



FLASY 2024: the 10th  
Workshop on Flavor  
Symmetries and  
Consequences in Accelerators  
and Cosmology

# Flavour Anomalies : Where do we stand?

**MAURO VALLI**

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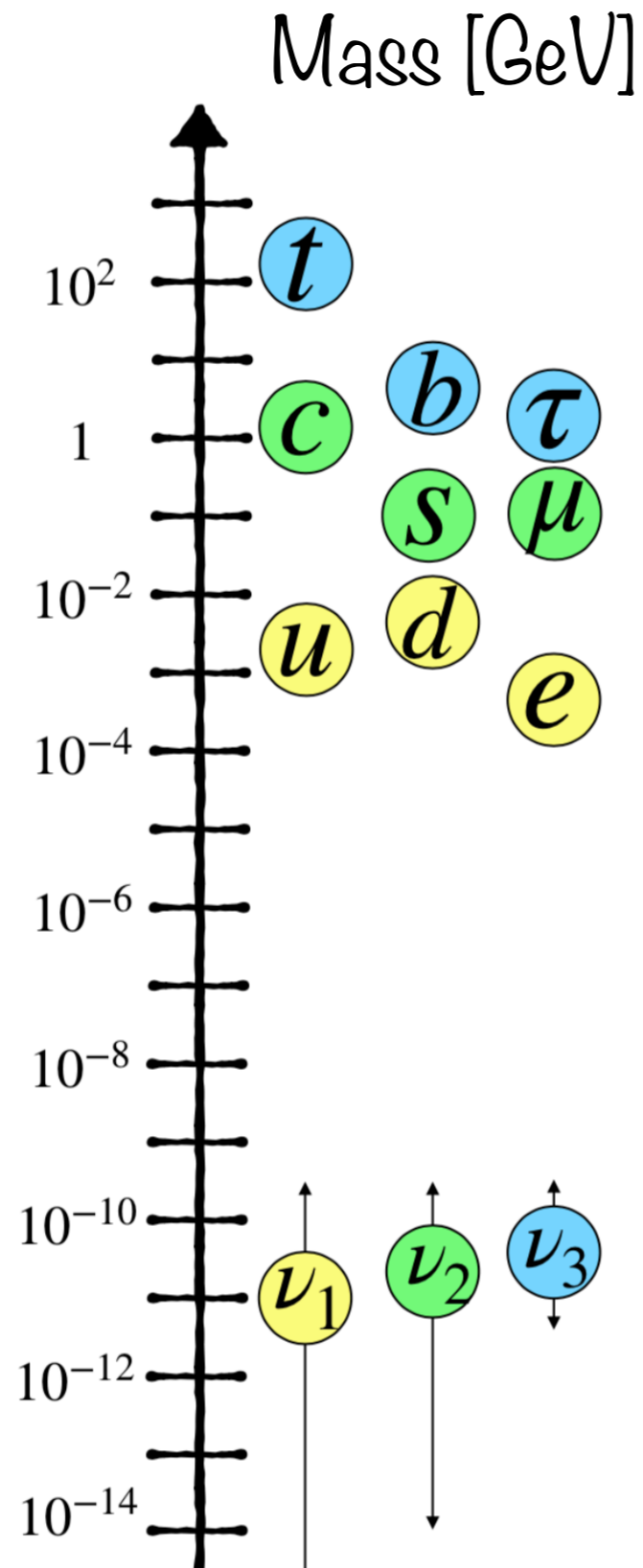
INFN Rome



MANY THANKS TO: M.FEDELE, V.MIRALLES, L.SILVESTRINI & L.VITTORIO

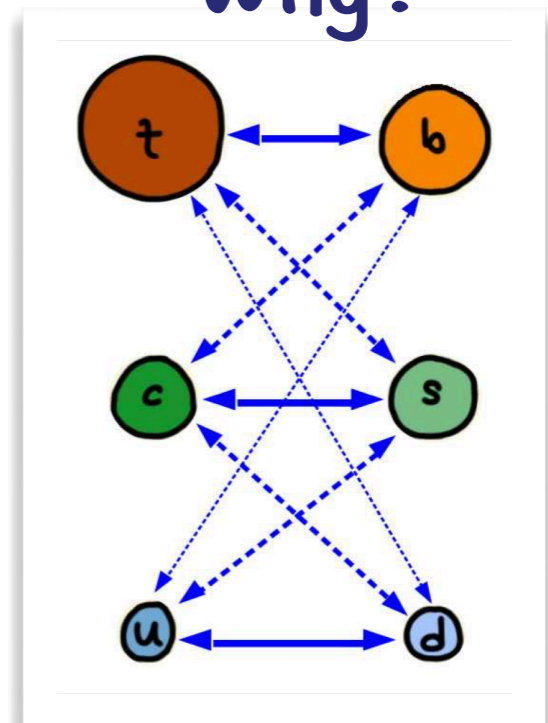
# The Standard Model

THE SM  
FLAVOR  
PUZZLE



$$V_{\text{CKM}} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{matrix} u \\ c \\ t \\ d \\ s \\ b \end{matrix}$$

Why?



# EFTs & Precision : Flavour

Lagrangian:

$$\mathcal{L}(x) = \sum c_{\mathcal{O}} \Lambda_{\mathcal{O}}^{4-\dim \mathcal{O}} \mathcal{O}(x)$$

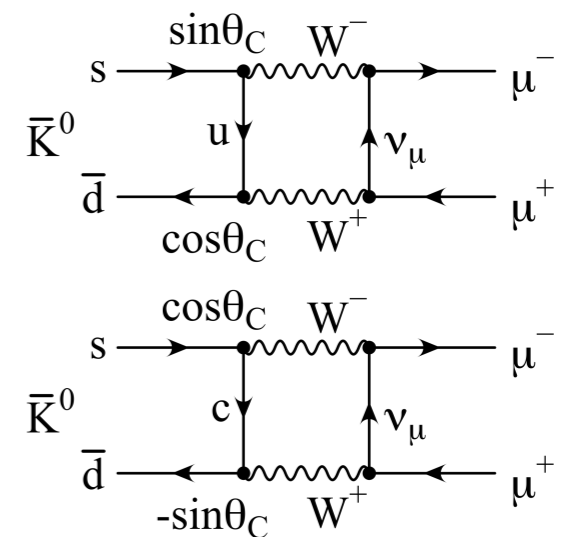
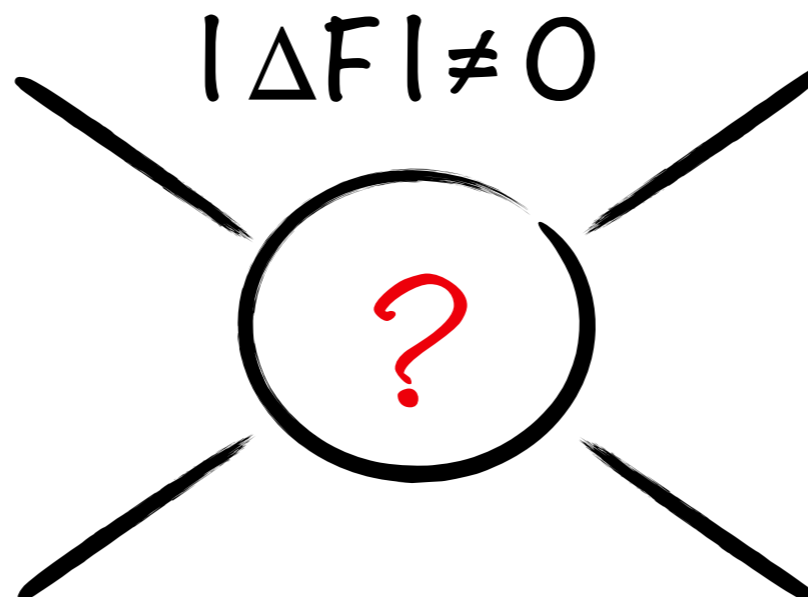
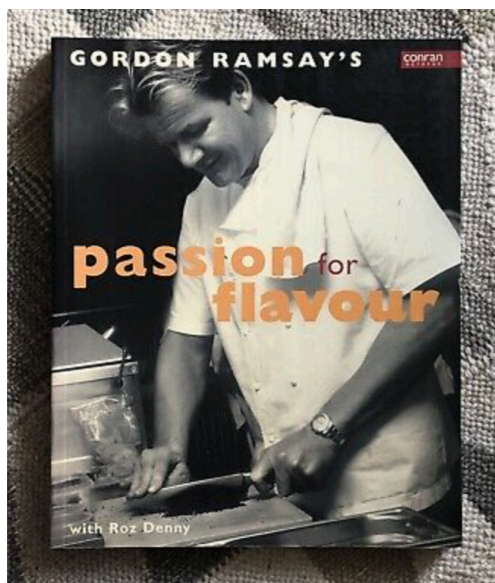
Parameter (red arrow pointing to  $c_{\mathcal{O}}$ )

Cutoff scale (blue arrow pointing to  $\Lambda_{\mathcal{O}}$ )

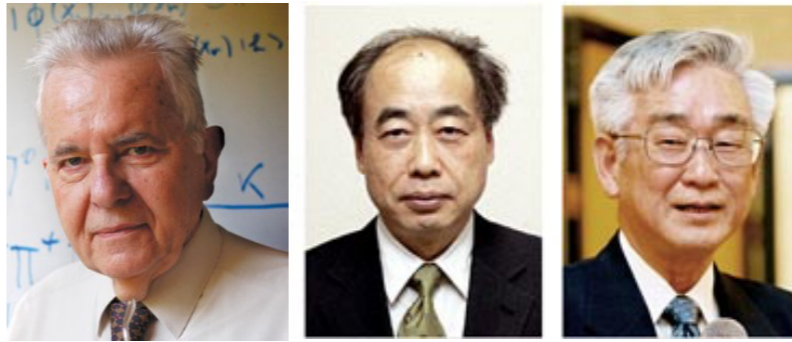
Local operator - a monomial in fields and derivatives (black arrow pointing to  $\mathcal{O}(x)$ )

$$\text{Physical effects} \sim \left( \frac{E}{\Lambda_{\mathcal{O}}} \right)^{\dim \mathcal{O} - 4}$$

A. Greljo @ LHC Forum '23



# Flavor Metrology :



- Flavor violation in SM in charged weak-current  $\longleftrightarrow V_{\text{CKM}}$   
→ Flavor Changing Neutral Currents (FCNCs) **ONLY** @ one loop
- CKM matrix described by 4 params (3 angles and a ~~CP~~ phase)

$$V_{\text{CKM}} = \begin{pmatrix} 1 - \lambda^2/2 & \lambda & A\lambda^3(\bar{\rho} - i\bar{\eta}) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \bar{\rho} - i\bar{\eta}) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^4)$$

$(\bar{\rho}, \bar{\eta})$  apex of

$$V_{ub}^* V_{ud} + V_{cb}^* V_{cd} + V_{tb}^* V_{td} = 0$$



[www.utfit.org](http://www.utfit.org)



M. Bona, M. Ciuchini, D. Derkach, F. Ferrari, E. Franco,  
V. Lubicz, G. Martinelli, M. Pierini, L. Silvestrini, C.  
Tarantino, V. Vagnoni, M. Valli, and L. Vittorio

— EXP  
— TH



LINCEI CELEBRATIVE ESSAYS

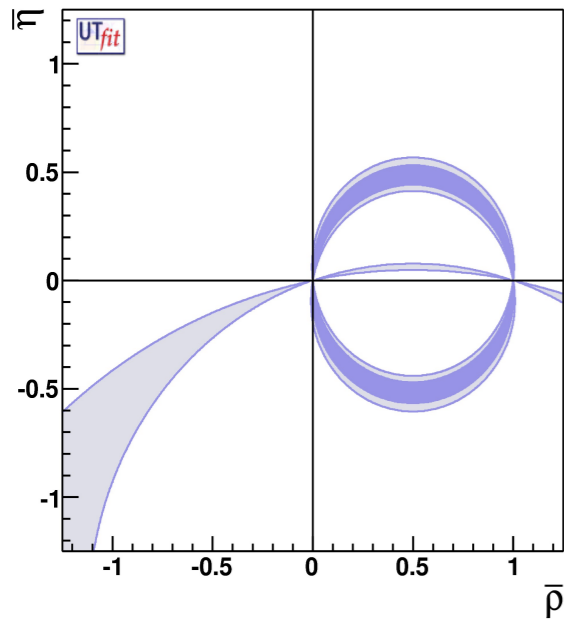
**New UTfit analysis of the unitarity triangle  
in the Cabibbo–Kobayashi–Maskawa scheme**

arXiv: **2212.03894** — *Rend. Lincei Sci. Fis. Nat.* 34 (2023) 37-57

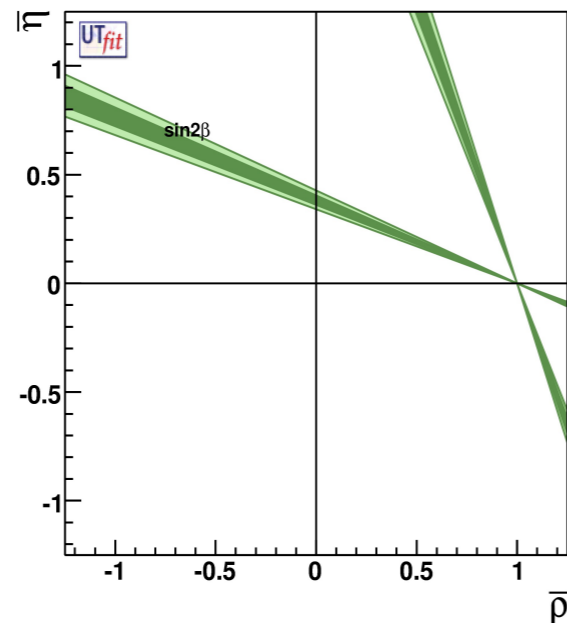
# The Power of Redundancy

see, e.g., **Les Houches Lect.Notes 108 (2020) - L.Silvestrini**

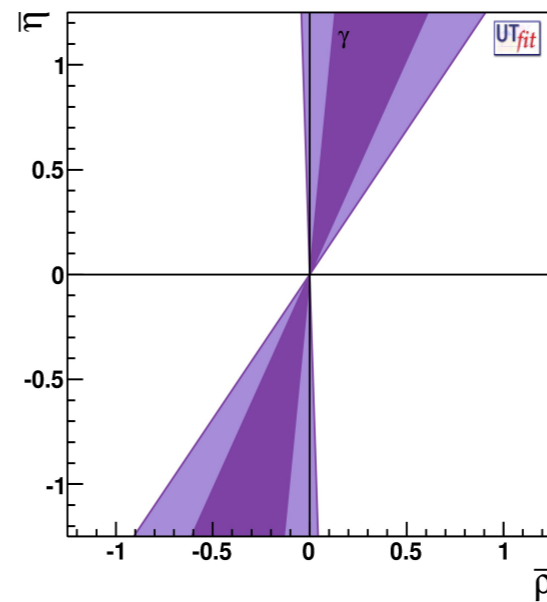
$\alpha (B \rightarrow \pi\pi, \rho\rho)$



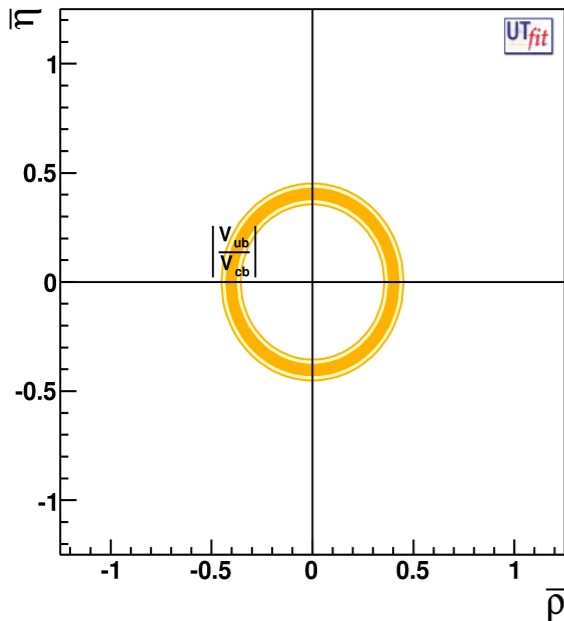
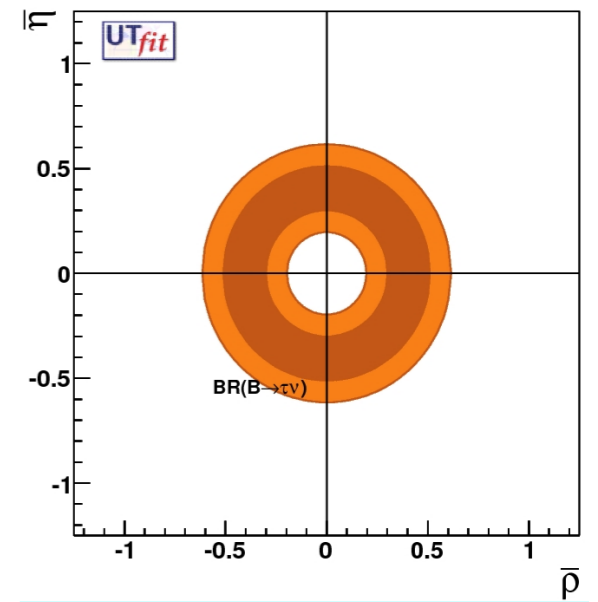
$\beta (B \rightarrow J/\psi K^{(*)})$



$\gamma (B \rightarrow D^{(*)} K)$

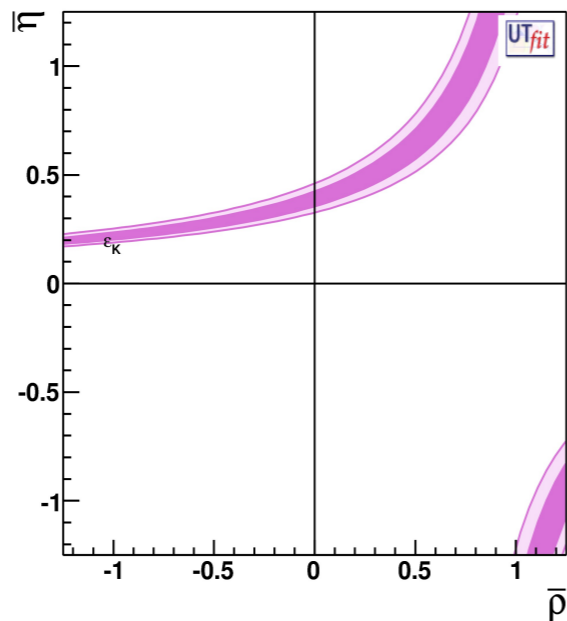


$\text{BR}(B \rightarrow \tau\nu)$



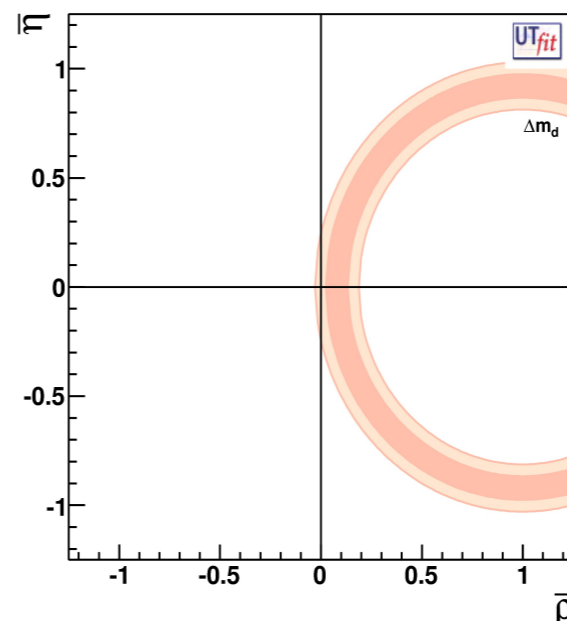
$|V_{ub}/V_{cb}|$

(semileptonic decays)



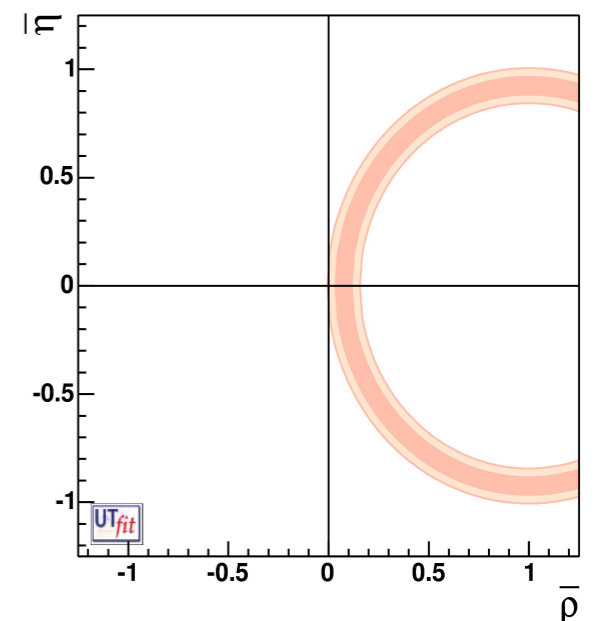
$\epsilon_K$

(CPV in  $K - \bar{K}$ )



$\Delta m_d$

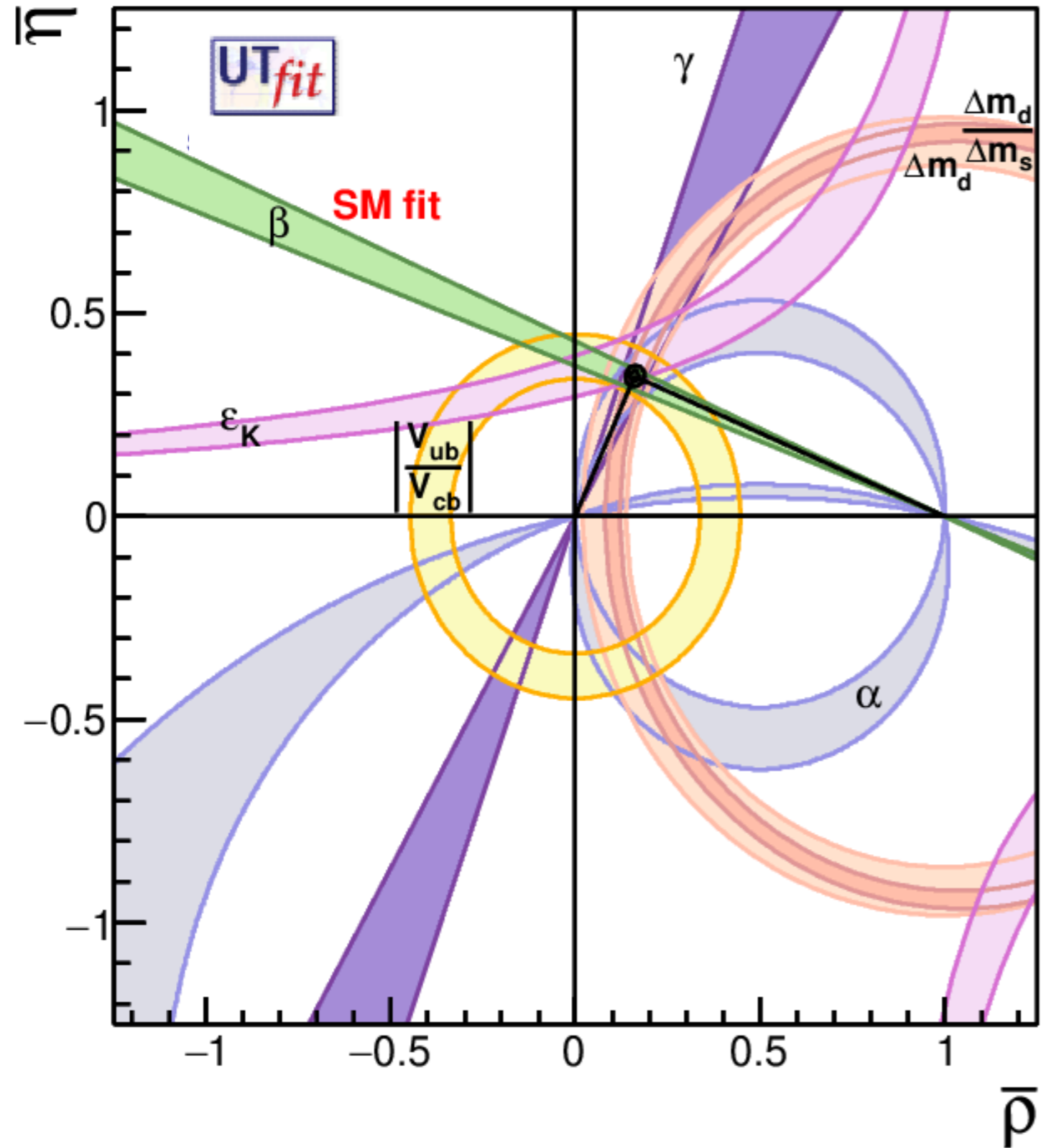
( $B_{d,s} - \bar{B}_{d,s}$ )



