Gamma rays from Neutralino annihilation in the 2020s

Martin Vollmann – Uni Tuebingen – 14.6.2024



If Dark Matter is WIMPs (e.g. MSSM neutralinos)

Signal in the gamma-ray sky (from Dark Matter Annihilation)

Theoretical prediction is complicated (Sommerfeld effect, radiative effects, ...)

<u>This talk</u>:

Most accurate calculation to date











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Sommerfeld effect for continuum gamma-ray spectra from Dark Matter annihilation

Outline

Motivation

Indirect detection

Continuum gamma rays for MSSM neutralinos

Numerics



Sommerfeld effect



Conclusions



Motivation



Why SUSY Dark Matter?

DARK MATTER



SUPERSYMMETRY

ELECTROWEAK interactions



Split (high-scale) SUSY

- 125GeV Higgs favoured
- Unification of gauge couplings
- CP SUSY problems (EDMs)
- TeV-scale WIMP —> Cherenkov telescopes!

• Naturalness



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Indirect detection

Dark Matter halo

×

.

Solar system

Credit: ESO/L. Calçada

Gamma-ray flux formula





 $ho_{
m DM}$

Example Milky Way-like galaxy from Aquarius (Aq-A-1) N-body simulation





Example (Ad break) Draco dwarf galaxy with diffSph [2401.05255]

+58°05'-Draco +58°00'-Dec +57 ° 55' -+57°50'-HDZ/gNFW (Geringer +57°45'--Sameth et al 2015) 17h20' 17h19' 17h21'

$dJ/d\Omega$ [GeV² cm⁻⁵ sr⁻¹]



R.A.

https://github.com/mertio1/diffsph



diffSph (2401.05255)

attah



Gamma-ray flux formula

 $= \frac{1}{8\pi m_{\gamma}^2} \times J \times \frac{\mathrm{d}\,\sigma v}{\mathrm{d}E_{\gamma}}$ Φ







The problem: Obtain the annihilation spetrum











2000-2010s



Fixed-order $2 \rightarrow 2$ (tree) + Parton Shower

d N^{MC}_{bb} $d\sigma v$ dE_{γ} $(\sigma v)_{\bar{b}b}$ dE_{γ}



 $dN_{\tau^+\tau^-}^{MC}$ $(\sigma v)_{\tau^+\tau^-}$ E_{γ}



2000-2010s



Fixed-order $2 \rightarrow 2$ (tree) + Parton Shower

Helicity suppression If $m_{DM} \gg m_b, m_\tau$ (and $v \ll c$):

$$\langle \sigma v \rangle_{b\bar{b}} \propto \frac{m_b^2}{m_{DM}^2} \to 0$$

$dN_{\overline{b}b}^{MC}$ $d\sigma v$ $\bar{b}b$ E_{γ} E_{γ}



d N^{MC}











2000-2010s



Fixed-order 2 → 3 (tree) + Parton Shower

Bringmann et al 0710.3169





2000-2010s



Fixed-order 2 → 3 (tree) + Parton Shower

 χ_1^0

Internal bremsstrahlung Lift helicity suppression

° 2→2 process
$$\langle \sigma v \rangle_{b\bar{b}} \propto \frac{m_b^2}{m_{DM}^2} \to 0$$

° 2→3 process $\langle \sigma v \rangle_{b\bar{b}v} \neq 0$

Bringmann et al 0710.3169































2020s (before 2310.11067 came out)



Fixed-order 2 → 2 + Parton Shower + Sommerfeld factor



Fixed-order 2 → 3 + Parton Shower + Sommerfeld factor Incomplete (missing shower for e.g. $\chi^0 \chi^0 \to H^{\pm} W^{\mp}$)
 Helicity-suppressed cross sections still suppressed
 ...

