Primordial Black Holes from First-Order Phase Transition in the xSM arXiv:2405.XXXX

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2. XSM model

3. Results



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#### First-order phase transition





The fraction of false vacuum  $F(t) = e^{-I(t)}$ 

#### **PBH** formation





 $\rho = \rho_R + \rho_V$   $\rho_R \propto a(t)^{-4}$  $\rho_V \text{ nearly constant}$ 

Energy contrast exceeds critical threshold, *late patch* gravitationally collapses into PBH.  $\rho^{\text{in}} - \rho^{\text{out}}$ 

$$\delta = \frac{\rho^{\rm in} - \rho^{\rm out}}{\rho^{\rm out}} > 0.45$$

- Probability of no bubble nucleation in the past Hubble volume at  $T>T_i$ 

$$P(T_i) = \operatorname{Exp}\left[-\int_{T_i}^{T_c} \frac{dT'\Gamma(T')}{T'H(T')} a_{\mathrm{in}}(T')^3 V_{\mathrm{coll}}\right]$$
$$V_{\mathrm{coll}} = \frac{4\pi}{3} \left[\frac{1}{a_{\mathrm{in}}(T_{\mathrm{PBH}})H_{\mathrm{in}}(T_{\mathrm{PBH}})} + \int_{T_{\mathrm{PBH}}}^{T'} \frac{d\tilde{T}}{\tilde{T}H(\tilde{T})a_{\mathrm{out}}(\tilde{T})}\right]^3$$

## PBH formation



► To evaluate  $\delta$  we evolve energy density using Friedmann equation with  $t_0 = t_c$  for background region and  $t_0 = t_i$  for late patch,

$$H^{2} = \left(\frac{1}{a}\frac{\mathrm{d}a}{\mathrm{d}t}\right)^{2} = \frac{1}{3M_{\mathrm{pl}}^{2}}(\rho_{V} + \rho_{R}), \quad \frac{d\rho_{R}}{\mathrm{d}t} + 4H\rho_{R} = -\frac{d\rho_{V}}{\mathrm{d}t}, \quad \rho_{V} = F(t)\Lambda_{\mathrm{vac}}(t)$$

$$= \int_{0}^{10} \int_{$$

> PBH mass can be roughly approximated as the Hubble horizon mass at  $T_{\rm PBH}$ .

$$M_{\rm PBH} \approx \frac{4\pi}{3} H_{\rm in}^{-3}(T_{\rm PBH}) \rho_c = 4\pi M_{\rm pl}^2 H_{\rm in}^{-1}(T_{\rm PBH})$$



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#### XSM model



SM is extended by one real scalar field S, which is singlet under the SM symmetry. The gauge invariant effective potential is given by

$$\mathcal{V}_{\text{eff}}(h, s, T) = \frac{1}{2} \left[ -\mu^2 + \Pi_h T^2 \right] h^2 + \frac{1}{2} \left[ b_2 + \Pi_s T^2 \right] s^2 + \frac{\lambda}{4} h^4 + \frac{a_1}{4} h^2 s + \frac{a_2}{4} h^2 s^2 + \frac{b_3}{3} s^3 + \frac{b_4}{4} s^4 \right]$$





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#### Microlensing experiments









- The PBH formation from first-order phase transition requires supercooling and a large value of α, which coincides with promising gravitational wave signatures.
- Given that the phase transition occurs at the electroweak scale, it naturally falls within the frequency range detectable by LISA.

## Resonant and Non-Resonant di-Higgs Searches



- HL-LHC will be sensitive to a significant fraction of the parameter points that exhibit PBH formation with the triple Higgs couplings constraints.
- ▶ The resonant di-Higgs channel can probe some of the parameter space that displays PBH formation with  $m_{h_2} < 800 \, {\rm GeV}$  with relatively low PBH fraction.



#### Di-boson Searches





- ► The h<sub>2</sub> → WW channel does not offer the sensitivity to probe the PBH formation parameter space.
- ▶ The  $h_2 \rightarrow ZZ$  channel offers sensitivity to PBH formation parameter space at HL-LHC with  $m_{h_2} \leq 900 \,\text{GeV}$  and low  $f_{\text{PBH}}$ .



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- PBH formation during phase transition requires sufficient supercooling such that probability of having a *late patch* where system remains in false vacuum is large.
- The mass of PBH is around  $10^{-5}M_{\odot}$ , dictated by the scale of phase transition.
- Contribution of PBHs to the dark matter density from xSM can be as high as  $f_{PBH} \approx 10^{-1}$ , with OGLE, Subaru-HSC, Macho, and Eros experiments placing the most stringent limits.
- GW induced such supercooled EWPT can be naturally covered the future LISA sensitivities with sufficient signal strength due to its supercooled nature.
- ► The HL-LHC can provide complementarity probe to the PBH parameter space.

# Thank You

## Backup slides



#### XSM model



SM is extended by one real scalar field S, which is singlet under the SM symmetry. The gauge invariant effective potential is given by

$$V_{\text{eff}}(h, s, T) = \frac{1}{2} \left[ -\mu^2 + \Pi_h T^2 \right] h^2 + \frac{1}{2} \left[ b_2 + \Pi_s T^2 \right] s^2 + \frac{\lambda}{4} h^4 + \frac{a_1}{4} h^2 s + \frac{a_2}{4} h^2 s^2 + \frac{b_3}{3} s^3 + \frac{b_4}{4} s^4 \right]$$



### PBH formation in XSM





- Cubic terms dominate the barrier at zero temperature.  $\Theta_s \equiv \frac{4b_3}{3b_4v_s}$
- As b<sub>3</sub> becomes increasingly negative, cubic term dominates over quartic term, uplifting the EW broken vacuum compared to EW symmetric vacuum
- Domination of the cubic term leads to the increase in the barrier height.
- PBH formation prefers parameter space where the potential has a shallow EW vacuum and sufficient high barrier.

## PBH formation



Due to probabilistic bubble nucleation, large regions may be filled with the false vacuum where nucleation is delayed and surrounded by true vacuum bubbles.



- Radiation energy density decreases with  $\rho_R \propto a(t)^{-4}$ , while the vacuum  $\rho_{vac}$  energy remains nearly constant. This causes the total energy density to increase in regions where false vacuum decay is delayed compared to regions where it is not.
- Energy contrast exceeds critical threshold, *late patch* gravitationally collapses into PBH.  $\rho^{\text{in}} \rho^{\text{out}}$

$$\delta = \frac{\rho^{\rm in} - \rho^{\rm out}}{\rho^{\rm out}} > 0.45$$

(I. Musco, V. D. Luca, G. Franciolini, and A. Riotto 2021)