$\Delta m_d/\Delta m_s$

# UTA: Unitarity Triangle Analysis

@ 95% prob

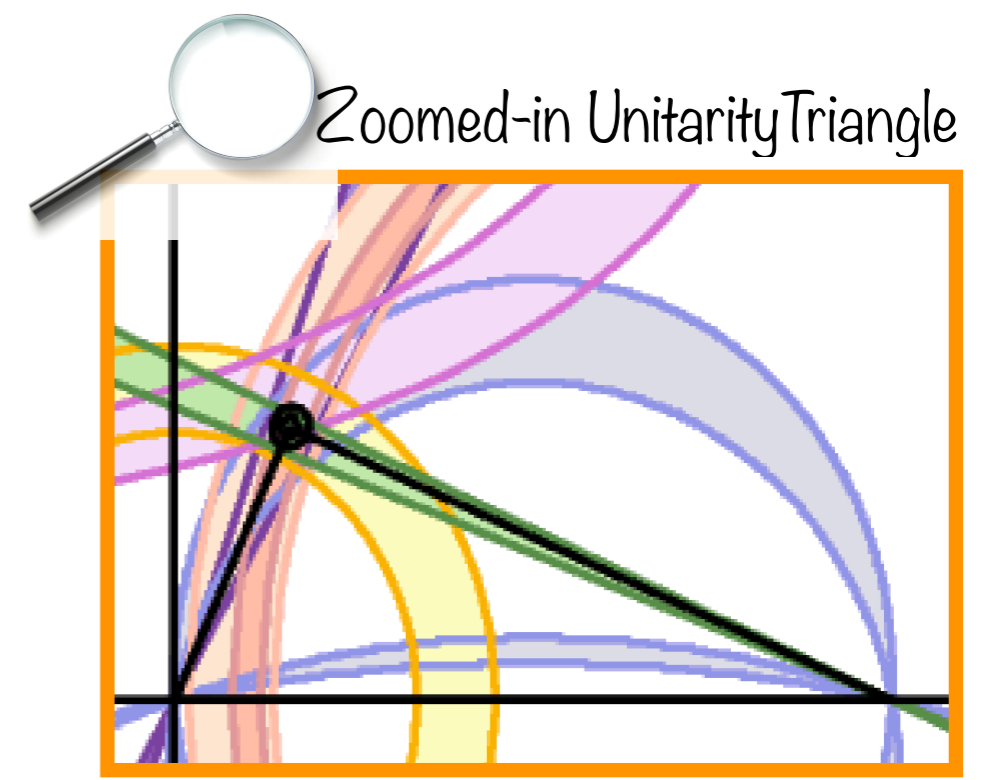


$$\bar{\rho} = 0.160 \pm 0.009 \sim 6\%$$

$$\bar{\eta} = 0.346 \pm 0.009 \sim 3\%$$

$$\lambda = 0.2251 \pm 0.0008$$

$$A = 0.827 \pm 0.010$$



# Flavour & BSM Physics

SM

$$O_1^{q_i q_j} = \bar{q}_{jL}^\alpha \gamma_\mu q_{iL}^\alpha \bar{q}_{jL}^\beta \gamma^\mu q_{iL}^\beta$$

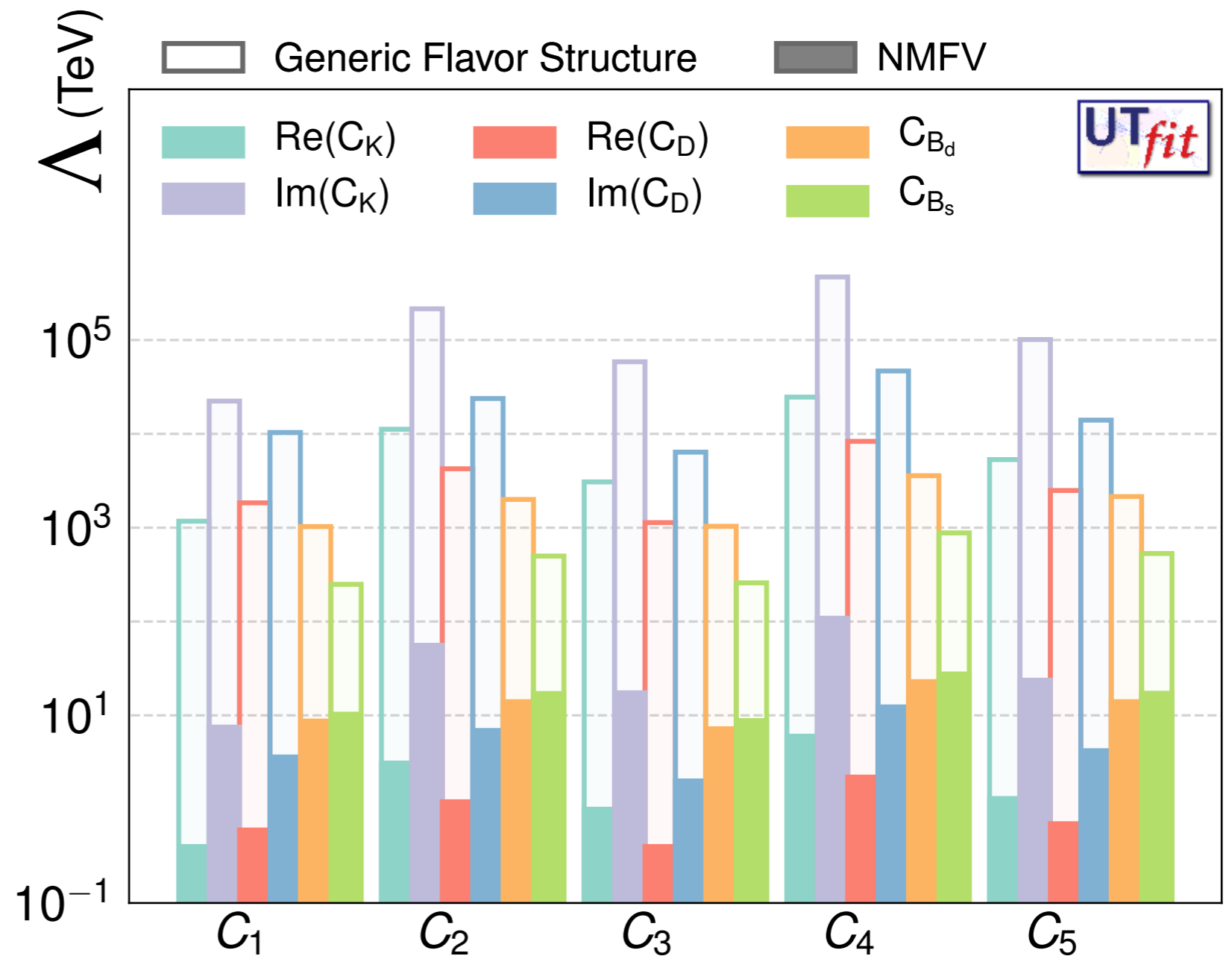
$$O_2^{q_i q_j} = \bar{q}_{jR}^\alpha q_{iL}^\alpha \bar{q}_{jR}^\beta q_{iL}^\beta$$

$$O_3^{q_i q_j} = \bar{q}_{jR}^\alpha q_{iL}^\beta \bar{q}_{jR}^\beta q_{iL}^\alpha$$

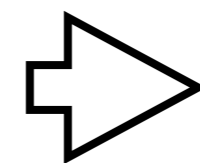
$$O_4^{q_i q_j} = \bar{q}_{jR}^\alpha q_{iL}^\alpha \bar{q}_{jL}^\beta q_{iR}^\beta$$

$$O_5^{q_i q_j} = \bar{q}_{jR}^\alpha q_{iL}^\beta \bar{q}_{jL}^\beta q_{iR}^\alpha$$

+ chirally flipped  $\tilde{O}_{1,2,3}^{q_i q_j}$

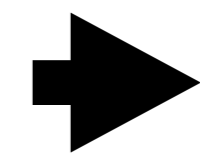


○ **Generic NP** = no SM protection, i.e.:  $C(\Lambda) \sim 1/\Lambda^2$



$\Lambda > 4.7 \times 10^5$  TeV

● **Next-to-MFV** = SM-like protection +  $O(1)$  phases



$\Lambda > 108$  TeV

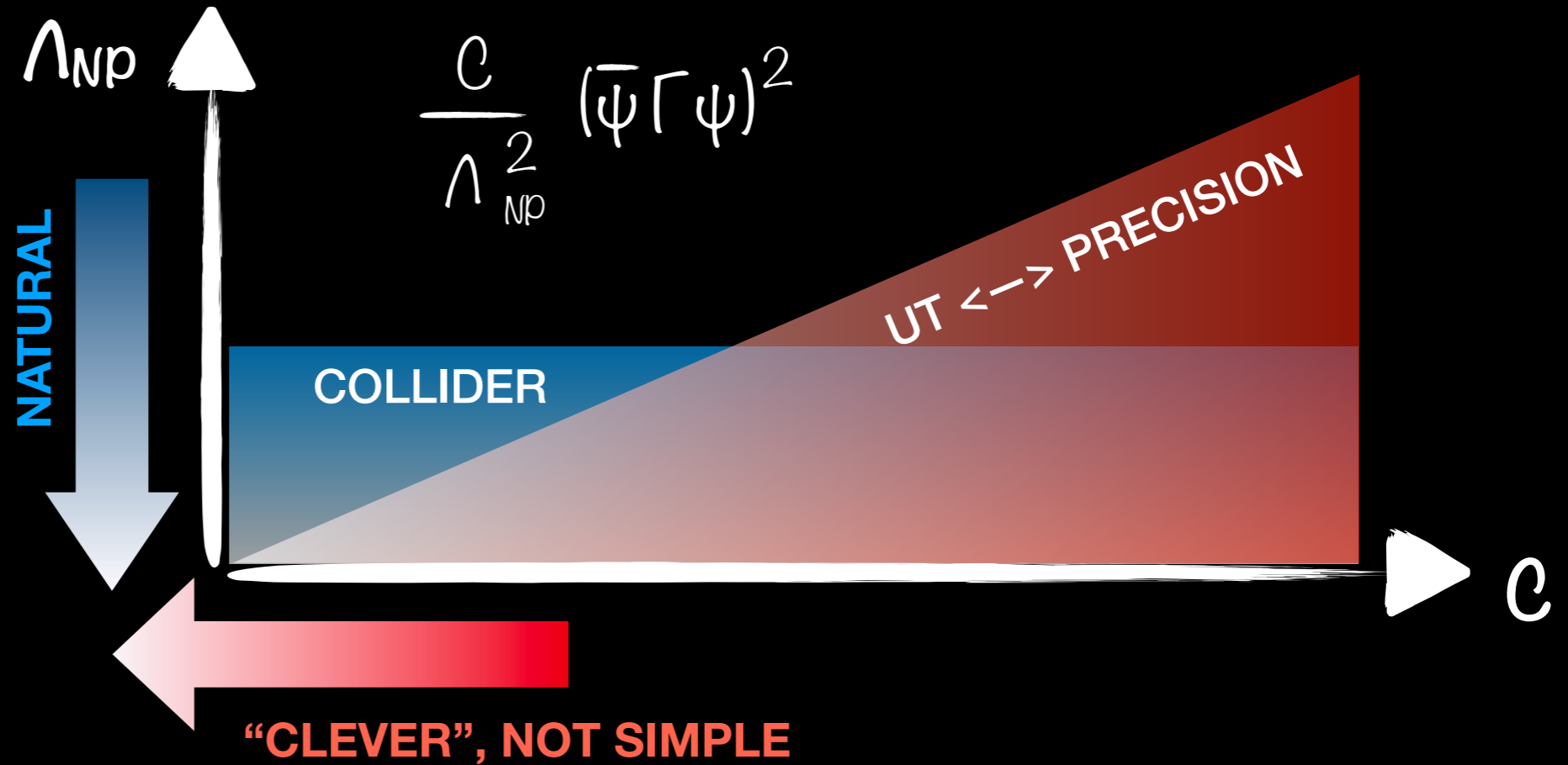




# Lessons from UTA

- SM UT: Towards % precision ... Overall remarkable consistency.

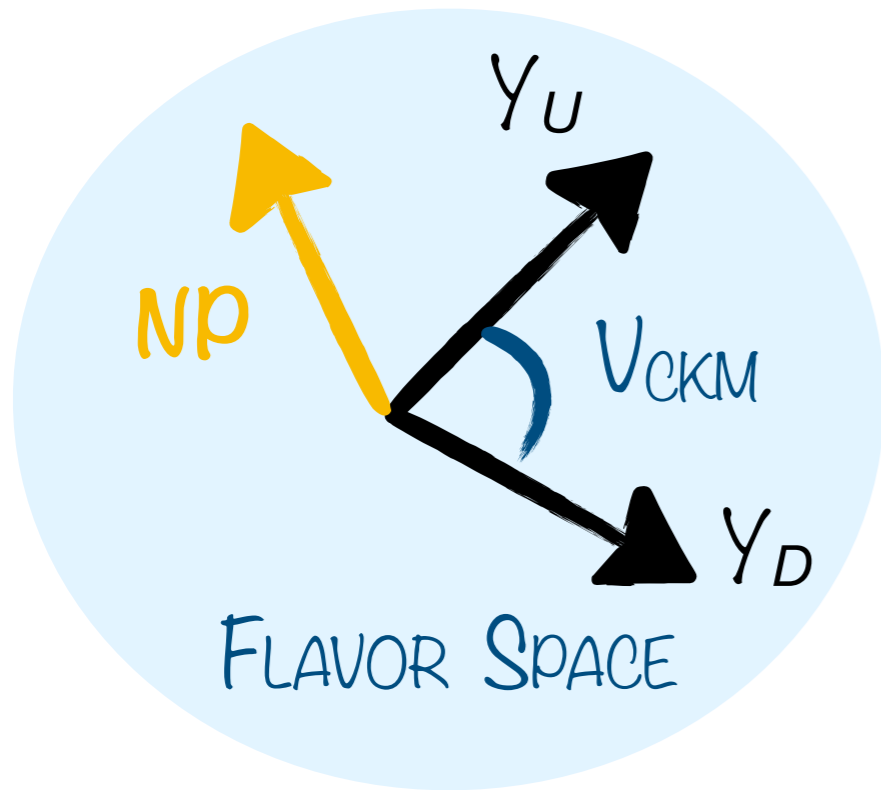
- NP UT:



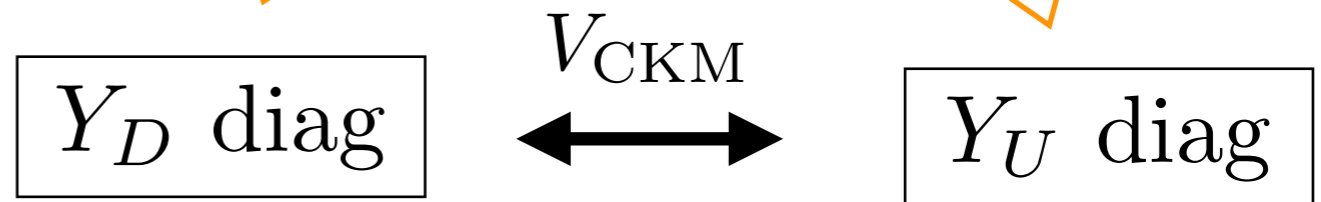
**BOTTOM  
LINE**

**A theory of Flavour is either highly non-trivial or likely unnatural**  
BEHIND THE FLAVOUR **ANOMALIES** THERE IS A PICTURE LIKE THAT!

# NP: Going Beyond the Weak EFT



$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_{i,d>4} \frac{C_i \mathcal{O}_i^{(d)}}{\Lambda_{\text{NP}}^{d-4}}$$



$|\Delta F| = 2$  bounds in the SMEFT – *Phys. Lett. B 799 (2019) 135062*

SMEFT RGE

$O_{jk}^{HQ(1[3])}$ $(H^\dagger i \overleftrightarrow{D}_\mu H) (\bar{Q}_j \gamma^\mu [\tau^A] Q_k)$	$O_{jjkl}^{LedQ}$ $(\bar{L}_j e_j) (\bar{d}_k Q_l)$	$O_{jjkl}^{LeQu}$ $(\bar{L}_j e_j) i\tau^2 (\bar{Q}_k u_l)$	$O_{jklm}^{ud(1[8])}$ $(\bar{u}_j \gamma_\mu [T^a] u_k) (\bar{d}_l \gamma^\mu [T^a] d_m)$	$O_{jklm}^{QuQd(1[8])}$ $(\bar{Q}_j \gamma_\mu [T^a] u_k) i\tau^2 (\bar{Q}_l \gamma^\mu [T^a] d_m)$
$O_{jklm}^{QQ(1[3])}$ $(\bar{Q}_j \gamma_\mu [\tau^A] Q_k) (\bar{Q}_l \gamma^\mu [\tau^A] Q_m)$	$O_{jklm}^{uu}$ $(\bar{u}_j \gamma_\mu u_k) (\bar{u}_l \gamma^\mu u_m)$	$O_{jklm}^{dd}$ $(\bar{d}_j \gamma_\mu d_k) (\bar{d}_l \gamma^\mu d_m)$	$O_{jklm}^{Qd(1[8])}$ $(\bar{Q}_j \gamma_\mu [T^a] Q_k) (\bar{d}_l \gamma^\mu [T^a] d_m)$	$O_{jklm}^{Qu(1[8])}$ $(\bar{Q}_j \gamma_\mu [T^a] Q_k) (\bar{u}_l \gamma^\mu [T^a] u_m)$


*poorly constrained*

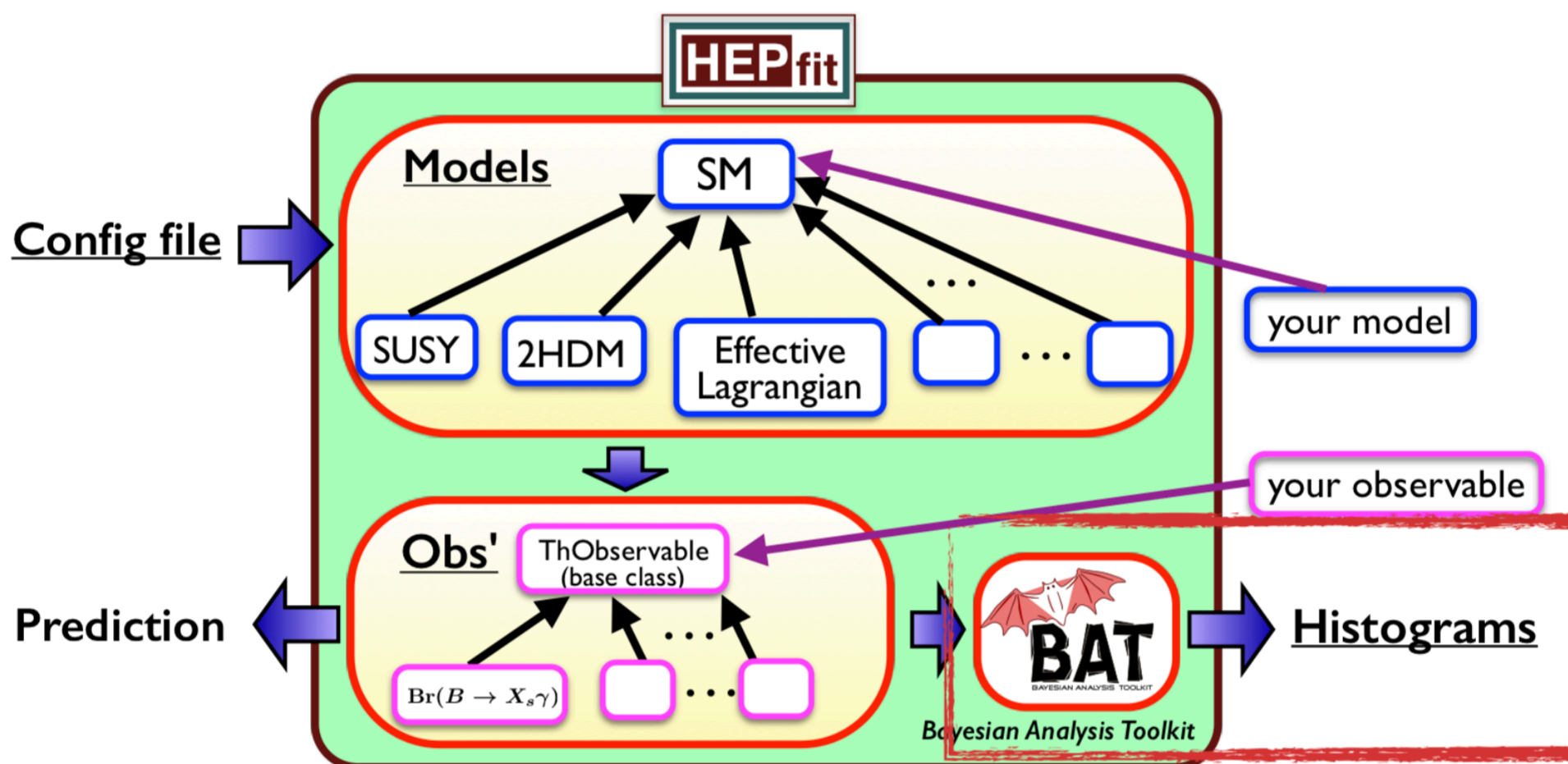
FLAVOR MISALIGNMENT

... UT IN THE SMEFT: A LOT OF WORK YET TO BE DONE!



