

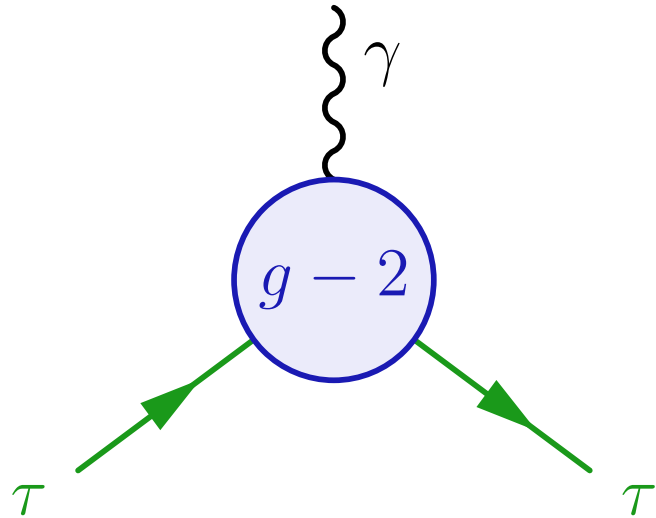
# Observation of $\gamma\gamma \rightarrow \tau\tau$ in pp collisions with CMS and constraints on $\tau$ electromagnetic moments

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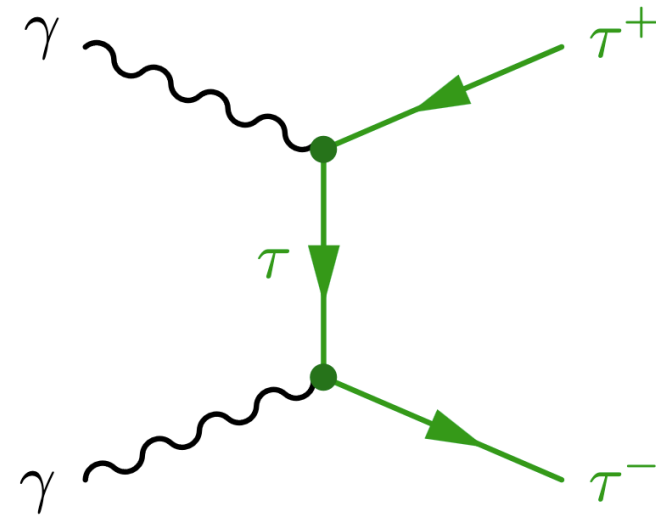
LHC Forward Physics meeting, 15/03/2024

# $\tau$ electromagnetic moments from $\gamma\gamma \rightarrow \tau\tau$ events

- $\tau$   $g-2$  ( $a_\tau$ ) and electric dipole moment (EDM,  $d_\tau$ ) can be probed from  $\gamma\tau\tau$  vertex



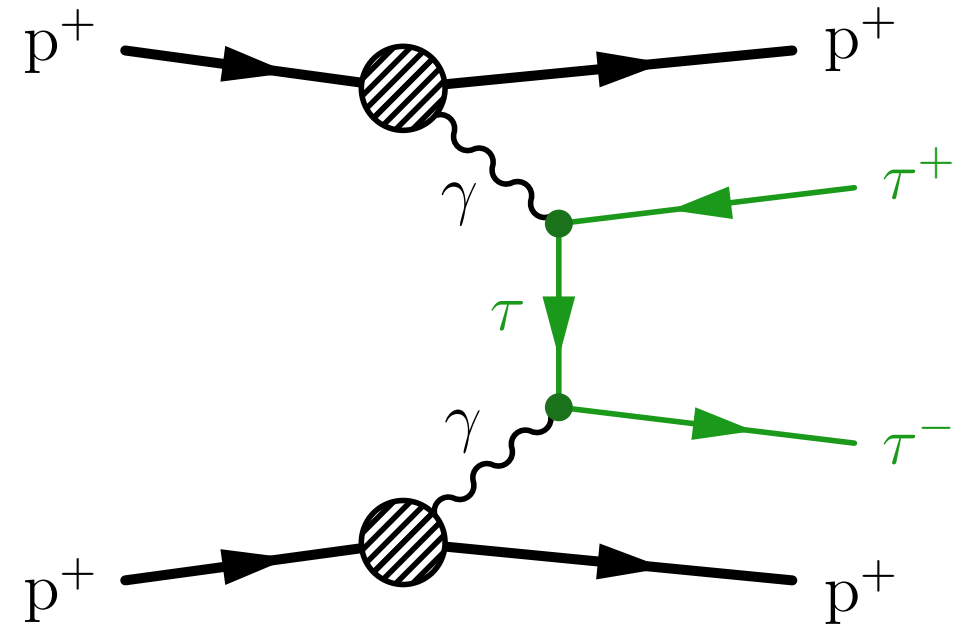
- The  $\gamma\gamma \rightarrow \tau\tau$  process includes 2  $\gamma\tau\tau$  vertices



- Constraints on  $\tau$  electromagnetic moments from form factor formalism or SMEFT approach
- In the SM,  $d_\tau$  is extremely small (no appreciable CP violation) but it could be increased in BSM models

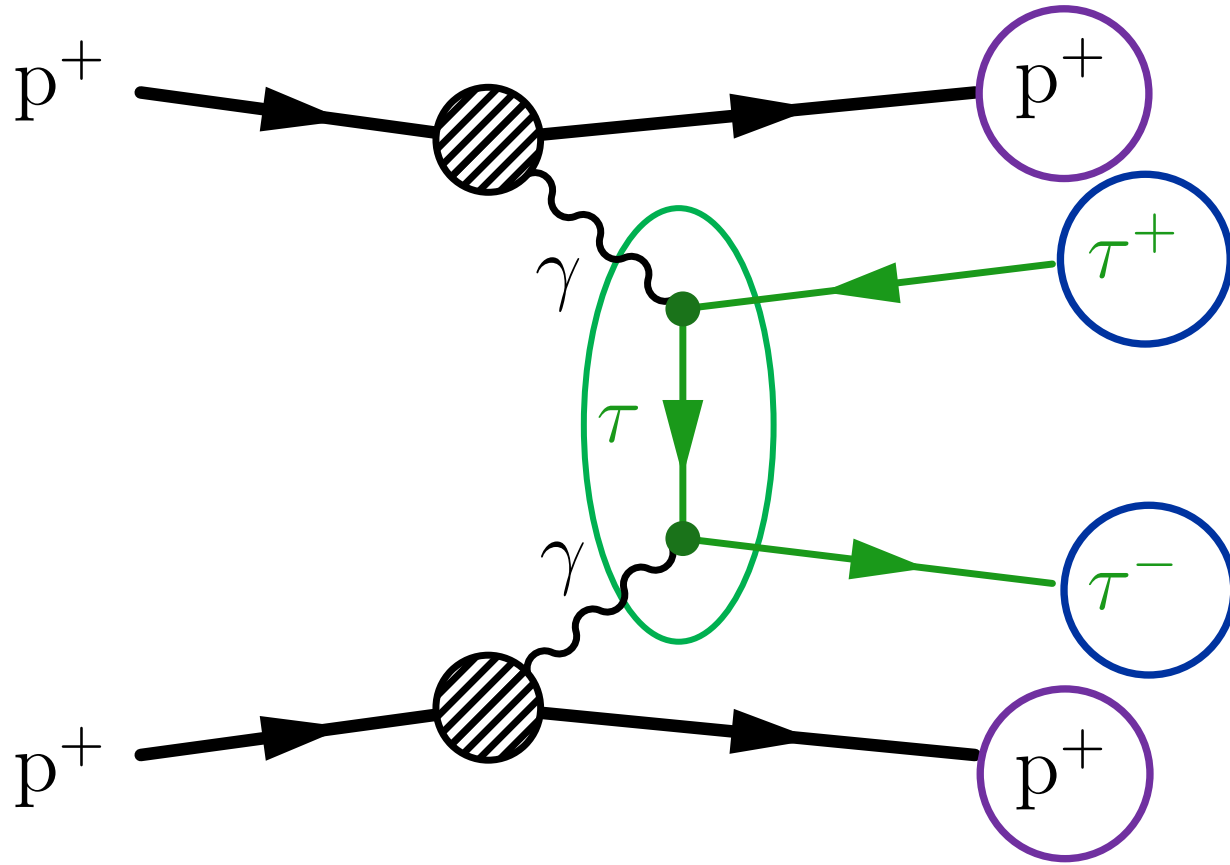
# Can we see $\gamma\gamma \rightarrow \tau\tau$ in ultraperipheral pp collisions?

