

SMEFT in the Higgs Sector Higher Loop Contributions

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Work in collaboration with [E. Balzani](#), [G. Degrassi](#), [S. Di Noi](#), [R. Gröber](#), [G. Heinrich](#), [J. Lang](#)

SMEFT Framework

Effects due to heavy New Physics can be parametrized by supplementing the SM Lagrangian with higher-dimensional operators that:

- Respect the symmetries of the SM: $SU(3) \times SU(2) \times U(1)$ and Lorentz
- Are built from SM fields
- Are suppressed by powers of a NP scale Λ

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_{D=5}^{\infty} \frac{1}{\Lambda^{D-4}} C_i^{(D)} \mathcal{O}_i^{(D)}$$

- The Lagrangian is built without knowing the underlying UV theory (**Bottom-up approach**)
 - The Wilson Coefficients can probe classes of UV models all at once
 - **This talk:** SMEFT at $D=6$ → Operators defined in the Warsaw basis [[Grzadkowski et al. - 1008.4884](#)]
-

Light-Quark Yukawa Couplings at the LHC

- Projected bounds on coupling modifiers $\kappa_q = y_q / y_q^{SM}$ at HL-LHC [de Blas et al. - 1905.03764]

$$\kappa_u < 560; \quad \kappa_d < 260; \quad \kappa_s < 13; \quad \kappa_c < 1.2$$

- Alternative: sensitivity from specific processes

- Higgs decays (mainly charm) [Bodwin et al. - 1306.5770; Kagan et al. - 1406.1722; König, Neubert - 1505.03870; Alte et al. - 1609.06310]
- Higgs+jet \rightarrow diff. distributions [Bishara et al. - 1606.09253; Soreq et al. - 1606.09621; Bonner, Logan - 1608.04376]
- Other approaches [Aguilar-Saavedra et al. - 2008.12538, Falkowski et al. - 2011.09551; Vignaroli - 2205.09449; Yu - 1609.06592]
- HH production [Alasfar, Corral Lopez, Gröber - 1909.05279; Alasfar et al. - 2207.04157]

See talk by
A. Raspriaza

- Off-shell Higgs production with $H \rightarrow ZZ \rightarrow 4l$ decay [Balzani, Gröber, MV - 2304.09772]
Evidence at LHC [CMS - 2202.06923; ATLAS - 2304.01532] See also [Zhou - 1505.06369]

Light-Quark Yukawas in SMEFT

- We are interested in modifications of the Yukawa sector via D=6 operators

SM

$$\mathcal{L}_y = -y_{ij}^u \bar{Q}_L^i \tilde{\phi} u_R^j - y_{ij}^d \bar{Q}_L^i \phi d_R^j + \text{h.c.}$$

$$\Delta \mathcal{L}_y = \frac{\phi^\dagger \phi}{\Lambda^2} \left((C_{u\phi})_{ij} \bar{Q}_L^i \tilde{\phi} u_R^j + (C_{d\phi})_{ij} \bar{Q}_L^i \phi d_R^j + \text{h.c.} \right)$$

- After EWSB and rotation to mass basis, Lagrangian for Higgs coupling to quarks is

D=6

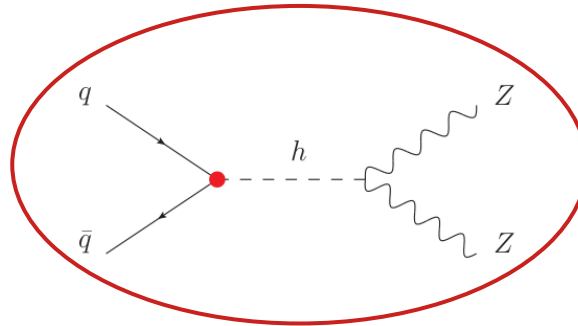
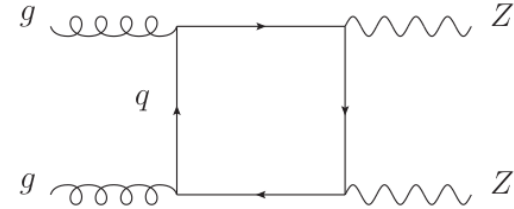
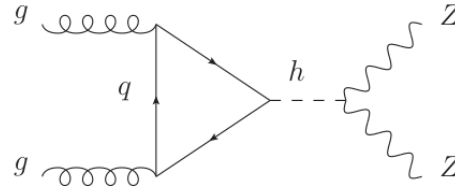
$$\mathcal{L} \supset g_{hq_i \bar{q}_j} \bar{q}_j q_i h + g_{hhq_i \bar{q}_j} \bar{q}_j q_i h^2 + g_{hhhq_i \bar{q}_j} \bar{q}_j q_i h^3$$

$$g_{hq_i \bar{q}_j} = \frac{m_q}{v} \delta_{ij} - \frac{1}{\sqrt{2}} \frac{v^2}{\Lambda^2} (\tilde{C}_{q\phi})_{ij}, \quad g_{hhq_i \bar{q}_j} = -\frac{3}{2\sqrt{2}} \frac{v}{\Lambda^2} (\tilde{C}_{q\phi})_{ij}, \quad g_{hhhq_i \bar{q}_j} = -\frac{1}{2\sqrt{2}} \frac{1}{\Lambda^2} (\tilde{C}_{q\phi})_{ij}$$

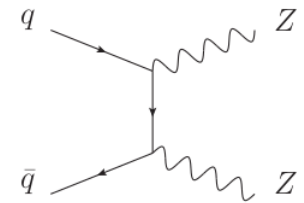
- If we assume flavor-diagonal couplings $\rightarrow g_{hq\bar{q}} = \kappa_q \frac{m_q}{v}$

Enhancing Light Yukawas in $pp \rightarrow ZZ$

- Negligible effects in ggF
→ treated as SM
- Largest modifications in qq-channel
- NP in coupling with PDFs
→ focus only on first generation