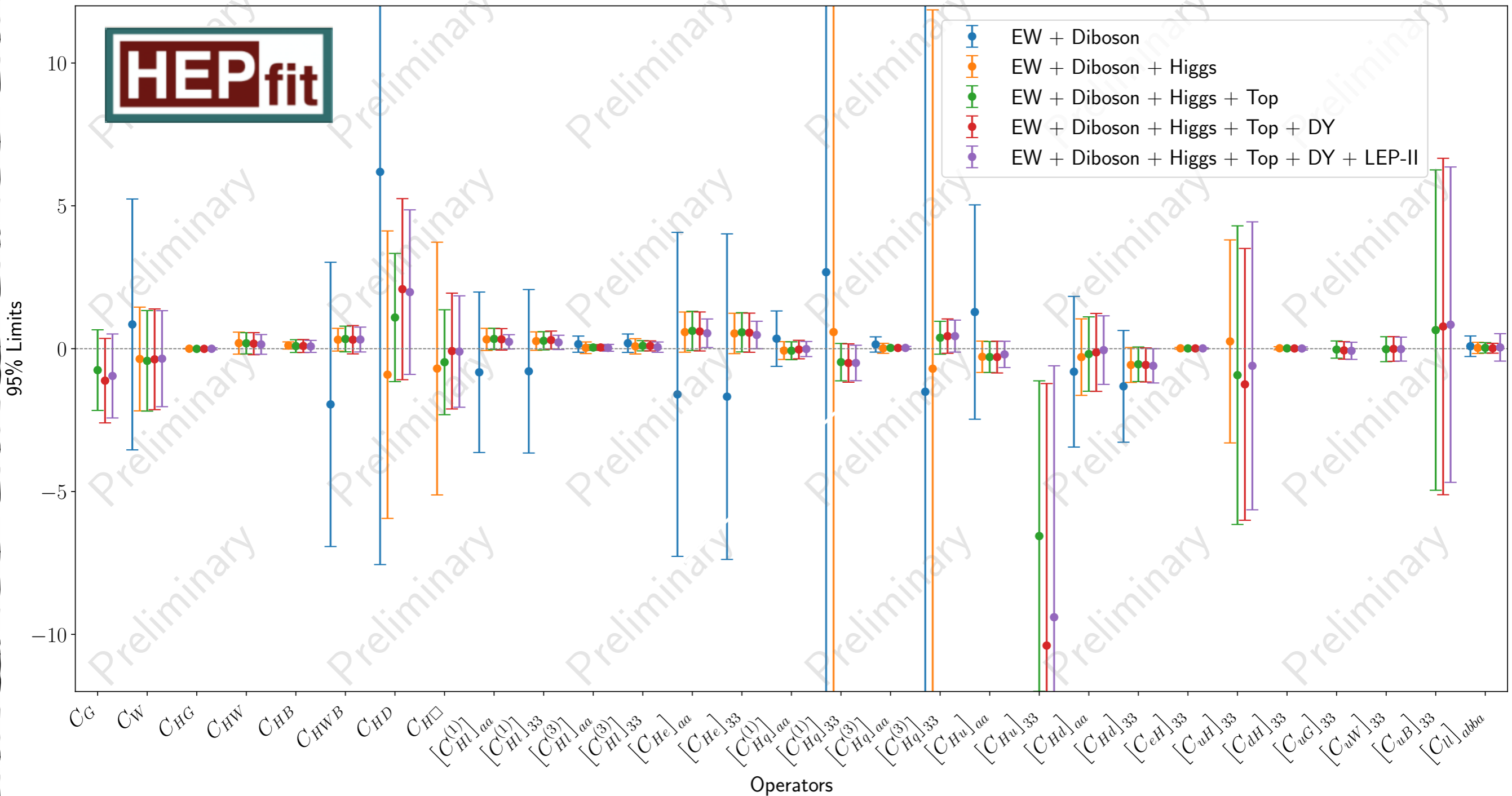
# HEPfit: a code for the combination of indirect and direct constraints on high energy physics models

J. de Blas<sup>1,2</sup>, D. Chowdhury<sup>3,4</sup>, M. Ciuchini<sup>5</sup>, A. M. Coutinho<sup>6</sup>, O. Eberhardt<sup>7</sup>, M. Fedele<sup>8</sup>, E. Franco<sup>9</sup>, G. Grilli di Cortona<sup>10</sup>, V. Miralles<sup>7</sup>, S. Mishima<sup>11</sup>, A. Paul<sup>12,13,a</sup> , A. Peñuelas<sup>7</sup>, M. Pierini<sup>14</sup>, L. Reina<sup>15</sup>, L. Silvestrini<sup>9,16</sup>, M. Valli<sup>17</sup>, R. Watanabe<sup>5</sup>, N. Yokozaki<sup>18</sup>



# $U(2)^5$ flavour symmetry: 2-Fermion

Limits for WC at the scale  $\Lambda_{UV} = 1$  TeV



**Víctor Miralles**

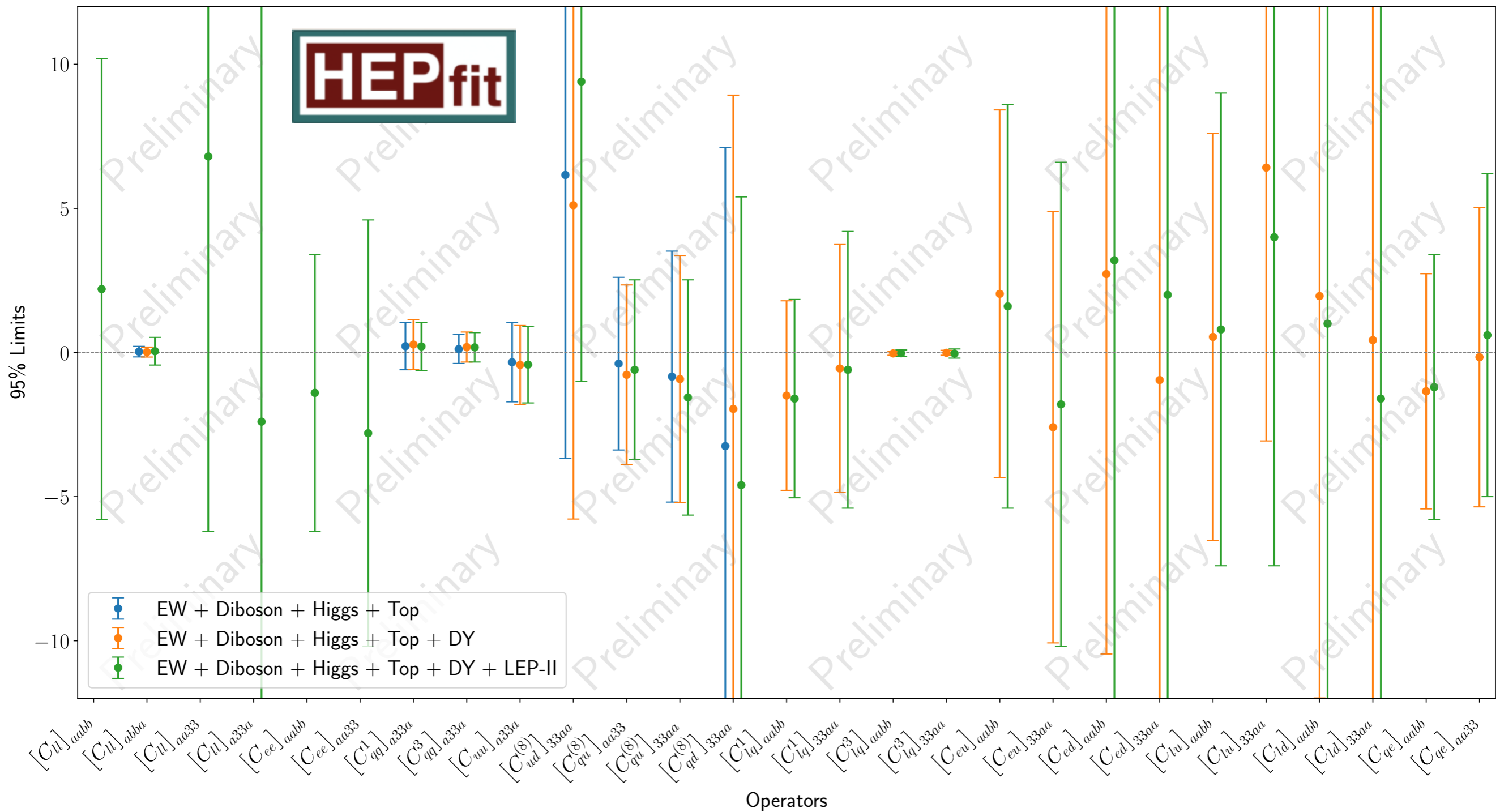
New physics constraints via global fits Higgs and Effective Field Theory 2024



**Picture even more constrained by Flavor** (ongoing analysis w/ J. De Blas, A. Goncalves, V. Miralles, L.Reina, L. Silvestrini)

# $U(2)^5$ flavour symmetry: 4-Fermion

Limits for WC at the scale  $\Lambda_{UV} = 1$  TeV



**Víctor Miralles**

New physics constraints via global fits

Higgs and Effective Field Theory 2024



**Picture even more constrained by Flavor** (ongoing analysis  
 w/ J. De Blas, A. Goncalves, V. Miralles, L.Reina, L. Silvestrini)

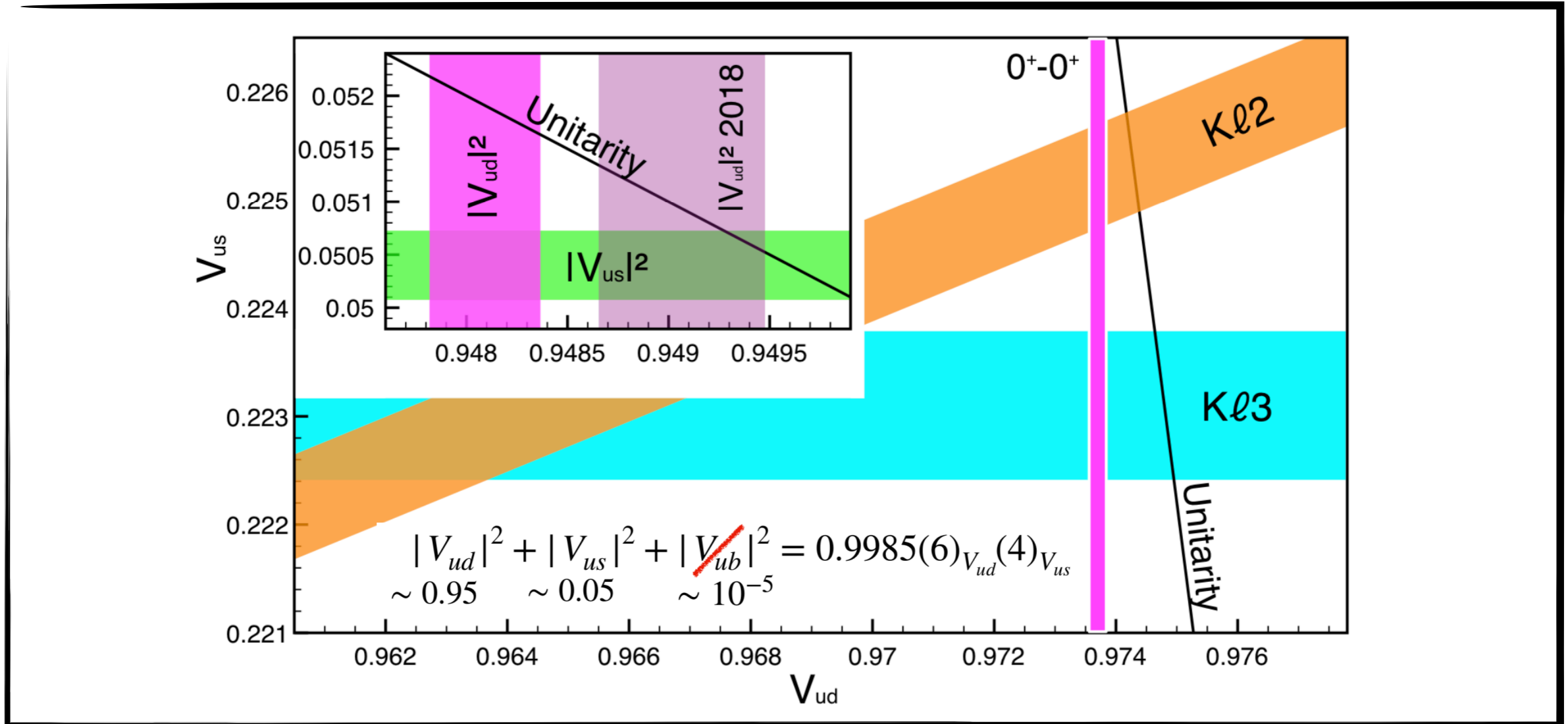


## ChatGPT

An anomaly refers to something that deviates from what is standard, normal, or expected. It can be a deviation from a pattern, behavior, or occurrence that stands out from the typical or anticipated norm. Anomalies can occur in various contexts, such as in data analysis, scientific observations, natural phenomena, or even in human behavior.

# A LOOK @ 1<sup>st</sup> row

Misha Gorshteyn @ CKM 23



- LQCD on (semi)leptonic decays : Beyond % precision  $\rightarrow$  **control of  $\Delta I$  & QED**

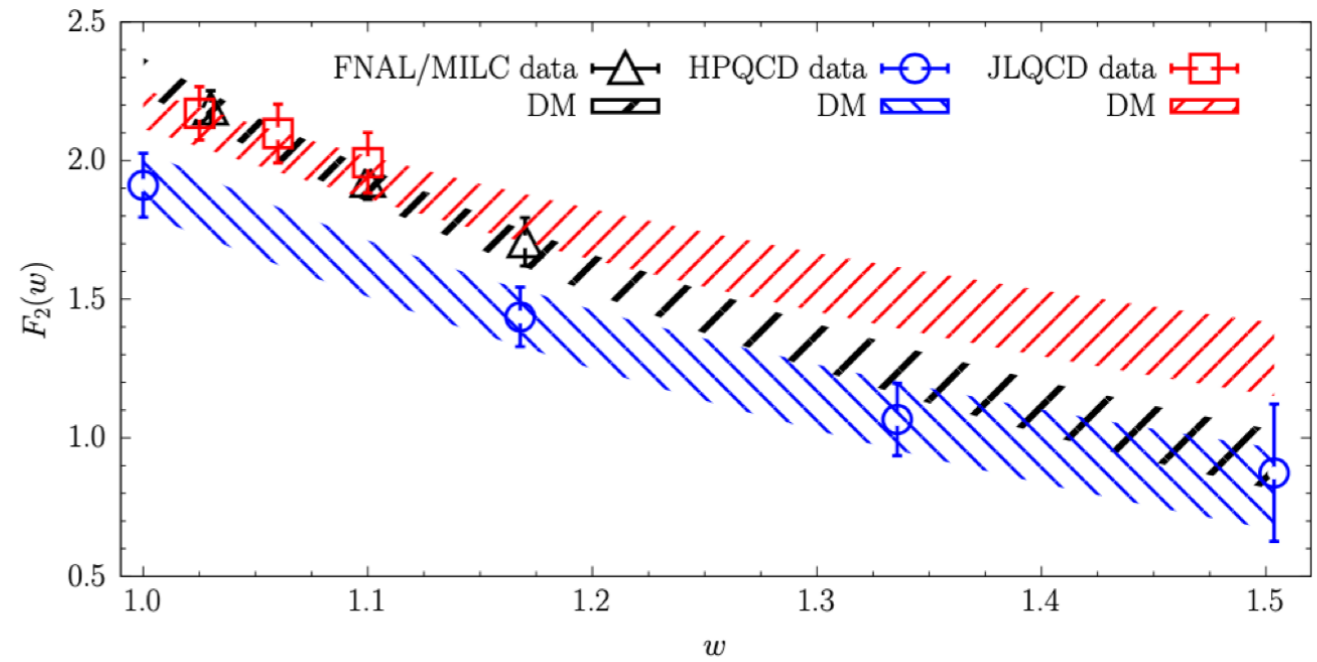
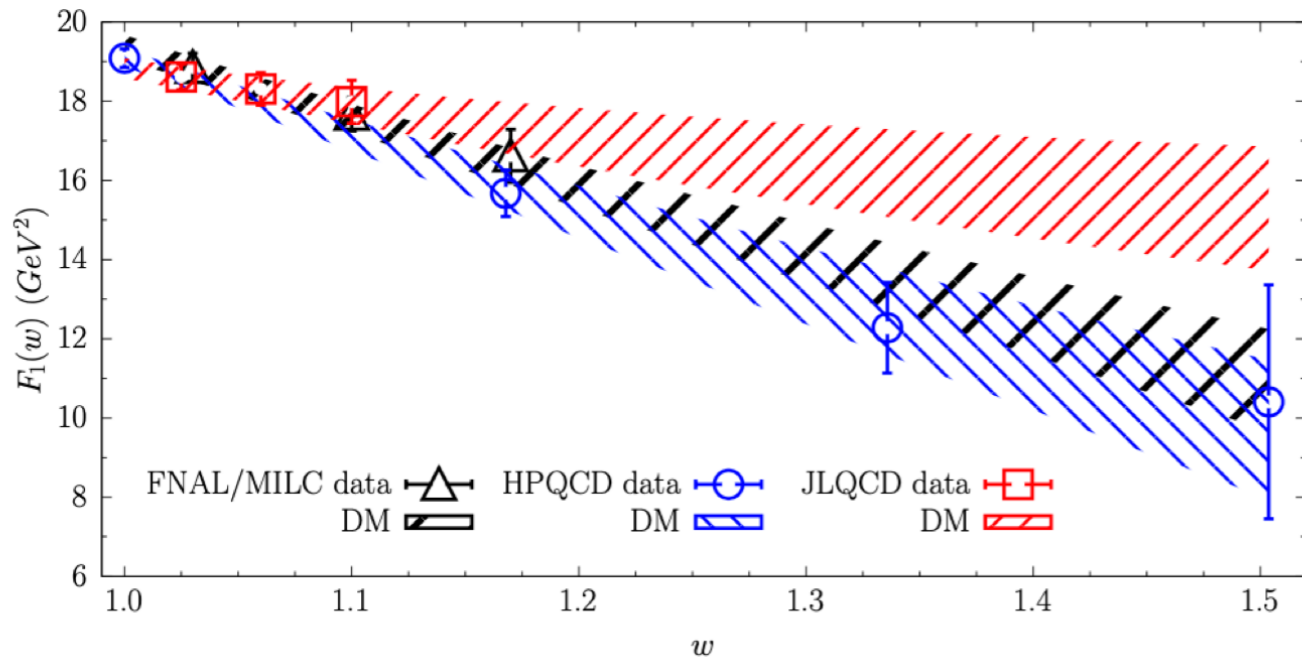
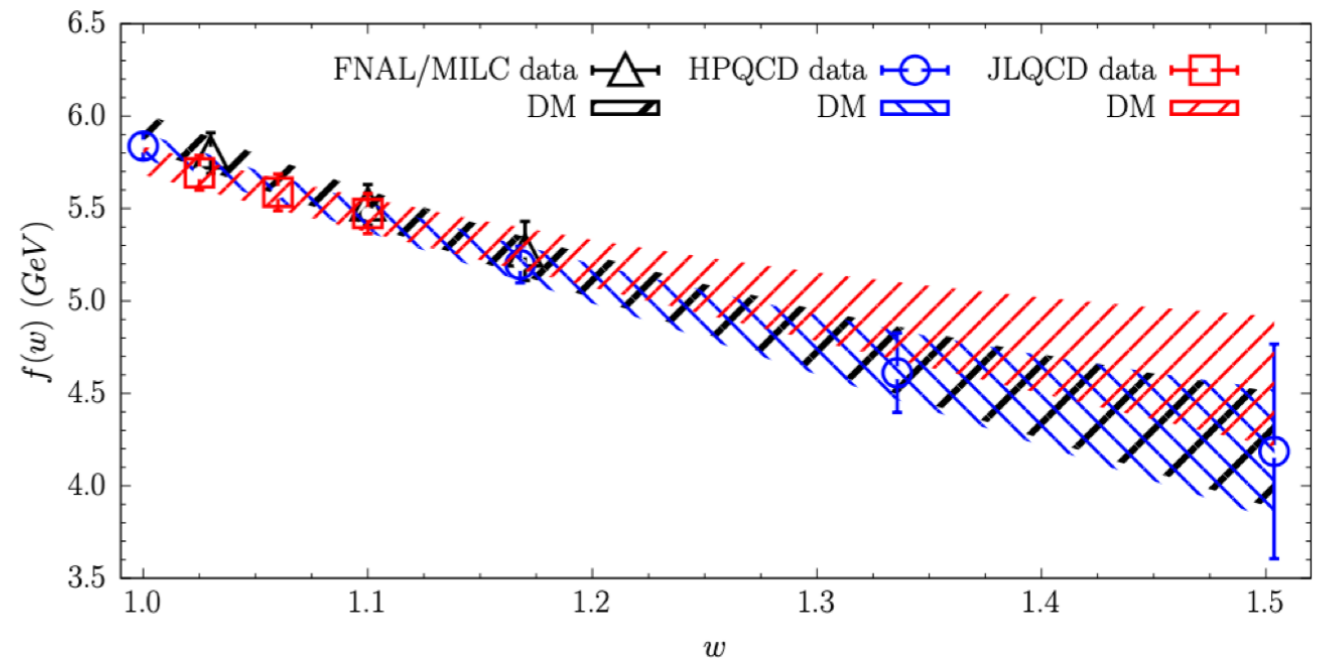
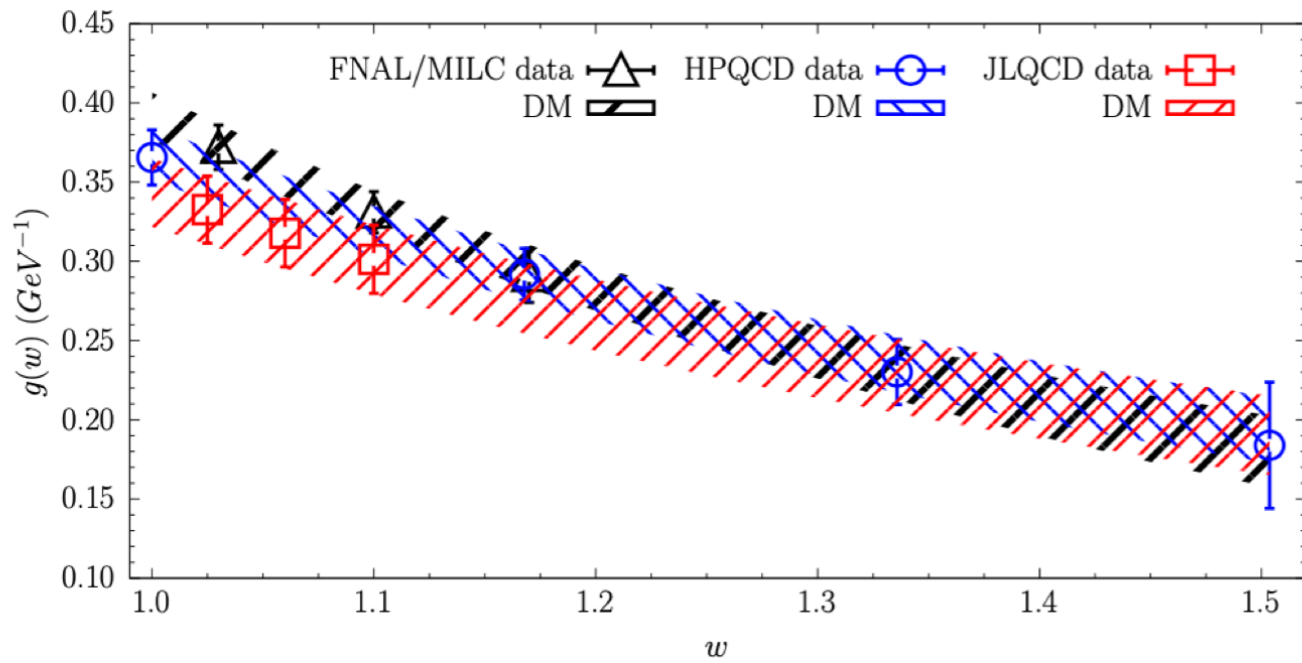
See , e.g., *Phys.Rev.D* 105 (2022) 11, 114507

