

# New Cosmological Data Presents $\nu$ Opportunities

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Mitchell Conference  
5-23-2024

Image Credits: PICO; ATLAS; Hahn, Abel; Caltech-JPL

# History of the Universe

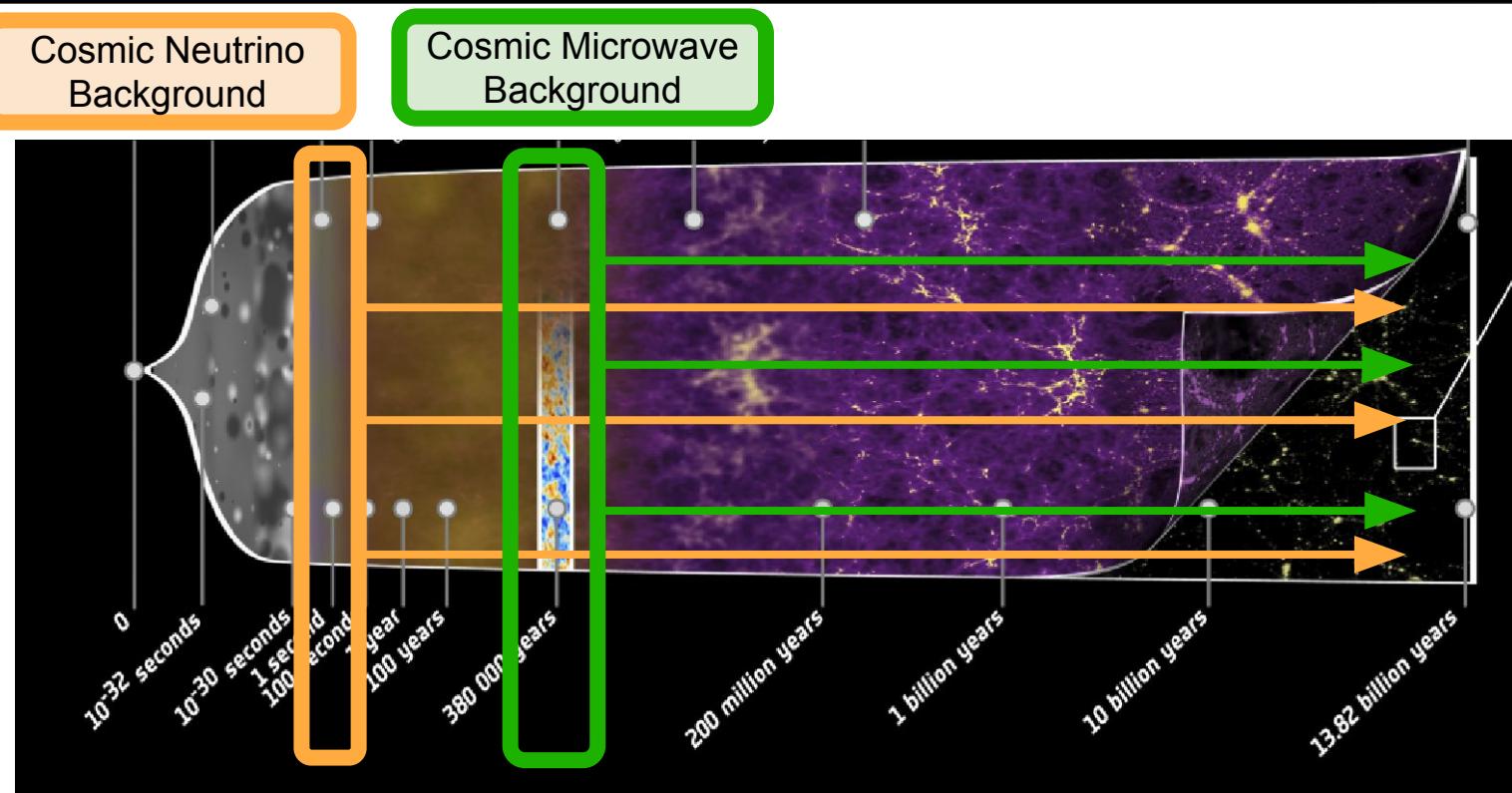
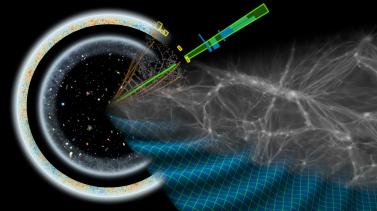
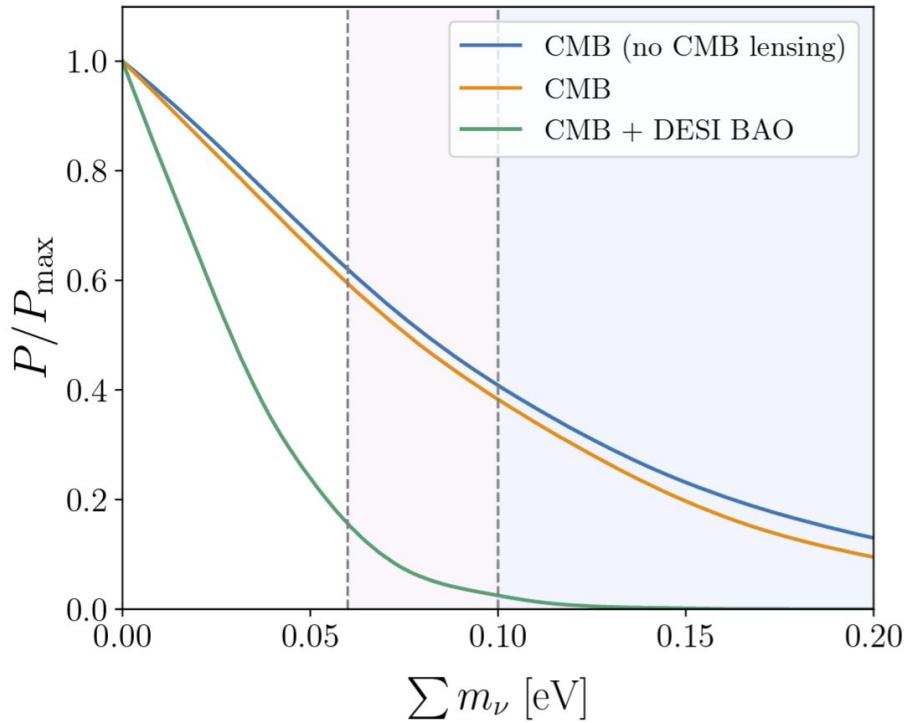
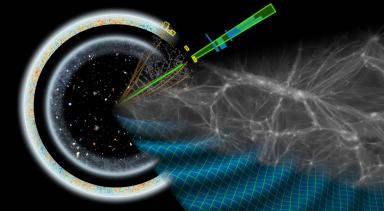


Image Credit: NASA

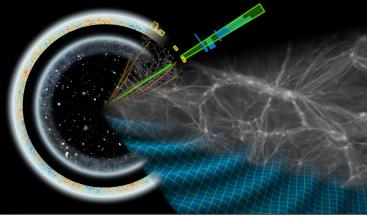
# Cosmological Measurement of Neutrino Mass



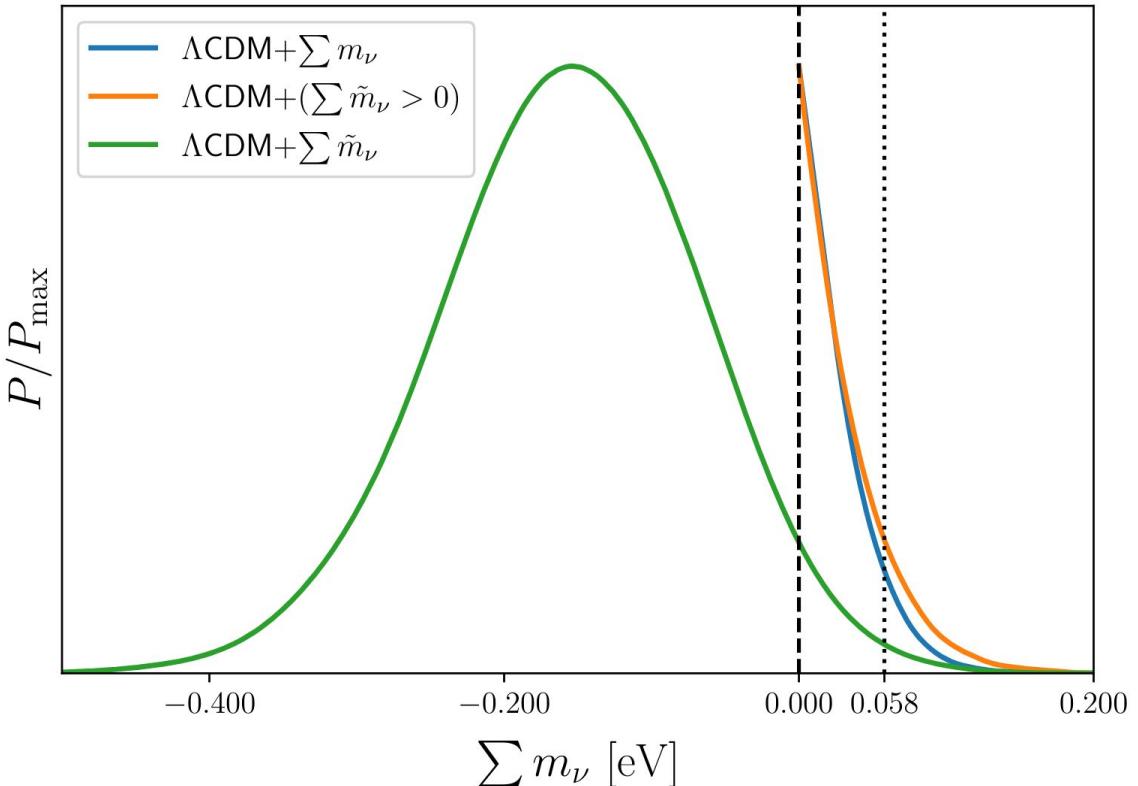
- DESI BAO, combined with CMB data, now allows for tightest yet constraint on sum of neutrino masses

$$\sum m_\nu < 72 \text{ meV (95\%)}$$

- Uncertainty is approaching level necessary for detection of minimum mass implied by flavor oscillations