Signal



$$g_{hq\bar{q}} = \kappa_q \frac{m_q}{v}$$

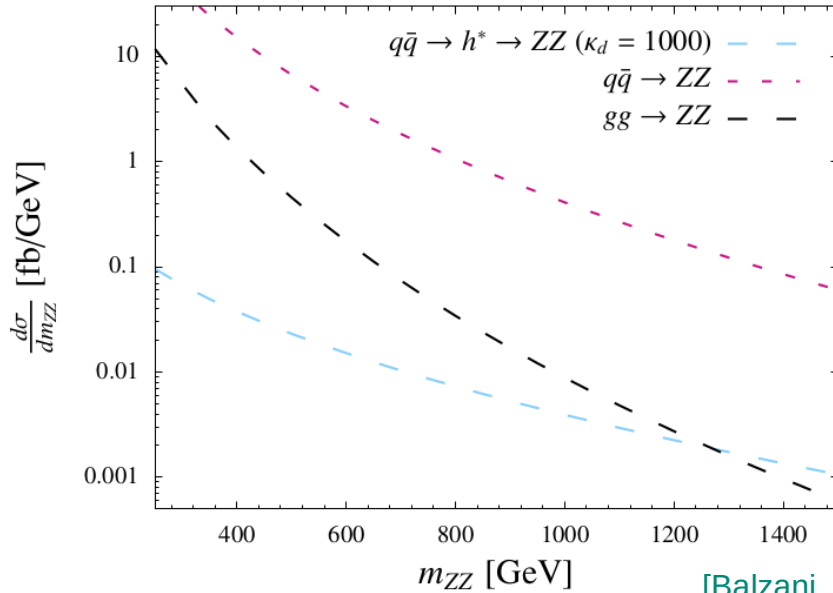
Off-Shell Higgs Production

$$\tilde{C}_{d\phi}/(1 \text{ TeV}^2) = 0.45$$

$$\tilde{C}_{u\phi}/(1 \text{ TeV}^2) = 0.21$$



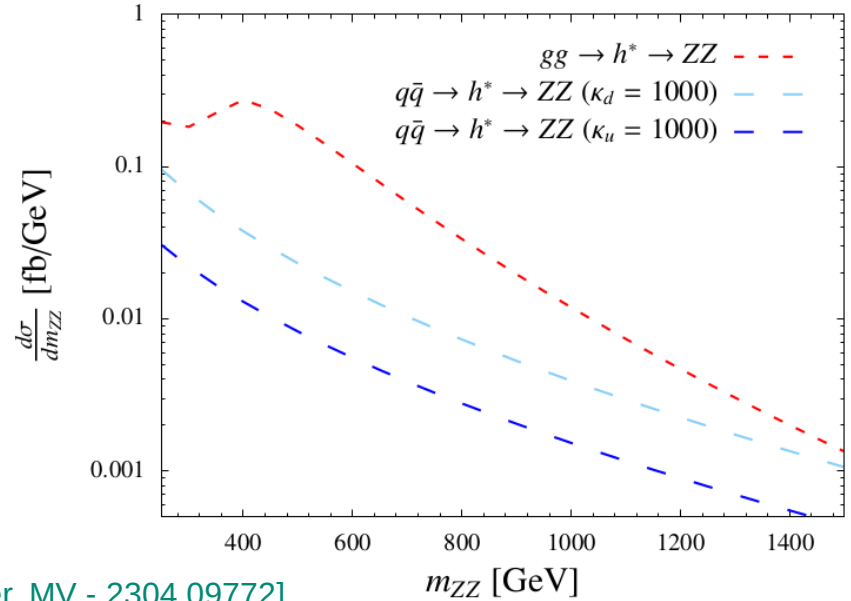
Comparing all partonic channels



[Balzani, Gröber, MV - 2304.09772]

Signal gains importance because of destructive interference in $gg \rightarrow ZZ$

Comparing Higgs-mediated channels



Signal gains importance because of different fall of PDFs

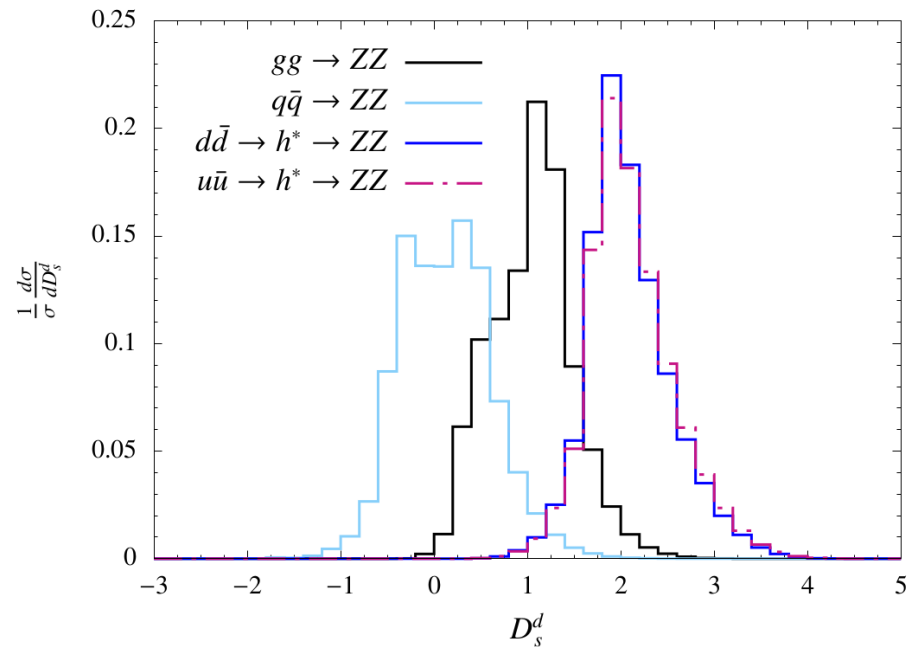
Kinematic Discriminants

[Campbell et al. - 1311.3589; CMS - 2202.06923; Haisch, Koole - 2111.12589, ...]

$$D_s^d = \log_{10} \left(\frac{P_{d\bar{d}}^{sig}}{P_{q\bar{q}}^{back} + P_{g\bar{g}}^{back}} \right)$$

