coefficients

$$\text{linear model: } (\sigma \times \mathcal{B})_{\text{SM},((\text{N})\text{N})\text{NLO}}^{i,k',H \rightarrow X} \times \left(\frac{1 + \sum_j \left(A_j^{\sigma_{i,k'}} + A_j^{\Gamma_{H \rightarrow X}} \right) c_j + O(\Lambda^{-4})}{1 + \sum_j A_j^{\Gamma^H} c_j + O(\Lambda^{-4})} \right)$$

$$\text{Quadric model: } (\sigma \times \mathcal{B})_{\text{SM},((\text{N})\text{N})\text{NLO}}^{i,k',H \rightarrow X} \cdot \left(\frac{1 + \sum_j \left(A_j^{\sigma_{i,k'}} + A_j^{\Gamma_{H \rightarrow X}} \right) c_j + \sum_{j,l} \left(A_j^{\sigma_{i,k'}} A_l^{\Gamma_{H \rightarrow X}} \right) c_j c_l + \sum_{j,l \geq j} \left(B_{jl}^{\sigma_{i,k'}} + B_{jl}^{\Gamma_{H \rightarrow X}} \right) c_j c_l + O(\Lambda^{-6})}{1 + \sum_j \left(A_j^{\Gamma^H} \right) c_j + \sum_{j,l \geq j} \left(B_{jl}^{\Gamma^H} \right) c_j c_l + O(\Lambda^{-6})} \right)$$

Constraints on SMEFT - linear model



- ⦿ Tight constraint observed for process that is suppressed in SM, but not in SMEFT

