



MARYLAND CENTER FOR  
FUNDAMENTAL  
PHYSICS

# (Supersymmetric) Grand Unification at the Cosmological Collider

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In collaboration with Arushi Bodas, & Raman Sundrum (ArXiv 2406.xxxx)

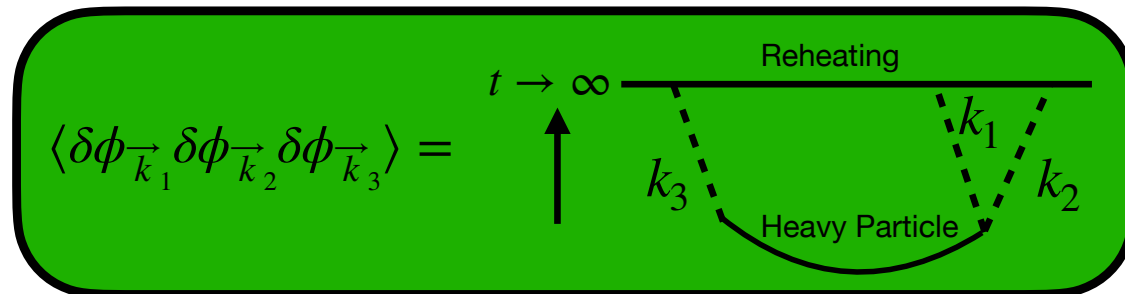
# Cosmological Collider Physics

## Basic Idea

- Cosmological particle production during inflation, analogous to hawking radiation.

$$m < H_{\text{inf}} < 5 \times 10^{13} \text{ GeV}$$

- In LSS, and the CMB we measure quantum fluctuations of the inflaton,  $\delta\phi$ .
- If the heavy particle can decay into the inflatons they can imprint themselves on Non-Gaussianities (NGs).



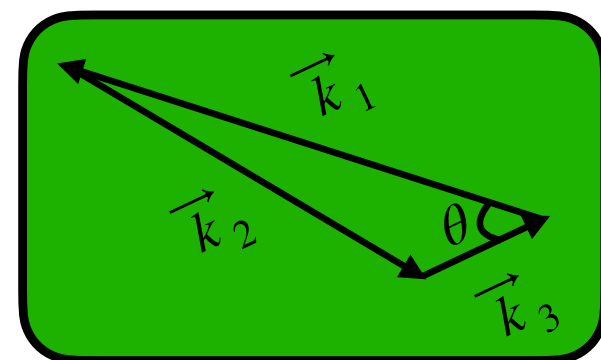
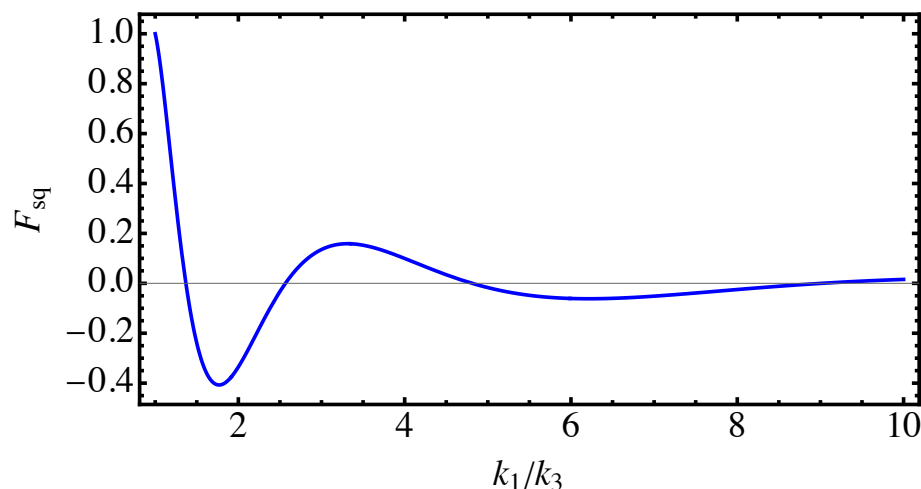
# Cosmological Collider Physics

## Basic Idea II

- In the cosmological collider we look for an oscillation in the squeezed limit.

$$F \equiv \frac{5}{12} \dot{\phi}_0 \frac{\langle \delta\phi_{\vec{k}_1} \delta\phi_{\vec{k}_2} \delta\phi_{\vec{k}_3} \rangle'}{\langle \delta\phi_{\vec{k}_1} \delta\phi_{-\vec{k}_1} \rangle' \langle \delta\phi_{\vec{k}_3} \delta\phi_{-\vec{k}_3} \rangle'} \sim e^{-\pi \frac{m}{H}} \left( \frac{k_1}{k_3} \right)^{-3/2 + i \frac{m}{H}}$$

- We have to live in a narrow window  $m \sim H_{\text{inf}}$ .



