Simplified Template Cross-sections of Higgs boson with the ATLAS experiment

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The heart of the Standard Model uncovered







Higgs boson - the heart of the Standard Model (SM)



Interacts directly with all massive particles of the SM \rightarrow incredibly rich phenomenology ! (and indirectly with γ, g)



Producing Higgs bosons



Cross-section of different modes, varies across 3-orders of magnitude !

Kinematic features of the processes allows to pin-down the production





Observing Higgs bosons



Higgs boson has a narrow width (4.07 MeV) and **decays instantaneously** ! (~ 10^{-22} sec) Decays to all particles except the top quark \rightarrow multiple channels to study Higgs boson



ATLAS workflow : testing physics theories with data









testing physics theories with data : Likelihood function



Likelihood function, L(data|theory), is used to perform statistical inference on physics parameters

likelihood function captures,

i. Behaviour of theory model parameters on observables For ex.: Higgs boson signal strength

Parameters of interest

- ii. Systematic uncertainties from experimental sources For ex.: Calibration of let energy scale
- iii. Theoretical uncertainties on model For ex.: **PDF scale and factorisation uncertainty**
- iv. Consistent signal & background modelling across different analyses Avoid overlapping kinematic regions to extract information









Higgs inclusive measurements at ATLAS

Run-2 **30x as many Higgs** wrt Run-I, allows for precise measurements of cross-sections & couplings



All major production modes have 5σ observation and for tH 95% obs. (exp) upper limit of 15 (7) x SM Strong indications for rare Higgs decays : obs. (exp) significance of 2.0 σ (1.7 σ) for $H \rightarrow \mu^+ \mu^$ and 2.3 σ (1.1 σ) for $H \rightarrow Z\gamma$





Higgs couplings to particles



Field theory, information of kinematic distributions is crucial !



Analysing Higgs boson - a concerted effort

- Each measurement consists of multiple signal regions, designed to selected target Higgs production
- Distribution of a (multivariate) discriminant is interpreted in terms of sum of signal and background





(large bkg, low res., : $\delta m \sim 10$ GeV)



Unfolding Higgs boson kinematics



- One way to study kinematic properties of Higgs boson is to unfolding, typically with maximum
- Well suited for high precision, low background channels which can rely on simple cut-based analysis
- Can be easily compared to theory predictions, harder to combine different channels without involving extrapolation to full phase space



likelihood method, to obtain differential measurements, usually limited to one or two-dimensional distributions without needing multivariate discriminants, non-trivial to map multivariate discriminants in fiducial phase space



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Sensitivity to new physics

The p_{H}^{I} spectrum is dominated by $gg \rightarrow H$, new physics affecting any other production mode will be diluted in this observable unc 0.5 For instance $O_{Hq}^{(3)}$, (c)/SM1.2 Linear _inear+quad. 8.0 H0.6 $d \sim$ 0.4 0.2 $\langle W^-$ 150 250 400 ∞c_{tG}=-0.2 75 0 p_W[⊤] [GeV] **€ =-2.01** 1.2

(c)/SM





Simplified template cross-sections (STXS)

◆ Measure production mode cross-section in fiducial volumes, designed to separate out different production modes



different decay channels

Design guided by,

- Minimise model dependence and maximise experimental sensitivity
- Allow isolation of possible BSM effects
- Staged binning : evolves in granularity with more data

There is some residual model dependence as some regions cannot be fully distinguished at reco. level ex. ggF+2jet vs VBF

Fiducial bins measured based on the maximum likelihood method





STXS analysis : the Higgs $\rightarrow \gamma\gamma$ case

- Analysis measures kinematic properties of key production modes with full Run-2 dataset
- Split events into different STXS bins while keeping correlation low and sensitivity high
- Two step categorisation approach, i. signal-vs-signal: First, a multiclass BDT to separate all signal classes
 - ii. signal-vs-background: Second, a binary BDT to reject non-resonant background (γ j, jj)
- Multiclass BDT boundaries decided based on **D-optimality**, perform iterative categorisation and minimise the determinant of the covariance matrix
- Allows to minimise overall uncertainty and correlation across cross-section measurements

