Possible Realizations of Light Thermal Self-interacting Dark Matter & GRB221009A events

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BSM in Particle Physics and Cosmology: 50 Years Later







With D. Borah, N. Sahu and V. Thounaojam

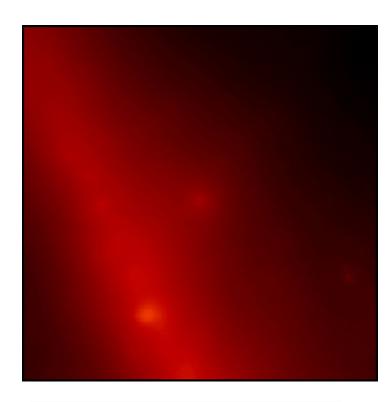
Phys.Rev.D 108 (2023) 9, L091702 Phys.Rev.D 108 (2023) 8, 083038

Overview

- GRB221009A
- Issues with CDM and Need for SIDM
 - Challenges for light SIDM
- SIDM Framework to explain GRB221009A
 - GRB221009A events
 - Self-Interacting DM and GRB221009A connection
 - Relic Density of DM
 - Direct Detection of DM
 - Other relevant constraints
 - Summary
- Conclusion

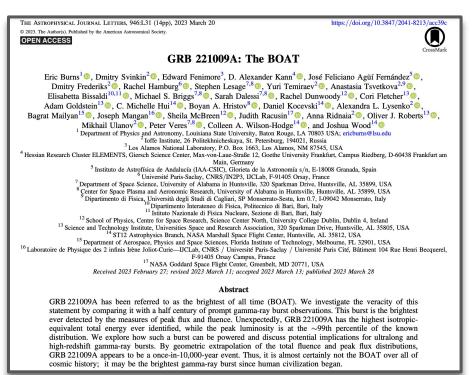
GRB221009A: BOAT - the brightest of all time. Burns et.al.

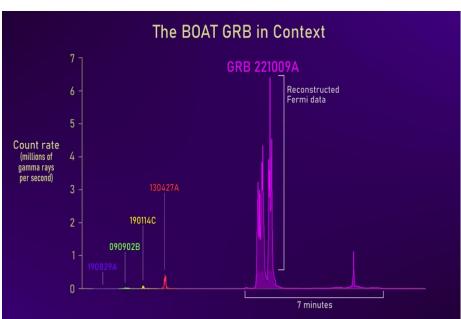
- The initial detection was by BAT, XRT, UVOT on Swift (Swift J1913.1+1946), as well as GBM and LAT on Fermi satellite.
- LHAASO's WCDA as well as KM2A instrument detected O(5000) photons with Eγ > 500 GeV from GRB221009A within 2000 s after the initial outburst (GCN 32677).
- The photon energies reconstructed by LHAASO extend up to 18 TeV.



Ten-hour timelapse of GRB 221009A,

Credit: NASA/DOE/Fermi LAT Collaboration

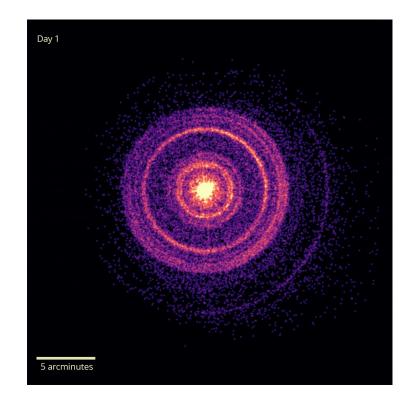




NASA's Goddard Space Flight Center and Adam Goldstein (USRA)

 GRB 221009A was likely the brightest burst to occur since human civilization began. [Once in 10,000 years]

- X-rays from the initial flash of GRB
 221009A could be detected for weeks.
- XMM-Newton images recorded 20 dust rings, shown here in arbitrary colors.
- likely remain detectable with radio telescopes for years



Credit: NASA/Swift/A.

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The Radio to GeV Afterglow of GRB 221009A

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GRB221009A: The Puzzle

- GRB221009A events are reported to have occurred at a redshift of $z \approx 0.15$ d = 645 Mpc.
- However, observing such energetic photons is *extremely unlikely* since the *flux is expected to be rapidly attenuated* when propagating and interacting with *EBL*.
- The likelihood for propagation of 18 TeV photon from $z \sim 0.15$ to Earth without scattering : $e^{-15} \sim 10^{-7}$.

