

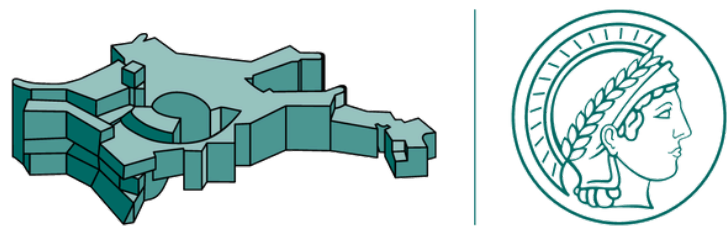
Constraining mixed dark matter scenarios with the “help” of isocurvature perturbations

Şafak Çelik

with Fabian Schmidt

04.11.2024

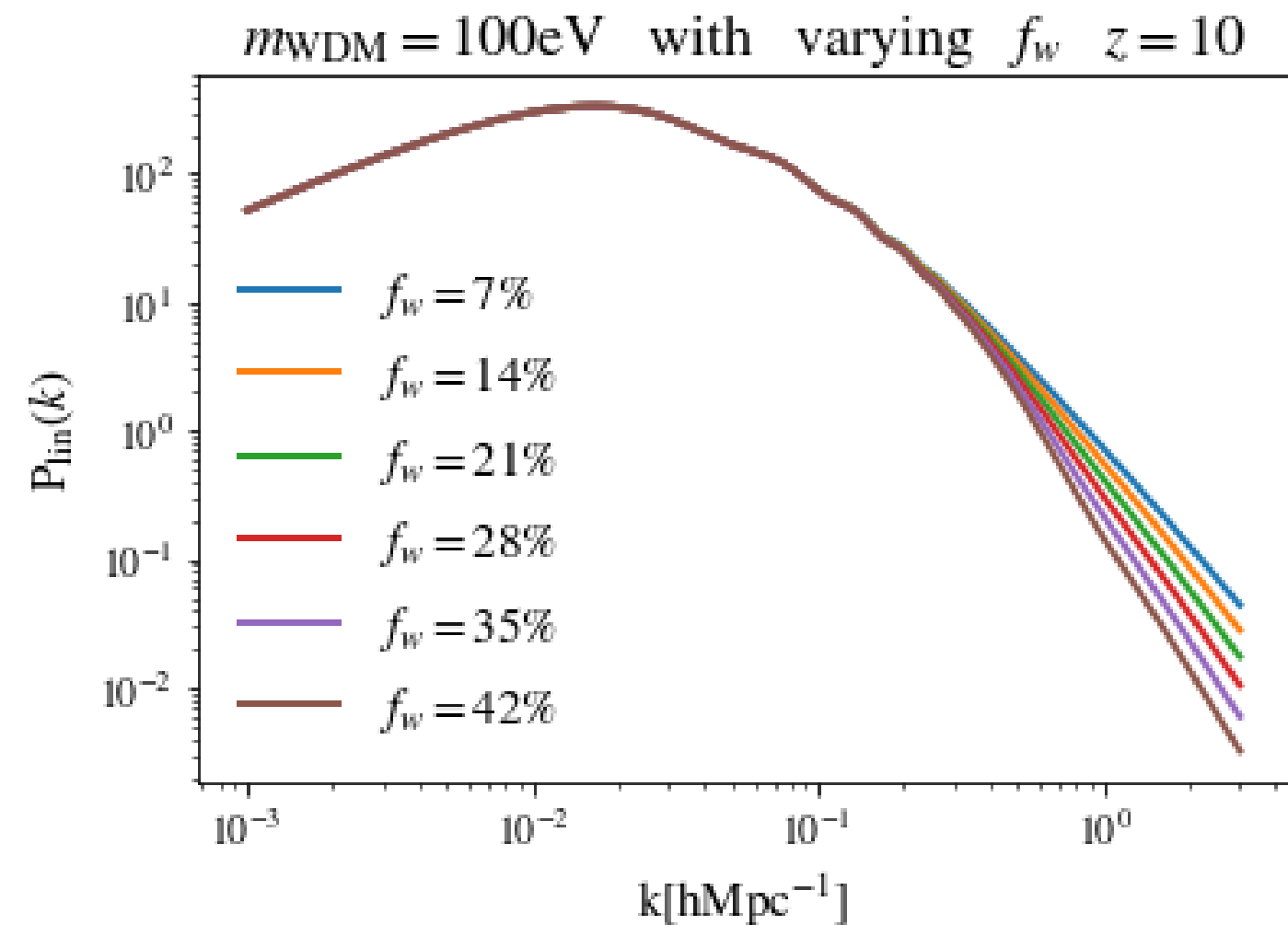
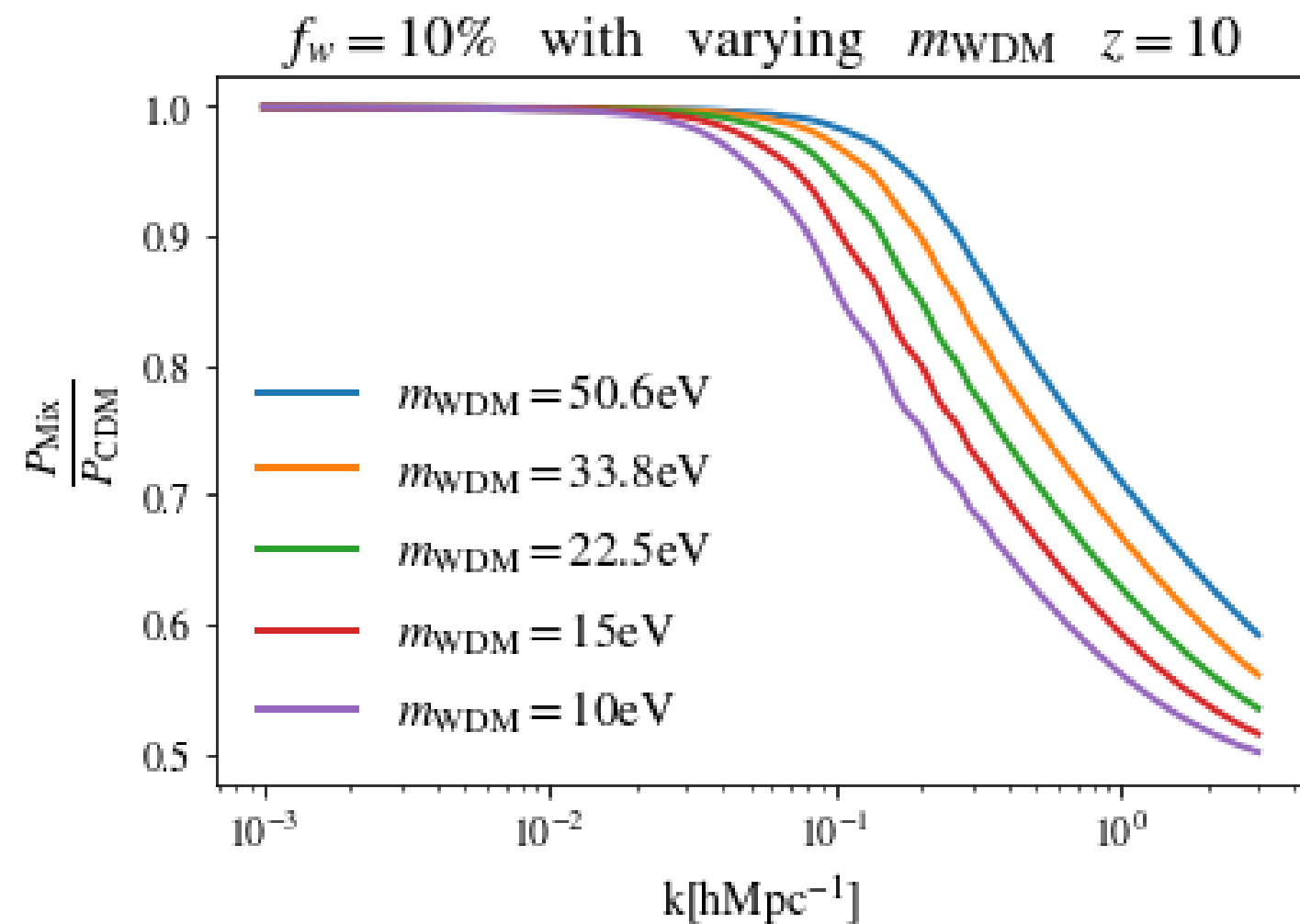
Parma



MAX PLANCK INSTITUTE
FOR ASTROPHYSICS

What do we investigate and how?

