





#### RF mushroom cavity design for High Temperature Superconductor (HTS) material test

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## Outline

#### □ Introduction

□ Theoretical framework

Preliminary studies

Conclusions

# SLAC cavity



 $TE_{320}$ -like mode in a "semispherical" cavity

Test properties: • No Electric field

- High Magnetic field
- No electric current on the edge

Test samples under high magnetic fields:

- High-Gradient material
- High Temperature
   Superconductor<sub>3</sub>

3 (in)

# **SLAC** cavity



- Radius = 0.95 in  $\sim 24$  mm 0 HTS sample radius = 10 mm
- Same set up -> Same RF frequency Ο



1.5

3 (in)

 $TE_{320}$ -like mode in a "semispherical" cavity

Test properties: • No Electric field

- High Magnetic field Ο
- No electric current on Ο the edge

Test samples under high magnetic fields:

- High-Gradient material
- High Temperature Ο Superconductor<sub>4</sub>

# Solution approaches

#### Challenge:

- $\circ \text{ Radius} = 0.95 \text{ in} \sim 24 \text{ mm}$  HTS sample radius = 10 mm
- Same set up -> Same RF frequency

#### Solutions:







# Resonant cavity: analytical study

 $TE_{320}$ -like mode in a "semispherical" cavity

 $|E_{\phi}|$ 

$$TE$$
,  $\frac{\partial}{\partial \phi} = 0$  (axial symmetry)

$$E_{\phi}(r,\theta) = E_0 j_n(k_{mn}r) \frac{d}{d\theta} L_n^0(\cos\theta)$$

$$\omega_{m,n} = ck_{mn} = c\left(\frac{r_{mn}}{R}\right)$$

 $\vec{H} = H_r \hat{r} + H_\theta \hat{\theta}$  $\vec{E} = E_\phi \hat{\phi}$ 

 $L_n^0(x)$ : Legendre polynomial

 $j_n(r)$ : spherical Bessel function

 $r_{mn}$ : n-th zero of the m-th spherical Bessel function

$$j_n(r) = \sqrt{\frac{\pi}{2r}} J_{n+\frac{1}{2}}(r)$$



$$E_{\phi} = E_{0}j_{2}(k_{32}r)L_{2}^{0}(\cos\theta)$$
Zeros of  $j_{2}(x)$ 
5.76346
9.09501
12.3229
15.5146

### Solution I



### Solution I





8

### Dielectric resonant cavity







# Conclusions

RF Mushroom cavity update for HTS measurements at SLAC set up.

□ Smaller cavity with dielectric:



 $\circ~$  More freedom in the design.



 $\circ~$  Need of fabrication

□ Same cavity with dielectric and higher order mode:



 $\circ~$  No need of fabrication.



• More constraints to the design



#### Dielectric resonant cavity I



 $|\vec{H}|$ 

 $\left| \vec{E} \right|$ 

### Dielectric resonant cavity II



 $TE_{320}$ -like mode in a "semispherical" cavity