

# Boosted Dark Photons: Looking for Light Dark Matter with Dark Light

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R. ANDREW GUSTAFSON (CENTER FOR NEUTRINO PHYSICS,  
VIRGINIA TECH, GUSTAFR@VT.EDU)

IN COLLABORATION WITH VARUN MATHUR (VT), IAN SHOEMAKER (VT), AND  
MICHAEL GRAESSER (LANL)



# Our Model – Fermionic Dark Matter with a Dark Photon Mediator

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Dark Matter (DM)

Kinematics

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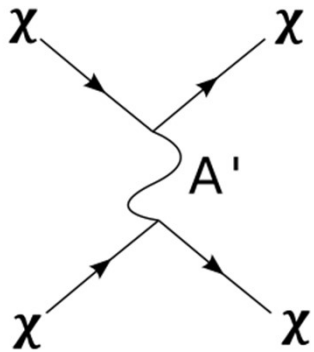
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**Time** →

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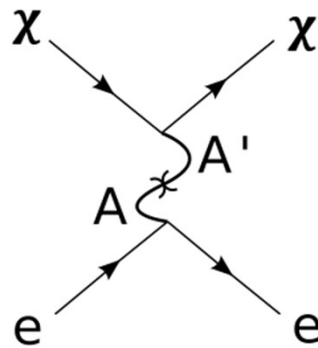
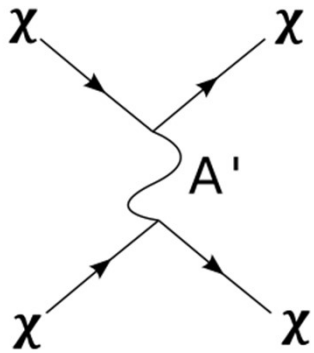
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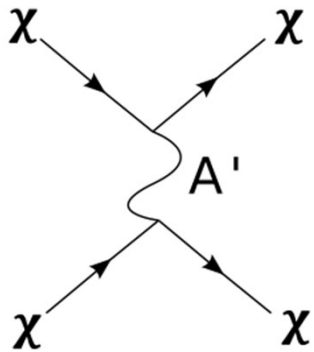
Time  
→



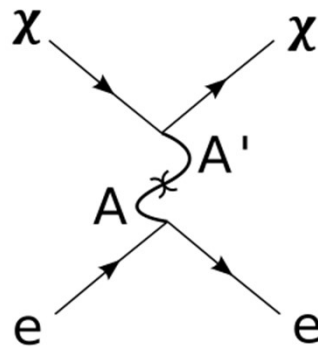
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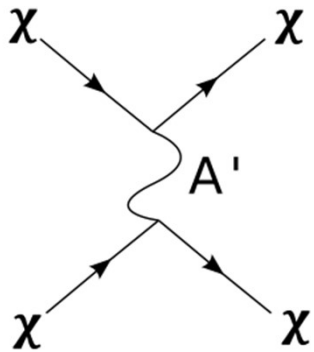
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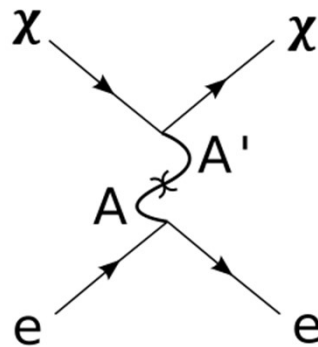
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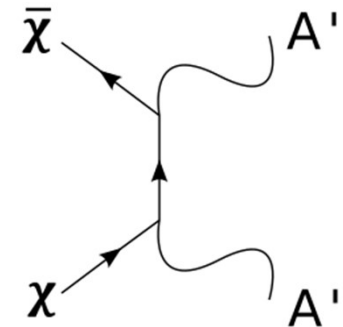
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DP- Photon  
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Time



# DM w/ Boosted DP - Schematic

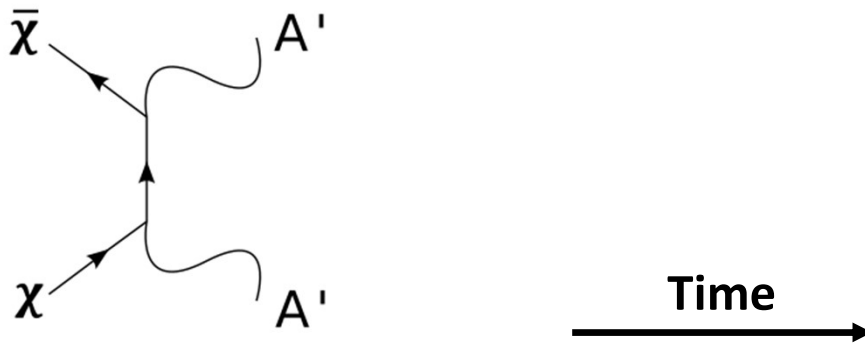
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When  $m_\chi \gg m_{A'}$ , the DPs from annihilation act as Long-Lived Particles with galactic scale decay lengths. The dark photon flux is:

$$\Phi_{A'} = \frac{1}{4\pi} \frac{\langle \sigma_{ann} v \rangle}{2 m_\chi^2} \int d\Omega \int_{LOS} \rho_\chi^2 dx$$