- CDM + thermally produced WDM mixture
- The effect of WDM mass and the fraction on linear PS



What to consider in linear theory?

$$\frac{\partial}{\partial \eta} \delta_s = -\theta_s, \quad s \in \{w, c\}$$

$$\frac{\partial}{\partial \eta} \theta_s + aH\theta_s = \frac{3}{2}\Omega_m(a)(aH)^2 \delta_m$$

$$\delta_m := f_w \delta_w + f_c \delta_c$$

$$\delta_r := \delta_c - \delta_w$$

→

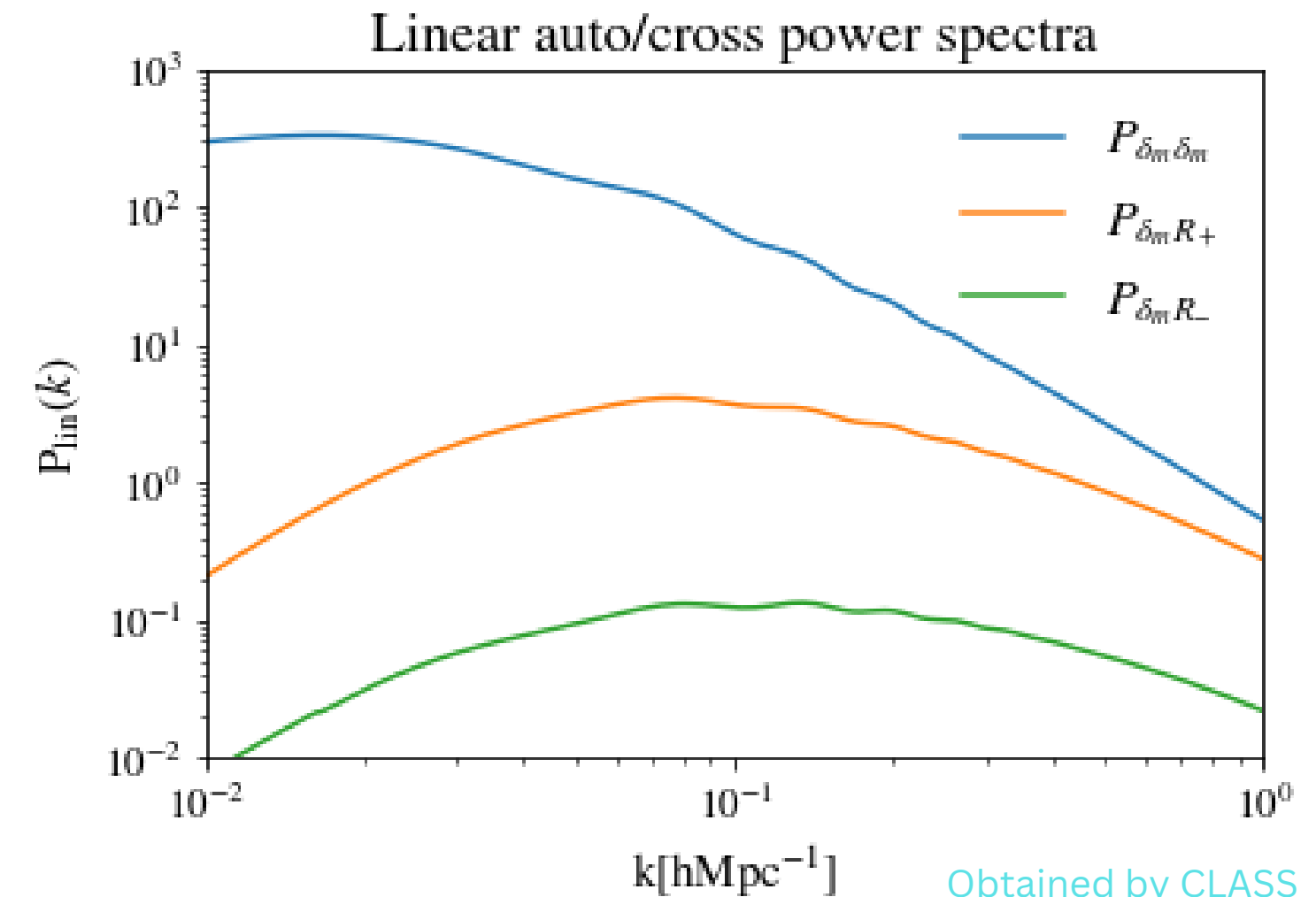
$$\frac{\partial^2}{\partial \eta^2} \delta_m + aH \frac{\partial}{\partial \eta} \delta_m - \frac{3}{2}\Omega_m(a)(aH)^2 \delta_m = 0$$

$$\frac{\partial^2}{\partial \eta^2} \delta_r + aH \frac{\partial}{\partial \eta} \delta_r = 0$$

$$\delta_m^{(1)}(\vec{x}, \eta) = D_+(\eta) \delta_m^{(0)}(\vec{x}); \quad \theta_m^{(1)}(\vec{x}, \eta) = -aH f_+ D_+(\eta) \delta_m^{(0)}(\vec{x})$$

$$\delta_r^{(1)}(\vec{x}) = R_+(\vec{x}) + D_-(\eta) R_-(\vec{x}); \quad \theta_r^{(1)}(\vec{x}, \eta) = -aH f_- D_-(\eta) R_-(\vec{x})$$

3 different modes!
6 different power spectra!



