Higgs, Top & Beyond

Why the Higgs boson? What can the Higgs & top tell us? Looking beyond them John Ellis



Remember the lectures by Jonas Lindert

The BCS Theory of Superconductivity

PHYSICAL REVIEW

VOLUME 108, NUMBER 5

DECEMBER 1, 1957

Theory of Superconductivity*

J. BARDEEN, L. N. COOPER,[†] AND J. R. SCHRIEFFER[‡] Department of Physics, University of Illinois, Urbana, Illinois (Received July 8, 1957)

A theory of superconductivity is presented, based on the fact that the interaction between electrons resulting from virtual exchange of phonons is attractive when the energy difference between the electrons states involved is less than the phonon energy, $\hbar\omega$. It is favorable to form a superconducting phase when this attractive interaction dominates the repulsive screened Coulomb interaction. The normal phase is described by the Bloch individual-particle model. The ground state of a superconductor, formed from a linear combination of normal state configurations in which electrons are virtually excited in pairs of opposite spin and momentum, is lower in energy than the normal state by amount proportional to an average $(\hbar\omega)^2$, consistent with the isotope effect. A mutually orthogonal set of excited states in one-to-one correspondence with those of the normal phase is obtained by specifying occupation of certain Bloch states and by using the rest to form a linear combination of virtual pair configurations. The theory yields a second-order phase transition and a Meissner effect in the form suggested by Pippard. Calculated values of specific heats and penetration depths and their temperature variation are in good agreement with experiment. There is an energy gap for individual-particle excitations which decreases from about $3.5kT_c$ at $T=0^{\circ}K$ to zero at T_c . Tables of matrix elements of single-particle operators between the excited-state superconducting wave functions, useful for perturbation expansions and calculations of transition probabilities, are given.

Condensate of electron pairs of due to phonon interactions Lowest-energy state has charge density: breaks/hides $U(1)_{em}$

Nambu, Anderson & "Spontaneous Breaking" of Gauge Symmetry

"Spontaneous symmetry breaking" = hidden symmetry Gauge-invariant mass generation by plasmons in non-relativistic theory

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FEBRUARY 1, 1960

magnetic field, can be maintained in the quasi-particle picture by

taking into account a certain class of corrections to the charge-

current operator due to the phonon and Coulomb interaction. In

fact, generalized forms of the Ward identity are obtained between

certain vertex parts and the self-energy. The Meissner effect cal-

culation is thus rendered strictly gauge invariant, but essentially

allows homogeneous solutions which describe collective excitations

of quasi-particle pairs, and the nature and effects of such col-

It is shown also that the integral equation for vertex parts

keeping the BCS result unaltered for transverse fields.

Quasi-Particles and Gauge Invariance in the Theory of Superconductivity*

YOICHIRO NAMBU

The Enrico Fermi Institute for Nuclear Studies and the Department of Physics, The University of Chicago, Chicago, Illinois (Received July 23, 1959)

Ideas and techniques known in quantum electrodynamics have been applied to the Bardeen-Cooper-Schrieffer theory of superconductivity. In an approximation which corresponds to a generalization of the Hartree-Fock fields, one can write down an integral equation defining the self-energy of an electron in an electron gas with phonon and Coulomb interaction. The form of the equation implies the existence of a particular solution which does not follow from perturbation theory, and which leads to the energy gap equation and the quasi-particle picture analogous to Bogoliubov's.

The gauge invariance, to the first order in the external electro-

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lective states are discussed.

1 APRIL 1963

Plasmons, Gauge Invariance, and Mass

P. W. ANDERSON Bell Telephone Laboratories, Murray Hill, New Jersey (Received 8 November 1962)

Schwinger has pointed out that the Yang-Mills vector boson implied by associating a generalized gauge transformation with a conservation law (of baryonic charge, for instance) does not necessarily have zero mass, if a certain criterion on the vacuum fluctuations of the generalized current is satisfied. We show that the theory of plasma oscillations is a simple nonrelativistic example exhibiting all of the features of Schwinger's idea. It is also shown that Schwinger's criterion that the vector field $m \neq 0$ implies that the matter spectrum before including the Yang-Mills interaction contains m=0, but that the example of superconductivity illustrates that the physical spectrum need not. Some comments on the relationship between these ideas and the zero-mass difficulty in theories with broken symmetries are given.