# DM w/ Boosted DP - Schematic

Milky Way Halo

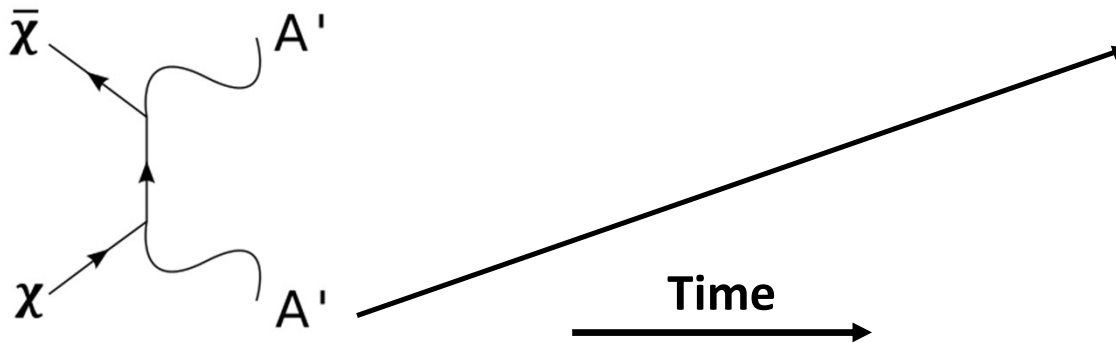


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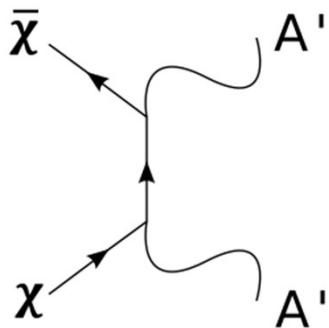


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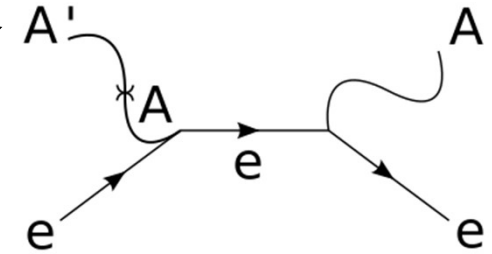
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Terrestrial Detector



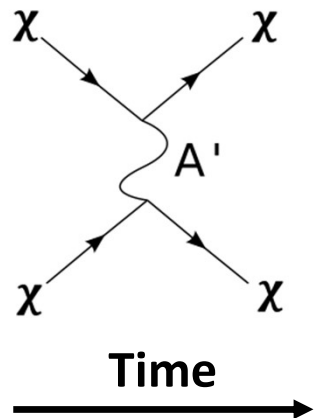
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# Existing Constraints : DM-DM Scattering

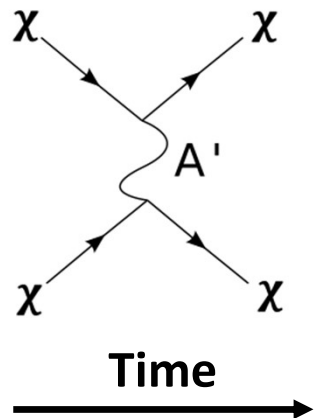
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DM – DM scattering  
constrained by Bullet Cluster  
observations and the  
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[1] Prateek Agrawal, Francis-Yan Cyr-Racine, Lisa Randall, and Jakub Scholtz, "Make dark matter charged again," *Journal of Cosmology and Astroparticle Physics* 2017, 022 (2017).

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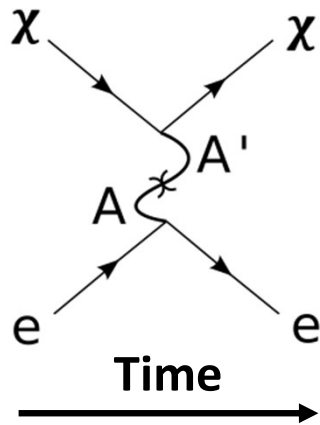
## How to evade these bounds:

Let  $\chi$  make up  $\sim 10\%$  of the total dark matter density. These gravitational observations can have sizable uncertainties.

[1] Prateek Agrawal, Francis-Yan Cyr-Racine, Lisa Randall, and Jakub Scholtz, "Make dark matter charged again," *Journal of Cosmology and Astroparticle Physics* 2017, 022 (2017).



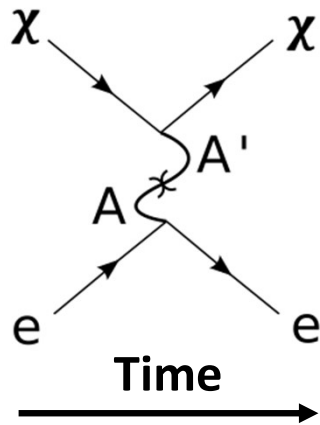
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## How to evade these bounds:

Let  $m_\chi \lesssim \text{MeV}$ . Below this mass, galactic dark matter lacks the energy necessary to produce visible signals in detectors.

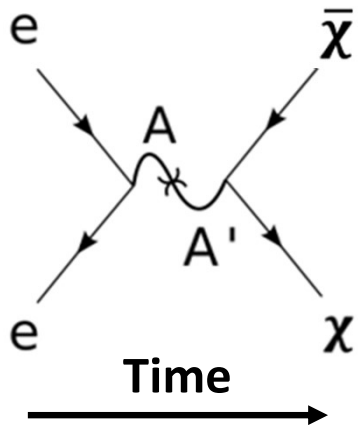
For CMB constraints, we need the cross-section to be small.

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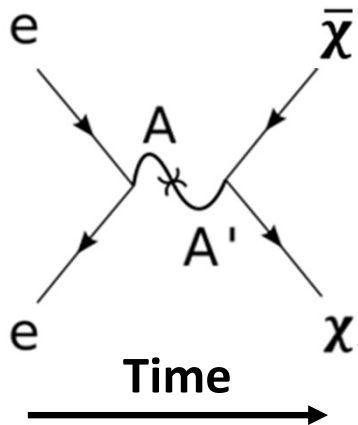
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## How to evade these bounds:

Let  $m_\chi \gg T_{\text{core}}$  ( $\mathcal{O}(10)\text{keV}$ ) so emission is kinematically forbidden

OR

Let  $g_D \epsilon$  be small so  $\chi$  has little coupling to EM currents.