- Much larger integrated luminosity ( $O(10^8)$ )
- But:
  - No gain from  $Z^4$  enhancement
  - Low signal acceptance (soft signal)
  - Large backgrounds
  - High pileup



- If we can see  $\gamma\gamma \rightarrow \tau\tau$  in pp runs, tight constraints on  $\tau$  g-2 could be set because  **$a_\tau$  modifications from BSM physics are enhanced at large  $\tau$   $p_\tau$  and ditau mass**

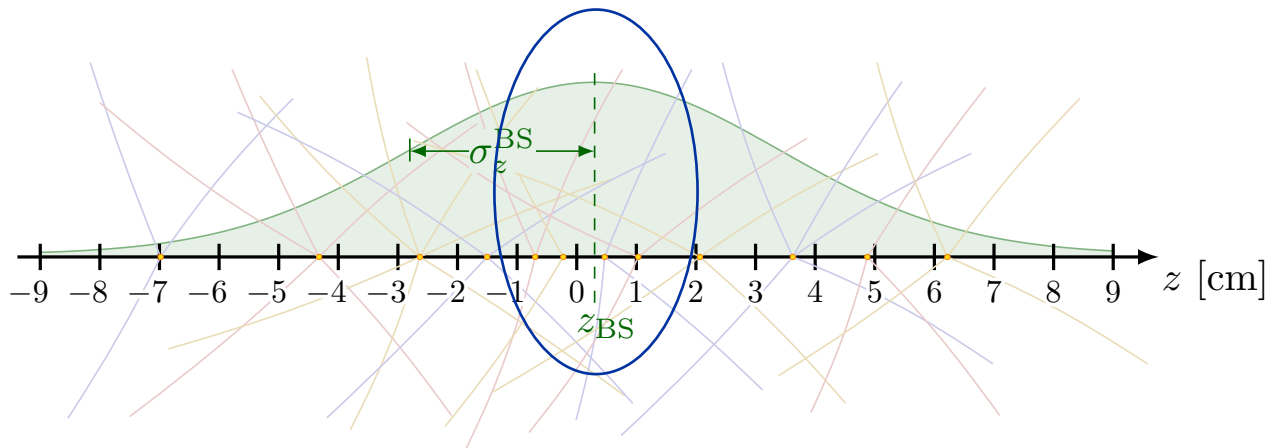
# Signature



- 2 diffracted protons: not reconstructed
- 2 back-to-back OS  $\tau$  leptons: acoplanarity  $< 0.015$
- No hadronic activity close to the di- $\tau$  vertex:  $N_{\text{tracks}} = 0$

# Counting tracks

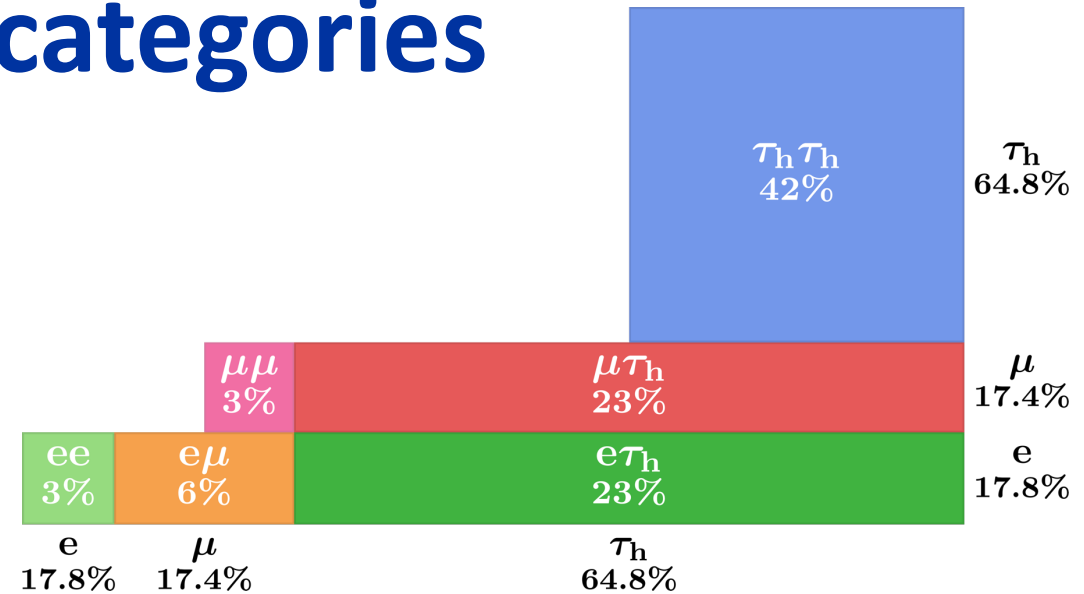
- Define **z position of di-tau vertex** as average z position of selected tau leptons
- Define  **$N_{\text{tracks}}$**  as the number of tracks
  - with  $p_{\tau} > 0.5$  GeV and  $|\eta| < 2.5$
  - within a window of **0.1 cm** around the di-tau vertex
  - Excluding tracks from tau leptons



- About 30% of the windows at the center of the beamspot do not contain any pileup track

# Final states and categories

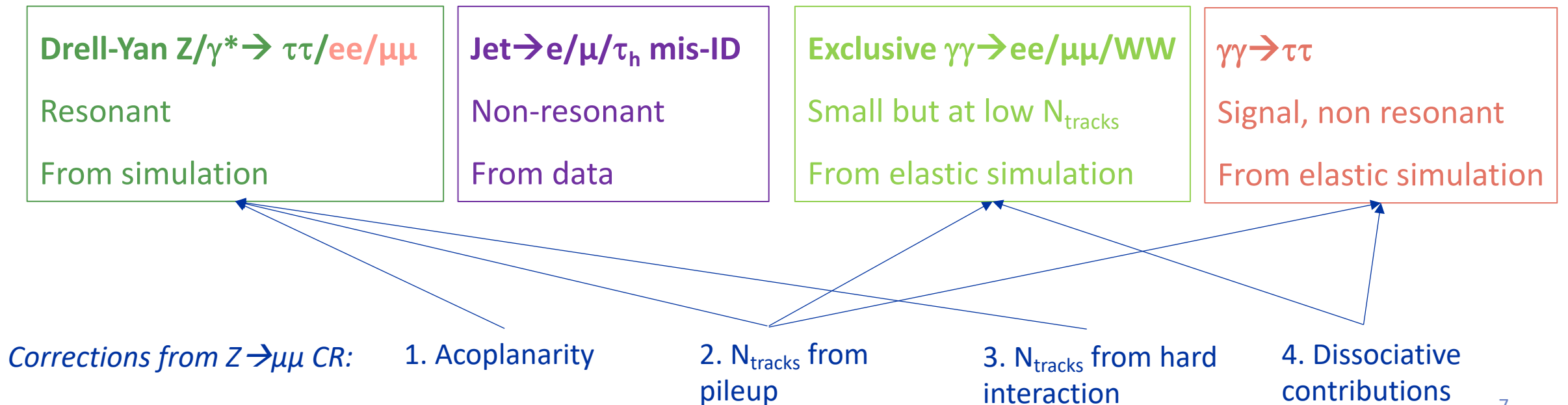
- 4 di-tau final states:  $e\mu$ ,  $e\tau_h$ ,  $\mu\tau_h$ ,  $\tau_h\tau_h$



