Higgs & STXS

LPC EFT Workshop

IMPERIAL Imperial-X

Jon Langford





Introduction

Since 2012 we have entered precision era of Higgs boson measurements



Nature 607, 60-68 (2022)

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Simplified Template Cross Sections (STXS)

Split events first by production mode, then by kinematics



Measure cross section in each region (bin) \rightarrow Develop granular description of Higgs boson production

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STXS (stage 1.2)



- Common scheme across decay channels (eases combination)
- Systematically reduce theory dependence in measurements
- Isolate regions with enhanced BSM sensitivity



Framework for BSM interpretations (e.g. SMEFT)

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STXS measurements

Both <u>CMS</u> & ATLAS have performed STXS measurements in major Higgs boson decay channels e.g.





VH, H \rightarrow bb

STXS combinations

• Common scheme enables combinations where we achieve ultimate sensitivity



Stay tuned for CMS Legacy Run 2 combination

SMEFT interpretation

- STXS provides a useful framework for BSM interpretations e.g. SMEFT
 - Use kinematic information for stronger constraints
- Three types of SMEFT fits:



SMEFT interpretation

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- Three types of SMEFT fits:



SMEFT <u>reinterpretation</u> of unfolded diff XS measurements	 "Theorists" approach Build simplified likeliho
$\mathcal{L}(\text{data} \mid \vec{c}) = \frac{\exp\left(-\frac{1}{2}\Delta\vec{\mu}(\vec{c})^{\mathrm{T}}V^{-1}\Delta\vec{\mu}(\vec{c})\right)}{\sqrt{(2\pi)^{m}\det(V)}}$	sections relative to SM As well as 68% confide
SMEFT interpretation using full (reco-level) likelihood $\mathcal{L}(\text{data} \mid \vec{c}, \vec{\theta}) = \prod_{i} \text{Poisson}(n_i \mid \sum_{j} \mu^j(\vec{c}) s_i^j(\vec{\theta}) + b_i(\vec{\theta})) p(\tilde{\vec{\theta}} \mid \vec{\theta})$ 2	 Performed in-house by Parameterise signal structure SMEFT Wilson coefficition Analysis not fixed/optime Fair sensitivity to wide
SMEFT <u>direct analysis</u>	 Directly parameterise s
$\mathcal{L}(\text{data} \mid \vec{c}, \vec{\theta}) = \prod_{i} \text{Poisson}(n_i \mid \sum_{j} s_i^j(\vec{c}, \vec{\theta}) + b_i(\vec{\theta})) p(\tilde{\vec{\theta}} \mid \vec{\theta})$ 3	of SMEFT Wilson coef Propagate SMEFT effe Analysis optimised to B Great sensitivity to har

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EFT model

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SMEFT interpretation

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 - Use kinematic information for stronger constraints Ο
- Three types of SMEFT fits:

SMEFT reinterpretation of unfolded diff XS measurements

STXS approaches

SMEFT interpretation using full (reco-level) likelihood

$$\mathcal{L}(\text{data} \mid \vec{c}, \vec{\theta}) = \prod_{i} \text{Poisson}(n_i \mid \sum_{j} \mu^j(\vec{c}) s_i^j(\vec{\theta}) + b_i(\vec{\theta})) p(\tilde{\vec{\theta}} \mid \vec{\theta})$$

SMEFT direct analysis

$$\mathcal{L}\left(\text{data} \mid \vec{c}, \vec{\theta}\right) = \prod_{i} \text{Poisson}\left(n_{i} \mid \sum_{j} s_{i}^{j}(\vec{c}, \vec{\theta}) + b_{i}(\vec{\theta})\right) p\left(\tilde{\vec{\theta}} \mid \vec{\theta}\right)$$

of SMEFT Wilson coefficients

"Theorists" approach

- Propagate SMEFT effects through detector
- Analysis optimised to EFT model
- Great sensitivity to handful of operators

SM



ood using measured cross A predictions (signal strengths, μ) lence intervals + correlations

Performed in-house by experiments Parameterise signal strengths in likelihood in terms of SMEFT Wilson coefficients Analysis not fixed/optimised to EFT model→ Reinterpretable Fair sensitivity to wide set of operators

