Dark Hypercharge Symmetry

Rahul Srivastava Indian Institute of Science Education and Research - Bhopal Bhopal, India Email: rahul@iiserb.ac.in

Work Done in Collaboration with Hemant Prajapati, Anirban Majumdar, Dimitrios K. Papoulias

PPC - 2024 IIT - Hyderabad, Hyderabad 17th October 2024

同 ▶ ィヨ ▶ ィヨ ▶ │

∍

 Ω

1 [Introduction](#page-2-0)

- 2 [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)
- 3 $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- ⁶ [The Dark Sector](#page-31-0)
- 7 [Constraining Light](#page-35-0) Z'

 $AP + 4B + 4B + 1B$ QQ

1 [Introduction](#page-2-0)

- ² [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)
- (3) $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- **[The Dark Sector](#page-31-0)**
- 7 [Constraining Light](#page-35-0) Z'

[Conclusion](#page-43-0)

K 御 ▶ K 君 ▶ K 君 ▶ ...

 2990

∍

- Despite its many successes, Standard Model (SM) is an incomplete theory
- New physics Beyond Standard Model (BSM) is needed to explain Neutrino mass and mixing, Dark Matter, Matter - Antimatter Asymmetry, Vacuum Stability, Hierarchy Problem etc
- \bullet $U(1)_X$ gauge theories are one of the simplest extensions of SM
- They naturally occur in many popular BSM extensions e.g. GUTs, Left-Right Symmetry etc
- In recent times there is a growing interest in using $U(1)_X$ symmetries to explain various phenomenon
- In addition to its simplicity $U(1)_X$ theories are highly predictive: Gauge charges of SM and BSM fermions can be fixed by anomaly cancellation conditions

イロン イ何ン イヨン イヨン・ヨー

 QQ

- Anomalies: Whenever a symmetry of the classical theory which does not survive to the quantum theory
- Anomalies can potentially occur whenever a classically invariant field theory with a continuous symmetry is quantized
- Historically they were first discovered in context of $\pi^0 \to \gamma \gamma$ decay 1
- Especially for gauge symmetries presence of anomalies can have serious consequences and can make the theory nonunitary and nonrenormalizable.
- Thus any gauge theory should always be anomaly free.
- A pure gauge theories with no "matter fields" or a gauge theory with only scalar matter fields is always anomaly free
- However one has to be careful when the gauge theory also has fermionic matter fields like SM

 QQ

¹S. L. Adler, Phys. Rev. 177 (5), 2426–2438 (1969); J. S. Bell, R. Jackiw, Nuovo Cimento A. 60 (1): 47–61 (1969) ロメメ 御き メミメメ ミメー 毛

Triangle Diagrams

• The "gauge anomalies" in field theory are induced by the triangle diagrams

- For a gauge theory to be anomaly free, the total contribution of all such diagrams must vanish
- For theories with multiple gauge symmetries such as SM: All triangle diagrams with odd number of non-abelian gauge bosons attached to the vertices vanish
- Thus, one has to worry about anomaly only when the theory also has abelian $U(1)$ gauge symmetries like the [ca](#page-4-0)s[e](#page-6-0) [of](#page-4-0) [S](#page-5-0)[M](#page-6-0)

 2990

[Introduction](#page-2-0)

² [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)

- (3) $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- **[The Dark Sector](#page-31-0)**
- 7 [Constraining Light](#page-35-0) Z'

[Conclusion](#page-43-0)

K 御 ▶ K 君 ▶ K 君 ▶ ...

 2990

E.

Anomalies in Standard Model

- SM is a theory with:
	- An abelian gauge symmetry $U(1)_Y$
	- Its fermions are also "chiral" i.e. the left and right counterpart fields do not have same charge under both $SU(2)_L$ and $U(1)_Y$
	- SM can be potentially anomalous
- All anomalies must be cancelled for SM to be a unitary and renormalizable field theory
- The complete set of anomaly cancellation conditions for SM are:

$$
[SU(3)_C]^2 U(1)_Y = \sum_i Y_{Q^i} - \sum_j Y_{q^j}, \qquad (1a)
$$

$$
[SU(2)_L]^2 U(1)_Y = \sum_i Y_{L^i} + 3 \sum_j Y_{Q^j}, \qquad (1b)
$$

$$
[U(1)_Y]^3 = \sum_{i,j} (Y_{L^i}^3 + 3Y_{Q^j}^3) - \sum_{i,j} (Y_{l^i}^3 + 3Y_{q^j}^3), \qquad \text{(1c)}
$$

$$
[G]^2 U(1)_Y = \sum_{i,j} (Y_{L^i} + 3Y_{Q^j}) - \sum_{i,j} (Y_{I^i} + 3Y_{Q^j}).
$$
 (1d)

