

Experimental Investigation of Pontecorvo Reactions in ^3He Using a Simplified Apparatus



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On behalf of the ASACUSA Collaboration



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Pontecorvo reactions



Their existence was suggested by Pontecorvo in 1956 (only a few months after the antiproton discovery at Bevatron)

Pontecorvo reactions are (rare): **antinucleon annihilations forbidden on a free nucleon but allowed on nucleons bound in nuclei**

For antiproton annihilations at rest:

TARGET	USUAL ANNIHILATIONS B.R. \approx 100%	PONTECORVO REACTIONS
H ₂	<p>meson number ≥ 2</p>	
D ₂	<p>meson number ≥ 2</p>	<p>meson number = 1</p> <p>exp. B.R. $\approx 10^{-6} - 10^{-5}$</p> <p>meson ($\pi^-$, π^0, K^0, ω, ρ, ϕ...)</p> <p>baryon (p, n, Δ, Λ, Σ...)</p>
³ He	<p>meson number ≥ 2</p>	<p>meson number = 0</p> <p>exp. B.R. $\approx ?$</p>

Interest on Pontecorvo reactions

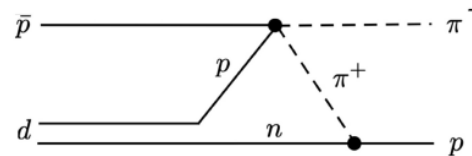
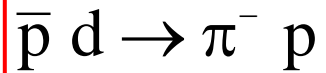
- Pontecorvo reactions are **sensitive to the small internucleon separations** in nuclei, can provide info on **dynamics between nucleons** in nuclei

2 main theoretical approaches

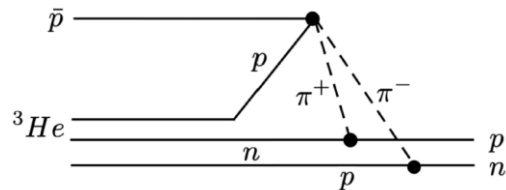
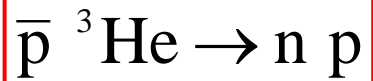
Rescattering model

Fireball model

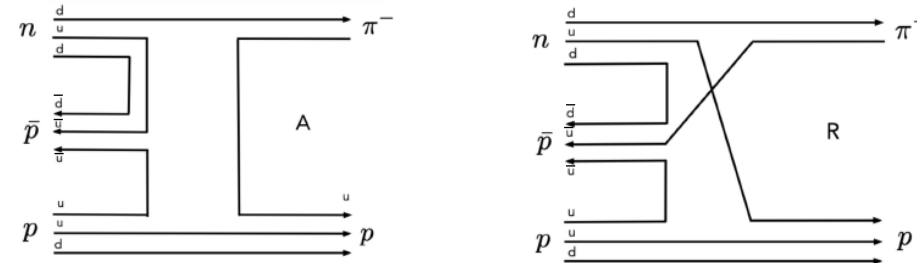
e.g.



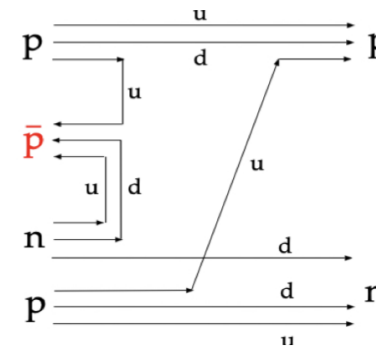
2-step model: antiproton annihilates on proton and the (virtual) π^+ is absorbed by neutron



B.R. $10^{-8} - 10^{-7}$



compound system ('fireball') formed by the 3 antiquarks and 6 quarks decaying statistically



B.R. 10^{-6}

Example of rearrangement

Different predictions between the 2 models

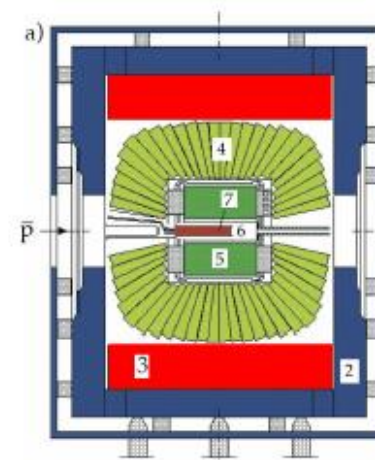
Existing data

- First measurements (6 events) in bubble chambers in the 1960s
- Preliminary measurements at LEAR by Asterix
- Pontecorvo reactions were **systematically measured at rest in deuterium** at LEAR(CERN) by Crystal Barrel and OBELIX in 1990s

$$\text{B.R.} \approx 10^{-6} - 10^{-5}$$

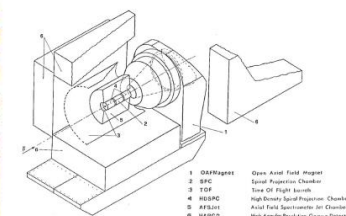
Pontecorvo reactions measured at LEAR in liquid deuterium and in gas