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STXS bins measured



Note that final STXS binning is much more finer when combining with

STXS bins reported by H $\rightarrow \gamma\gamma$ corresponds to merged bins of the STXS fine bin definitions



Signal purity for categories



STXS bins tīH, p_∓^H ≥ 300 GeV tt H, 200 $\leq p_{\tau}^{H} < 300 \text{ GeV}$ tt H, 120 $\leq p_{\tau}^{H} < 200 \text{ GeV}$ $t\bar{t}H, 60 \le p_{-}^{H} < 120 \text{ GeV}$ tīH, p₊^H < 60 GeV HII, $p_{\tau}^{V} \ge 150 \text{ GeV}$ HII, $p_{\tau}^{V} < 150$ GeV $qq \rightarrow Hlv, \, p_{\tau}^V \geq 150 \; GeV$ $qq \rightarrow Hlv, p_{\tau}^{V} < 150 \text{ GeV}$ $qq \rightarrow Hqq$, ≥ 2 -jets, $m_{_{\pm}} \geq 1000 \text{ GeV}$, $p_{\pm}^{H} \geq 200 \text{ GeV}$ $qq \rightarrow Hqq$, ≥ 2 -jets, $350 \leq m_{_{\rm H}} < 1000 \text{ GeV}$, $p_{_{\rm T}}^{\rm H} \geq 200 \text{ GeV}$ $qq \rightarrow Hqq$, ≥ 2 -jets, $m_{_{\rm H}} \geq 1000$, $p_{_{\rm T}}^{\rm H} < 200 \; {\rm GeV}$ $qq \rightarrow Hqq$, ≥ 2 -jets, 700 $\leq m_{_{\rm H}} < 1000 \text{ GeV}$, $p_{_{\rm T}}^{\rm H} < 200 \text{ GeV}$ $qq \rightarrow Hqq$, ≥ 2 -jets, $350 \leq m_{_{II}} < 700 \text{ GeV}$, $p_{_{T}}^{H} < 200 \text{ GeV}$ $qq \rightarrow Hqq$, VH hadronic $qq \rightarrow Hqq, \leq 1$ -jet, VH veto $gg \rightarrow H, p_{-}^{H} \ge 450 \text{ GeV}$ $gg \rightarrow H,\, 300 \, \leq p_{_{\intercal}}^{H} < 450 \; GeV$ $gg \rightarrow H$, 200 $\leq p_{\tau}^{H} < 300 \text{ GeV}$ $gg \rightarrow H, \ge 2$ -jets, $m_{\mu} \ge 350 \text{ GeV}, p_{\tau}^{HJJ} < 200 \text{ GeV}$ $gg \rightarrow H, \ge 2$ -jets, $m_{_{II}} < 350 \text{ GeV}, 120 \le p_{_{T}}^{H} < 200 \text{ GeV}$ $gg \rightarrow H, \ge 2$ -jets, $m_{_{ii}} < 350 \text{ GeV}, p_{_{T}}^{H} < 120 \text{ GeV}$ $gg \rightarrow H$, 1-jet, 120 $\leq p_{\tau}^{H} < 200 \text{ GeV}$ $gg \rightarrow H$, 1-jet, 60 $\leq p_{\tau}^{H} < 120 \text{ GeV}$ gg \rightarrow H, 1-jet, $p_{_{T}}^{_{H}}$ < 60 GeV $gg \rightarrow H$, 0-jet, $p_{\tau}^{H} \ge 10 \text{ GeV}$ $gg \rightarrow H$, 0-jet, $p_{_{T}}^{H} < 10 \text{ GeV}$