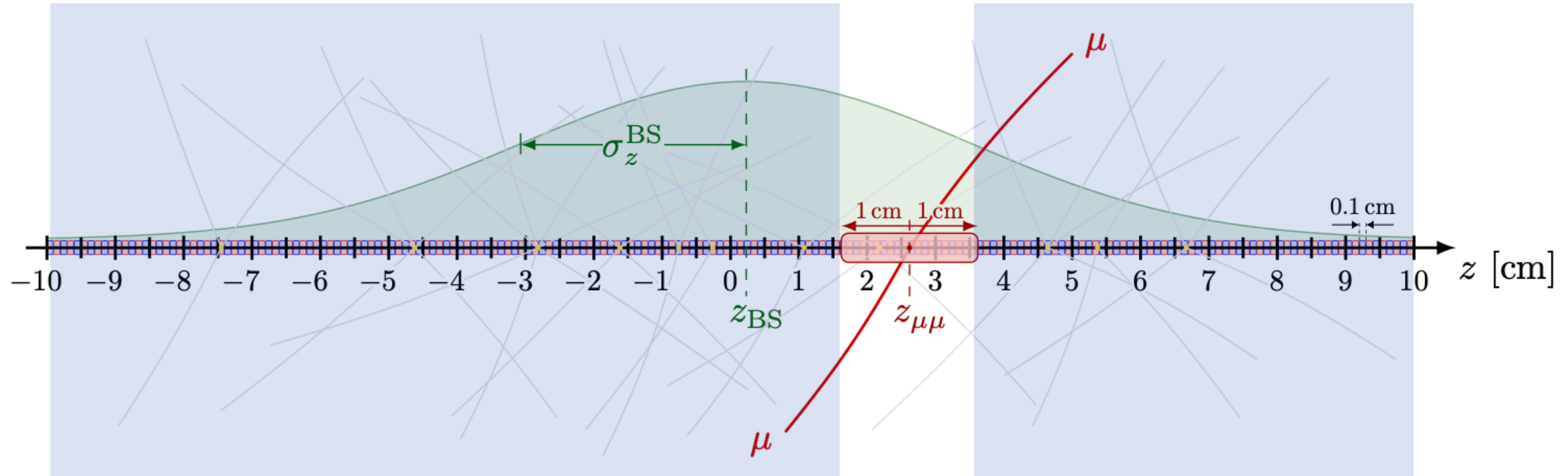
- In each di-tau final state, 2 signal regions:  $N_{\text{tracks}} = 0$  or  $1$ 
  - $N_{\text{tracks}} = 0$ :  $\sim 50\%$  of the signal, inclusive backgrounds reduced by  $O(10^3)$
  - $N_{\text{tracks}} = 1$ :  $\sim 25\%$  of the signal, larger background
- Dimuon control region to derive corrections to the simulations

# Strategy

- In each of the 8 categories ( $e\mu, e\tau_h, \mu\tau_h, \tau_h\tau_h$ )  $\times$  ( $N_{\text{tracks}} = 0, N_{\text{tracks}} = 1$ ), fit visible invariant mass of tau pair ( $m_{\text{vis}}$ )
  - SM  $\gamma\gamma \rightarrow \tau\tau$  measurement: S/B ratio increases with  $m_{\text{vis}}$  because Drell-Yan background concentrated at lower masses
  - BSM  $a_\tau$  and  $d_\tau$  measurements: deviations from SM predictions increase with the mass



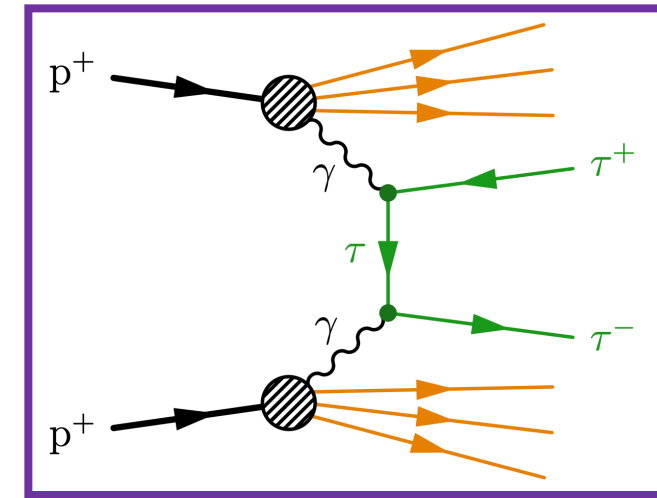
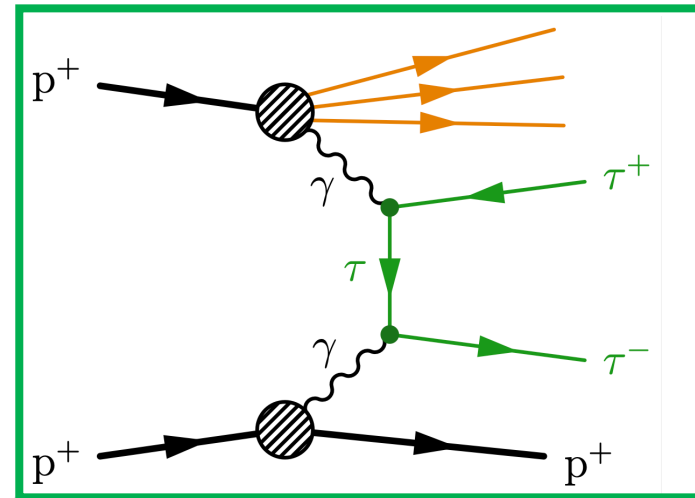
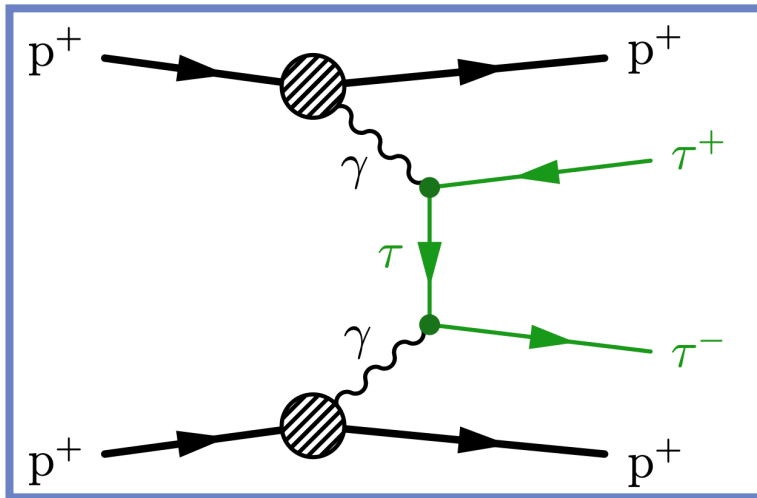
# Track multiplicity correction from $\mu\mu$ region



- Compare  $N_{\text{tracks}}$  distribution in  $Z \rightarrow \mu\mu$  data and  $Z \rightarrow \mu\mu$  MC, inside windows sampled over the  $z$  axis
- Away from the  $\mu\mu$  vertex: correct pileup track multiplicity
- Close to the  $\mu\mu$  vertex: correct hard scattering track multiplicity



# Including (semi-)dissociative contributions



- **Elastic-elastic (ee)** signal process modeled with gammaUPC
- **Single-dissociative (sd)** and **double-dissociative (dd)** processes have larger cross section and may end up with an exclusive signature  $\rightarrow$  rescale elastic signal to include these contributions
- Scaling factor =  $(ee + sd + dd)_{obs} / ee_{sim}$  can be measured with  $\gamma\gamma \rightarrow \mu\mu$  in the  $\mu\mu$  CR and applied to  $\gamma\gamma \rightarrow ee/\mu\mu/\tau\tau/WW$  in the signal region

