Physics Beyond the Standard Model: Supersymmetry July 2024

Sara Alderweireldt University of Edinburgh



Goettingen, Germany

Cesa











Briefly, about me



- From Antwerp, and did my PhD there on Higgs searches with CMS
- Moved to ATLAS and worked as a postdoc with Nikhef, CERN, and now Edinburgh doing searches for Beyond-the-SM physics
- Focus on electroweak supersymmetry searches
- Work to see how far we can push the detector and software to study hard-to-measure leptons
- Also an operations expert: keep the ATLAS trigger system running, and shift leader

This lecture

- Why Supersymmetry?
- What is Supersymmetry?
- **How** to Supersymmetry (at the LHC)?



3 / 58

The Standard Model



Particle physics' best model today a gauge theory which describes

- elementary particles
 - fermions
 - bosons
- fundamental interactions
 - strong
 - electromagnetic
 - weak

noting particle's mass, <mark>charge</mark>, <mark>colour</mark>, and <mark>spin</mark>

Success of The Standard Model



- measurements covering 15 (!) orders of magnitude
- multiple CoM energies
- both precision & agreement with theory predictions are impressive
- despite great success, still occasional tensions seen
 - flavour sector: R_{κ} , R_{κ^*}
 - muon g-2
 - W-boson mass

o ...

Success of The Standard Model



Supersymmetry 101

new, broken symmetry between fermions & bosons, including extended higgs sector

→ SM particle mass ≠ SUSY partner mass

solutions to

- stabilised Higgs boson mass
- unification of the gauge couplings
- (WIMP) Dark Matter candidate with stable lightest supersymmetrical particle (LSP) in R-parity conserving SUSY

beautiful framework to explore extremely broad array of BSM signatures

focus on natural SUSY

- relatively light stops, gluinos and higgsinos
- other particles can be decoupled



Supersymmetry 101

- unification of the gauge couplings (WIMP) Dark Matter can Prove GOO (stable lightest supersymmetric particle (LSP) in R-parity conserving SUSY that again

The Hierarchy Problem

Why is the higgs boson mass so much lighter than the Planck scale?

$$m_{H}^2 ~pprox ~m_{H,0}^2 ~-~ rac{|\lambda_f|^2}{8\pi^2} \Lambda^2 ~+~ \ldots$$

↓ O((10¹⁹GeV)²)

Naive expectation

- higgs mass ~ scale at which new physics appears
- unless there is large fine-tuning and terms ~cancel
- fine-tuning is unnatural

Instead

 $m_{_H} \approx 125.11 \, \mathrm{GeV}$

which would be nice to have an explanation for...



arXiv:2308.04775



Naturalness



Symmetries

Global / external: translation, rotation, and inertial frame symmetry(Pointcaré symmetry)Local / internal: giving rise to the fundamental interactions connected to the gauge fields(Lie groups)

Symmetries described using group theory: group elements connect to transformations, and groups are described via generators

In field theory, the gauge groups represent the local transformations under which the lagrangian is invariant, ie. under which the system does not change → *symmetries*

For the Standard Model: $U(1)_{y} \times SU(2)_{L} \times SU(3)_{c}$ representing electromagnetic force x weak force x strong force

Noether's theorem: each continuous symmetry has to correspond to a conserved quantity

Conserved quantities: lepton number, baryon number, parity, isospin, and strangeness

Unification

Can these global and local aspects be unified in an extension of the previous description?

Skipping a lot of steps...

- \rightarrow **no**, not with the Lie group description
- → **yes**, using Supersymmetry

(as an extension of the Pointcaré symmetry, an extension of space & time in an additional quantum mechanical dimension)

Supersymmetry

Supersymmetry connects **fermions and bosons** using a spinorial generator Q (spin ¹/₂)

- Q |fermion> = |boson>
- Q |boson> = |fermion>

and the representation contains multiplets of particles that have different spin but the same mass & quantum numbers

In order to then set up a Lagrangian that can be invariant under the transformation $|boson\rangle \leftrightarrow |fermion\rangle$ one needs double the amount of particles (since we don't already have such particles available in the SM)

```
In practice: SM fermion \leftrightarrow new SUSY scalar boson "s-"
SM boson \leftrightarrow new SUSY fermion "-ino"
quarks/leptons/neutrinos ( spin ½) \leftrightarrow squarks/sleptons/sneutrinos ( spin 0)
gauge bosons g, \gamma/W/Z (spin 1) \leftrightarrow gluino, charginos/neutralinos (electroweakinos) ( spin
½)
extended Higgs sector (\mathbf{h}^0, \mathbf{H}^0, \mathbf{A}^0, \mathbf{H}^{\pm}) (spin 0)
```

Supersymmetry

Extended Standard Model particles Supersymmetric particles \leftarrow charge 125.1 GeV 2.3 MeV 1.28 GeV 173.2 GeV unknown unknown unknown unknown $ilde{\chi}_4^0$ \leftarrow colors ~ \tilde{c} h^0 ~ tU \mathcal{C} tumass top - spin stop sup up charm Scalar Higgs Neutralino scharm /1/2 4.8 MeV 95 MeV 4.7 GeV unknown unknown unknown unknown unknown unknowr $ilde{\chi}^{\scriptscriptstyle 0}_{\scriptscriptstyle 3}$ ~ ~ ~ H^0 ~ dbg \tilde{g} sbdSstrange gluon Scalar Higgs gluino strange down sdown bottom Neutralino sbottom 511 keV 105.7 MeV 1.777 GeV unknown unknown unknown unknown unknown $ilde{\chi}^{_0}_{_2}$ $A^{\scriptscriptstyle 0}$ ~ ~ ~ μ eμ e τ unknown inknown $ilde{\chi}^{\pm}_{2}$ electron muon tau photon Pseudoscalar Higgs Neutralino stau smuon selectron /1/2 ~ 1 $\widetilde{\chi}_1^{\pm}$ 80.4 GeV 91.2 GeV unknown unknown unknown unknown unknown chargino $ilde{\chi}^{\scriptscriptstyle 0}_{\scriptscriptstyle 1}$ ~ ~ u_{μ} ${}^{\scriptscriptstyle +} ilde{
u}_{\mu}$ ~ ν_e W^{\pm} Z ν_{τ} H^{\pm} $\tilde{\nu}_{\tau}$ $\tilde{\nu}_e$ μ neutrino W boson Z bosons Charged Higgs Neutralino sneutrino e neutrino τ neutrino sneutrino sneutrino

Supersymmetry breaking

Remember the statement

- SUSY representation contains multiplets of particles that have different spin but the same mass & quantum numbers
- → but we have not observed supersymmetric partners at the same masses, e.g. no selectron at 0.511 MeV
- Supersymmetry must be a broken symmetry

We assume spontaneous symmetry breaking

- → gauge or gravitational interactions couple the SUSY-breaking sector with the Supersymmetric SM (they mediate the supersymmetry breaking)
- → the vacuum is non-Supersymmetric
- → as we don't know the actual mechanism, we manually introduce explicit breaking terms,
- → only soft terms avoiding to re-introduce divergences

The Hierarchy Problem

Coming back to the higgs boson mass

naively: corrections are divergent, thus the mass has to be large

Supersymmetry introduces additional scalars which bring **further corrections that mitigate the problem**

- balances the SM corrections
- reduces the necessary level of fine-tuning
- the observed light higgs boson is possible

 $|\lambda_f|^2 = \lambda_s$ connect to two new scalars for each fermion (in the same super-multiplet)

Masses m_s and m_f are not the same, the cancellation depends on **SUSY breaking**



Unification of SM gauge couplings



When following the Standard Model to predict the running of the couplings,

the extrapolation of the experimentally observed gauge couplings does not unify at large scale.

