

Novel Proton Decay in Supersymmetry

SUSY-24
13.6.2024

Herbi Dreiner – University of Bonn

Nucleon decay in the R-parity violating MSSM

#

Nidal Chamoun (HIAST), Florian Domingo (U. Bonn, Phys. Inst., BCTP), Herbert K. Dreiner (U. Bonn, Phys. Inst., BCTP)
(Dec 21, 2020)

Published in: *Phys.Rev.D* 104 (2021) 1, 015020 • e-Print: [2012.11623](#) [hep-ph]

Decays of a bino-like particle in the low-mass regime

†

Florian Domingo (Bonn U. and U. Bonn, Phys. Inst., BCTP), Herbi K. Dreiner (Bonn U. and U. Bonn, Phys. Inst., BCTP)
(May 17, 2022)

Published in: *SciPost Phys.* 14 (2023) 5, 134, *SciPost Phys.* 14 (2023) 134 • e-Print: [2205.08141](#) [hep-ph]

A novel proton decay signature at DUNE, JUNO, and Hyper-K

#

Florian Domingo (Bonn U.), Herbi K. Dreiner (Bonn U.), Dominik Köhler (Bonn U.), Saurabh Nangia (Bonn U.), Apoorva Shah (Bonn U.) (Mar 27, 2024)

Published in: *JHEP* 05 (2024) 258 • e-Print: [2403.18502](#) [hep-ph]

Proton Decay

- **1954** first experimental proton decay search: Reines, Cowan & Goldhaber

- PDG quotes limits on

$$p \rightarrow \begin{cases} 1 \text{ (anti)lepton} + \text{meson(s)}, \\ 1 \text{ antilepton} + \text{photon(s)}, \\ 1 \text{ antilepton} + \text{single massless particle}, \\ 3 \text{ or more leptons} \end{cases}$$

- Our proposal:

$$p \rightarrow K^+ + X^0,$$

$$X^0 \rightarrow \{\pi^\pm + \mu^\mp, \pi^0 + \nu_\mu, \pi^0 + \bar{\nu}_\mu\}.$$

$$m_{X^0} \leq m_p - m_{K^+} \approx 445 \text{ MeV}$$

- Here $X^0 = \tilde{\chi}_1^0$, but could also have heavy neutral lepton, for example

Lightest Neutralino can be arbitrarily light

Mass Bounds on a Very Light Neutralino

Herbi K. Dreiner (Bonn U.) **Sven Heinemeyer** (Cantabria Inst. of Phys.), Olaf Kittel (Granada U., Theor. Phys. Astrophys.), Ulrich Langenfeld (DESY, Zeuthen), Arne M. Weber (Munich, Max Planck Inst.) et al. (Jan, 2009)

Published in: *Eur.Phys.J.C* 62 (2009) 547-572 • e-Print: [0901.3485](https://arxiv.org/abs/0901.3485) [hep-ph]

Neutralino Decays

$$L_i L_j \bar{E}_k : \quad \tilde{\chi}_1^0 \rightarrow l_i^\pm l_k^\mp \nu_j$$

$$L_i Q_j \bar{D}_k : \quad \tilde{\chi}_1^0 \rightarrow l_i^\pm + 2 \text{ jets}$$

$$\tilde{\chi}_1^0 \rightarrow M_{jk}^\pm + l_i^\mp, \quad M_{jk}^0 + \nu_i$$

$$\bar{U}_i \bar{D}_j \bar{D}_k : \quad \tilde{\chi}_1^0 \rightarrow 3 \text{ jets}$$

$$\tilde{\chi}_1^0 \rightarrow M_a B_b$$

$$M_i \in \{\pi^0, \pi^+, \pi^-, K^0, \bar{K}^0, K^+, K^-, \eta_8^0\}$$

$$B_j \in \{\Sigma^0, \Sigma^+, \Sigma^-, n^0, \Xi^0, p^+, \Xi^-, \Lambda^0\}$$

(neutralino can mix with baryon octet)

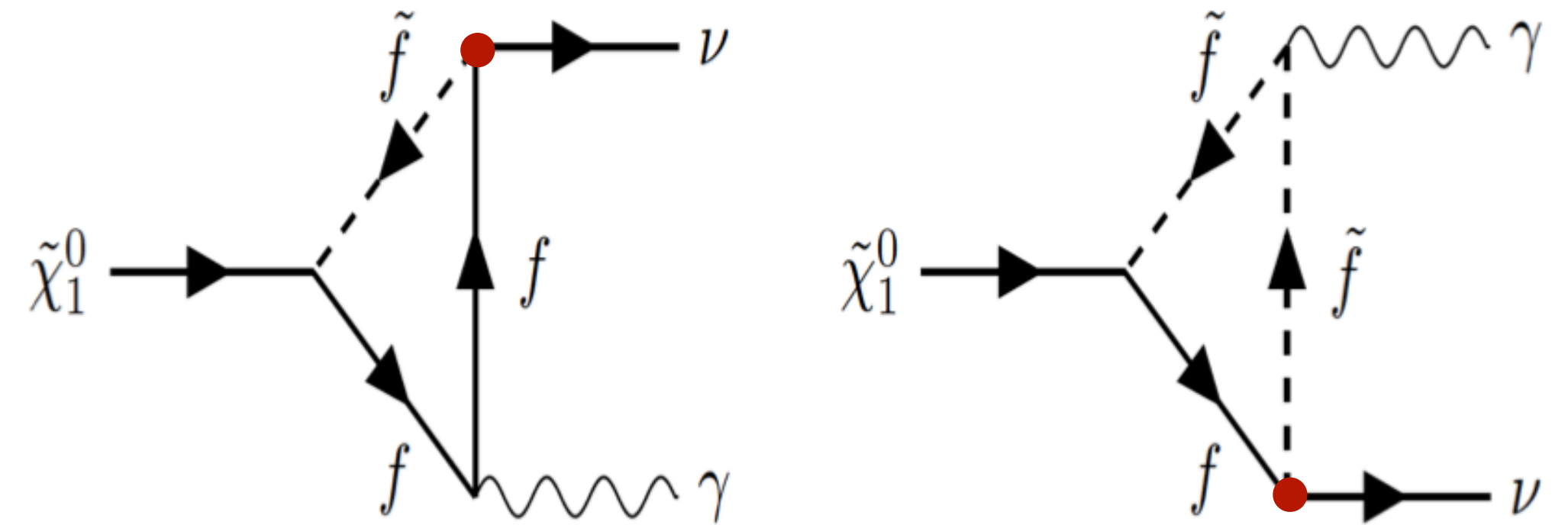
for both, for j=k:

$$\tilde{\chi}_1^0 \rightarrow \gamma + \nu_i$$

Radiative Neutralino Decay

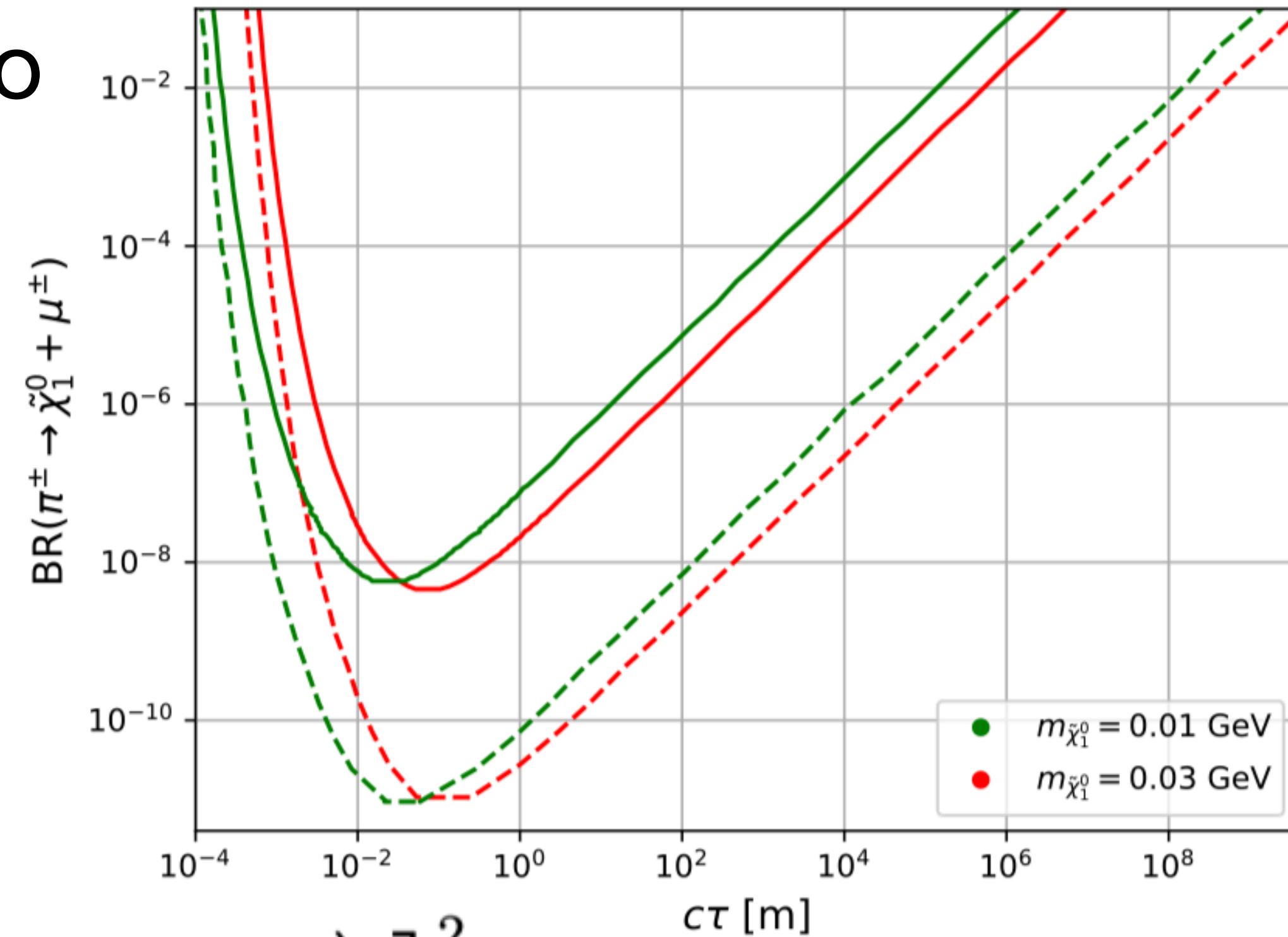
Köhler, Nangia, Wang, HD: *JHEP* 02 (2023) 120

- Novel single photon signature:



Plus: scenarios with an even lighter neutralino

$$\pi^+ \rightarrow \ell^+ + \tilde{\chi}_1^0; \quad \tilde{\chi}_1^0 \rightarrow \gamma + \nu$$