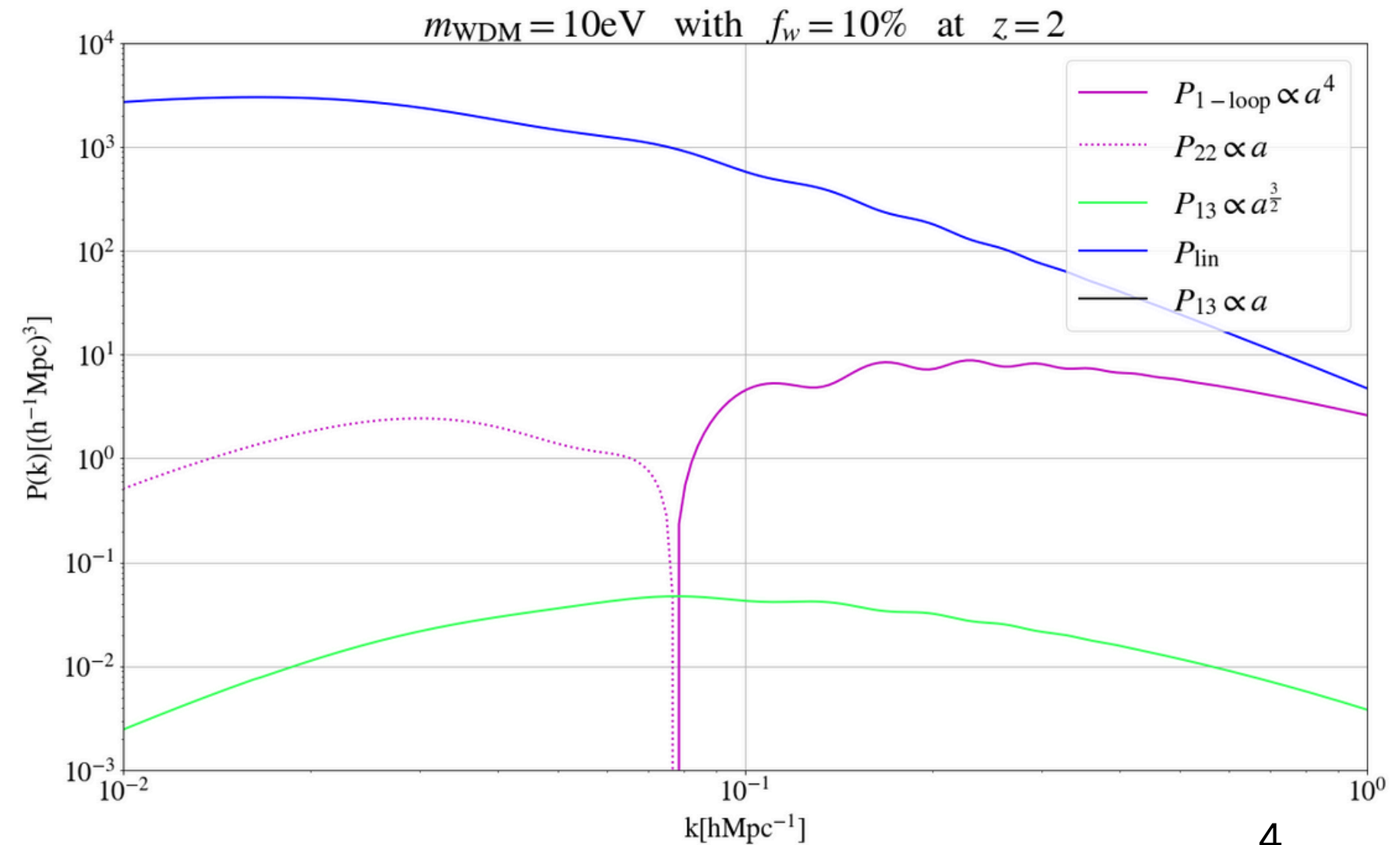
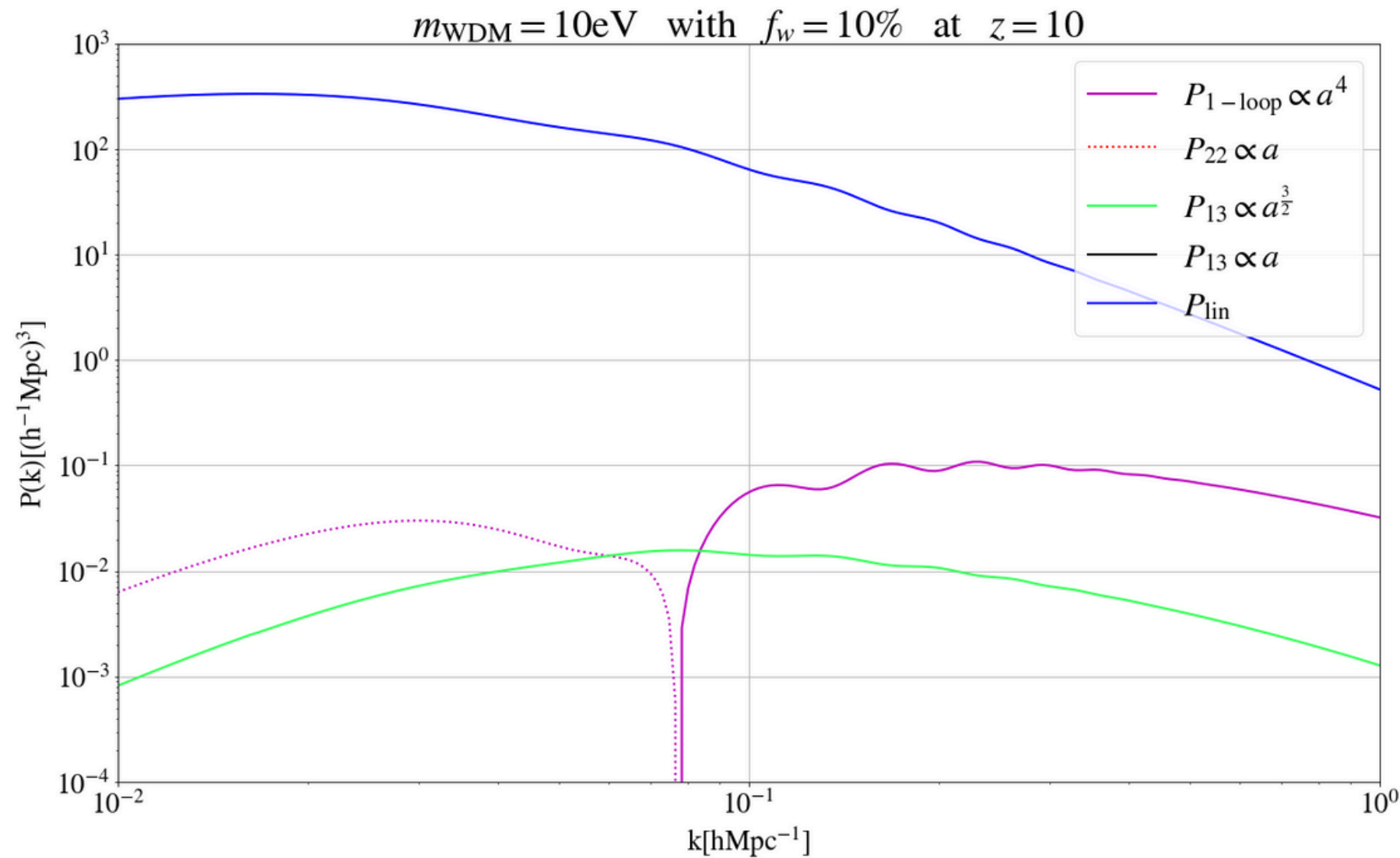
$$z = 10 \quad f_w = 10\% \quad m_{WDM} = 10\text{eV}$$

