

#### Search for heavy neutral scalars in top final states with the ATLAS detector Quake Qin (IFAE) on behalf of the ATLAS Collaboration





## Introduction

- Solution to many issues not addressed by the SM involves an extended Higgs sector
- Two-Higgs-Doublet-Models (2HDMs): required by many BSM theories
  - an additional Higgs doublet

$$\Phi_a = \begin{pmatrix} \phi_a^+ \\ \frac{v_a + \rho_a + i\eta_a}{\sqrt{2}} \end{pmatrix}, \qquad a = 1, 2$$

- parameters: masses of the additional particles,  $\tan \beta = v_2/v_1$ ,  $\alpha$  (mixing angle between h and H)
  - alignment limit:  $\sin(\beta \alpha) \sim 1$ , where the properties of h aligns with the measured Higgs
- Additional scalars preferably couple to top quarks once beyond the  $t\bar{t}$  mass threshold







### Introduction

- Accessing small processes ~10 fb
- Two recent results:
  - $A/H \rightarrow t\bar{t}$ : <u>arXiv:2404.18986</u>
  - $t\bar{t}H/A \rightarrow t\bar{t}t\bar{t}$ : <u>ATLAS-CONF-2024-002</u>



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#### **Top Quark Production Cross Section Measurements**





## Why different channels?



- Completeness
- Different phenomenology
  - $A/H \rightarrow t\bar{t}$ :

strong interference with SM  $t\bar{t}$  leading to lead-dip like signal shape

•  $t\bar{t}H/A \rightarrow t\bar{t}t\bar{t}$ :

tree level production - less susceptible to interference effect (%-level)

• Massive  $t\bar{t}t\bar{t}$  final state reduces the background





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- Signal+interference modelled using MadGraph at LO + NLO k-factor
  - strong dependence on model parameters
- Using events with 1 or exactly 2 opposite-sign  $e/\mu$
- 1L channel: reconstruct  $m_{t\bar{t}}$ 
  - resolved:  $\chi^2$  reconstruction
  - merged: large variable R jets ( $R_{max}$ =1.5) optimised for intermediate top boosts ( $m_{t\bar{t}} \sim 1$  TeV)
- 2L channel: use  $m_{llbb}$  as proxy for the  $m_{t\bar{t}}$













- Proper statistical treatment of the interference term  $\mu \cdot S + \sqrt{\mu} \cdot I + B = (\mu - \sqrt{\mu}) \cdot S + \sqrt{\mu} \cdot (S + I) + B$ 
  - requires going beyond the common statistical approach to handle the issues due to the  $\sqrt{\mu}$  term

- Two stages
  - The search stage: test the agreement between  $\bullet$ data and S+I+B hypotheses for different signals
  - The exclusion stage: Test (dis)agreement of da with specific interference pattern of tested signal hypothesis





$$q_0 = -2\ln \frac{\mathcal{L}(0, \hat{\hat{\theta}}_0)}{\mathcal{L}(\hat{\sqrt{\mu}}, \hat{\hat{\theta}}_{\hat{\sqrt{\mu}}})}$$

$$q_{1,0} = -2\ln \frac{\mathcal{L}(1, \hat{\hat{\theta}}_1)}{\mathcal{L}(0, \hat{\hat{\theta}}_0)}$$





- most significant deviation from SM-only (2.3 $\sigma$  local): 800 GeV, width of 10%, fitted  $\sqrt{\mu}=4.0$ 
  - driven by the narrow upward fluctuation at 800 GeV in the merged region



Search stage: tested a range of S+I+B hypotheses with masses [400, 1400] GeV and width of [1, 40]%



- Exclusion: strongest mass limit at low  $tan \beta$  to date
- significantly improved tan  $\beta$  exclusion at low mass compared to the <u>previous results</u> at 8 TeV





- Challenging final states with high object-multiplicity
- Analyses performed in different leptonic final states
  - Previous result in 2LSS+ML (most sensitive), 139 fb<sup>-1</sup> @ 13 TeV
- 1L+2LOS channel

  - low sensitivity compared to 2LSS/ML but complementary



#### **1L channel**



large branching fraction but also large background from  $t\bar{t}$ +jets, especially heavy flavour (HF) jets

**2LOS channel** 





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- Classify the dominant  $t\overline{t}$ +jets into  $t\overline{t}$ +>1b,  $t\overline{t}$ +>1c and  $t\overline{t}$ +light
  - using particle level jets matched to b/c hadrons
  - $t\bar{t}$ +>1b:  $t\bar{t}$ +b/B/bb/>3b
    - according number of jets matched to b-hadrons
    - b vs. B: a single vs. a pair of b-hadrons matched to a particle-level jet
- different background compositions using flavour tagging information





3bL = Light-flavour enriched3bH = Heavy-flavour enriched3bV = Validation region

Name	$N_{b}^{60\%}$	$N_{b}^{70\%}$	$N_{b}^{85\%}$
2b	-	= 2	-
3bL	$\leq 2$	= 3	-
3bH	= 3	= 3	> 3
3bV	= 3	= 3	= 3
$\geq$ 4b (2LOS)	-	$\geq 4$	-
4b (1L)	-	= 4	-
≥5b (1L)	-	≥ 5	-

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- Data-driven corrections on  $t\bar{t}$ +jets background
  - Flavour rescaling: fit to data in different b-tag regions to extract normalisation correction factors on  $t\bar{t} + \ge 1b$ ,  $t\bar{t} + \ge 1c$  and  $t\bar{t} + \text{light}$
  - Kinematic reweighting based on a neural network (NN) trained lacksquareas a binary classifier of data vs.  $t\bar{t}$  simulation







- Graph neural network (GNN) to optimise the signal-background discrimination
- $m_{H/A}$  parametrisation: smooth interpolation between mass points
- A list of higher-level variable (sum of jet b-tag scores,  $H_T$ , ... ) included as global features

<ul> <li>introduced to for validation purposes</li> </ul>	<u>15</u> ع	
<ul> <li>also helps the training converge faster</li> </ul>		
and less prone to training statistics	25	
Most important information from	20	
<ul> <li>b-tagging</li> </ul>	15	
<ul> <li>node pT</li> </ul>	10	
	5	
	ed.	

Data / P







- Combined with the previous analysis using 2LSS+ML channels to achieve optimal sensitivity
  - 2LSS+ML drives the sensitivity •
  - 1L+2LOS introduces a larger improvement at high masses  $\bullet$
- Sensitivity in 1L+2LOS channels dominated by  $t\bar{t}+\geq 1b$  and  $t\bar{t}t\bar{t}$  modelling



Uncertainty source		$\Delta \sigma_{t\bar{t}H/A \to t\bar{t}t\bar{t}}$ [fb]				
	$m_{H/A}$	4=400 GeV	$m_{H/A^2}$	=700 GeV	$m_{H/A}$	=1000 (
Signal Modelling						
BSM tītī modelling		< 1	+0.1	< 0.1		< 0.1
Background Modelling						
$t\bar{t}+\geq 1b$ modelling	+11	-10	+3.7	-3.4	+1.9	-1.7
SM tītī modelling	+3	-3	+2.1	-2.1	+0.9	-0.9
$t\bar{t}$ +jets reweighting	+3	-3	+1.0	-1.0	+0.5	-0.5
$t\bar{t}+\geq 1c$ modelling	+2	-2	+0.9	-0.8	+0.4	-0.4
<i>tī</i> +light modelling	+1	-1	+0.2	-0.2		< 0.1
Other background modelling		< 1	+0.4	-0.4	+0.2	-0.2
Experimental						
Jet energy scale and resolution		-2	+1.3	-0.8	+0.5	-0.3
MC statistical uncertainties		-3	+0.6	-0.7	+0.4	-0.4
<i>b</i> -tagging efficiency and high- $p_{T}$ extrapolation	+2	-1	+0.7	-0.4	+0.4	-0.4
Other uncertainties		< 1	+0.3	-0.5	+0.1	-0.2
Luminosity		< 1	+0.3	-0.1		< 0.1
Total systematic uncertainty	+13	-12	+4.8	-4.6	+2.5	-2.4
Statistical uncertainty		-6	+3.3	-3.2	+2.3	-2.2
Total uncertainty	+14	-13	+5.6	-5.4	+3.2	-3.0













#### tt **VS.** tttt

- Much better  $\tan\beta$  exclusion from  $A/H \rightarrow t\bar{t}$  at lower masses
  - sensitivity at low tan  $\beta$  driven by the off-shell signal "peak" ullet
- higher masses  $t\bar{t}H/A$  becomes competitive



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## Summary

- Presented two recent results from ATLAS on the search for new heavy neutral scalars in top final states
- Search for  $A/H \to t\bar{t}$ 
  - strongest mass exclusion to date on 2HDM/hMSSM at low  $\tan\beta$ ullet
- Search for  $t\bar{t}H/A \rightarrow t\bar{t}t\bar{t}$  1L+2LOS
  - first dedicated search in this final states  $\bullet$
  - in combination with 2LSS+ML, competitive sensitivity at high masses  $\bullet$ 
    - further extending the search range could lead to promising results
- Stayed tuned for Run3!