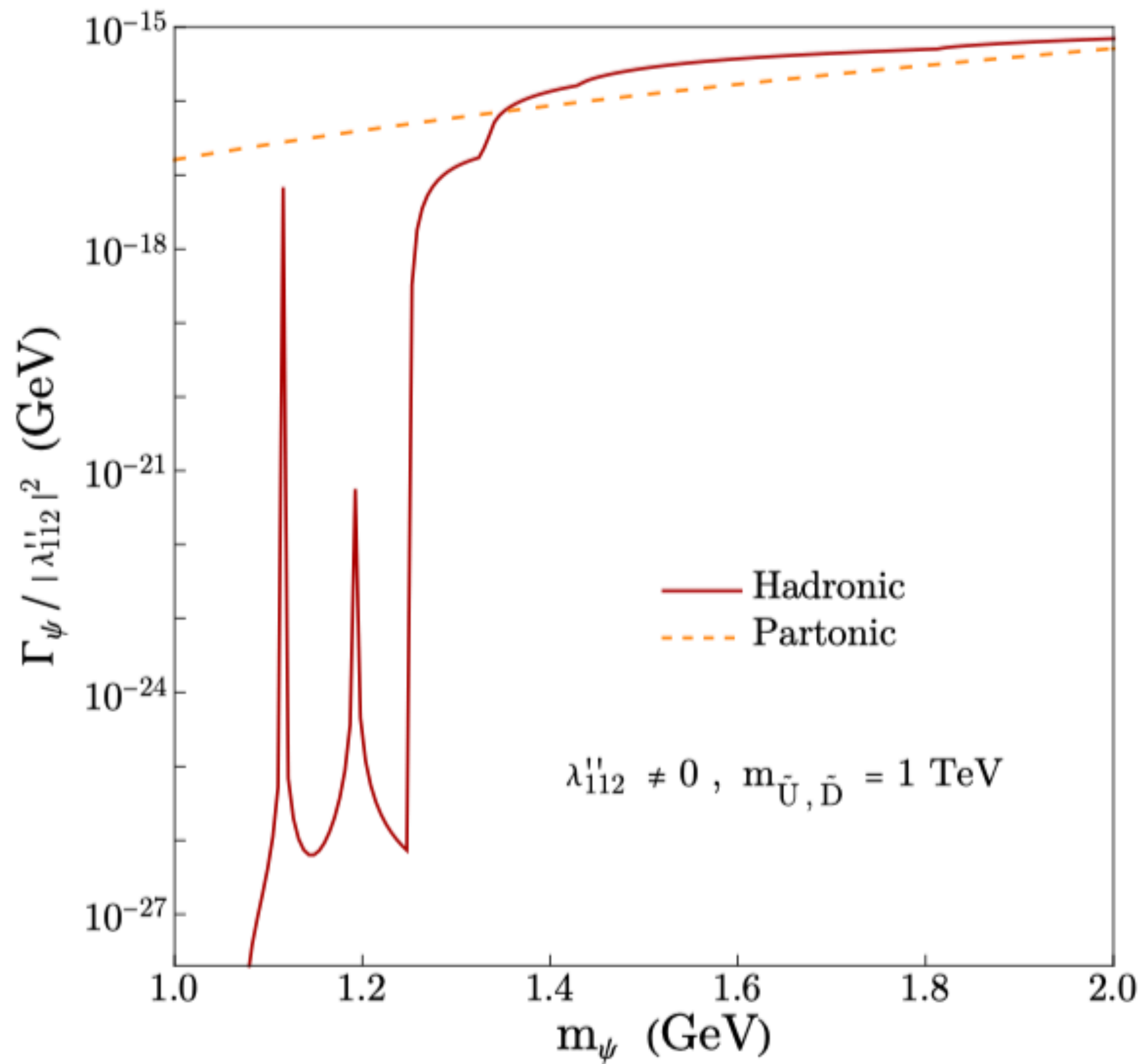


$$\Gamma(\tilde{\chi}_1^0 \rightarrow \gamma + \nu_i) = \frac{\lambda^2 \alpha^2 m_{\tilde{\chi}_1^0}^3}{512 \pi^3 \cos^2 \theta_W} \left[\sum_f \frac{e_f N_c m_f (4e_f + 1)}{m_{\tilde{f}}^2} \left(1 + \log \frac{m_f^2}{m_{\tilde{f}}^2} \right) \right]^2$$

Neutralino Decays

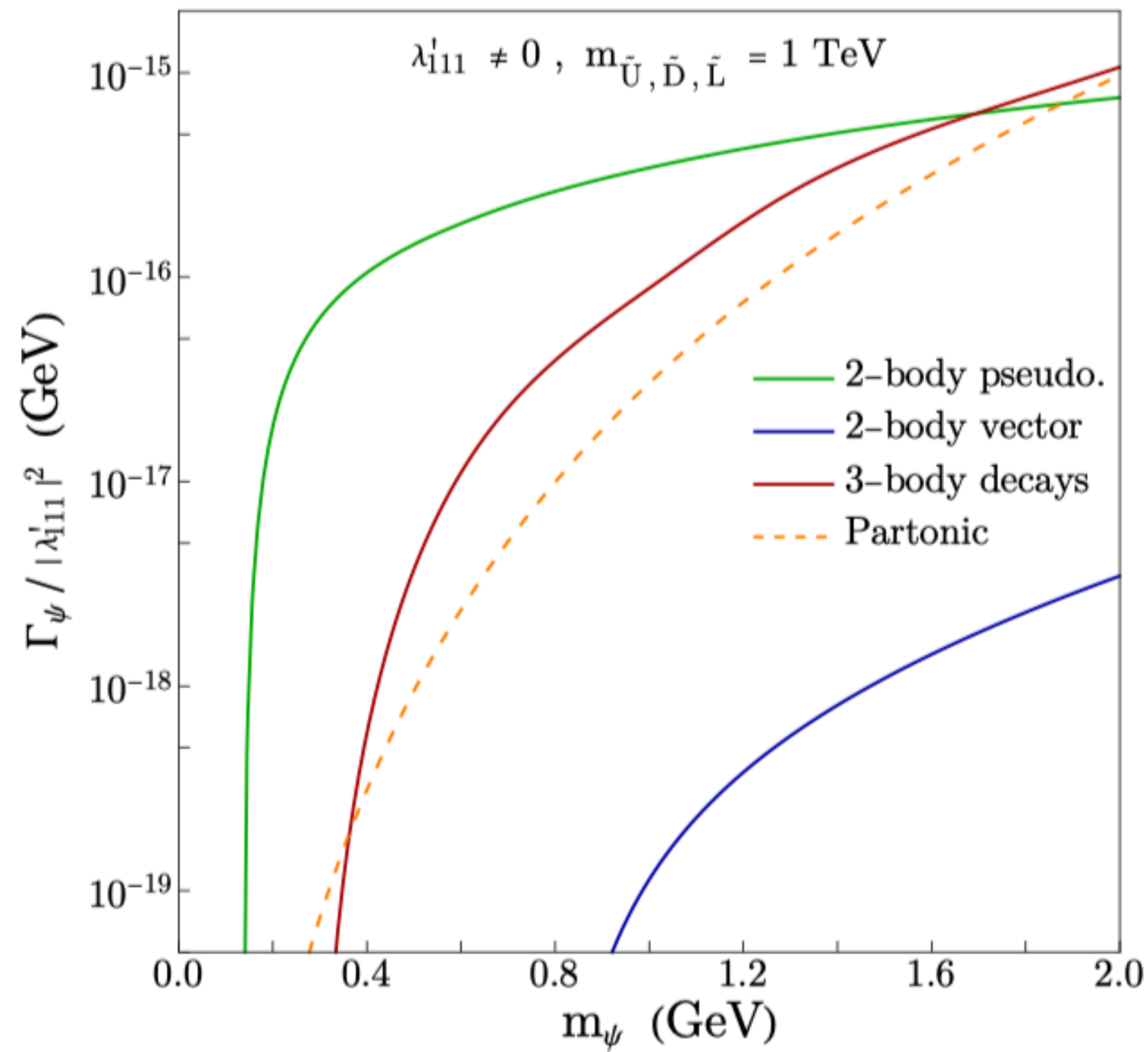
UDD

$$\tilde{\chi}_1^0 \rightarrow p + M^-$$



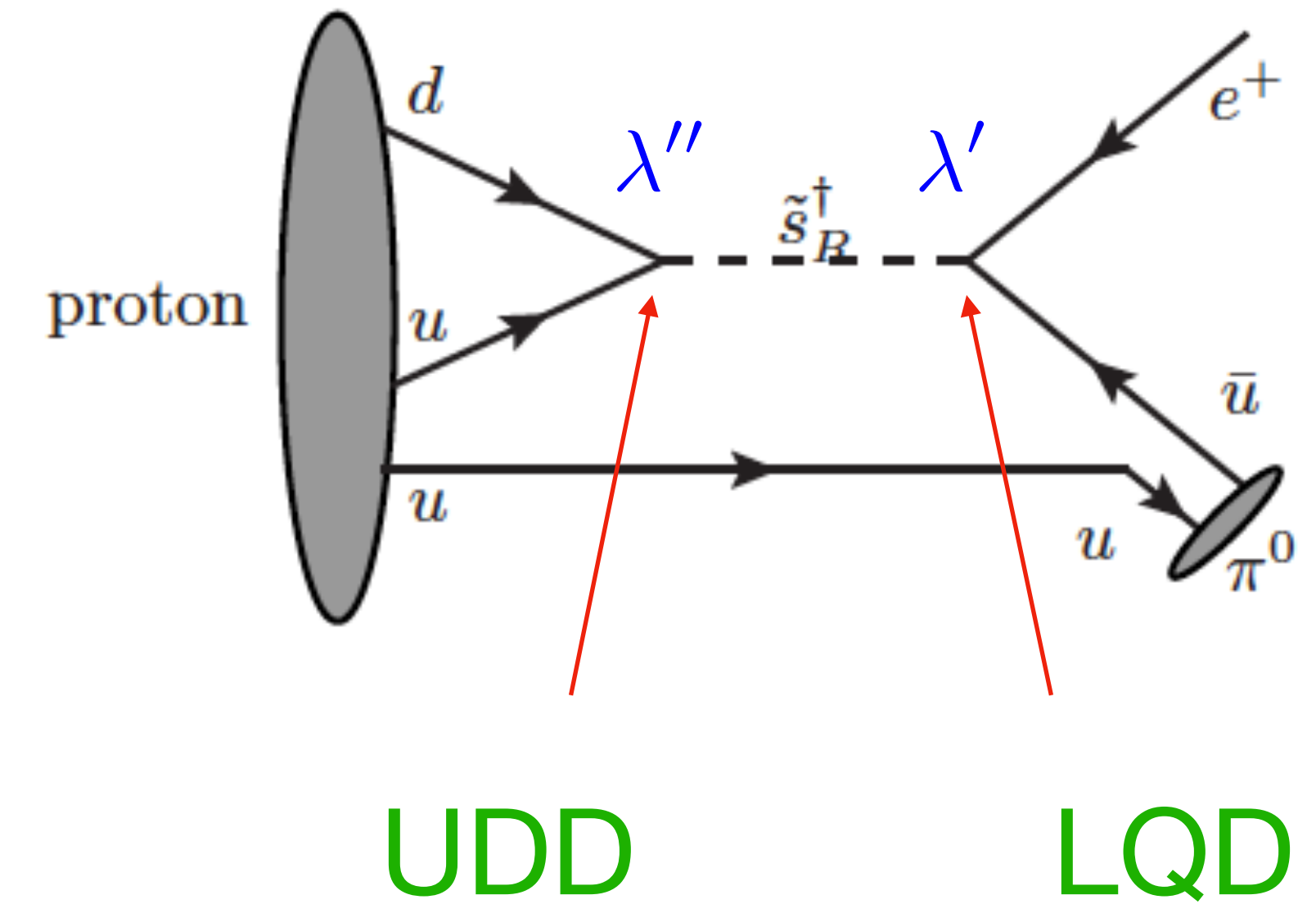
LQD

$$\tilde{\chi}_1^0 \rightarrow M^\pm + \ell^\mp$$



Nucleon Decay

- Proton decays in R-parity Violating Supersymmetry



- Get strict bounds on the product:

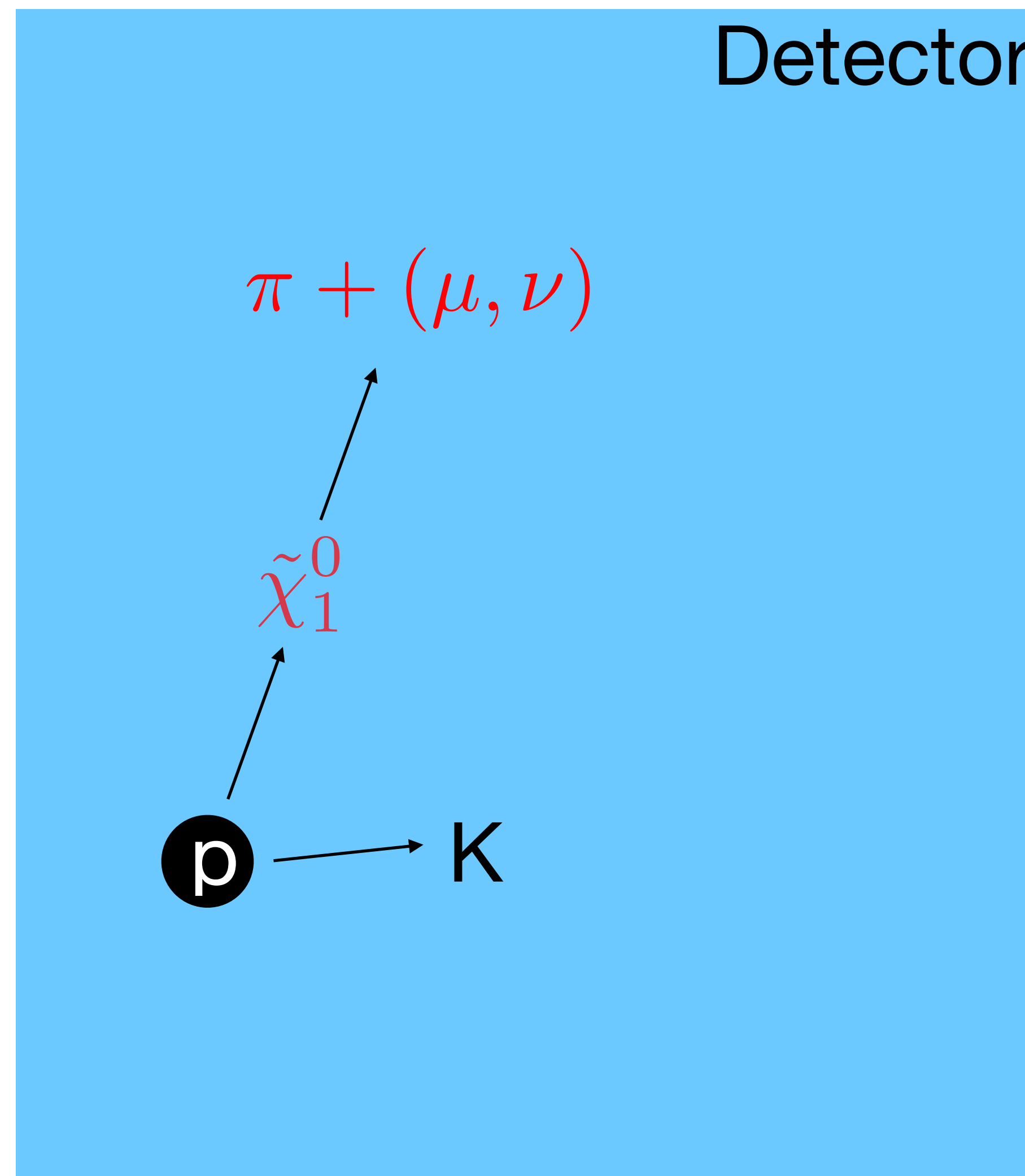
$$\frac{\lambda'' \cdot \lambda'}{M_{\text{SUSY}}^2}$$