If one instead assumes running according to the <u>Minimal Supersymmetric</u> Standard Model,

they do.

(at energies comparable to those of the early universe)

(WIMP) Dark Matter candidate



Measured rotational velocity for spiral galaxies vs. predictions assuming only visible matter

The Standard Model only accounts for a fraction of the total energy in the universe



Supersymmetry can offer a DM particle candidate that satisfies all the conditions

- stable
- weakly-interacting
- massive

R-parity

Remember Noether's theorem: each continuous symmetry has to correspond to a conserved quantity

However, the most general super-potential we can describe, violates conservation of lepton- and baryon number! **Consequence**: the proton would be unstable, and decay much faster than observed in nature

R-parity is a new symmetry, a new conserved quantum number, that restores things

 $R = (-1)^{3(B-L)+2S}$ with B,L, and S the baryon number, the lepton number, and the spin

 \rightarrow R-parity +1 for particles, and -1 for sparticles

Consequence

- supersymmetric particles have to be produced in pairs
- the lightest supersymmetrical particles (LSP) is stable
- if the LSP is neutral, it's a good (WIMP) dark matter particle candidate (e.g. the neutralino)

R-parity violation

All rules need exceptions: one can introduce R-parity violating terms in the Lagrangian



which would result in

- final states with higher particle multiplicities
- final states with less missing transverse momentum
- many different final states possible due to different possible RPV terms
- no stable LSP → no dark matter particle candidate

(but the extra terms also allow flexibility in describing "features", e.g. fitting in a description of g-2 anomaly, flavour anomalies, ...)



SUSY in a nutshell

- new, broken symmetry
 - R-parity as new quantum number
- solutions to
 - light higgs boson mass
 - unification of gauge couplings
 - o dark matter candidate

Production of SUSY particles at the LHC

Following the same rules as for the SM, just swapping two^(*) particles to be supersymmetrical

^(*) sparticles are pair-produced if R-parity is conserved



strong production



electroweak production

Production of SUSY particles at the LHC

Many possible diagrams!



strong production

 $gg/gq/\overline{qq}/qq$ initiated \rightarrow all possible combinations of gluino, squark & anti-squark

- also box-diagrams
- few top and no bottom quarks (given their mass)
- 3rd generation squarks have to come from box-diagrams



electroweak production

chargino/neutralino pairs or slepton/sneutrino pairs (including c-n and sl-sn)

- LHC collisions involve quarks in the initial state
 - \rightarrow electroweak SUSY diagrams involve at least two EM or weak vertices
- electroweak production is rarer

Cross sections



gluino-squark, gluino-gluino, squark-squark, and even 3rd generation squark production cross sections

(due to strong interaction) are order(s) of magnitude larger at the LHC than electroweakino pair-production or slepton pair-production

higher cross section for squark and gluino production means

 \downarrow

our current **sensitivity reach at the LHC is at higher masses** for squarks and gluinos than for electroweakinos and sleptons

Cross sections



Signatures at the LHC

Supersymmetry is not one model, it's a family of models, a large framework → various scenarios can result in many different signatures we can search for

Standard prompt signatures

- SUSY particles (except for LSP) decay to SM particles and other SUSY particles
 → signature is SM+particles + missing ET
- If R-parity violating: no stable LSP, also decays to SM particles, less missing ET & higher multiplicities

Long-lived particles

- Small couplings can lead to long-lived particles
 → e.g. small RPV-coupling, gravitino LSP with small coupling, small mass splittings between LSP/NLSP
- LHC detector reach dictates displacement range we can measure in (for tracks, charge, ...)

The SUSY landscape

	Prompt Long-Lived			Dark		
R-parity	conserving	R-parity violating			Matter	
Strong 1st,2nd gen squarks & gluinos + 3rd gen stop & sbottom	Electro- weakinos + sleptons	RPC production ↓ RPV decays	RPV production ↓ RPV decays	wide range of lifetimes & signatures	Extended Higgs	

Typical SUSY search analysis flow

Identify target signature → define a selection

- which particles in final state?
- which SM (or machine) backgrounds look the same?
- which observables allow to distinguish signal & bkg?
- estimate the expected signal event yield in selection

Background estimation

- use Monte Carlo simulation or (semi-) data-driven methods to estimate event yield from background processes
- often estimate in background-rich region (control-region, CR) and transfer to signal-rich region (SR) after validation in intermediate validation region (VR)

Compare results & work out significance

- compare the signal and background expectations
- results for a given model, or for a generic BSM signal



Typical SUSY search analysis flow

Identify target signature → define a selection

- which particles in final state?
- which SM (or machine) backgrounds look the same?
 - /hich obs Need to build in flexibility!
- estimate t

Background es

- use Monte estimate e
- often estin and transfe intermedia

Compare resul

- → Since we don't know what the signal is, the search method needs to allow sensitivity for a range of potential particle masses and decay modes
- Can be interesting to re-interpret analyses at a later date for new signal models that could produce the same signature
- → Important to provide results in a way digestible by theory colleagues

- compare the signal and background expectations
- results for a given model, or for a generic BSM signal

background-only configuration
 model-dependent configuration
 model-independent configuration

SUSY models in practice

"Full" models → mSUGRA, GMSB, AMSB, ...

- SUSY breaking sector at higher energy scale & no degenerate spectrum at a lower scale (e.g. electroweak scale)
- Impossible to search for if we can't reach the energy

Generalised models → pMSSM, general gauge mediated model (GGM), ...