# Cosmological Collider Physics

Exciting Prospect, but luck required

- Opportunity to probe physics at higher scales than any terrestrial collider.

- Theoretically motivated targets?

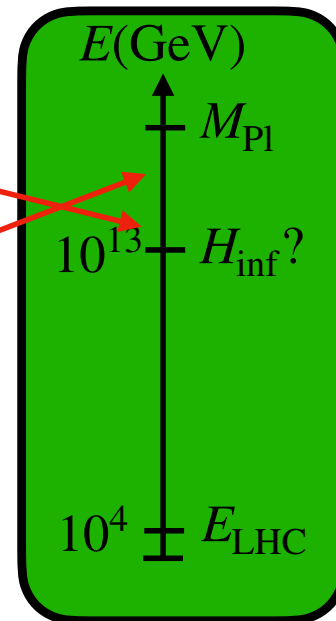
$$M_{\text{GUT}} \sim 10^{14} \text{ GeV}$$

- Has been studied. Can't see spin-1

$$M_{\text{SUSY,GUT}} \sim 10^{16} \text{ GeV}$$

- Scale is too high!

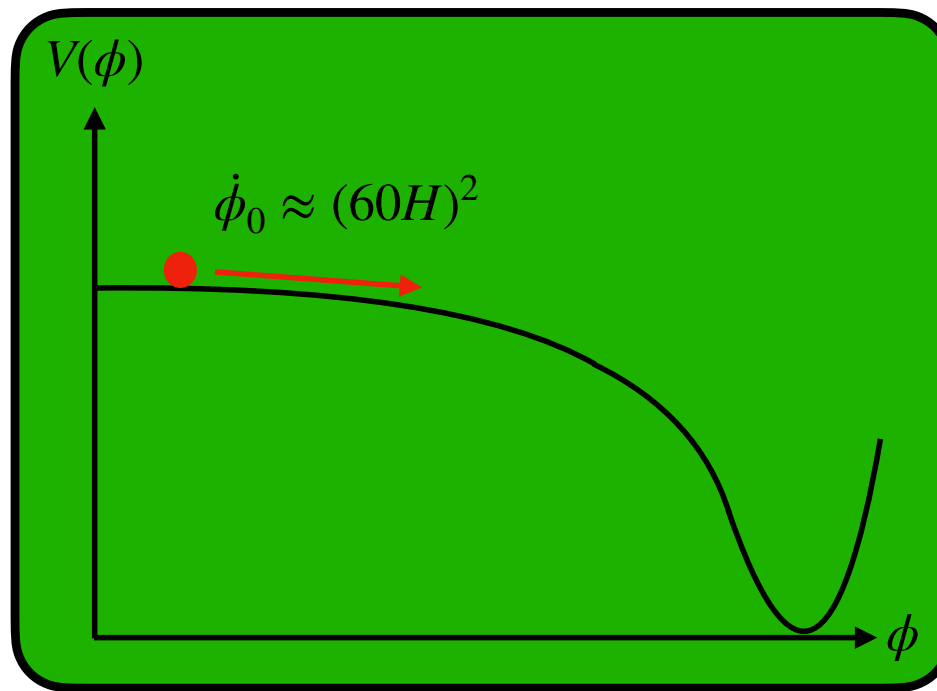
- I show how to increase scale, and see spin-1.



# Cosmological Collider Physics

## Chemical Potential

- There is a higher scale in inflation.