- Reanalyzed these bounds, taking into account recent lattice results

- Nucleon decay in the R-parity violating MSSM

Nidal Chamoun, Florian Domingo, HKD; PRD. 104 (2021) 015020

Proton Decay - Novel Decay Signature



- With: Florian Domingo, Apoorva Shah, Saurabh Nangia, Dominik Köhler: JHEP 05 (2024) 258

Upcoming Detectors

	Super-K	Hyper-K	JUNO	DUNE
Location	Japan	Japan	China	USA
Geometry	Cylinder 42m height×39m diameter	Cylinder 60m height×74m diameter	Sphere 35.4m diameter	Cuboid (4 modules) 58.2m×14.0m×12.0m
Detector Material	Water	Water	LABs	Liquid Argon
Working Principle	Cherenkov	Cherenkov	Scintillation	Scintillation
Fiducial Mass	22.5kt	187kt	20kt	40kt
Approx. Start Year	-	2025	2024	2026

Table 1: Upcoming detectors for proton decay detection.

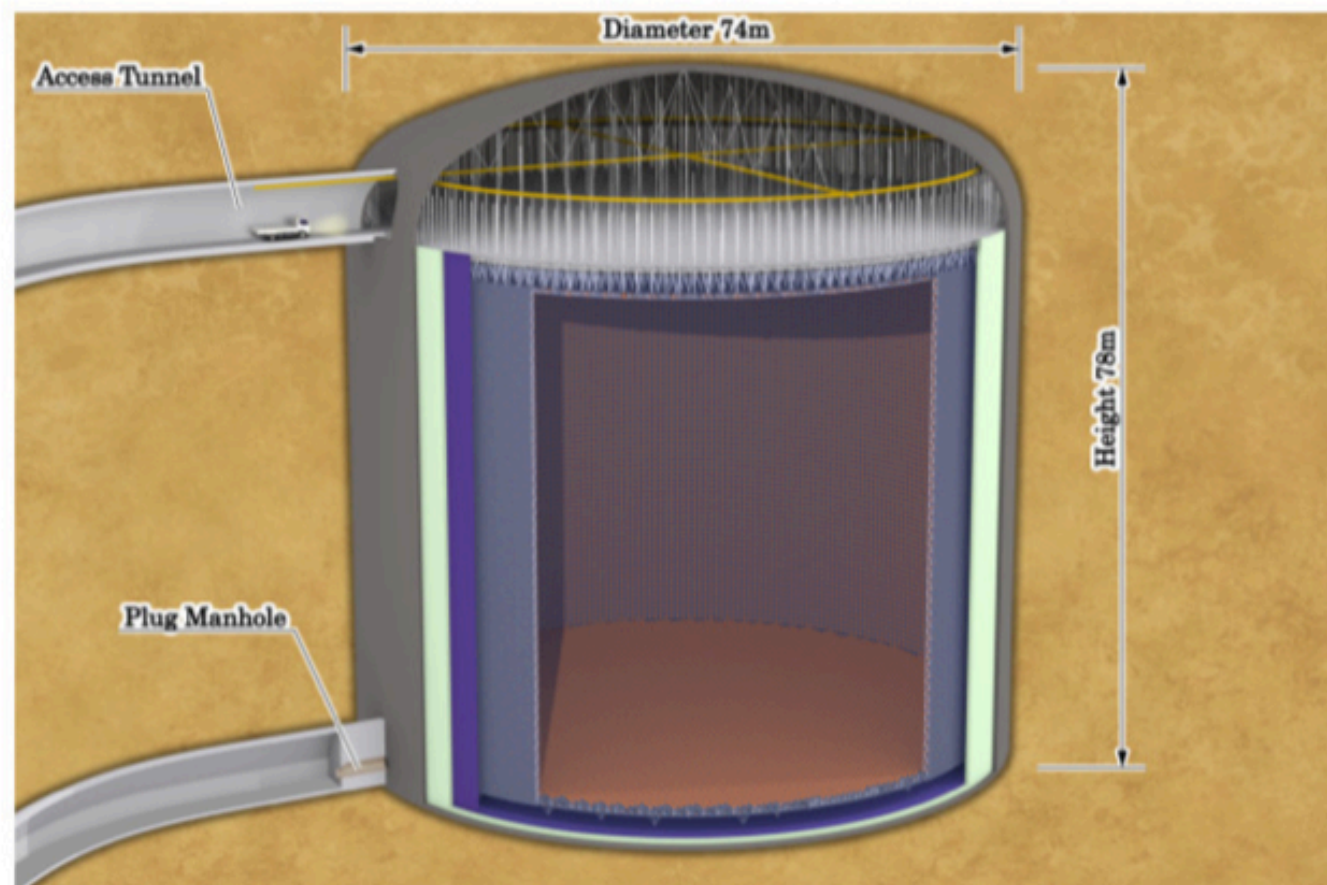


Figure 1: Hyper-K

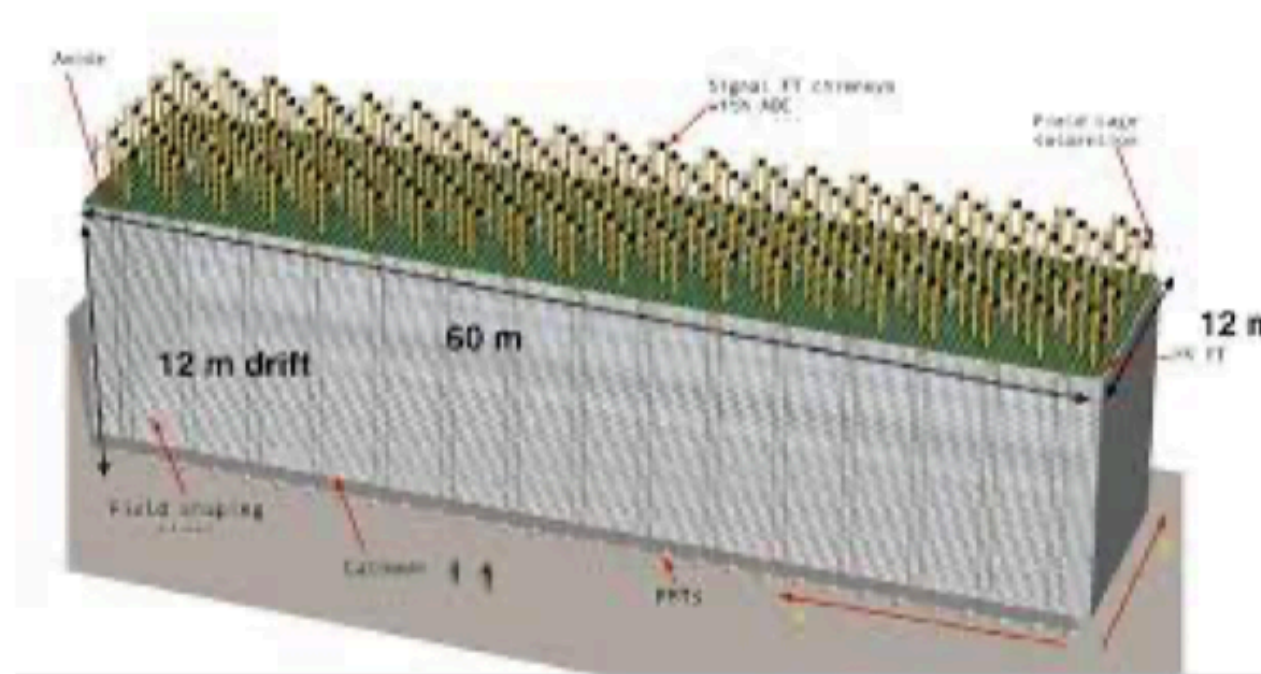


Figure 2: DUNE

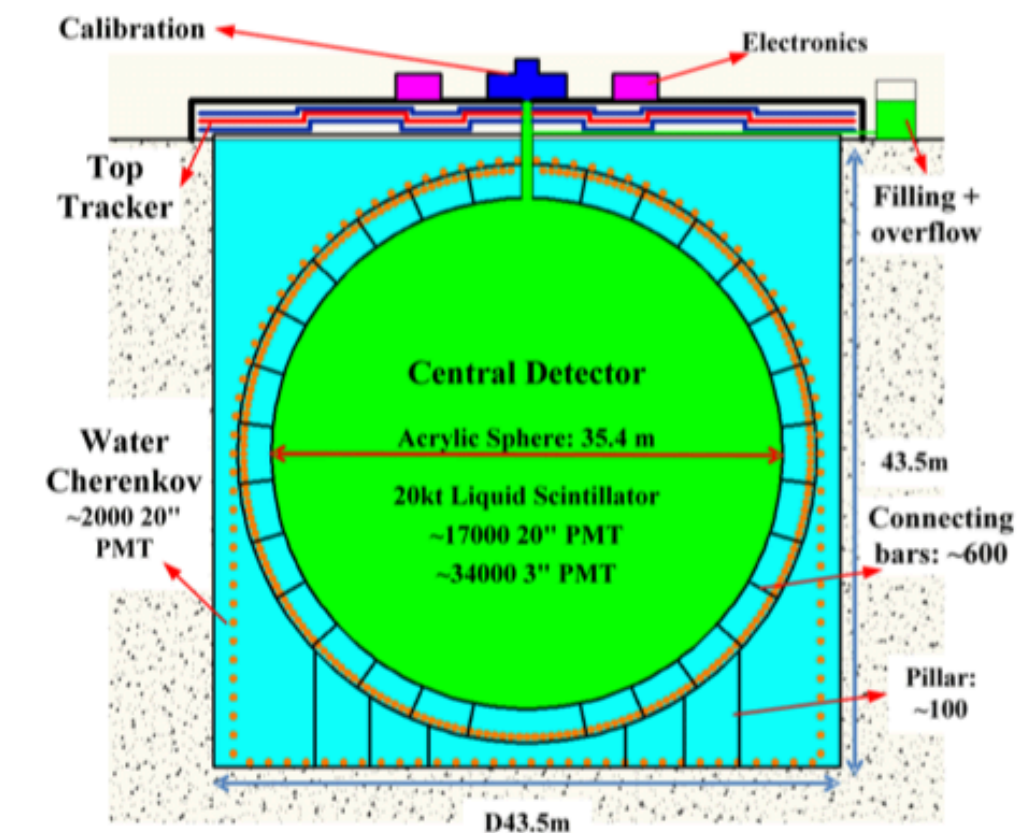