# BACKUP

#### State of the art





#### **Results - SM** *tttt* cross section

Measured cross section:

Agree ment with predictions < 20















Variable	Description
$\sum_{i \in [1,6]} \text{pcb}_i$	Sum of the pcb scores of the six
$H_{\mathrm{T}}$	$p_{\rm T}$ sum of all reconstructed lepto
N <sub>jets</sub>	Jet multiplicities
$H_{\mathrm{T}}^{\mathrm{ratio}}$	$p_{\rm T}$ sum of the four leading jets in
$dR_{ii}^{\text{avg.}}$	Average $\Delta R$ across all jet pairs
$m_{\mathrm{T}}^{\check{W}}$	W-boson transverse mass calcula
$\Delta R_{bb}^{\min}$	Minimum $\Delta R$ between any pair of
$\Delta R_{\ell b}^{\min}$	Minimum $\Delta R$ between any pair of
$m_{bbb}^{avg.}$	Average invariant mass of all trip
$m_{jj}^{\text{avg.}}$	Average invariant mass of all jet-
$\sum d_{12}$	Sum of the first $k_t$ splitting scale
$\sum d_{23}$	Sum of the second $k_t$ splitting sc
N <sub>LR-jets</sub>	Number of large-R jets with a ma
Centrality	$\sum_i p_{\rm T}^i / \sum_i E_i$ where the sums are
$m_{\ell\ell}$	Invariant mass of the two leptons

jets with the highest scores ons and jets

n  $p_{\rm T}$  divided by the  $p_{\rm T}$  sum of the remaining jets

ated using the lepton four-momenta and  $E_{\rm T}^{\rm miss}$  (1L only) of jets *b*-tagged at the 70% OP

of lepton and jet b-tagged at the 70% OP

plets of jets b-tagged at the 70% OP

-triplets with an angular separation of  $\Delta R < 3$ 

e  $d_{12}$  over all large-R jets

cale  $d_{12}$  over all large-R jets

ass greater than 100 GeV

e performed over all reconstructed jets and leptons s (2LOS only)



$$O(\mathbf{x}) = P(\text{data}|\mathbf{x}) = \frac{\alpha_{\text{data}}P_{\text{data}}(\mathbf{x})}{\alpha_{\text{data}}P_{\text{data}}(\mathbf{x}) + \alpha_{\text{sim}}P_{\text{sim}}(\mathbf{x})},$$

Exponential loss function to help with the training in low-stat regime •

$$\mathcal{L} = P_{\text{data}} e^{-\frac{O(\mathbf{x})}{2}} + P_{\text{sim}} e^{\frac{O(\mathbf{x})}{2}}.$$

- after minimisation  $\mathscr{L} = 0$
- resulting event weight •

$$w(\mathbf{x}) = e^{O(\mathbf{x})}.$$

$$w(\mathbf{x}) = \frac{\alpha_{\text{data}} P_{\text{data}}(\mathbf{x})}{\alpha_{\text{sim}} P_{\text{sim}}(\mathbf{x})} = \frac{O(\mathbf{x})}{1 - O(\mathbf{x})}.$$



#### **Search for heavy resonances -** *H*/*A* JHEP 07 (2023) 203

- Same strategy as the SM  $t\bar{t}t\bar{t}$  measurement
- additional MVA to separate BSM vs SM *tttt* 
  - $m_{H/A}$ -parametrised BDT allows smooth interpolation between mass points





#### Search for heavy resonances - H/AJHEP 07 (2023) 203 tanβ ---- Observed Consider 2HDM signal in the alignment limit $\sin(\beta - \alpha) \sim 1$ ATLAS ---- Observed $\pm 1\sigma_{theory}$ $\sqrt{s} = 13 \text{ TeV}, 139 \text{ fb}^{-1}$ 2.5 **BSM 4tops SSML** — – Expected 400 - 1000 GeV, with 100 GeV steps ulletExpected ± $1\sigma_{experiment}$ 2 Scalar+pseudo-scalar mass width set to 5 - 30 GeV, consistent with $\tan\beta = 1$ 95% CL upper limit on xsec x BR ~10 fb SM $t\bar{t}t\bar{t}$ normalised to 12 fb, with 20% uncertainty on xsec, plus other 0.5 modelling uncertainties 0.6 0.9 0.4 0.5 0.7 0.8 $m_{A} = m_{H} [TeV]$ З $\sigma(pp \rightarrow t\bar{t}H/A) \times B(H/A \rightarrow t\bar{t})$ [pb] tanβ Observed limit ATLAS Observed ATLAS $\sqrt{s} = 13 \text{ TeV}, 139 \text{ fb}^{-1}$ ---- Observed $\pm 1\sigma_{theory}$ •••••• Expected limit $\sqrt{s} = 13 \text{ TeV}, 139 \text{ fb}^{-1}$ 2.5 **BSM 4tops SSML BSM 4tops SSML** - - Expected ± 1σ Expected $\pm 1\sigma_{experiment}$ $\pm 2\sigma$ 2 Theory: Scalar $tan\beta=0.5$ 10 - tan $\beta$ =1.0 1.5 ....... 0.5 0.9 0.5 0.6 0.7 0.8 0.4 0.9 m<sub>H/A</sub> [TeV]