# Negative Neutrino Mass?



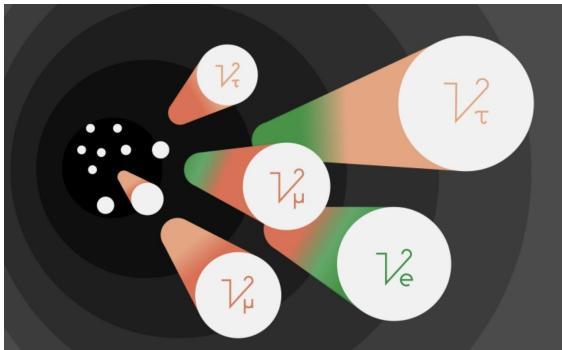
- Measurements actually favor negative neutrino mass

$$\sum m_\nu = -160 \pm 90 \text{ meV} \text{ (68\%)}$$

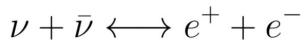
- This measurement disfavors the minimal mass for the normal hierarchy (58 meV) at 99% confidence

# Cosmic Neutrino Background

# Cosmic Neutrino Background



Cosmic neutrinos are light thermal  
relics from the early universe



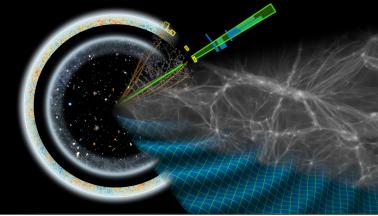
$$\frac{\Gamma}{H} \sim \left( \frac{T}{1 \text{ MeV}} \right)^3$$

$$N_{\text{eff}}$$

CvB makes up significant  
fraction of radiation energy  
density at early times

$$\rho_r = \rho_\gamma \left( 1 + \frac{7}{8} \left( \frac{4}{11} \right)^{4/3} N_{\text{eff}} \right)$$

$$f_\nu \equiv \frac{\Omega_\nu}{\Omega_m} \simeq 4.3 \times 10^{-3} \left( \frac{\sum m_\nu}{58 \text{ meV}} \right)$$

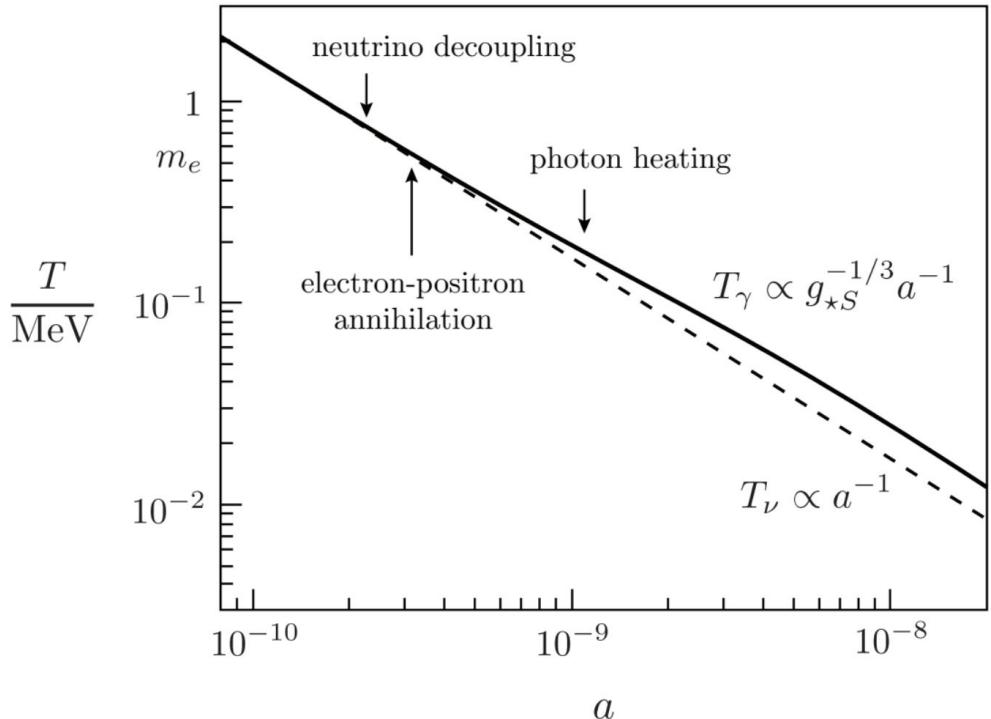
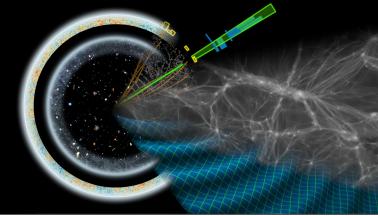


$$\sum m_\nu$$

Massive neutrinos act like hot  
dark matter affecting structure  
growth at more recent times

Image Credit: Symmetry Magazine

# Cosmic Neutrino Background - Instantaneous Decoupling Model



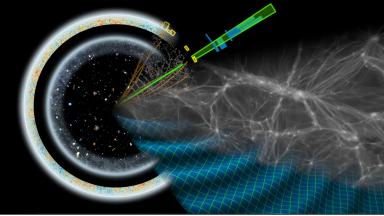
Cosmic neutrinos decoupled from the thermal plasma around 1 MeV, and were then diluted relative to photons by electron-positron annihilation

$$T_\nu = \left(\frac{4}{11}\right)^{1/3} T_\gamma$$

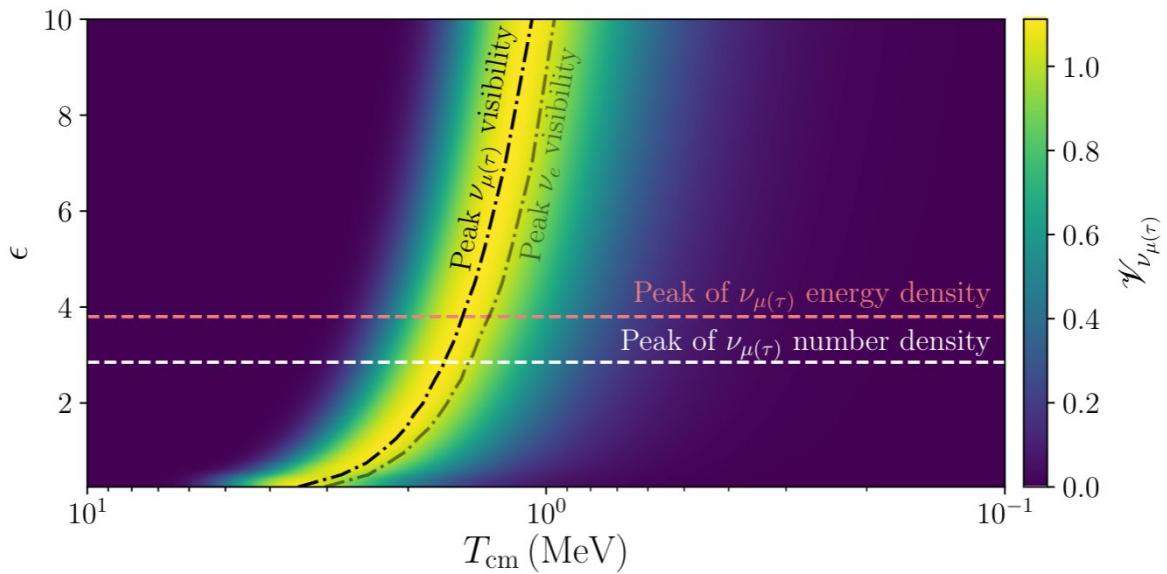
Cosmic neutrino background makes up a **significant fraction of the energy density** prior to recombination

$$\rho_\nu \simeq 0.471 \rho_r$$

# Cosmic Neutrino Background - Precision Model



Neutrino Differential Visibility



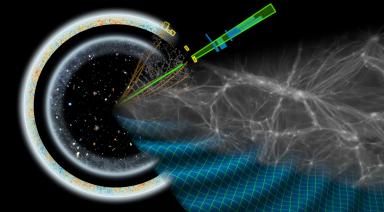
The energy density of the cosmic neutrino background can be calculated precisely, including the effects of non-instantaneous weak decoupling

$$N_{\text{eff}} = \frac{8}{7} \left( \frac{11}{4} \right)^{4/3} \frac{\rho_\nu}{\rho_\gamma}$$

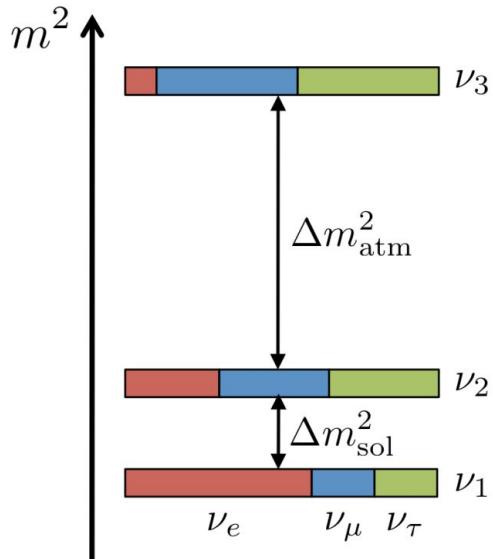
$$N_{\text{eff}}^{\text{SM}} = 3.044(1)$$

Escudero Abenza (2020); Akita, Yamaguchi (2020); Froustey, Pitrou, Volpe (2020); Bennett, et al (2021); Bond, Fuller, Grohs, JM, Wilson (2024)