# Cosmological Collider Physics

## Chemical Potential

- There is a higher scale in inflation.

$$\dot{\phi}_0 \approx (60H)^2$$

- The chemical potential mechanism utilizes this scale.

$$\lambda = \frac{\dot{\phi}_0}{\Lambda} \lesssim 60H$$

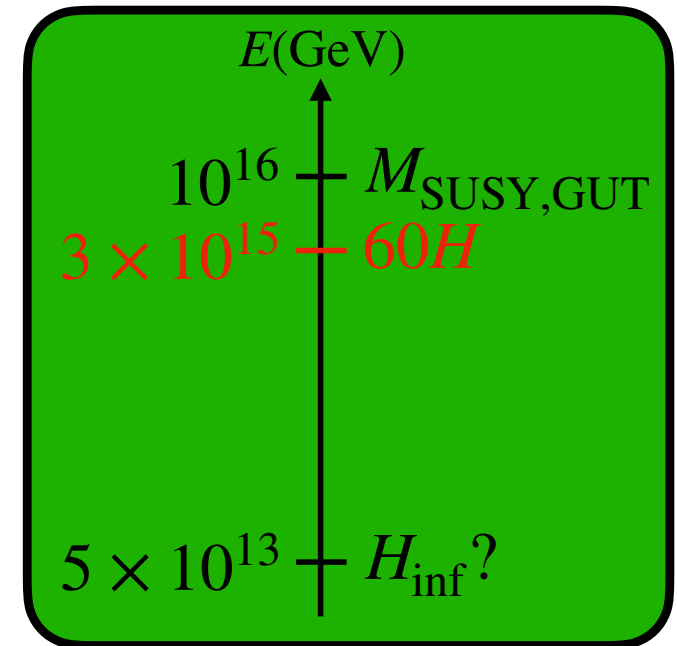
- Introduces a source for the heavy particles.  
Leads to Unsuppressed production for  $m < \lambda$ .

$$\mathcal{L} \sim \chi e^{-i\phi/\Lambda} \sim \chi e^{-i\lambda t}$$

$$\mathcal{L} \sim \partial_\mu \phi A^\mu (\partial\phi)^2 e^{-i\phi/\Lambda}$$

L.-T. Wang and Z.-Z. Xianyu, In search of large signals at the cosmological collider

A. Bodas, S. Kumar, and R. Sundrum, The scalar chemical potential in cosmological collider physics



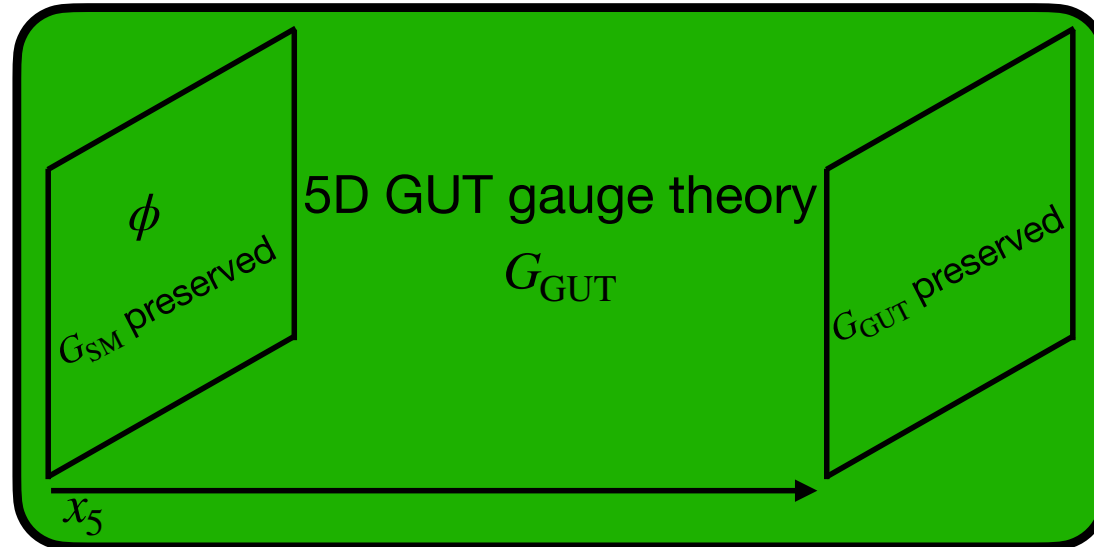
Y. Kawamura, Prog. Theor. Phys. 105, 999 (2001)