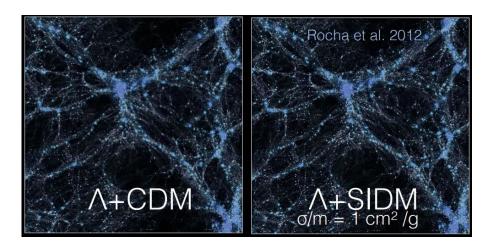
Need for BSM Physics!!!

ALPs, Sterile Neutrinos, Scalars and Lorentz Invariance Violation.

For E.g. Yanagida et. al., Takahashi et.al., Smirnov et. al, Brdar & Li., Silk et.al.

Self-Interacting Dark Matter

- DM Beyond the collisionless paradigm : SIDM.
- Motivation: Potential to explain long standing small-scale structure
- observations that are in tension with CDM predictions.
- On smaller scales, cosmological DM only simulations & astrophysical observations are facing discrepancies since 1990's.
- At large scale, SIDM leaves intact the success of Λ CDM.



Issues with CDM

• The cusp-core problem:

 Λ CDM: Central densities of halos \rightarrow Cuspy ($\rho \sim r^{-1}$)

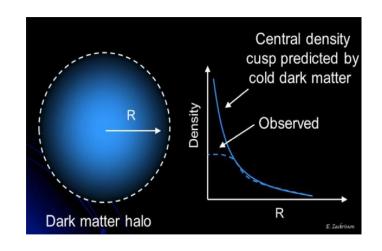
Observation: Central densities of halos \rightarrow Cored ($\rho \sim r^0$).

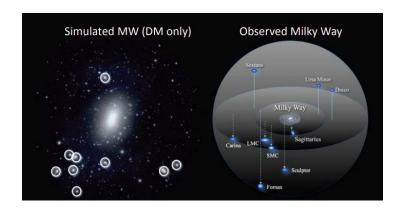
• The missing satellite Problem:

ΛCDM Simulations predict more satellites than those observed.

• Too big to fail Problem:

Observed satellites of the MW are not massive enough to be consistent with predictions of Λ CDM.





Issues with CDM \rightarrow Solution in SIDM

Possible Solutions:

Warm DM:

- May solve missing satellite and TBTF problems.
- Can't solve core-cusp problem
- In strong tension with Lyman-α.

Dark matter self-scattering X X X

Baryonic Feedback:

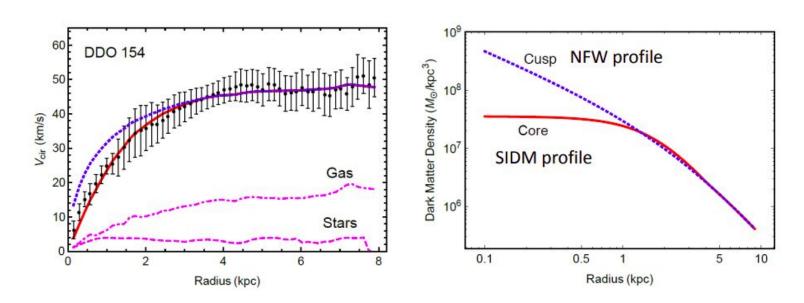
- Unclear to what degree baryon dynamics affect halo properties.
- Quite different conclusions with different feedback prescriptions
- Can be regarded as a systematic uncertainty.

CDM structure problems can be resolved introducing dark matter self-interaction.

Dark matter particles in halos elastically scatter with other dark matter particles.

Spergel and Steinhardt.

Issues with CDM -> Solution in SIDM



What value of scattering cross-section is needed?

