LHeC

Basic Concepts and Layout of the Machine

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LHeC (>50 GeV electron beams) $E_{cms} = 0.2 - 1.3$ TeV, (Q²,x) range far beyond HERA run ep/pp together with the HL-LHC (\geq Run5)



LHeo

The Large Hadron-Electron Collider at the HL-LHC

LHeC Study Group



Published in J.Phys. G

Main Components & Challenges,

... what is needed to provide e-p Collisions at LHC ??

Electron Acceleration: compact, efficient, "green" — > ERL

IR-region: Electron mini-beta Beam separation Proton mini beta

Individual optics for p-p collisions and e-p collisions

—> colliding p-beam
—> non-colliding proton beam

concurrent & alternating e-p /p-p Operation

Beam-Beam Effect & Luminosity: limits & impact for p & e beam Synchrotron Radiation & MDI

LHeC: The ERL

Design of an ERL based Linac to accelerate electrons and collide with one LHC proton beam

- * *limited size of the electron "ring"*
- * beam-beam limit pushed far up
- * synchrotron radiation limited to "one turn"
- * *beam energy recovered* in the deceleration branch



TTTTTTTTT	court. A. Stocchi

Parameter	Electrons
Energy (GeV)	50
N_p /bunch (10 ¹¹)	2.2
Ne /bunch (109)	3.1
bunch distance (ns)	25
I _e (mA)	20
Emittance (nm)	0.31
Beam size @ IP (µm)	8 / 8
Length (m)	6665
Luminosity (cm ⁻² s ⁻¹)	3*10 33
wall plug power	100 MW

Prototype Design: PERLE / Orsay

ERL: Energy Recovery Linac



Instead of recirculating the electron beam (Storage Ring) (loosing brightness & energy) ...

... recirculating the beam energy for new acceleration (high brightness, low radiation losses, high efficiency)

LHeC: Where are we?





LHeC Main Components: sc. RF System



Energy Loss Compensation

Matching/Snr

900m

Energy Loss Compensatio

Injecto

/Matching

Return Arcs: ... a piece of Art court. A. Bogacz

FMC cell to optimise for low / high energy arcs:

* low energy: keep bunches short for optimum phase "spread"







Energy Loss Compensation

Arc 1,3,5

tching/Spread

Energy Loss Compensation

Arc 2,4,6

Develop a focusing structure for constant revolution time, independent of the particle energy

—> keep the bunch length short



Simulation for the PERLE-ERL

long bunches "see" the non-linear rf field and distort in phase space

Return Arcs & Spreaders

FMC cell to optimise for low / high energy arcs:

* high energy: v = const, keep radiation effects small

$$\varepsilon_0 = C_q \; \frac{\gamma^2}{j_x} \; \frac{I_5}{I_2} \qquad I_2 = \oint \frac{1}{\rho^2} ds \approx \frac{2\pi}{\rho}$$
$$I_5 = \oint \frac{\mathscr{H}_x}{\rho^3} \; ds$$

$$\mathscr{H}_x = \gamma_x(\eta_x)^2 + 2\alpha_x\eta_x\eta_x' + \beta_x(\eta_x')^2$$

low emittance optics arc 4,5,6



Between Arcs and RF structure: Beam Spreader / Re-Combiner

Distribute / re-combine the beam before / after each linac to the corresponding arc structure

Challenge: minimise emittance dilution ... in the vertical plane $\longrightarrow H_y$

- Non-dispersive (i.e. "achromatic") vertical deflection system
- Gently matched beam optics between Linacs and Arcs
- Optimised for smallest impact on ε_y



