

Low mass resonance search in $b\bar{b}$ final state at the LHC



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Based on

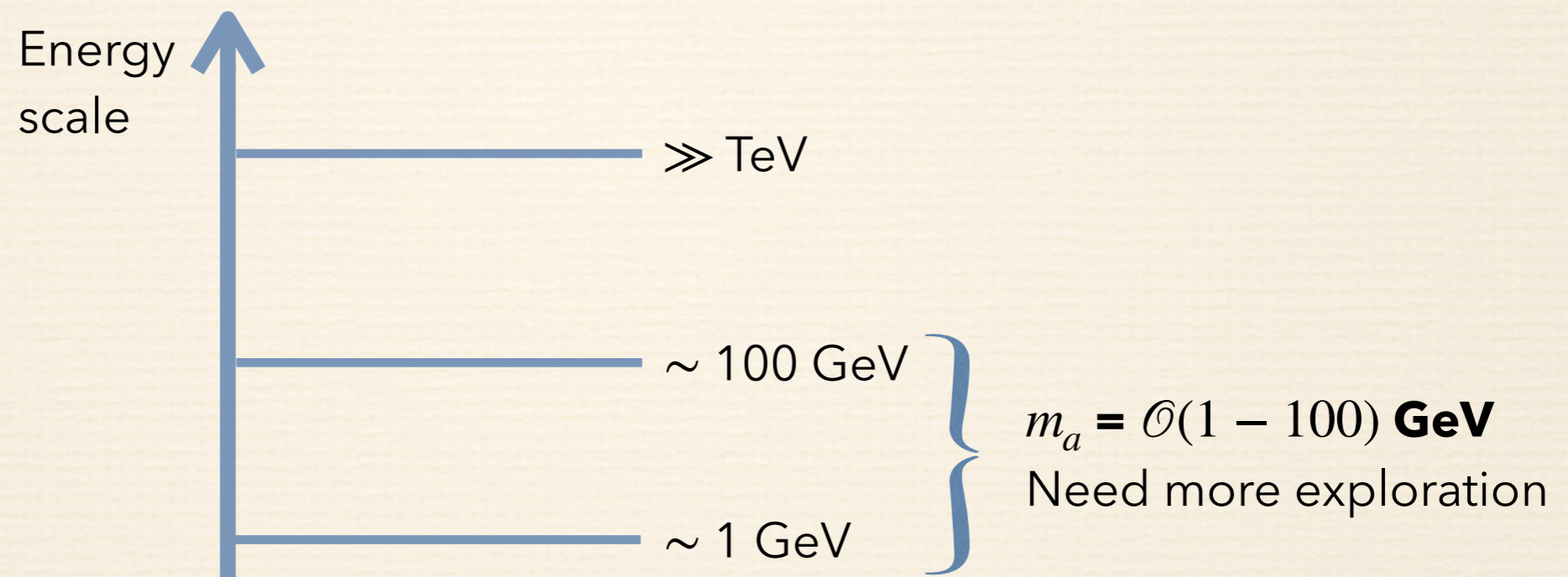
2410.09033, with Aoife Bharucha, Lorenzo Feligioni and Michele Frigerio

Extended Scalar Sectors From All Angles, CERN, 21-25 October



Why to look for light resonances?

Well-motivated beyond the SM (BSM) models : LHC is searching for new states and pushing the scale to \gg TeV. But new light states could be present.



How to look for them at LHC?

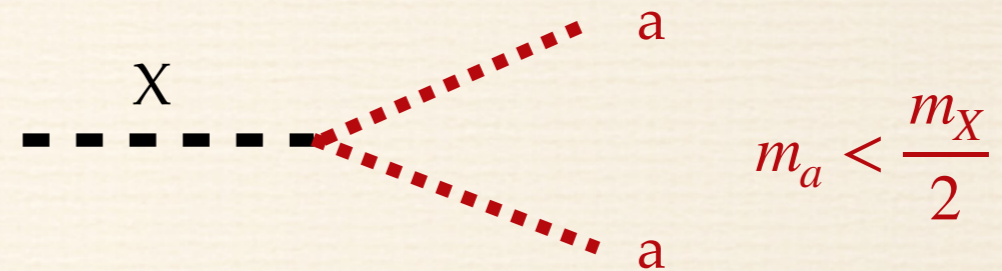
1. From exotically decaying SM Higgs boson :

Curtin et. al. 1312.4992
 Cepeda et.al. 2111.12751
 ATL-PHYS-PROC-2024-018
 Adhikary et.al. 2211.07674



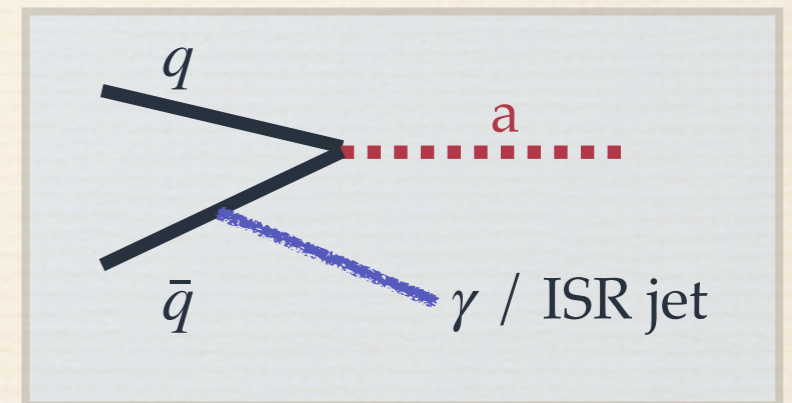
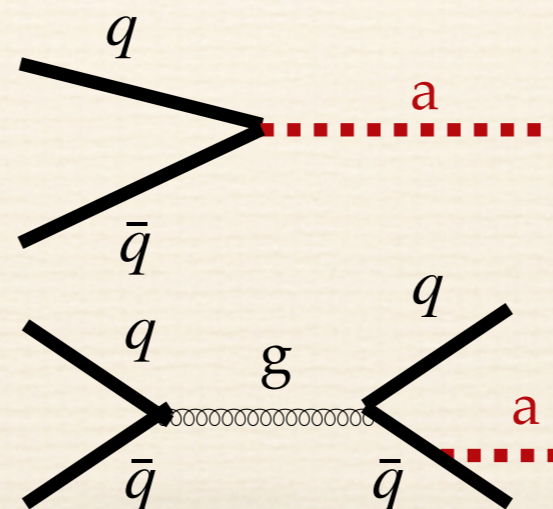
2. From heavier states :