(何) (ヨ) (ヨ)

 2990 Georgia

Anomaly Cancellation in SM: Uniqueness of Hypercharge One Generation Case

- Let's first consider only one generation of SM fermions
- For SM to be anomaly free the $U(1)_Y$ charges of SM fermions should be such that all anomalies cancel
- Canonical SM hypercharge assignment for fermions is

$$
\begin{array}{|c|c|c|c|c|c|}\n\hline\nQ & u_{\scriptscriptstyle \rm R} & d_{\scriptscriptstyle \rm R} & L & e_{\scriptscriptstyle \rm R} & \Phi \\
\hline\n\frac{Y}{3} & \frac{4Y}{3} & \frac{-2Y}{3} & -Y & -2Y & Y \\
\hline\n\end{array}
$$

- One can check explicitly that it cancels all the anomalies.
- The usual choice for Y is either $Y = 1$ or $Y = 1/2$ depending on how you defined relation between hypercharge (Y) and electric charge (Q)
	- If you define $Q = T_3 + Y/2$; T_3 being the third component of $SU(2)_L$, then $Y = 1$
	- If you define $Q = T_3 + Y$, then $Y = 1/2$
- Is this hypercharge assignment unique?
- NO!

 $AB + AB + AB + AB$

Anomaly Cancellation in SM: Uniqueness of Hypercharge One Generation Case

- One can find other solutions for SM fermion hypercharge assignments which also cancel anomalies
- One more solution can be found simply by interchanging the hypercharges of $u_{\rm R}$ and $d_{\rm R}$ i.e. $Y_{u_{\rm R}} = \frac{-2Y}{3}$ and $Y_{d_{\rm R}} = \frac{4Y}{3}$

• Another solution is $Y_{u_{\alpha}} + Y_{d_{\alpha}} = 0$ and $Y_L = Y_Q = Y_{e_{\alpha}} = 0$.

- However, all these other solutions have problems
	- Most serious problem is that none of these solutions give correct electric charges of the SM fermions
	- \bullet It is also not possible to define a new relation between Y and Q that gives correct electric charges for all SM fermions
	- Mass generation of all fermions cannot be achieved with only the SM Higgs. One will need more scalars.
- In summary for one generation of SM fermions, the anomaly cancellation conditions alone don't give an unique solution
- The additional requirement that the hypercharge assignment must lead to correct electric charges of SM fermions, makes the assignment unique. K ロ X K D X X E X X E X Y Q Q Q

Anomaly Cancellation in SM: Uniqueness of Hypercharge Three Generations of SM fermions

- What happens with full three generations of SM fermions?
- The canonical choice is to give all generations of a given type of fermion the same hypercharge

| Q^i | $u^i_{\rm R}$ | $d^i_{\rm R}$ | L^i | $e^i_{\rm R}$ | Φ |
|---------------|----------------|-----------------|-------|---------------|--------|
| $\frac{Y}{3}$ | $\frac{4Y}{3}$ | $\frac{-2Y}{3}$ | -Y | -2Y | Y |

- Thus with the canonical choice the SM hypercharges, the anomalies cancel generation by generation
- Are there other options?
- Yes! All other solutions discussed before can also work in a similar way. They all again will have the same problems so we have to again reject them
- **a** In addition one can have new solutions

イ何 ト イヨ ト イヨ ト

 \equiv

 2990

Anomaly Cancellation in SM: Uniqueness of Hypercharge Three Generations of SM fermions

• One new solution is obtained when:

$$
\begin{aligned} Y_{Q^i} &= -Y_{Q^j} = Y, \ Y_{Q^k} &= 0 \qquad Y_{u^j_{R}} = -Y_{u^m_{R}} = Y^{'}, \ Y_{u^n_{R}} &= 0 \\ Y_{d^r_{R}} &= -Y_{d^s_{R}} = Y^{''}, \ Y_{d^t_{R}} &= 0 \qquad Y_{L^i} = Y_{e^i_{R}} = 0 \end{aligned}
$$