Collision rate:

$$R_{\rm Scatt.} = \frac{\sigma v_{rel} \; \rho_{DM}}{m} = 0.1 \; {\rm Gyr^{-1}} \; \left(\frac{\rho_{DM}}{0.1 M_{\odot}/pc^3}\right) \left(\frac{v_{rel.}}{50 {\rm km/s}}\right) \left(\frac{\sigma/m}{1 {\rm cm^2/g}}\right)$$

Thus

$$\frac{\sigma}{m_{\rm DM}} \sim 1 {\rm cm}^2/g \sim 2~{\rm barns/GeV}$$

Light Mediator Models for SIDM

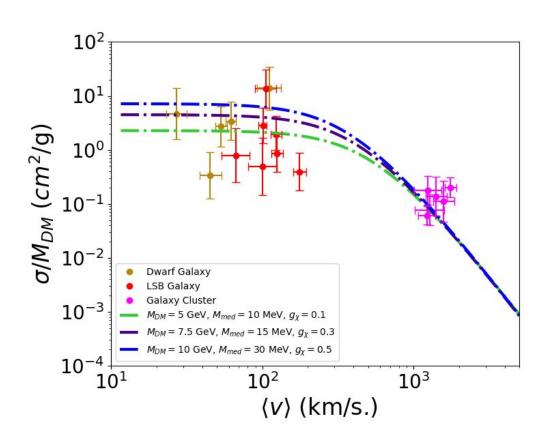
$$\mathcal{L}_{\text{int}} = \begin{cases} g_{\chi} \bar{\chi} \gamma^{\mu} \chi \phi_{\mu} & \text{(vector mediator)} \\ g_{\chi} \bar{\chi} \chi \phi & \text{(scalar mediator)} \end{cases} \qquad V(r) = \pm \frac{\alpha_{\chi}}{r} e^{-m_{\phi} r}$$

The Differential cross-section:

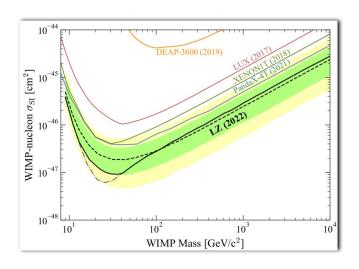
$$\frac{d\sigma}{d\Omega} = \frac{\alpha_{\chi}^2 m_{\chi}^2}{\left[m_{\chi}^2 v_{\rm rel}^2 (1 - \cos\theta)/2 + m_{\phi}^2\right]^2}.$$

- ullet In the limit of $m_\phi >> m_\chi v_{
 m rel} \implies$ contact interaction $(v_{
 m rel}^0)$
- lacktriangle In the limit $m_\phi << m_\chi v_{
 m rel} \implies$ Rutherford scattering $(v_{
 m rel}^{-4})$
- Neither limit provides the mildly velocity-dependent cross section favoured by observations.
- A small but finite mediator mass can provide the right velocity dependence.

Light Mediator Models for SIDM



GeV/ Sub-GeV Scale DM

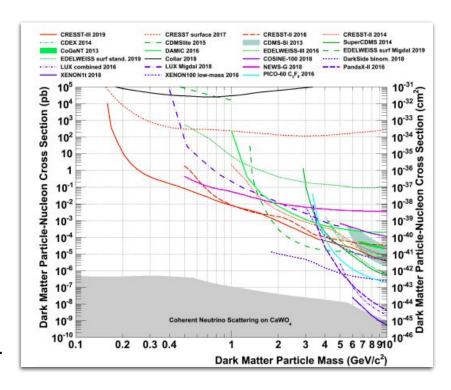


 No observation yet at Direct search experiments.

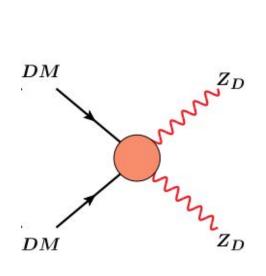
Motivation: To look for several viable alternatives to WIMP

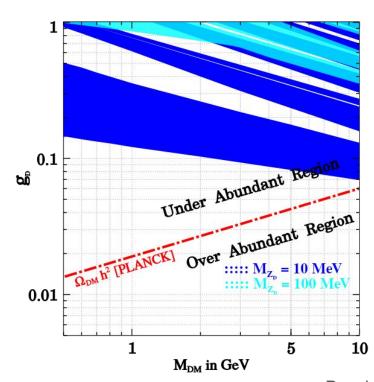
Exciting possibility: light DM around GeV or sub-GeV scale.

Many Experiments looking for Light DM: XENON1T, CRESST-III, EDELWEISS, Super-CDMS, SENSEI, DAMIC, DarkSide-50.