Introducing non-linearities

!Preliminary!

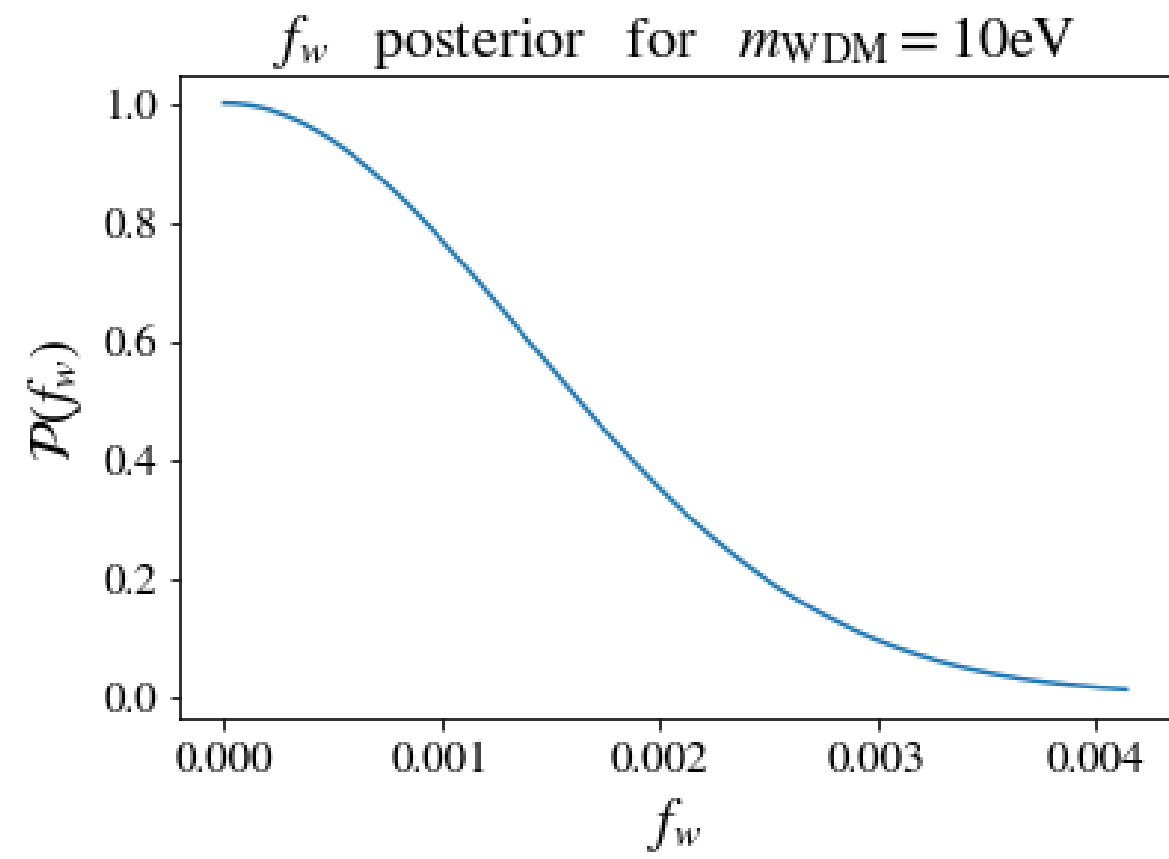
$$P_{22}^{\text{iso}} \supset +a \int_q F'(q, k-q) P_{\delta_m R_-}(k-q) P_{\delta_m R_-}(q)$$

$$P_{13}^{\text{iso}} \supset a^{\frac{3}{2}} \int_q F(q, k) P_{\delta_m R_+}(k) P_{\delta_m R_-}(q) + a \int_q F'(q, k) P_{\delta_m R_-}(k) P_{\delta_m R_-}(q)$$