- Consider only the mass spectrum and parameters relevant at the electroweak scale
- Still complex and impractical to search for

Simplified models

- Consider a minimal set of parameters, usually particle masses and cross sections
- Target specific decays via 100% branching fraction models

SUSY models in practice





Let's remind ourselves of our experimental setup

- LHC data set evolution
- particle reconstruction and identification
- selection of interesting events

and then look at a step-by-step example of a search

The Large Hadron Collider



- two general purpose, hermetic, onion-structured detectors
 → my ATLAS examples have an equivalent CMS counterpart!
- currently in LHC Run 3, already >10y of data taking
- increasing CoM energy, increasing intensity, and increasing pile-up

Iron return yoke intersperse with Muon chambers

• large upgrade scheduled with HL-LHC & detector upgrades for Run 4 and beyond



Particle reconstruction & identification



Example stop-pair production 1 lepton + (b)jet + MET final state

- rely on tracking (inner detector), energy measurement (calorimeter), and additional outer muon system
- magnetic field: curved tracks & charge determination
- neutral/charged particles
 - → electrons/photons
 - → muons (to outer system)
- jets from hadrons
 - → ie. quarks,
 - \rightarrow but also hadronic tau-lepton decays
- vertex displacement from primary interaction
 → b-jets
- missing transverse energy from (weakly-interacting) invisible particles
 - → SM ones, e.g. neutrinos
 - \rightarrow but also SUSY LSP

or less conventional signatures

- disappearing tracks
- displaced leptons/jets
- displaced vertices

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35 / 58

Trigger selection

- LHC collisions in bunches of 10¹¹ protons, spaced 25ns
- typically ~2400 bunches / beam filled for ~3500 slots
- Two-level trigger system
 - hardware-based Level-1 \rightarrow 4µs decision time
 - software-based High-Level Trigger → 1s decision time
- Reduction from initial 40 MHz → 100 kHz (L1) → 1 kHz (HLT) writing out up to 10 Gb/s
- Newer developments target bandwidth optimisation
 - trigger-level analysis / data scouting
 - → analysis on online-quality objects
 - delayed stream / data parking
 - \rightarrow general storage for later offline reconstruction
 - partial event building
- If an event is not triggered and recorded, it's gone forever!





A step-by-step example: electroweak, multi-lepton, soft

https://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/PAPERS/SUSY-2019-09/

Eur. Phys. J. C (2021) 81:1118 https://doi.org/10.1140/epjc/s10052-021-09749-7 THE EUROPEAN PHYSICAL JOURNAL C

Regular Article - Experimental Physics

Search for chargino–neutralino pair production in final states with three leptons and missing transverse momentum in $\sqrt{s} = 13$ TeV *pp* collisions with the ATLAS detector

ATLAS Collaboration*

CERN, 1211 Geneva 23, Switzerland

Received: 7 June 2021 / Accepted: 12 October 2021 / Published online: 20 December 2021 © CERN for the benefit of the ATLAS collaboration 2021

Abstract A search for chargino-neutralino pair production in three-lepton final states with missing transverse momentum is presented. The study is based on a dataset of \sqrt{s} = 13 TeV pp collisions recorded with the ATLAS detector at the LHC, corresponding to an integrated luminosity of 139 fb⁻¹. No significant excess relative to the Standard Model predictions is found in data. The results are interpreted in simplified models of supersymmetry, and statistically combined with results from a previous ATLAS search for compressed spectra in two-lepton final states. Various scenarios for the production and decay of charginos $(\tilde{\chi}_1^{\pm})$ and neutralinos ($\tilde{\chi}_{2}^{0}$) are considered. For pure higgsino $\tilde{\chi}_{1}^{\pm} \tilde{\chi}_{2}^{0}$ pairproduction scenarios, exclusion limits at 95% confidence level are set on $\tilde{\chi}_2^0$ masses up to 210 GeV. Limits are also set for pure wino $\tilde{\chi}_1^{\pm} \tilde{\chi}_2^0$ pair production, on $\tilde{\chi}_2^0$ masses up to 640 GeV for decays via on-shell W and Z bosons, up to 300 GeV for decays via off-shell W and Z bosons, and up to 190 GeV for decays via W and Standard Model Higgs bosons

1 Introduction

Supersymmetry (SUSY) [1–6] postulates a symmetry between bosons and fermions, and predicts the existence of new partners for each Standard Model (SM) particle. This extension offers a solution to the hierarchy problem [7–11] and provides a candidate for dark matter as the lightest supersymmetric particle (LSP), which will be stable in the case of conserved *R*-parity [12].

This paper describes a search for direct production of charginos and neutralinos, mixtures of the SUSY partners of the electroweak gauge and Higgs (*h*) bosons, decaying to three charged leptons, and significant missing transverse momentum (\mathbf{p}_{Tits}^{mis} , of magnitude \mathcal{E}_{Tits}^{mis}). The search uses the full Run 2 dataset of proton–proton collisions recorded

*e-mail: atlas.publications@cern.ch

between 2015 and 2018 with the ATLAS detector at the CERN Large Hadron Collider (LHC). Protons were collided at centre-of-mass energy ζ_0 of 13 TeV and the dataset corresponds to an integrated luminosity of 139 hb⁻¹ [13]. Similar searches at the LHC have been reported by the ATLAS [14– 20] and CMS collaborations [21–27].

Previous results are extended by analysing the full ATLAS Run 2 dataset, improving the signal selection strategies - particularly for intermediately compressed mass spectra, and exploiting improved particle reconstruction performance. Significant gains in lepton identification and isolation performance follow from updates in the electron reconstruction as well as from the use of a novel multivariate discriminant [28]. Furthermore, the new results are statistically combined with a previous ATLAS search [18] targeting compressed mass spectra and two-lepton final states. Finally, the paper reports updated results for a previous ATLAS search which observed excesses of three-lepton events in the partial, 36 fb⁻¹, Run 2 dataset [15]. The original analysis using the Recursive Jigsaw Reconstruction (RJR) technique [29,30] is repeated using the full Run 2 dataset, and no significant excesses relative to the SM expectation are observed. A related follow-up search emulating the RJR technique with conventional laboratory-frame variables, also using the full Run 2 dataset, was published in Ref. [16]. The updated RJR results are not included in the combination with the new results, as they are not statistically independent and not competitive with the results of the new search optimised for the full Run 2 dataset. Section 2 introduces the target SUSY scenarios, while a

Section 2 introduces the target SUSY scenarios, while a bief overview of the ATLAS detective is presented in Sect. 3, followed by a description of the dataset and Monte Carlo simulation in Sect. 4. After a discussion of the event reconstruction and physics objects used in the analysis in Sects. 5, 6 covers: the general analysis strategy, including the definition of signal regions, background estimation techniques, and systematic uncertainties. This is followed by Sect. 7, with dealis specific to the on-shell WZ selection and the



Search for SUSY with (intermediately) compressed spectra (Run 2, 2020) → electroweak production, 3 soft leptons

- data-driven fake/non-prompt lepton background estimate
- soft-lepton performance is key
- interpretation for different scenarios: wino-bino / higgsino
- combination with soft-2 lepton results
- strong improvement over Run 1 / early Run 2, in some areas LHC limit not yet much beyond LEP results
- slight excess seen in dM = 10-20 GeV range

1) Targets

primary signature

- electroweakino pair-production
- 3 (soft-) lepton + missing ET final state

challenges

- high mass: lower cross section
- near Z-mass: kinematic restrictions
- compressed/soft range: soft-particle reconstruction & identification



m($\tilde{\chi}_1^{\pm}, \tilde{\chi}_2^0$) [GeV]

