

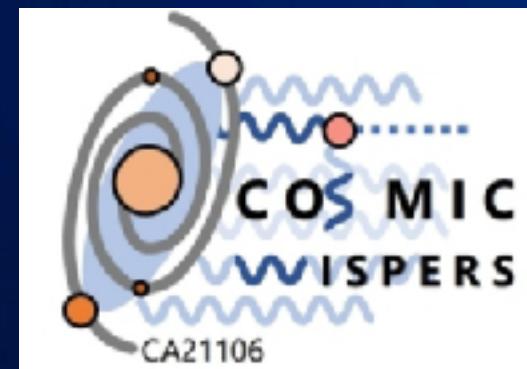
Diffuse Axion Background

Joshua Eby
Oskar Klein Centre
Stockholm University

Athens symposium on Exploring the Universe
ATHEXIS
2024/06/10



Based on



Eby, Shirai, Stadnik, Takhistov (2106.14893)
Arakawa, Eby, Safronova, Takhistov, Zaheer (2306.16468)
Arakawa, Zaheer, Eby, Takhistov, Safronova (2402.06736)
Eby, Takhistov (2402.00100)



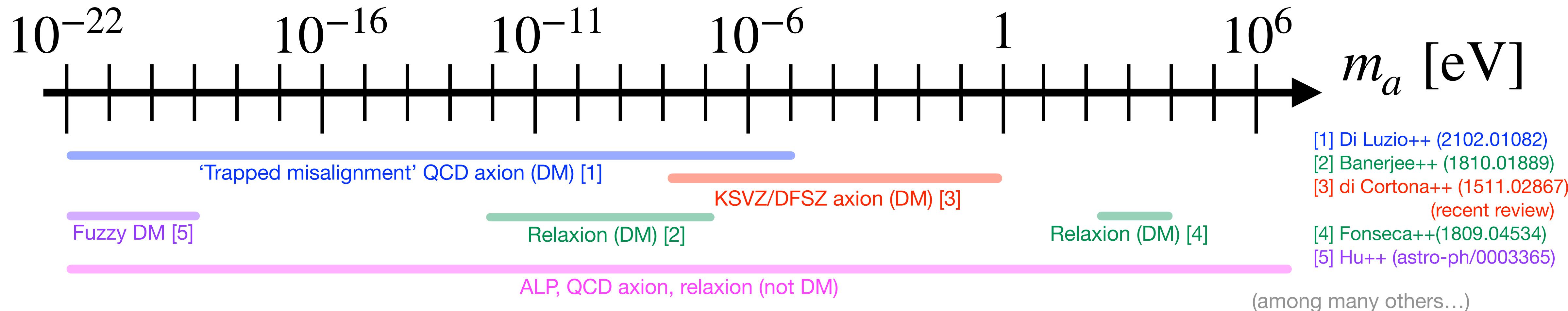
Axions / Axion-like Particles*

*in this talk, same thing

(1) Light or ultralight

(2) Scalar or pseudoscalar

(3) Dark matter or not



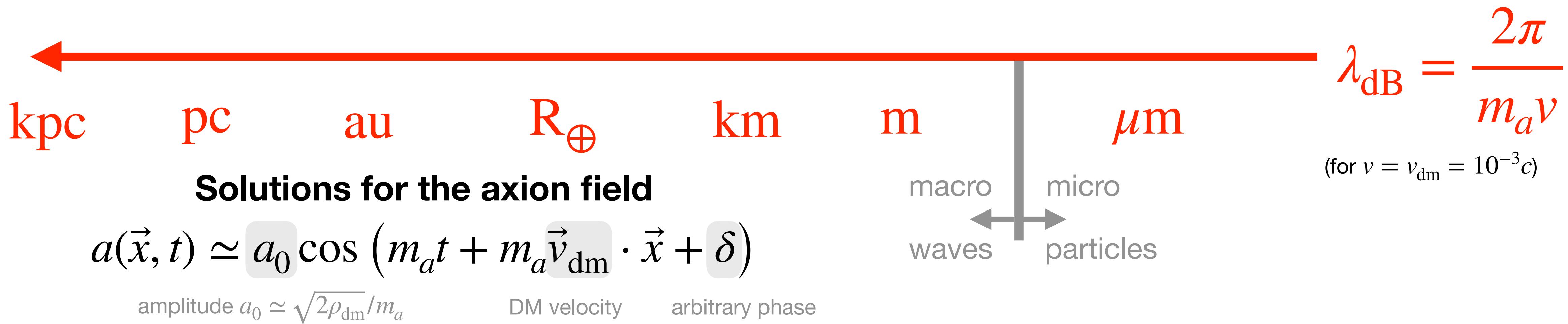
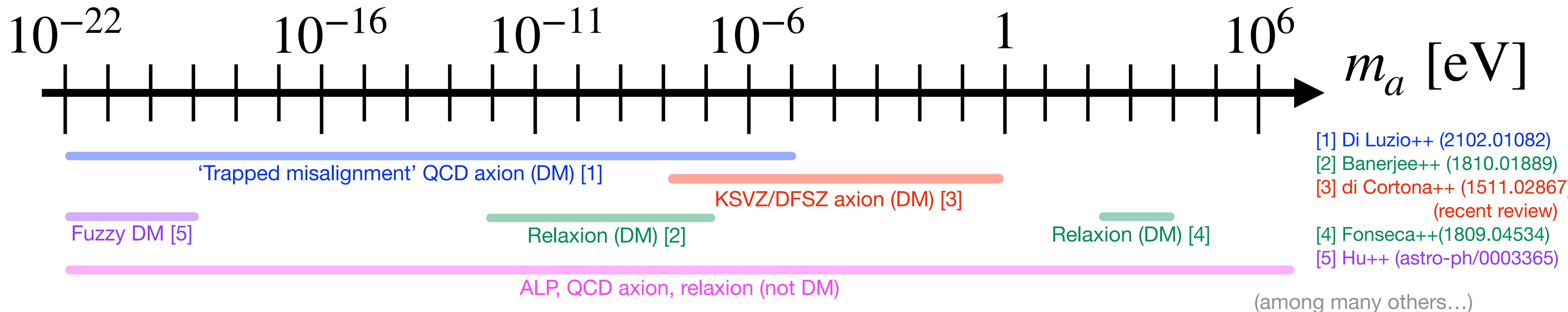
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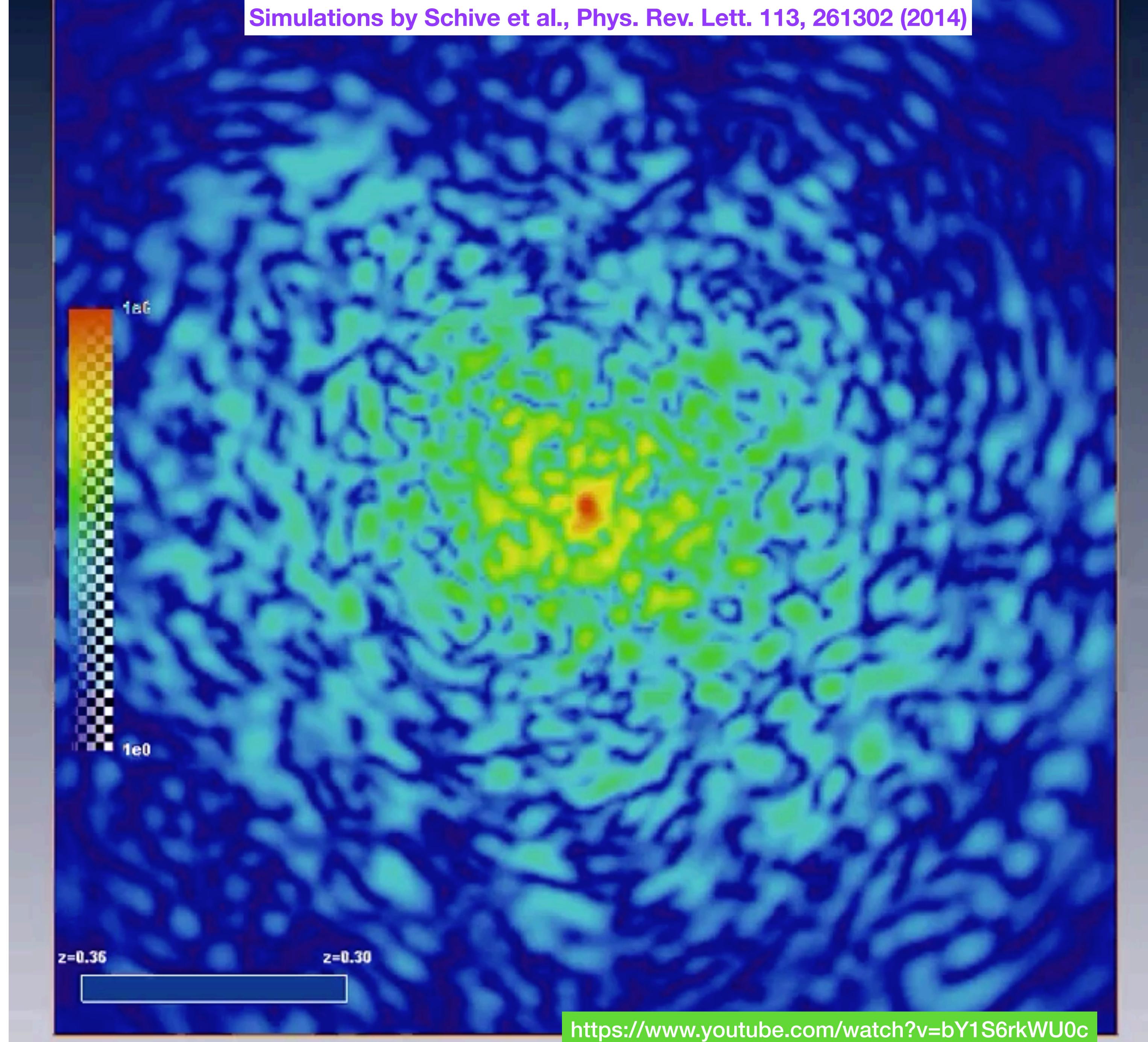
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Density field

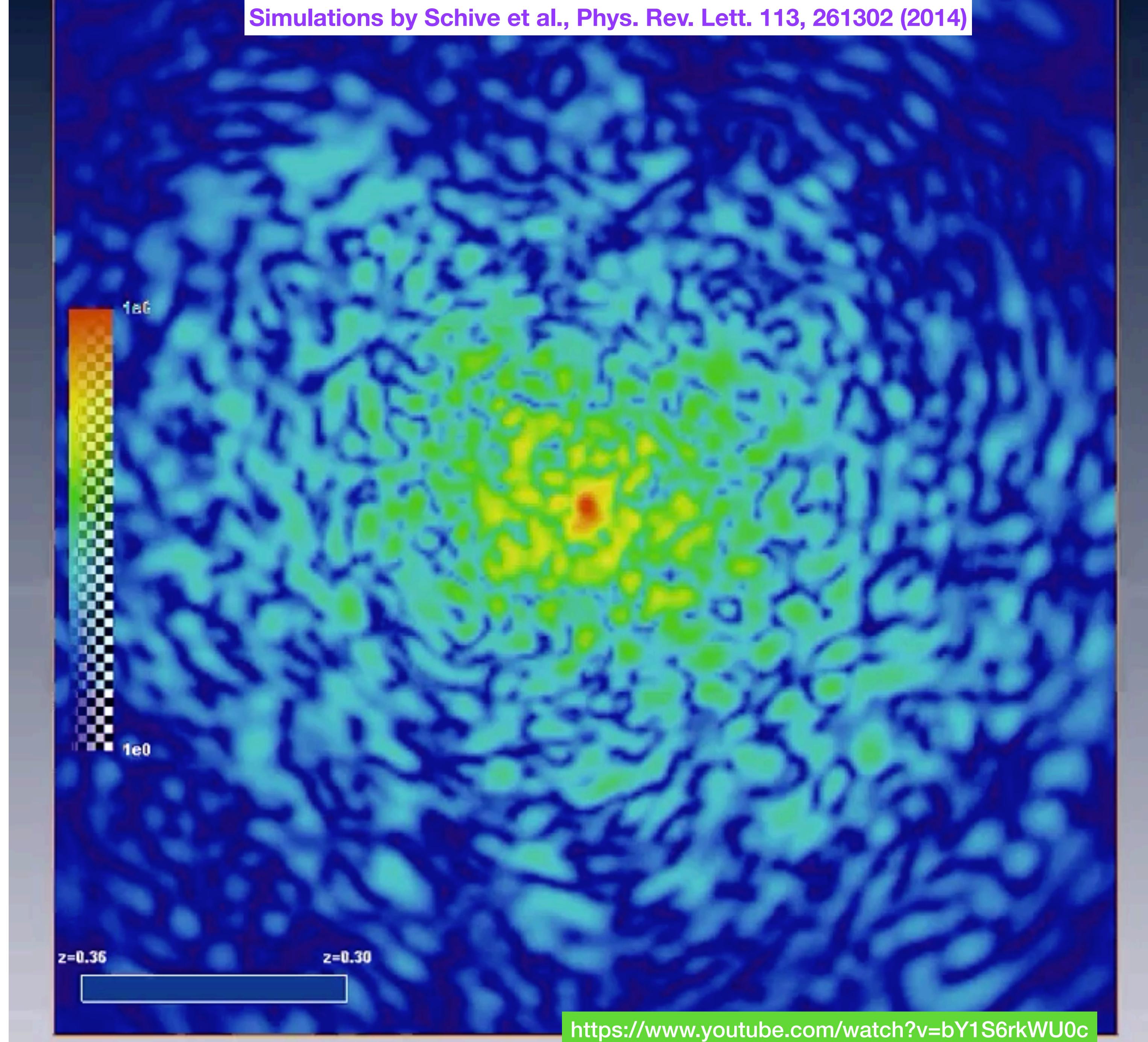
$$\rho(\vec{x}, t) \simeq m_a^2 a(\vec{x}, t)^2$$



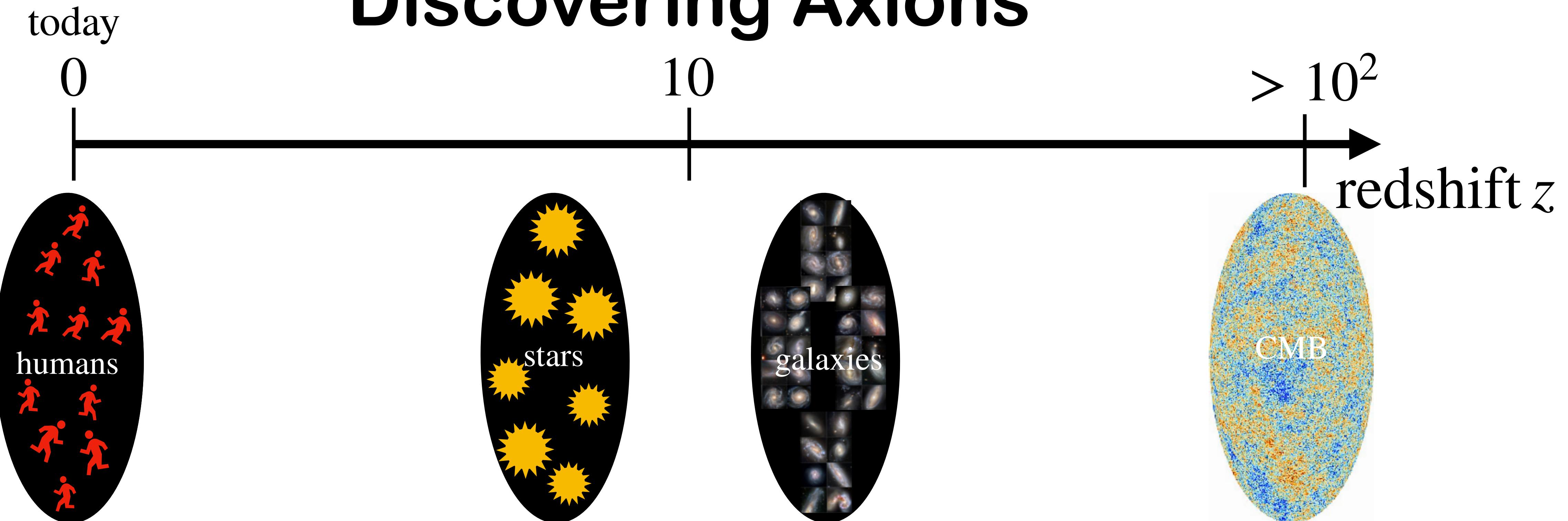
<https://www.youtube.com/watch?v=bY1S6rkWU0c>

Density field

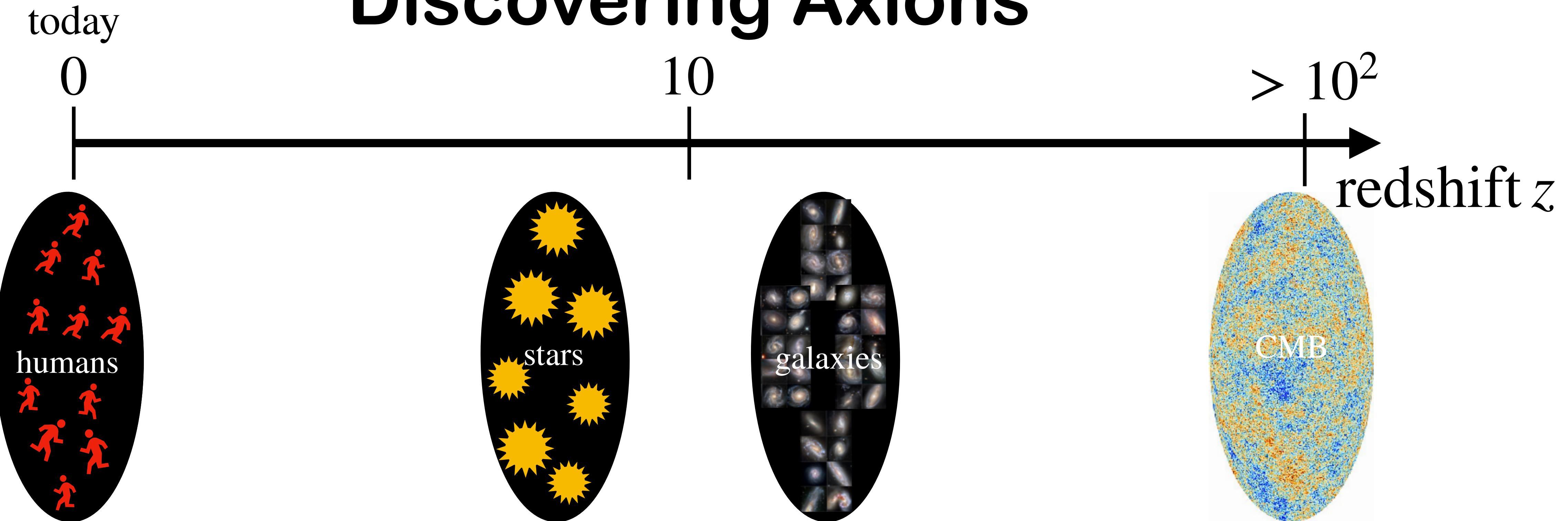
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Discovering Axions



Discovering Axions

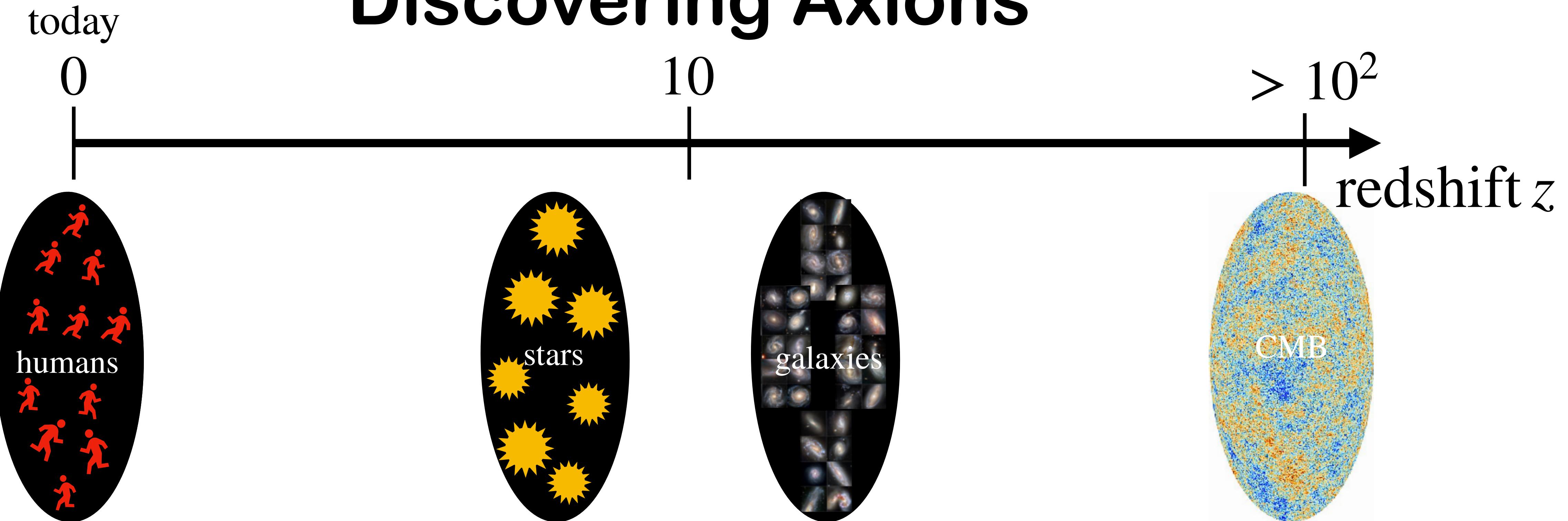


traditional DM searches

$$z \sim 0$$

- cold, $v_{\text{dm}} \sim 10^{-3}c$
- direct detection: local DM with $\rho_{\text{dm}} \simeq 0.4 \text{ GeV/cm}^3$
- indirect detection: annihilation flux from e.g. galactic center

Discovering Axions



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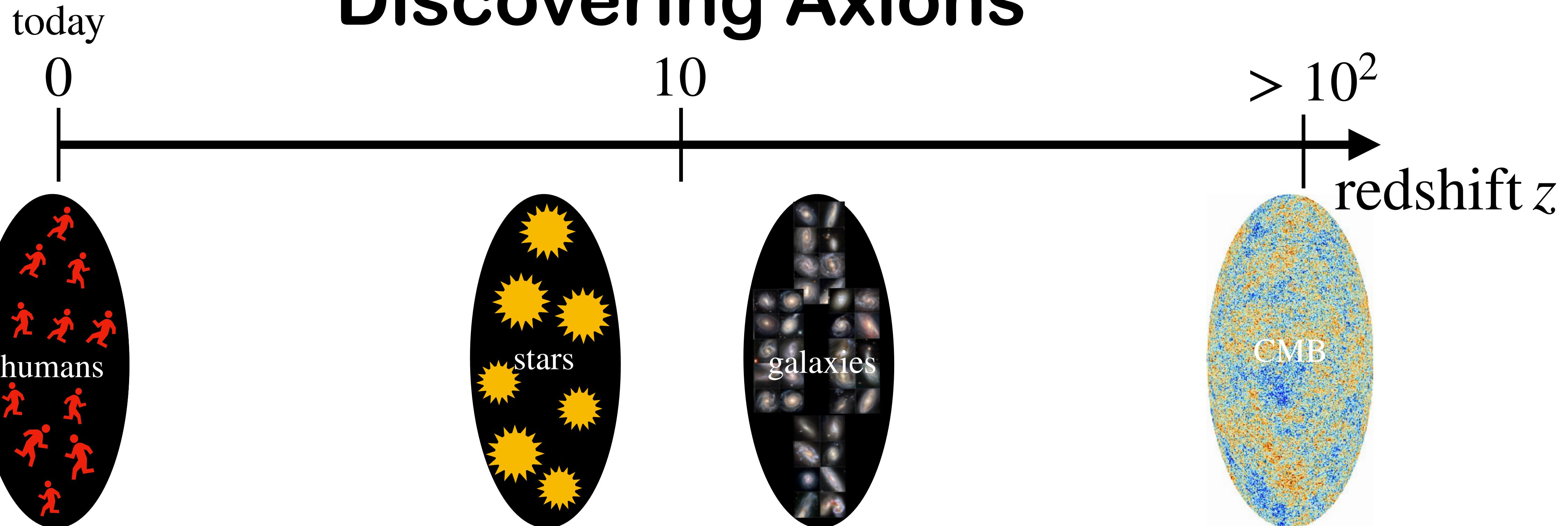
cosmic axion background

$$z \gg 30$$

- “Hot”, $v \sim c$
- Relativistic population of axions from cosmological sources

Conlon and Marsh (1304.1804, 1305.3603)
Dror, Murayama, Rodd (2101.09287)

Discovering Axions



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transient searches

$$z \sim 0 - \text{few}$$

- Relativistic burst passes Earth, leaving detectable signal
- Galactic or extragalactic

Eby, Takhistov,
with Shirai, Stadnik (2106.14893)
with Arakawa, Safronova, Zaheer,
(2306.16468, 2402.06736)

diffuse axion background

$$z \sim \text{few} - 30$$

- build-up of large population of relativistic axions originating in astrophysical bursts
- direct and indirect signals

Eby, Takhistov (2402.00100)

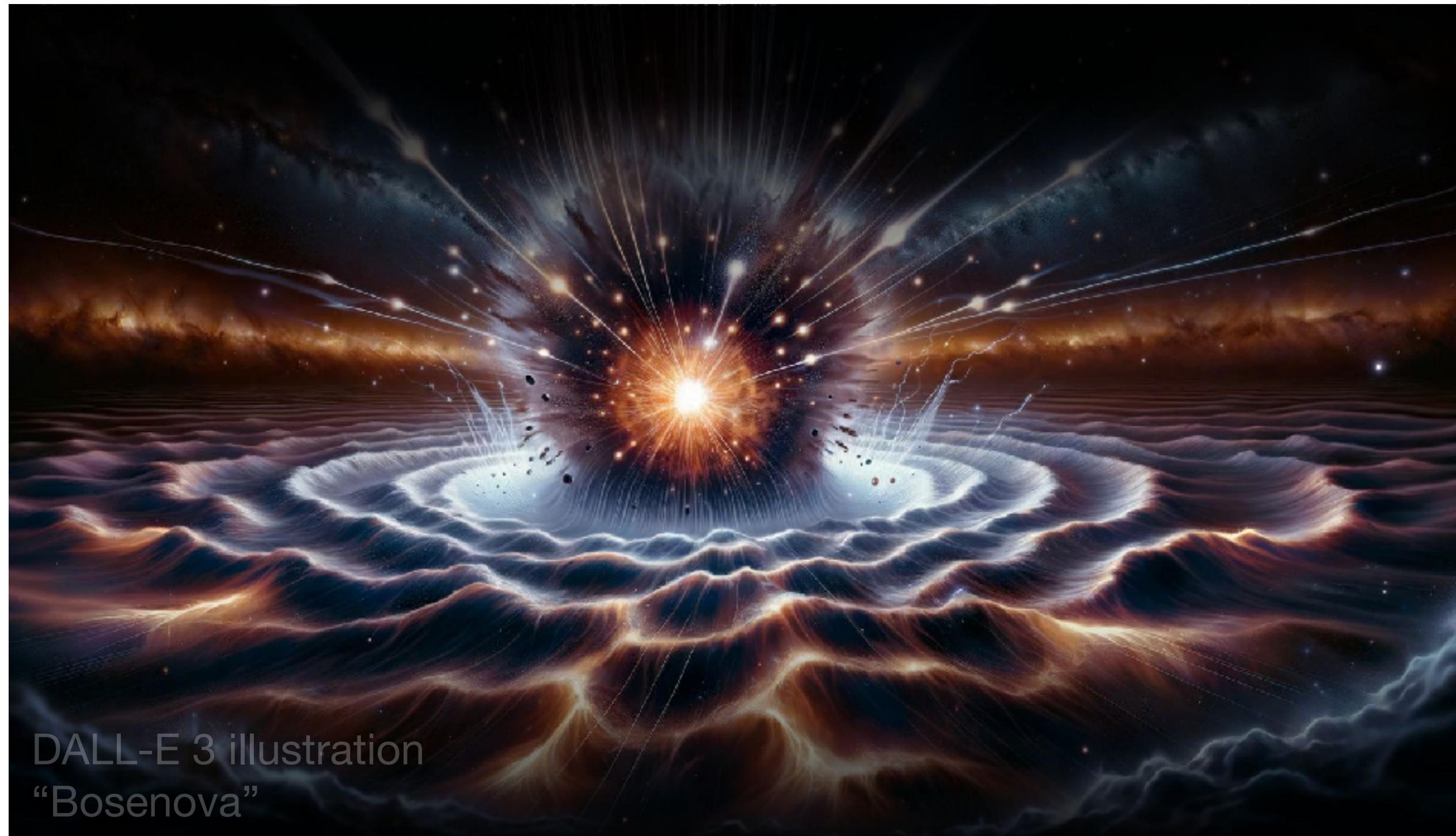
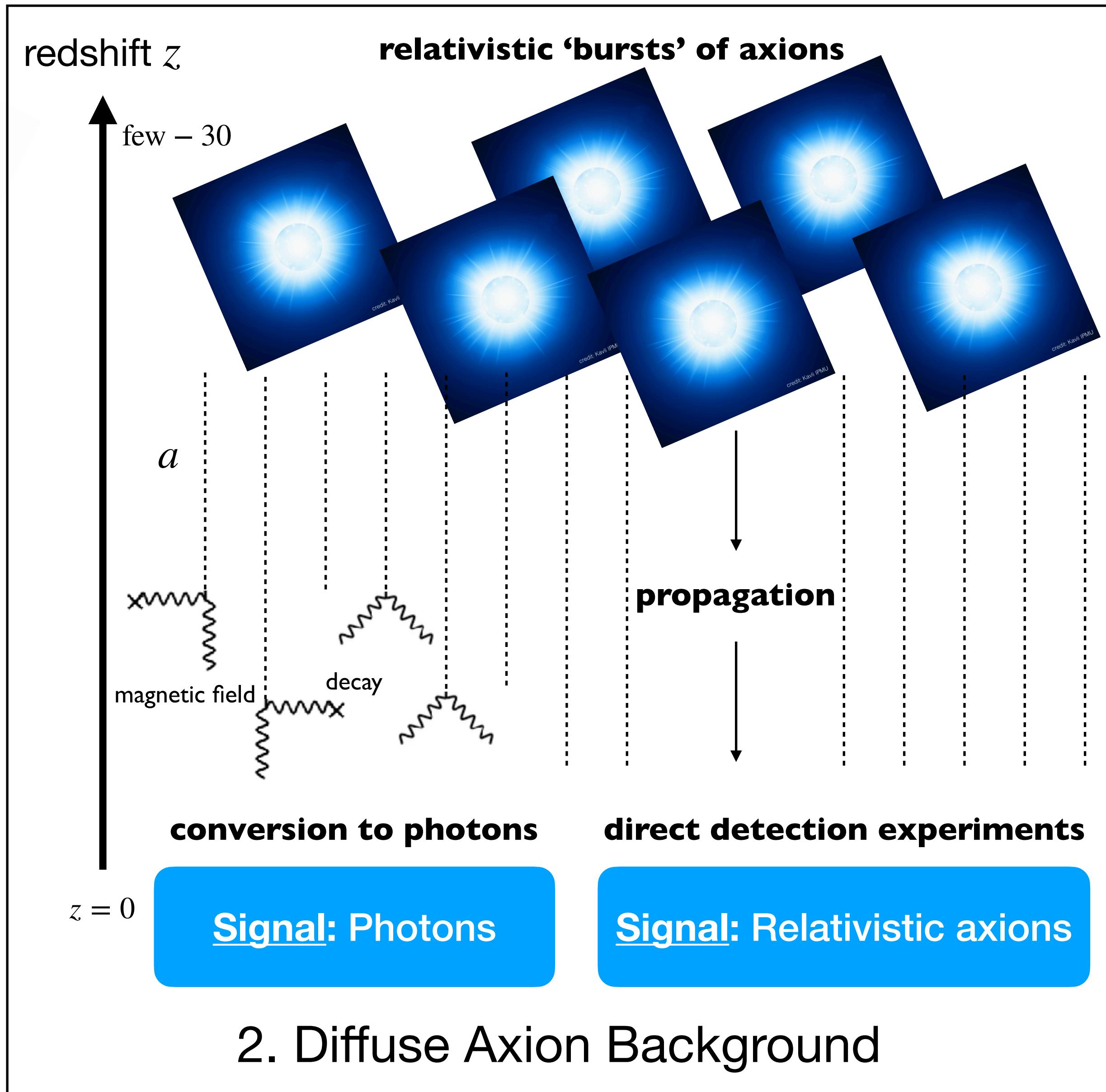
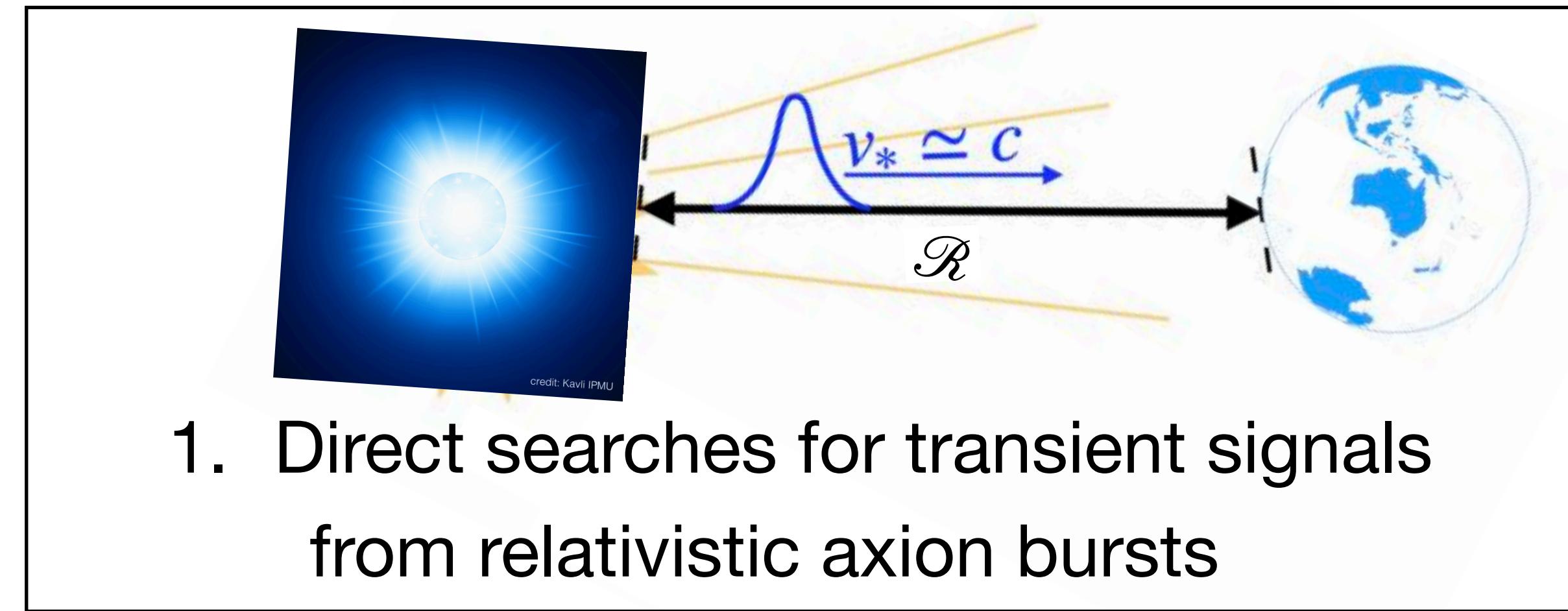
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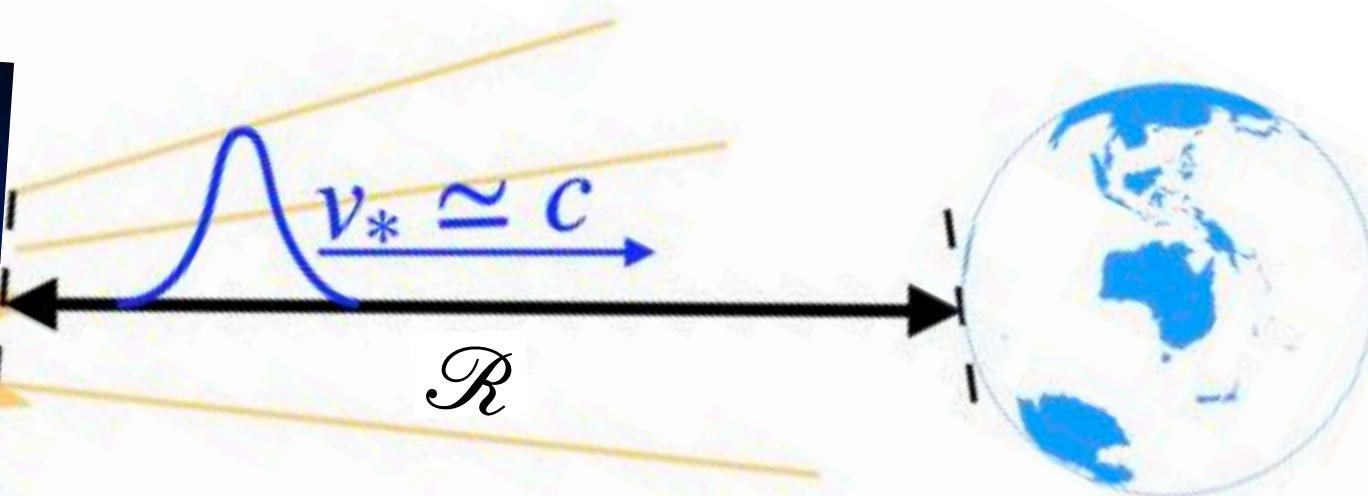
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Outline



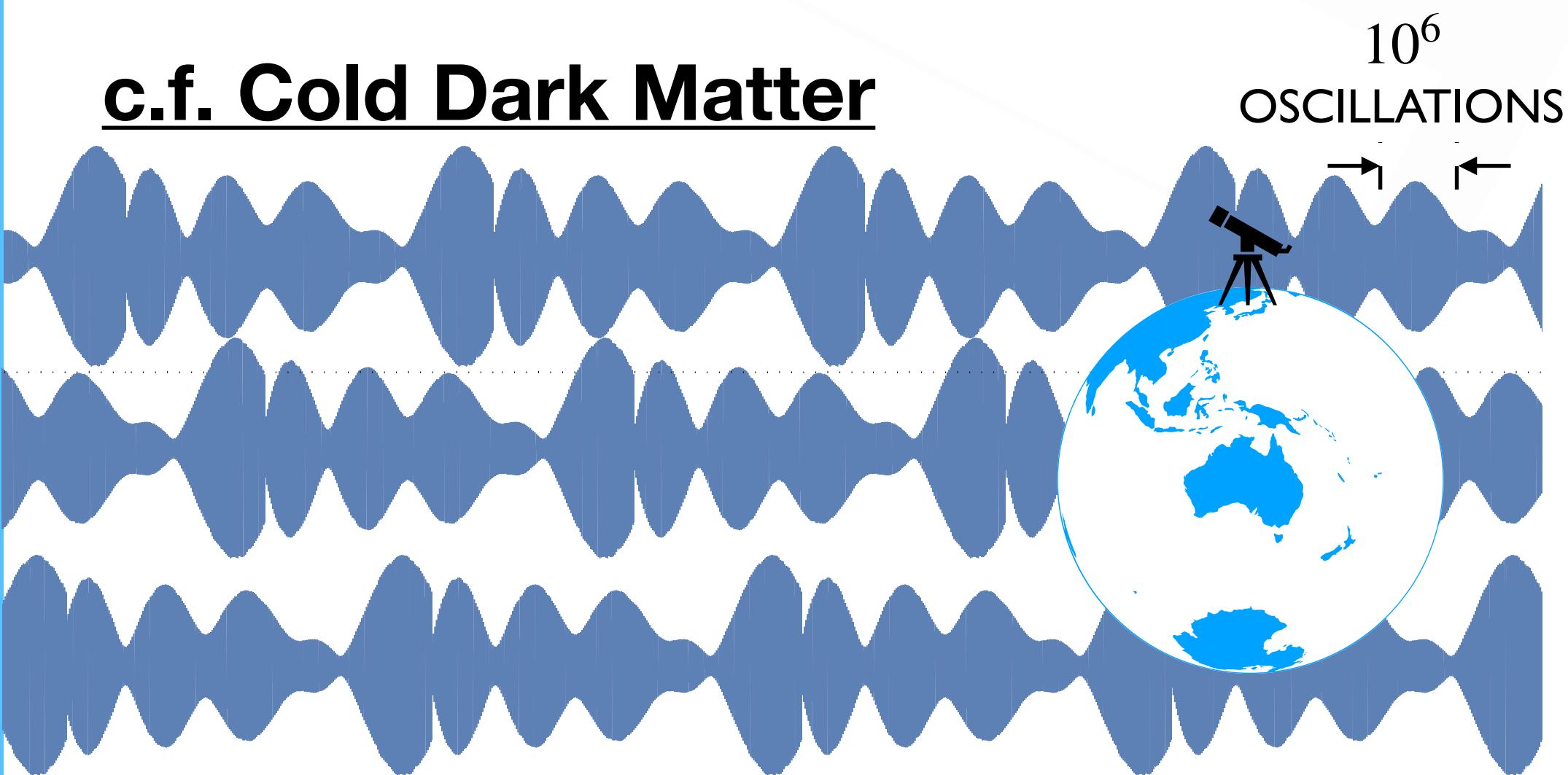


credit: Kavli IPMU

1. Direct searches for transient signals from relativistic axion bursts

Key takeaway: DM search experiments can discover axions by detecting bursts

c.f. Cold Dark Matter



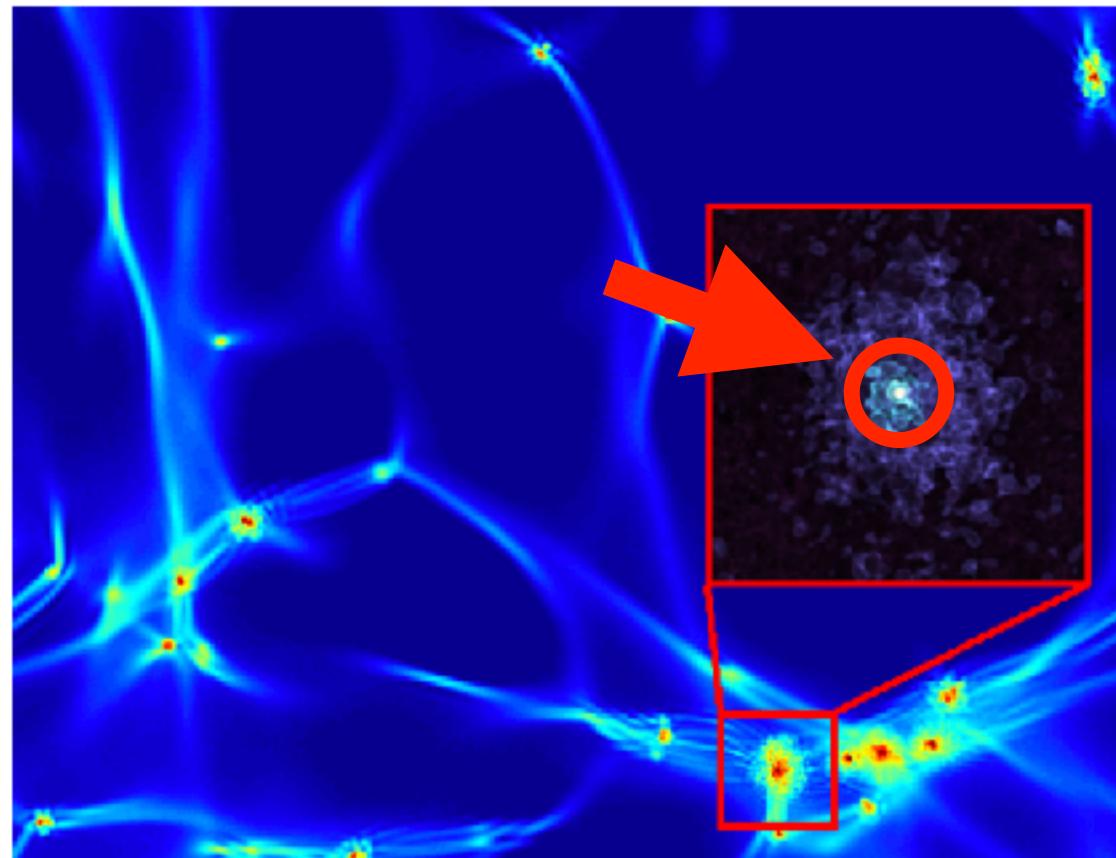
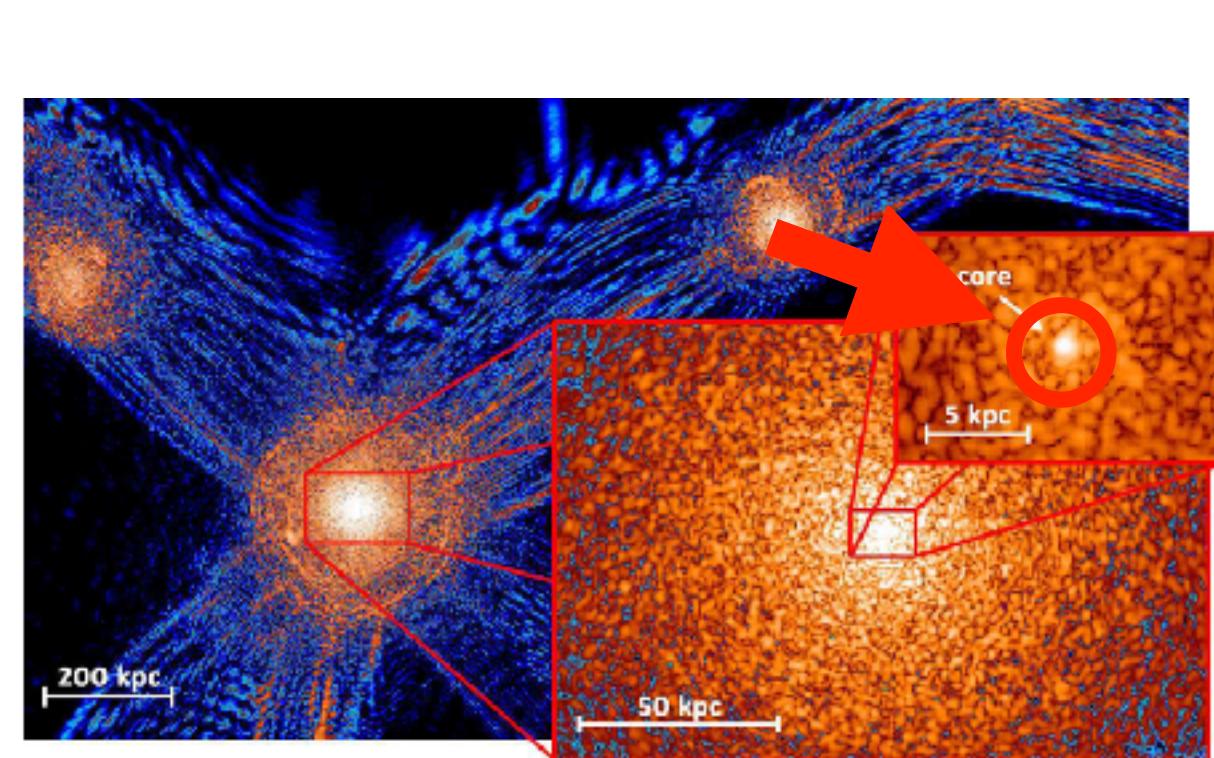
Local DM density:

$$\rho_{\text{dm}} \simeq 0.4 \text{ GeV/cm}^3$$

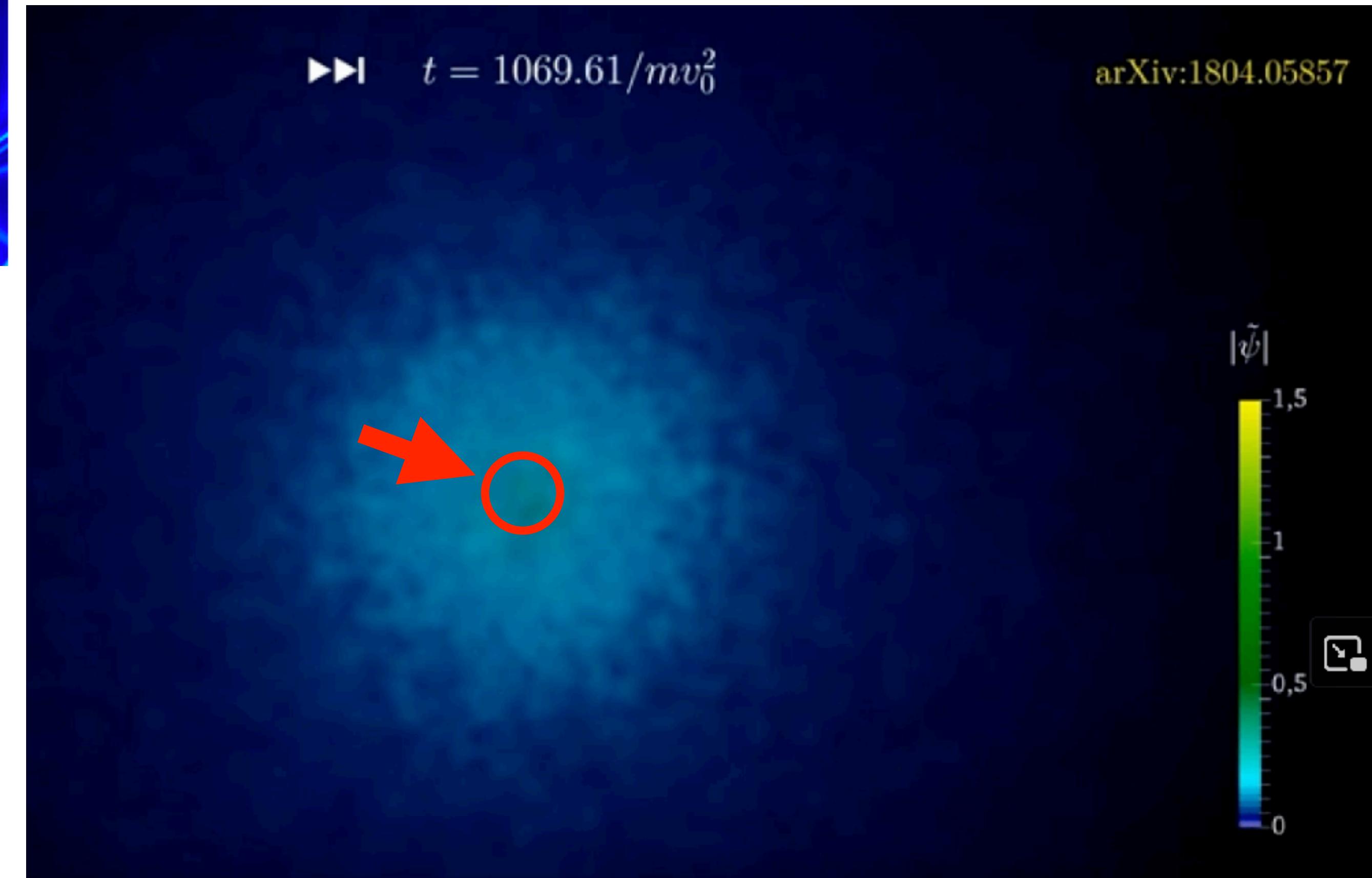
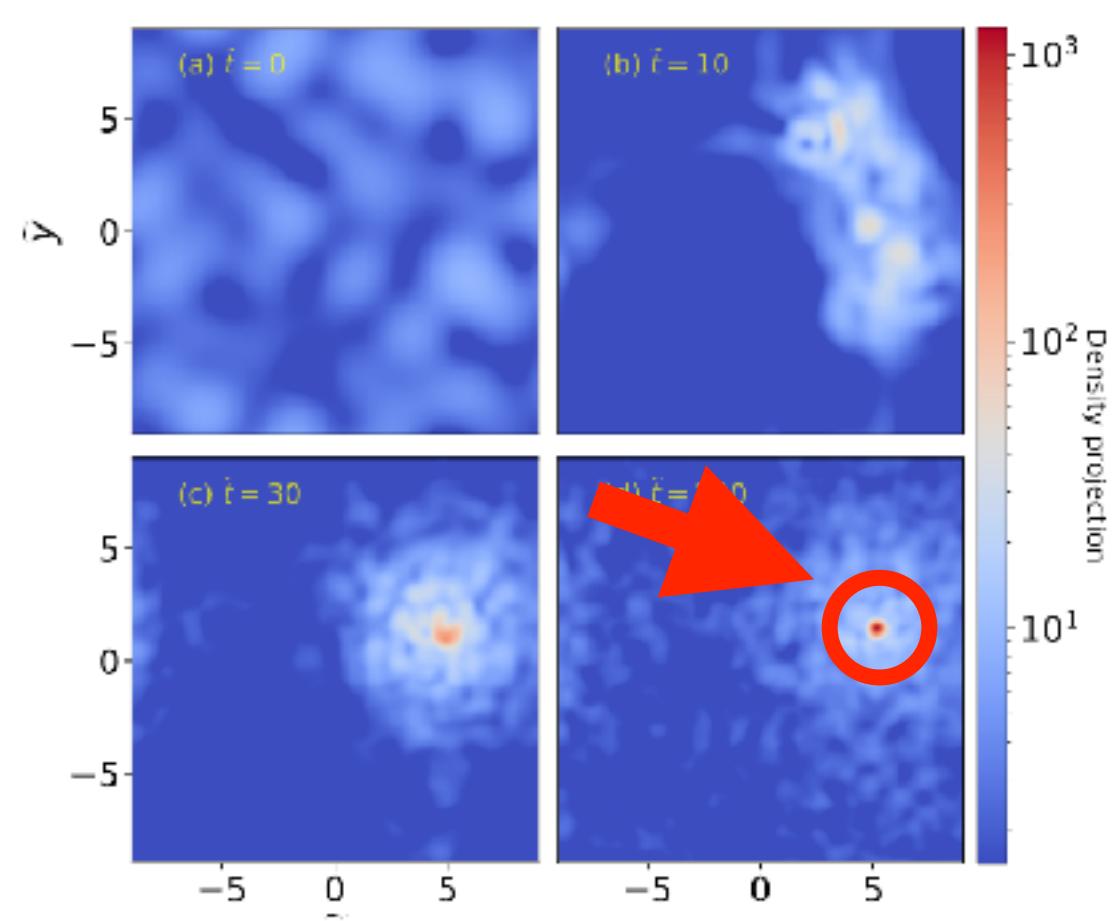
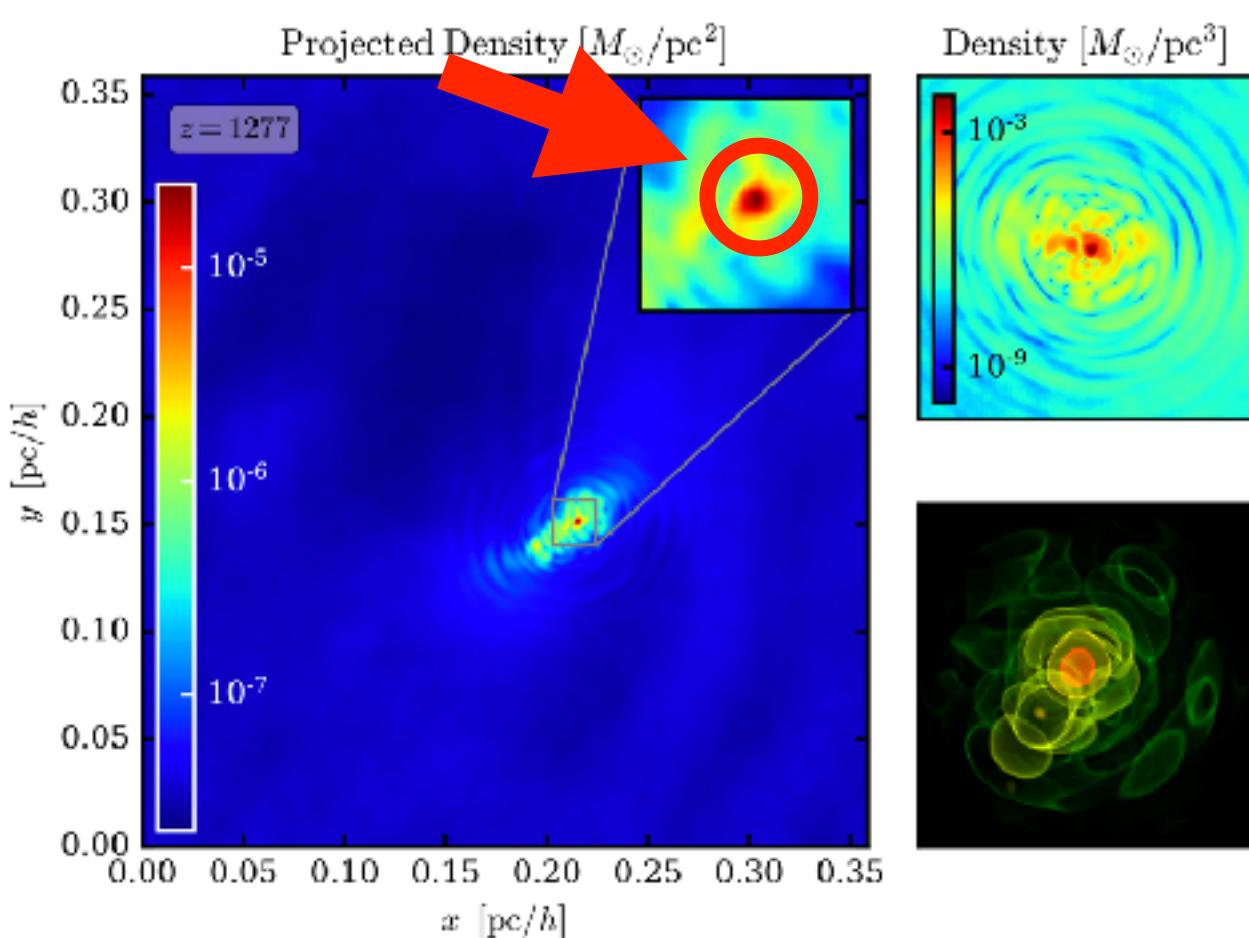
Ultralight scalars are high ‘quality’ oscillators: $v_{\text{dm}} \simeq 10^{-3}c$

$$\tau_{\text{dm}} \sim 2\pi v_{\text{dm}}^{-2} m_a^{-1} \sim 10^6 / m_a$$

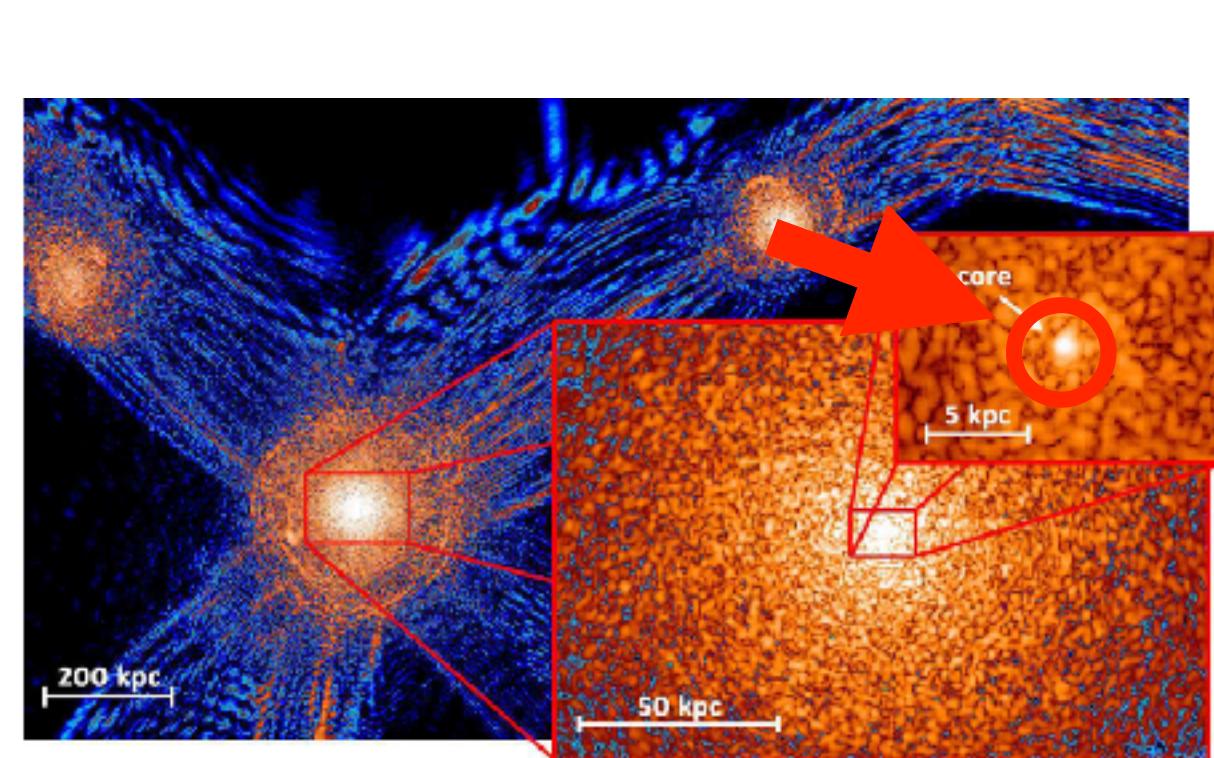
Burst Source of Interest: Boson Stars



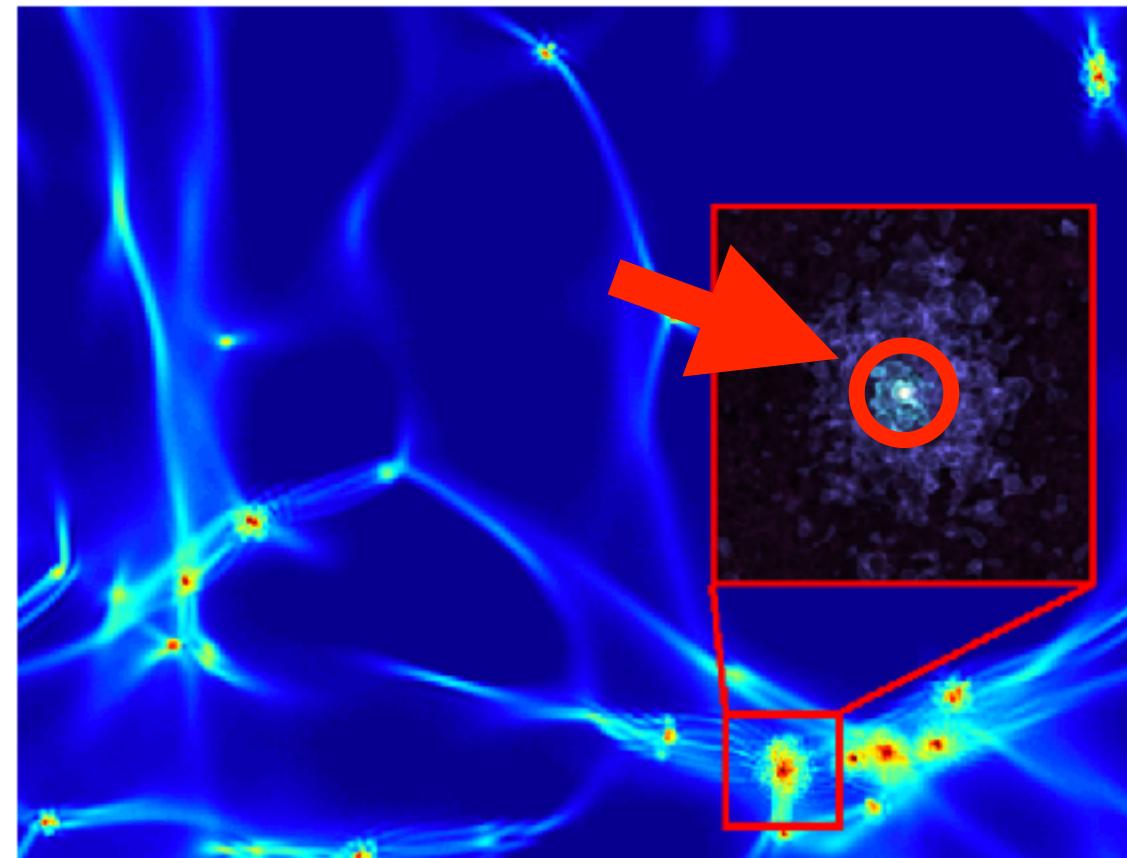
These dense configurations form
in astrophysical DM halos



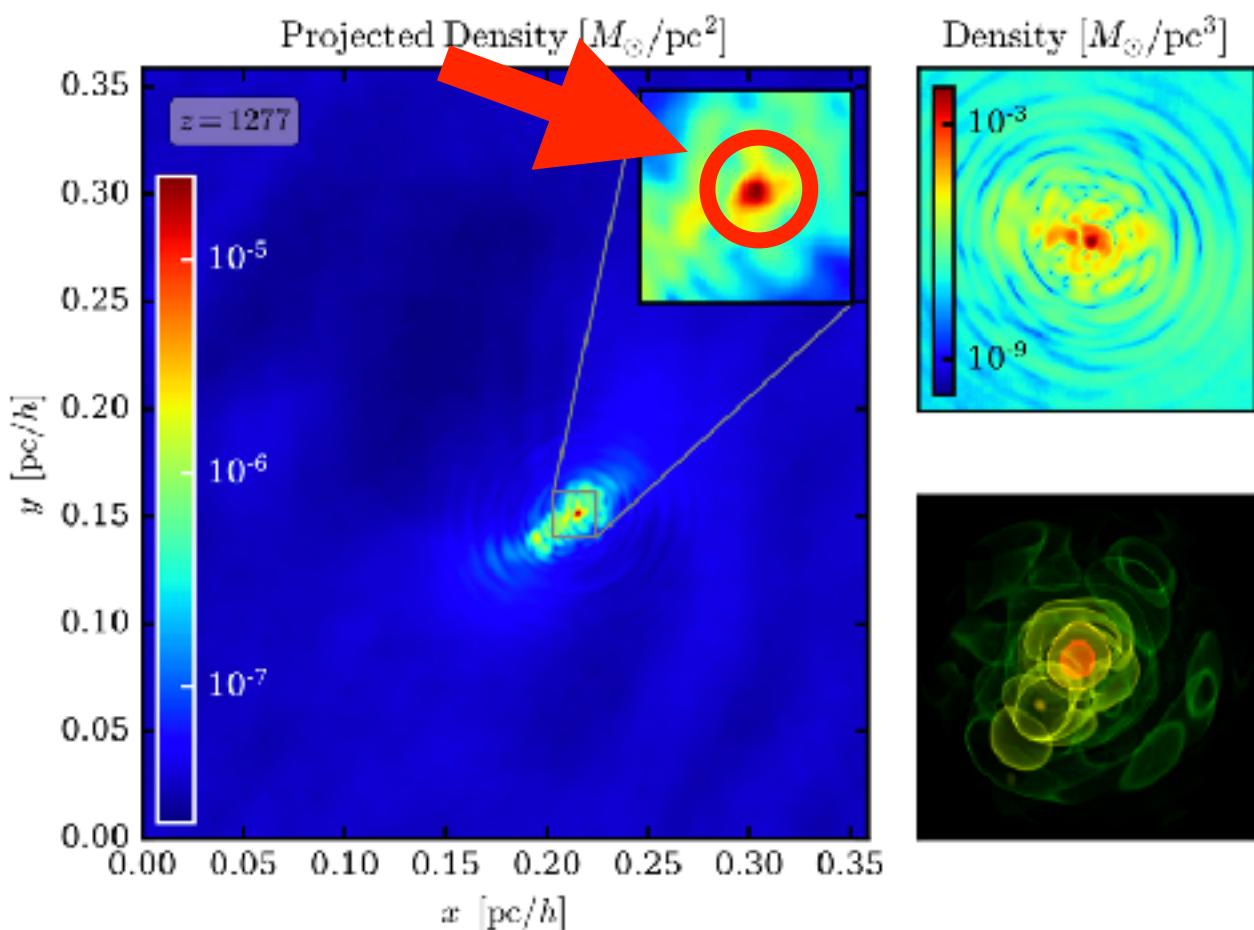
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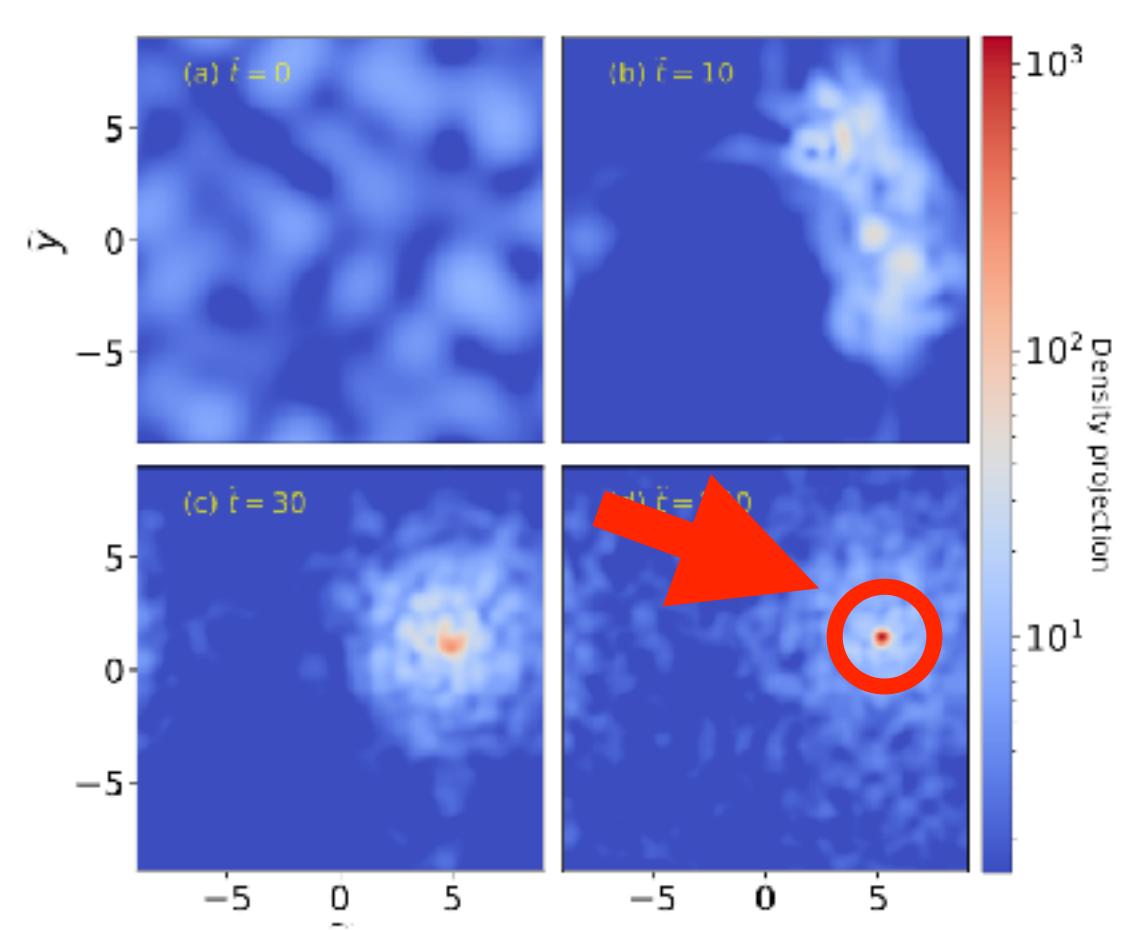
Schive++ (1406.6586)



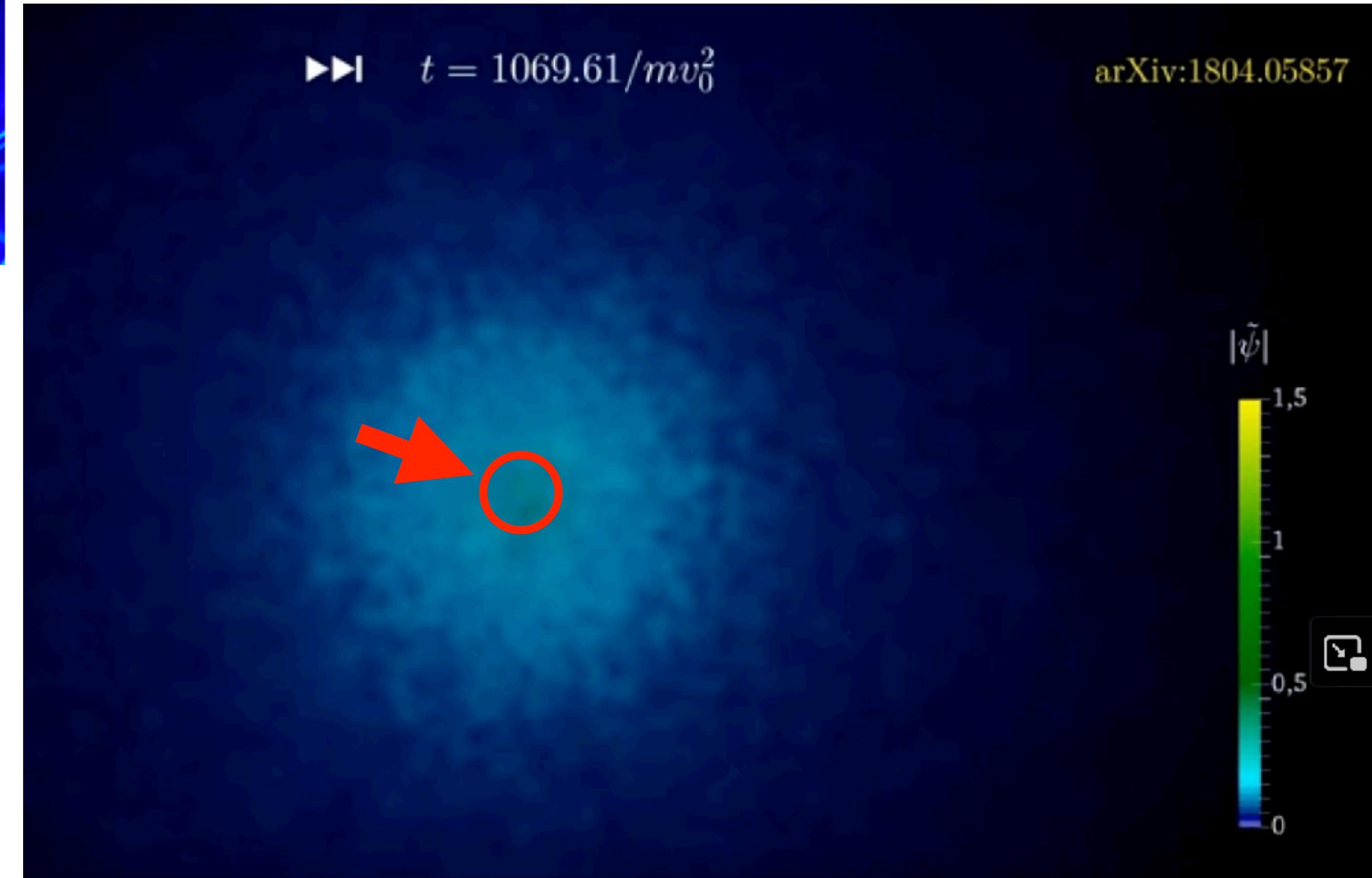
Mocz++ (1705.05845)



Eggemeier and Niemeyer (1906.01348)



Chen++ (2011.01333)



(among others!)

These dense configurations form
in astrophysical DM halos

$$\blacktriangleright \quad t = 1069.61/mv_0^2$$

arXiv:1804.05857



$|\tilde{\psi}|$

1,5

1

0,5

0



1,5

1

0,5

0

Levkov, Panin, Tkachev (1804.05857)

Video via Alexander Panin on YouTube

Equations of Motion

$$\mathcal{L}_a \supset \frac{1}{2} \partial_\mu a \partial^\mu a - \frac{m_a^2}{2} a^2 + \frac{\lambda}{4!} a^4 - \dots$$

- Axions are
- non-relativistic
 - classical field
 - gravitating

$$i \frac{\partial \psi}{\partial t} = \left[-\frac{\nabla^2}{2m_a} + V_g(|\psi|^2) + V_{int}(|\psi|^2) \right] \psi$$

Equations of Motion

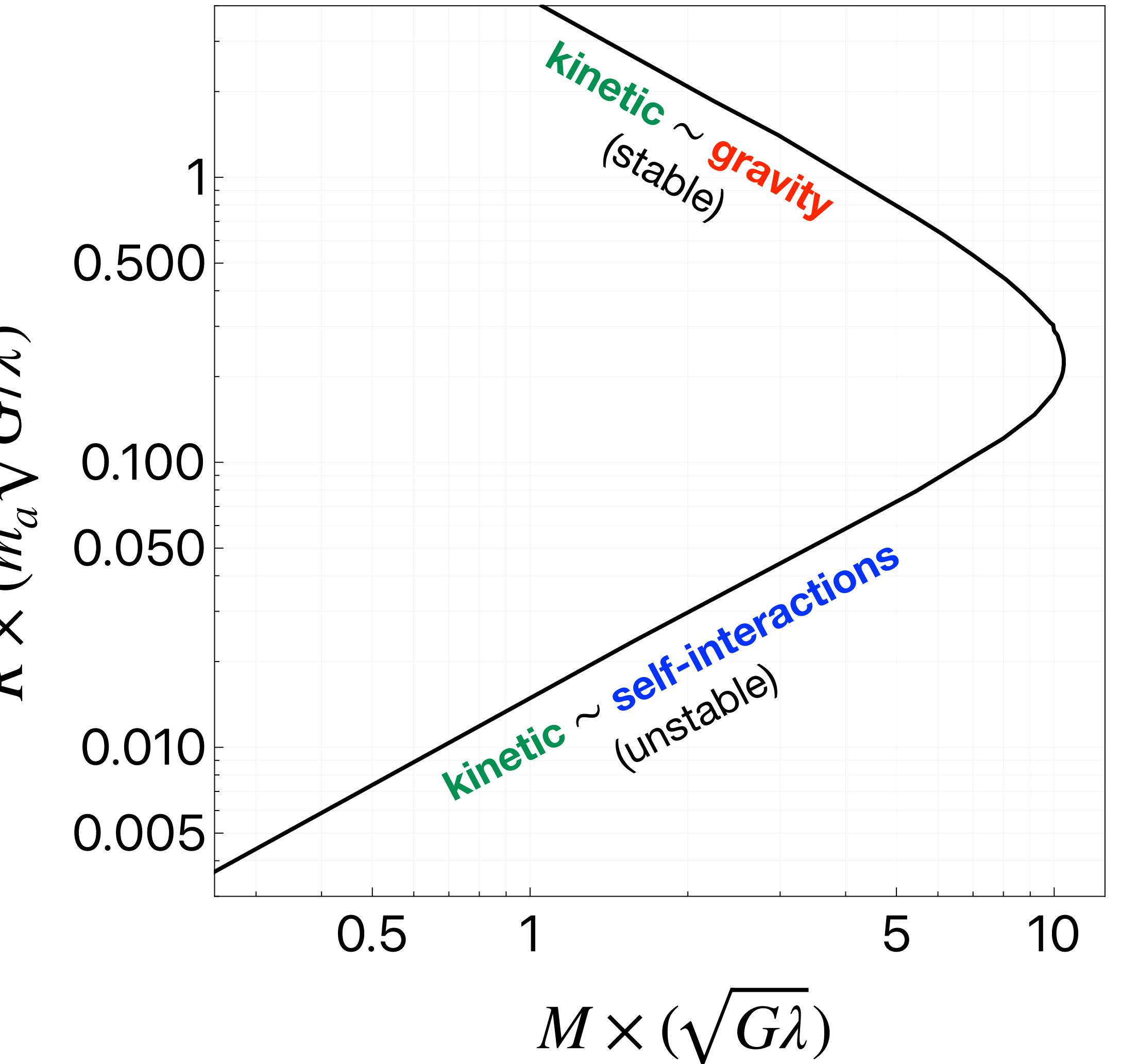
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Boson star:
ground state of
Schrödinger eq.
with self-gravity

kinetic	gravity	self-interactions
$\propto \frac{1}{m_a R^2}$	$\propto -\frac{G m_a M}{R}$	$\propto -\frac{ \lambda M}{m_a^3 R^3} + \dots$



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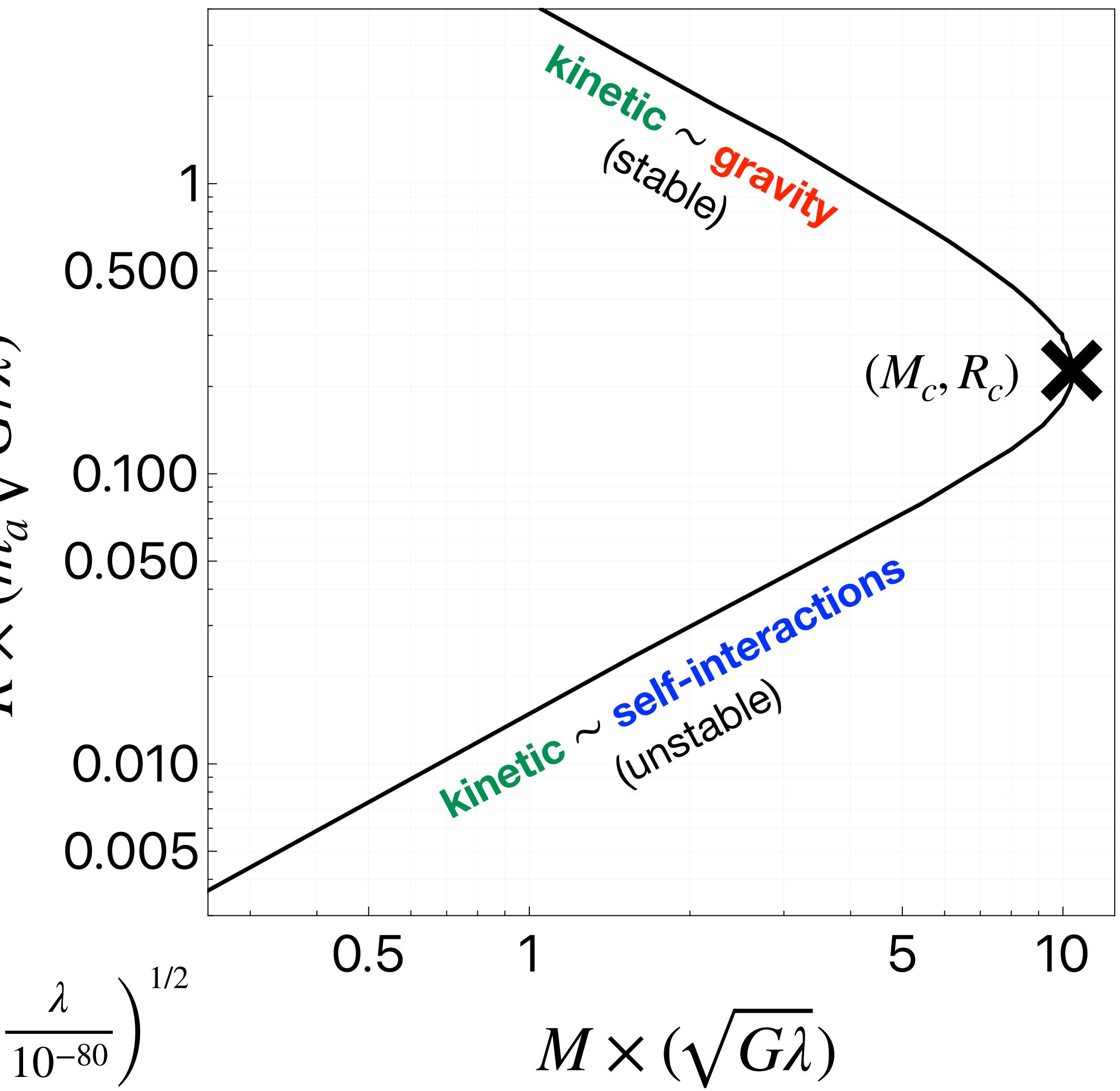
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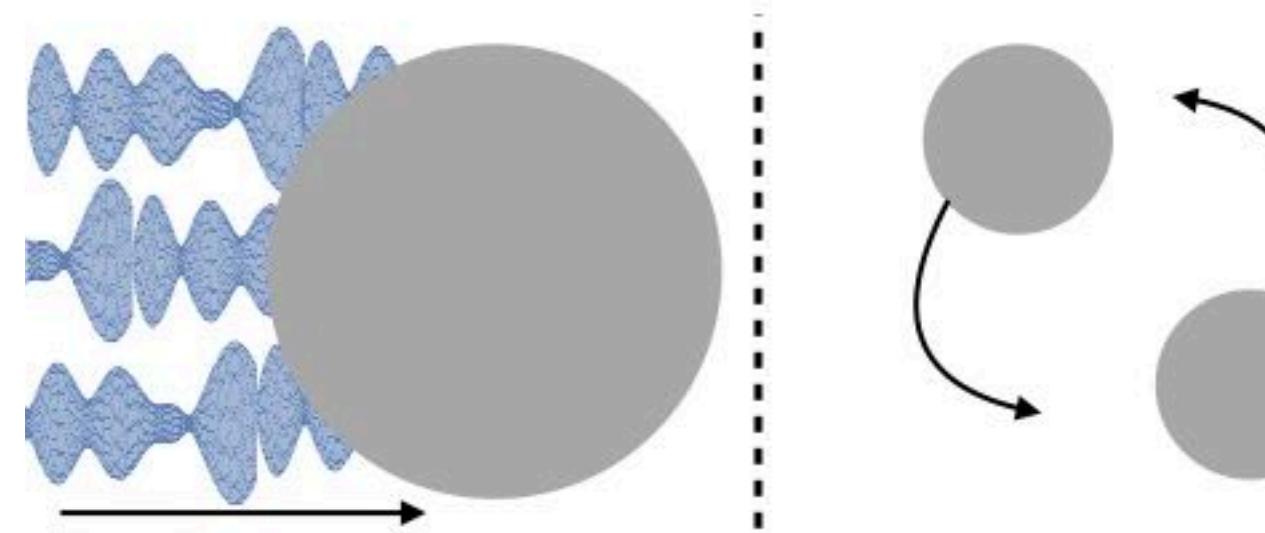
$$M_c \simeq \frac{10}{\sqrt{G\lambda}} \simeq 10^3 M_\odot \left(\frac{10^{-80}}{\lambda} \right)^{1/2}$$

$$R_c \simeq \frac{0.2}{m_a^2} \sqrt{\frac{\lambda}{G}} \simeq 70 R_\odot \left(\frac{10^{-15} \text{ eV}}{m_a} \right)^2 \left(\frac{\lambda}{10^{-80}} \right)^{1/2}$$



Life Cycle of a Boson Star

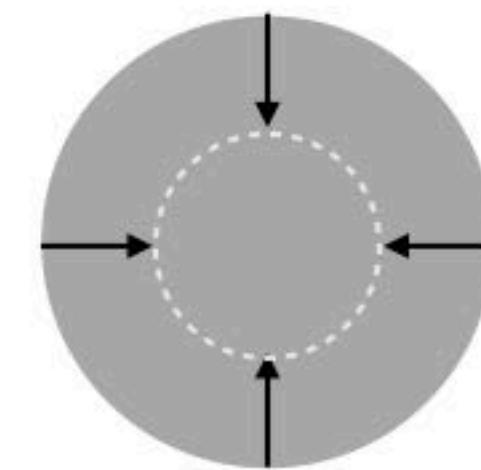
1. Boson Star Mass Growth



$$M \uparrow, R \downarrow$$

Either accretion of scalar field
or merger events

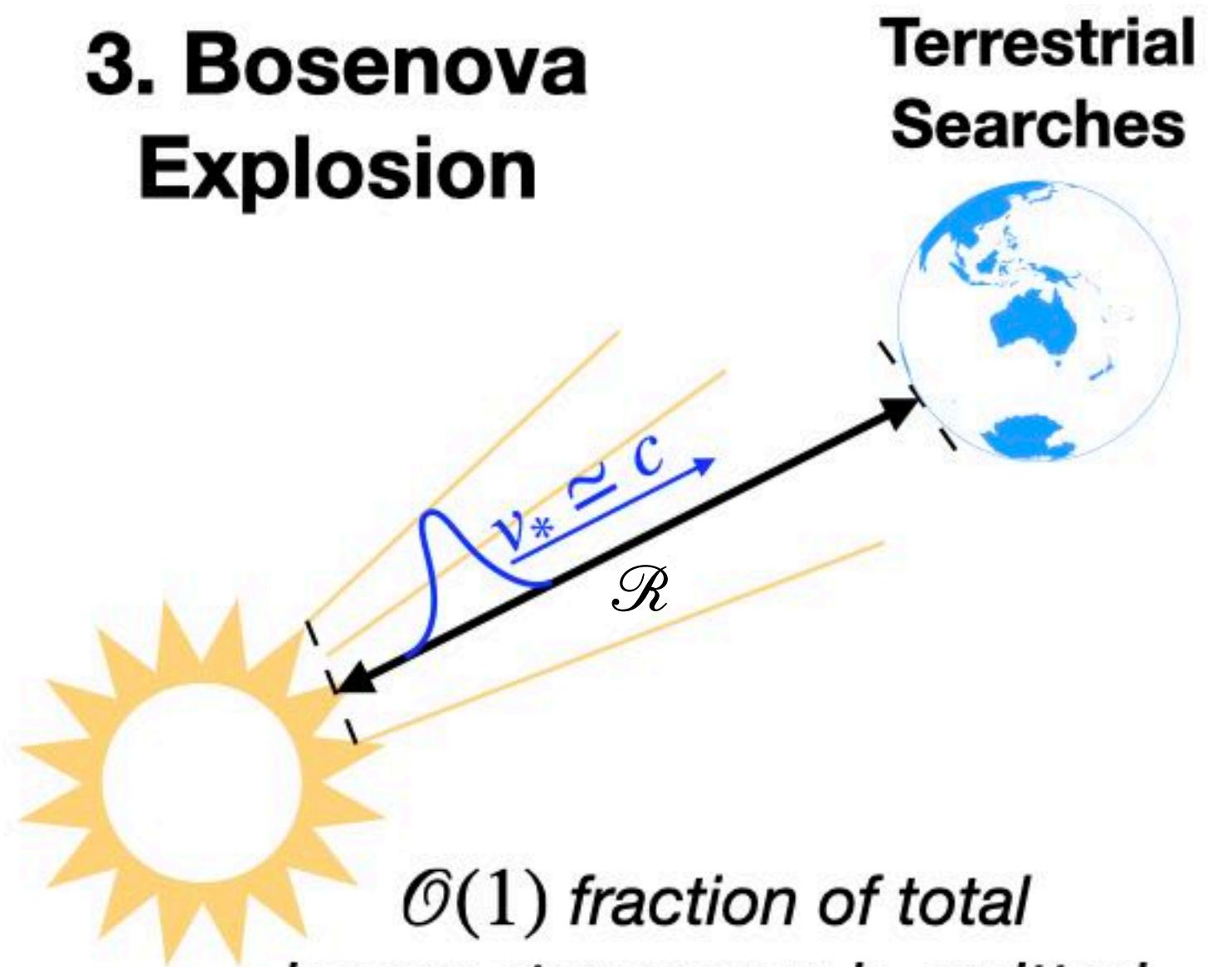
2. Gravitational Collapse



Collapse when mass reaches critical

$$M \simeq M_c$$

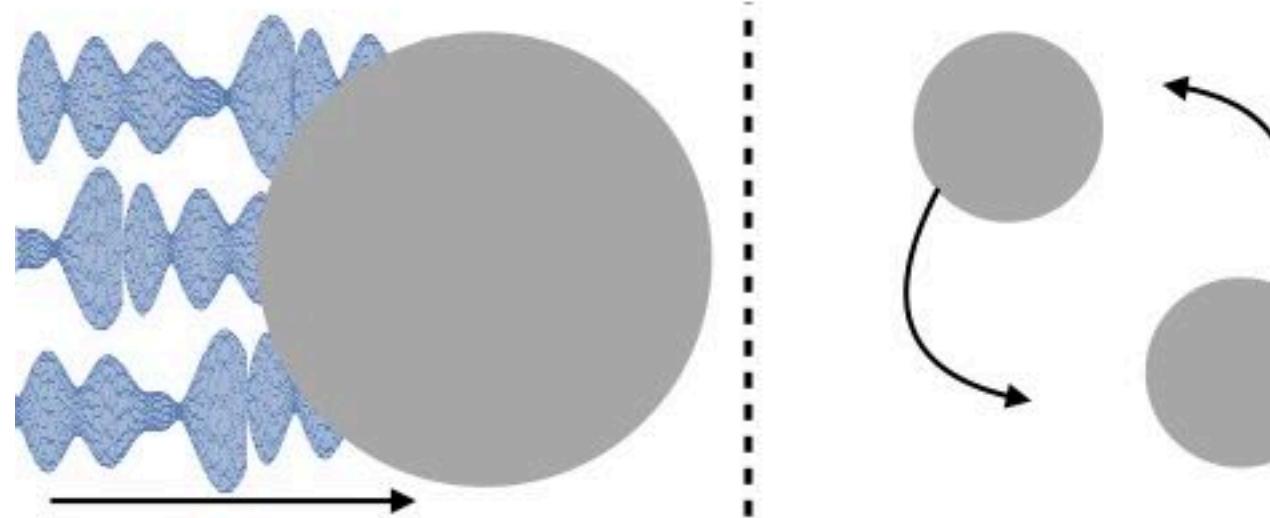
3. Bosenova Explosion



$\mathcal{O}(1)$ fraction of total
boson star energy is emitted

Event Rate vs Burst Flux

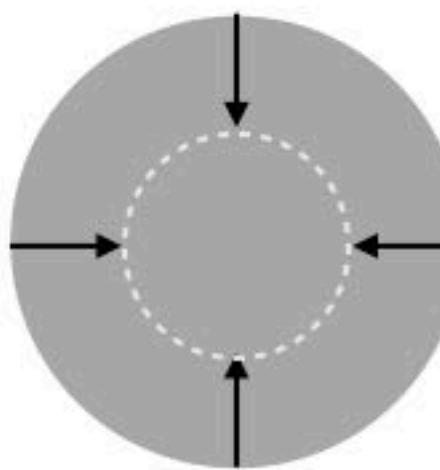
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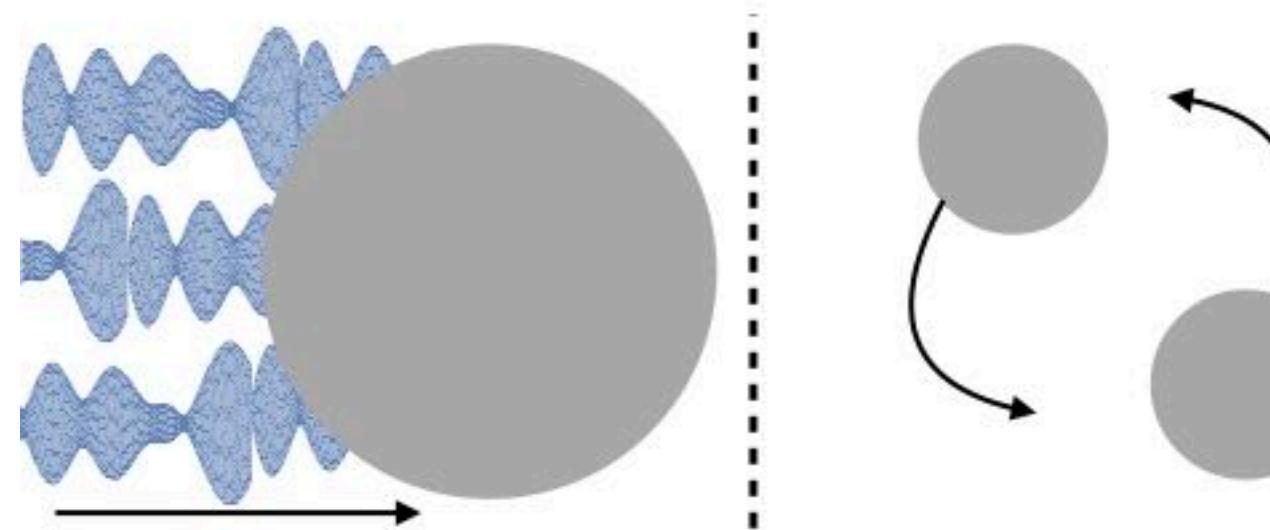
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Highly model-dependent!