The Founders

1964



The (GN)AEBHGHKMP Mechanism

BROKEN SYMMETRY AND THE MASS OF GAUGE VECTOR MESONS*

F. Englert and R. Brout Faculté des Sciences, Université Libre de Bruxelles, Bruxelles, Belgium (Received 26 June 1964)

BROKEN SYMMETRIES, MASSLESS PARTICLES AND GAUGE FIELDS

P.W.HIGGS

Tail Institute of Mathematical Physics, University of Edinburgh, Scotland

Received 27 July 1964

VOLUME 13, NUMBER 16

1964

PHYSICAL REVIEW LETTER

BROKEN SYMMETRIES AND THE MASSES OF GAU

Peter W. Higgs Tait Institute of Mathematical Physics, University of Edinburgh, (Received 31 August 1964)

GLOBAL CONSERVATION LAWS AND MASSLESS PARTICLES*

G. S. Guralnik,[†] C. R. Hagen,[‡] and T. W. B. Kibble Department of Physics, Imperial College, London, England (Received 12 October 1964) SPONTANEOUS BREAKDOWN OF STRONG INTERACTION SYMMETRY AND THE ABSENCE OF MASSLESS PARTICLES

A. A. MIGDAL and A

Submitted to JETP editor November 30, 1965; resubmitted February 16, 1966

The occurrence of massless particles in the presence of spontaneous symmetry breakdown is discussed. By summing all Feynman diagrams, one obtains for the difference of the mass

The only one

who mentioned a

Nambu EB, H, GHK & Higgs



Spontaneous symmetry breaking: massless Nambu-Goldstone boson'eaten' by massless gauge boson

Accompanied by massive scalar particle

Hungry for Higgs





Steps Towards the Higgs Boson

CAN ONE EVADE THE GOLDS-CONE THEOREM?

P.W. ANDERSON POINTED OUT THAT IN A SUPERCONDUCTOR THE GOLDSTONE MODE BECOMES A MASSIVE "PLASMON" MODE DUE TO ITS ELECTROMAGNETIC INTERACTION, AND THAT THIS MODE IS JUST THE LONGITUDINAL PARTNER OF TRANSVERSELY POLARIZED ELECTROMAGNETIC MODES, WHICH ARE ALSO MASSIVE. (MEISSNEL EFFECT!)

ANDRESON CONTINUED, "THE GOLDSTONE ZERO-MASS DIFFICULTY IS NOT A SERIOUS ONE, BECAUSE WE CAN PROBABLY CANCEL IT OFF AGAINST AN EQUAL YANG-MILLS ZERO-MASS PROBLEM"

BUT (a) HE DIDN'T DISCUSS THE THEOREM (b) HE DIDN'T DISCUSS ANY RELATIVISTIC MODEL 1964 HOW TO EVADE GOLDSTONE'S THEOREM GSW PROOF INVOLVES COMMUTATOR $i [\hat{\phi}, \hat{\phi},] = \hat{\phi}_{2}$ () $\hat{\phi} = \int d^{3}x \hat{f}_{0}(\underline{x}, t)$ (GENERATOR) AND $\partial_{\mu} \hat{f}^{\mu} = 0$ (INVARIANCE OF \hat{f}) MANIFEST LORENTZ INVARIANCE $\hat{\phi}$ 4D FOURIER TRANSFORM OF $\langle i [\hat{f}_{\mu}^{-}(\underline{x}), \hat{\phi}_{1}(\underline{y})] \rangle_{0}$ HAS FORM k_{μ} (sum ko) $g(k^{2})$ (Spaceline \underline{k}_{μ} () $\Rightarrow c = 2\pi \langle \hat{\phi}_{k} \rangle_{0} \neq 0$ (ASYMMETRIC VACUUM)

MARCH 1964

15

OLY 1964 P.W.H.

A. KLEIN & B.W. LEE FOR (e.g.) SUPERCONDUCTOR, F.T. HAS MORE GENERAL FORM Ry, S, (k, n.k) + Ty S. (k, h.k) WHERE Ny (= (1,0,0,0)) SPECIFIES REST FRAME OF IONIC BACKGROUND. PERHAPS THIS COULD HAPPEN IN TRULY RELATIVISTIC CASE? JUNE 1964 W. GILBERT No!

BUT ONLY IF GAUGE FIELD A

COUPLED TO THE CURRI

YESI



The Nambu-Goldstone Mechanism

• Postulated effective scalar potential:

$$V[\phi] = -\mu^2 \phi^{\dagger} \phi + \lambda (\phi^{\dagger} \phi)^2$$

- Minimum energy at non-zero value: $\phi_0 = <0 |\phi|_0 > = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ +v \end{pmatrix} v = \sqrt{\frac{-\mu^2}{\lambda}}$
- Components of scalar field: $\phi(x) = \frac{1}{\sqrt{2}}(v + \sigma(x))e^{i\pi(x)}$
- π massless, σ massive:

$$m_H^2 = 2\mu^2 = 2\lambda v$$

Abelian EBH Mechanism

Lagrangian with U(1) gauge boson:

$$\mathcal{L} = \left(D_{\mu}\phi\right)^{+} \left(D^{\mu}\phi\right) - V(|\phi|) - \frac{1}{4}F_{\mu\nu}F^{\mu\nu}, \quad D_{\mu} = \partial_{\mu} - ieA_{\mu}$$

Gauge transformation $\phi'(x) = e^{i\alpha(x)} \phi(x) = e^{i\alpha(x)} e^{i\theta(x)} \eta(x)$

$$A'_{\mu}(x) = A_{\mu}(x) + \frac{1}{e}\partial_{\mu}\alpha(x)$$

- Choose $\alpha(x) = -\theta(x)$: $\phi'(x) = \eta(x)$ Rewrite Lagrangian: $\mathcal{L} = |(\partial ieA'_{\mu})\eta|^2 V(\eta) \frac{1}{4}F'_{\mu\nu}F'^{\mu\nu}$

$$\mathcal{L} = |(\partial_{\mu} - ieA'_{\mu})(\mathbf{v} + \frac{1}{\sqrt{2}}H)|^{2} - \frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} - V$$
$$= -\frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} + \mathbf{v}^{2}e^{2}A'_{\mu}A'^{\mu} + \frac{1}{2}[(\partial_{\mu}H)^{2} - m_{H}^{2}H^{2}] + \cdots$$

massive A-field, $m_A \sim ev$

neutral scalar, $m_H \neq 0$

V(φ)

Think of a Snowfield



The LHC discovered the snowflake: The Higgs Boson

Skier moves fast: Like particle without mass e.g., photon = particle of light Snowshoer sinks into snow, moves slower: Like particle with mass e.g., electron Hiker sinks deep, moves very slowly: Particle with large mass_

Weinberg: A Model of Leptons

- Electroweak sector of the • Standard Model
- SU(2) x U(1) •
- Mixing of Z, photon •
- Neutral currents •
- **Higgs-lepton couplings** •

2 citations before 1971

No quarks

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PHYSICAL REVIEW LETTERS

(6)

and

$$\varphi_1 \equiv (\varphi^0 + \varphi^{0\dagger} - 2\lambda)/\sqrt{2} \quad \varphi_2 \equiv (\varphi^0 - \varphi^{0\dagger})/i\sqrt{2} \,. \tag{5}$$

The condition that φ_1 have zero vacuum expectation value to all orders of perturbation theory tells us that $\lambda^2 \cong M_1^2/2h$, and therefore the field φ_1 has mass M_1 while φ_2 and φ^- have mass zero. But we can easily see that the Goldstone bosons represented by φ_2 and φ^- have no physical coupling. The Lagrangian is gauge invariant, so we can perform a combined isospin and hypercharge gauge transformation which eliminates φ^- and φ_2 everywhere⁶ without changing anything else. We will see that G_e is very small, and in any case M, might be very large,⁷ so the φ_1 couplings will also be disregarded in the following.

The effect of all this is just to replace φ everywhere by its vacuum expectation value

$$\langle \varphi \rangle = \lambda \begin{pmatrix} 1 \\ 0 \end{pmatrix}.$$

The first four terms in £ remain intact, while the rest of the Lagrangian becomes

 $-\frac{1}{8}\lambda^2 g^2 [(A_{11}^{\ 1})^2 + (A_{11}^{\ 2})^2]$ $-\frac{1}{8}\lambda^2(gA_{\mu}{}^3+g'B_{\mu})^2-\lambda G_e\overline{e}e. \quad (7)$

$$\frac{igg'}{2\sqrt{2}} \bar{e} \gamma^{\mu} (1+\gamma_5) \nu W_{\mu} + \text{H.c.} + \frac{igg'}{(g^2+g'^2)^{1/2}} \bar{e} \gamma^{\mu} e A_{\mu} + \frac{i(g^2+g'^2)^{1/2}}{4} \left[\left(\frac{3g'^2-g^2}{g'^2+g^2}\right) \bar{e} \gamma^{\mu} e - \bar{e} \gamma^{\mu} \gamma_5 e + \bar{\nu} \gamma^{\mu} (1+\gamma_5) \nu \right] Z_{\mu}.$$
(14)

We see that the rationalized electric charge is

$$e = gg' / (g^2 + g'^2)^{1/2}$$
(15)

and, assuming that W_{ii} couples as usual to hadrons and muons, the usual coupling constant of weak interactions is given by

$$G_W/\sqrt{2} = g^2/8M_W^2 = 1/2\lambda^2.$$

Note that then the $e - \varphi$ coupling constant is

$$G_{\rho} = M_{\rho} / \lambda = 2^{1/4} M_{\rho} G_{W}^{1/2} = 2.07 \times 10^{-10}$$

The coupling of φ_1 to muons is stronger by a factor M_{μ}/M_e , but still very weak. Note also that (14) gives g and g' larger than e, so

We see immediately that the electron mass is λG_{ρ} . The charged spin-1 field is

$$W_{\mu} \equiv 2^{-1/2} (A_{\mu}^{1} + iA_{\mu}^{2}) \tag{8}$$

and has mass

$$M_W = \frac{1}{2}\lambda g. \tag{9}$$

The neutral spin-1 fields of definite mass are

$$Z_{\mu} = (g^{2} + g'^{2})^{-1/2} (gA_{\mu}^{3} + g'B_{\mu}), \qquad (10)$$

$$A_{\mu} = (g^2 + g'^2)^{-1/2} (-g' A_{\mu}^3 + g B_{\mu}).$$
(11)

Their masses are

$$M_{Z} = \frac{1}{2}\lambda (g^{2} + g'^{2})^{1/2}, \qquad (12)$$

$$M_A = 0,$$
 (13)

so A_{μ} is to be identified as the photon field. The interaction between leptons and spin-1 mesons is

$$\overline{e}\gamma^{\mu}(1+\gamma_{5})\nu W_{\mu} + \text{H.c.} + \frac{igg}{(g^{2}+g'^{2})^{1/2}}\overline{e}\gamma^{\mu}eA_{\mu} + \frac{i(g^{2}+g'^{2})^{1/2}}{4} \left[\left(\frac{3g'^{2}-g^{2}}{g'^{2}+g^{2}}\right)\overline{e}\gamma^{\mu}e-\overline{e}\gamma^{\mu}\gamma_{5}e+\overline{\nu}\gamma^{\mu}(1+\gamma_{5})\nu\right]Z_{\mu}.$$
 (14)

by this model have to do with the couplings of the neutral intermediate meson Z_{11} . If Z_{11} does not couple to hadrons then the best place to look for effects of Z_{μ} is in electron-neutron scattering. Applying a Fierz transformation to the W-exchange terms, the total effective $e - \nu$ interaction is

$$\frac{G_W}{\sqrt{2}}\overline{\nu}\gamma_\mu(1+\gamma_5)\nu\left\{\frac{(3g^2-g'^2)}{2(g^2+g'^2)}\overline{e}\gamma^\mu e+\tfrac{3}{2}\overline{e}\gamma^\mu\gamma_5 e\right\}.$$

If $g \gg e$ then $g \gg g'$, and this is just the usual $e-\nu$ scattering matrix element times an extra factor $\frac{3}{2}$. If $g \simeq e$ then $g \ll g'$, and the vector

65

"Whatever the final laws of nature may be, there is no reason to suppose that they are designed to make physicists happy."

(16)

Summary of the Standard Model

• Particles and $SU(3) \times SU(2) \times U(1)$ quantum numbers:

	L_L E_R		$ \begin{pmatrix} \nu_e \\ e^- \end{pmatrix}_L, \begin{pmatrix} \nu_\mu \\ \mu^- \end{pmatrix}_L, \begin{pmatrix} \nu_\tau \\ \tau^- \end{pmatrix}_L \\ e_R^-, \mu_R^-, \tau_R^- \end{pmatrix} $		(1,2,- 1) (1,1,- 2)	
	Q_L U_R D_R		$ \begin{pmatrix} u \\ d \end{pmatrix}_{L}, \begin{pmatrix} c \\ s \end{pmatrix}_{L}, \begin{pmatrix} t \\ b \\ u_{R}, c_{R}, t_{R} \\ d_{R}, s_{R}, b_{R} \end{pmatrix} $	$\Big)_{L}$	$(\mathbf{3,2,+1/3})$ $(\mathbf{3,1,+4/3})$ $(\mathbf{3,1,-2/3})$	
Lagrangi	an:	L =	$= -\frac{1}{4} F^a_{\mu\nu} F^{a\ \mu\nu}$ $+ i\bar{\psi} D\psi + h.c.$	gau mat	ge interactions ter fermions	Tested < 0.1% before LHC

Higgs potential

Testing now

in prog

+ $i\psi D\psi + h.c.$ matter fermions + $\psi_i y_{ij} \psi_j \phi + h.c.$ Yukawa interactions + $|D_\mu \phi|^2 - V(\phi)$ Using potential

Parameters of the Standard Model

• Gauge sector:

- -3 gauge couplings: g_3 , g_2 , g_3
- 1 strong CP-violating phase
- Yukawa interactions:
 - 3 charged-lepton masses
 - 6 quark masses
 - 4 CKM angles and phase
- Higgs sector:
 - -2 parameters: μ , λ
- Total: 19 parameters





The Standard Model Lagrangian

$$\mathcal{L}_{SM} = \mathcal{L}_m + \mathcal{L}_g + \mathcal{L}_h + \mathcal{L}_y$$
 ,

$$\begin{split} \mathcal{L}_{m} &= \bar{Q}_{L} i \gamma^{\mu} D_{\mu}^{L} Q_{L} + \bar{q}_{R} i \gamma^{\mu} D_{\mu}^{R} q_{R} + \bar{L}_{L} i \gamma^{\mu} D_{\mu}^{L} L_{L} + \bar{l}_{R} i \gamma^{\mu} D_{\mu}^{R} l_{R} \\ \mathcal{L}_{G} &= -\frac{1}{4} B_{\mu\nu} B^{\mu\nu} - \frac{1}{4} W_{\mu\nu}^{a} W^{a\mu\nu} \checkmark \text{Experiment: accuracy} < \% \\ \mathcal{L}_{H} &= (D_{\mu}^{L} \phi)^{\dagger} (D^{L\mu} \phi) - V(\phi) \\ \mathcal{L}_{Y} &= y_{d} \bar{Q}_{L} \phi q_{R}^{d} + y_{u} \bar{Q}_{L} \phi^{c} q_{R}^{u} + y_{L} \bar{L}_{L} \phi l_{R} + \end{split} \text{No direct evidence} \\ \text{until July 4, 2012} \\ D_{\mu}^{L} &= \partial_{\mu} - i g W_{\mu}^{a} T^{a} - i Y g' B_{\mu} \quad , \quad D_{\mu}^{R} &= \partial_{\mu} - i Y g' B_{\mu} \\ V(\phi) &= -\mu^{2} \phi^{2} + \lambda \phi^{4} \quad . \end{split}$$