- $0^+ \rightarrow 0^+$  transitions “better” than neutron decay, **but  $\pi^+ \rightarrow \pi^0 e^+ \nu$  cleanest though**

Interesting proposal: PIONEER — *arXiv:2203.01981*

# A LOOK @ $V_{cb}$

Ludovico Vittorio @ CKM 23



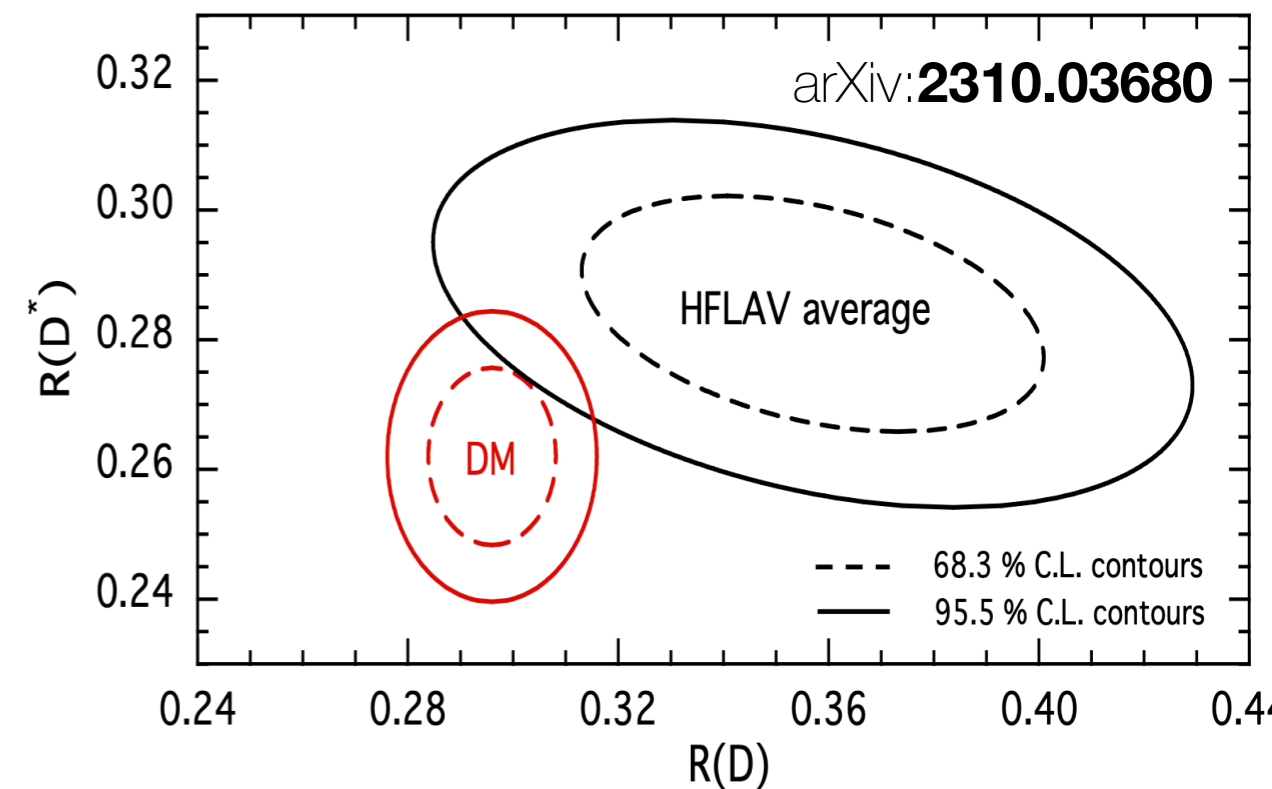
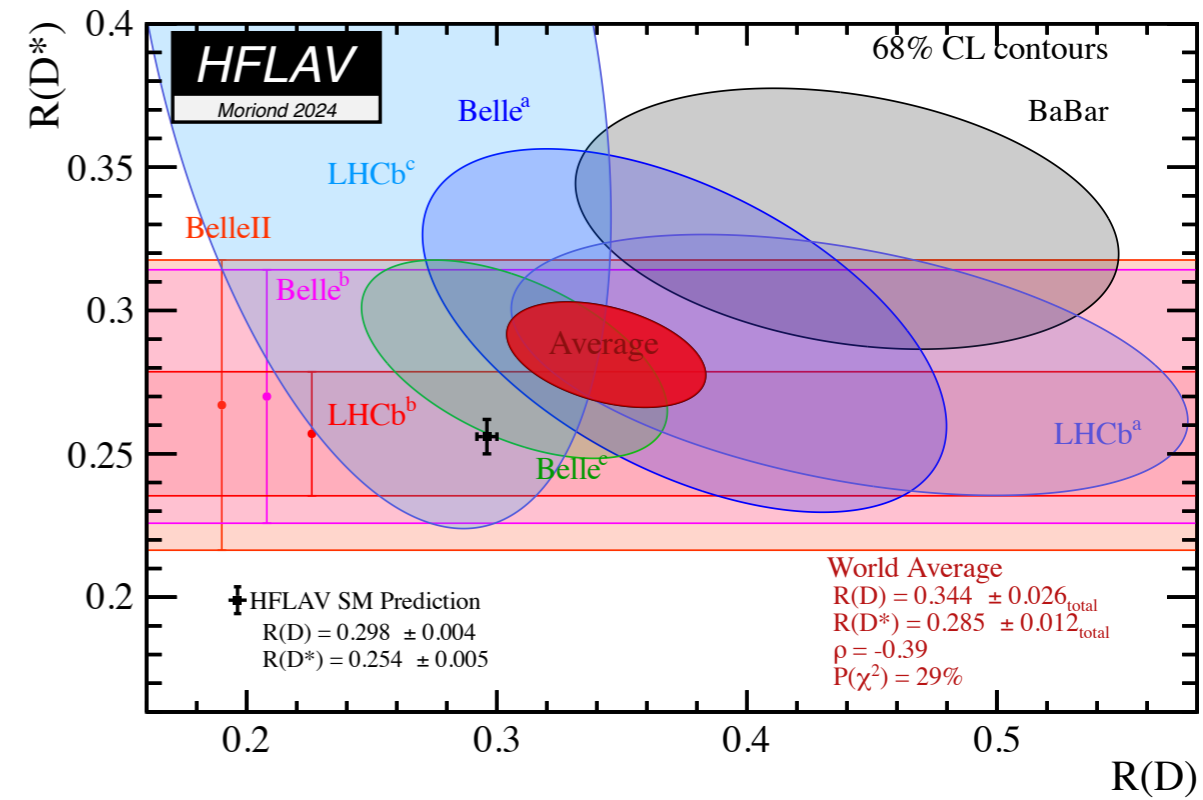
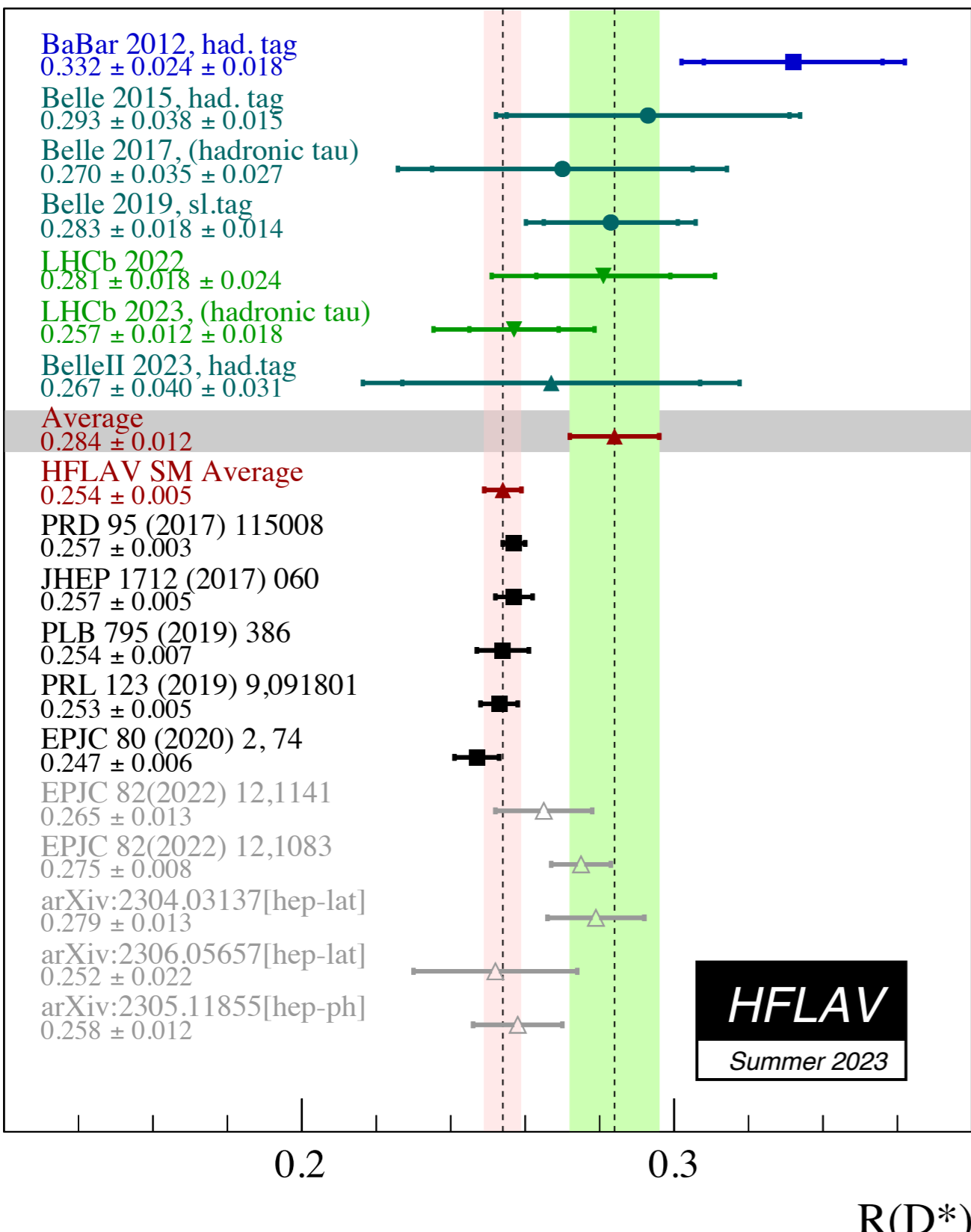
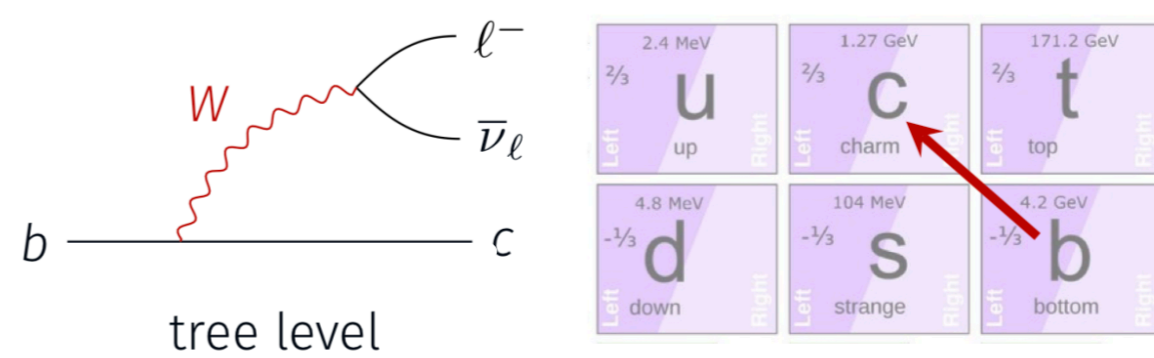
**JLQCD:**  
[arXiv:2306.05657](https://arxiv.org/abs/2306.05657)

**FNAL/MILC:**  
EPJC '22  
([arXiv:2105.14019](https://arxiv.org/abs/2105.14019))

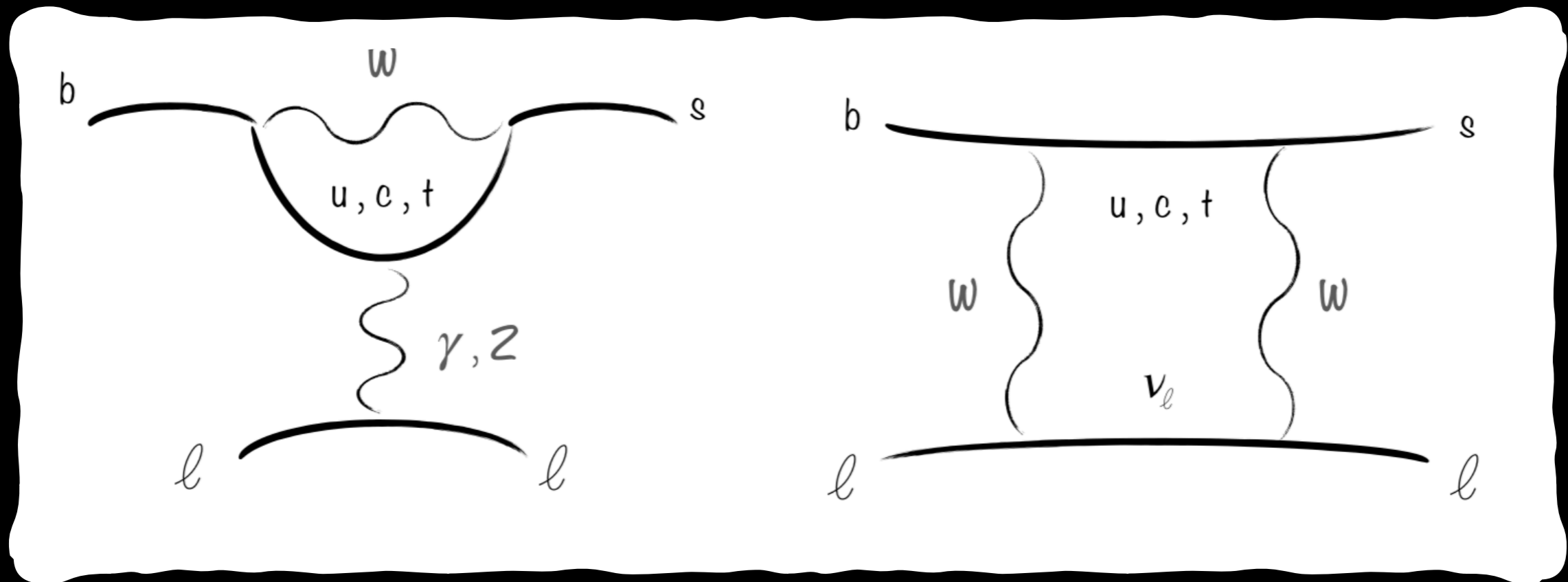
**HPQCD:**  
[arXiv:2304.03137](https://arxiv.org/abs/2304.03137)



# ARE THESE (EXCITING) ANOMALIES? ...



# Semileptonic Rare B decays



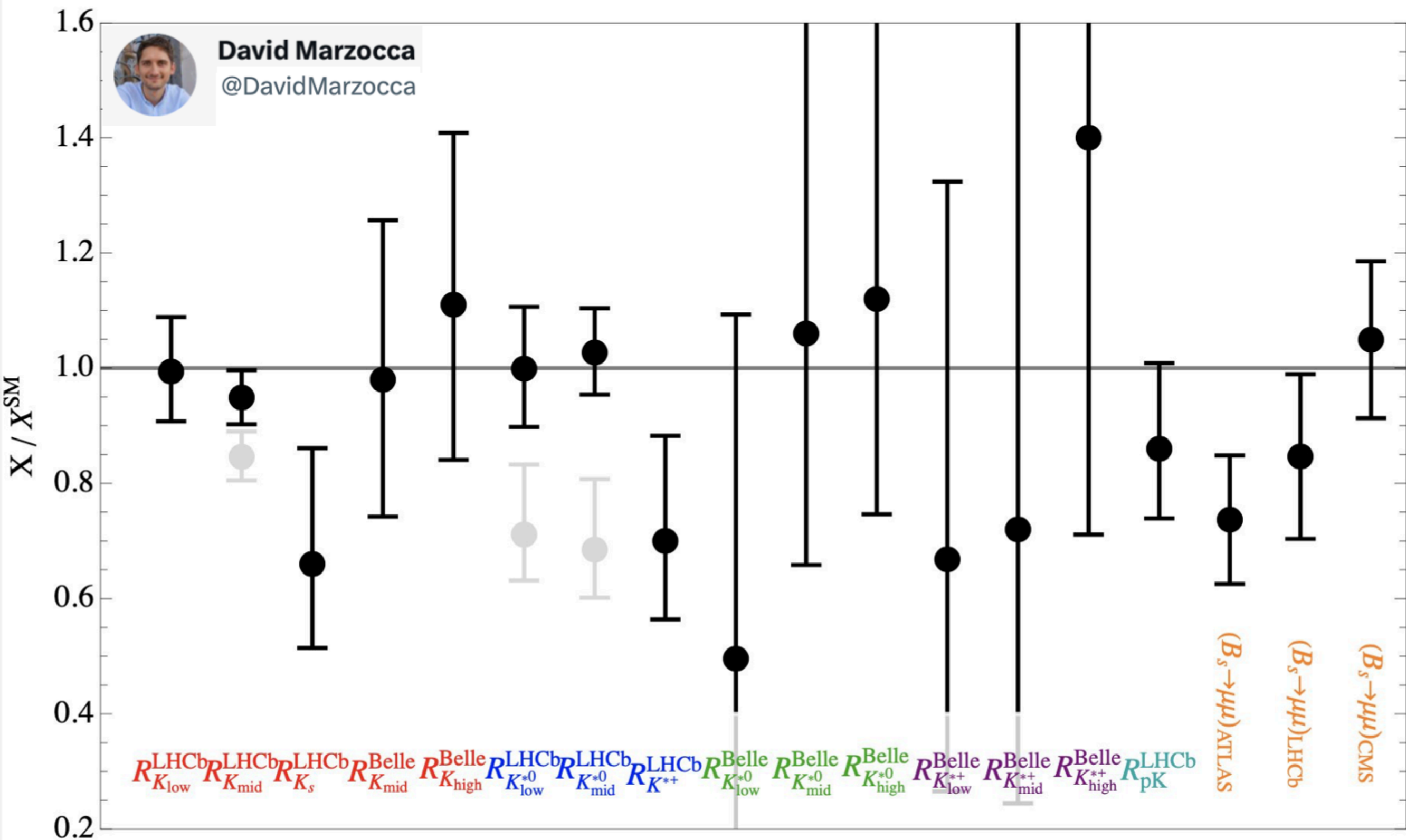
- Flavor Changing Neutral Currents (FCNCs)

- only @ loop level in the SM
- GIM suppressed



for  
**NP!**

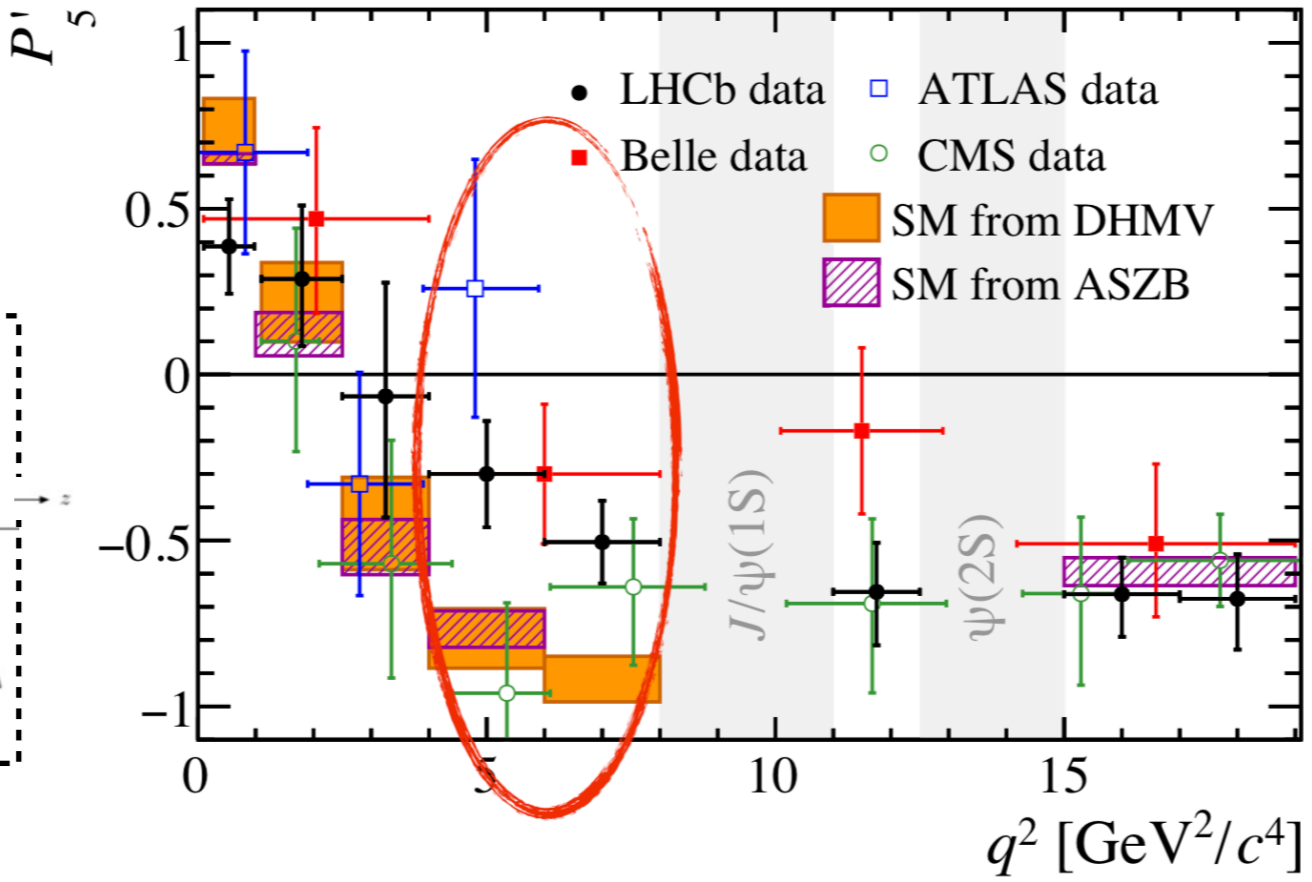
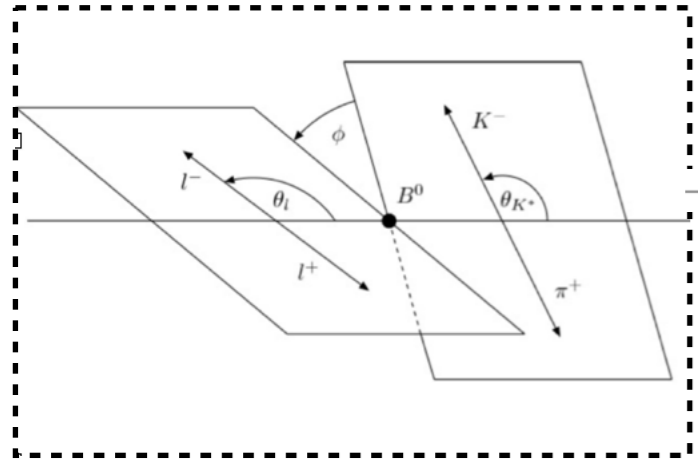
# ... THERE WERE EXCITING ANOMALIES ...