Relative contributions

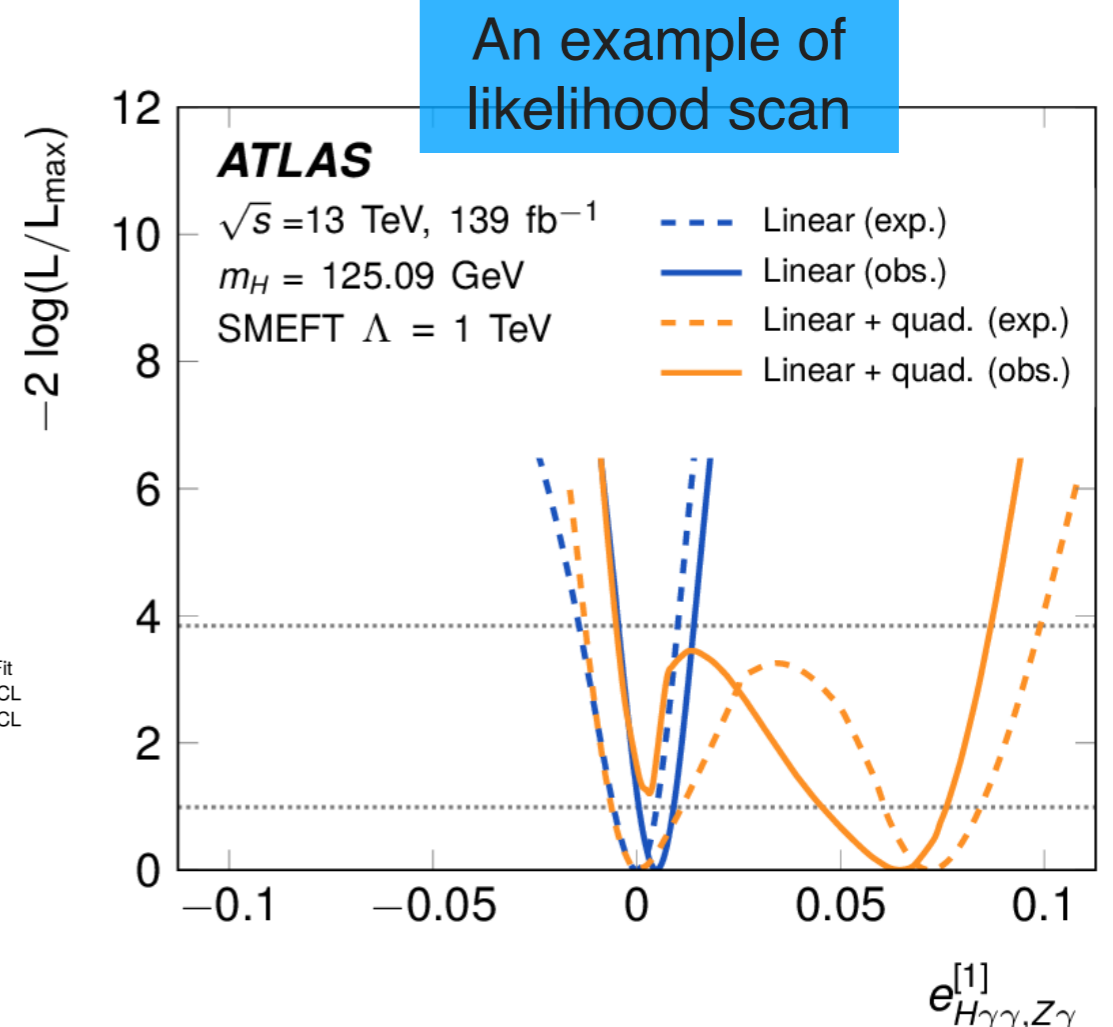
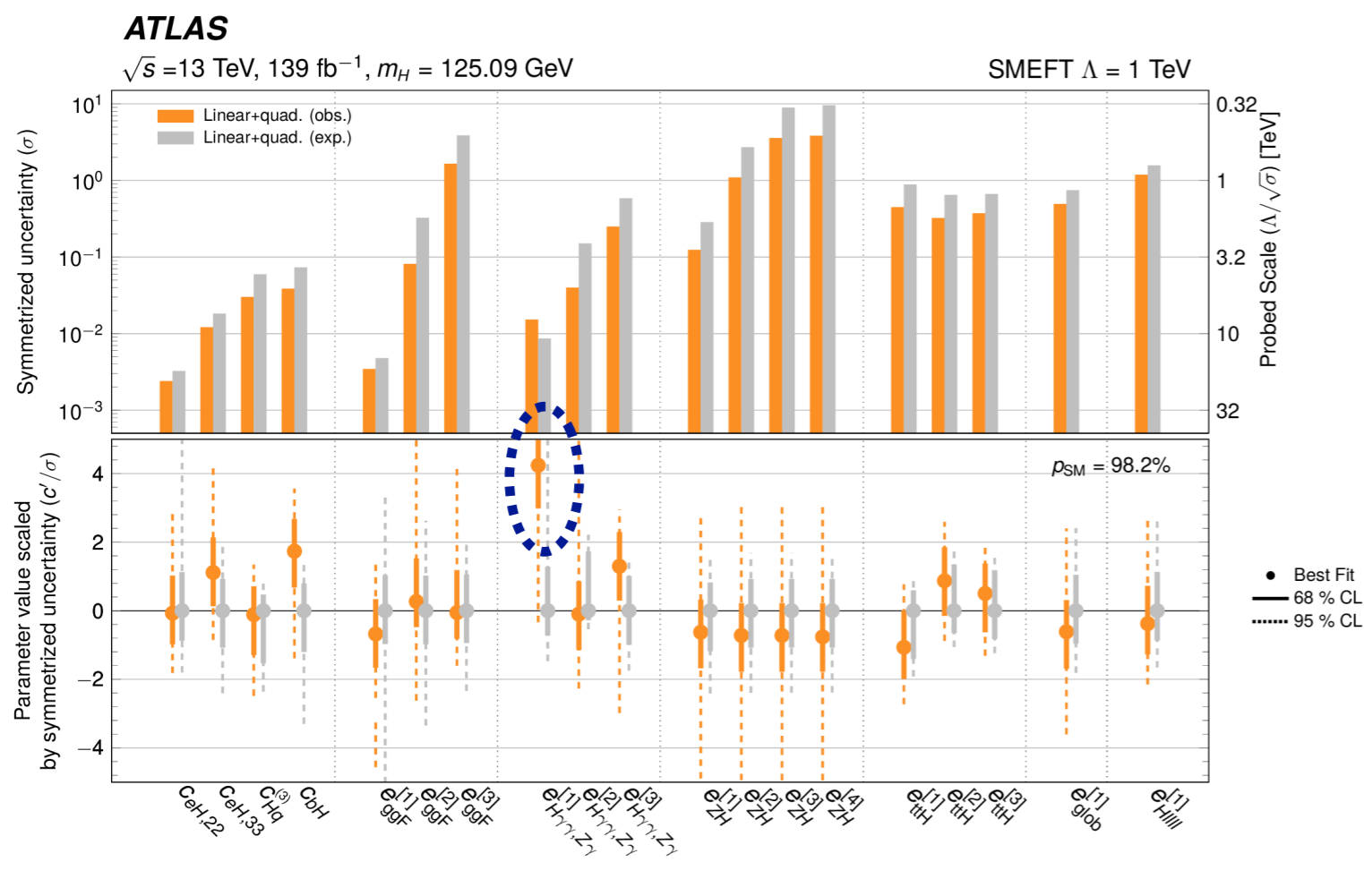
- ⦿ No significant deviation from SM