Reaction	Branching ratio	Experiment
$\bar{p}d \rightarrow \pi^- p$	$1.46 \pm 0.08 \times 10^{-5}$	OBELIX (in gas)
$\bar{p}d \rightarrow \pi^0 n$	$7.02 \pm 0.72 \times 10^{-6}$	Crystal Barrel
$\bar{p}d \rightarrow \eta n$	$3.19 \pm 0.48 \times 10^{-6}$	Crystal Barrel
$\bar{p}d \rightarrow \omega n$	$22.8 \pm 4.1 \times 10^{-6}$	Crystal Barrel
$\bar{p}d \rightarrow \eta' n$	$8.2 \pm 3.4 \times 10^{-6}$	Crystal Barrel
$\bar{p}d \rightarrow \phi n$	$3.56 \pm 0.20^{+0.2}_{-0.1} \times 10^{-6}$	OBELIX (in gas)
$\bar{p}d \rightarrow \rho^- p$	$2.9 \pm 0.6 \times 10^{-5}$	OBELIX (in gas)
$\bar{p}d \rightarrow \pi^- \Delta^+ (\rightarrow \pi^0 p)$	$1.01 \pm 0.08 \times 10^{-5}$	OBELIX (in gas)
$\bar{p}d \rightarrow \pi^0 \Delta^0 (\rightarrow \pi^- p)$	$1.12 \pm 0.20 \times 10^{-5}$	OBELIX (in gas)
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$\bar{p}d \rightarrow \Lambda K^0$	$2.35 \pm 0.45 \times 10^{-6}$	Crystal Barrel



Crystal Barrel

OBELIX



- also data from KEK (Chiba et al., PRD 1997)

$$B(\bar{p}d \rightarrow \pi^0 n) = (1.03 \pm 0.41) \times 10^{-5}, \quad B(\bar{p}d \rightarrow \pi^0 \Delta^0) = (4.67 \pm 1.66) \times 10^{-5},$$

$$B(\bar{p}d \rightarrow \eta n) < 8.94 \times 10^{-6} \quad (95\% \text{ C.L.}), \quad \text{and } B(\bar{p}d \rightarrow \eta \Delta^0) < 6.49 \times 10^{-5} \quad (95\% \text{ C.L.})$$

More in-depth on existing data

The data from **Crystal Barrel** and **OBELIX** are in agreement

(when they can be compared)

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good agreement, assuming charge independence

good agreement, assuming isospin invariance

More in-depth on existing data

Theoretical models are not always in agreement

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the 2 theoretical models agree well with the ratio of these B.R.s

the rescattering model agrees well with the ratio of these B.R.s

these B.R.s are in good agreement with the fireball model and in disagreement with the rescattering model

More in-depth on existing data

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(when they can be compared)

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the rescattering model agrees well with
the ratio of these B.R.s

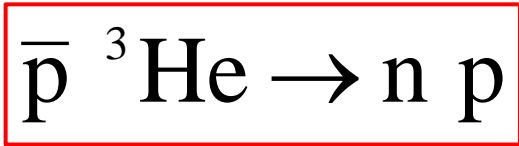
good agreement, assuming
isospin invariance

these B.R.s are in good agreement with
the fireball model and in disagreement
with the rescattering model

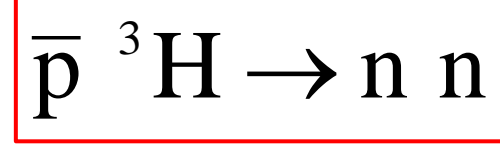
More experimental data could help ...

(Non-)existing data

- Pontecorvo annihilations **on three nucleons have never been measured**

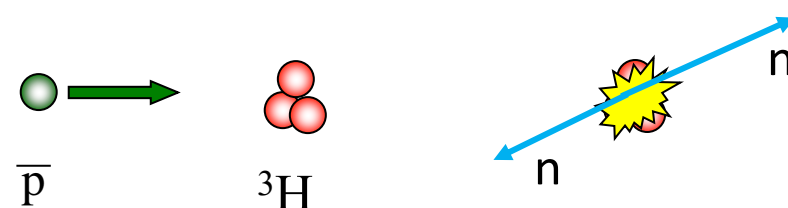
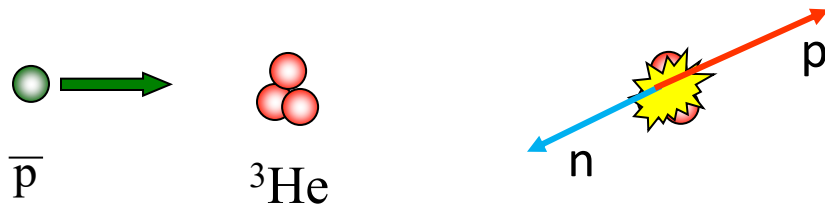