# Hints for NP effects in the same class of FCNCs

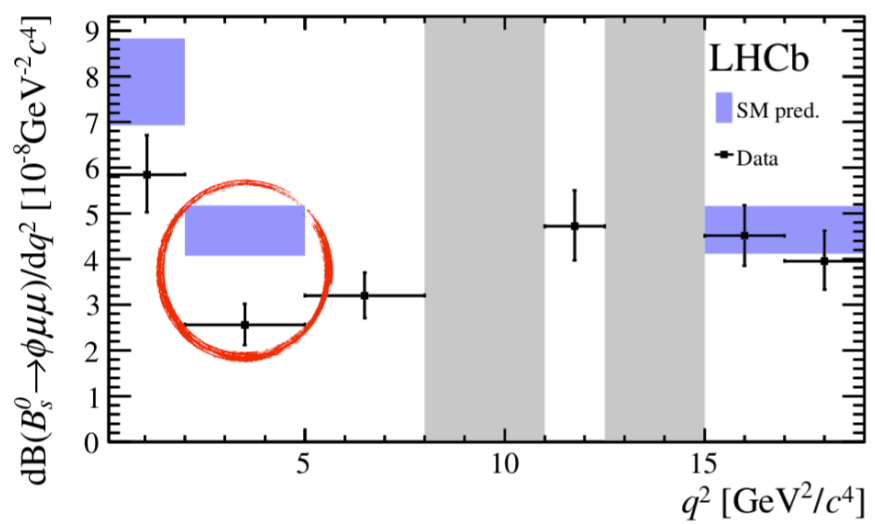
ANGULAR ANALYSIS  
OF  $M \rightarrow V \mu \mu$

[ $M = B_{(s)}$ ,  $V = K^{*0,+}(\phi)$ ]

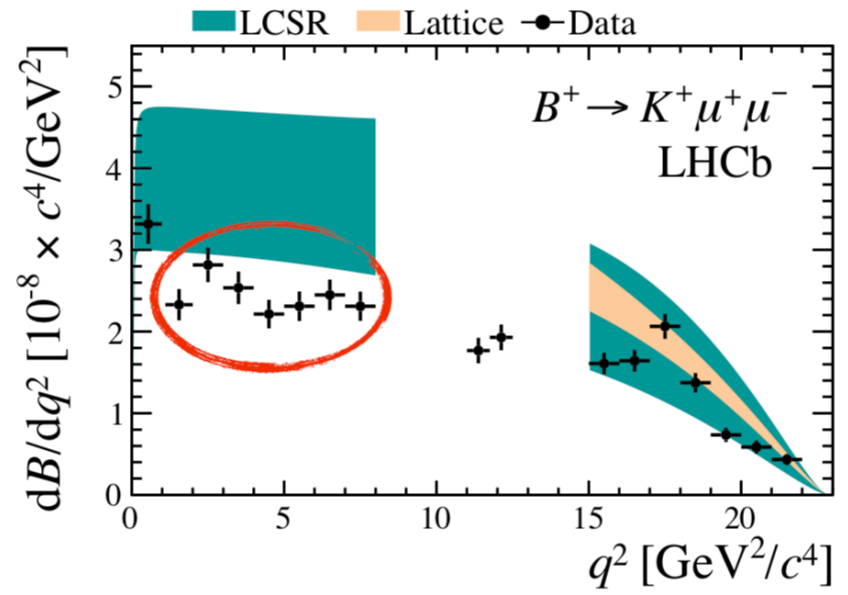


- LHCb
- $4.0 < q^2 / \text{GeV}^2 < 6.0$
- $6.0 < q^2 / \text{GeV}^2 < 8.0$
- $3.4 \sigma$
- ATLAS
- $4.0 < q^2 / \text{GeV}^2 < 6.0$
- $2.7 \sigma$
- BELLE
- $4.0 < q^2 / \text{GeV}^2 < 8.0$
- $2.6 \sigma$
- CMS
- No discrepancies!

BRs, same range in  $q^2$



•  $2.0 < q^2 / \text{GeV}^2 < 5.0$



• Low  $q^2$

CONSISTENT vs TIME  
Tension in muons @ LHCb  
PRL 25, 011802 (2020)

# Hints for NP effects in the same class of FCNCs

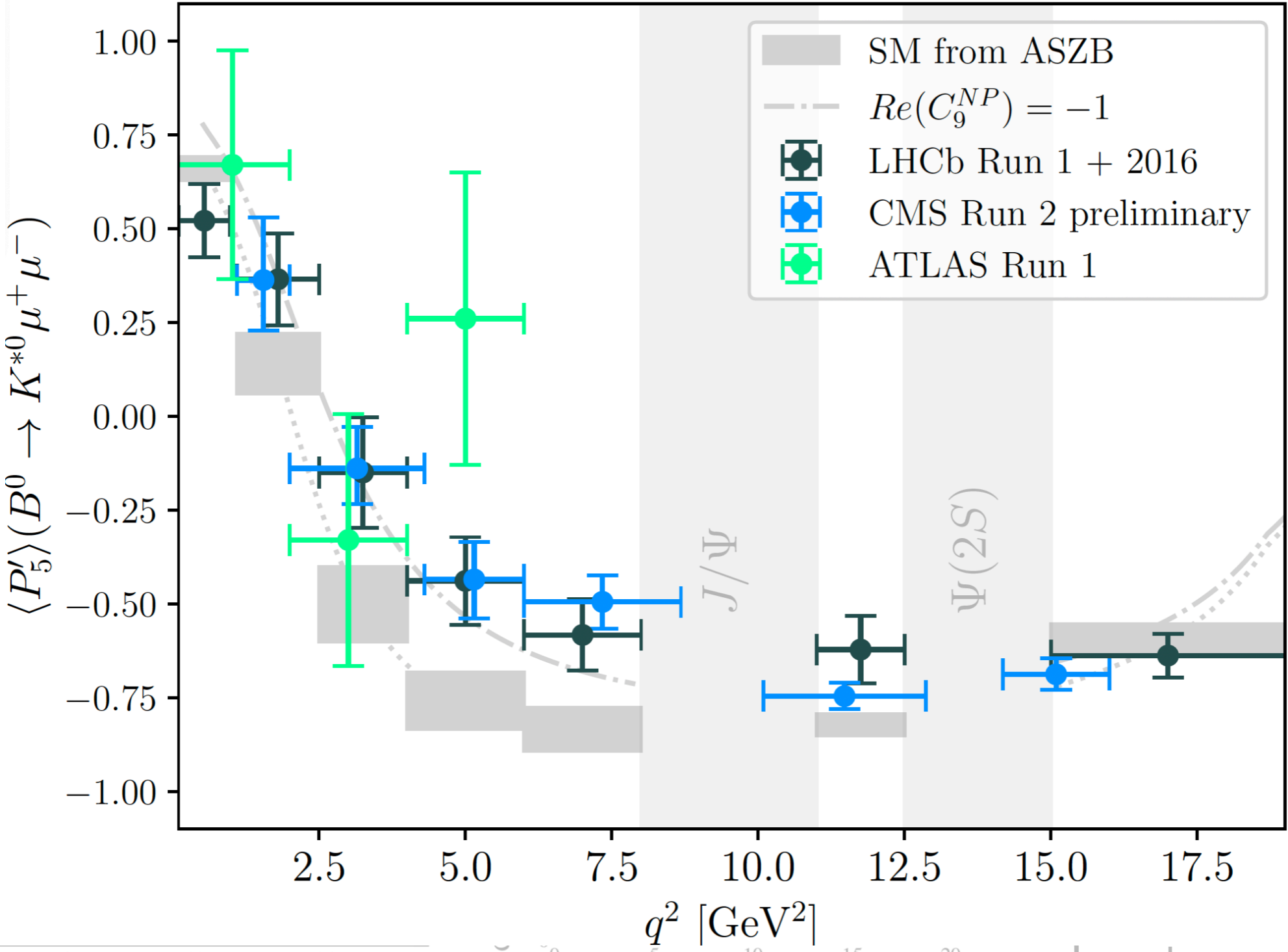
Eluned Smith @ LHCP 2024

ANGULAR ANALYSIS

OF  
[M = E



BRs,



LHCb  
 $q^2 / \text{GeV}^2 < 6.0$   
 $q^2 / \text{GeV}^2 < 8.0$   
 AS  
 $q^2 / \text{GeV}^2 < 6.0$   
 LE  
 $q^2 / \text{GeV}^2 < 8.0$   
 discrepancies!  
 PRL 25, 011802 (2020)

•  $2.0 < q^2 / \text{GeV}^2 < 5.0$

• Low  $q^2$

# INTERLUDE: ANATOMY OF $B \rightarrow K^{(*)} \ell \ell$

$$H_{\lambda}^{(V)}(q^2) \propto 2 \frac{m_b m_B}{q^2} \left( C_7^{\text{eff}} + \Delta C_{7,\lambda}^{\text{QCDF}}(q^2) \right) \tilde{T}_{\lambda}(q^2) + C_9^{\text{eff}}(q^2) \tilde{V}_{\lambda}(q^2)$$

HELICITY AMPLITUDES :  $\lambda = \pm, 0$ .

$$+ \Delta C_{9,\lambda}^{\text{QCDF}}(q^2) + 16\pi^2 \frac{m_B^2}{q^2} \tilde{h}_{\lambda}(q^2),$$

$$H_{\lambda}^{(P)}(q^2) \propto 2 \frac{m_{\ell} m_B}{q^2} C_{10} \left( 1 + \frac{m_s}{m_b} \right) \tilde{S}(q^2), \quad H_{\lambda}^{(A)}(q^2) \propto C_{10} \tilde{V}_{\lambda}(q^2).$$

- SHORT DISTANCE @ DIM 6

*SM Wilson coeffs @  $\sim m_b$ :  $C_7 \sim -1/3$ ,  $C_9 \sim 4$ ,  $C_{10} \sim -4$*

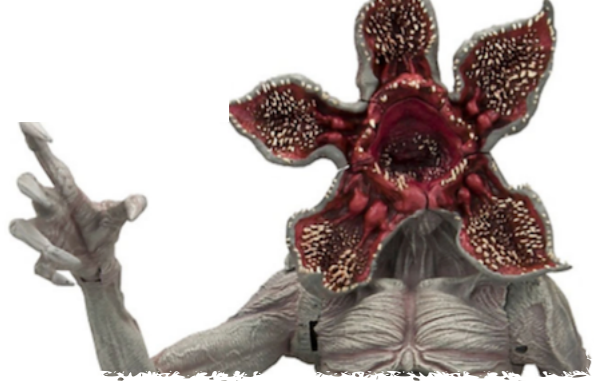
- FORM FACTORS FOR  $B \rightarrow K^{(*)}$

*state-of-the-art from LQCD & LCSR computations*

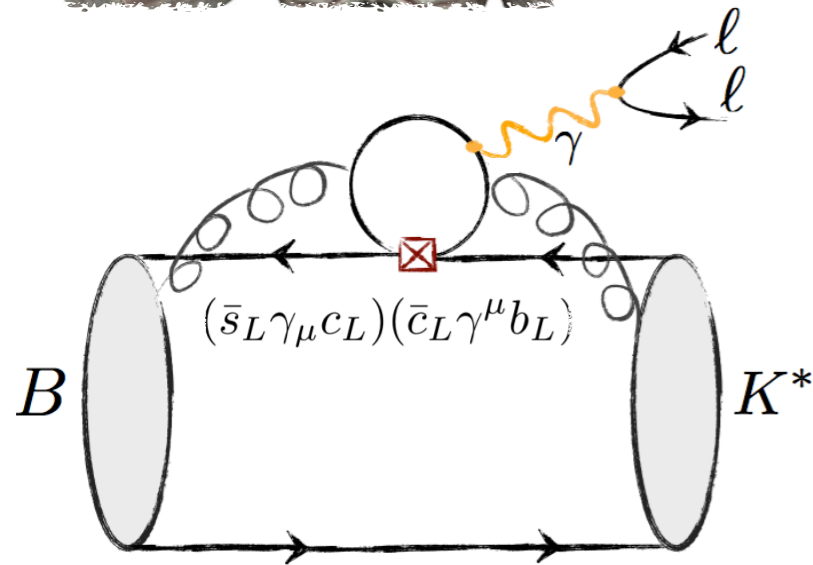
- QCD CONTRIBUTIONS FROM C x C & PENGUINS

*QCD factorization for leading effects of  $O(\Lambda_{\text{QCD}}/m_b)$ ,*

*but non-factorizable power corrections also present.*



# KNOWN UNKNOWNNS IN $B \rightarrow K^* \ell \ell$



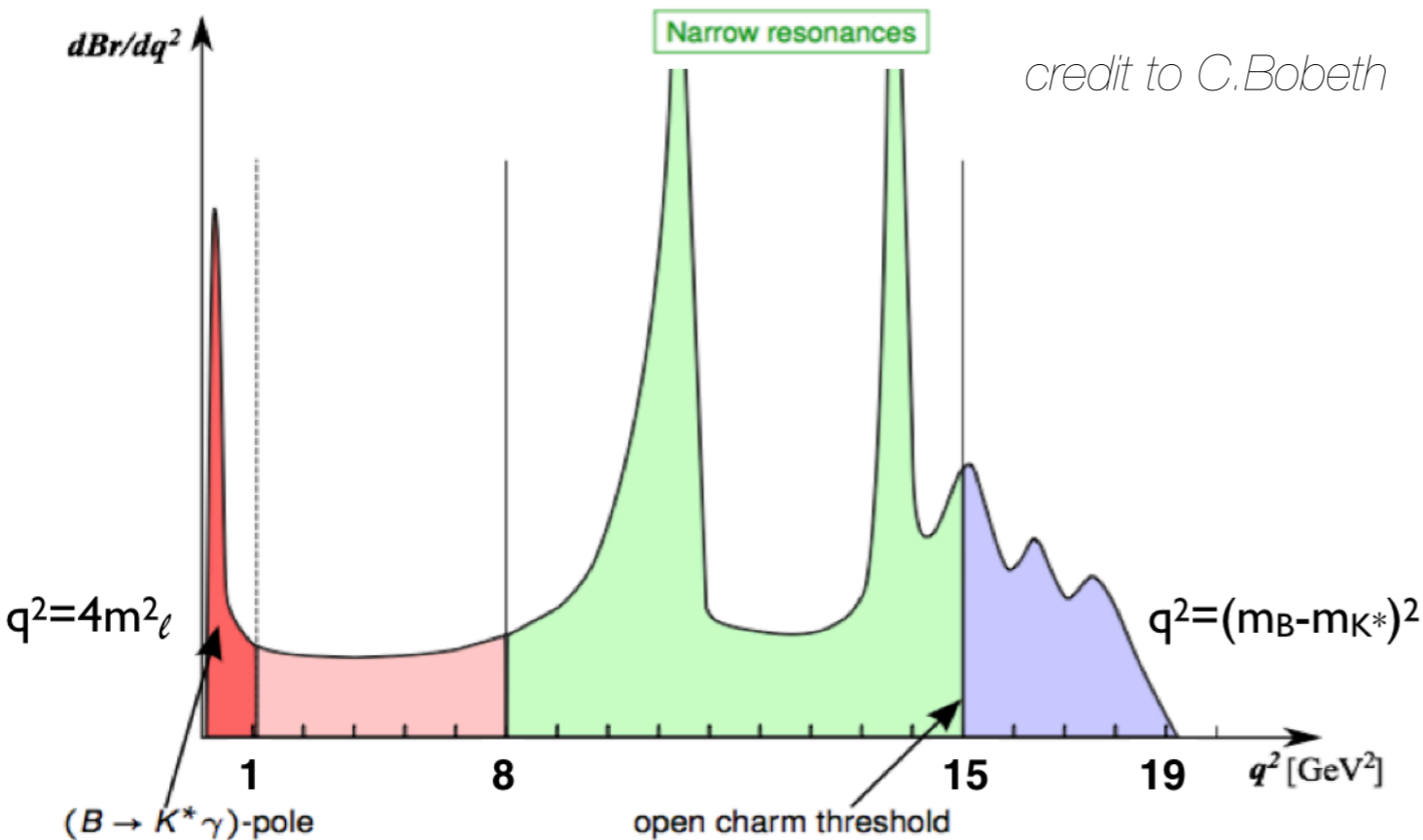
$$h_\lambda(q^2) = \frac{\epsilon_\mu^*(\lambda)}{m_B^2} \int d^4x e^{iqx} \langle \bar{K}^* | T \{ j_{em}^\mu(x) \mathcal{H}_{eff}^{had}(0) \} | \bar{B} \rangle$$

COMPUTED IN  
**JHEP 09 (2010) 089**

ACCORDING TO:

- i) Light-cone sum rules (LCSR)
- ii) Single soft gluon approximation
- iii) Extrapolation via dispersion rel.

credit to C. Bobeth



Large Recoil (low  $q^2$ )

Low Recoil (high  $q^2$ )

**“OPTIMISTIC” =**  
TRUST THIS COMPLETELY!  
**Pheno - Model - Driven (PMD)**

**“CONSERVATIVE” =**  
TRUST THIS PARTIALLY!  
**Pheno - Data - Driven (PDD)**

# ANOMALIES IN $B \rightarrow K^* \mu\mu$ ?

[JHEP 06 (2016) 116]

$$h_{0,\pm}(q^2) = \sum_{k=0,1,2} h_{0,\pm}^{(k)} \left( \frac{q^2}{\text{GeV}^2} \right)^k$$

## Phenomenological Model Driven (PMD)

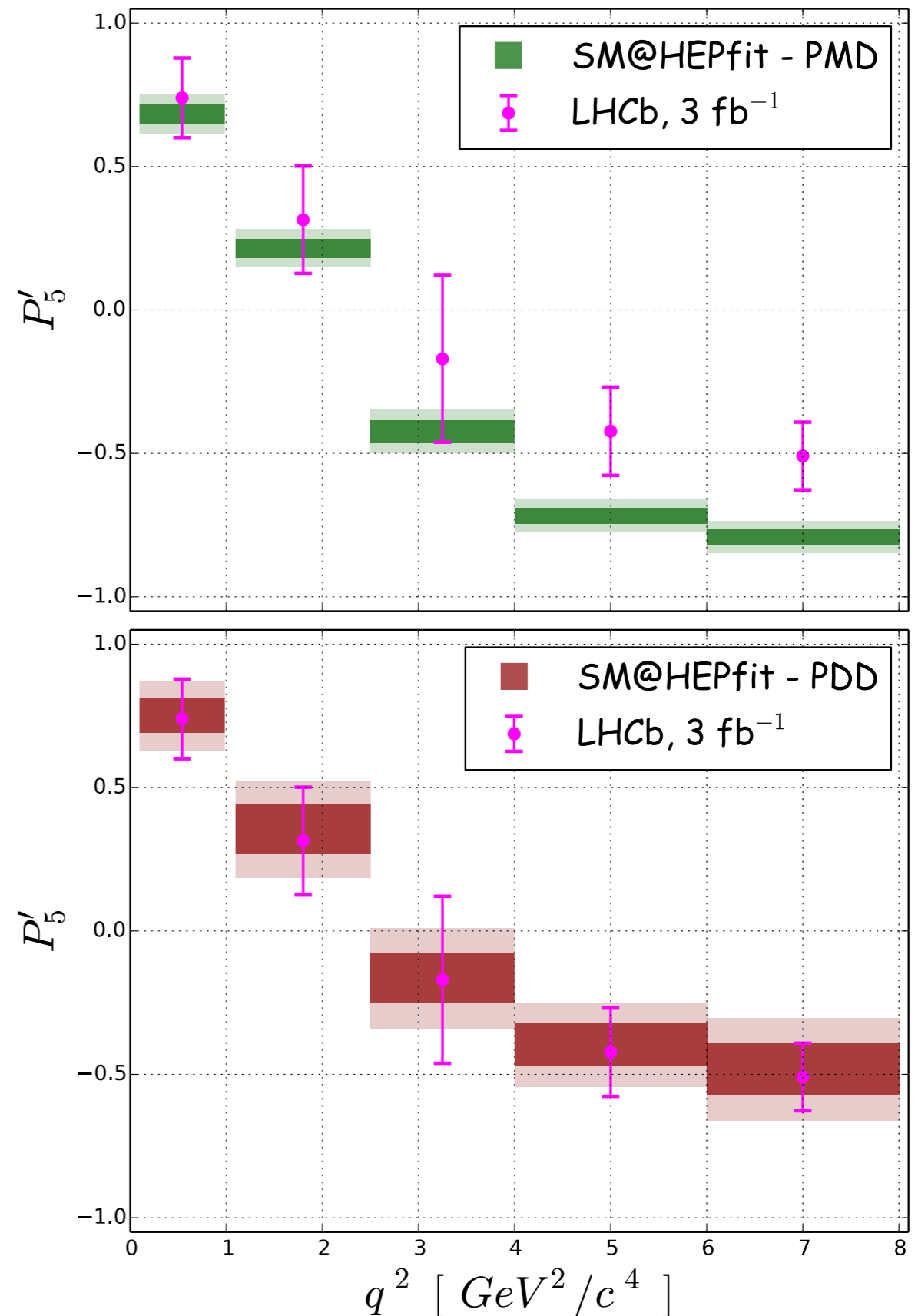
Enforce outcome of LCSR + dispersion relations in the entire range of  $q^2$