Another solution is obtained when

$$
\begin{aligned}\nY_{L^i} &= -Y_{L^j} = Y, & Y_{L^k} &= 0 & Y_{e^j_{R}} &= -Y_{e^{m}_{R}} = Y', & Y_{e^{n}_{R}} &= 0 \\
Y_{Q^i} &= Y_{u^i_{R}} &= Y_{d^i_{R}} &= 0\n\end{aligned}
$$

- Again both these solutions have same problem as other solutions and hence should be rejected
- In summary, even with full three generations of SM fermions, the canonical hypercharge assignment is unique modulo an overall normalization factor.

 \overline{AB} \rightarrow \overline{AB} \rightarrow \overline{AB} \rightarrow \overline{BA} \rightarrow \overline{BA}

[Introduction](#page-2-0)

- ² [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)
- 3 $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- **[The Dark Sector](#page-31-0)**
- 7 [Constraining Light](#page-35-0) Z'

[Conclusion](#page-43-0)

K 御 ▶ K 君 ▶ K 君 ▶ ...

 2990

E.

 $U(1)_X$ Anomaly Cancellation Conditions

- If we want to add a new $U(1)_X$ gauge symmetry to the SM then one has to ensure that it is also not anomalous
- The extra anomaly cancellations needed are:

$$
[SU(3)_c]^2[U(1)_X] = \sum_i X_{Q^{i^i}} - \sum_j X_{q^{i^j}}.
$$
 (2a)

$$
[SU(2)_{\rm L}]^2[U(1)_X] = \sum_i X_{L^{i}} + 3 \sum_j X_{Q^{j}}.
$$
 (2b)

$$
[U(1)_Y]^2[U(1)_X] = \sum_{i,j} (Y_{L^{i}}^2 X_{L^{i}} + 3Y_{Q^{i}}^2 X_{Q^{i}}) - \sum_{i,j} (Y_{l^{i}}^2 X_{l^{i}} + 3Y_{q^{i}}^2 X_{q^{i}}).
$$
\n(2c)

$$
[U(1)_Y][U(1)_X]^2 = \sum_{i,j} (Y_{L^{i}}X_{L^{i}}^2 + 3Y_{Q^{i}}X_{Q^{i}}^2) - \sum_{i,j} (Y_{l^{i}}X_{l^{i}}^2 + 3Y_{q^{i}}X_{q^{i}}^2).
$$
\n(2d)

$$
[U(1)_X]^3 = \sum_{i,j} (X_{L^{i}}^3 + 3X_{Q^{i}}^3) - \sum_{i,j} (X_{l^{i}}^3 + 3X_{q^{i}}^3).
$$
 (2e)

$$
[G]^2[U(1)_X] = \sum_{i,j} (X_{L^{i}} + 3X_{Q^{i}}) - \sum_{i,j} (X_{L^{i}} + 3X_{Q^{i}}).
$$
 (2f)

 $U(1)_X$ Anomaly Cancellation Conditions: L_i – L_i Solutions

- There are many solutions to these anomaly cancellation conditions
- $L_i L_i$ Solutions: One of the popular solution which is very well studied
- The charges of SM fermions under $U(1)_X$ symmetry are given by²

$$
X_{L^{i}} = -X_{L^{i}} = X, X_{L^{k}} = 0; \t i, j, k = 1, 2, 3 \& i \neq j \neq k
$$

\n
$$
X_{e_{R}^{i}} = -X_{e_{R}^{m}} = X, X_{e_{R}^{n}} = 0; \t l, m, n = 1, 2, 3 \& l \neq m \neq n
$$

\n
$$
X_{Q^{i}} = X_{q^{j}} = 0; \t i, j = 1, 2, 3 \forall i, j.
$$

- This is a vector solution with $U(1)_X$ charges of left and right handed fermions being same.
- One unique feature of this solution is that no new BSM fermion is needed to cancel the anomalies