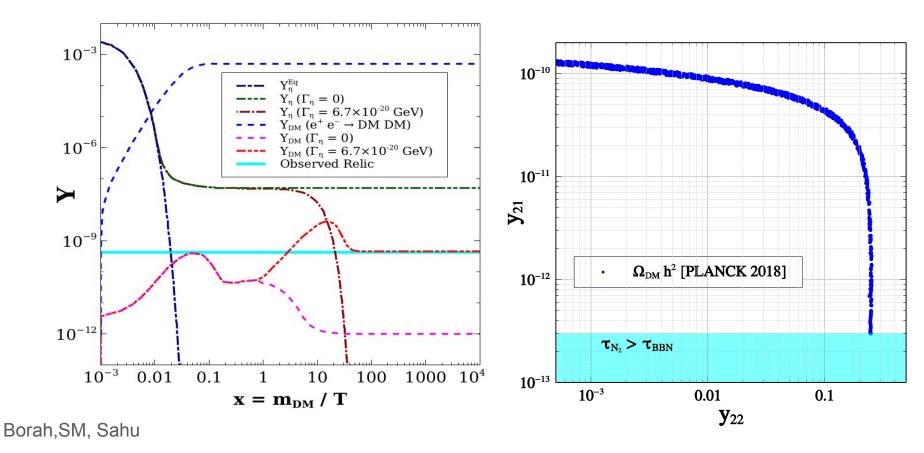
Challenge for SIDM: Achieving Correct Relic Density Self-Interaction ⇒ Under Abundant Relic





Solutions for achieving Correct Relic Density

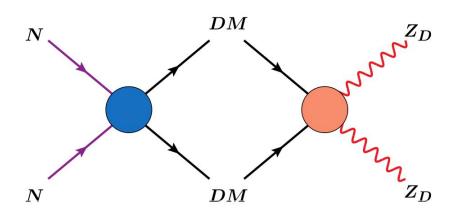
Non-thermal / Hybrid Setups



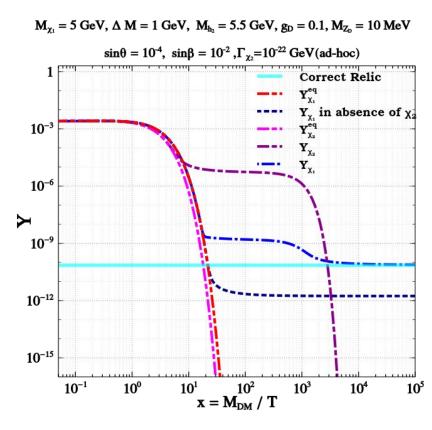
Requires Additional particles in the spectrum !!!

Solutions for achieving Correct Relic Density Novel Thermal Production mechanism

$$\mathcal{L} \supset i\overline{\psi}\gamma^{\mu}D_{\mu}\psi - M_{\psi}\overline{\psi}\psi - M_{N}\overline{N}N
-\{Y_{\psi N}\overline{\psi}\Phi N + \text{h.c.}\} + \frac{\epsilon}{2}B^{\alpha\beta}Y_{\alpha\beta}$$