2a) signal selection - soft-lepton performance



Figure 2: The left panel shows the combined lepton selection efficiencies for the signal electron/muon requirements applied to the lowest- p_T lepton after selecting three baseline leptons in the off-shell WZ selection. The efficiencies are calculated using simulated samples of wino/bino (+) $\tilde{\chi}_1^{\pm}/\tilde{\chi}_2^0$ decays and shown as a function of the generated lepton p_T . The associated uncertainties represent the range of efficiencies observed across all signal samples used for the given p_T bin. The right panel illustrates the differential probability for a Z+jets event to be accompanied by a FNP lepton satisfying the signal lepton criteria, as a function of the FNP lepton p_T . This probability is measured using data events in a region with at least two signal leptons, with the other processes subtracted using the MC samples.

challenges

- reconstruction and identification down to pT~4.5/3 GeV for electrons/muons
- a challenge for trigger selection (use di-lepton & missing ET)
- lowest range affected by fake/non-prompt lepton background, mitigated by using
 - additional identification algorithm
 - data-driven fake lepton estimate



2b) signal selection - multiple categories

	Preselection requirements						
Variable	$SR_{lowE_{T}}^{offWZ}-0j$	SR ^{offWZ} _{lowĔ} −nj	SR ^{offWZ} highĔ _r -Øj	SR ^{offWZ} high _F -nj			
$n_{\rm lep}^{\rm baseline}, n_{\rm lep}^{\rm signal}$			= 3				
ⁿ SFOS			≥ 1				
$m_{\ell\ell}$ [GeV] $m_{\ell\ell}^{\min}$ [GeV]	< 75						
n _{b-jets}			= 0				
$\min \Delta R_{3\ell}$		>	> 0.4				
Resonance veto $m_{\ell\ell}^{\min}$ [GeV]		∉ [3, 3.2], ∉ [9, 12]		-			
Trigger	(multi-)lepton	((multi-)l	epton $ E_{\rm T}^{\rm miss}$)			
n ³⁰ GeV	= 0	≥ 1	= 0	≥ 1			
E ^{miss} _T [GeV]	< 50	< 200	> 50	> 200			
$E_{\rm T}^{\rm miss}$ significance	> 1.5	> 3.0	> 3.0	> 3.0			
$p_{\rm T}^{\ell_1}, p_{\rm T}^{\ell_2}, p_{\rm T}^{\ell_3}$ [GeV]		> 10		$> 4.5(3.0)$ for $e(\mu)$			
$ m_{3\ell} - m_Z $ [GeV]	$> 20 \ (\ell_{\rm W}$	= e only)		-			
min $\Delta R_{\rm SFOS}$	[0.6, 2.4] (t	$v_{\rm W} = e \text{ only}$		-			

Table 8: Summary of the preselection criteria applied in the SRs of the off-shell *WZ* selection. In rows where only one value is given it applies to all regions. '-' indicates no requirement is applied for a given variable/region.

features

- different expected dominant SM backgrounds
- different trigger handles
- different selection (S/B) handles

+ each further binned in di-lepton invariant mass mll to target range of SUSY signals (sparticle masses)

2c) signal selection - observables



Figure 6: Distributions of (left) $m_{\ell\ell}^{\min}$ and (right) m_{T2}^{100} showing the expected SM background as well as signals with various mass splittings $\Delta m(\tilde{\chi}_2^0, \tilde{\chi}_1^0) (m(\tilde{\chi}_1^{\pm}) = m(\tilde{\chi}_2^0) = 200 \text{ GeV})$, for a selection of exactly three baseline and signal leptons. The distributions are normalised to unity. Signals demonstrate a cut-off in both variables matching the mass splitting, while backgrounds do not. The dominant background in this selection is WZ, with the Z-boson mass peak visible in both distributions.

features

- exploit e.g. invariant mass or transverse mass to distinguish signal and background contributions
- can also distinguish between different signal mass hypothesis

2) Background estimation - Monte Carlo simulation

Table 1: Monte Carlo simulation details by physics process. The table lists the event generators used for ME and PS calculations, the accuracy of the ME calculation, the PDF sets and UE parameter tunes used, and the order in α_s of cross-section calculations used for yield normalisation ('-' if the cross section is taken directly from MC simulation).

Process	Event generator	ME accuracy	ME PDF set	Cross-section
				normalisation
$\tilde{\chi}_1^{\pm} \tilde{\chi}_2^0$	MadGraph 2.6 [77]	0,1,2j@LO ³	NNPDF2.3lo [78]	NLO+NLL [79-84] ³
Diboson [85]	Sherpa 2.2.2 [86]	0, 1j@NLO + 2,3j@LO	NNPDF3.0nlo [87]	-
Triboson [85]	Sherpa 2.2.2	0j@NLO + 1,2j@LO	NNPDF3.0nlo	-
Triboson (alternative) [85]	Sherpa 2.2.1	0,1j@LO	NNPDF2.3lo	
Z+jets [88]	Sherpa 2.2.1	0,1,2j@NLO + 3,4j@LO	NNPDF3.0nlo	NNLO [89] ³
tī [90]	Powheg Box 2 [91-93]	NLO	NNPDF3.0nlo	NNLO+NNLL [94-100] ³
tW [101]	Powheg Box 2	NLO	NNPDF3.0nlo	NLO+NNLL [102, 103]
single-t (t-channel [104], s-channel [105])	Powheg Box 2	NLO	NNPDF3.0nlo	NLO [106, 107]
tīh [108]	Powheg Box 2	NLO	NNPDF3.0nlo	NLO [109]
$t\bar{t}V, tZ, tWZ$	MADGRAPH5_aMC@NLO 2.3	NLO	NNPDF3.0nlo	-
$t\bar{t}\ell\ell \ (t \to Wb + (\gamma^*/Z \to \ell\ell)) \ [110]$	MADGRAPH5_aMC@NLO 2.3	LO	NNPDF2.31o	-
<i>tī</i> VV, 3-top, 4-top	MADGRAPH5_aMC@NLO 2.2	LO	NNPDF2.3lo	-
Higgs (ggF)	Powheg Box 2	NNLO+NNLL	NNPDF3.0nlo	NNNLO+NLO(EWK) [109, 111-116] 3
Higgs (VBF)	Powheg Box 2	NLO+NNLL	NNPDF3.0nlo	NNLO+NLO(EWK) [109, 117-119]
Higgs (Vh)	Powheg Box 2	NLO	NNPDF3.0nlo	NNLO+NLO(EWK) [109]
Process	PS and	PS PDF set	UE tune	
	hadronisation			
$\tilde{\chi}_1^{\pm} \tilde{\chi}_2^0$	Рутніа 8.2 [120]	NNPDF2.3lo	A14 [121]	
Diboson, triboson, Z+jets	Sherpa 2.2.2	default Sherpa [122]	default Sherpa	
Triboson (alternative)	Sherpa 2.2.1	default Sherpa	default SHERPA	
tī, tW, single-t, tīh	Pythia 8.2	NNPDF2.3lo	A14	
$t\bar{t}V, tZ, tWZ, t\bar{t}\ell\ell$	Pythia 8.2	NNPDF2.3lo	A14	
<i>tī VV</i> , 3-top, 4-top	Pythia 8.1	NNPDF2.3lo	A14	
Higgs (ggF, VBF, Vh)	Pythia 8.2	CTEQ6L1 [123]	AZNLO [124]	

Dominant backgrounds

SM diboson WZ production	→ CR/VR
--------------------------	---------

- Fake/non-prompt leptons
- ttbar, Z+jets, W+jets
- triboson, rare-top, Higgs, ...