or



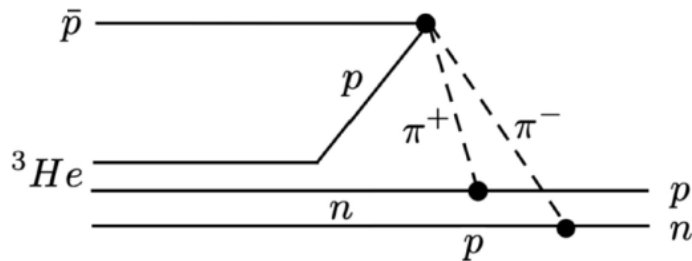
$E(n) \sim 1 \text{ GeV}$

$E(p) \sim 1 \text{ GeV}$



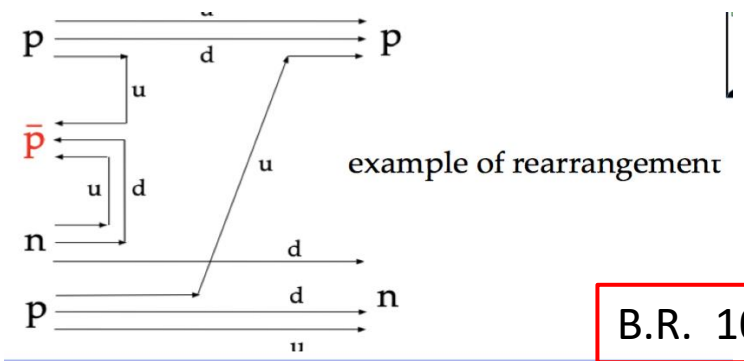
Interest: different models predict **different rates** (by 1-2 orders of magnitude)

Rescattering model



B.R. $10^{-8} - 10^{-7}$

Fireball model



B.R. 10^{-6}

$\bar{p} \ ^3\text{He} \rightarrow n \ p$ measurement in ASACUSA

ASACUSA is studying the possibility of measuring $\bar{p} \ ^3\text{He} \rightarrow n \ p$

Difficulties:

- Need of a DC antiproton beam
- Pontecorvo reactions are rare processes (B.R.= 10^{-5} - 10^{-8})
- Background

ASACUSA at CERN-AD

- antiprotonic helium atoms with laser spectroscopy to test CPT
- antihydrogen ground-state hyperfine structure to test CPT
- atomic and nuclear collision cross sections of antiprotons at low energies

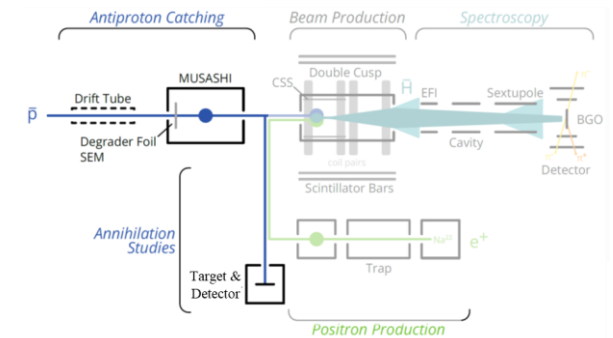
Measurement at rest in ^3He can be performed by the **ASACUSA** collaboration

2 options:

1) using the **DC** slow antiprotons from the new **secondary line in ASACUSA**

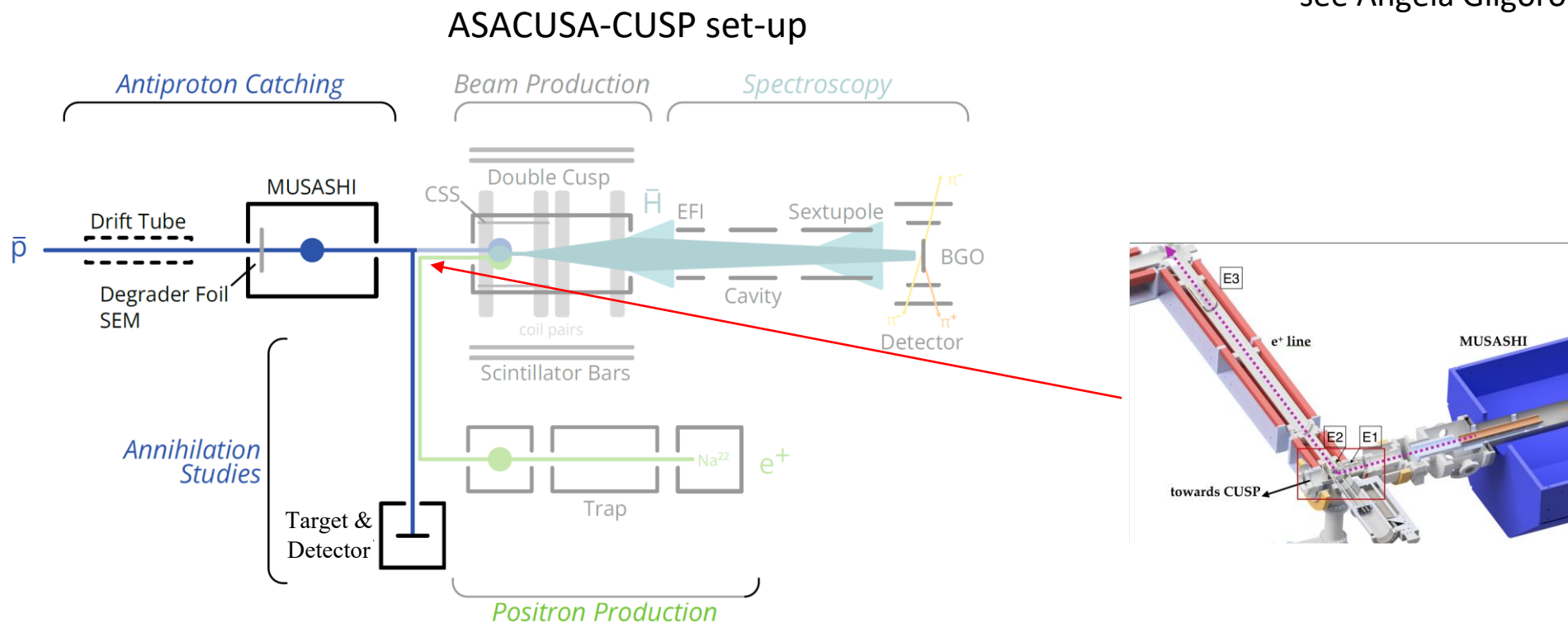
or

2) using the antiprotons from **ELENA modified** to deliver a **DC** beam



1) using the DC slow antiprotons from the new secondary line in ASACUSA

see Angela Gligorova's talk



The antiproton trap, MUSASHI, can deliver a DC-like beam of antiproton

In MUSASHI: 2×10^6 antiprotons captured, cooled and trapped for each ELENA shot (7×10^6 antiprotons)

DC extraction: (expected in the target) 10^5 antiprotons/100 s cycle @250 eV \rightarrow 1000 \bar{p}/s

1 μm window of the cryogenic ^3He target requires **re-acceleration** to at least 100 keV

... antiprotons decelerated and then re-accelerated



2) using the antiprotons from ELENA modified to deliver a DC beam

see Davide Gamba's talk

AD-ELENA

The only low-energy \bar{p} source

AD: 5.3 MeV **pulsed** beam: $3 \times 10^7 \bar{p}$ every ~ 100 s

ELENA: 5.3 MeV \rightarrow 100 keV

4 experiments run in parallel (24h/day)

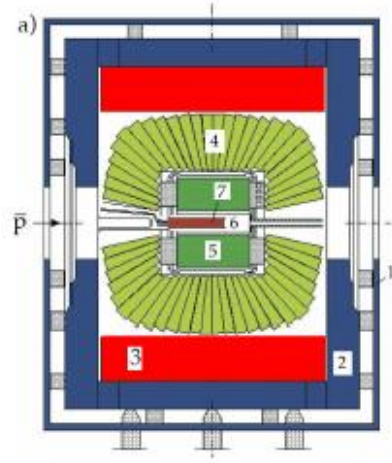


ELENA could be modified to have a **slow extracted** (DC) antiproton beam at 100 keV

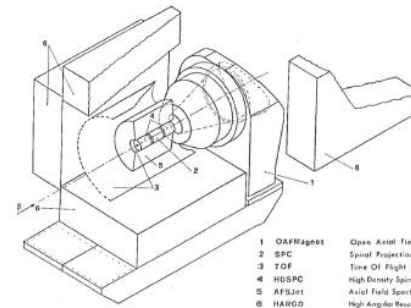
(expected in the target) $4-6 \cdot 10^4 \bar{p}/s$ x 10-100 better than with MUSASHI
... and no need to re-accelerate

Typical apparatus for Pontecorvo reactions is a magnetic spectrometer

Crystal Barrel



OBELIX



Made of:

- Magnet
- Tracking detector (drift chambers, ...)
- T.o.F. system
- e.m. calorimeter

Features:

- reconstruct the trajectories of (all) the particles
- Determine their energy-momentum \rightarrow **PID**
- Determine missing mass

is it possible to use a simpler apparatus?

Goal: Design a “simple” apparatus to measure the B.R. of $\bar{p} \ ^3\text{He} \rightarrow n \ p$

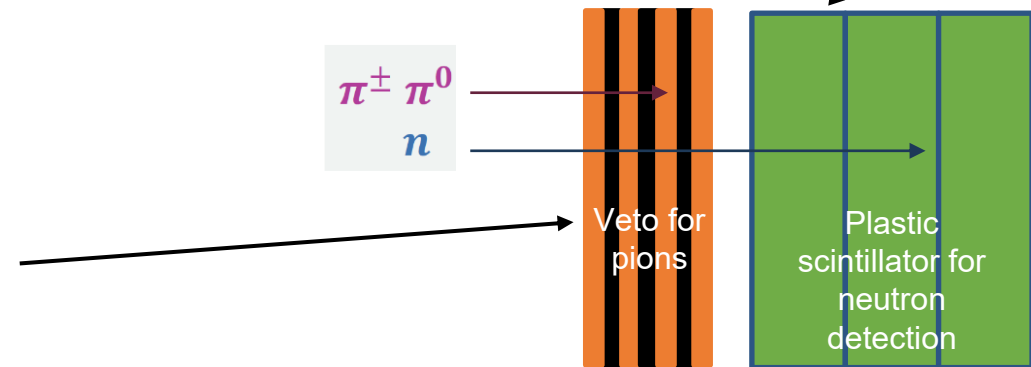
The idea is to use:

- an **efficient detector for 1 GeV neutron**

→ Thick plastic scintillators

- a highly **efficient veto system** mainly for other neutral particles (especially γ 's from π^0 's)

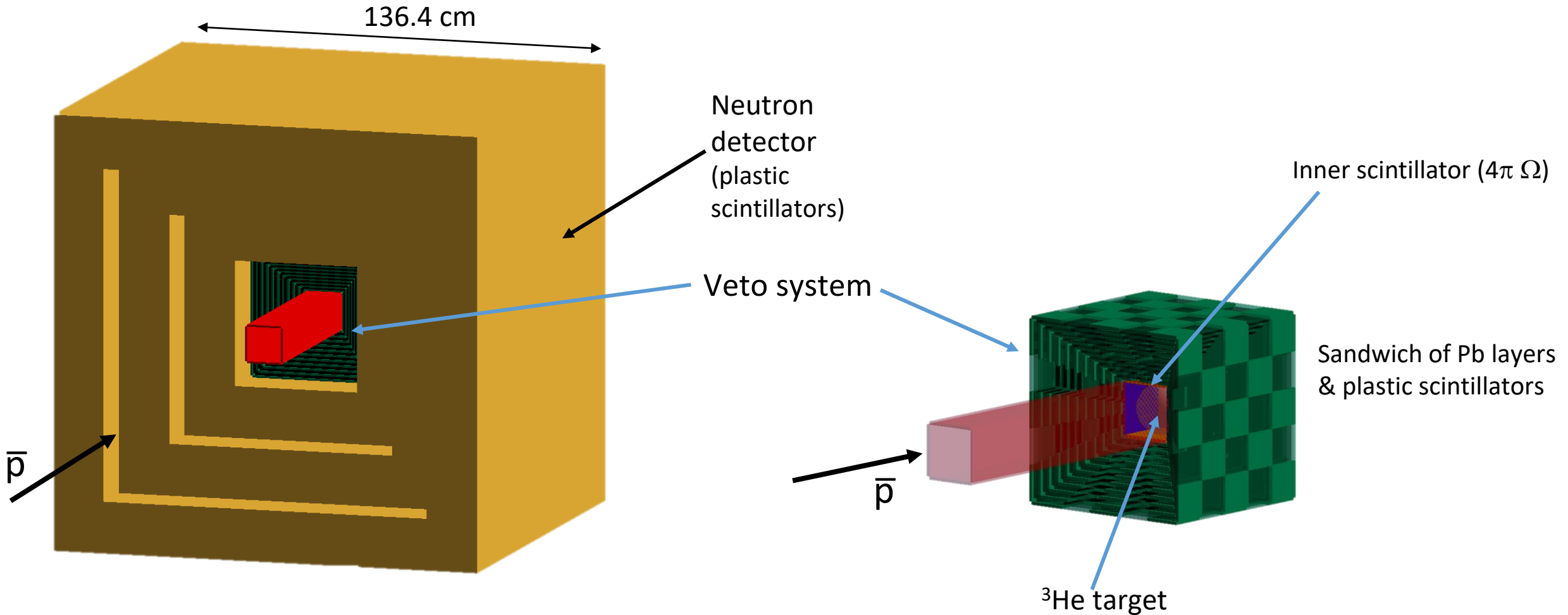
→ Sandwich of Pb layers & plastic scintillators