Directly parameterise signal yields and shapes in terms

STXS-SMEFT parametrisation

Key quantity to derive:

$$\mu^{i,f}(\vec{c}) = \frac{[\sigma^i \cdot \mathcal{B}^f](\vec{c})}{[\sigma^i \cdot \mathcal{B}^f]_{\rm SM}}$$

i = STXS bin, f = Higgs boson decay channel

- Parameterise Higgs boson cross sections (STXS) and decay widths as functions of SMEFT Wilson coefficients
- Full details in talk by Charlotte later. Key assumptions:

 $\mathcal{L}\left(\text{data} \mid \vec{c}\right) = \frac{\exp\left(-\frac{1}{2}\Delta\vec{\mu}(\vec{c})^{\mathrm{T}}V^{-1}\Delta\vec{\mu}(\vec{c})\right)}{\sqrt{(2\pi)^{m}\det(V)}}$

 $\mathcal{L}\left(\text{data} \mid \vec{c}, \vec{\theta}\right) = \prod_{i} \text{Poisson}\left(n_{i} \mid \sum_{j} \mu^{j}(\vec{c}) s_{i}^{j}(\vec{\theta}) + b_{i}(\vec{\theta})\right) p\left(\tilde{\vec{\theta}} \mid \vec{\theta}\right)$

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- Parameterise Higgs boson cross sections (STXS) and decay widths as functions of SMEFT Wilson coefficients
- Full details in talk by Charlotte later. Key assumptions:
 - Single insertions of (CP-even) dim-6 operators 1.
 - Cross sections, partial widths and total width have quadratic dependence Ο
 - Use combination of Monte-Carlo tools and analytic solutions to obtain Aj, Bj Ο
 - Higgs boson narrow-width assumption 2.
 - Total scaling is product of production and decay-side scaling functions
 - EFT effects factorise from higher-order QCD/QED contributions 3.

$$\mathcal{L}(ext{data} \mid ec{c}, ec{ heta}) = \prod_i ext{Poisson}(n_i \mid \sum_i 2)$$

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_{j} \frac{c_{j}}{\Lambda^{2}} \cdot \mathcal{O}_{j}^{(6)}$$
$$\mu = O^{\text{EFT}} / O^{\text{SM}} = 1 + \sum_{j} A_{j}c_{j} + \sum_{jk} B_{jk}c_{j}c_{k}$$
$$\frac{A_{j}^{i}c_{j} + \sum_{jk} B_{jk}^{i}c_{j}c_{k}) \cdot (1 + \sum_{i} A_{j}^{f}c_{j} + \sum_{jk} B_{jk}^{f}c_{j}c_{k})}{1 + \sum_{i} A_{j}^{\text{tot}}c_{j} + \sum_{jk} B_{jk}^{\text{tot}}c_{j}c_{k}}$$

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$$\mu = O^{\text{EFT}} / O^{\text{SM}} = 1 + \sum_{j} A_{j}c_{j} + \sum_{jk} B_{jk}c_{j}c_{k}$$

$$\mu_{i}^{f} = \frac{(1 + \sum_{i} A_{j}^{i}c_{j} + \sum_{jk} B_{jk}^{i}c_{j}c_{k}) \cdot (1 + \sum_{i} A_{j}^{f}c_{j} + \sum_{jk} B_{jk}^{f}c_{j}c_{k})}{1 + \sum_{i} A_{j}^{\text{tot}}c_{j} + \sum_{jk} B_{jk}^{\text{tot}}c_{j}c_{k}}$$

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 $\sum_{i} \mu^{j}(\vec{c}) s_{i}^{j}(\vec{\theta}) + b_{i}(\vec{\theta}) p\left(\vec{\theta} \mid \vec{\theta}\right)$

$$^{\text{N})\text{N}\text{N}\text{L}\text{O}} \times \left(1 + \frac{\sigma_{\text{int}}^{i,(\text{N})\text{L}\text{O}}}{\sigma_{\text{SM}}^{i,(\text{N})\text{L}\text{O}}} + \frac{\sigma_{\text{BSM}}^{i,(\text{N})\text{L}\text{O}}}{\sigma_{\text{SM}}^{i,(\text{N})\text{L}\text{O}}}\right)$$
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STXS-SMEFT derivation

- **Task:** determine Aj, Bjk coefficients for each STXS bin + decay widths
- EFT2Obs tool: used to derive quadratic parametrisation at STXS stage 1.2 granularity in Warsaw basis
 - All CP-even dim-6 operators under topU3l flavour symmetry Ο
 - {GF, MZ, MW} input parameter scheme Ο
 - Events generated with Madgraph (v2.6.7) \rightarrow showered with Pythia \rightarrow Categorised into STXS bins using Rivet routine Ο
 - Reweight events to different points in SMEFT parameter space to extract cross section dependence Ο
- ggH + ggZH derived using SMEFT@NLO (loop processes)
 - Translated to topU3l Warsaw basis using SMEFTsim manual Ο
- EW Higgs production modes at LO with SMEFTsim v3: VBF, VH, ttH, tH, bbH
 - Propagator corrections included Ο
- Higgs decay using mixture of SMEFTsim and analytic results
 - Total width = weighted sum of partial widths (validated using analytic linear result) 0





STXS-SMEFT parametrisation



PCA rotation

- STXS cannot simultaneously constrain O(40) CP-even operators relevant to Higgs physics
 - Large degeneracies/correlations between Wilson coefficients Ο
- **Principal component analysis** on Fisher Information matrix \rightarrow find constrained (+ unconstrained) directions in parameter

EV11

$$C_{\rm SMEFT}^{-1} = P^T C_{\rm STXS}^{-1} P$$

Fisher-information (Hessian) of STXS measurements

$$P_{ij}^f = A_j^{i o H} + A_j^{H o f} - A_j^{ ext{tot}}$$

Rotation using *linearised* SMEFT model



Derived using CMS Run 2 H $\rightarrow \gamma\gamma$ STXS workspace



 C_{SMEFT}^{-1} : $(C_{\text{SMEFT}}^{-1} - \lambda_m I) \text{EV}_m = 0$

	0.00	0.01	0.00	0.01	0.00	- <mark>0.01</mark>	-0.01	0.00	0.00	0.00	0.00	$\lambda_{13} = 0.00342387$
	-0.04	0.01	-0.01	0.00	0.00	-0.01	-0.02	-0.02	-0.02	0.00	0.00	$\lambda_{12} = 0.00566303$
	0.00	0.00	0.00	0.01	0.00	0.00	0.00	0.00	0.00	-0.01	0.00	$\lambda_{11} = 0.0145585$
	-0.31	-0.07	-0.18	-0.27	-0.11	-0.03	-0.05	-0.07	-0.09	0.00	0.00	$\lambda_{10} = 0.0156536$
	-0.17	-0.02	-0.07	-0.12	-0.05	-0.01	-0.03	-0.04	-0.06	0.00	0.00	$\lambda_{9} = 0.0216617$
	-0.07	-0.03	-0.05	-0.08	-0.03	-0.01	-0.01	-0.01	-0.01	0.00	0.00	$\lambda_8=0.0530652$
	0.05	0.02	0.04	0.07	0.03	0.01	0.01	0.00	0.00	0.00	0.00	$\lambda_7 = 0.181864$
	0.27	0.11	0.24	0.35	0.13	0.05	0.07	0.03	0.04	0.00	0.00	$\lambda_{6}^{} = 0.377848$
	0.02	0.01	0.02	0.03	0.01	0.00	0.00	0.00	0.00	0.00	0.00	$\lambda_{5} = 0.716964$
í	-0.01	0.00	-0.01	-0.01	0.00	0.00	0.00	0.00	0.00	0.01	0.01	$\lambda_4 = 1.37521$
	0.08	0.05	0.08	0.13	0.05	0.01	0.01	0.00	0.00	0.00	0.00	$\lambda_{_{3}} = 8.72469$
	0.00	0.00	0.00	-0.01	0.00	0.00	0.00	0.00	0.00	0.00	0.00	$\lambda_{2} = 103.737$
	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	-0.02	-0.01	$\lambda_1 = 34148.5$
	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	-0.04	-0.02	$\lambda_{0} = 958548$
	C ⁽⁸⁾	C ⁽⁸⁾ td	C _{qu} ⁽⁸⁾	c _{ti} ⁽⁸⁾	C ⁽⁸⁾	C ⁽¹¹⁾	C ^{tl1}	C _{qu} (3)	c ⁽¹⁾	e c	° C	16

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$$C_{\rm SMEFT}^{-1} = P^T C_{\rm STXS}^{-1} P$$

Fisher-information (Hessian) of STXS measurements

EV = linear combinations of Wilson Coefficients



Uncertainty in direction EV is $\sim 1/sqrt(\lambda)$

Introduce cut-off. below which EVs are fixed to zero in fit (no loss in generality)

$$\mathsf{P}^{f}_{ij} = \mathsf{A}^{i
ightarrow H}_{j} + \mathsf{A}^{H
ightarrow f}_{j} - \mathsf{A}^{ ext{tot}}_{j}$$

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Eigenvector decomposition

	0.00	0.01	0.00	0.01	0.00	- <mark>0.0</mark> 1	-0.01	0.00	0.00	0.00	0.00	$\lambda_{13} = 0.00342387$
	-0.04	0.01	-0.01	0.00	0.00	<mark>-0.01</mark>	-0.02	-0.02	-0.02	0.00	0.00	$\lambda_{12} = 0.00566303$
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	C ₁₀ ⁽⁸⁾	Ctd ⁽⁸⁾	C _{qu} ⁽⁸⁾	C ⁽⁸⁾	C ⁽⁸⁾	C ⁽¹¹⁾	C ⁽¹⁾	C _{qu} ⁽¹⁾	c ⁽¹⁾	D ^g	° C	17

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PCA rotation

• ATLAS prefer block diagonal approach to "maintain level of interpretability"



- How truly interpretable are these parameters? How can we compare results (e.g. CMS vs ATLAS) using different rotated bases?
 - Put more emphasis on UV matching: compare constraints on true physical parameters using benchmark models?
 - Define common (fixed) basis to be used across experiments: suboptimal choice with different inputs?

sing different rotated bases? hchmark models? puts?

Extraction of results

• STXS-SMEFT Higgs combination fits with full likelihood are a technical challenge



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 $\mathcal{L}\left(\text{data} \mid \vec{c}, \vec{\theta}\right) = \prod \text{Poisson}\left(n_i \mid \sum \mu^j(\vec{c}) s_i^j(\vec{\theta}) + b_i(\vec{\theta})\right) p\left(\tilde{\vec{\theta}} \mid \vec{\theta}\right)$

Pitfalls of STXS

• So STXS is a great framework for SMEFT?

Pitfalls of STXS

- So STXS is a great framework for SMEFT?
- There are a number of caveats...

- 1. Acceptance effects (no fiducial selection on Higgs decay products)
- 2. Suboptimal STXS binning
- 3. Selection effects (within-bin SMEFT variations)
- 4. Shape effects



Pitfalls of STXS

- So STXS is a great framework for SMEFT?
- There are a number of caveats...



- Suboptimal STXS binning 2.
- Selection effects (within-bin SMEFT variations) 3.
- 4. Shape effects



- All artifacts of fact: EFT affects kinematics as well as rates
- Cannot encapsulate all effects in simple rate scaling functions

Acceptance corrections

- EFT dependence in experimental phase space **≠** EFT dependence in inclusive phase space
 - EFT effects can depend on analysis acceptance/selection
 - Exacerbated by fact that STXS has **no fiducial selection on Higgs boson decay products**

Acceptance corrections

- EFT dependence in experimental phase space **≠** EFT dependence in inclusive phase space
 - EFT effects can depend on analysis acceptance/selection Ο
 - Exacerbated by fact that STXS has no fiducial selection on Higgs boson decay products Ο
- Problem for Higgs four-body decays e.g. $H \rightarrow ZZ^* \rightarrow 4l$
 - Analysis places cut on invariant mass of subleading lepton pair: $m_{72} > 12 \text{ GeV}$ Ο
 - Removes phase space with largest EFT effects \rightarrow washes out the dependence in this channel Ο





We add corrections to model EFT dependence in experimental phase space Useful to introduce some fiducial-like selection in STXS definition?



c_{HWB} x 10

Suboptimal binning

- Analyses are designed/optimised to measure STXS cross sections and <u>not SMEFT parameters</u>
- Binning design reflects our "SM sensitivity"
- Gain SMEFT sensitivity by additional splittings (particularly at high pT) or redesign with different variables (STXS 1.3?)





Suboptimal binning

- Analyses are designed/optimised to measure STXS cross sections and <u>not SMEFT parameters</u>
- Binning design reflects our "SM sensitivity"
- Gain SMEFT sensitivity by additional splittings (particularly at high pT) or redesign with different variables (STXS 1.3?)
- Approach optimal sensitivity of "direct analysis" ?





FIG. 11: Expected constraints from a simultaneous fit of (from left to right) δc_z , c_{zz} , $c_{z\Box}$, and \tilde{c}_{zz} using associated production and $H \to 4\ell$ decay with 3000 fb⁻¹ data. The EFT coupling constraints are the result of re-interpretation from the signal strength and f_{gi} measurements discussed in text. The constraints on each parameter are shown with the other parameters describing the HVV and Hgg couplings profiled. Two analysis scenarios are shown: using MELA observables and using STXS binning. The dashed horizontal lines show the 68 and 95% CL regions.



- EFT effects can vary considerably within same STXS bin
- Problematic if analysis selection efficiency varies across bin
- For the most part, STXS is sufficiently fine-grained to ensure these effects are small \rightarrow Not always case for high pT bins!



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CMS Simulation $H \rightarrow \gamma \gamma$

(13 TeV)

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Shape effects

• EFT can also modify the shape of fitted observable e.g. for multivariate output



Shape effects

- Compare inclusive vs per-bin scaling functions
- EFT can also modify the shape of fitted observable e.g. for multivariate output





Shape effects

-- $c_{HW} = 1.0$

Background like

EFT can also modify the shape of fitted observable e.g. for multivariate output





Future prospects

• What can we do to improve our STXS-SMEFT interpretations?

Future prospects

- What can we do to improve our STXS-SMEFT interpretations?
 - 1. STXS @ decay: include fiducial selection on Higgs decay products
 - 2. Updated binning scheme: STXS stage 1.3
 - 3. Better tools/machinery
 - 4. Ease comparisons/combinations
 - Common STXS-SMEFT parametrisation (see <u>talk from Charlotte</u>)
 - \circ Align PCA rotation for common basis \rightarrow can observe improvements over time
 - UV-matching benchmarks



STXS @ decay

- Acceptance corrections arise due to lack of fiducial selection on Higgs decay products
- Imposed fiducial region that approximates experimental acceptance \rightarrow derive parametrisation within that region
- Discussions for binning @ decay in LHCHWG have been ongoing for some time



$H \rightarrow ZZ^* \rightarrow 4l$

Selection	HIG-21-009
Leading lepton	$p_T > 20 \text{ GeV}$
Sub-leading lepton	$p_T > 10 \text{ GeV}$
Additional electrons (muons)	$p_T > 7(5) \mathrm{Ge}$
Pseudorapidity of electrons (muons)	$ \eta < 2.5(2.4)$
Cone for dressing bare leptons with photons	$\Delta R = 0.3$
Inv. mass of the Z ₁ candidate	$40 < m_{12} < 120$
Inv. mass of the Z ₂ candidate	$12 < m_{34} < 120$
Distance between selected four leptons	$\Delta R_{ll} > 0.02$
Inv. mass of any opposite sign lepton pair	$m_{ll} > 4 \text{ GeV}$
Inv. mass of the selected four leptons	$105 < m_{4l} < 160$

* Almost identical to ATLAS fiducial selection, exception: angle in ΔR place



Suggested fiducial selection for STXS in decay

Evolution of STXS

- Finer splittings could help alleviate some of the aforementioned pitfalls
- Also additional splittings will enhance SMEFT sensitivity \rightarrow STXS 1.3 being finalized. Some highlights...



VH: Make additional solid splits at 400 and 600 GeV



ttH: Add high pTH bins at 650 GeV



qqH: add dPhijj bins to gain CP sensitivity

Improved tools

- Some caveats require knowledge of EFT effects "after detector"
 - Selection effects, shape variations in fitted observable, ...
 - Developed tools for "post-mortem" reweighting after detector simulation (using gen-level info)
- Ultimately, STXS-SMEFT fits are a huge technical challenge
 - \circ Especially quadratic parametrisation \rightarrow Complicated likelihood surface
 - Performed with <u>CMS Combine tool</u>
 - Would benefit from recent RooFit advancements
 - Vectorised evaluations with GPUs
 - Auto-grad





Global fit input

• STXS measurements are excellent input for SMEFT global fits





Global fit input

- STXS measurements are excellent input for SMEFT global fits
- A few things to consider:
 - Choice of flavour scheme 1.
 - Current STXS interpretations only consider EFT in Higgs signal 2.
 - Simultaneously parametrise signal and background? Ο
 - 3. Statistical independence (orthogonality)
 - Control regions in STXS could overlap with signal regions elsewhere? Ο
 - Computationally challenging fits 4.





Summary

- STXS provides a natural framework on which to base SMEFT interpretations
- Use kinematic information in measurements to further constrain BSM physics
- Caveats of STXS can somewhat limit the validity of interpretation
 - Particularly troublesome for "theorists approach" which only sees unfolded measurements
 - We (the experiments) have the knowledge (and inputs) to fully account for STXS pitfalls
 - Alleviate by improving STXS framework + developing tools
- Important ingredient for global EFT fits







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