- Cosmology (*formation history, mass fraction*)
- Astrophysics (*mass growth, merger history*)
- Particle physics
(*interactions → relaxation rate*)

Event Rate vs Burst Flux

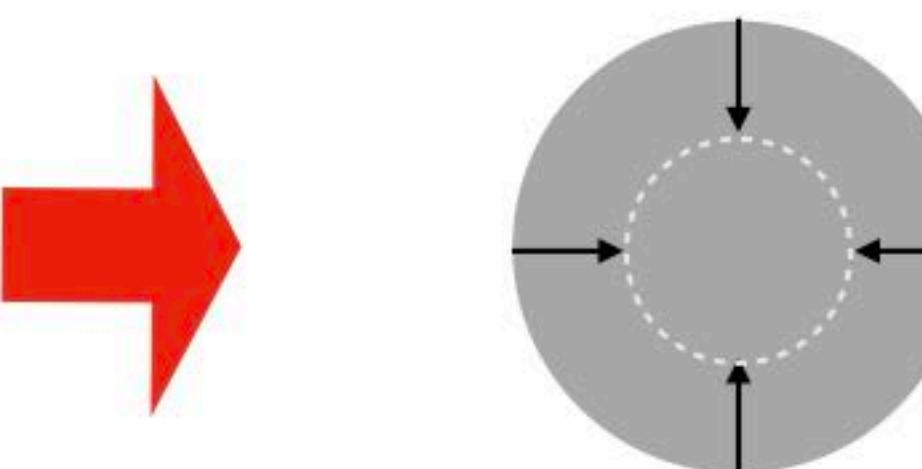
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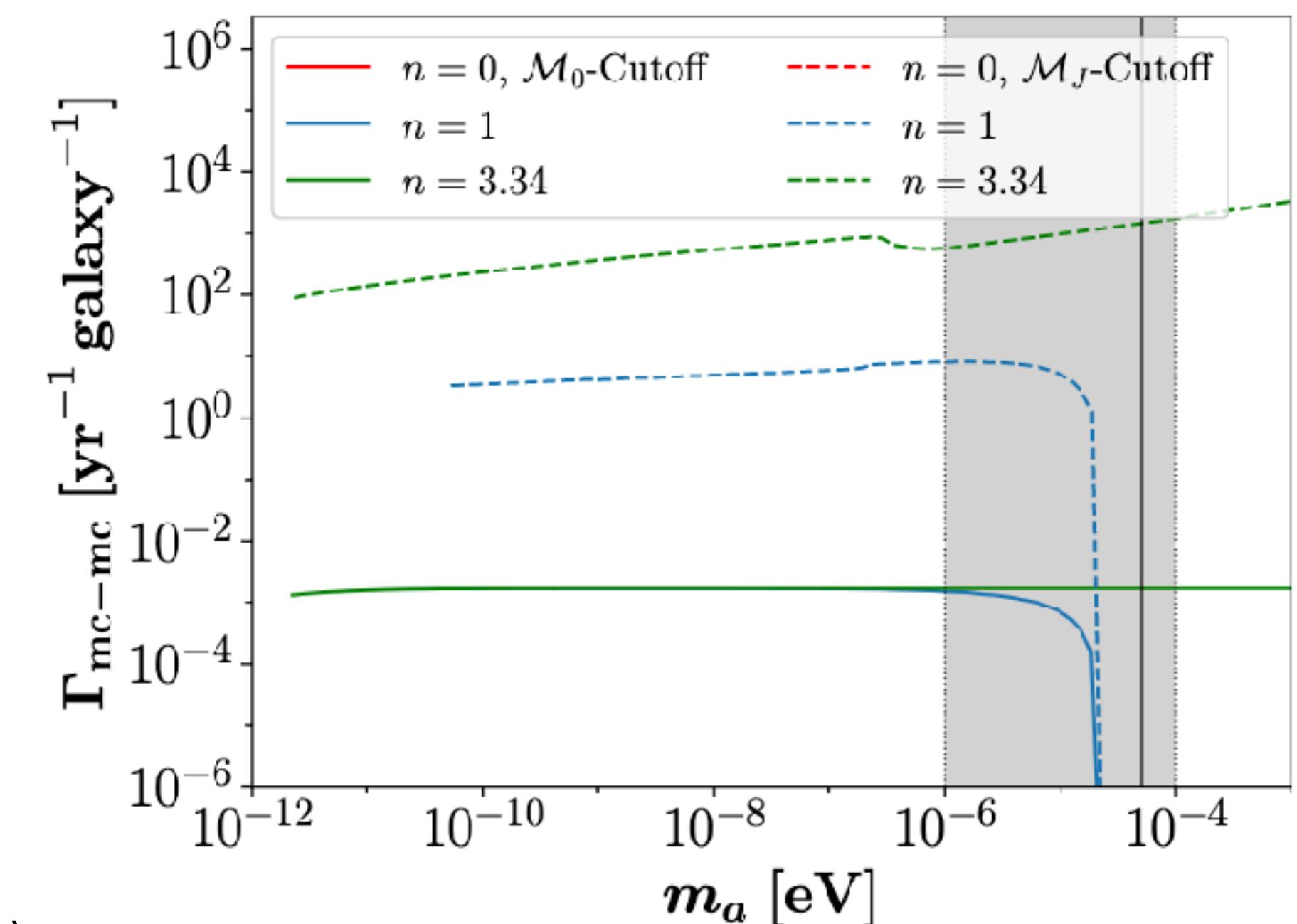
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DISTRIBUTIONS AND COLLISION RATES OF ALP STARS IN THE MILKY WAY

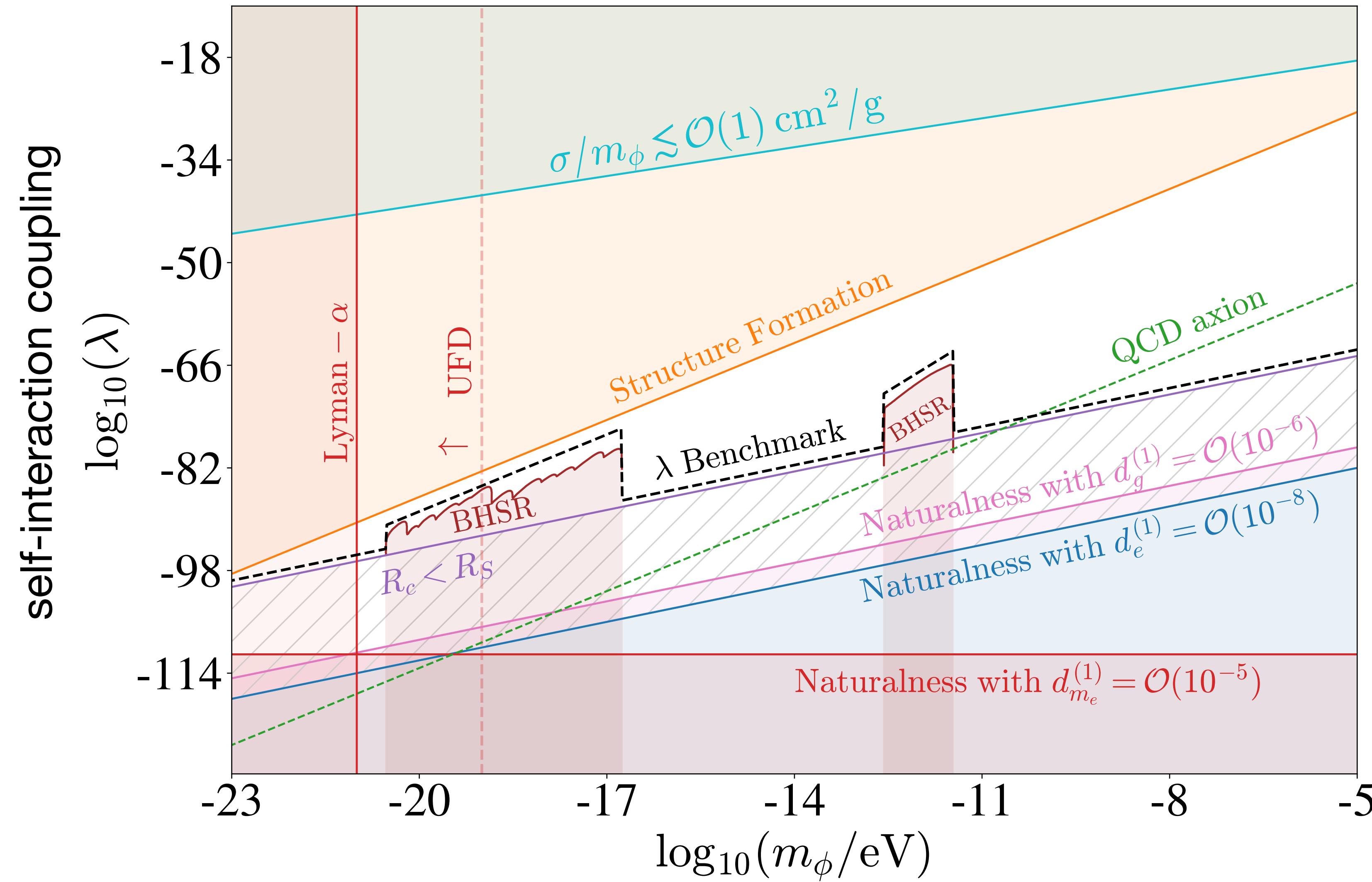
Dennis Maseizik
II. Institut for theoretical Physics
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Günter Sigl
II. Institut for theoretical Physics
Hamburg University
guenter.sigl@desy.de

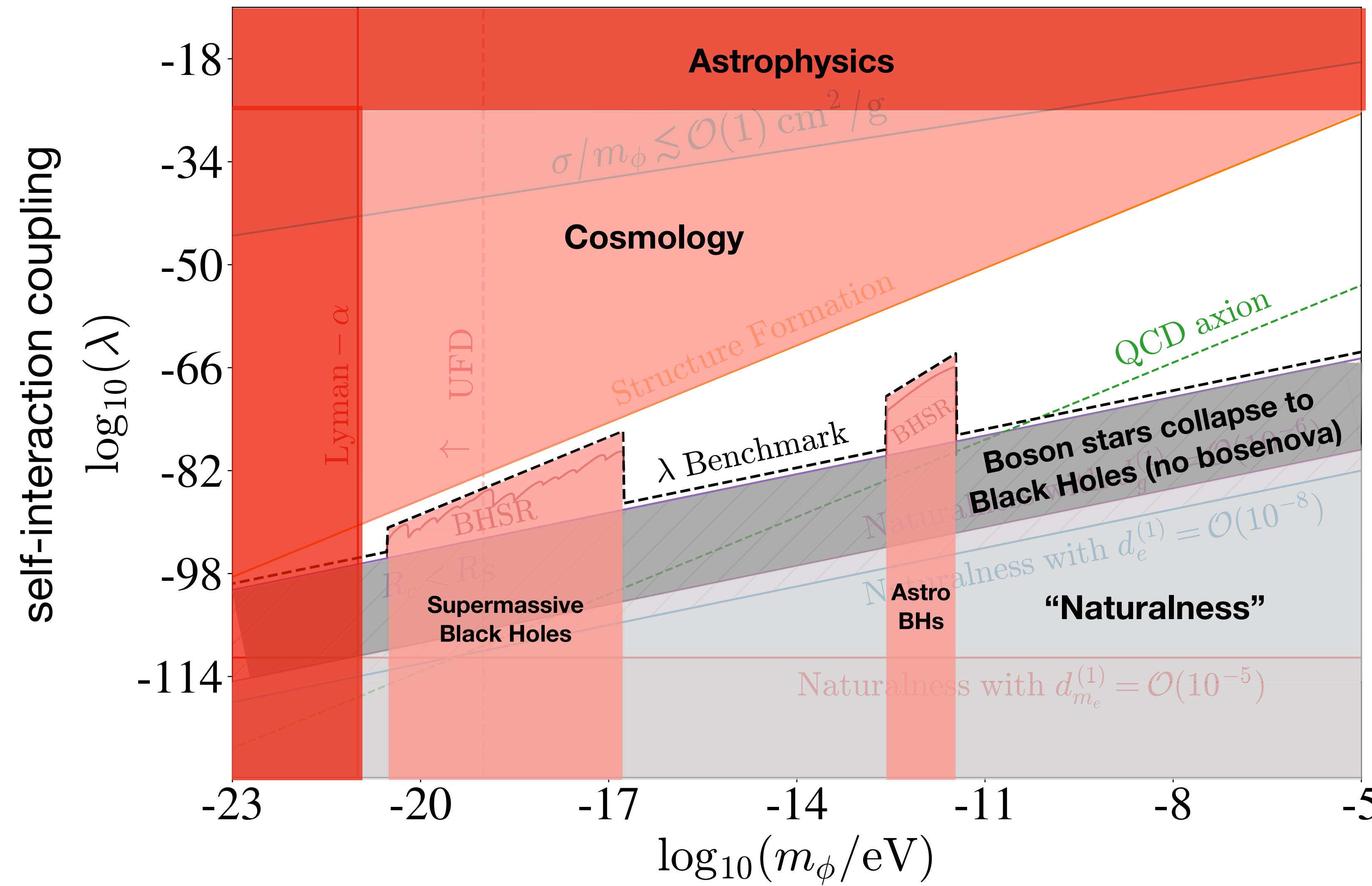
Maseizik, Sigl (2404.07908)



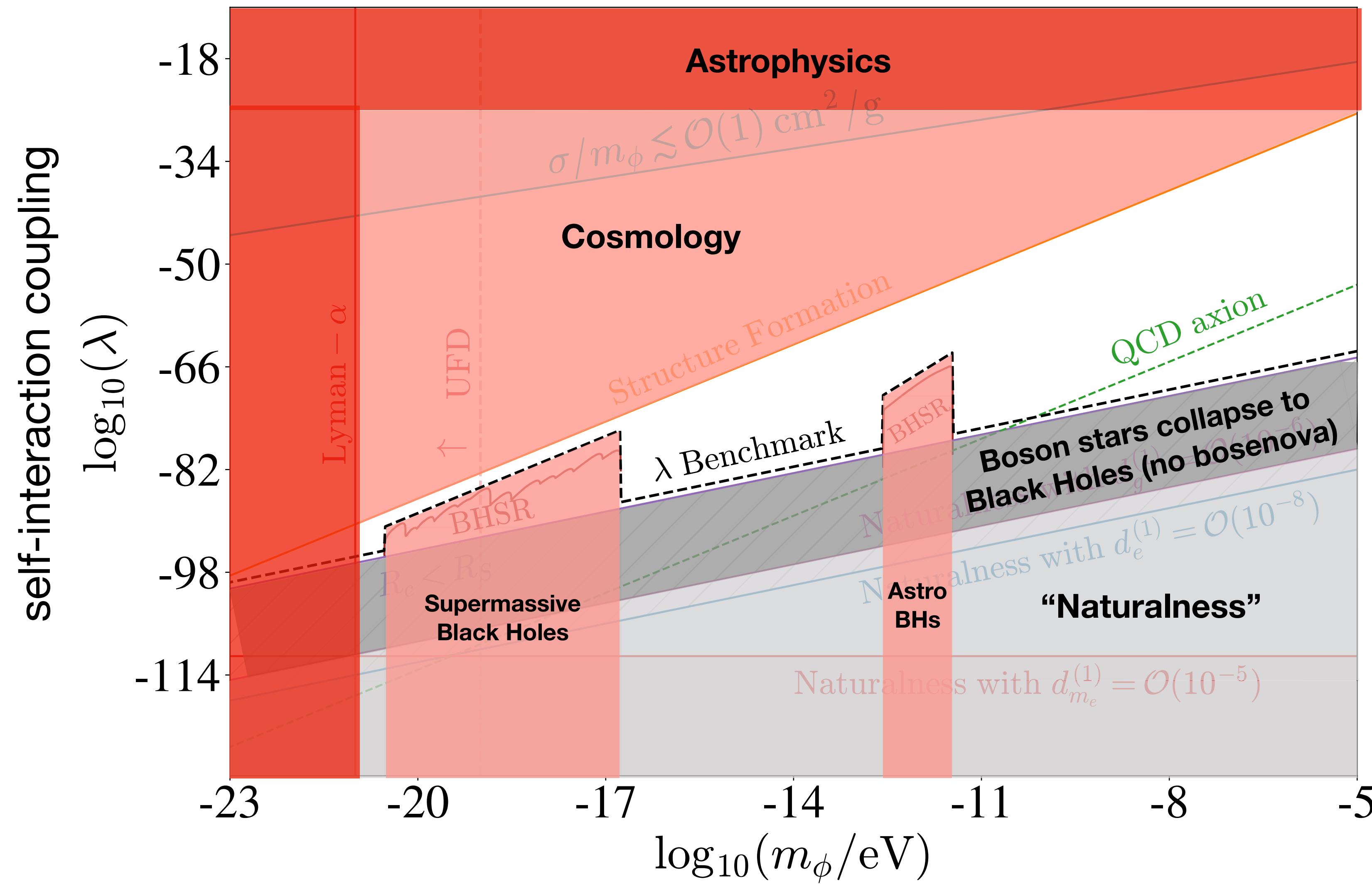
Event Rate vs Burst Flux



Event Rate vs Burst Flux



Event Rate vs Burst Flux



Smaller M_c (signal)

Larger Γ (rate)

Recall that

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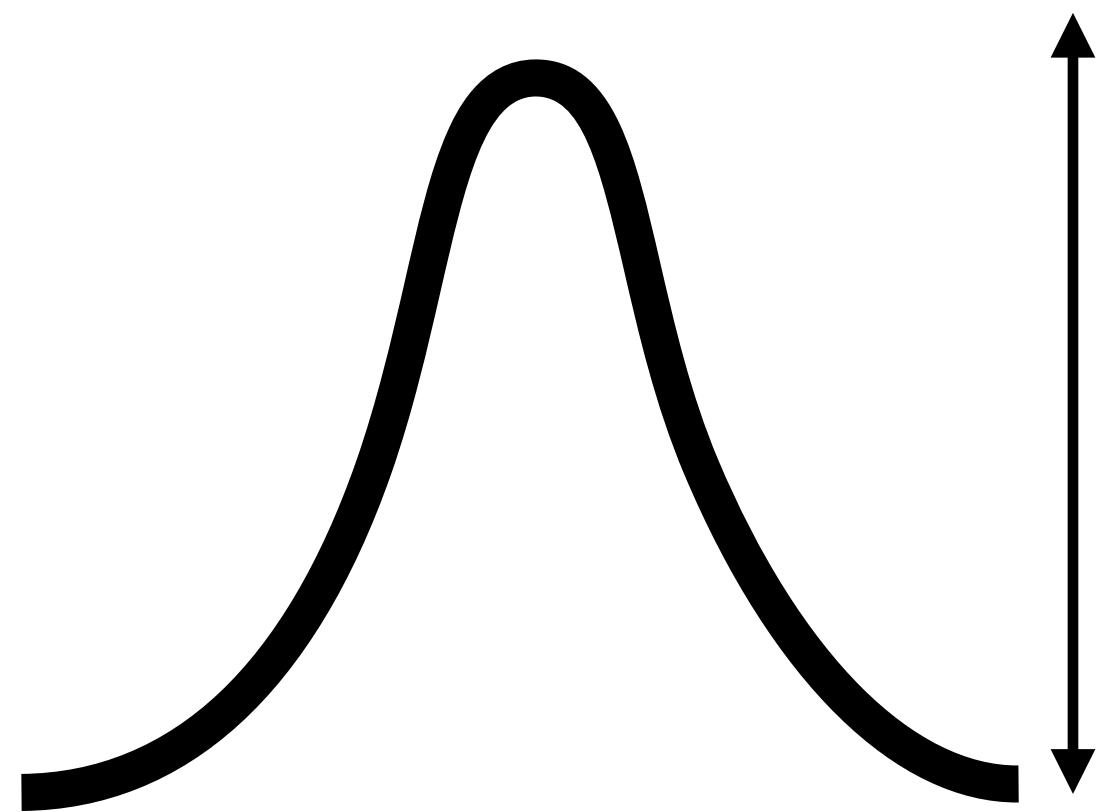
Larger M_c (signal)

Smaller Γ (rate)

Future work is needed to fully estimate the rate across range of models

Event Rate vs Burst Flux

Burst properties:



momentum spectrum of emission:

peaked at $k_0 \sim \text{few} \times m_a$

with width $\delta k \sim m_a$

total emitted energy,

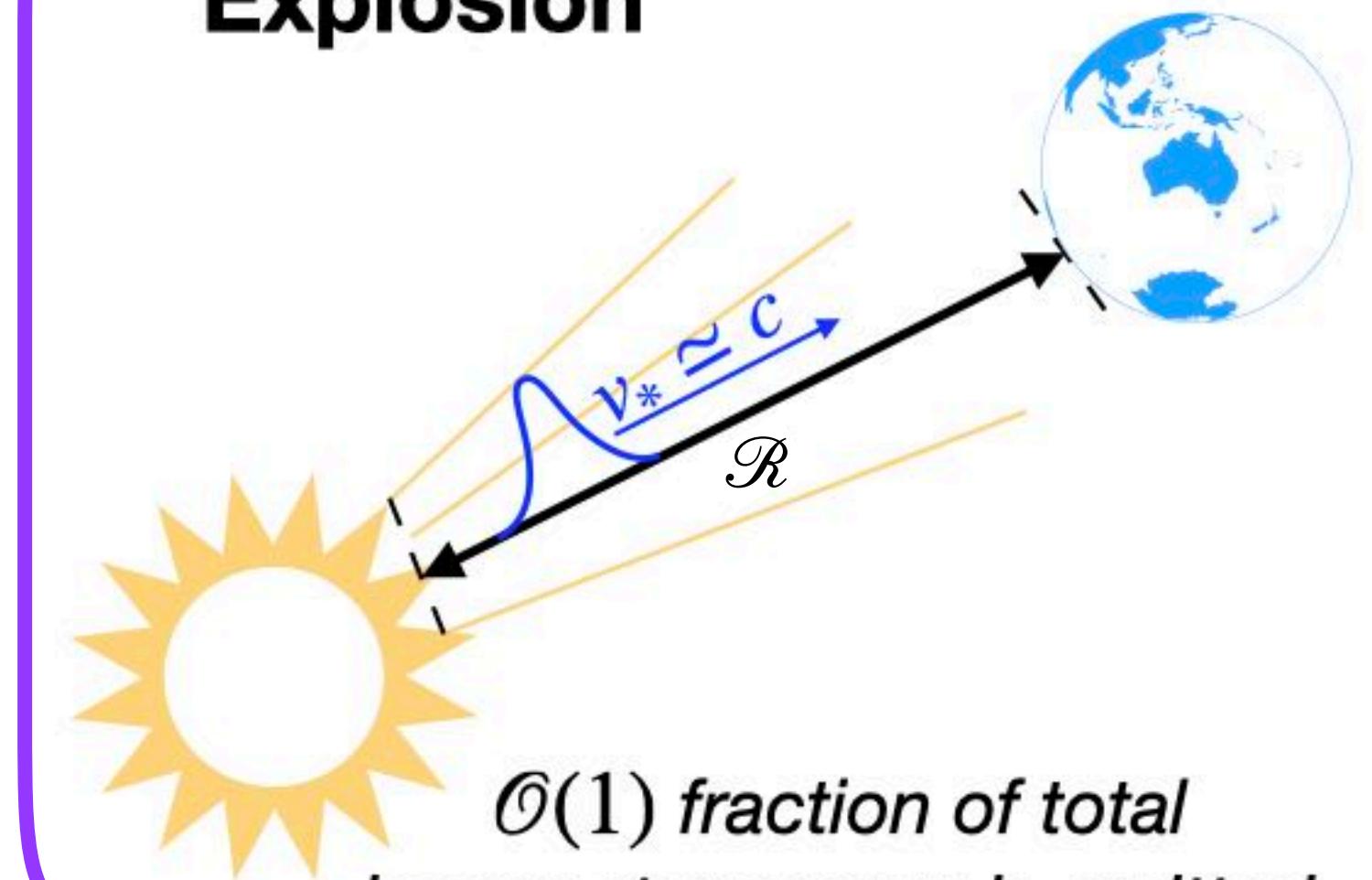
$$\sim M_c = \frac{10M_{Pl}}{\sqrt{\lambda}}$$
$$\rho_* \sim \frac{E_{\text{tot}}}{4\pi \mathcal{R}^2 \delta x}$$

distance to burst burst ‘size’
(duration)

Energy density in burst

3. Bosenova Explosion

Terrestrial
Searches



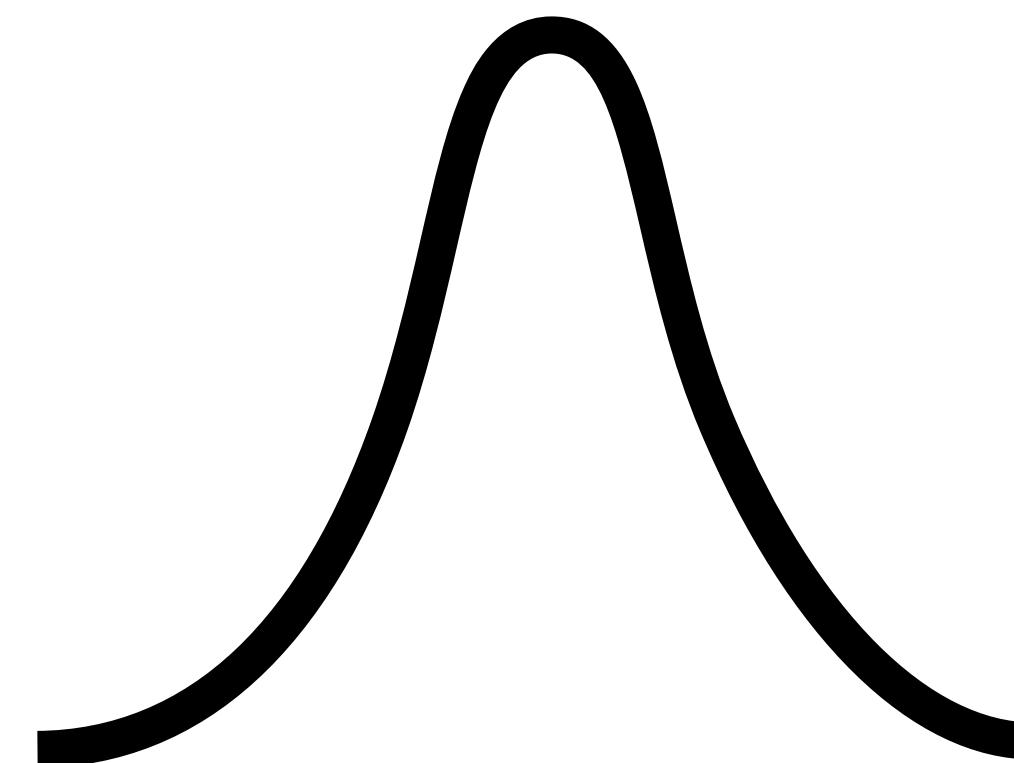
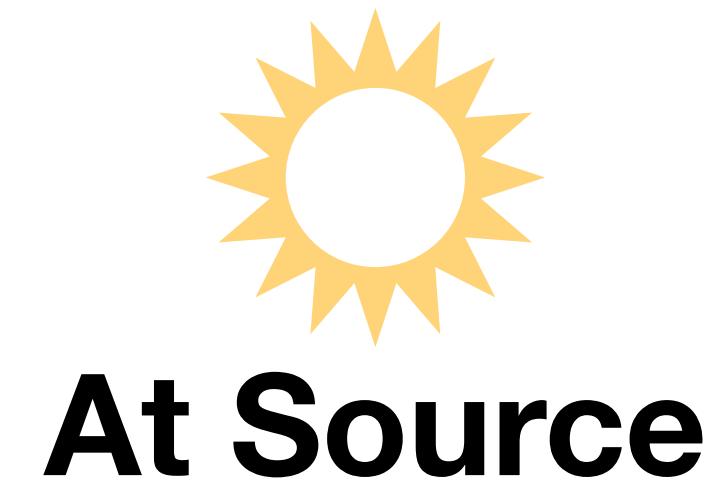
Prediction of Bosenova

Eby, Leembruggen,
Suranyi, Wijewardhana (1608.06911)

Numerical simulations of
collapse+Bosenova process

Levkov, Panin, Tkachev (1609.03611)

Wave Spreading in Flight



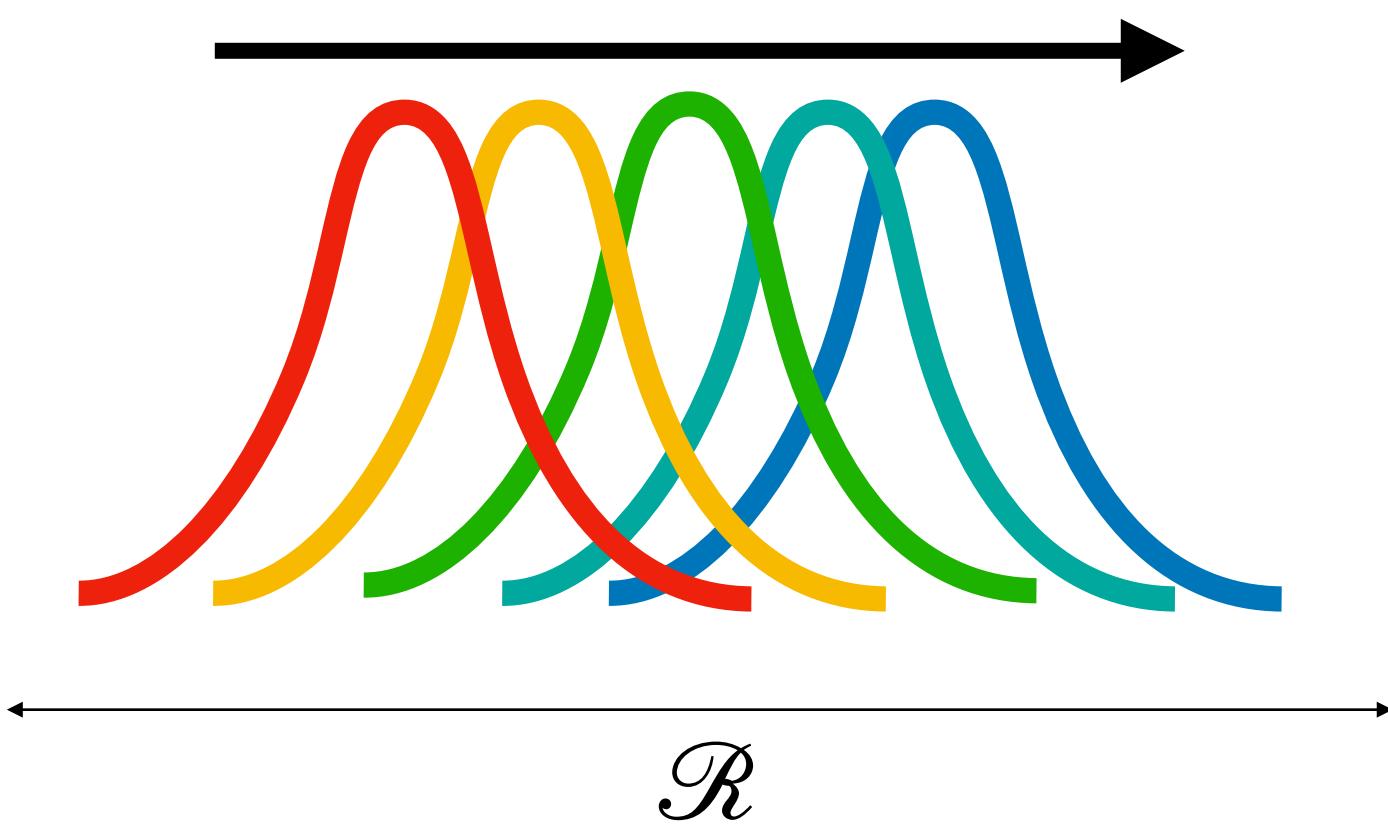
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Fastest momentum modes
“escape” from slower ones
during propagation

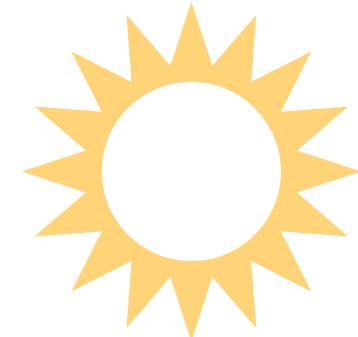
$$k_1 < k_2 < k_3, \dots$$



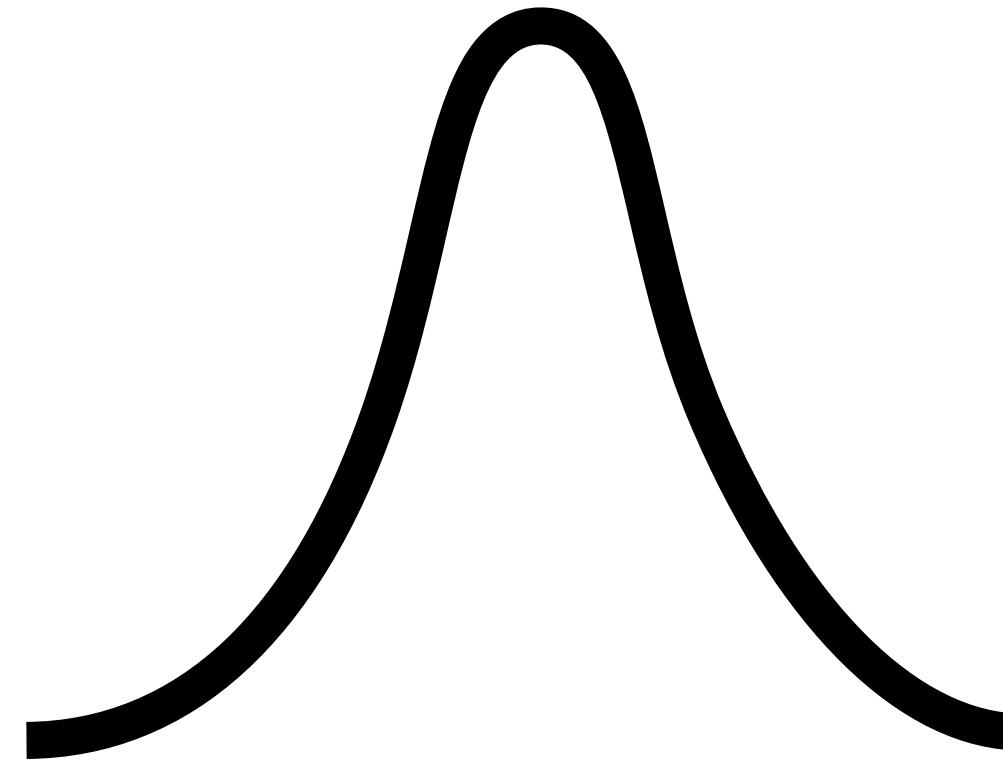
imagine discrete momentum modes

$$k_1, k_2, k_3, \dots$$

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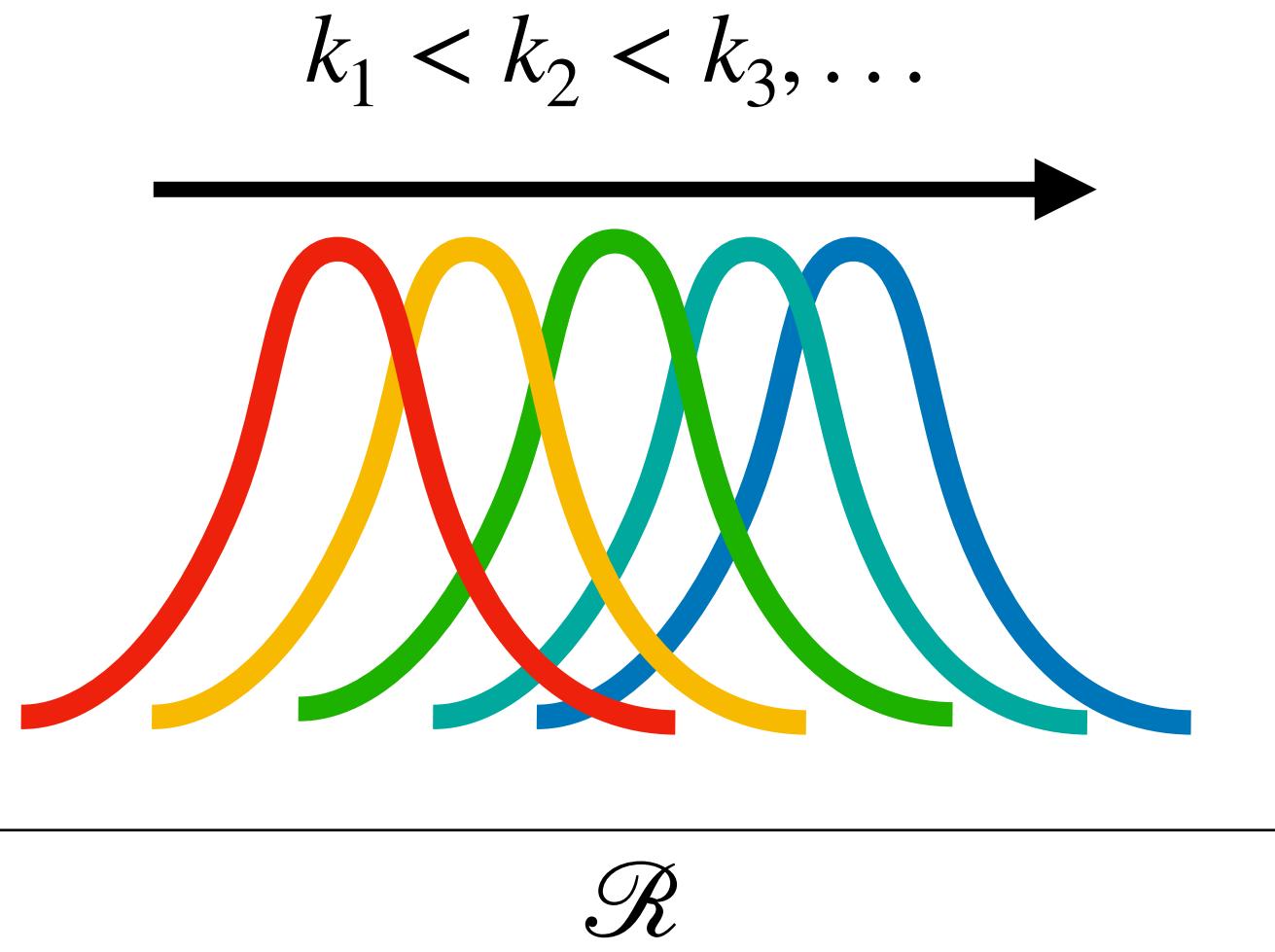
At Source



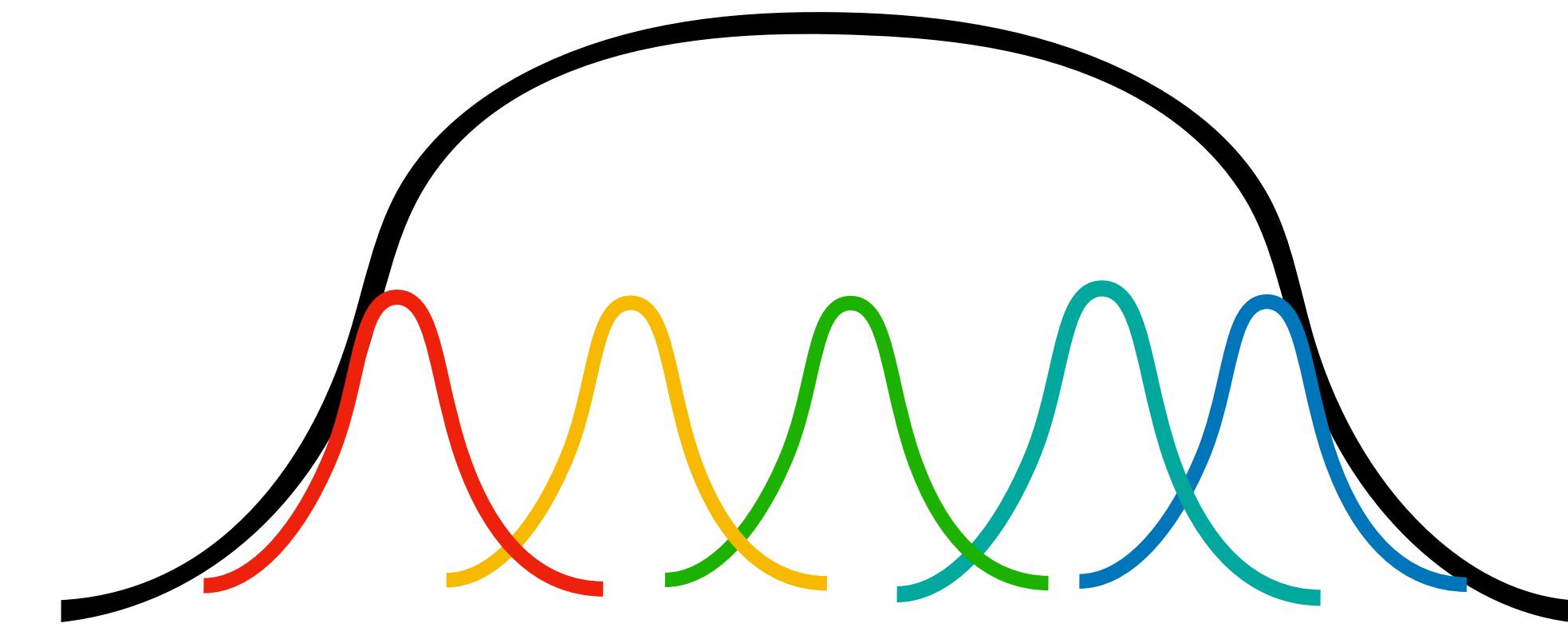
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 k_1, k_2, k_3, \dots

Fastest momentum modes
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At Detector



1. Long duration $\delta t \sim \text{month} \left(\frac{R}{\text{pc}} \right)$
2. At any given moment in the detector,
one sees a narrow distribution
of momentum / energy
 \Rightarrow “effective coherence time” $\tau_* \sim 10^{-2} R$

Sensitivity to Transient Signal

**Sensitivity Ratio
to SM coupling d_i at
fixed frequency ω_0**

$$\frac{(burst) \ d_{i,*}(\omega_0)}{(DM) \ d_i(\omega_0)} \sim \left(\frac{\rho_{dm}}{\rho_*} \right)^n \frac{t_{int}^{1/4} \min(\tau_{dm}^{1/4}, t_{int}^{1/4})}{\min(\delta t^{1/4}, t_{int}^{1/4}) \min(\tau_*^{1/4}, t_{int}^{1/4})}$$

Timescales:

Interrogation time [†]	t_{int}
DM coherence time	τ_{dm}
Burst coherence time	τ_*
Burst duration	δt

**“Is a given DM experiment equally/more sensitive
to relativistic bursts compared to cold DM search?”**

[†]laser coherence, natural linewidth, ...