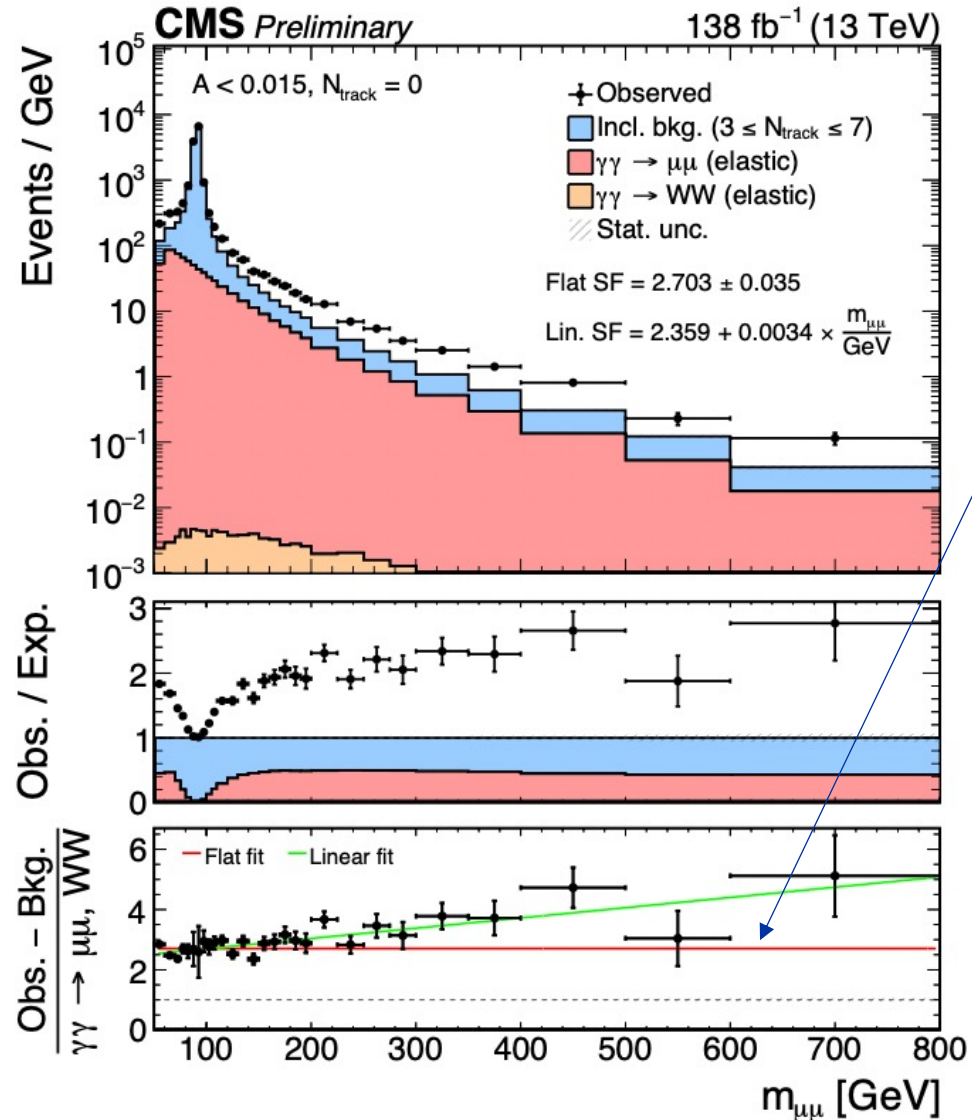
# Including (semi-)dissociative contributions

- Inclusive backgrounds:**

- Shape from data with  $2 < N_{\text{tracks}} < 8$   
 → Negligible exclusive contributions
- Normalized to Z peak in events with  $N_{\text{tracks}} = 0$  or 1

- Elastic  $\gamma\gamma \rightarrow \mu\mu$ /WW:**

- Estimated from gammaUPC
- Rescaled with **linear  $m_{\mu\mu}$  function** to match data



*Elastic simulation should be scaled by ~2.7 to describe all photon-induced contributions*

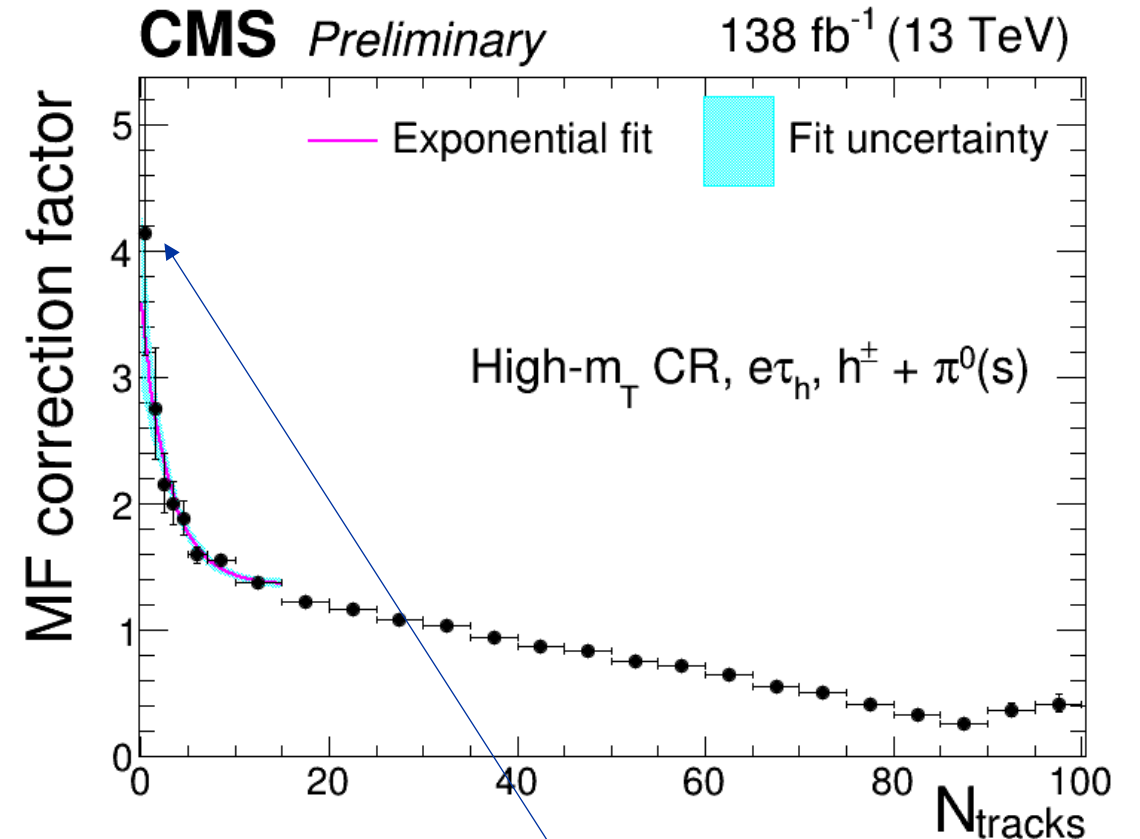
*Compatible with SuperChic predictions*

# Jet $\rightarrow \tau_h$ mis-ID background

- Measure "mis-ID factor", MF, for jets as

$$MF = \frac{N(\text{jets passing nominal } \tau_h \text{ ID})}{N(\text{jets failing nominal } \tau_h \text{ ID but passing very loose } \tau_h \text{ ID})}$$

- If there is less track activity around the  $\tau_h$  candidate:
  - The  $\tau_h$  candidate is more isolated
  - It is more likely to pass the ID criteria
  - MF is higher
- Model  $N_{\text{tracks}}$  dependence with a multiplicative correction to the mis-ID rates
  - Parameterized with exponential at low  $N_{\text{tracks}}$



*The jet is 4 times more likely to pass the nominal  $\tau_h$  ID criteria if there is no other track at the vertex*