L. J. Hall and Y. Nomura, Grand unification in higher dimensions, Annals of Physics 306

# Orbifold GUTs

## Motivation

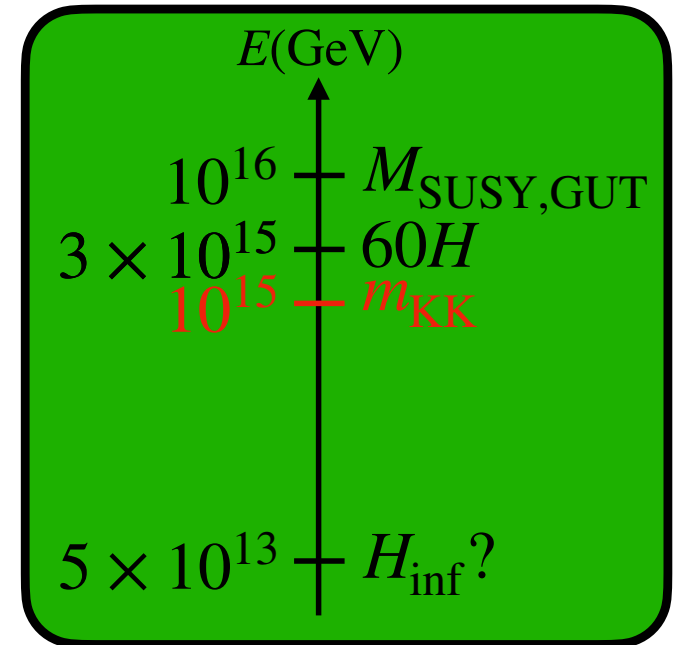
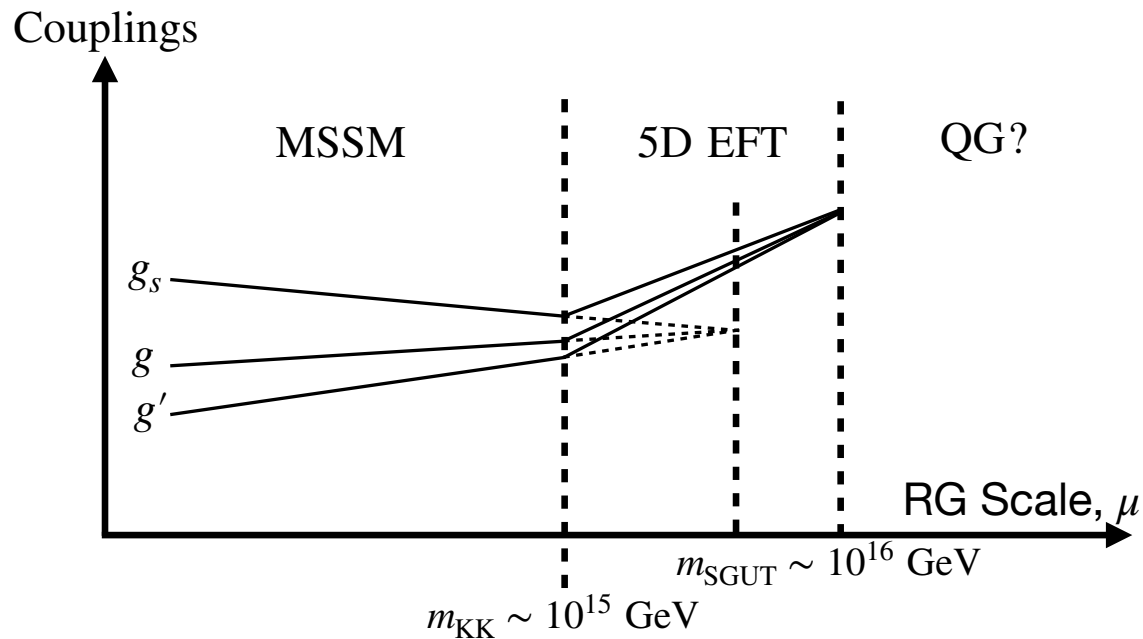
- Gauge symmetry broken by boundary conditions on a brane.
- Solves doublet-triplet splitting and proton decay.
- Inflaton lives on a brane.