$$P'_5 = \frac{S_5}{\sqrt{F_L(1 - F_L)}}$$

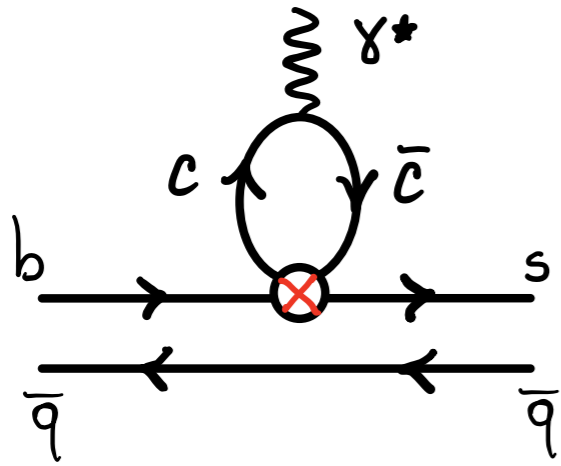
*Descotes-Genon et al. 2013*

## Phenomenological Data Driven (PDD)

Apply LCSR results only for  $q^2 \lesssim \text{GeV}^2$

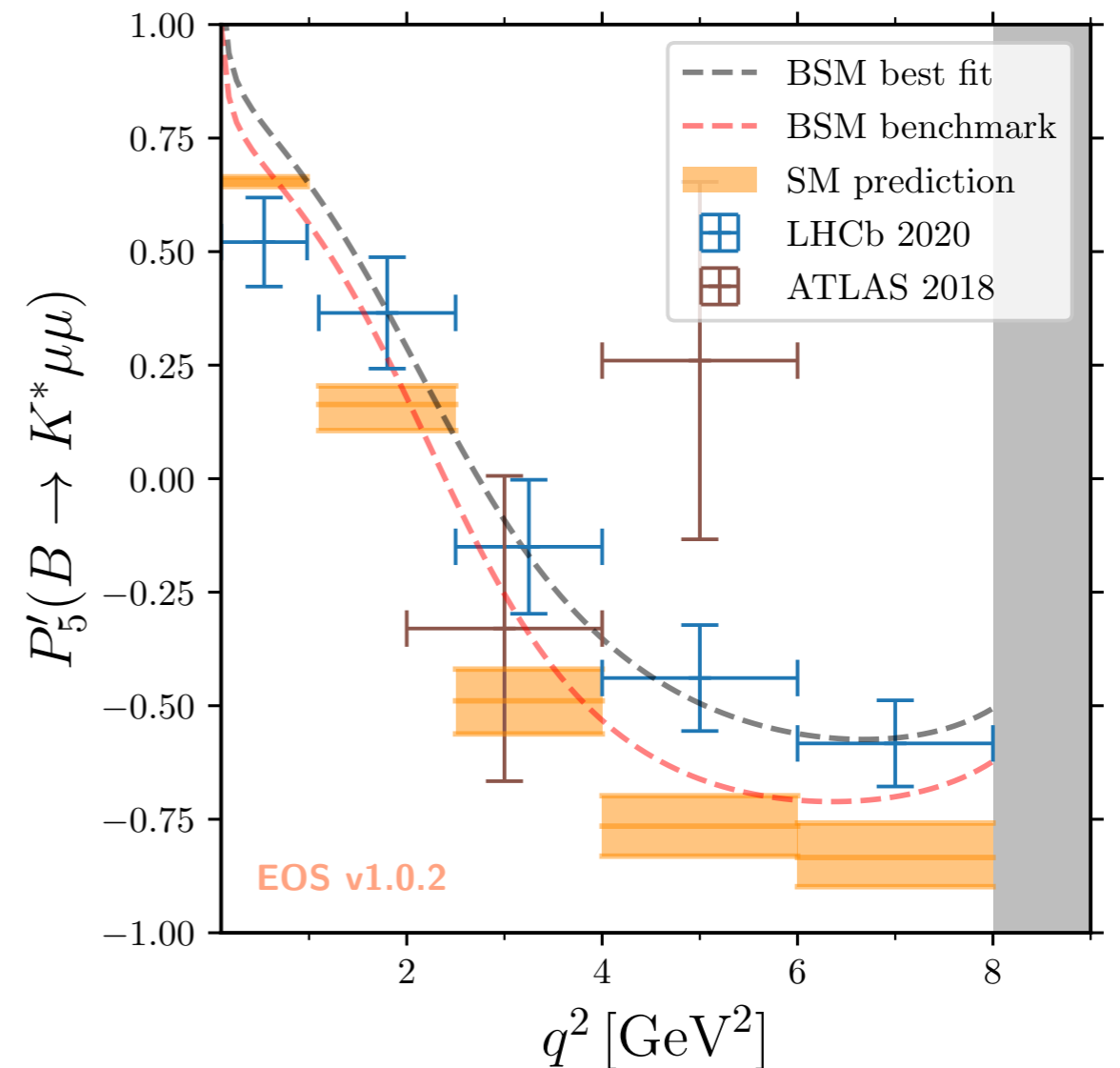
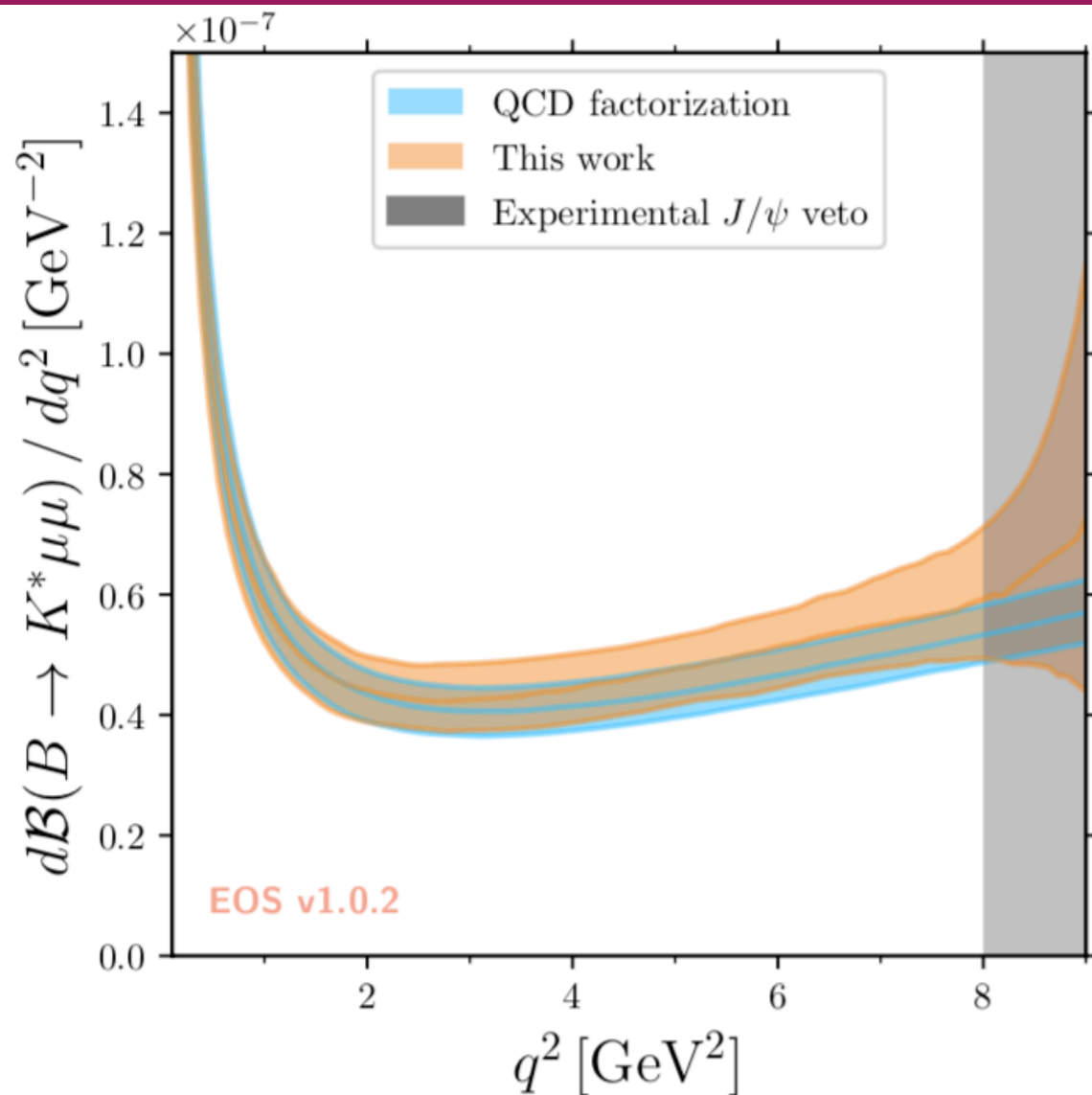


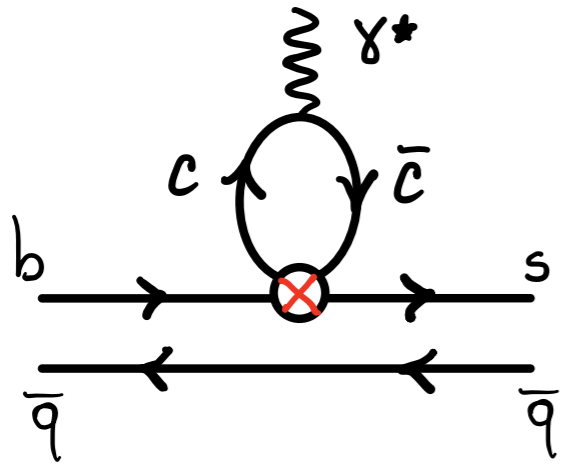




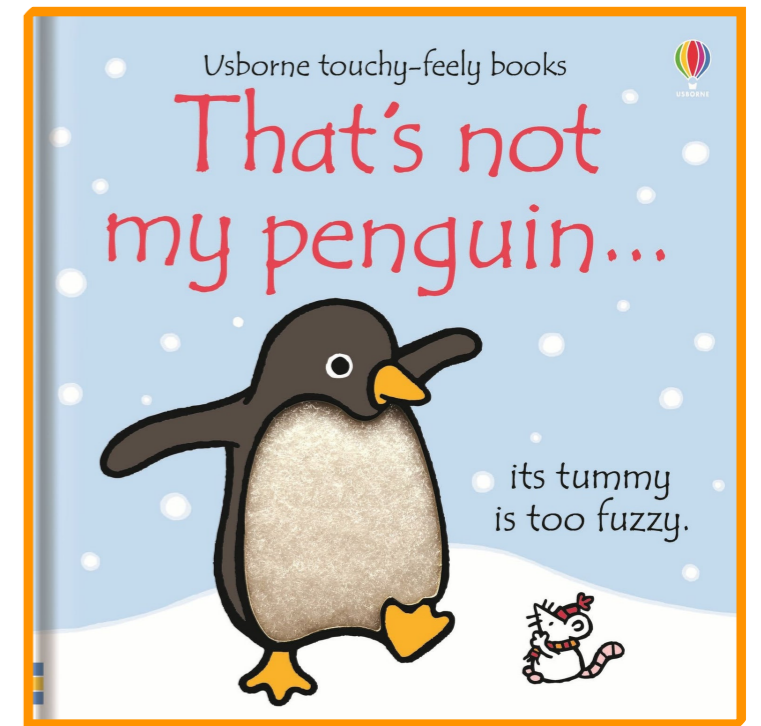
In 2022, this class  
of charming penguins  
has been re-estimated  
—> tiny contribution!  
[ *JHEP 09 (2022) 133* ]

- 1) LCSR at  $q^2 \leq 0$
- 2)  $z$  - expansion w/  
 $B \rightarrow MJ/\psi$  data
- 3) dispersive bounds



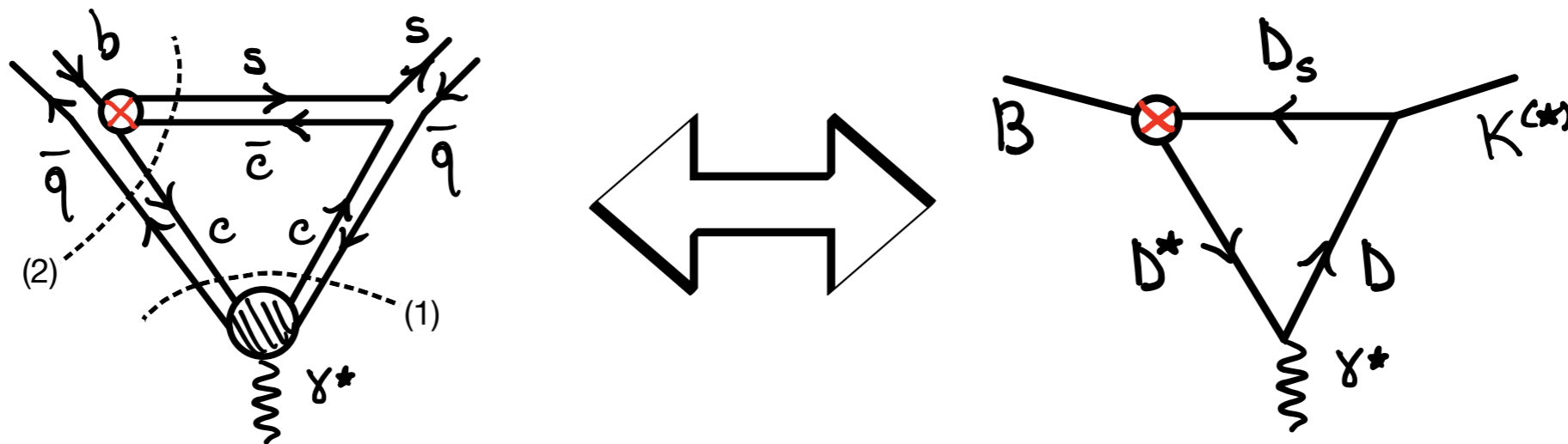


In 2022, this class of charming penguins has been re-estimated  
 —> tiny contribution?  
 [ *JHEP 09 (2022) 133* ]



## ... BUT WHAT ABOUT THOSE ?

[ *Eur.Phys.J.C 83 (2023)* ]



Rescattering from intermediate on-shell hadronic states.  
 These effects NOT captured by any analytic cut solely in  $q^2$ .

[ *i.e., anomalous thresholds, see arXiv:2406.14608* ]

**NEW data driven approach:** no theory input on  $h_{\lambda}^{(k)}$

# B ANOMALIES : WHERE ARE WE STANDING

**PRD 107 (2023) 5**

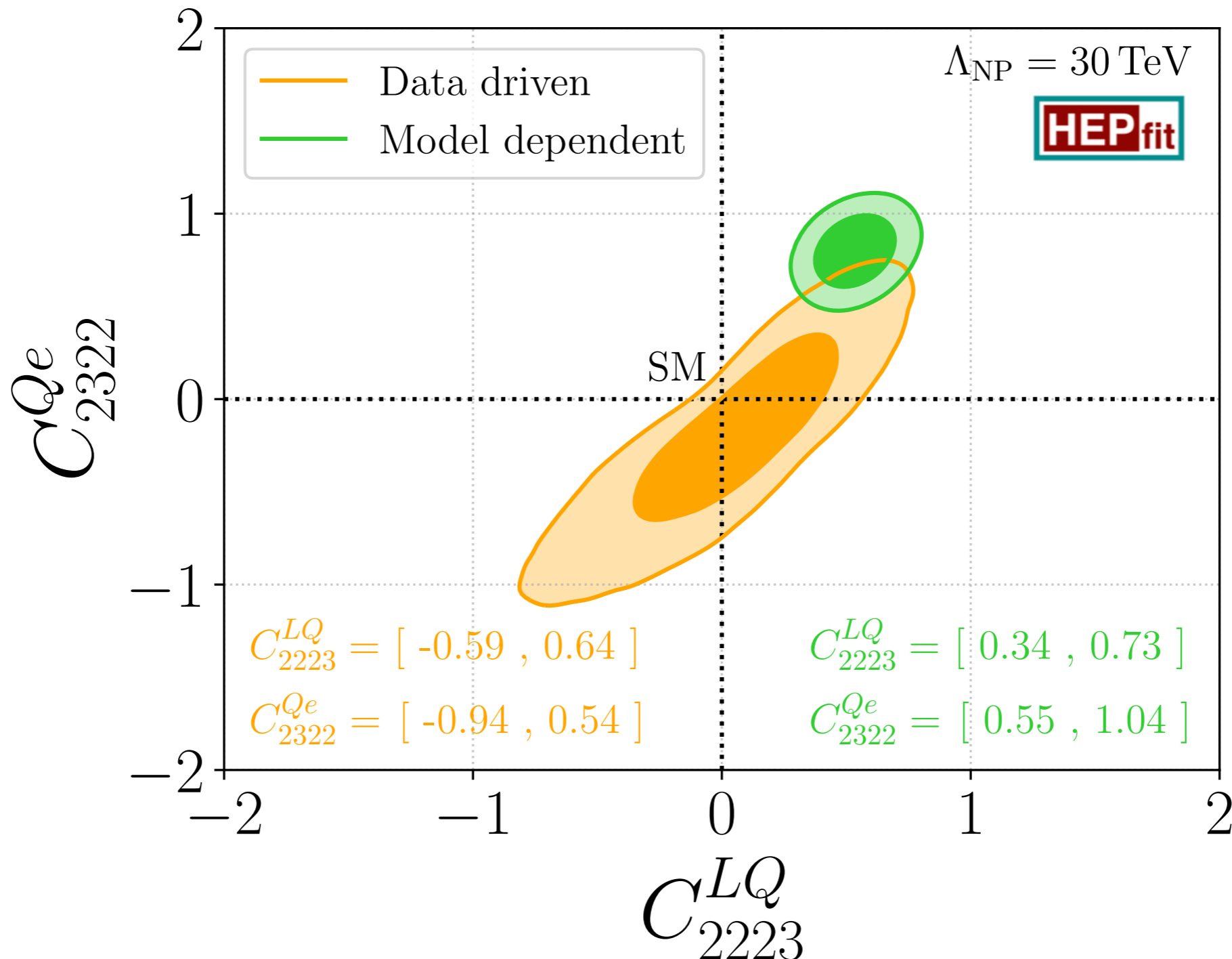
**SMEFT GLOBAL ANALYSIS:**  
KEY NP OPERATORS

$$O_{2223}^{LQ} = \bar{L}_2 \gamma_\mu L_2 \bar{Q}_2 \gamma^\mu Q_3$$

$$O_{2322}^{Qe} = \bar{Q}_2 \gamma_\mu Q_3 \bar{e}_2 \gamma^\mu e_2$$

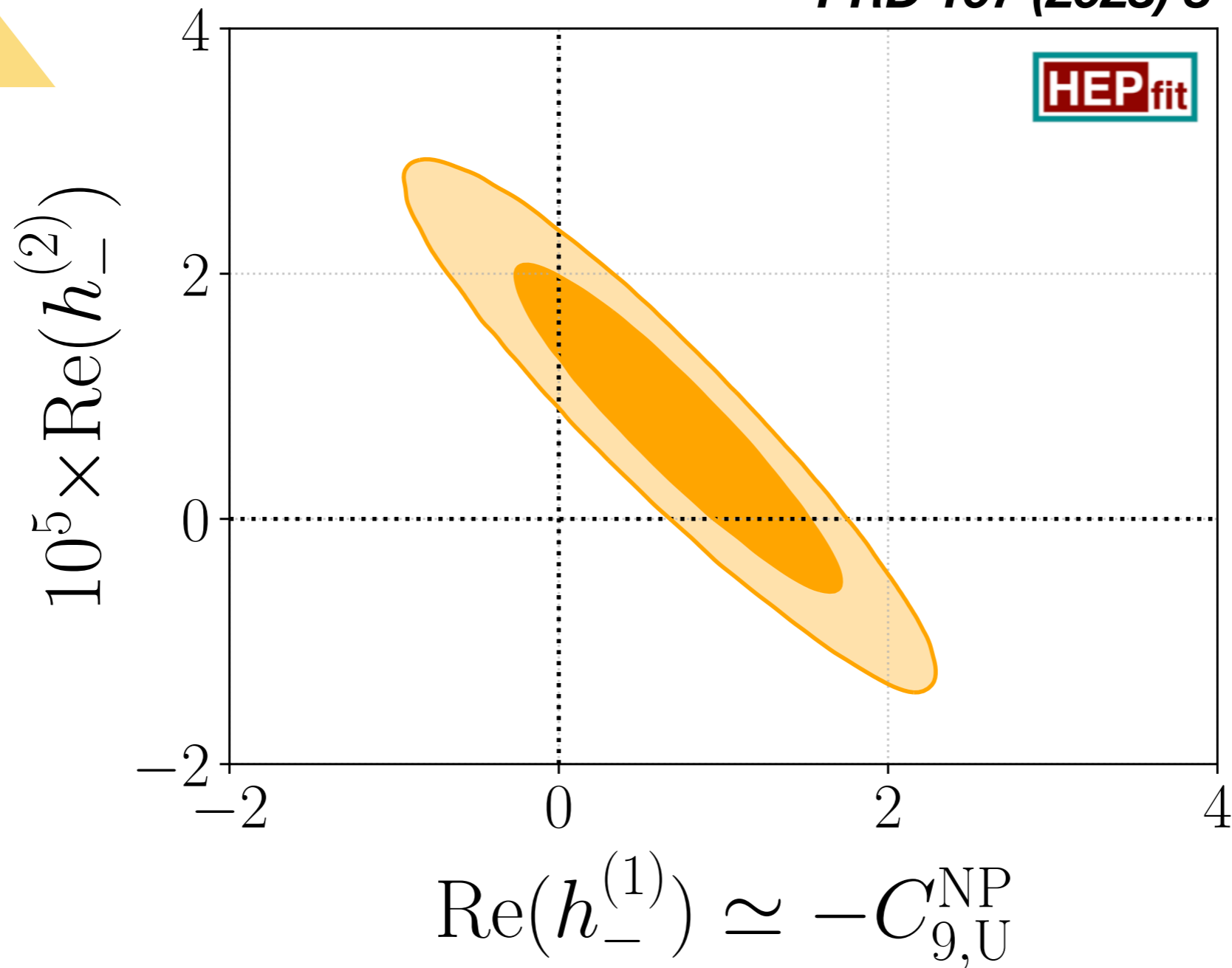
$$C_9 \propto C^{Qe} + C^{LQ}$$

$$C_{10} \propto C^{Qe} - C^{LQ}$$



# B ANOMALIES : WHERE ARE WE STANDING

PRD 107 (2023) 5



QCD ONLY

QCD ~ LEPTON UNIVERSAL NP

# ARE WE HIDING NEW PHYSICS?

No!  NO! 