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Sensitivity to Transient Signal

**Sensitivity Ratio
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depends on axion-SM coupling:

$n = 1/2$ (linear coupling)

$n = 1$ (quadratic coupling)

usual scaling of DM signal

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fixed frequency ω_0**

$$\frac{(burst) \ d_{i,*}(\omega_0)}{(DM) \ d_i(\omega_0)} \sim \left(\frac{\rho_{dm}}{\rho_*} \right)^n \frac{t_{int}^{1/4} \min(\tau_{dm}^{1/4}, t_{int}^{1/4})}{\min(\delta t^{1/4}, t_{int}^{1/4}) \min(\tau_*^{1/4}, t_{int}^{1/4})}$$

depends on axion-SM coupling:

$n = 1/2$ (linear coupling)

$n = 1$ (quadratic coupling)

usual scaling of DM signal

energy
density in
the burst

“did we catch all/most
of the signal?”

“is the signal coherent for
the whole integration time?”

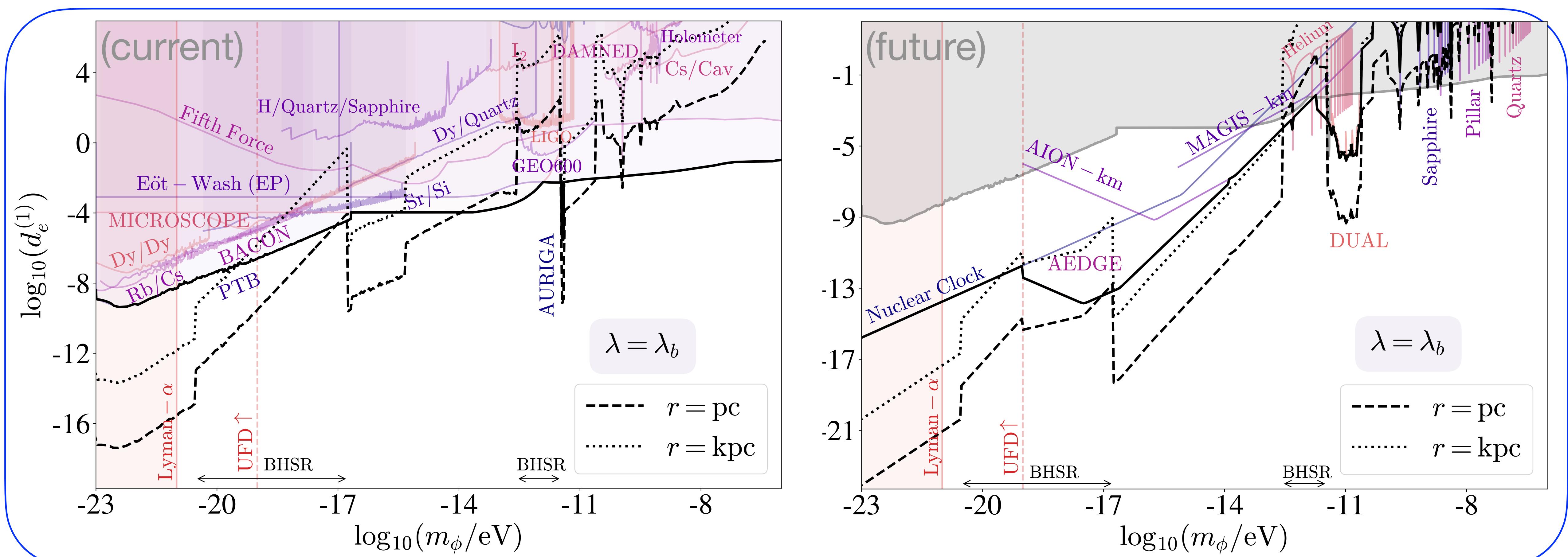
Timescales:

Interrogation time [†]	t_{int}
DM coherence time	τ_{dm}
Burst coherence time	τ_*
Burst duration	δt

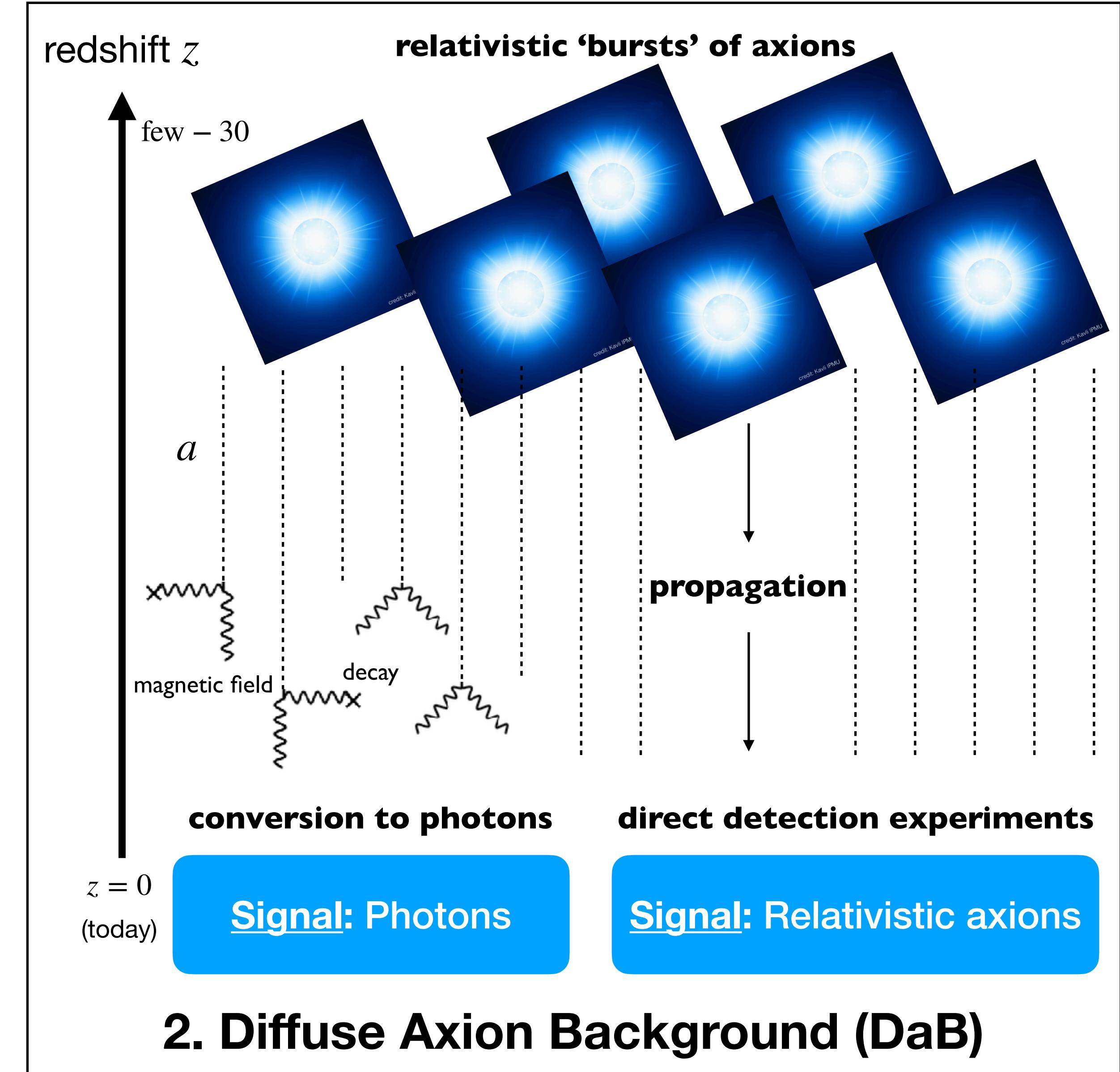
**“Is a given DM experiment equally/more sensitive
to relativistic bursts compared to cold DM search?”**

[†]laser coherence, natural linewidth, ...

coupling:	linear, psuedoscalar	linear, scalar	quadratic, scalar
Lagrangian:	$\mathcal{L} \supset g_{a\gamma} a F^{\mu\nu} \tilde{F}_{\mu\nu}$	$\mathcal{L} \supset d_e^{(1)} \frac{a}{2M_{\text{Pl}}} F^{\mu\nu} F_{\mu\nu}$	$\mathcal{L} \supset d_e^{(2)} \left(\frac{a}{2M_{\text{Pl}}} \right)^2 F^{\mu\nu} F_{\mu\nu}$
example field:	QCD axion	relaxion	QCD axion or relaxion
experiments:	ABRACADABRA, DM-Radio, ...	Quantum sensors	Quantum sensors
reference:	Eby, Shirai, Stadnik, Takhistov (2106.14893)	Arakawa, Eby, Safronova, Takhistov, Zaheer (2306.16468)	Arakawa, Zaheer, Eby, Takhistov, Safronova (2402.06736)



coupling:	linear, pseudoscalar	linear, scalar	quadratic, scalar
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Astrophysical bursts of relativistic axions

generally characterised by

flux

$$\frac{dN_a}{d\omega}(\omega)$$

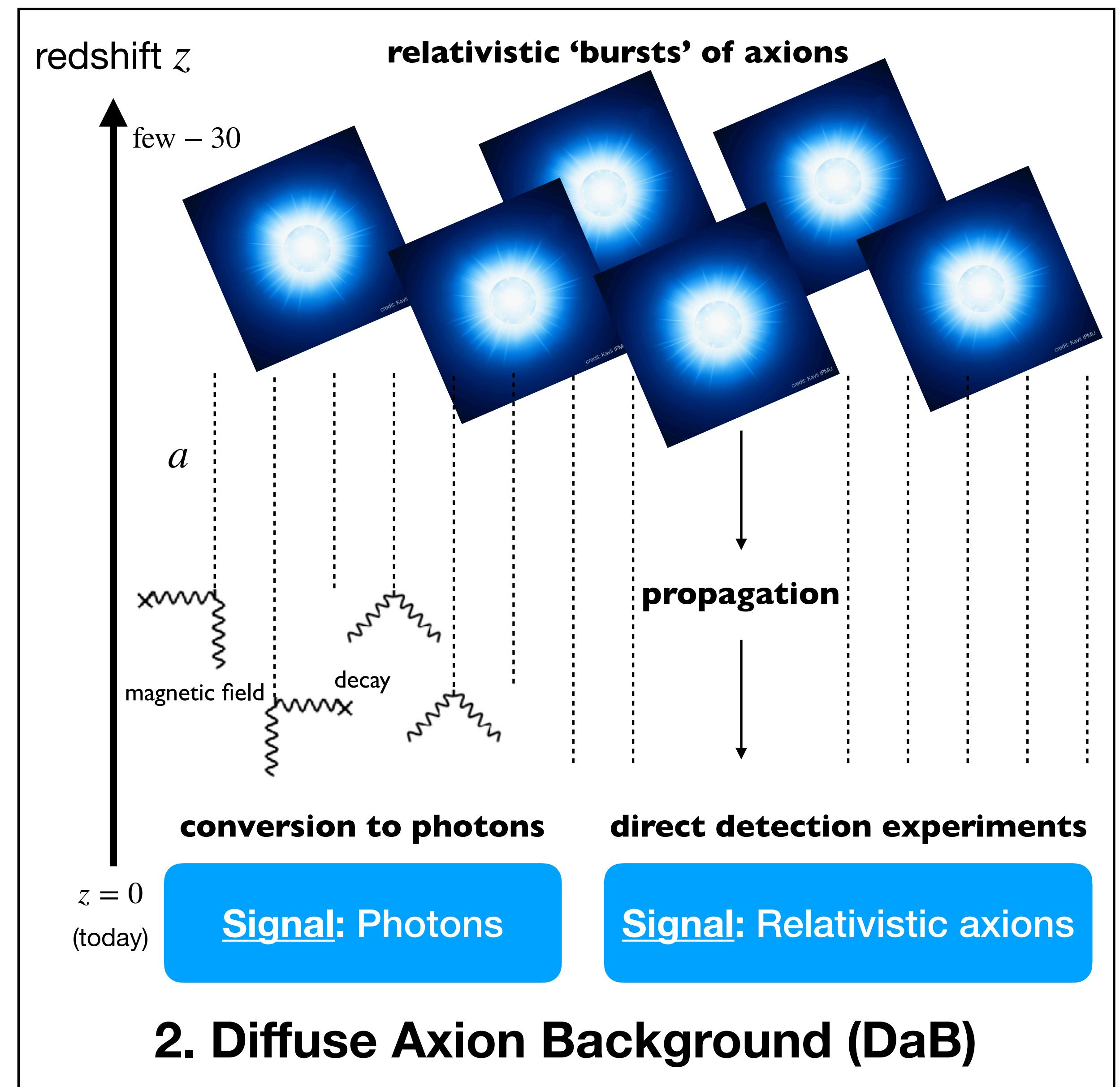
rate

$$R_{\text{burst}}(z)$$

DaB flux* in present day

$$\frac{d\phi}{d\omega}(\omega) = \int_0^\infty dz \frac{dN_a(\omega(1+z))}{d\omega} \frac{R_{\text{burst}}(z)}{H(z)}$$

*note: flux $\frac{dN_a}{d\omega}$ (# of particles) vs flux $\frac{d\phi}{d\omega}$ (# per area per time)



2. Diffuse Axion Background (DaB)

Bursts Abound

NS polar cap:

Prabhu, PRD 2021

Noordhuis++, PRL 2023, arXiv:2307.11811

Dark stars:

Maselli++, PRD 2017

Curtin and Setford, PRL 2019

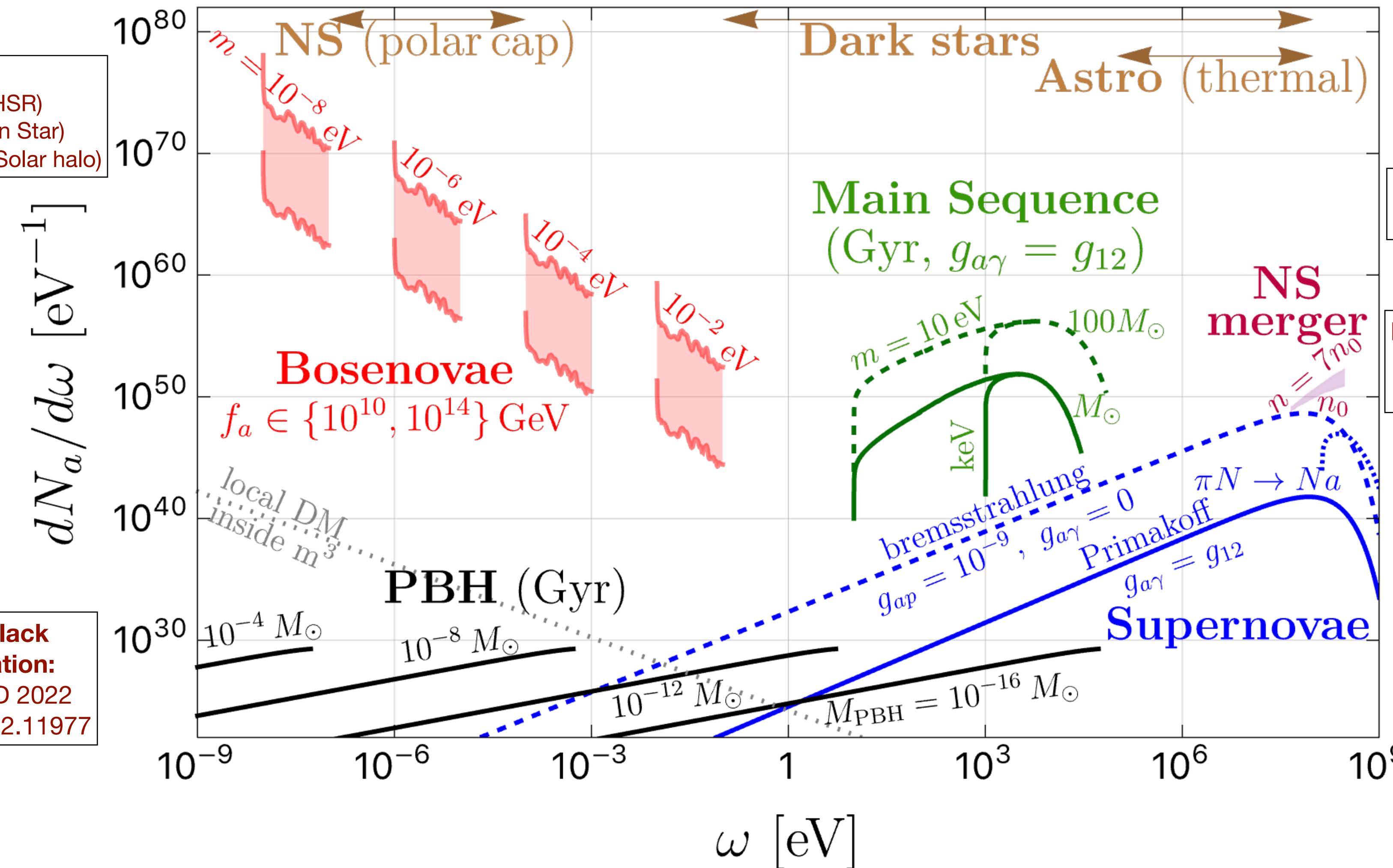
Hippert++, PRD 2021

Bosenovae:

Yoshino++, PTP 2012 (BHSR)

Levkov++, PRL 2016 (Boson Star)

Budker, J Eby++, JCAP 2023 (Solar halo)



Eby, Takhistov (2402.00100)

Parameterization: DaB

$$\frac{dN_a}{d\omega}(\omega) \propto \frac{E_{\text{tot}}}{m_a^2} \frac{\exp\left(-\frac{(\omega - \bar{\omega})^2}{\delta\omega^2}\right)}{\delta\omega/m_a}$$

$$R_{\text{burst}}(z) \propto \frac{\mathcal{F} \bar{\rho}_{\text{U}} H_0}{E_{\text{tot}}} f(z)$$

\mathcal{F} : total DM fraction converted to DaB

$f(z)$: dimensionless rate of bursts

$\bar{\omega}$: peak burst energy per particle

$\delta\omega$: spread in burst energy per particle

E_{tot} : energy emitted per burst

DaB flux in present day

$$\frac{d\phi}{d\omega}(\omega) = \int_0^\infty dz \frac{dN_a(\omega(1+z))}{d\omega} \frac{R_{\text{burst}}(z)}{H(z)}$$

Parameterization: DaB

$$\frac{dN_a}{d\omega}(\omega) \propto \frac{E_{\text{tot}}}{m_a^2} \frac{\exp\left(-\frac{(\omega - \bar{\omega})^2}{\delta\omega^2}\right)}{\delta\omega/m_a}$$

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input parameters

particle physics

$m_a, f_a, g_{a\gamma}, \dots$

burst parameterisation

$\mathcal{F}, f(z), \bar{\omega}, \delta\omega, E_{\text{tot}}$ (cosmology) (individual bursts)

cancels in
product

Parameterization: DaB

$$\frac{dN_a}{d\omega}(\omega) \propto \frac{E_{\text{tot}}}{m_a^2} \frac{\exp\left(-\frac{(\omega - \bar{\omega})^2}{\delta\omega^2}\right)}{\delta\omega/m_a}$$

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cancels in product

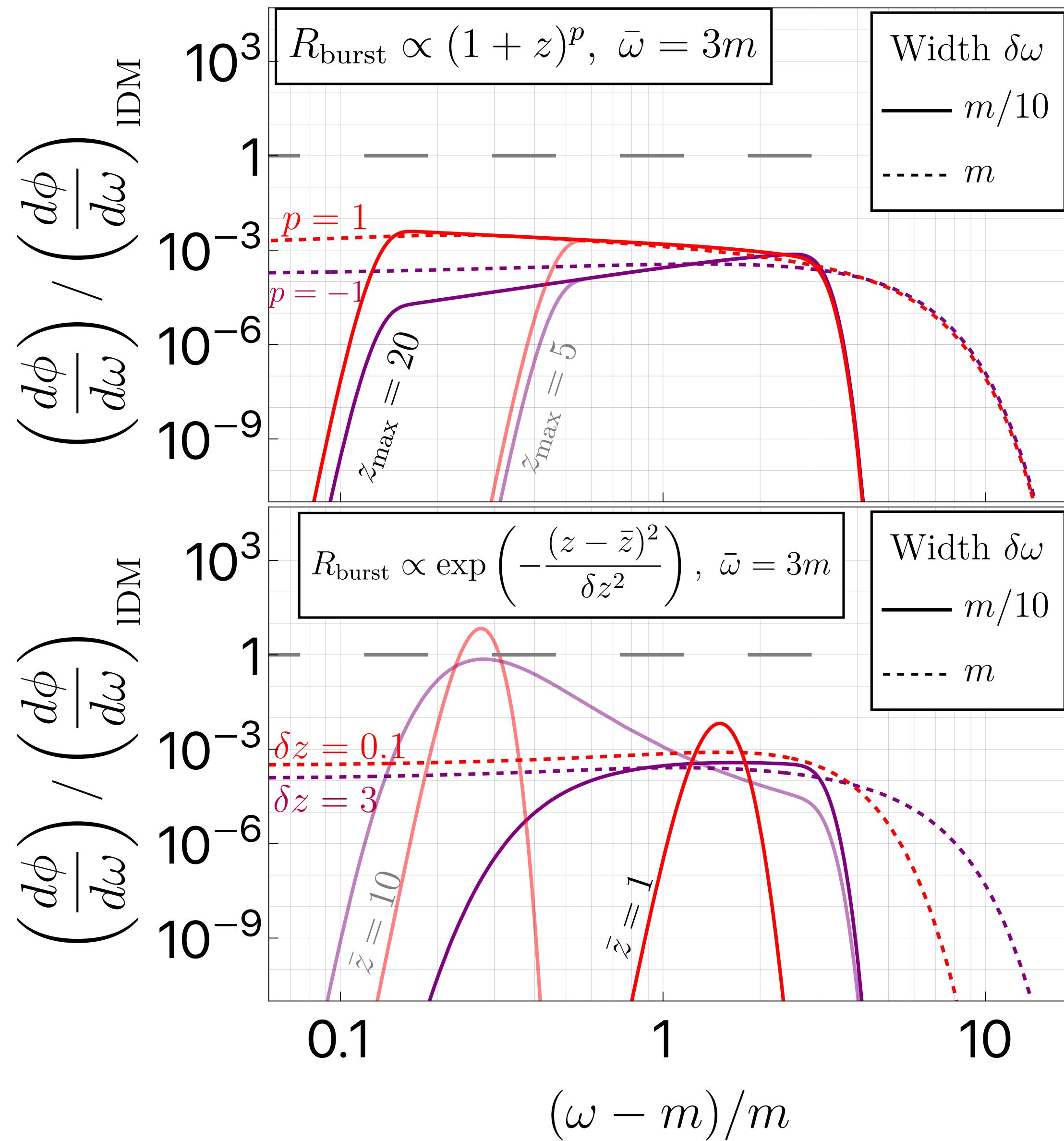
How to search for DaB: (1) direct detection, (2) photon signals, [more to come]

DaB Flux vs DM Flux

Locally, $\left(\frac{d\phi}{d\omega}\right)_{\text{local DM}} \approx \frac{n_a v_{\text{dm}}}{m_a} \simeq \frac{\rho_{\text{dm}}}{m_a^2} v_{\text{dm}}$

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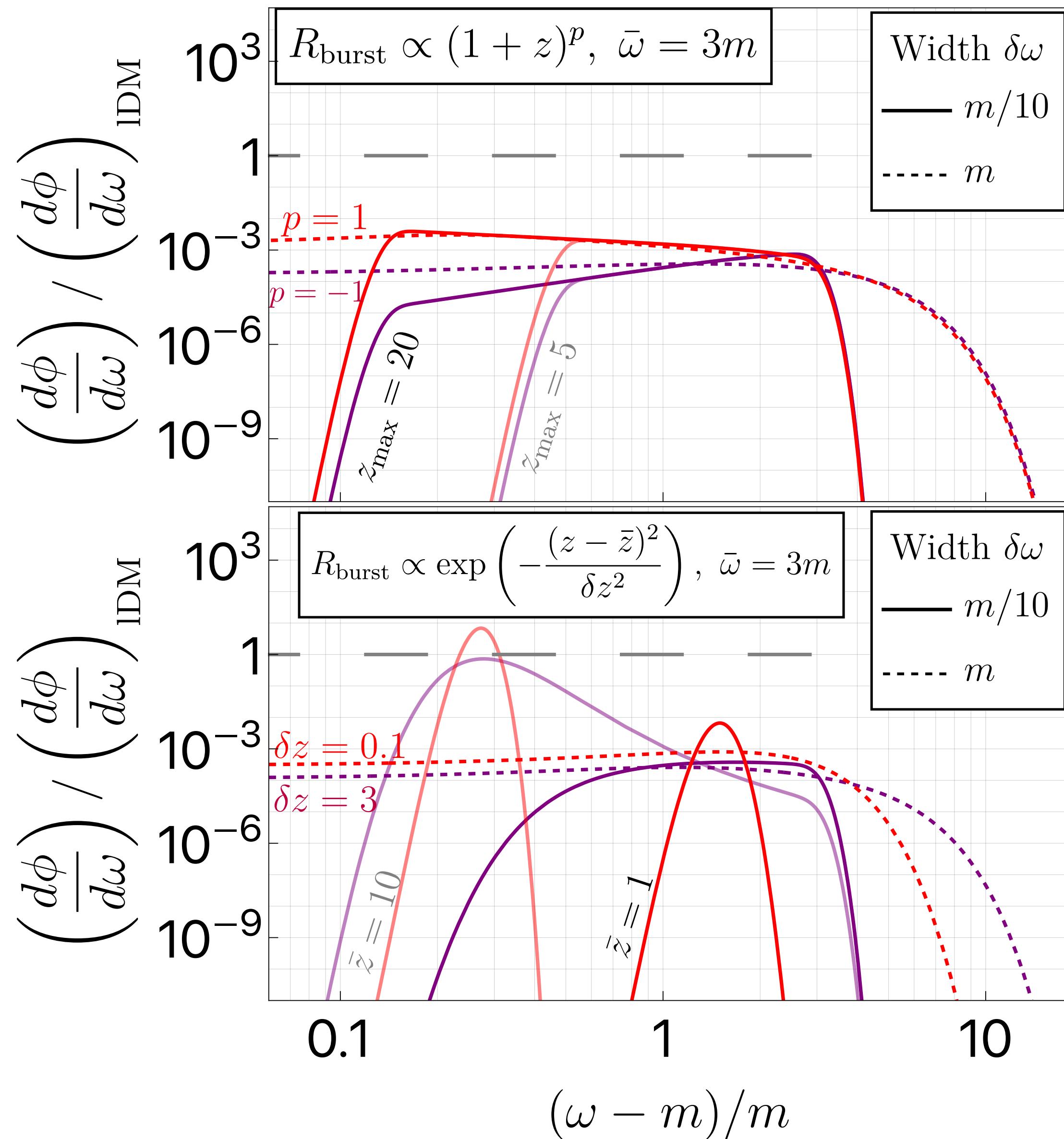
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DaB flux in present day

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Parameterise flux and rate $\sim \frac{\mathcal{F} \bar{\rho}_U}{m_a \delta\omega} \int dz f(z) \frac{H_0}{H(z)} \exp \left[-\left(\frac{(\omega(1+z) - \bar{\omega})}{\delta\omega} \right)^2 \right]$



DaB Flux vs DM Flux

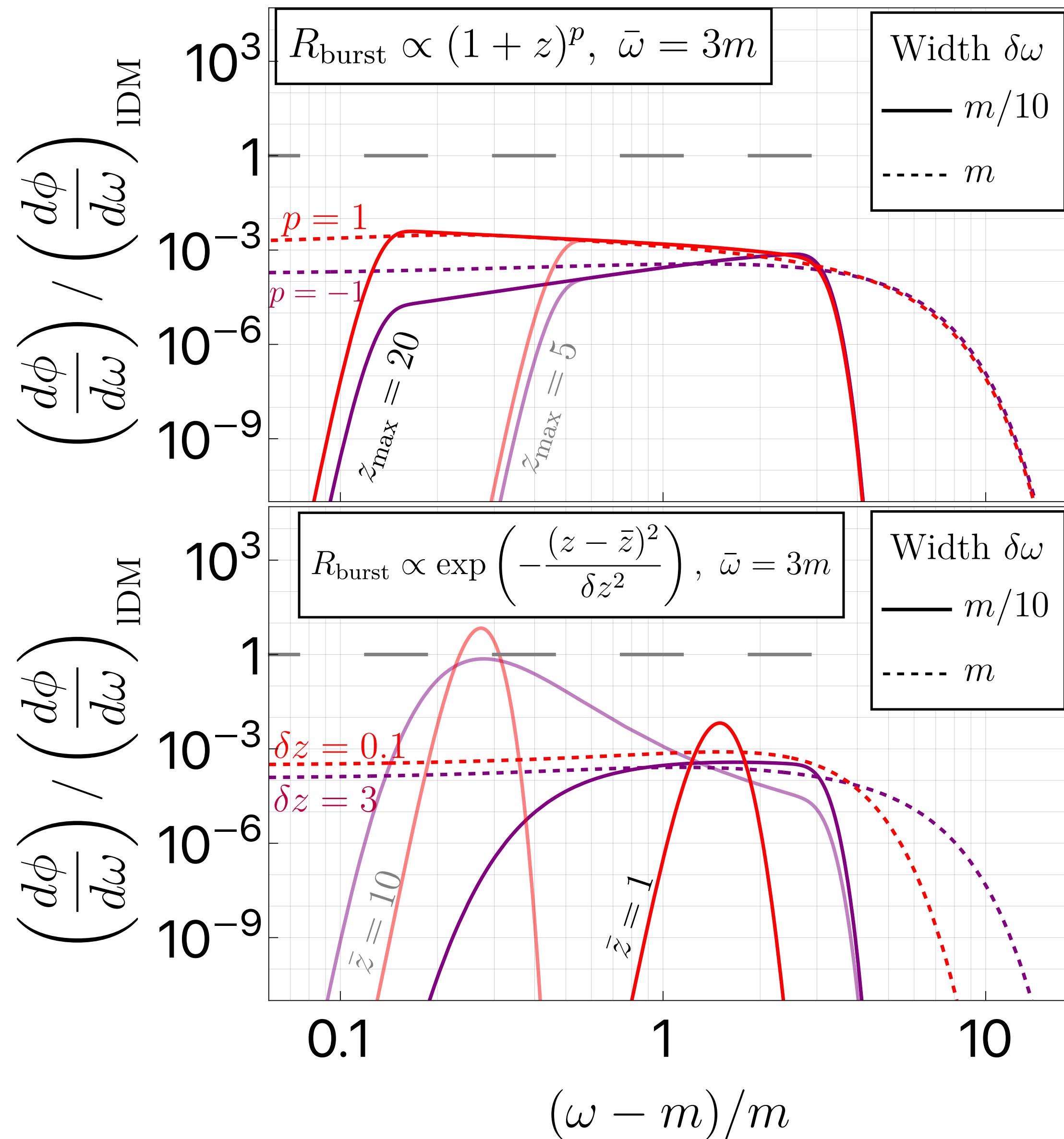
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narrow: $\frac{\delta\omega}{\omega} \rightarrow 0 \quad \sim \quad \frac{\mathcal{F} \bar{\rho}_U}{\bar{\omega}^2}$
recent: $z \sim 0$



DaB Flux vs DM Flux

Locally, $\left(\frac{d\phi}{d\omega}\right)_{\text{local DM}} \approx \frac{n_a v_{\text{dm}}}{m_a} \simeq \frac{\rho_{\text{dm}}}{m_a^2} v_{\text{dm}}$

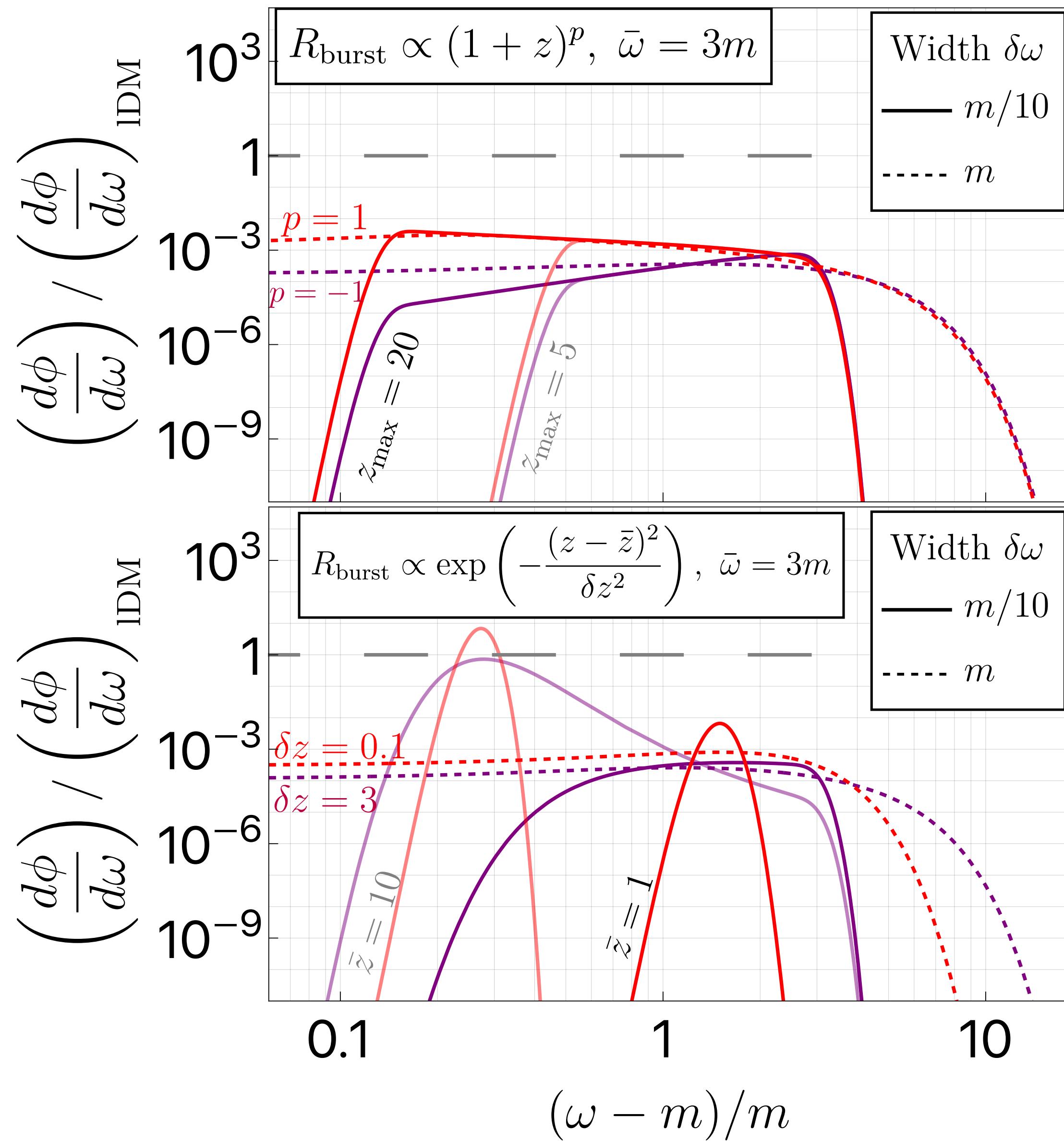
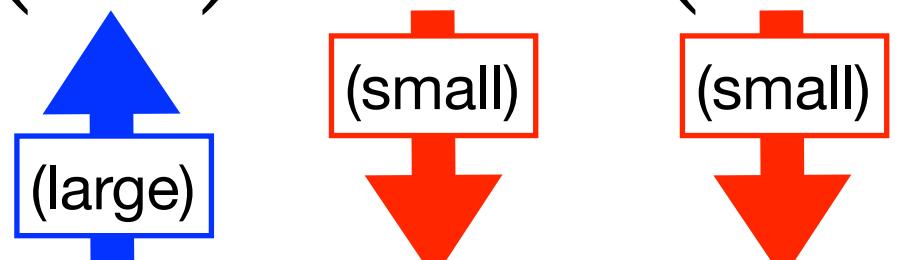
DaB flux in present day

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narrow: $\frac{\delta\omega}{\omega} \rightarrow 0$ $\sim \frac{\mathcal{F} \bar{\rho}_U}{\bar{\omega}^2}$
recent: $z \sim 0$

$$\frac{d\phi/d\omega}{(d\phi/d\omega)_{\text{IDM}}} \simeq \left(\frac{1}{v_{\text{dm}}} \right) \left(\frac{m_a}{\bar{\omega}} \right)^2 \left(\frac{\mathcal{F} \bar{\rho}_U}{\rho_{\text{dm}}} \right) \simeq 3 \cdot 10^{-3} \mathcal{F} \left(\frac{m_a}{\bar{\omega}} \right)^2$$



Direct Detection

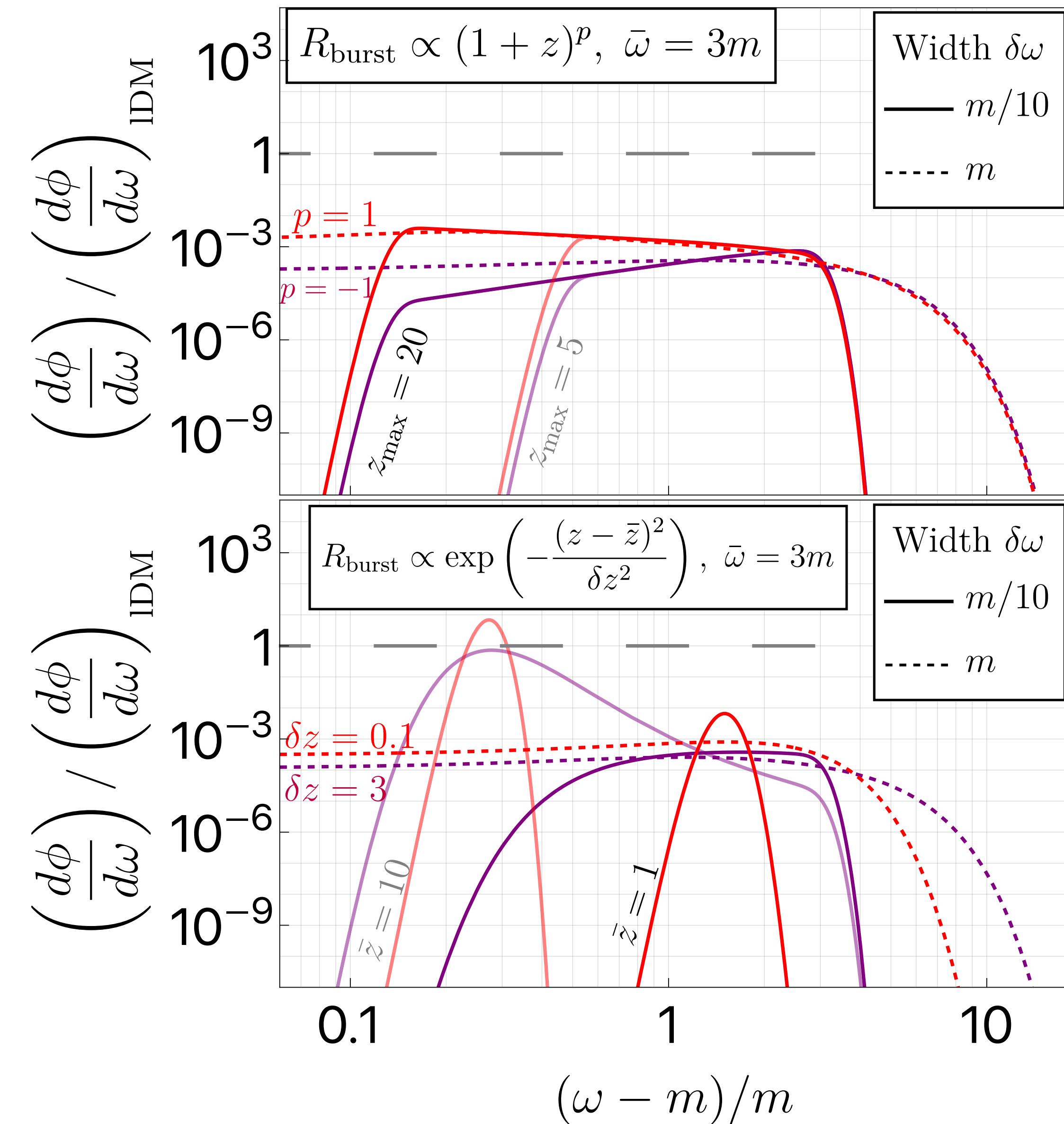
Likely challenging!

- DaB flux generally \lesssim local DM flux
- Signal likely much less coherent than local DM

$$\tau_{\text{coh}} \simeq \frac{2\pi}{m_a v^2}, \quad v_{\text{dm}} \sim 10^{-3} \text{ vs } v_{\text{DaB}} \sim 1$$

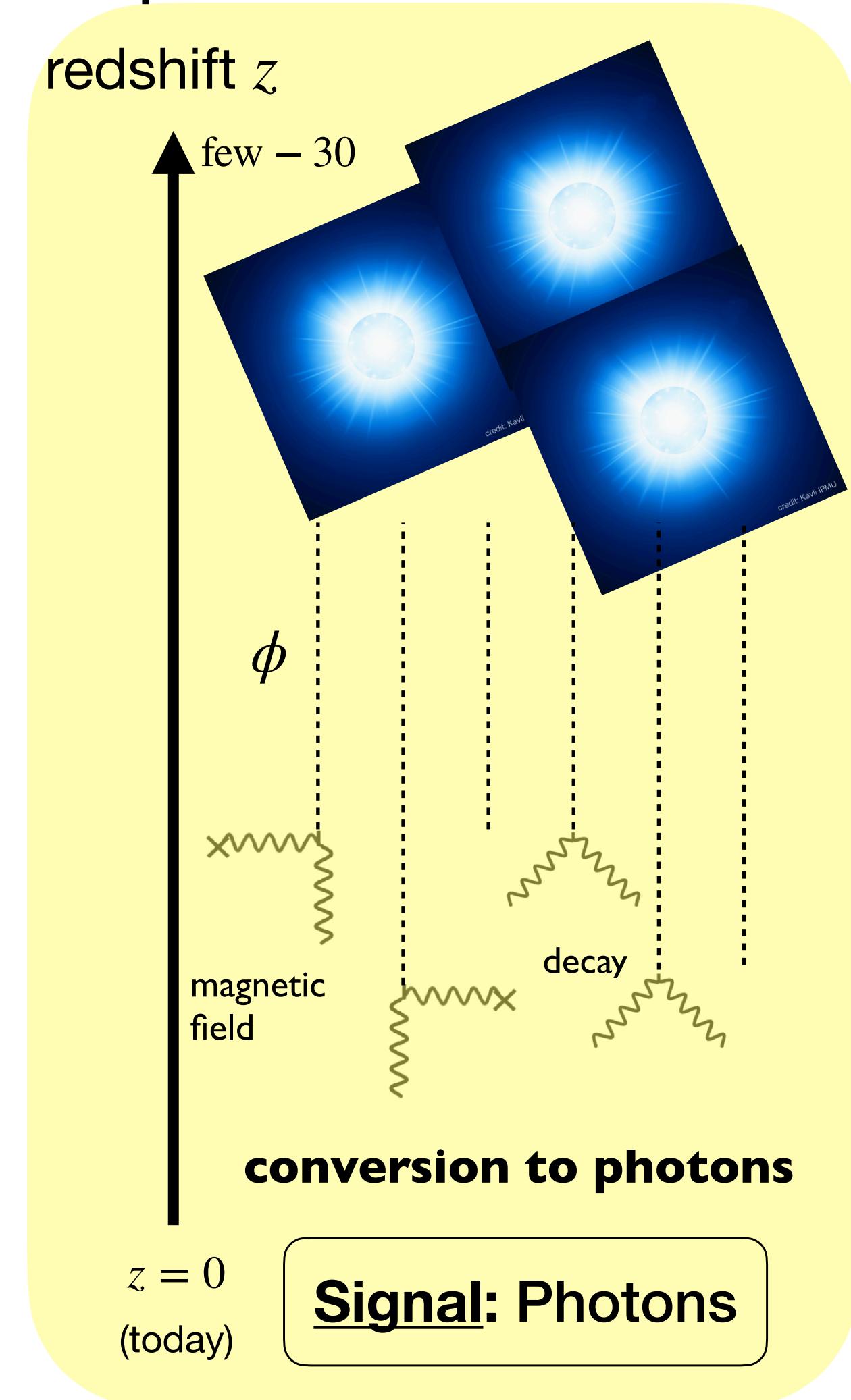
Worth investigating!

- Nontrivial energy distribution encodes cosmological evolution and source properties
- Can also encode information about fundamental axion potential, e.g. self-interactions



Photon Signals from DaB

$$\mathcal{L} \supset \frac{1}{4} g_{a\gamma} a F_{\mu\nu} \tilde{F}^{\mu\nu} = g_{a\gamma} a \mathbf{E} \cdot \mathbf{B}$$

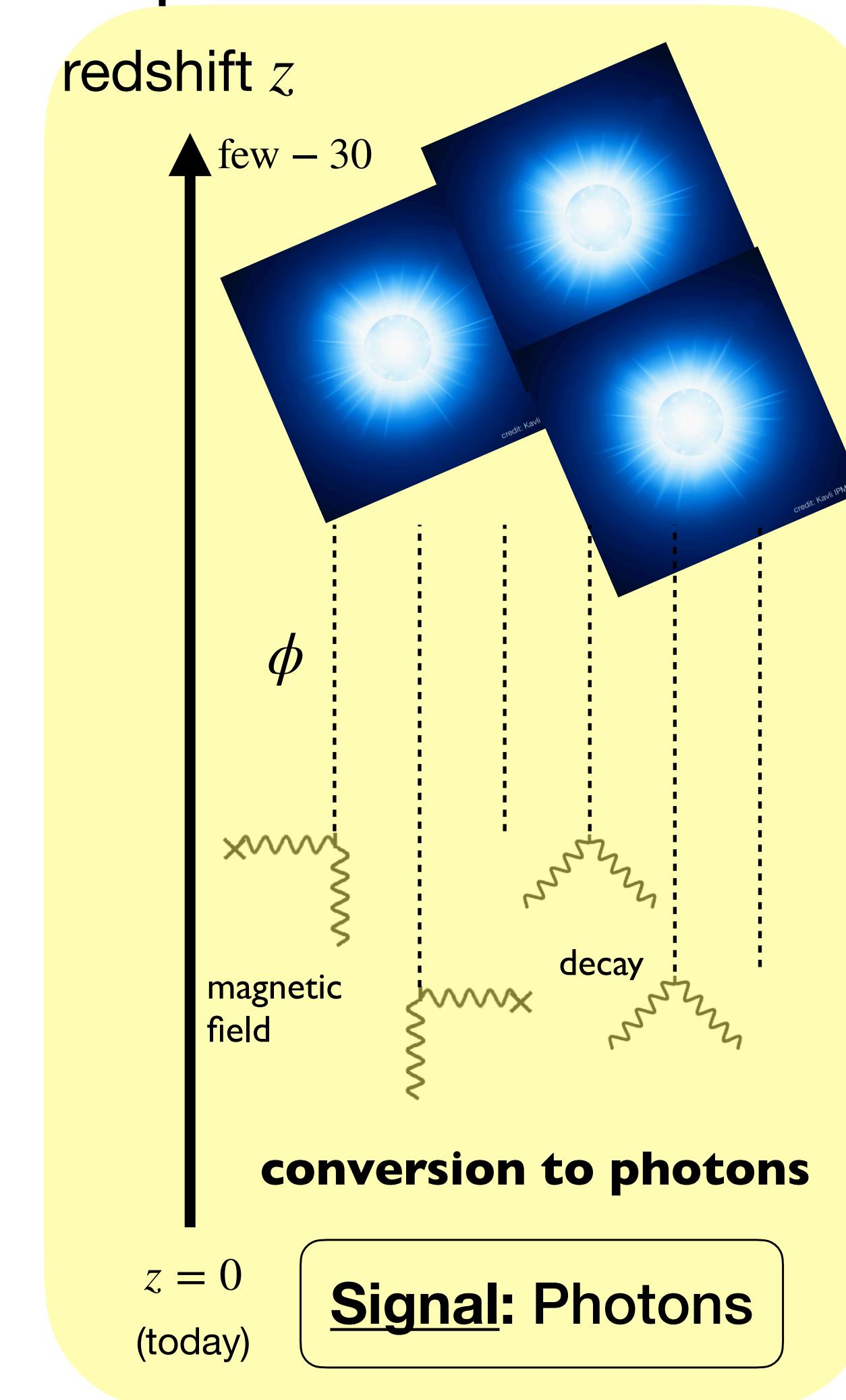


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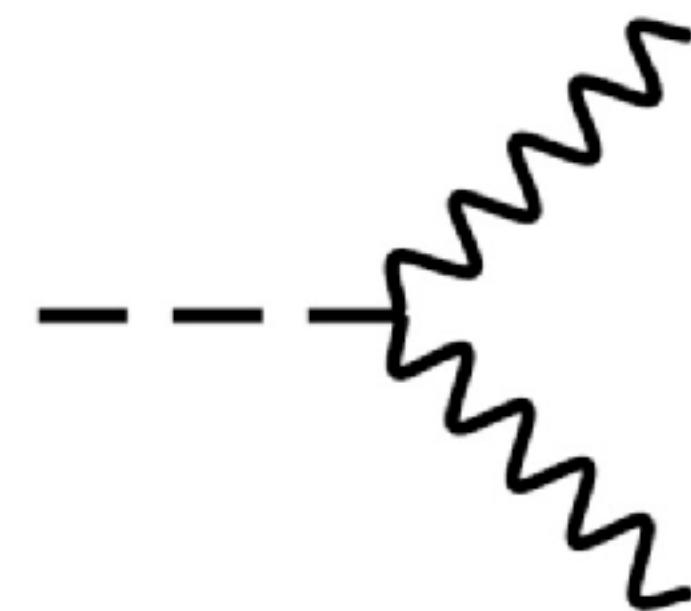
Magnetic field conversion

$$\left. \frac{d\phi_\gamma}{d\omega} \right|_{B\text{-field}} = P_{\gamma \rightarrow a} \frac{d\phi}{d\omega}$$



Axion decay to photons

$$\left. \frac{d\phi_\gamma}{d\omega} \right|_{\text{decay}} \simeq P_{\text{decay}} \frac{d\phi}{d\omega}$$



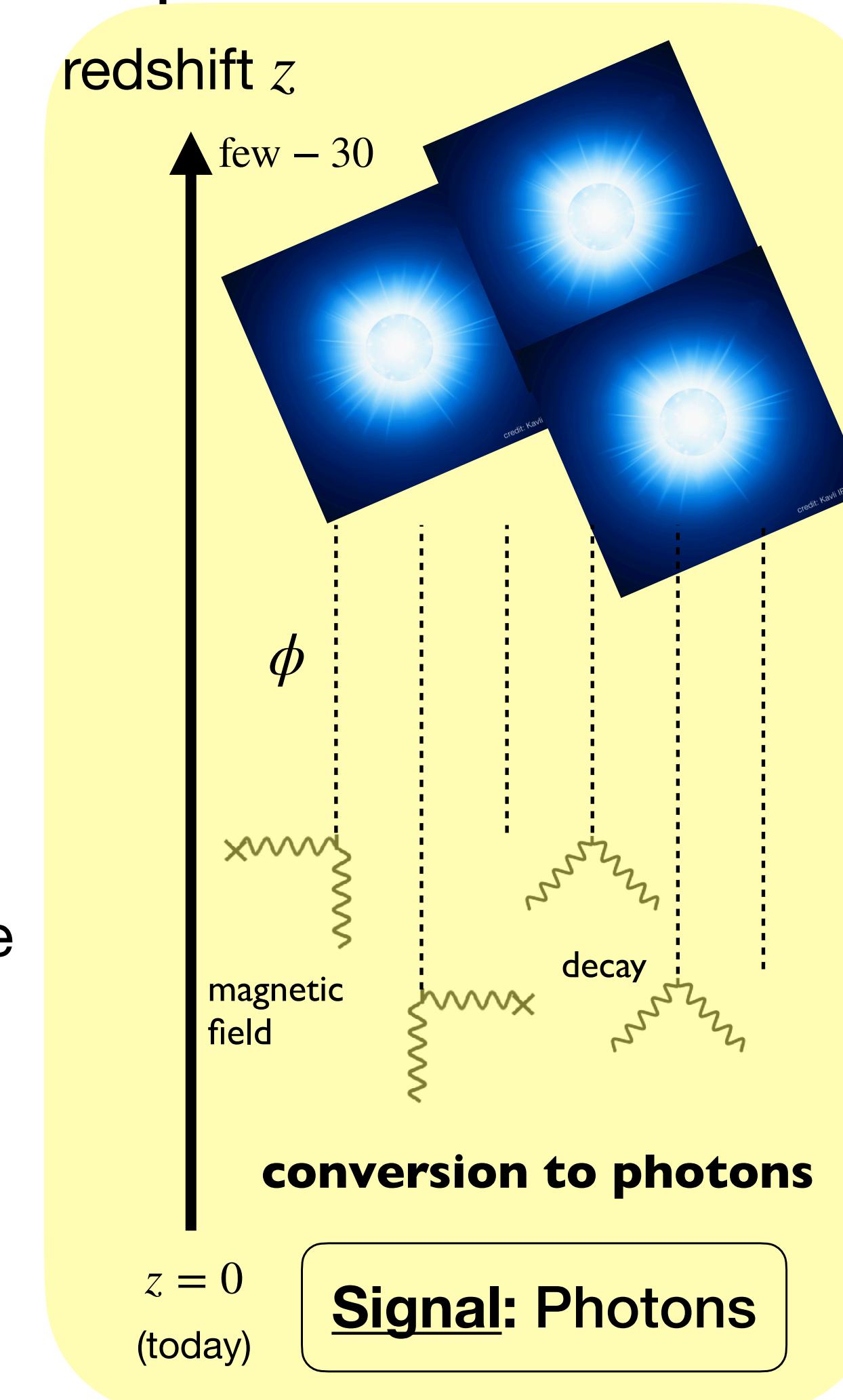
Photon Signals from DaB

$$\mathcal{L} \supset \frac{1}{4} g_{a\gamma} a F_{\mu\nu} \tilde{F}^{\mu\nu} = g_{a\gamma} a \mathbf{E} \cdot \mathbf{B}$$

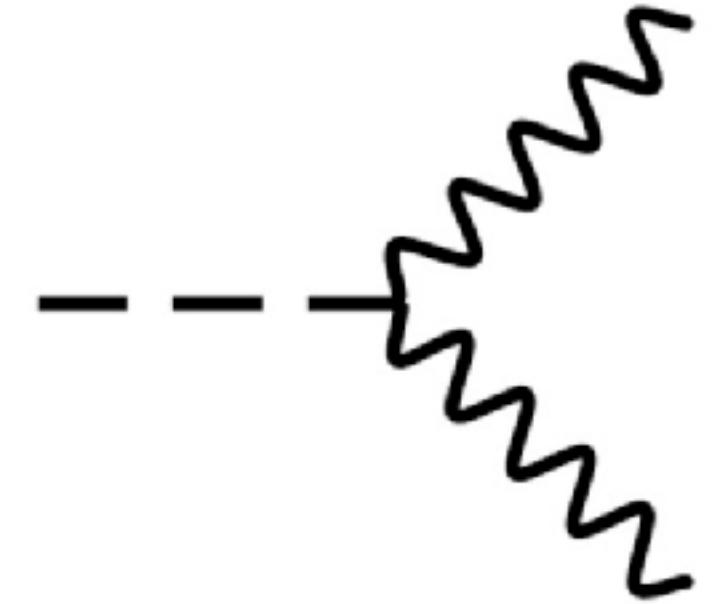
Magnetic field conversion

$$\left. \frac{d\phi_\gamma}{d\omega} \right|_{B\text{-field}} = P_{\gamma \rightarrow a} \frac{d\phi}{d\omega}$$


- Galactic magnetic fields of $\sim \mu\text{G}$ dominate (typical distances $\sim \text{kpc} - \text{Mpc}$)
- $P_{\gamma \rightarrow a}$ grows with large ω and small m_a
 \Rightarrow largest when $\omega \gg m_a$ with small m_a

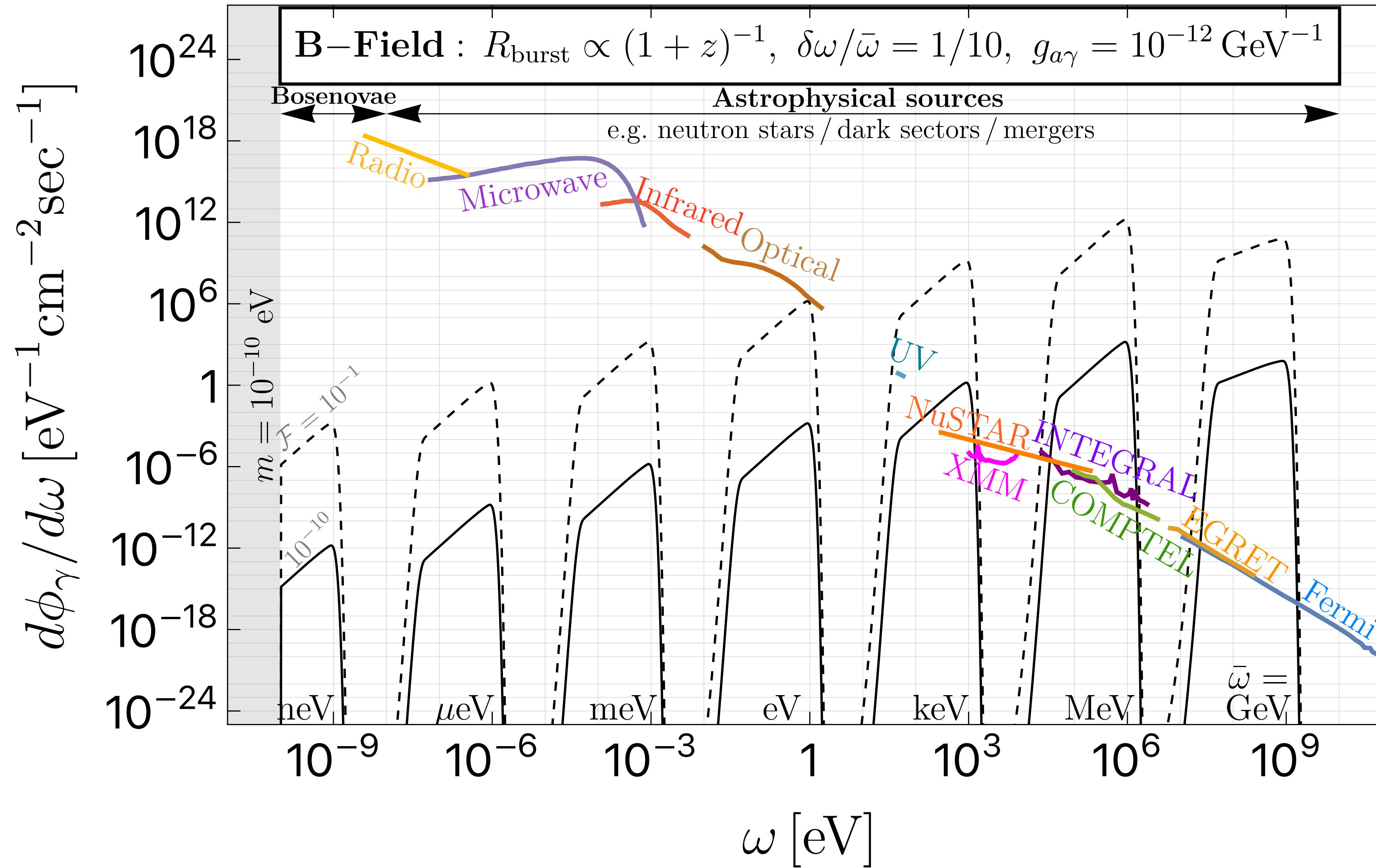


Axion decay to photons

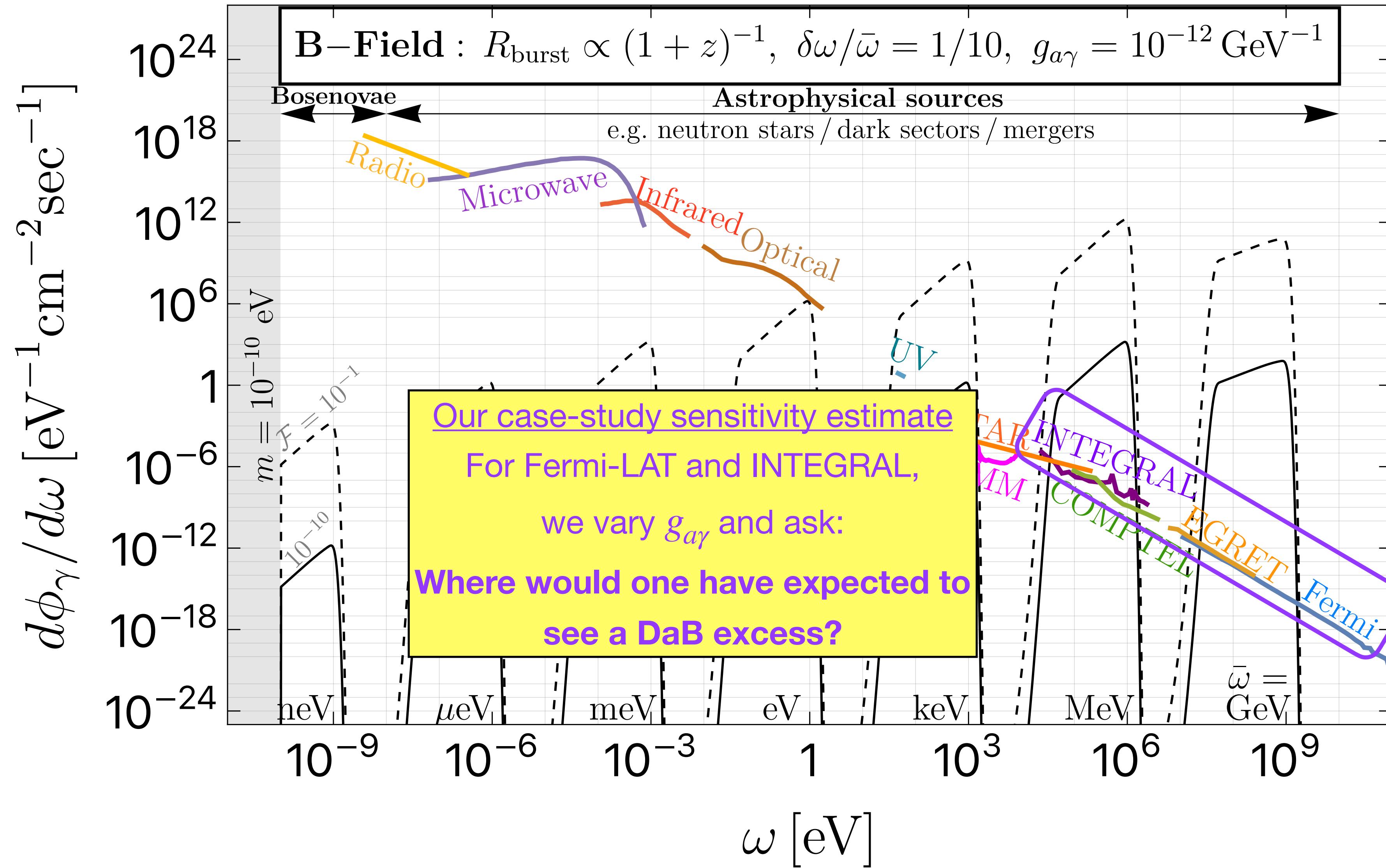
$$\left. \frac{d\phi_\gamma}{d\omega} \right|_{\text{decay}} \simeq P_{\text{decay}} \frac{d\phi}{d\omega}$$


- Decay can occur anywhere in space (typical distances $\sim \text{Gpc}$)
- P_{decay} grows with small ω and large m_a
 \Rightarrow largest when $\omega \gtrsim m_a$ with large m_a

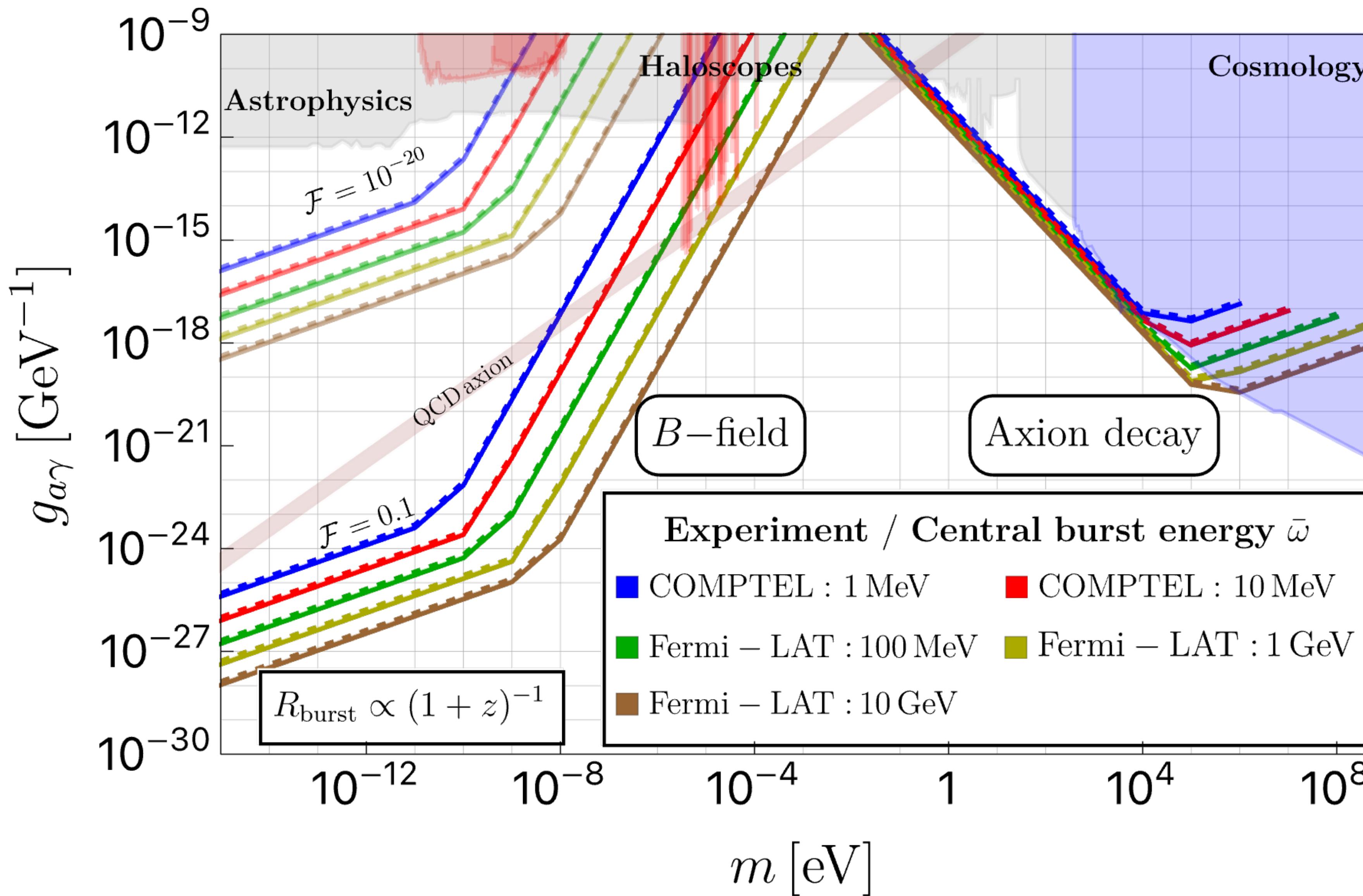
Where to Search: Today



Where to Search: Today



Searches for DaB Gamma-Rays

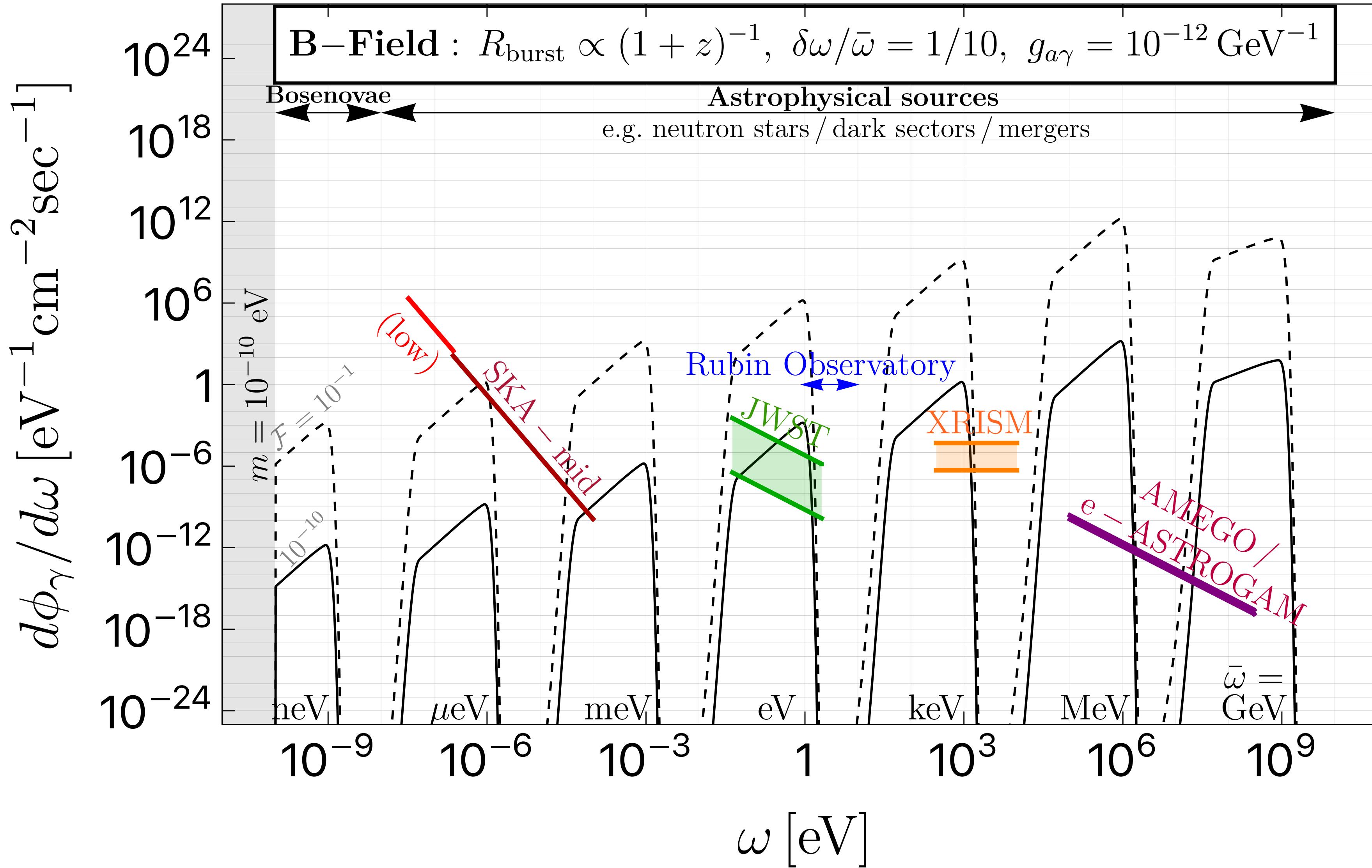


A very tiny energy fraction in DaB
can give rise to striking signals!

Best sensitivity when $\bar{\omega} \gg m_a$

What about low-energy signals?

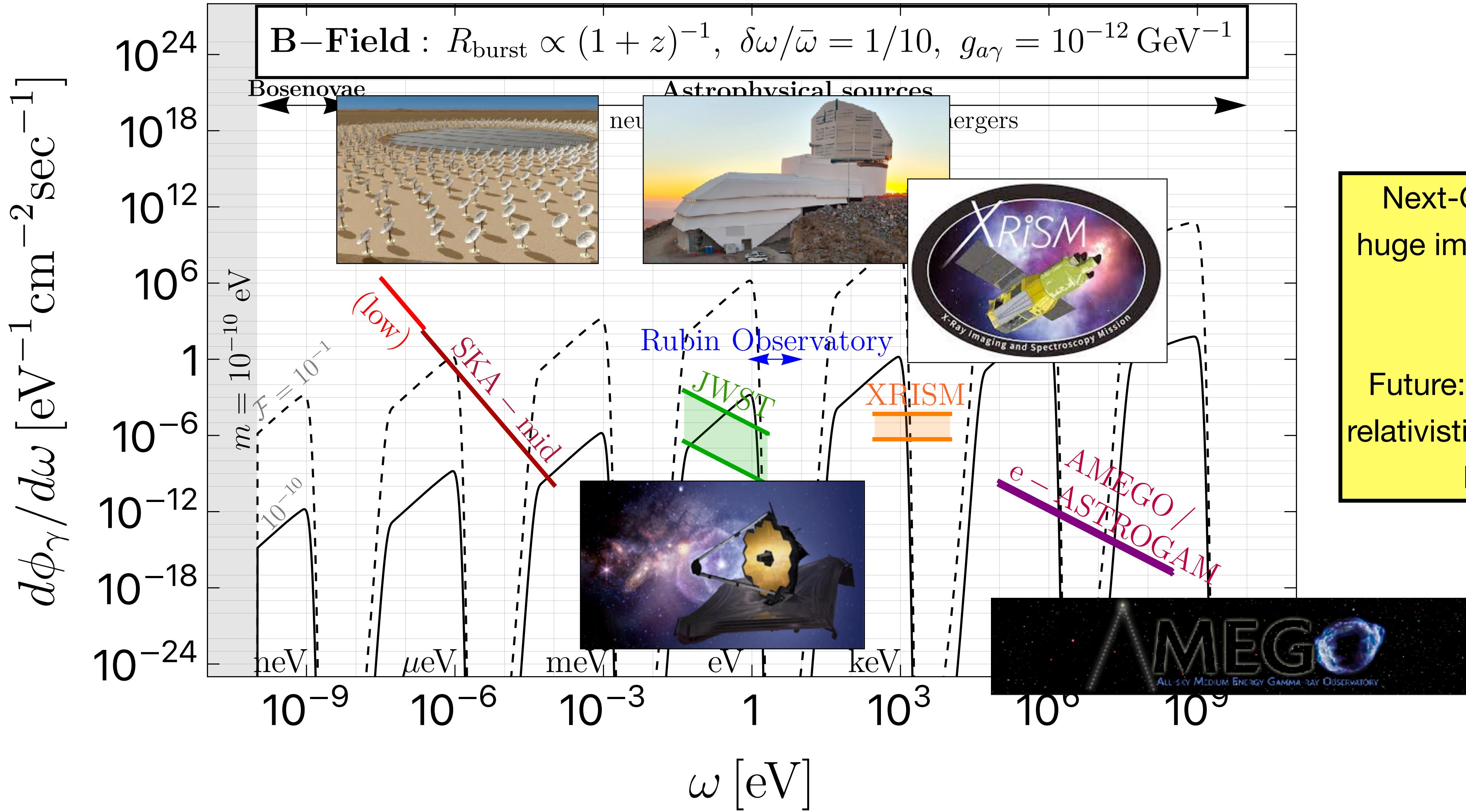
Where to Search: Future



Next-Gen searches will see huge improvements, especially at low energy

Future: search even for semi-relativistic burst sources of DaB, like bosenovae!

Where to Search: Future



Conclusions

- Relativistic bursts of axions commonly originate in astrophysical processes, both in SM / dark sectors; give rise to a diffuse axion background (DaB)
- Axions emitted in recent transient bursts, e.g. from *bosenovae* in boson star collapse, lead to direct-detection signals which can exceed sensitivity of local DM searches. At present, **detection viable but exclusion difficult**; need stronger prediction of burst rate
- The DaB encodes novel information about cosmology and burst sources, implying complementarity with existing DM searches. Direct detection difficult but promising!
- Existing photon-search experiments (e.g. Fermi) can already constrain DaB using photon couplings. In progress: investigate signals from other couplings, e.g. electrons and quarks
- Further characterization of burst sources is worthy of dedicated study, strong discovery potential!

Thank you for your attention!



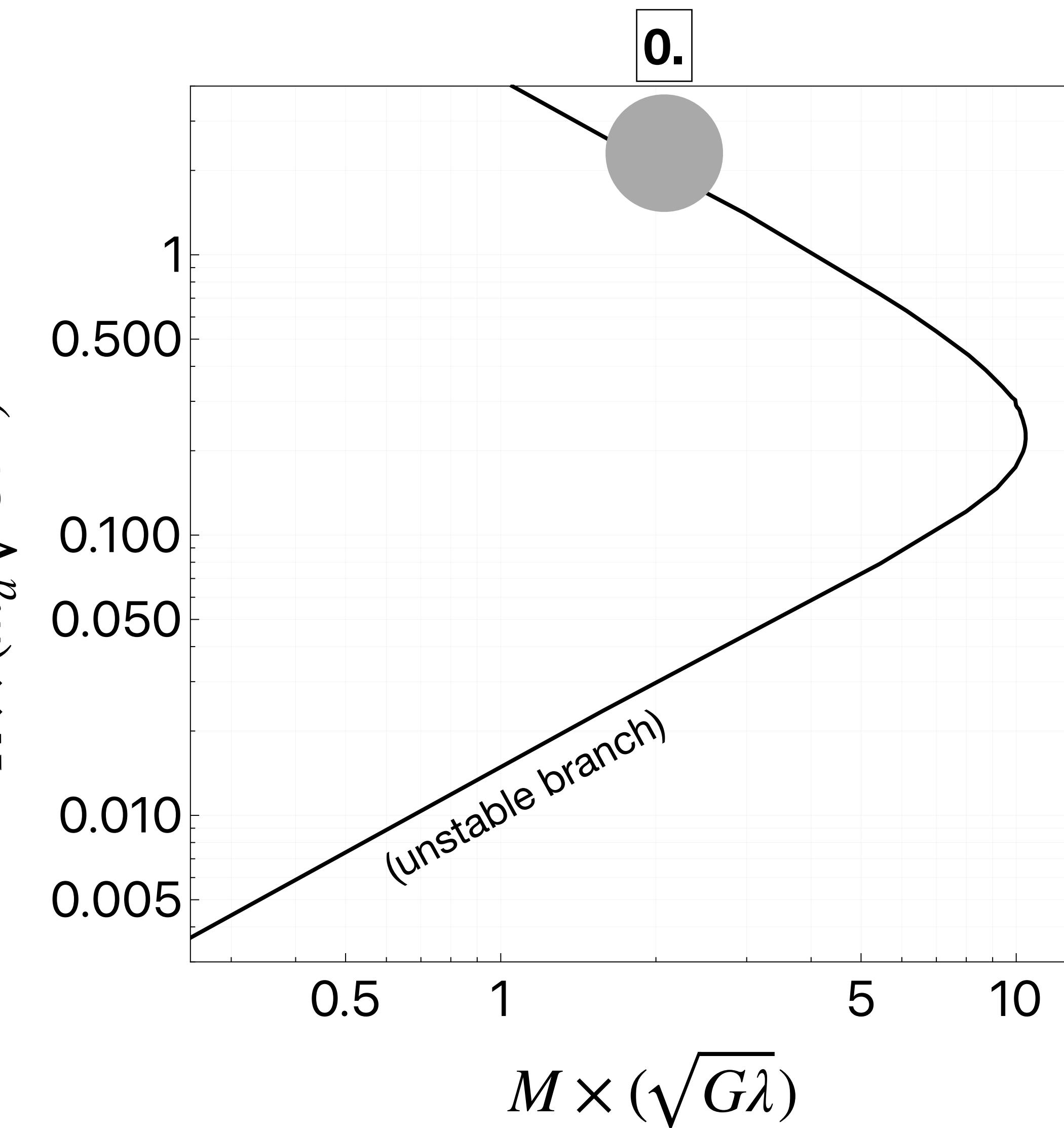
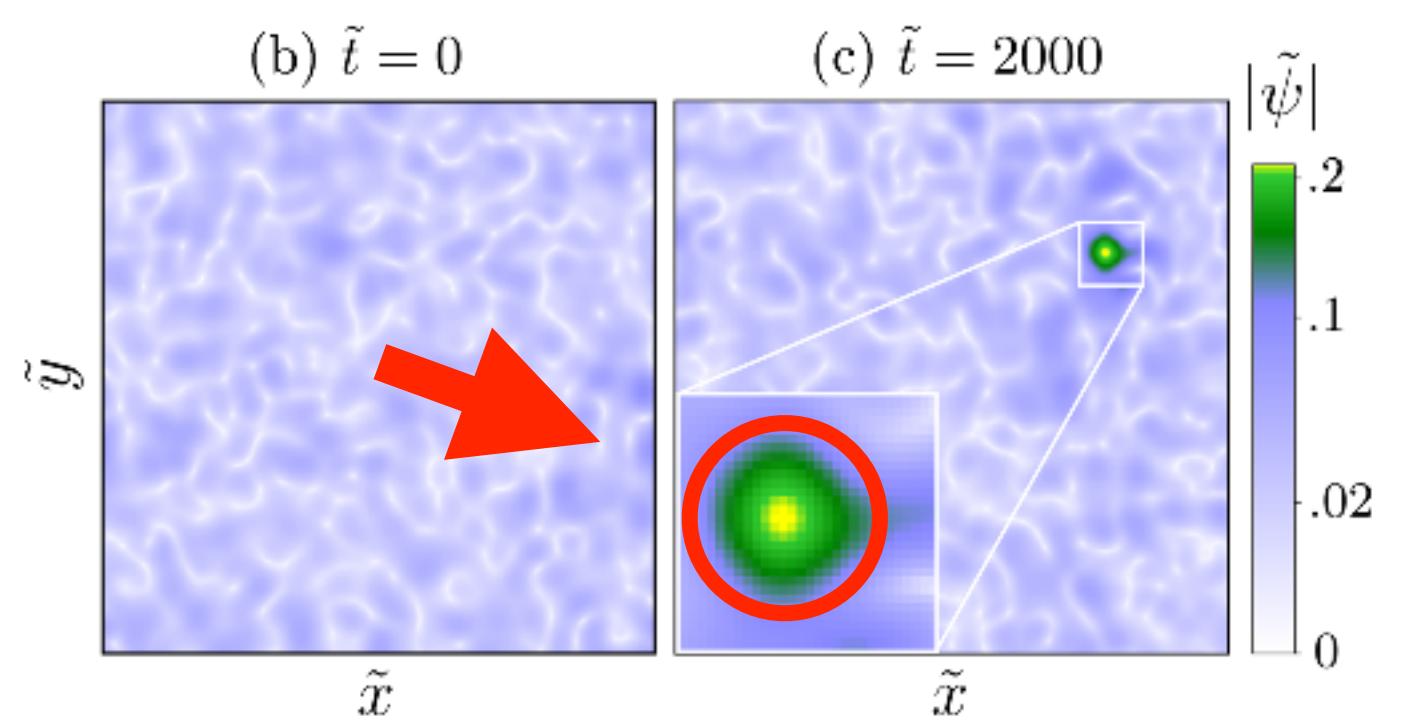
DALL-E 3 illustration:
“Athens symposium on
Exploring the Universe”

Backup Slides

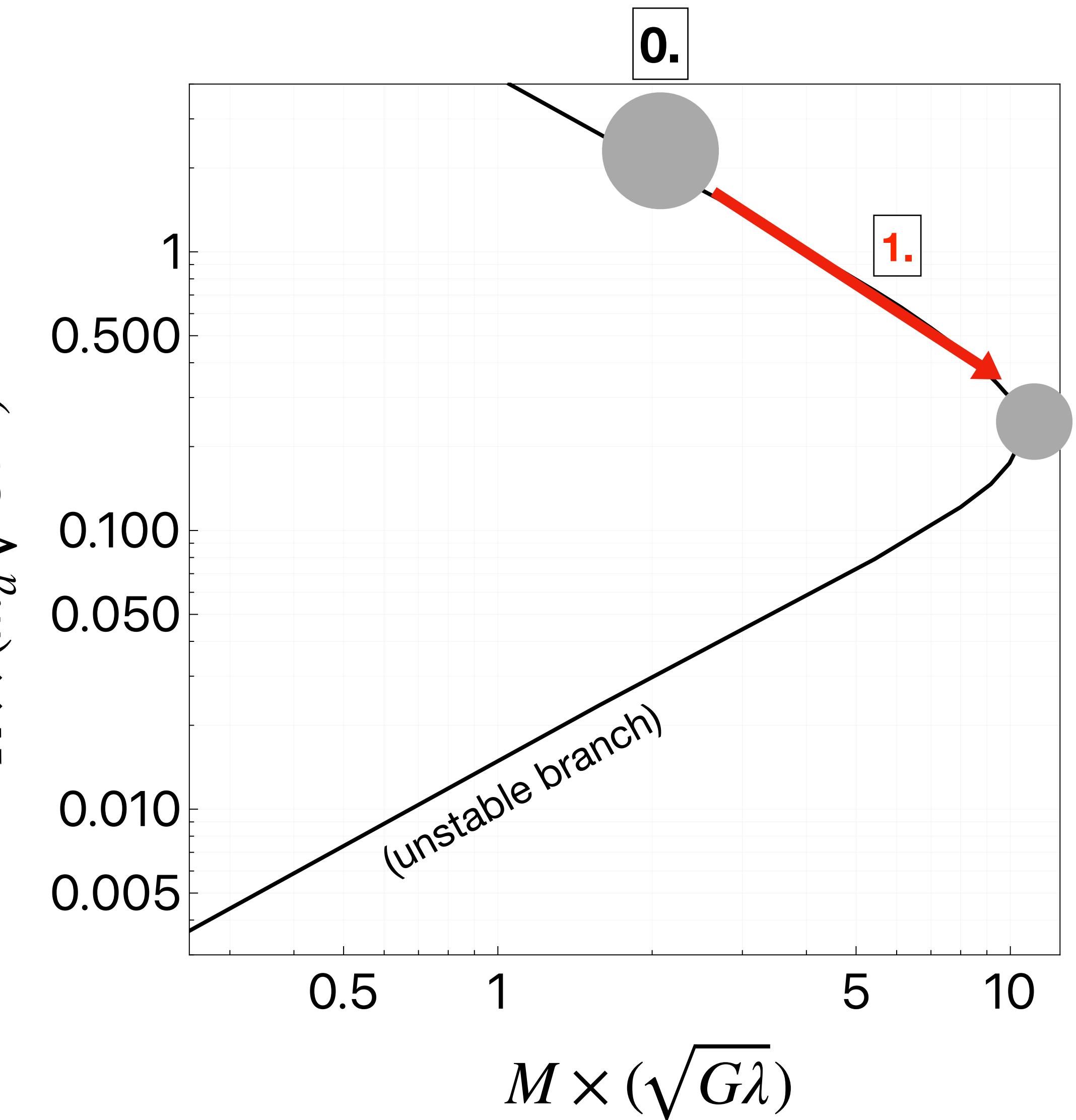
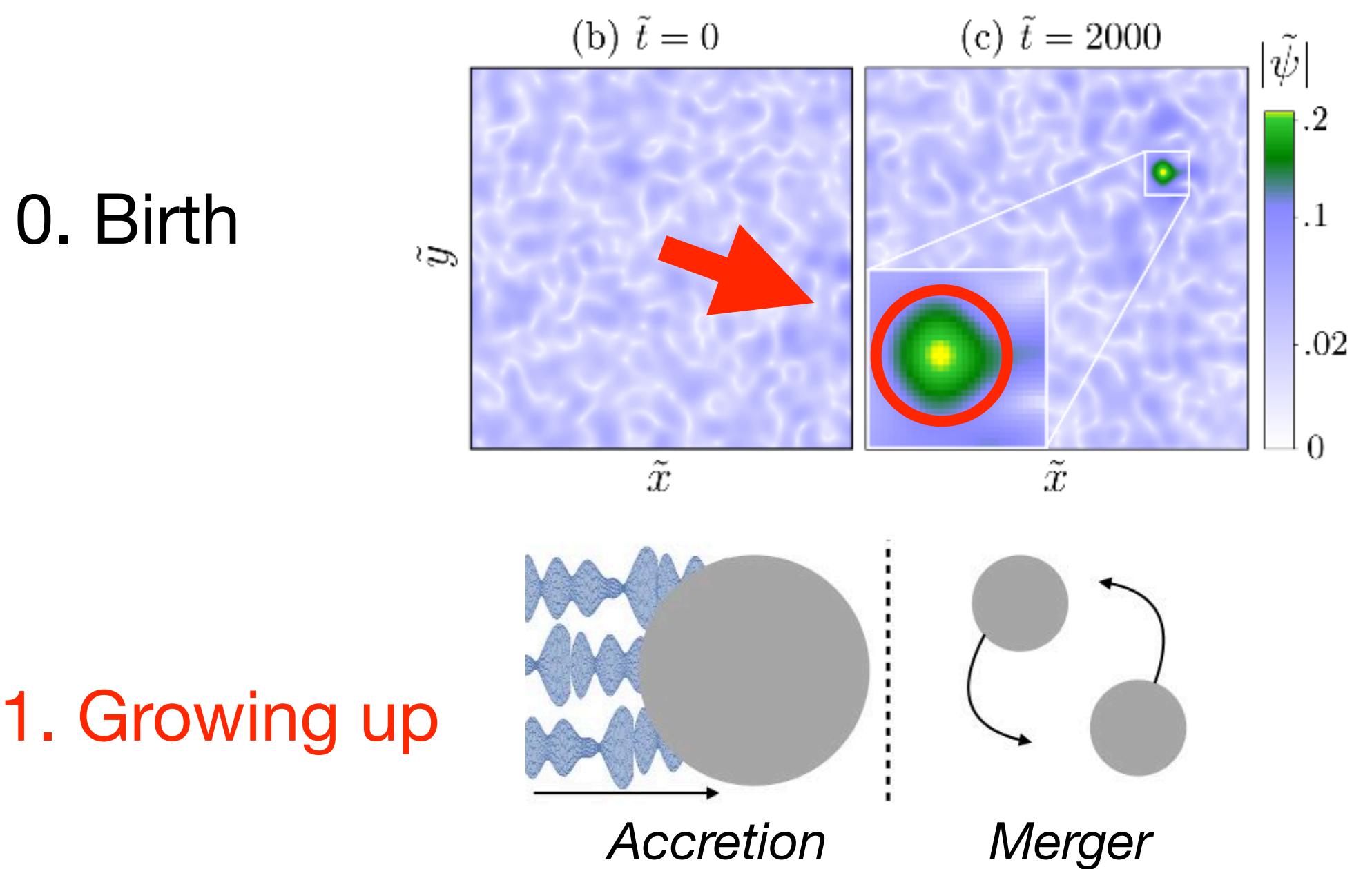


Life Cycle of a Boson Star

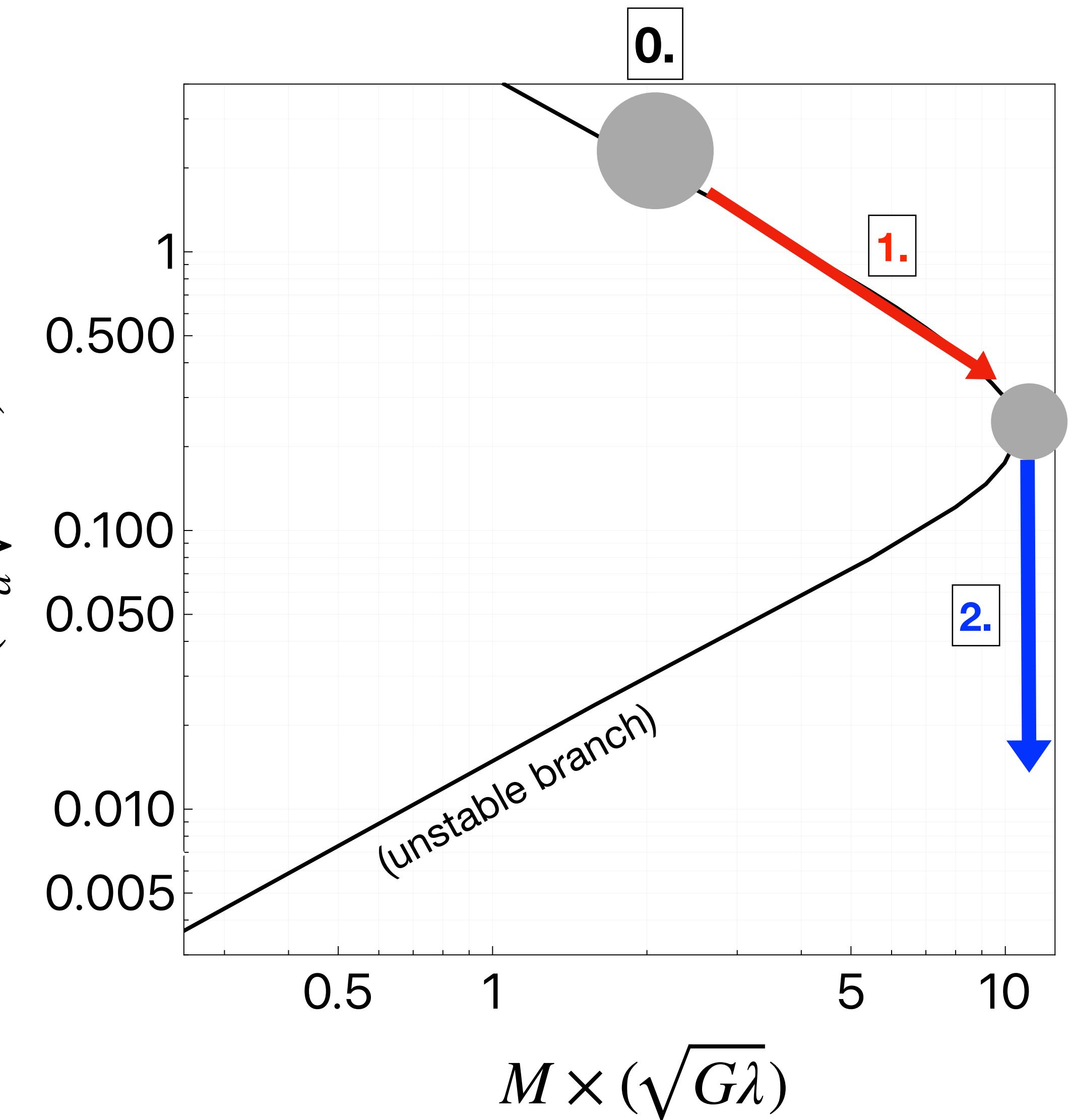
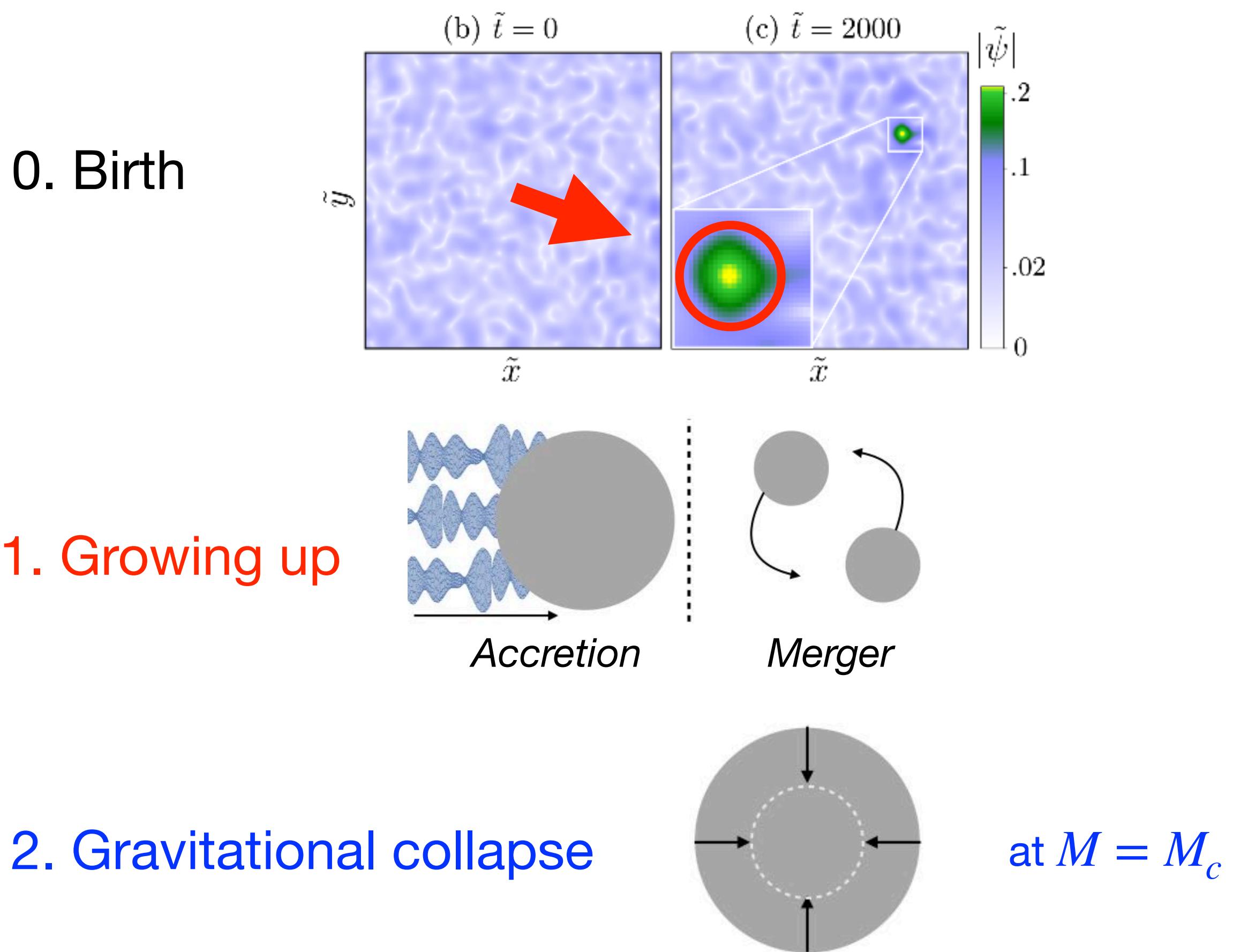
0. Birth



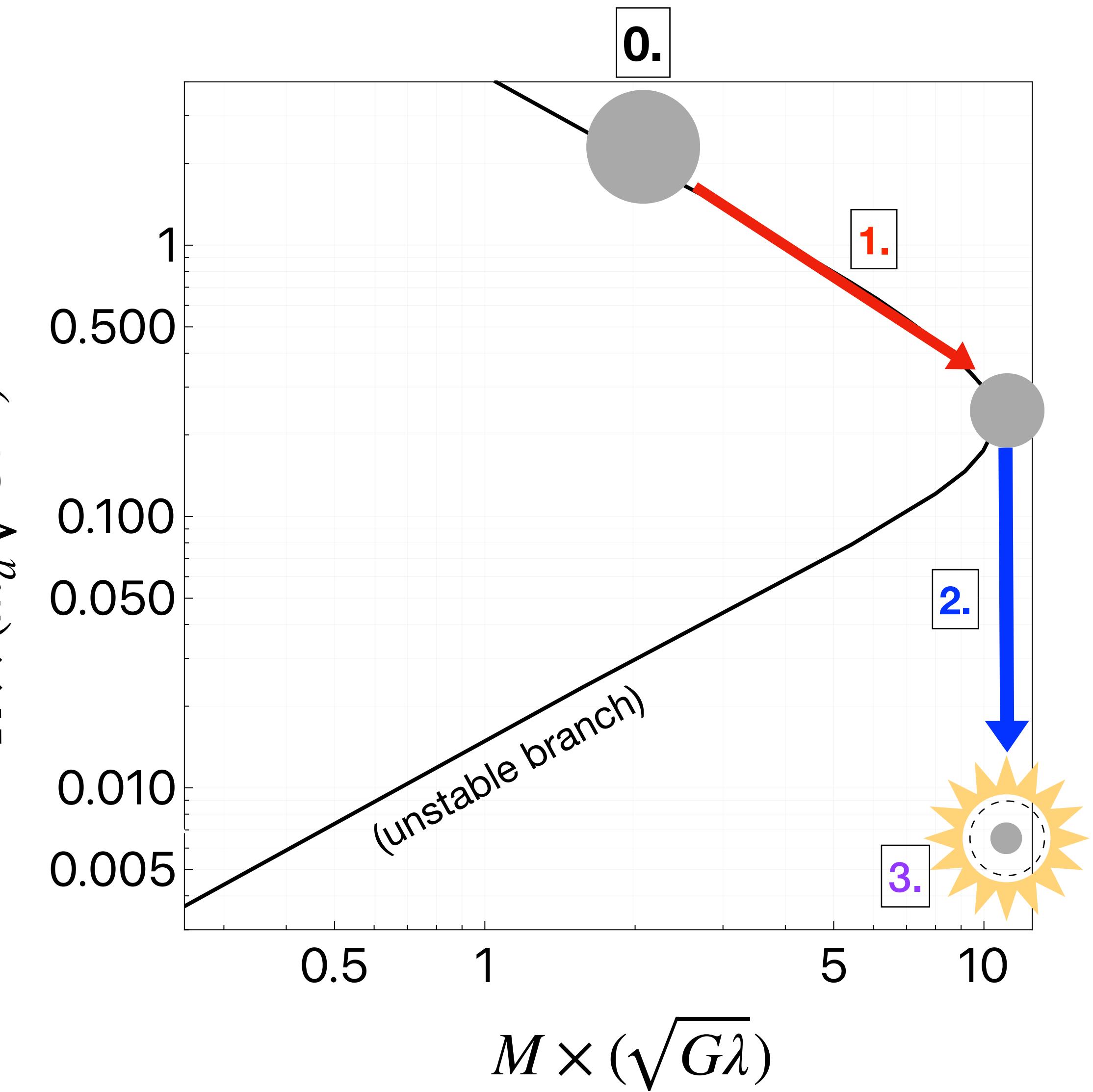
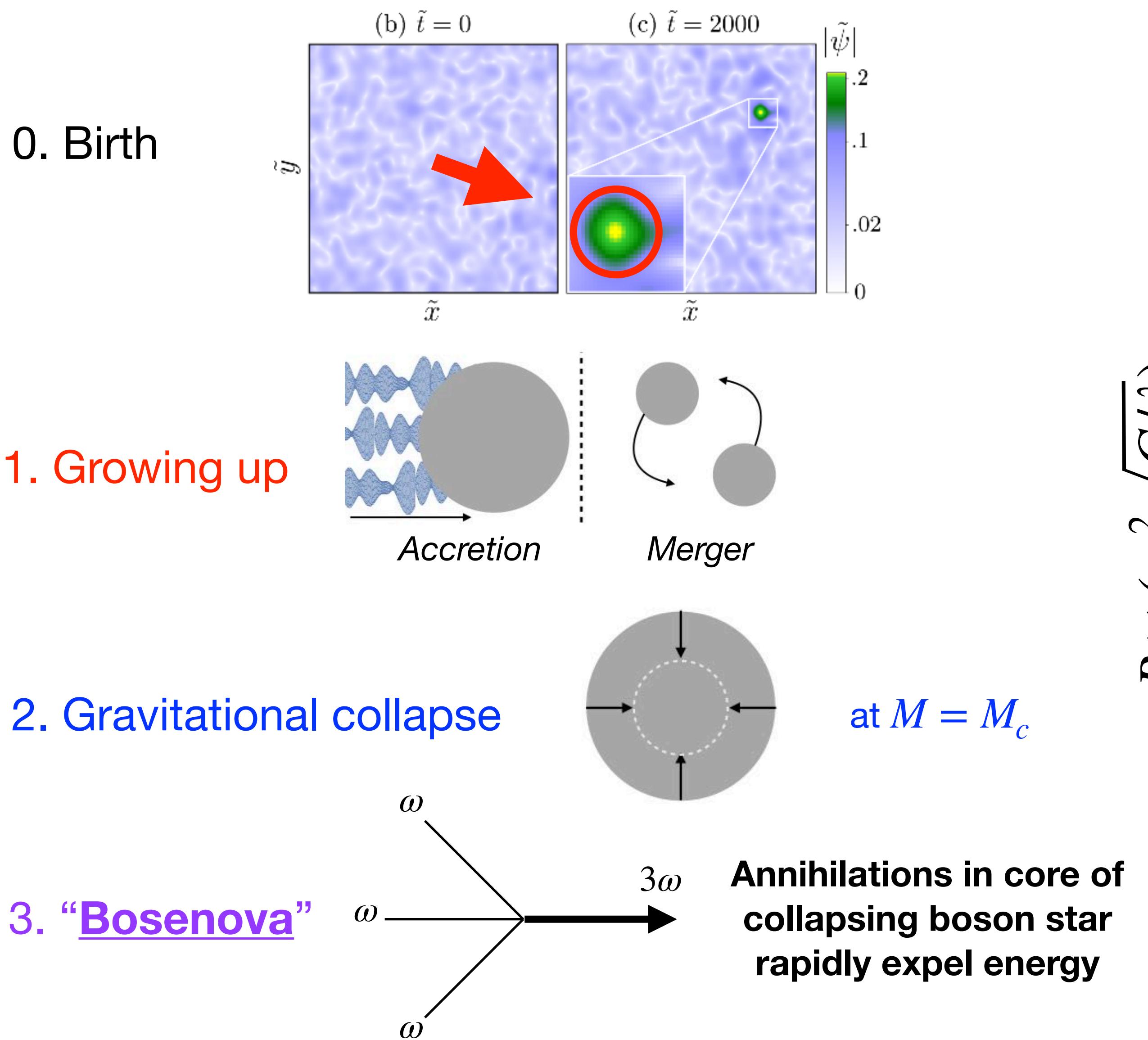
Life Cycle of a Boson Star



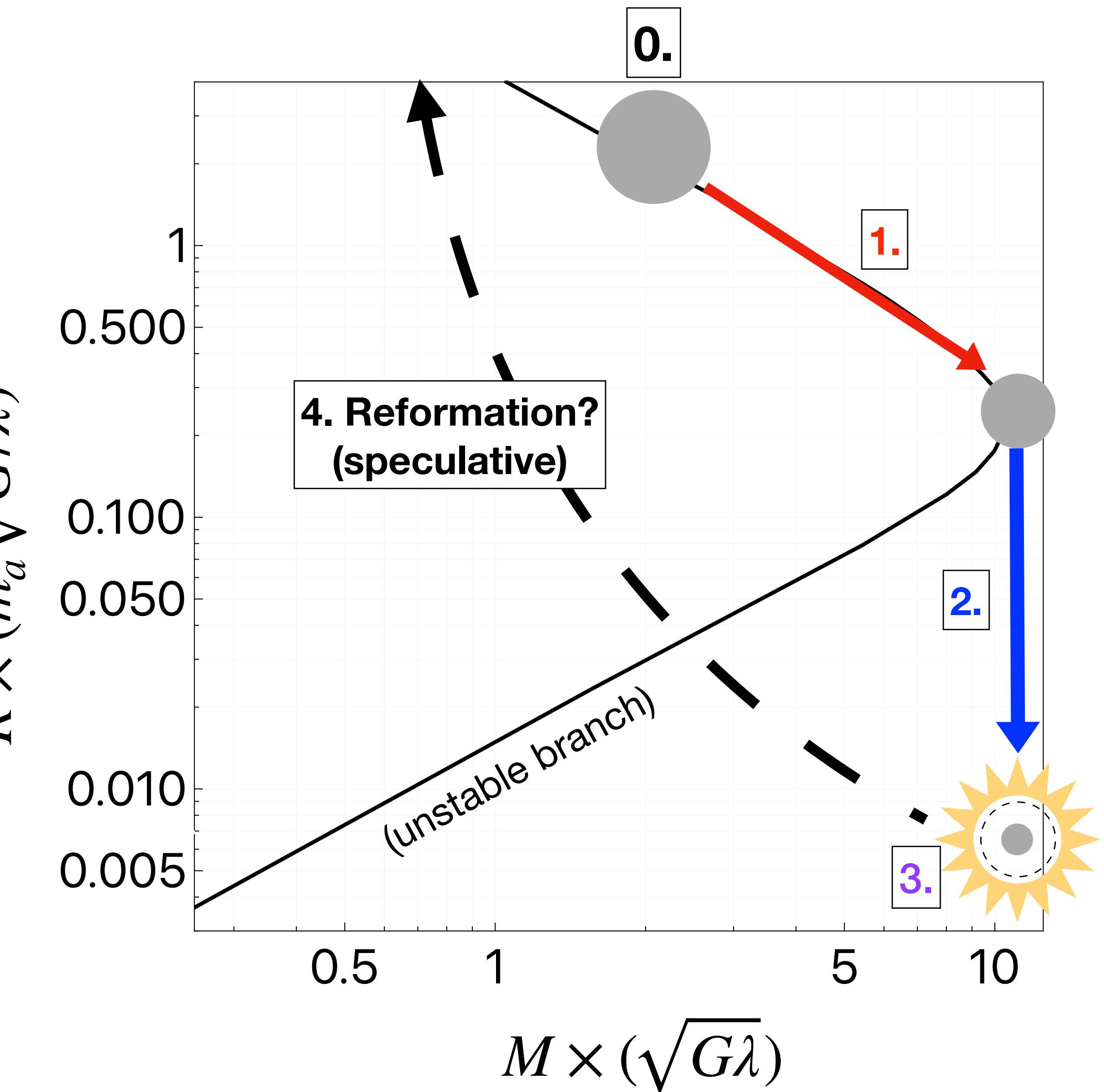
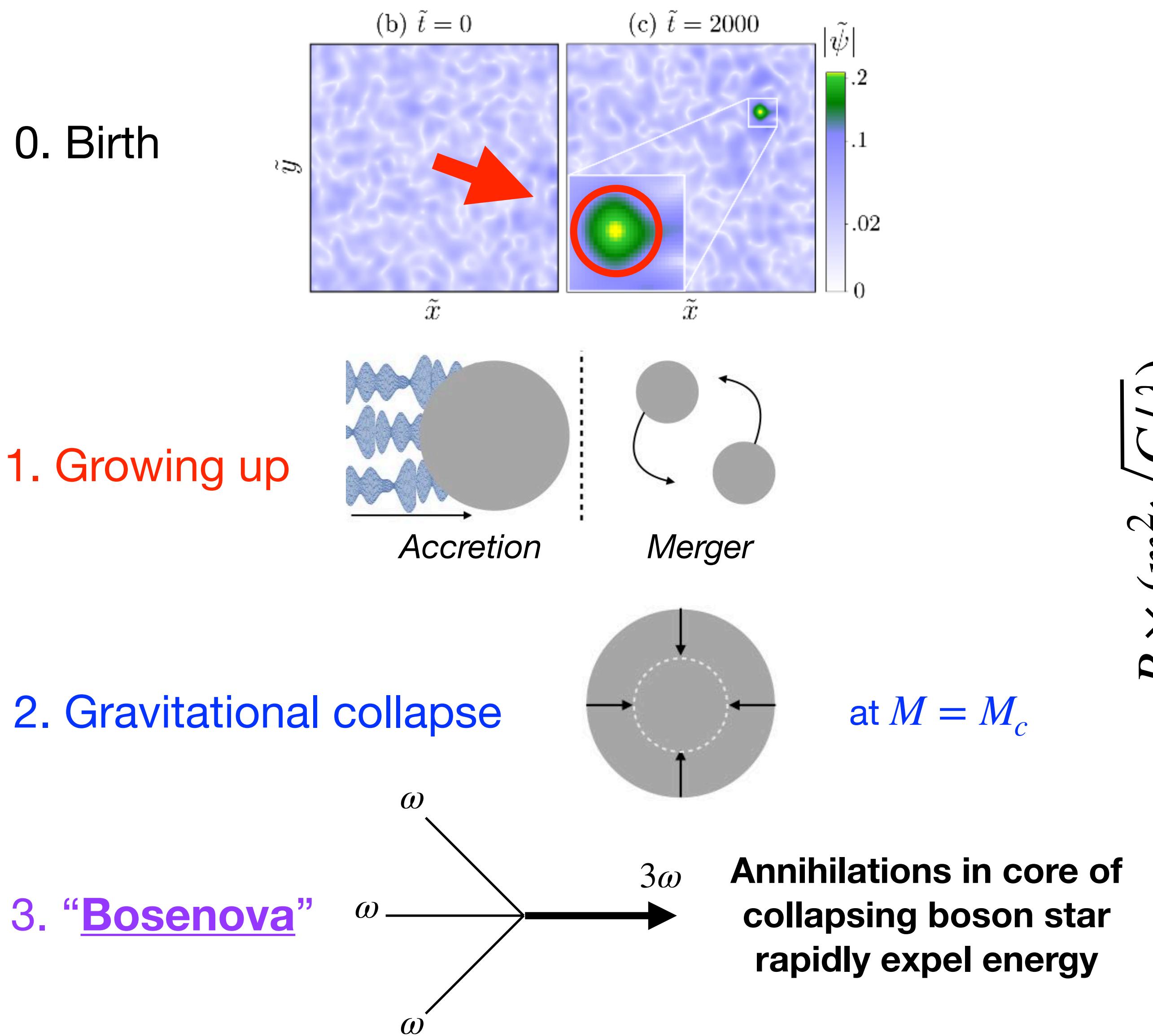
Life Cycle of a Boson Star



Life Cycle of a Boson Star

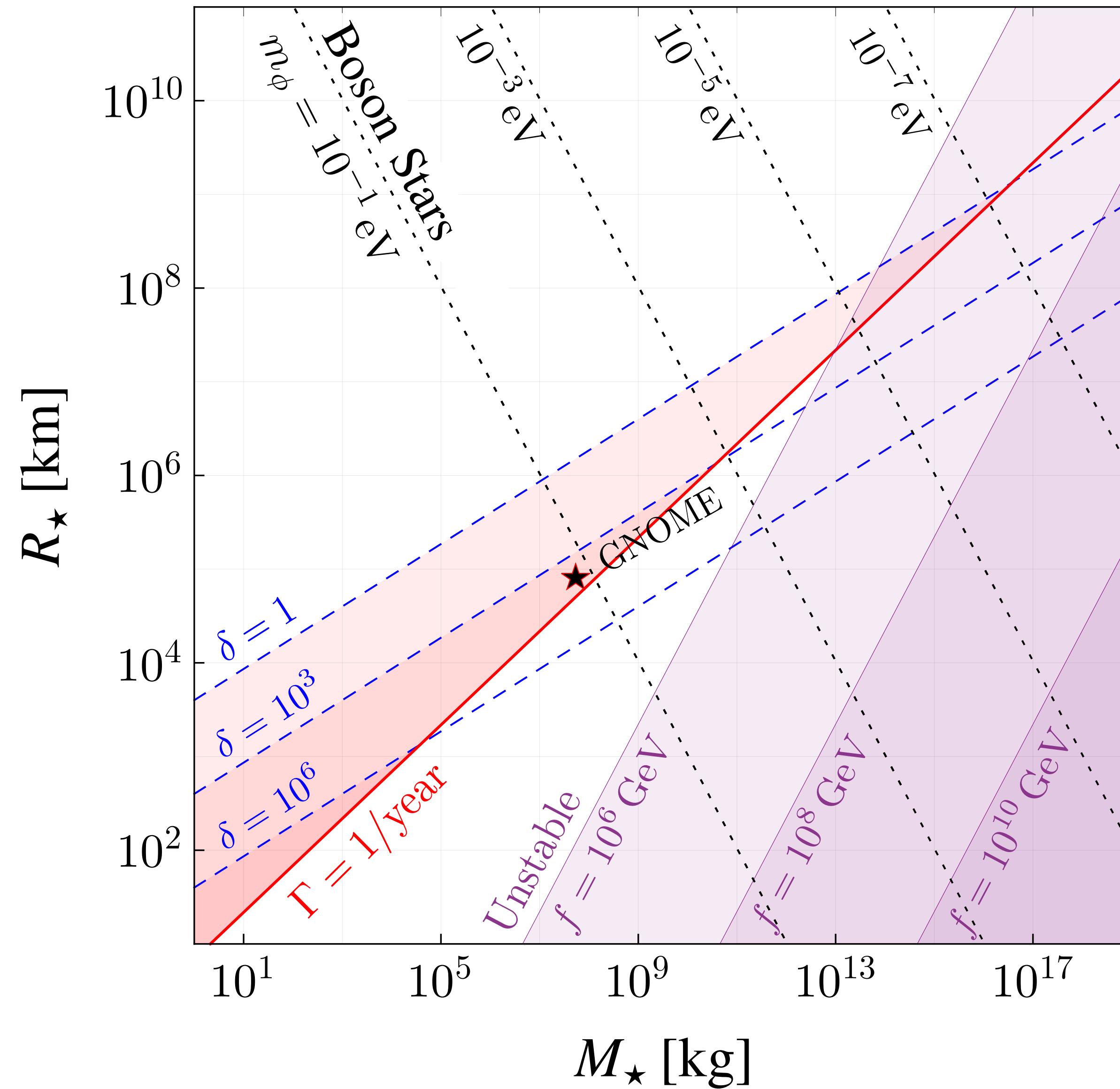


Life Cycle of a Boson Star



Boson Star Encounters

Budker, Banerjee, **Eby**, Kim,
Perez (1902.08212)



Overdensity

$$\delta \equiv \frac{\rho_\star}{\rho_{\text{dm}}} \propto \rho_{\text{local}}^{-1} R_\star^{-4} m_\phi^{-2}$$

Encounter rate

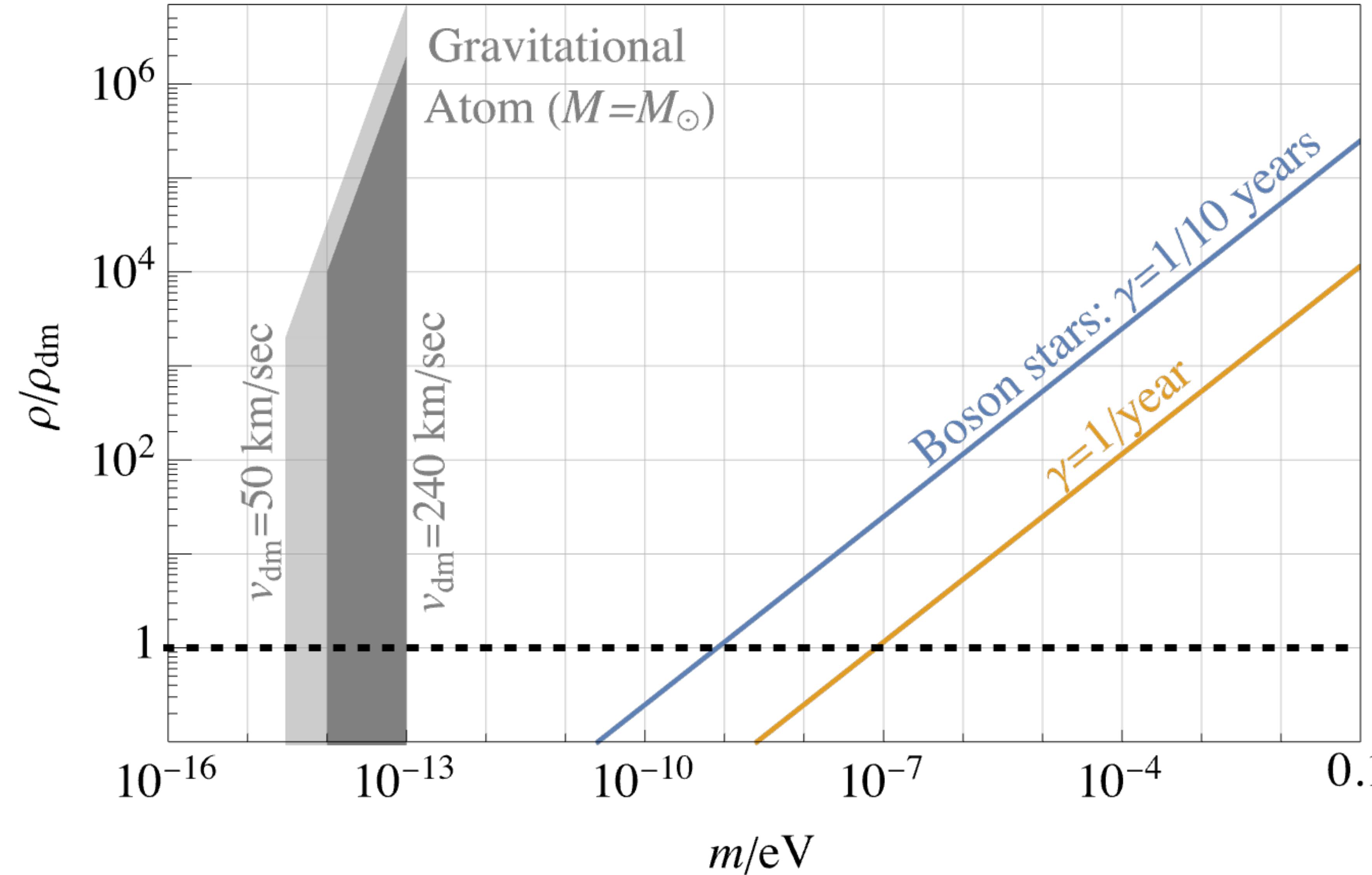
$$\Gamma \equiv \frac{\rho_{\text{dm}}}{M_\star} \sigma_\star v_\star \propto \rho_{\text{local}} R_\star^3 m_\phi^2$$

Both parameters are only significant when

$$m_\phi \gtrsim 10^{-7} \text{ eV}$$

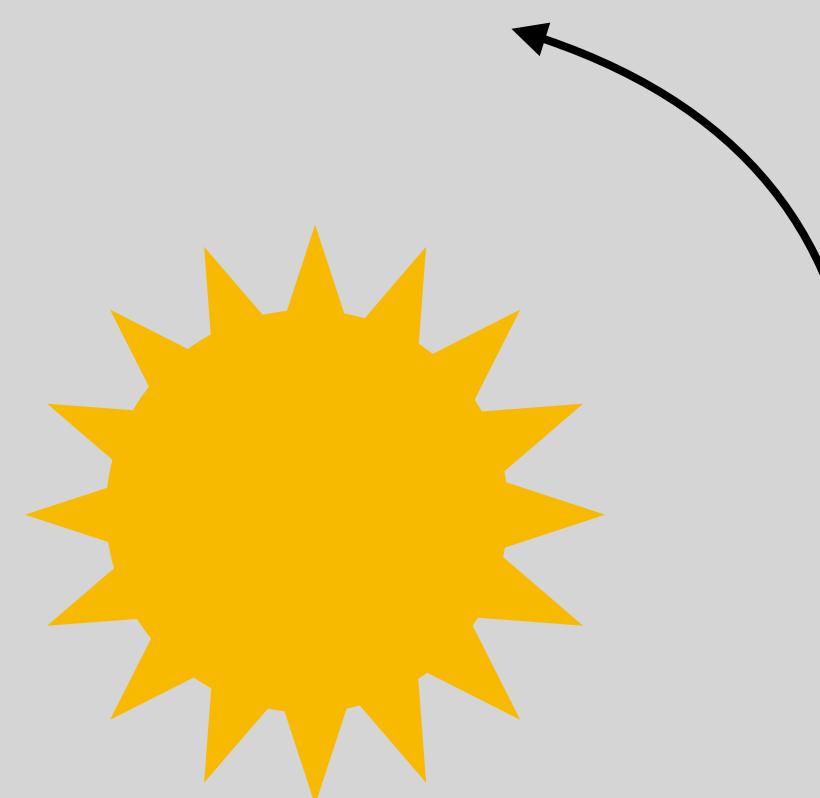
Boson Star Encounters (2)

Budker, **Eby**, Gorgetto, Jiang,
Perez (2306.12477)



The Very Local DM Density

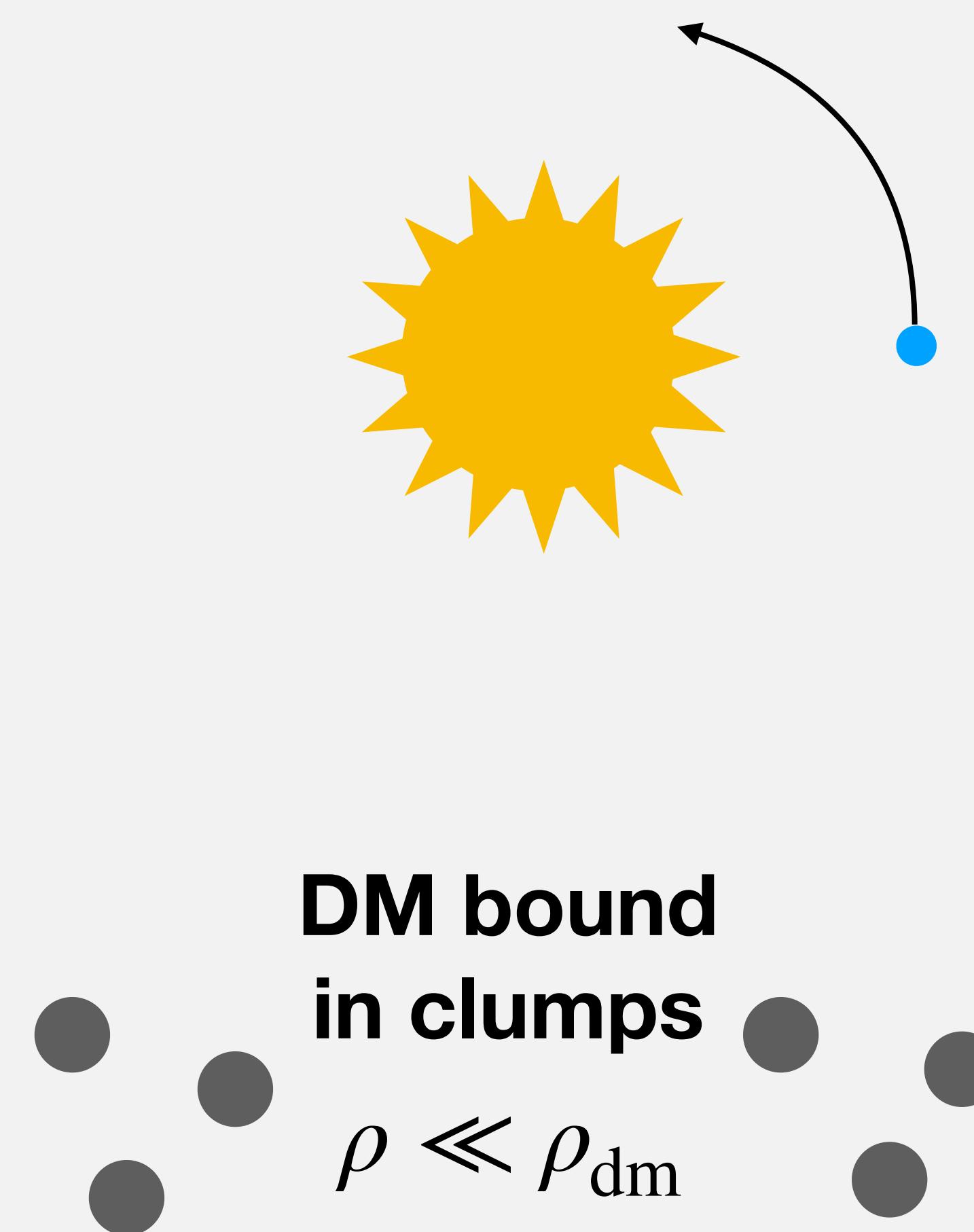
Standard Scenario



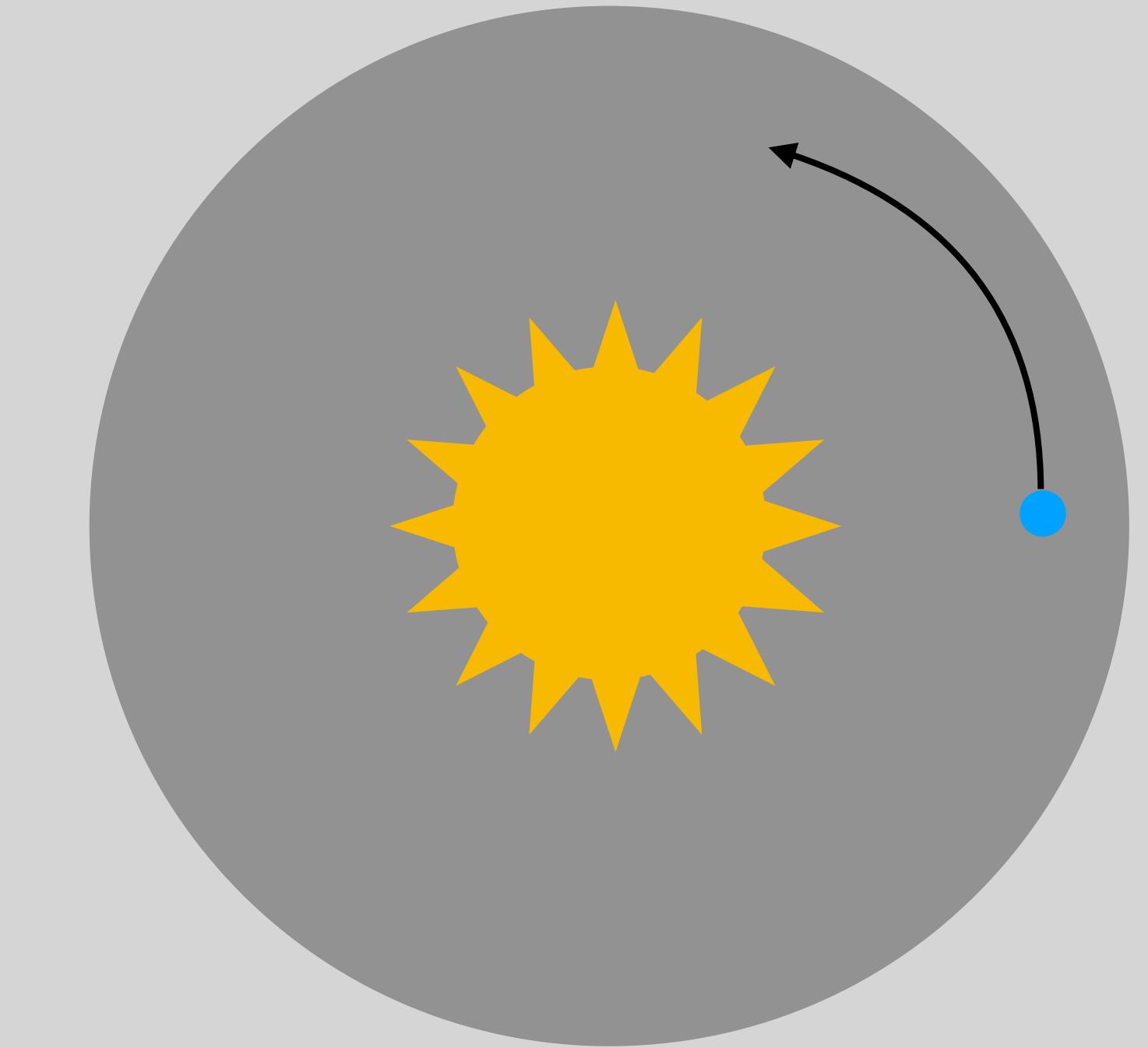
No small-scale overdensities

$$\rho = \rho_{\text{dm}}$$

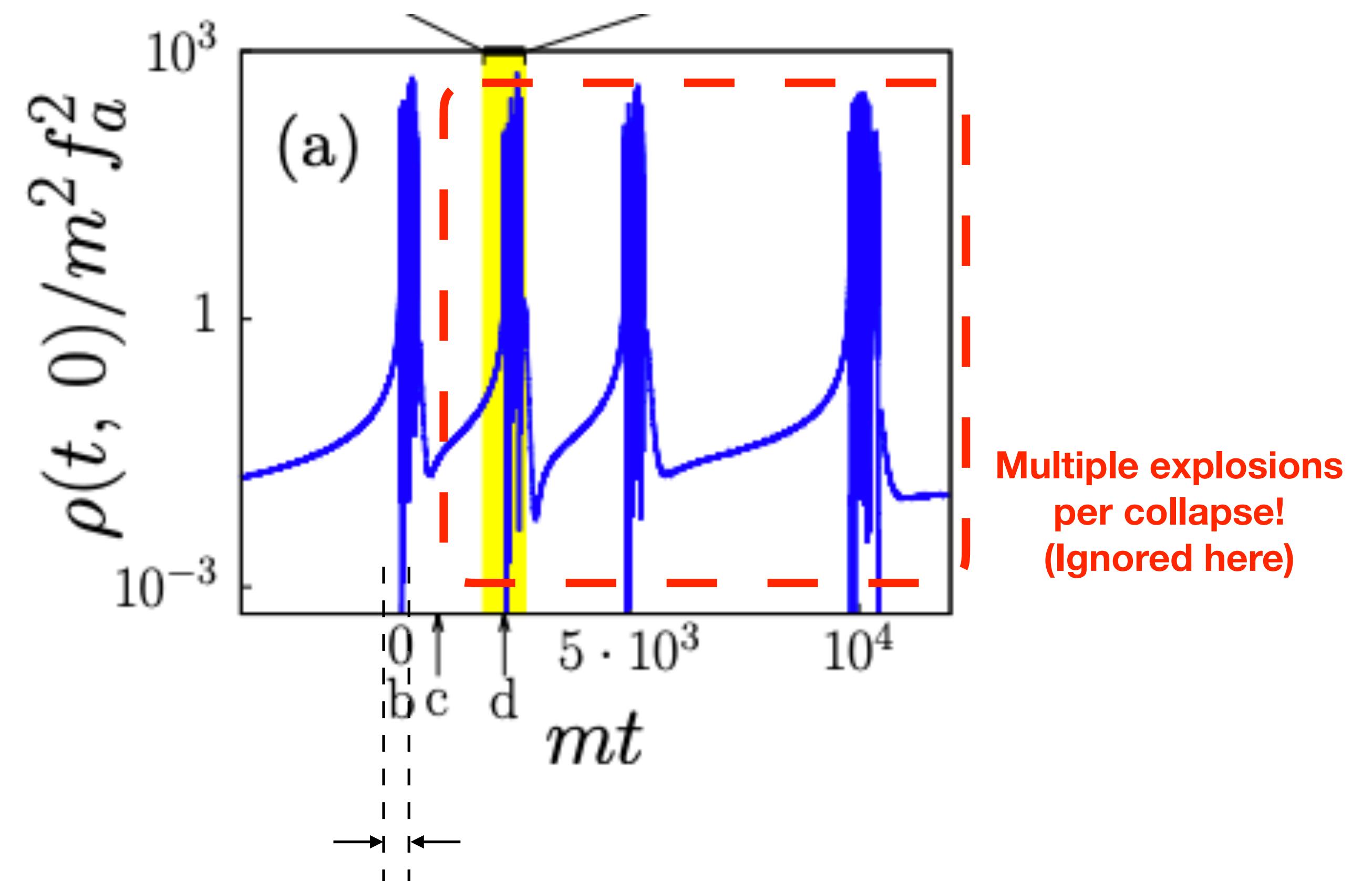
Boson Stars



Gravitational Atoms

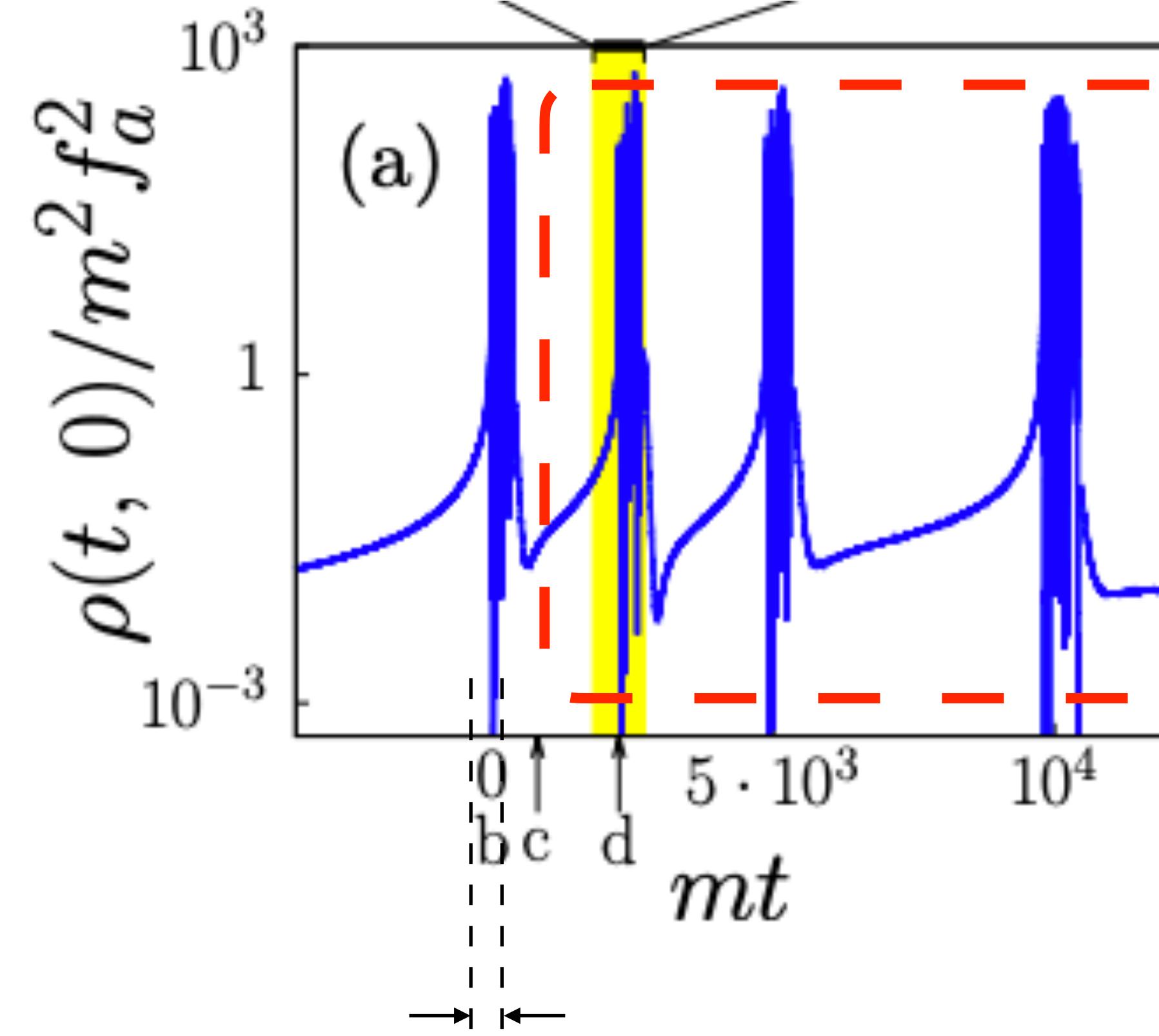


Bosenova Simulation Results



Short duration $\delta t_{\text{burst}} \sim \mathcal{O}(400)/m$

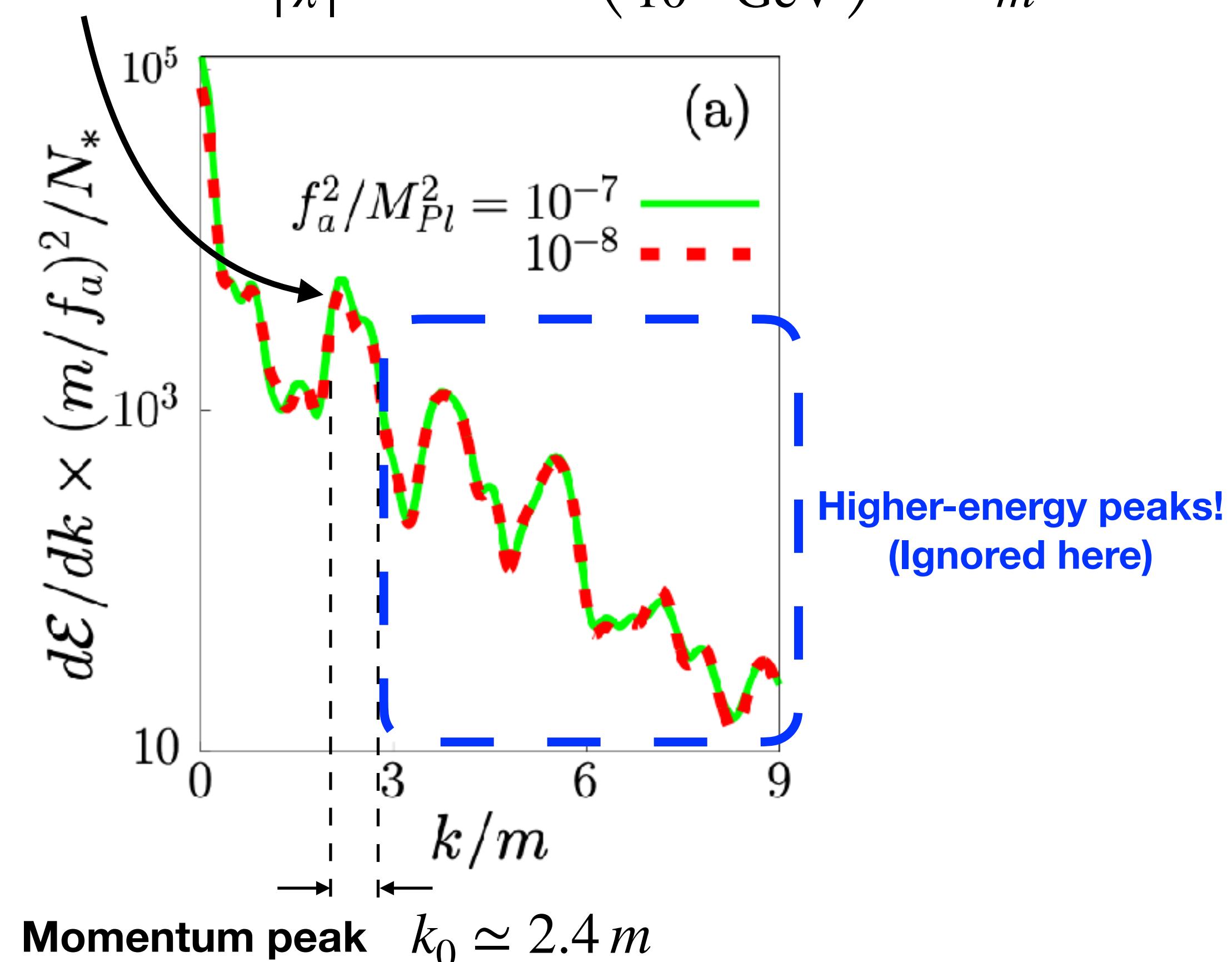
Bosenova Simulation Results



Short duration $\delta t_{\text{burst}} \sim \mathcal{O}(400)/m$

Large integrated energy! In first peak alone,

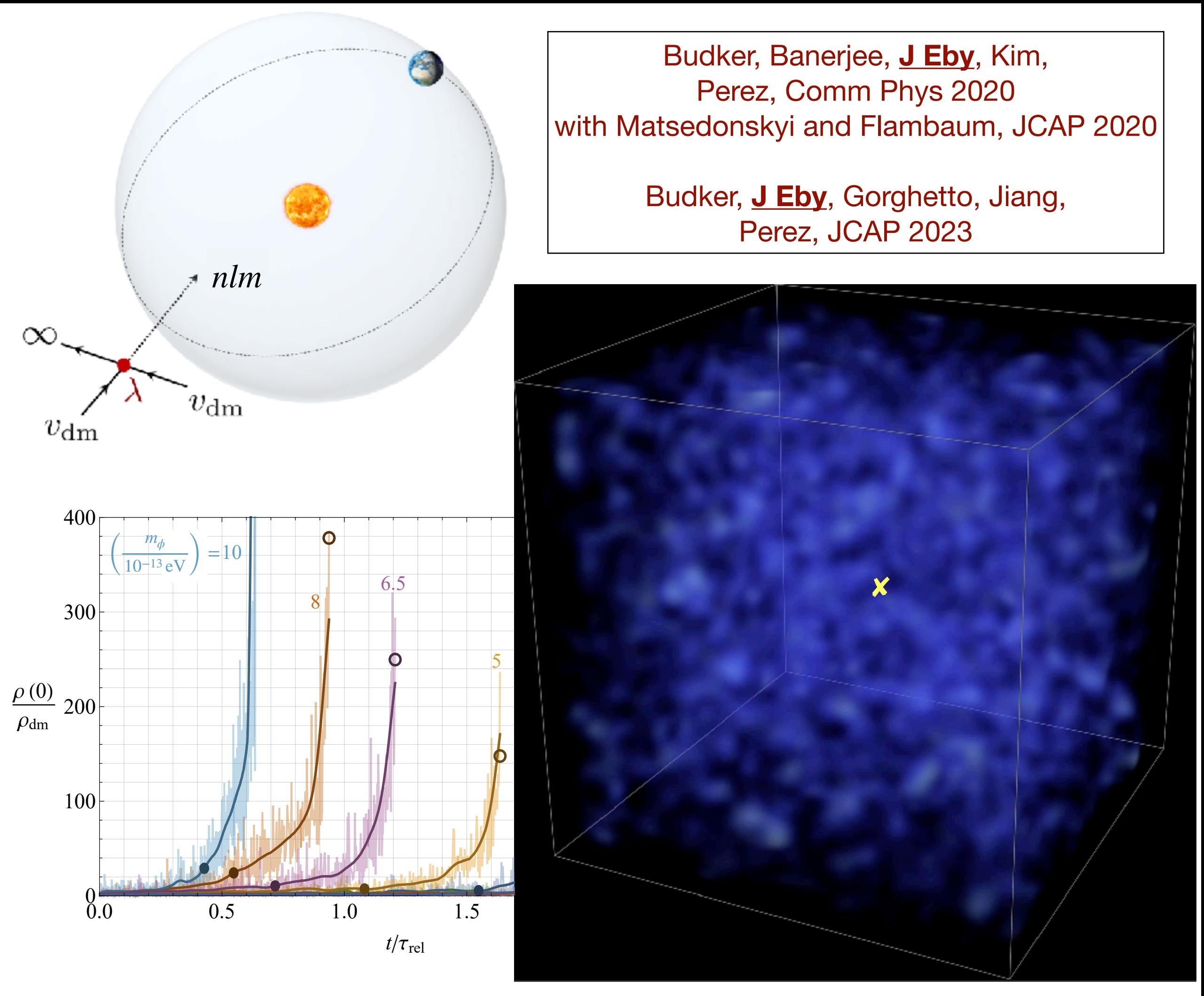
$$\mathcal{E}_{\text{peak}} \approx 3400 \frac{m}{|\lambda|} \simeq 10^2 M_\odot \left(\frac{f}{10^{16} \text{GeV}} \right)^2 \frac{10^{-15} \text{eV}}{m}$$



Momentum peak $k_0 \simeq 2.4 m$
with spread of $\delta k \sim m$

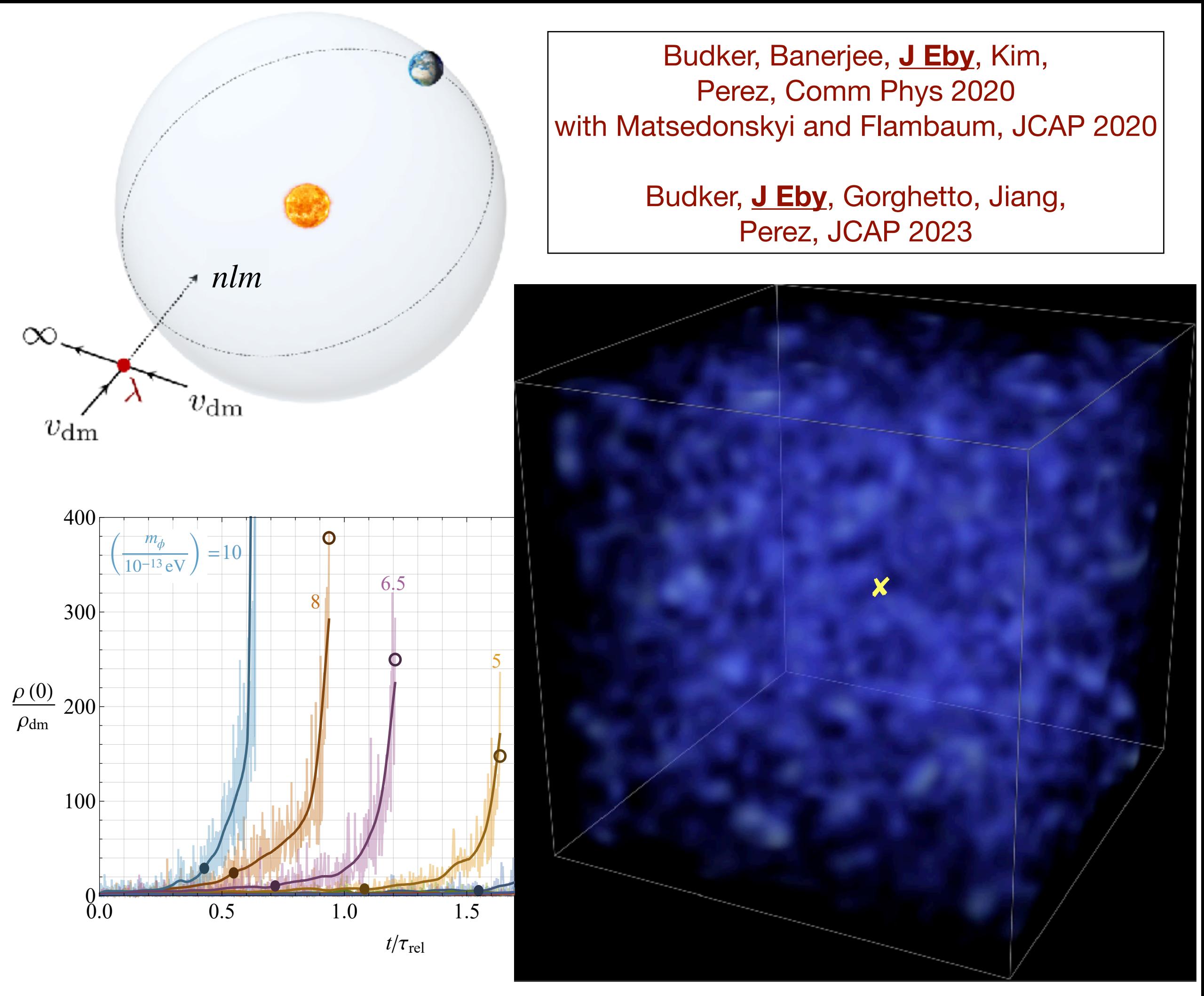
Other sources of Bosenovae

Gravitational Atoms



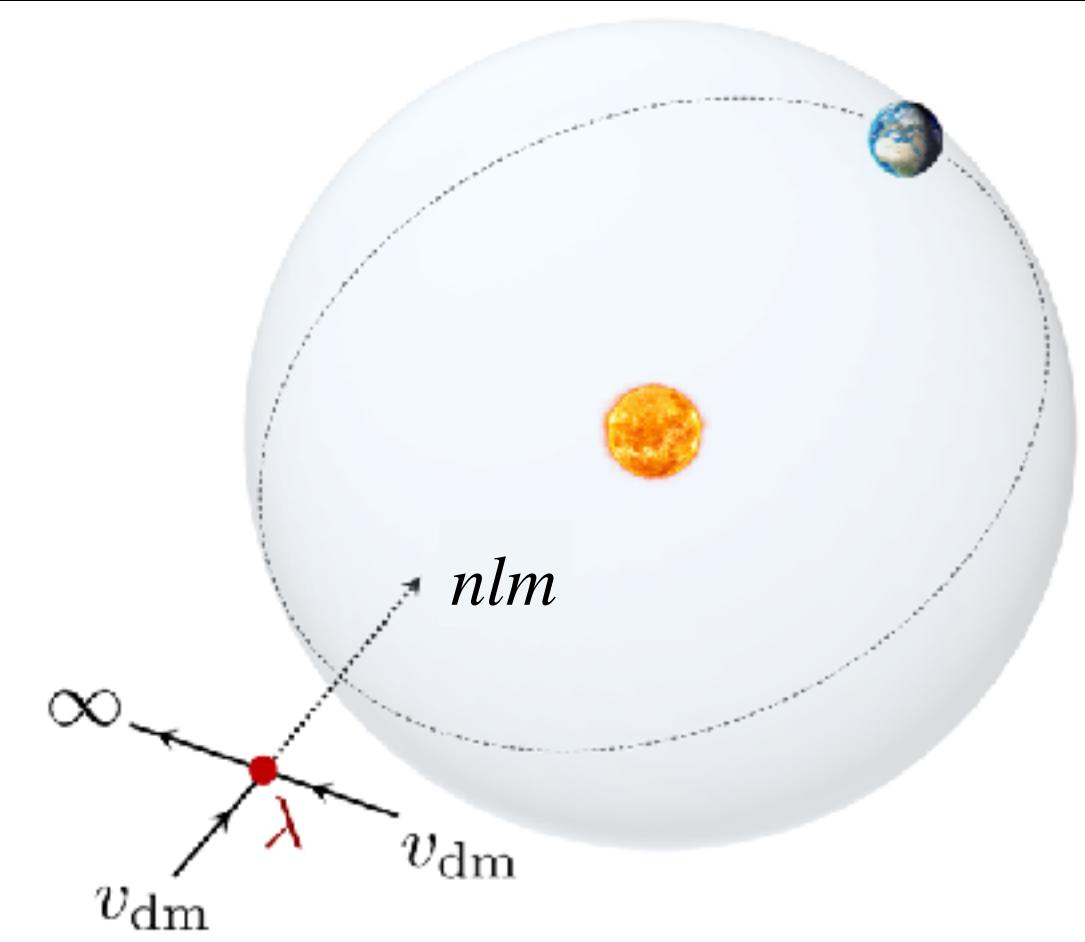
Other sources of Bosenovae

Gravitational Atoms



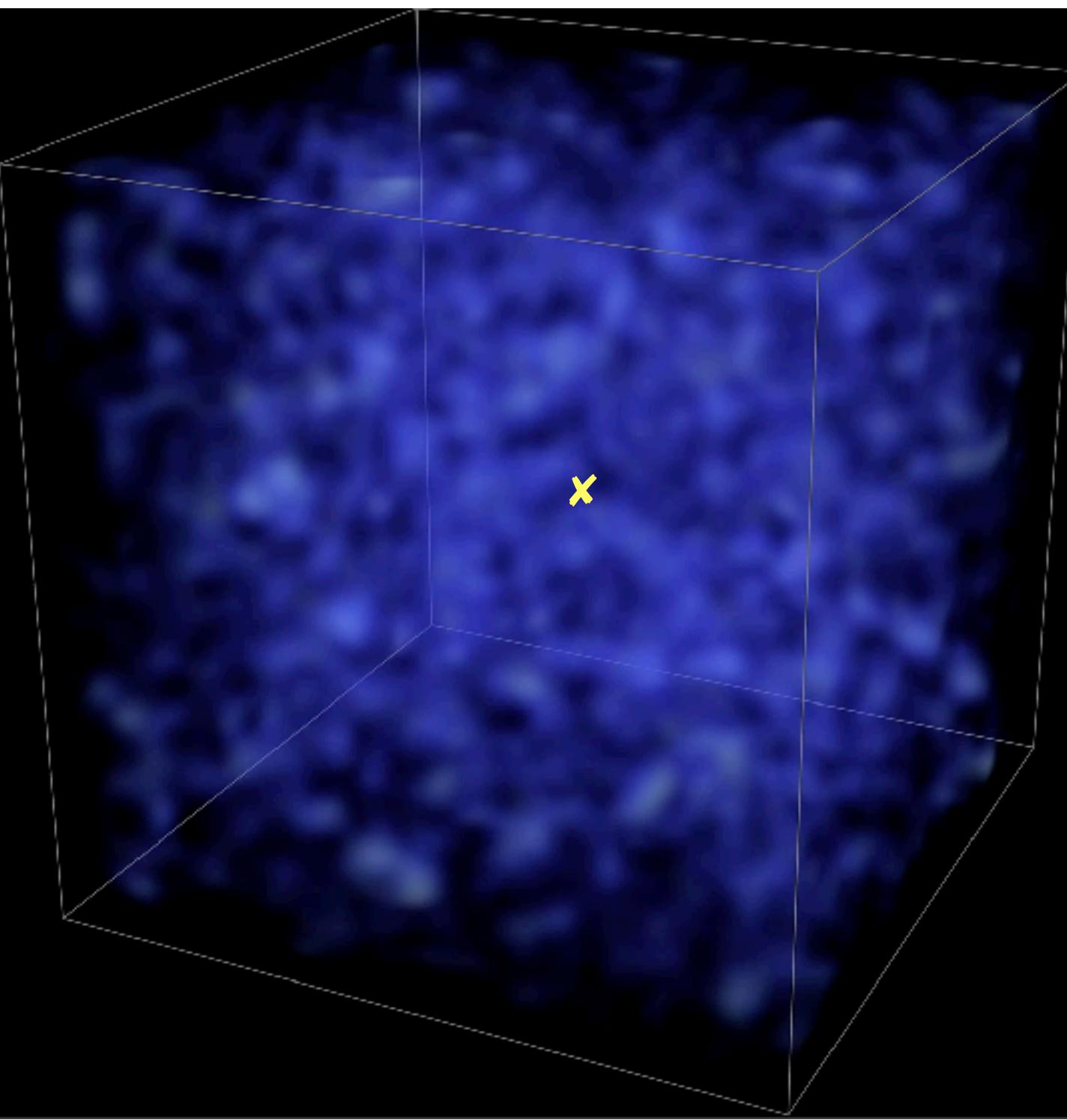
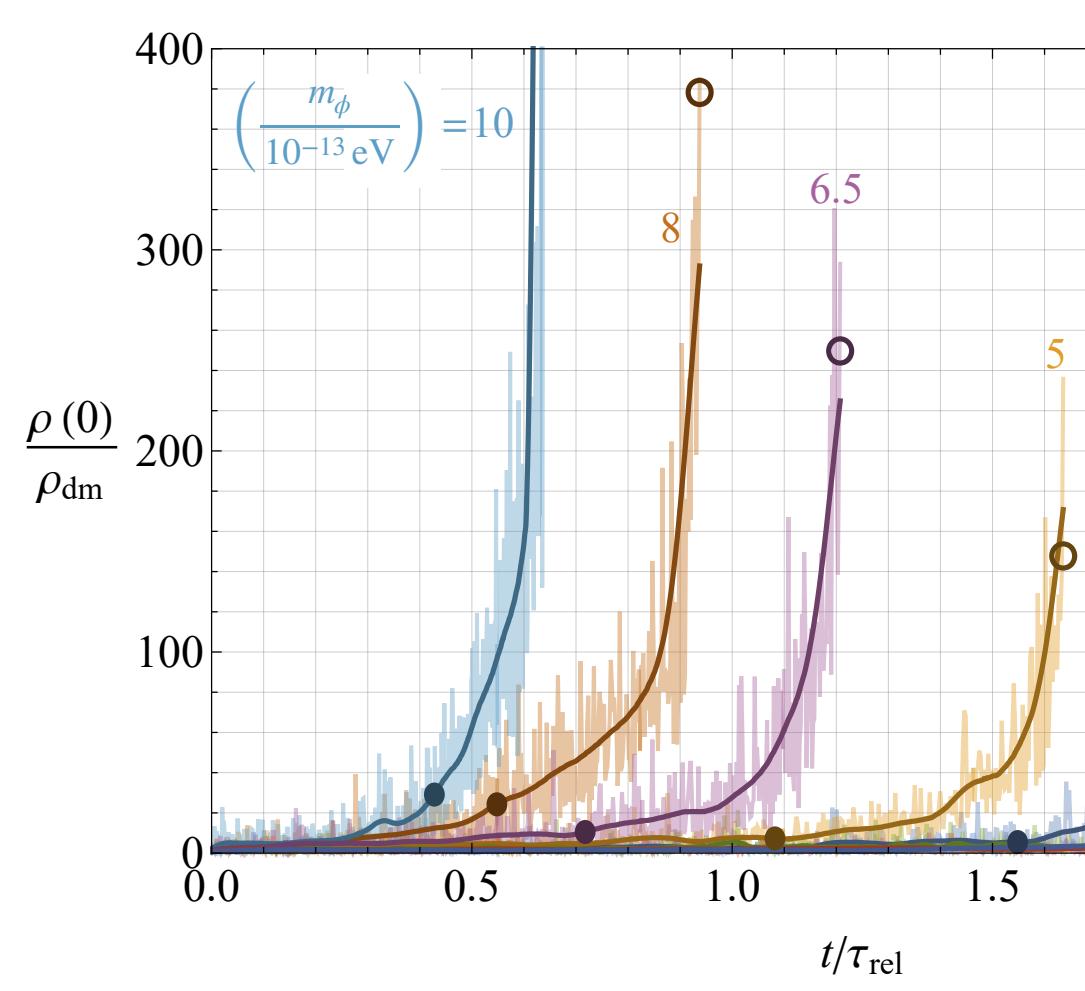
Other sources of Bosenovae

Gravitational Atoms



Budker, Banerjee, **J Eby**, Kim, Perez, Comm Phys 2020
with Matsedonskyi and Flambaum, JCAP 2020

Budker, **J Eby**, Gorgetto, Jiang, Perez, JCAP 2023



Black Hole Superradiance

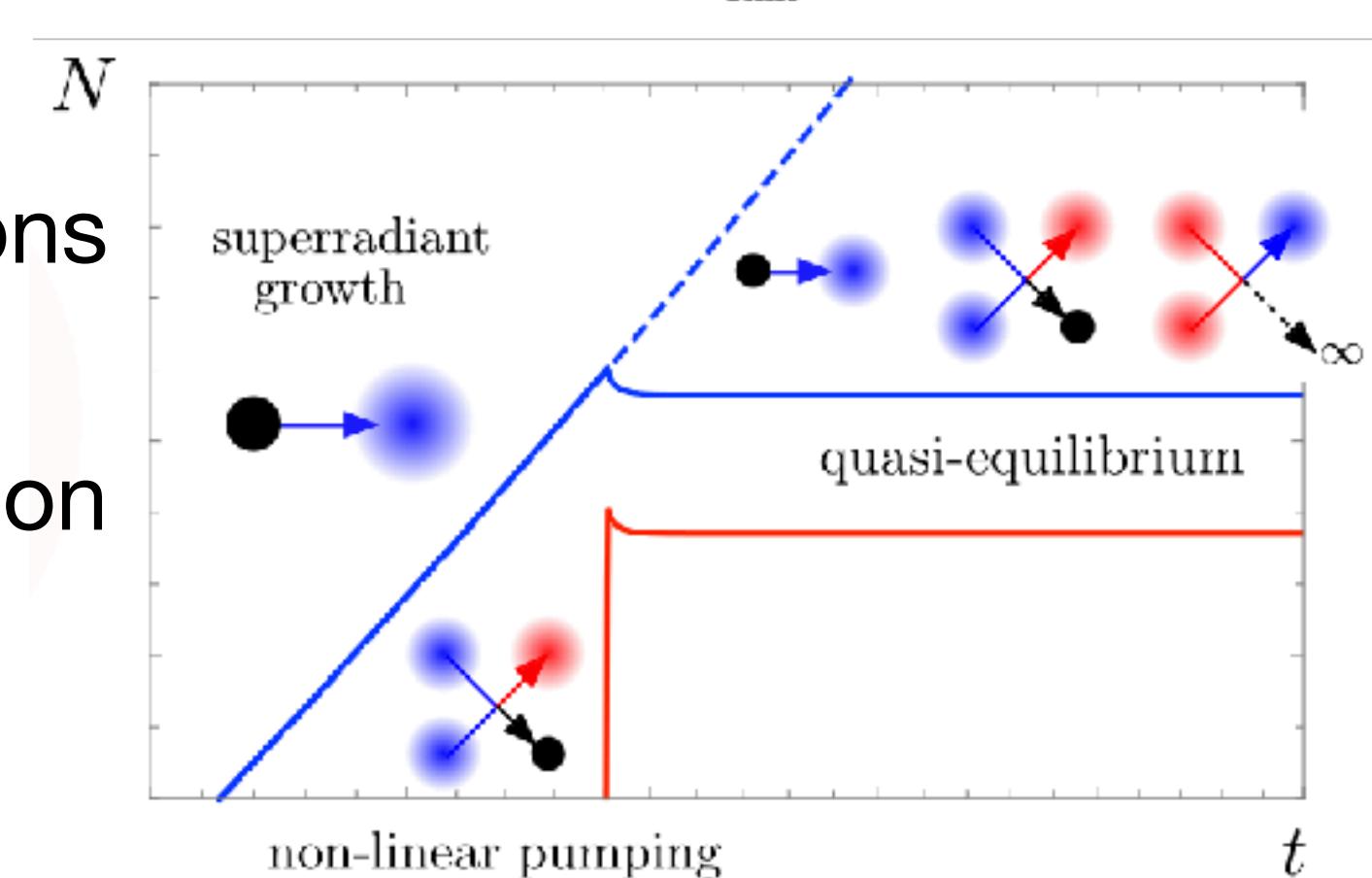
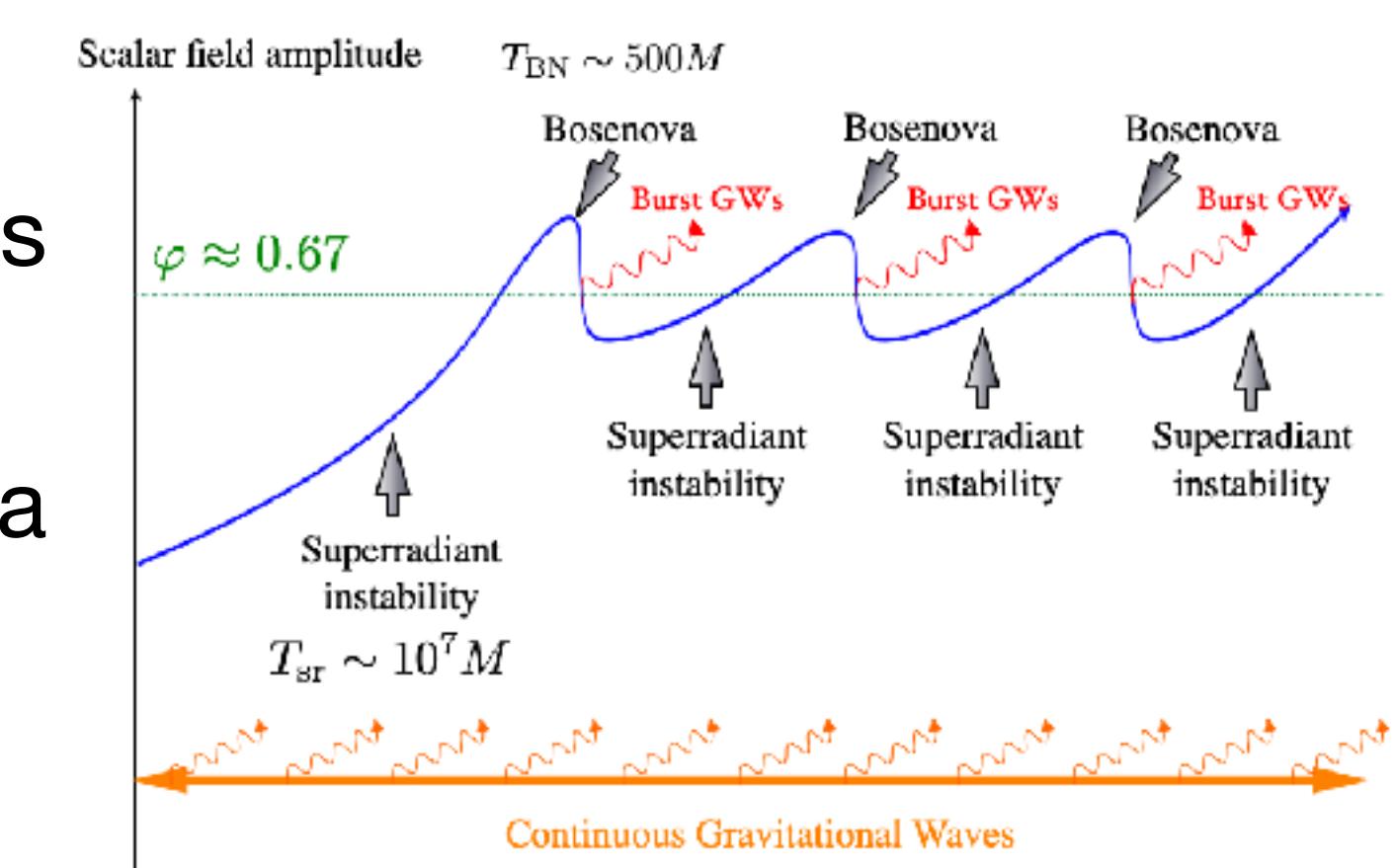
Bosenova predicted in Arvanitaki and Dubovsky, PRD 2011

Weak self-interactions
→ bosenova

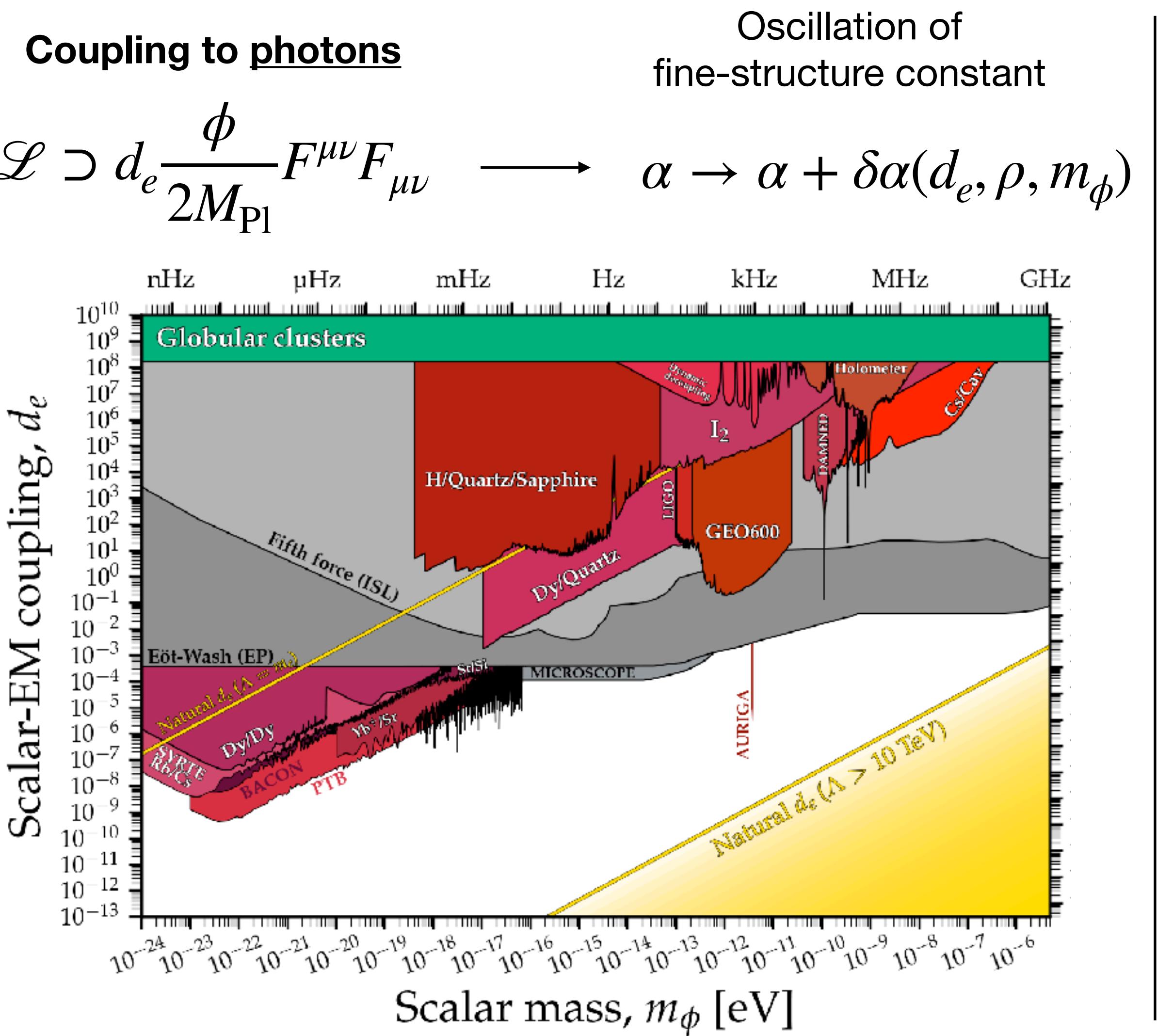
Yoshino and Kodama,
PTP 2012, CQG 2015

Large self-interactions
→ axion wave emission

Baryakhtar++, PRD 2021



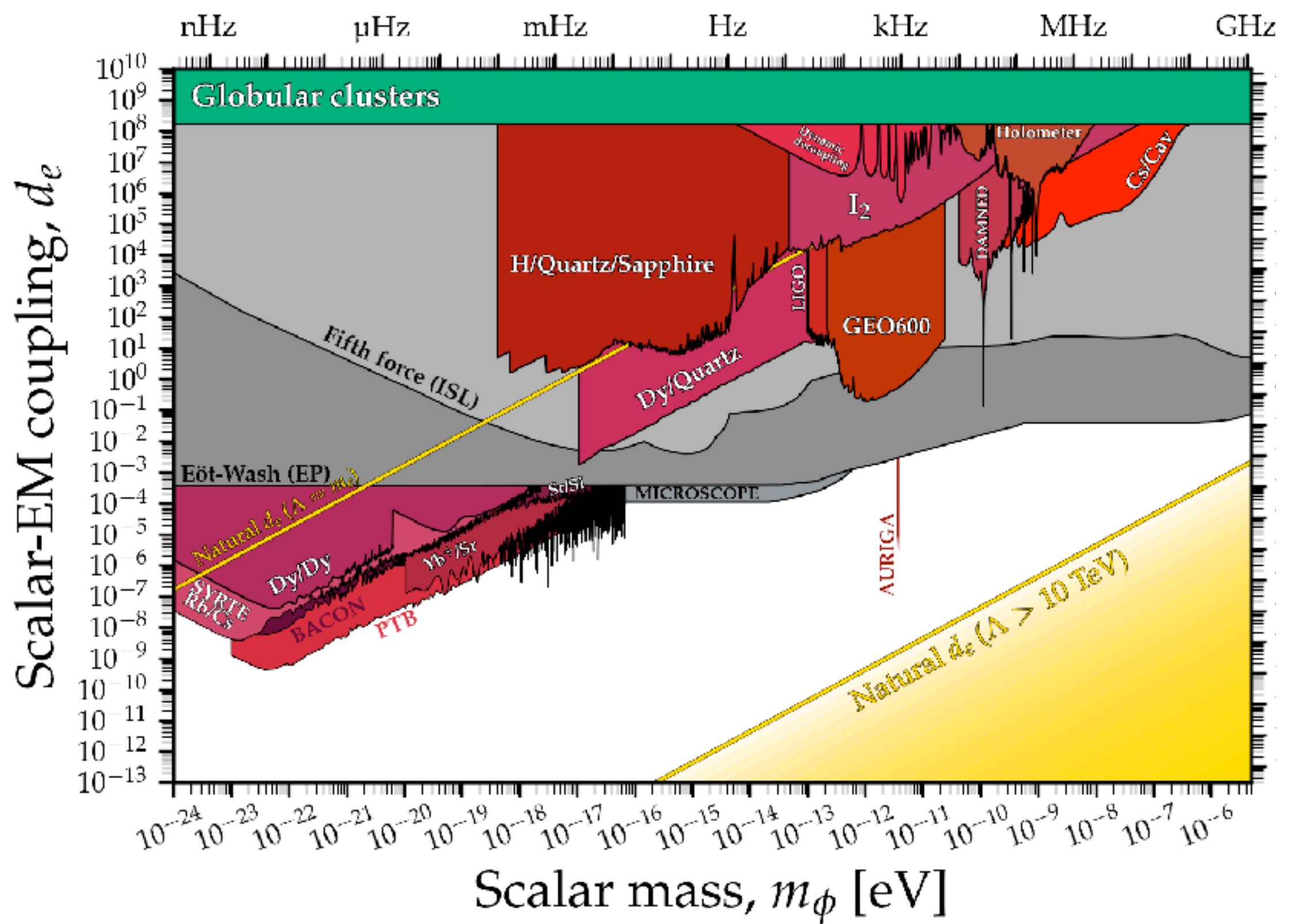
Other Couplings



Other Couplings

Coupling to photons

$$\mathcal{L} \supset d_e \frac{\phi}{2M_{\text{Pl}}} F^{\mu\nu} F_{\mu\nu} \longrightarrow \alpha \rightarrow \alpha + \delta\alpha(d_e, \rho, m_\phi)$$



Oscillation of
fine-structure constant

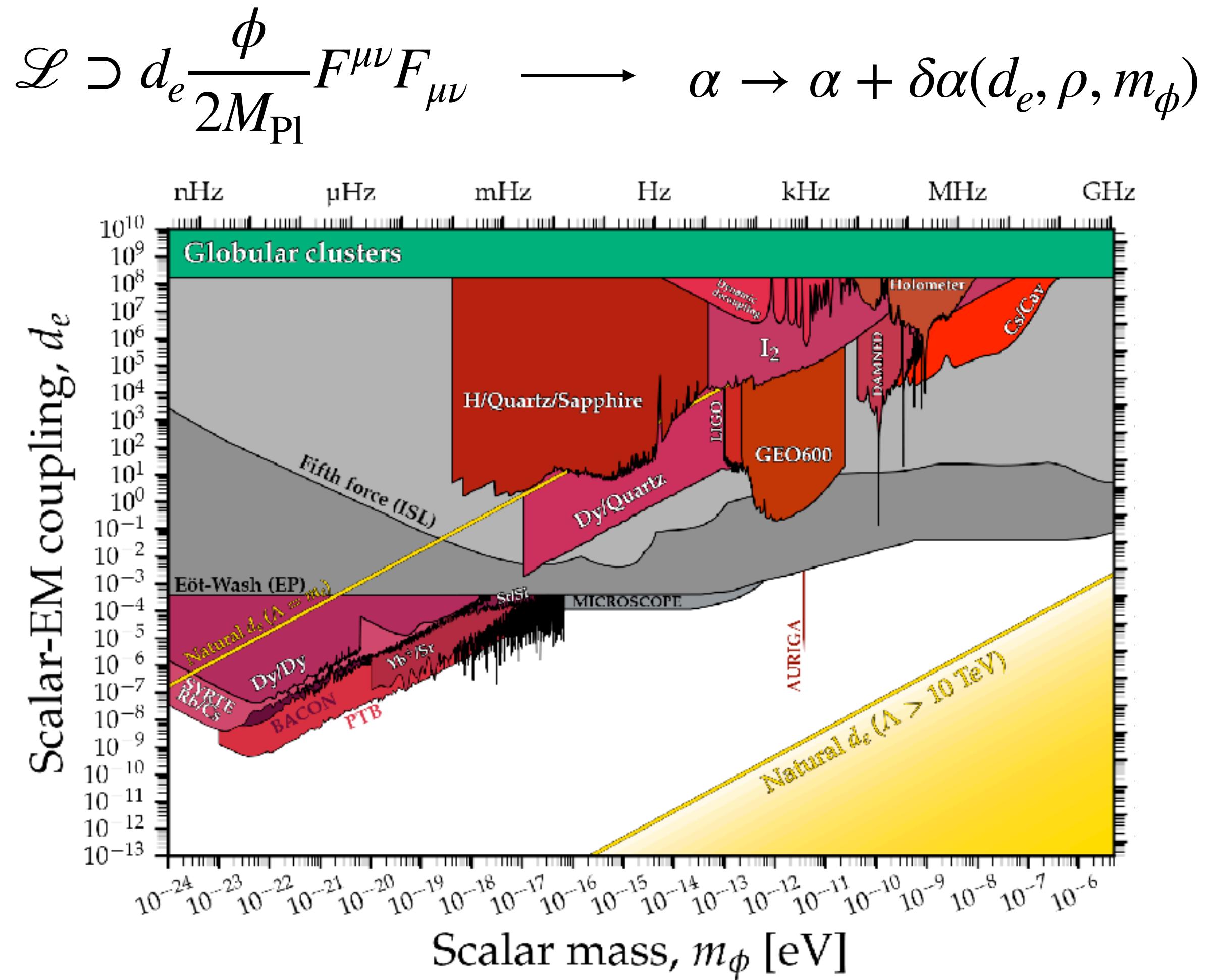
Coupling to electrons

$$\mathcal{L} \supset d_{m_e} \frac{\phi}{2M_{\text{Pl}}} \bar{e}e \longrightarrow \frac{m_e}{m_p} \rightarrow \frac{m_e}{m_p} + \frac{\delta m_e(d_{m_e}, \rho, m_\phi)}{m_p}$$

Oscillation of
electron-proton mass ratio

Other Couplings

Coupling to photons



Coupling to electrons

$$\mathcal{L} \supset d_{m_e} \frac{\phi}{2M_{\text{Pl}}} \bar{e}e \longrightarrow \frac{m_e}{m_p} \rightarrow \frac{m_e}{m_p} + \frac{\delta m_e(d_{m_e}, \rho, m_\phi)}{m_p}$$

Oscillation of electron-proton mass ratio

$$\frac{m_e}{m_p} \rightarrow \frac{m_e}{m_p} + \frac{\delta m_e(d_{m_e}, \rho, m_\phi)}{m_p}$$

Coupling to gluons

$$\mathcal{L} \supset d_g \frac{\phi}{2M_{\text{Pl}}} G^{a\mu\nu} G^a_{\mu\nu}$$

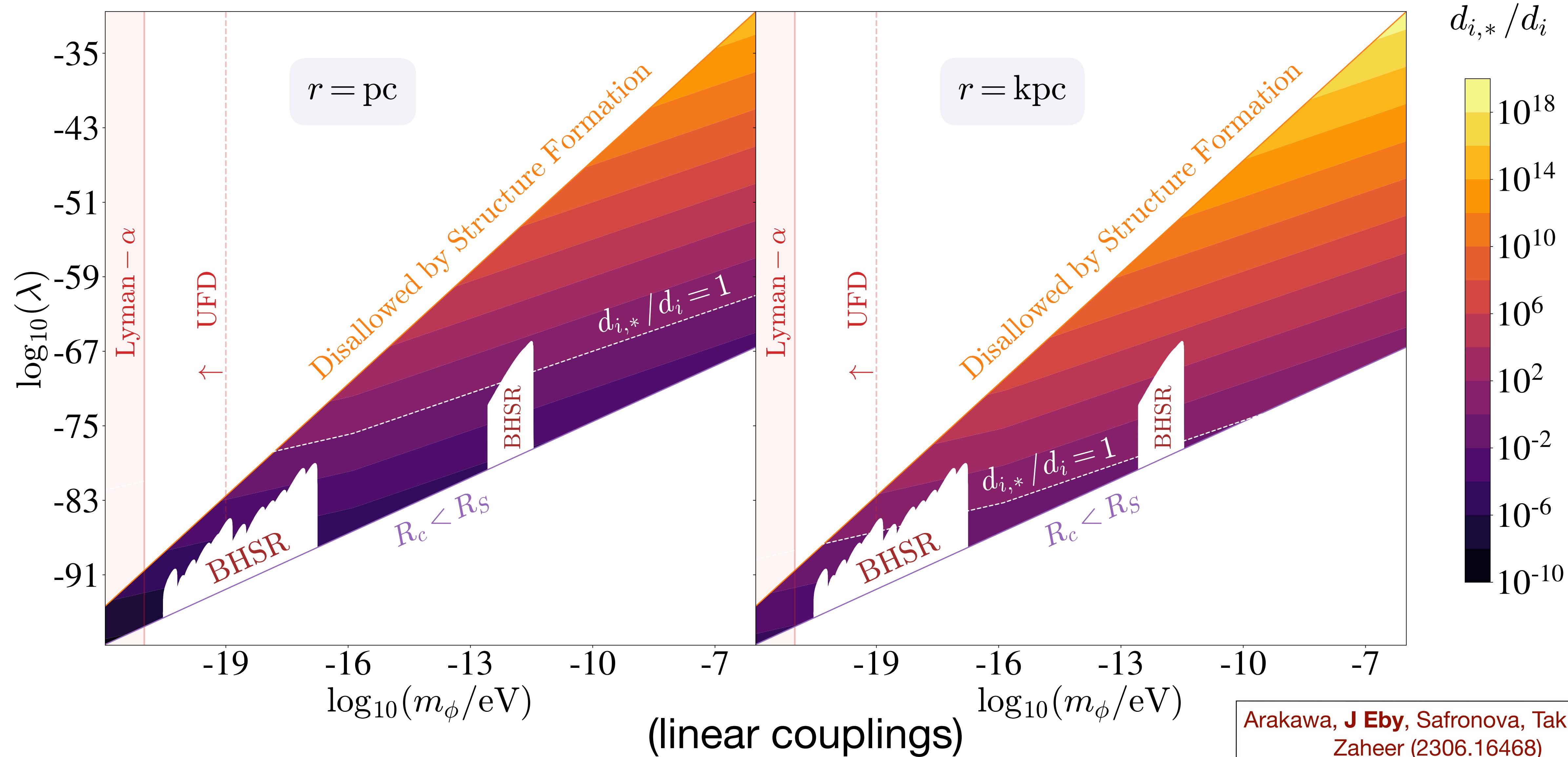
Coupling to quarks

$$\mathcal{L} \supset d_{m_q} \frac{\phi}{2M_{\text{Pl}}} \bar{q}q$$

$$\frac{m_q}{\Lambda_{\text{QCD}}} \rightarrow \frac{m_q}{\Lambda_{\text{QCD}}} + \delta \left(\frac{m_q}{\Lambda_{\text{QCD}}} \right) (d_{m_q}, d_g, \rho, m_\phi)$$

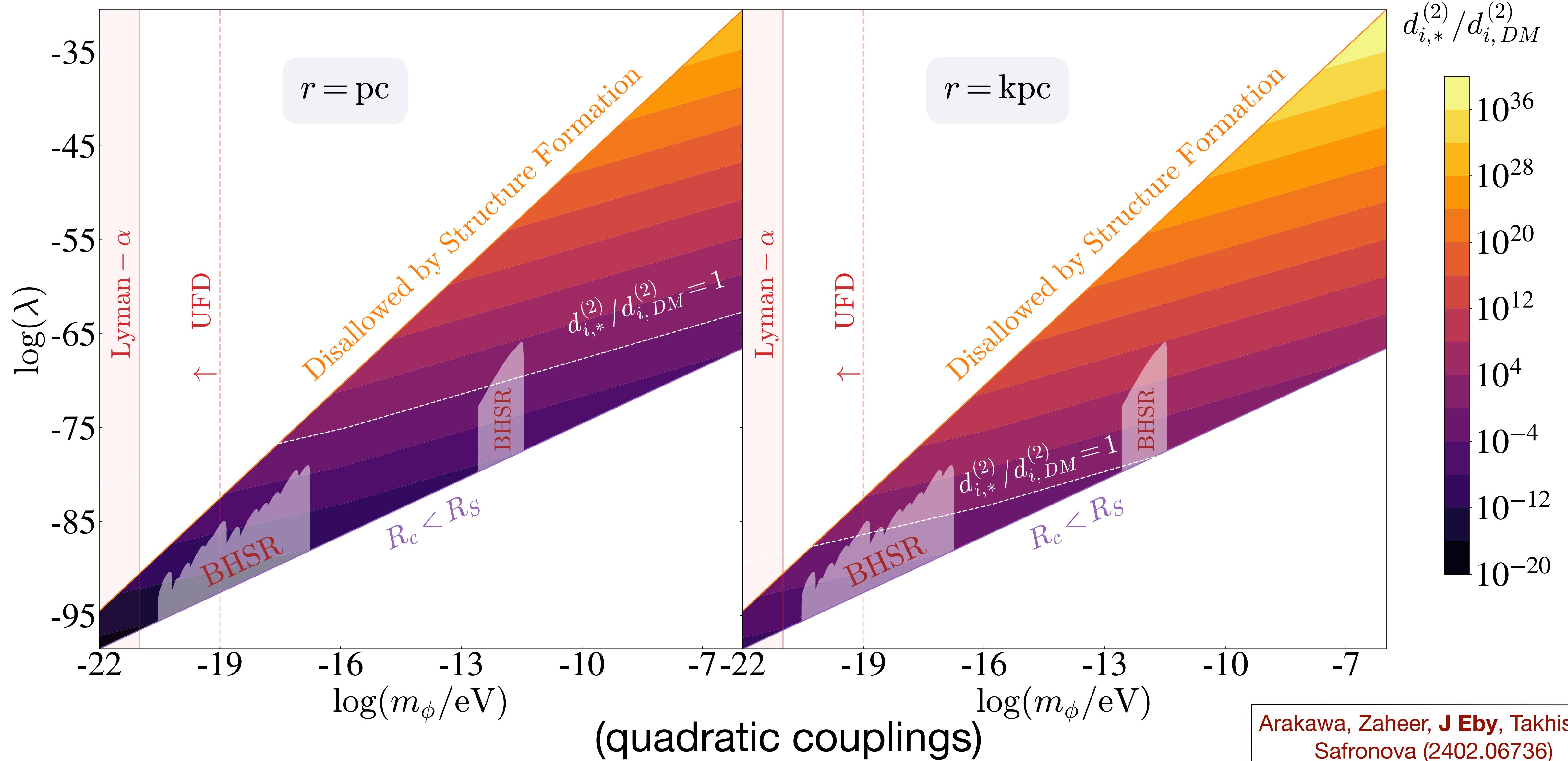
Oscillation of ratio of quark mass to QCD scale

“Experiment-Independent” Sensitivity

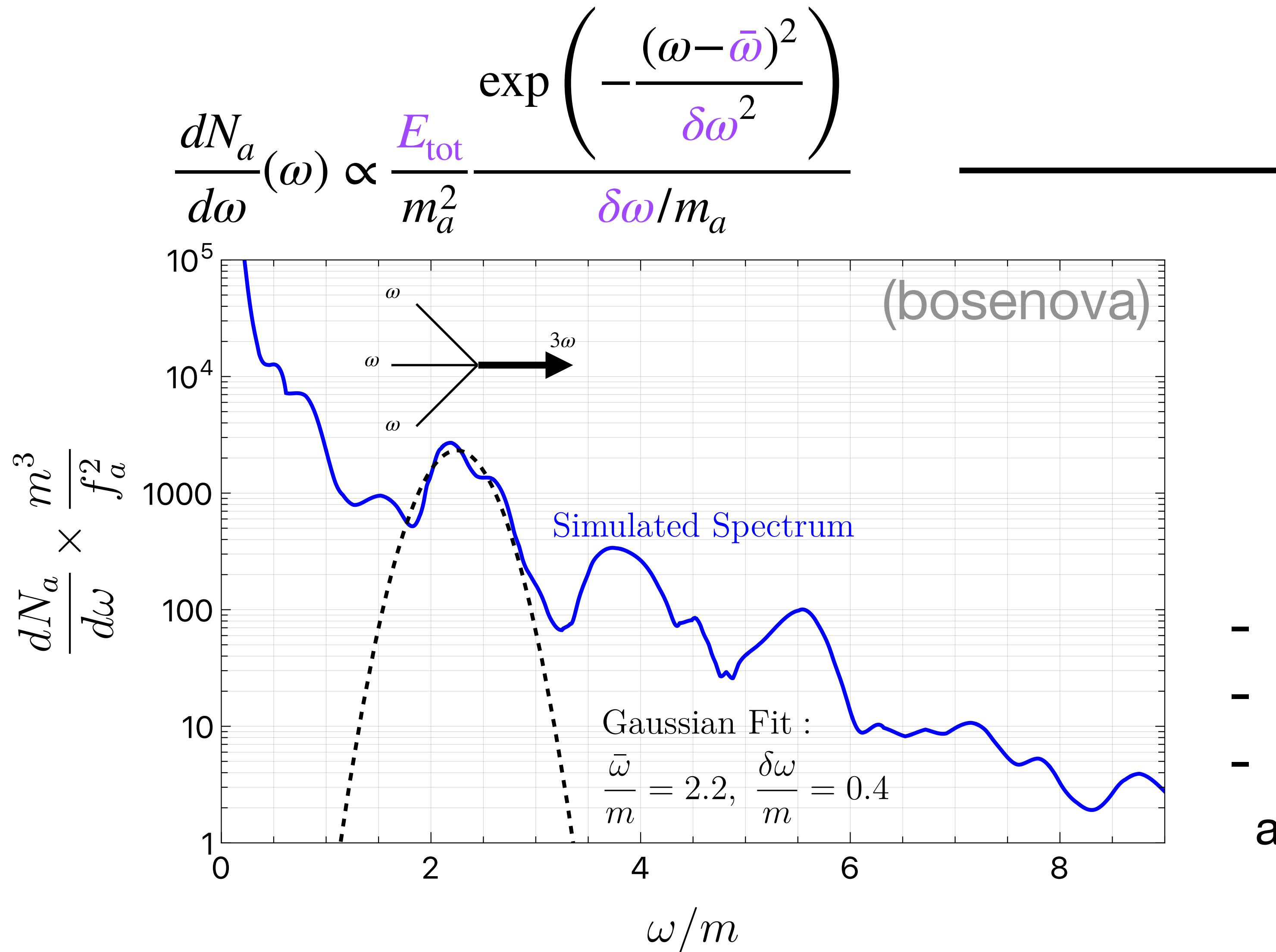


Arakawa, J Eby, Safronova, Takhistov,
Zaheer (2306.16468)

“Experiment-Independent” Sensitivity (2)



Parameterization: Flux



E_{tot} : total energy emitted
in single burst

$\bar{\omega}$: peak energy

$\delta\omega$: energy width

- easily captures peaked distribution
- computationally simple
- sum of Gaussians can be used for asymmetric distributions, e.g. power-law

Parameterization: Rate

$$f(z) = (1 + z)^p \Theta(z - z_{\max}) \text{ for power-law}$$

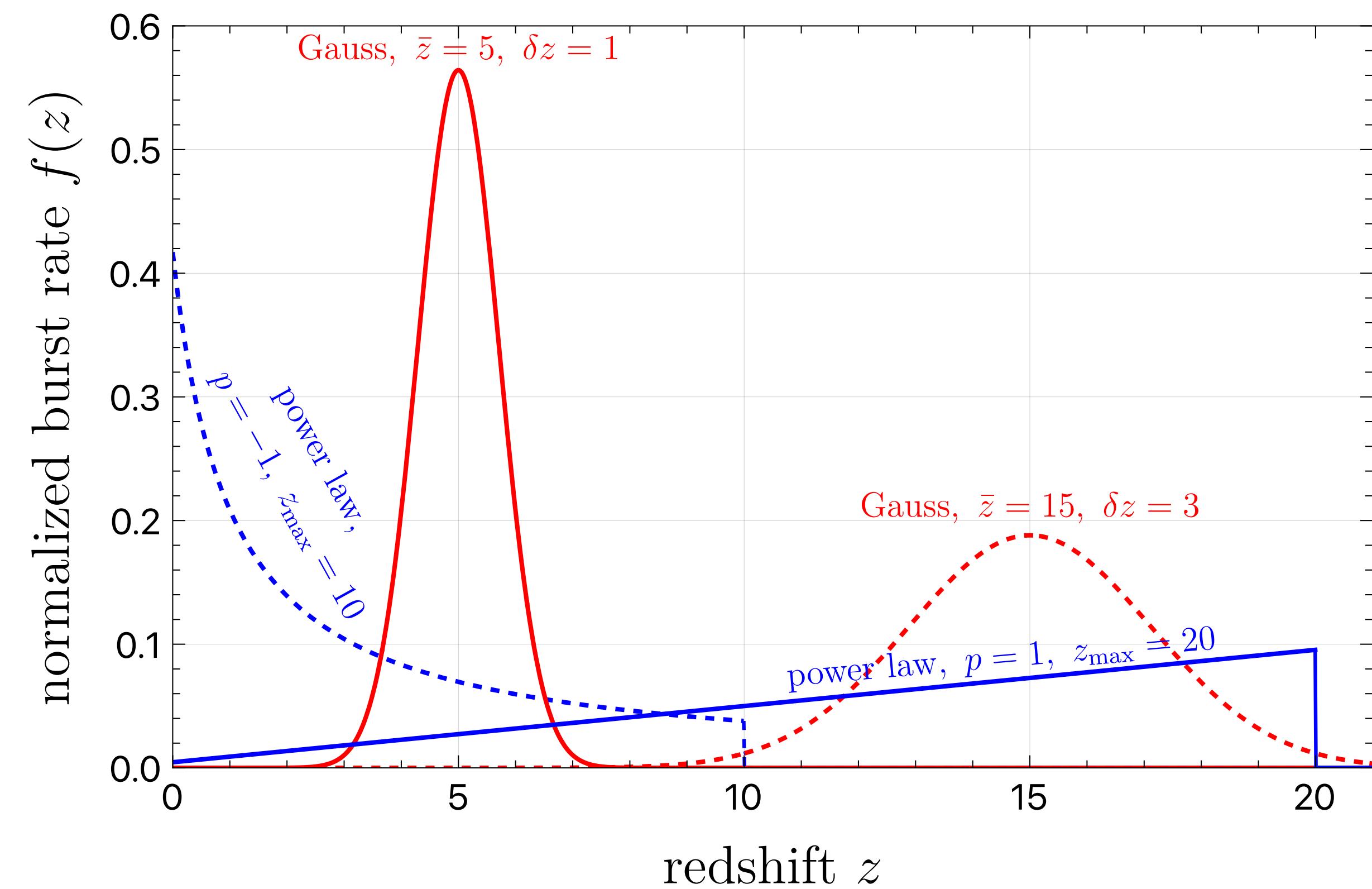
$$f(z) = \exp\left(-\frac{(z - \bar{z})^2}{\delta z^2}\right) \text{ for Gaussian}$$

ρ_{loss} : total relativistic energy density emitted across all z

Convenient normalisation:

$$\rho_{\text{loss}} \equiv \mathcal{F} \bar{\rho}_U \quad \text{with } \bar{\rho}_U \simeq 10^{-6} \text{ GeV/cm}^3$$

$$R_{\text{burst}}(z) \propto \frac{\rho_{\text{loss}} H_0}{E_{\text{tot}}(z)} f(z)$$



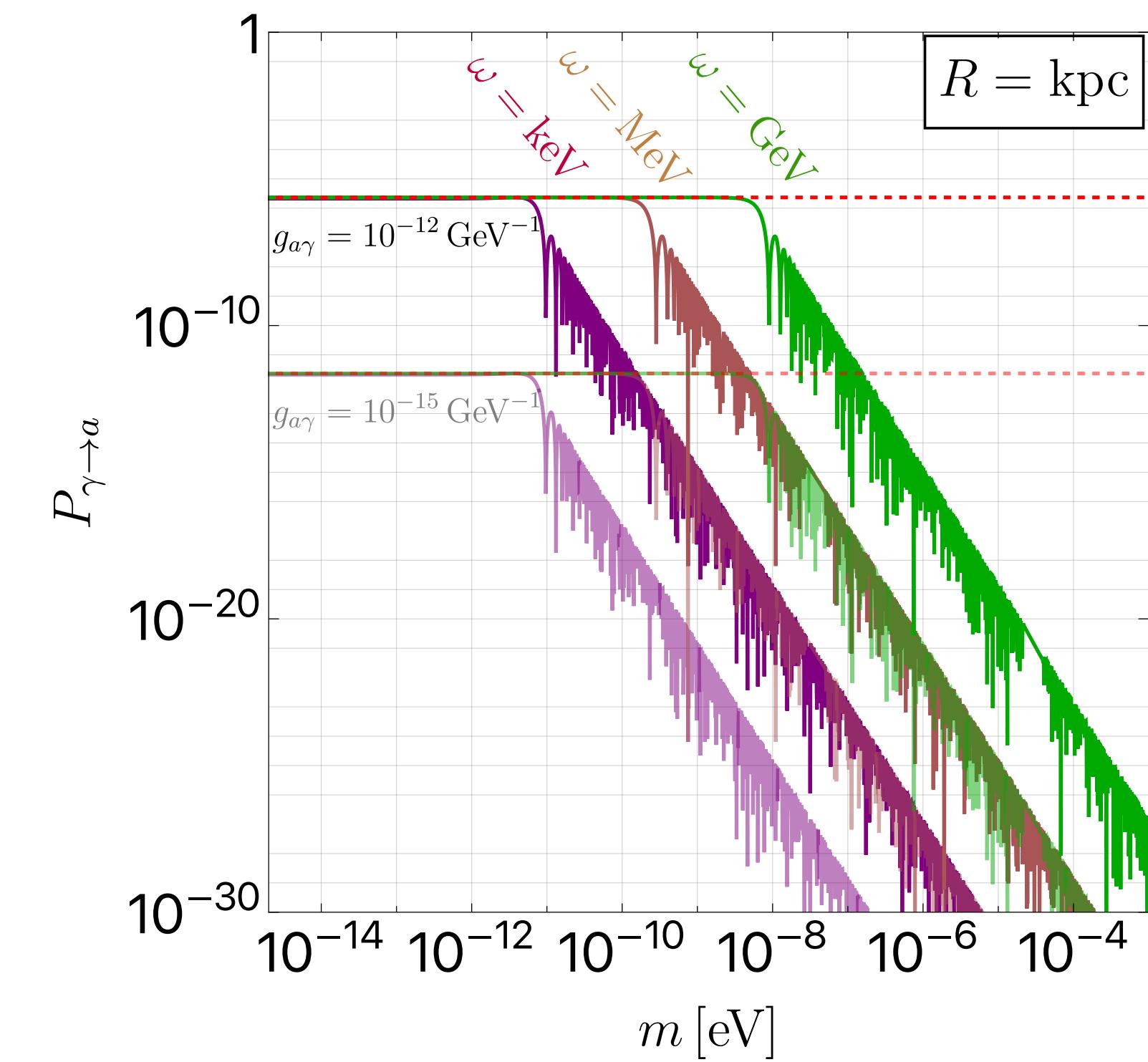
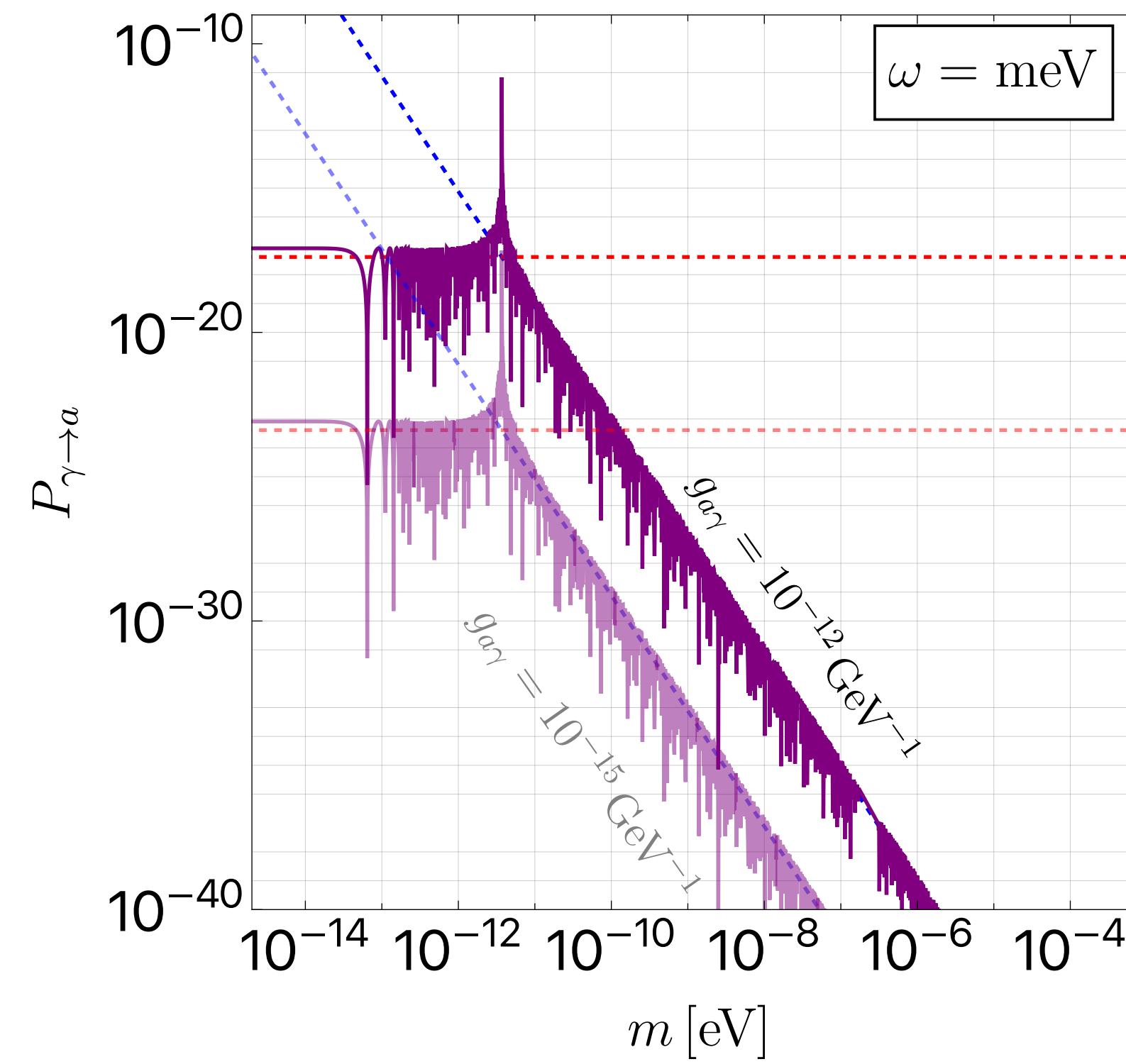
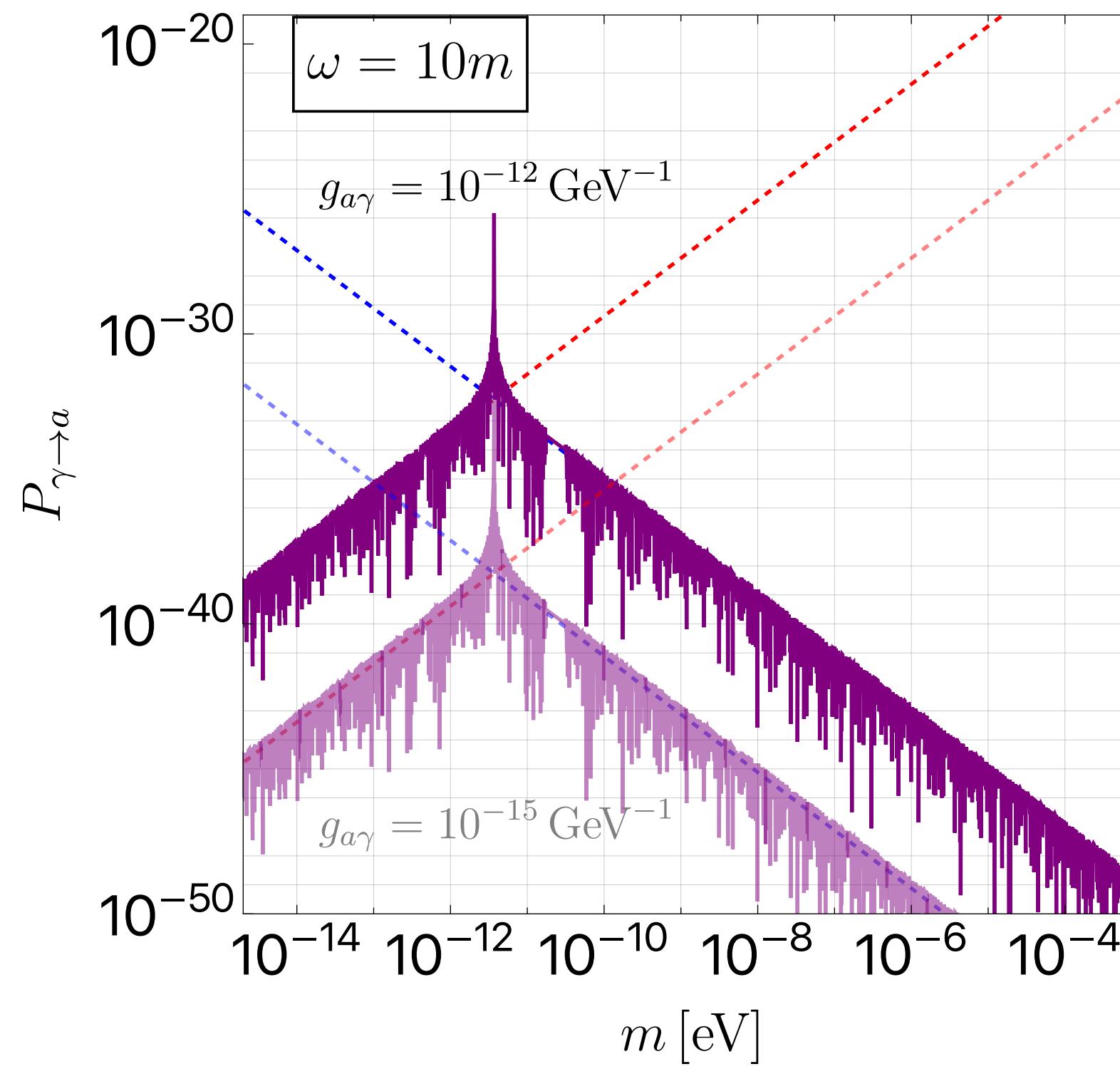
B-Field Conversion Probability

$$P_{\gamma \rightarrow a} = (\Delta_{a\gamma} R)^2 \frac{\sin^2(\Delta_{\text{osc}} R/2)}{(\Delta_{\text{osc}} R/2)^2}$$

$$\Delta_{a\gamma} \equiv \frac{g_{a\gamma} B_T}{2} \simeq 1.5 \cdot 10^{-4} \left(\frac{g_{a\gamma}}{10^{-12} \text{ GeV}^{-1}} \right) \left(\frac{B_T}{\mu\text{G}} \right) \text{kpc}^{-1},$$

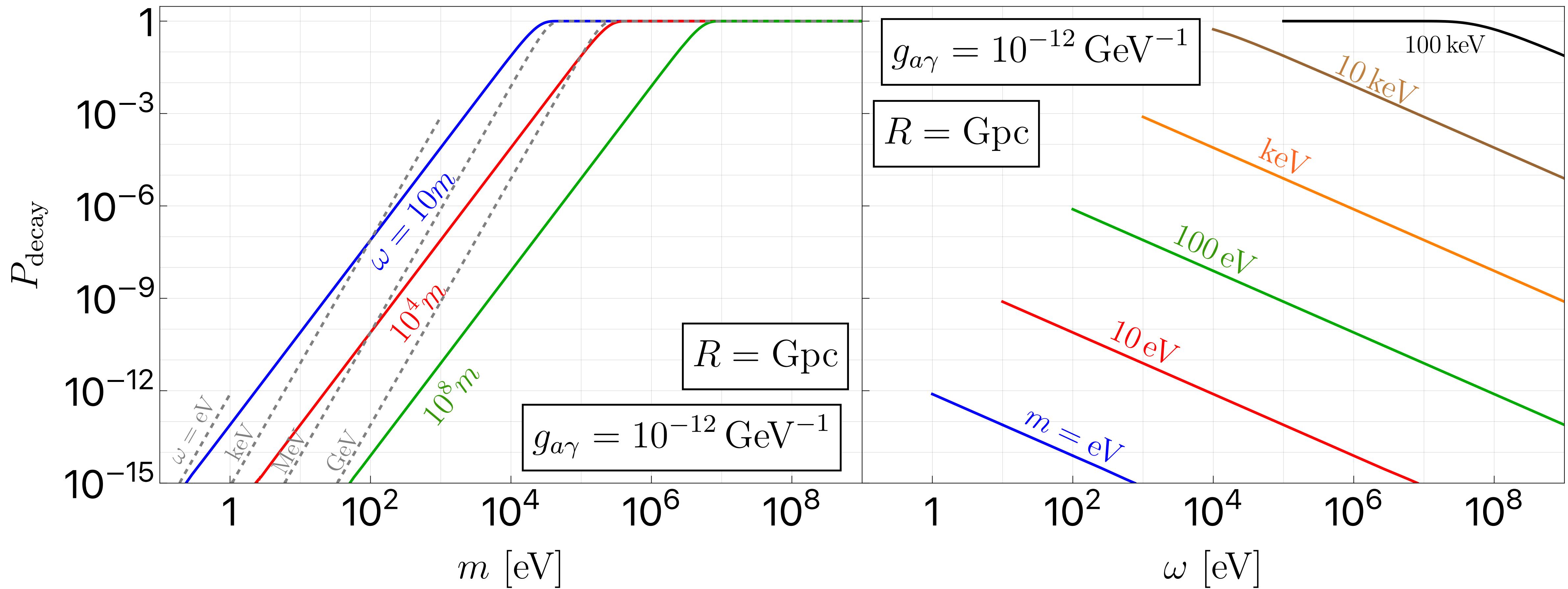
$$\Delta_a \equiv -\frac{m^2}{2\omega} \simeq -7.8 \cdot 10^{13} \left(\frac{m}{10^{-11} \text{ eV}} \right)^2 \left(\frac{10^{-10} \text{ eV}}{\omega} \right) \text{kpc}^{-1},$$

$$\Delta_{\text{pl}} \equiv -\frac{\omega_{\text{pl}}^2}{2\omega} \simeq -1.1 \cdot 10^{13} \left(\frac{n_e}{10^{-2} \text{ cm}^{-3}} \right) \left(\frac{10^{-10} \text{ eV}}{\omega} \right) \text{kpc}^{-1},$$

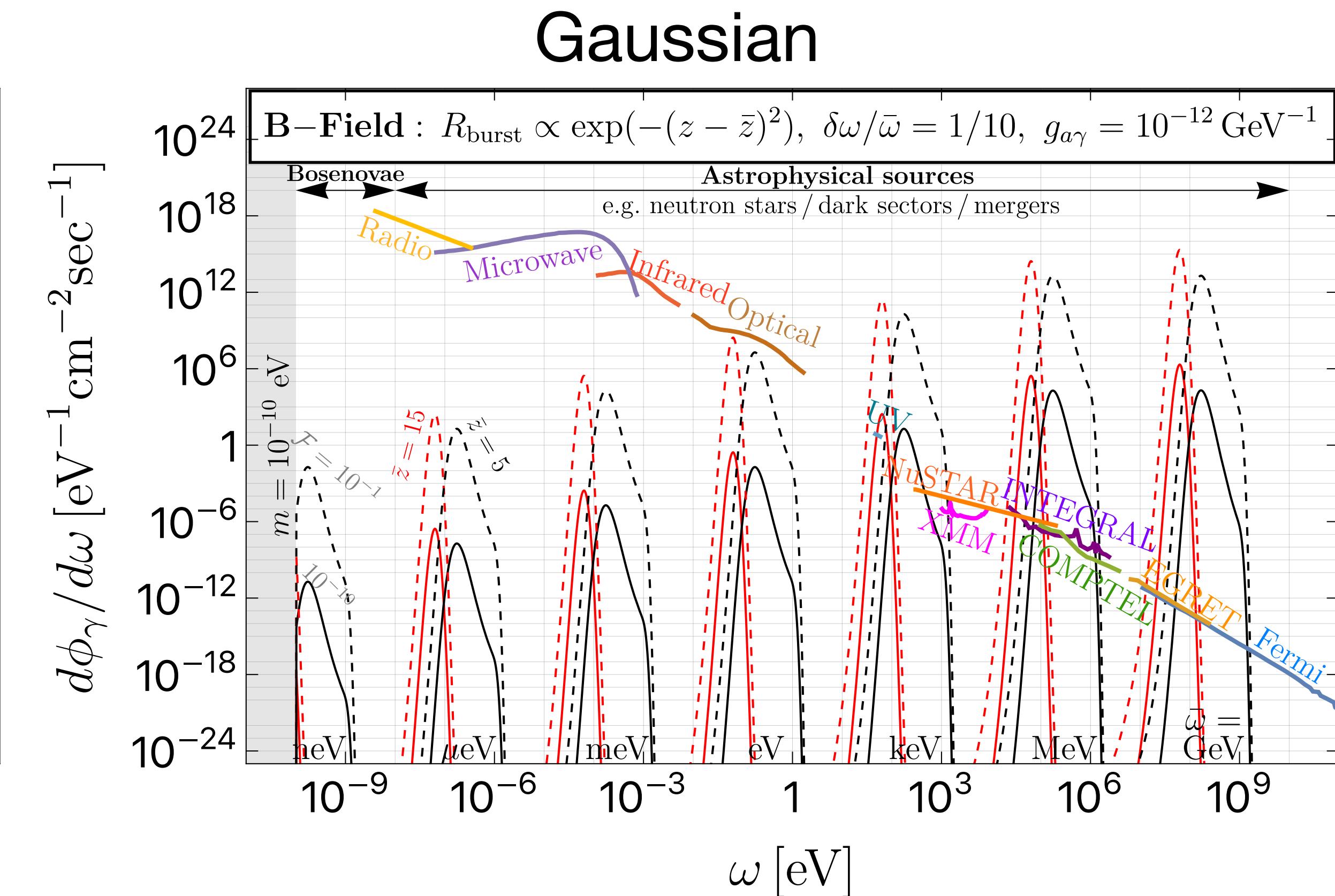
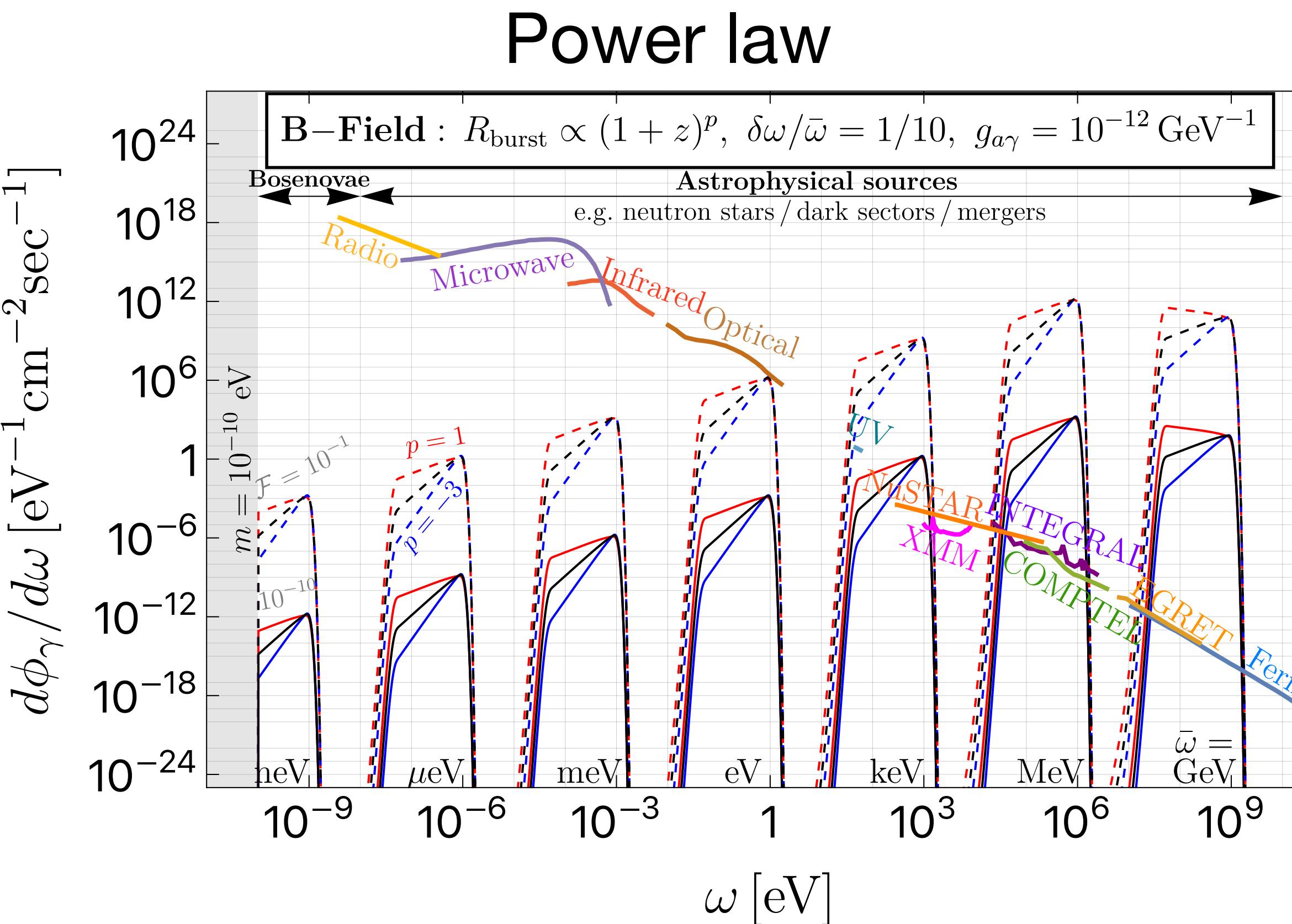


Decay Probability

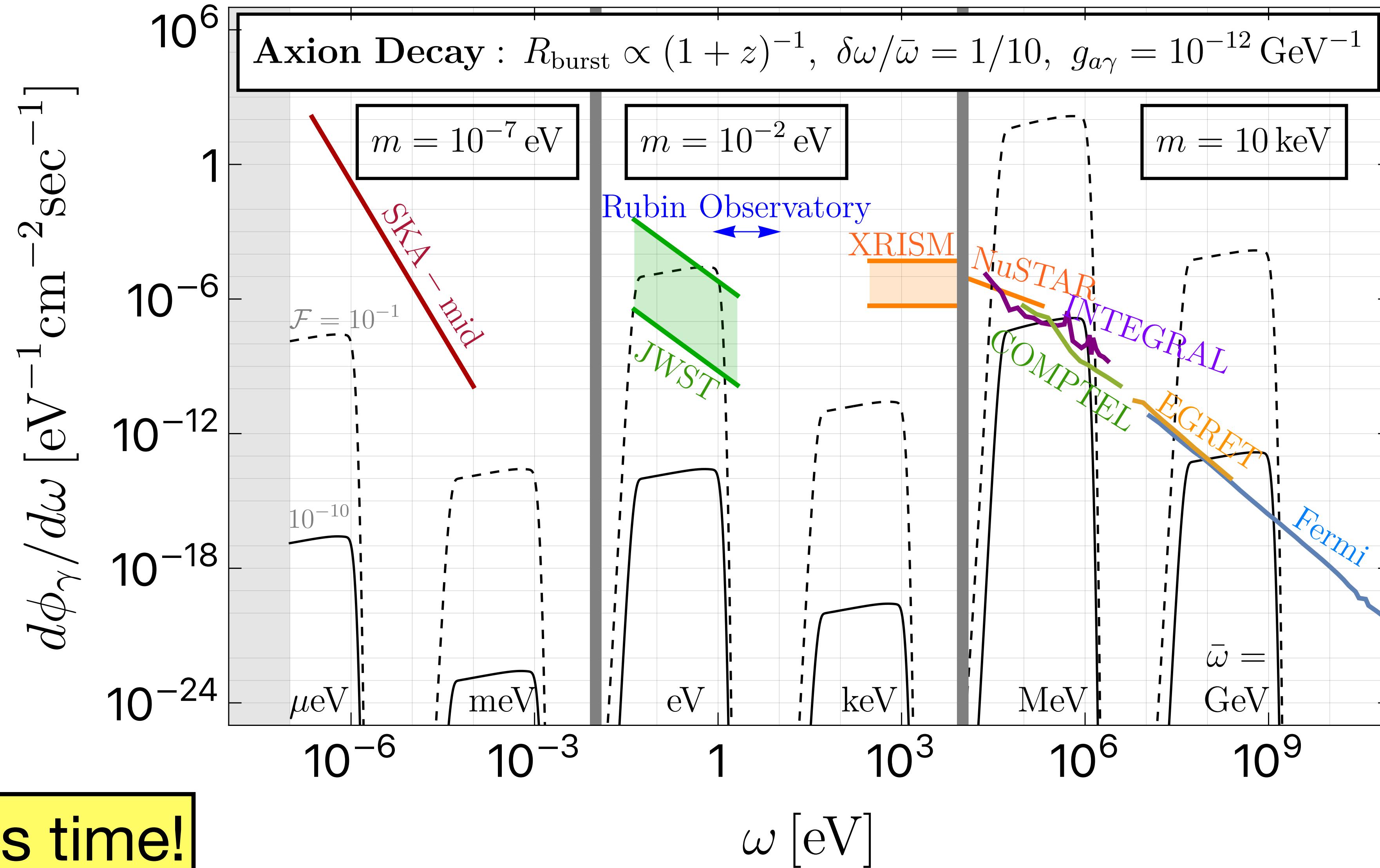
$$\ell(\omega) \simeq \frac{\gamma v_{\text{burst}}}{\Gamma_{\gamma\gamma}} \simeq \left(\frac{\omega}{m}\right) \frac{64\pi}{g_{a\gamma}^2 m^3} \simeq \text{Mpc} \left(\frac{\omega}{\text{MeV}}\right) \left(\frac{100 \text{ keV}}{m}\right)^4 \left(\frac{10^{-12} \text{ GeV}^{-1}}{g_{a\gamma}}\right)^2$$



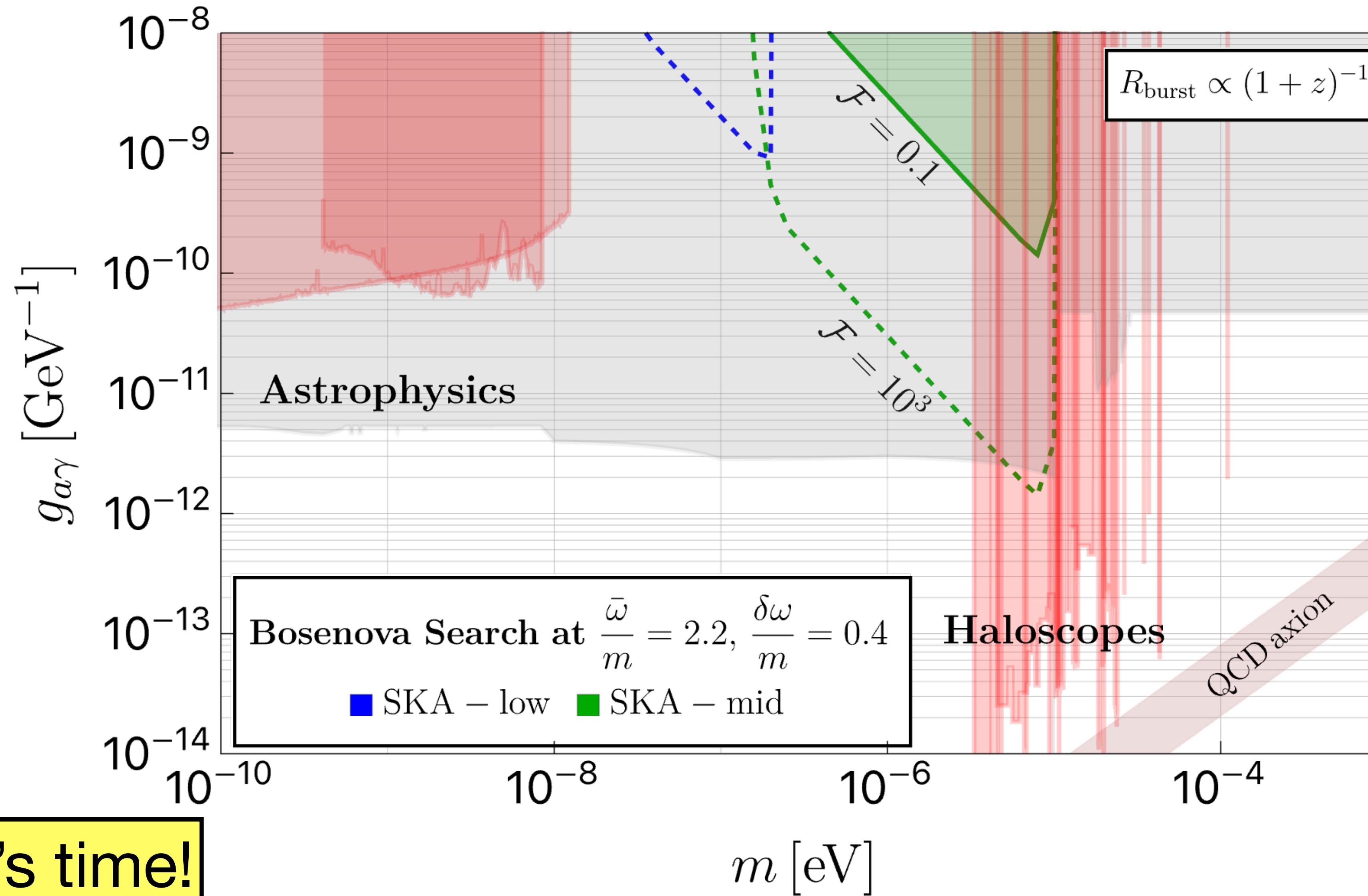
DaB Flux: Other $f(z)$



DaB Flux from Decay



Case Study: DaB From Bosenovae in SKA



If there's time!