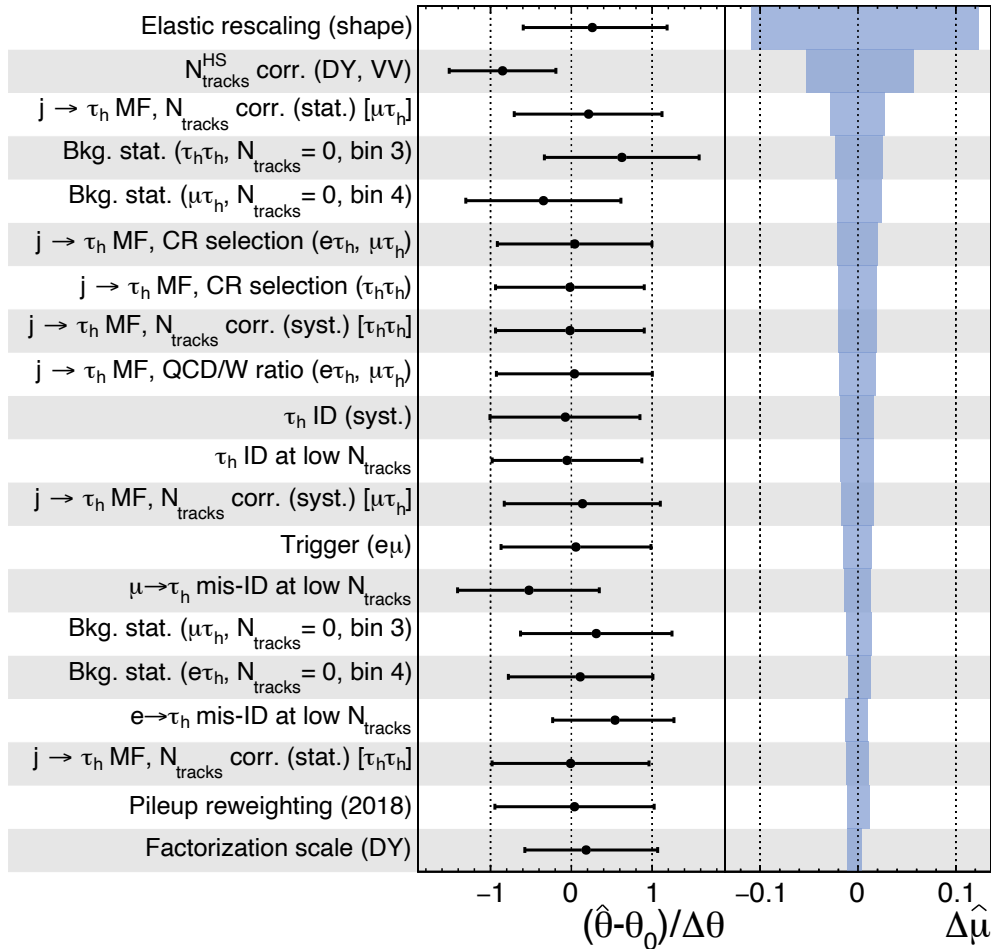
# Leading systematics

CMS Preliminary

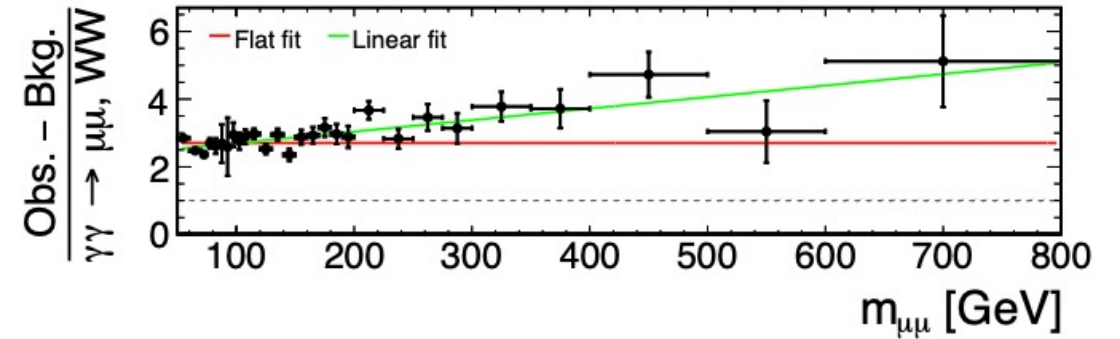
138 fb<sup>-1</sup> (13 TeV)

→ Fit   ±1 σ impact

$\hat{\mu} = 0.75^{+0.20}_{-0.18}$



Considering the constant rescaling for the elastic simulations instead of the  $m_{\mu\mu}$ -dependent one

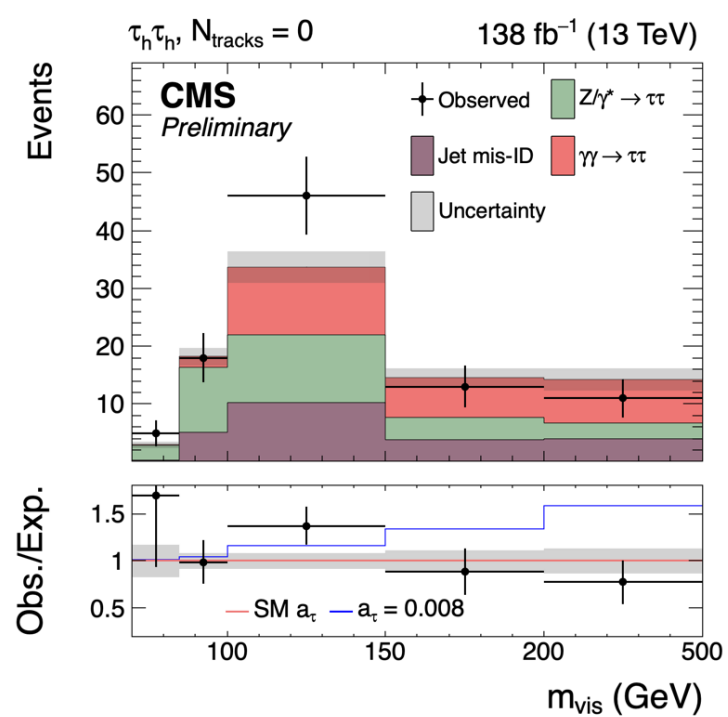
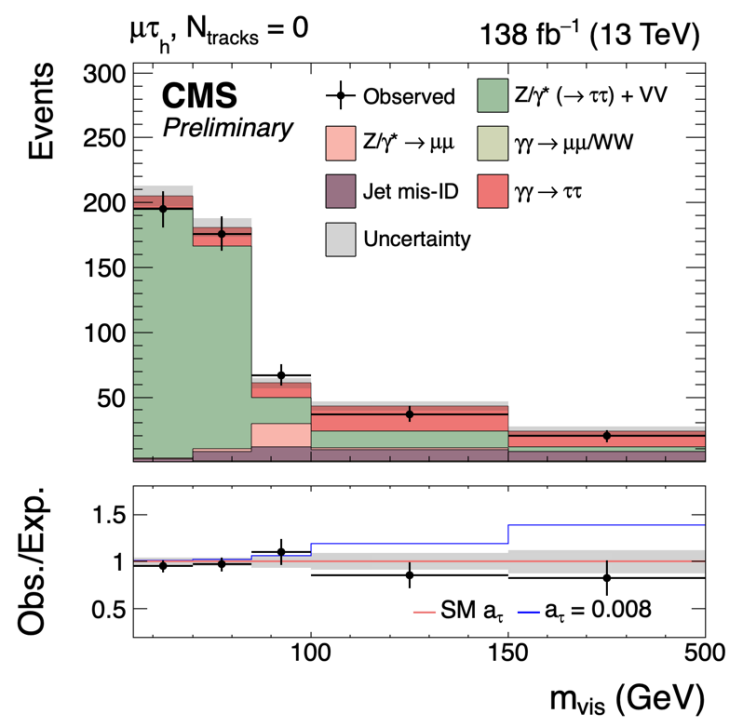
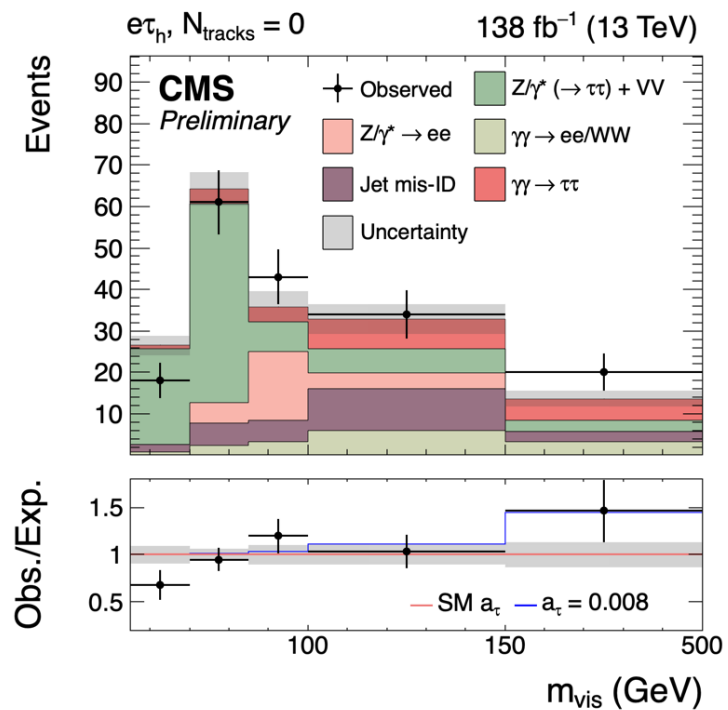
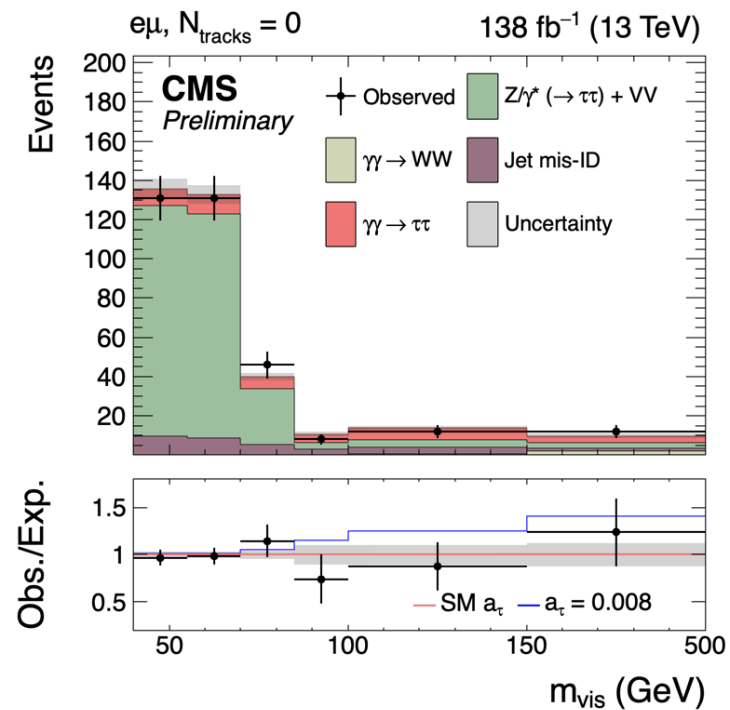


