

# A WIMP Status Report: Constraints and Discovery Prospects for Singlet-Doublet Dark Matter

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Work in progress with  
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# Outline

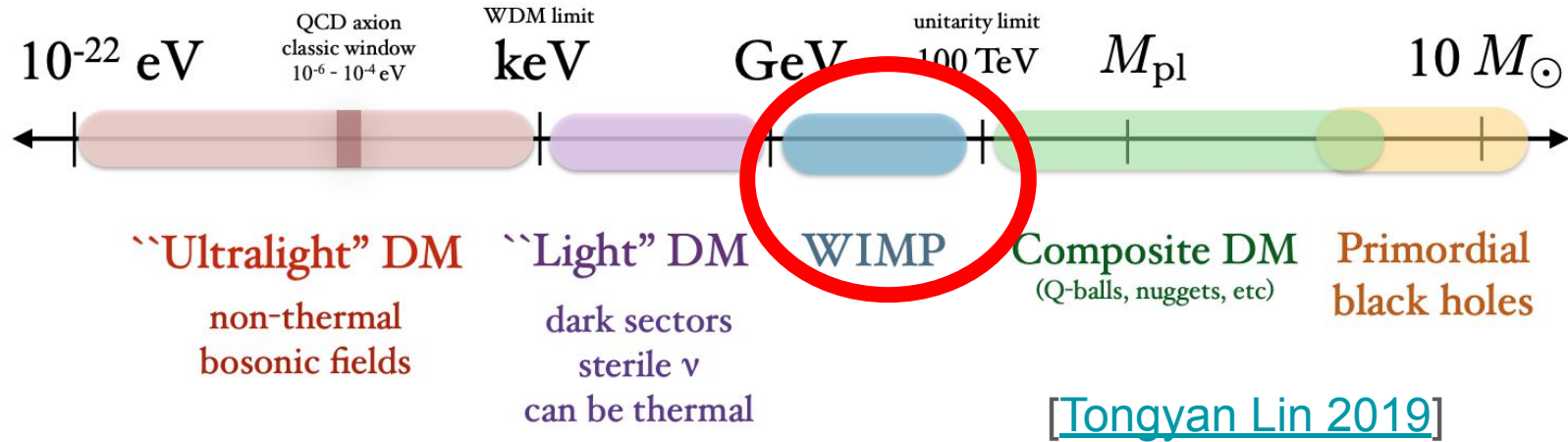
- Dark Matter and the WIMP Paradigm
- Singlet-Doublet Model
  - Blind spots
- Viable Parameter Space Points

# Observations Require Cold Dark Matter

“We find that the **base- $\Lambda$ CDM model** provides a remarkably good fit to the *Planck* power spectra and lensing measurements, with no compelling evidence to favour any of the extended models considered in this paper”

[\[Planck Collaboration 2018\]](#)

# But what is Dark Matter? Many possibilities...



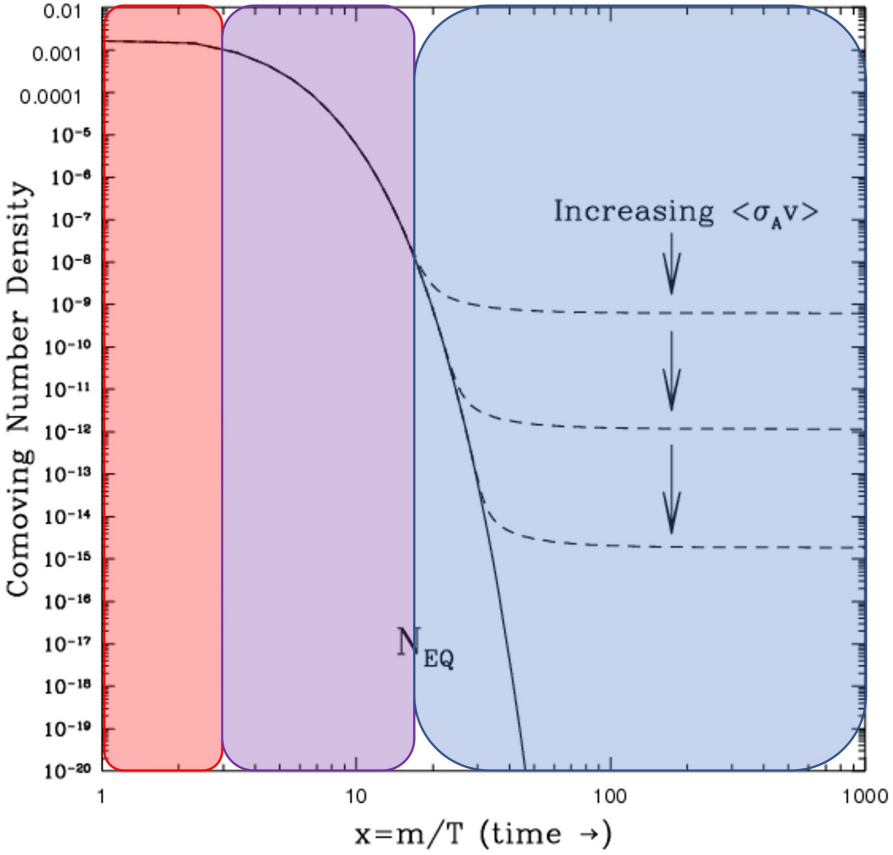
- This Talk: Weakly Interacting Massive Particles (WIMPs)

# WIMPs

- Thermal freeze-out requires:

$$\langle \sigma v \rangle \sim 10^{-26} \text{ cm}^3 \text{ s}^{-1}$$

- Weak-scale couplings and masses naturally yield an appropriate cross section



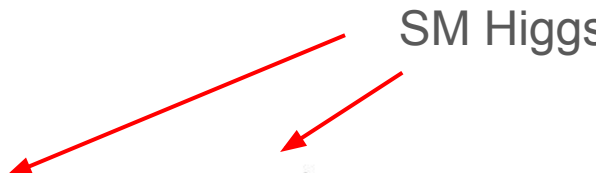
# Singlet-Doublet Dark Matter (1)

- Paradigmatic WIMP model
- No new mediators
  - Annihilation controlled by SM higgs, W and Z bosons
- Dark matter is a majorana fermion
- Generalization of Bino-Higgsino dark matter in SUSY

# Singlet-Doublet Dark Matter (2)

- New Particle Content
  - Singlet:  $\mathbf{S}$  in representation  $(1, 1, 0)$  of SM gauge group
  - Doublets:  $\mathbf{D}$  and  $\bar{\mathbf{D}}$  in  $(1, 2, -1/2)$  and  $(1, 2, 1/2)$

- Lagrangian

$$\Delta\mathcal{L} = -\frac{1}{2}M_S S^2 - M_D D\bar{D} - y_1 D H S - y_2 H^\dagger \bar{D} S + \text{h.c.}$$


- In this talk, I focus on the case when  $M_S < M_D$  (and away from resonances)

# Singlet-Doublet Dark Matter (3)

- After EWSB we get
  - 1 charged Dirac Fermion:  $E$
  - 3 neutral majorana fermions:  $\nu_i$
- For this model, direct detection bounds are the most constraining
- Blind Spots can help evade constraints:

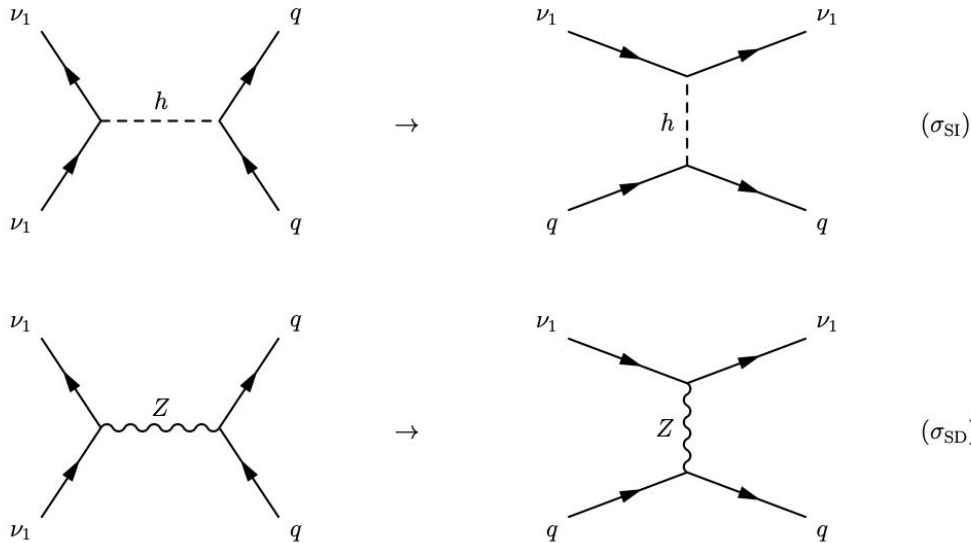
$$y_2 = -y_1 \frac{M_S}{M_D} \left( 1 \pm \sqrt{1 - \left( \frac{M_S}{M_D} \right)^2} \right)^{-1} \implies g_{Z\nu_1\nu_1} = 0$$

$$y_1 = \pm y_2 \implies g_{h\nu_1\nu_1} = 0$$

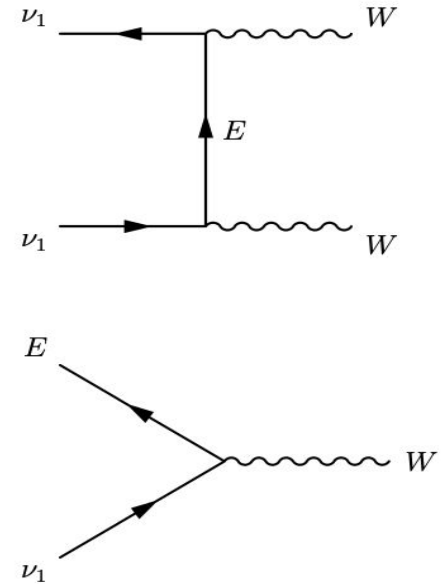


# Annihilation and Direct Detection (DD)

Diagrams with DD analogs



No tree-level DD analogs

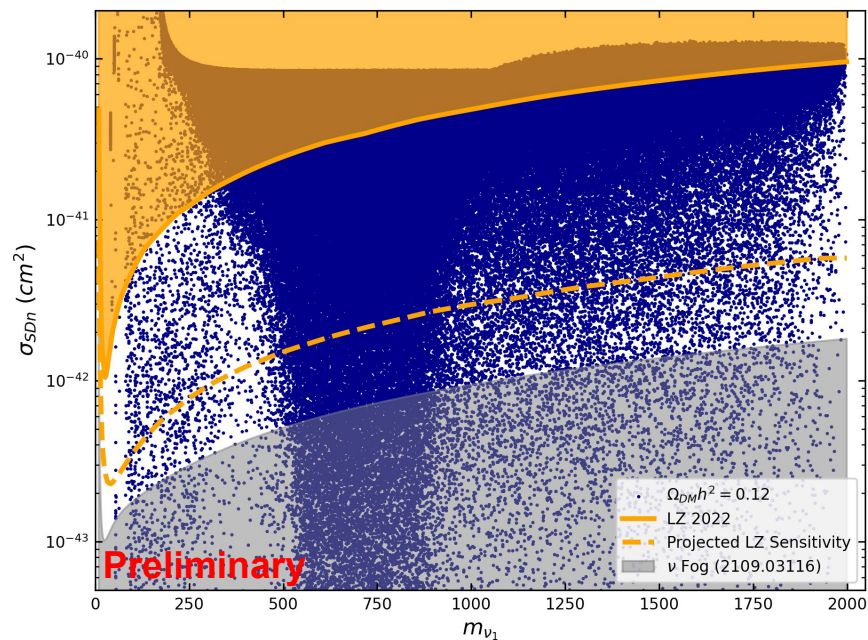
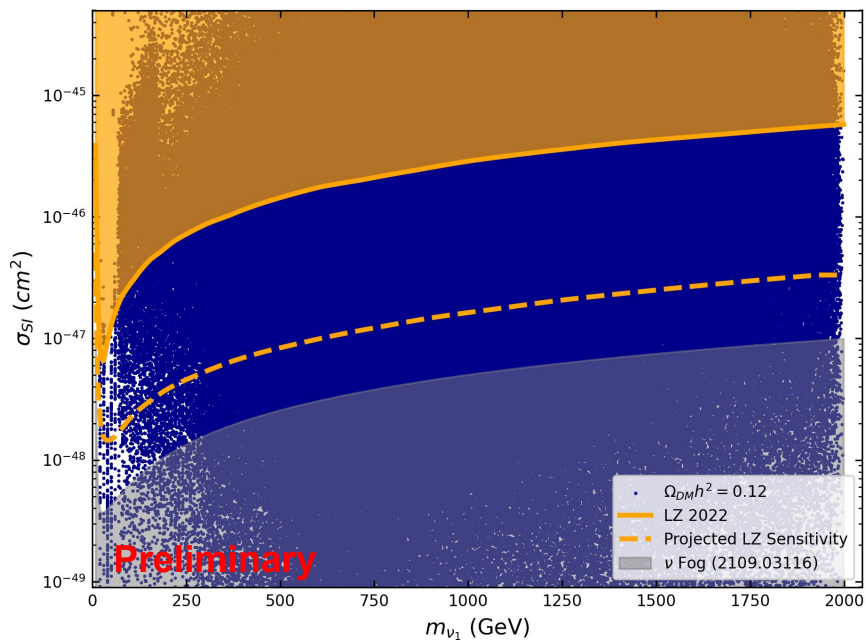


[\[Cohen, Kearney, Pierce, Tucker-Smith 2011\]](#)

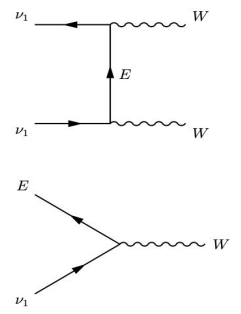
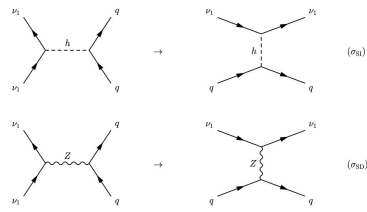
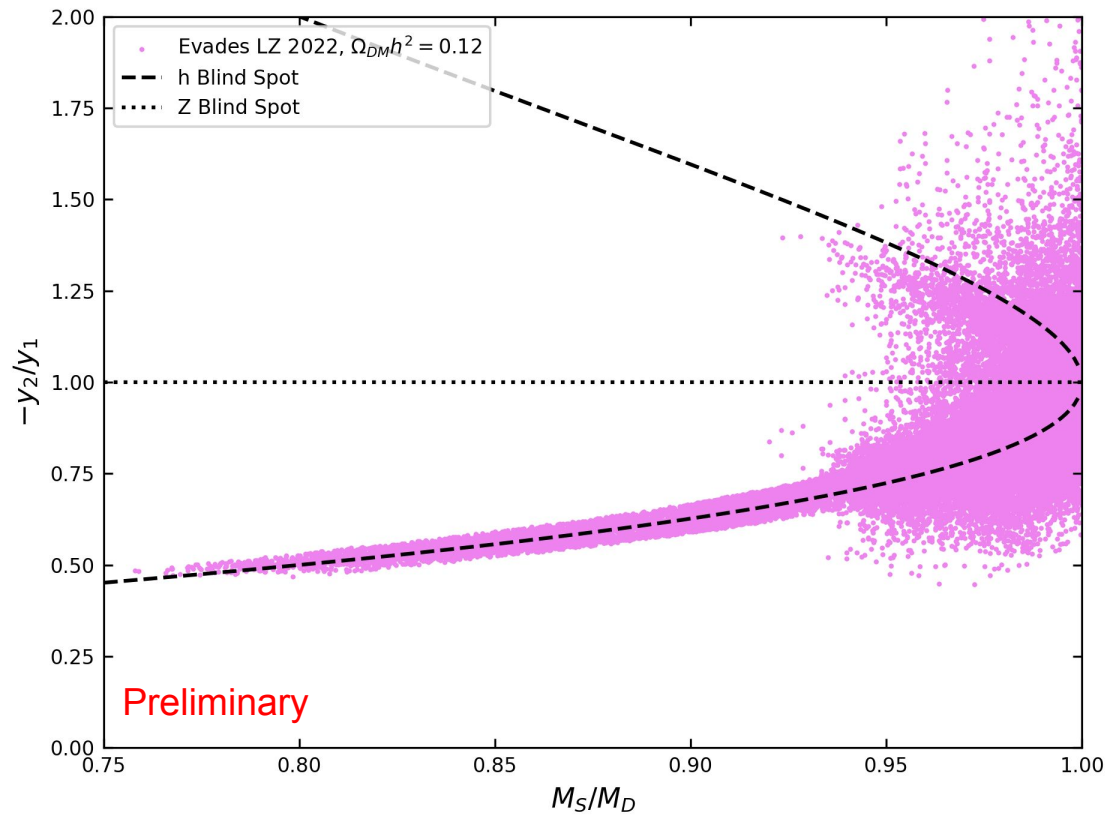
# Probing the Singlet-Doublet Parameter Space

- Key Questions; In what areas of parameter space  $(M_S, M_D, y_1, y_2)$  is it possible to evade direct detection constraints and still produce the correct relic density?
- We perform a targeted parameter scan of  $(M_S, M_D, y_1, y_2)$
- We implement our model using [SARAH](#) and calculate relic densities using [micrOMEGAs](#)

# Results

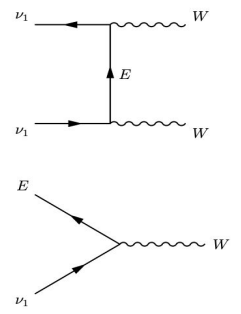
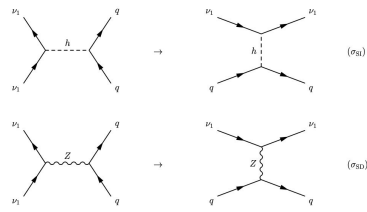
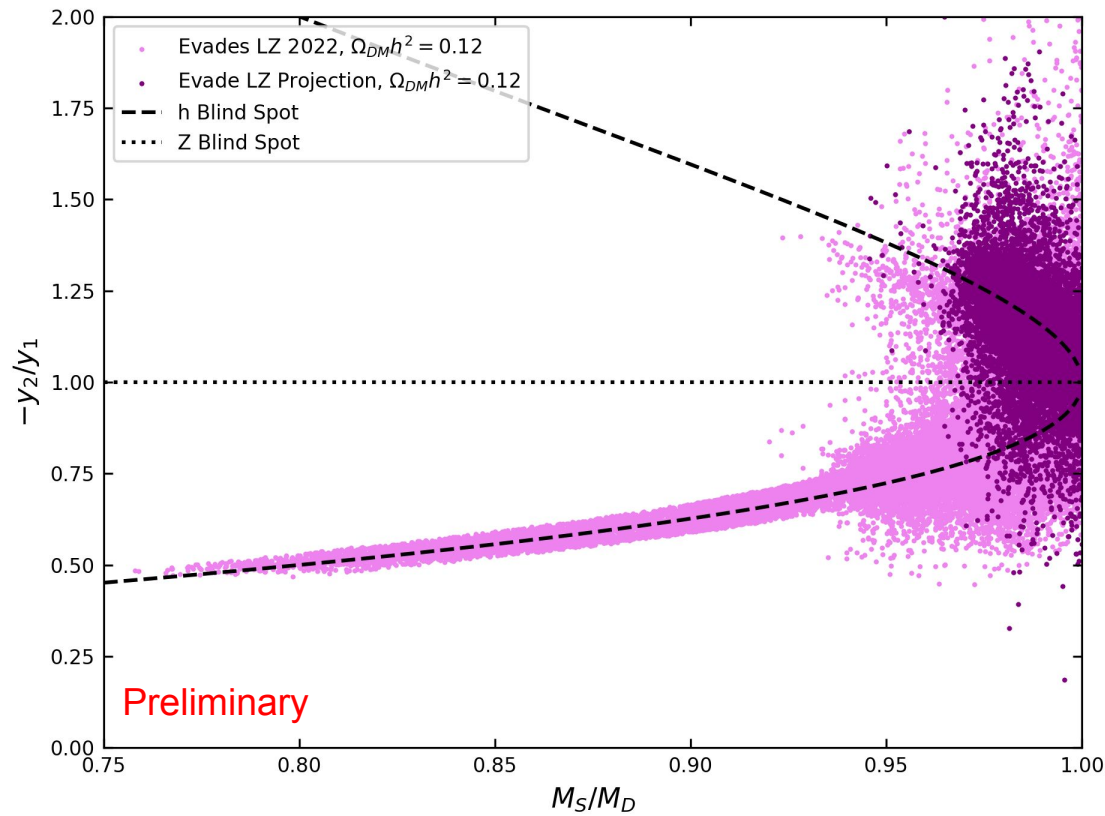


# Blind Spots and Coannihilation



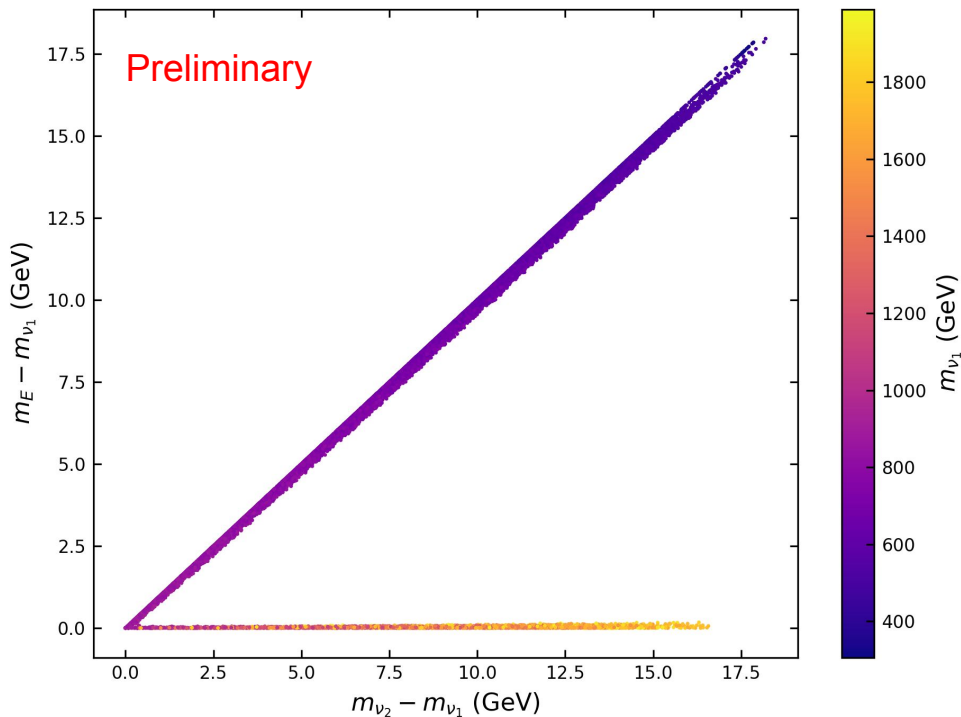
Preliminary

# Blind Spots and Coannihilation

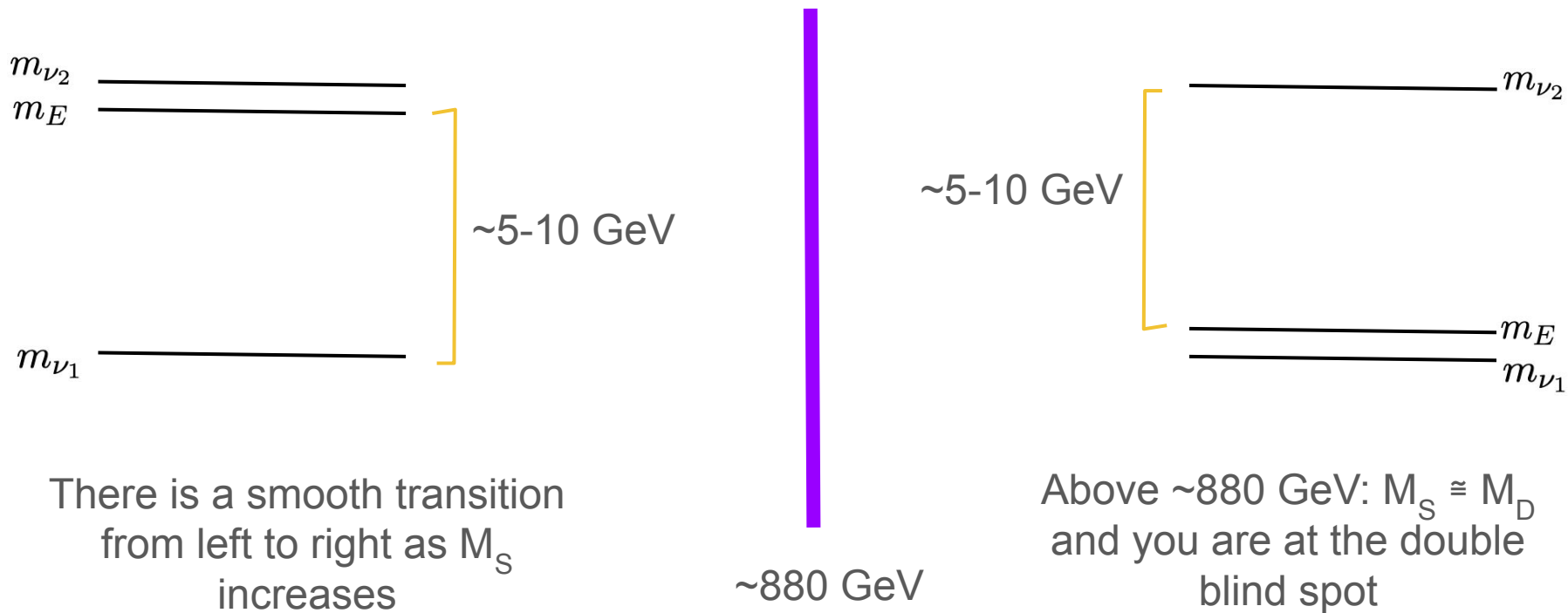


# Where is Direct Detection Difficult?

- Parameter regions outside the reach of LZ have compressed mass spectra
- Possibility of reaching some of these points with the LHC



# Where is Direct Detection Difficult?



# Summary

- Singlet-Doublet Dark Matter is a well-motivated and economical model that captures the essential features of the WIMP paradigm
- To get the correct relic density and evade LZ constraints:
  - The couplings must satisfy blind spot conditions
  - Need some coannihilation in early universe
- Areas of parameter space beyond the reach of LZ have  $M_S \cong M_D$  and may be detectable at the LHC (work in progress)



**Thank You!**