Best fit uncertainties

Best fit values

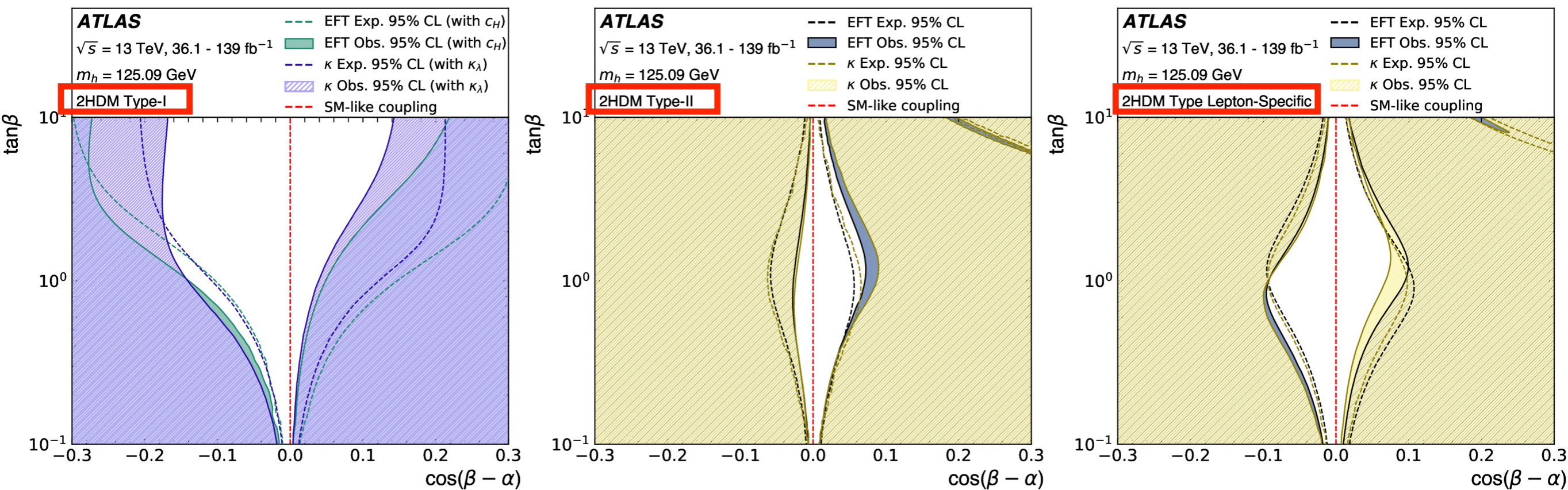
Constraints on SMEFT - quadric model

- Most operators have more stringent constraints than linear models as the linear+quadric impact is larger than linear one
- Impact from quad term can be big in some operators due to double minima



BSM interpretation

- Interpreted under 4 benchmarks of 2HDM and 7 of MSSM + hMSSM
- Can also be done through the results of EFT which is a low-energy approximation of high energy scale UV-complete model
- A direct interpretation and EFT-based approach are compared and show reasonable agreement
 - The EFT-based approach has weaker constraint than direct interpretation in Type-I, due to the missing of dim-8 operators



Summary

- A detailed check of the SM prediction from the combination of the measurements in the κ and the STXS framework
 - All results are in excellent agreement with the SM prediction
- Results are interpreted under EFT & BSM
- The linear and linear+quadratic model are used for the interpretation on STXS measurements
 - No significant deviation from SM is observed

**Exciting future ahead with the
upcoming Run 3 dataset!**

Backup

Impact of rotated SMEFT operators on $H \rightarrow \gamma\gamma$ and $H \rightarrow ZZ$