# Orbifold GUTs

## Gauge Coupling Running

- In orbifold GUTs the KK scale is lower than the usual unification scale



Adapted from - L. J. Hall and Y. Nomura, Grand unification in higher dimensions, Annals of Physics 306 (July, 2003) 132–156



# Orbifold GUTs

## Implementing the coupling

- Chemical Potential Coupling

$$S_{\text{brane}} = c \int d^4x \partial_\mu \phi \partial_5 A^\mu(x,0) (\partial\phi)^2 e^{-i\phi/\Lambda}$$

- Shift symmetry protecting flatness of slow-roll potential

$$\begin{aligned} \phi &\rightarrow \phi + c \\ A_\mu &\rightarrow e^{ic/\Lambda} A_\mu \end{aligned}$$

- Requires a complex vector that is a SM gauge singlet. We consider trinification

$$G_{\text{GUT}} = SU(3)_C \times SU(3)_L \times SU(3)_R / \mathbb{Z}_3$$

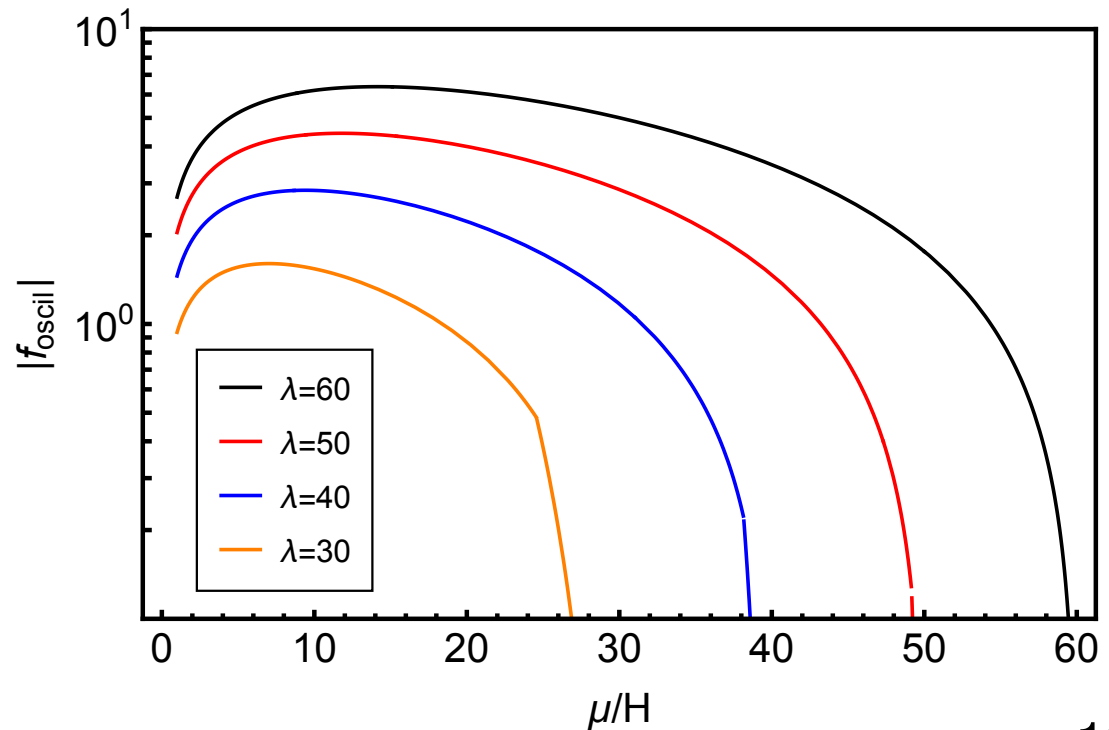
# Results I

## Signal Size

- We calculated NG in the EFT of a vector coupled to inflation with a chemical potential ( $\mu = \sqrt{m^2 - 1/4}$ ).

$$F = f_{\text{oscil}}(\mu, \lambda, \theta) \left( \frac{k_1}{k_3} \right)^{-5/2+i(\mu-\lambda)}$$