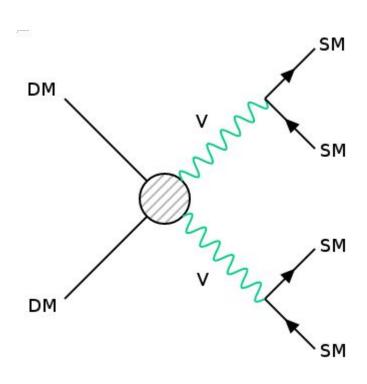


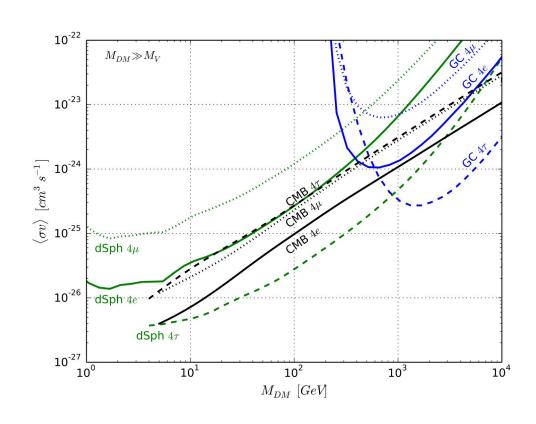
Borah, SM, Sahu



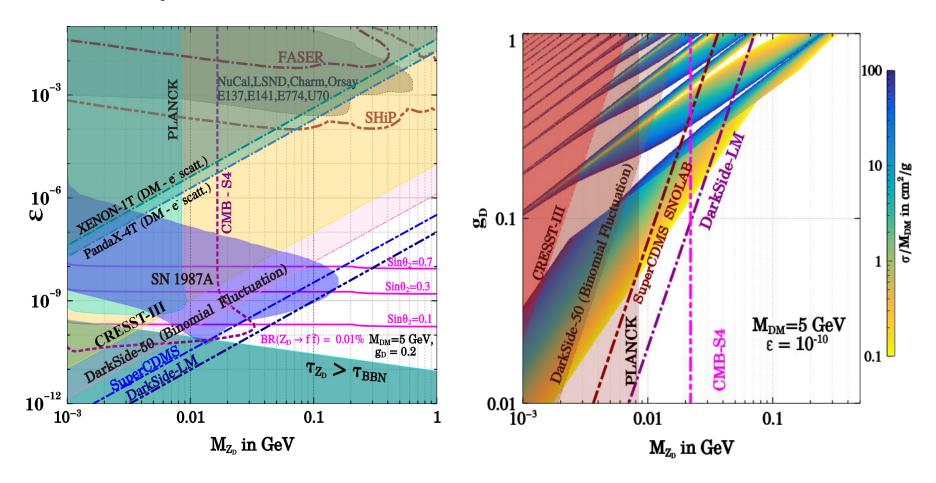
Requires Additional particles in the spectrum !!!

Stringent Constraints from CMB and Indirect Detection





Summary:



CMB and indirect search bounds can be evaded if the mediator dominantly decays into neutrinos or some dark radiations.

SIDM framework and GRB221009A

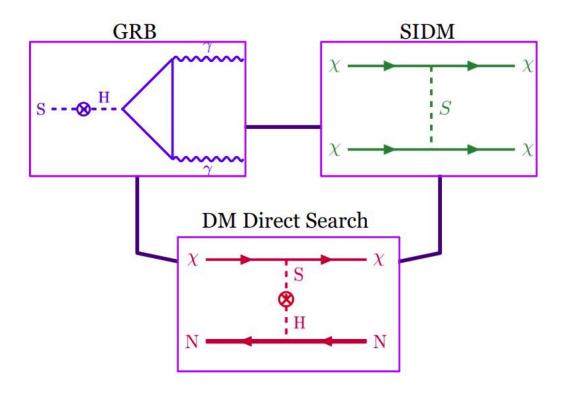
- The idea is to have a weakly interacting particle propagating most of the distance between the GRB source and Earth.
- And that particle need to have certain interactions with photons.

 χ : Singlet Dirac Fermion, Odd under \mathcal{Z}_2 . S: Singlet Scalar, Even under \mathcal{Z}_2 .

$$\mathcal{L} \supset -M_{\chi} \overline{\chi} \chi - y_S \overline{\chi} \chi S + h.c. - V(H, S)$$

$$V(H,S) \supset \mu_S^2 S^{\dagger} S + \lambda_S (S^{\dagger} S)^2 + \lambda_{SH} (H^{\dagger} H) (S^{\dagger} S) + \mu_{SH} S(H^{\dagger} H)$$

SIDM framework and GRB221009A



Interesting Connection between SIDM and GRB221009A

S production at the GRB: nucleon-nucleon bremsstrahlung via pion exchange.

$$N+N \to N+N+S$$

$$\mathcal{L} \supset -\sin\theta_{SH} \left[A_{\pi} (\pi^0 \pi^0 + \pi^+ \pi^-) + y_H \overline{N} N + \frac{m_l}{v_{EW}} \overline{l} l \right] S$$

Once produced, the scalar can decay into leptons or pions at tree-level or to photons at one loop level via mixing with the SM Higgs boson.

$$\Gamma_{S \to \gamma \gamma} = \frac{121}{9} \frac{\alpha^2 M_S^3 \sin^2 \theta_{SH}}{512 \pi^3 v_{EW}^2}$$

$$\Gamma_{S \to e^- e^+} = \frac{M_S m_e^2 \sin^2 \theta_{SH}}{8 \pi v_{EW}^2} \left(1 - \frac{4 m_e^2}{M_S^2} \right)^{3/2}$$

S particles provide an effective means for the survival of the photons to Earth.