ATLAS: 1703.09127
 CMS-EXO-17-001



3. Direct or **associated** production :

ATLAS: 1801.08769
 CMS : 1905.10331



Difficulties and possible solutions

Object reconstruction : decay products are collimated if produced with large p_T .

Backgrounds : large QCD background can obscure the search at low mass

Trigger : trigger p_T threshold might not be optimal in probing low mass region.



Jet substructure techniques : can improve the search for boosted resonances.

Prong discriminant : useful to substantially reduce QCD backgrounds with some limitations (later).

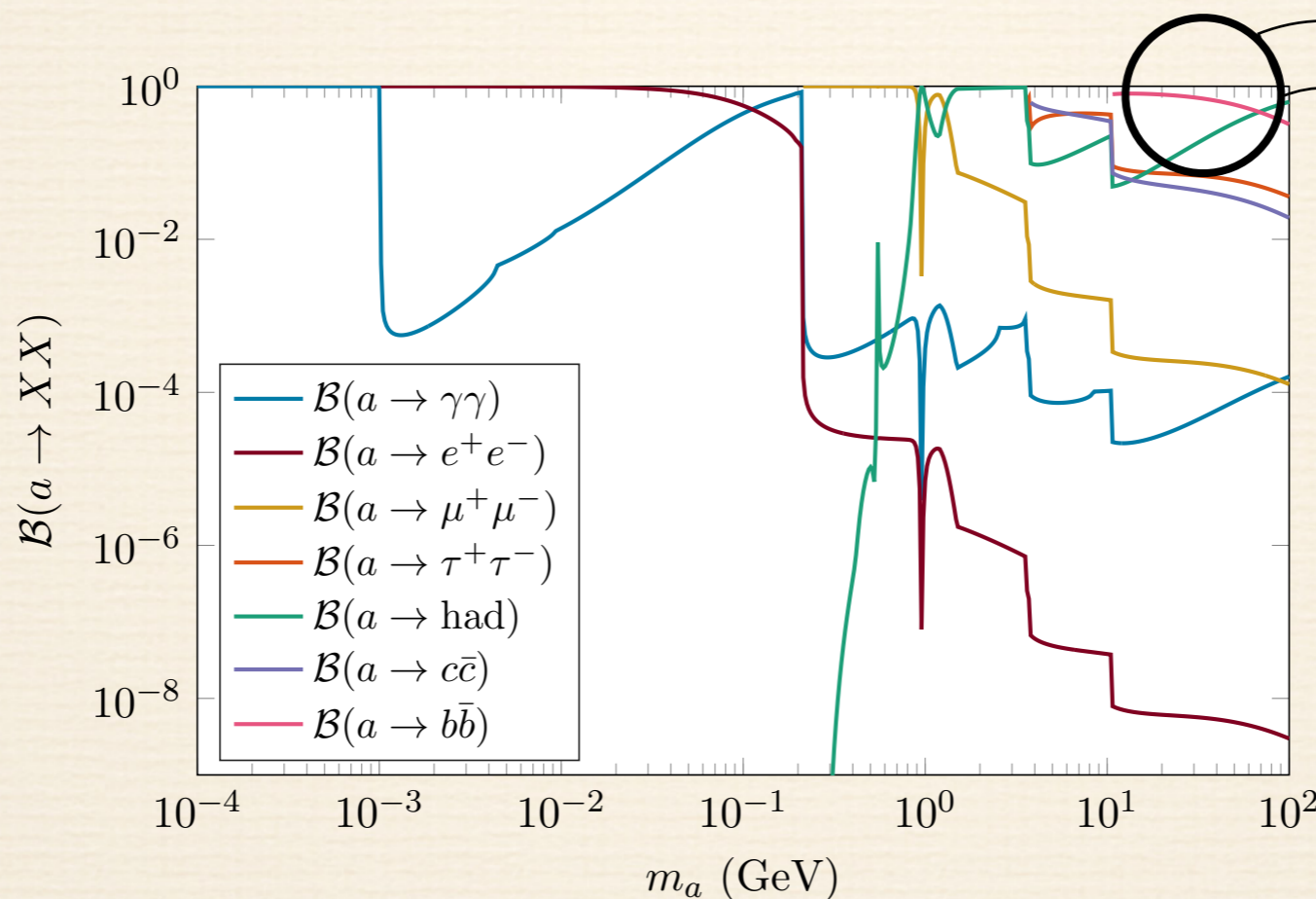
Lowering trigger p_T threshold : improving the reach in probing low mass region.

Pseudoscalar (ALP) Model

$$\mathcal{L}_{\text{ALP}} \supset \frac{1}{2} \partial_\mu a \partial^\mu a - \frac{1}{2} m_a^2 a^2 + i \sum_f g_{\text{aff}} m_f a \bar{f} \gamma_5 f, \quad (m_a, g_{\text{aff}})$$

ALP-fermion coupling : $g_{\text{aff}} = \frac{C_f}{f_a}$, C_f is dimensionless and f_a is an energy scale. We assume C_f to be universal for all SM fermions.