UE/HS track multiplicity correction to Drell-Yan (6.5% uncertainty for  $N_{\text{tracks}} = 0$ )

$N_{\text{tracks}}$  extrapolation of the jet  $\rightarrow \tau_h$  MF to estimate jet mis-ID background (up to ~20%)

Real and fake  $\tau_h$  identification (at low  $N_{\text{tracks}}$ )

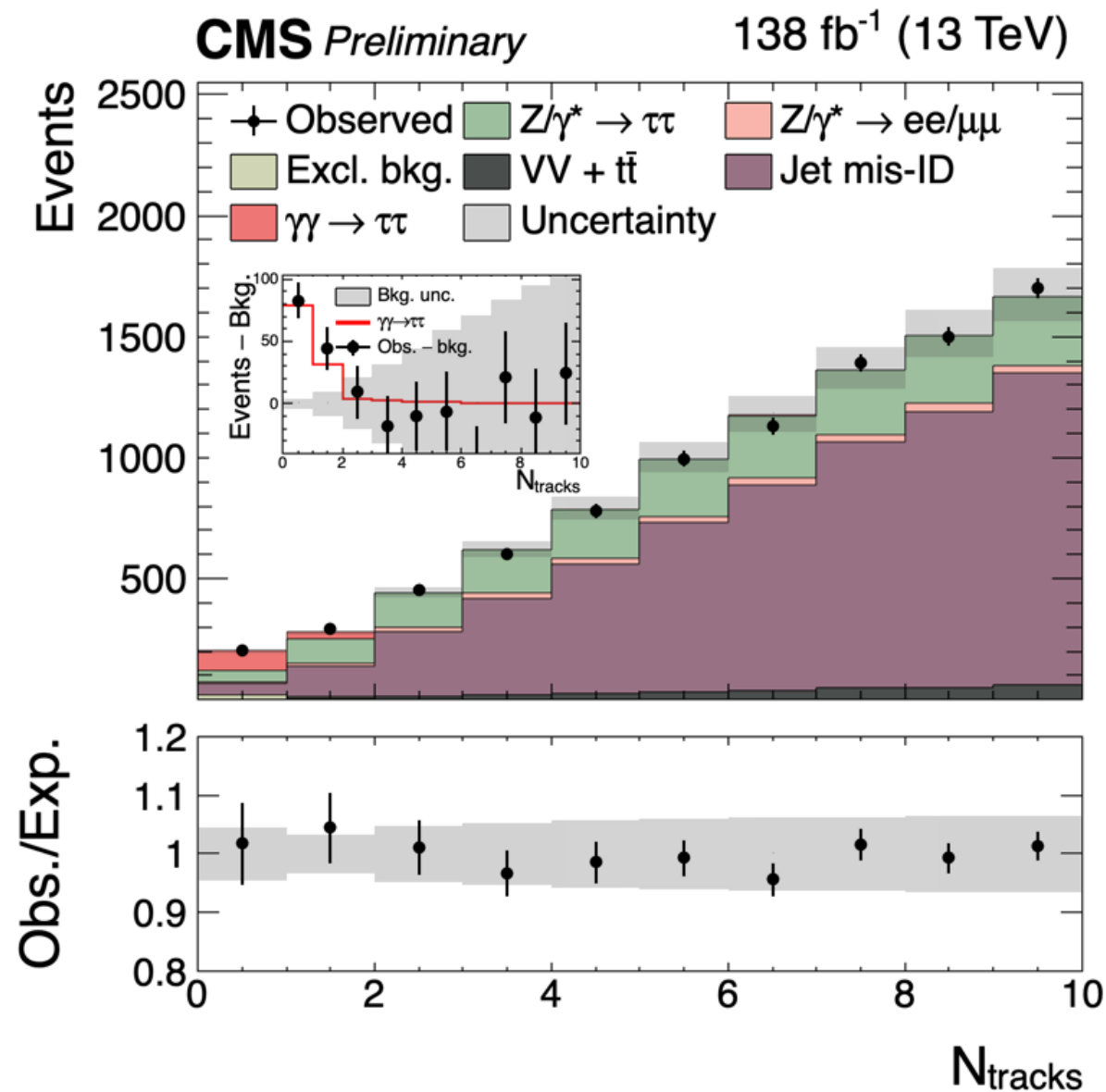
# $N_{\text{tracks}} = 0$



- $m_{\text{vis}}$  distributions in the different final states after the maximum likelihood fit, assuming SM  $a_\tau$  and  $d_\tau$
- **Signal visible in high  $m_{\text{vis}}$  bins**