**SYMMETRIES OF THE AMPLITUDE DO NOT ALLOW TO DISENTANGLE  
ORIGIN OF A UNIVERSAL  $\Delta C_9$  IN CP-EVEN ANGULAR ANALYSIS & BRS.**

- IF SHIFT INDEPENDENT OF HELICITY &  $q^2$  [2401.18007] ... VERY INTERESTING!
- WE MIGHT LEARN MORE WITH ADDITIONAL OBSERVABLES [2403.13056] ...  
... WISHLIST: A LATTICE BREAKTHROUGH [*Martinelli et al.*, work in progress]

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LHCb EXTRACTED RECENTLY NON-LOCAL EFFECTS FROM DATA [*PRL* 132 (2024) 13]

- Non-local function follows [*JHEP* 09 (2022) 133]

$$\mathcal{H}_\lambda(z) = \frac{1 - zZ_{J/\psi}}{z - z_{J/\psi}} \frac{1 - zZ_{\psi(2S)}}{z - z_{\psi(2S)}} \hat{\mathcal{H}}_\lambda(z), \quad \hat{\mathcal{H}}_\lambda(z) = \phi_\lambda^{-1}(z) \sum_k a_{\lambda,k} z^k$$



**EVIDENCE FOR  $\Delta C_9$  AT 2 SIGMA LEVEL**



### Special Instructions

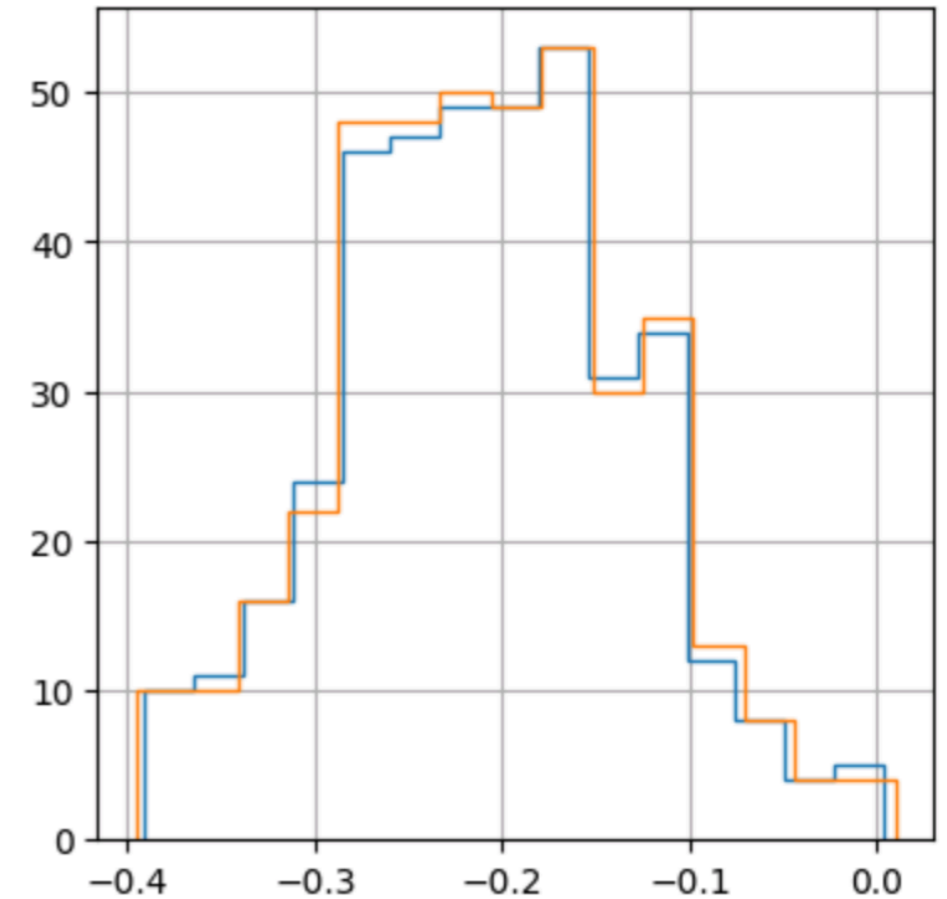
This ZIP file contains the Supplemental Material for the publication LHCb-PAPER-2023-032.

The files are:

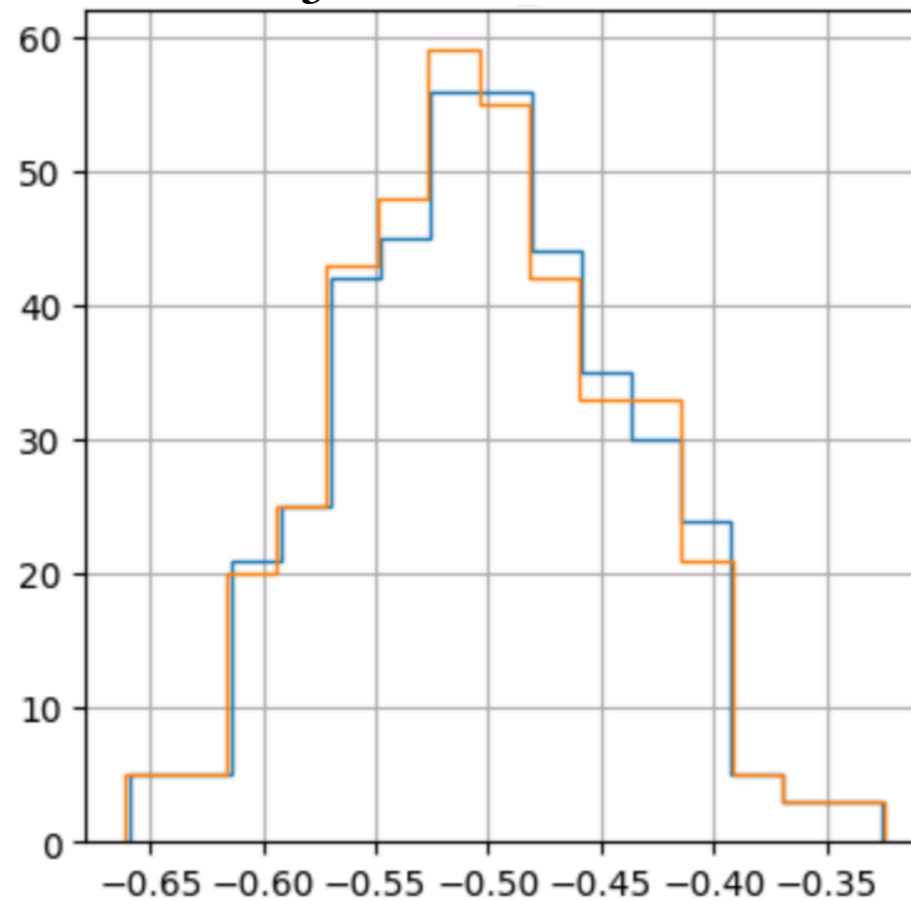
- coefficients{}.json : - the fit results in form of a bootstrapped set of fit parameters
- core/ : - a directory with the implementation of the signal amplitude model employed in the analysis
- main.py : - main script with some instruction and examples on how to use the package

[LHCb-PAPER-2023-032-Supplemental-Material.zip](#)

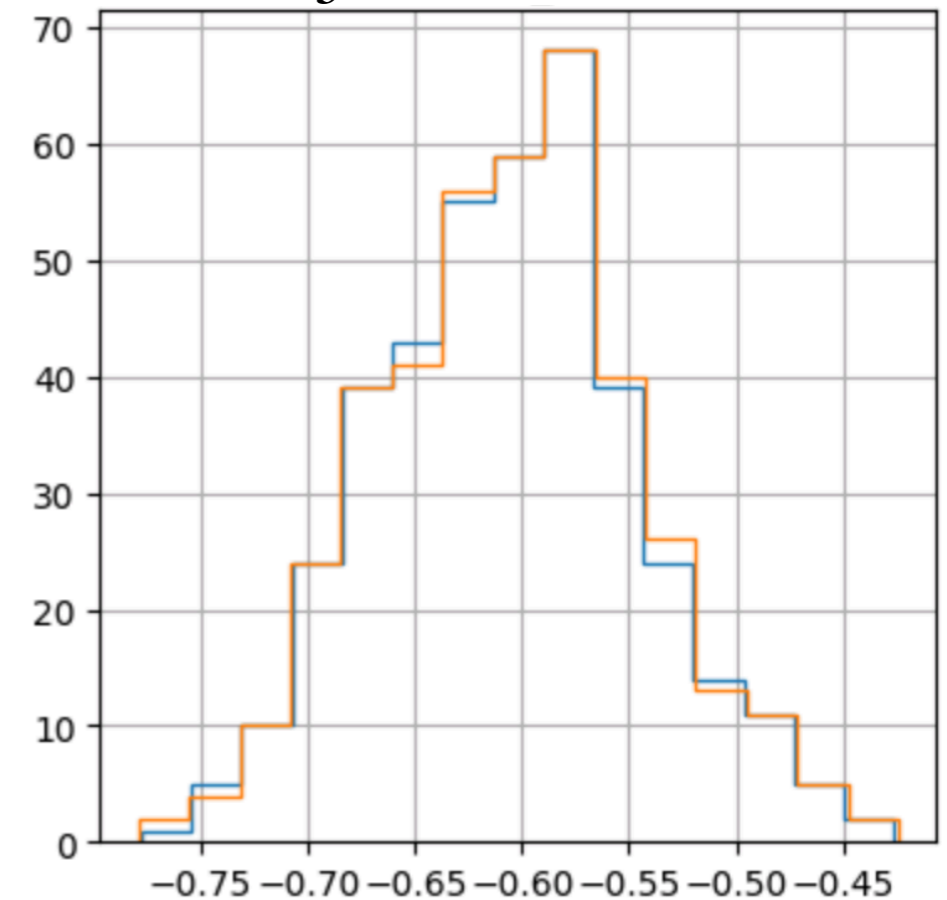
$P'_5$  : bin [2.5,4] GeV<sup>2</sup>



$P'_5$  : bin [4,6] GeV<sup>2</sup>



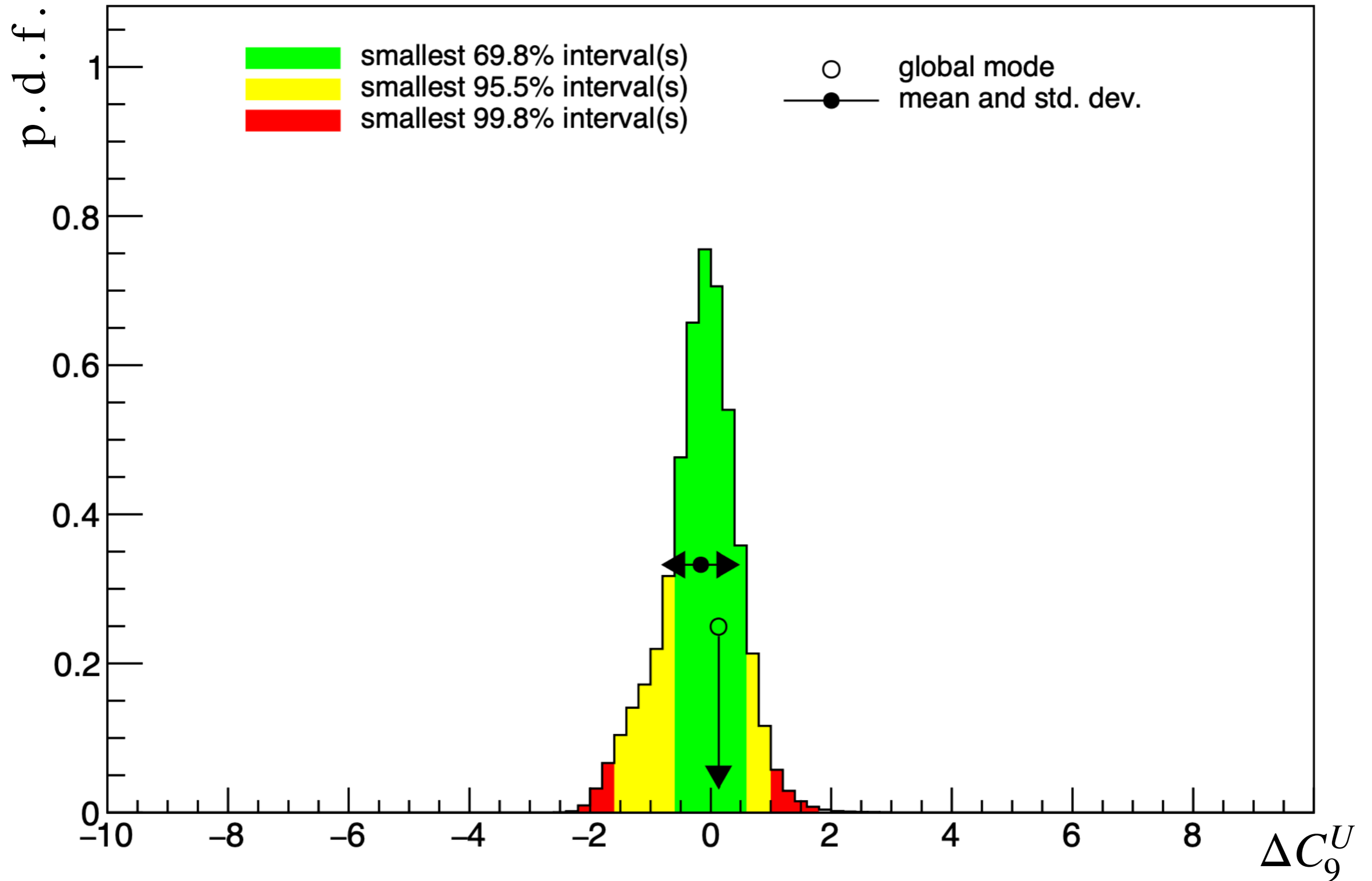
$P'_5$  : bin [6,8] GeV<sup>2</sup>



— HEPfit  
— LHCb bootstrap

VERY GOOD AGREEMENT ACROSS ALL OBSERVABLES, INCLUDING NARROW  $c\bar{c}$

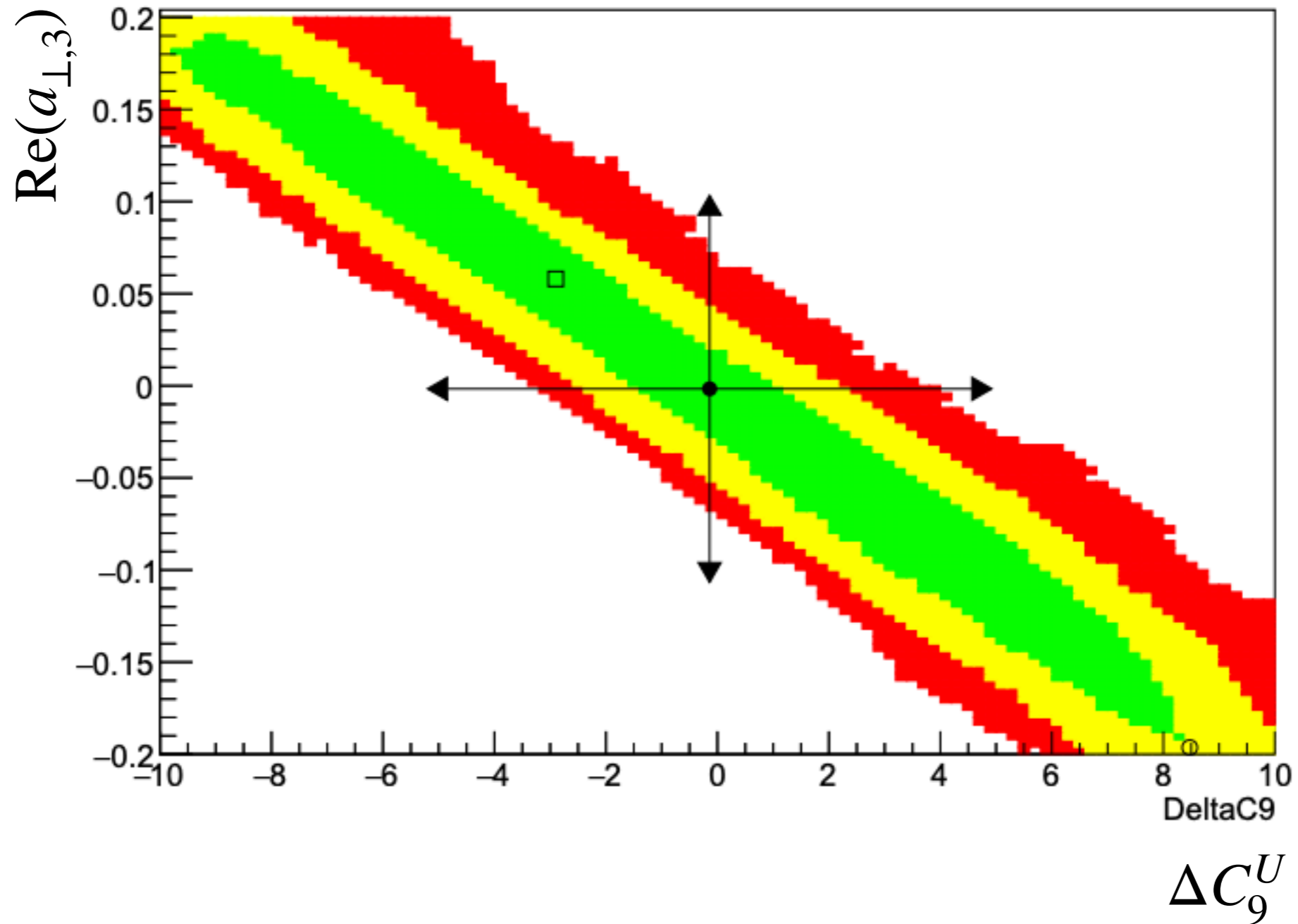
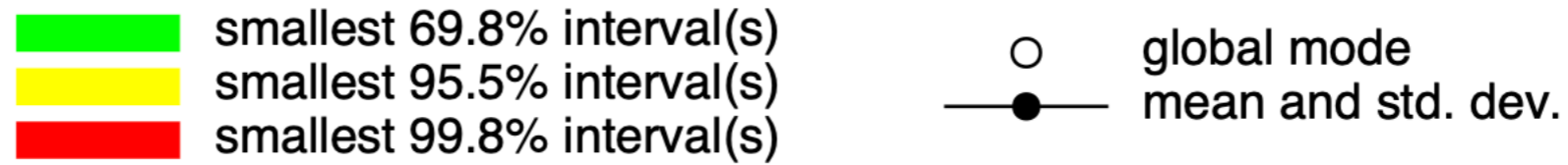
# HEPfit MCMC results



**BAYESIAN INFORMATION CRITERION PENALIZES ADDITION OF UNIVERSAL  $\Delta C_9^U$ .**

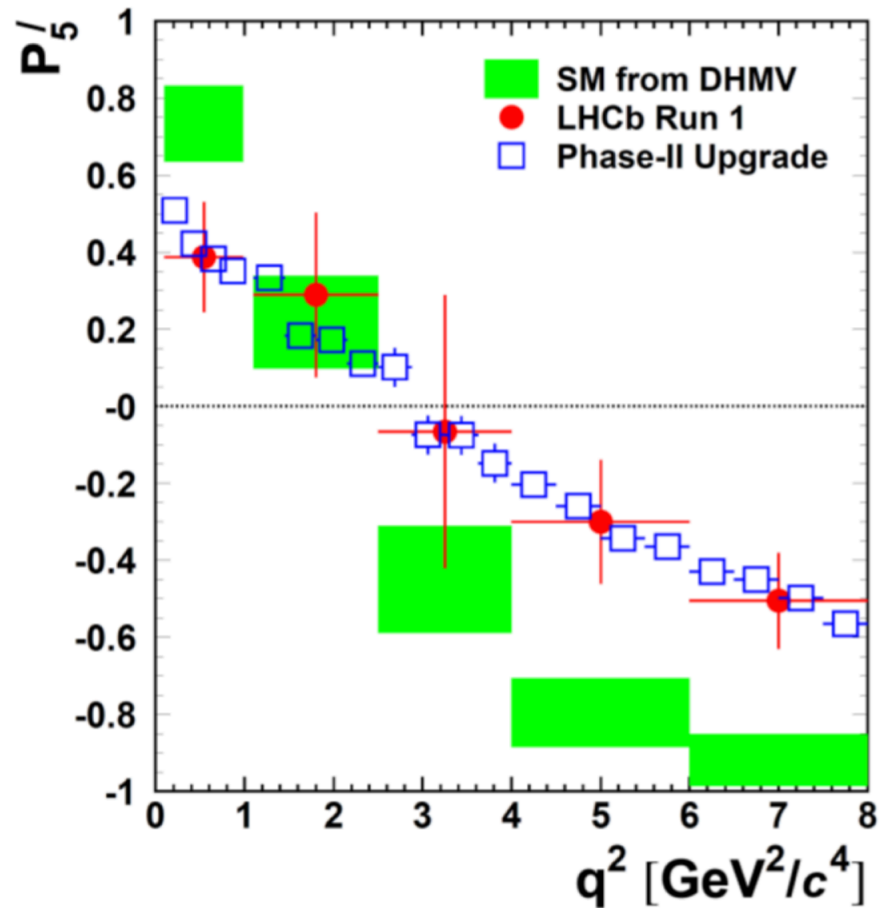


# HEPfit MCMC results

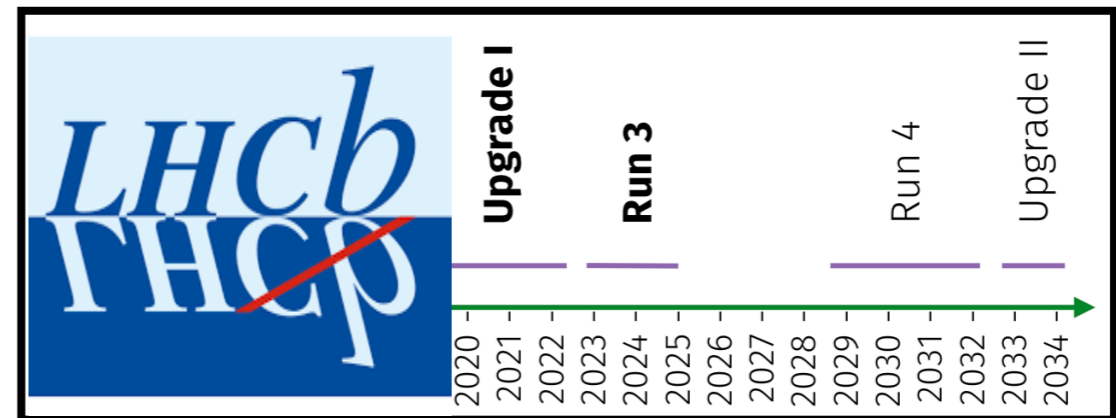


EXPANDING @ NEXT ORDER — INCLUDING  $\mathcal{O}(z^3)$  — AFFECTS INFERENCE OF  $\Delta C_9^U$

# B ANOMALIES : A FUTURE



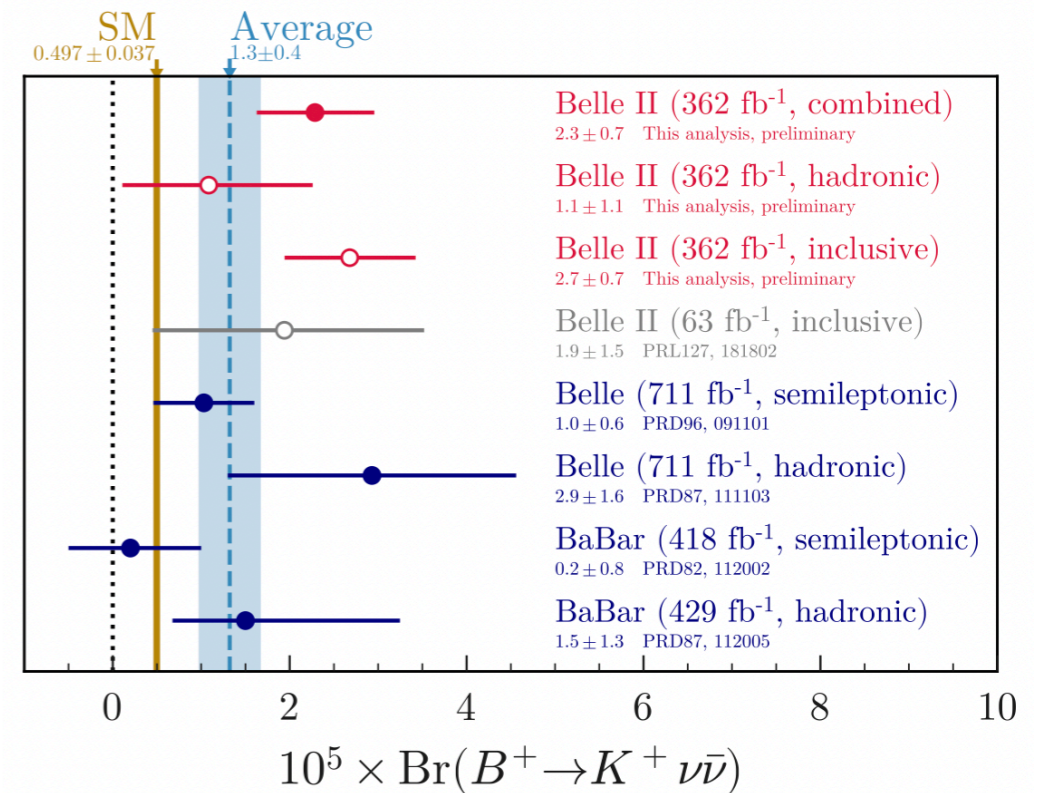
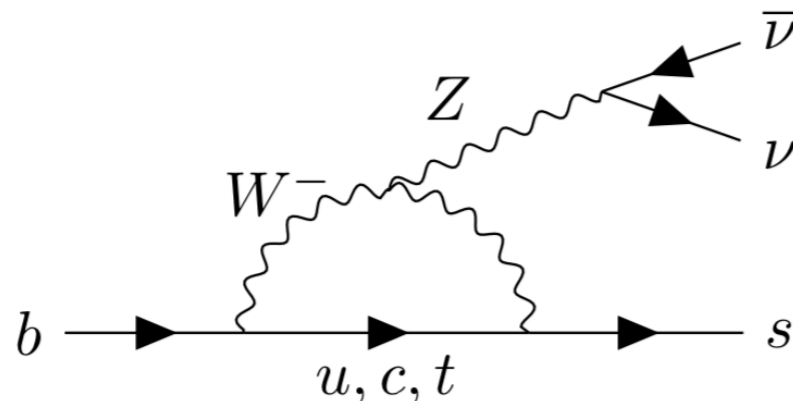
**LHCb upgrade(s)** will allow us to probe precisely the  $q^2$  dependence in the angular analysis ...  
 —> *pin down effects from hadronic physics*



**CMS & ATLAS** are going to play a role as well!

**Belle II** is already delivering interesting results!

A POSSIBLE NEW INTERESTING ANOMALY ...