2209.03932, A.
Bharucha, F.
Brümmer, N. Desai, S.
Mutzel



Dominant decay
mode is $a \rightarrow b\bar{b}$

$m_a = \mathcal{O}(10 - 100) \text{ GeV}$

$$\text{Branching ratio, } B(a \rightarrow b\bar{b}) = \frac{\Gamma(a \rightarrow b\bar{b})}{\Gamma_{\text{total}}}$$

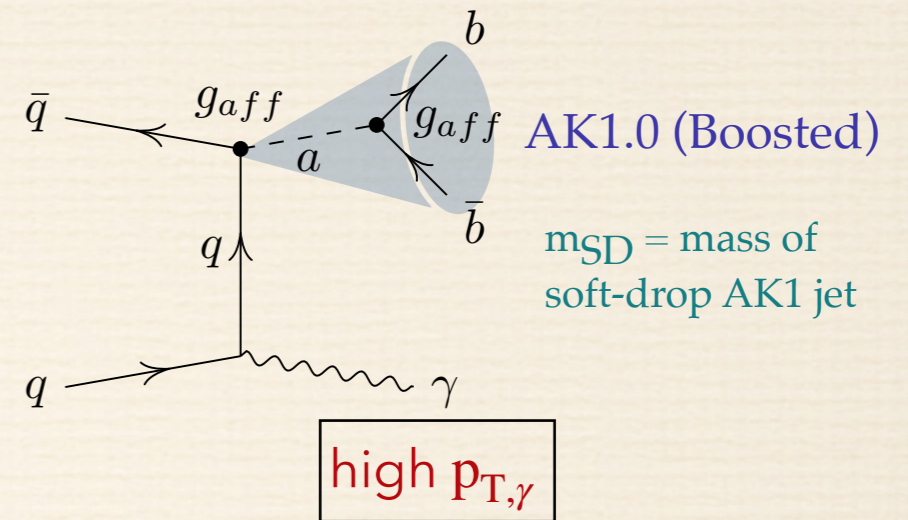
Signature we are looking for...(Signal and Backgrounds)

Signal :

$pp \rightarrow a\gamma \rightarrow b\bar{b}\gamma$ ($a \equiv \text{ALP}$)

ALP Mass Range : $m_a = [12, 100]$ GeV

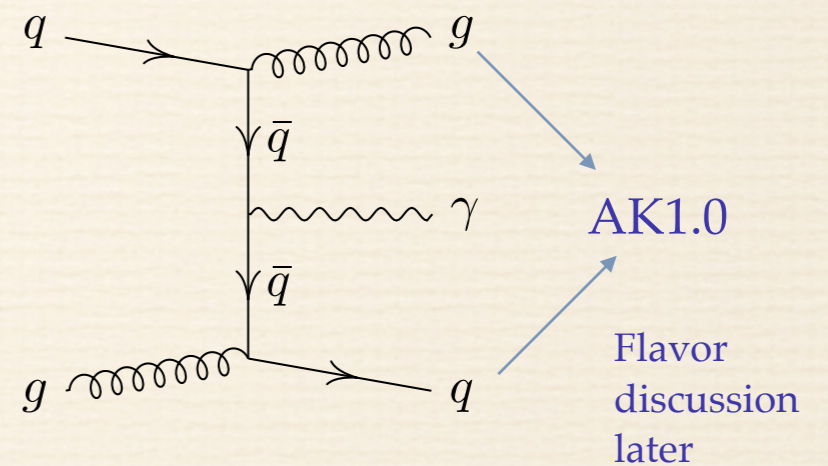
Madgraph, Pythia8, Delphes



Backgrounds :

Multijet \in Multijet+ γ , $W + \gamma$, $Z + \gamma$

Pythia8, Pythia8, Delphes



Grooming AK1.0 jet :

Soft-drop ($z_{\text{cut}} = 0.1, \beta = 1$)