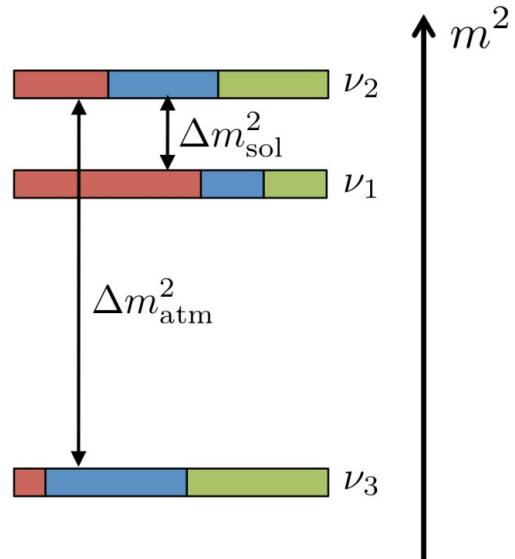
# Massive Cosmic Neutrinos



**normal hierarchy (NH)**



**inverted hierarchy (IH)**



Cosmic neutrino background provides an **abundance of non-relativistic neutrinos**

$$n_{\nu_i,0} = 112 \text{ cm}^{-3}$$

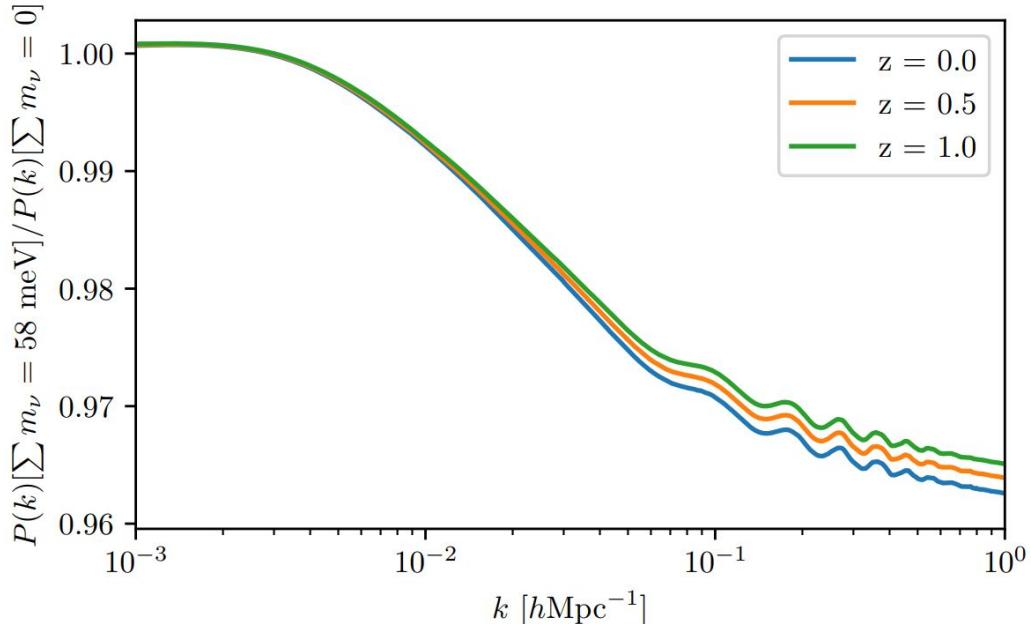
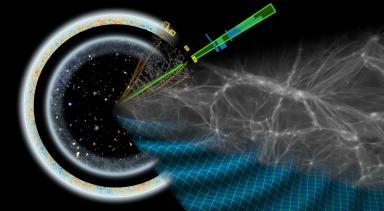
Cosmology is sensitive to the gravitational effects of the cosmic neutrino background, allowing a measurement of a sum of neutrino masses

$$\sum m_\nu \gtrsim 58 \text{ meV}$$

$$\sum m_\nu \gtrsim 105 \text{ meV}$$

Super-Kamiokande (1999); Sudbury Neutrino Observatory (2001); CMB-S4 (2016)

# Massive Neutrinos Suppress Matter Clustering



The large velocities of cosmic neutrinos causes them to free stream out of potential wells and **suppress the growth of structure** on scales smaller than their free-streaming length

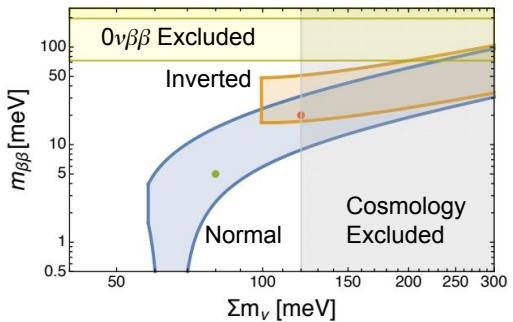
$$f_\nu \equiv \frac{\Omega_\nu}{\Omega_m} \simeq 4.3 \times 10^{-3} \left( \frac{\sum m_\nu}{58 \text{ meV}} \right)$$

$$P(k > k_{\text{fs}}) \simeq (1 - 8f_\nu)P(k > k_{\text{fs}})|_{\sum m_\nu=0}$$

Hu, Eisenstein, Tegmark (1998); Cooray (1999); Abazajian, et al (2011);  
Green, JM (2021); Gerbino, Grohs, Lattanzi, et al (2022)

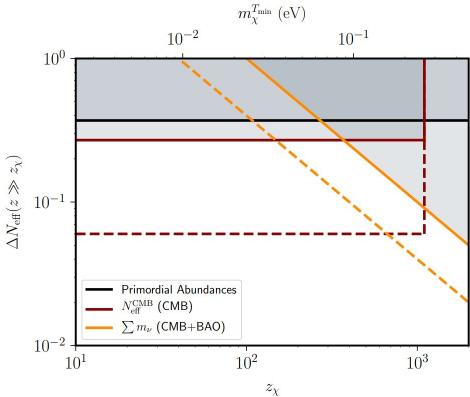
# Cosmological Probes of Neutrino Mass

# Value of Cosmological Neutrino Mass Measurement



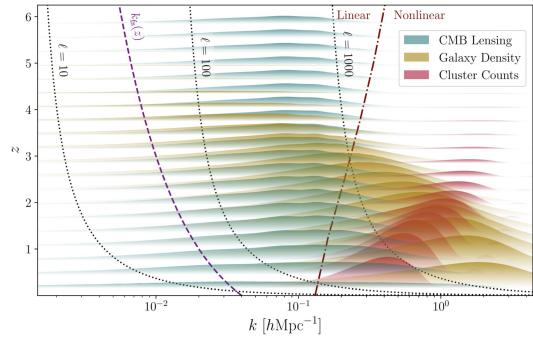
## Particle Physics

- Absolute neutrino mass scale sets a target for **complementary lab-based searches** for neutrino mass



## Cosmology

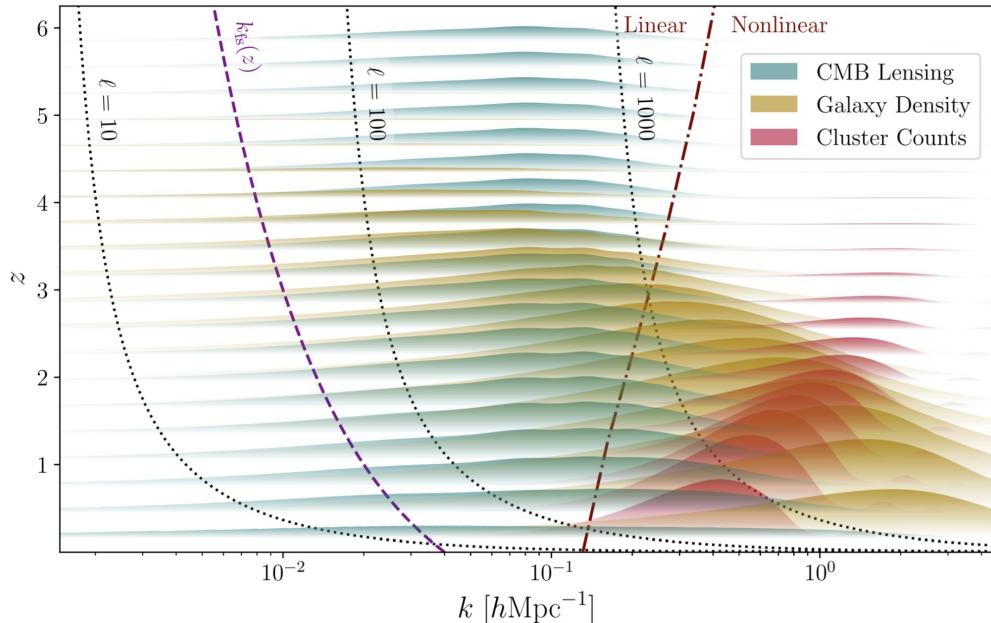
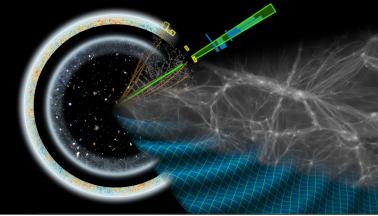
- Provides **end-to-end test of cosmic history** and is sensitive to new massive species (including gravitinos)



## Astrophysics

- Multiple probes of matter power allow neutrino mass to be disentangled from **nonlinear and baryonic effects**

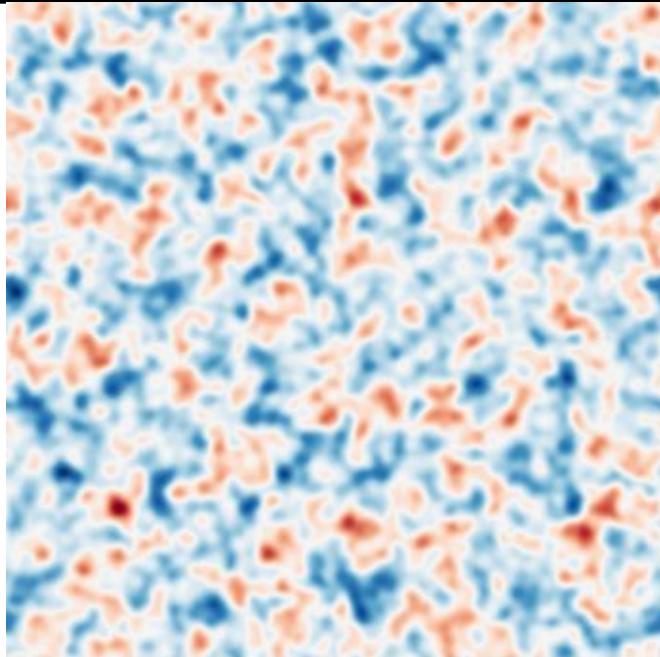
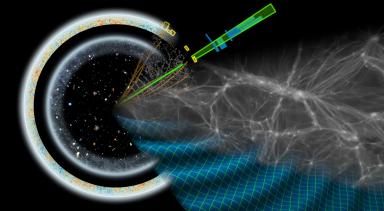
# Measuring Clustering with Cosmological Surveys