Figure 3: JUNO

includes
CAS

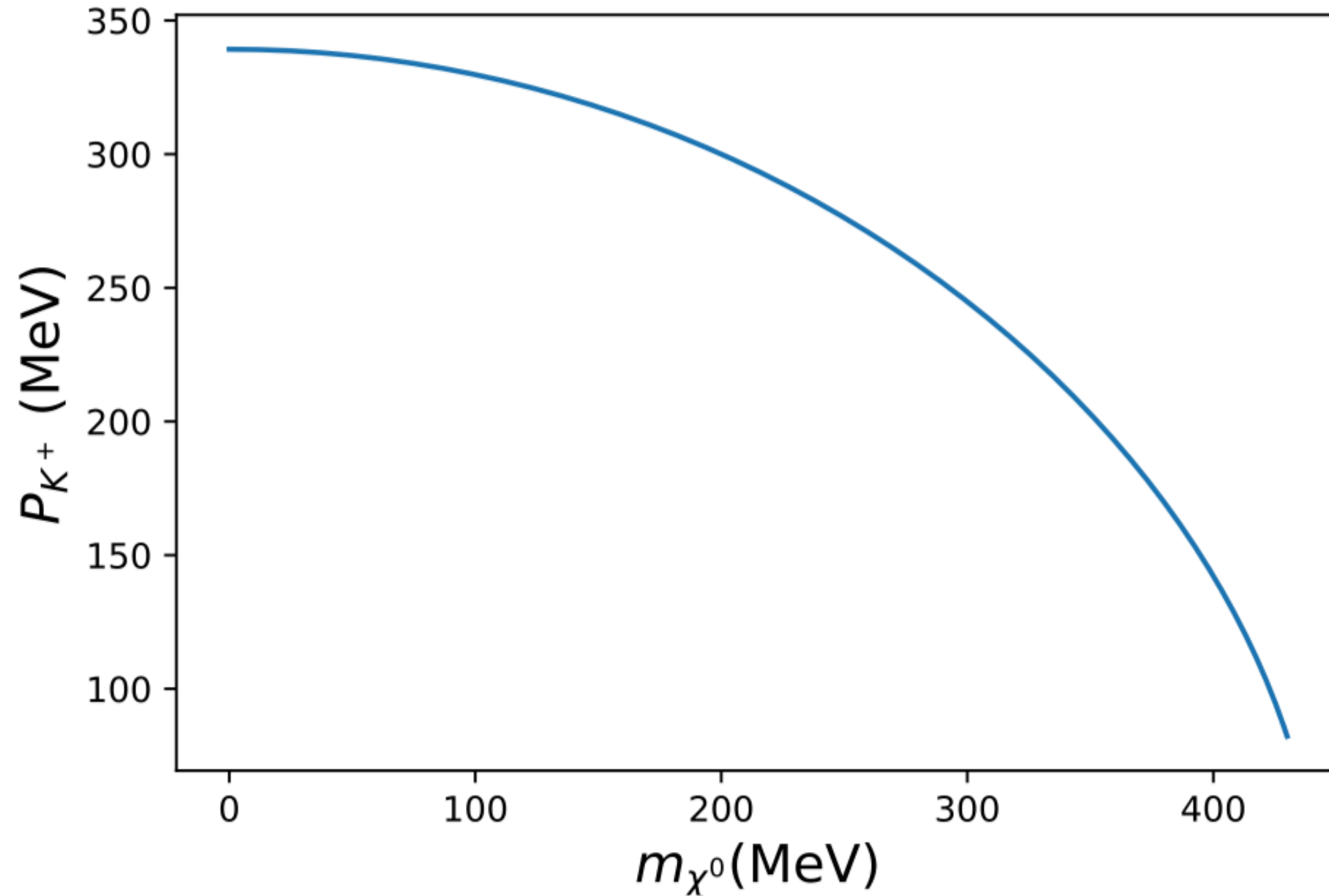


Figure 4: Kaon momentum as a function of neutralino mass.

- The momentum of the Kaon is straightforward from kinematics.
→ two-body decay
- For the neutrino, $P_{K^+} \sim 330\text{MeV}$
- P_{K^+} is always lower than Cherenkov limit of water
→ Hyper-K can only detect subsequent decays of Kaons.
- DUNE and JUNO can detect Kaons directly via scintillation.

- From Super-K limit, the number of proton decays/10 years is:
 - Hyper-K: ~ 106
 - DUNE: ~ 18
 - JUNO: ~ 11

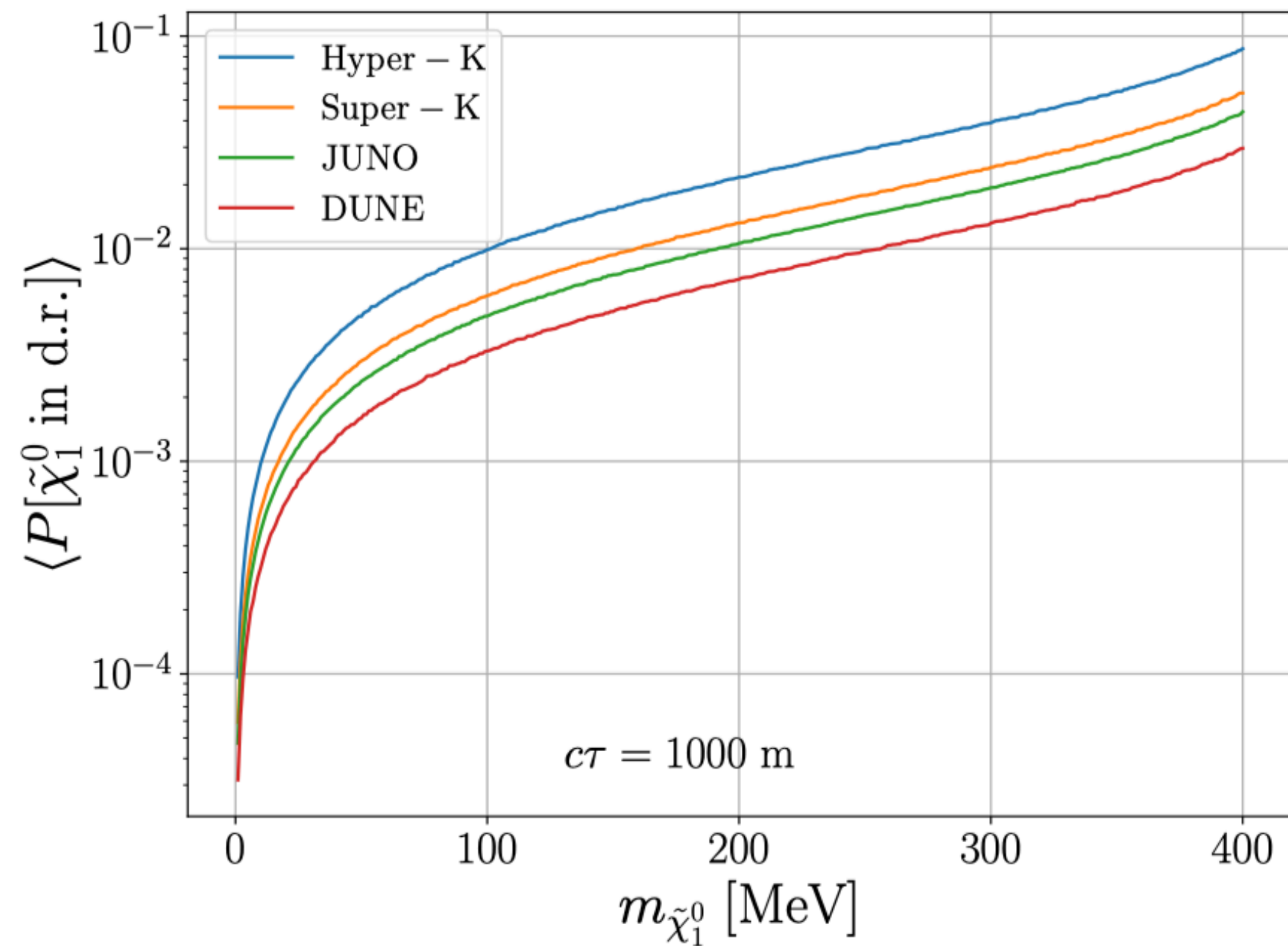
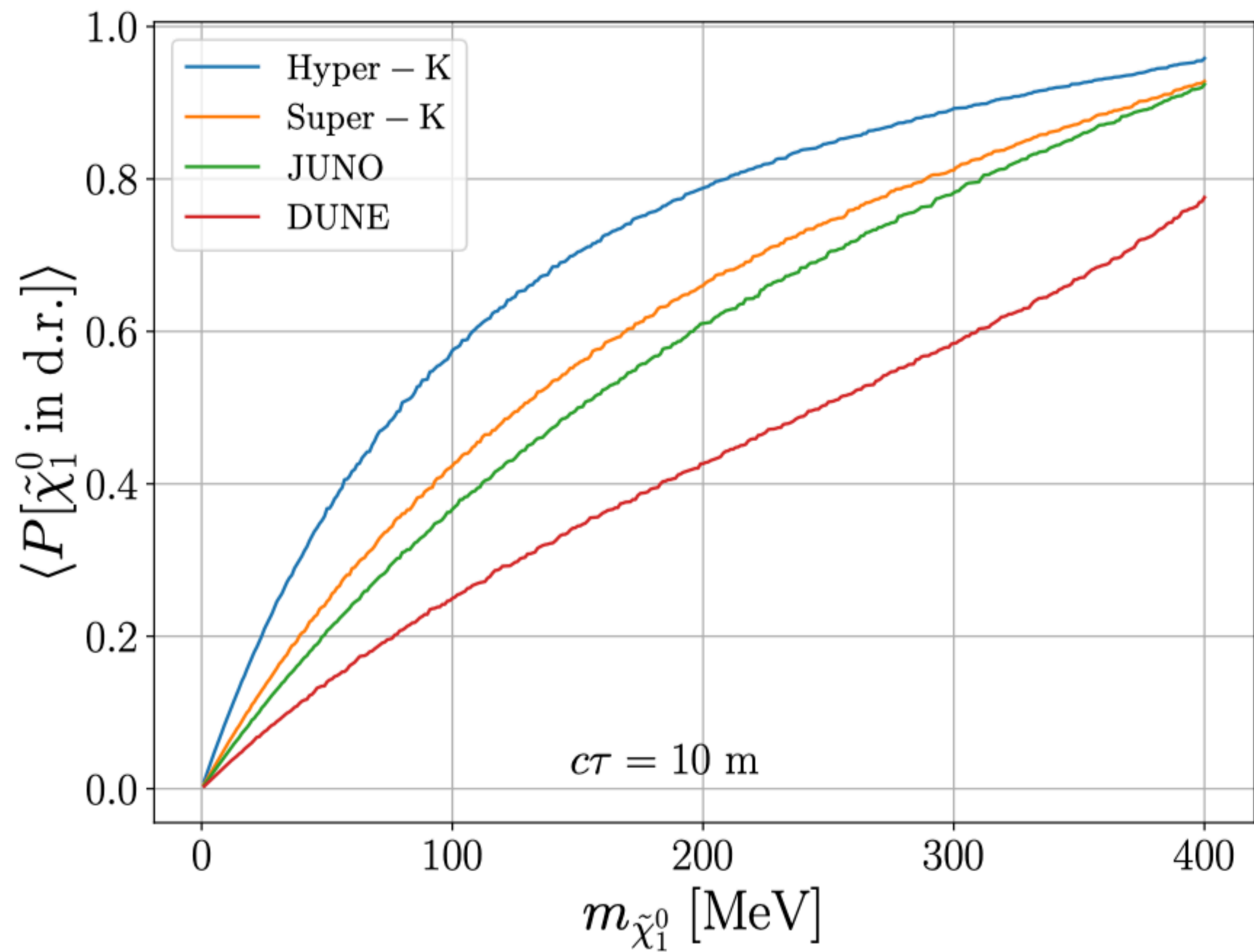


Figure 4: Average neutralino decay probabilities as a function of the neutralino mass for fixed neutralino decay length: $c\tau = 10$ m (left) and $c\tau = 1000$ m (right). These plots have been generated with a sample size $N_{\tilde{\chi}_1^0}^{\text{MC}} = 10,000$.

Proton Decay Benchmarks

Scenario	$m_{\tilde{\chi}_1^0}$	Proton Decay	$\tilde{\chi}_1^0$ Decay (λ_{ijk}^D)	Product Bound	Min. $c\tau_{\tilde{\chi}_1^0}$
B1	0 – 400 MeV	$\lambda''_{121} < 5 \times 10^{-7} \left(\frac{m_{\tilde{q}}}{\tilde{\Lambda}\text{TeV}} \right)^{5/2}$	–	–	∞
B2	0 – 400 MeV	$\lambda''_{121} < 5 \times 10^{-7} \left(\frac{m_{\tilde{q}}}{\tilde{\Lambda}\text{TeV}} \right)^{5/2}$	$\lambda'_{333} < 1.04$	$\lambda'_{333} \lambda''_{121} < 10^{-9}$	~ 1600 m
B3	0 – 400 MeV	$\lambda''_{121} < 5 \times 10^{-7} \left(\frac{m_{\tilde{q}}}{\tilde{\Lambda}\text{TeV}} \right)^{5/2}$	$\lambda_{233} < 0.7 \left(\frac{m_{\tilde{\tau}_R}}{1\text{TeV}} \right)$	$\lambda_{233} \lambda''_{121} < 10^{-21}$	~ 180 m
B4	150 – 400 MeV	$\lambda''_{121} < 5 \times 10^{-7} \left(\frac{m_{\tilde{q}}}{\tilde{\Lambda}\text{TeV}} \right)^{5/2}$	$\lambda'_{211} < 0.59 \left(\frac{m_{\tilde{d}_R}}{1\text{TeV}} \right)$	$\lambda'_{211} \lambda''_{121} < 6 \times 10^{-25}$	~ 11 m
B5	150 – 400 MeV	$\lambda''_{121} < 5 \times 10^{-7} \left(\frac{m_{\tilde{q}}}{\tilde{\Lambda}\text{TeV}} \right)^{5/2}$	$\lambda'_{311} < 1.12$	$\lambda'_{311} \lambda''_{121} < 4 \times 10^{-24}$	~ 8 m

B1: no $\tilde{\chi}_1^0$ -decay

B2: $\tilde{\chi}_1^0 \rightarrow \gamma + \nu$

B3: $\tilde{\chi}_1^0 \rightarrow \gamma + \nu$

B4: $\tilde{\chi}_1^0 \rightarrow (\pi^\pm + \mu^\mp, \pi^0 + \nu_\mu)$

$$m_{\pi^-} + m_\mu \leq \tilde{\chi}_1^0 < m_p - m_{K^+}$$

B5: $\tilde{\chi}_1^0 \rightarrow \pi^0 + \nu_\mu$

$$m_{\pi^0} \leq \tilde{\chi}_1^0 < m_p - m_{K^+}$$

B1

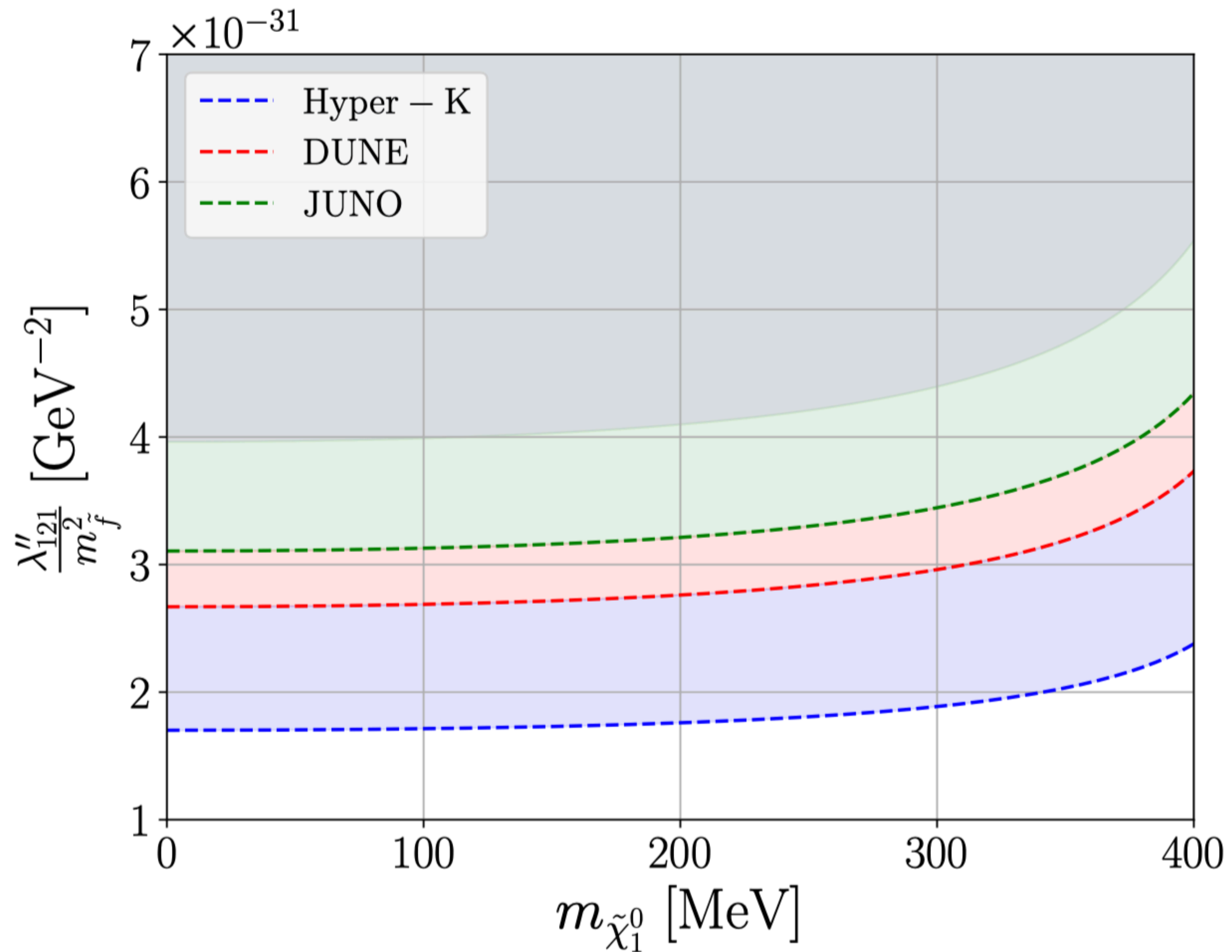


Figure 5: Sensitivity reach for the single coupling scenario of benchmark **B1**. The reinterpreted bound from **Super-K** is shown in gray. The bound from Table 2 lies above the scale of the plot. The results for **Hyper-K**, **DUNE**, and **JUNO** are for a run-time of 10 years.

B3 $\tilde{\chi}_1^0 \rightarrow \gamma + \nu$ $c\tau_{\tilde{\chi}_1^0} \sim 180 \text{ m}$

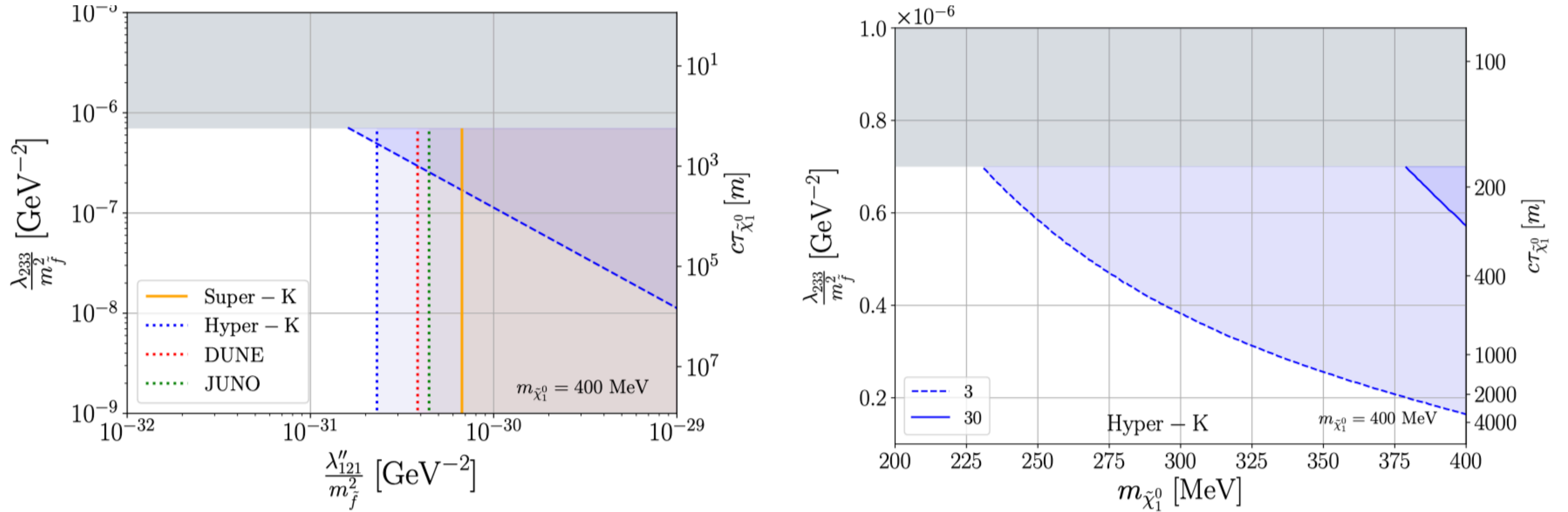


Figure 7: Sensitivity reach/Super-K limit for benchmark **B3**. The existing single-bounds from Table 2 are shown in gray while the product-bound is shown in blue (all with $m_{\tilde{f}} = 1 \text{ TeV}$). *Top Left:* As in left plot of Fig. 6 but for benchmark **B3**. *Top Right:* Zoomed-out version of the top-left plot. *Bottom:* As in right plot of Fig. 5 but for benchmark **B3**. The dashed and solid lines correspond to 3- and 30-event isocurves, respectively.

B4

$$\tilde{\chi}_1^0 \rightarrow (\pi^\pm + \mu^\mp, \pi^0 + \nu_\mu)$$

$$c\tau_{\tilde{\chi}_1^0} \sim 11 \text{ m}$$

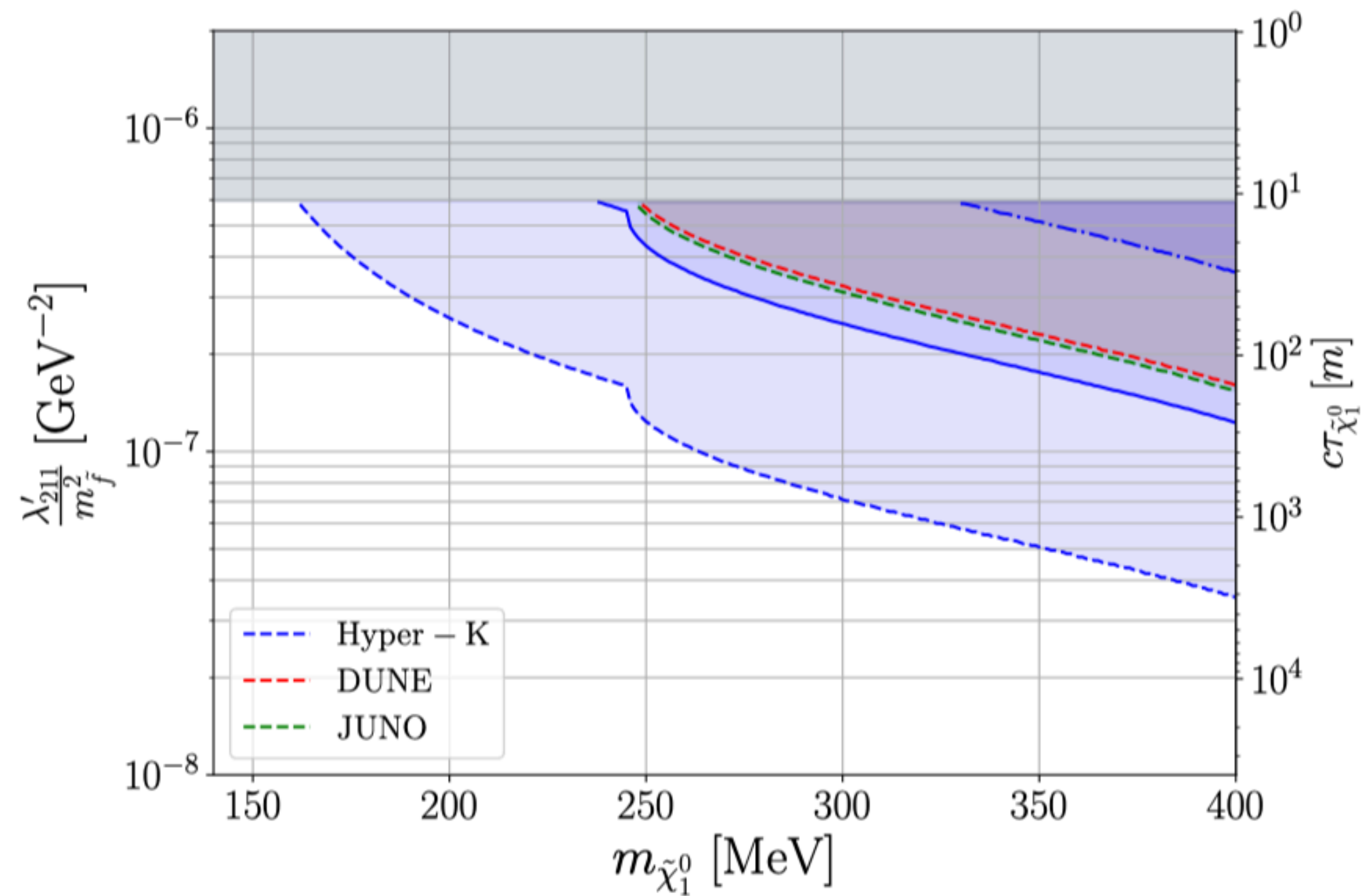
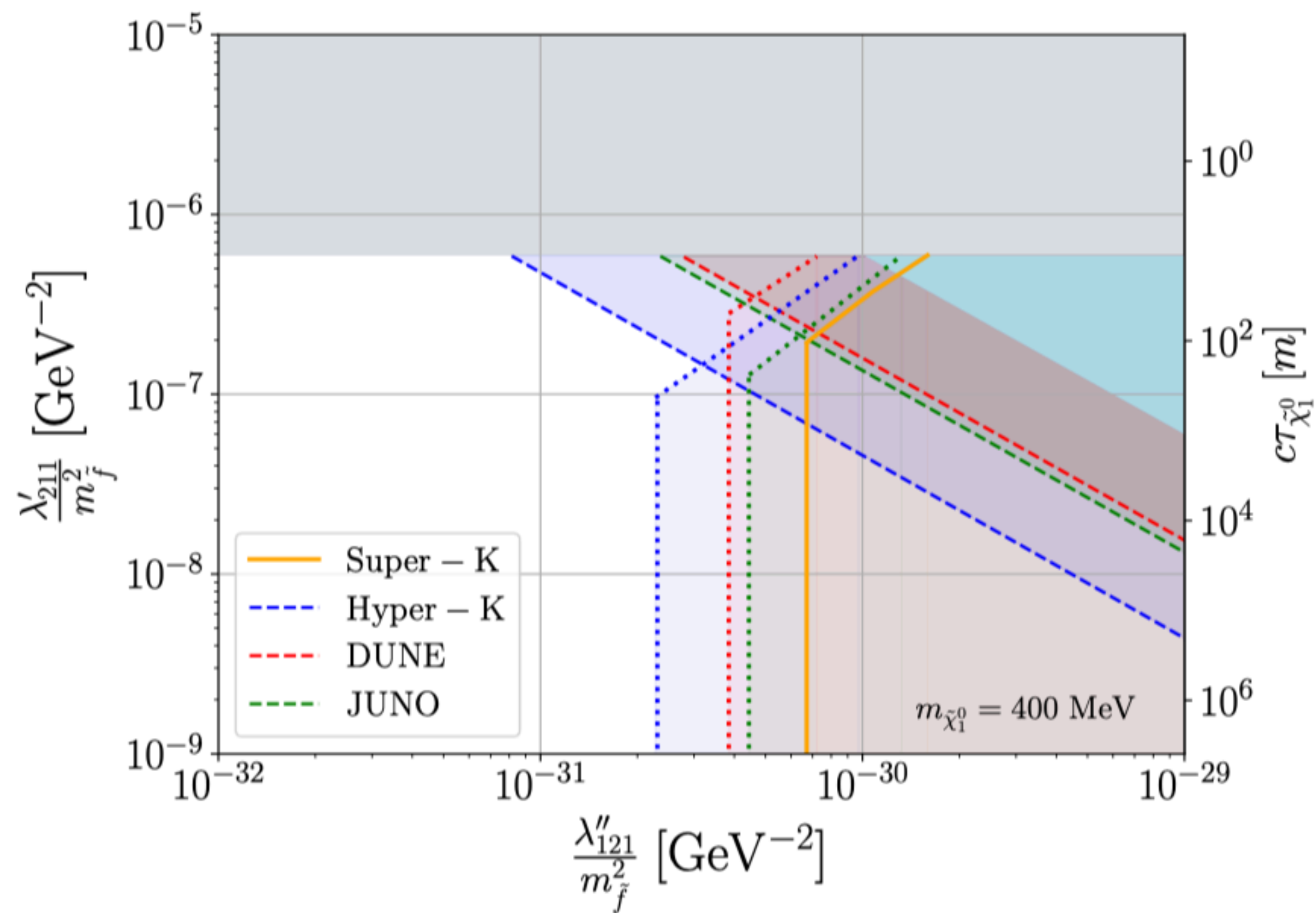


Figure 8: Sensitivity reach/**Super-K** limit for benchmark **B4**. The existing single-bound on λ'_{211} from Table 2 is shown in gray, the product-bound is in light blue (both with $m_{\tilde{f}} = 1 \text{ TeV}$), while the bound on λ''_{121} lies outside the scale of the plot. *Left:* As in left plot of Fig. 6 but for benchmark **B4**. *Right:* As in right plot of Fig. 5 but for benchmark **B4**. The dashed, solid, and dot-dashed lines correspond to 3-, 30- and 90-event isocurves, respectively. An interesting thing to note is the kink in sensitivity in the right figure around $m_{\tilde{\chi}_1^0} \sim 240 \text{ MeV}$, which is due to the modes $\tilde{\chi}_1^0 \rightarrow \pi^\pm + \mu^\mp$ being kinematically allowed, thus increasing the total decay width.

B4

$$\tilde{\chi}_1^0 \rightarrow (\pi^\pm + \mu^\mp, \pi^0 + \nu_\mu)$$

$$c\tau_{\tilde{\chi}_1^0} \sim 8 \text{ m}$$

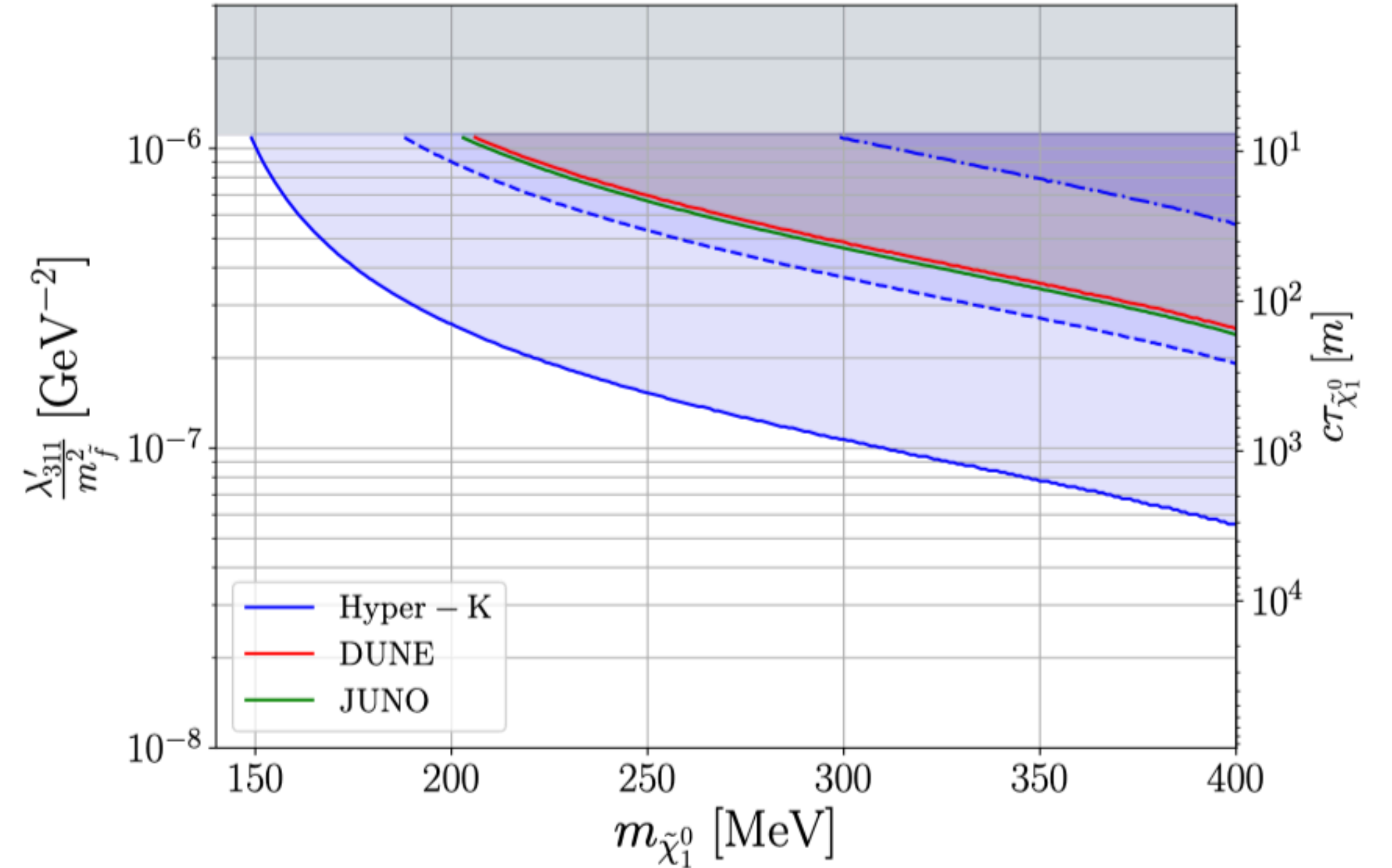
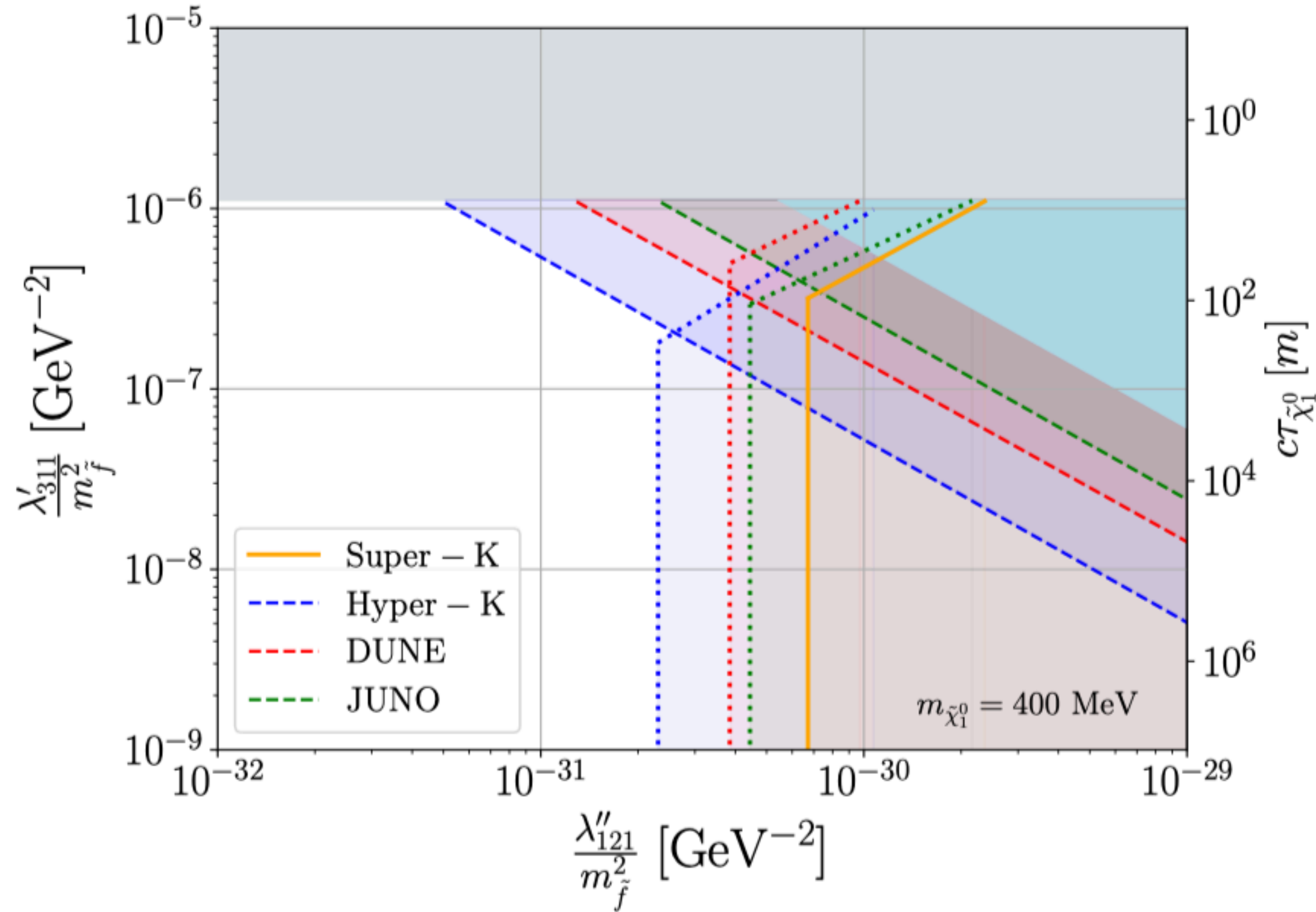


Figure 9: Sensitivity reach/Super-K limit for benchmark **B5**. The existing single-bound on λ'_{311} from Table 2 is shown in gray, the product-bound is in light blue (both with $m_{\tilde{f}} = 1 \text{ TeV}$), while the bound on λ''_{121} lies outside the scale of the plot. *Left:* As in left plot of Fig. 6 but for benchmark **B5**. *Right:* As in right plot of Fig. 5 but for benchmark **B5**. The dashed, solid, and dot-dashed lines correspond to 3-, 30- and 90-event isocurves,

New Show: Far From Home



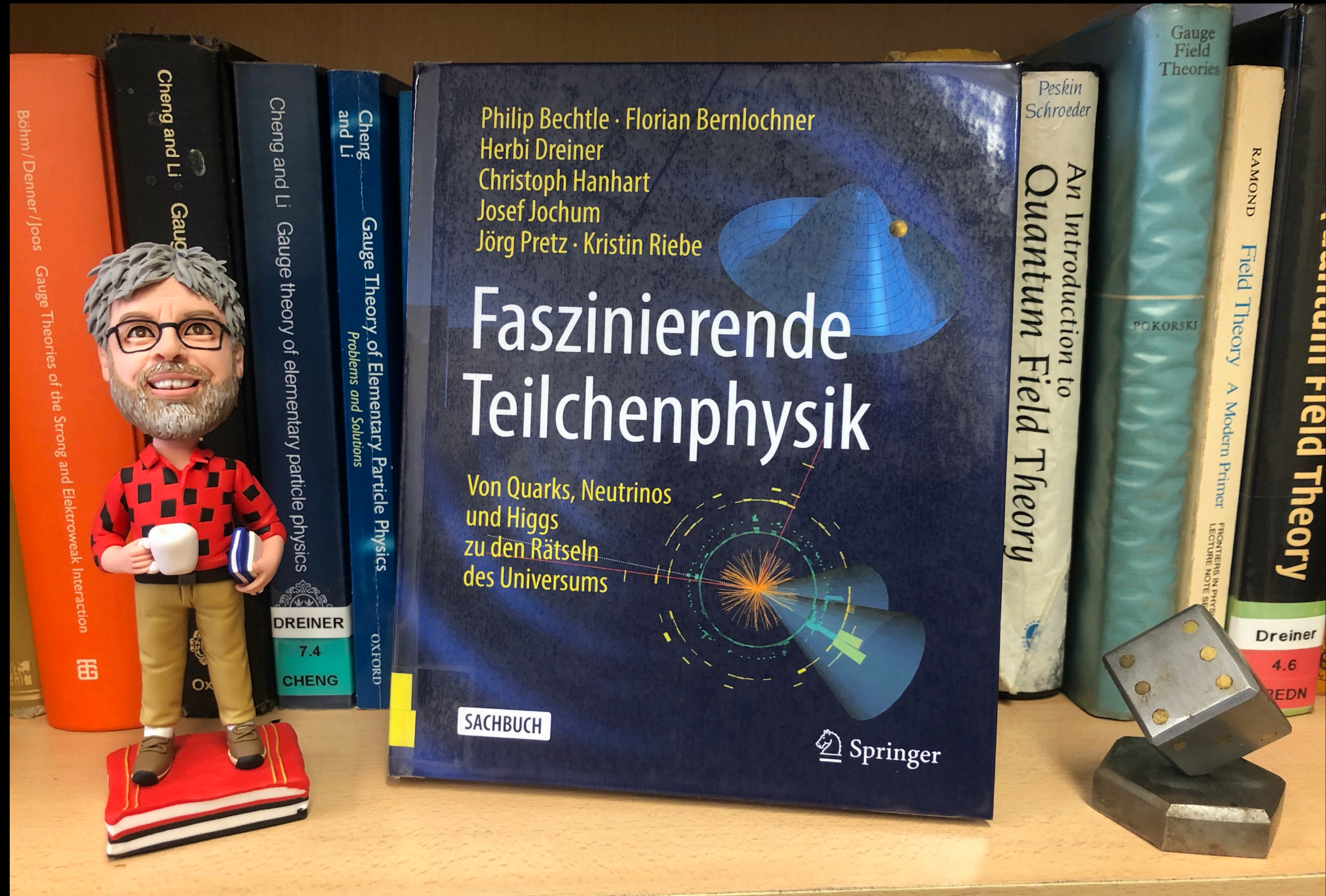
Bonn Sept. 2023

PLANETAMOS



Tübingen (3/2023)

Fascinating Particle Physics: a Popular Book Project



B4

$$\tilde{\chi}_1^0 \rightarrow (\pi^\pm + \mu^\mp, \pi^0 + \nu_\mu)$$

$$c\tau_{\tilde{\chi}_1^0} \sim 8 \text{ m}$$

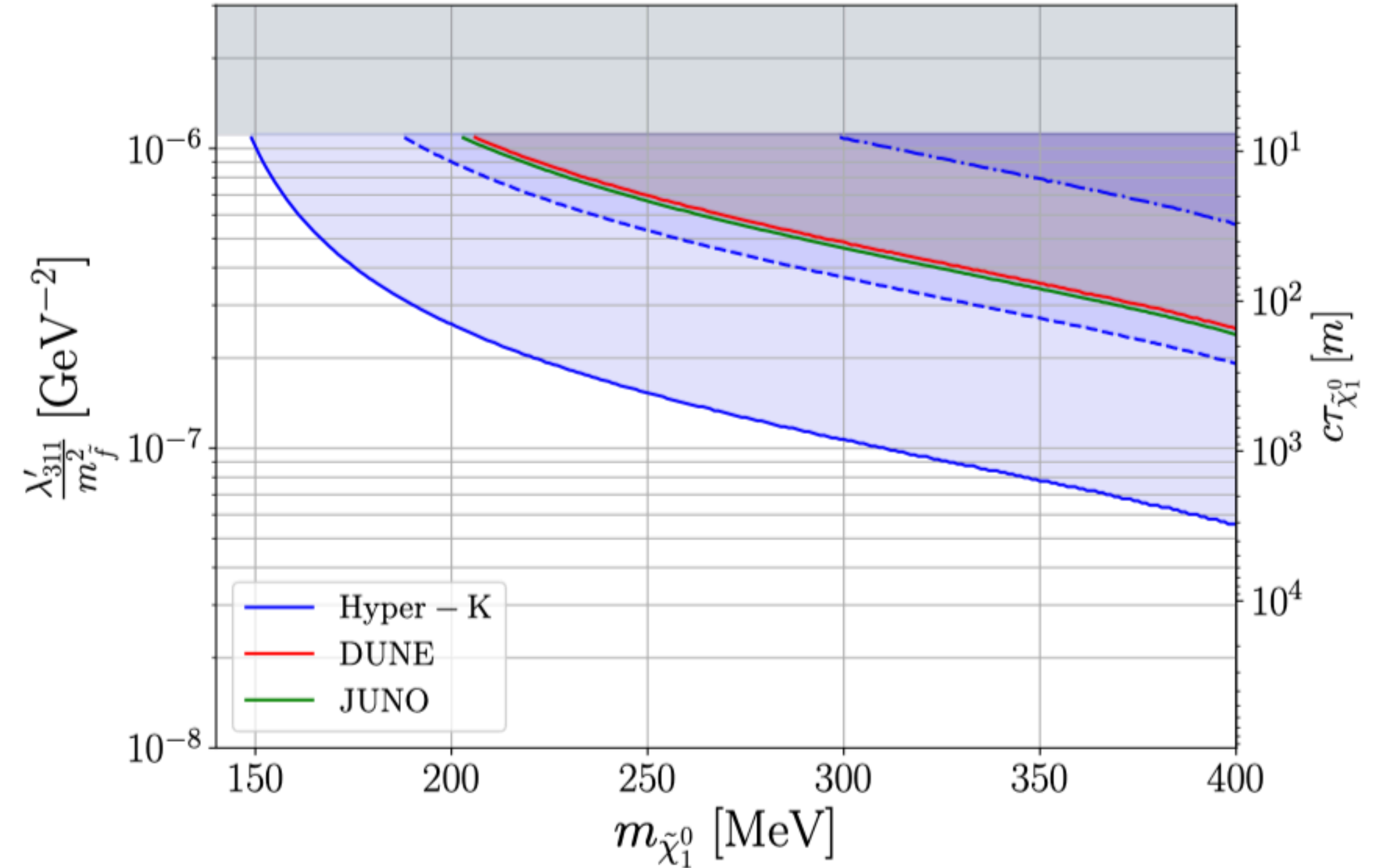
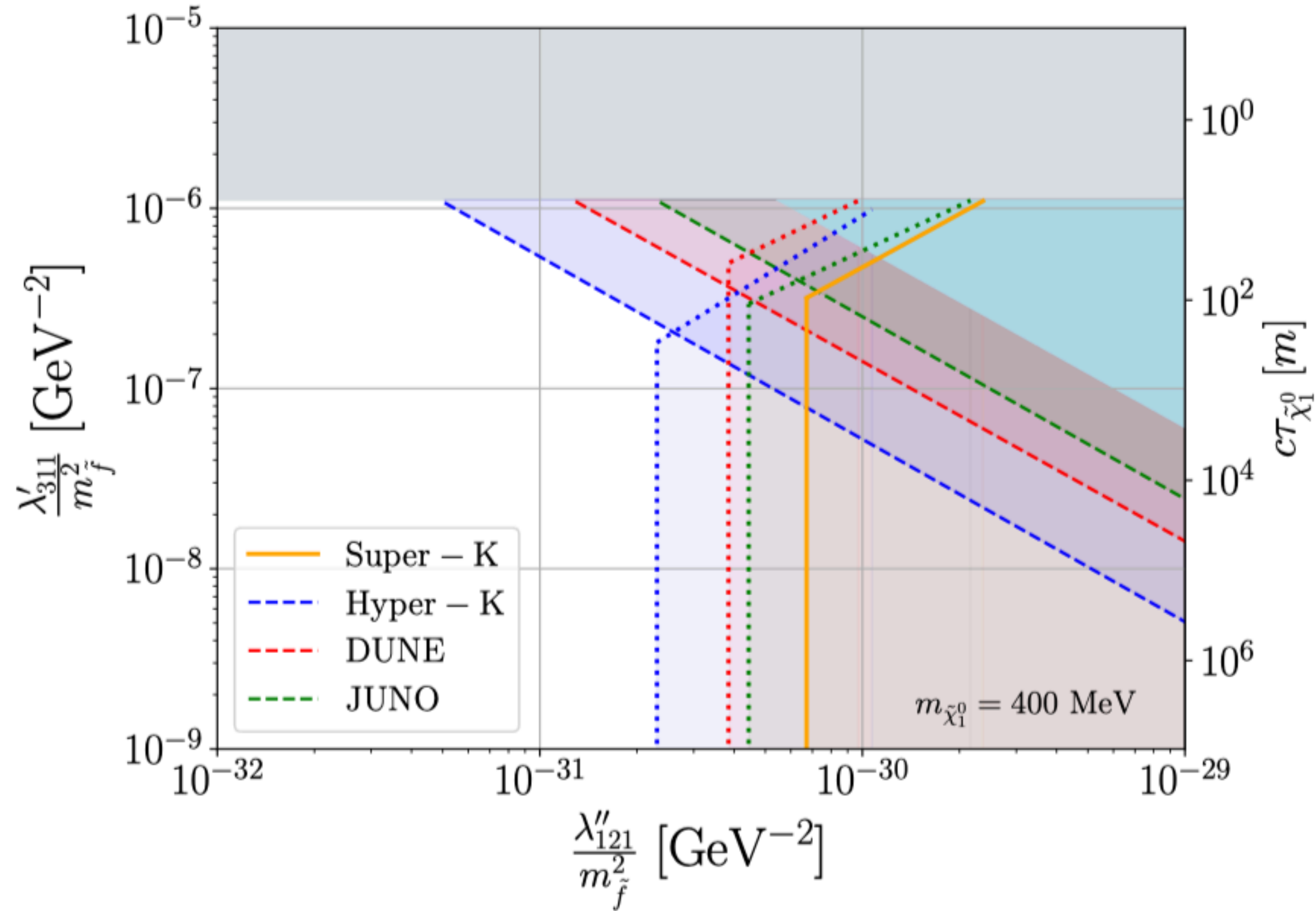