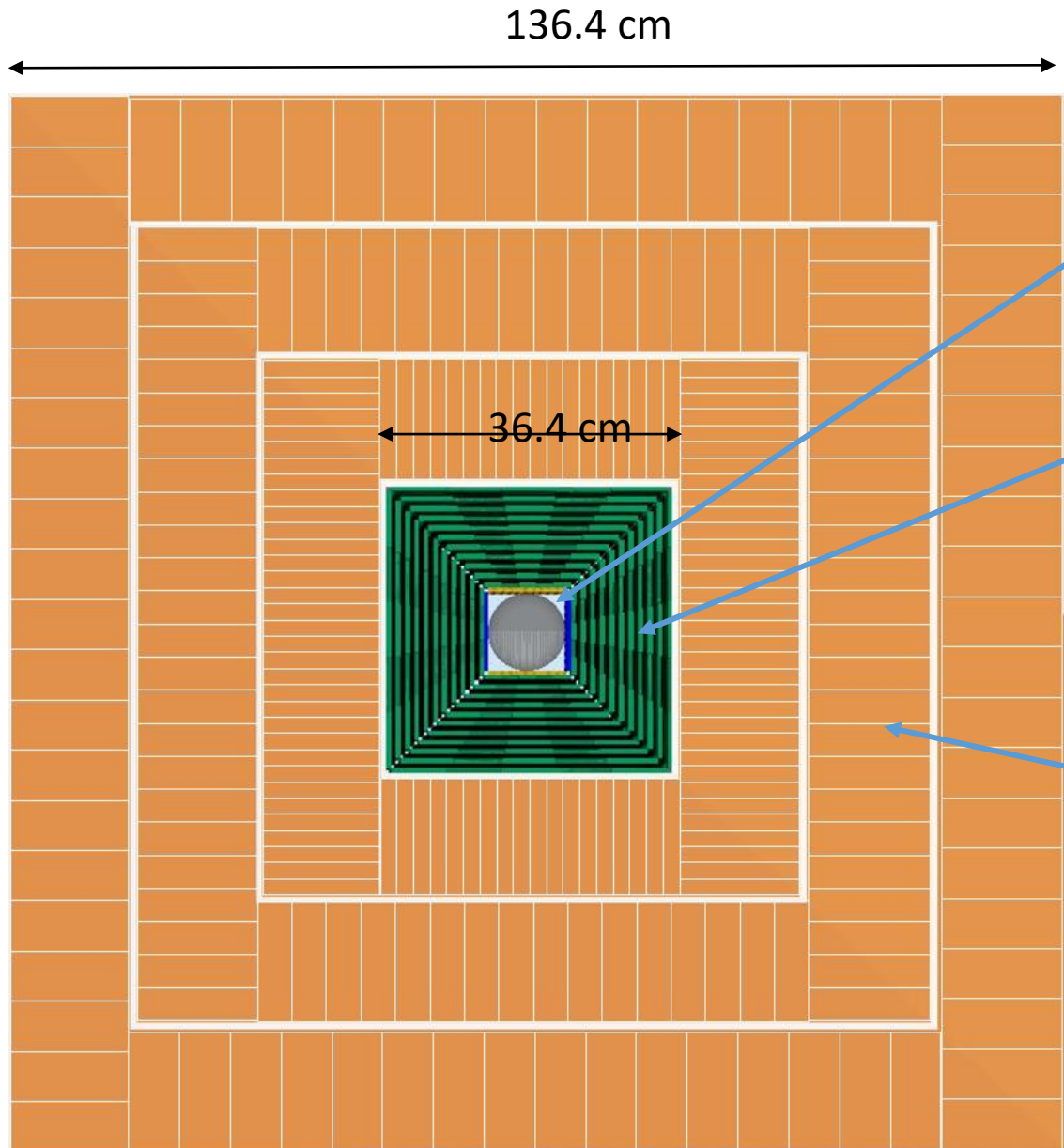
The design is driven by Monte Carlo simulations with GEANT4

DETECTOR

Cube-like geometry with only 4 faces ($2/3 4\pi$ solid angle)



Geometry



Neutron detector and veto system are segmented

gaseous ^3He target (radius = 5 cm)

Target Al vessel thickness = 0.32 mm

Inner cube length = 10 cm

Veto system: sandwich of scintillators & Pb layers

of scintillator layers = 12

scintillator layer thickness = 6 mm

of Pb layers = 10

Pb layer thickness = 6 mm

Neutron scintillator detector

of layers = 3

layer thickness = 15 cm

of electronic readout channels = 9762

Topology-based event selection

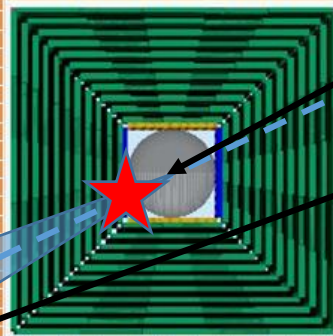
Applied selection to acquire $\bar{p} \ ^3\text{He} \rightarrow n + p$
and to reject BKG

- Only 1 hit on the first scintillator layer of veto
(*“proton” signal*)