Sensitivity regimes of various probes of clustering

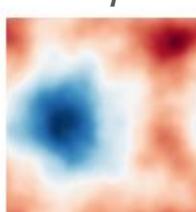
- Galaxy number density, galaxy weak lensing, counts of galaxy clusters, and weak lensing of the cosmic microwave background (among other probes) are sensitive to the clustering of matter across a wide range of scales and redshifts
- CMB lensing provides an unbiased measurement of integrated matter clustering in the linear regime

# Unlensed CMB Polarization



Unlensed E

5° × 5° simulated maps

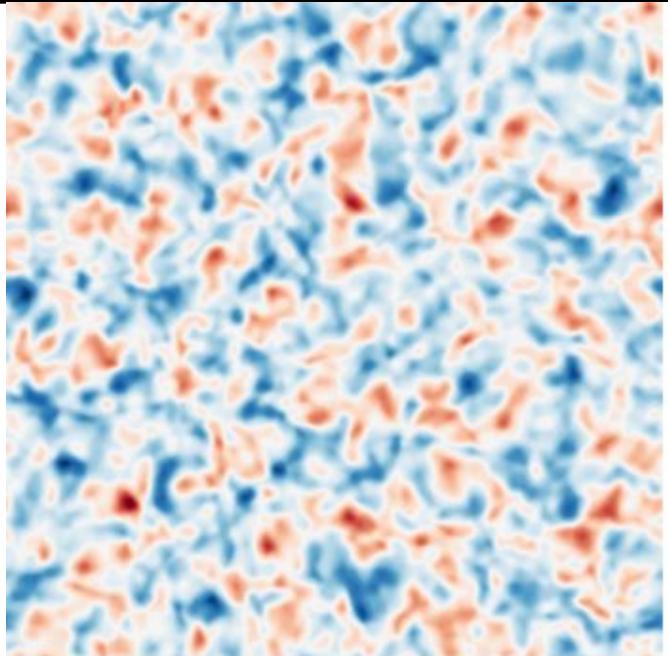
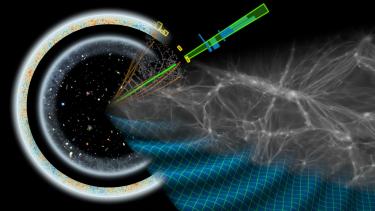


$\phi$

Unlensed B

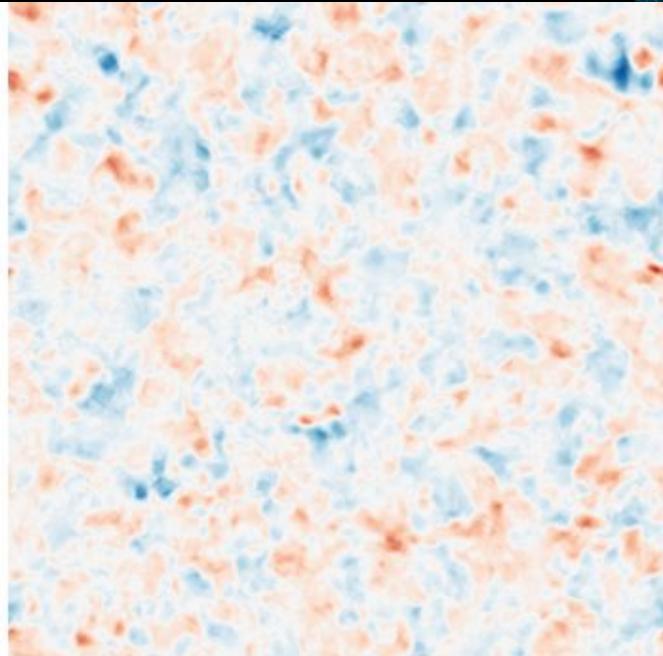
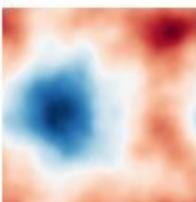
Image Credit: Guzman

# Lensed CMB Polarization



Lensed E

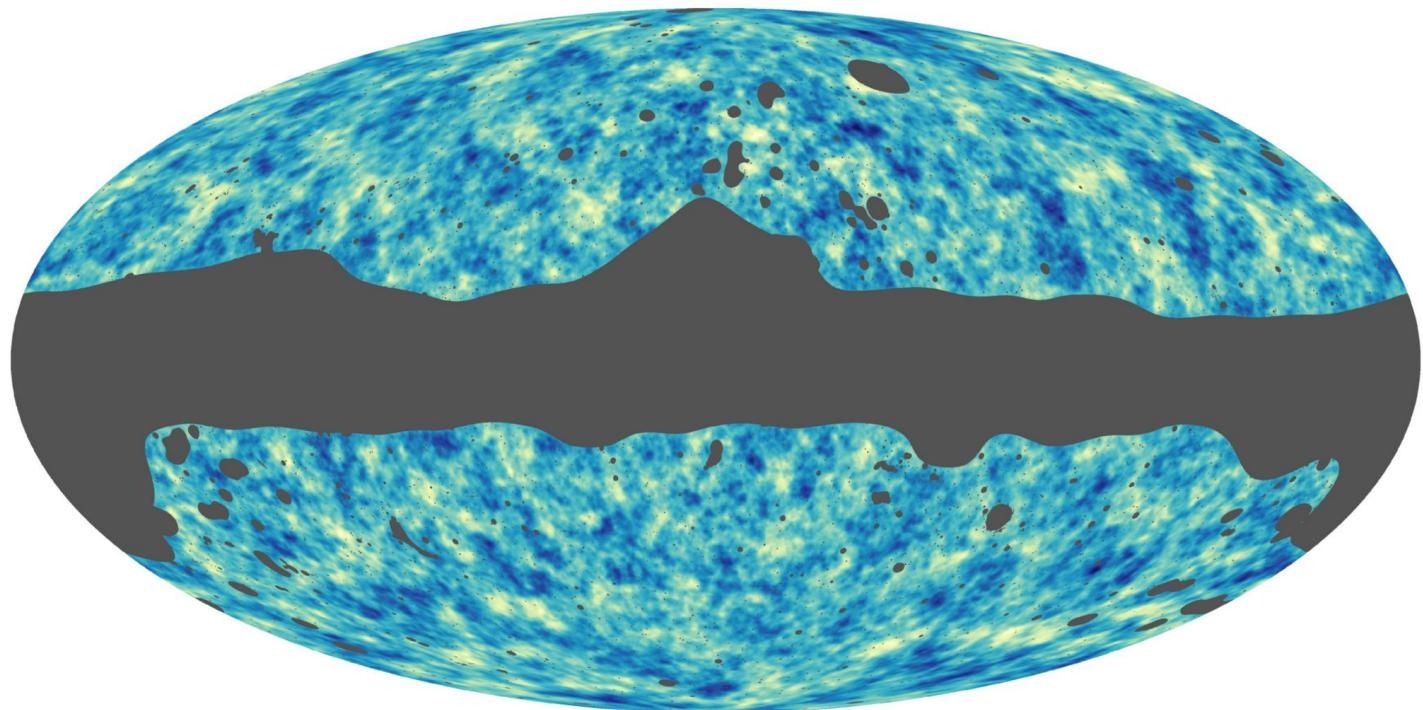
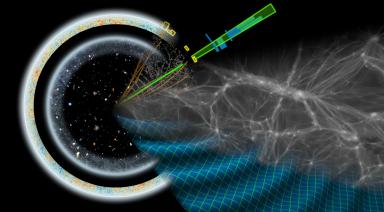
5° × 5° simulated maps



Lensed B

Image Credit: Guzman

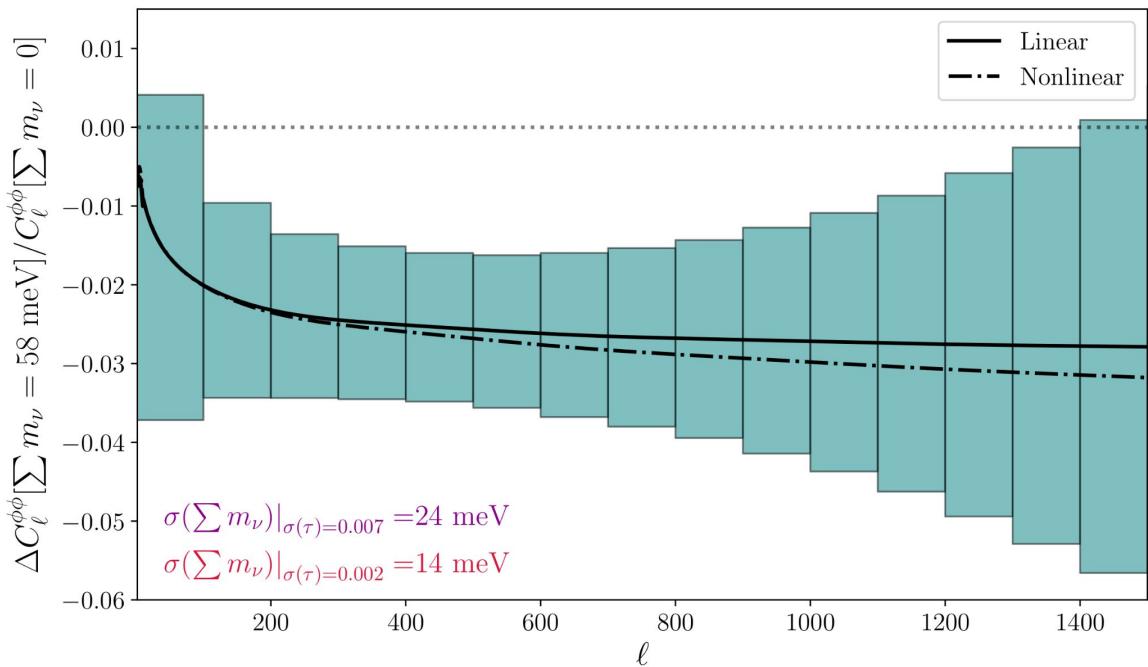
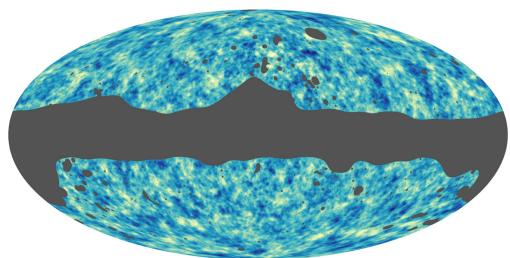
# CMB Lensing Reconstruction