• Only extrapolations from our endpoint factorization formulas available and for pure wino/higgsino

<u>Goal</u>: Account for Internal bremsstrahlung + Sommerfeld effect in the MSSM

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Resummation Breakdown of perturbative expansion when $m_{\gamma} \gg m_W$

Tree (LO)

 $1-\log(NLO)$



2-loop (NNLO)

Resummation Breakdown of perturbative expansion when $m_{\chi} \gg m_W$

Tree (LO)

1-loop (NLO)



2-loop (NNLO)








Resummation Goal: factor out the "gorillas"

dov $= f\left(\alpha_{ew} \times \mathbf{n}\right) \times \left(\# \alpha_{ew}^3 + \mathcal{O}(\alpha_{ew}^4)\right)$ dE_{ν}







Sommerfeld factor Reframe the question: QFT @ Quantum Mechanics



Non-relativistic Yukawa potential-like interactions!!!!



Sommerfeld factor How to compute it? Illustrative example

$$\begin{aligned} \left(-\frac{1}{m_{\chi}}\frac{\mathrm{d}^{2}}{\mathrm{d}x^{2}}+V(x)\right)\psi(x) &= E\psi(x)\\ j(x) &= \frac{i}{m_{\chi}}[\psi(x)\psi'^{*}(x)-\psi^{*}(x)\psi'(x)] = \mathrm{const.}\\ \psi_{-}(x) &= e^{ikx}+re^{-ikx}\\ &= (1-|r|^{2})v = (1-\sigma_{r})v \end{aligned}$$

$$\psi_{-}(x) = e^{ikx} + re^{-ikx}$$
$$j_{-} = (1 - |r|^{2})v = (1 - \sigma_{r})v$$

Unitarity:

 $j_{-} = j_{+} \rightarrow \sigma_r + \sigma_t = 1$ (only scattering)

Sommerfeld factor How to compute it? Illustrative example

$$\left(-\frac{1}{m_{\chi}}\frac{\mathrm{d}^2}{\mathrm{d}x^2} + V(x) + \frac{i}{2}\sigma_a^{(0)}v\delta(x)\right)\psi(x) = E\psi(x)$$

Unitarity-violating ter



| σ_{a} | , , | | _ |
|--------------|--------|---|---|
| | - | _ | |

$$\operatorname{srm} \quad \to \ j_{+} = j_{-} + |\psi(0)|^{2} \sigma_{a} v$$

$$\sigma_t + \boldsymbol{\sigma_a} = 1$$

 $|\psi(\mathbf{0})|^{\mathbf{2}}\sigma_{a}^{(0)}$

Sommerfeld factor Putting all things together

 $d\sigma v$ Particle pairs



QFT perturbation theory

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The MSSM in a nutshell Neutralino/chargino sector



Charginos



Neutralinos





 $V(r) \sim \frac{\alpha}{r} + \frac{\alpha_{ew}e^{-m_Wr}}{r} + \frac{\alpha_{ew}e^{-m_Zr}}{r} + \dots$