~~WITH~~ ~~NP CLAIMS~~  
~~GREAT POWER~~  
~~COMES GREAT~~  
~~RESPONSIBILITY~~

~~- SPIDERMAN~~ - M. Ciuchini

ABSENCE  
OF  
EVIDENCE  
IS NOT  
EVIDENCE  
OF  
ABSENCE





**Special Thanks to M + M x the organization & the invitation!**

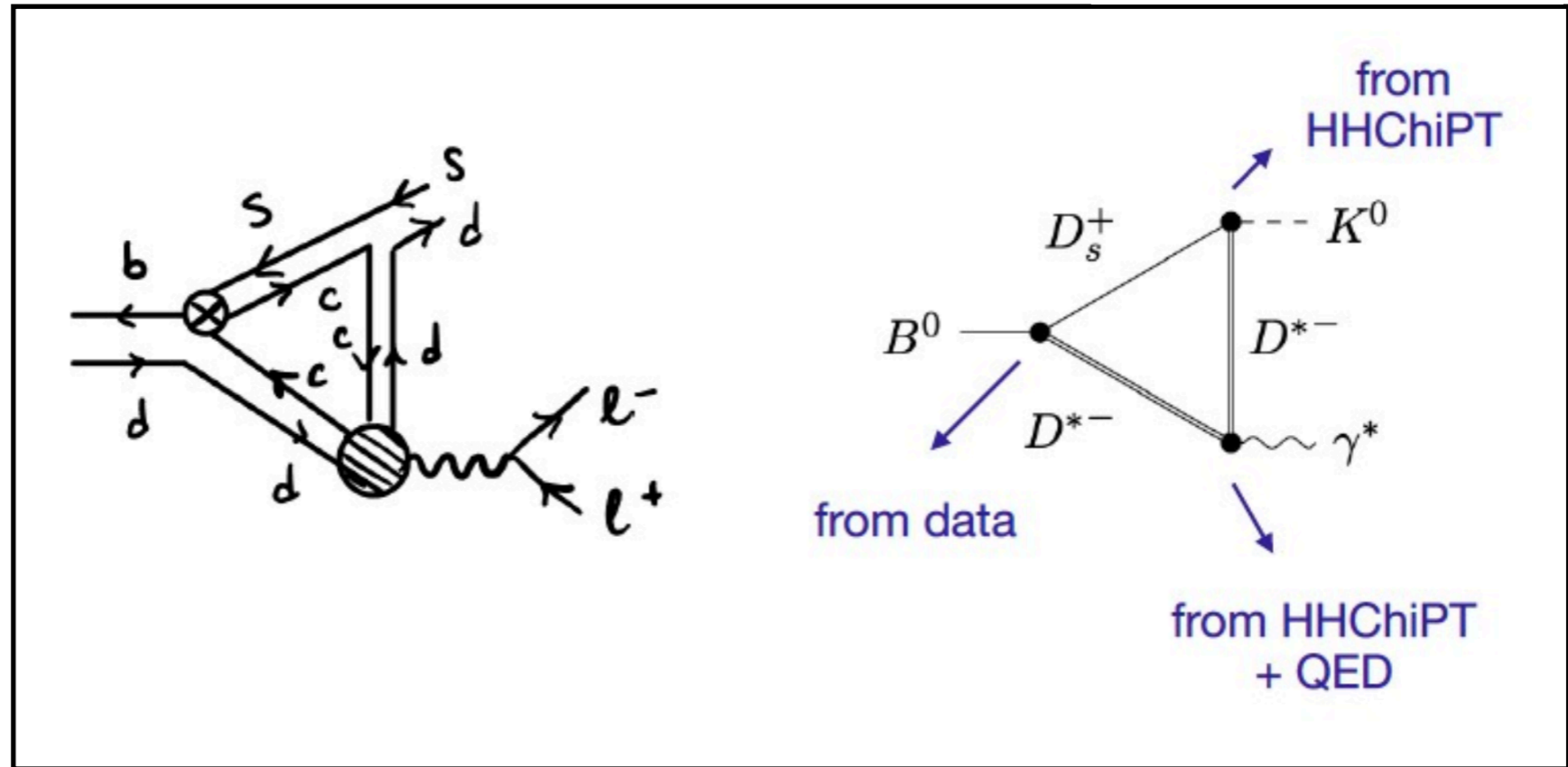
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**BACKUP**

# TRIANGLES & ANOMALOUS THRESHOLDS

[arXiv:2405.17551](https://arxiv.org/abs/2405.17551)



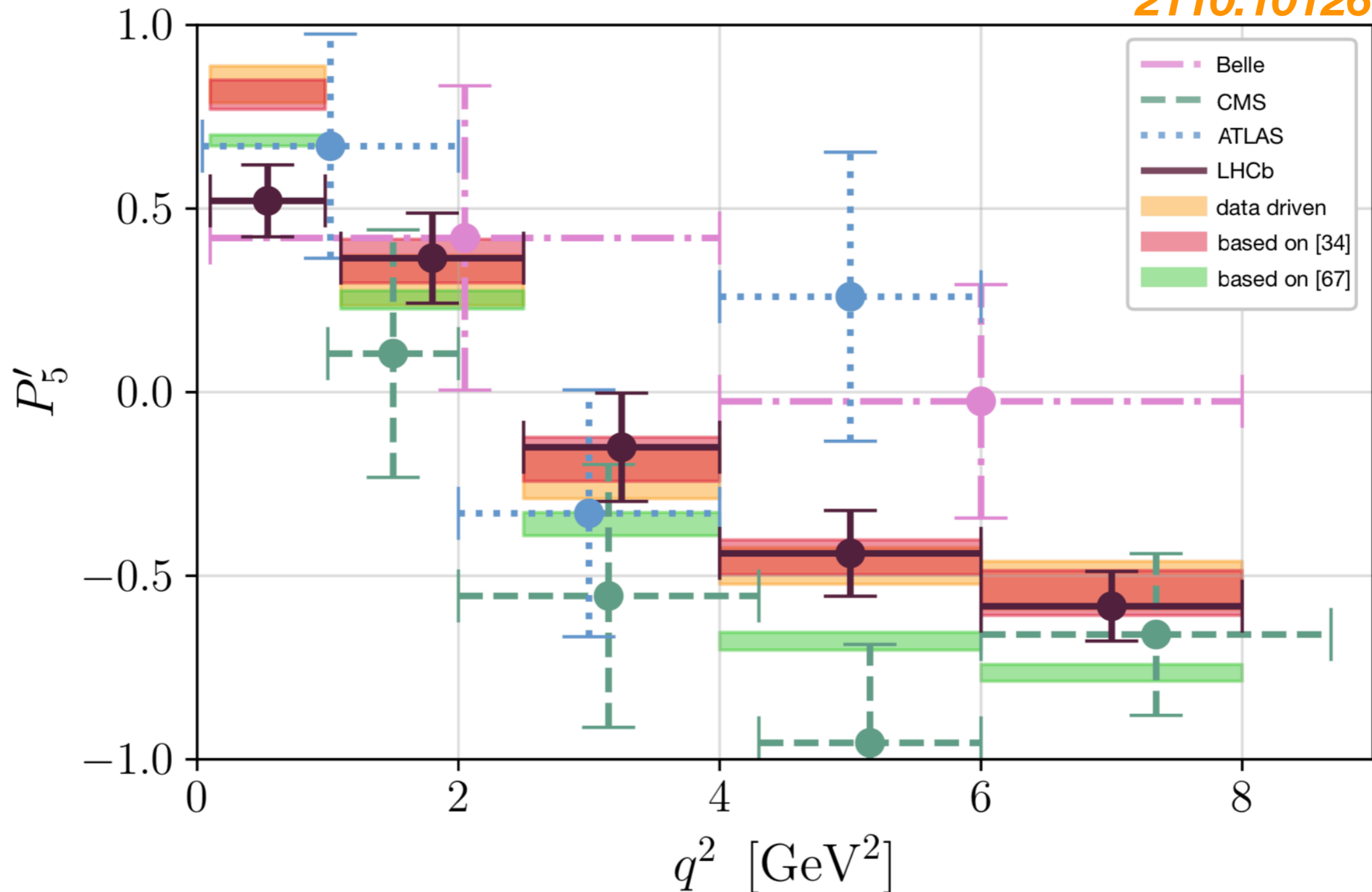
**Pheno estimate** extrapolating Heavy Hadron ChiPT to region of low  $q^2$  points to an effect of few percent ... but see recent [arXiv:2406.14608](https://arxiv.org/abs/2406.14608)

Anomalous thresholds easily yield  $O(10\%)$  effects (maybe even  $O(1)$ ?)

- distortion of the analytic structure implies “new” dispersion relations
- $\bar{D}D$ ,  $\bar{D}D^*$ ,  $\bar{D}^*D^*$ ,  $\bar{D}_sD_s$ , etc. challenging for pheno analyses

# B ANOMALIES : $P_5'$

2110.10126

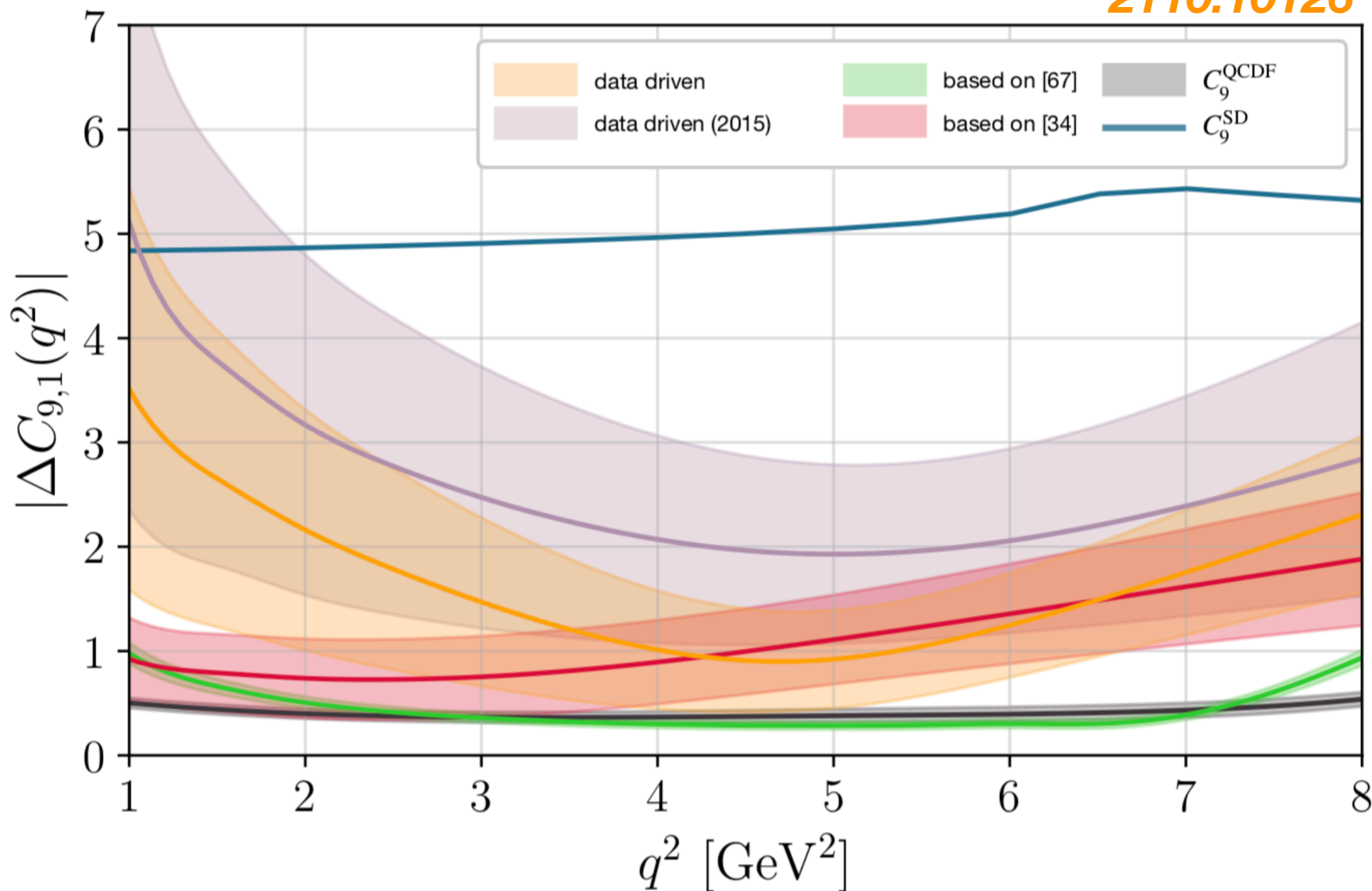


34. M. Ciuchini, A. M. Coutinho, M. Fedele, E. Franco, A. Paul, L. Silvestrini et al., *Hadronic uncertainties in semileptonic  $B \rightarrow K^* \mu^+ \mu^-$  decays*, *PoS BEAUTY2018* (2018) 044, [[arXiv:1809.03789](https://arxiv.org/abs/1809.03789)].

67. A. Khodjamirian, T. Mannel, A. Pivovarov and Y.-M. Wang, *Charm-loop effect in  $B \rightarrow K^{(*)} \ell^+ \ell^-$  and  $B \rightarrow K^* \gamma$* , *JHEP* **09** (2010) 089, [[arXiv:1006.4945](https://arxiv.org/abs/1006.4945)].

# EXTRACTION OF HADRONIC EFFECTS

2110.10126



34. M. Ciuchini, A. M. Coutinho, M. Fedele, E. Franco, A. Paul, L. Silvestrini et al., *Hadronic uncertainties in semileptonic  $B \rightarrow K^* \mu^+ \mu^-$  decays*, *PoS BEAUTY2018* (2018) 044, [[arXiv:1809.03789](https://arxiv.org/abs/1809.03789)].

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# Phenomenological Data Driven

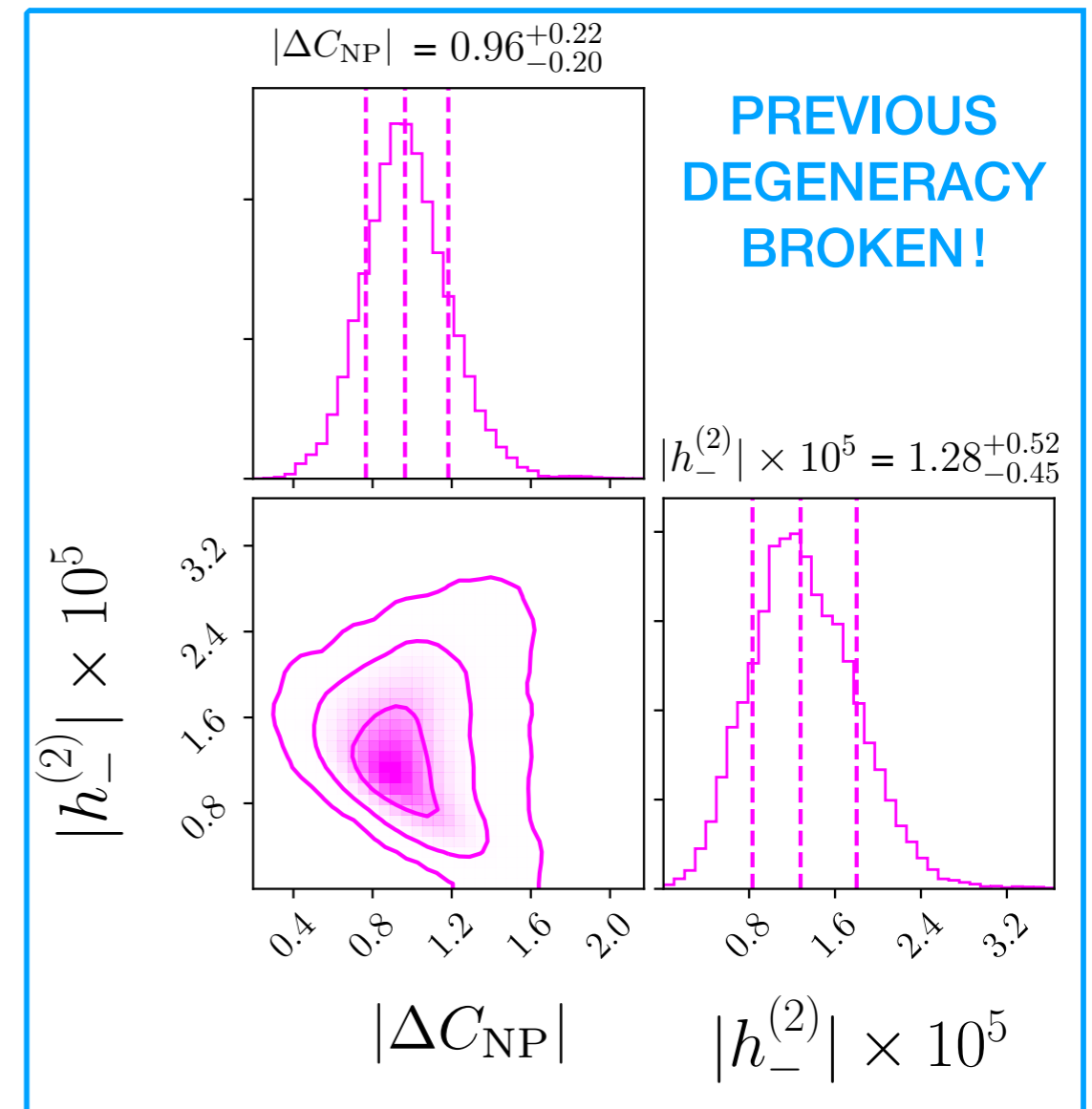
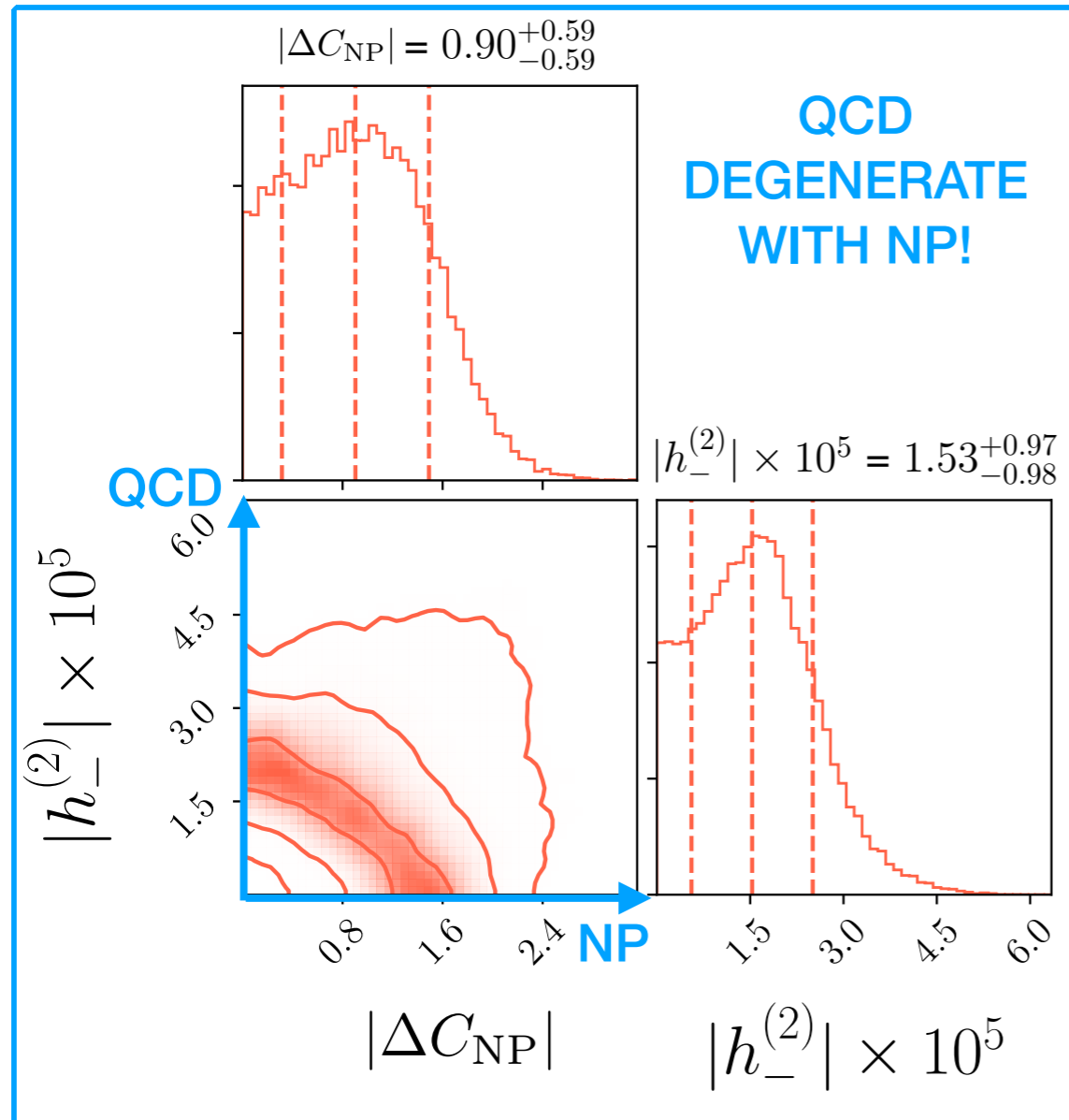
$$h_{0,\pm}(q^2) = \sum_{k=0,1,2} h_{0,\pm}^{(k)} \left( \frac{q^2}{\text{GeV}^2} \right)^k$$

# PROJECTIONS @ 50 fb<sup>-1</sup>

(Hurth et al. '17 + Albrecht et al. '17)



Scaling LHCb stat errors roughly of 1/6



[ [arXiv:1809.03789](https://arxiv.org/abs/1809.03789) ]