→ data-driven

→ MC/VR

→ MC

2a) Background estimation - (semi-)data-driven estimates



Figure 7: Example kinematic distributions after the background-only fit, showing the data and the post-fit expected background, in regions of the off-shell *WZ* selection. The figure shows (top left) the $m_{\ell\ell}^{\rm min}$ distribution in CRWZ_{0j}^{offWZ}, (top right) the $|\mathbf{p}_{T}^{\rm lep}|/E_{T}^{\rm miss}$ distribution in VRWZ_{0j}^{offWZ}, bottom left) the $E_{T}^{\rm miss}$ distribution in VRTt^{offWZ}, and (bottom right) the $m_{\ell\ell}^{\rm min}$ distribution in VRFF_{0j}^{offWZ}. The last bin includes overflow. The 'Others' category contains backgrounds from single-top, *WW*, triboson, Higgs and rare top processes. The bottom panel shows the ratio of the observed data to the predicted yields. The hatched bands indicate the combined theoretical, experimental, and MC statistical uncertainties. The slope change in the bottom left $E_{T}^{\rm miss}$ distribution illustrates the selection extension with $E_{T}^{\rm miss}$ triggered events, which start contributing at $E_{T}^{\rm miss} \gtrsim 200$ GeV.

In many cases

use MC & normalise to data

- CR+VR control & validation approach
- normalisation factors can be added in combined statistical interpretation

or e.g. when MC is less reliable / low statistics

fully data-driven estimate

- dedicated measurement selection
- transfer to VR/SR estimate

3) Systematical uncertainties



Figure 9: Breakdown of the total systematic uncertainties in the background prediction for the SRs of the off-shell WZ selection.

Uncertainties

- statistical uncertainties
- experimental uncertainties
 → object reconstruction, identification, ...
- theoretical uncertainties
 → MC modelling: matrix element, parton shower
- analysis method uncertainties
 - → background normalisation
 - \rightarrow data-driven fake lepton estimate
- → uncertainties can be correlated!
- → not all are equally important in all ranges
- → some are inherent, some can be improved using the right analysis techniques

2+3) Before "unblinding"



Figure 8: Comparison of the observed data and expected SM background yields in the CRs and VRs of the off-shell *WZ* selection. The SM prediction is taken from the background-only fit. The 'Others' category contains the single-top, *WW*, triboson, Higgs and rare top processes. The hatched band indicates the combined theoretical, experimental, and MC statistical uncertainties. The bottom panel shows the significance of the difference between the observed and expected yields, calculated with the profile likelihood method from Ref. [169], adding a minus sign if the yield is below the prediction.

Before opening the box

- all estimates, validation, and uncertainty checks done before looking at the actual data in the target region
- behaviour of statistical interpretation aka. the "fit", also validated with the background-only hypothesis

4) Results



Figure 12: Comparison of the observed data and expected SM background yields in the SRs of the off-shell WZ selection. The SM prediction is taken from the background-only fit. The 'Others' category contains the single-top, WW, triboson, Higgs and rare top processes. The hatched band indicates the combined theoretical, experimental, and MC statistical uncertainties. Distributions for wino/bino (+) $\tilde{\chi}_1^{\pm} \tilde{\chi}_2^0 \rightarrow W^* Z^*$ signals are overlaid, with mass values given as $(m(\tilde{\chi}_1^{\pm}), m(\tilde{\chi}_1^0))$ GeV. The bottom panel shows the significance of the difference between the observed and expected yields, calculated with the profile likelihood method from Ref. [169], adding a minus sign if the yield is below the prediction.

"Unblinding" the target signal regions

- look at actual observed data yields in target signal regions
- verify compatibility with background-only hypothesis

4a) Results - model-dependent → limits on SUSY models



Also compare with signal+background hypothesis for specific signal models

- if no excess → set limits on the tested model
- various assumptions included in interpretation: cross sections, branching fractions, SUSY particle mass hierarchy, ...
- multiple interpretations can be done with the same search data
- including later re-interpretations!
 → provide additional info (e.g. acceptance and efficiency numbers) for theorists

4b) Results - model-independent

Table 19: Observed (N_{obs}) yields after the discovery fit and expected (N_{exp}) after the background-only fit, for the inclusive SRs of the off-shell WZ selection. The third and fourth columns list the 95% CL upper limits on the visible cross section (σ_{vis}^{95}) and on the number of signal events (S_{obs}^{95}) . The fifth column (S_{exp}^{95}) shows the 95% CL upper limit on the number of signal events (and $\pm 1\sigma$ excursions of the expectation) of background events. The last two columns indicate the CL_b value, i.e. the confidence level observed for the background-only hypothesis, and the discovery *p*-value (p(*s* = 0)). If the observed yield is below the expected yield, the *p*-value is capped at 0.5.

SR	Nobs	$N_{\rm exp}$	$\sigma_{\rm vis}^{95}$ [fb]	$S_{\rm obs}^{95}$	$S_{\rm exp}^{95}$	CLb	p(s=0)(Z)
incSR ^{offWZ} -nja	3	6.0 ± 1.6	0.03	4.6	$6.3^{+2.4}_{-2.0}$	0.16	0.50 (0.00)
incSR ^{offWZ} njb	2	1.4 ± 0.6	0.03	4.8	$4.0^{+1.6}_{-0.7}$	0.71	0.30 (0.53)
incSR ^{offWZ} -njc1	7	9.5 ± 2.2	0.05	7.0	$8.4^{+2.9}_{-2.2}$	0.28	0.50 (0.00)
incSR ^{offWZ} _highEnjc2	2	2.1 ± 0.8	0.03	4.7	$4.6^{+1.8}_{-1.1}$	0.52	0.50 (0.00)
incSR ^{offWZ} -b	31	36 ± 4	0.09	12	15_{-4}^{+6}	0.25	0.50 (0.00)
incSR _{highE} -b	3	3.0 ± 0.9	0.04	5.4	$5.2^{+2.0}_{-1.3}$	0.53	0.50 (0.00)
incSR ^{offWZ} -c	86	88 ± 7	0.17	23	24^{+9}_{-7}	0.44	0.50 (0.00)
incSR _{highE} -c	9	9.3 ± 1.5	0.06	7.7	$7.7^{+3.4}_{-1.8}$	0.50	0.50 (0.00)
incSR ^{offWZ} -d	202	184 ± 12	0.37	51	37^{+14}_{-11}	0.84	0.16 (0.99)
incSR ^{offWZ} -e1	332	308 ± 17	0.49	68	49^{+19}_{-15}	0.84	0.16 (1.00)
incSR ^{offWZ} -e2	298	269 ± 15	0.50	69	46^{+17}_{-14}	0.90	0.10 (1.29)
incSR ^{offWZ} -f1	479	457 ± 22	0.56	78	63^{+22}_{-20}	0.77	0.23 (0.75)
incSR ^{offWZ} -f2	277	272 ± 13	0.33	46	42^{+17}_{-12}	0.60	0.37 (0.34)
incSR ^{offWZ} -g1	620	593 ± 28	0.69	96	74^{+29}_{-22}	0.77	0.21 (0.79)
incSR ^{offWZ} -g2	418	408 ± 20	0.46	64	57^{+23}_{-15}	0.65	0.32 (0.47)
incSR ^{offWZ} -g3	288	285 ± 16	0.35	48	47^{+19}_{-12}	0.55	0.38 (0.30)
incSR ^{offWZ} -g4	141	136 ± 10	0.25	35	31^{+13}_{-8}	0.64	0.35 (0.39)