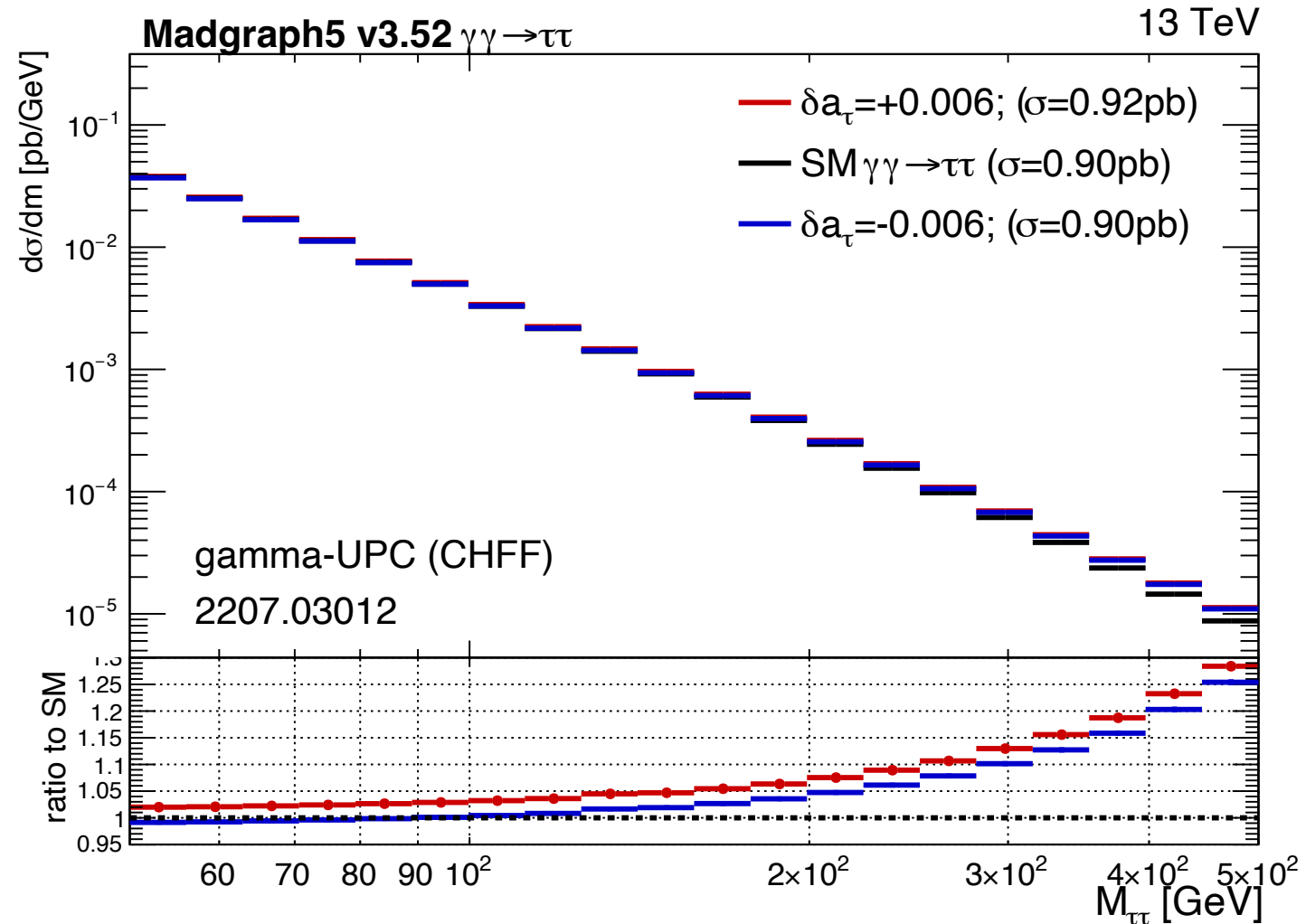
# Observation of $\gamma\gamma \rightarrow \tau\tau$

- 5.3  $\sigma$  observed, 6.5  $\sigma$  expected
- First observation of  $\gamma\gamma \rightarrow \tau\tau$  in pp runs

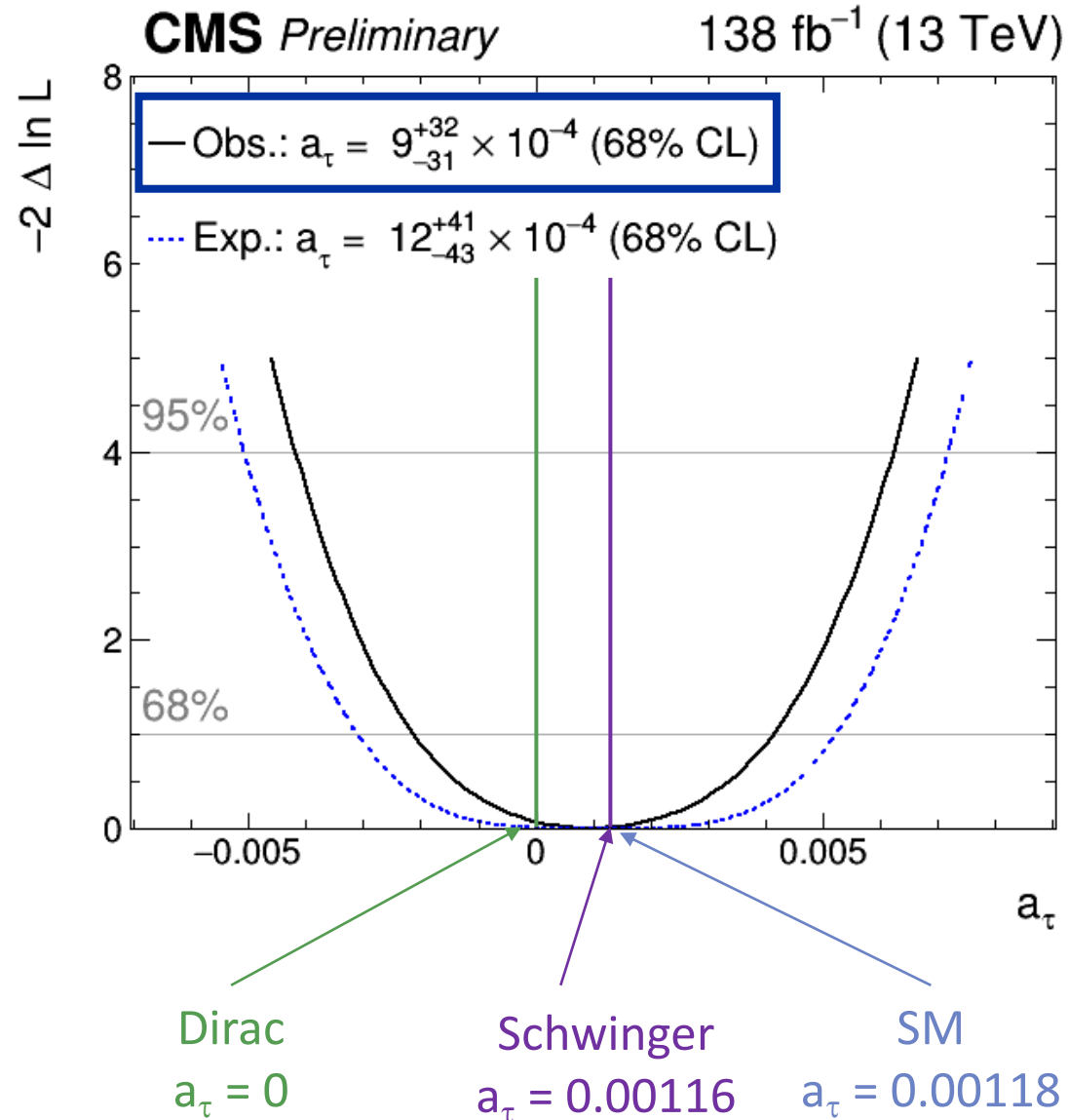


# How BSM physics in $a_\tau$ affects $\gamma\gamma \rightarrow \tau\tau$

- At large  $m_{\tau\tau}$ ,  $\gamma\gamma \rightarrow \tau\tau$  cross section increases with both positive and negative variations to  $a_\tau$
- The effect grows with  $m_{\tau\tau}$
- **We can constrain  $a_\tau$  by looking at the yield and  $m_{\tau\tau}$  distribution of the  $\gamma\gamma \rightarrow \tau\tau$  process**
- Expect better BSM sensitivity than with Pb-Pb runs because of higher  $m_{\tau\tau}$  range probed



# Extracting $a_\tau$



- Using  $m_{\text{vis}}$  distributions in the SR, perform negative log likelihood scan over  $\delta a_\tau$ , which modifies the signal shape and normalization
- In the  $m_{\tau\tau}$  range considered in this analysis, both  $\delta a_\tau > 0$  and  $< 0$  increase the signal prediction
- Observed  $\gamma\gamma \rightarrow \tau\tau$  deficit: tighter constraints than expected, **compatibility with SM**