If the S scalar decay occurs at a distance interval of [x, x + dx], the decay-production probability

$$P_{\text{decay}} = B_{\gamma} e^{-x/\lambda_S} \times \frac{dx}{\lambda_S} e^{-(d-x)/\lambda_{\gamma}}.$$

Gamma-ray flux from S decay:

$$\Phi_{\gamma}^{S} = \frac{2\Phi_{S}Br_{\gamma}}{\tau\lambda_{S}/d - 1} \left(e^{-d/\lambda_{S}} - e^{-\tau} \right) \qquad \lambda_{S} = \frac{E_{S}}{M_{S}\Gamma_{S}}$$

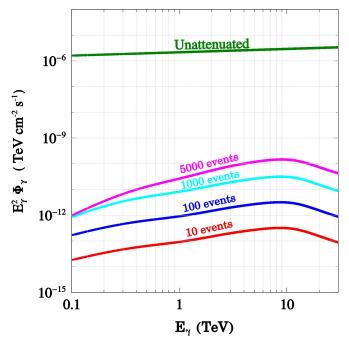
With the S-induced γ flux, the number of events:

$$N_{\gamma} = \Delta t \int_{0.5}^{18 \text{ TeV}} Area \times \Phi_{\gamma}^{S}(E_{\gamma}) dE_{\gamma}$$

Un-attenuated gamma flux is obtained by extrapolating the flux measured by Fermi-LAT:

$$\Phi_{\gamma}^{0}(E_{\gamma}) = \frac{2.1 \times 10^{-6}}{\text{cm}^{2} \text{ s TeV}} \left(\frac{E_{\gamma}}{\text{TeV}}\right)^{-1.87 \pm 0.04}$$

Baktash et. al.



$$heta_{ extit{SH}} = \mathcal{O}(10^{-8})$$

Upper limit on mass of $S:M_S<2m_e$ (Else it will dominantly decay to e^-e^+ pairs.) If $\Gamma_{S\to e^-e^+}/\Gamma_{S\to\gamma\gamma}$ becomes large, di-photon decay is suppressed \Longrightarrow can not explain the LHAASO's data.

Flux of γ -rays originated from the decay of S is calculated assuming the scalar energy $E_S=2$ E_{γ} ; over a detector area of 1 km² and time window of 2000 s which is typical of LHASSO's KM2A detector.

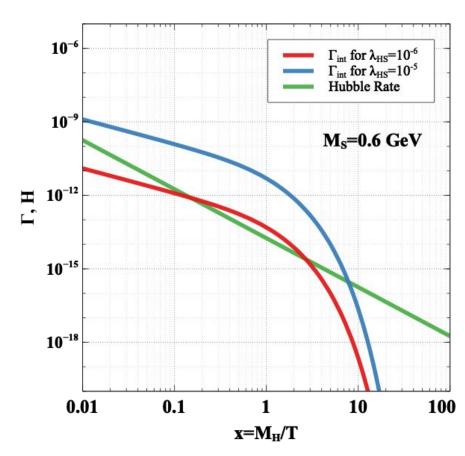
Production of SIDM

Goal: Achieving correct relic density in the minimal setup.

- S is in thermal equilibrium with the SM bath through its scalar portal interactions.
- This also brings DM χ to thermal equilibrium because of its significant coupling with S.

$$\tan(2\theta_{SH}) = \frac{(uv\lambda_{SH} + \sqrt{2}v\mu_{SH})}{M_H^2 - M_S^2}$$

$$heta_{SH} = \mathcal{O}(10^{-8})$$



$$\{\lambda_{SH}, \mu_{SH}\} \equiv \{10^{-5}, -6.6 \times 10^{-6}\} \text{ and } \{10^{-6}, -2.6 \times 10^{-7}\}$$

Production of SIDM

Goal: Achieving correct relic density in the minimal setup.