ATL-PHYS-PUB-2021-028

2-prong discriminant observable

$$N_2^{\text{DDT}}(\rho, p_T) \equiv N_2 - N_2^{10\%}(\rho, p_T)$$

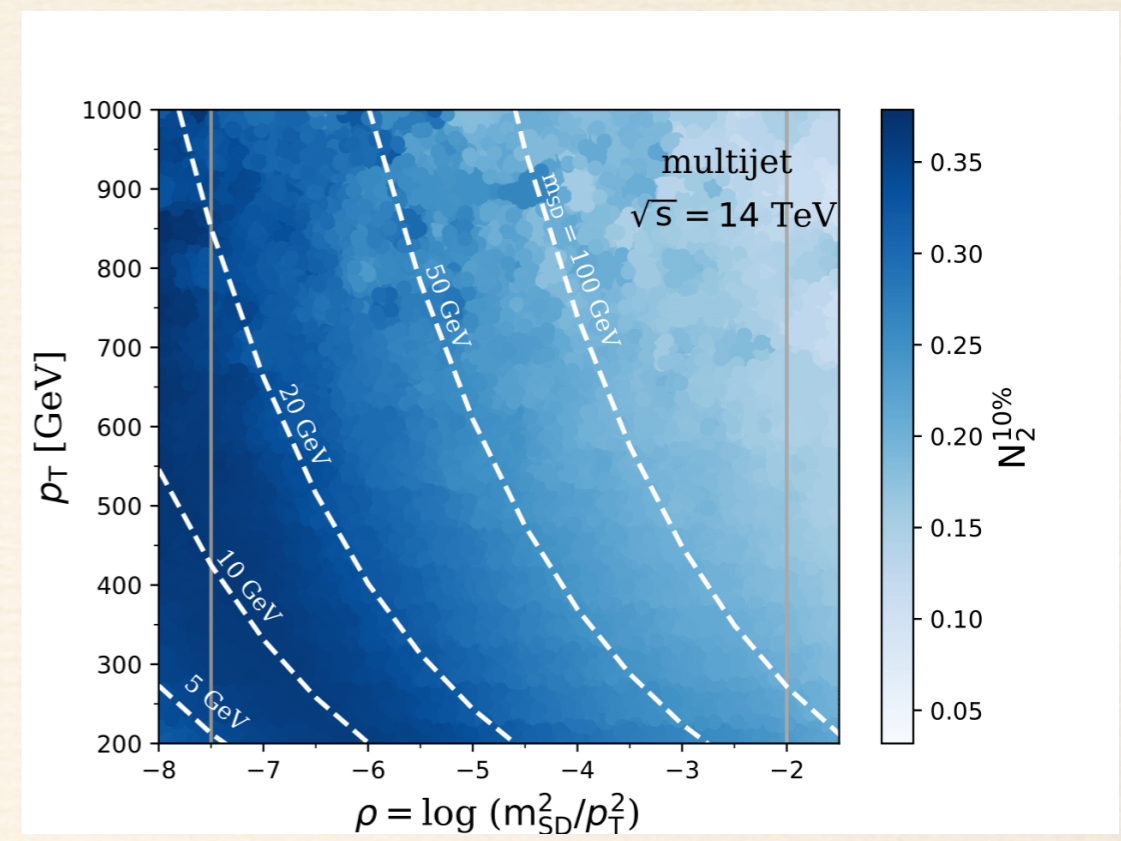
1603.00027, James Dolen, Philip Harris, Simone Marzani, Salvatore Rappoccio, Nhan Tran

N_2 = 2-prong discriminating observable

$$= \frac{2e_3}{(1e_2)^2}$$

$N_2^{10\%}$ = cut on N_2 to reject 90% of multijet background events

$\rho = \log(m_{SD}^2/p_T^2)$, a dimensionless scaling variable



$$N_2 = \frac{2e_3}{(1e_2)^2} = \text{Ratio of energy correlation functions (ECF)}$$

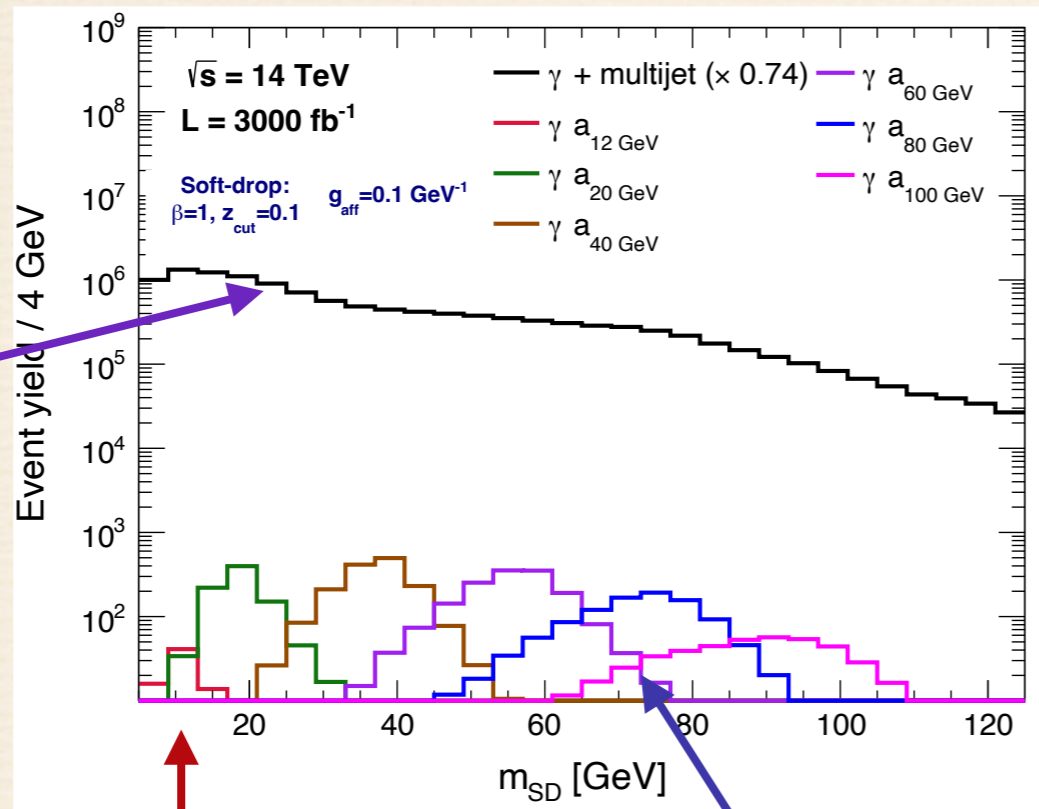
1609.07483, Ian Moutl, Lina Necib, Jesse Thaler

$$1e_2 = \sum_{1 \leq i < j \leq N} z_i z_j \Delta R_{ij}, \quad 2e_3 = \sum_{1 \leq i < j < k \leq N} z_i z_j z_k \min \left\{ \Delta R_{ij} \Delta R_{ik}, \Delta R_{ij} \Delta R_{jk}, \Delta R_{ik} \Delta R_{jk} \right\},$$

$$z_i \equiv \frac{p_{T,i}}{p_{T,\text{jet}}}$$

m_{SD} variable and selection requirements

The shape of the QCD background distribution is matched to data samples.