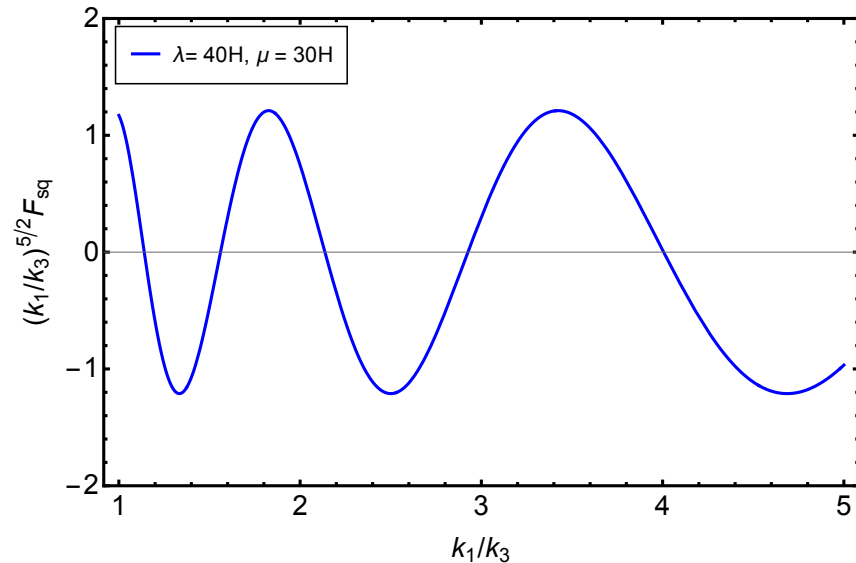
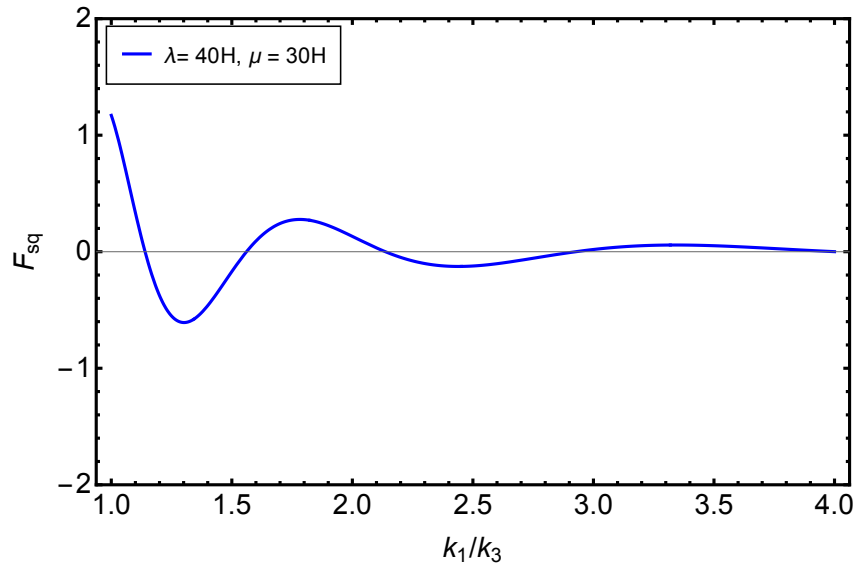
- Signals of this size potentially detectable in LSS.



# Results II

## Signal Frequency

- Observation of frequency will tell us  $\mu - \lambda$ .



- There is a possibility of separating mass and chemical potential.
- Some detective work required to determine spin.

# Summary, & future work

- Cosmological Collider Physics presents an opportunity to probe physics at very high scales.
- SUSY GUTs are generally considered to be out of reach.
- Non SUSY GUTs have small signals.
- We have shown that a chemical potential can be applied to spin-1 particles within EFT control.
- Such a model can give observably large signals for spin-1 particles with masses  $\mathcal{O}(\text{few} \times 10^{15} \text{ GeV})$ .
- The mechanism can be applied to any model with vectors at masses above the Hubble scale.

**Thanks for listening**

# Backup Slides

# Results III

## Separating mass from chemical potential

- If a small squeezing limit exists

$$\frac{k_1}{k_3} < \frac{\lambda}{2\mu}$$

- The frequency changes

$$F \equiv \left( 1 + 2\frac{k_1}{k_3} \right)^{-i\lambda}$$

- Observation of the frequency in the small and large squeezing will allow a measurement of the mass and chemical potential

N. Arkani-Hamed and J. Maldacena, Cosmological collider physics, 2015.

H. Lee et al, Non-gaussianity as a particle detector,

S. Kumar and R. Sundrum, Heavy-Lifting of Gauge Theories By Cosmic Inflation

# Results IV

## Determining Spin

- In original paper it was claimed for spin  $s$ , observation of angular dependence would tell you spin.