Beyond results for a specific model, we can also test for the presence of any general BSM signal

- limits on the cross section
- often in more generalized (combinations) of signal regions, given optimisation for specific signal features

4b) Results - combination with other results



Figure 15: Illustration of the selections considered for the combined result for each scenario, dependent on Δm .

Maximise sensitivity combining results

- soft 3-lepton and even softer 2-lepton results provide sensitivity in compatible range
- (expected) reach for combination has to be stronger than individual results!







We looked at 1 complete step-by-step example of a search for

electroweak production of supersymmetry with compressed spectra

For those who are curious, I point to 4 slightly different types of searches/studies

- example 2: strong production
- example 3: long lived particles
- example 4: statistical combination
- example 5: global interpretation

Example 2: Strong

Example 3: Long-Lived particles \rightarrow Displaced Leptons

https://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/CONFNOTES/ATLAS-CONF-2024-011/ https://cms-results.web.cern.ch/cms-results/public-results/publications/EXO-23-0







Search for displaced leptons

- first ATLAS SUSY result with Run 2 + Run 3 data
- fully data-driven background estimation (low background target regions)
- dual approach
 - o new large-radius track triggers for Run 3
 - \rightarrow gain from new data also with original analysis method
 - new analysis approach using calorimeter timing information
 further gain from new methods



Run: 438252 Event: 1133906165 2022-10-28 17:51:31 CEST



Example 4: Electroweak Combination

https://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/PAPERS/SUSY-2020-05/

<u>https://cms-results.web.cern.ch/cms-results/public-results/publications/SUS-21-00</u>





Statistical combination of Run 2 searches for charginos and neutralinos

- joining results from multiple searches for Electroweak SUSY, done by both ATLAS and CMS
- extending the mass reach, and strengthening the depth of exclusion
- reminder to always think carefully about analysis harmonisation and treatment of systematics

SUSY models in practice

"Full" models → mSUGRA, GMSB, AMSB, ...

- SUSY breaking sector at higher energy scale & no degenerate spectrum at a lower scale (e.g. electroweak scale)
- Impossible to search for if we can't reach the energy

Generalised models → pMSSM, general gauge mediated model (GGM), ...

- Consider only the mass spectrum and parameters relevant at the electroweak scale
- Still complex and impractical to search for

Simplified models

- Consider a minimal set of parameters, usually particle masses and cross sections
- Target specific decays via 100% branching fraction models

30 / 30

Global interpretation (of Run 2 results)

in the context of the 19-parameter phenomenological minimal supersymmetric standard model, where R-parity conservation is assumed

and the lightest supersymmetric particle is assumed to be the lightest neutralino

→ example in next slide

Example 5: pMSSM scan

https://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/PAPERS/SUSY-2020-15/

https://indico.cern.ch/event/1291157/contributions/5887902/



Global interpretation of Run 2 results, in the context of the 19-parameter pMSSM

- joining results from multiple searches for Electroweak SUSY, done by both ATLAS and CMS
- compare ATLAS & CMS impact in addition to external constraints as well