Selection requirements	
$p_{T,\gamma}$	$> 160 \text{ GeV}$
$ \eta_\gamma $	< 2.1
$p_{T,AK1.0}$	$> 200 \text{ GeV}$
$\Delta R(\gamma, AK1.0)$	> 2.2
ρ	$[-7.5, -2.0]$
N_2^{DDT}	< 0

N_2 is inefficient for low mass resonances :

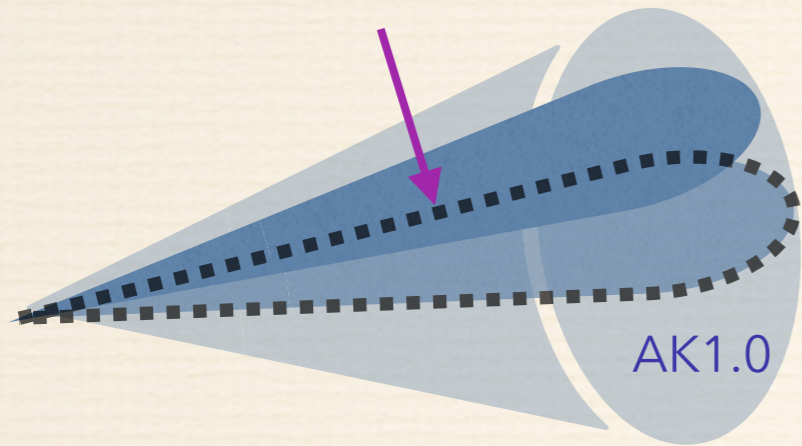
In the limit of mass $\ll p_T$, jet loses 2-prong feature.

AK1.0 jet radius is insufficient to contain all hadronisation objects

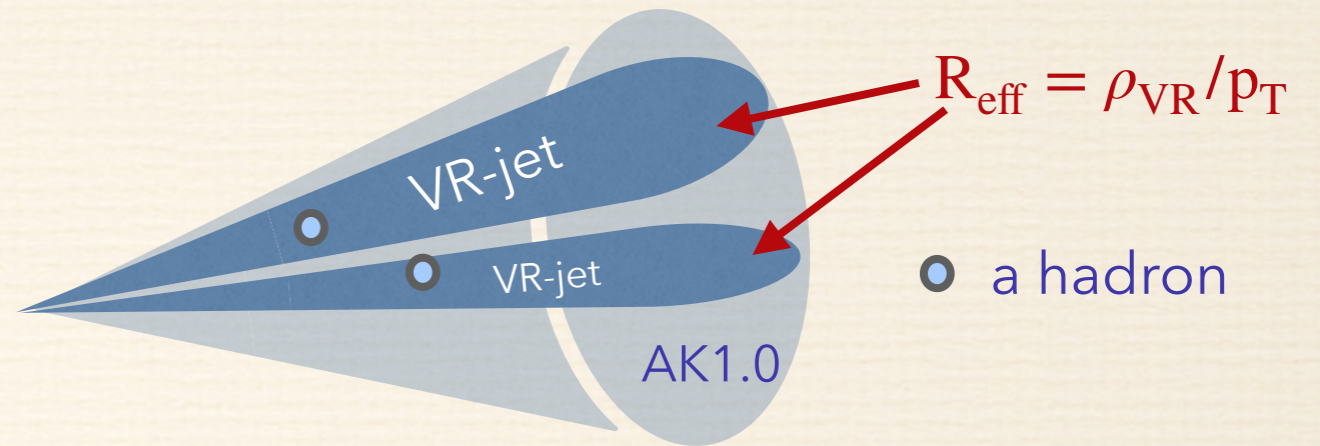
b-tagging of AK1.0 jet

Find two small radius subjets, variable radius (VR), inside AK1.0 jet and match each of them to a hadron in event.

Merged Fixed Radius subjets! ❌



Variable Radius (VR)



Categories in multijet background : **bb, bc, bl, ll, cl, cc**

b : b-jet **c** : c-jet **l** : light-jet

Multijet background						
Category	<i>bb</i>	<i>bc</i>	<i>bl</i>	<i>ll</i>	<i>cl</i>	<i>cc</i>
Fractional composition (%)	0.6	0.5	1.2	84.4	10.5	2.8
GN2X efficiency [50]	0.59	0.21	0.07	0.21×10^{-3}	0.41×10^{-2}	0.02

corresponding to **80% bb-tagging efficiency**

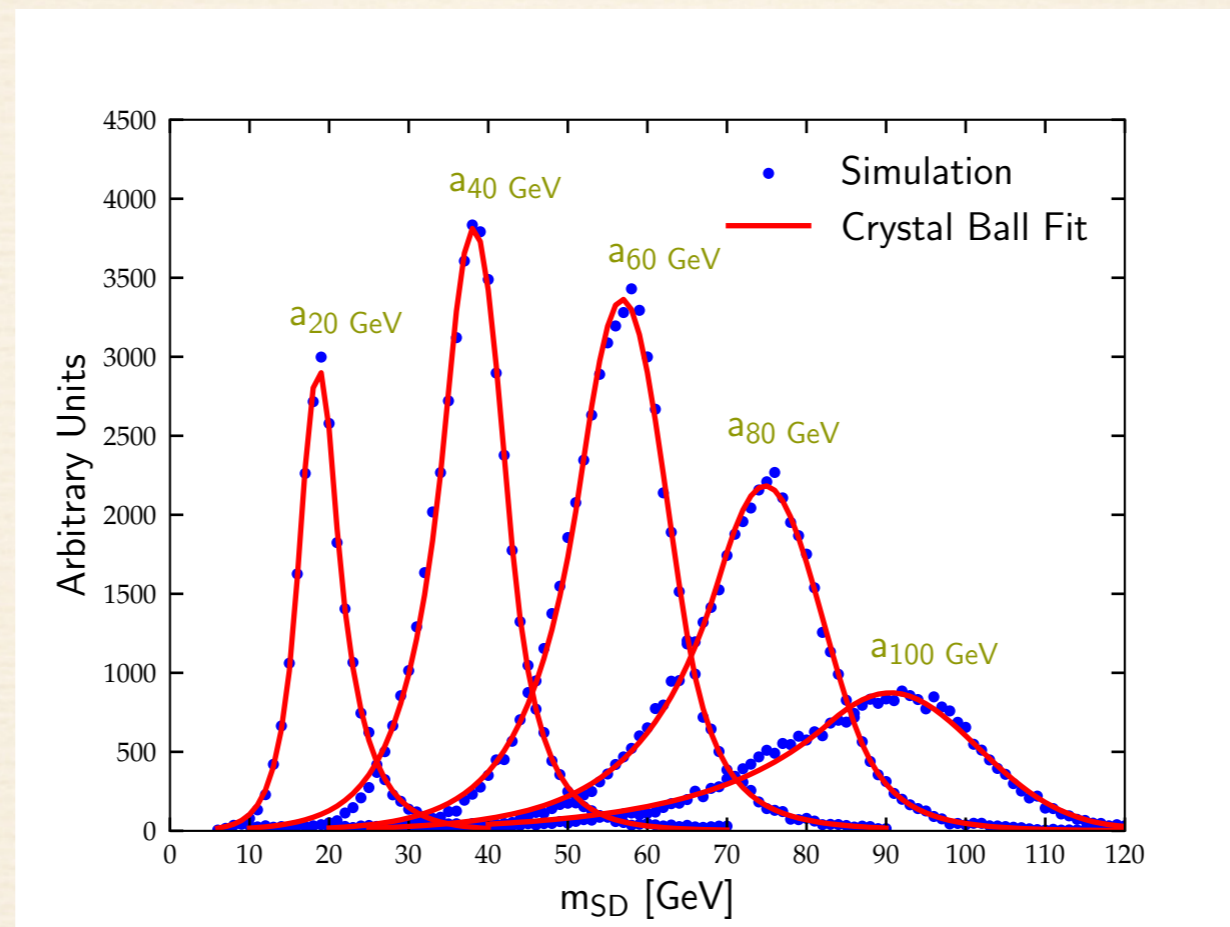
ATL-PHYS-PUB-2023-021

VR parameters	
$p_{T, \text{subjet}}$	> 7 GeV
R_{min}	0.02
R_{max}	0.4
m_a [GeV]	ρ_{VR} [GeV]
12, 20, 30	5
40, 50	10
60, 70	20
80, 90, 100	30

Matching parameters	
$p_{T, \text{hadron}}$	> 5 GeV
$\Delta R(\text{hadron}, \text{VR})$	< 0.3
$\Delta R(\text{hadron}/\text{VR}, \text{AK1.0})$	< 1.0

Signal and background estimation

Crystal ball fits to the m_{SD} variable :



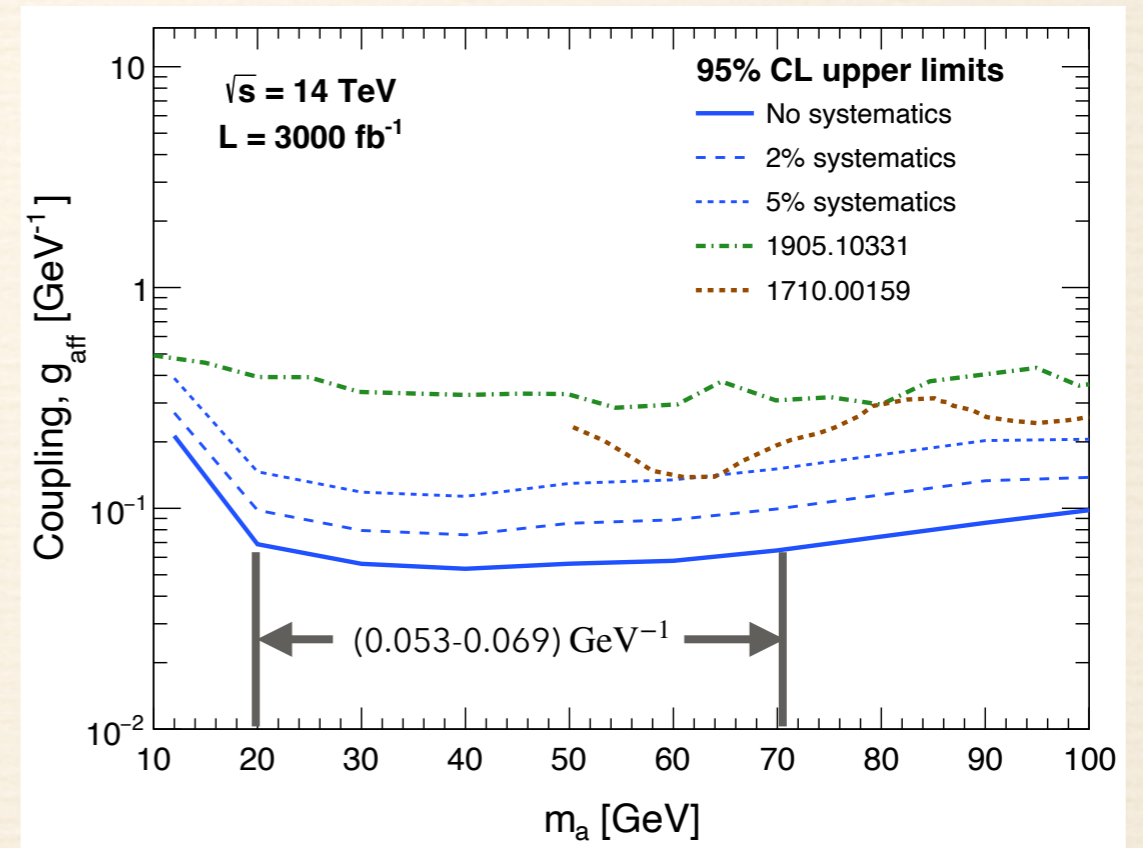
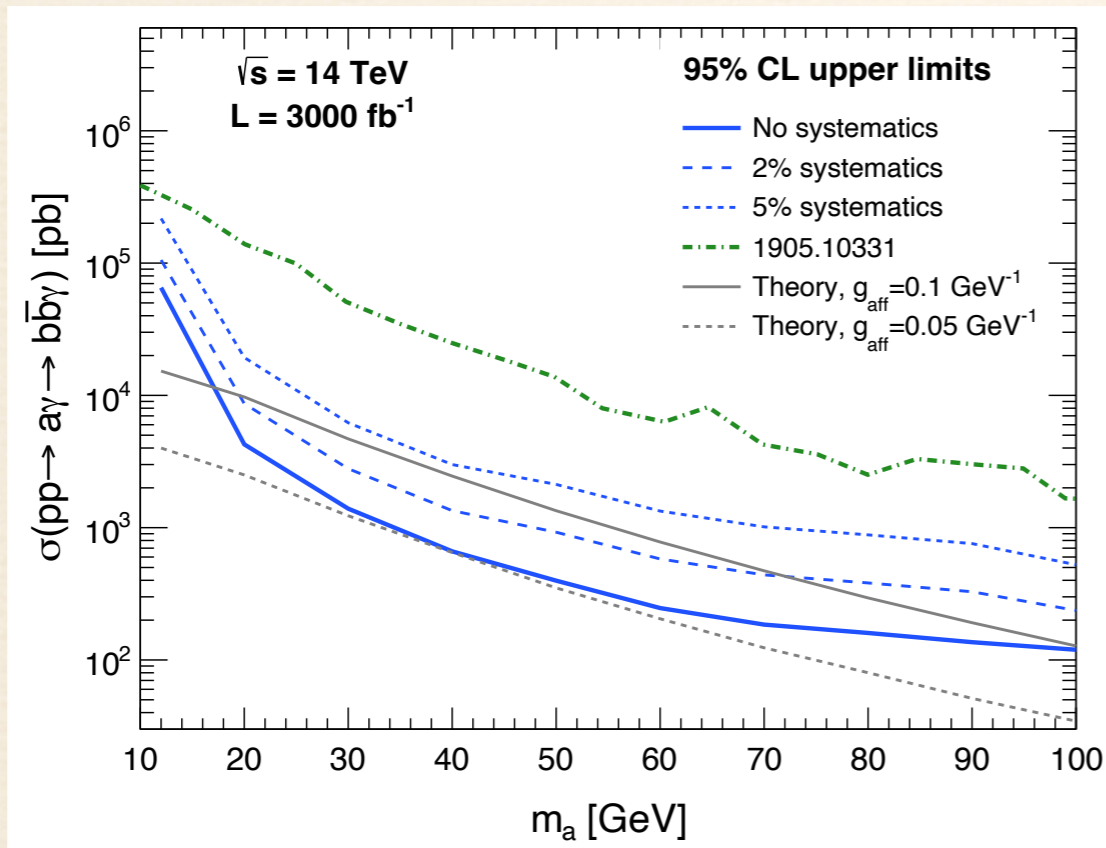
Chosen mass range = $[\mu + \sigma, \mu - \sigma]$.

Projected sensitivities

95 % CL exclusions on :