Masses for SM Gauge Bosons

• Kinetic terms for SU(2) and U(1) bosons:

$$\mathcal{L} = -\frac{1}{4} G^{i}_{\mu\nu} G^{i\mu\nu} - \frac{1}{4} F_{\mu\nu} F^{\mu\nu}$$



where $G^i_{\mu\nu} \equiv \partial_\mu W^i_\nu - \partial_\nu W^i_\mu + ig\epsilon_{ijk}W^j_\mu W^k_\nu$ $F_{\mu\nu} \equiv \partial_\mu W^i_\nu - \partial_\nu W^i_\mu$

• Kinetic term for Higgs field:

$$\mathcal{L}_{\phi} = -|D_{\mu}\phi|^2 \quad D_{\mu} \equiv \partial_{\mu} - i \ g \ \sigma_i \ W^i_{\mu} - i \ g' \ Y \ B_{\mu}$$

• Expanding around vacuum: $\phi = \langle 0|\phi|0 \rangle + \hat{\phi}$

$$\mathcal{L}_{\phi} \ni -\frac{g^2 v^2}{2} \ W^+_{\mu} \ W^{\mu-} \Rightarrow q'^2 \ \frac{v'^2}{2} \ B_{\mu} \ B^{\mu} + g \ g' v^2 \ B_{\mu} \ W^{\mu3} - g^2 \ \frac{v^2}{2} \ W^3_{\mu} \ W^{\mu3}$$

Boson masses:

$$m_{W^{\pm}} = \frac{gv}{2} \quad Z_{\mu} = \frac{gW_{\mu}^3 - g'B_{\mu}}{\sqrt{g^2 + g'^2}} \quad : \quad m_Z = \frac{1}{2}\sqrt{g^2 + g'^2}v \; ; \quad A_{\mu} = \frac{g'W_{\mu}^3 + gB_{\mu}}{\sqrt{g^2 + g'^2}} \quad : \quad m_A = 0$$

Higgs Boson Couplings



A Phenomenological Profile of the Higgs Boson

• First attempt at systematic survey

A PHENOMENOLOGICAL PROFILE OF THE HIGGS BOSON

John ELLIS, Mary K. GAILLARD * and D.V. NANOPOULOS ** CERN, Geneva

Received 7 November 1975

A discussion is given of the production, decay and observability of the scalar Higgs boson H expected in gauge theories of the weak and electromagnetic interactions such as the Weinberg-Salam model. After reviewing previous experimental limits on the mass of

We should perhaps finish with an apology and a caution. We apologize to experimentalists for having no idea what is the mass of the Higgs boson, unlike the case with charm [3,4] and for not being sure of its couplings to other particles, except that they are probably all very small. For these reasons we do not want to encourage big experimental searches for the Higgs boson, but we do feel that people performing experiments vulnerable to the Higgs boson should know how it may turn up.

A Phenomenological Profile of the Higgs Boson

- Previous mass limit ~ 15 MeV
- Decay into photons via loop diagrams



Status of the Standard Model before the LHC

- Perfect agreement with all *confirmed* accelerator data
- Consistency with precision electroweak data (LEP et al) *only if there is a Higgs boson*
- Agreement seems to require *a relatively light Higgs boson* weighing < ~ 180 GeV
- Raises many unanswered questions: *mass? flavour? unification?*

Where are the top and Higgs?