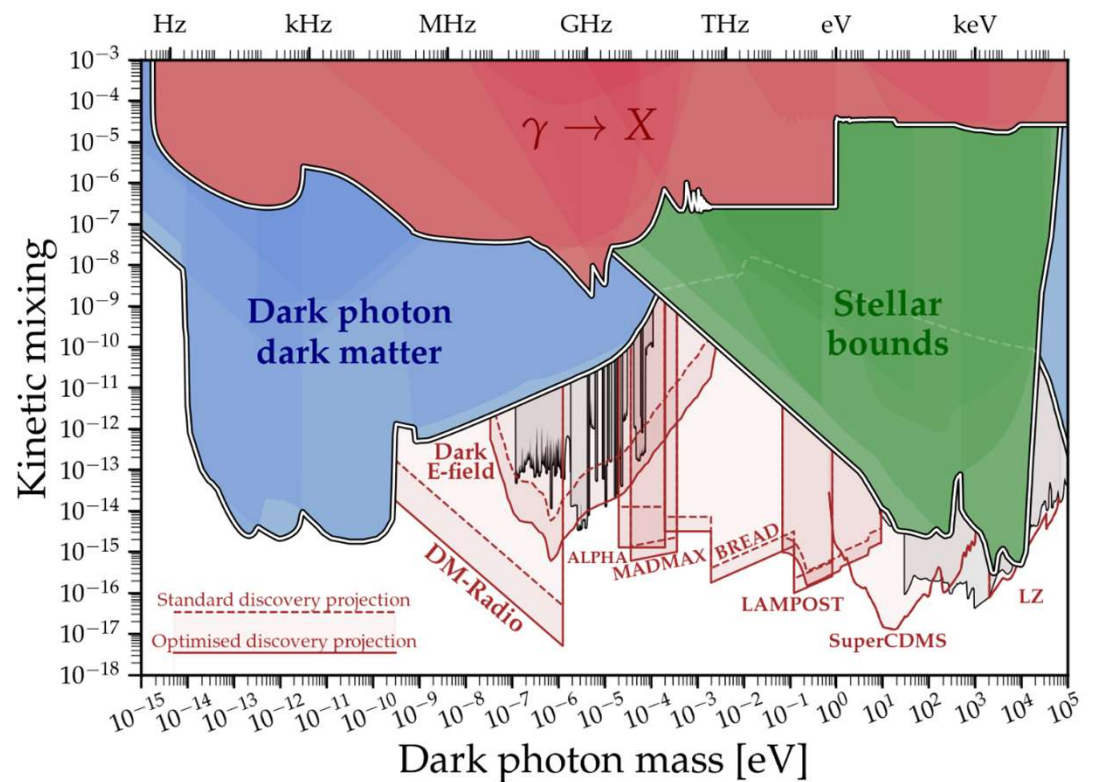
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# Existing Constraints : DP Mixing



For DPs that mix with SM photons, this can lead to DPs free-streaming out of the Sun (and other stars). Stellar cooling observations and direct detection constrains these models.

Constraints weaken when  $m_{A'} < \omega_p$  (the plasma mass)



[6] Andrea Caputo, Ciaran A. J. O'Hare, Alexander J. Millar, and Edoardo Vitagliano, "Dark photon limits: a cookbook," (2021), arXiv:2105.04565 [hep-ph].

# Dark Photon In-Medium Effects

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In matter, dielectric properties lead to a modified photon propagator via a polarization tensor  $\Pi$  [7].

For transversely polarized photons in an isotropic, non-magnetic medium, we relate this polarization tensor to the index of refraction

$$\Pi_T = \omega^2(1 - n_{ref}^2)$$

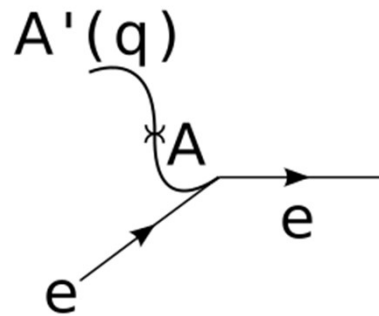
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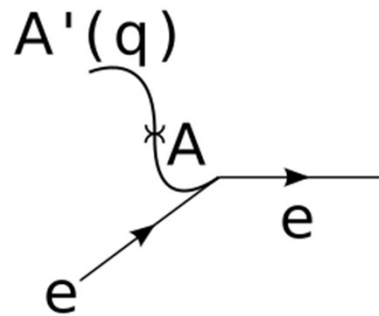
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Mixing      Photon Propagator

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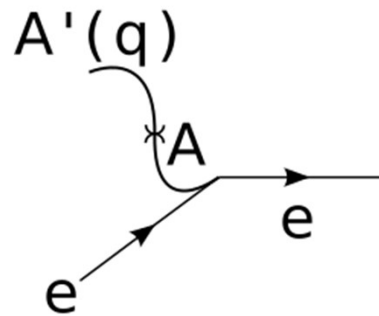