$$\sigma(pp \rightarrow a\gamma \rightarrow b\bar{b}\gamma)$$

$$g_{\text{aff}}$$



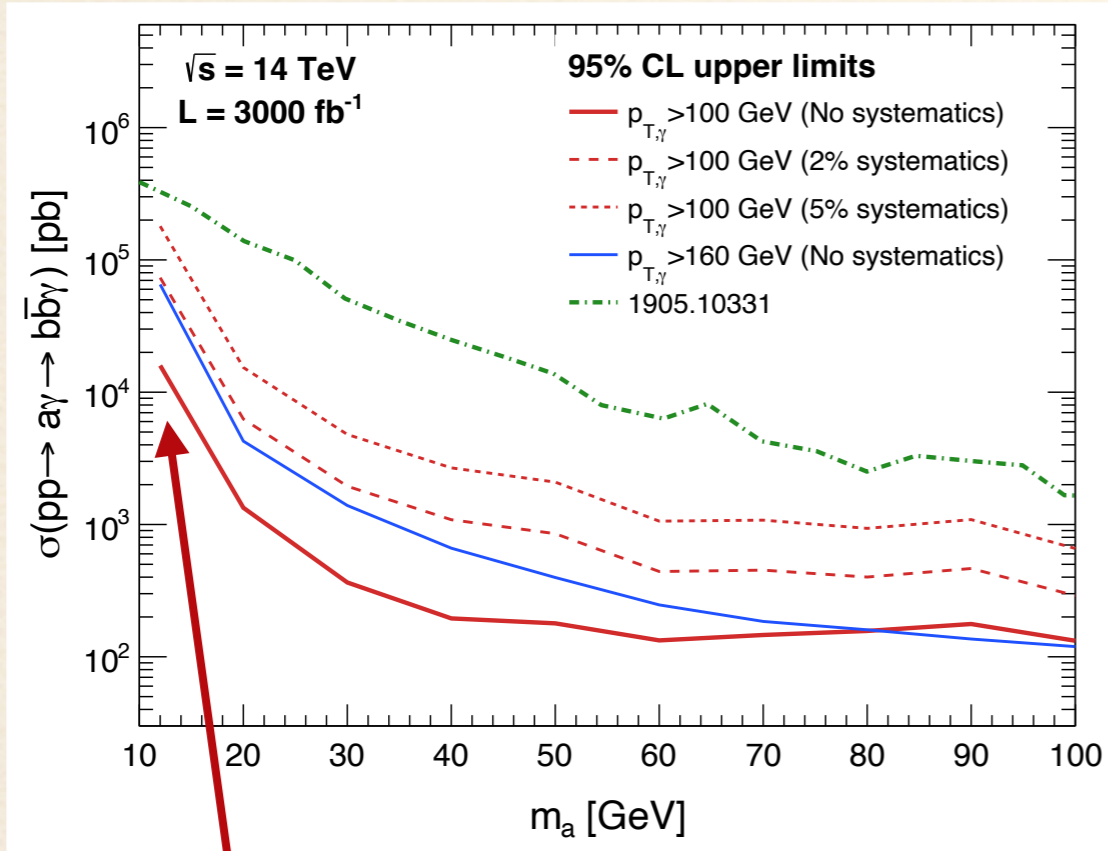
Lowering p_T threshold

$$p_{T,\gamma} > 100 \text{ GeV}, p_{T,AK1.0} = 100 \text{ GeV}$$

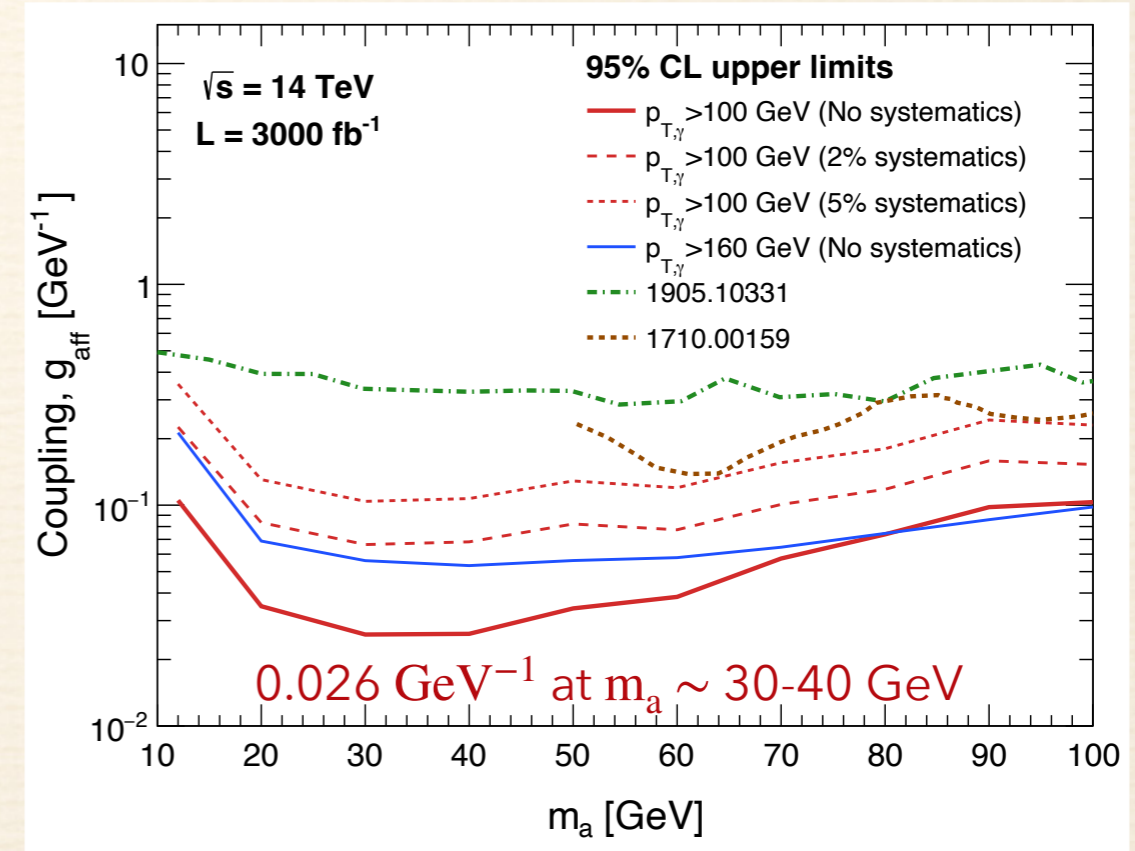
95 % CL exclusions on :

$$\sigma(pp \rightarrow a\gamma \rightarrow b\bar{b}\gamma)$$

$$g_{\text{aff}}$$



4x improvement at $m_a = 12 \text{ GeV}$



Summary and outlook

- Light resonance searches are important along with TeV scale physics as a solution to many BSM physics.
- ALPs are an interesting avenue to look for light scalars.
- They can be looked for in different kind of final states at LHC. We explored associated production here.
- Jet substructure techniques can improve analysis in most of the low mass regions.
- b-tagging is important to reject backgrounds in these kinds of signature.
- Possibly new trigger requirements may improve these searches further.
- The techniques used can be applied to any low mass resonance decaying to $b\bar{b}$.
- Machine learning can be used over jet substructure observables.

Thank you

Changing the β parameter

$$\text{Soft-drop condition : } \frac{\min(p_{T,1}, p_{T,2})}{p_{T,1} + p_{T,2}} > z_{\text{cut}} \left(\frac{\Delta R_{12}}{R_0} \right)^\beta$$