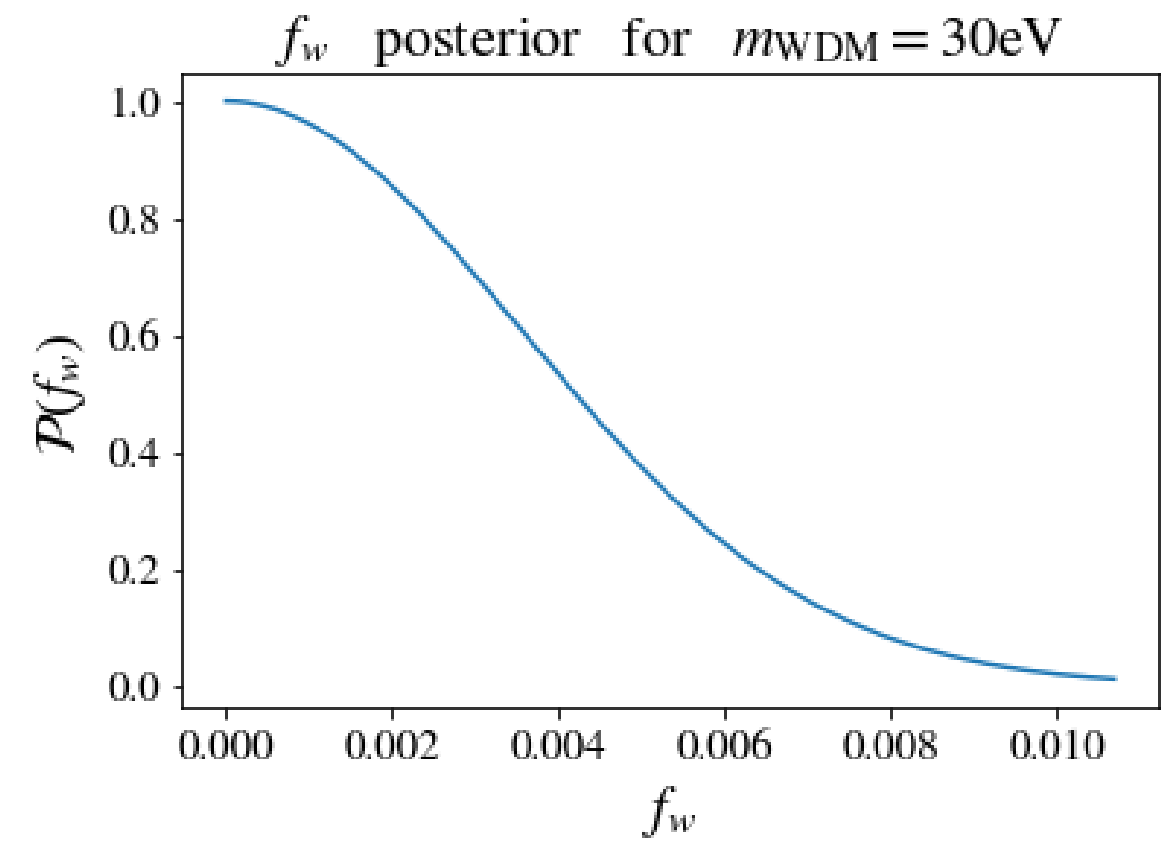


Fisher forecast on f_w

!Preliminary!