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On-shell condition

$$q^2 = m_{A'}^2$$

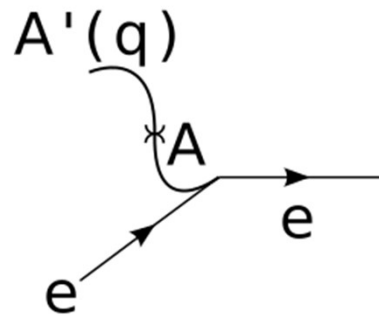
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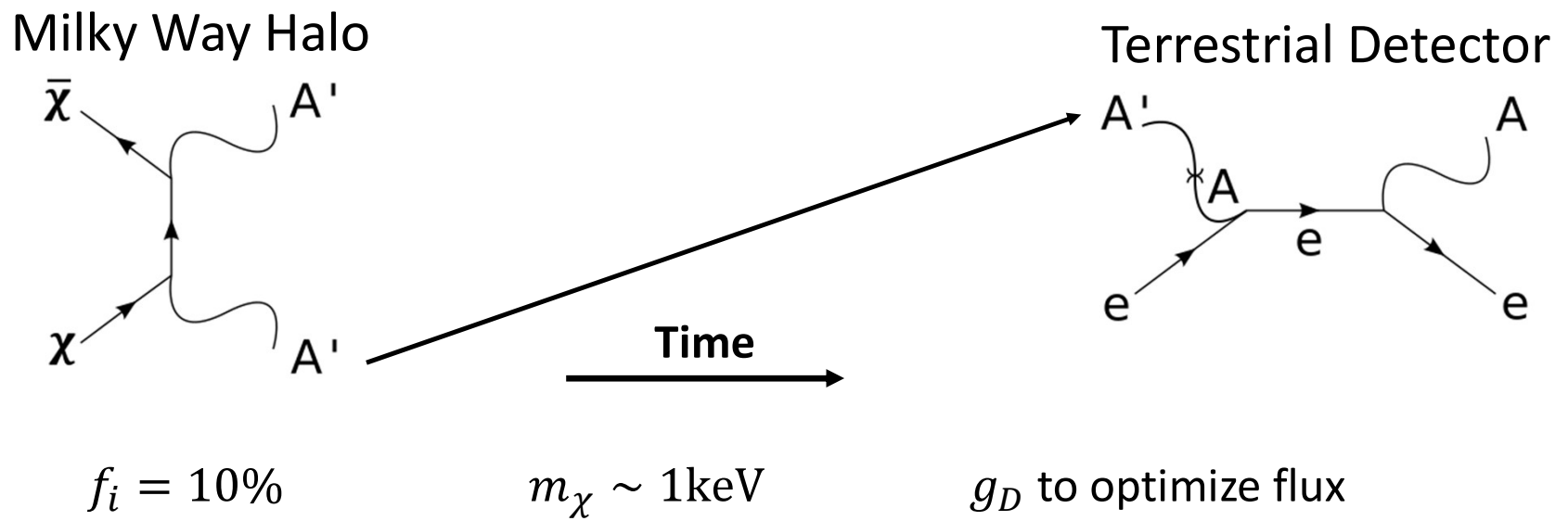
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Mixing      Photon Propagator

$$\epsilon_{\text{eff}} \sim \frac{\epsilon m_{A'}^2}{m_{A'}^2 - \Pi}$$

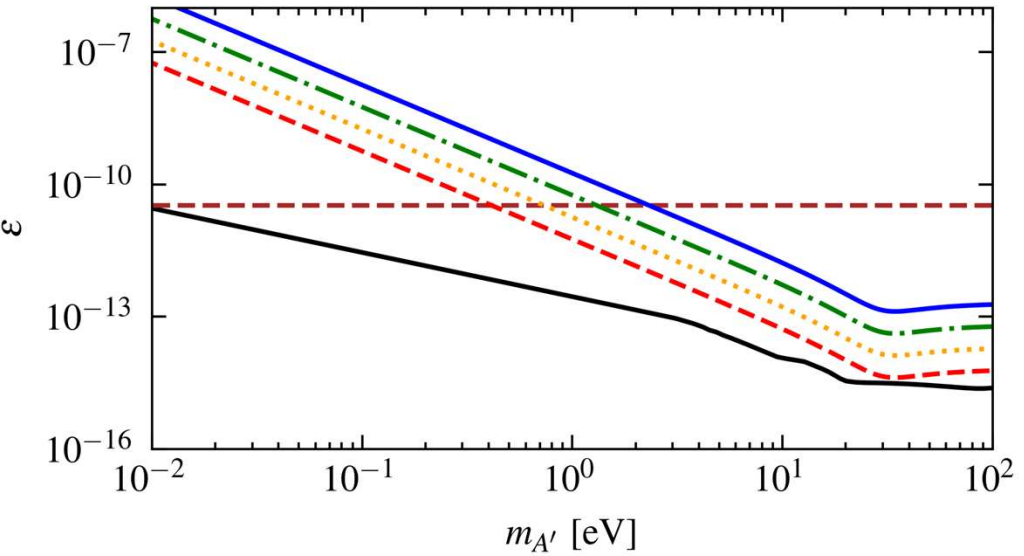
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# Results

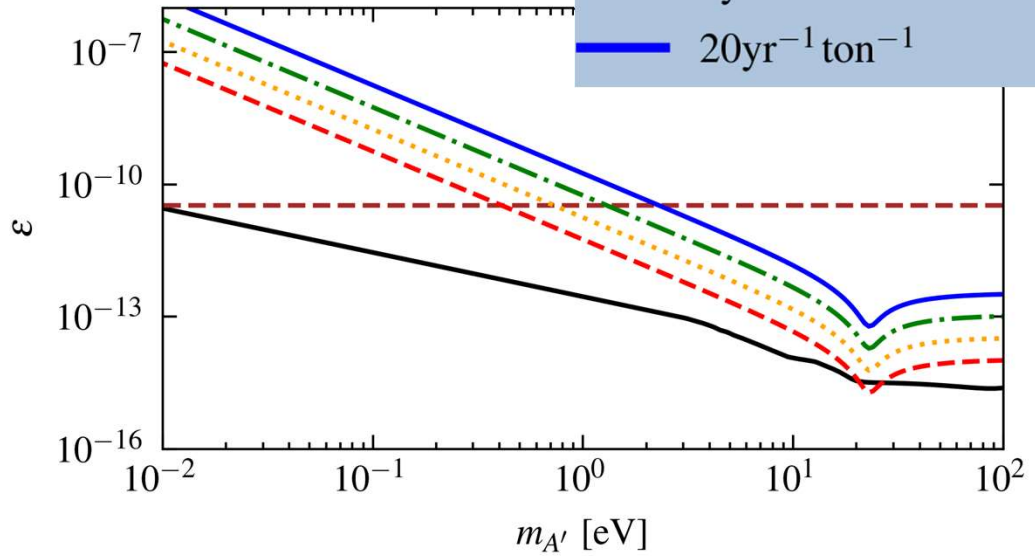


# Results – Liquid Xenon/Argon Detectors

- Solar  $A'$  Bounds
- - Stellar  $\chi$  Cooling
- -  $2 \times 10^{-2} \text{ yr}^{-1} \text{ ton}^{-1}$
- ⋯  $2 \times 10^{-1} \text{ yr}^{-1} \text{ ton}^{-1}$
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- $20 \text{ yr}^{-1} \text{ ton}^{-1}$



Liquid Xenon

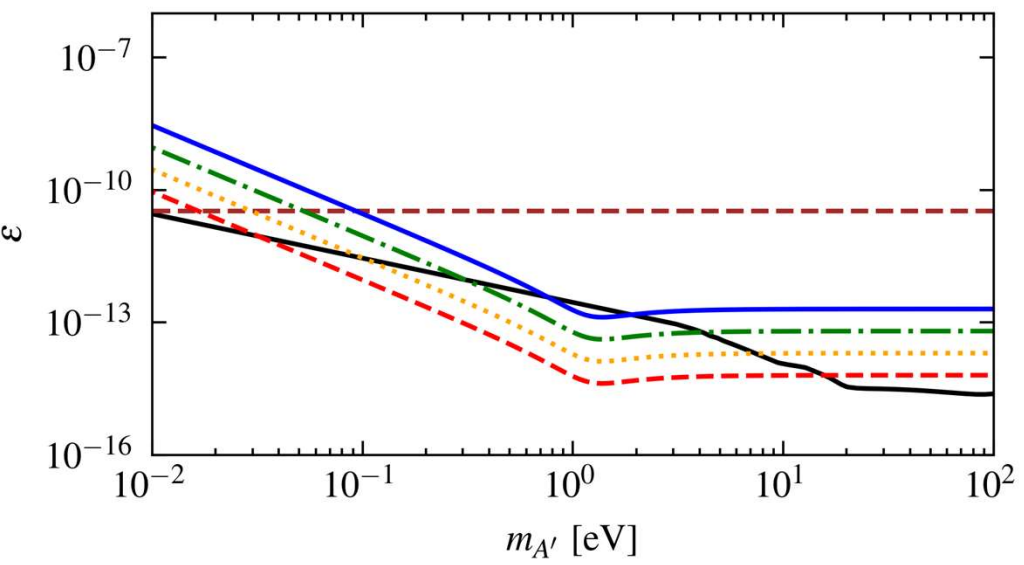


Liquid Argon

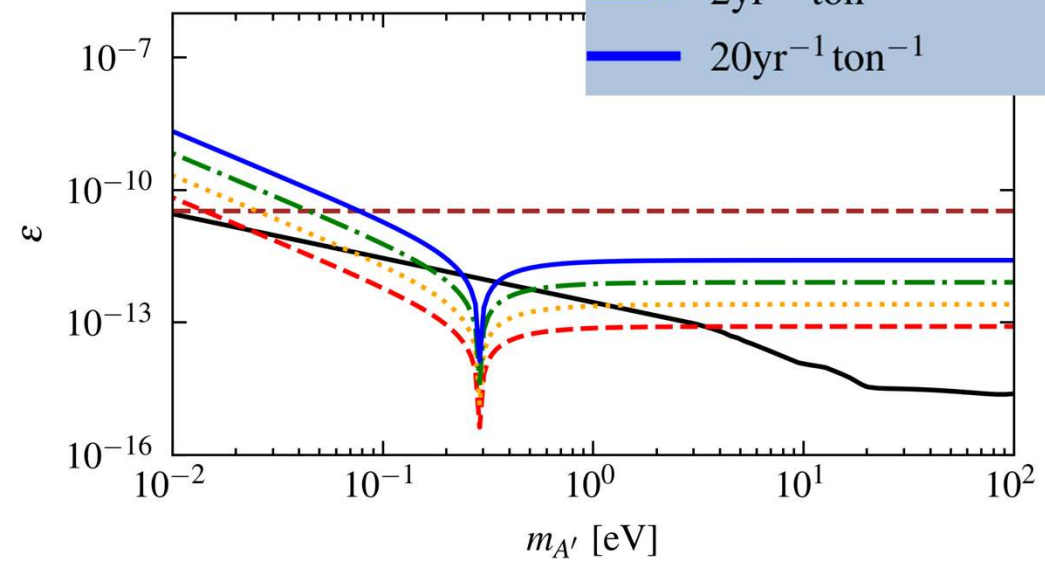
$$f_i = 0.1 ; m_\chi = 1 \text{ keV}$$

# Results – Gaseous Detectors

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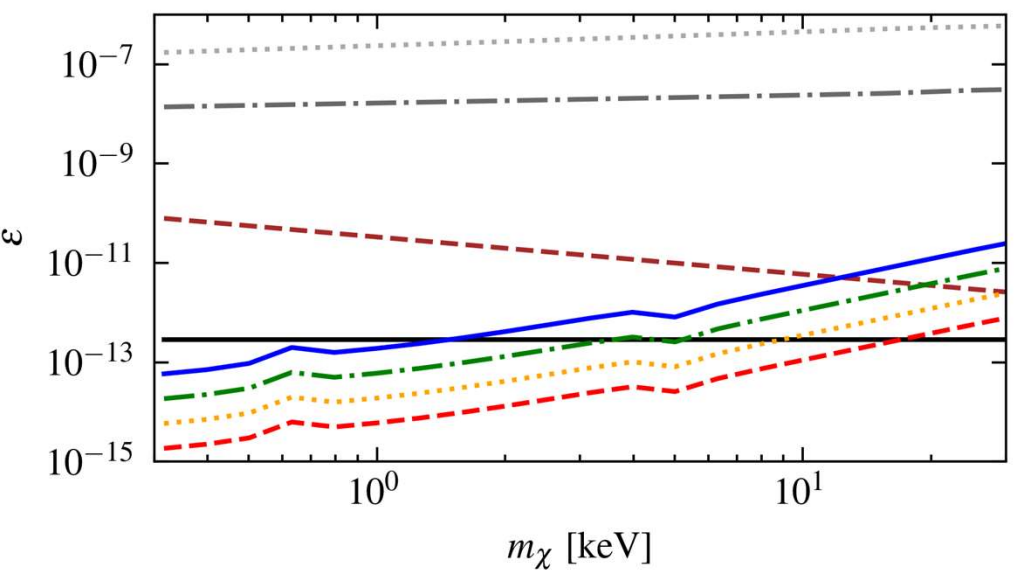
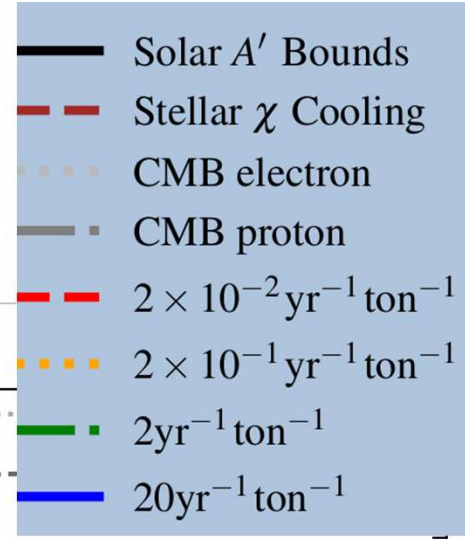
Xenon  $\rho = 5 \text{ kg m}^{-3}$



Helium  $\rho = 0.2 \text{ kg m}^{-3}$

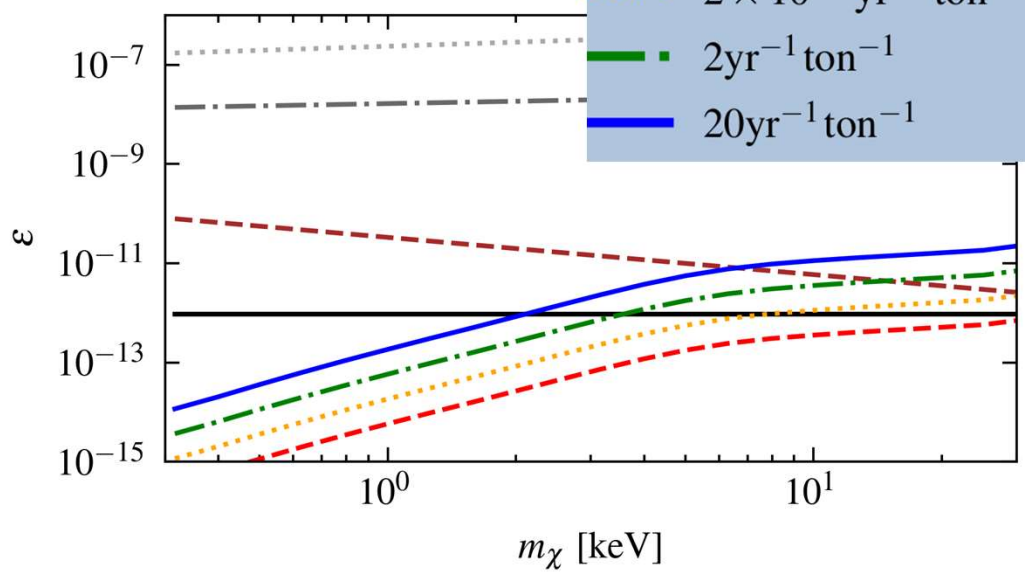
$$f_i = 0.1 ; m_\chi = 1 \text{ keV}$$

# Results – Gaseous Detectors



Xenon  $\rho = 5 \text{ kg m}^{-3}$ ,  
 $m_{A'} = 1 \text{ eV}$

$f_i = 0.1$



Helium  $\rho = 0.2 \text{ kg m}^{-3}$ ,  
 $m_{A'} = 0.3 \text{ eV}$

# Conclusion

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Here, we explore the indirect detection of keV dark matter annihilating into dark photons with an optimized annihilation cross section.