Typically, analysis categories finer than final STXS bins



What is published

Signal strength for each STXS bins



gg→H, 0-jet, $p_{\tau}^{H} < 10$ gg→H, 0-jet, 10 ≤ p_{τ}^{H} < 200 gg→H, 1-jet, $p_{\tau}^{H} < 60$ gg→H, 1-jet, 60 ≤ p_{τ}^{H} < 120 gg→H, 1-jet, 120 $\leq p_{+}^{H} < 200$ gg→H, ≥2-jets, m_{::} < 350, p₊^H < 120 gg→H, ≥2-jets, m_{ii} < 350, 120 ≤ p_{τ}^{H} < 200 gg→H, ≥2-jets, m_{ii} ≥ 350, p_T^H < 200 gg→H, 200 ≤ p_{τ}^{H} < 300 gg→H, 300 ≤ p_{τ}^{H} < 450 gg→H, $p_{\tau}^{H} \ge 450$ qq'→Hqq', ≤1-jet and VH-Veto qq'→Hqq', ≥2-jets, VH-had qq'→Hqq', ≥2-jets, 350 ≤ m_: < 700, p_T^H < 200 qq'→Hqq', ≥2-jets, 700 ≤ m_i < 1000, p_T^H < 200 qq'→Hqq', ≥2-jets, $m_{ii} \ge 1000, p_T^H < 200$ qq'→Hqq', ≥2-jets, 350 ≤ m_{ii} < 1000, p_T^H ≥ 200 qq'→Hqq', ≥2-jets, m_{ii} ≥ 1000, $p_{\tau}^{H} \ge 200$ $qq \rightarrow Hhv, p_{\downarrow}^{V} < 150$ $qq \rightarrow Hlv, p_{+}^{V} \ge 150$ pp→HII/vv, $p_{t}^{V} < 150$ pp→HII/vv, $p_t^V \ge 150$ ttH, $p_{\tau}^{H} < 60$ ttH, 60 ≤ p_{τ}^{H} < 120 ttH, $120 \le p_{\pm}^{H} < 200$ ttH, 200 $\leq p_{-}^{H} < 300$ ttH, $p_T^H ≥ 300$

Correlation matrix of bins

ATLAS

 $\sqrt{s} = 13 \text{ TeV}, 139 \text{ fb}^{-1}$ $m_H = 125.09 \text{ GeV}, |y_H| < 2.5$





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Interface between theory & experiment

Experimental likelihood function captures all relevant statistical information of measurement (calibration, theory uncertainties, etc)



Simplified likelihood

Multivariate Gaussian approximation of the signal-strength measurements \rightarrow best-fit + covariance matrix

$$L(\mu) = \frac{1}{\sqrt{(2\pi)^{n_{\mu}} \det(V_{\mu})}} \exp\left(-\frac{1}{2}\Delta\mu^{\mathsf{T}}V_{\mu}^{-1}\Delta\mu\right)$$







Interface between theory & experiment

Simplified likelihood provides a good approximation of overall constraint, but no additional information on systematic uncertainties!

Available on public page of ATLAS publication note <u>ATL-PHYS-PUB-2022-037</u> i. **best-fit + covariance matrix** of 128 signal-strength measurements ii. Corresponding EFT parameterisation

Generally good agreement between **simplified** and **full likelihood**, not expected to match exactly as the measurements are not exactly Gaussian

multivariate Gaussian provides a reliable approximation !



Outlook

- to measuring kinematic observables
- For Run-2, the STXS measurements are an important highlight to study Higgs boson properties.
- Results have also been used widely by the theory community for reinterpretation
- STXS is not by any means meant to be a static framework serves as a guidance for analysis design and allow for combination across different Higgs decay channels
- active discussion within WG2: Higgs properties to extend and improve STXS, many ideas in the pipeline,
 - Including STXS-style binning on the Higgs decay side
 - Introducing kinematic splitting that are sensitive to CP-odd effects ($\Delta \phi_{ii}$)
 - boosted regime

Good progress on Higgs boson kinematic measurements, evolved from inclusive cross-section measurements

Well complemented by unfolded fiducial differential cross-section measurements across some channels.

- Extending energy reach of STXS bin due to accommodate analyses with novel developments to probe





Detailed kinematic picture of the Higgs boson