$40\sigma$  observation

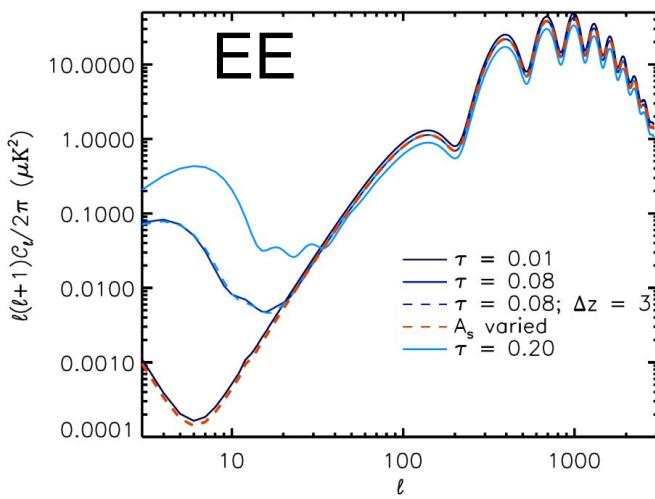
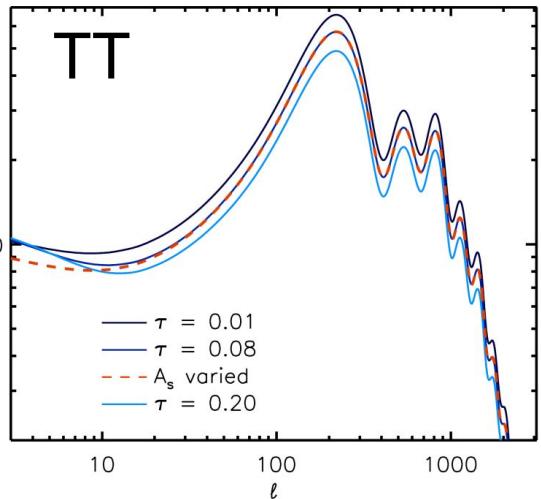
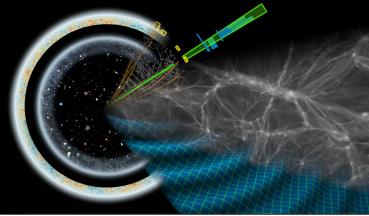
Planck (2018)

# Neutrino Mass with CMB Lensing



Measuring suppression of clustering with CMB-S4 lensing

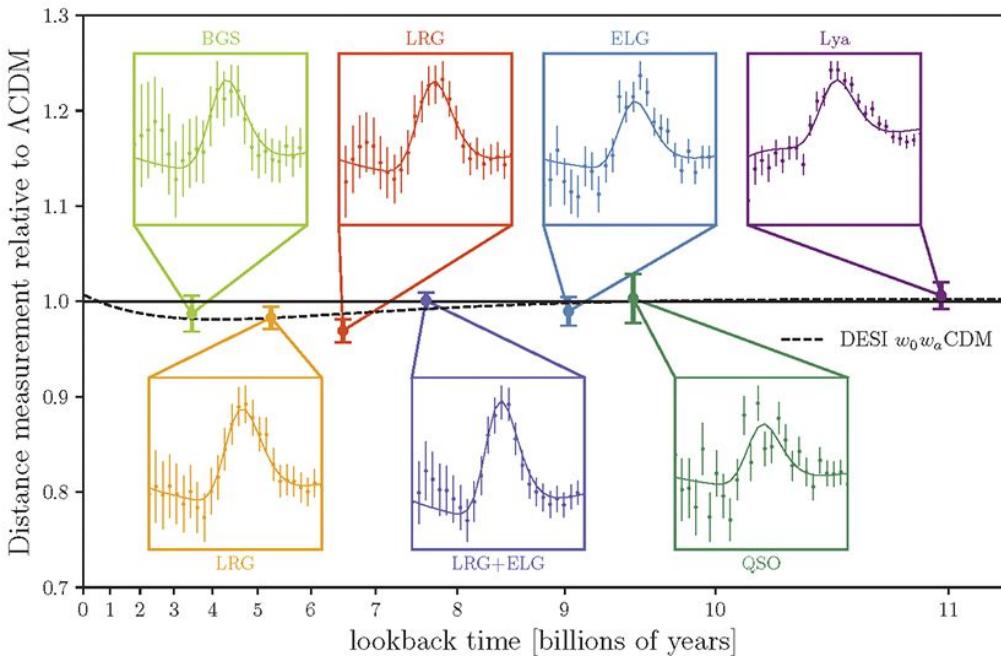
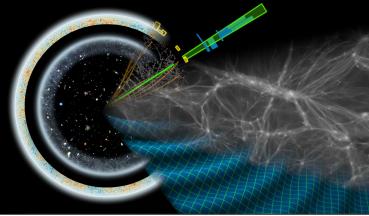
# CMB Measurements of the Primordial Amplitude



- Measurements of the CMB power spectra at  $\ell > 30$  tightly constrain the combination  $A_s e^{-2\tau}$ , while polarization at  $\ell < 20$  is sensitive to  $\tau^2$
- Large scale polarization is most easily measured with a CMB satellite or balloon-borne CMB experiment

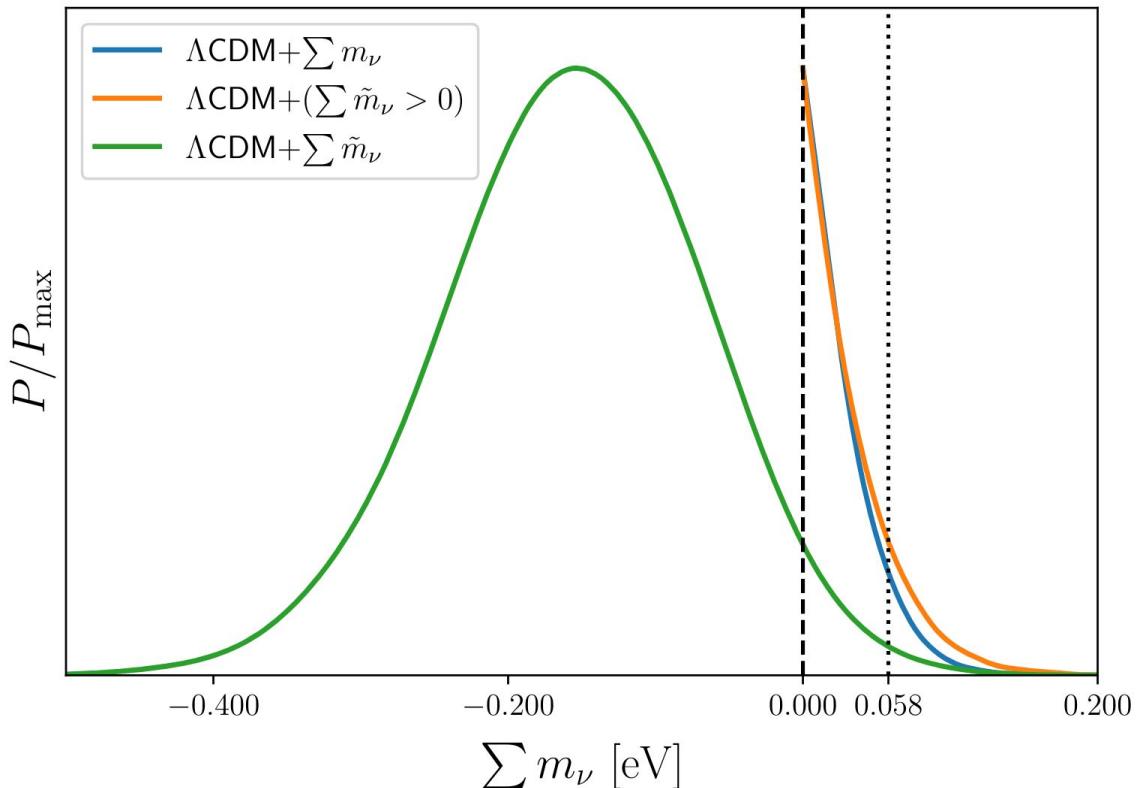
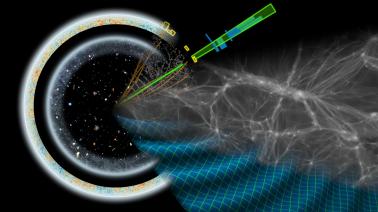
Planck 2018:  
 $\tau = 0.054 \pm 0.007$

# Matter Density with Baryon Acoustic Oscillations



- Spectroscopic galaxy surveys such as DESI precisely measure the expansion history using Baryon Acoustic Oscillations (BAO) as a standard ruler
- This provides a precise determination of the matter density, essential for a calibration of the amplitude of the matter power spectrum

# Current Measurement



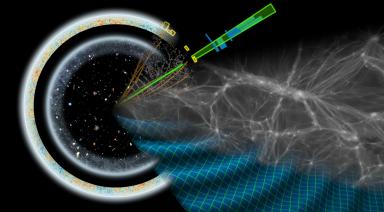
- Planck + ACT Lensing + DESI BAO measurements favor negative neutrino mass

$$\sum m_\nu = -160 \pm 90 \text{ meV} \text{ (68\%)}$$

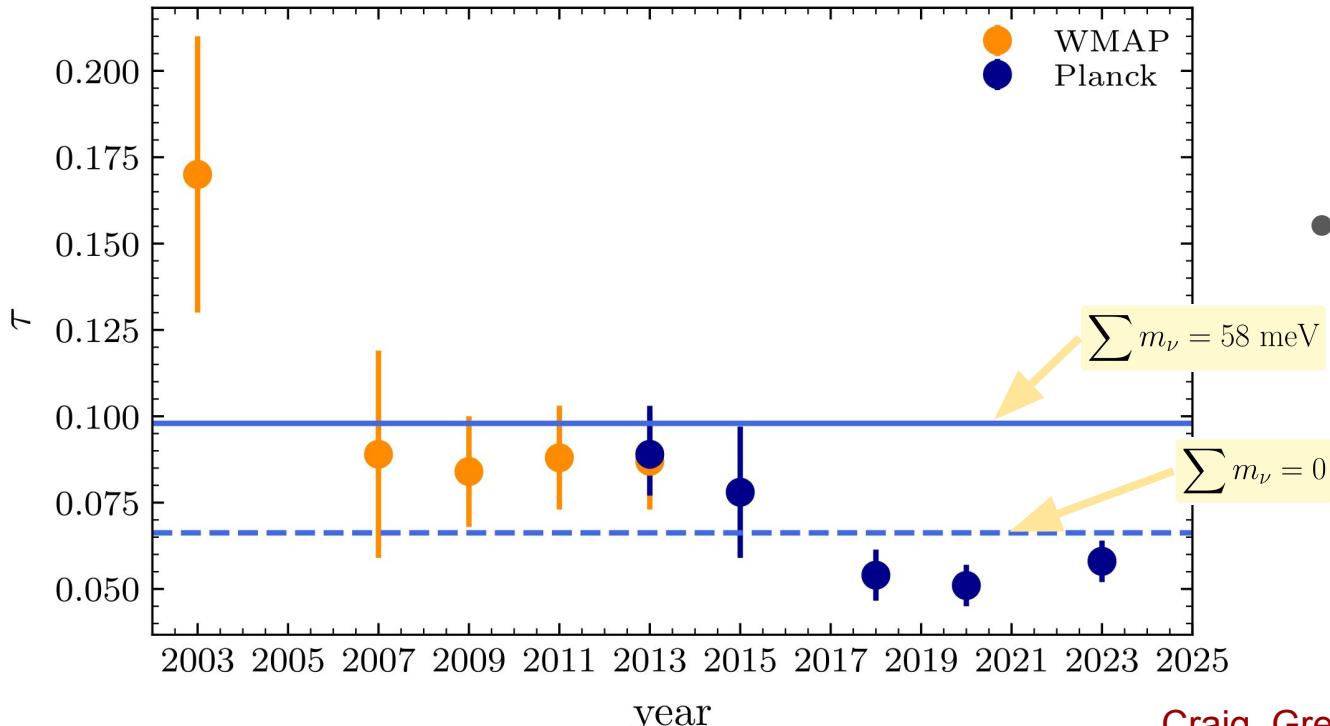
- This measurement disfavors the minimal mass for the normal hierarchy (58 meV) at 99% confidence

# Possible Explanations

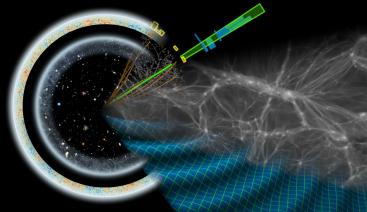
# Optical Depth Systematic



History of the  $\tau$  Measurement

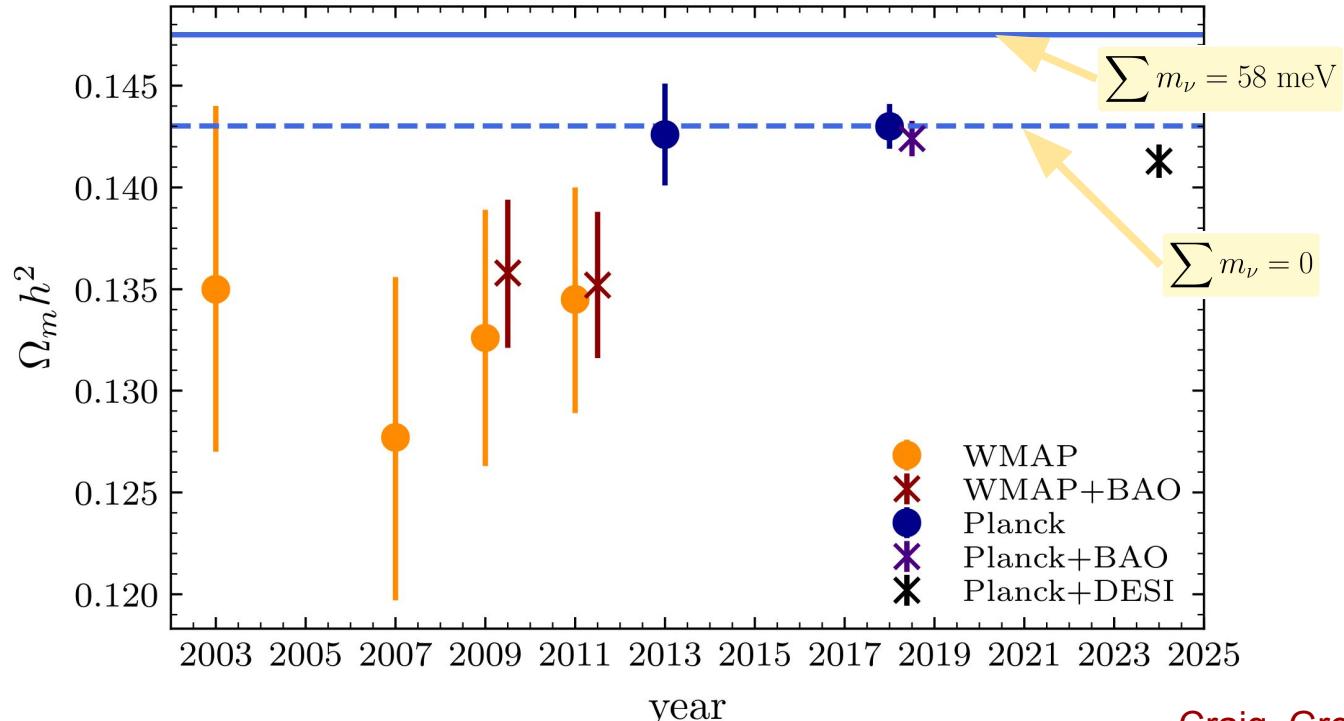


- The best-fit value of the optical depth has evolved over time
- A shift much larger than the statistical error on  $\tau$  would be required to explain inference of negative neutrino mass



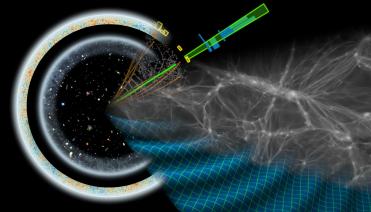
# Matter Density Systematic

History of the  $\Omega_m h^2$  Measurement



- The preference for negative neutrino mass could be explained by a shift to the matter density
- Measurements of matter density have remained roughly consistent over time

# New Physics?



$$P^{(\sum m_\nu)}(k \gg k_{\text{fs}}, z) \approx \left( 1 - 2f_\nu - \frac{6}{5}f_\nu \log \frac{1 + z_\nu}{1 + z} \right) P^{(\sum m_\nu=0)}(k \gg k_{\text{fs}}, z)$$

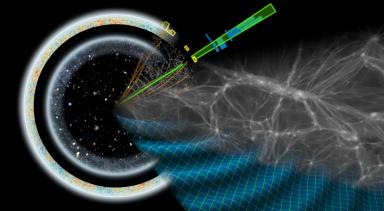
Massive neutrinos  
do not cluster like  
cold dark matter

Dark matter clustering is  
suppressed in presence of  
free-streaming neutrinos

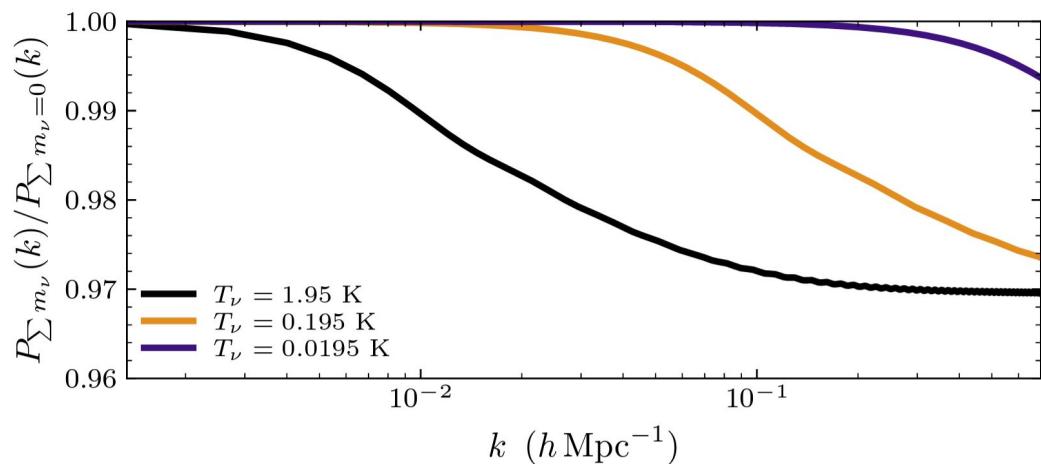
$$z_\nu \approx 100 \left( \frac{m_\nu}{50 \text{ meV}} \right)$$

Neutrinos become  
non-relativistic at high redshift

# New Physics for Vanishing Neutrino Mass

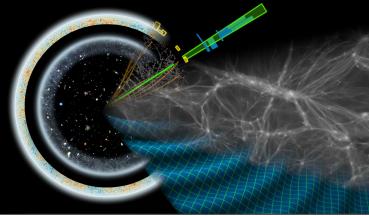


$$\mathcal{L}_\phi \supset \frac{\lambda_{ij}}{2} \bar{\nu}_i \nu_j \phi + \frac{\tilde{\lambda}_{ij}}{2} \bar{\nu}_i \gamma_5 \nu_j \phi + \text{h.c.}$$



- Neutrino decay
- Neutrino annihilation
- Neutrino cooling or heating
- Time-varying mass

# New Physics for Negative “Neutrino Mass”



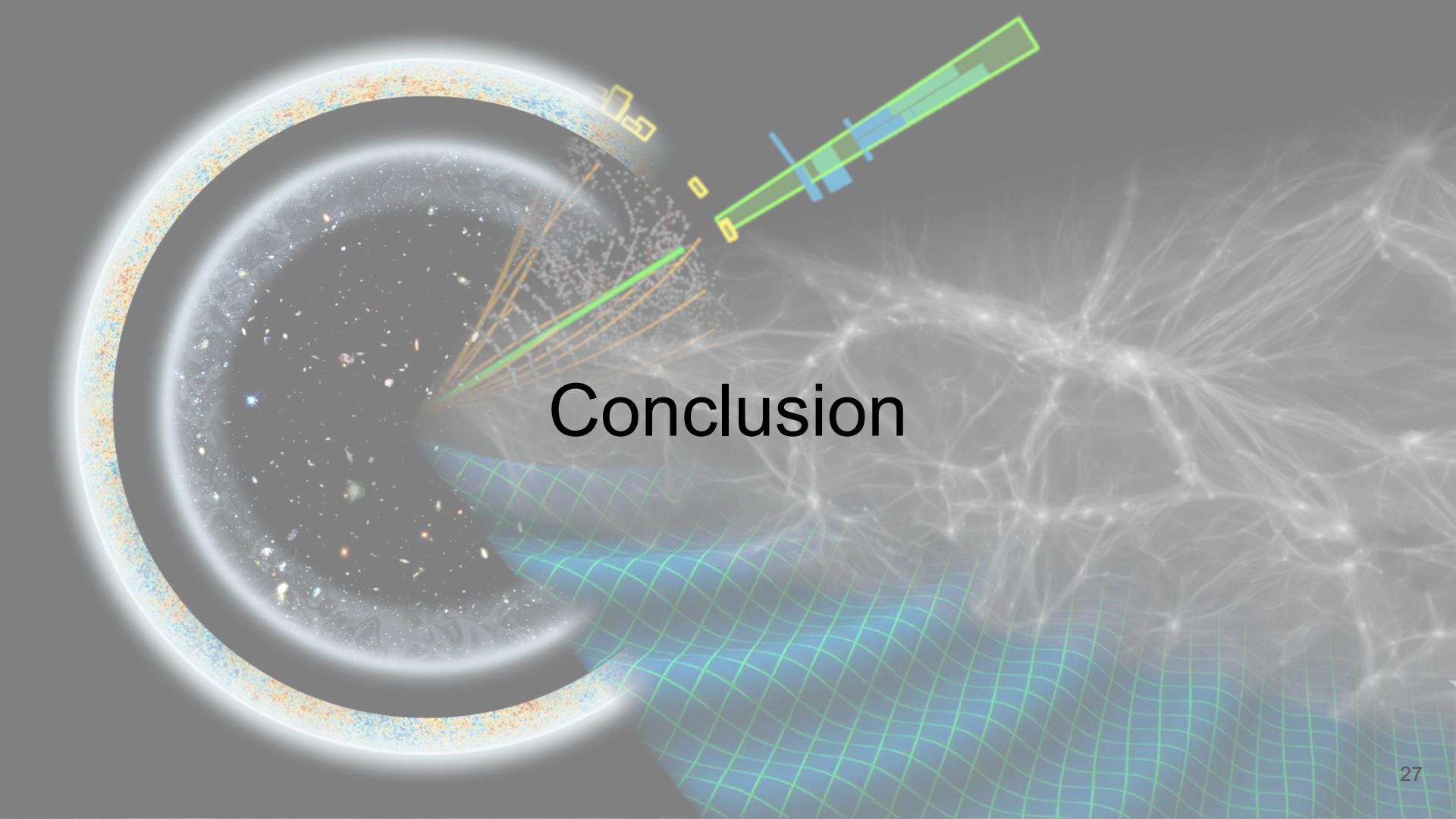
$$P^{(\epsilon, \sum m_\nu)}(k \gg k_{\text{fs}}, z) \approx \left(1 - 2f_\nu + \frac{6}{5}(\epsilon + f_b) \log \frac{1+z_*}{1+z}\right) P^{(\epsilon=0, \sum m_\nu=0)}(k \gg k_{\text{fs}}, z)$$

Enhancement from long-range  
force on dark matter

- New long-range force for dark matter

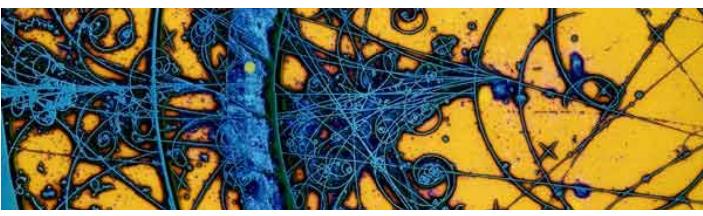
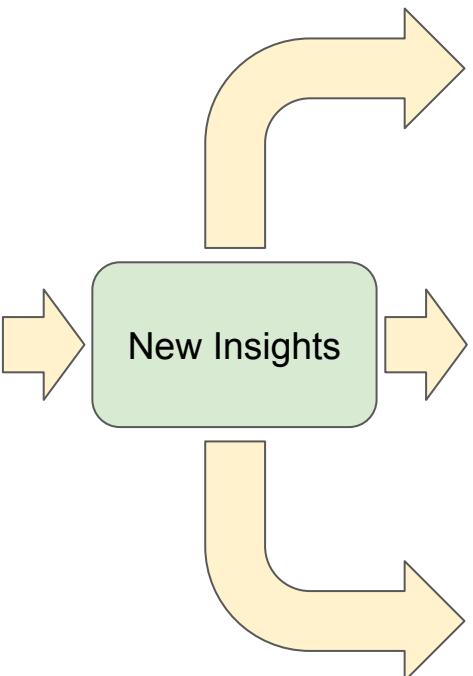
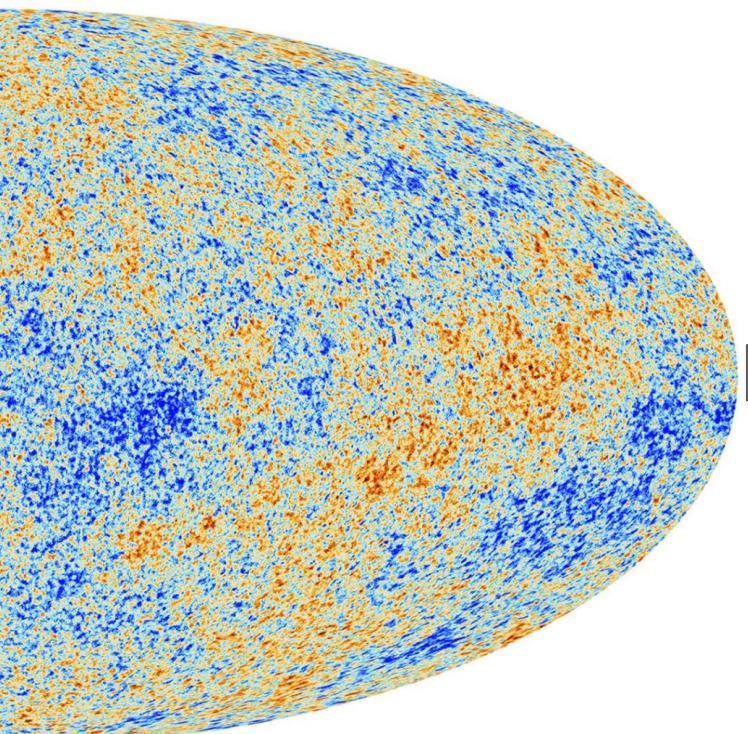
$$\zeta(\vec{x}) = \zeta_G(\vec{x}) + \sqrt{\tau_{\text{NL}}^\sigma} \zeta_G(\vec{x}) \sigma(\vec{x})$$

$$\left\langle \zeta_{\vec{k}_1} \zeta_{\vec{k}_2} \zeta_{\vec{k}_3} \zeta_{\vec{k}_4} \right\rangle' = \tau_{\text{NL}}^\sigma P_\zeta(k_1) P_\zeta(k_3) P_\sigma(|\vec{k}_1 + \vec{k}_2|) + \text{permutations}$$