Estimating Masses with Electroweak Data

• High-precision electroweak measurements are sensitive to quantum corrections

$$m_W^2 \sin^2 \theta_W = m_Z^2 \cos^2 \theta_W \sin^2 \theta_W = \frac{\pi \alpha}{\sqrt{2} G_F} (1 + \Delta r)$$

• Sensitivity to top mass is quadratic:

$$\frac{3\mathrm{G}_F}{8\pi^2\sqrt{2}}m_t^2$$

Veltman

• Sensitivity to Higgs mass is logarithmic:

$$\frac{\sqrt{2}G_F}{16\pi^2}m_W^2(\frac{11}{3}\ln\frac{M_H^2}{m_Z^2}+...), M_H >> m_W$$

• Measurements at LEP et al. gave indications first on top mass, then on Higgs mass $\Delta \rho = 0.0026 \frac{M_t^2}{M_\pi^2} - 0.0015 \ln \left(\frac{M_H}{M_W}\right)$

Precision Tests of the Electroweak Sector of the Standard Model



CMS Collaboration, arXiv:2408.07622

New Precision Measurement of Electroweak Mixing Angle



Splits the difference between LEP and SLD









Higgs Decay Branching Ratios

• Couplings proportional to masses (?)



• Important couplings through (quantum) loops: $-gluon + gluon \rightarrow Higgs \rightarrow \gamma\gamma$

Many decay modes measurable if $M_h \sim 125 \text{ GeV}$

Higgs Decay Branching Ratios



The Discovery of the Higgs Boson





Higgsdependence Day!



Scientists from around the World





in the CMS experiment

LHC Measurements



Higgs Measurements





ATLAS & CMS, arXiv:2309.03501

Emerging Decay Mode: $H \rightarrow Z\gamma$



Buccioni, Devoto, Djouadi, JE, Quevillon, Tancredi, arXiv:2312.12384

QCD Corrections to $H \rightarrow Z\gamma$

NLO QCD diagrams for signal and background

NLO QCD increases crosssection by factor ~ 2

Negative interference – but blown up by factor 10 in plot

Reduces cross-section by 3%



BSM Scenario for $H \rightarrow Z\gamma$

$$\begin{aligned} \mathscr{L}_{S}^{\text{int}} &= \lambda_{hs_{i}s_{j}}M_{W} h \, S_{i}^{+Q}S_{j}^{-Q} + i \, g_{zs_{i}s_{j}}Z^{\mu} \left\{ \left(\partial_{\mu}S_{i}^{+Q}\right)S_{j}^{-Q} - \left(\partial_{\mu}S_{j}^{-Q}\right)S_{i}^{+Q} \right\} \\ &+ e Q g_{zs_{i}s_{j}}A^{\mu}Z_{\mu}S_{i}^{+Q}S_{j}^{-Q} + g_{zzs_{i}s_{j}}Z^{\mu}Z_{\mu}S_{i}^{+Q}S_{j}^{-Q} + \text{h.c.} \,, \end{aligned}$$



Boto, Das, Romão, Saha & Silva, arXiv:2312.13050

Higher-Order Higgs Couplings

- Standard Model Lagrangian contains *HHH, VVHH* couplings in Higgs potential V(H), Higgs kinetic term $|D_{\mu}H|^2$, respectively
- Directly related to (m_H, mW) and VVH, respectively
- Absence/modification would destroy consistency (renormalizability) of Standard Model
- Could be modified by, e.g., higher-order terms in effective field theory, e.g., H^6 or $|H|2|D_{\mu}H|2$
- Parameterized by κ_{λ} , κ_{2V} , respectively

Measuring them is next frontier in Higgs measurements



Diagrams for double-Higgs production



Loop corrections to single Higgs production



NLO Corrections to Di-Higgs Production



Evidence for VVHH Coupling



Evidence for VVHH Coupling



 $5 - \sigma$ exclusion of $\kappa_{2V} = 0$ if other Higgs couplings have Standard Model values Constraints on Di-Higgs Couplings

- Coupling modifiers
- Higher-dimensional couplings

ATLAS Collaboration, PRL 133 (2024) 10181



Prospects for Future Higgs Measurements