ATLAS SUSY Searches* - 95% CL Lower Limits

ATLAS Preliminary - 10 ToV

00	119 2024						$\sqrt{s} = 13$ lev
	Model	Signatur	e ∫£dt	[fb ⁻¹	Mass limit		Reference
ş	$\tilde{q}\tilde{q},\tilde{q}{ ightarrow}q\tilde{\chi}_{1}^{0}$	0 e, µ 2-6 jets mono-jet 1-3 jets	E_T^{miss} 14 E_T^{miss} 14	10 10	\widetilde{q} [1×, 8× Degen.] \widetilde{q} [8× Degen.]	.0 1.85 m(τ̃ ₁) <400 GeV m(∂)-m(τ̃ ₁)=5 GeV	2010.14293 2102.10874
arche	$\tilde{g}\tilde{g}, \tilde{g} \rightarrow q \bar{q} \tilde{\chi}_1^0$	0 <i>e</i> , <i>µ</i> 2-6 jets	E_T^{miss} 14	0	ğ ğ Forbide	2.3 m($\tilde{\chi}_1^0$)=0 GeV en 1.15-1.95 m($\tilde{\chi}_1^0$)=1000 GeV	2010.14293 2010.14293
clusive Sea	$\begin{array}{l} \tilde{g}\tilde{g}, \; \tilde{g} \rightarrow q \bar{q} W \tilde{\chi}_{1}^{0} \\ \tilde{g}\tilde{g}, \; \tilde{g} \rightarrow q \bar{q} (\ell \ell) \tilde{\chi}_{1}^{0} \\ \tilde{g}\tilde{g}, \; \tilde{g} \rightarrow q q W Z \tilde{\chi}_{1}^{0} \end{array}$	$\begin{array}{ccc} 1 \ e, \mu & 2\text{-}6 \ \text{jets} \\ ee, \mu\mu & 2 \ \text{jets} \\ 0 \ e, \mu & 7\text{-}11 \ \text{jets} \\ \text{SS} \ e, \mu & 6 \ \text{jets} \end{array}$	$E_T^{\text{miss}} = 14$ $E_T^{\text{miss}} = 14$ $E_T^{\text{miss}} = 14$ 14	40 40 40 40	8 8 8 8 8 8	2.2 m(i ²)-560 GeV 2.2 m(i ²)<700 GeV 1.97 m(i ²)<600 GeV 1.15 m(i ²)<600 GeV	2101.01629 2204.13072 2008.06032 2307.01094
Inc	$\tilde{g}\tilde{g}, \; \tilde{g} \rightarrow t \bar{t} \tilde{\chi}_1^0$	0-1 <i>e</i> , μ 3 <i>b</i> SS <i>e</i> , μ 6 jets	E_T^{miss} 14	40 40	ĝ ĝ	$\begin{array}{ccc} \textbf{2.45} & m(\tilde{\chi}_{1}^{0}) {<} 500 \ \text{GeV} \\ \textbf{1.25} & m(\tilde{\chi}_{1}) {=} 300 \ \text{GeV} \end{array}$	2211.08028 1909.08457
	$\tilde{b}_1 \tilde{b}_1$	0 <i>e</i> , <i>µ</i> 2 <i>b</i>	$E_T^{\rm miss}$ 14	0	${ar b_1} {ar b_1}$ 0.68	1.255 m(τ̃ ₁)<400 GeV 10 GeV<Δm(b, τ̃ ₁)<20 GeV	2101.12527 2101.12527
tion	$\tilde{b}_1\tilde{b}_1,\tilde{b}_1{\rightarrow}b\tilde{\chi}^0_2{\rightarrow}bh\tilde{\chi}^0_1$	$\begin{array}{ccc} 0 \ e, \mu & 6 \ b \\ 2 \ \tau & 2 \ b \end{array}$	$E_T^{miss} = 14$ $E_T^{miss} = 14$	0	b Forbidden 0.13-0.85	0.23-1.35 $\Delta m(\tilde{\chi}_2^0, \tilde{\chi}_1^0) = 130 \text{ GeV}, m(\tilde{\chi}_1^0) = 100 \text{ GeV} \\ \Delta m(\tilde{\chi}_2^0, \tilde{\chi}_1^0) = 130 \text{ GeV}, m(\tilde{\chi}_1^0) = 0 \text{ GeV}$	1908.03122 2103.08189
3 ^m gen. squa direct product	$\begin{array}{l} \tilde{h}_{1}\tilde{h}_{1}, \tilde{h}_{1} \rightarrow k_{1}^{0} \\ \tilde{h}_{1}\tilde{h}_{1}, \tilde{h}_{1} \rightarrow k_{1}^{0} \\ \tilde{h}_{1}\tilde{h}_{1}, \tilde{h}_{1} \rightarrow \tilde{r}_{1}bv, \tilde{r}_{1} \rightarrow \tau \tilde{G} \\ \tilde{h}_{1}\tilde{h}_{1}, \tilde{h}_{1} \rightarrow c k_{1}^{0} / \tilde{c}\tilde{c}, \tilde{c} \rightarrow c \tilde{k}_{1}^{0} \\ \tilde{h}_{1}\tilde{h}_{1}, \tilde{h}_{1} \rightarrow c k_{2}^{0}, \tilde{k}_{2}^{0} \rightarrow Z / h \tilde{k}_{1}^{0} \\ \tilde{h}_{2}\tilde{h}_{2}, \tilde{h}_{2} \rightarrow 1 + Z \end{array}$	$\begin{array}{lll} 0{-}1 \ e,\mu & \geq 1 \ {\rm jet} \\ 1 \ e,\mu & 3 \ {\rm jets}/1 \ b \\ 1{-}2 \ \tau & 2 \ {\rm jets}/1 \ b \\ 0 \ e,\mu & 2 \ c \\ 0 \ e,\mu & {\rm mono-jet} \\ 1{-}2 \ e,\mu & 1{-}4 \ b \\ 3 \ e,\mu & 1 \ b \end{array}$	$\begin{array}{cccc} E_T^{\rm miss} & 14\\ E_T^{\rm miss} & 14\\ E_T^{\rm miss} & 14\\ E_T^{\rm miss} & 14\\ E_T^{\rm miss} & 36\\ E_T^{\rm miss} & 14\\ E_T^{\rm miss} & 14\\ \end{array}$	HO HO LO LO HO HO	Ĩi Farbidden Ĩi Farbidden Ĩi Forbidden Ĩi 0.55 Ĩi 0.55 Ĩi 0.60 Ĩi 0.88	1.25 m(i ⁰ ₁)=1 GeV 1.05 m(i ⁰ ₁)=500 GeV 1.4 m(i ¹ ₁)=60 GeV m(i ⁰ ₁)=0 GeV m(i ⁰ ₁)=0 GeV m(i ⁰ ₁)=10 GeV m(i ⁰ ₁)=500 GeV 67-1.18 m(i ⁰ ₁)=360 GeV, m(i ⁰ ₁)m(i ⁰ ₁)=40 GeV	2004.14060, 2012.03799 2012.03799, 2401.13430 2108.07665 1805.01649 2102.10874 2006.05880 2006.05880
	${ ilde \chi}_1^{\pm} { ilde \chi}_2^0$ via WZ	Multiple ℓ /jets $ee, \mu\mu \ge 1$ jet	E ^{miss} 14 E ^{miss} 14	0	$\tilde{\chi}_{1}^{\pm}/\tilde{\chi}_{2}^{0}$ 0.5 $\tilde{\chi}_{1}^{\pm}/\tilde{\chi}_{2}^{0}$ 0.205	6 $m(\tilde{\chi}_{1}^{0})=0, \text{ wino-bino}$ $m(\tilde{\chi}_{1}^{+})-m(\tilde{\chi}_{1}^{+})=5 \text{ GeV, wino-bino}$	2106.01676, 2108.07586 1911.12606
EW direct	$\tilde{X}_{1}^{\dagger}\tilde{X}_{1}^{\dagger}$ via WW $\tilde{X}_{1}^{\dagger}\tilde{X}_{2}^{\dagger}$ via Wh $\tilde{X}_{1}^{\dagger}\tilde{X}_{1}^{\dagger}$ via \tilde{L}_{L}/\tilde{v} $\tilde{\tau}_{1,\pi}^{\dagger}\tilde{\tau}_{-\tau}\tilde{\tau}_{1}^{\dagger}$ $\tilde{\ell}_{1,\pi}\tilde{K}_{1,\pi}\tilde{L}_{-\pi}\tilde{L}^{\dagger}$ $\tilde{H}\tilde{H}, \tilde{H} \rightarrow h\tilde{G}/Z\tilde{G}$	$\begin{array}{llllllllllllllllllllllllllllllllllll$	$E_T^{miss} = 14 \\ E_T^{miss} = 14 \\ E_T^{miss}$		λ ¹ 0.42 λ ² ₁ /k ² ₂ Forbidden λ ² ₁ 0.35 0.5 ζ Γ 0.26 0.7 μ 0.96 0.9	$ \begin{array}{c} \mathfrak{m}(\tilde{t}_{1}^{0})=0, \mbox{ wino-bino}\\ \mathfrak{m}(\tilde{t}_{1}^{0})=70 \mbox{ GeV} \mbox{ wino-bino}\\ \mathfrak{m}(\tilde{t}_{1}^{0})=70 \mbox{ GeV} \mbox{ wino-bino}\\ \mathfrak{m}(\tilde{t}_{1}^{0})=0.5(\mathfrak{m}(\tilde{t}_{1}^{0})+\mathfrak{m}(\tilde{t}_{1}^{0}))\\ \mathfrak{m}(\tilde{t}_{1}^{0})=0\\ \mathfrak{m}(\tilde{t}_{1}^{0})=\mathfrak{m}(\tilde{t}_{1}^{0})=10 \mbox{ GeV}\\ \mathfrak{m}(\tilde{t}_{1}^{0})=10 \mbox{ GeV} \end{array} $	1908.08215 2004.10894,2108.07586 1908.08215 2402.00603 1908.08215 1911.12606 2401.14922