Charginos



Neutralinos



$V(r) \rightarrow V_{IJ}(r)$

Charginos



Neutralinos



| $v_{(\hat{11})(\hat{11})}$ | $v_{(\hat{11})(\hat{12})}$ | $v_{(\hat{11})(\hat{13})}$ | $v_{(\hat{11})(\hat{14})}$ | $v_{(\hat{11})(\hat{22})}$ | $v_{(\hat{11})(\hat{23})}$ | $v_{(\hat{11})(\hat{24})}$ | $v_{(\hat{11})(\hat{33})}$ | $v_{(\hat{11})(\hat{34})}$ | $v_{(\hat{11})(\hat{44})}$ | $v_{(\hat{11})\langle 1\bar{1}\rangle}$ | $v_{(\hat{11})\langle 1\bar{2}\rangle}$ | $v_{(\hat{11})\langle 2\bar{1}\rangle}$ | $v_{(11)}$ |
|---|---|---|---|---|---|---|---|---|---|--|--|--|------------------------------------|
| $v_{(\hat{12})(\hat{11})}$ | $v_{(\hat{12})(\hat{12})}$ | $v_{(\hat{12})(\hat{13})}$ | $v_{(\hat{12})(\hat{14})}$ | $v_{(\hat{12})(\hat{22})}$ | $v_{(\hat{12})(\hat{23})}$ | $v_{(\hat{12})(\hat{24})}$ | $v_{(\hat{12})(\hat{33})}$ | $v_{(\hat{12})(\hat{34})}$ | $v_{(\hat{12})(\hat{44})}$ | $v_{(\hat{12})\langle 1\bar{1}\rangle}$ | $\mathcal{V}_{(\hat{12})\langle 1\bar{2}\rangle}$ | $v_{(\hat{12})\langle 2\bar{1}\rangle}$ | $v_{(12)}$ |
| $v_{(\hat{13})(\hat{11})}$ | $v_{(\hat{13})(\hat{12})}$ | $v_{(\hat{13})(\hat{13})}$ | $v_{(\hat{13})(\hat{14})}$ | $v_{(\hat{12})(\hat{22})}$ | $v_{(\hat{13})(\hat{23})}$ | $v_{(\hat{13})(\hat{24})}$ | $v_{(\hat{13})(\hat{33})}$ | $v_{(\hat{13})(\hat{34})}$ | $v_{(\hat{13})(\hat{44})}$ | $v_{(\hat{13})\langle 1\bar{1}\rangle}$ | $v_{(\hat{13})\langle 1\bar{2}\rangle}$ | $v_{(\hat{13})\langle 2\bar{1}\rangle}$ | $v_{(13)}$ |
| $v_{(\hat{14})(\hat{11})}$ | $v_{(14)(12)}$ | $v_{(14)(13)}$ | $v_{(14)(14)}$ | $v_{(\hat{12})(\hat{22})}$ | $v_{(\hat{14})(\hat{23})}$ | $v_{(\hat{14})(\hat{24})}$ | $v_{(\hat{14})(\hat{33})}$ | $v_{(14)(34)}$ | $v_{(14)(44)}$ | $v_{(14)\langle 1\bar{1}\rangle}$ | $v_{(14)\langle 1\bar{2}\rangle}$ | $v_{(14)\langle 2\overline{1}\rangle}$ | $v_{(14)}$ |
| $v_{(\hat{22})(\hat{11})}$ | $v_{(\hat{22})(\hat{12})}$ | $v_{(\hat{22})(\hat{13})}$ | $v_{(\hat{22})(\hat{14})}$ | $v_{(\hat{22})(\hat{22})}$ | $v_{(\hat{22})(\hat{23})}$ | $v_{(\hat{22})(\hat{24})}$ | $v_{(\hat{22})(\hat{33})}$ | $v_{(\hat{22})(\hat{34})}$ | $v_{(\hat{22})(\hat{44})}$ | $v_{(\hat{22})\langle 1\bar{1}\rangle}$ | $v_{(\hat{22})\langle 1\bar{2}\rangle}$ | $\hat{v}_{(\hat{22})\langle\hat{21}\rangle}$ | $v_{(22)}$ |
| $v_{(23)(11)}$ | $v_{(23)(12)}$ | $v_{(23)(13)}$ | $v_{(23)(14)}$ | $v_{(23)(22)}$ | $v_{(23)(23)}$ | $v_{(23)(24)}$ | $v_{(23)(33)}$ | $v_{(23)(34)}$ | $v_{(23)(44)}$ | $v_{(23)\langle 1\overline{1}\rangle}$ | $v_{(23)\langle 1\bar{2}\rangle}$ | $v_{(23)\langle 2\overline{1}\rangle}$ | $v_{(23)}$ |
| $v_{(24)(11)}$ | $v_{(24)(12)}$ | $v_{(24)(13)}$ | $v_{(24)(14)}$ | $v_{(24)(22)}$ | $v_{(24)(23)}$ | $v_{(24)(24)}$ | $v_{(24)(33)}$ | $v_{(24)(34)}$ | $v_{(24)(44)}$ | $\hat{v}_{(24)\langle 1\bar{1}\rangle}$ | $\hat{v}_{(24)\langle 1\bar{2}\rangle}$ | $\hat{v}_{(24)\langle 2\bar{1}\rangle}$ | $v_{(24)}$ |
| $v_{(\hat{33})(\hat{11})}$ | $v_{(\hat{33})(\hat{12})}$ | $v_{(\hat{33})(\hat{13})}$ | $v_{(\hat{33})(\hat{14})}$ | $v_{(\hat{33})(\hat{22})}$ | $v_{(\hat{33})(\hat{23})}$ | $v_{(\hat{33})(\hat{24})}$ | $v_{(\hat{33})(\hat{33})}$ | $v_{(\hat{33})(\hat{34})}$ | $v_{(\hat{33})(\hat{44})}$ | $v_{(\hat{33})\langle 1\bar{1}\rangle}$ | $v_{(\hat{3}\hat{3})\langle 1\bar{2}\rangle}$ | $v_{(\hat{3}\hat{3})\langle 2\bar{1}\rangle}$ | V(33) |