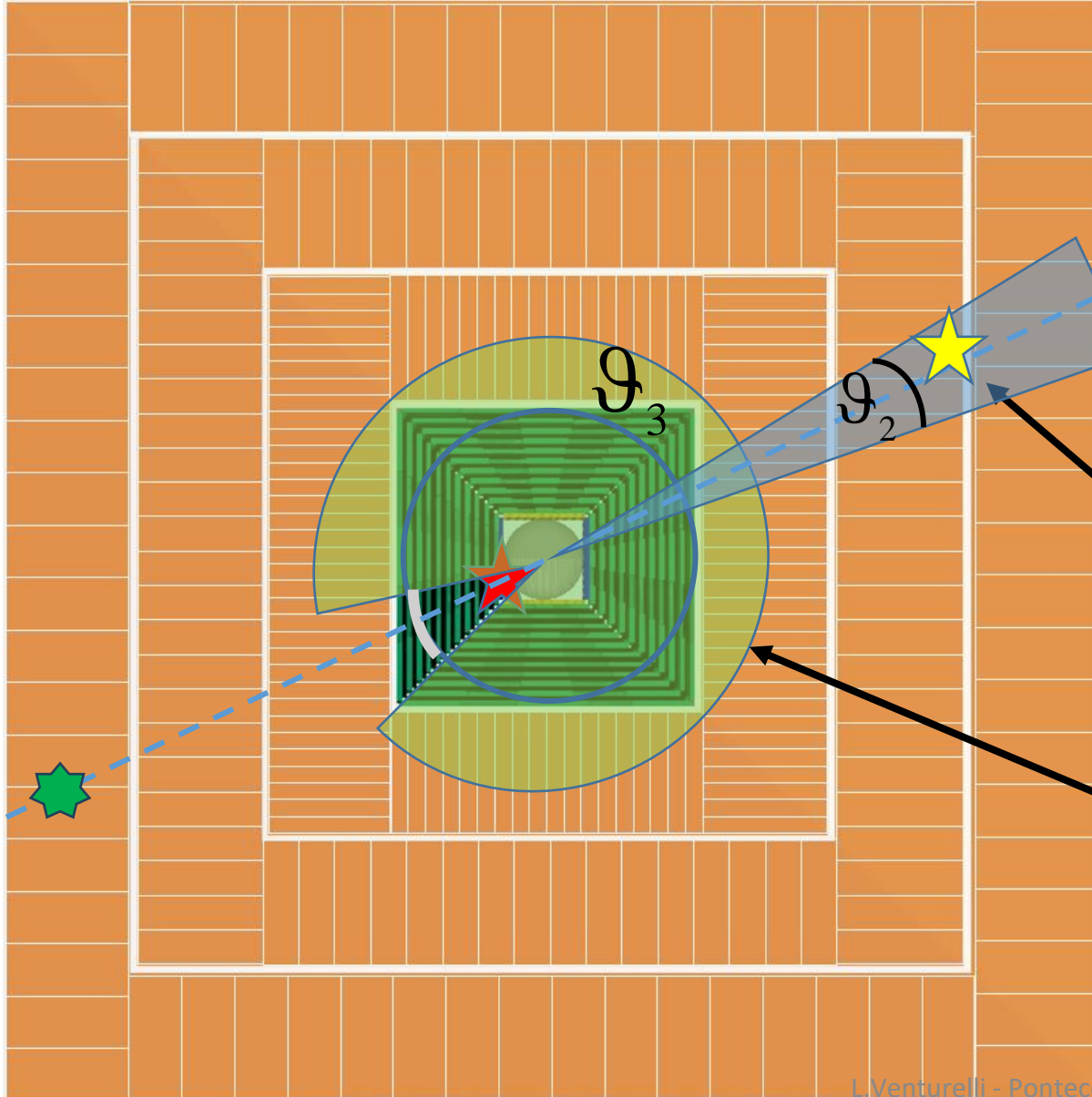
AND

- A signal in the neutron detector behind the red hit
 $\vartheta_1 < 10^\circ$ (*“fast proton” signal*)
to reject the spectator proton

AND



Topology-based event selection



**Applied selection to acquire $\bar{p} \ ^3\text{He} \rightarrow n + p$
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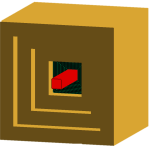
AND

- A signal in the neutron detector in the opposite
direction $\vartheta_2 < 10^\circ$ (*“neutron” signal*)

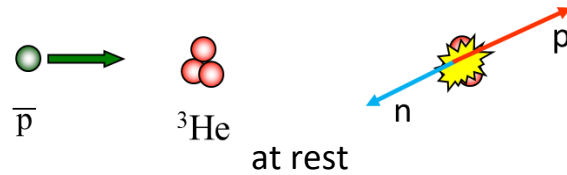
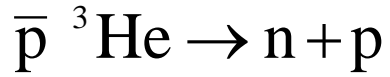
AND

- No signal in the veto system far from the
“proton” $\vartheta_3 < 300^\circ$ (*no other particle*)

Monte Carlo results

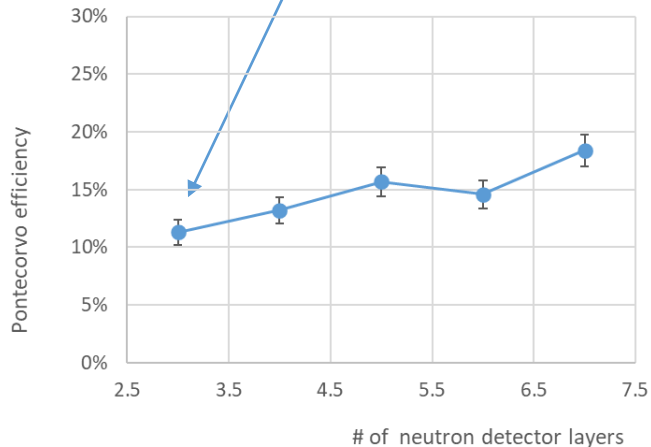


SIGNAL



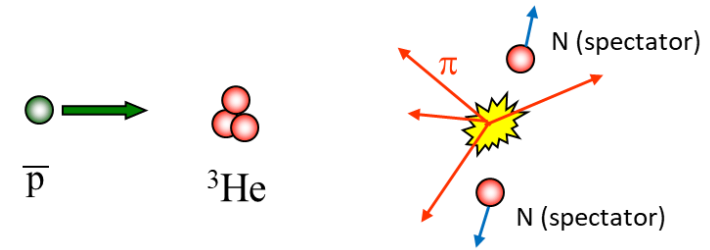
Detection efficiency for Pontecorvo reaction is 11%

Efficiency vs # of layers of n-detector



BACKGROUND

Selected Geant4 Physics list: FTFP_BERT_HP + STD + HP
 It uses quark gluon string model for high energy interactions
 For annihilations at rest B.R. values expected to be not very realistic



of generated $\bar{p} \ ^3\text{He}$ annihilations = 1.8×10^8

of fake Pontecorvo events = 2

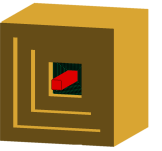
no BKG events for other reactions (not in GEANT4):