²X. G. He, G. C. Joshi, H. Lew, and R. R. Volkas; Ph[ys.](#page-13-0) [Re](#page-15-0)[v.](#page-13-0) [D.](#page-14-0)[43](#page-11-0) [\(1](#page-16-0)[9](#page-11-0)9[1\)](#page-12-0) [22](#page-17-0)[-2](#page-0-0)[4](#page-45-0) 2990

 $U(1)_X$ Anomaly Cancellation Conditions: **B** − **L Solution**

- There are several known solutions which require presence of new BSM fermions (typically right handed neutrinos) to cancel anomalies
- $B L$ Solution: The $B L$ solution is one of the oldest and most popular solution
- The charges of SM and right handed BSM fermion $(f_i; i=1,2,3)$ are given by

$$
X_{Qi} = X_{qj} = 1/3; i, j, k = 1, 2, 3,XLi} = Xji} = Xfi} = -1; \forall i, j.
$$

- Notice that again its a vector solution with $U(1)_X$ charges of the BSM fermion f_i being same as that of SM neutrinos.
- \bullet Its also a "flavor blind" symmetry with $B L$ charges of each generation being same.
- During phenomenology part of the talk, I will use the equivalent [re](#page-15-0)sults of [th](#page-12-0)e $B - L$ case as the reference to [co](#page-14-0)[mp](#page-16-0)[a](#page-14-0)re [w](#page-16-0)[i](#page-11-0)th [o](#page-17-0)[u](#page-11-0)[r](#page-12-0) [r](#page-16-0)[es](#page-17-0)[ul](#page-0-0)[ts](#page-45-0)

 QQ

 $U(1)_X$ Anomaly Cancellation Conditions: Other Solutions

- There are several other solutions: I will just list some of the other popular ones
	- \bullet B 3L_i: Charges are³

 $X_{Q^i} = X_{q^j} = 1/3; \quad i,j = 1,2,3 \,,$ $X_{L^i} = X_{li} = X_f = -3, X_{L^k} = X_{lk} = 0; \quad i, k = 1, 2, 3 \& i \neq k.$

• $B_i - 3L_i$: Charges are⁴

$$
X_{Q^i} = X_{q^i} = 1, X_{Q^j} = X_{q^j} = 0; \quad i, j = 1, 2, 3 \& j \neq j,
$$

$$
X_{L^i} = X_{j^i} = X_f = -3, X_{L^k} = X_{j^k} = 0; \quad j, k = 1, 2, 3 \& j \neq k.
$$

- Variants such as $B 2L_i L_j$, $B \frac{3}{2}(L_i + L_j)$, $B_1 - yB_2 + (y - 3)B_3 + L_i + L_i$ etc. are also possible
- One common feature of all these solutions is that they are all vector solutions i.e. the $U(1)_X$ charges of left and right handed fermions of a given type are same
- Are chiral solutions analogous to hypercharge solution in SM case possible?
- ³E. Ma, Phys. Lett. B 433 (1998) 74–81,

⁴C. Bonilla, T. Modak, R. Srivastava, and J. W. F. Valle, Phys. Rev. D 98 no. 9, (2018) 095002 $AB + AB + AB + AB$

[Introduction](#page-2-0)

- ² [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)
- (3) $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- [The Dark Sector](#page-31-0)
- 7 [Constraining Light](#page-35-0) Z'

[Conclusion](#page-43-0)

押 トメミメメミメー

 2990

E.

$U(1)_X$ Anomaly Cancellation Conditions: Chiral Solutions

- The chiral solutions have not been explored much in literature
- One of the known chiral solutions is for the $B L$ symmetry⁵ where the BSM fermions f_i ; $i = 1, 2, 3$ have $U(1)_X$ charges of $+4, +4, -5$
- We also found that one can also have chiral solutions for gauged Baryon $(U(1)_B)$ and Lepton $(U(1)_L)$ symmetries
- All these solutions although chiral, are very limited in their chirality
- In all of them the SM fermions are still vector under $U(1)_X$ symmetry and only BSM fermions have exotic $U(1)_X$ charges
- This is in contrast of the SM hypercharge case where the left and right counterpart of all types are fermions have different hypercharges
- Are similar solutions for $U(1)_X$ symmetries possible?