Possible if S goes through a phase transition in the early Universe.

$$\frac{dY_{DM}}{dx} = -\frac{s(M_{DM})\langle \sigma v \rangle_{total}}{x^2 H(M_{DM})} \left(Y_{DM}^2 - (Y_{DM}^{eq})^2 \right)$$

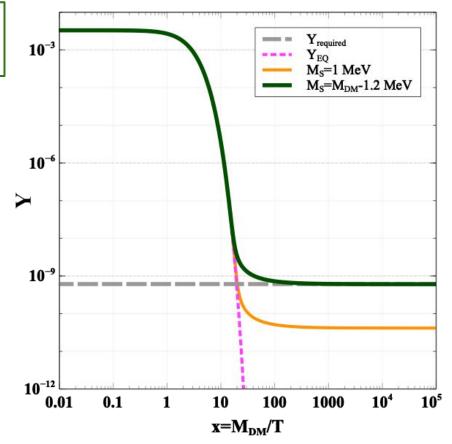
$$\langle \sigma v \rangle_{total} = \langle \sigma v \rangle_{\chi\chi \to SS} + \langle \sigma v \rangle_{\chi\chi \to SMSM}$$

$$\langle \sigma v \rangle_{\chi\chi \to SS} = \frac{3}{4} \frac{y_S^2}{16\pi M_\chi^2} v^2 \left(1 - \frac{(M_S^i)^2}{M_\chi^2} \right)^{1/2}$$

S has a heavier mass in the very early Universe.

$$M_S^i \xrightarrow{\mathrm{FOPT}} M_S^f = M_S \ll M_S^i$$

Helps evading CMB constraints

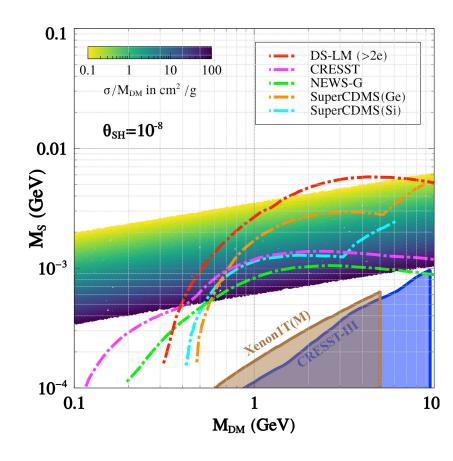


Direct Detection of SIDM

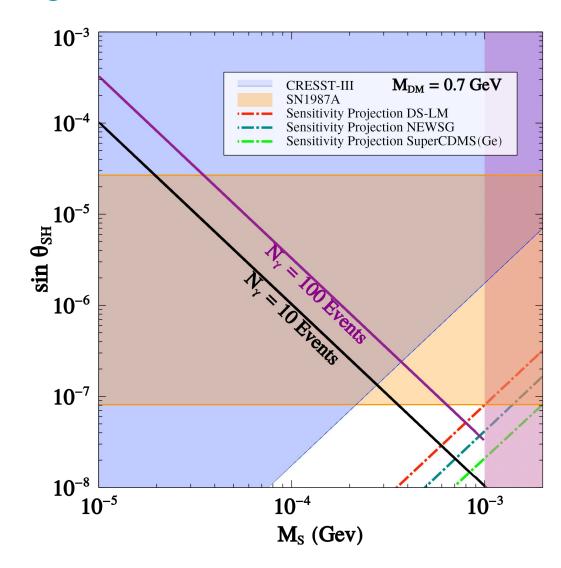
$$\sigma_{\rm SI} = \frac{\mu_r^2}{4\pi A^2} [Zf_p + (A - Z)f_n]^2$$

$$f_{p,n} = \sum_{q=u,d,s} f_{T_q}^{p,n} \alpha_q \frac{m_{p,n}}{mq} + \sum_{q=c,t,b} f_{TG}^{p,n} \alpha_q \frac{m_{p,n}}{mq}$$

$$\alpha_q = y_s \sin \theta_{SH} \frac{m_q}{v_{EW}} \left[\frac{1}{M_S^2} - \frac{1}{M_H^2} \right]$$



Summary



Conclusion

- Minimal scenario involves a light scalar mediator, simultaneously enabling DM self-interaction and explaining the observed VHE photons from GRB221009A.
- The scalar's mixing with the SM Higgs boson allows for its production at the GRB site, which then propagates escaping attenuation by the EBL.
- The same mixing also facilitates DM-nucleon or DM-electron scatterings at terrestrial detectors, linking SIDM phenomenology to the GRB221009A events.
- Correct relic density of light SIDM can be achieved without invoking any new particle if the mediator had a heavier mass in the early Universe.
- Also helps in evading the CMB and indirect search constraints.

Thank You...!!!