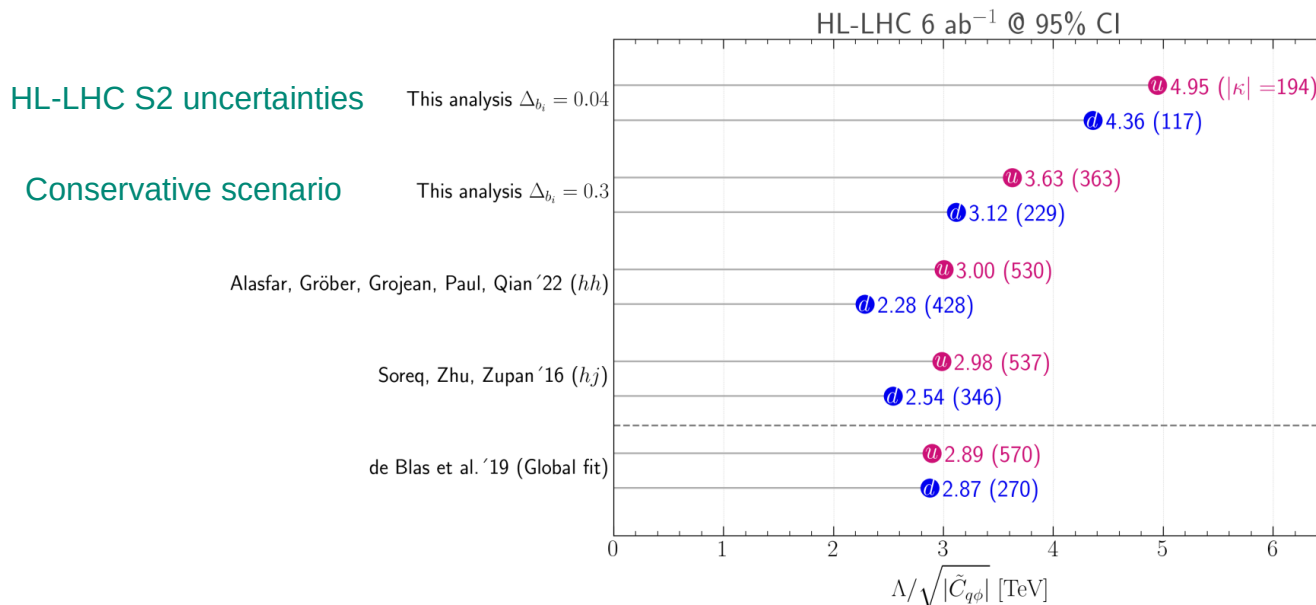
$$P_{ij}(v) = \frac{1}{\sigma_{ij \rightarrow 4\ell}} \int dx_1 dx_2 \delta(x_1 x_2 E_{CMS}^2 - m_{4\ell}^2) f_i(x_1) f_j(x_2) \hat{\sigma}_{ij}(x_1, x_2, v)$$

- For $D_s^d > 2$ selects basically only events from signal process
- Not possible to distinguish between $d\bar{d} \rightarrow h^*$ and $u\bar{u} \rightarrow h^*$



Comparison with Previous Studies

- Shape analysis on D_s^d distributions – off-shell region defined by $m_{ZZ} > 250$ GeV
- Consider only the $ZZ \rightarrow 4l$ final state

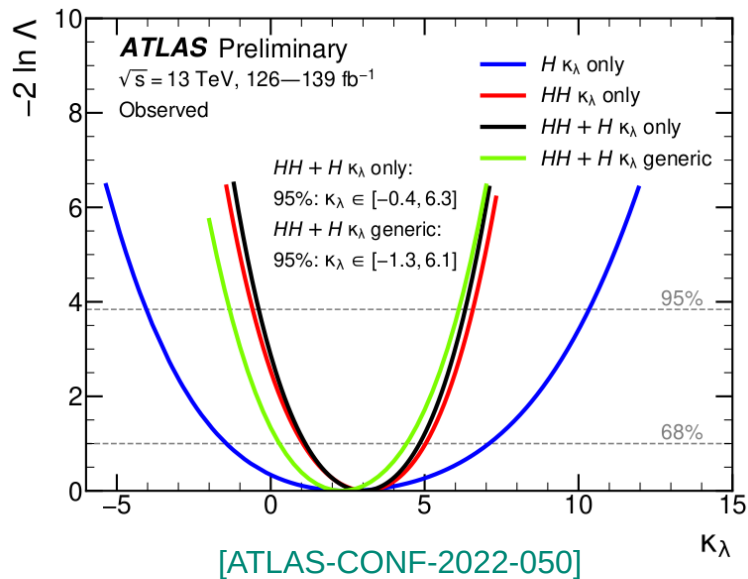
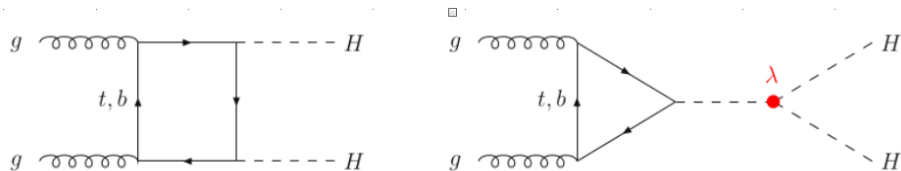


Higgs Probes of Trilinear Coupling

$$V(h) = \frac{m_H^2}{2} h^2 + \lambda_3 v h^3 + \frac{\lambda_4}{4} h^4$$

- HH production has the best sensitivity

See talk by N. P. Readoff



- Single-Higgs measurements are helpful, too

[McCullough - 1312.3322;
 Gorbahn, Haisch – 1607.03773;
 Degrossi, Giardino, Maltoni, Pagani – 1607.04251;
 Bizon, Gorbahn, Haisch, Zanderighi – 1610.05771;
 Maltoni, Pagani, Shivaji, Zhao – 1709.08649;
 Di Vita, Grojean, Panico, Riemann, Vantalon – 1704.01953;
 Degrossi, Vitti - 1912.06429]

- In this case, λ_3 enters via loop contributions



Trilinear coupling in $H \rightarrow Z\gamma$

[Degrassi, Vitti - 1912.06429]

- Recent evidence in [ATLAS, CMS - 2309.03501]
- The trilinear coupling enters at **two loops**
- Amplitude obtained from a Taylor expansion in the external momenta

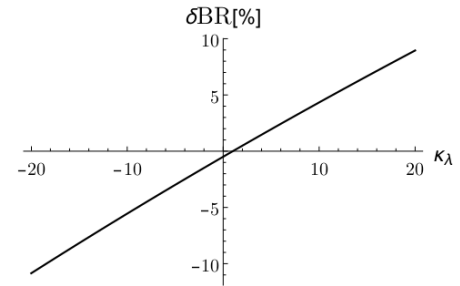
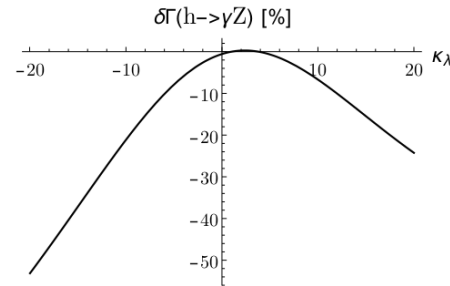
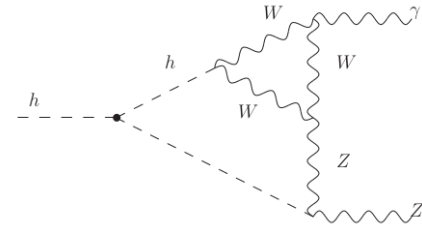
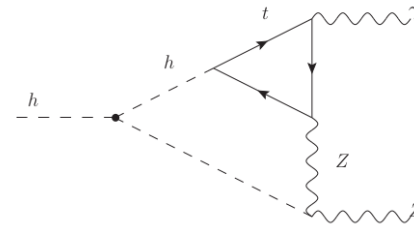
$$\frac{q_1^2}{4m^2}, \frac{q_2^2}{4m^2}, \frac{q_1 \cdot q_2}{4m^2} \ll 1$$

$$m = m_H, m_t, m_W, m_Z$$

After the expansion $q_1^2 = 0, q_2^2 = m_Z^2, q_1 \cdot q_2 = (m_H^2 - m_Z^2)/2$