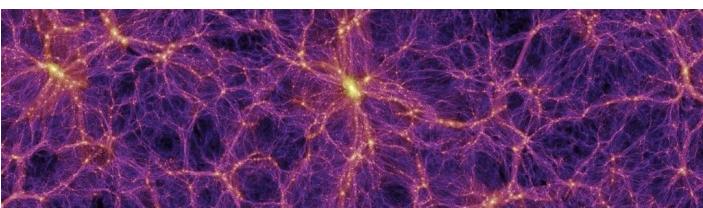


# Conclusion

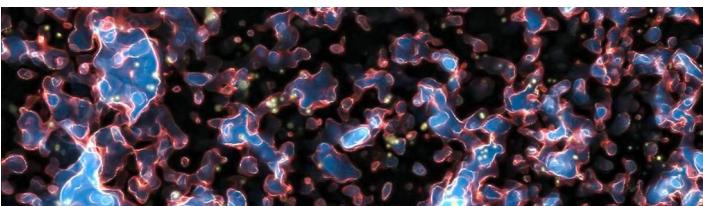
# Conclusion



**Particle Physics**



**Cosmology**

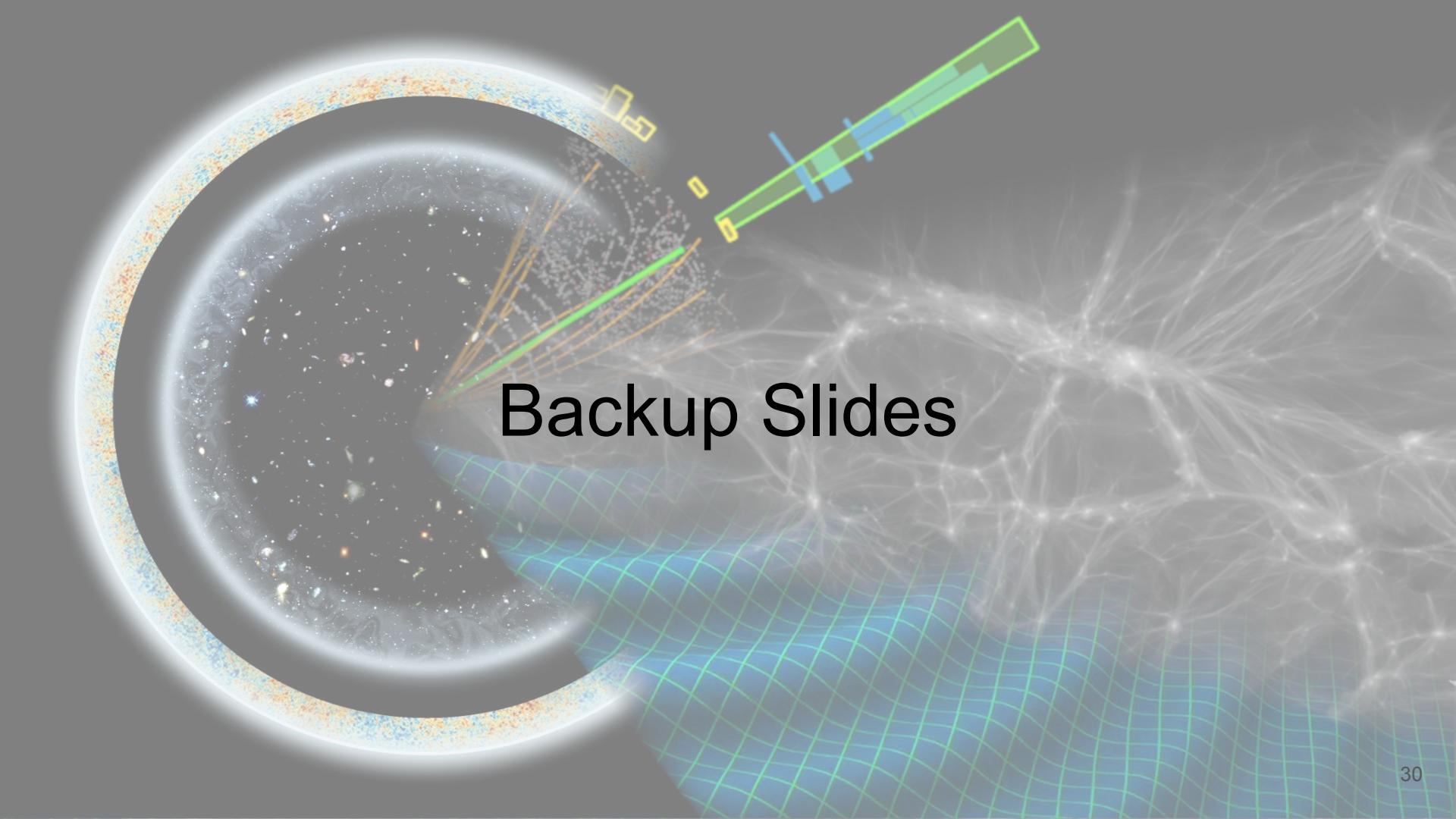


**Astrophysics**

Image Credits: Planck; BEBC/CERN; Springel, et al; Alvarez, Kaehler, Abel

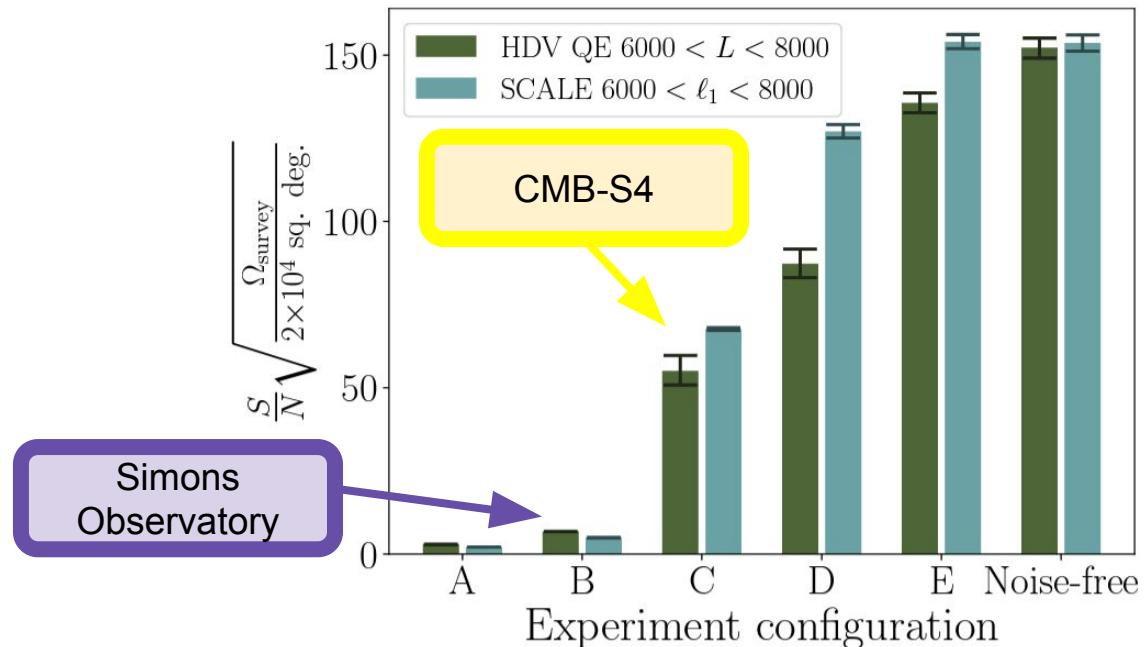
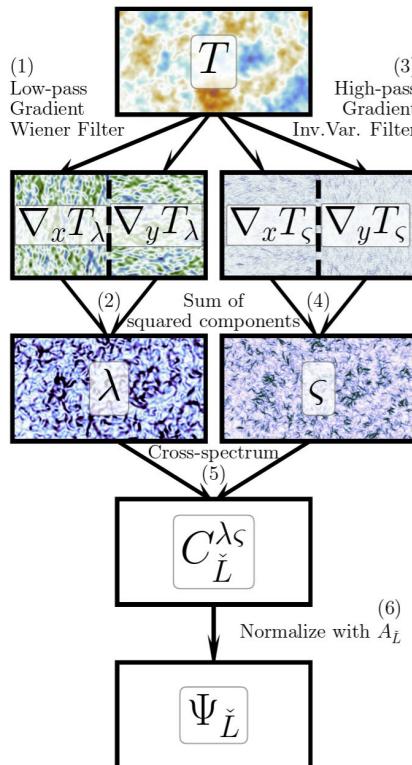
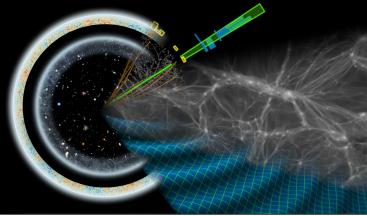


# Thank You!

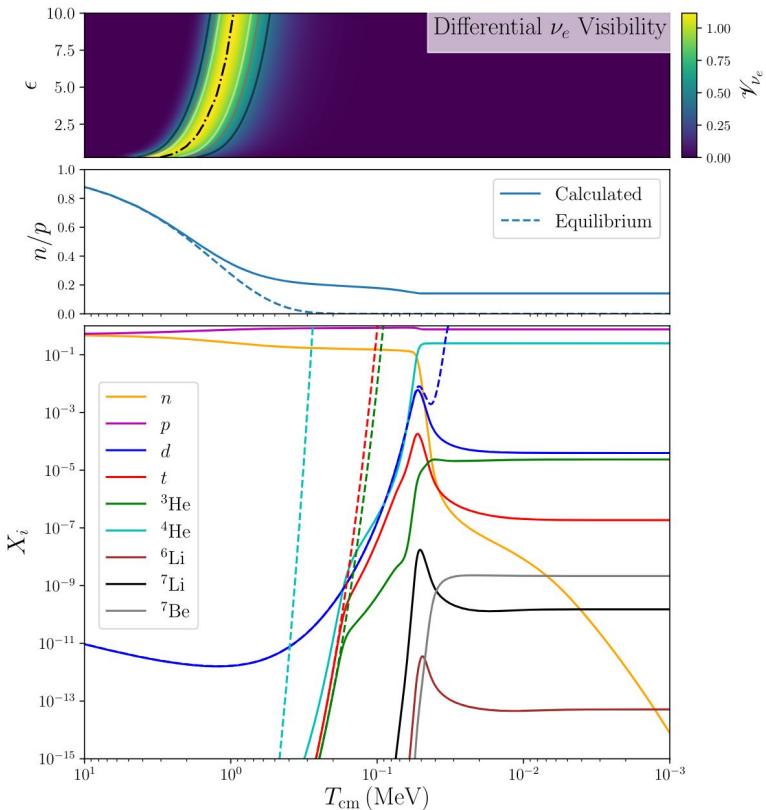
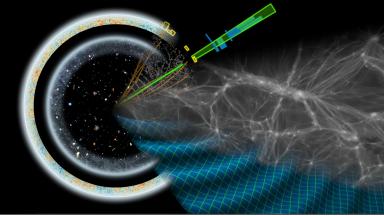


# Backup Slides

# Improved Lensing Measurement with Small Correlated Against Large Estimator (SCALE)



# BBN and New Physics in the Neutrino Sector



The precision with which we can measure primordial light element abundances (especially deuterium and Helium-4) allows us to use BBN as a powerful probe of new physics

This becomes an even sharper test when combined with CMB constraints

Fischler, JM (2010); Lague, JM (2020); Bond, Fuller, Grohs, JM, Wilson (2024); Yeh, Shelton, Fields, Olive (2022)