⁵J. C. Montero and V. Pleitez; Phys. Lett. B 675 (2009) 64–68; E. Ma and R. Srivastava, Phys. Lett. B 741 (2015) 217–222; E. Ma and R. Srivastava, Mod. Phys. Lett. A 30 no. 26, (2015) 1530020, E. Ma, N. Pollard, R. Srivastava, and M. Zakeri, Phys. Lett. B 750 (2015) 135–138 イロメ イ団 メイモメ イモメー 毛

 299

- Such solutions are indeed possible.
- In fact we have found a whole class of hithero unknown solutions, all completely chiral in their $U(1)_X$ charge assignments ⁶
- We call them Dark Hypercharge Solutions:
- Like Hypercharge, left and right handed couterparts of all fermions have different $U(1)_X$ charges
- They require addition of SM gauge singlet BSM fermions f_i
- These BSM fermions can belong to the dark sector with the lightest of them being a good dark matter symmetry
- The associated gauge boson Z' connects the dark sector to visible sector: Hence Dark Hypercharge

⁶H. Prajapati, R.S., Manuscript under preparation

- We have obtained class of solutions of under three different scenarios :
	- $S(I)$: Only one generation of SM fermions is charged under $U(1)_X$ $(X_{i,j} = X_{i,j} = 0, X_{i,k} = X, \quad i, j, k = 1, 2, 3 \& i, j \neq k).$
	- $S(II)$: Two generations share the same charge under $U(1)_X$, while one generation remains uncharged $(X_{\psi i} = X_{\psi j},$ $X_{ijk} = 0, \quad i, j, k = 1, 2, 3 \& i, j \neq k$.
	- $S(III)$: All three generations of SM fermions are charged under the new symmetry, and their charges are identical across generations $(X_{i,j} = X_{i,j} = X_{i,k}, \quad i, j, k = 1, 2, 3).$
- In addition we demand that the masses of SM fermions are generated through the SM Higgs boson itself. No BSM scalar needed for SM fermion mass generation

For one generation (S(I)) case we get only one solution:

For two generation (S(II)) case we get following solutions:

 $AP + 4B + 4B + 1B$ QQ

• For three generation (S(III)) case we get following solutions:

- As you can see, $U(1)_X$ charges of all fermions are chiral
- We need three dark sector BSM fermions $f_i;~i=1,2,3$ to cancel anomalies
- Mass of all SM fermions can be generated just with the SM Higgs boson

 \overline{AB} \rightarrow \overline{AB} \rightarrow \overline{AB} \rightarrow \overline{BA} \rightarrow \overline{BA}

- • In all cases all fermions have completely chiral $U(1)_X$ charges
- We always need three dark sector fermions to cancel anomalies
- Only SM Higgs is enough to generate mass of all SM fermions
- To make the dark sector gauge boson massive, we need to add another SM singlet scalar
- Masses of dark sector fermions can also be generated by addition of SM gauge singlet scalars
- Let's now look at the phenomenological aspects of the Dark Hypercharge Symmetry

 \overline{AB} \rightarrow \overline{AB} \rightarrow \overline{AB} \rightarrow \overline{BA} \rightarrow \overline{BA}

[Introduction](#page-2-0)

- ² [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)
- (3) $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- **[The Dark Sector](#page-31-0)**
- 7 [Constraining Light](#page-35-0) Z'

[Conclusion](#page-43-0)

K 御 ▶ K 君 ▶ K 君 ▶ ...

 2990

∍

Dark Hypercharge Symmetry: Gauge Sector

• The covariant derivative is defined as

$$
D_{\mu} = \partial_{\mu} + i g_s T_g^a G_{\mu}^a + i g T_w^a W_{\mu}^a + i g' \frac{Y}{2} B_{\mu} + i g_x X C_{\mu}.
$$
 (3)

where

$$
\langle \phi \rangle = \frac{1}{\sqrt{2}} \begin{bmatrix} 0 \\ v \end{bmatrix}, \quad \langle \chi_i \rangle = \frac{v_i}{\sqrt{2}} \ . \tag{4}
$$

• The mass spectrum of the gauge bosons are generated by the expansion of the kinetic terms of the scalars, as given below

$$
(D_{\mu})^{\dagger}D^{\mu} + (D_{\mu}\chi_i)^{\dagger}D^{\mu}\chi_i , \qquad (5)
$$