- Sensitivity comparable to other single-Higgs processes

[Degrassi, Giardino, Maltoni, Pagani – 1607.04251]



Trilinear coupling in $H \rightarrow Z\gamma$

[Degrassi, Vitti - 1912.06429]

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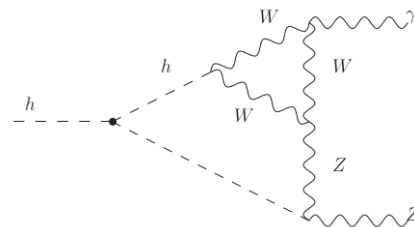
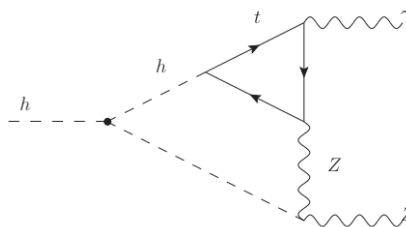
After the expansion $q_1^2 = 0, q_2^2 = m_Z^2, q_1 \cdot q_2 = (m_H^2 - m_Z^2)/2$

- Connection to SMEFT: calculation using

$$V^{NP} = \sum_{n=1}^N c_{2n} (\Phi^\dagger \Phi)^n,$$

$$\Phi = \begin{pmatrix} \phi^+ \\ \frac{1}{\sqrt{2}}(v + h + i\phi_2) \end{pmatrix}$$

- When truncating at $n \leq 3$ recover SMEFT with only $\mathcal{O}_\phi = (\Phi^\dagger \Phi)^3$ switched on



4-top operators in the SMEFT

- Loosely constrained, difficult to access directly

Constraints possible from

- Top-quark data

[Zhang – 1708.05928

D'Hondt, Mariotti, Mimasu, Moortgat, Zhang – 1807.02130

Hartland, Maltoni, Nocera, Rojo, Slade, Vryonidou, Zhang – 1901.05965

Brivio, Bruggisser, Maltoni, Moutafis, Plehn, Vryonidou, Westhoff, Zhang – 1910.03606

Ellis, Madigan, Mimasu, Sanz You – 2012.02779

SMEFiT Collaboration – 2105.00006

Degrande, Rosenfeld, Vasquez - 2402.06528

Celada, Giani, ter Hoeve, Mantani, Rojo, Rossia, Thomas, Vryonidou - 2404.12809]

- EWPOs

[Dawson, Giardino – 2201.09887;

de Blas, Chala, Santiago - 1507.00757]

$$\begin{aligned}\mathcal{L}_{4t} = & \frac{c_{QQ}^{(1)}}{\Lambda^2} (\bar{Q}_L \gamma_\mu Q_L) (\bar{Q}_L \gamma^\mu Q_L) \\ & + \frac{c_{QQ}^{(3)}}{\Lambda^2} (\bar{Q}_L \tau^I \gamma_\mu Q_L) (\bar{Q}_L \tau^I \gamma^\mu Q_L) \\ & + \frac{c_{Qt}^{(1)}}{\Lambda^2} (\bar{Q}_L \gamma_\mu Q_L) (\bar{t}_R \gamma^\mu t_R) \\ & + \frac{c_{Qt}^{(8)}}{\Lambda^2} (\bar{Q}_L T^A \gamma_\mu Q_L) (\bar{t}_R T^A \gamma^\mu t_R) \\ & + \frac{c_{tt}}{\Lambda^2} (\bar{t}_R \gamma_\mu t_R) (\bar{t}_R \gamma^\mu t_R) .\end{aligned}$$

Single-Higgs Processes and 4-top Operators

- Competitive bounds from single-Higgs production and decay [Alasfar, de Blas, Gröber - 2202.02333]

$$\{gg \rightarrow H; t\bar{t}H; H \rightarrow \gamma\gamma; H \rightarrow gg; H \rightarrow b\bar{b}\}$$

- \mathcal{O}_ϕ included in the fit \rightarrow bounds on Higgs trilinear coupling become less stringent

[Alasfar, de Blas, Gröber - 2202.02333]

No RGE logs included

RGE logs included

$$\delta R_{\lambda_3} \sim \mathcal{O}(\Lambda^{-2}), \delta R_{C_i}^{fin}$$

$$\delta R_{\lambda_3} \sim \mathcal{O}(\Lambda^{-2}), \delta R_{C_i}$$

$$\delta R_{\lambda_3} \sim \mathcal{O}(\Lambda^{-4}), \delta R_{C_i}^{fin}$$

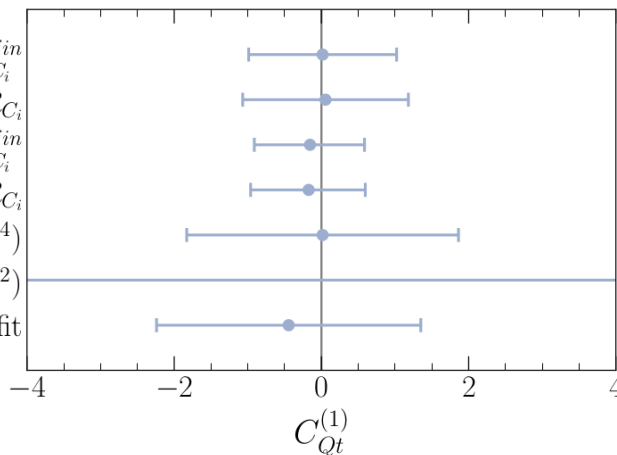
$$\delta R_{\lambda_3} \sim \mathcal{O}(\Lambda^{-4}), \delta R_{C_i}$$

$$\text{top} \sim \mathcal{O}(\Lambda^{-4})$$

$$\text{top} \sim \mathcal{O}(\Lambda^{-2})$$

$$\frac{C_{Qt}^{(1)}}{\Lambda^2} (\bar{Q}_L \gamma_\mu Q_L) (\bar{t}_R \gamma^\mu t_R)$$

EWPO fit



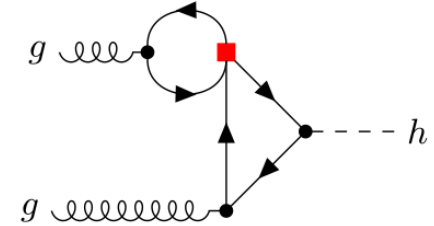
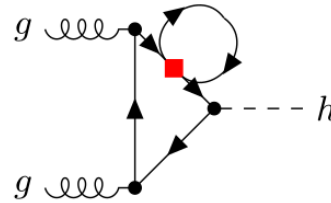
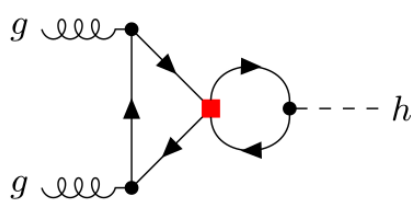
$\langle C_{Qt}^{(1)} \rangle$	95% CI
0.0	[-1.0, 1.0]
0.1	[-1.1, 1.2]
-0.2	[-0.9, 0.6]
-0.2	[-1.0, 0.6]
0.0	[-1.8, 1.9]
-18.0	[-195.0, 159.0]
-0.4	[-2.2, 1.4]

Stability wrt $(1/\Lambda)^n$ expansion

- HH production discussed in [Heinrich, Lang – 2311.15004; 2409.19578]

- In both cases the 4-top operators can enter at **two loops**

4-top Operators in $gg \rightarrow H$



- 4-top operators involve chiral projectors \Rightarrow treatment of γ^5 required in Dim Reg

$$\gamma^5 = i\gamma^0\gamma^1\gamma^2\gamma^3 \Rightarrow \text{Intrinsically 4-dimensional object}$$

In $D \neq 4$, the following properties cannot be satisfied at the same time

- Anticommutativity $\Rightarrow \{\gamma^5, \gamma^\mu\} = 0$
- Cyclicity of Trace
- $\text{Tr}[\gamma^\mu\gamma^\nu\gamma^\rho\gamma^\sigma\gamma^5] = 4i \varepsilon^{\mu\nu\rho\sigma}$

Vast(!) literature of approaches to address this. We considered two cases

[Di Noi, Gröber, Heinrich,
Lang, MV - 2310.18221]

Continuation Schemes for γ^5

Naive Dim Reg (NDR)

[Chanowitz, Furman, Hinchliffe ('79)]

- Extend $\{\gamma^5, \gamma^\mu\} = 0$ to $D \neq 4$

Computationally convenient

Cyclicity of trace lost

Breitenlohner, Maison, 't Hooft, Veltman (BMHV)

['t Hooft, Veltman ('72);
Breitenlohner, Maison ('79)]

- Split the Dirac algebra

$$\gamma_\mu^{(D)} = \gamma_\mu^{(4)} + \gamma_\mu^{(D-4)},$$
$$\{\gamma_\mu^{(4)}, \gamma_5\} = 0, \quad [\gamma_\mu^{(D-4)}, \gamma_5] = 0$$

Algebraically consistent

Breaking of chiral WIs

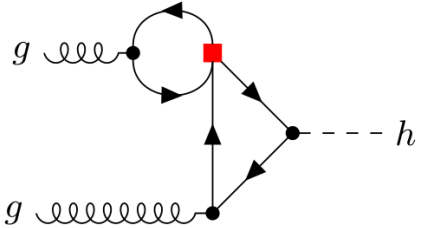
[Larin - 9302240
Bélusca-Maito, Ilakovac, Kühler, Mador-Božinović,
Stöckinger, Weißwange - 2303.09120
Cornella, Feruglio, Vecchi - 2205.10381]

- Physical observables will be independent of the γ^5 scheme, but intermediate expressions will differ by $\mathcal{O}(\varepsilon)$ contributions

Scheme-Dependent Contributions

[Di Noi, Gröber, Heinrich, Lang, MV - 2310.18221]

■ Scheme-dependent pole in the gluon-top vertex modification



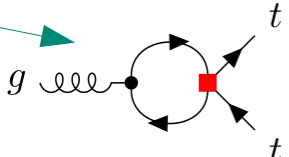
$$= \frac{K_{tG}}{2} \left(\mathcal{C}_{Qt}^{(1)} - \frac{1}{6} \mathcal{C}_{Qt}^{(8)} \right) \frac{1}{\Lambda^2} \frac{1}{\varepsilon} \frac{g_s m_t \sqrt{2}}{2\pi^2} \delta^{A_1 A_2} (m_h^2/2 g^{\mu_1 \mu_2} - p_1^{\mu_2} p_2^{\mu_1})$$

DIV

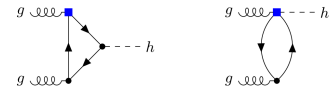
$$K_{tG} = \begin{cases} \frac{\sqrt{2} m_t g_s}{16\pi^2 v} & \text{(NDR)} \\ 0 & \text{(BMHV)} \end{cases}$$

■ This is due to a **finite mixing** with the **chromomagnetic** operator at one-loop

$$\mathcal{O}_{tG} = \bar{Q}_L \sigma^{\mu\nu} T^A t_R \tilde{\phi} G_{\mu\nu}^A$$



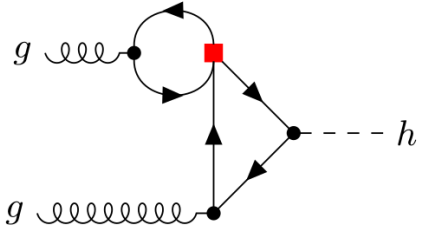
$$= \frac{\mathcal{C}_{Qt}^{(1)} - \frac{1}{6} \mathcal{C}_{Qt}^{(8)}}{\mathcal{C}_{tG}} K_{tG} \times \text{[Diagram of chromomagnetic operator vertex]}$$



Scheme-Dependent Contributions

[Di Noi, Gröber, Heinrich, Lang, MV - 2310.18221]

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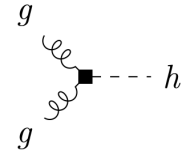


$$= \frac{K_{tG}}{2} \left(C_{Qt}^{(1)} - \frac{1}{6} C_{Qt}^{(8)} \right) \frac{1}{\Lambda^2} \frac{1}{\varepsilon} \frac{g_s m_t \sqrt{2}}{2\pi^2} \delta^{A_1 A_2} (m_h^2/2 g^{\mu_1 \mu_2} - p_1^{\mu_2} p_2^{\mu_1})$$

DIV

$$K_{tG} = \begin{cases} \frac{\sqrt{2} m_t g_s}{16\pi^2 v} & \text{(NDR)} \\ 0 & \text{(BMHV)} \end{cases}$$

■ Leads to a scheme-dependent anomalous dimension for $\mathcal{O}_{\phi G} = \phi^\dagger \phi G_{\mu\nu} G^{\mu\nu}$



$$16\pi^2 \mu \frac{d\mathcal{C}_{\phi G}}{d\mu} = -4\sqrt{2} g_{h\bar{t}t} g_s \left(C_{tG} + K_{tG} \left(C_{Qt}^{(1)} - \frac{1}{6} C_{Qt}^{(8)} \right) \right)$$

Two-loop

Scheme-Dependent Parameters

[Ciuchini, Franco, Reina, Silvestrini – 9311357;
Ciuchini, Franco, Martinelli, Reina, Silvestrini – 9307364
Buras, Misiak, Munz, Pokorski – 9311345
Herrlich, Nierste - 9412375]

- Observed in $b \rightarrow s \gamma (g)$ in the context of Weak EFT
- Obtain scheme-independent predictions via a finite renormalization of the parameters

$$\begin{aligned}c_{tG}^{\text{NDR}} &= c_{tG}^{\text{BMHV}} - \left(c_{Qt}^{(1)} - \frac{1}{6} c_{Qt}^{(8)} \right) \frac{\sqrt{2} g_{h\bar{t}t} g_s}{16\pi^2}, \\g_{h\bar{t}t}^{\text{NDR}} &= g_{h\bar{t}t}^{\text{BMHV}} - g_{h\bar{t}t} \left(c_{Qt}^{(1)} + \frac{4}{3} c_{Qt}^{(8)} \right) \frac{(m_h^2 - 6m_t^2)}{16\pi^2 \Lambda^2}, \\m_t^{\text{NDR}} &= m_t^{\text{BMHV}} + \left(c_{Qt}^{(1)} + \frac{4}{3} c_{Qt}^{(8)} \right) \frac{m_t^3}{8\pi^2 \Lambda^2}.\end{aligned}$$

- Confirmed by matching onto UV toy models in the two schemes
 - Possibility to map predictions between schemes **while remaining in the bottom-up approach**
-

Loop- and Tree-Generated Operators

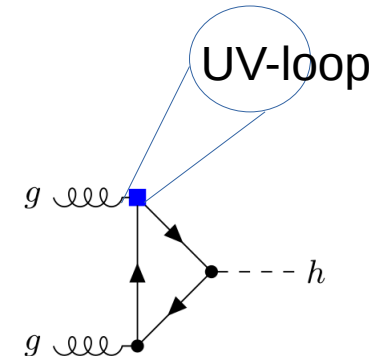
What does “higher loop” mean in SMEFT?

- In the SM, the definition is clear (just look at the Feynman diagram)
- In the SMEFT NP degrees of freedom are integrated out
- If the underlying UV theory is **weakly coupled** and **renormalizable**, there are classes of SMEFT operators that can be only generated from loop diagrams in the UV
[Arzt, Einhorn, Wudka – 9405214]
- The WC of these loop-generated operators will include a suppression due to a loop factor
[Buchalla, Heinrich, Müller-Salutti, Pandler - 2204.11808]

5–7: Fermion Bilinears (ψ^2)

non-hermitian ($\bar{L}R$)	
5: $\psi^2 H^3 + \text{h.c.}$ [PTG]	6: $\psi^2 XH + \text{h.c.}$ [LG]
$Q_{eH} \quad (H^\dagger H)(\bar{\ell}_p e_r H)$	$Q_{eW} \quad (\bar{\ell}_p \sigma^{\mu\nu} e_r) \tau^I H W_{\mu\nu}^I$
$Q_{uH} \quad (H^\dagger H)(\bar{q}_p u_r \tilde{H})$	$Q_{uW} \quad (\bar{q}_p \sigma^{\mu\nu} u_r) \tau^I H W_{\mu\nu}^I$
$Q_{dH} \quad (H^\dagger H)(\bar{q}_p d_r H)$	$Q_{dW} \quad (\bar{q}_p \sigma^{\mu\nu} d_r) \tau^I H W_{\mu\nu}^I$
	$Q_{uG} \quad (\bar{q}_p \sigma^{\mu\nu} T^A u_r) \tilde{H} G_{\mu\nu}^A$
	$Q_{dG} \quad (\bar{q}_p \sigma^{\mu\nu} T^A d_r) H G_{\mu\nu}^A$
	$Q_{eB} \quad (\bar{\ell}_p \sigma^{\mu\nu} e_r) H B_{\mu\nu}$
	$Q_{uB} \quad (\bar{q}_p \sigma^{\mu\nu} u_r) \tilde{H} B_{\mu\nu}$
	$Q_{dB} \quad (\bar{q}_p \sigma^{\mu\nu} d_r) H B_{\mu\nu}$

[Isidori, Wilsch, Wyler - 2303.16922]



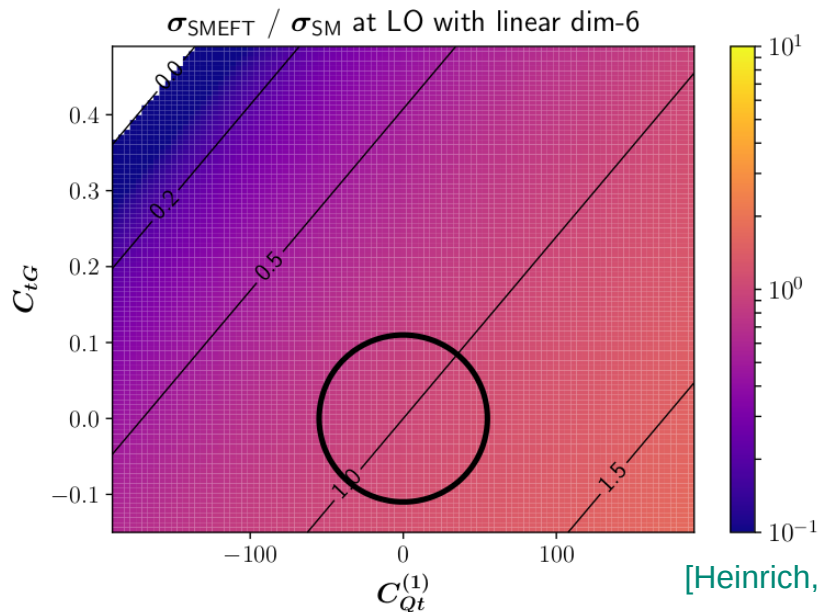
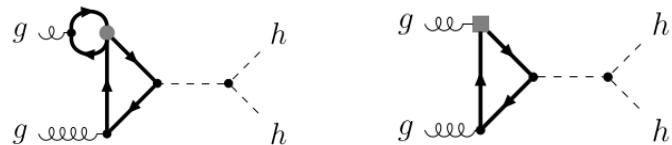
Scheme-Dependent Parameters

- IF \mathcal{O}_{tG} is loop-generated, the shift is of the same order of magnitude of the 4-top contribution

$$\frac{c_{tG}^{\text{NDR}}}{16\pi^2} = \frac{c_{tG}^{\text{BMHV}}}{16\pi^2} - \left(c_{Qt}^{(1)} - \frac{1}{6} c_{Qt}^{(8)} \right) \frac{\sqrt{2} g_{h\bar{t}t} g_s}{16\pi^2},$$
$$g_{h\bar{t}t}^{\text{NDR}} = g_{h\bar{t}t}^{\text{BMHV}} - g_{h\bar{t}t} \left(c_{Qt}^{(1)} + \frac{4}{3} c_{Qt}^{(8)} \right) \frac{(m_h^2 - 6m_t^2)}{16\pi^2 \Lambda^2},$$
$$m_t^{\text{NDR}} = m_t^{\text{BMHV}} + \left(c_{Qt}^{(1)} + \frac{4}{3} c_{Qt}^{(8)} \right) \frac{m_t^3}{8\pi^2 \Lambda^2}.$$

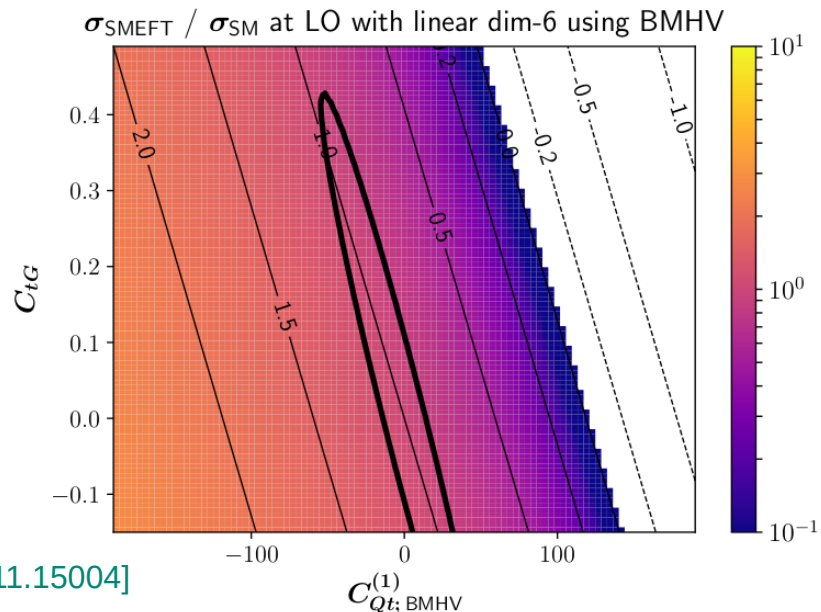
- Shifts for other parameters are higher-order in the loop counting
-

Effect of γ^5 -scheme on $gg \rightarrow HH$



(NDR used for all contributions)

[Heinrich, Lang - 2311.15004]



(4-top contribution computed in BMHV)

$$C_{tG}^{\text{NDR}} = C_{tG}^{\text{BMHV}} - \left(C_{Qt}^{(1)} - \frac{1}{6} C_{Qt}^{(8)} \right) \frac{\sqrt{2} g_{h\bar{t}t} g_s}{16\pi^2}$$

Summary

- Light-Yukawa probes discussed within the SMEFT framework
 - Highlighted the potential of loop effects in Higgs processes to put competitive/complementary constraints on
 - Higgs self-coupling
 - 4-top operators
 - Higher-loop contributions require additional care in the the choice of calculational schemes employed
 - Importance of being inclusive when choosing the set of operators, also because constraints on WCs may be scheme-dependent
-

Thank you for your attention!

Finite mixing @ 1 Loop for 4-top operators

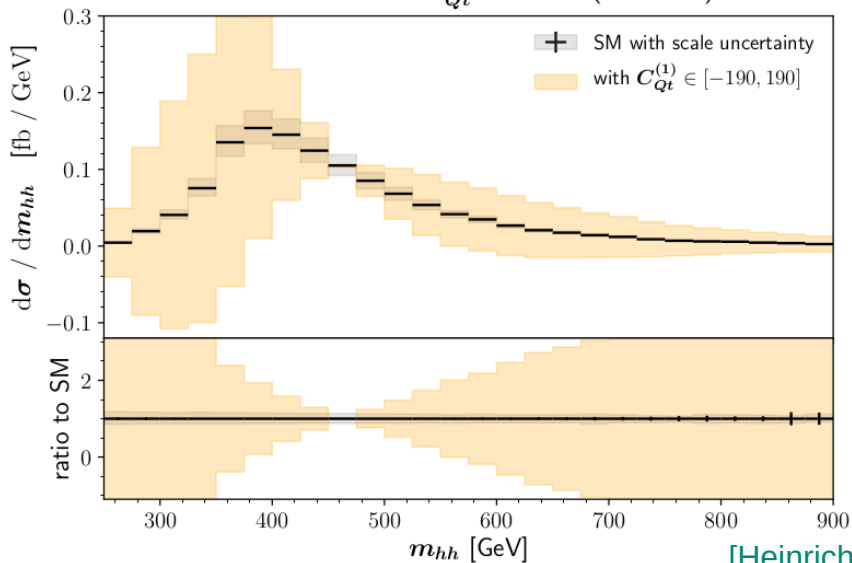
$$\begin{array}{c}
 \text{Diagram 1: } g \text{ (gluon) loop with top quark and a red vertex} \\
 \text{Diagram 2: } g \text{ (gluon) loop with top quark and a blue vertex}
 \end{array}
 = \frac{\mathcal{C}_{Qt}^{(1)} - \frac{1}{6}\mathcal{C}_{Qt}^{(8)}}{\mathcal{C}_{tG}} K_{tG} \times \begin{array}{c}
 \text{Diagram 3: } g \text{ (gluon) loop with top quark and a blue vertex} \\
 \text{Diagram 4: } g \text{ (gluon) loop with top quark and a blue vertex}
 \end{array}
 \quad K_{tG} = \begin{cases} \frac{\sqrt{2}m_t g_s}{16\pi^2 v} & \text{(NDR)} \\ 0 & \text{(BMHV)} \end{cases}$$

$$\begin{array}{c}
 \text{Diagram 5: } h \text{ (Higgs) loop with top quark and a red vertex} \\
 \text{Diagram 6: } h \text{ (Higgs) loop with top quark and a blue vertex}
 \end{array}
 \Bigg|_{\text{FIN}} = \frac{1}{\Lambda^2} \left(\mathcal{C}_{Qt}^{(1)} + \frac{4}{3}\mathcal{C}_{Qt}^{(8)} \right) \times (B_{h\bar{t}t} + K_{h\bar{t}t}) \times \begin{array}{c}
 \text{Diagram 7: } h \text{ (Higgs) loop with top quark and a blue vertex} \\
 \text{Diagram 8: } h \text{ (Higgs) loop with top quark and a blue vertex}
 \end{array}
 \quad K_{h\bar{t}t} = \begin{cases} \frac{(m_h^2 - 6m_t^2)}{16\pi^2} & \text{(NDR)} \\ 0 & \text{(BMHV)} \end{cases}$$