- Another Pontecorvo reaction: $\bar{p} \ ^3\text{He} \rightarrow d \ \pi^0$
- Semi-Pontecorvo reactions (antiproton annihilates on a correlated (pn) pair in ^3He):

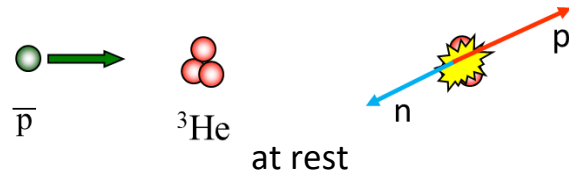
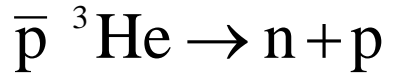


$\ll d \gg$ quasi-deuteron

Monte Carlo results



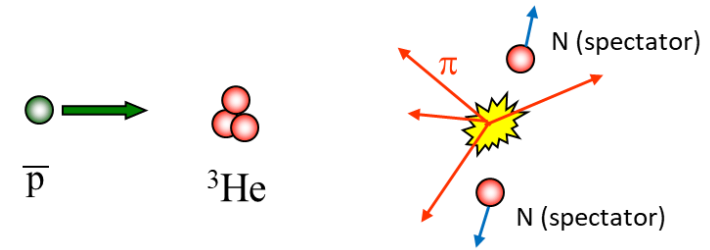
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Validation of the GEANT4 simulations

Experimental data are needed to validate the GEANT4 simulations of high-energy neutrons

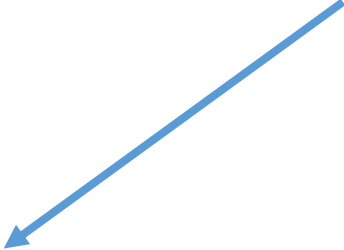
Detection efficiency of a plastic scintillator for 1 GeV neutron can be measured at the n_TOF facility at CERN

Rate estimate in ASACUSA

To measure in ASACUSA: antiproton acceleration (100 keV?)

	${}^3\text{He}$
Antiprotons (from MUSASHI)	$10^5/\text{spill}=10^5/115\text{s}$
B.R. ($\bar{p} + {}^3\text{He} \rightarrow n + p$)	10^{-6}
Detection efficiency	11%
S/N	10
# of ELENA spills for 1 Pontecorvo event	90 spills = 3 h

similar results in ${}^3\text{H}$
(but safety issues)



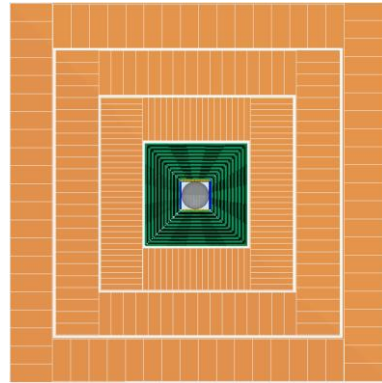
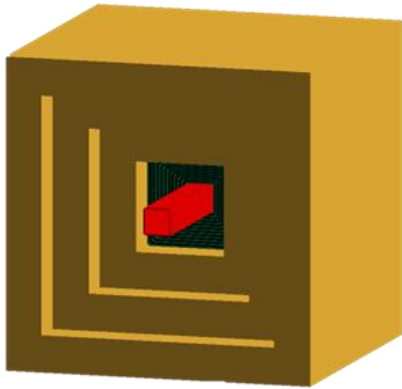
← x 10-100 better with a DC beam from ELENA

N.B. also acquire data of antiproton annihilations in hydrogen → useful to study the BKG

Other options

Consider the following options:

- Reduce the material



Present configuration:

Cube-like geometry with 4 faces ($2/3 4\pi$ solid angle)
Inner cube length = 10 cm Outer cube length = 136 cm

Stuff: 165 kg of Pb
20 kg of veto scintillators
1500 kg of neutron detector scintillators

- Reduce the segmentation/number of electronic readout channels

number of electronic readout channels = 9800

- veto system: use crystals instead of lead and scintillator

(In principle more expensive but it could be possible to recycle a dismissed calorimeter from completed experiments)

Conclusions

On paper, an apparatus with **only scintillator detectors** seems to work

The apparatus has to be optimized

Pros: the apparatus is relatively cheap, not difficult to build and to maintain

but ...

no PID

not multipurpose: no other measurements can be performed

Consider a totally different scenario: → use a **magnetic spectrometer**

Pros:

- PID implemented
- multipurpose apparatus → different measurements are possible:
 - In the same data sample other reactions can be studied (included the search of the sexaquark **S**)
 - Using a H₂ target, the e.m. proton form factor in the time-like region (B.R. 10⁻⁷) could be measured

see the talks by Glennys Farrar and Michael Doser

Cons:

- expensive
- many expert groups should be involved

Thank you very much for your attention

Short reviews:

C. Amsler, arXiv 1908.08455 (2019)

A. Donnachie, Physics Reports (2004)

Credits:

