

**CALICE Meeting  
CERN 20.05.11**

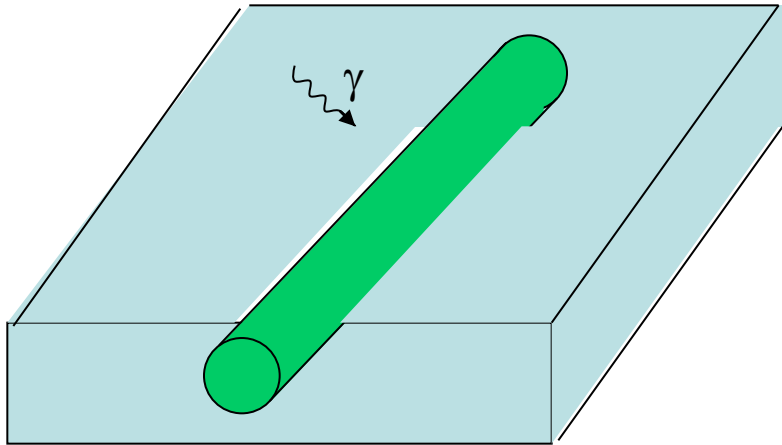
# **Saturation Studies at ITEP**

**(very preliminary results)**

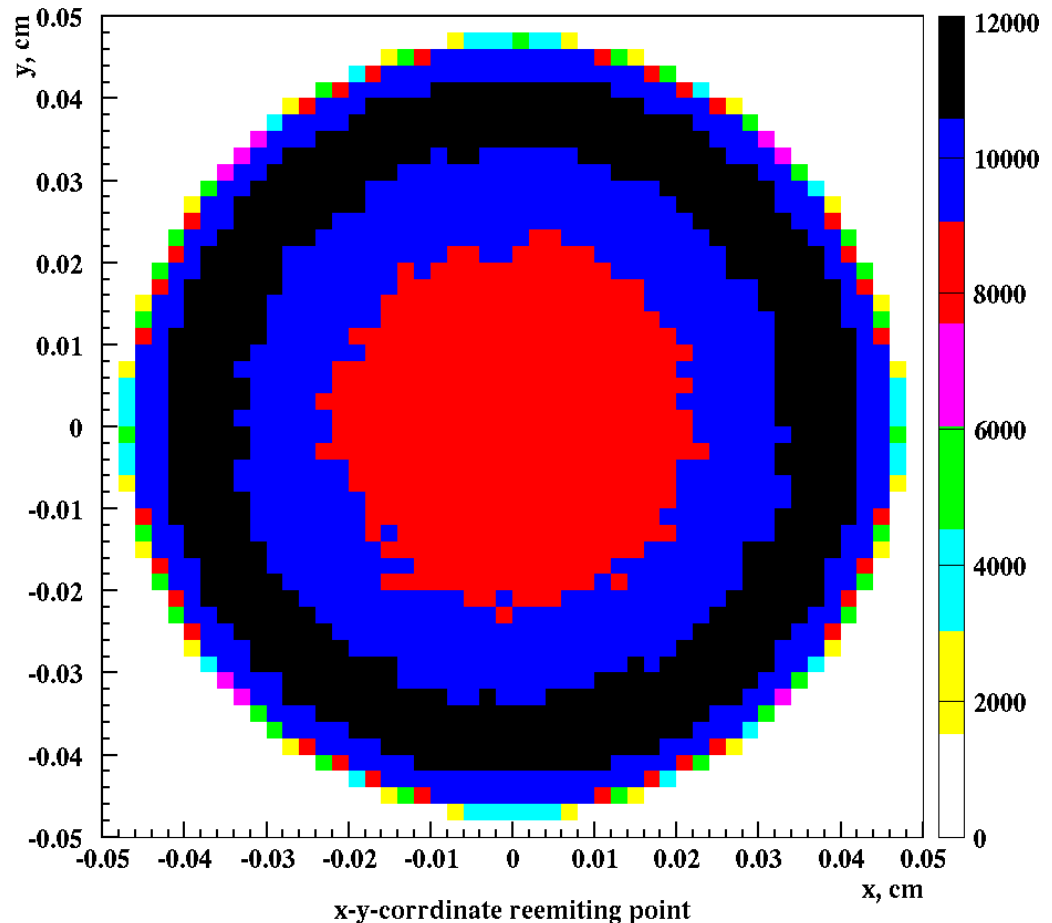
**M.Danilov**

# Saturation of SiPM response in scintillator tile readout

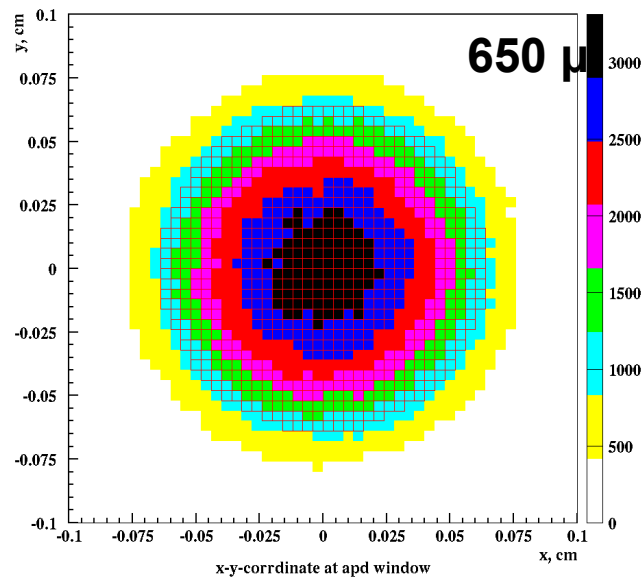
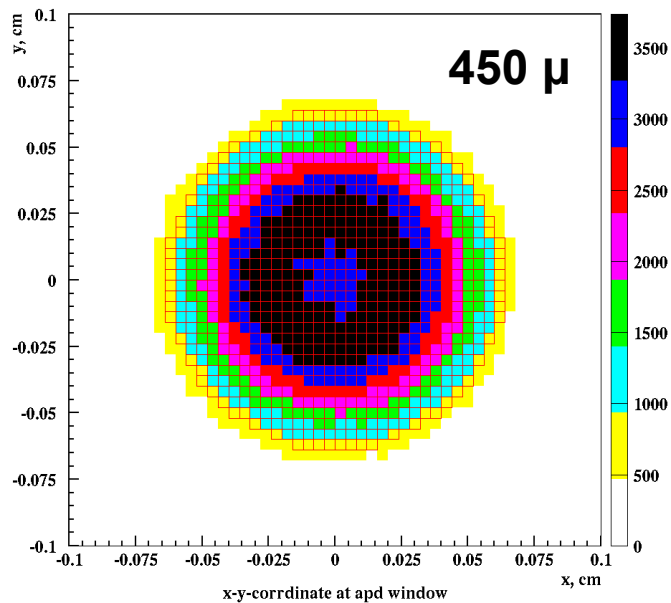
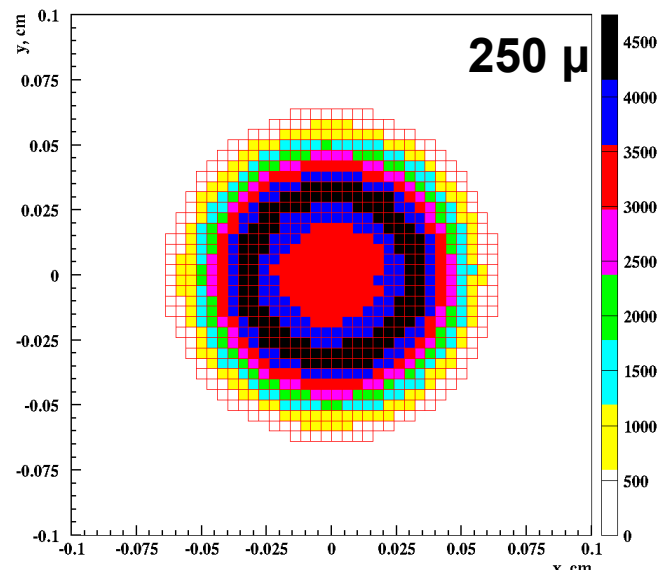
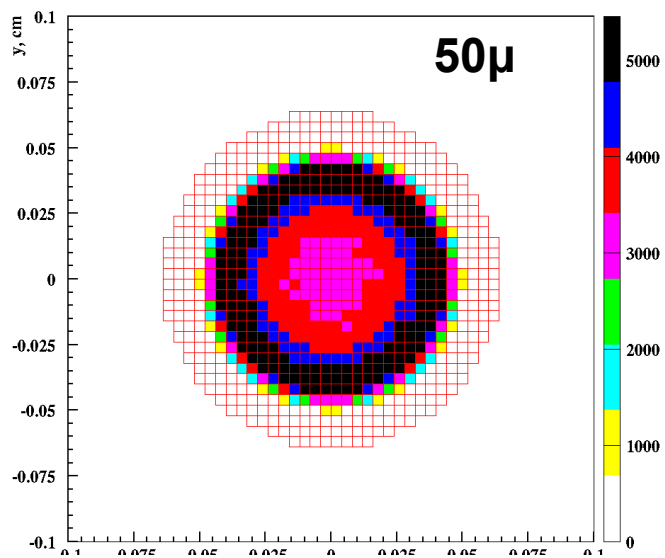
## Simulation of light collection in WLS fiber



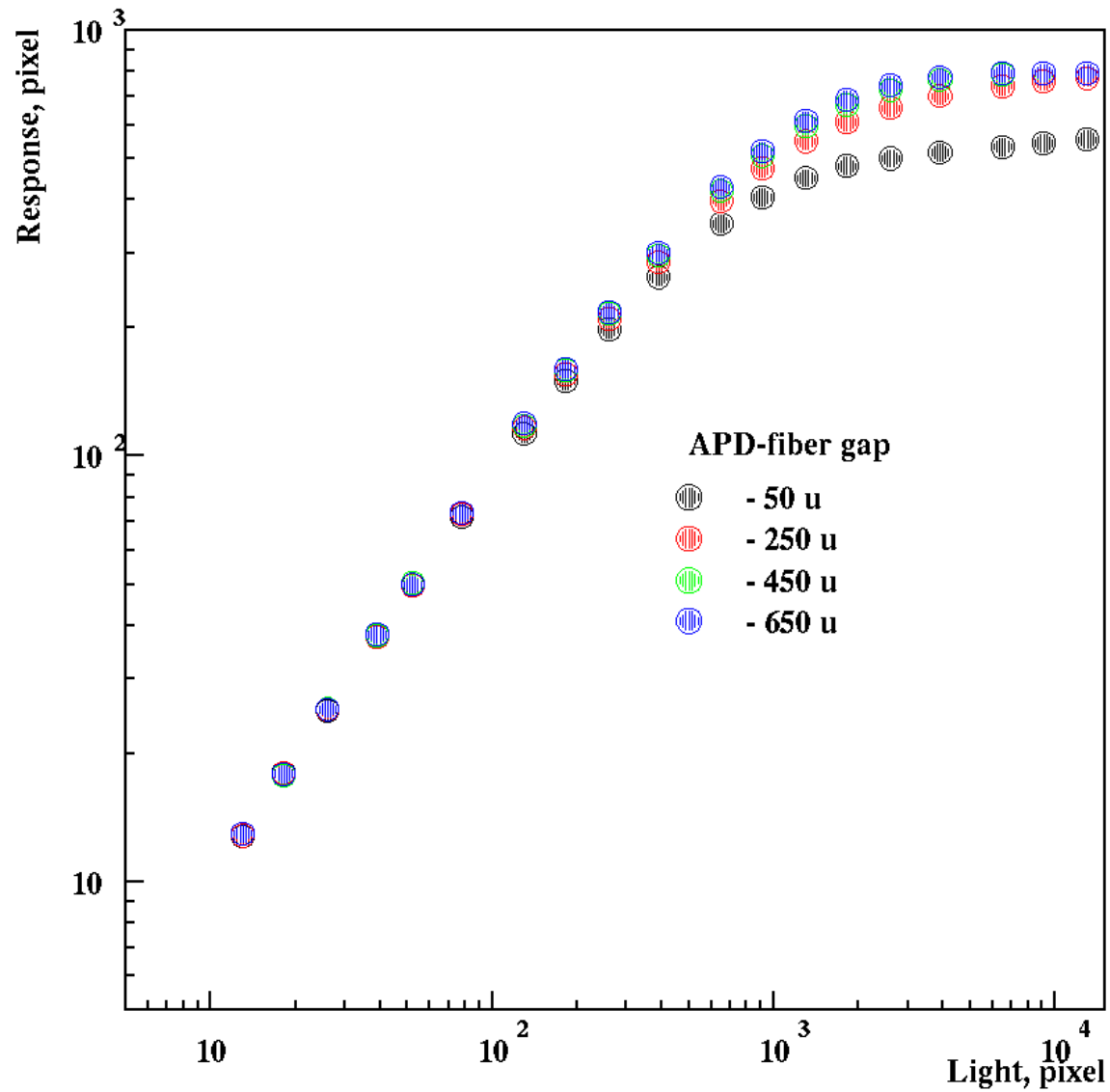
## Distribution of absorption points in WLSF



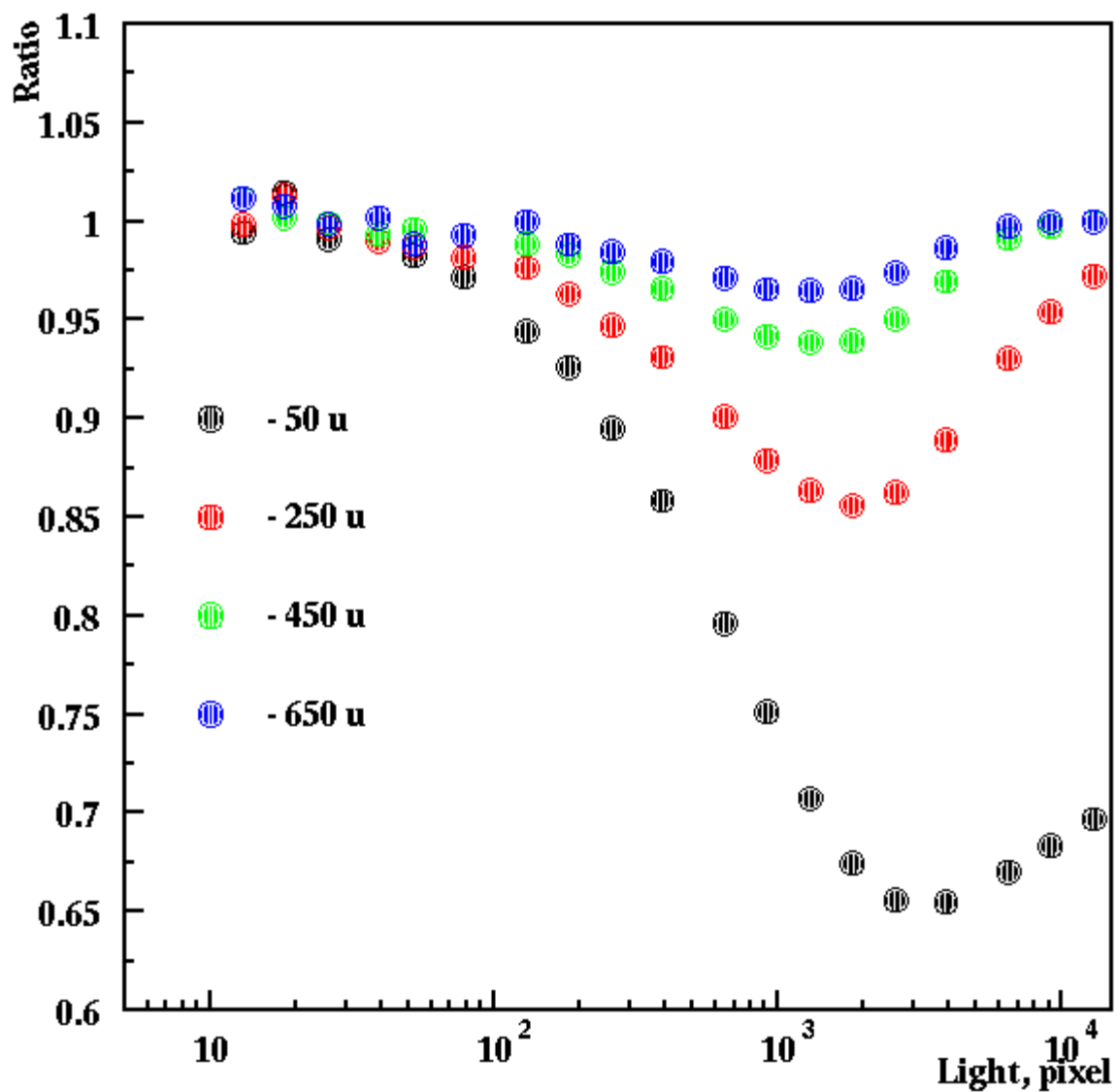
# Distribution of light at SiPM surface at various SiPM-fiber distances



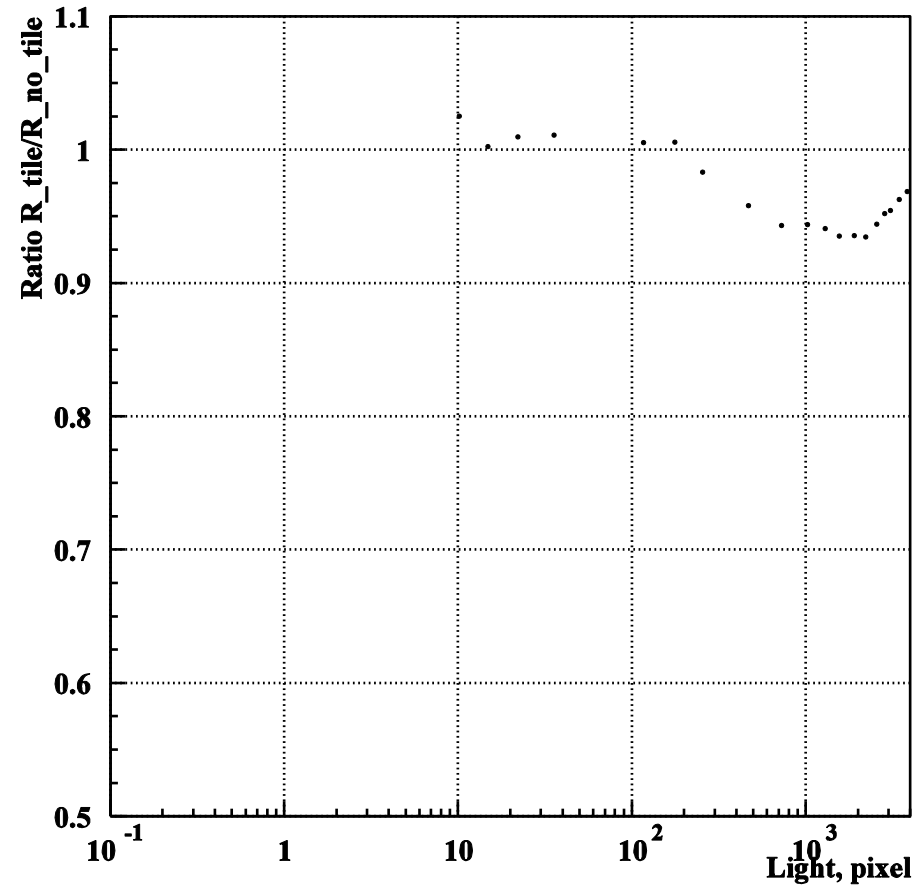
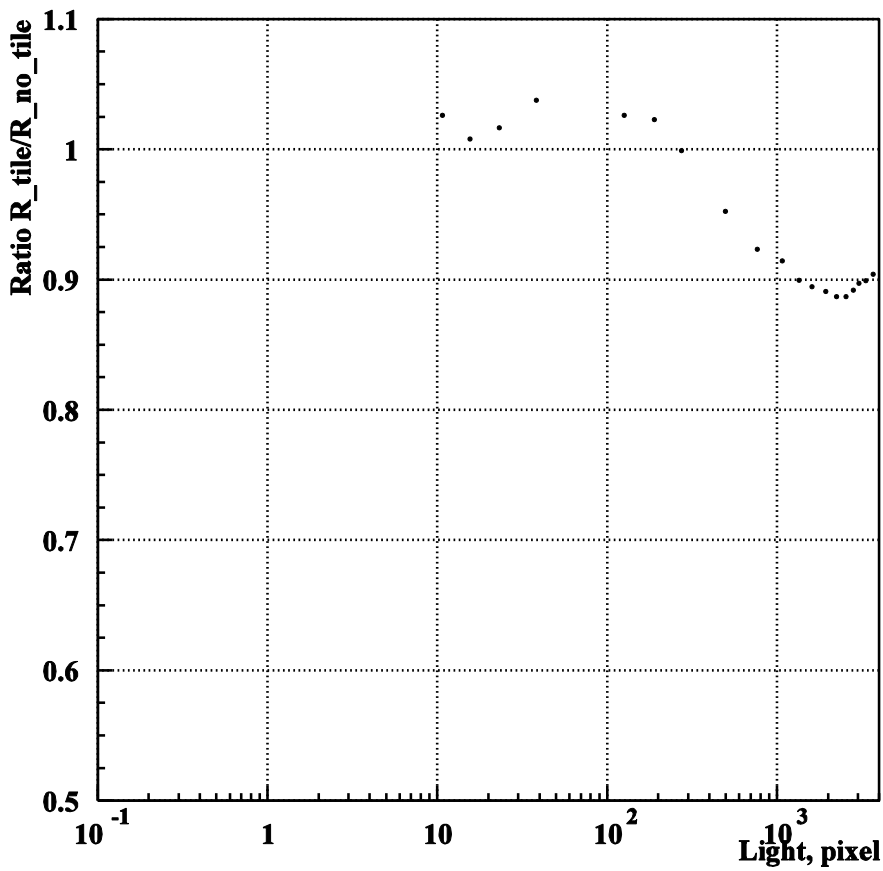
# Saturation curves (MC)



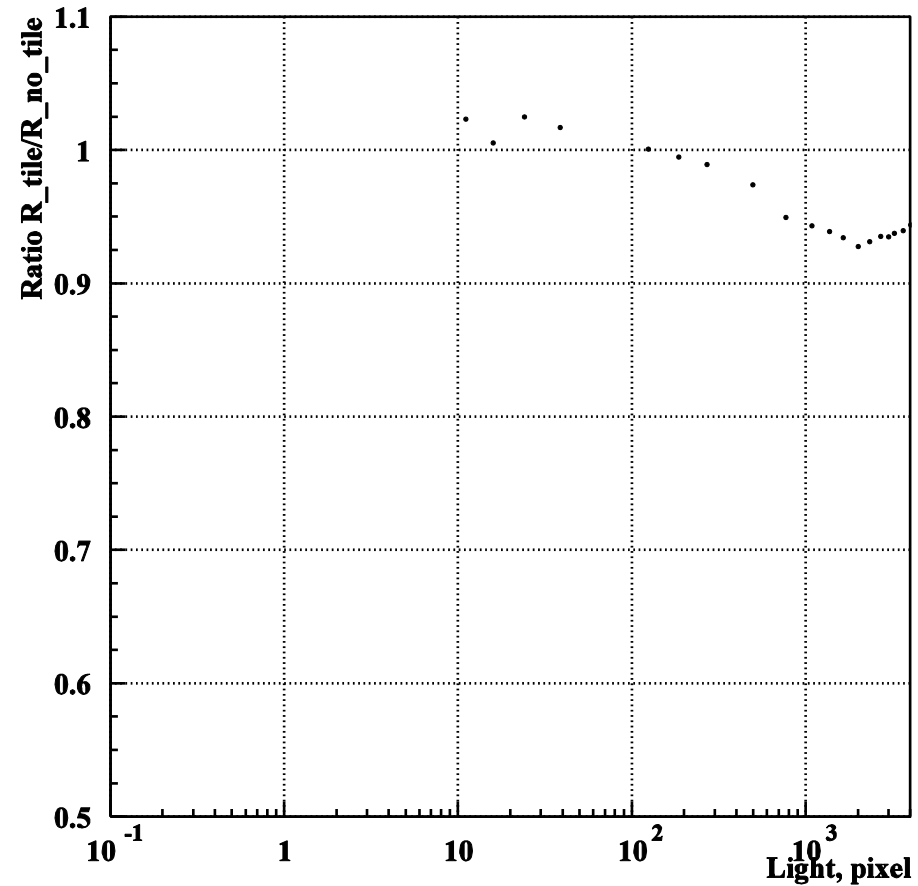
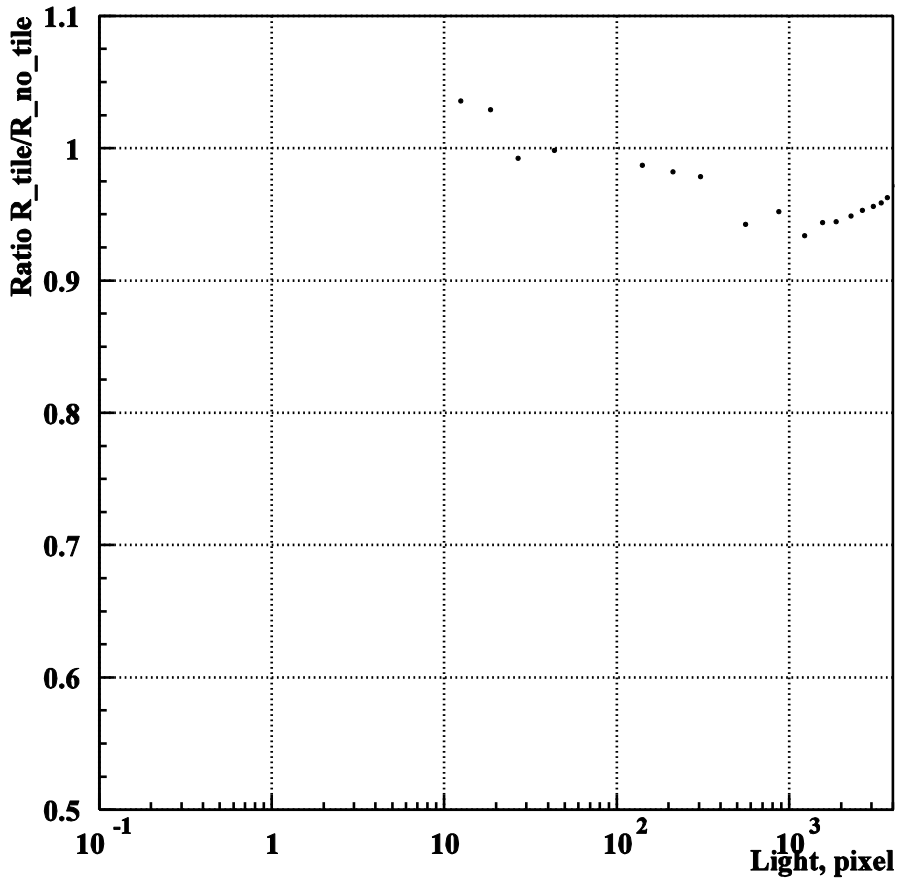
# Ratio of saturation curves for SiPM in tile and uniformly illuminated one



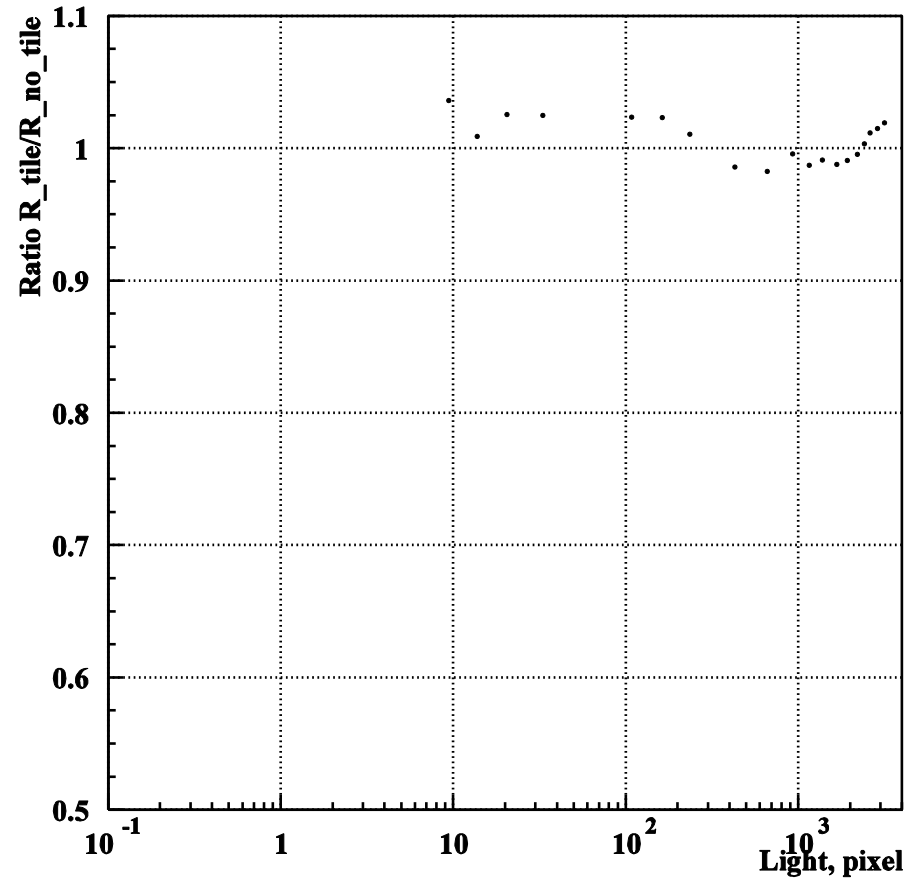
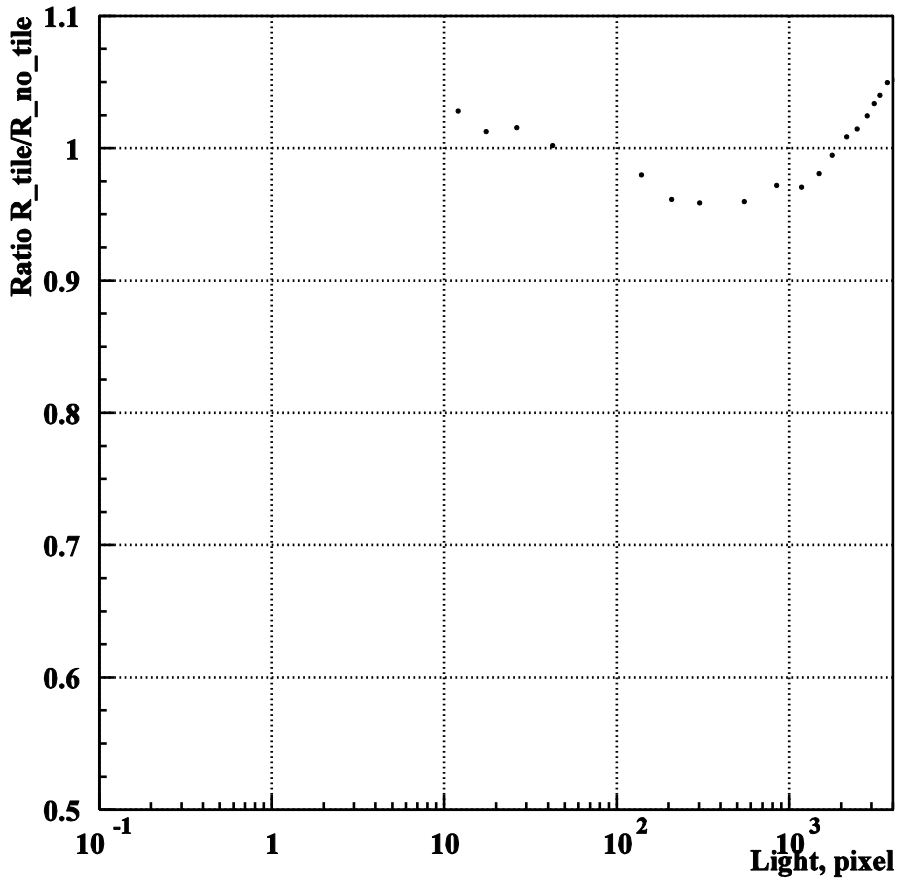
# Ratio of SiPM saturation curves illuminated by a fiber in tile and illuminated with uniform light



# Ratio of SiPM saturation curves illuminated by a fiber in tile and illuminated with uniform light



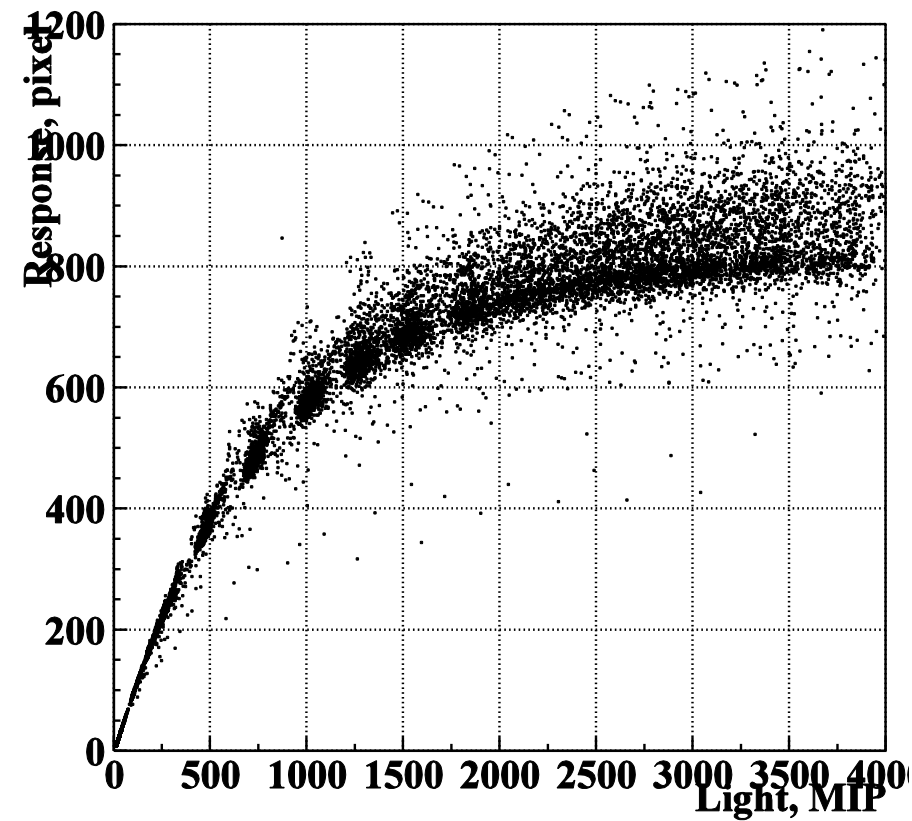
# Ratio of SiPM saturation curves illuminated by a fiber in tile and illuminated with uniform light (examples)



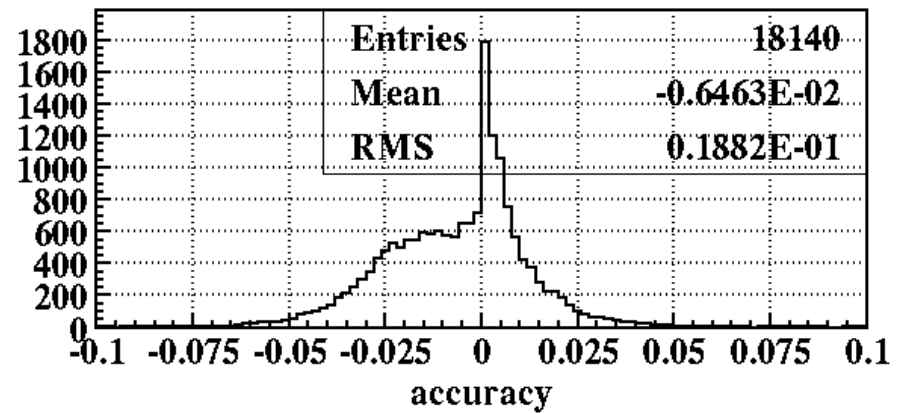
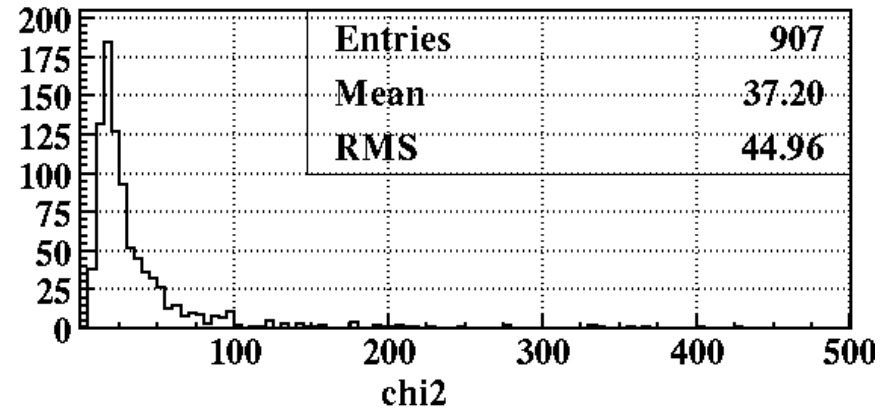
**Data are quite similar to MC simulation**



# Saturation curve measured for uniform illumination of SiPM



Light (pixels)



Fit with simple formula:  $N \cdot (1 - e^{-x/N})$   
is quite good  $\sigma \sim 2\%$

# Fit of saturation curves measured in tile

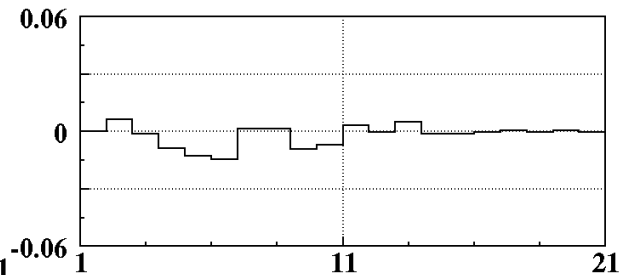
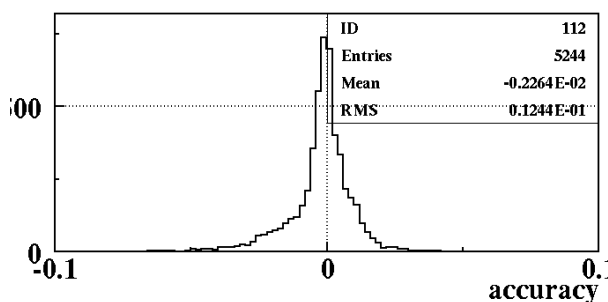
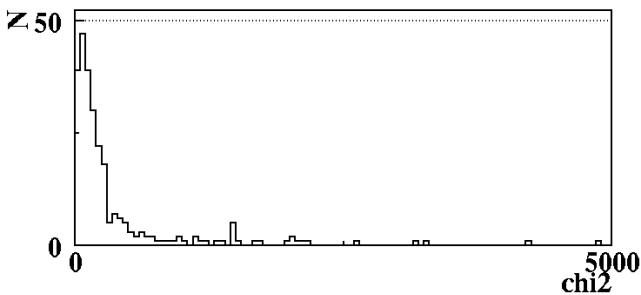
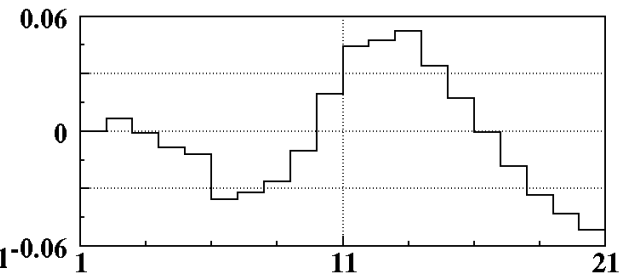
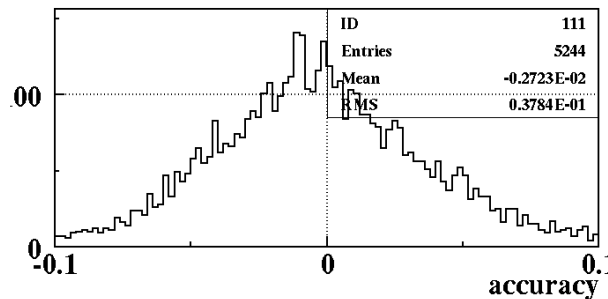
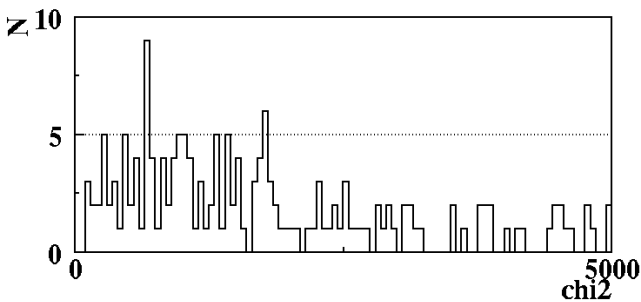
Top -  $N \cdot (1 - e^{-x/N})$

Bottom -  $N \cdot (1 - e^{-x/N}) \cdot (1 + a \cdot x + b \cdot x^2 + c \cdot x^3) \cdot (1 + d \cdot x + f \cdot x^2)$ ;  $30 < x < 300$

$N \cdot (1 - e^{-x/N}) \cdot (1 + a \cdot x + b \cdot x^2 + c \cdot x^3)$ ;

$x < 30$ ;  $x > 300$

Deviation from fit



One parameter fit is may be acceptable

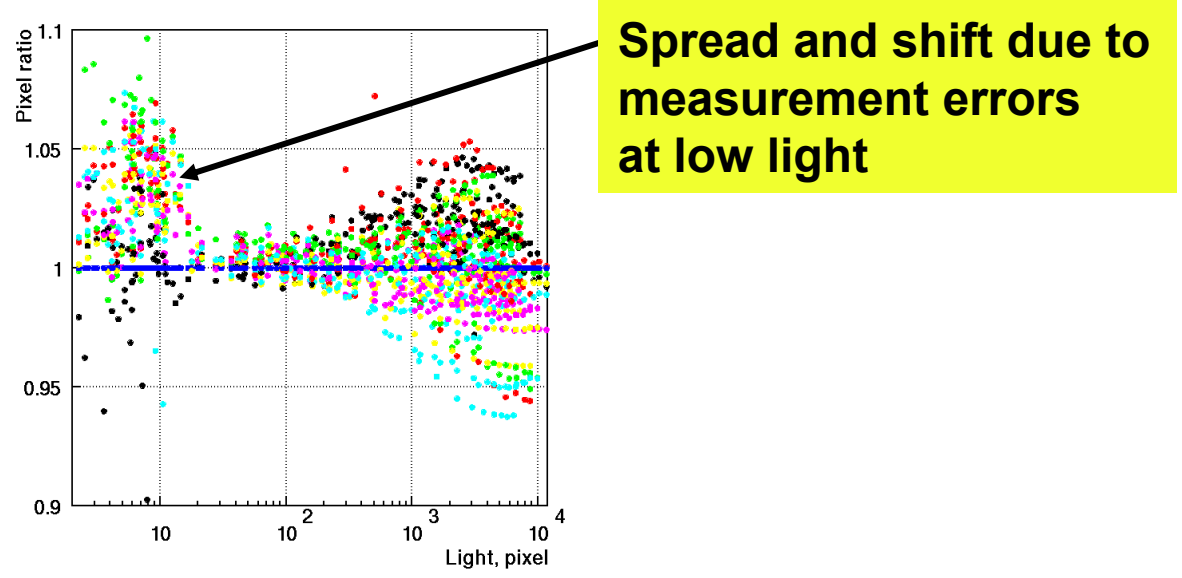
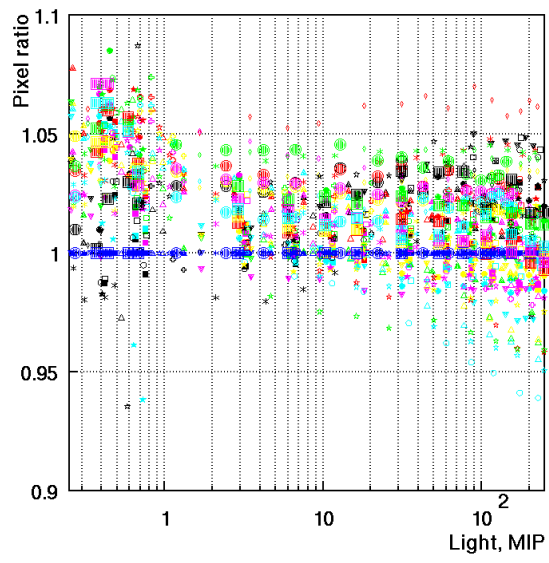
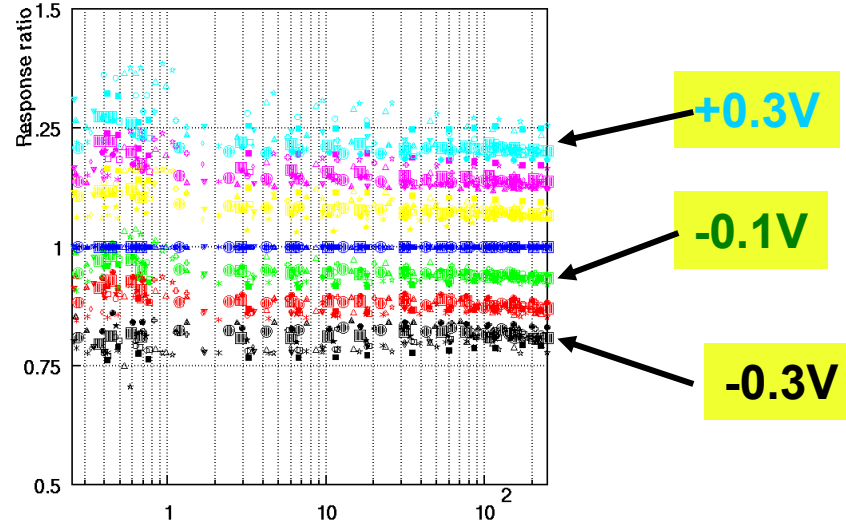
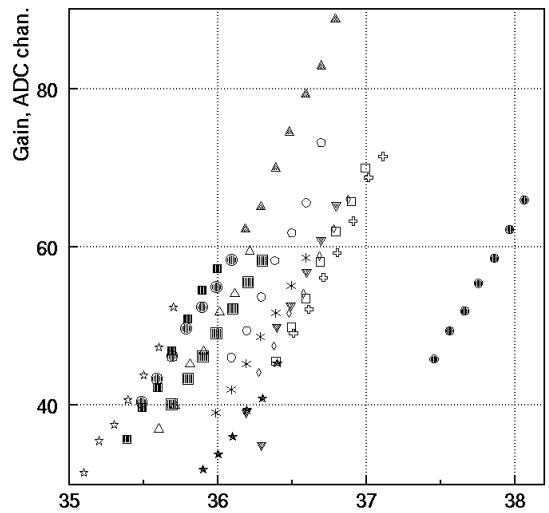
Six parameter fit is very good:  $\sigma \sim 1\%$

Light in log scale

10~ 30MIP

20~ 300MIP

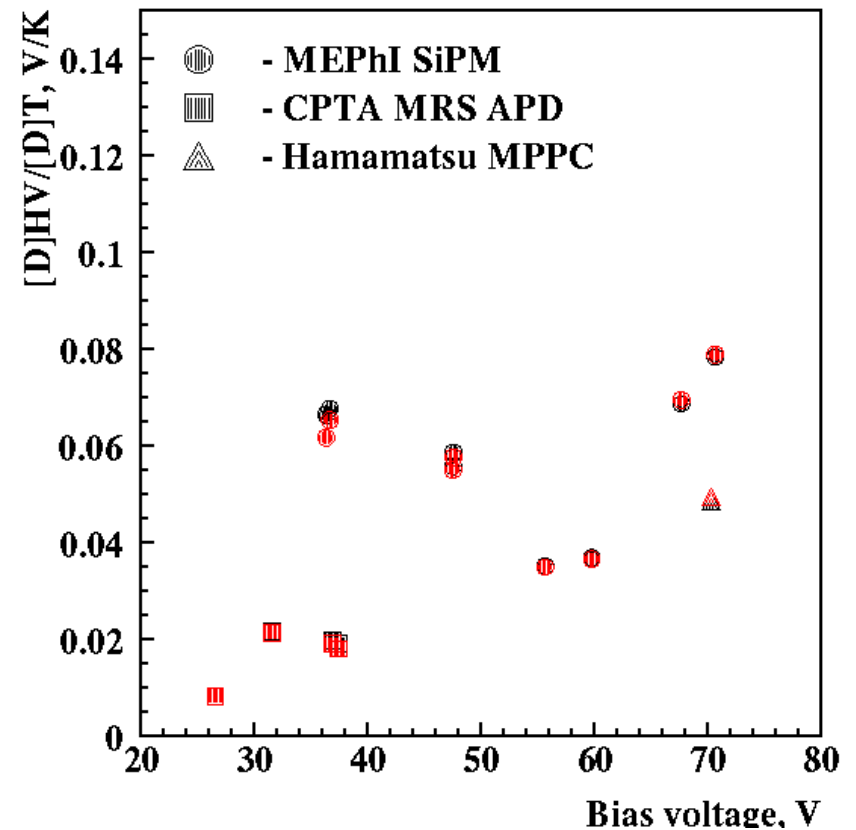
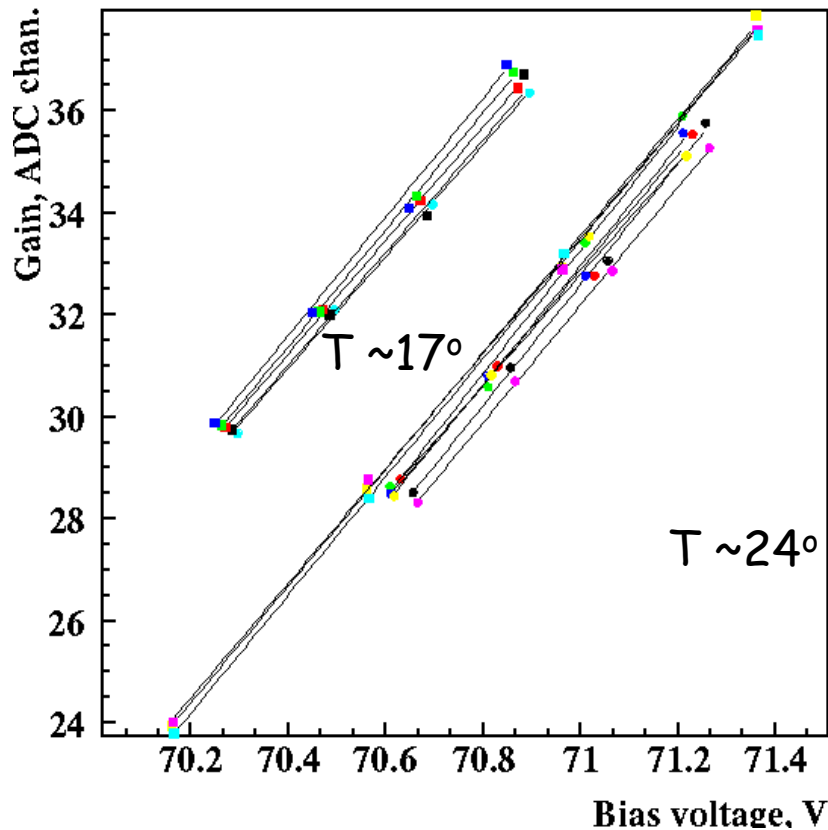
# Saturation curve is stable within ~5% for HV variation of $\pm 0.3V$ equivalent to huge T variation of $\pm 15$ degrees



# Temperature sensitivity of breakdown voltage

$$V_{bd} = V_{bd}(T_0) - dV_{bd}/dT * (T - T_0)$$

$$\text{Gain} = F(V_{bias} - V_{bd})$$



**CPTA SiPMs have much smaller T sensitivity than MEPhi and Hamamatsu SiPMs**

# VERY preliminary studies of required dynamic range

## Treatment of hits above $M_{\text{limit}} = 90(100)$ MIP

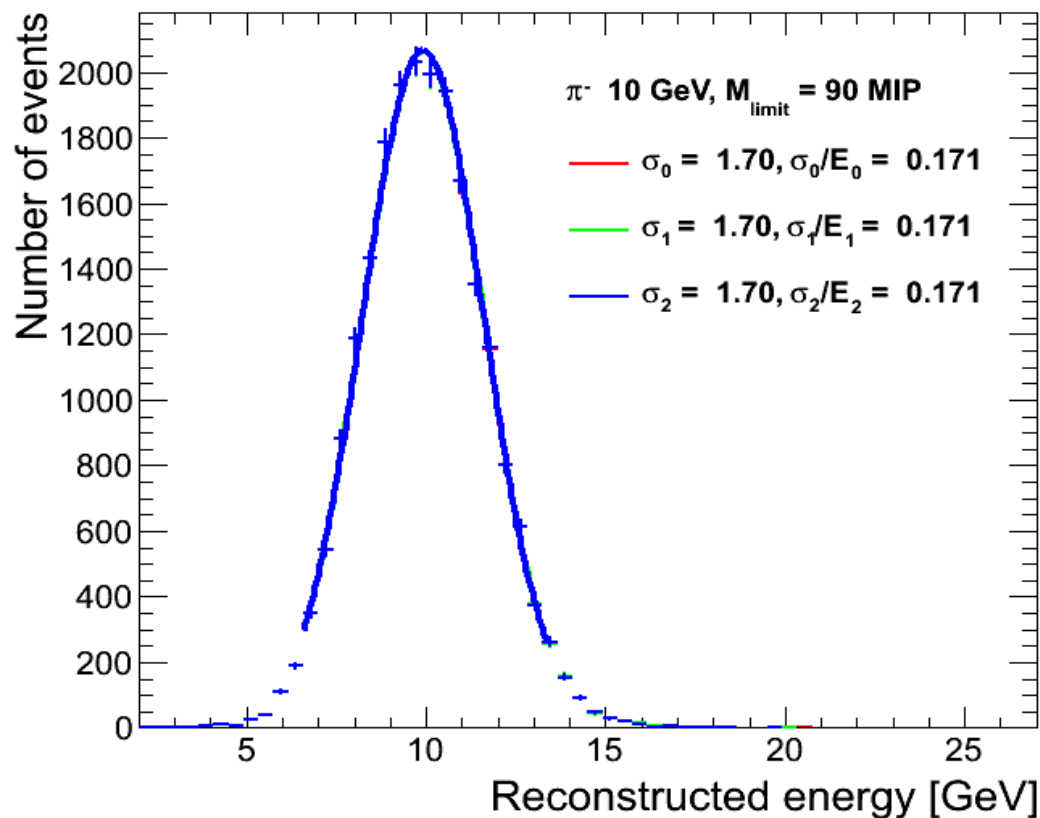
- Showers contained in AHCAL (start in the first 5 AHCAL layers)
- $E_{\text{reco}} = E_{\text{ECAL}} + E_{\text{HCAL}} + E_{\text{TCMT}}$
- CALICE software v04-01, em scale,  $e/\pi = 1.19$
- Mean E and sigma  $\sigma$  derived from Gaussian fit
- Data:  $\pi^-$  at 10, 40 and 80 GeV from CERN 2007 test beam

**Method 1:** if  $e_{\text{hit}} \geq M_{\text{limit}}$  then  $e_{\text{hit}}$  is replaced by the mean for the hits above  $M_{\text{limit}}$  for given energy.

**Method 2:** if  $e_{\text{hit}} > M_{\text{limit}}$  then  $e_{\text{hit}} = M_{\text{limit}}$

# No changes in resolution for 10 GeV

- Fraction of events with  $e_{\text{hit}} \geq 90$  MIP  $\sim 0.2\%$
- Fraction of events with  $e_{\text{hit}} \geq 100$  MIP  $< 0.1\%$



$\sigma_0, E_0$ — initial

$\sigma_1, E_1$ — from method 1

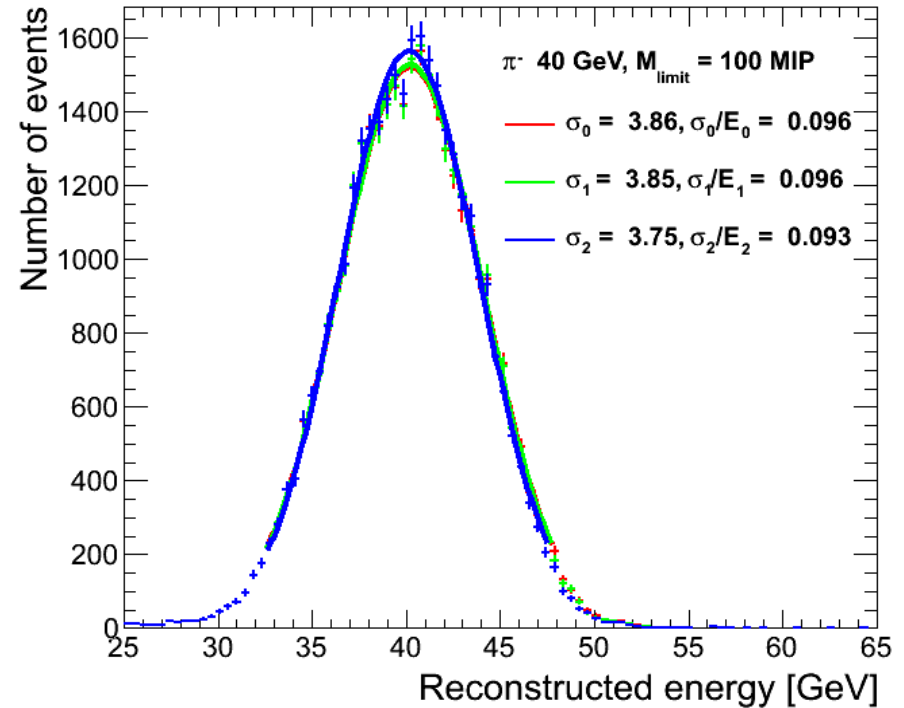
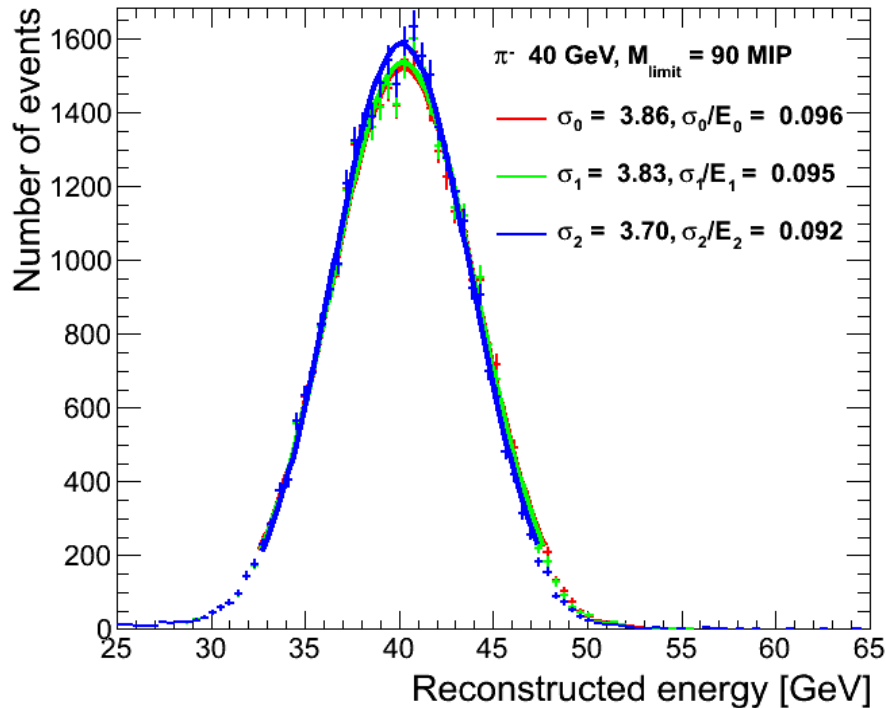
$\sigma_2, E_2$ — from method 2

# Improvement for 40 GeV

Fraction of events with:

$e_{\text{hit}} \geq 90 \text{ MIP}$ :  $\sim 12\%$

$e_{\text{hit}} \geq 100 \text{ MIP}$ :  $\sim 8\%$



Method 1: rel. improvement  $\sim 1\%$

Method 2: rel. improvement  $\sim 4\%$

Method 1: rel. improvement  $\sim 0.3\%$

Method 2: rel. improvement  $\sim 3\%$

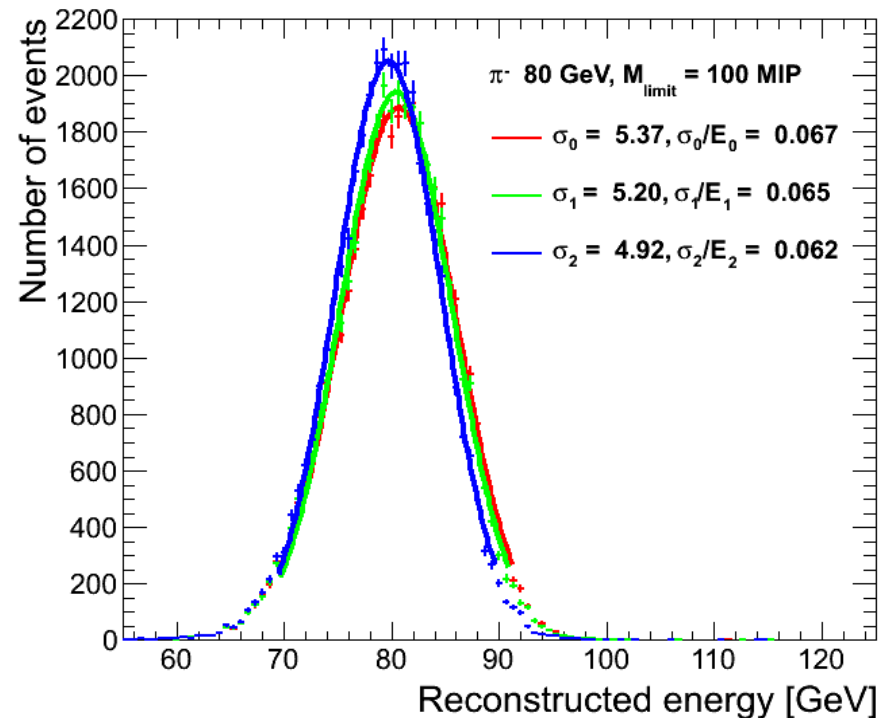
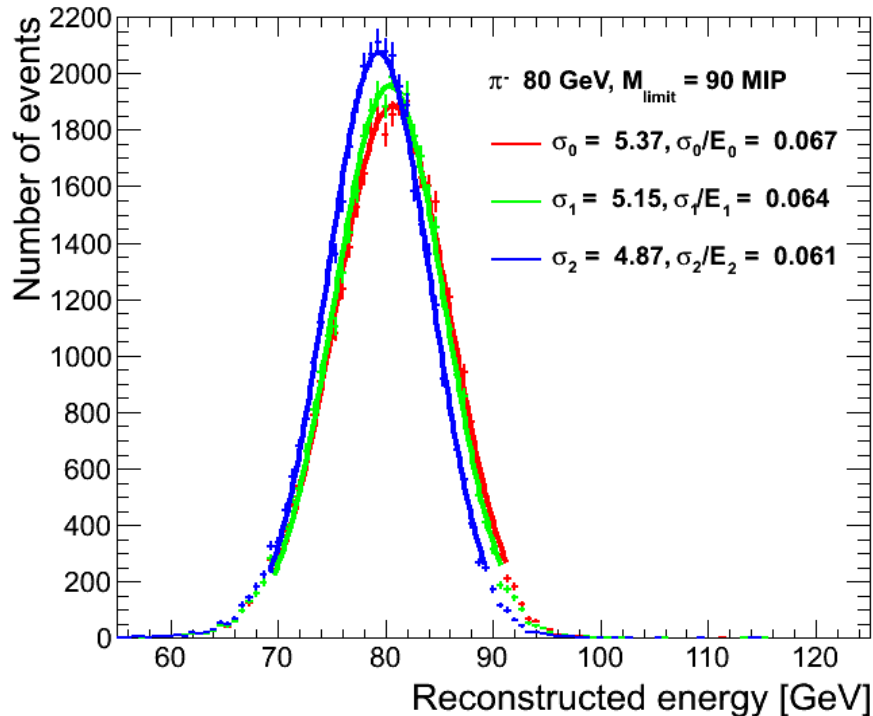
Shift of mean value  $< 0.3\%$

# Improvement for 80 GeV

Fraction of events with:

$e_{\text{hit}} \geq 90$  MIP:  $\sim 45\%$

$e_{\text{hit}} \geq 100$  MIP:  $\sim 36\%$



Method 1: rel. improvement  $\sim 4\%$

Shift of mean value  $\sim 0.4\%$

Method 2: rel. improvement  $\sim 8\%$

Shift of mean value  $\sim 1.6\%$

Method 1: rel. improvement  $\sim 3\%$

Shift of mean value  $\sim 0.3\%$

Method 2: rel. improvement  $\sim 7\%$

Shift of mean value  $\sim 1.3\%$



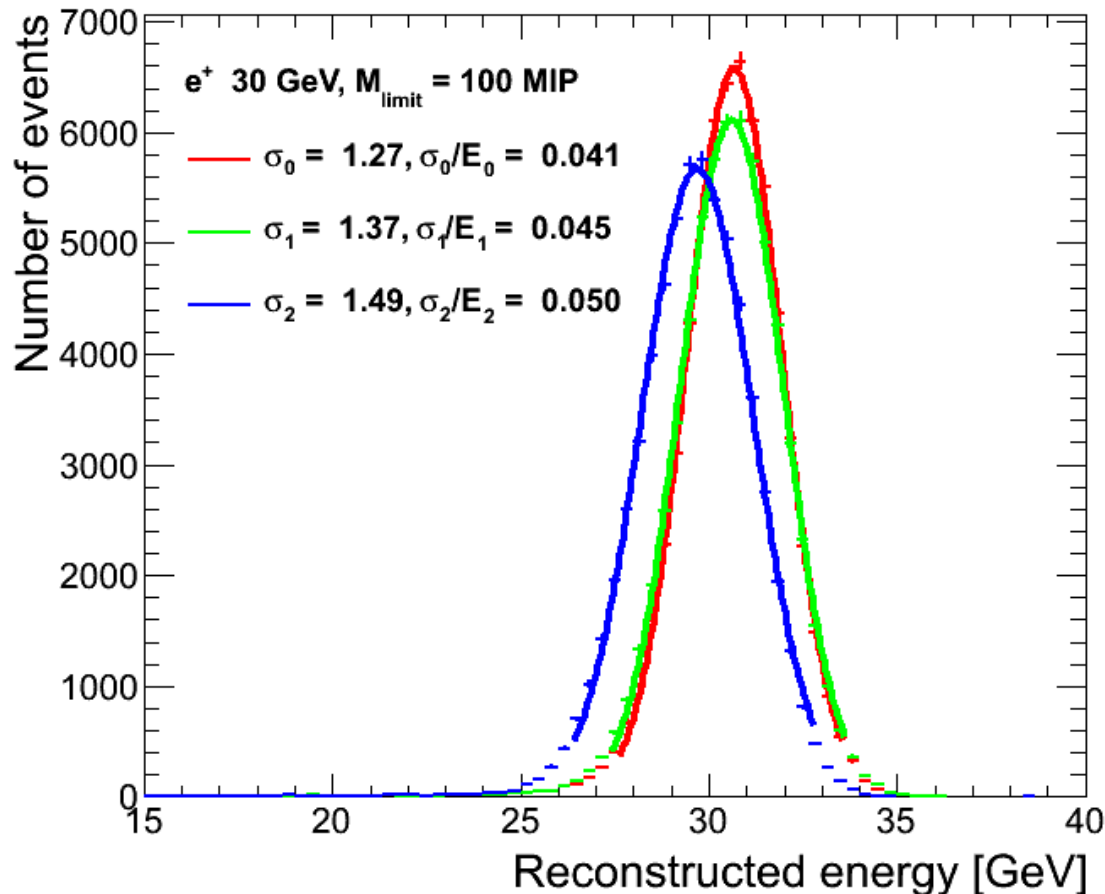
# Looks promising but there are many questions

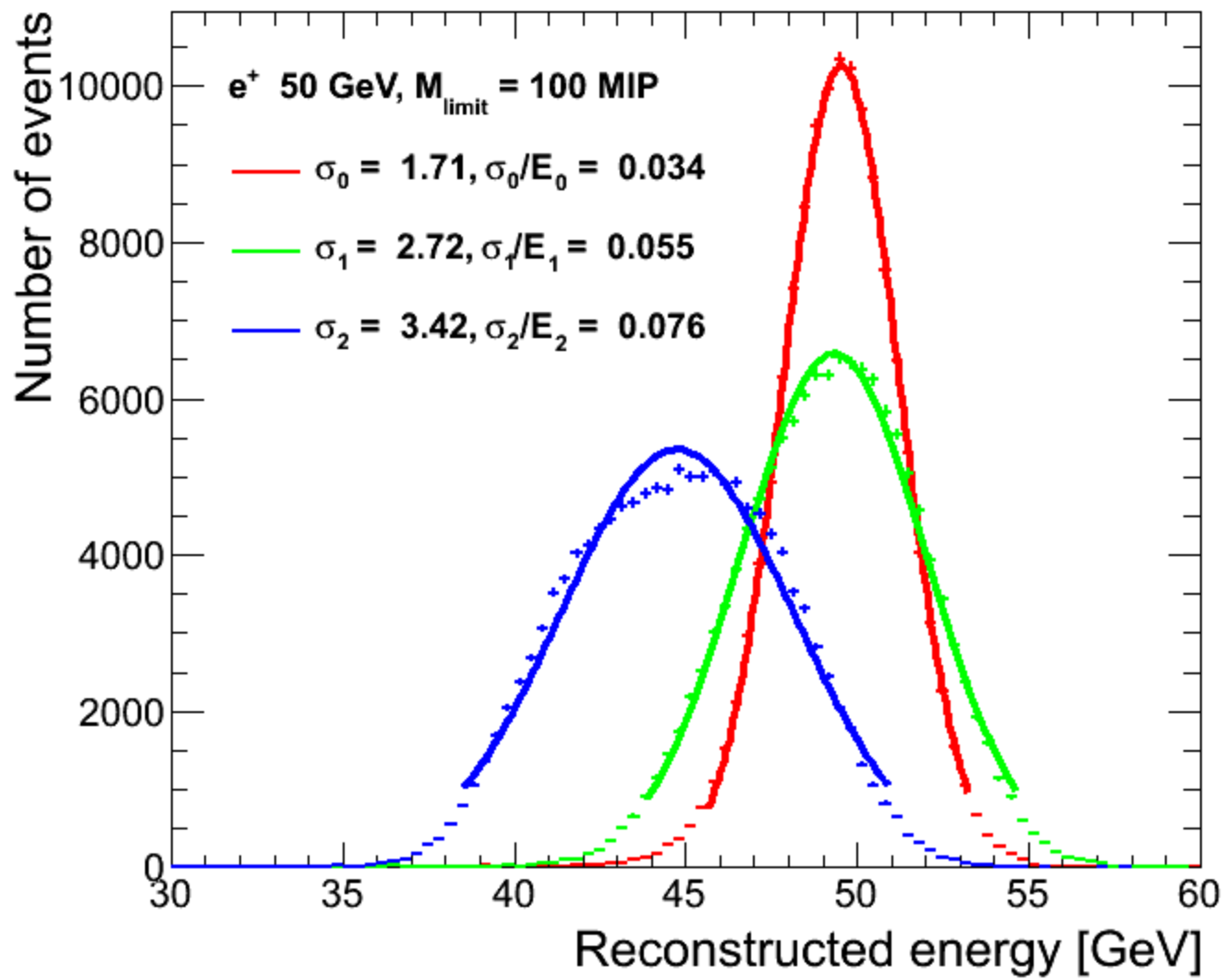
Why mean value changes slightly for method 1?

Is improvement in method1 due to suppression of e/m parts of shower?

There are 80 GeV runs with no improvement (but also without deterioration)

There is 10% (60%) deterioration of resolution for 30 (50) GeV positrons





# Conclusions

1. Saturation of CPTA SiPMs in tiles depends on many factors (distance to fiber, shift, SiPM parameters like X-talk, efficiency, etc) but can be well described by a 6 parameter fit function.  
May be more simple fit function can be found (but it is not important)

2. Saturation curve dependence on T is very small for CPTA SiPMs (CPTA SiPMs have much smaller  $V_{bd}$  T sensitivity than other SiPMs)  
If changes in T are compensated by bias V adjustment saturation curve should not change at all.

3. Very preliminary studies of the required dynamic range indicate that 100MIP dynamic range is sufficient for hadron showers up to 80GeV, however there are still many questions.