| $v_{(\hat{34})(\hat{11})}$ | $v_{(\hat{34})(\hat{12})}$ | $v_{(\hat{34})(\hat{13})}$ | $v_{(\hat{34})(\hat{14})}$ | $v_{(\hat{34})(\hat{22})}$ | $v_{(\hat{34})(\hat{23})}$ | $v_{(\hat{34})(\hat{24})}$ | $v_{(\hat{34})(\hat{33})}$ | $v_{(\hat{34})(\hat{34})}$ | $v_{(\hat{34})(\hat{44})}$ | $v_{(34)\langle 1\bar{1}\rangle}$ | $\hat{v}_{(34)\langle 1\bar{2}\rangle}$ | $\hat{v}_{(34)\langle 2\bar{1}\rangle}$ | $v_{(34)}$ |
| $v_{(\hat{44})(\hat{11})}$ | $v_{(44)(12)}$ | $v_{(44)(13)}$ | $v_{(44)(14)}$ | $v_{(44)(22)}$ | $v_{(44)(23)}$ | $v_{(44)(24)}$ | $v_{(44)(33)}$ | $v_{(44)(34)}$ | $v_{(44)(44)}$ | $\mathcal{V}_{(44)\langle 1\overline{1}\rangle}$ | $\mathcal{V}_{(\hat{4}\hat{4})\langle 1\bar{2}\rangle}$ | $\mathcal{V}_{(\hat{44})\langle 2\bar{1}\rangle}$ | $v_{(44)}$ |
| $\mathcal{V}_{\langle 1\bar{1}\rangle(\hat{11})}$ | $v_{\langle 1\bar{1}\rangle(12)}$ | $v_{\langle 1\bar{1}\rangle(1\bar{3})}$ | $v_{\langle 1\bar{1}\rangle(1\bar{4})}$ | $\mathcal{V}_{\langle 1\bar{1}\rangle(22)}$ | $v_{\langle 1\bar{1}\rangle(2\bar{3})}$ | $\mathcal{V}_{\langle 1\bar{1}\rangle(24)}$ | $v_{\langle 1\bar{1}\rangle(3\bar{3})}$ | $v_{\langle 1\bar{1}\rangle(34)}$ | $v_{\langle 1\bar{1}\rangle(44)}$ | $\mathcal{V}_{\langle 1\overline{1}\rangle\langle 1\overline{1}\rangle}$ | $\mathcal{V}_{\langle 1\bar{1}\rangle\langle 1\bar{2}\rangle}$ | $\mathcal{V}_{\langle 1\bar{1}\rangle\langle 2\bar{1}\rangle}$ | $v_{\langle 1\overline{1}\rangle}$ |
| $\mathcal{V}_{\langle 1\bar{2}\rangle(\hat{11})}$ | $v_{\langle 1\bar{2}\rangle(1\bar{2})}$ | $v_{\langle 1\bar{2}\rangle(\hat{13})}$ | $v_{\langle 1\bar{2}\rangle(1\bar{4})}$ | $\mathcal{V}_{\langle 1\bar{2}\rangle(\hat{22})}$ | $v_{\langle 1\bar{2}\rangle(2\bar{3})}$ | $\mathcal{V}\langle 1\bar{2}\rangle(\hat{24})$ | $v_{\langle 1\bar{2}\rangle(\hat{33})}$ | $v_{\langle 1\bar{2}\rangle(3\bar{4})}$ | $v_{\langle 1\bar{2}\rangle(4\bar{4})}$ | $\mathcal{V}_{\langle 1\bar{2}\rangle\langle 1\bar{1}\rangle}$ | $\mathcal{V}\langle 1\bar{2}\rangle\langle 1\bar{2}\rangle$ | $\mathcal{V}_{\langle 1\bar{2}\rangle\langle 2\bar{1}\rangle}$ | $v_{\langle 1\bar{2} \rangle}$ |
| $\mathcal{V}\langle 2\bar{1}\rangle(\hat{11})$ | $v_{\langle 2\bar{1}\rangle(12)}$ | $v_{\langle 2\bar{1}\rangle(1\bar{3})}$ | $v_{\langle 2\bar{1}\rangle(1\bar{4})}$ | $v_{\langle 2\bar{1}\rangle(22)}$ | $v_{\langle 2\bar{1}\rangle(2\bar{3})}$ | $\mathcal{V}\langle 2\bar{1}\rangle(\hat{24})$ | $v_{\langle 2\bar{1}\rangle(\hat{3}3)}$ | $v_{\langle 2\bar{1}\rangle(3\bar{4})}$ | $v_{\langle 2\bar{1}\rangle(4\bar{4})}$ | $v_{\langle 2\bar{1}\rangle\langle 1\bar{1}\rangle}$ | $\mathcal{V}\langle 2\bar{1}\rangle\langle 1\bar{2}\rangle$ | $\mathcal{V}_{\langle 2\bar{1}\rangle\langle 2\bar{1}\rangle}$ | $v_{\langle 2\overline{1}}$ |
| $\mathcal{V}_{\langle 2\bar{2}\rangle(\hat{1}1)}$ | $v_{\langle 2\bar{2}\rangle(\hat{12})}$ | $v_{\langle 2\bar{2}\rangle(\hat{13})}$ | $v_{\langle 2\bar{2}\rangle(14)}$ | $\mathcal{V}_{\langle 2\bar{2}\rangle(\hat{22})}$ | $\mathcal{V}_{\langle 2\bar{2}\rangle(2\bar{3})}$ | $\mathcal{V}_{\langle 2\bar{2}\rangle(2\bar{4})}$ | $v_{\langle 2\bar{2}\rangle(\hat{3}3)}$ | $\mathcal{V}_{\langle 2\bar{2}\rangle(\hat{3}4)}$ | $v_{\langle 2\bar{2}\rangle(\hat{44})}$ | $\mathcal{V}\langle 2\bar{2}\rangle\langle 1\bar{1}\rangle$ | $\mathcal{V}_{\langle 2\bar{2}\rangle\langle 1\bar{2}\rangle}$ | $\mathcal{V}_{\langle 2\bar{2}\rangle\langle 2\bar{1}\rangle}$ | $v_{\langle 2\bar{2} \rangle}$ |