$$\begin{array}{c}
 \text{Diagram 9: } t \text{ (top quark) loop with top quark and a red vertex} \\
 \text{Diagram 10: } t \text{ (top quark) loop with top quark and a blue vertex}
 \end{array}
 \Bigg|_{\text{FIN}} = \frac{1}{\Lambda^2} \left(\mathcal{C}_{Qt}^{(1)} + \frac{4}{3}\mathcal{C}_{Qt}^{(8)} \right) \times (B_{m_t} + K_{m_t}) \times \begin{array}{c}
 \text{Diagram 11: } t \text{ (top quark) loop with top quark and a blue vertex} \\
 \text{Diagram 12: } t \text{ (top quark) loop with top quark and a blue vertex}
 \end{array}
 \quad K_{m_t} = \begin{cases} -\frac{m_t^2}{8\pi^2} & \text{(NDR)} \\ 0 & \text{(BMHV)} \end{cases}$$

Effect of γ^5 -scheme on $gg \rightarrow HH$

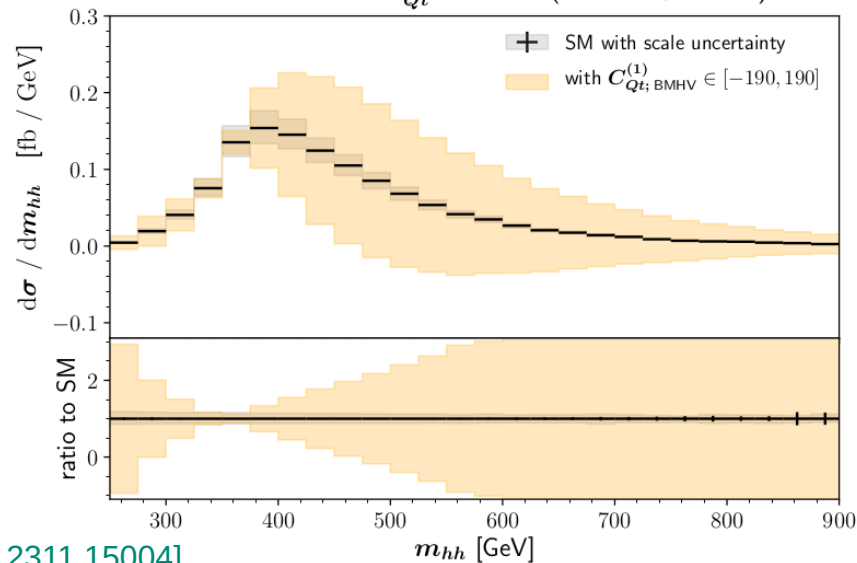
SM at NLO with $C_{Q_t}^{(1)}$ variation (13.6 TeV)



[Heinrich, Lang - 2311.15004]

(NDR used for all contributions)

SM at NLO with $C_{Q_t}^{(1)}$ variation (13.6 TeV, BMHV)



(4-top contribution computed in BMHV)

Light Yukawas - Phenomenological Analysis

- Shape analysis on D_s^d distributions – off-shell region defined by $m_{ZZ} > 250$ GeV
- Consider only the $ZZ \rightarrow 4l$ final state
- Efficiency factors obtained from MadGraph based on experimental cuts ($p_T > 10$ GeV, $|\eta| < 2.5$)

For $\Delta_{b_i} = 0.04$
(HL-LHC S2 scenario)

$$Z_i = \sqrt{2 \left[(s_i + b_i) \ln \frac{(s_i + b_i)(b_i + \sigma_{b_i}^2)}{b_i^2 + (s_i + b_i)\sigma_{b_i}^2} - \frac{b_i^2}{\sigma_{b_i}^2} \ln \left(1 + \frac{s_i \sigma_{b_i}^2}{b_i(b_i + \sigma_{b_i}^2)} \right) \right]} \quad \sigma_{b_i} = \Delta_{b_i} b_i$$

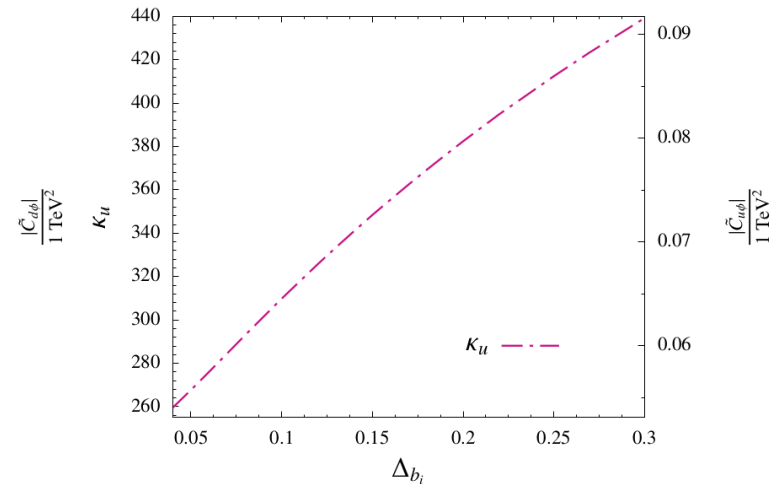
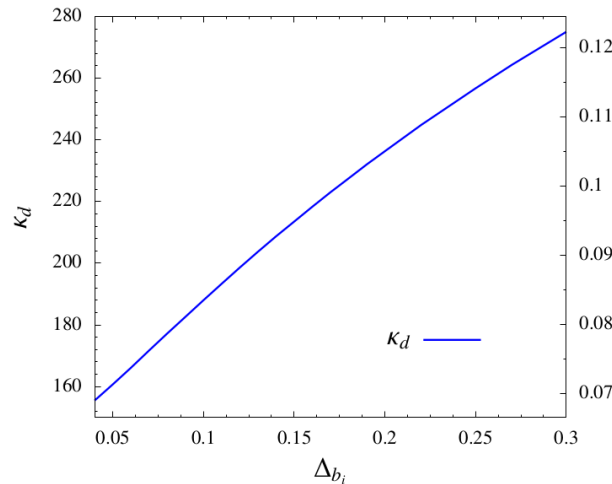
$$|\tilde{C}_{d\phi}| / (1 \text{ TeV})^2 < 0.069 / \text{TeV}^2$$

$$|\tilde{C}_{u\phi}| / (1 \text{ TeV})^2 < 0.054 / \text{TeV}^2$$



$$(\kappa_d < 156)$$

$$(\kappa_u < 260)$$



Consistency of EFT Analysis

- Sensitivity is not affected (much) by the choice of invariant mass range