**1 $\sigma$  uncertainty of 0.003**

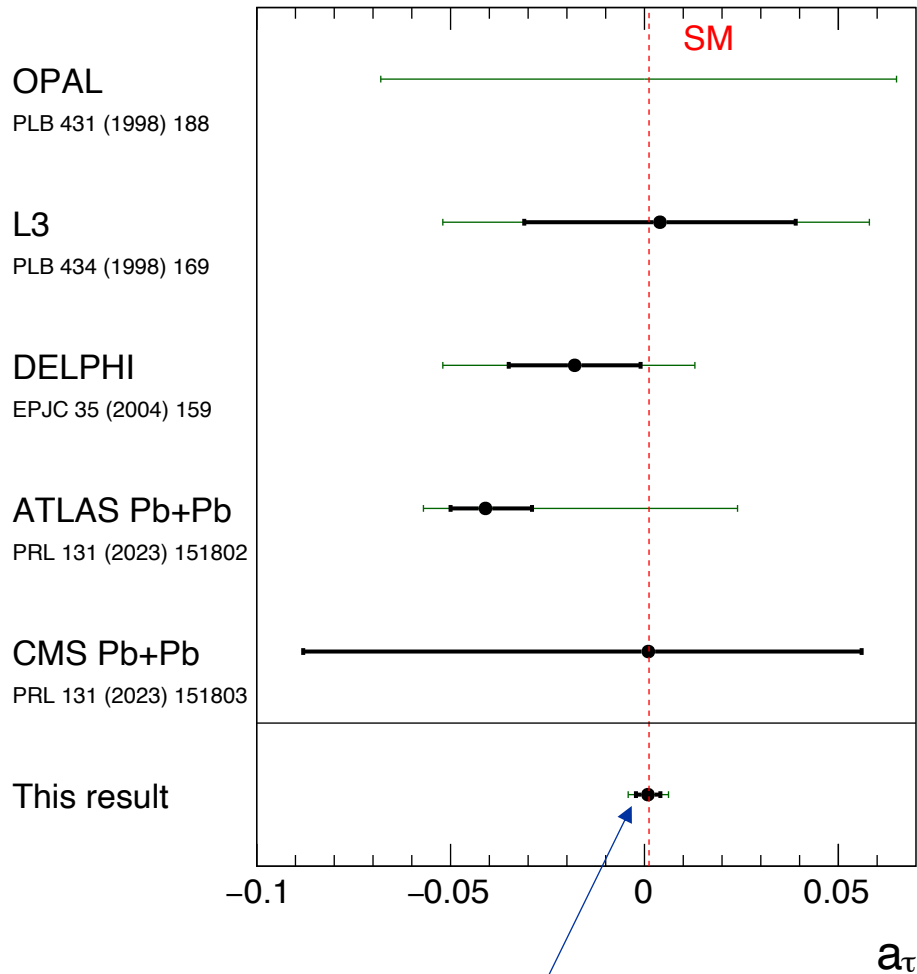
**Only 3 times the Schwinger term!**



# Comparing to previous results

**CMS Preliminary** 138 fb<sup>-1</sup> (13 TeV)

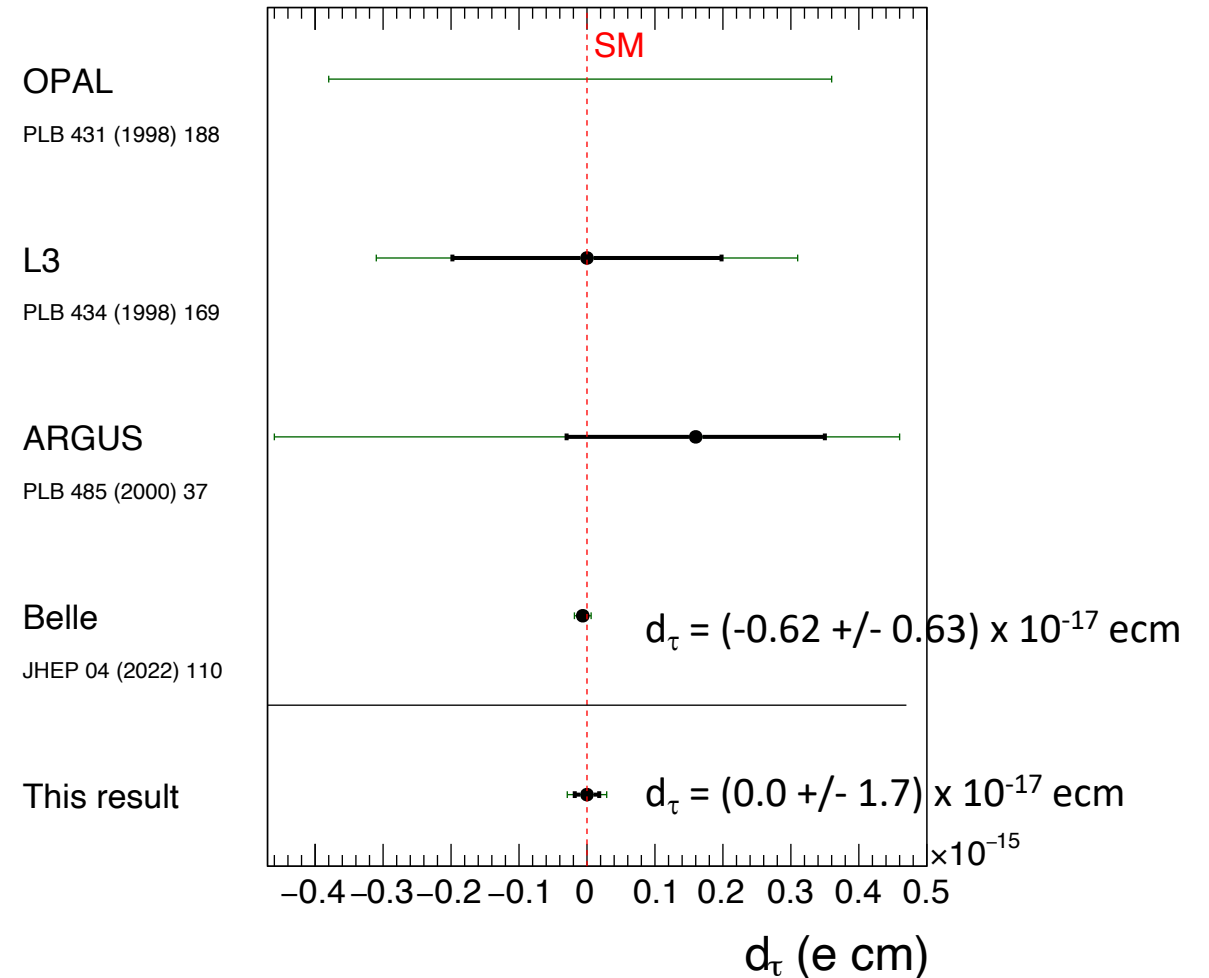
• Observed — 68% CL — 95% CL



Large improvement over LEP and LHC Pb-Pb

**CMS Preliminary** 138 fb<sup>-1</sup> (13 TeV)

• Observed — 68% CL — 95% CL



Approaching Belle precision

# Conclusion

- Thanks to the excellent tracking performance of the CMS detector, we can isolate photon-induced events in ultraperipheral proton-proton collisions without tagging protons
- **The CMS Collaboration has observed, for the first time,  $\gamma\gamma \rightarrow \tau\tau$  events in pp runs**
- These events were used to constrain the tau electromagnetic moments with an EFT approach

$$a_\tau = 0.0009 +0.0032/-0.0031 \text{ at 68\% CL}$$

$$-0.0042 < a_\tau < 0.0062 \text{ at 95\% CL}$$

- **Improving previous constraints on tau g-2 by a factor of ~5** (PDG:  $-0.052 < a_\tau < 0.013$  at 95% CL) and approaching the precision of the Schwinger term (0.00116)