V(r) =

 $\rangle \langle 2\bar{2} \rangle$ $2)\langle 2\bar{2}\rangle$ $\langle 2\bar{2} \rangle$ $\langle 2\bar{2} \rangle$ $2\rangle\langle 2\bar{2}\rangle$ $\langle 2\bar{2} \rangle$ $\rangle \langle 2\bar{2} \rangle$ $\langle 2\bar{2} \rangle$ $\langle 2\bar{2} \rangle$ $\langle 2\bar{2} \rangle$ $\bar{1}\rangle\langle 2\bar{2}\rangle$ $\bar{2}\rangle\langle 2\bar{2}\rangle$ $\bar{1}\rangle\langle 2\bar{2}\rangle$ $\langle 2\bar{2} \rangle$

Sommerfeld effect in the MSSM

 $d\sigma v$ dE_{γ}

14×14 matrix



105 independent terms

Jäger Vollmann 2023 arXiv: 2310.11067



The MSSM in a nutshell Neutralino/chargino sector



Charginos



Neutralinos



Pure wino

Neutralinos



Charginos





$$V(r) = \begin{pmatrix} 0 & -\sqrt{2}\alpha_2 \frac{e^{-m_W r}}{r} \\ -\sqrt{2}\alpha_2 \frac{e^{-m_W r}}{r} & -\frac{\alpha}{r} - \alpha_2 c_W^2 \frac{e^{-m_Z r}}{r} \end{pmatrix}$$

Further properties:

•
$$m_{\chi_1^0}^{\text{wimp}} \simeq 3 \text{ TeV}$$

• $\frac{m_{\chi_1^+} - m_{\chi_1^0}}{m_{\chi_1^0}} \simeq 5.5 \times 10^{-5}$

• No couplings to quarks or gluons

Pure higgsino



Mediators



$$V(r) = \begin{pmatrix} 0 & -\frac{\alpha_2}{4c_W^2} \frac{e^{-mZ^r}}{r} & -\frac{\alpha_2}{2\sqrt{2}} \frac{e^{-mW^r}}{r} \\ -\frac{\alpha_2}{4c_W^2} \frac{e^{-mZ^r}}{r} & 0 & -\frac{\alpha_2}{2\sqrt{2}} \frac{e^{-mW^r}}{r} \\ -\frac{\alpha_2}{2\sqrt{2}} \frac{e^{-mW^r}}{r} -\frac{\alpha_2}{2\sqrt{2$$

Further properties:

•
$$m_{\chi_1^0}^{\text{wimp}} \simeq 1 \text{ TeV}$$

• $\frac{m_{\chi_1^+} - m_{\chi_1^0}}{m_{\chi_1^0}} \simeq 3.5 \times 10^{-4}$

• No couplings to quarks or gluons

• Small admixture with wino/bino required in order to avoid direct-detection constraints



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Sommerfeld effect



Conclusions



Numerics



Without further due...





 $E_{\gamma} \; [\text{GeV}]$

Meme legend







Lighter winos/higgsinos Kinematic $W^+W^-\gamma$ threshold "lifted" by the Sommerfeld effect



What's going on?



What's going on ? Charginos are electrically charged / Sommerfeld resonances









What's going on? Sommerfeld resonances



What's going on? Sommerfeld resonances



What's going on? Sommerfeld resonances



Possible approaches









Possible approaches





All-order 2 → N **next-to-leading** (prime) Sudakov logs + Parton Shower + Sommerfeld factor

Possible approaches





All-order 2 → N **next-to-leading** (prime) Sudakov logs + Parton Shower + Sommerfeld factor

Electroweak resummation of neutralino dark-matter annihilation into high-energy photons

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Resummation <u>Goal</u>: factor out the "gorillas"

 $\frac{\mathrm{d}\,\sigma v}{\mathrm{d}\,E_{v}} = f\left(\alpha_{ew} \times \mathbf{n}\right) \times \left(\#\alpha_{ew}^{3} + \mathcal{O}(\alpha_{ew}^{4})\right)$

"safe" to use perturbation theory





Sudakov double-log resummation Soft-collinear effective field theory approach

$$\left[\frac{\mathrm{d}(\tilde{\sigma v})}{\mathrm{d}E_{\gamma}}\right]_{IJ} = \frac{1}{(\sqrt{2})^{n_{id}}} \frac{1}{4} \frac{2}{\pi m_{\chi}} \sum_{i,j} C_i(\mu) C_j^*(\mu) \times Z_{\gamma}^*(\mu)$$

| Ş | \leq | Ş |
|--------|--------|--------|
| \leq | \leq | \leq |
| \sim | \sim | \sim |

 $Z_{\gamma}^{33}(\mu,\nu) \times \left[\mathrm{d}\omega J^{\mathrm{SU}(2)}(4m_{\chi}(m_{\chi}-E_{\gamma}-\omega/2),\mu) \tilde{W}_{IJ}^{ij}(\omega,\mu,\nu) \right]$

Endpoint $\rightarrow m_{\chi}^2 \ll 4m_{\gamma}^2$


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Conclusions



Conclusions

- Cherenkov telescopes are excelent instruments to search for TeV-scale SUSY
- bremsstrahlung, resonances, spectral lines, radiative electroweak effects, ...
- Incorporated all these effects (consistently) for the first time! •
 - neutralinos
 - See **2310.11067**
- Effects can lead to qualitative differences with respect to previous calculations
 - Thorough explorations in the remaining 2020s are thus crucial



• Beautiful and complex phenomenology for indirect detection: Sommerfeld effect, internal

Most complete theoretical prediction for the continuum gamma-ray spectrum from MSSM