We can write the mass matrix of the gauge bosons in the basis $(\mathcal{B}^{\mu},\mathcal{W}^{\mu}_{3},\mathcal{C}^{\mu})$ as

$$
\mathcal{M}_{V}^{2} = \frac{v^{2}}{4} \begin{pmatrix} g'^{2} & -gg' & 2g'X_{\phi}g_{x} \\ -gg' & g^{2} & -2gX_{\phi}g_{x} \\ 2g'X_{\phi}g_{x} & -2gX_{\phi}g_{x} & 4u^{2}g_{x}^{2} \end{pmatrix},
$$
 (6)
where $u^{2} = X_{\phi}^{2} + u_{X}^{2}/v^{2}$, and u_{X} is defined as $u_{X} = \sqrt{\sum_{i} (X_{X_{i}}^{2}v_{i}^{2})}$.

Gauge Boson Masses and ρ parameter

 \bullet

 \bullet

• The mass eigen states are given by

$$
m^{2} = \frac{v^{2}}{8}(A_{0} - \sqrt{B_{0}^{2} + C_{0}^{2}}), M^{2} = \frac{v^{2}}{8}(A_{0} + \sqrt{B_{0}^{2} + C_{0}^{2}}),
$$
 (7)
where $A_{0} = g^{2} + g'^{2} + 4u^{2}g_{x}^{2}, B_{0} = 4X_{\phi}g_{x}\sqrt{g^{2} + g'^{2}}, C_{0} = 4u^{2}g_{x}^{2} - (g^{2} + g'^{2}).$
And the *W* boson mass is given as $M_{W}^{2} = (gv)^{2}/4$.
The ratio of gauge boson masses is measured through the parameter

$$
\rho' = \frac{\rho}{\cos^{2} \alpha + (\frac{M_{Z'}}{M_{Z}})^{2} \sin^{2} \alpha} = 1. \ \rho - 1 = \left[\left(\frac{M_{Z'}}{M_{Z}} \right)^{2} - 1 \right] \sin^{2} \alpha.
$$

For the case of $M_{Z'}[g_{x}, u_{x}] > M_{Z}[g_{x}, u_{x}]$

Rahul Srivastava [Dark Hypercharge Symmetry](#page-0-0)

Gauge Boson Masses and ρ parameter

- For the case of $M_{Z'}[g_x, u_y] < M_Z[g_x, u_y]$
	- The ρ parameter could be approximated as, $\rho \approx \left(1+\frac{4\chi^2_{\phi}g^2_\chi}{g^2+g'^2}\right)^{-1}$
	- This implies that the ρ parameter is independent of $M_{Z'}$

In the low mass limit of $M_{Z'}$, $X_\phi g_{_\chi} \lesssim 5.5 \times 10^{-3}$ is adequate to satisfy the ρ parameter, $M_{Z'} \approx u_\chi g_{_\chi}$.

←何 ▶ イヨ ▶ イヨ ▶ │

∍

 QQ

Production and decays of Z'

To be concrete henceforth we take one of the models of the S(III) type to do the phenomenological studies. The charges of particles are

In hadronic colliders the most efficient process involving Z' production is Drell-Yan $q \bar{q} \longrightarrow Z'$,

Production and decays of Z'

- In the DHC symmetry, the total branching fraction of invisible decay is approximately 90% when the branching fraction saturates. In contrast, in the $B - L$ symmetry, it is about 38%.
- In the fermionic decay modes, the dileptonic branching fraction, is much smaller in DHC (0.5%) compared to say $B - L$ (25%).

 2990

Ε

化重新化重新

We used the ATLAS^7 and CMS^8 search for Z' in Dilepton resonance at pp collisions with $(\sqrt{s}=13)$ TeV and an integrated luminosity of 139 fb^{-1} .

⁷ATLAS Collaboration, Phys. Lett. B 796 (2019) 68–87, ⁸CMS Collaboration, JHEP 07 (2021) 208

 2990

∍

[Introduction](#page-2-0)

- ² [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)
- (3) $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- ⁶ [The Dark Sector](#page-31-0)
- 7 [Constraining Light](#page-35-0) Z'

K 御 ▶ K 君 ▶ K 君 ▶ ...