$$F \propto P_s(\cos \theta) e^{-\pi\mu} \left( \frac{k_1}{k_3} \right)^{-3/2+i\mu}$$

- Later reference pointed out a cancellation between diagrams gave a different dilution factor, and angular dependence for odd spin. In particular for spin 1

$$F \propto \sin^2 \theta e^{-\pi\mu} \left( \frac{k_1}{k_3} \right)^{-5/2+i\mu}$$

- In our work we have found

$$F \propto [A + B \cos^2 \theta] e^{-\pi\mu} \left( \frac{k_1}{k_3} \right)^{-5/2+i\mu}$$



# Observational Prospects

## Ongoing & Planned LSS experiments

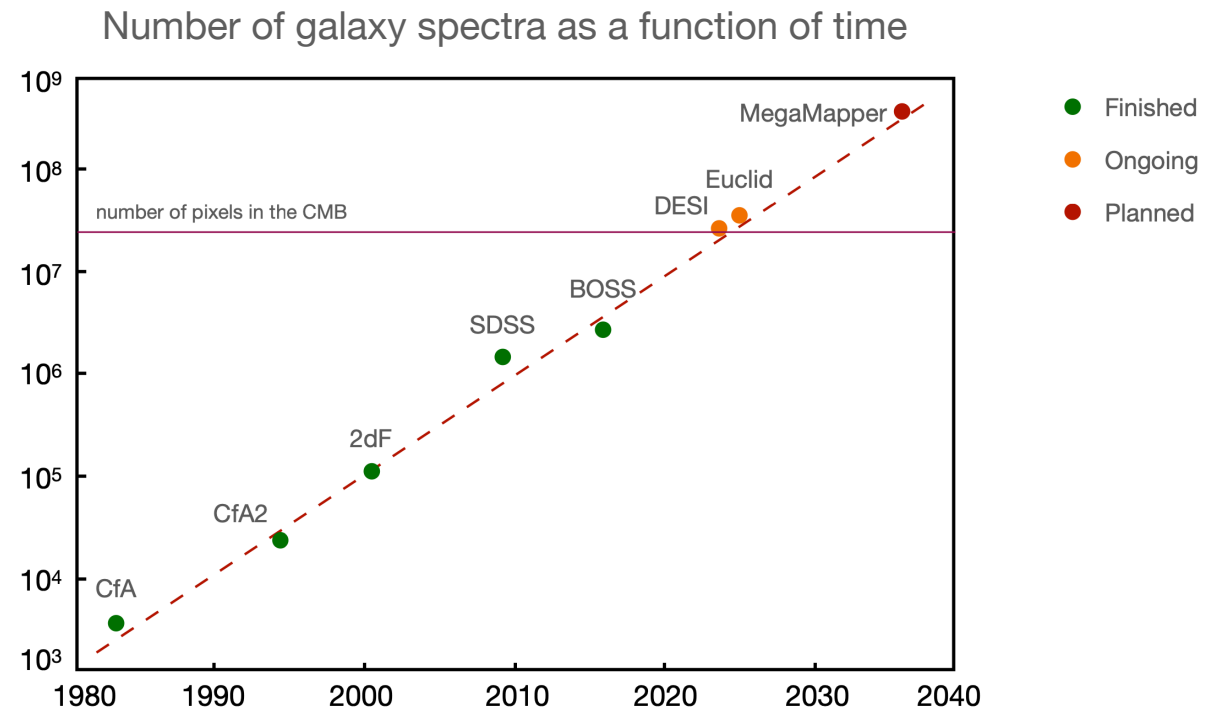
- First analysis recently performed on BOSS data for spin-0 exchange.
- MegaMapper (2030s) will probe
- In the future 21-cm cosmology can probe

$$|f_{\text{oscil}}| \sim \mathcal{O}(1)$$

$$|f_{\text{oscil}}| \sim \mathcal{O}(10^{-2})$$

G. Cabass et al, Boss constraints on massive particles during inflation: The cosmological collider in action, 2024

A. Loeb and M. Zaldarriaga, Measuring the small-scale power spectrum of cosmic density fluctuations through 21cm tomography prior to the epoch of structure formation



Graph from talk - <https://indico.cern.ch/event/1073672/attachments/2319217/3948806/CERNcolloquium.pdf>