Future detectors can search for this signal if they have the following properties

- ❑ Large Volumes and Low Densities
  - ❑ Gaseous detectors have less suppression from in-medium effects
- ❑ Low Energy Thresholds and Good Energy Resolution
  - ❑ The signal will be a mono-energetic peak at  $m_\chi$
  - ❑ Smaller  $m_\chi$  means more signal
- ❑ Good Spatial Resolution
  - ❑ Dark photons can interact anywhere within the detector, while most x-ray background will be on the detector edges

# Thank You!

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arXiv: 2402.00941  
Phys. Rev. D 109, 095015  
gustaf@vt.edu

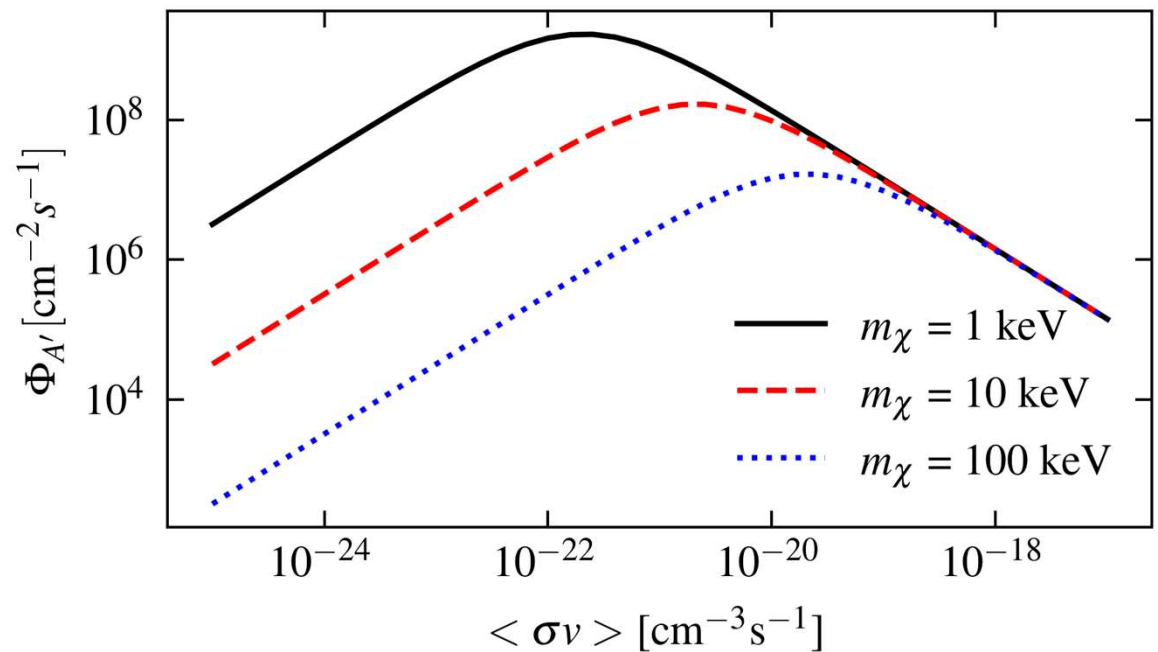


# Bonus Slide - $\chi$ Distribution And DP Flux

We let the  $\chi$  distribution follow an NFW profile with a time-dependent scaling.

$$\rho_\chi(r, t) = f(t) \times \rho_{\text{NFW}}(r)$$

After picking a value of  $f_i = f(t = 0)$ , we can then time-evolve the distribution due to annihilations. Given our choice of  $m_\chi$  and  $\langle \sigma v \rangle$ , we can then compute the flux of dark photons at Earth.

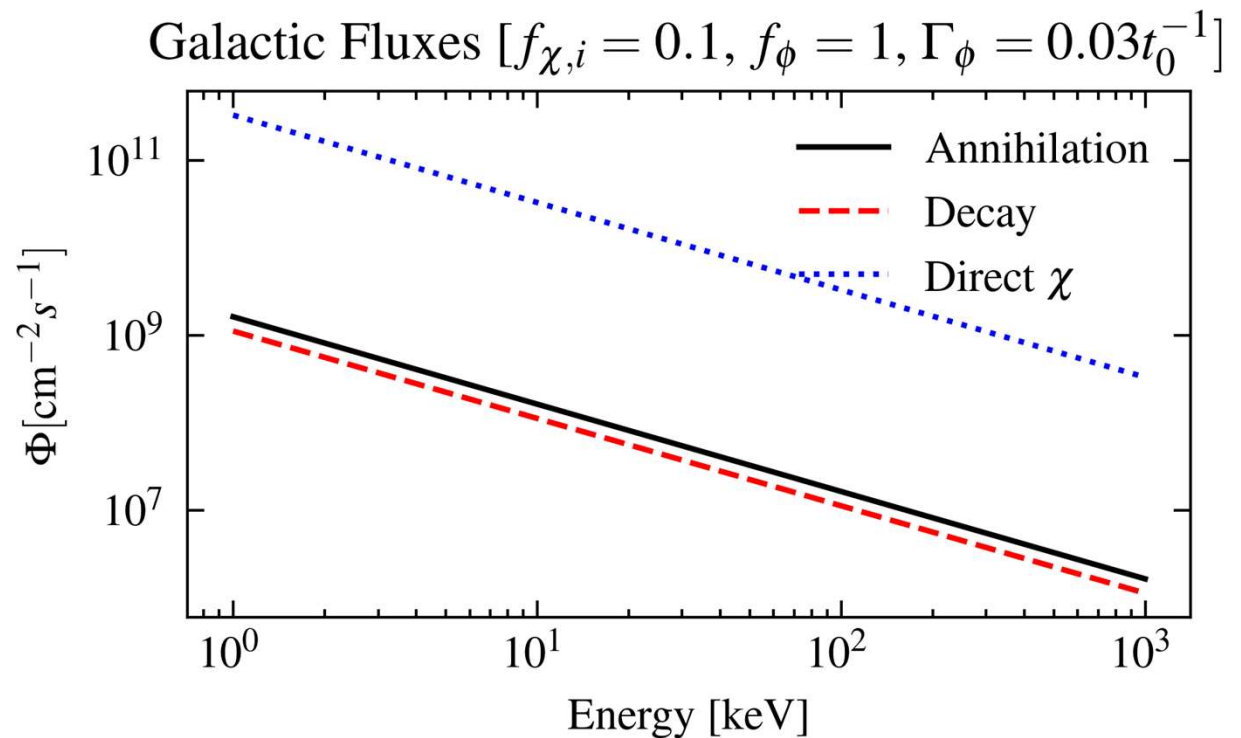


# Bonus Slide – Decaying Dark Matter

An alternative model dark matter model could be a scalar  $\phi$  which decays into DPs

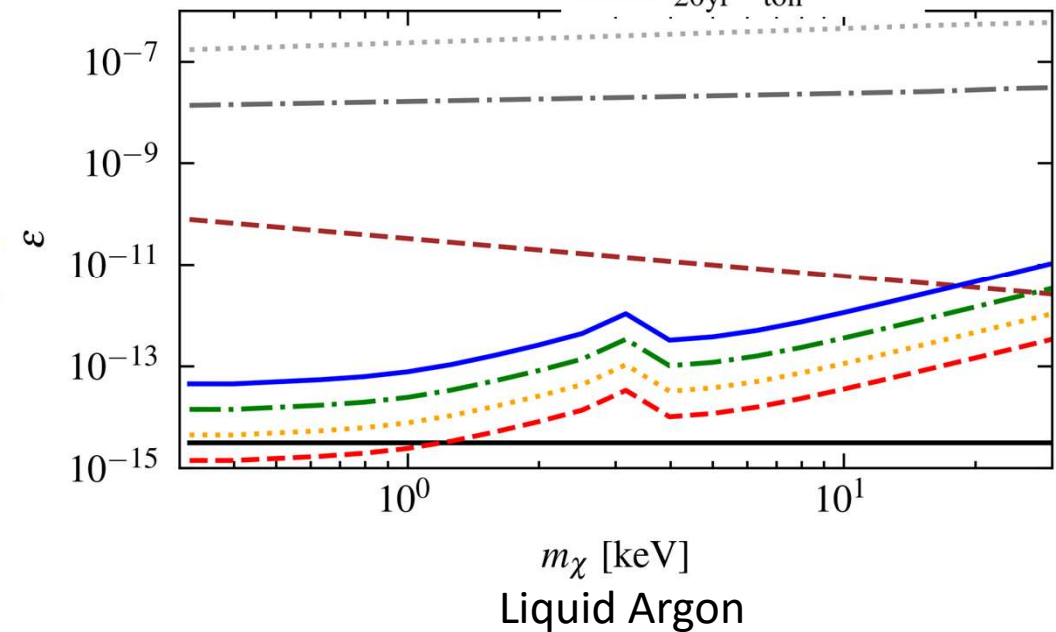
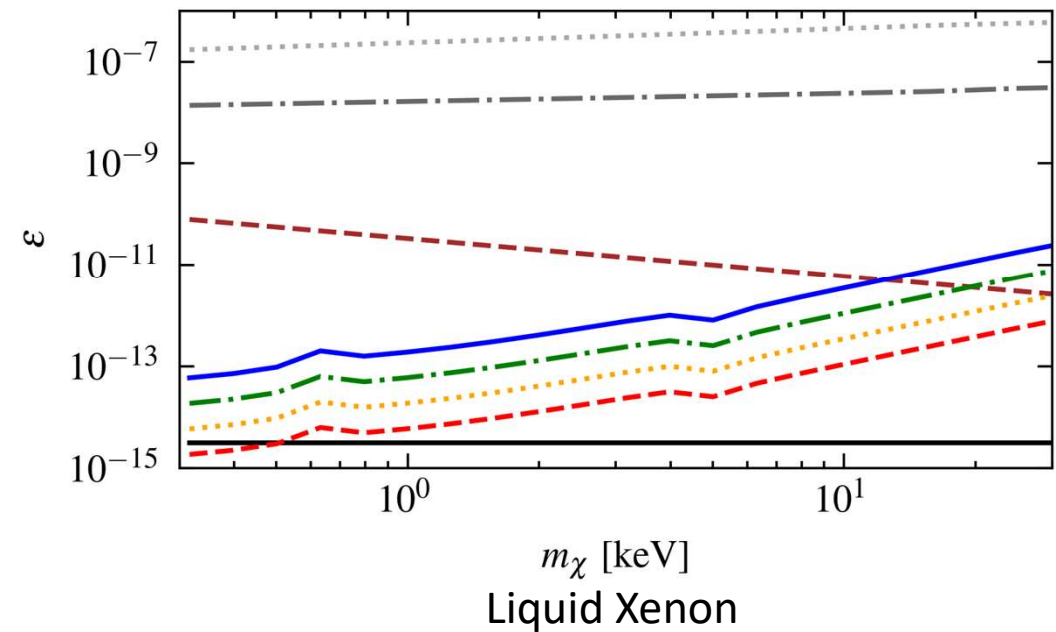
$$\phi \rightarrow A'A'$$

This could produce a flux of similar magnitude to the annihilating case.



# Bonus Slide – Liquid Xenon/Argon Detectors

- Solar Bounds
- - Solar  $\chi$  Cooling
- ⋯ CMB electron
- · - CMB proton
- -  $2 \times 10^{-2} \text{yr}^{-1} \text{ton}^{-1}$
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- $20 \text{yr}^{-1} \text{ton}^{-1}$



$$f_i = 0.1 ; m_{A'} = 25 \text{ eV}$$