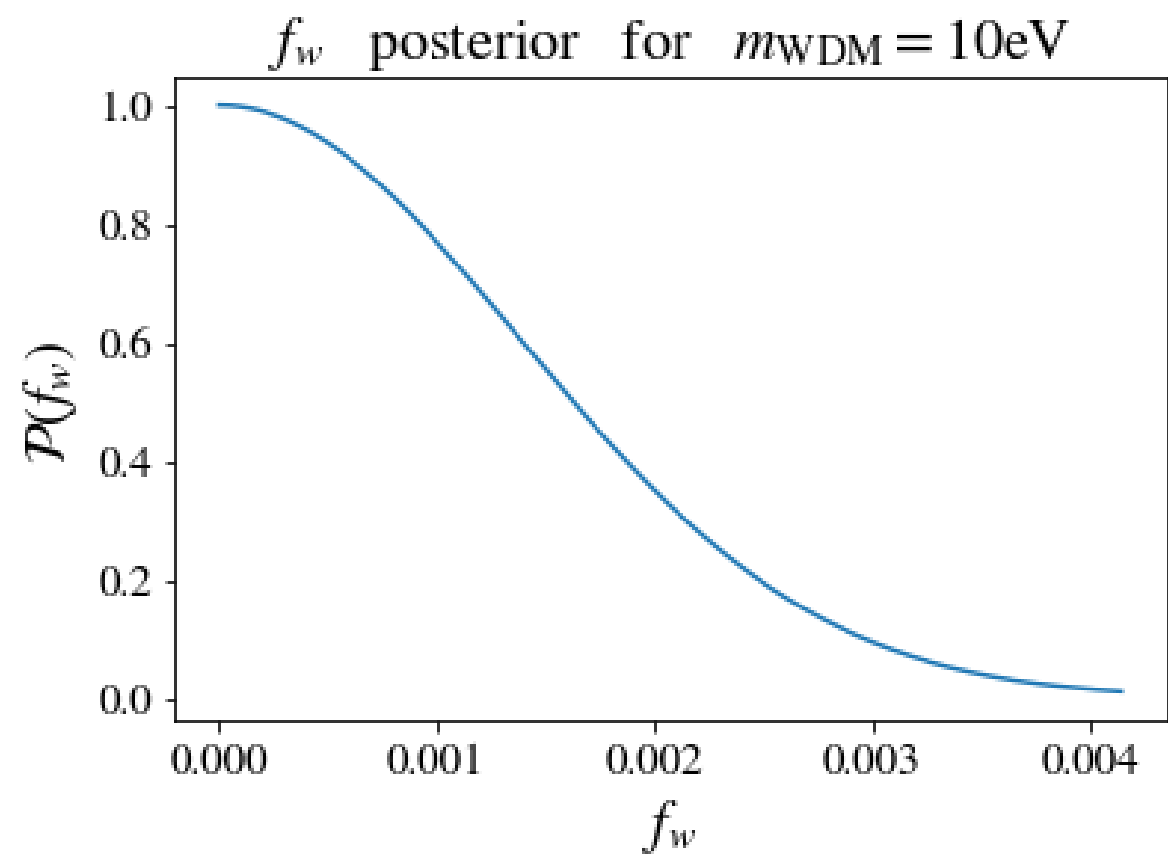


HETDEX survey
No P_ϵ

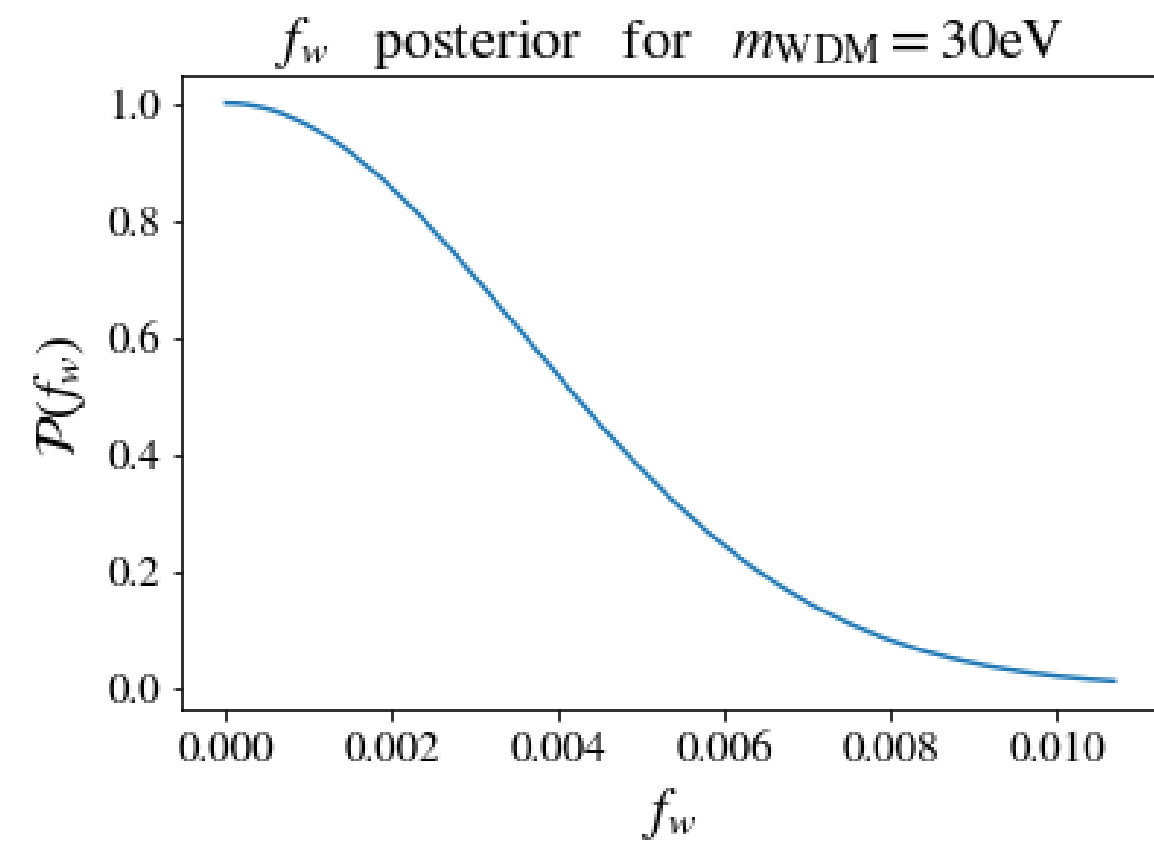


Fisher forecast on f_w

!Preliminary!



HETDEX survey
No P_ϵ



What about galaxies?

$$\mathcal{O}_r \in \delta_m R_+, v_r^2, \delta_m R_-, \dots$$

$$\mathcal{O}_m \in \delta_m^2, \mathcal{G}$$

$$P_{gg}^{1\text{-loop}} \supset a^3 b_{\delta\delta}^r \int_q \tilde{F}(q, k-q) P_{\delta_m \delta_m}(q) P_{\delta_m R_+}(k-q)$$



$$P_{13}^{\text{iso}} \supset a^{\frac{3}{2}} \int_q F(q, k) P_{\delta_m R_+}(k) P_{\delta_m R_-}(q)$$

Conclusion

- Effects sourced by the isocurvature modes are significant at high redshifts.
- Galaxy density field is affected more by the isocurvature perturbations compared to the matter density field.

What to do next?

- Cosmological inference
- Testing other possible scenarios
- Simulations to investigate small scales