		$\begin{array}{ll} 4 \ e, \mu & 0 \ {\rm jets} \\ 0 \ e, \mu & \geq 2 \ {\rm large \ jets} \\ 2 \ e, \mu & \geq 2 \ {\rm jets} \end{array}$	$E_T^{\text{fmiss}} = 14$ ts $E_T^{\text{fmiss}} = 14$ $E_T^{\text{miss}} = 14$	40 40 40	μ 0.55 μ 0.45-0.93 μ 0.77	$\begin{array}{c} BR(\tilde{k}^0_h \to Z\tilde{G}) = 1\\ BR(\tilde{k}^0_h \to Z\tilde{G}) = 1\\ BR(\tilde{k}^0_h \to Z\tilde{G}) = BR(\tilde{k}^0_h \to h\tilde{G}) = 0.5 \end{array}$	2103.11684 2108.07586 2204.13072
De s	$\operatorname{Direct} \tilde{\chi}_1^+ \tilde{\chi}_1^-$ prod., long-lived $\tilde{\chi}_1^\pm$	Disapp. trk 1 jet	E_T^{miss} 14	10	$\tilde{\chi}_1^{\pm}$ 0.66 $\tilde{\chi}_1^{\pm}$ 0.21	Pure Wino Pure higgsino	2201.02472 2201.02472
Long-live particles	Stable \tilde{g} R-hadron Metastable \tilde{g} R-hadron, $\tilde{g} \rightarrow qq \tilde{\tilde{\chi}}_{1}^{0}$ $\tilde{\ell}\tilde{\ell}, \tilde{\ell} \rightarrow \ell \tilde{G}$	pixel dE/dx pixel dE/dx Displ. lep pixel dE/dx	$E_T^{\text{miss}} = 14$ $E_T^{\text{miss}} = 14$ $E_T^{\text{miss}} = 14$ $E_T^{\text{miss}} = 14$	40 40 40	$\vec{x} = \vec{x} = \vec{x}$ $\vec{r}, \vec{\mu} = \vec{v} = \vec{v}$ $\vec{\tau} = \vec{v} = \vec{v}$ $\vec{\tau} = \vec{v}$ $\vec{v} = $	2.05 $\pi(\tilde{r}_{1}^{0}) = 100 \text{ GeV}$ 2.2 $\pi(\tilde{r}_{2}^{0}) = 0.1 \text{ ns}$ $\pi(\tilde{r}) = 0.1 \text{ ns}$ $\pi(\tilde{r}) = 0.1 \text{ ns}$ $\pi(\tilde{r}) = 10 \text{ ns}$	2205.06013 2205.06013 ATLAS-CONF-2024-011 ATLAS-CONF-2024-011 2205.06013
RPV	$\begin{split} \tilde{\chi}_{1}^{+}\tilde{\chi}_{1}^{T}/\tilde{\chi}_{1}^{0}, \tilde{\chi}_{1}^{+} \rightarrow \mathcal{I} \rightarrow \ell\ell\ell\ell \\ \tilde{\chi}_{1}^{+}\tilde{\chi}_{1}^{T}/\tilde{\chi}_{2}^{0} \rightarrow WWZI\ell\ell\ell\nu \\ \tilde{g}_{2}, \tilde{g}_{-}qq\xi_{1}^{0}, \tilde{\chi}_{1}^{0} \rightarrow qqq \\ \tilde{n}, \tilde{n}, \rightarrow \tilde{n}, \tilde{\chi}_{1}^{0} \rightarrow hs \\ \tilde{n}, \tilde{n}, \rightarrow \tilde{n}, \tilde{\chi}_{1}^{0} \rightarrow hs \\ \tilde{n}, \tilde{n}, \tilde{n}, \tilde{n} \rightarrow \delta \\ \tilde{n}, \tilde{n}, \tilde{n}, \tilde{n} \rightarrow \delta \\ \tilde{n}, \tilde{n}, \tilde{n}, \eta \rightarrow \delta \\ \tilde{\chi}_{1}^{+}/\tilde{\mu}, \tilde{\chi}_{1}^{0} \rightarrow \delta \\ \tilde{\chi}_{1}^{+}\tilde{\mu}, \tilde{\chi}_{1}^{0} \rightarrow \delta \\ \tilde{\chi}_{1}^{+}\tilde{\chi}_{1}^{0} \rightarrow \delta \\ \tilde{\chi}_{1}^{0} \rightarrow \delta \\ \tilde{\chi}_{1$	$\begin{array}{ccc} 3 \ e, \mu \\ 4 \ e, \mu & 0 \ \text{jets} \\ \geq 6 \ \text{jets} \\ Multiple \\ \geq 4b \\ 2 \ \text{jets} + 2b \\ 1 \ \mu & \text{DV} \\ 1 \ 2e \ \mu & \geq 6 \ \text{lets} \\ \end{cases}$	E _T ^{miss} 14 14 36 14 9 36 14 14 13	40 40 40 40 40 40 86	$\hat{k}_{11}^{+}/\hat{k}_{21}^{+} = [BR Z_{71}=1. BR Z_{82}=1]$ 0.625 $\hat{k}_{11}^{+}/\hat{k}_{21}^{-} = [A_{12} \neq 0, A_{122} \neq 0]$ 0.9 $\hat{k}_{11}^{-}(h\hat{k}_{21}^{+})=50 \text{ GeV}, 1250 \text{ GeV}]$ 0.55 $\hat{i} = [A_{223}=2-4, A_{1}=2]$ 0.55 $\hat{i} = [A_{223}=2-4, A_{1}=2]$ 0.55 $\hat{i} = [A_{223}=2-4, A_{1}=2]$ 0.55 $\hat{i} = [A_{223}=2-4, A_{1}=2]$ 0.51 $\hat{i} = [A_{123}=2-4, A_{123}=2, A_{123}=0]$ 0.20 0.21	1.05 Pure Wino 5 1.55 m(t_1^n)=200 GeV 1.6 2.34 Large J'' ₁₁ 1.05 m(t_1^n)=200 GeV, bin-like m(t_1^n)=500 GeV 5 m(t_1^n)=500 GeV m(t_1^n)=500 GeV 1.0 0.4-1.85 BR(t_1-dp)=20%, costh=1 9µre Mension Pµre Mension	2011.10543 2103.11684 2401.16333 ATLAS-CONF-2018-003 2010.01015 1710.07171 2406.18367 2003.11966 2106.0609
Only	a selection of the available ma	iss limits on new state	is or	10	-1	1 Mass scale ITeVI	2100.0000

Mass scale [lev]

In summary

We've studied

- the main problems in nature for which supersymmetry can provide answers
- the main features the we could search for in experiments
- the challenges in constructing a model and searching for it, and exceptions to some rules

and we've looked at a specific example of how to execute such search at the LHC

This illustrates the continuing motivation to keep searching for BSM physics at collider experiments

- supersymmetry is a beautiful theory, but als a beautiful framework to organise searches in general
- BSM physics is out there find, we won't find it without looking, and even if we find hints of it, it'll be a long road ahead to characterise the details

Go forth and have fun searching!