ERL beam optics: spreader, dispersion suppressor arc structure & re-combiner

$$\mathscr{H}_x = \gamma_x(\eta_x)^2 + 2\alpha_x\eta_x\eta_x' + \beta_x(\eta_x')^2$$

court. A. Bogacz, K. André



The Interaction Region court. Kevin André

Separation Scheme of the Electrons



Electron Emittance & Beam Beam Effect

court. K. André

Optimise optics: Rematch including the beam-beam focusing



IR Optics for minimum Optics mismatch

Performance Limit: Beam disruption

development of tails due to non-linear beam beam force





The Interaction Region: Synchrotron Light & Emittances

critical energy

$$E_{crit} = \frac{3hc}{2} \frac{\gamma^3}{\rho}$$

$$e^2 c (\gamma^4)$$

radiated power





Dominance

of Photoelectric Effect

emitted synchrotron radiation during beam separation

Shielding of Detector & sc Magnets

> court. Dan Hanstock Laurent Forthomme



Main Systems: Interaction Region

court. T. vonWitzleben



Proton Beam Performance: two fold operation mode

Create a three beam optics, with e-p collisions and one - relaxed - proton beam passing by

h-h operation:



Momentum offset = 0.00 %



Position s [m]

p-beam 2 *e-p operation:* p-beam 1 *—> relaxed optics* —> high luminosity optics max aperture margin Betafunction Beam 1 with $\beta^* = 0.35m$ Betafunction Beam 2 with $\beta^* = 16m$ 5000 ATLAS ALICE CMS LHCb ATLAS ALICE CMS LHCb 7000 4000 6000 Betafunction x [m] 0005 0005 Betafunction × [m] 9000 0000 × [m] 9000 0000 — Correction Correction with B*= 16m 2000 1000 1000 0 0 5000 10000 15000 20000 25000 5000 10000 15000 20000 25000

Position s [m]

s(m) [*10**(3)]

court. T. vonWitzleben



Luminosity (cm⁻² s⁻¹)

 $\beta_p^* \approx 20 \ cm...55 \ cm$

wall plug power: 100 MW

3*10 33

Status & Next Steps:

Design of ERL, Proton Optics

• beam separation scheme

Design for prototypes of special magnet Q1:

• sc. "field free" quadrupole

Synchrotron Radiation & Shielding

- MDI inner detector
- sc. Quadrupoles down-stream IP

Optimise e-p Performance

HL-LHC optics
 —> ATS for extreme p-optics

Long Term stability

• tracking calculations, bb effect









Merci

Appendix

Return Arcs: ... a piece of Art

High Energy Arcs: Arc 4 ... 6

v = const, keep radiation effects small well known problem in synchrotron light sources

$$\varepsilon_0 = C_q \frac{\gamma^2}{j_x} \frac{I_5}{I_2} \qquad I_2 = \oint \frac{1}{\rho^2} ds \approx \frac{2\pi}{\rho}$$
$$I_5 = \oint \frac{\mathscr{H}_x}{\rho^3} ds$$
$$\mathscr{H}_x = \gamma_x (\eta_x)^2 + 2\alpha_x \eta_x \eta'_x + \beta_x (\eta'_x)^2$$

low emittance optics arc 4,5,6



and ... the Luminosity Limits:

$$L = \frac{N_e \cdot N_p \cdot n_b \cdot f_{rev}}{2\pi \sqrt{\sigma_{1x}^2 + \sigma_{2x}^2}} \cdot \sqrt{\sigma_{1y}^2 + \sigma_{2y}^2} \cdot \Sigma_i H_i$$

Liouville & Aperture

$$\beta(L) = \beta_0 + \frac{L^2}{\beta_0}$$
 , $\sigma = \sqrt{\epsilon \beta}$

Beam Beam Tuneshift

$$\xi_{x,y} = \frac{Nr_0\beta_{x,y}^*}{2\pi\gamma\sigma_{x,y}(\sigma_x + \sigma_y)}$$

Chromaticity & sextupole strength

$$Q' = -\frac{1}{4\pi} \oint k(s)\beta(s)ds$$

Crossing Angle

Bunch Fill Factor H3 \approx 0.8

Hourglass Factor, $H_1 \approx 0.9$



 $S = \frac{1}{\sqrt{1 + (\frac{\sigma_s}{\sigma_x} \tan \frac{\phi}{2})^2}} \approx \frac{1}{\sqrt{1 + (\frac{\sigma_s}{\sigma_x} \frac{\phi}{2})^2}}.$