Figure 9: Sensitivity reach/Super-K limit for benchmark **B5**. The existing single-bound on λ'_{311} from Table 2 is shown in gray, the product-bound is in light blue (both with $m_{\tilde{f}} = 1 \text{ TeV}$), while the bound on λ''_{121} lies outside the scale of the plot. *Left:* As in left plot of Fig. 6 but for benchmark **B5**. *Right:* As in right plot of Fig. 5 but for benchmark **B5**. The dashed, solid, and dot-dashed lines correspond to 3-, 30- and 90-event isocurves,

Back-Up Slides

Decay of Light Neutralinos (MeV - range)

Systematic study of light neutralino (Bino) decays

Decays of a bino-like particle in the low-mass regime

Florain Domingo, HKD; arXiv:2205.08141 [hep-ph] (50p)

- General superpotential

$$W_{\text{RpV}} = \mu_i \hat{H}_u \cdot \hat{L}_i + \frac{1}{2} \lambda_{ijk} \hat{L}_i \cdot \hat{L}_j (\hat{E}^c)_k + \lambda'_{ijk} \hat{L}_i \cdot \hat{Q}_{j\alpha} (\hat{D}^c)_k^\alpha + \frac{1}{2} \lambda''_{ijk} \epsilon_{\alpha\beta\gamma} (\hat{U}^c)_i^\alpha (\hat{D}^c)_j^\beta (\hat{D}^c)_k^\gamma,$$

↑
neutralinos and
neutrinos mix

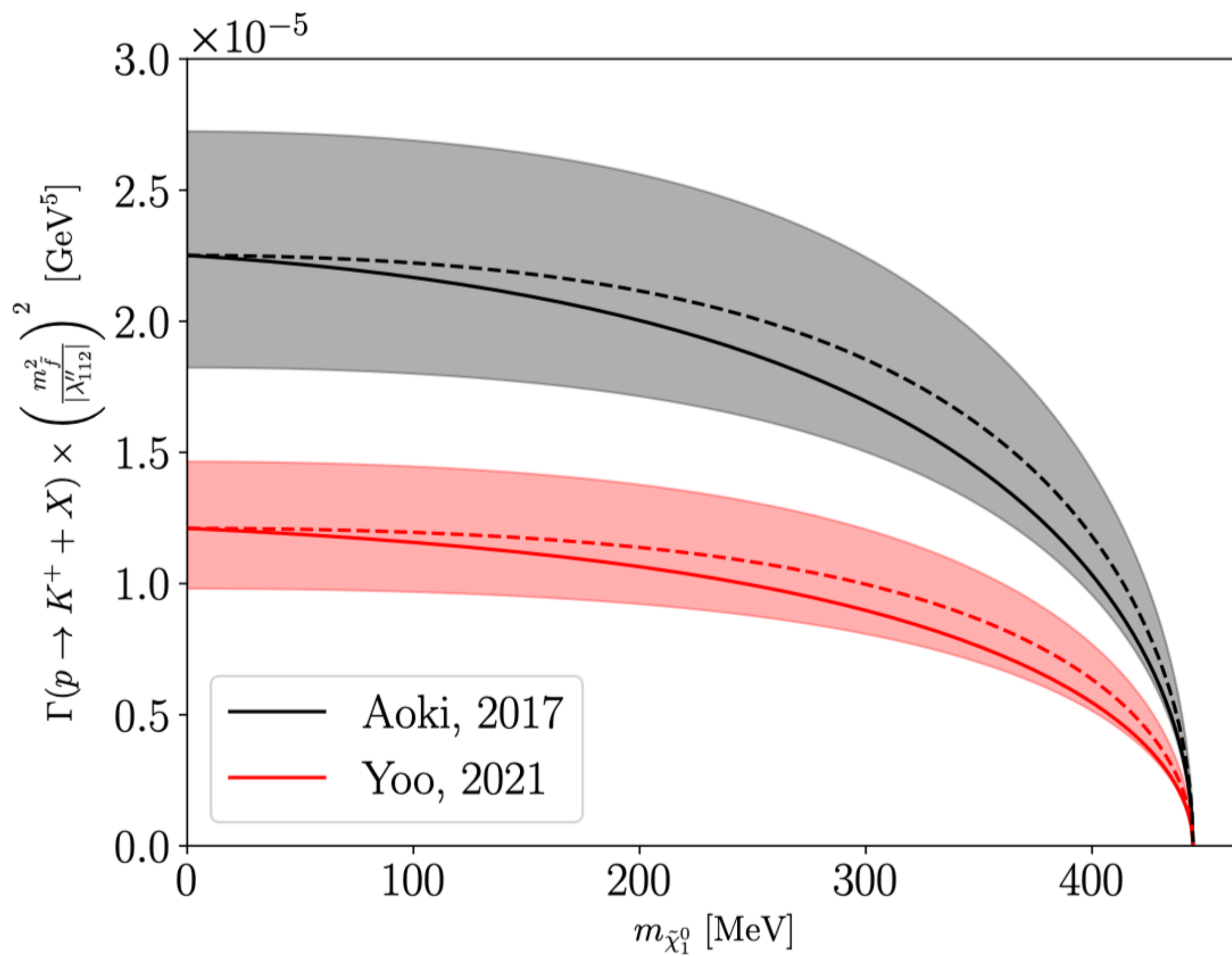


Figure 2: Proton decay width normalised to $|\lambda''_{112}|^2/m_{\tilde{f}}^4$, where $m_{\tilde{f}}$ represents a universal value for the squark masses. Two different lattice evaluations are used for the numerical values of the form factors: from Aoki, 2017 [84] and Yoo, 2021 [85]. The dashed line represents the case where lattice form-factors at $q^2 = 0$ are used, whatever the neutralino mass, while the solid lines represent results with form factors determined according to chiral perturbation theory [83]. The bands around the dashed lines denote the approximate error in the lattice calculation of the form factors.

- Derive effective field theory
- dimension-6 operators

- electromagnetic dipoles:

$$\mathcal{E}_i \equiv \frac{e}{16\pi^2} (\psi \sigma^{\mu\nu} \nu_i) F_{\mu\nu}, \quad (i = 1, 2, 3);$$

- leptonic operators:

$$\tilde{\mathcal{N}}_{ijk} \equiv (\psi \nu_i) (\nu_j \nu_k),$$

$$(i, j, k) \in \{(1, 2, 2), (1, 3, 3), (1, 2, 3), (2, 1, 1), (2, 3, 3), (2, 1, 3), (3, 1, 1), (3, 2, 2)\};$$

$$\mathcal{N}_{ijk} \equiv (\bar{\psi} \bar{\sigma}^\mu \nu_i) (\bar{\nu}_j \bar{\sigma}_\mu \nu_k),$$

$$(1 \leq i \leq k \leq 3);$$

$$\mathcal{S}_{ijk}^{\nu e L} \equiv (\psi \nu_i) (e_j^c e_k),$$

$$\mathcal{S}_{ijk}^{\nu e R} \equiv (\psi \nu_i) (\bar{e}_j \bar{e}_k^c),$$

$$\mathcal{V}_{ijk}^{\nu e L} \equiv (\bar{\psi} \bar{\sigma}^\mu \nu_i) (\bar{e}_j \bar{\sigma}_\mu e_k),$$

$$\mathcal{V}_{ijk}^{\nu e R} \equiv (\bar{\psi} \bar{\sigma}^\mu \nu_i) (e_j^c \sigma_\mu \bar{e}_k^c)$$

$$\mathcal{T}_{ijk}^{\nu e} \equiv (\psi \sigma^{\mu\nu} \nu_i) (e_j^c \sigma_{\mu\nu} e_k),$$

$$(i = 1, 2, 3; j, k = 1, 2);$$

$$\tilde{\chi}_1^0 \rightarrow \gamma + \nu$$

(1-loop)

$$\tilde{\chi}_1^0 \rightarrow l_1^\pm + l_2^\mp + \nu$$

$$\tilde{\chi}_1^0 \rightarrow \nu_1 + \nu_2 + \nu_3$$

• semi-leptonic operators:

$$\begin{aligned}\mathcal{S}_{ijk}^{eqLL} &\equiv (\psi e_i)(d_j^c u_k), \\ \mathcal{S}_{ijk}^{eqRL} &\equiv (\bar{\psi} \bar{e}_i^c)(d_j^c u_k), \\ \mathcal{V}_{ijk}^{eqLL} &\equiv (\bar{\psi} \bar{\sigma}^\mu e_i)(\bar{d}_j \bar{\sigma}_\mu u_k), \\ \mathcal{V}_{ijk}^{eqRL} &\equiv (\psi \sigma^\mu \bar{e}_i^c)(\bar{d}_j \bar{\sigma}_\mu u_k), \\ \mathcal{T}_{ijk}^{eqL} &\equiv (\psi \sigma^{\mu\nu} e_i)(d_j^c \sigma_{\mu\nu} u_k),\end{aligned}$$

$$\begin{aligned}\mathcal{S}_{ijk}^{\nu u L} &\equiv (\psi \nu_i)(u_j^c u_k), \\ \mathcal{V}_{ijk}^{\nu u L} &\equiv (\bar{\psi} \bar{\sigma}^\mu \nu_i)(\bar{u}_j \bar{\sigma}_\mu u_k), \\ \mathcal{T}_{ijk}^{\nu u} &\equiv (\psi \sigma^{\mu\nu} \nu_i)(u_j^c \sigma_{\mu\nu} u_k), \\ \mathcal{S}_{ijk}^{\nu d L} &\equiv (\psi \nu_i)(d_j^c d_k), \\ \mathcal{V}_{ijk}^{\nu d L} &\equiv (\bar{\psi} \bar{\sigma}^\mu \nu_i)(\bar{d}_j \bar{\sigma}_\mu d_k), \\ \mathcal{T}_{ijk}^{\nu d} &\equiv (\psi \sigma^{\mu\nu} \nu_i)(d_j^c \sigma_{\mu\nu} d_k),\end{aligned}$$

$$\begin{aligned}\mathcal{S}_{ijk}^{eqLR} &\equiv (\psi e_i)(\bar{d}_j \bar{u}_k^c), \\ \mathcal{S}_{ijk}^{eqRR} &\equiv (\bar{\psi} \bar{e}_i^c)(\bar{d}_j \bar{u}_k^c), \\ \mathcal{V}_{ijk}^{eqLR} &\equiv (\bar{\psi} \bar{\sigma}^\mu e_i)(d_j^c \sigma_\mu \bar{u}_k^c), \\ \mathcal{V}_{ijk}^{eqRR} &\equiv (\psi \sigma^\mu \bar{e}_i^c)(d_j^c \sigma_\mu \bar{u}_k^c), \\ \mathcal{T}_{ijk}^{eqR} &\equiv (\bar{\psi} \bar{\sigma}^{\mu\nu} \bar{e}_i^c)(\bar{d}_j \bar{\sigma}_{\mu\nu} \bar{u}_k^c), \\ &(i, j = 1, 2, k = 1); \end{aligned}$$

$$\begin{aligned}\mathcal{S}_{ijk}^{\nu u R} &\equiv (\psi \nu_i)(\bar{u}_j \bar{u}_k^c), \\ \mathcal{V}_{ijk}^{\nu u R} &\equiv (\bar{\psi} \bar{\sigma}^\mu \nu_i)(u_j^c \sigma_\mu \bar{u}_k^c), \\ &(i = 1, 2, 3, j, k = 1); \\ \mathcal{S}_{ijk}^{\nu d R} &\equiv (\psi \nu_i)(\bar{d}_j \bar{d}_k^c), \\ \mathcal{V}_{ijk}^{\nu d R} &\equiv (\bar{\psi} \bar{\sigma}^\mu \nu_i)(d_j^c \sigma_\mu \bar{d}_k^c), \\ &(i = 1, 2, 3, j, k = 1, 2); \end{aligned}$$

$$\tilde{\chi}_1^0 \rightarrow M^\pm + \ell^\mp$$

$$\tilde{\chi}_1^0 \rightarrow M^0 + \nu$$