 2990

∍

Dark Matter Constraints

- As mentioned before, the BSM fermions f_i ; $i = 1, 2, 3$ belong to the dark sector and the lightest of them can be dark matter
- The charges and interaction strength of the dark matter to all SM particles is completely fixed by the anomaly cancellation conditions. This makes the model highly predictive
- Feynman diagram contributing to DM annihilation

Feynman Diagrams Contributing to DM-nucleon Scattering

Measured Relic Abundance⁹ 0.1126 $\leq \Omega h^2 \leq 0.1246$.

⁹Planck Collaboration, 641 (2020) A6

Rahul Srivastava [Dark Hypercharge Symmetry](#page-0-0)

 299

Ξ, ∍

Direct Detection Constraints

· Direct Detection Constraints¹⁰

LUX-ZEPLIN Collaboration, Phys. Rev. Lett. 131 no. 4, [\(2](#page-33-0)0[23](#page-35-0)[\)](#page-33-0) [04](#page-34-0)[10](#page-35-0)[0](#page-30-0)[2](#page-31-0)= 299 ∍

[Introduction](#page-2-0)

- ² [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)
- (3) $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- **[The Dark Sector](#page-31-0)**
- 7 [Constraining Light](#page-35-0) Z'

[Conclusion](#page-43-0)

K 御 ▶ K 君 ▶ K 君 ▶ ...

 2990

∍

Light Z' can be constrained from different experiments like Direct Detection Experiments, Fixed target experiments, Supernovae Cooling, N_{eff} etc.

 299

Ξ

 \Rightarrow ∍

Constrains on Light Z' from $B - L$ Symmetry

As an example the parameter space for coupling and mass of the Z' from gauged $B - L$ has been constrained through various $experiments¹¹$

¹¹Anirban Majumdar, Dimitrios K. Papoulias, Hemant Prajapati, Rahul Srivastava; Manuscript under preparation **何) (ヨ) (ヨ)** E

 299

$CE\nu$ NS and E ν ES constraints on Light Z' from Dark HyperCharge **Symmetry**

- Experiment: COHERENT
- \bullet *ν* Source: π -DAR, μ -DAR
- Target: LAr (2020 data), CsI (2021 data)
- **•** Relevant Interaction: CEνNS, EνES
- Experiment: XENONnT, LZ, PandaX-4T, and DARWIN (future sensitivity)
- \bullet *ν* Source: Solar ν_e
- **•** Target: LXe TPC
- **a** Relevant Interaction: EνES
- Experiment: TEXONO
- ν Source: Reactor $\bar{\nu}_e$
- **•** Target: CsI
- **•** Relevant
	- Interaction: EνES

化重复 化重复

 QQ

Benchmark Dark Hypercharge Models

4 0 8

重し 299

K 御 ▶ K 君 ▶ K 君 ▶ ...

← □ →

ミー 299

ミー 299

K 御 ▶ K 唐 ▶ K 唐 ▶ ...

← □ →

K 御 ▶ K 君 ▶ K 君 ▶ ...

 \leftarrow \Box

ミー 299

[Introduction](#page-2-0)

- ² [Anomalies in SM: Uniqueness of Hypercharge](#page-6-0)
- (3) $U(1)_X$ [anomaly cancellation: Known Solutions](#page-12-0)
- (4) $U(1)_X$ [anomaly cancellation: Dark Hypercharge Symmetry](#page-17-0)
- 5 The Dark Z' [Gauge Boson](#page-24-0)
- **[The Dark Sector](#page-31-0)**
- 7 [Constraining Light](#page-35-0) Z'

8 [Conclusion](#page-43-0)

K 御 ▶ K 君 ▶ K 君 ▶ ...

 2990

∍

- Extensions of the Standard Model with $U(1)_X$ gauge symmetries are strongly motivated.
- The charges of SM fermions are constrained by anomaly cancellation conditions, making $U(1)_X$ models highly predictive.
- I discussed a new class of models where all SM fermions have chiral charges under the $U(1)_X$ symmetry.
- The anomaly cancellation necessitates need to add three BSM fermions which can be identified as dark fermions with the lightest of them being a good dark matter candidate.
- I also discussed the phenomenological signatures of certain Benchmark Models for both heavy and light Z' cases.
- These dark hypercharge models can be tested in various experiments.

(ロ) (@) (경) (경) (경) 경

 Ω

Thank You

K ロ ▶ K @ ▶ K 할 ▶ K 할 ▶ ... 할 → 9 Q @